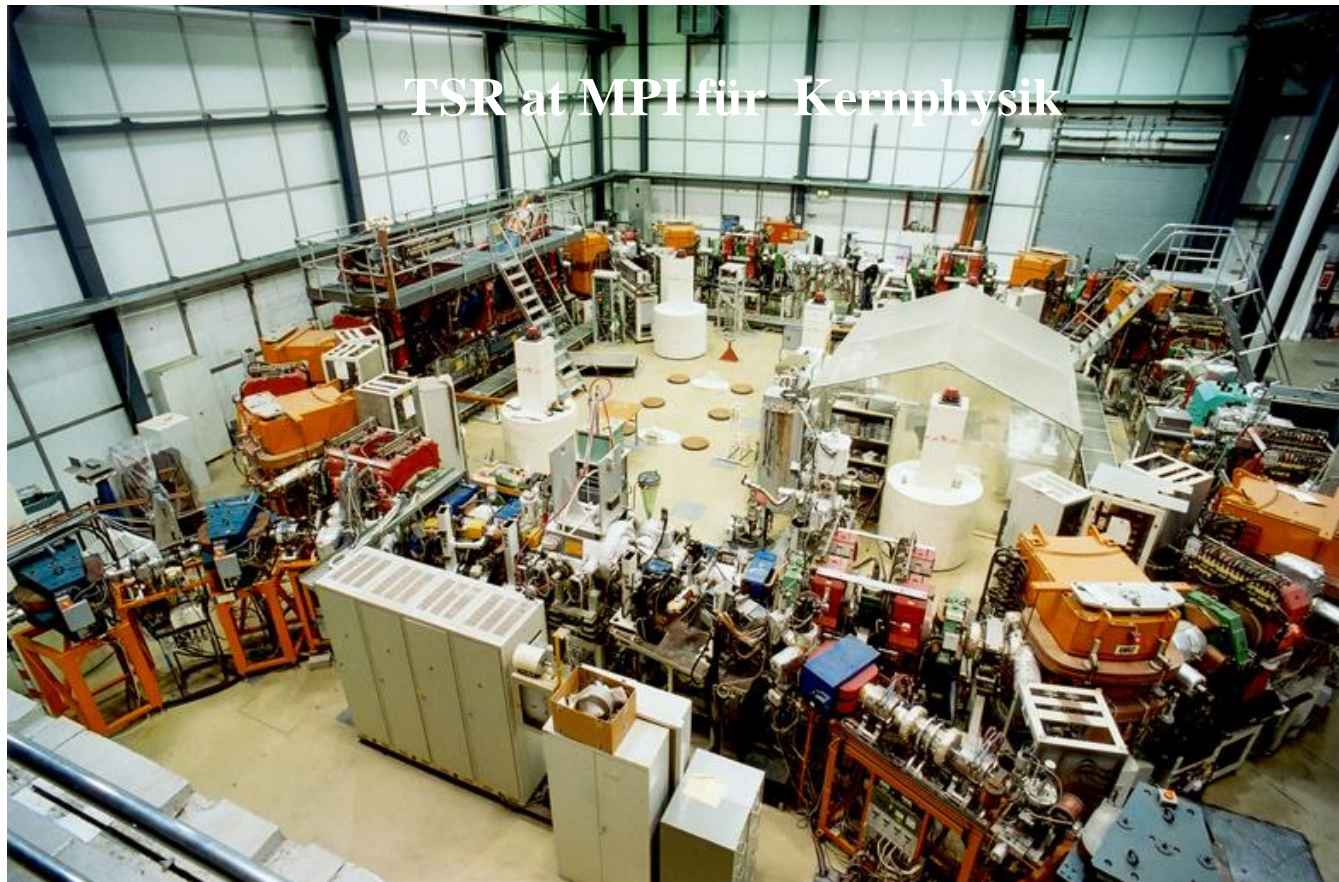


Feasibility of experiments at TSR@ISOLDE from the accelerator point of view

Manfred Grieser
Max-Planck-Institut für Kernphysik

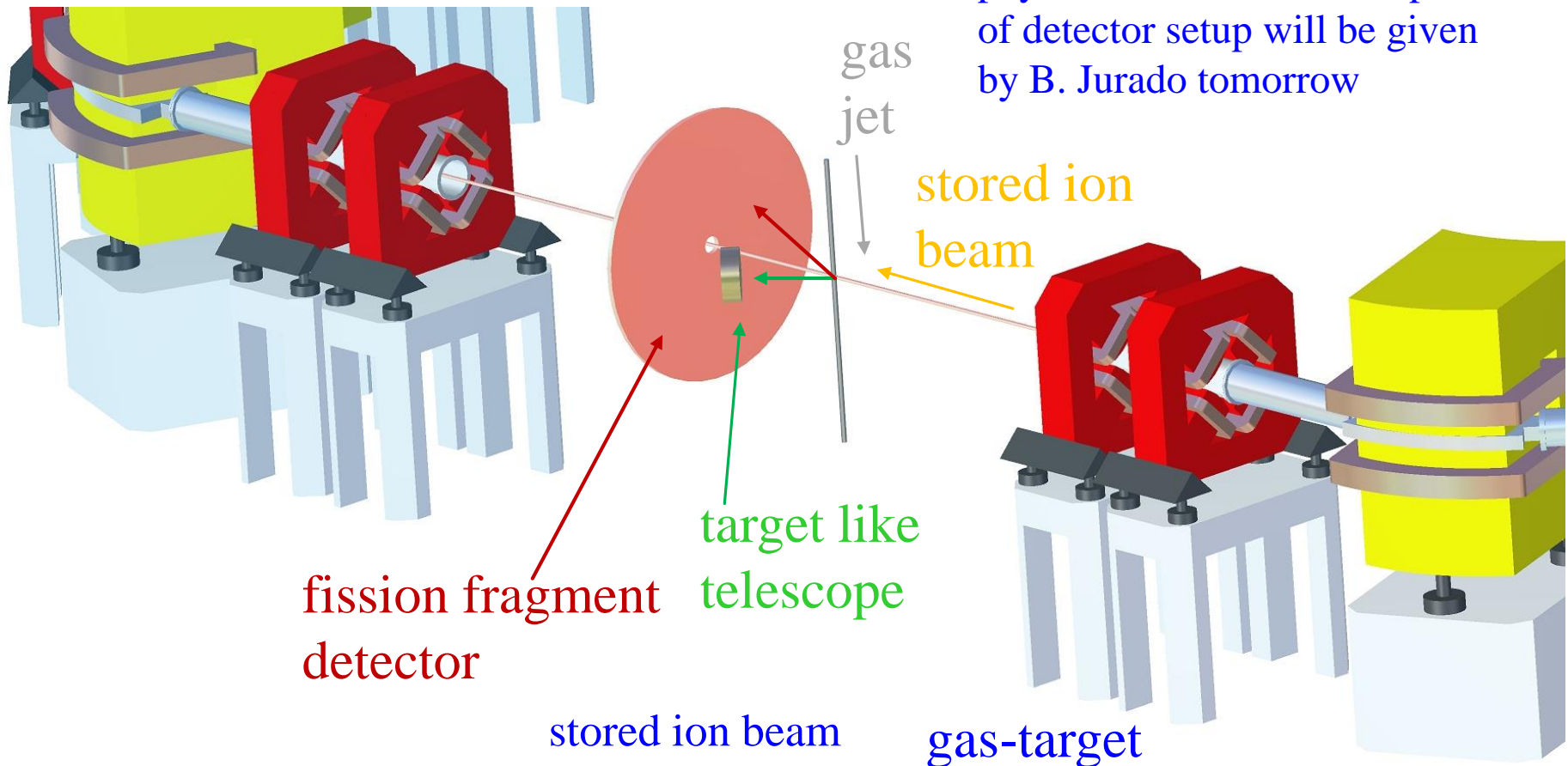


TSR@ISOLDE workshop, CERN, 27th -28th April 2015

Fission Experiment at TSR@ISOLDE

Transfer induced fission experiments proposed by **Beatriz Jurado**

physics motivation and explanation of detector setup will be given by B. Jurado tomorrow



proof of principle experiment: $^{232}\text{Th} + ^3\text{He}$

Lifetime modification due to gas target

intensity multiplication factor

$$\frac{1}{\tau} = \frac{1}{\tau_v} + \frac{1}{\tau_t}$$

life time due to target density

$$\tau_t = \frac{1}{\sigma_{\text{cap}} \cdot n_t \cdot f_0}$$

target thickness n_t :

$$n_t = \int n \cdot ds$$

n - target density

f_0 -revolution frequency

