

### *Nils Ruthmann (CERN)* On Behalf of the **ATLAS** & **CMS** Collaborations

## **Standard Model Higgs Boson Couplings**

Particles in Collisions Warwick - 16.09.2015



### Introduction

- LHC Run 1 was the run of the Higgs Boson
- Rapid transition from searches over discover
- By now nearly all final Run 1 results are publis

2011





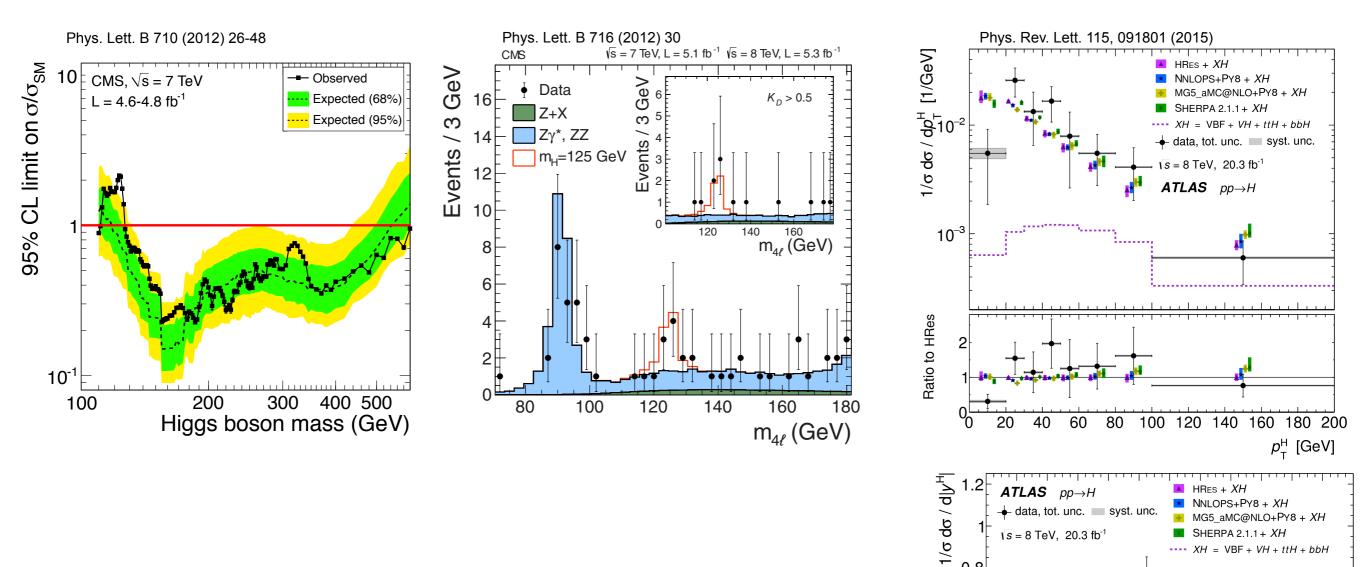
SHERPA 2.1.1 + XH

 $\dots XH = VBF + VH + t\bar{t}H + b\bar{b}H$ 

*s* = 8 TeV, 20.3 fb<sup>-1</sup>

0.8

0.6



### **Higgs Boson Couplings**

- Higgs Boson measurements typically divided into:
  - **Coupling measurements** (this talk) :
    - Measure event counts in various phase-space regions
    - Naturally emerged from the searches
  - **Property measurements** (next talk) :
    - Measure quantum numbers and other properties using dedicated analyses
- Nomenclature slightly misleading:
  - Coupling parameters are key properties of the SM Higgs mechanism
  - both sectors influence each other: m<sub>H</sub> determines the SM expectation for couplings

$$m_{W} = gv/2 \qquad m_{W}/m_{Z} = \cos \theta_{W} \qquad m_{H}$$

$$\mathcal{L}_{EW} = \frac{1}{2} \partial_{\mu} H \partial^{\mu} H + \frac{g^{2}}{4} (v + H)^{2} (W_{\mu}^{+} W^{-\mu} + \frac{1}{2 \cos^{2} \Theta_{W}} Z_{\mu} Z^{\mu}) + \frac{1}{2} (-2\mu^{2}) H^{2} - \lambda v H^{3} - \frac{1}{4} \lambda H^{4} + \dots$$

$$HVV \text{ and } HHVV \text{ vertices} \qquad HHH \text{ and } HHHH \text{ self-interaction vertices}$$

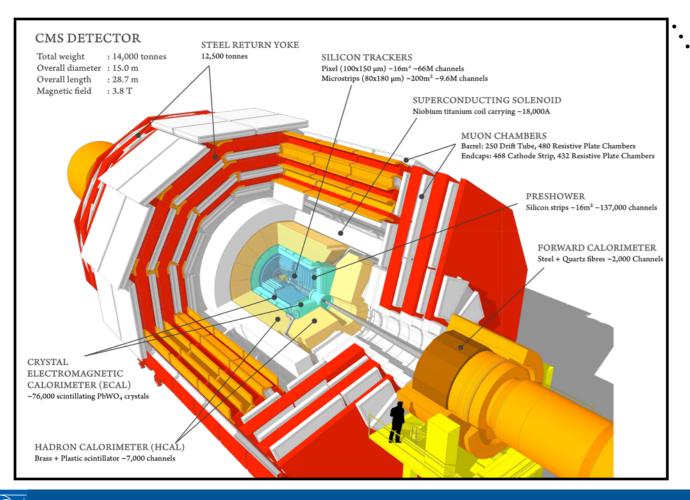
$$\sim g^{2}v (\sim m^{2}/v) \qquad \sim g^{2} (\sim m^{2}/v^{2})$$

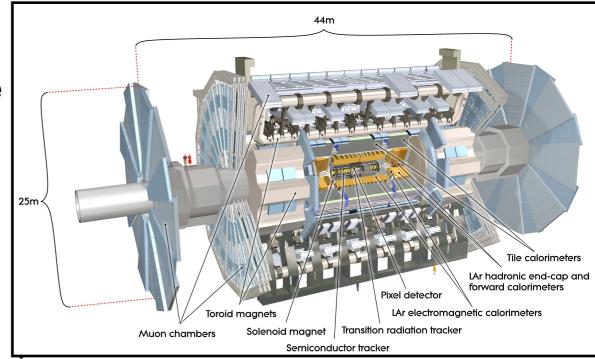
$$\mathcal{L}_{Yuk,u.-gauge} = -\frac{\lambda_{f} v}{\sqrt{2}} \bar{\Psi}_{f_{L}} \Psi_{f_{R}} - \frac{\lambda_{f}}{\sqrt{2}} \bar{\Psi}_{f_{L}} \Psi_{f_{R}} H + \dots$$

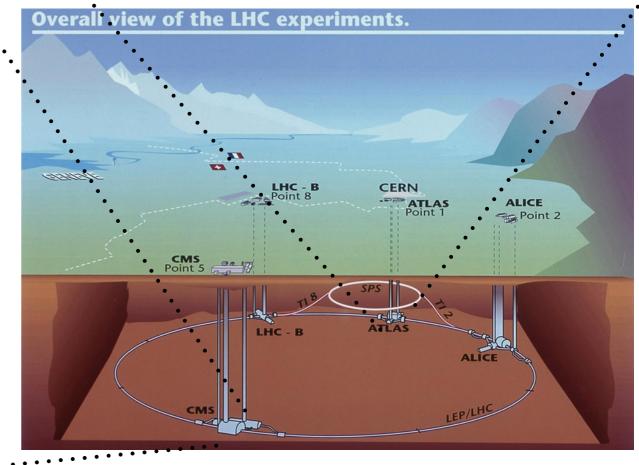
$$m_{f} \sim \lambda_{f} v \qquad Hff \text{ vertices} \qquad \sim m_{f} / v$$

### The ATLAS and CMS Experiments @ the LHC

- Two main purpose almost 4π detectors
- While differing in the technical realization
  - many performance measures are very comparable
- Higgs Boson analyses rely on the full detectors !
  - < 1% precision on e/γ energy scales</p>
  - High **muon** efficiencies and momentum resolution
  - Hermetic coverage for excellent **MET** resolution
  - Powerful identification algorithms for τ lepton and b-jet reconstruction

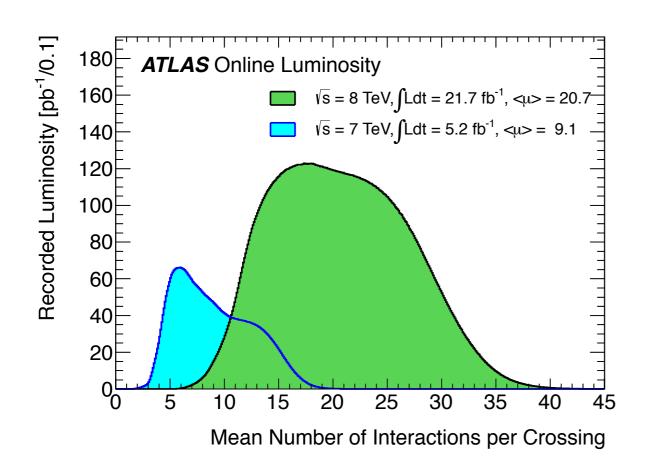


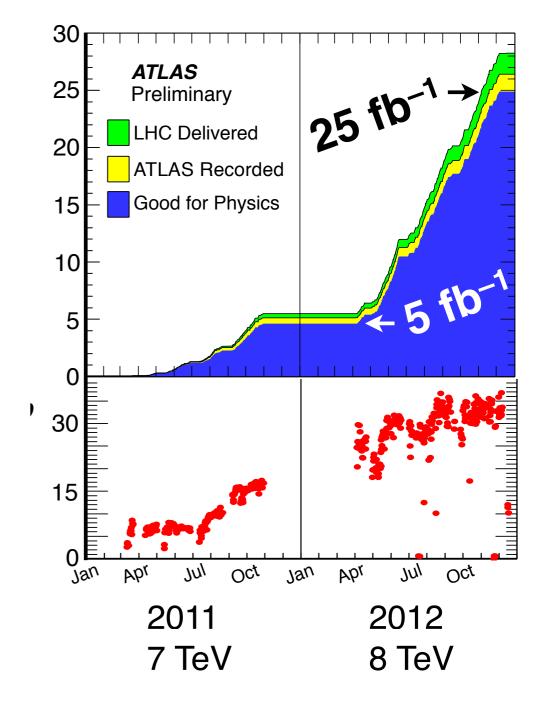




### **The Dataset**

- LHC showed an outstanding performance in **2010-2012**
- At the end of Run 1 about **25 fb<sup>-1</sup>** of p-p collision data were recorded by CMS and ATLAS
  - at centre-of-mass energies of 7 and 8 TeV
- The amount of data came with a challenge:
  - Mean number of interactions per bunch crossing reaching 35



