# Higgs boson: latest results



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HiggsTools, Freiburg 15 April 2015

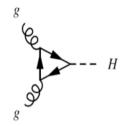
# First measurements on the Higgs

- The results from ATLAS+CMS
  - the Higgs mass
  - the Higgs width
  - spin and CP
  - the couplings
- How to proceed?

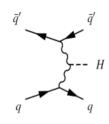
#### **Higgs production at LHC**

#### The LHC Higgs Cross Section WG YR1, YR2, YR3

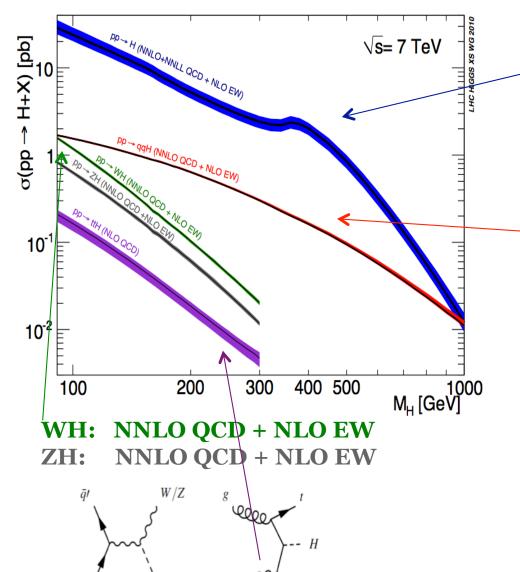




#### qqH: NNLO QCD + NLO EW



	K <sub>NNLO/NLO</sub> (K <sub>NLO/LO</sub> )	Scale	PDF+a <sub>S</sub>	Total error
ggF	+25% (+100%)	+12% -7%	±8%	+20 -15%
VBF	<1% (+5-10%)	±1%	±4%	±5%
WH/ ZH	+2-6% (+30%)	±1%	±4%	±5%
ttH	- (+5-20%)	+4% -10%	±8%	+12 -18%



ttH:

**NLO QCD** 

#### The channels at LHC

### 5 decay modes exploited

Exp Sig (CMS) 
$$\sigma_{\rm M}/{\rm M}$$
 @125.7

• bb 2.6σ 10%

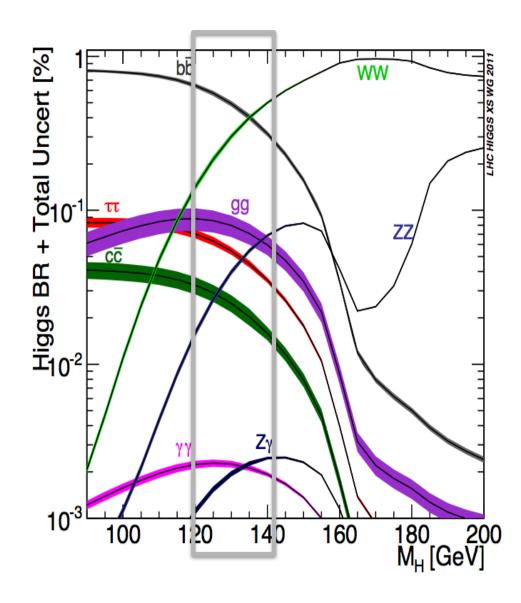
• ττ 3.9σ 10-20%

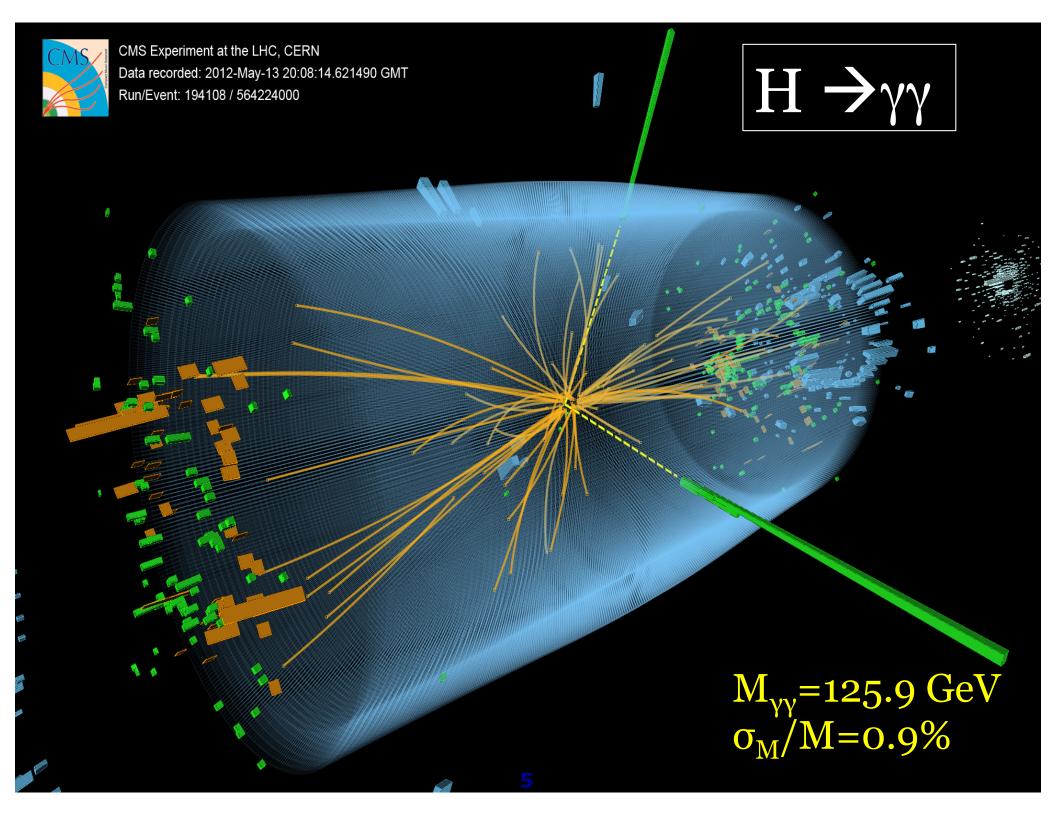
• WW 5.40 16%

• ZZ 6.3σ 1-2%

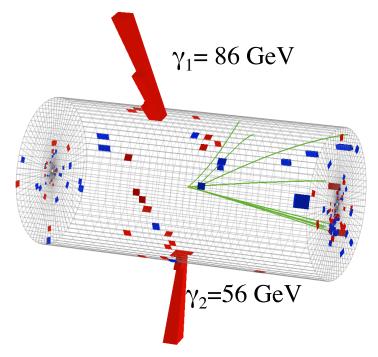
• γγ 5.3σ 1-2%

and searches in Zγ, μμ





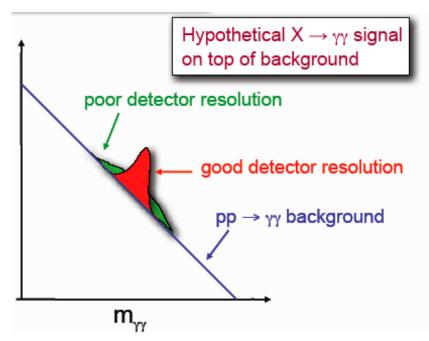
# $H \rightarrow \gamma \gamma$

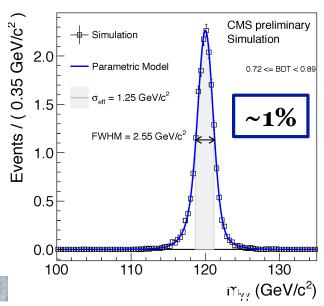


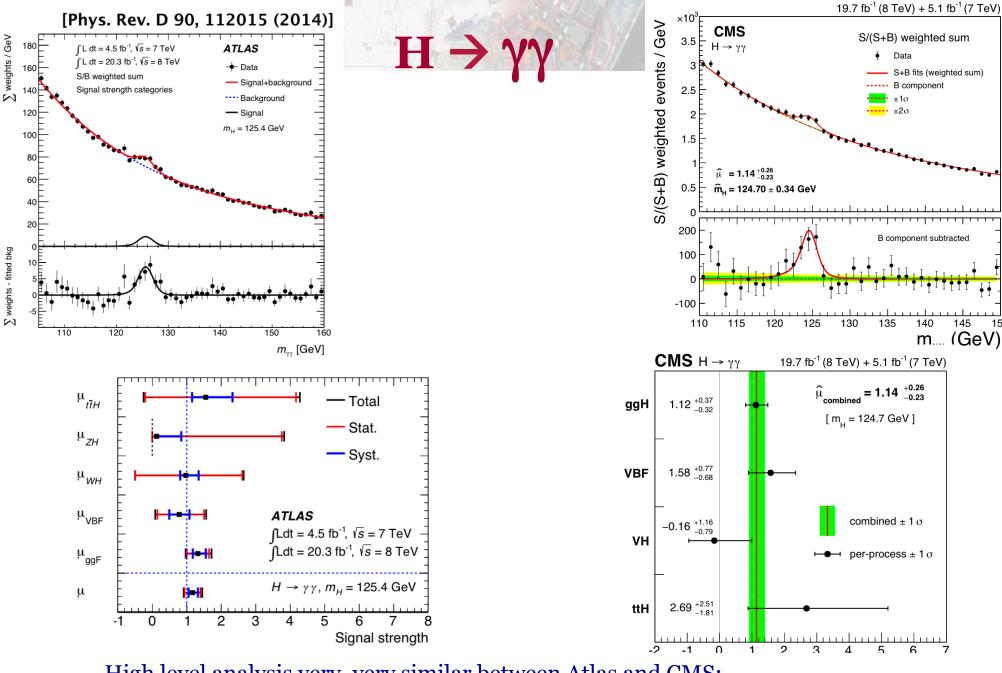
Signature: 2 energetic, isolated  $\gamma$ , in a narrow mass peak on top of a steeply falling spectrum

#### Relevant aspects:

- Photon identification/ background rejection
- Di-photon mass spectrum
- Background estimation
- Primary vertex determination (pile-up!)





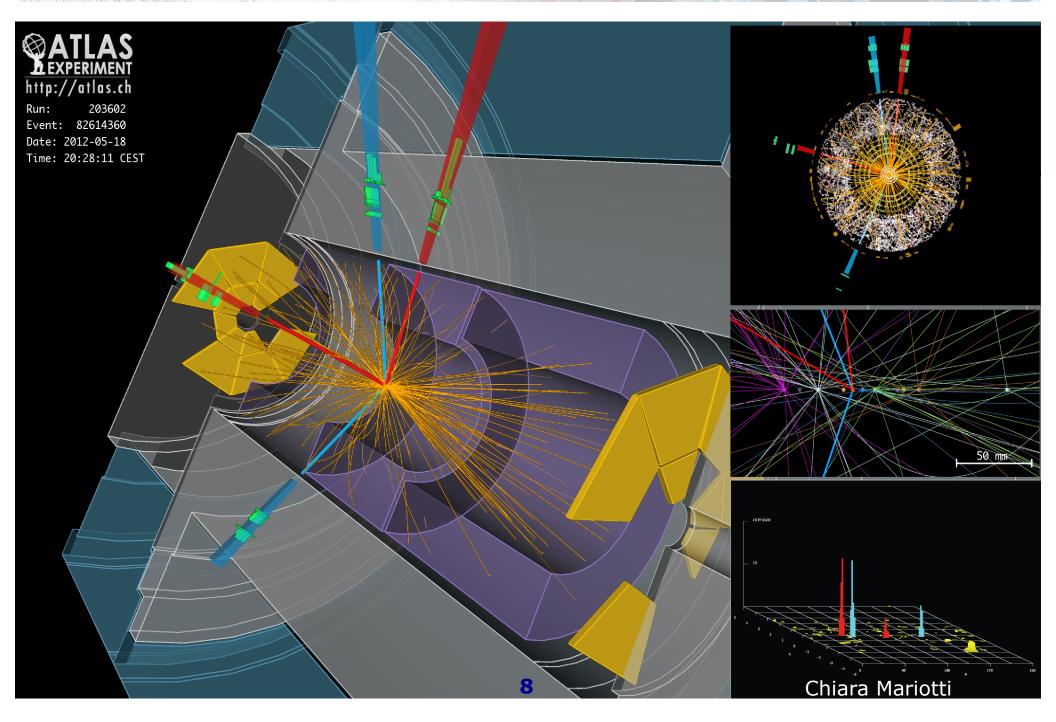


High level analysis very, very similar between Atlas and CMS:

- Categorization by S/B, resolution and  $p_T$  (ATLAS using cuts, CMS using a BDT)
- Similar di-jet categories with O(70%) purity
- Mass fit with polynomial background chosen to minimize the bias on the signal



# The golden channel



# $H \rightarrow ZZ \rightarrow 41$

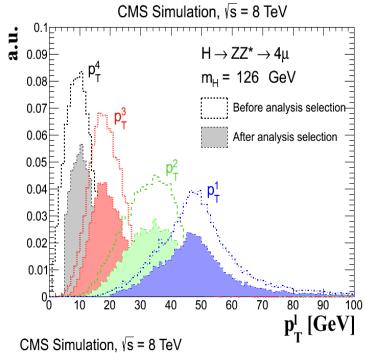
The final states considered are 4 $\mu$ , 4e, 2e2 $\mu$ 

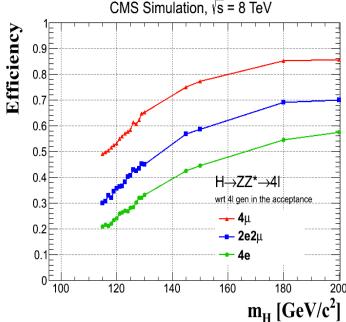
#### Very clean final state:

- 4 leptons of high p<sub>T</sub>,
- isolated
- coming from the primary vertex

Very tiny cross section → thus highest efficiency must be conserved

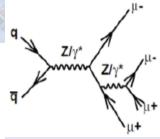
huge effort on lepton ID and efficiency 2l / 4l mass resolution



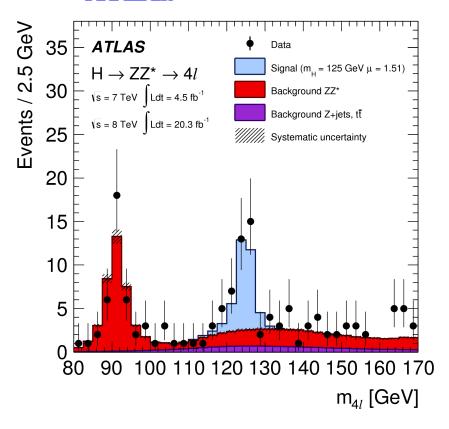




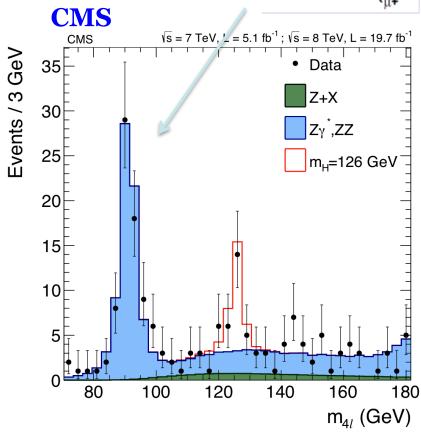
# $pp \rightarrow 4l$



#### **ATLAS**

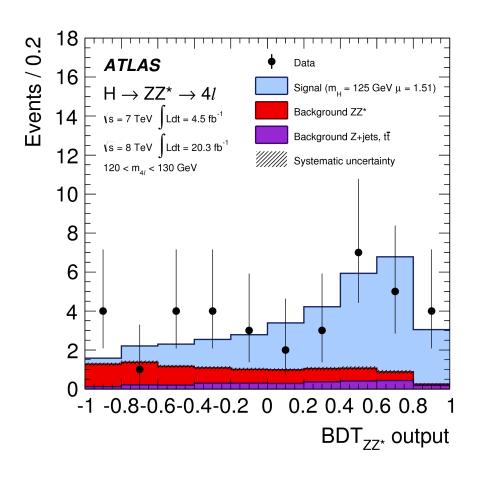


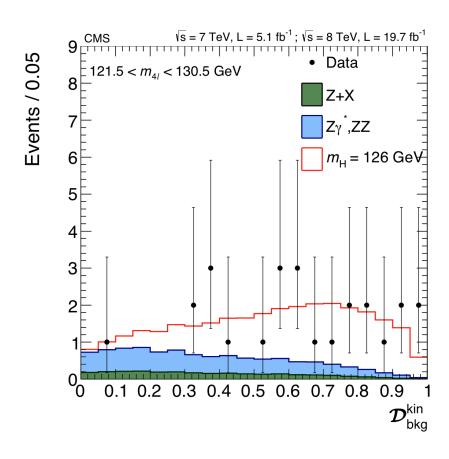
$$\sigma/\sigma_{\rm SM}$$
 @ 125.36 GeV = 1.44  $^{+0.40}_{-0.33}$ 



$$\sigma/\sigma_{\rm SM}$$
 @ 125.59 GeV = 0.93  $^{+029}$   $_{-0.25}$ 

### **Kinematics discriminants**

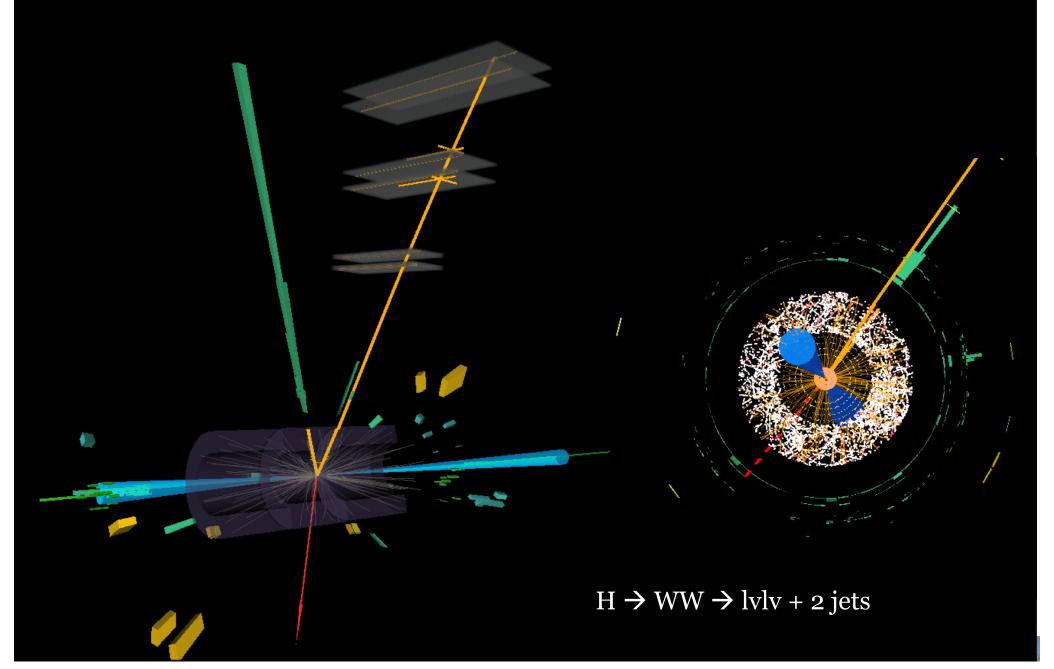




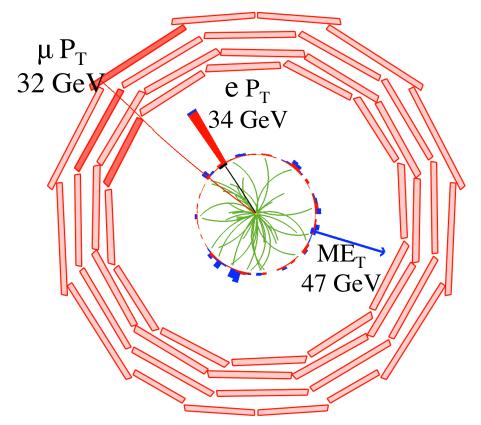
- VBF, VH and ggF enriched event categories
- kinematics distributions to separate signal from background
- → to measure cross sections, width, couplings, Spin, Parity...



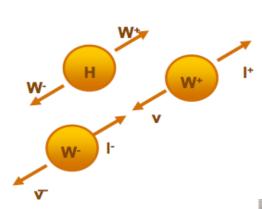
# $H \rightarrow WW \rightarrow lvlv$



#### $H \rightarrow WW \rightarrow lvlv$



Vectors from the decay of a scalar and V-A structure of W decay lead to small leptons opening angle (especially true for onshell Ws)



- Channel with very high sensitivity
- No mass reconstruction, signal extraction from event counting
- Clean signature:
  - 2 isolated, high p<sub>T</sub> leptons with small opening angle
  - High ME<sub>T</sub>
  - Analysis performed on exclusive jet multiplicities (0, 1, 2-jet bins)
- Analysis optimized depending on the Higgs mass hypothesis
  - $p_T^{-1}$ ,  $M_{ll}$ ,  $M_T$ ,  $\Delta \phi$  as discriminating variables
  - VBF selections for the 2-jets case

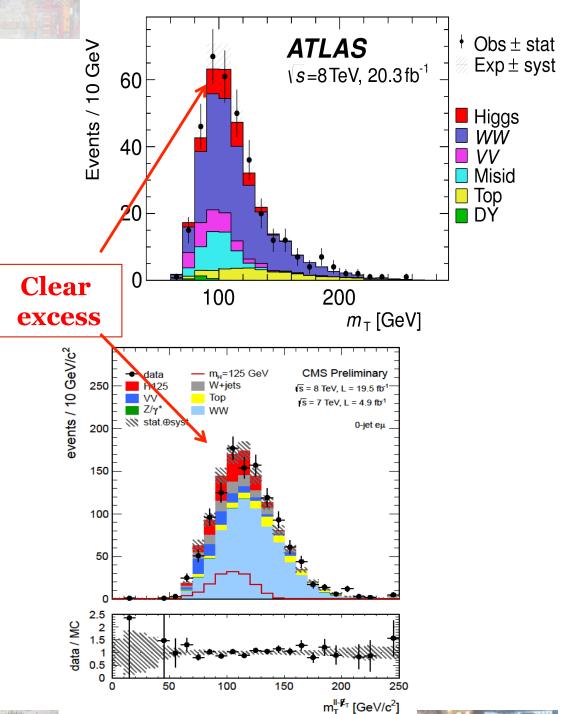
### $H \rightarrow WW \rightarrow lvlv$

- **Drell –Yan:** Suppressed by  $M_{ll}$  and  $ME_{T}$  cuts (pileup affect MET)
- W+jets (with one jet faking a lepton):

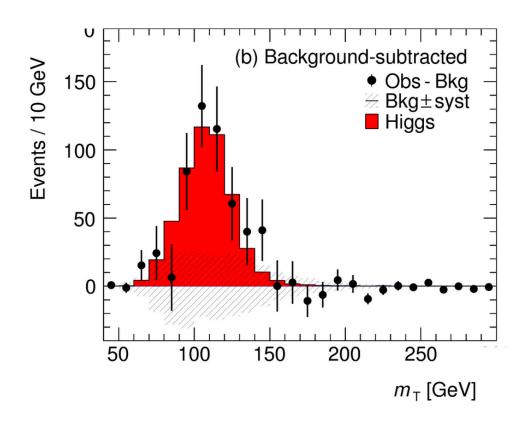
lepton ID is important

- Top (tt and single top): b-tag veto (or additional soft muon)
- **WW:** M(ll), MT and  $\Delta \phi$