life-time due to electron capture in the cooler and residual gas interactions

main loss process in the target: electron capture

Schlachter formulae:

$$\tilde{\sigma} = \frac{1.1 \cdot 10^{-8}}{\tilde{E}^{4.8}} (1 - e^{-0.037\tilde{E}}) \cdot (1 - e^{-2.44 \cdot 10^{-5} \tilde{E}^{2.6}})$$

$$\tilde{E} = \frac{E/A}{Z_{\text{gas}}^{1.25} q^{0.7}}$$

$$\sigma_{\text{cap}} = M \cdot \frac{\tilde{\sigma} \cdot q^{0.5}}{Z_{\text{gas}}^{1.8}}$$

← cross section in $1/\text{cm}^2$

remark

for H_2 target $M=2$

He target $M=1$

E projectile energy in keV, A mass number, Z_{gas} -target atomic number, q ion charge

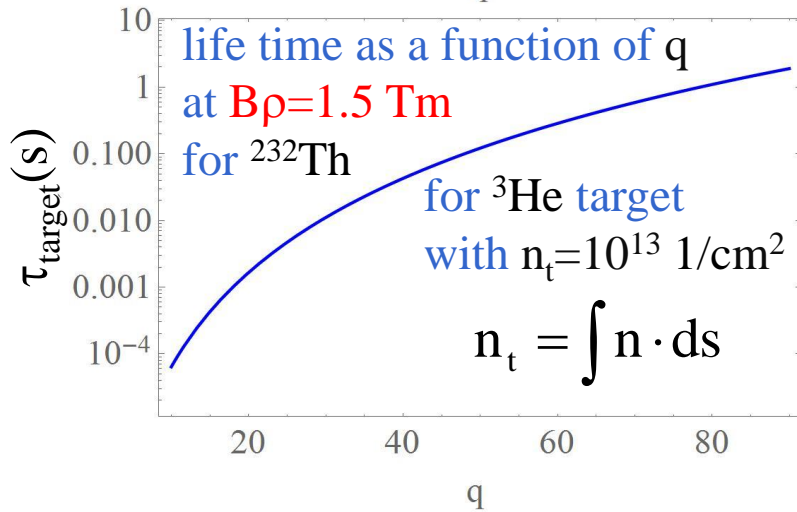
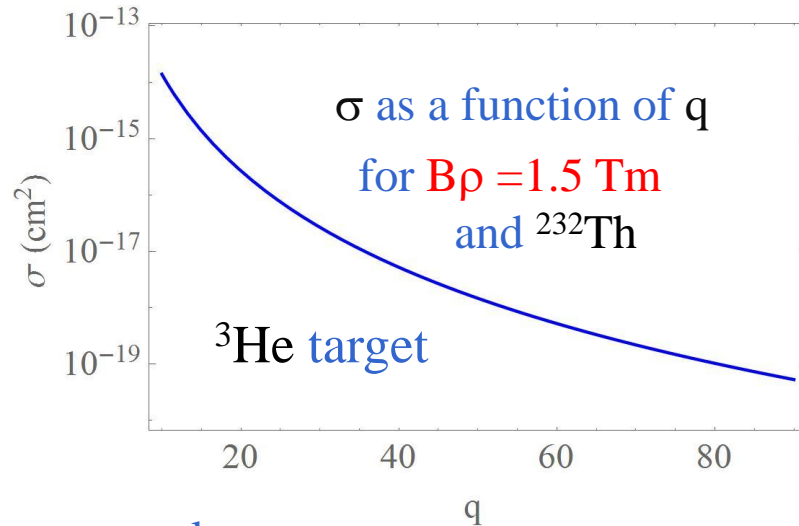
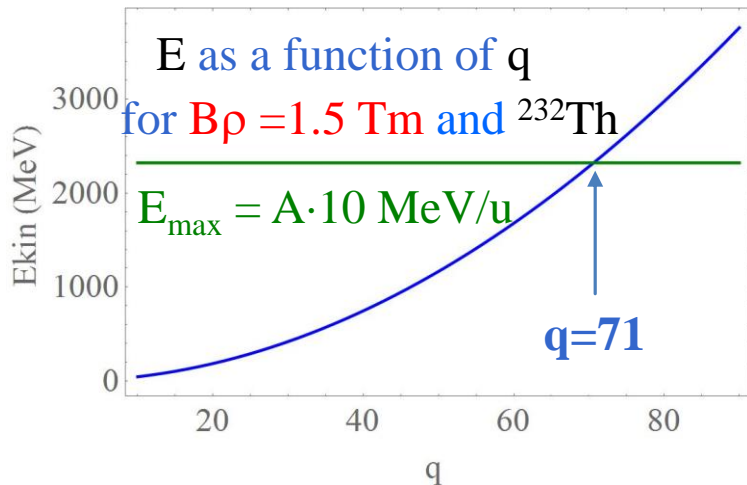
At TSR energies: $\sigma_{\text{cap}} = 1.1 \cdot 10^{-8} \frac{q^{3.9} Z_{\text{gas}}^{4.2}}{(E/A)^{4.8}} [\text{cm}^2]$