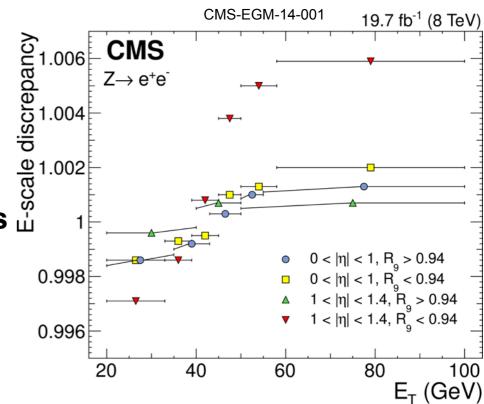


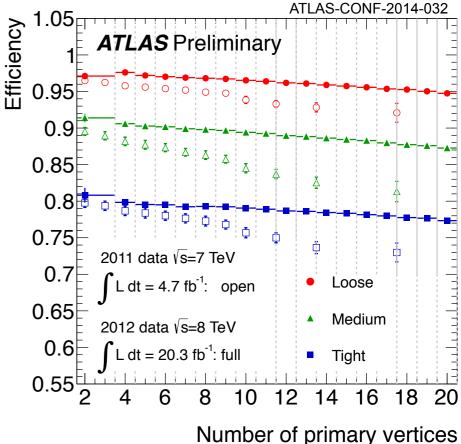


## **Approaching Final Run 1 results**

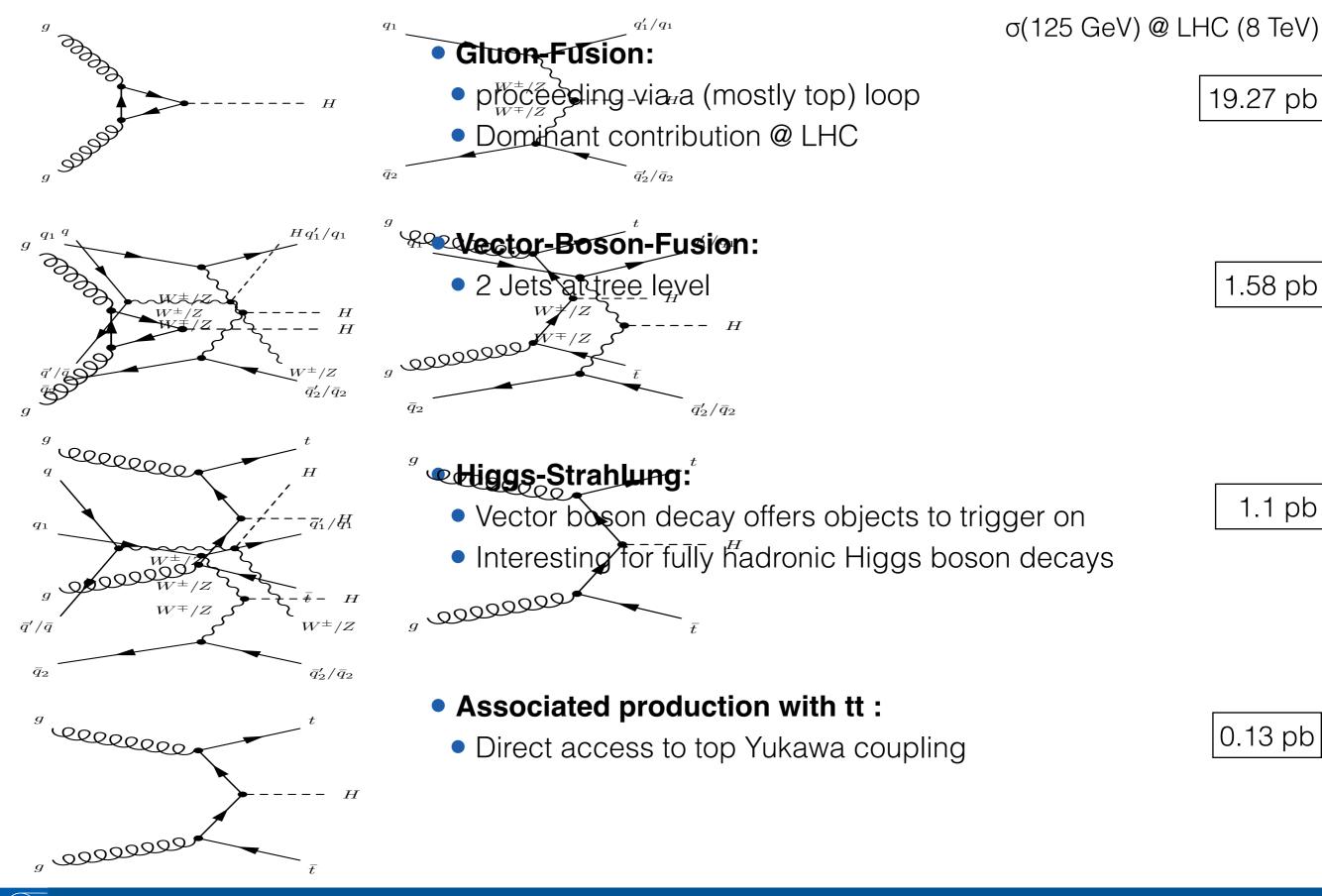
Last two years were used to improve many aspects of the analyses:

- Refined energy calibrations and efficiency measurements
   Optimized event selections and analyses techniques Improved theoretical predictions of signal and boots processes
- ATLAS + CMS coupling combination released 2 week ago
- Combines measurements of the dominant production and decay modes
- But there are many other dedicated analyses looking for:
  - Limits on rare decays
    - μμ, Ζγ, J/ψ γ
  - or rare production mechanisms:
    - HH, bbH, tH
  - Using Higgs measurements for BSM interpretations
  - Differential cross-section measurements
  - .. and many more



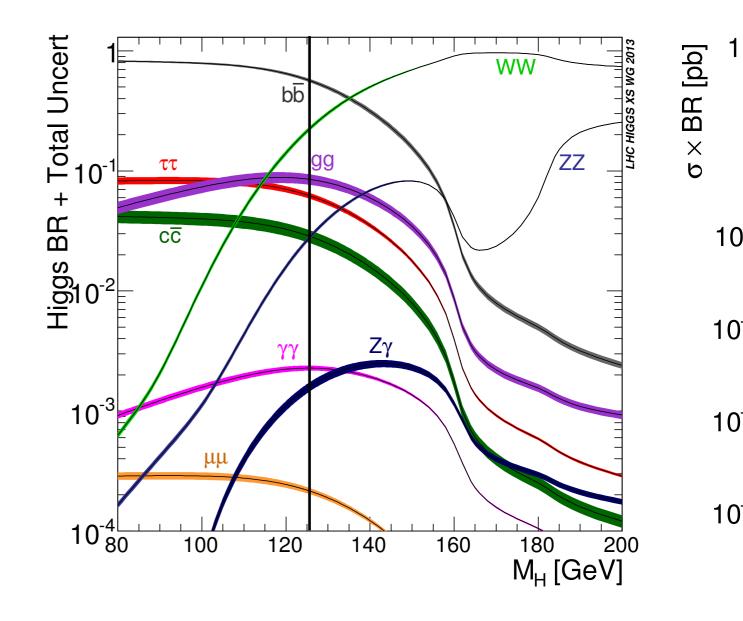


### **Higgs Boson Production at the LHC**



## **SM Higgs Boson Decays**

H →	BR
bb	0.58
WW	0.22
ττ	0.06
ZZ	0.027
γγ	0.0023
Ζγ	0.0016
μμ	0.0002

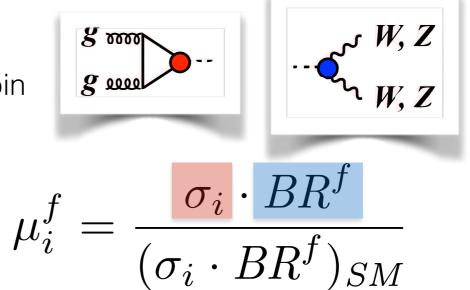


- $m_H = 125$  GeV is a sweet spot for a diverse Higgs Boson physics program
  - **yy**: Clean signature and good mass resolution
  - ZZ: Low background and good mass resolution
  - WW: Large BR but complex background mixture
  - **bb**: Overwhelming hadronic background Analysis targets it via VH
  - TT: Large background but direct access to a fermionic Yukawa coupling



### Signal strength parameter

- Can attempt to isolate different production and decay modes
  - Measure event yields in various phase-space regions enriched in different production/decay modes
- Primary observable: Number of events per bin
  - ➡ after accounting for background:
    - The signal strength:

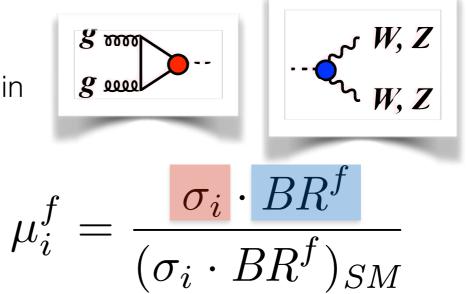


Combination of production and decay targeted by at least one ATLAS or CMS analysis: (and included in the combination)

	WW	ZZ	γγ	bb	ττ	μμ	_
ggH	$\checkmark$	$\checkmark$	$\checkmark$		$\checkmark$	√**	
VBF	$\checkmark$	$\checkmark$	$\checkmark$	√*	$\checkmark$	√**	
WH	$\checkmark$	$\checkmark$	$\checkmark$	$\checkmark$	$\checkmark$		* not in the combination
ZH	$\checkmark$	$\checkmark$	$\checkmark$	$\checkmark$	$\checkmark$		
ttH	$\checkmark$		$\checkmark$	$\checkmark$	$\checkmark$		** only used for mass-scaling test

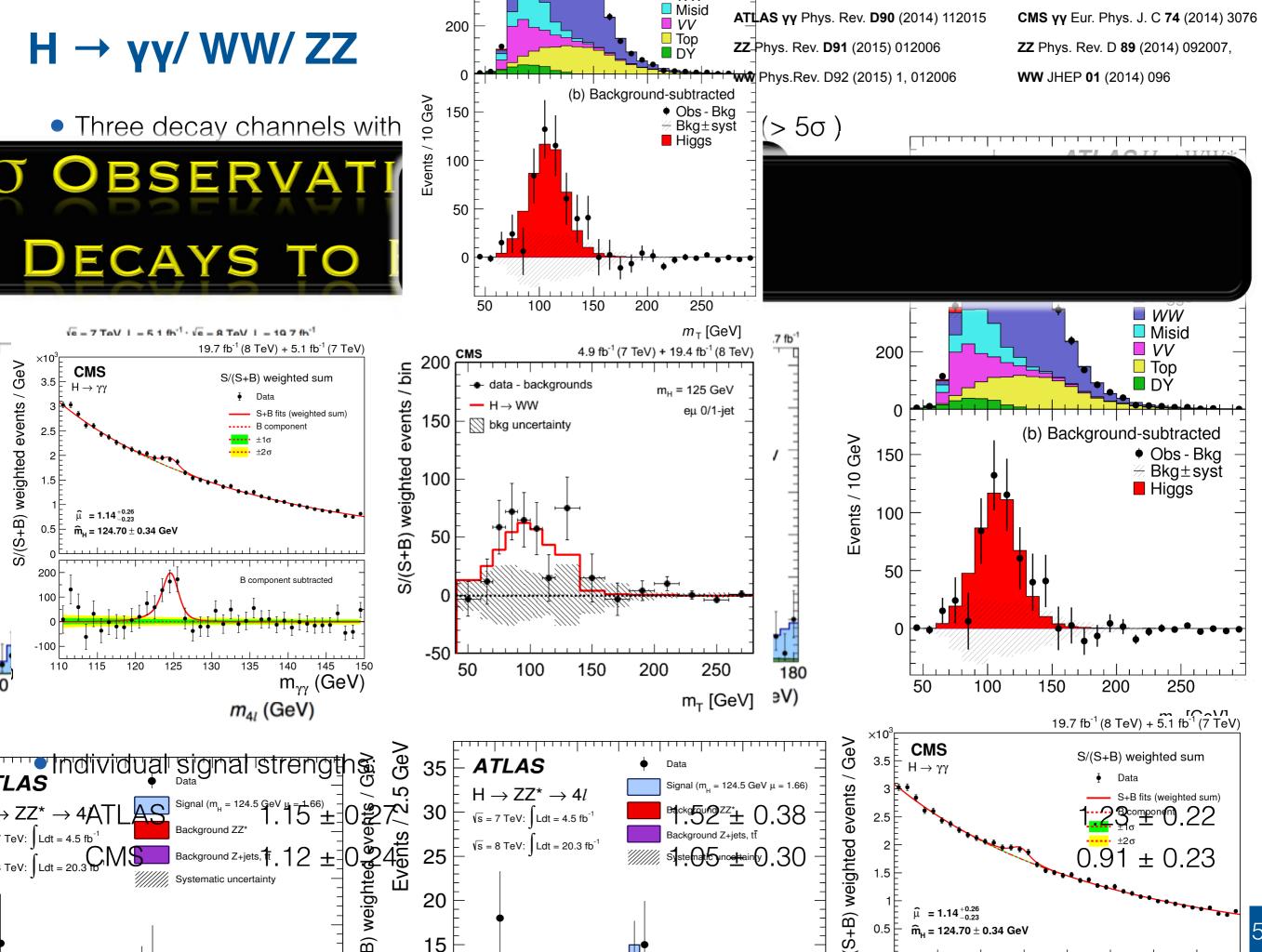
### Signal strength parameter

- Can attempt to isolate different production and decay modes
  - Measure event yields in various phase-space regions enriched in different production/decay modes
- Primary observable: Number of events per bin
  - after *accounting*\* for background: The signal strength:



- \*) The main backgrounds are mostly fitted simultaneously with the signal strength parameter.
- Multiple signal and control regions are included in such fits.
- These fits are the heart of the analyses
- offering enough material for dedicated talks.. Not possible to explain them here in detail





# o Fermions (ττ)

**ATLAS ττ:** JHEP 1504 (2015) 117 **bb:** JHEP 1501 (2015) 069

ATL

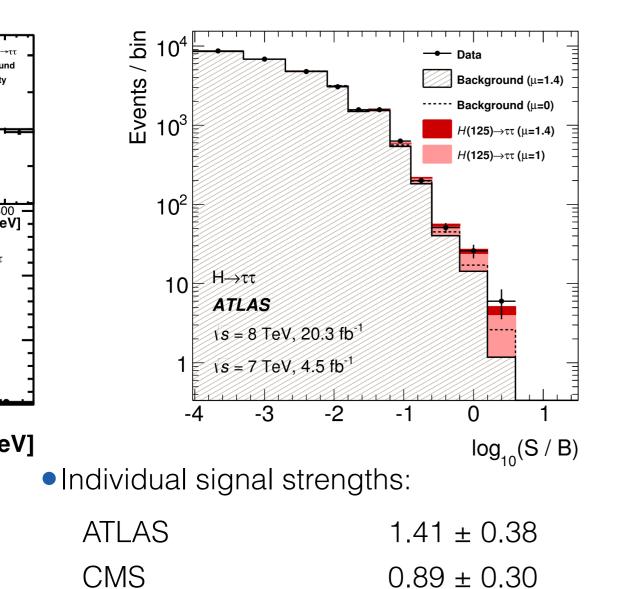
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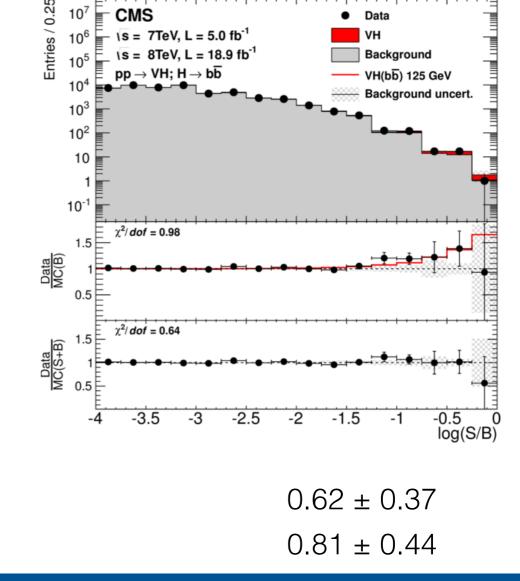
**bb**: Phys. Rev. D **89** (2014) 012003

DECAYS TO FE

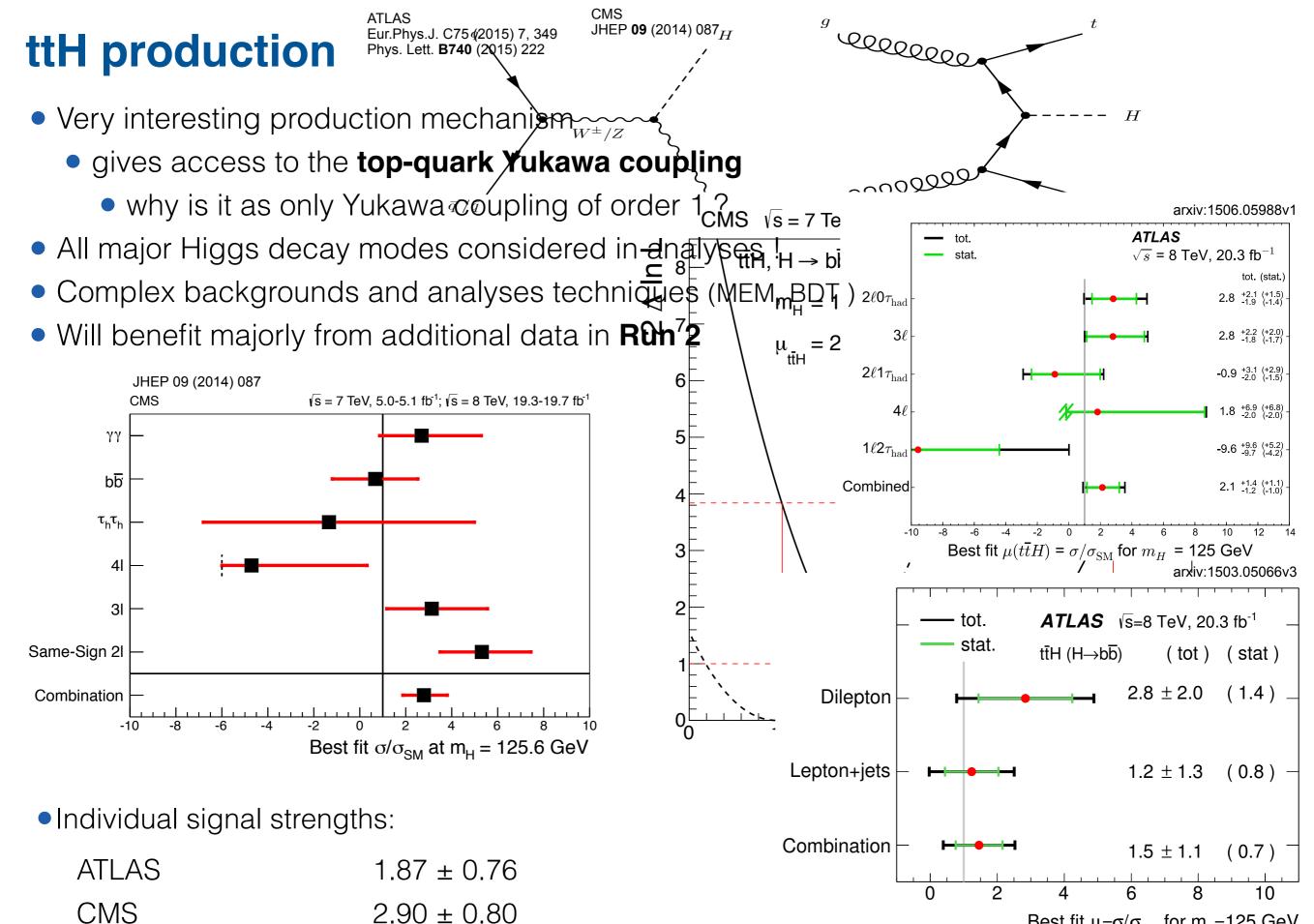
b fermions since

- ττ : 4.5 (3.4) / 3.3 (3.7) σ
- VH -> V (bb) : 1.4 (2.6) / 2.1 (2.1) σ
- Interesting as these channels offer a direct handle on Yukawa couplings
- Complex final states with very large backgrounds
- Analyses often make use of **multivariate techniques** to maximize discriminating power









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### **ATLAS + CMS Combination**

- The combination of the various analyses is achieved by building a combined Likelihood function
- Combined Likelihood encodes correlation among uncertainties :
  - Most important correlated uncertainties:
    - Theoretical uncertainties on signal modeling: BR, PDF, QCD, UE, PS
    - Some theoretical uncertainties on background modeling
      - e.g. in cases were the models rely solely on simulation (ZZ continuum, ...)
    - LHC luminosity
  - Many other uncertainties treated uncorrelated across experiments:
    - Detector related uncertainties
    - Background modeling uncertainties in significantly different phase-space regions
  - Many crosschecks to ensure a reasonable and non-aggressive choice of the correlation model
- Final Likelihood contains a product over all bins in all signal and control regions
  - it depends on:
    - the **parameters of interest a<sub>i</sub>** describing the individual signal strengths
    - and the **nuisance parameters**  $\theta_j$  parametrizing the uncertainties
  - About **575 categories**, and about **4200 nuisance parameters**

-> Choose different **signal parameterizations** depending on the underlying question

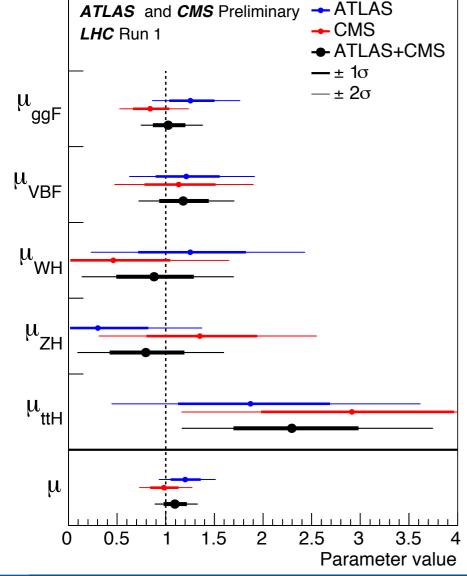
 $\mathcal{L}(\vec{lpha}, heta)$ 

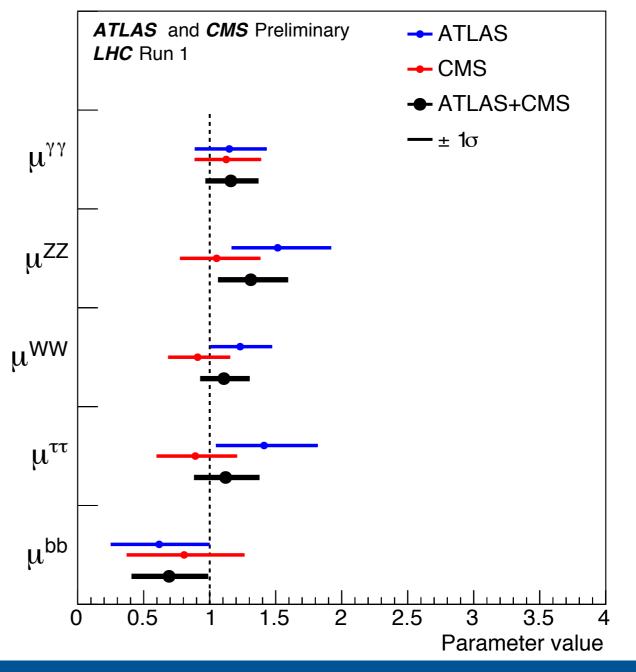


### Signal strength parametrization

- Signal strength parametrization closely reflecting results of the individual analyses
- Grouping either production or decay modes and assuming the other to be SM-like
- Good agreement with the SM expectation with p-values : 24% / 60%
  - VBF production and  $H \rightarrow \tau \tau$  decay both above the 5  $\sigma$  significance level
- Most restrictive parametrization uses a single signal strength parameter
- Combined precision of 10 %







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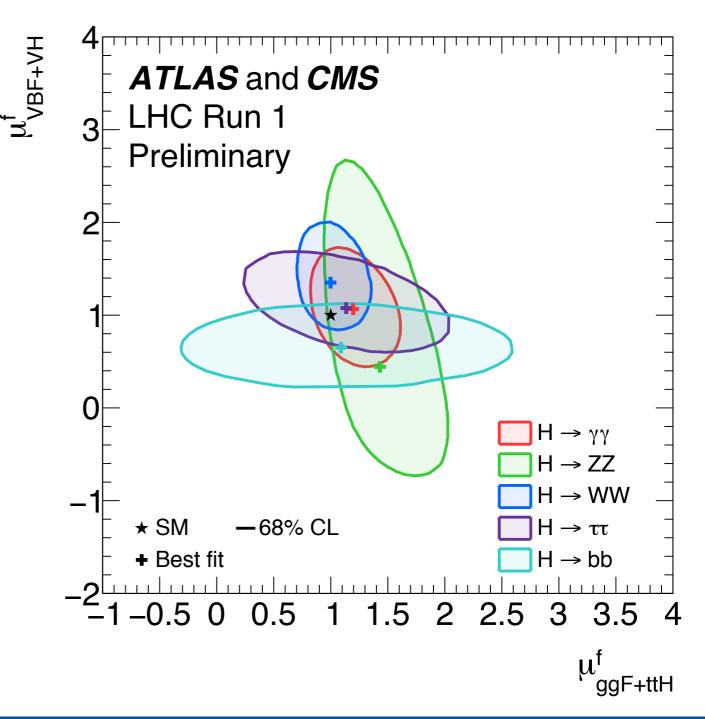