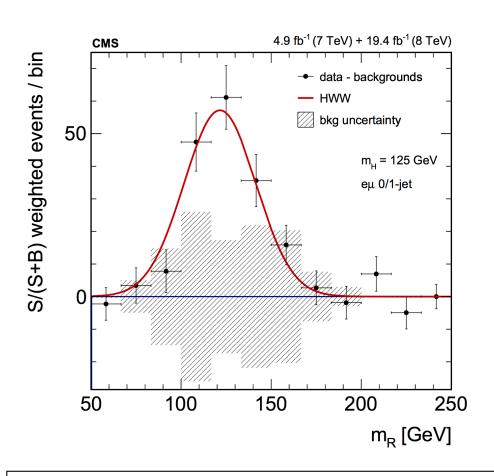
All the background are estimated from DATA in "control regions"



### H →WW→2l2v: Results



ATLAS: Broad excess consistent with 125 GeV Significance(@125,36): 6.1  $\sigma$  (5.8 $\sigma$  expected) Fitted  $\sigma/\sigma_{SM}$  (@125.36)= 1.09  $\pm$  0.23

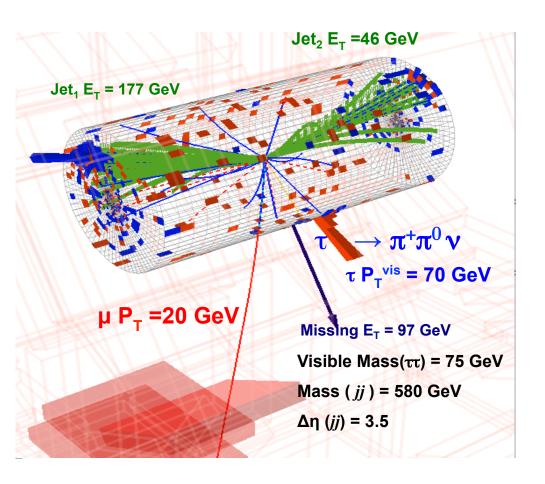


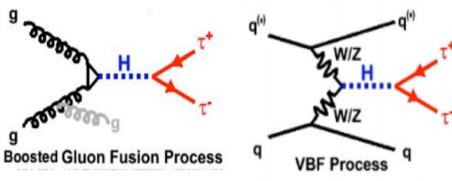
CMS: Broad excess consistent with 125 GeV

Significance:  $4.0 \sigma (5.2 \sigma \text{ expected})$ 

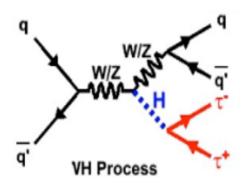
Fitted  $\sigma/\sigma_{\rm SM}$  = 0.76 ± 0.21

#### $H \rightarrow \tau \tau$





ggF, VBF production:  $\mu\mu$ , $e\mu$ , $\tau_h$ , $e\tau$ , $\mu\tau_h$ 



VH production:  $|\tau_h \tau_h, l| \tau_h, l| \tau_h$ 

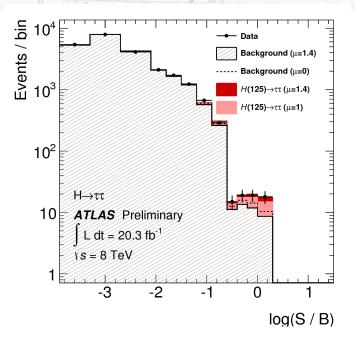
#### jet categories:

o-jet: used only to constrain the background

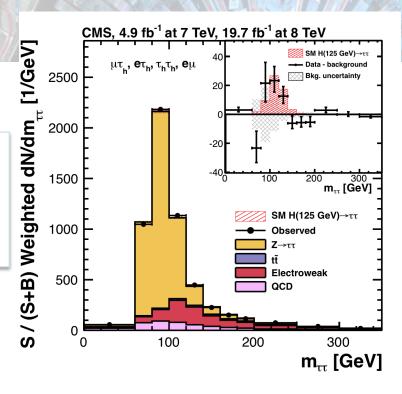
1-jet: low pT / high pT

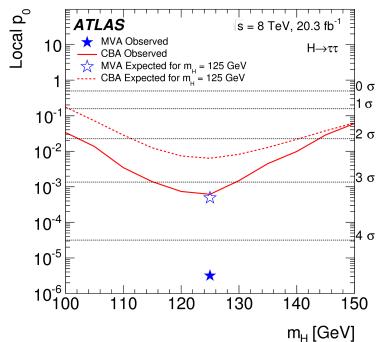
2-jets (VBF).

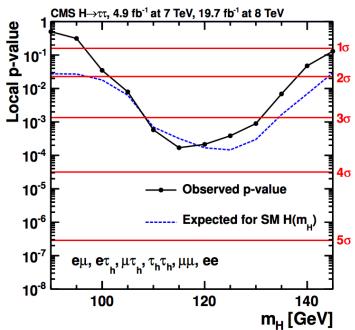
#### $H \rightarrow \tau\tau$



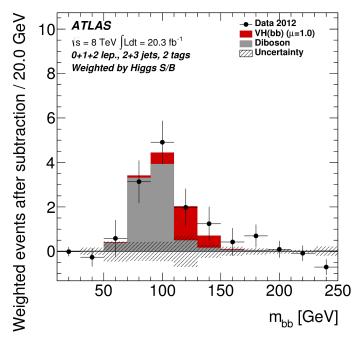
Combine the sensitive categories of all channels with a S/B weight



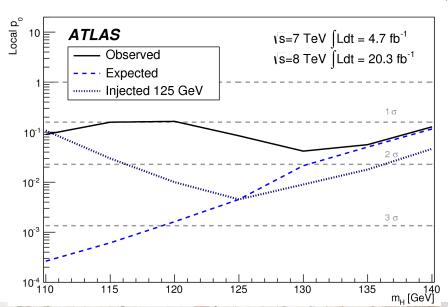


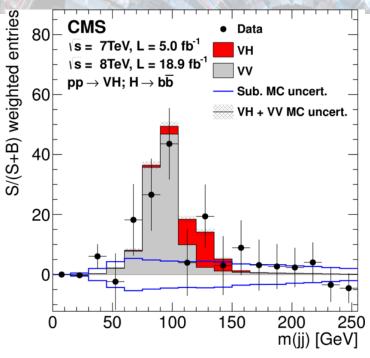


# VH → bb results

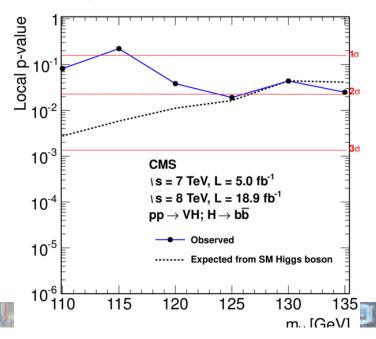


**ATLAS**: cut then look at *mbb*;

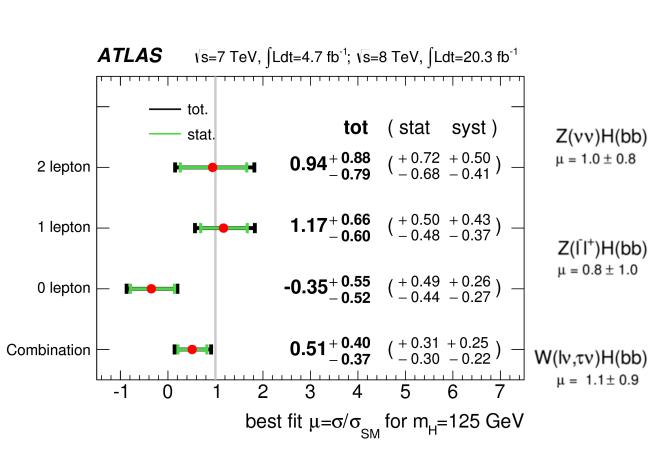


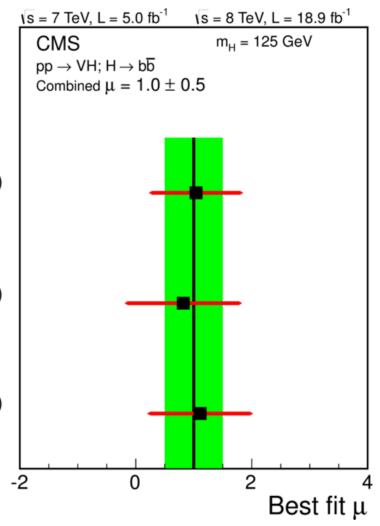


**CMS**: MVA (+cut based as cross check)



## VH → bb results

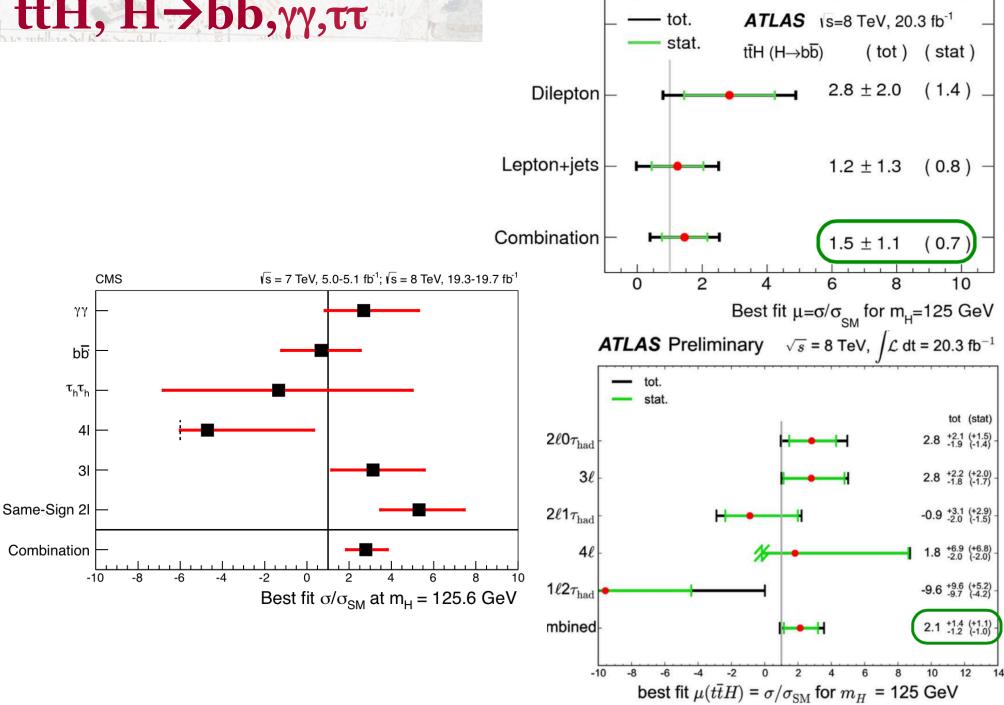




$$\mu = 0.51^{+0.4}_{-0.37}$$

$$\mu = 1.0 \pm 0.5$$

# ttH, H→bb, γγ, ττ



#### The mass

The mass is the most important property of the particle. Given the mass all the rest is precisely predicted by the SM.

The mass can be measured with very high precision from the  $H \rightarrow \gamma \gamma$  and  $H \rightarrow 4l$  decay, since photons and electrons are known with high accuracy.

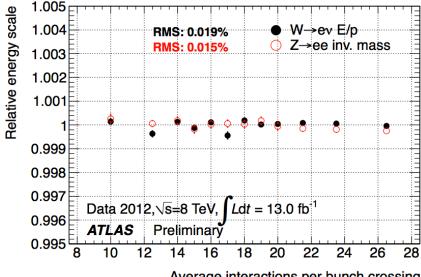
Or can be inferred from the measured cross-section, assuming the SM, and thus using the theory predictions known at NNLL.