Target Life time and optimum charge state

beam life time determined by electron capture in the target

At TSR energies: $\sigma_{\text{cap}} = 1.1 \cdot 10^{-8} \frac{q^{3.9} Z_{\text{gas}}^{4.2}}{(E/A)^{4.8}} [\text{cm}^2]$ E in keV

maximum beam rigidity: $B\rho = \frac{p}{Q} = 1.5 \text{ Tm}$ p- ion momentum
 $Q = q \cdot e_0$ ion charge



result

$E = 2320 \text{ MeV}$

\Rightarrow for $B\rho = 1.5 \text{ Tm}$: $q = 71$

for target thickness $n_t = 10^{13} \text{ 1/cm}^2$

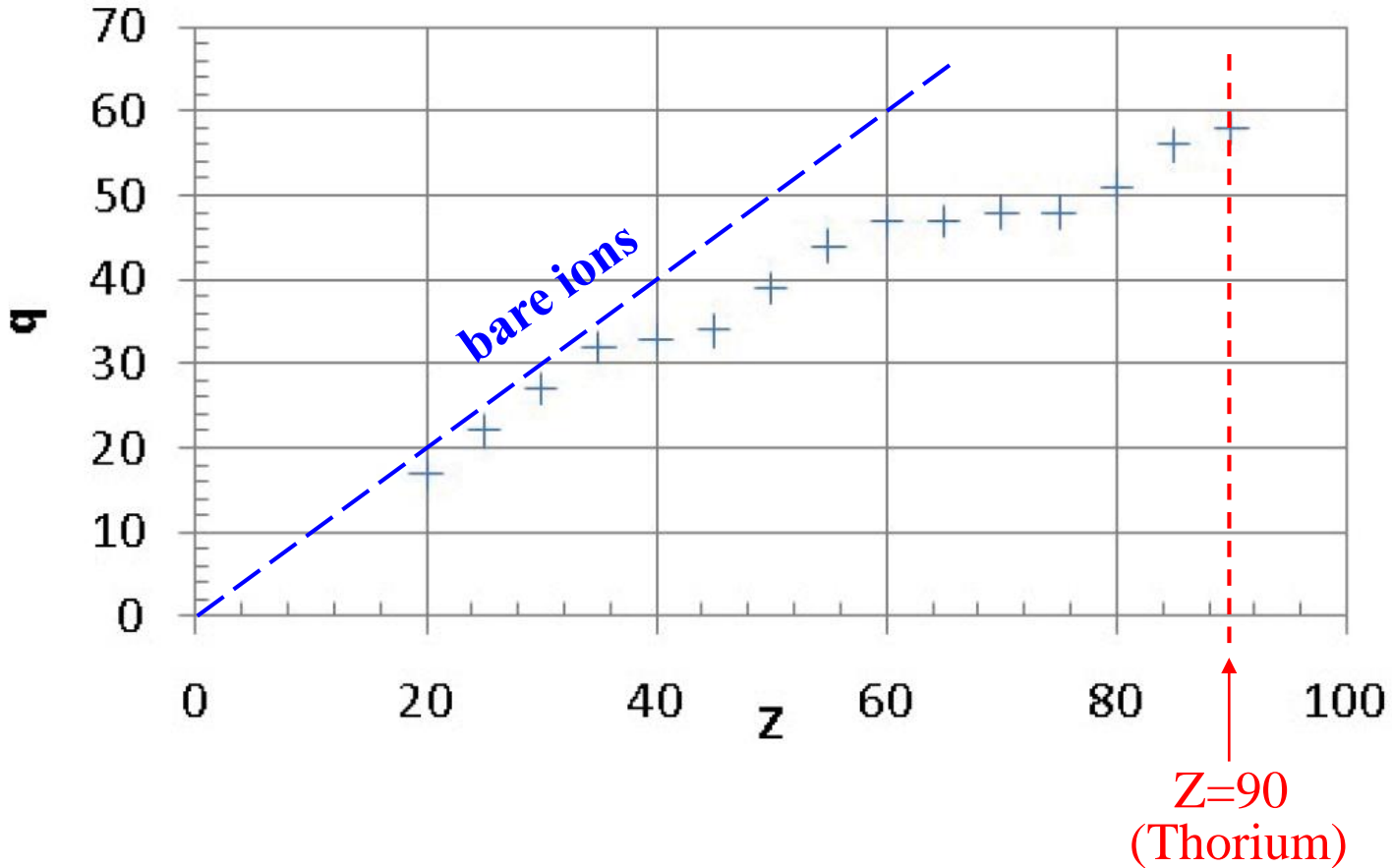
$\tau_{\text{target}} = 0.75 \text{ s}$ (He target)

remark: $\sigma_{\text{cap}} \propto Z_{\text{gas}}^{4.2}$

$\tau_{\text{target, H}_2} = 18.4 \tau_{\text{target, He}}$

Charge State in REXEBIS

Estimated attainable charge states in REXEBIS as a function of ion Z
(ref. TSR@ISOLDE TDR)



Stripping of Th ions at 2320 MeV (10 MeV/u) :

carbon foil: equilibrium charge state: **72** close to **$q=71$** (calculated with LISE 9.10.62)

Upgrade of REXEBIS

A new EBIS, producing much higher charge states is under investigation at CERN

Design parameters HIE-ISOLDE / TSR@ISOLDE breeder

	Charge breeder	REXEBIS
Electron energy [keV]	150	5
Electron current [A]	2-5*	0.2
Electron current density [A/cm ²]	1-2x10 ⁴	100
Trap pressure (mbar)	~10 ⁻¹¹	~10 ⁻¹¹
Ion-ion cooling needed	YES	NO
Extraction time (us)	<30	>50



new TSR@Isolde charge breeder

With the new TSR@Isolde charge breeder bare ions up to Z=60 should be possible

Much more details about this project was given by Fredrik Wenander during the last TSR@ISOLDE 2014 workshop at CERN