## **Fermionic & Bosonic production**

- Compare bosonic ( $\mu_V$ ) to fermionic ( $\mu_F$ ) production modes in all decay modes
- $\bullet$  Branching ratio and many uncertainties cancel in the ratio (  $\mu_V/\mu_F)$
- Can either fit all decay modes separately
  - Or fit a **combined ratio** along with separate fermion strengths

Parameter	ATLAS+CMS	ATLAS+CMS	
	Measured	Expected uncertainty	
$\mu_V/\mu_F$	$1.06^{+0.35}_{-0.27}$	+0.34 -0.26	
$\mu_F^{\gamma\gamma}$	$1.13^{+0.24}_{-0.21}$	+0.21 -0.19	
$\mu_F^{ZZ}$	$1.29^{+0.29}_{-0.25}$	+0.24 -0.20	
$\mu_F^{WW}$	$1.08^{+0.22}_{-0.19}$	+0.19 -0.17	
$\mu_F^{ au au}$	$1.07^{+0.35}_{-0.28}$	+0.32 -0.27	
$\mu_F^{bb}$	$0.65^{+0.37}_{-0.28}$	+0.45 -0.34	

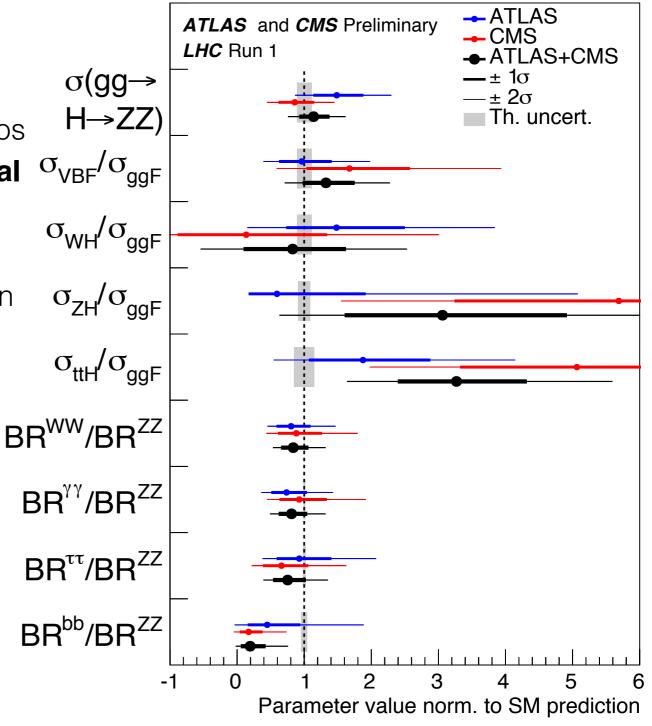
Excellent agreement with SM expectation



### **Generic parametrization**

- Only measuring product of cross-sections and branching ratios
- Cannot determine them independently
- Use ratios of cross-sections and branching ratios
  - Relative to  $gg \rightarrow H \rightarrow ZZ$
  - Independent of the Higgs width
  - Main theoretical uncertainties cancel in the ratios
  - Results remain valid as (inclusive) theoretical predictions progress
- Overall good compatibility with the SM expectation
   p-value 16%
- Largest deviations occur in:
  - BR<sup>bb</sup>/BR<sup>ZZ</sup> (~2.4 sigma)
  - $\sigma_{ttH}/\sigma_{ggH}$ ,  $\sigma_{ZH}/\sigma_{ggH}$
- Individual measurements slightly correlated
  - due to common denominator

$$\sigma(gg \to H \to ZZ) \times \left(\frac{\sigma_i}{\sigma_{ggF}}\right) \times \left(\frac{\mathrm{BR}^f}{\mathrm{BR}^{ZZ}}\right)$$

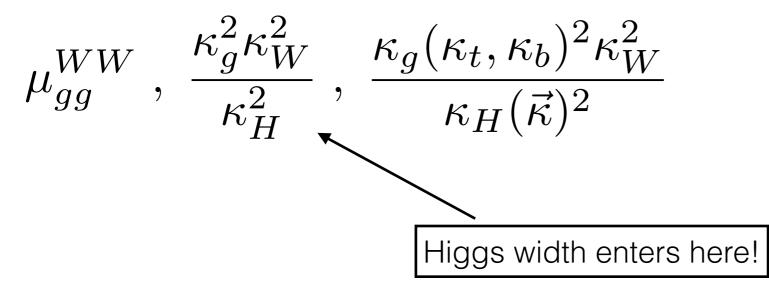


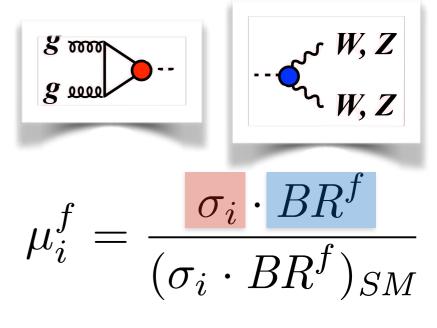
### The Kappa Framework

• Instead of signal strengths can use *coupling modifiers* to parametrize the signal contribution

$$\sigma_{i} \cdot BR^{f} = \frac{\sigma_{i}(\vec{\kappa}) \cdot \Gamma^{f}(\vec{\kappa})}{\Gamma_{H}} \qquad \qquad \kappa_{j}^{2} = \sigma_{j} / \sigma_{j}^{SM} \\ \kappa_{j}^{2} = \Gamma^{j} / \Gamma_{SM}^{j}$$

*Example:* Various choices to scale gg→H→WW :





• Describe loops by effective parameters or use expected SM interference

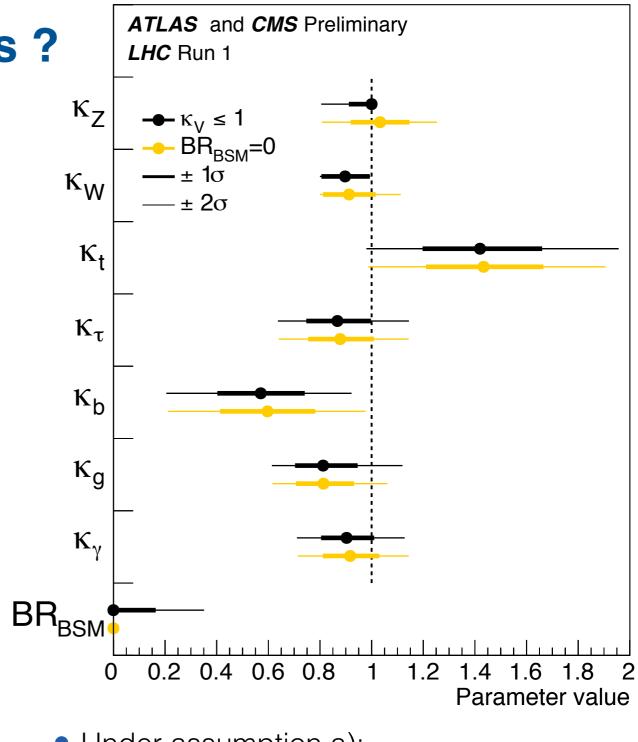
 $\kappa_g{}^2 \sim \ 1.06 \cdot \kappa_t{}^2 \ \textbf{+} 0.01 \cdot \kappa_b{}^2 \ \textbf{-} 0.07 \cdot \kappa_t \kappa_b$ 

 $\kappa_{\gamma}^2 \sim 1.59 \cdot \kappa_W^2 + 0.07 \cdot \kappa_{t^2} - 0.66 \cdot \kappa_W \kappa_t$ 

- Assumes SM like coupling structure only accounts for rates !
- Useful quantities as long as overall picture is SM-like

## **BSM physics in loops or decays ?**

- Making assumptions about Higgs Boson width allows to extract coupling modifiers
- Assume either:
  - a) ĸ<sub>V</sub> < 1
  - b) No BSM decays



- Under assumption a):
  - Extract a limit on ВКвям < 0.34</li>

Direct limits on VBF  $H \rightarrow inv.:$ BR<sub>inv</sub> < 28% (31%) (ATLAS) BR<sub>inv</sub> < 57% (40%) (CMS)



## **BSM physics in loops or decays ?**

- Making assumptions about Higgs Boson width allows to extract coupling modifiers
- Assume either:

1.6

1.4

1.2

0.6

Assumes all  $\kappa_i = 1$  apart from y/g

-68% CL

---95% CL

0.8

000000

00000

 $\kappa_g^2 \propto 1$ 

 $\kappa_{v}^{2} \propto 1$ 

a) ĸ<sub>V</sub> < 1

b) No BSM decays

### Test for BSM contributions in loops

Preliminary

Fitting effective photon and gluon couplings

ATLAS CMS

1.4 1.6 1.8

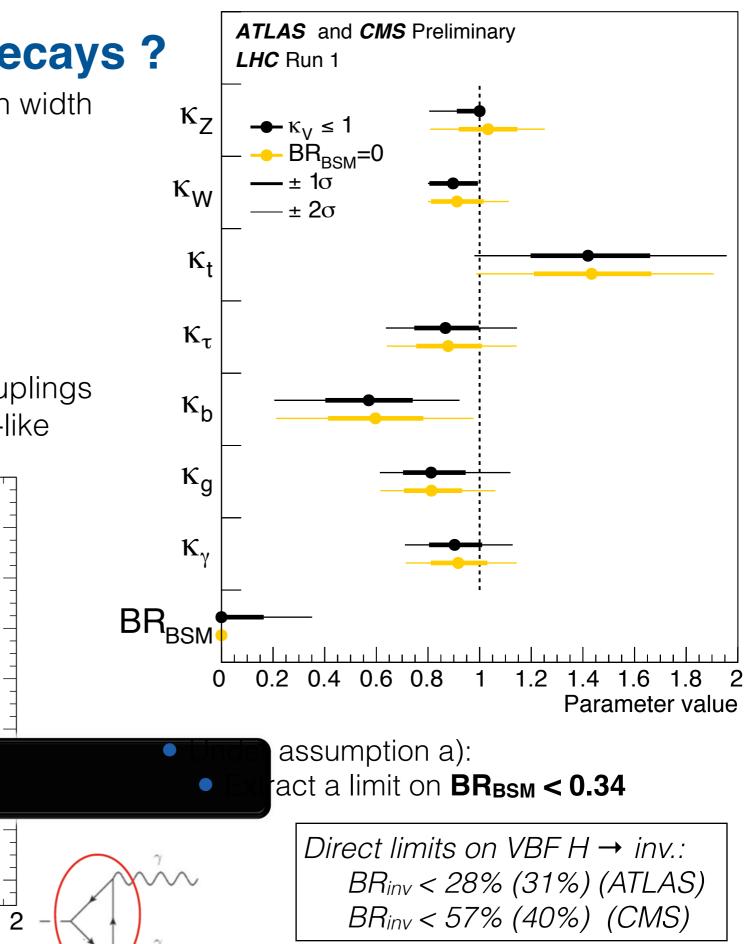
К.,

20

1.2

ATLAS+CMS

Assuming all other couplings are SM-like

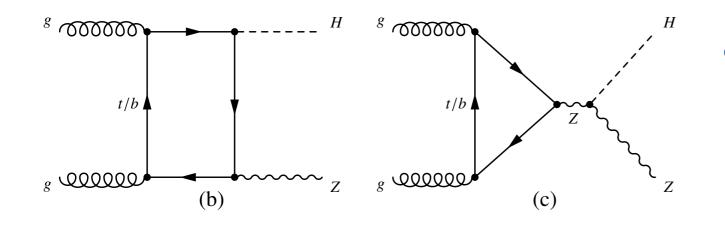


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### **Resolving interferences - tH and gg \rightarrow ZH**