## Mass from H→γγ in ATLAS

Mass of the Higgs boson can be reconstructed:

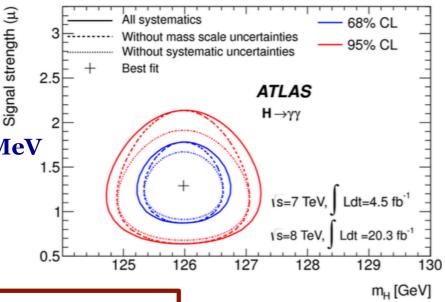
$$m_{\gamma\gamma}^2 = 2E_{\gamma_1}E_{\gamma_2}(1-\cos\theta_{12})$$

- Choice of the primary vertex
- likelihood discriminant combining:
- calorimeter pointing, ploton conversion, track recoil
- **Energy calibration** 
  - from  $\mathbf{Z} \rightarrow \mathbf{e}\mathbf{e}$  data and extrapolation  $\mathbf{e} \rightarrow \mathbf{y}$
  - require **excellent material budget** knowledge
- very good **stability** with **pile-up**



Average interactions per bunch crossing

- **Systematic uncertainties:** 
  - Material in front of ECAL ~150 MeV
  - Non-linearity ~140 MeV
  - Longitudinal calibrations ~120 MeV
  - Modeling e/γ lateral shower shape ~90 MeV
  - Conversion classification ~50 MeV
  - Z->ee calibrations ~50 MeV
  - **Background modeling ~40MeV**



 $m_{H}$ =125.98±0.42(stat)±0.28(sys) GeV

### Mass from H→γγ in CMS

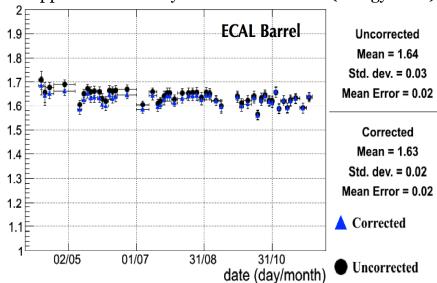
Mass of the Higgs boson can be reconstructed:

$$m_{\gamma\gamma}^2 = 2E_{\gamma_1}E_{\gamma_2}(1-\cos\theta_{12})$$

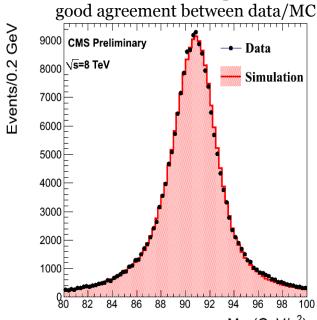
- Choice of the primary vertex
  - **BDT** using  $\sum p_T^2$ , vertex recoil with respect to the di-photon system.
  - check with  $Z \rightarrow \mu\mu$  (ynconv.) and  $\gamma$ +jet (converted
- **Energy calibration:** 
  - energy regression correction using BDT (energy density, shower shapes, cluster position)
  - monitor with **Z**→**ee**
- **Systematics uncertainties:** 
  - Electron photon differences ~100 MeV
  - Linearity of the energy scale ~100 MeV
  - Scale/Res uncertainties propagating Z->ee calibration systematics ~50 MeV
  - All other uncertainties, (eff, ID etc) ~40 MeV

 $m_{H}$ =124.70±0.31(stat)±0.15(sys) GeV

Z mass **resolution** as a function of time after application of analysis level corrections (energy scale)



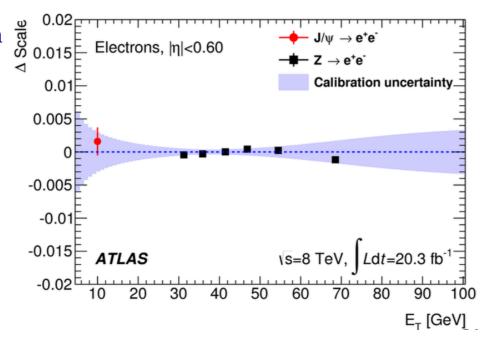
Z→ee lineshape:

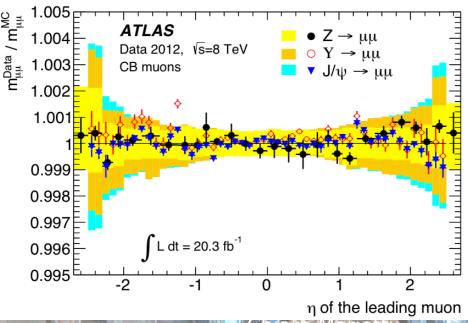


## Mass from H→4l in ATLAS

- Excellent energy/momentum scale and resolution
  - validation with **Z**, **Y** and  $J/\psi$  ( $\rightarrow$ 2l)
  - single-resonant  $Z \rightarrow 4l$  for validation

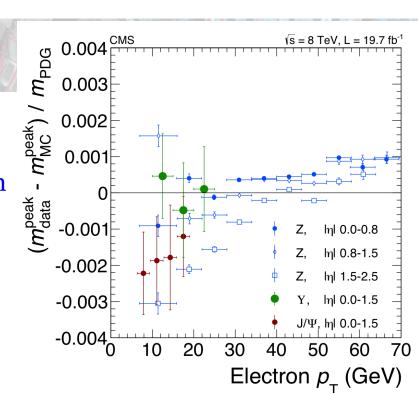
- Systematic uncertainties :
  - Lepton calibration uncertainties propagated to 4l invariant mass. 0.01/0.03% from e/ $\mu$  scale
  - Additional systematics from ID+reco efficiency for  $\mu$ /e on the rate (~2%)
  - Mass measurement uncertainty 2
     ~ purely statistical due to very high precision of the e/μ calibrations

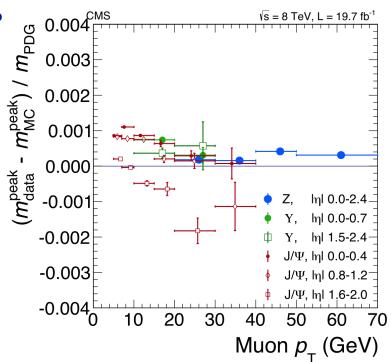




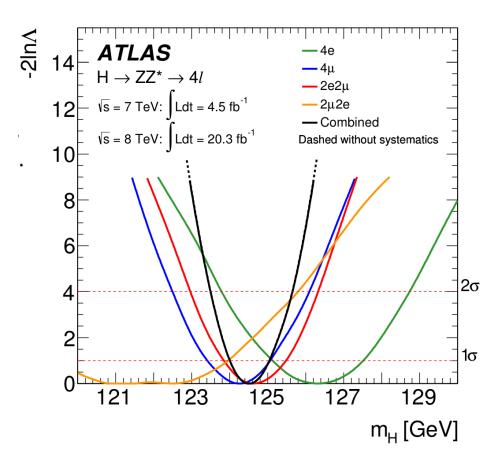
## Mass from H→4l in CMS

- Excellent energy/momentum scale and resolution
  - EM energy derived by **regression (BDT)**
- **validation** with **Z**, **Y** and  $J/\psi$  ( $\rightarrow$ 2l)
  - single-resonant  $\mathbb{Z} \rightarrow 4l$  for validation
- Systematic uncertainties :
  - Muon momentum scale uncertainty: ± 0.1%
  - Electron energy uncertainty: ± 0.3%
- Mass measurement performed with a 3D fit using
  - four-lepton invariant mass **m**<sub>4l</sub>
  - associated per-event mass uncertainty δm<sub>41</sub>
  - kinematic discriminant KD



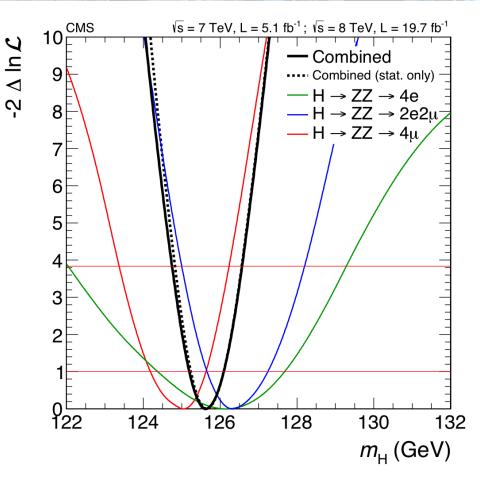


## 41: Comparison between ATLAS and CMS





- high p<sub>T</sub> cuts
- more stricter cuts on  $m_{12}$  and  $m_{34}$
- Z mass constrain



 $m_H = 125.59 \pm 0.42 \text{ (stat)} \pm 0.17 \text{ (syst) GeV}$ 

- event by event error
- kinematic discriminant
- 3D fits

## Likelihood Model

Higgs mass, determined by maximizing profile-likelihood ratio from combined dataset with respect to **all** the parameters of the model...

$$\Lambda(m_H) = \frac{L(m_H, \hat{\mu}_{ggF+t\bar{t}H}^{\gamma\gamma}(m_H), \hat{\mu}_{VBF+VH}^{\gamma\gamma}(m_H), \hat{\mu}^{4\ell}(m_H), \hat{\theta}(m_H))}{L(\hat{m}_H, \hat{\mu}_{ggF+t\bar{t}H}^{\gamma\gamma}, \hat{\mu}_{VBF+VH}^{\gamma\gamma}, \hat{\mu}^{4\ell}, \hat{\theta})}$$

3 signal modifiers (3 $\mu$ ) to vary independently the **yields** of

- ggF (+ttH) production + diphoton decay
- VBF (+VH) production + diphoton decay
- ZZ→4I

Reduces the model dependence of the measurement!

Nick Wardle

## Likelihood Model

Higgs mass, determined by maximizing profile-likelihood ratio from combined dataset with respect to **all** the parameters of the model...

$$\Lambda(m_H) = \frac{L(m_H, \hat{\mu}_{ggF+t\bar{t}H}^{\gamma\gamma}(m_H), \hat{\mu}_{VBF+VH}^{\gamma\gamma}(m_H), \hat{\mu}^{4\ell}(m_H), \hat{\theta}(m_H))}{L(\hat{m}_H, \hat{\mu}_{ggF+t\bar{t}H}^{\gamma\gamma}, \hat{\mu}_{VBF+VH}^{\gamma\gamma}, \hat{\mu}^{4\ell}, \hat{\theta})}$$

Systematics modeled as nuisance parameters ~300 in total:

- 100 for shape parameters and normalization in H→γγ Background model (unconstrained)
- Most of the remaining ones correspond to experimental or theory (constrained)

$$-2\log\Lambda(m_H) \leq \frac{1}{N_{ick\ Wardle}}$$

**ATLAS**  $H \rightarrow \gamma \gamma$ 

CMS  $H \rightarrow \gamma \gamma$ 

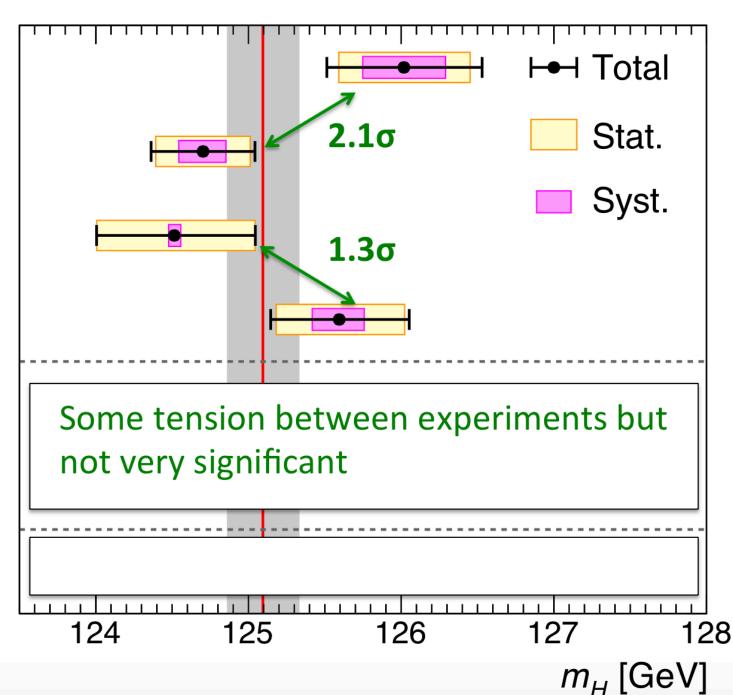
**ATLAS**  $H \rightarrow ZZ \rightarrow 4l$ 

