

# A New Model for Sterile Neutrino Dark Matter

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# Project 3:

Construct a model where the properties of a new neutrino would make it a possible DM candidate while evading the current experimental constraints.

How could such a model be experimentally tested?

# Neutrinos as Dark Matter

**Can the active neutrinos compose DM?**

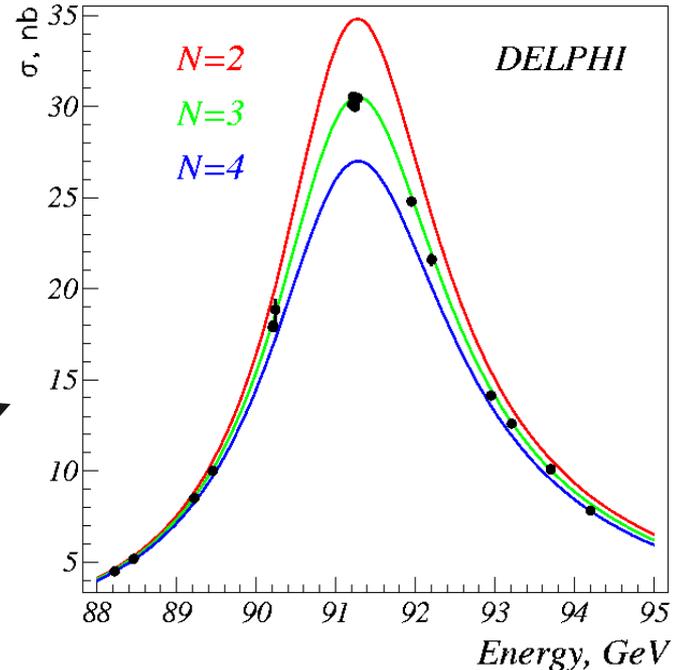
The light active neutrinos are an example of Hot DM

If they composed all of DM, their free-streaming effect would wash out most structures we observe in the Universe

**Can we add a heavier 4th generation neutrino?**

LEP measurements on the Z resonance rules out the existence of a 4th neutrino with electroweak charge

**We add a new “sterile neutrino”,  $N$ , that is uncharged under the SM gauge group**



# Sterile Neutrino Lagrangian

Adding a sterile neutrino  $N$  to the SM, the following operators will appear up to dimension 5:

$$\mathcal{L} \supset \lambda_1 M_* N N + \lambda_2 L H N + \frac{\lambda_3}{M_*} H^\dagger H N N$$

$\uparrow$  Majorana mass       $\uparrow$  Active - sterile mixing       $\uparrow$  Higgs interaction

$M_* = \text{Cut-off scale}$

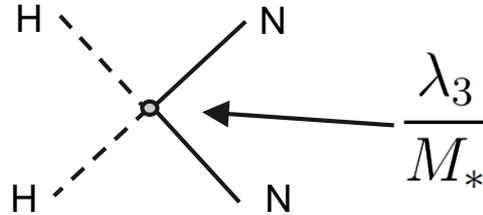
In many models, the sterile neutrino mass is O(keV) and is produced from oscillations with the active neutrinos (see K. Abazajian's talk)

Here, we will consider a different production mechanism via the Higgs interaction and see if we can obtain the correct DM abundance

# Production mechanism: “Freeze-in”

Our sterile neutrino will never be in thermal equilibrium - their abundance is not set by usual “freeze-out”

Instead, in the early Universe while Higgses are in thermal equilibrium, they will annihilate to N's