• Interference terms carry information about the relative sign between couplings

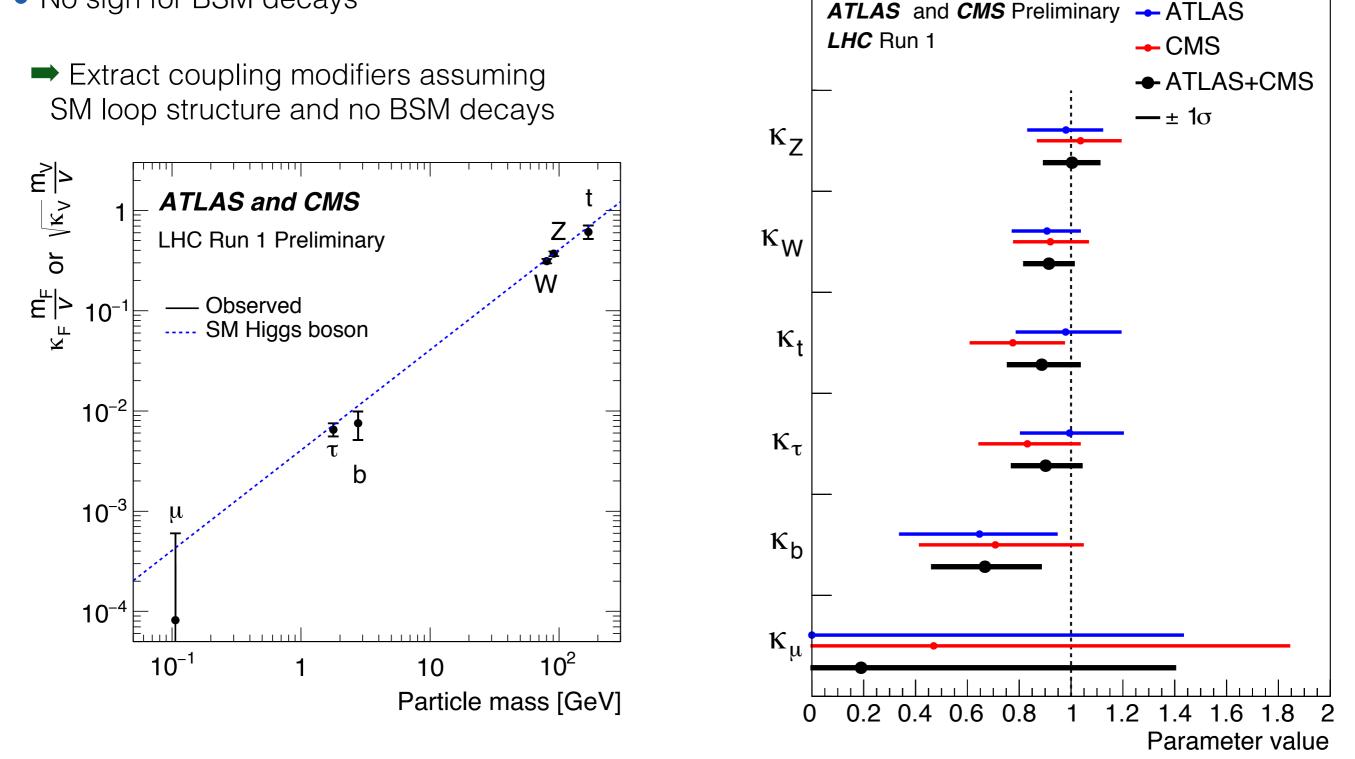
Production	Loops	Interference	Multiplicative factor
$\sigma(gg \to ZH)$	$\checkmark$	Z-t	$\sim 2.27 \cdot \kappa_Z^2 + 0.37 \cdot \kappa_t^2 - 1.64 \cdot \kappa_Z \kappa_t$
$\sigma(qb \to tHq')$	_	W-t	$\sim  3.4 \cdot \kappa_t^2 + 3.56 \cdot \kappa_W^2 - 5.96 \cdot \kappa_t \kappa_W$



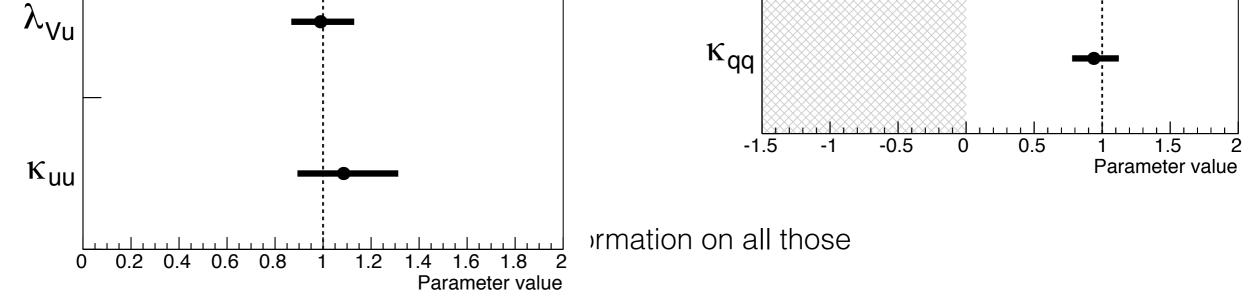
- Large negative interference suppresses the cross section of tH production SM
  - Not observing it as an excess in ttH analyses therefore constrains the sign
- Similarly the process  $gg \rightarrow ZH$  involves an interference term between Z and top couplings
- $gg \rightarrow ZH$  features a harder  $p_T$  spectrum than the qq initiated process
- But small overall cross section
- Much smaller interference effect than in the case of tH
  - $\bullet$  Little constraining power concerning the sign of  $\kappa_Z$

### **Coupling modifiers - no BSM in loops nor decays**

- Effective photon and gluon couplings compatible with SM
- No sign for BSM decays



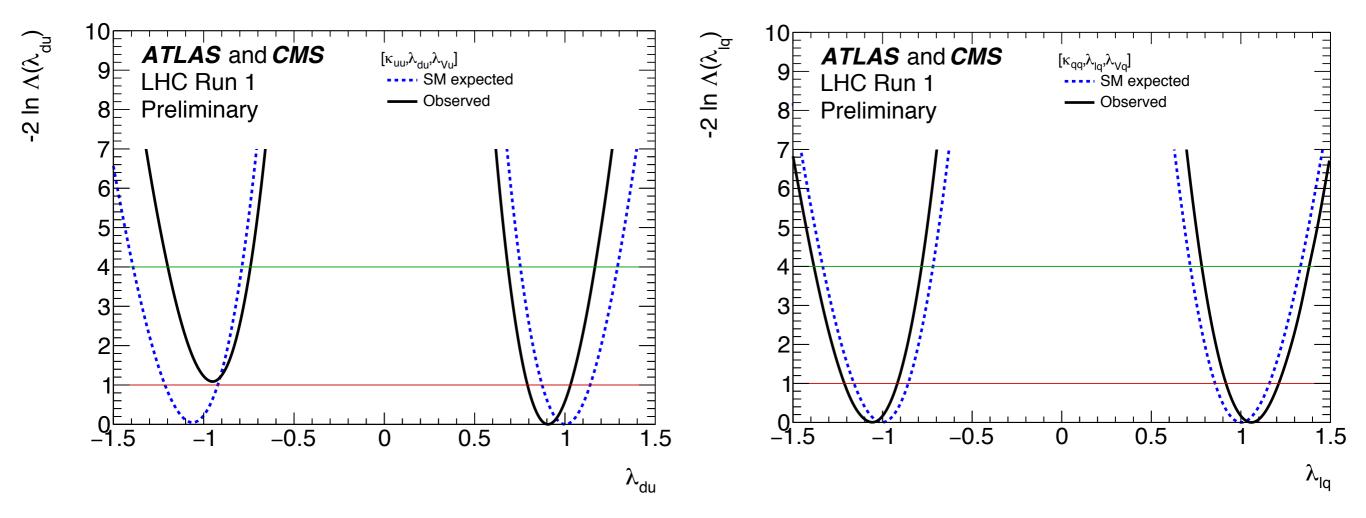
### Nice demonstration of correlation between couplings and masses



- Check the ratio of these couplings, while assuming:
  - K<sub>W</sub> = K<sub>Z</sub>

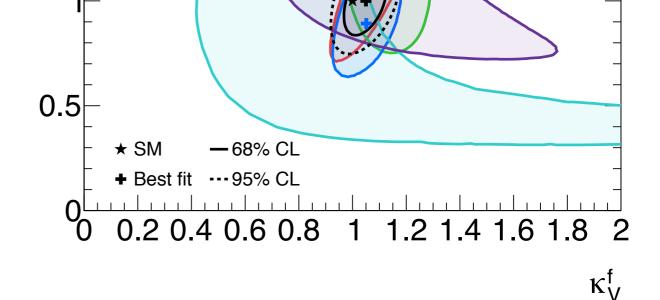
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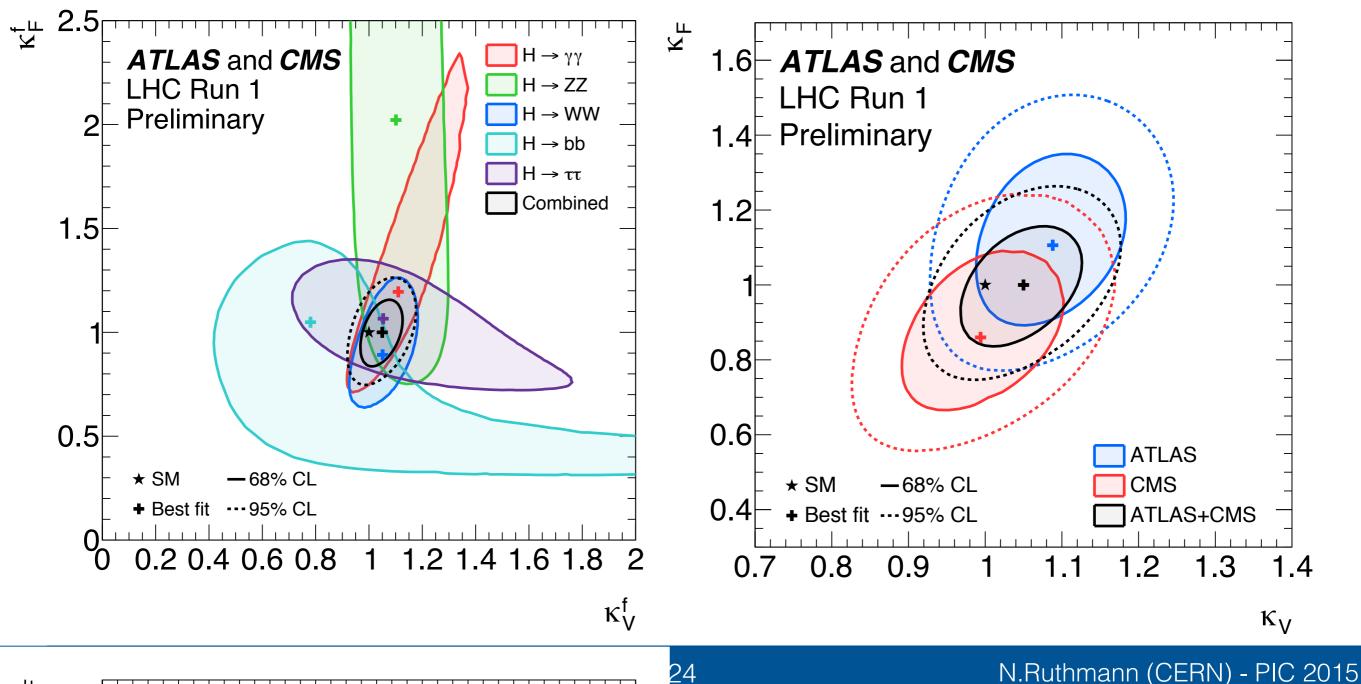
• No BSM in loops