Lifetime of $^{232}\text{Th}^{71+}$ with $E=2320$ MeV in the TSR

$$B\rho=1.5 \text{ Tm}$$

target: for target (He) thickness $n_t=10^{13} \text{ 1/cm}^2$: $\tau_{\text{target}}=0.75 \text{ s}$

for target (He) thickness $n_t=10^{12} \text{ 1/cm}^2$: $\tau_{\text{target}}=7.5 \text{ s}$

vacuum life times for $p=5\cdot 10^{-11} \text{ mbar}$:

electron capture: $\tau_{\text{cap}}=100 \text{ s}$

multiple scattering: $\tau_{\text{ms}}> 10^6 \text{ s}$

stripping: neglect able

ECOOL maximum possible electron current: $I_e=0.43 \text{ A}$, $\alpha_{\text{ex}}=9.3$: $\tau_{\text{REC}}=4 \text{ s}$

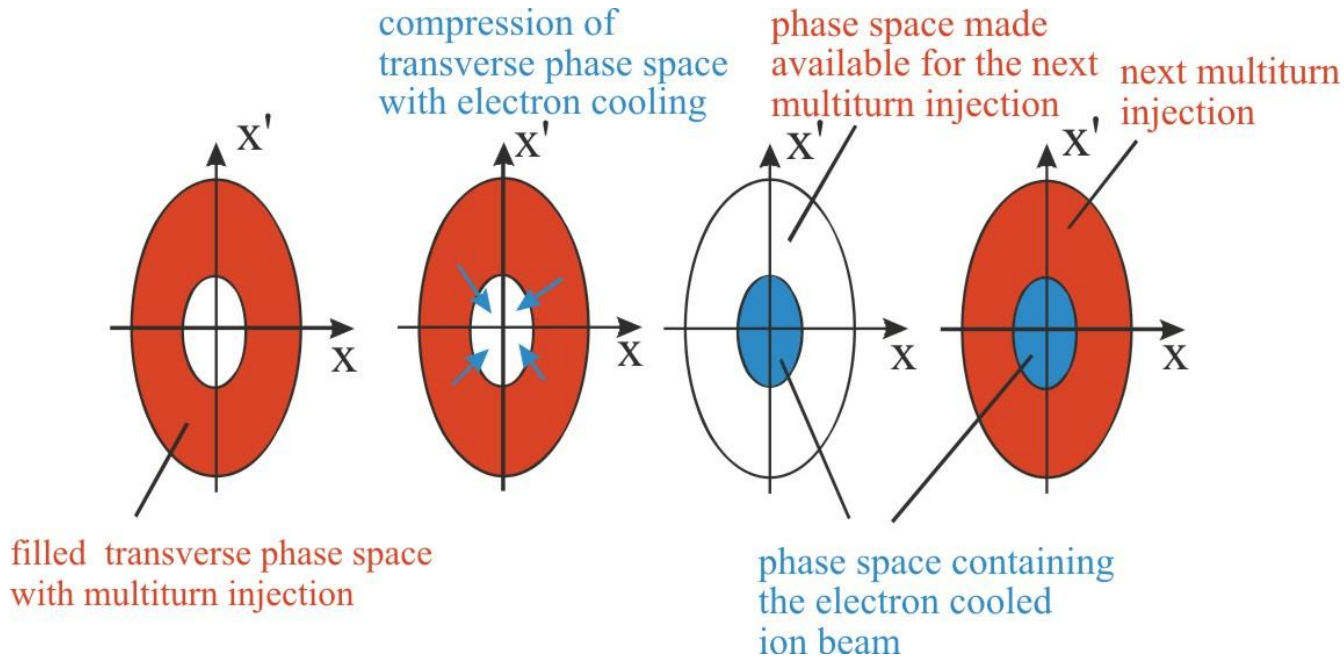
reduced electron current: $I_e=0.1 \text{ A}$, $\alpha_{\text{ex}}=9.3$: $\tau_{\text{REC}}=16 \text{ s}$

$$\text{total life time } \tau: \frac{1}{\tau} = \sum_i \frac{1}{\tau_i} \quad \tau_i - \text{life time of loss processes}$$

for very high target densities ($n_t>5\cdot 10^{12} \text{ 1/cm}^2$): $\tau \approx \tau_{\text{target}}$

$^{232}\text{Th}^{71+}$ injection: electron stacking

ECOOOL stacking scheme:



injection rate n_r : determined by electron cooling time τ_{ECOOOL} :

$$n_r \approx \frac{1}{\tau_{\text{ECOOOL}}}$$

$$\tau_{\text{ECOOOL}} \approx 3S \frac{I_{e\text{max}}}{I_e} \frac{A}{q^2}$$

where: A-ion mass

q-ion charge

I_e - electron current

$I_{e\text{max}}$ - maximum possible electron current

for $0.03 < \beta < 0.16$

but $n_r \leq 5 \text{ 1/s}$

$I_e/I_{e\text{max}}$	τ_{ECOOOL} (s)	n_r (1/s)
1	0.14	5
0.25	0.56	1.8

Space charge limit due to inchoherent tune

maximum possible stored ion number:
$$N = \frac{A}{q^2} \frac{2\pi}{r_p} \cdot B \cdot \beta^2 \cdot \gamma^3 \cdot \varepsilon \cdot (-\Delta Q)$$

$-\Delta Q$ - possible incoherent tune shift TSR: $-\Delta Q \approx 0.065-0.1$ for $B=1$

with $I = q \cdot e_0 \cdot N \cdot f_0$ and $\varepsilon \propto \left(\frac{q^4}{A^2} \frac{N}{\lambda_{\text{cool}}} \frac{1}{\beta^3} \right)^{0.44} \lambda_{\text{cool}} \propto n_e \frac{q^2}{A}$ $n_e \propto \beta^2$ ($\alpha_{\text{ex}} = \text{const}$)

intensity limit: $I = \text{const} \frac{(A^{19} \cdot E^9)^{1/28}}{q}$ const is calculated from the $^{12}\text{C}^{6+}$ data:

Ionm	E [MeV]	Intensity [μA]	calculation I [μA]
p	21	1000	740
$^{16}\text{O}^{8+}$	98	750	1000
$^{12}\text{C}^{6+}$	73	1000	1000
$^{32}\text{S}^{16+}$	195	1500	999
$^{35}\text{Cl}^{17+}$	293	1000	1130

stability limit incoherent tune shift $I \approx 1 \text{ mA}$

space charge limit: $^{232}\text{Th}^{71+}$ (E=10.232 MeV) : $I = 1.9 \text{ mA} \Leftrightarrow N = 2 \cdot 10^8$