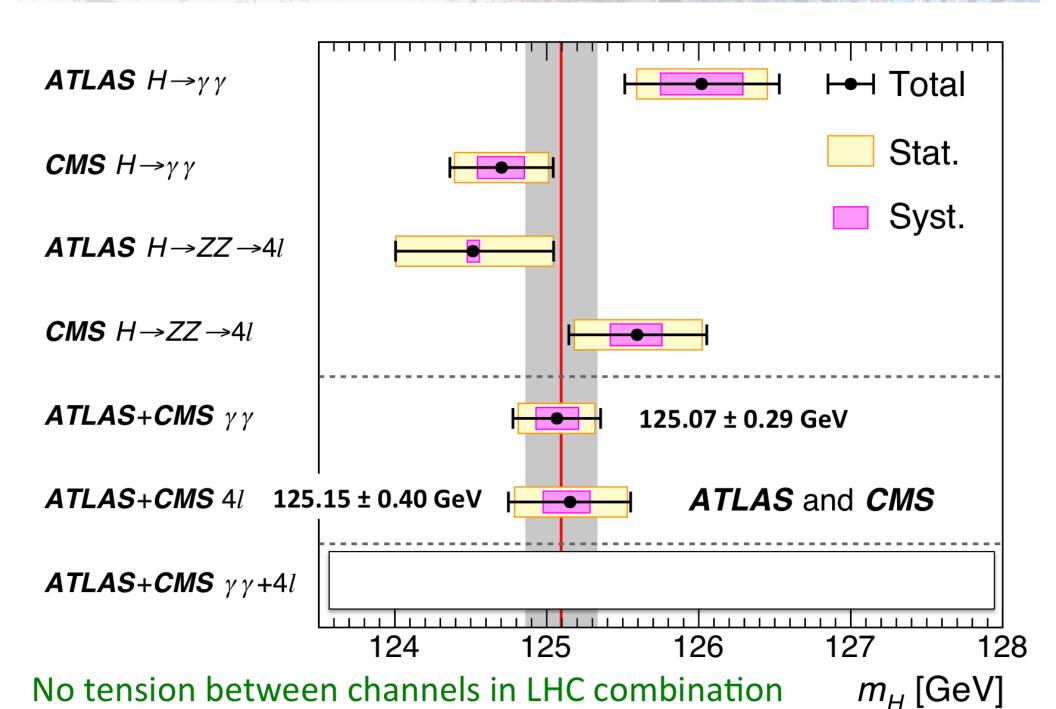
CMS  $H \rightarrow ZZ \rightarrow 4l$ 

ATLAS+CMS YY

ATLAS+CMS 41

 $ATLAS+CMS \gamma \gamma +4l$ 





#### $m_H = 125.09 \pm 0.24 \; (\pm 0.21 \; stat \pm 0.11 \; syst) \; GeV$

**ATLAS**  $H \rightarrow \gamma \gamma$ 

CMS  $H \rightarrow \gamma \gamma$ 

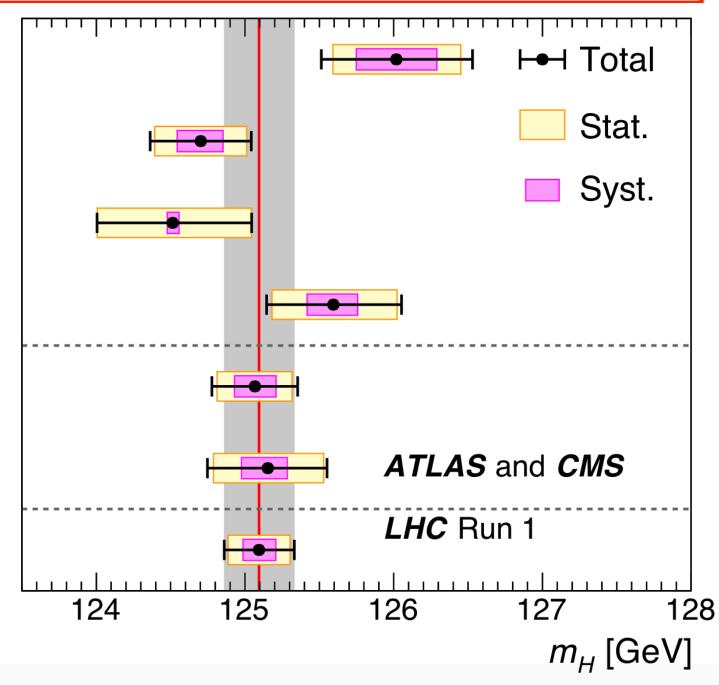
**ATLAS**  $H \rightarrow ZZ \rightarrow 4l$ 

CMS  $H \rightarrow ZZ \rightarrow 4l$ 

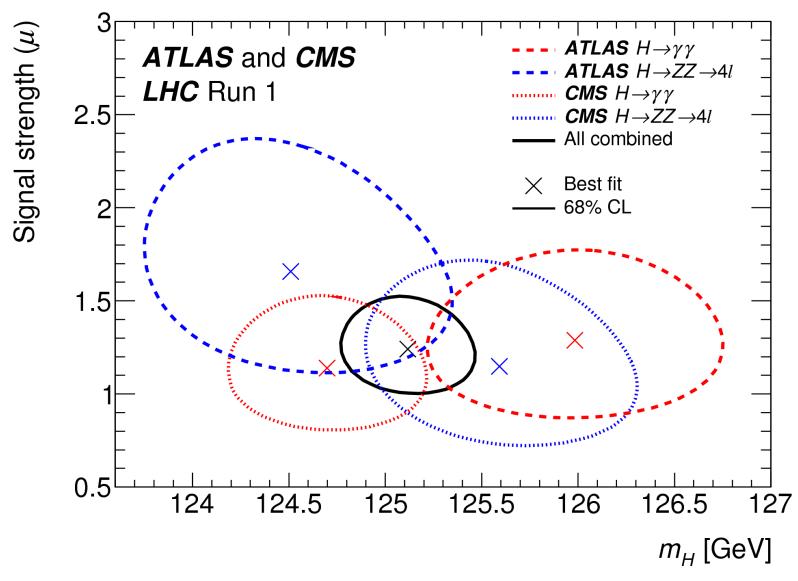
ATLAS+CMS YY

ATLAS+CMS 41

 $ATLAS+CMS \gamma \gamma +4l$ 



### The Mass



signal **strengths**,  $\mu_{\gamma\gamma}$  and  $\mu_{4l}$ , allowed to vary **independently** don't assume **SM couplings** 

#### The result

Systematic contribution are evaluated sequentially "freezing" nuisance parameter groups to their best values and re-scanning the likelihood ratio

$$m_{H}$$
=125.09 ± 0.21 (stat)  
± 0.11 (scales)  
± 0.02 (others)  
± 0.01 (theory)  
GeV

Uncertainty is mostly statistical

E/p scale uncertainties dominate the systematic

Theory uncertainties does not include interference

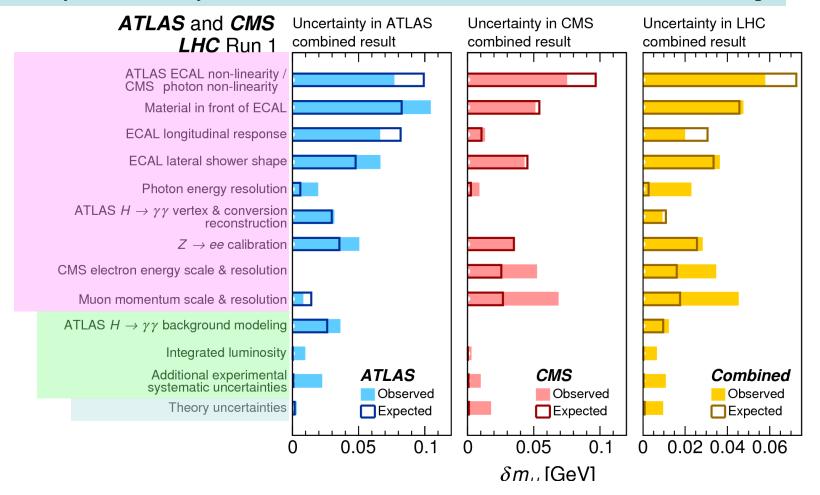


## Systematic uncertainties

Energy/momentum scale of  $\mu$ , e and  $\gamma$  dominate the systematic uncertainty

Backgroun, jet energy scale and luminosity (partially correlated between exp.)

Theory uncertainty (QCD scale, PDF, BR) -100% correlated between exp.



# The Higgs width: $\Gamma_{\rm H}$

Very narrow resonance at low mass: ~4 MeV at 125 GeV

Signal model: analytic convolution of a:

Breit-Wigner distribution

(modeling a non-zero decay width)

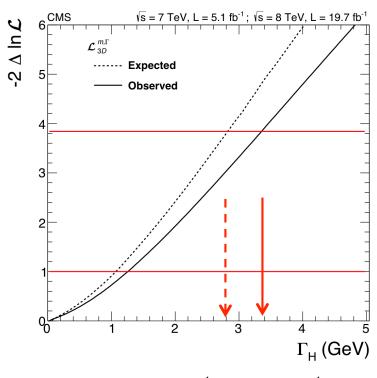
Gaussian distribution (modeling the non-zero detector resolution)

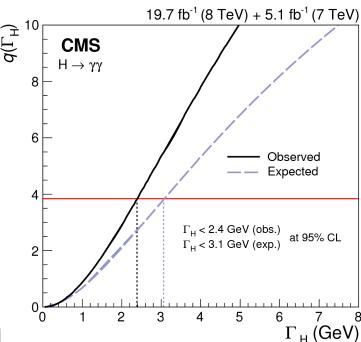
Method: profile likelihood estimator is used to calculate **upper limits** on the **width** 

**First** direct **upper limit** on the Higgs boson **width**:

H→γγ:
- **2.4 GeV** at 95% CL (- **3.1** expected)

$$\Gamma$$
 < 600 ·  $\Gamma_{SM}$ 





### The Higgs width: $\Gamma_{H}$ from off-shell production

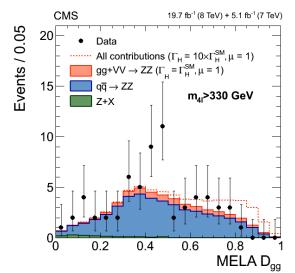
We can go from few GeV to ~tens of MeV using off-shell Higgs production

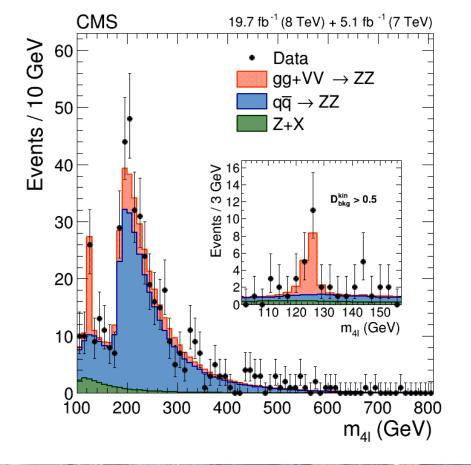
Kauer, Passarino: JHEP 1208 (2012) 116, Caola, Melnikov: Phys. Rev. D88 (2013) 054024

Off-shell Higgs boson production is small but the BR to 2 real Z is large above 2m<sub>Z</sub>

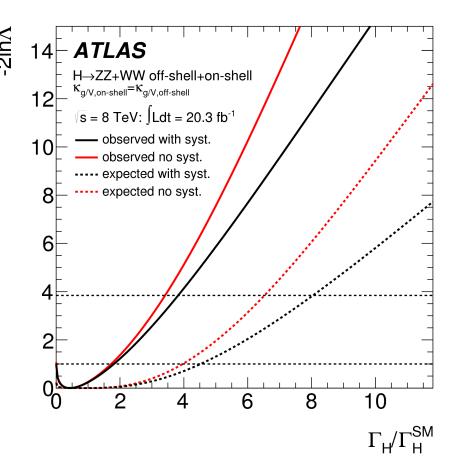
In the high M4l region, the signal interfere with the gg background the interference is large and destructive (~twice the signal).