### Fermion vs Boson Coupling

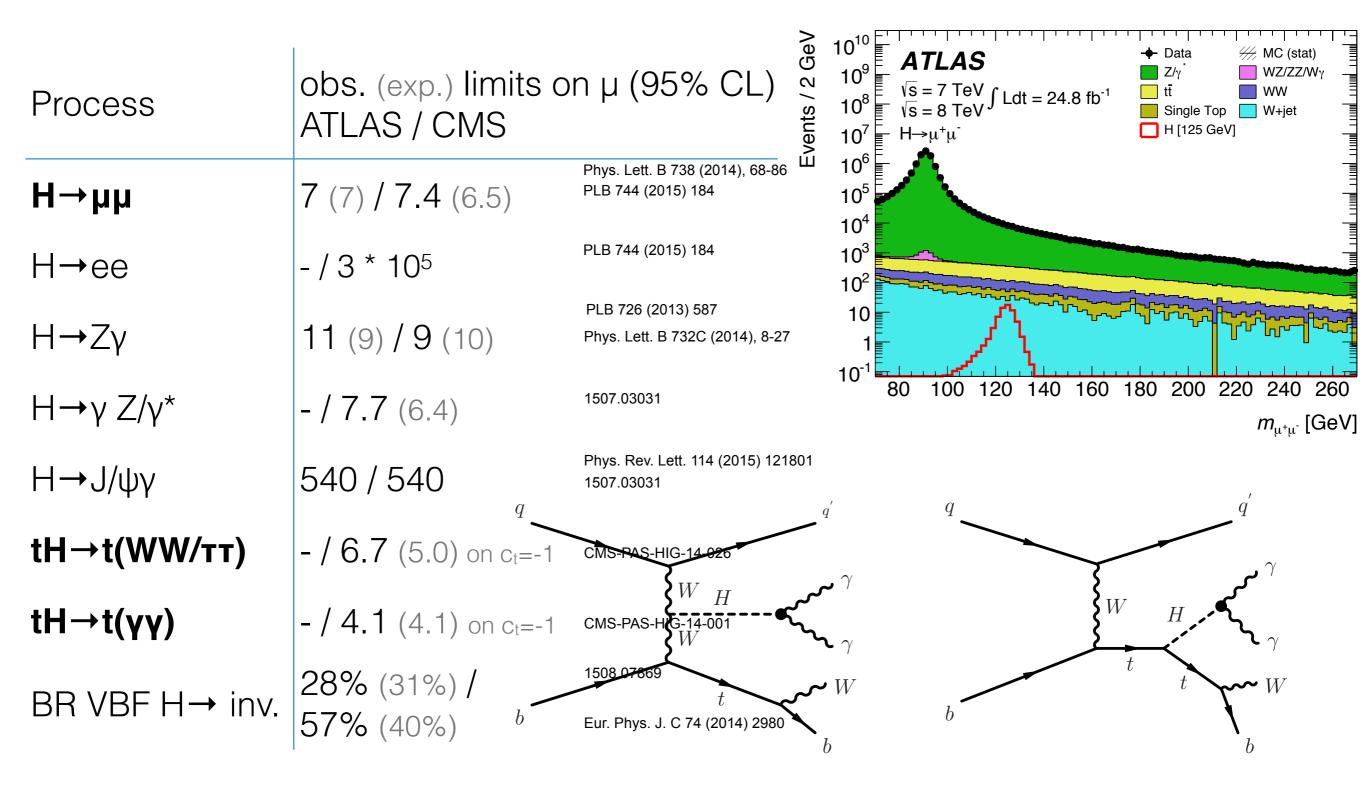
- Yukawa sector and Bosonic Higgs Boson
- Therefore comparing boson to fermion col
- Good agreement with the SM expectation
- Nicely demonstrates the power of combin





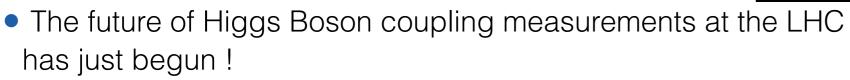
### Limits on rare decay and production modes

- Besides the dominant decay and production modes many limits were set on rarer modes
- They complement the coupling measurements and are highly sensitive to BSM physics

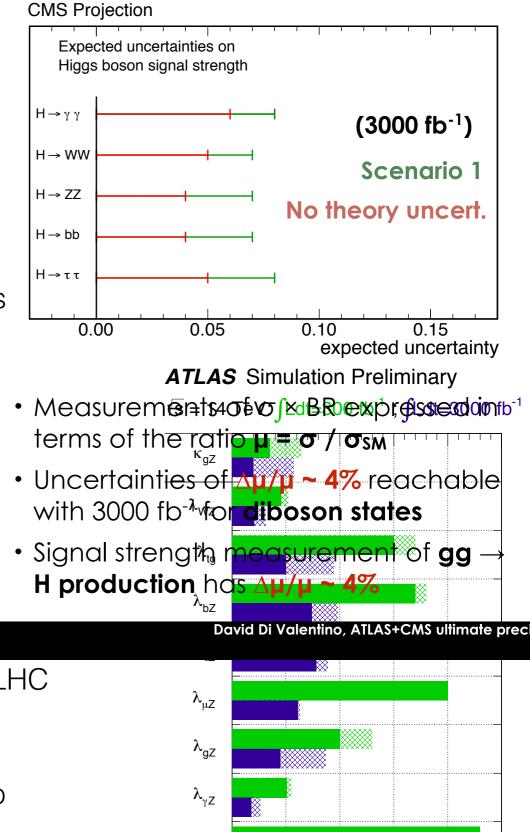


### Summary

- Presented an overview over Higgs Boson coupling measurements after LHC Run 1
- Two word summary: No surprises !
- Many tests of the SM consistency from very different points view:
  - Bosons vs Fermions
  - Differences between up/down type fermions
  - Differences between leptons/quarks
  - Loop structure
  - Invisible decays
- Overall precision reaching up to 10% in the combination
- and up to ~30-50% in some the individual channels



 Targeting O(%) precision which is needed for sensitivity to many BSM scenarios



 $\lambda_{(Z\gamma)Z}$ 

0 0.05 0.1 0.15 0.2 0.25  $\Delta \lambda_{XY} = \Delta (\frac{\kappa_X}{\kappa_y})$ 

### BACKUP

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<b>Production processes</b>			Production	Cross section [pb]		Order of	
			process	$\sqrt{s} = 7 \text{ TeV}$	$\sqrt{s} = 8 \text{ TeV}$	calculation	
Production	Event	generator	ggF	$15.0 \pm 1.6$	$19.2\pm2.0$	NNLO(QCD)+NLO(EW)	
process	ATLAS	CMS	VBF	$1.22 \pm 0.03$	$1.58 \pm 0.04$	NLO(QCD+EW)+~NNLO(QCD)	
ggF VBF	Powheg [29–33] Powheg	Powheg Powheg	WH	$0.577 \pm 0.016$	$0.703 \pm 0.018$	NNLO(QCD)+NLO(EW)	
$WH$ $ZH (qq \to ZH \text{ or } qg \to ZH)$	Рутніа8 [34] Рутніа8	Рутніа6.4 [35] Рутніа6.4	ZH	$0.334 \pm 0.013$	$0.414 \pm 0.016$	NNLO(QCD)+NLO(EW)	
$ggZH (gg \to ZH)$	Powheg	See text	$[gg \rightarrow ZH]$	$0.023 \pm 0.007$	$0.032 \pm 0.010$	NLO(QCD)]	
$ttH$ $tHq (qb \to tHq)$	Powhel [43] MadGraph [45]	Pythia6.4 aMC@NLO [28]	bbH	$0.156 \pm 0.021$	$0.203 \pm 0.028$	5FS NNLO(QCD) + 4FS NLO(QCD)	
$tHW (gb \rightarrow tHW)$	AMC@NLO	AMC@NLO	ttH	$0.086 \pm 0.009$	$0.129 \pm 0.014$	NLO(QCD)	
bbH	Рутніа8	Pythia6, aMC@NLO	tH	$0.012 \pm 0.001$	$0.018 \pm 0.001$	NLO(QCD)	
		-	Total	$17.4 \pm 1.6$	$22.3 \pm 2.0$		

• ggF p<sub>T</sub> distribution reweighted to match HRES 2.1 (NNLO + NNLL)

• ggF + 2 Jets reweighted to MiNLO



### **Theoretical uncertainty correlations**

- PDF uncertainties:
  - Correlated across exp. for same channel but decorrelated across channels
  - WH & ZH correlated
  - ggF & ttH anticorrelated (from theoretical point of view expect about 60% anticorr.)
- QCD & UEPS correlated across experiments but decorrelated across channels
- Effect of BR uncertainty correlations mostly negligible
- Backgrounds:
  - Correlated theory uncertainties across experiments for
    - ZZ continuum (4I)
    - ttW & ttZ backgrounds (ttH)