Luminosity

definition of luminosity:

$$L(t) = \frac{R(t)}{\sigma}$$

$$R(t) = N(t) \cdot f_0 \cdot \sigma \cdot n_t(t)$$

$$\Rightarrow L(t) = N(t) \cdot f_0 \cdot n_t(t)$$

$R(t)$ -reaction rate

σ - cross-section

$N(t)$ -number of stored particles

f_0 -revolution frequency

n_t -target thickness

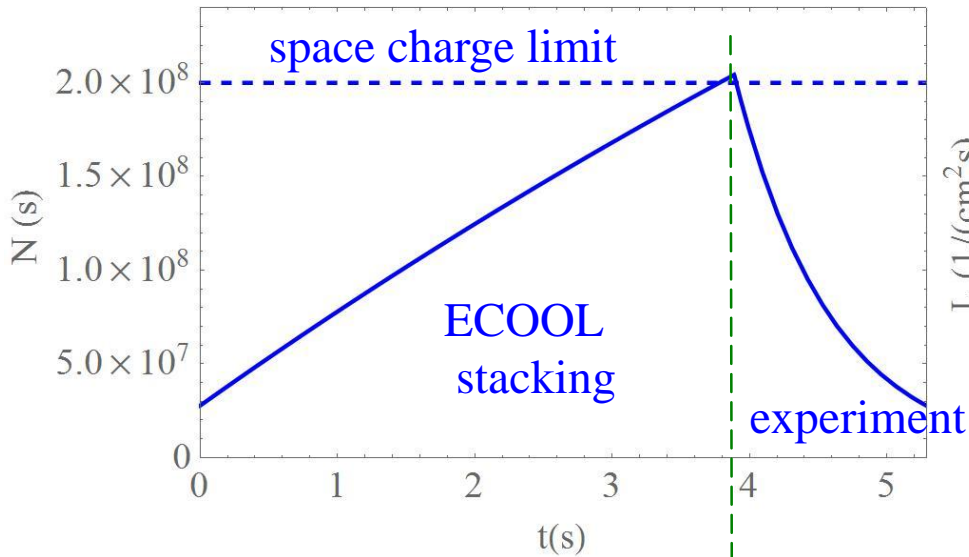
$$n_t = \int n \cdot ds \quad n\text{-target density}$$

remark: -due to possible switching of the target, owing to better lifetimes and lower ^3He (very expensive) consumption, target thickness n_t depends on time

- a strong variation of the particle number $N(t)$ may occur due to separated injection (intensity increase) and experiment (intensity decrease) cycle

Ion Number and Luminosity

periodical change of $N(t)$

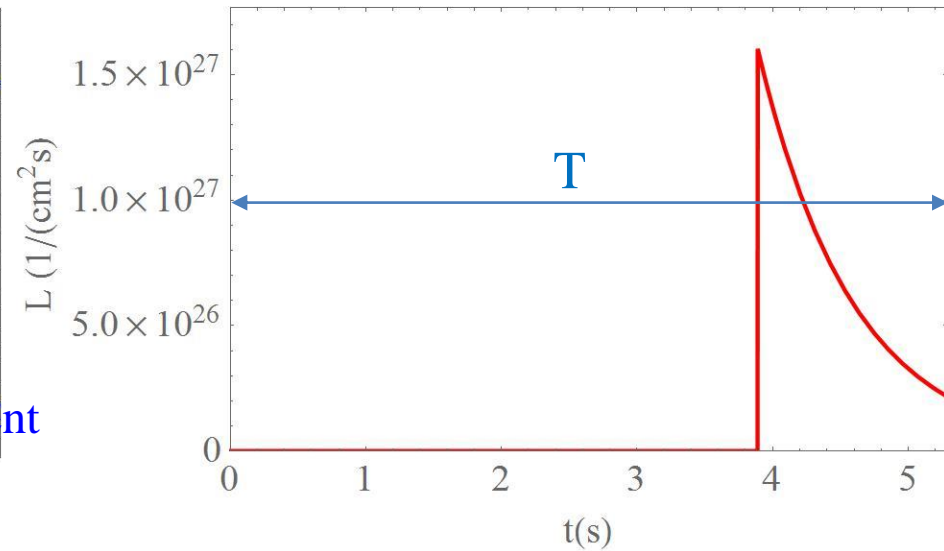


← target off → ← target on →

life time: $\tau_1 = 14$ s
 7 multi turn injections
 with $N_i = 3 \cdot 10^7$ ions
 and $n_r = 1.8$ 1/s

life time: $\tau_2 = 0.7$ s
 measuring time
 per period:
 $2 \cdot \tau_2$
 $n_t = 10^{13}$ 1/cm²

periodical change of luminosity



average luminosity:

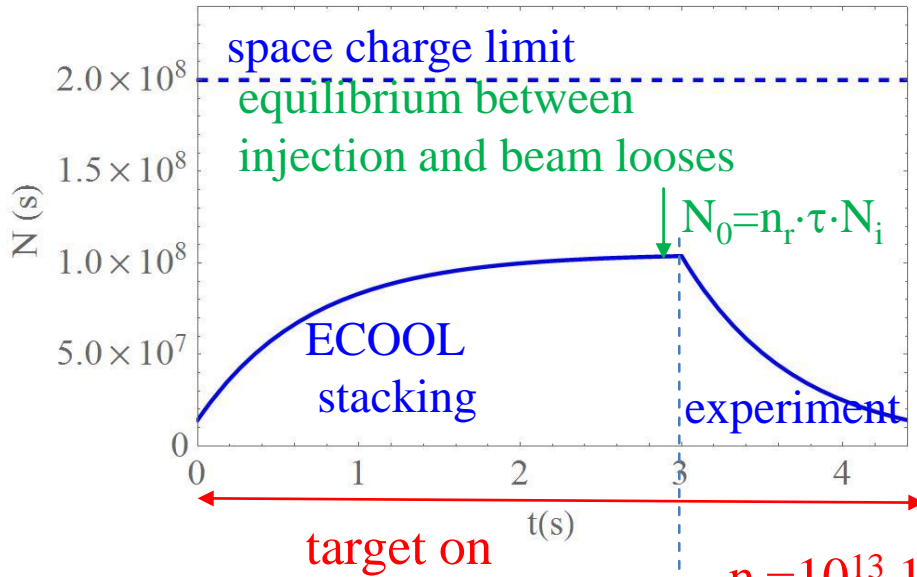
$$\bar{L} = \frac{1}{T} \int_0^T L(t) dt$$

$$\bar{L} = 1.8 \cdot 10^{26} \text{ 1/(cm}^2\text{s)}$$

for $^{232}\text{Th}^{71+}$ beam $E = 2320$ MeV
 ($f_0 = 0.786$ MHz)