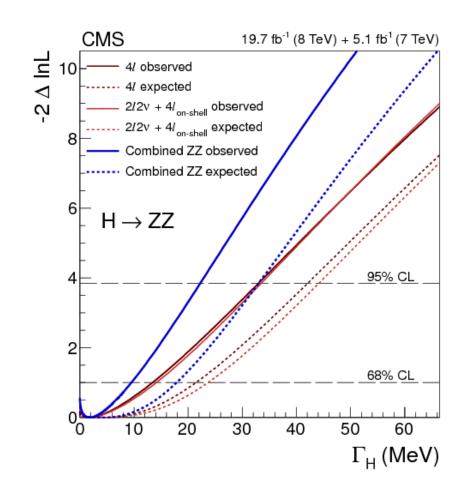
#### Discriminant to enhance gg/qq production





## The Higgs width: $\Gamma_H$ from off-shell production



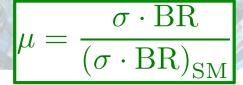


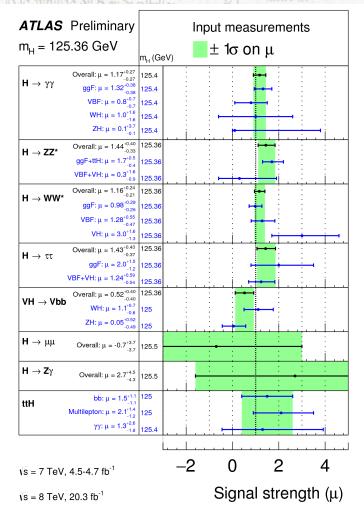
Assuming  $k_{bck} = k_{sig}$ 

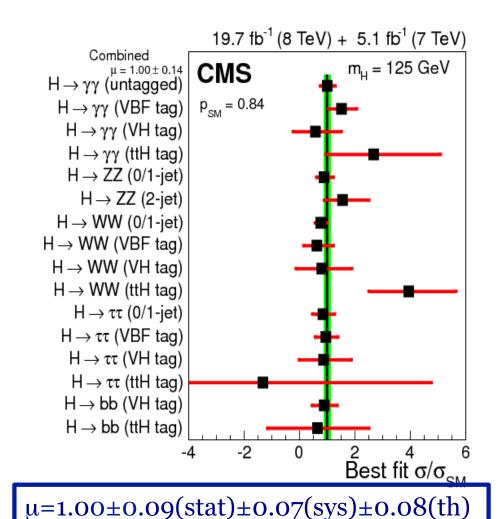
 $\Gamma_{\rm H}$  < 22.7 MeV (33 MeV expected) i.e. 5.4 x SM

 $\Gamma_{\rm H}$  < 22 MeV (33 MeV expected)

## Consistency with SM hypothesis





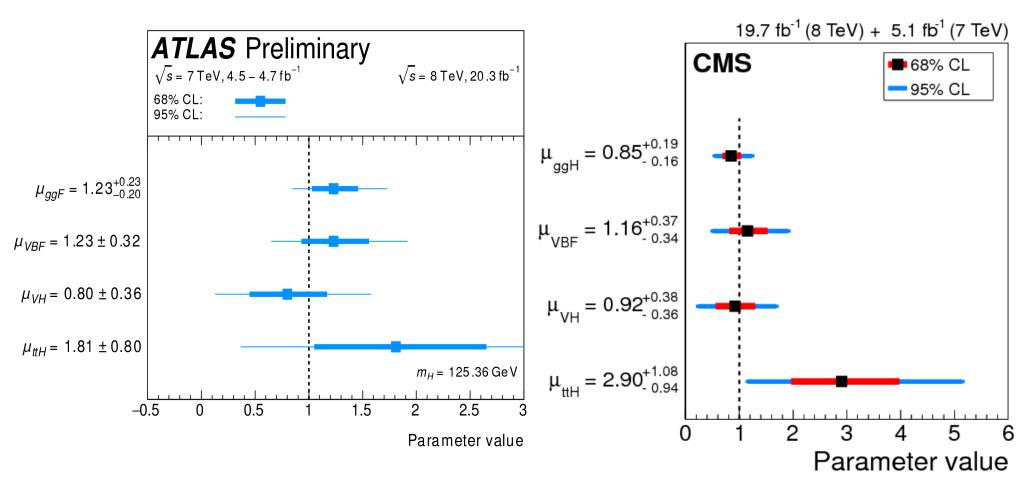


 $\mu$ =1.18±0.10(stat)±0.07(sys)±0.08(th)

Consistent with the SM prediction for both ATLAS and CMS, with ~15% precision. Theory uncertainty (QCD scale  $\pm 8\%$ @NNLO and PDF+ $\alpha_s$   $\pm 8\%$ ) is comparable to experimental

## Signal Strengths by Processes

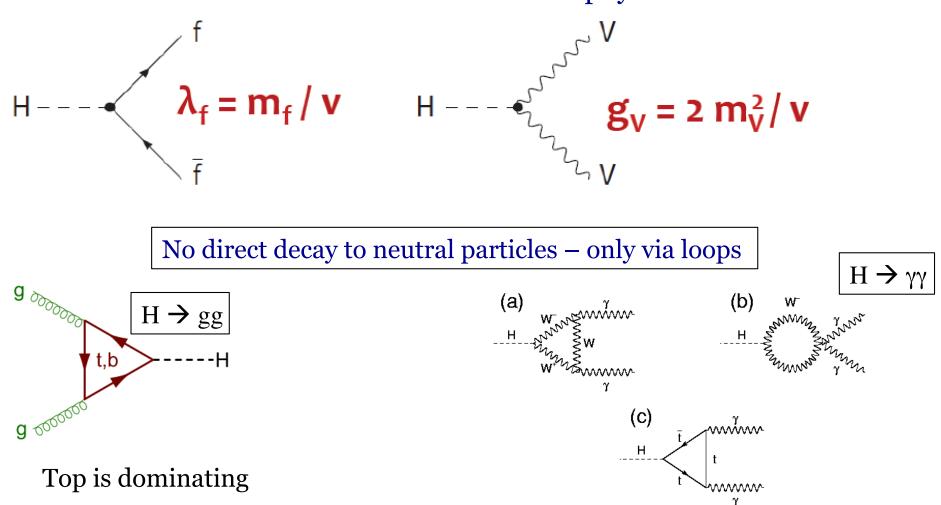
Starting to isolate all four production processes...



Status: ggF well established, evidence for VBF, indication for VH, not yet sensitive to ttH

# The Higgs vertexes

We want to disentangle production and decay processes to measure the "vertexes" to test the SM and search for new physics.



destructive interference between W and top

## The couplings

They can be extracted from the different final states at the LO EW and NLO QCD approximation:

$$\sigma(H) \times BR(ii \rightarrow H \rightarrow xx) = \sigma_{ii} \times \Gamma_{xx} / \Gamma_{H}$$

We can measure deviations from the SM couplings, by measuring ratios w.r.t. to the SM prediction.

$$g_{Hff} = \frac{\sqrt{2}m_f}{v}, \qquad g_{HVV} = \frac{2m_V^2}{v} \quad \Rightarrow \quad g_{Hff} = \boxed{\kappa_f} \cdot \frac{\sqrt{2}m_f}{v}, \quad g_{HVV} = \boxed{\kappa_V} \cdot \frac{2m_V^2}{v}$$

As an example for the gg $\rightarrow$  H  $\rightarrow$   $\gamma\gamma$  process:

$$(\sigma \times BR) (gg \rightarrow H \rightarrow \gamma \gamma) = \sigma_{SM}(gg \rightarrow H) BR(H \rightarrow \gamma \gamma) \cdot \kappa_g^2 \kappa_{\gamma}^2 / \kappa_H^2$$

## **Custodial symmetry**

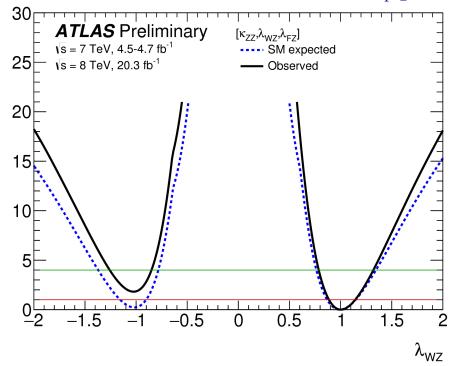
-2 ln  $\Lambda(\lambda_{\rm WZ})$ 

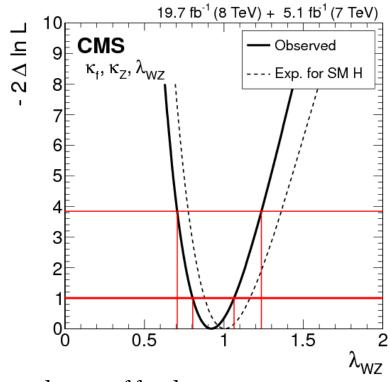
Testing custodial symmetry (measuring HWW/HZZ couplings) will tell us if the the object produced is Higgs-like.

Because of the custodial symmetry we expect:

$$\kappa_{W} = \kappa_{Z} \Rightarrow \lambda_{WZ} = \kappa_{W} / \kappa_{Z} = 1$$







three degrees of freedom:

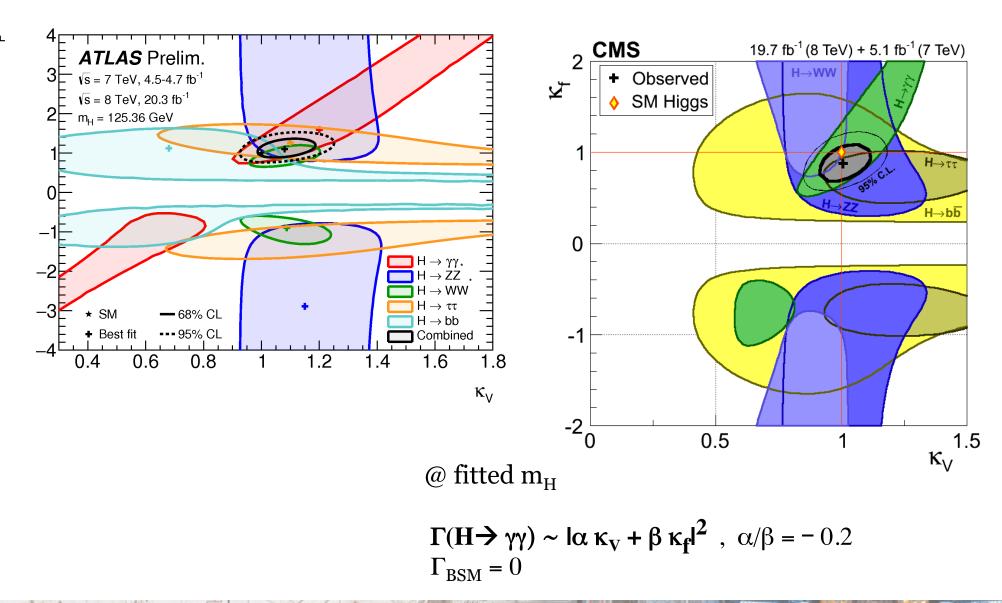
$$\lambda_{WZ}$$
,  $\kappa_{Z}$ , and  $\kappa_{f}$ .

$$\Gamma_{\rm BSM} = 0$$
.

fitted m<sub>H</sub>

# Couplings: $\kappa_V$ , $\kappa_f$

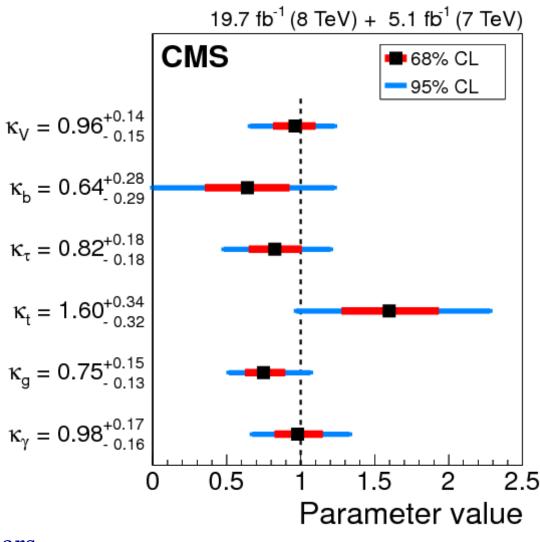
Assume all fermion couplings scale as  $\kappa_F$  while all vector boson couplings scale as  $\kappa_V$ .