### **Signal parametrization**

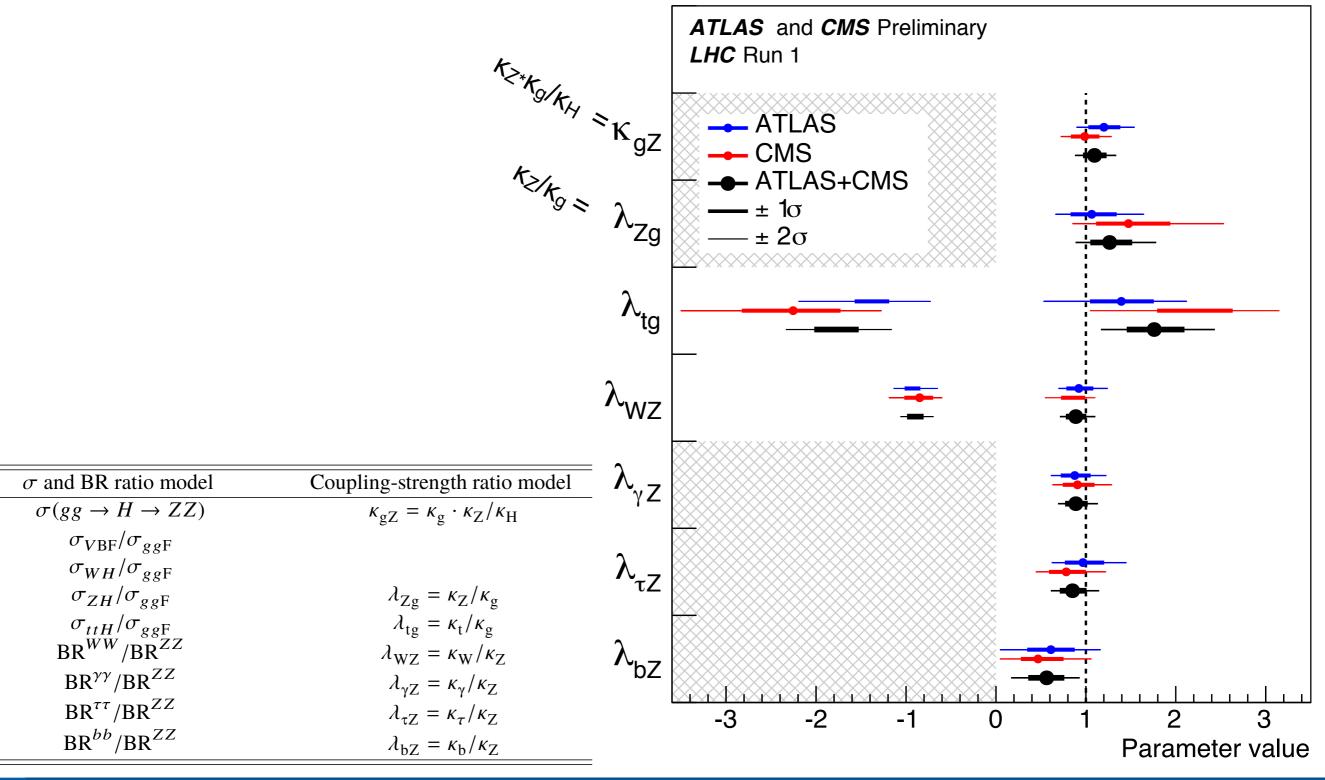
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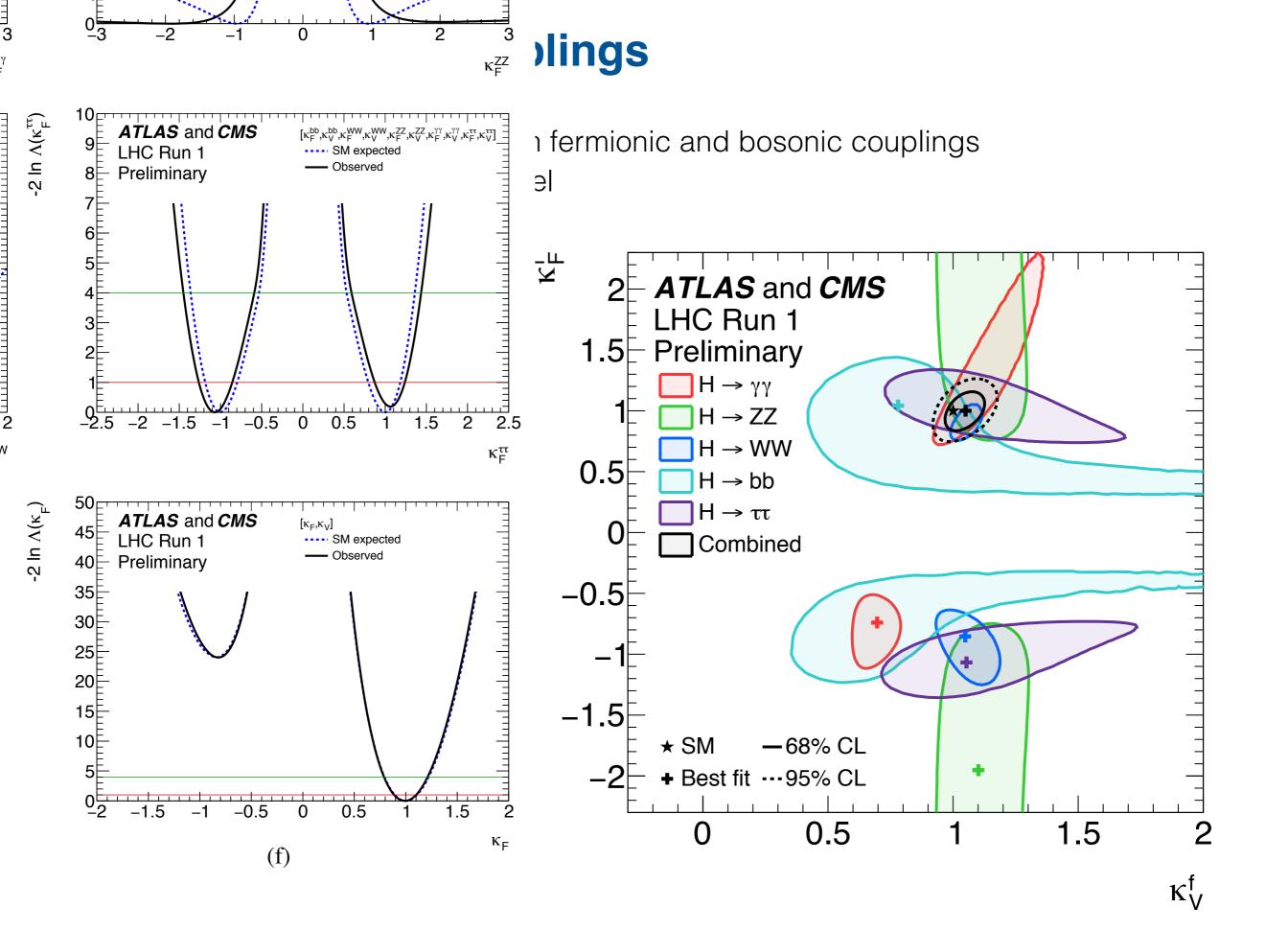
Production	Loops	Interference	Multip	licative factor
$\sigma(ggF)$	$\checkmark$	b-t	$\kappa_{\rm g}^2 \sim$	$1.06 \cdot \kappa_{\rm t}^2 + 0.01 \cdot \kappa_{\rm b}^2 - 0.07 \cdot \kappa_{\rm t} \kappa_{\rm b}$
$\sigma(\text{VBF})$	—	—	~	$0.74 \cdot \kappa_{\rm W}^2 + 0.26 \cdot \kappa_{\rm Z}^2$
$\sigma(WH)$	—	—	$\sim$	$\kappa_{ m W}^2$
$\sigma(q\bar{q} \to ZH)$	_	_	$\sim$	$\kappa_Z^2$
$\sigma(gg \to ZH)$	$\checkmark$	Z-t	$\sim$	$2.27 \cdot \kappa_Z^2 + 0.37 \cdot \kappa_t^2 - 1.64 \cdot \kappa_Z \kappa_t$
$\sigma(bbH)$	—	—	$\sim$	$\kappa_{\rm b}^2$
$\sigma(ttH)$	_	_	$\sim$	$\kappa_{\rm t}^2$
$\sigma(gb \to WtH)$	—	W-t	$\sim$	$1.84 \cdot \kappa_{\rm t}^2 + 1.57 \cdot \kappa_{\rm W}^2 - 2.41 \cdot \kappa_{\rm t} \kappa_{\rm W}$
$\sigma(qb \to tHq')$	—	W-t	$\sim$	$3.4 \cdot \kappa_t^2 + 3.56 \cdot \kappa_W^2 - 5.96 \cdot \kappa_t \kappa_W$
Partial decay width				
$\Gamma_{bar{b}}$	_	_	$\sim$	$\kappa_{\rm b}^2$
$\Gamma_{WW}$	—	—	$\sim$	$\kappa_{\rm W}^2$
$\Gamma_{ZZ}$	_	—	$\sim$	$\kappa_{\rm Z}^2$
$\Gamma_{ au au}$	—	—	$\sim$	$\kappa_{\tau}^2$
$\Gamma_{\mu\mu}$	-	—	~	$\kappa_{\mu}^{2}$ 1.59 · $\kappa_{W}^{2}$ + 0.07 · $\kappa_{t}^{2}$ - 0.66 · $\kappa_{W}\kappa_{t}$
$\Gamma_{\gamma\gamma}$	$\checkmark$	W-t	$\kappa_{\gamma}^2 \sim$	$1.59 \cdot \kappa_{\rm W}^2 + 0.07 \cdot \kappa_{\rm t}^2 - 0.66 \cdot \kappa_{\rm W} \kappa_{\rm t}$
Total width for $BR_{BSM} = 0$				
			2	$0.57 \cdot \kappa_{\rm b}^2 + 0.22 \cdot \kappa_{\rm W}^2 + 0.09 \cdot \kappa_{\rm g}^2 +$
$\Gamma_{ m H}$	$\checkmark$	_	$\kappa_{\rm H}^2 \sim$	$+ 0.06 \cdot \kappa_{\tau}^2 + 0.03 \cdot \kappa_Z^2 + 0.03 \cdot \kappa_c^2 +$
				$+ 0.0023 \cdot \kappa_{\gamma}^2 + 0.0016 \cdot \kappa_{Z\gamma}^2 +$
				$+ 0.0001 \cdot \kappa_{s}^{2} + 0.00022 \cdot \kappa_{\mu}^{2}$



### **Ratios of coupling modifiers**

- An alternative generic parametrisation
- Measurement of ratio sof coupling modifiers





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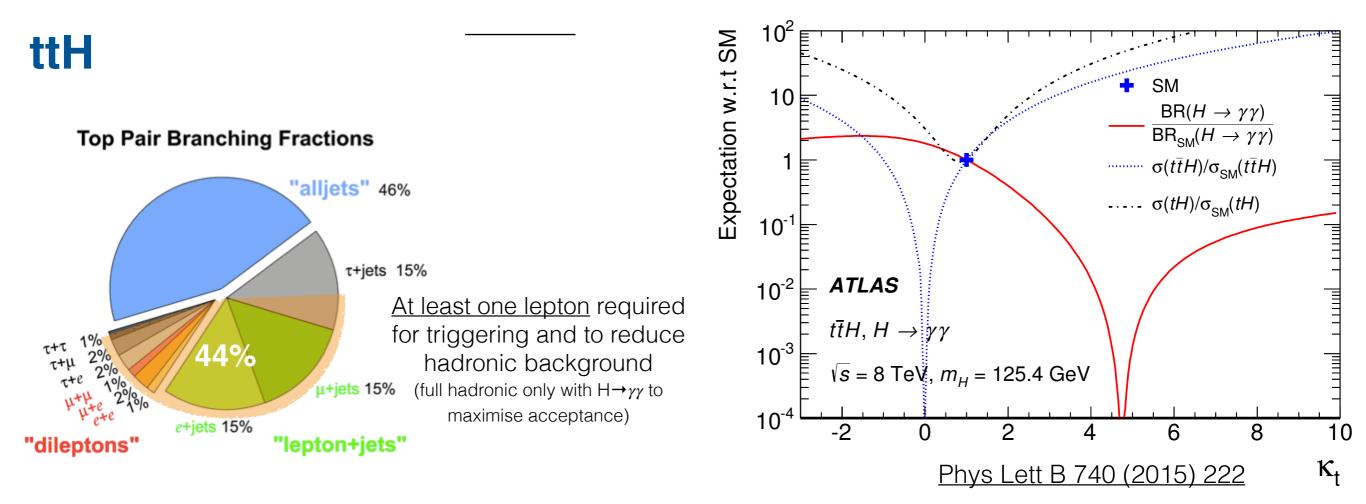
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### **Compatibility with the SM**

Model	<i>p</i> -value	DoF	Parameters
Global signal strength	34%	1	μ
Production processes	24%	5	$\mu_{\mathrm{ggF}}, \mu_{\mathrm{VBF}}, \mu_{WH}, \mu_{ZH}, \mu_{ttH}$
Decay modes	60%	5	$\mu^{\gamma\gamma}, \mu^{ZZ}, \mu^{WW}, \mu^{\tau\tau}, \mu^{bar{b}}$
$\mu_V$ and $\mu_F$ per decay	88%	10	$\mu_V^{\gamma\gamma}, \mu_V^{ZZ}, \mu_V^{WW}, \mu_V^{\tau\tau}, \mu_V^{b\bar{b}}, \mu_F^{\gamma\gamma}, \mu_F^{ZZ}, \mu_F^{WW}, \mu_F^{\tau\tau}, \mu_F^{b\bar{b}}$
$\mu_V/\mu_F$ ratio	72%	6	$\mu_V/\mu_F, \mu_F^{\gamma\gamma}, \mu_F^{ZZ}, \mu_F^{WW}, \mu_F^{ au au}, \mu_F^{bar{b}}$
Ratios of $\sigma$ and BR relative to $\sigma(gg \rightarrow H \rightarrow ZZ)$	16%	9	$\begin{split} &\sigma(gg \to H \to ZZ), \ \sigma_{\rm VBF}/\sigma_{\rm ggF}, \ \sigma_{WH}/\sigma_{\rm ggF}, \\ &\sigma_{ZH}/\sigma_{\rm ggF}, \qquad \sigma_{ttH}/\sigma_{\rm ggF}, \qquad {\rm BR}^{WW}/{\rm BR}^{ZZ}, \\ &{\rm BR}^{\gamma\gamma}/{\rm BR}^{ZZ}, {\rm BR}^{\tau\tau}/{\rm BR}^{ZZ}, {\rm BR}^{b\bar{b}}/{\rm BR}^{ZZ} \end{split}$
Ratios of $\sigma$ and BR relative to $\sigma(gg \rightarrow H \rightarrow WW)$	16%	9	$\begin{split} &\sigma(gg \to H \to WW), \ \sigma_{\rm VBF}/\sigma_{\rm ggF}, \ \sigma_{WH}/\sigma_{\rm ggF}, \\ &\sigma_{ZH}/\sigma_{\rm ggF}, \qquad \sigma_{ttH}/\sigma_{\rm ggF}, \qquad {\rm BR}^{ZZ}/{\rm BR}^{WW}, \\ &{\rm BR}^{\gamma\gamma}/{\rm BR}^{WW}, {\rm BR}^{\tau\tau}/{\rm BR}^{WW}, {\rm BR}^{b\bar{b}}/{\rm BR}^{WW} \end{split}$
Coupling ratios	13%	7	$\kappa_{gZ}, \lambda_{Zg}, \lambda_{tg}, \lambda_{WZ}, \lambda_{\gamma Z}, \lambda_{\tau Z}, \lambda_{bZ}$
Couplings, SM loops	65%	5	$\kappa_Z, \kappa_W, \kappa_t, \kappa_\tau, \kappa_b$
Couplings, BSM loops	11%	7	$\kappa_Z, \kappa_W, \kappa_t, \kappa_\tau, \kappa_b, \kappa_g, \kappa_\gamma$
BSM loops only	82%	2	$\kappa_g, \kappa_\gamma$
Up vs down couplings	67%	3	$\lambda_{du}, \lambda_{Vu}, \kappa_{uu}$
Lepton vs quark couplings	78%	3	$\lambda_{lq}, \lambda_{Vq}, \kappa_{qq}$
Fermion and vector couplings	59%	2	$\kappa_V, \kappa_F$