The abundance of N will “freeze-in” over time

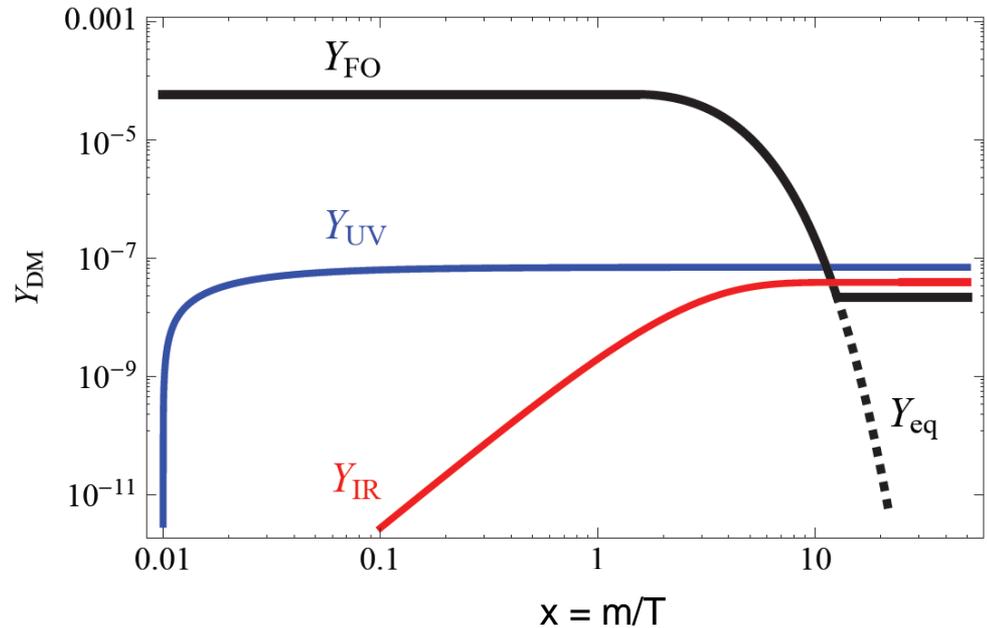
This process only takes place during the very early Universe, when temperatures are high enough to overcome the  $1/M$  suppression

# Production mechanism: “Freeze-in”

The process of freeze-in by higher dimensional operators has been studied in [1]

Because this process primarily takes place in the very early Universe, it is sensitive to the reheat temperature  $T_{RH}$

$$\Omega_N \sim 0.2 \left( \frac{m_N}{10 \text{ GeV}} \right) \lambda_3^2 \frac{T_{RH} M_P}{M_*^2}$$



# Benchmark parameters

$$\mathcal{L} \supset \lambda_1 M_* N N + \lambda_2 L H N + \frac{\lambda_3}{M_*} H^\dagger H N N$$

We require:  $M_* > T_{RH} > m_{\text{Higgs}} > m_N = \lambda_1 M_*$

Benchmark point:  $\lambda_1 = \lambda_3 = 10^{-5}$ ,  
 $T_{RH} = 10^4 \text{ GeV}$ ,  $M_* = 10^6 \text{ GeV}$

This fixes:  $m_N = \lambda_1 M_* = 10 \text{ GeV}$  and  $\Omega_N \simeq \Omega_{DM}$

# Higgs Decay

The Higgs will decay into sterile neutrinos due to the Lagrangian term:

$$\frac{\lambda_3}{M_*} H^\dagger H N N$$

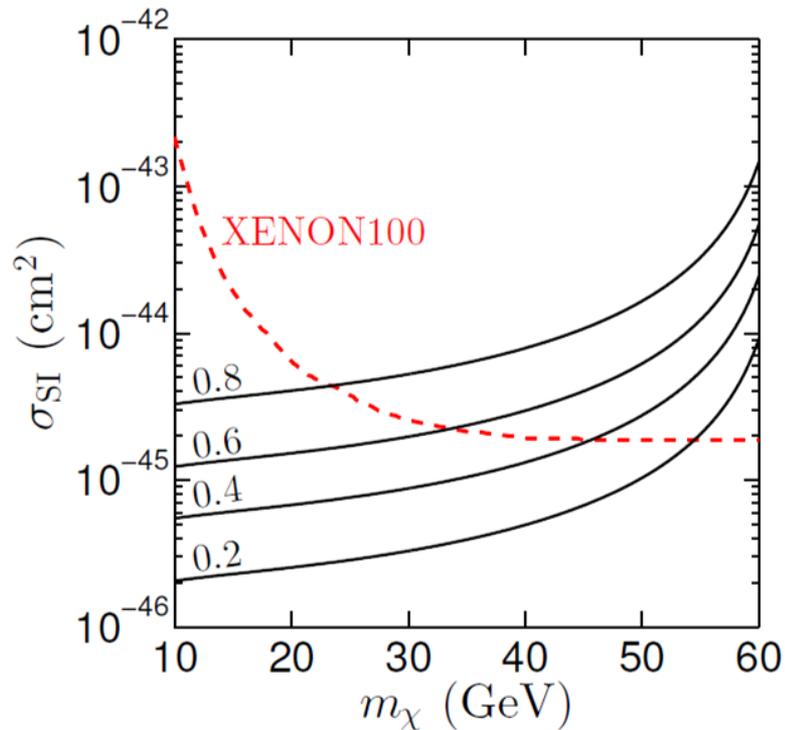
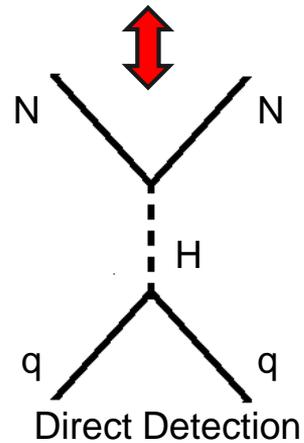
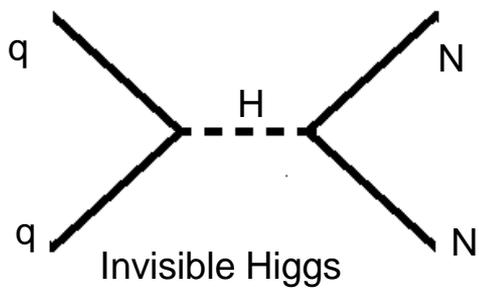
With our choices of parameters, we find the following decay width and branching ratio:

$$\Gamma_{H \rightarrow NN} = \frac{1}{16\pi^2} \left( \frac{\lambda_3 \langle h \rangle}{M_*} \right)^2 m_H$$

$$\mathcal{BR}(H \rightarrow NN) \sim 2 \times 10^{-15}$$

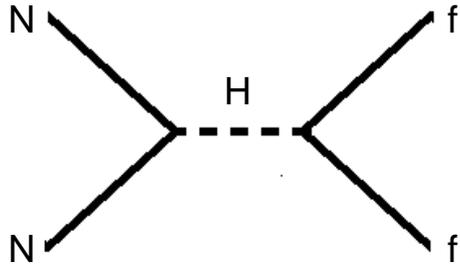
This is well below the limit on LHC invisible Higgs decay of  $\sim 0.4$

# Direct Detection



Plot from: G. Belanger, et. al. (2013) arXiv:1302.5694

# Indirect Detection: Annihilation



Annihilation via Higgs to quarks  
or leptons

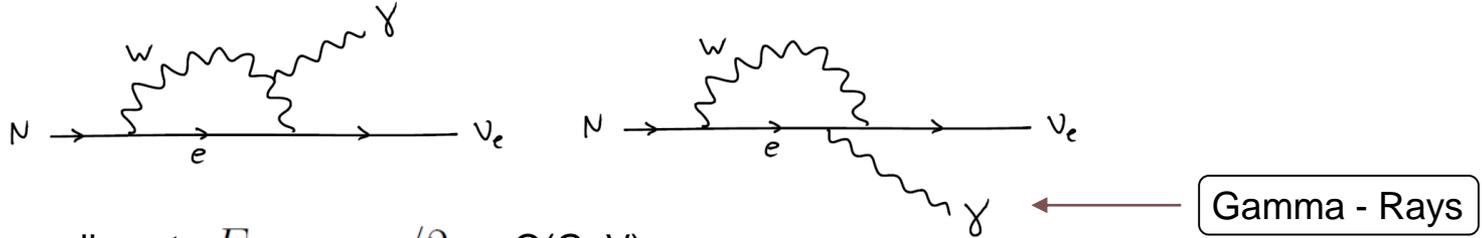
Dimensional analysis:

$$\langle \sigma v \rangle \sim 10^{-45} \text{ cm}^3 \text{ s}^{-1}$$

Well below the limits from Fermi-LAT on the annihilation  
cross section  $\sim 10^{-26} \text{ cm}^3 \text{ s}^{-1}$