## 6 parameters model

Likelihood scans for parameters in a model with coupling scaling factors for the SM particles, one coupling at a time while profiling the remaining five together with all other nuisance parameters; from top to bottom: κV (W and Z bosons), кb (bottom quarks), κτ (tau leptons), кt (top quarks), кg (gluons; effective coupling), ку (photons; effective coupling).

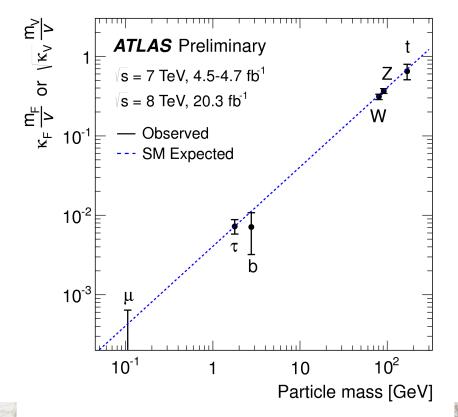
The inner bars represent the 68% CL confidence intervals while the outer bars represent the 95% CL confidence intervals.

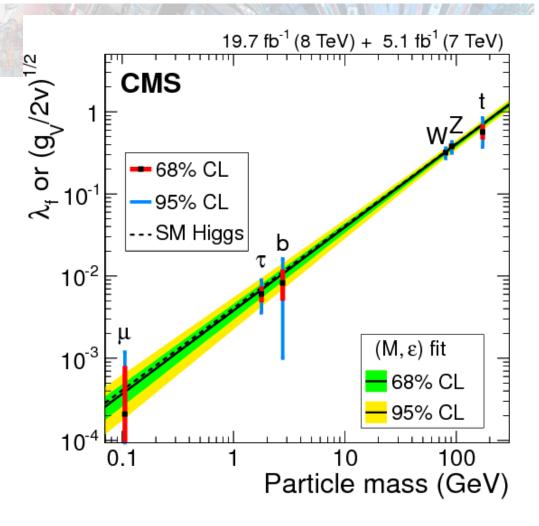


## Couplings vs mass

The Higgs couples to the mass of the particle:

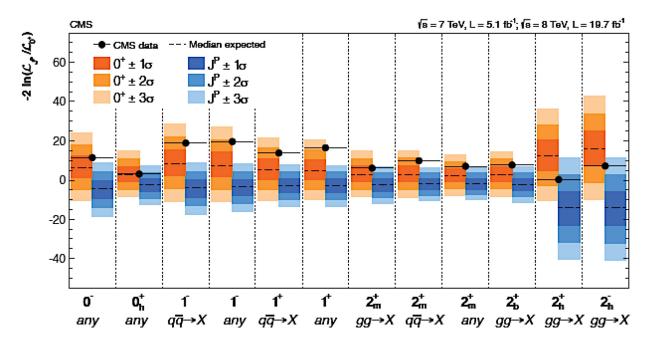
$$\lambda_f = \kappa_f m_f / v$$
$$g_V = 2\kappa_V m_V^2 / v$$





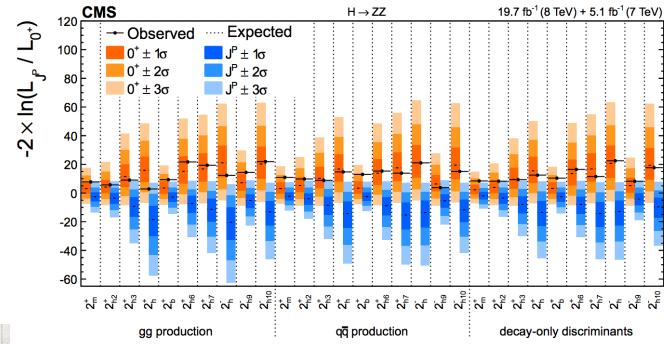
Perform a fit to the full Atlas / CMS combination, resolving gluon and photon loops in term of tree-level couplings

## Spin and Parity from $H \rightarrow ZZ \rightarrow 4l$ , $H \rightarrow WW$ , $H \rightarrow \gamma\gamma$

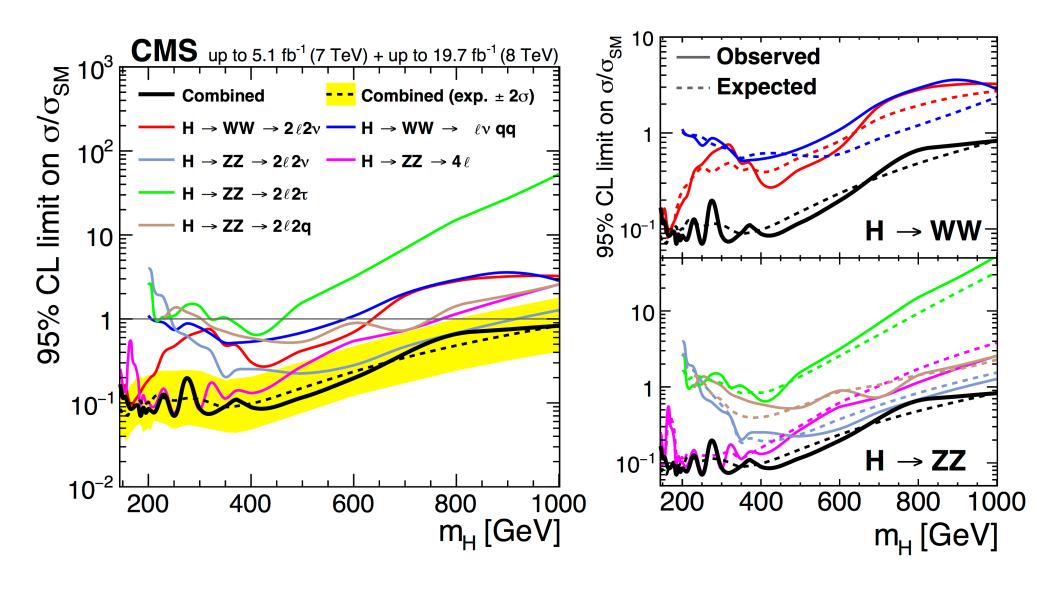


ATLAS and CMS many analyses, lots of results

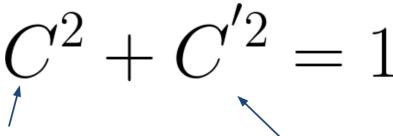
→
Spin O
Positive parity at > 99.9% CL



# Is there another SM Higgs?



# **EWK singlet**



Use the 125 GeV Higgs boson to constraint  $C^2 = 1 - C^2$ 



Use the full CMS combination  $\mu_{h125}$  = 1.00 ± 0.14

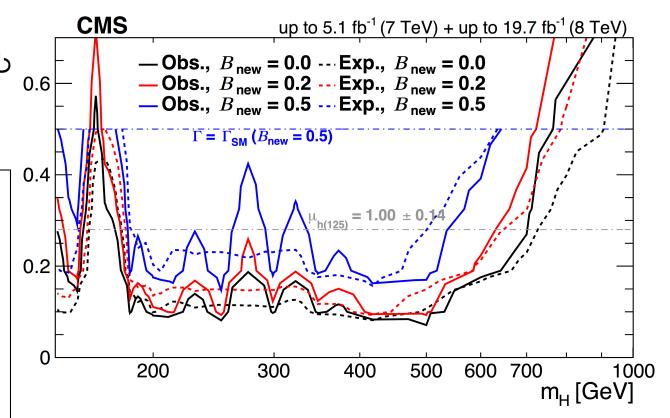
We assume that h and h' mix with each other

Reduction of the SM coupling strength  $\mu_{SM} \rightarrow C^2 \mu_{SM}$ 

The second singlet h couples with strength  $C^2(1-BR_{new}) \mu_{SM}$ 

Unitary implies:  $C^2+C^2=1$ 

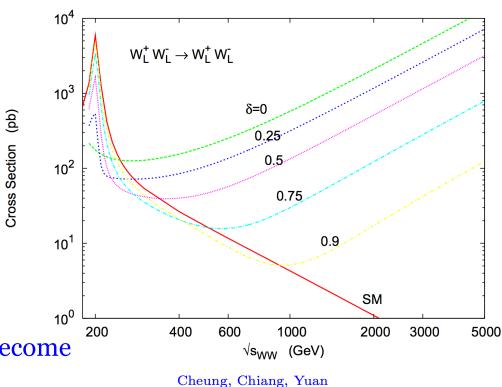
Direct search for an additional boson



# Partially Strong W<sub>I</sub>W<sub>I</sub> Scattering

If the cancellation of the Higgs diagrams is not complete, then we expect a g<sub>hWW</sub> coupling smaller than the SM. The  $W_LW_L$  will keep growing with  $\sqrt{s}$ , up to the the new resonance, or more generally to the new physics scale  $\Lambda$ .

Suppose the Higgs-WW coupling is  $\sqrt{\delta}$  of the SM value, then the amplitudes become



$$i\mathcal{M}^{\text{gauge}} = -i\frac{g^2}{4m_W^2} u + \mathcal{O}((E/m_W)^0)$$
  
 $i\mathcal{M}^{\text{higgs}} = i\frac{g^2}{4m_W^2} u \delta + \mathcal{O}((E/m_W)^0)$   
 $i\mathcal{M}^{\text{all}} = -i\frac{g^2}{4m_W^2} u(1-\delta) + \mathcal{O}((E/m_W)^0)$ 

→ Measure with high precision hVV coupling and **V<sub>L</sub>V<sub>L</sub>** scattering

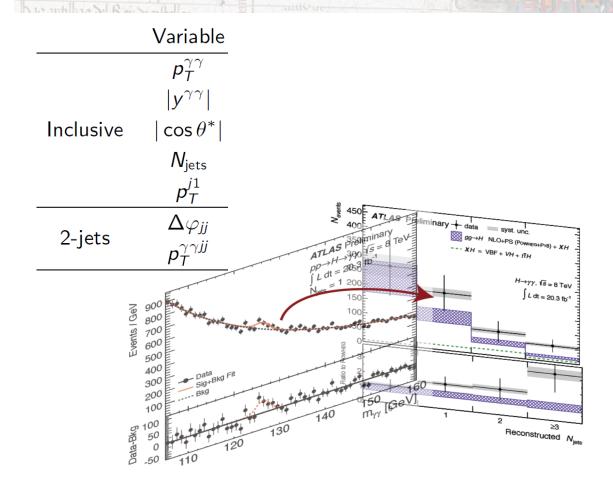
## How to continue

The following talks (within WP1) will go into the details of the future program:

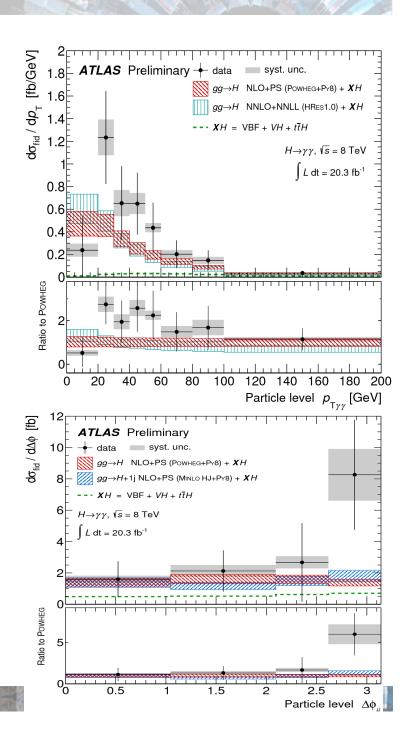
- Overview of the goals of the WP1
   Weiglein
- Measure properties and coupling with high precision: Grazzini, Melnikov, Duehrssen, Passarino
- Search for new "Higgses"
   Nikitenko and Ellwanger
- Measure VV scattering
   Dao



## **ATLAS: Differential XS**

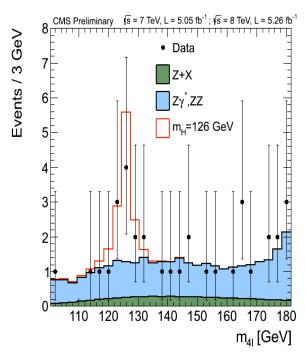


- Bin events in variables of interest
- Background estimations from the mγγ side-band fit in each bin
- Unfold the reconstructed distributions to truth distributions (→ differential cross-sections)

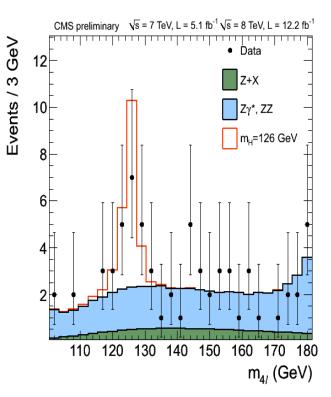


## A beautiful peak

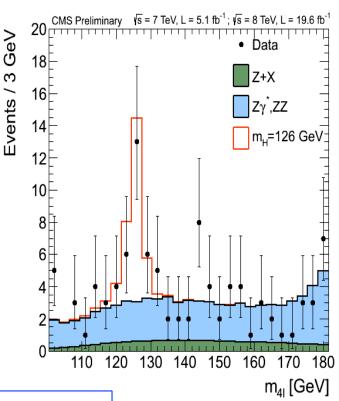
#### 4 July



#### **Nov 2012**

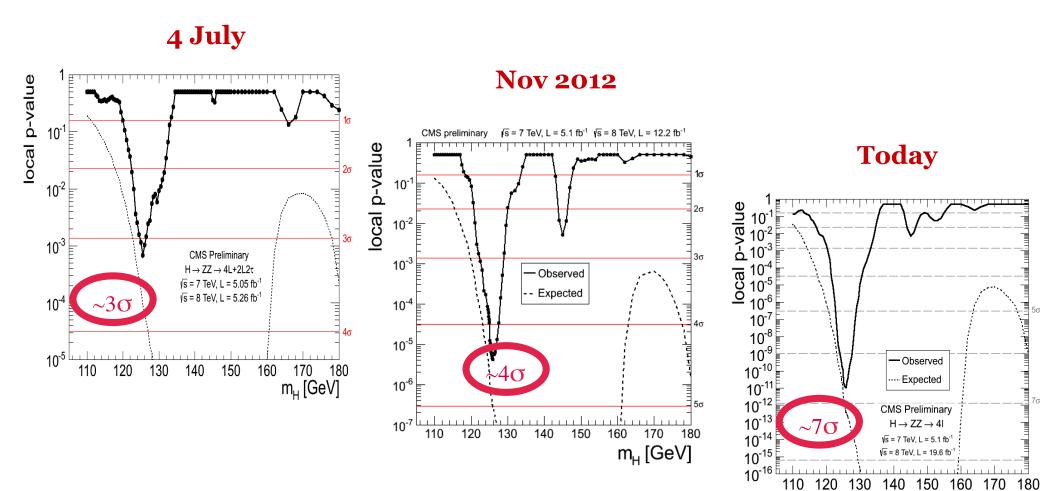


#### **Today**



The beauty of an equation is more important than its correctness, in the sense that if an equation is beautiful, sooner or later it will be demonstrated to be correct. Paul Dirac

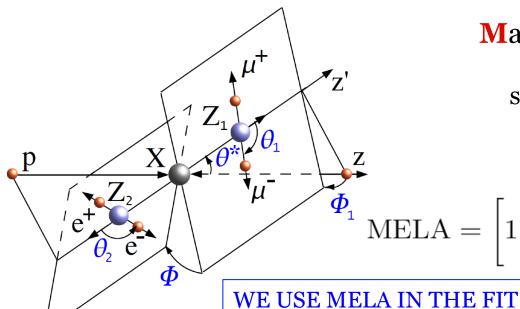
## Compatibility with the background only hypotesis



The beauty of an equation is more important than its correctness, in the sense that if an equation is beautiful, sooner or later it will be demonstrated to be correct. Paul Dirac

m<sub>H</sub> [GeV]

## **Kinematic Discriminant**



## Matrix Element Likelihood Analysis:

uses kinematic inputs for signal to background discrimination  $\{m_1, m_2, \theta_1, \theta_2, \theta^*, \Phi, \Phi_1\}$ 

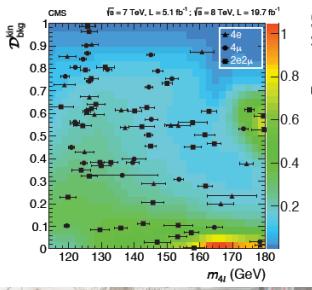
MELA = 
$$\left[ 1 + \frac{\mathcal{P}_{bkg}(m_1, m_2, \theta_1, \theta_2, \Phi, \theta^*, \Phi_1 | m_{4\ell})}{\mathcal{P}_{sig}(m_1, m_2, \theta_1, \theta_2, \Phi, \theta^*, \Phi_1 | m_{4\ell})} \right]^{-1}$$

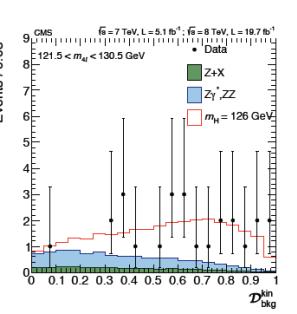
#### -

#### SIGNAL+Background

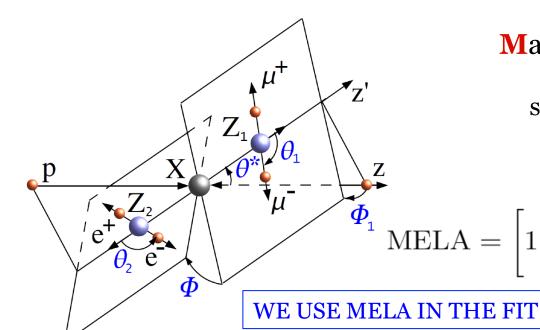
# CMS $(s=7 \text{ TeV}, L=5.1 \text{ fb}^{-1}; \sqrt{s}=8 \text{ TeV}, L=19.7 \text{ fb}^{-1})$ $0.9 \\ 0.8 \\ 0.7 \\ 0.6 \\ 0.5 \\ 0.4 \\ 0.10 \\ 0$

#### **BACKGROUND**





## **Kinematic Discriminant**



#### Matrix Element Likelihood Analysis: uses kinematic inputs for signal to background discrimination

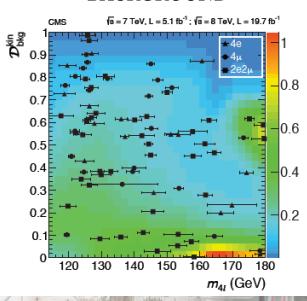
$$\{m_1, m_2, \theta_1, \theta_2, \theta^*, \Phi, \Phi_1\}$$

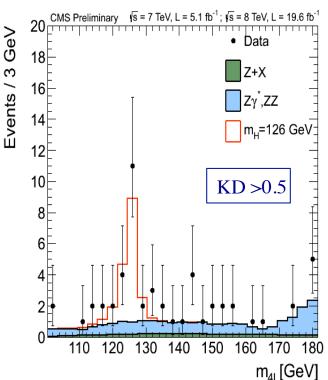
MELA = 
$$\left[ 1 + \frac{\mathcal{P}_{bkg}(m_1, m_2, \theta_1, \theta_2, \Phi, \theta^*, \Phi_1 | m_{4\ell})}{\mathcal{P}_{sig}(m_1, m_2, \theta_1, \theta_2, \Phi, \theta^*, \Phi_1 | m_{4\ell})} \right]^{-1}$$

#### SIGNAL+Background

#### (s = 7 TeV, L = 5.1 fb<sup>-1</sup>; √s = 8 TeV, L = 19.7 fb<sup>-1</sup> 0.25 0.2 0.150.1 0.3 0.05 150 160 170 180 $m_{4l}$ (GeV)

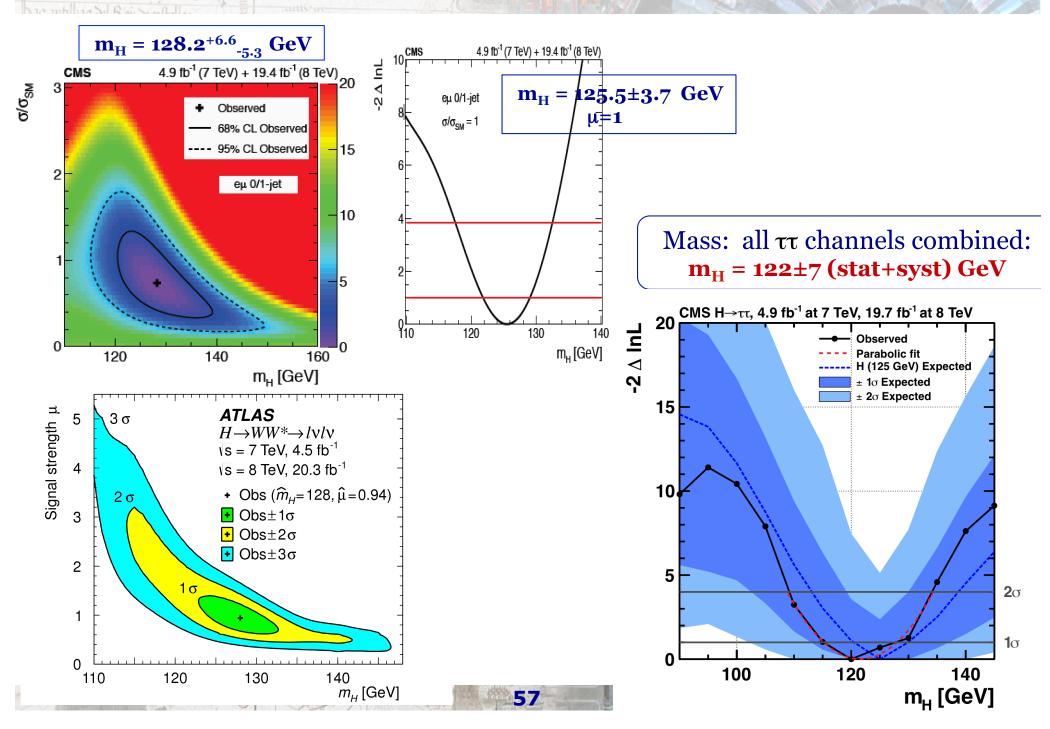
#### **BACKGROUND**







## $H \rightarrow WW$ and $H \rightarrow tt$ : Results



# **Consistency in 2D**

Test production modes in the various decay modes.

**µ** VBF,VH

Properly accounts for contamination in the tagged categories and their uncertainty.