Very complex channel—

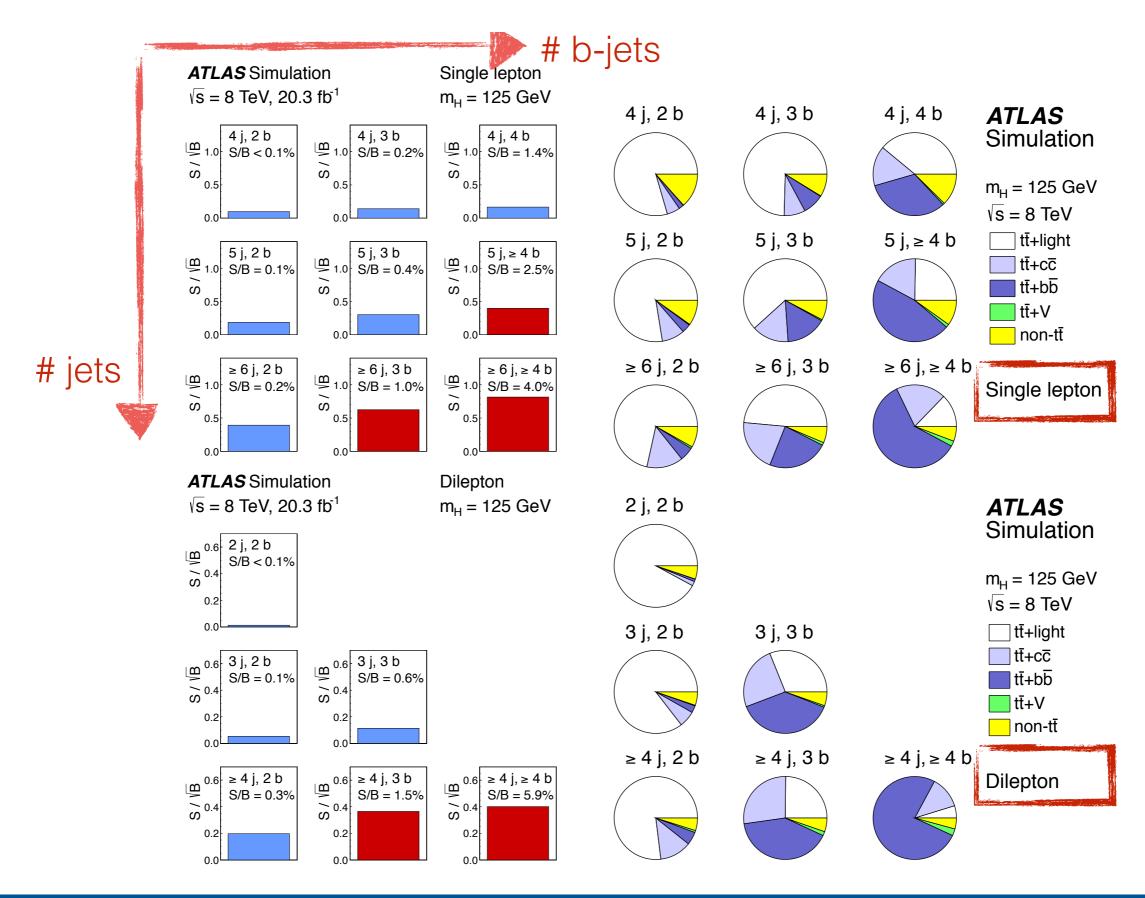
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- Many final states need to be combined in order to gain sensitivity
- top quark Yukawa coupling has direct influence on SM expectation of ggF production mechanism

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### **Background composition, example ttH(->bb)**

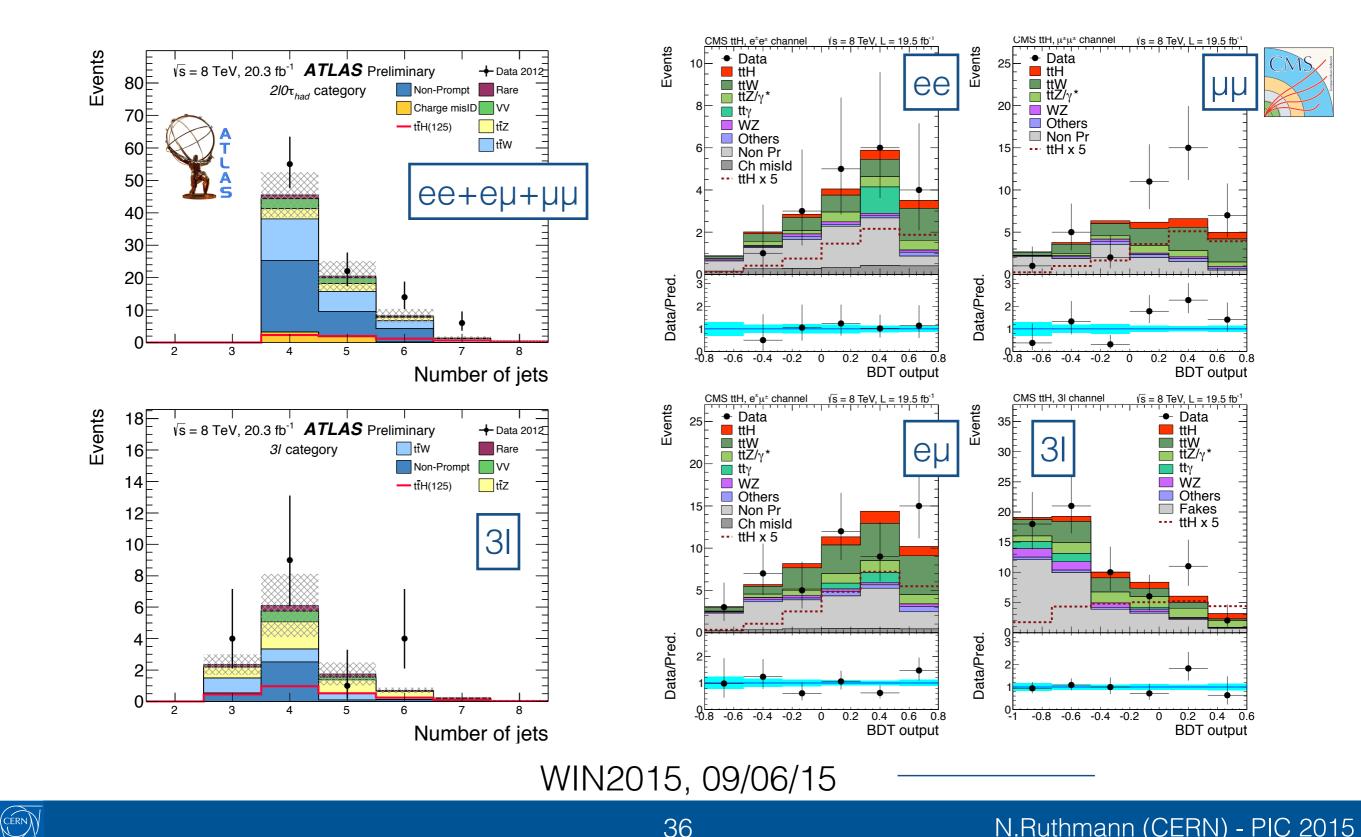
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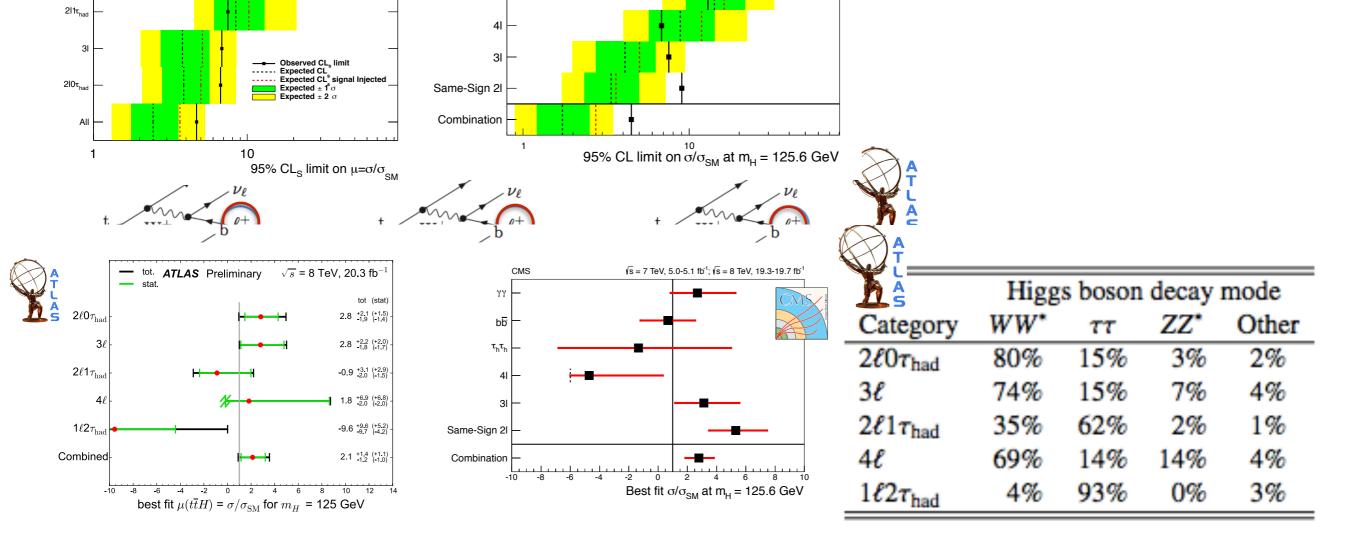
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### ttH (->leptons)



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0.0	m	CMS, intervention	Dominant Backgrounds
0			New propert and abarran flip frame
	1 1		Non-prompt and charge-flip from
$  (t\bar{t}H \rightarrow \ell^{\pm}\nu\ell^{\pm}[\nu]jjj[j]bb)  $		$\geq 4$ jets + $\geq 1$ b-tags, $p_T > 25$	ttbar, ttV
Signature	Trigger	Signature	
Same-Sign Dilepton	Dilepton	$2 e/\mu, p_T > 20 GeV$	Non-prompt from ttbar, ttV, WZ
$(t\bar{t}H \rightarrow \ell^{\pm}\nu\ell^{\pm}[\nu]jjj[j]bb)$		$\geq$ 4 jets + $\geq$ 1 b-tags, $p_T$ > 25 GeV	
3 Lepton	Dilepton,	$1 e/\mu, p_T > 20 GeV$	
$(t\bar{t}H \rightarrow \ell \nu \ell [\nu]\ell [\nu]j[j]bb)$	Trielectron	$1 e/\mu, p_T > 10 GeV$	
		$1 e(\mu), p_T > 7(5) \text{ GeV}$	ttV, ZZ
		$\geq 2 \text{ jets} + \geq 1 \text{ b-tags}, p_T > 25 \text{ GeV}$	
4 Lepton	Dilepton,	$1 \mathrm{e}/\mu, p_{\mathrm{T}} > 20 \mathrm{GeV}$	
$(t\bar{t}H \rightarrow \ell \nu \ell \nu \ell [\nu] \ell [\nu] bb)$	Trielectron	$1 \mathrm{e}/\mu, p_{\mathrm{T}} > 10 \mathrm{GeV}$	
		$2 e(\mu), p_T > 7(5) \text{ GeV}$	
		$\geq$ 2 jets + $\geq$ 1 b-tags, $p_T$ > 25 GeV	N.Ruthmann (CERN) - PIC 20
	Signature         Same-Sign Dilepton $(t\bar{t}H \rightarrow \ell^{\pm} \nu \ell^{\pm} [\nu]jjj[j]bb)$ 3 Lepton $(t\bar{t}H \rightarrow \ell \nu \ell [\nu] \ell [\nu]j[j]bb)$ 4 Lepton	Same-Sign Dilepton (tt̃H $\rightarrow \ell^{\pm} \nu \ell^{\pm} [\nu] j j j [i] bb)DileptonSignatureTriggerSame-Sign Dilepton(tt̃H \rightarrow \ell^{\pm} \nu \ell^{\pm} [\nu] j j j j j bb)Dilepton3 Lepton\rightarrow \ell \nu \ell [\nu] \ell [\nu] j j j bb)Dilepton,Trielectron4 LeptonDilepton,$	$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$