# Indirect Detection: Decay

Sterile neutrinos decay to an active neutrino and photon:

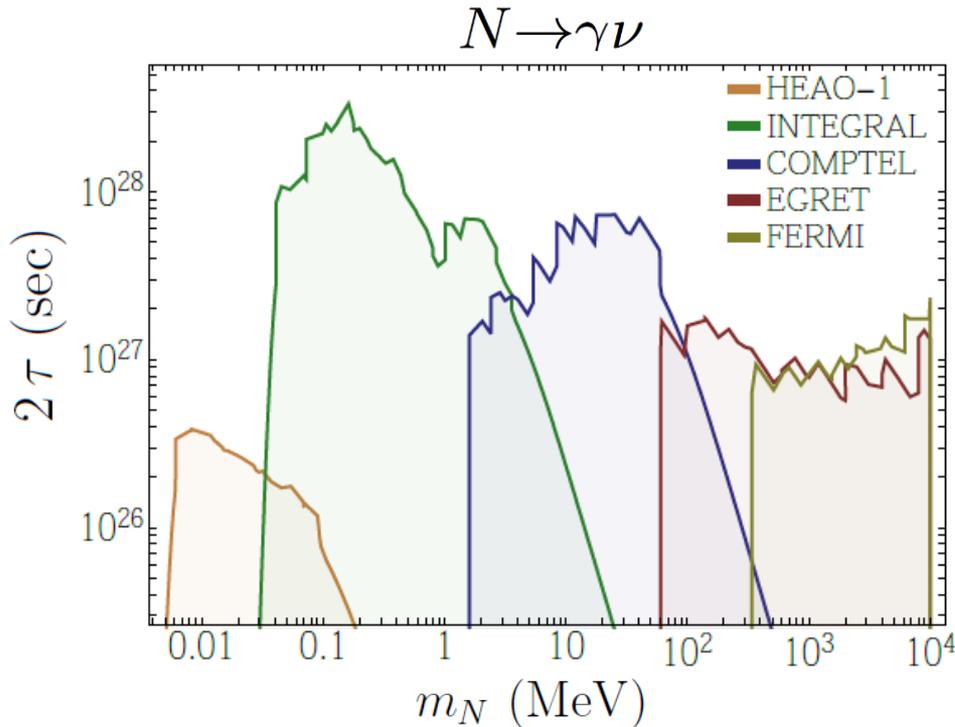


We expect a gamma-ray line at:  $E_\gamma = m_N/2 \sim \text{O}(\text{GeV})$

The diffuse photon spectrum has been well studied by several experiments (HEAO-1, INTEGRAL, COMPTEL, EGRET, and Fermi-LAT) in the keV - GeV range

The non-observation of such a photon line places upper limits on  $m_N$  and active-sterile mixing

# Gamma Ray Constraints



Plot adapted from R. Essig et. al. [arXiv: 1309.4091]

$$\tau_{N \rightarrow \gamma \nu} = 1.8 \times 10^{27} \text{ sec} \left( \frac{10 \text{ GeV}}{m_N} \right)^5 \left( \frac{10^{-41}}{\sin^2 \theta} \right)$$

Consistency with Fermi/EGRET requires:

$$\sin^2 \theta \lesssim 10^{-41}$$

Where the mixing is:  $\sin \theta = \frac{\lambda_2 \langle h \rangle}{\lambda_1 M_*}$

Using our choices for  $\lambda_1$ ,  $M_*$  this bound translates to:

$$\lambda_2 \lesssim 10^{-22}$$

Charging  $N$  under a  $\mathbb{Z}_2$  symmetry would set  $\lambda_2$  exactly to zero, but letting this decay happen provides a possible detection mechanism