Ion Number and Luminosity

periodical change of $N(t)$



life time: $\tau_1 = 0.7$ s

with $N_i = 3 \cdot 10^7$ ions
and drastically increased
electron current:

$I_e = 0.28 - 0.43$ A

injection rate: $n_r = 5$ 1/s

↑
maximum possible n_r

$n_t = 10^{13}$ 1/cm²

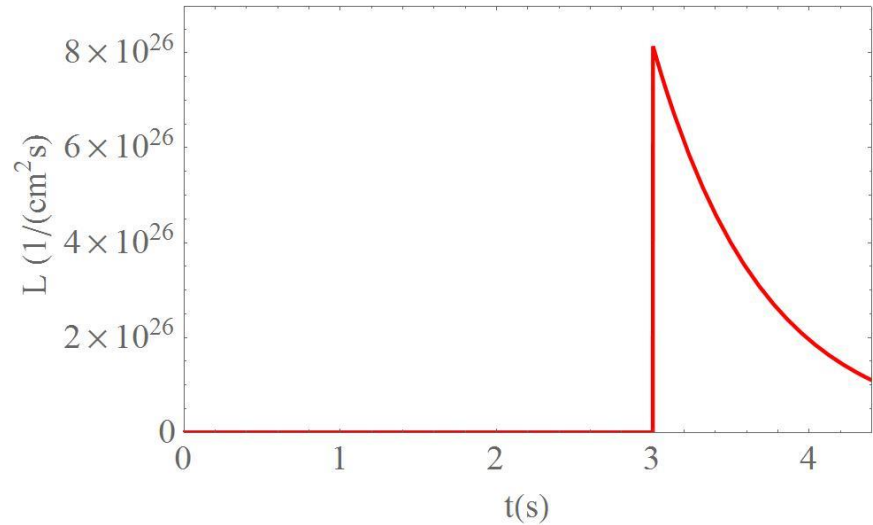
life time: $\tau_2 = 0.7$ s

measuring time
per period:

$2 \cdot \tau_2$

for $^{232}\text{Th}^{71+}$ beam $E = 2320$ MeV
($f_0 = 0.786$ MHz)

periodical change of luminosity



average luminosity:

$$\bar{L} = \frac{1}{T} \int_0^T L(t) dt$$

$$\bar{L} = 1.1 \cdot 10^{26} \text{ 1/(cm}^2\text{s)}$$

Luminosity at continues injection and measurement

particle number $N(t)$:

N_i -injected particle number per injection

$$\frac{dN(t)}{dt} = n_r N_i - \frac{N(t)}{\tau}$$

n_r - injection rate

τ - total lifetime

for high target densities the beam lifetime is very short and determined by the target lifetime τ_t . In the equilibrium: $dN(t)/dt = 0$

stored number of ions N_0 ($N_0 \leq N_s$):

N_0 - equilibrium particle number

$$N_0 = n_r \tau N_i$$

N_s -space charge limit

with: $\tau \approx \tau_t = \frac{\text{const}}{n_t}$ and $\text{const} = 0.75 \cdot 10^{13} \text{ s/cm}^2$

($E=2320 \text{ MeV } ^{232}\text{Th}^{71+}$
and He target)

It follows for the luminosity L :

n_t -target thickness 11

$$L = \frac{R}{\sigma} = N_0 f_0 n_t = n_r \tau n_t N_i f_0 \approx n_r N_i f_0 \text{ const}$$

and independent of the target thickness !

($n_t > 5 \cdot 10^{12} \text{ 1/cm}^2$)

example:

$$f_0 = 0.786 \text{ MHz}$$

$$N_i = 3 \cdot 10^7$$

$$n_{r,\text{max}} = 5 \text{ 1/s}$$

He target

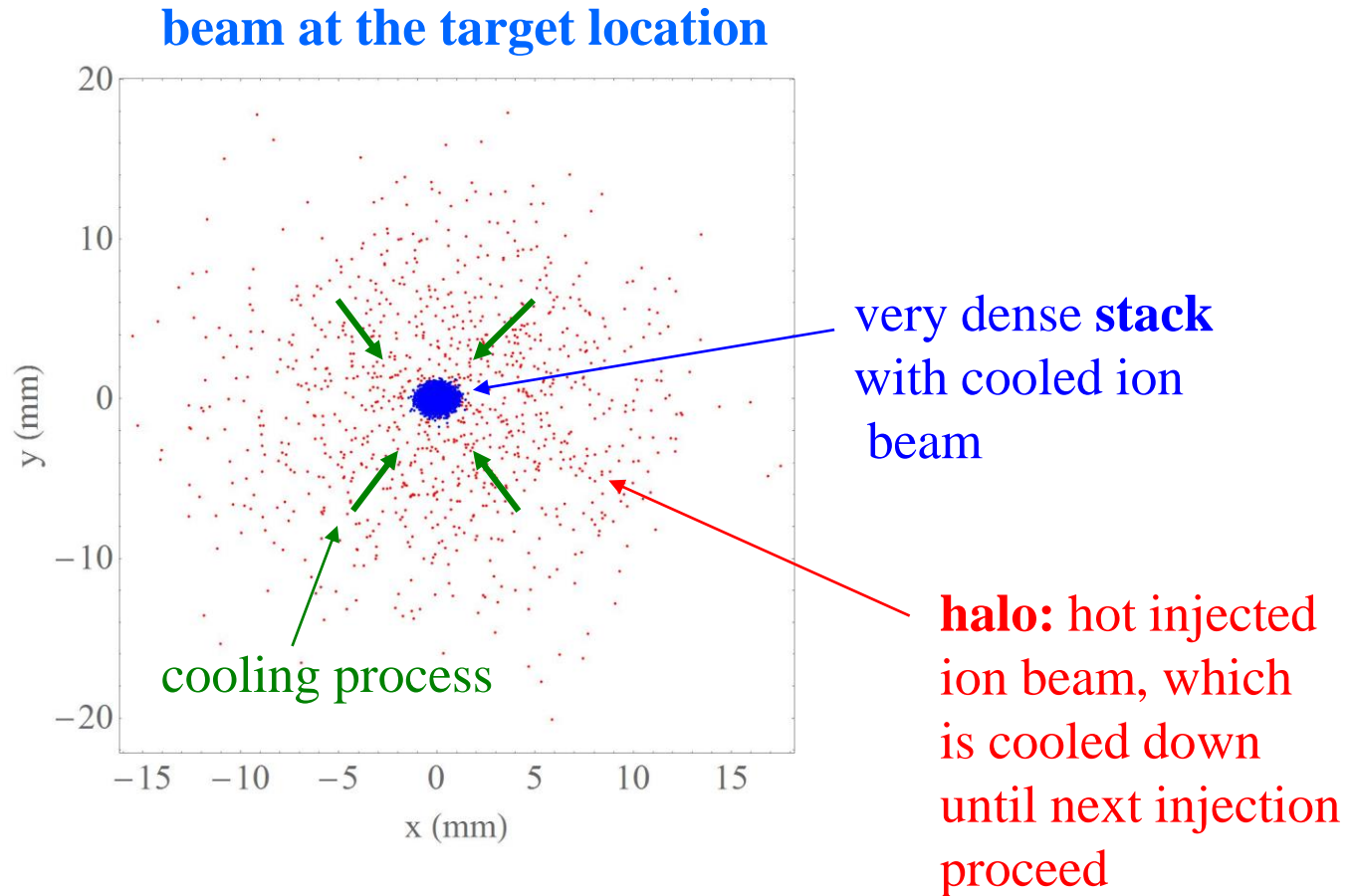
$$\tau \propto \frac{1}{n_t}$$

$$\Rightarrow L \approx 9 \cdot 10^{26} \text{ 1/(s}\cdot\text{cm}^2)$$

$$L_{\text{H}_2} \approx 18 \cdot L_{\text{He}}$$

stacking to the space charge limit requires $N_i = 6 \cdot 10^7$ and results in $L \approx 1.8 \cdot 10^{27} \text{ 1/(s}\cdot\text{cm}^2)$ (He-target) **maximum possible luminosity**

Halo formation during ECOOL stacking



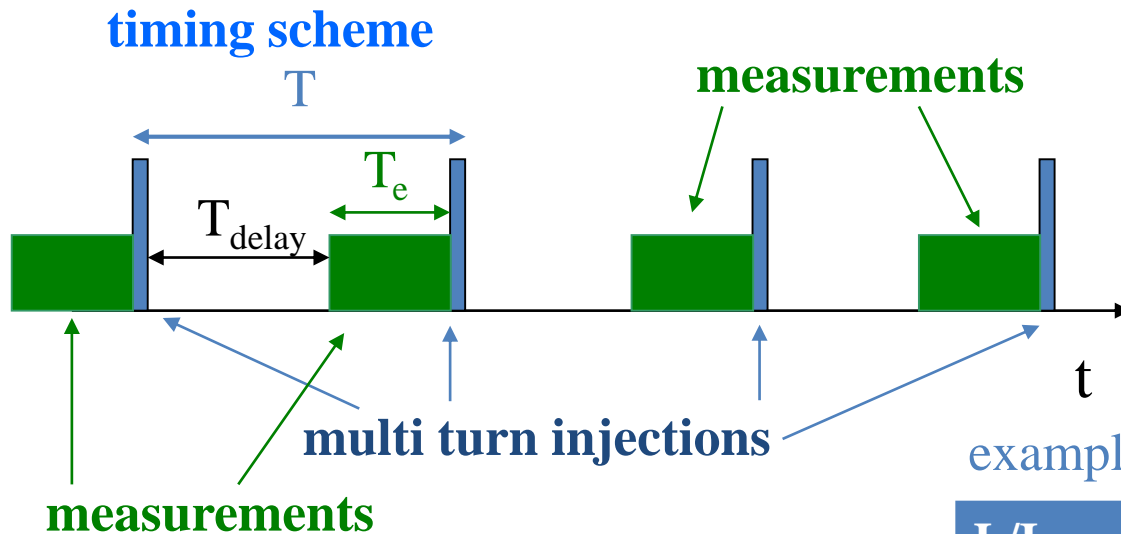
ratio of number of ions in halo N_{halo} and stack N_{stack}

$$\frac{N_{\text{halo}}}{N_{\text{stack}}} \leq \frac{1}{n_r \tau} \propto \frac{n_t}{n_r}$$

← target thickness
← repetition rate of multi turn injection

Minimization of the halo size during measurement

- measurement starts after a certain delay T_{delay} after injection and ends before the next multi-turn injection takes place



optimum

$$T_{\text{delay}} \approx \tau_{\text{ECOOL}}$$

example for $^{232}\text{Th}^{71+}$ ($E=2320$ MeV)

I_e/I_{emax}	τ_{ECOOL} (s)	n_r (1/s)
1	0.14	5

electron current: $T=0.2$ s

$$I_{e \text{ max}}=0.43 \text{ A}$$

electron beam power:

$$0.43 \text{ A} \cdot 0.5860 \text{ kV} = 2.5 \text{ kW}$$

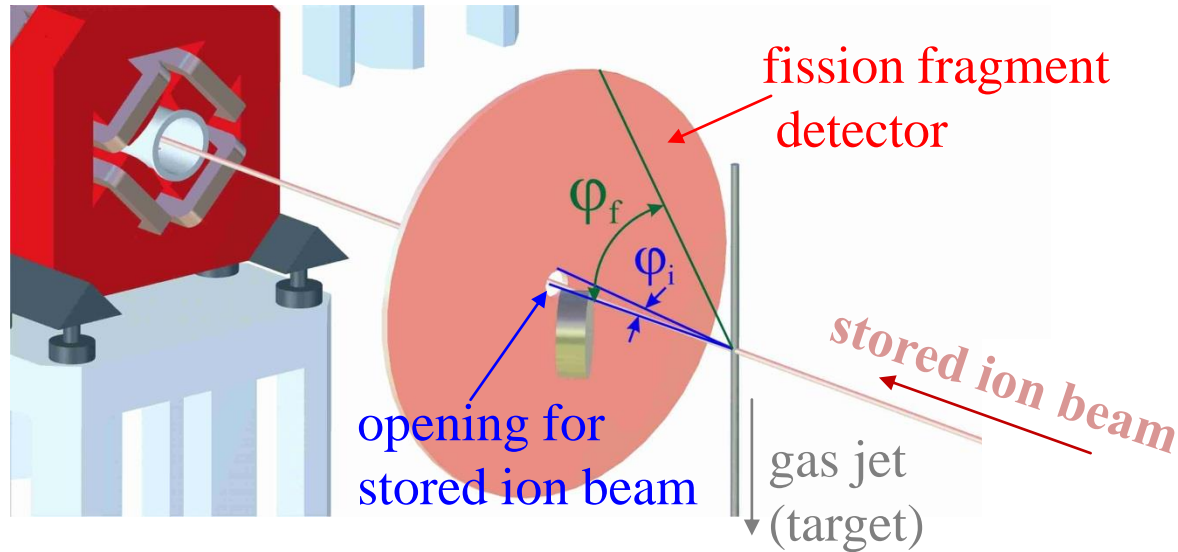
advantage:

- halo: size significant reduction
- number of particle significant reduction
- almost constant beam current and counting rate
- no switching of gas jet

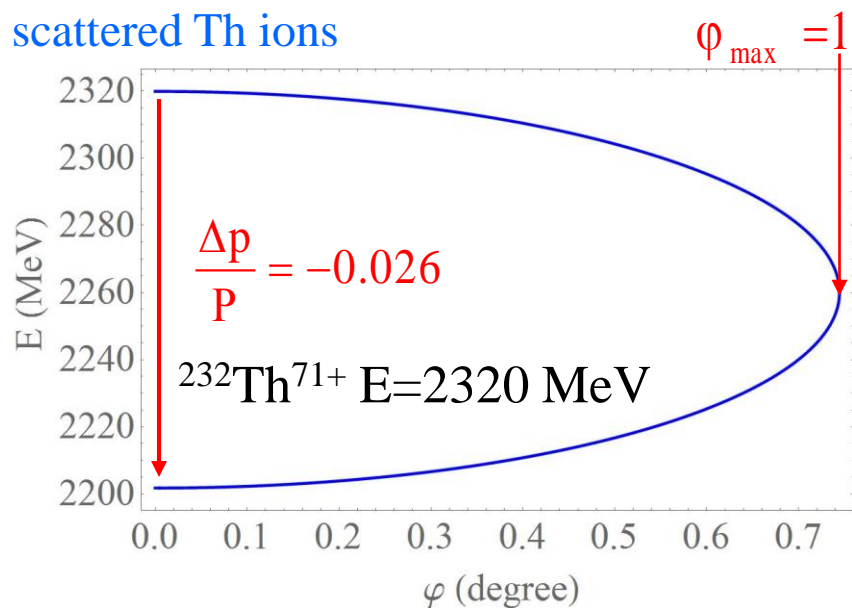
disadvantage:

- luminosity reduction by factor: T_e/T

Background by Coulomb scattering in the target



energy scatter angle relation of Rutherford scattered Th ions

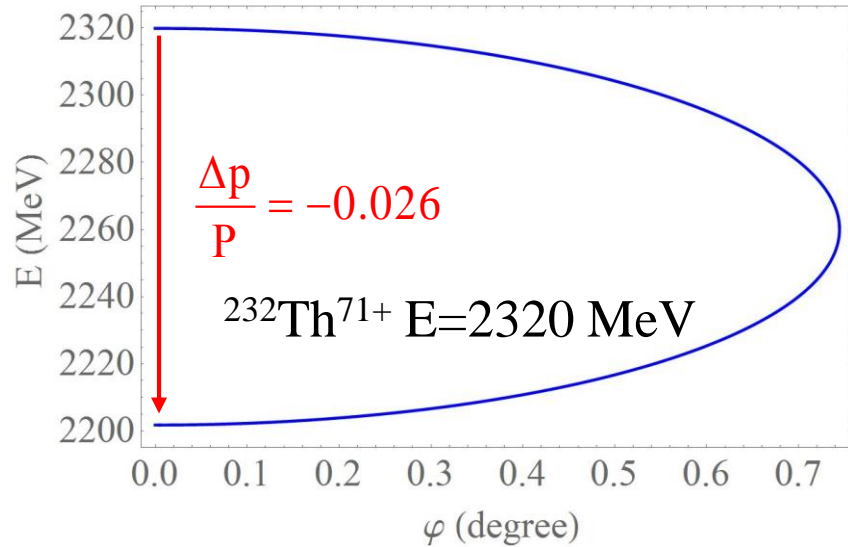


$$\varphi_{\max} = 13 \text{ mrad} \quad \varphi_{\max} < \varphi_i$$

- directly after scattering ion will pass the fission fragment detector, but
- $\varphi_{\max} > \varphi_{\text{acc}}$ ← acceptance angle of the TSR
- due to the small detection angle of scattered fission fragments, the fission fragment detector may determine the ring acceptance
- ⇒ collision of scattered ions after a few turns with fission detector

Background by Coulomb scattering in the target

energy scatter angle relation of Rutherford scattered Th ions



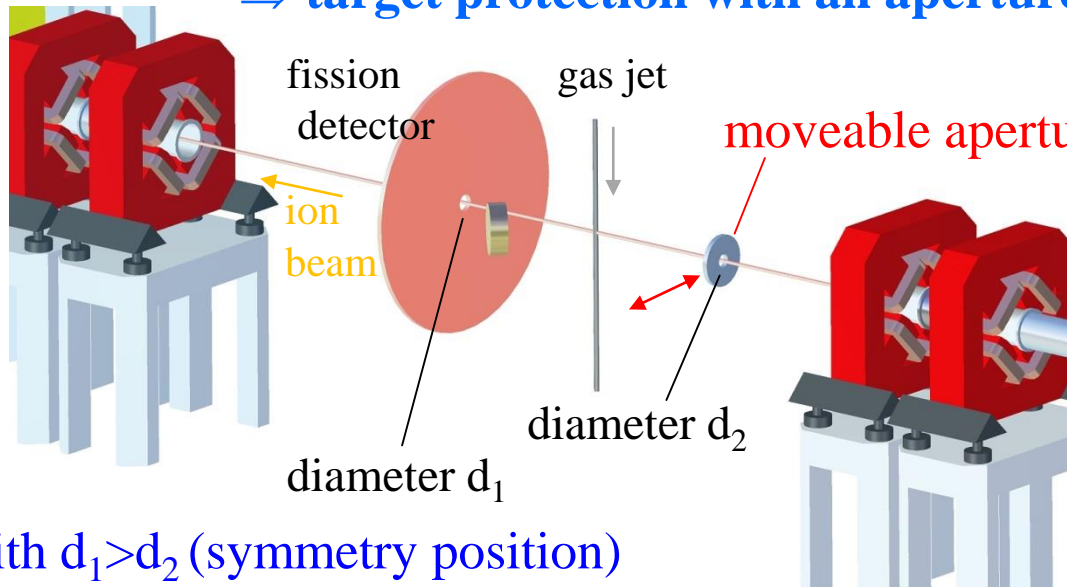
-further there is a momentum shift of the scattered Th ions of up to -2.6%
⇒ closed orbit shift by

$$\Delta x = D \frac{\Delta p}{p}$$

D- dispersion in the target area

leading to an increase of the betatron oscillation around the new closed orbit
⇒ possible collision with the fission target after a few turns

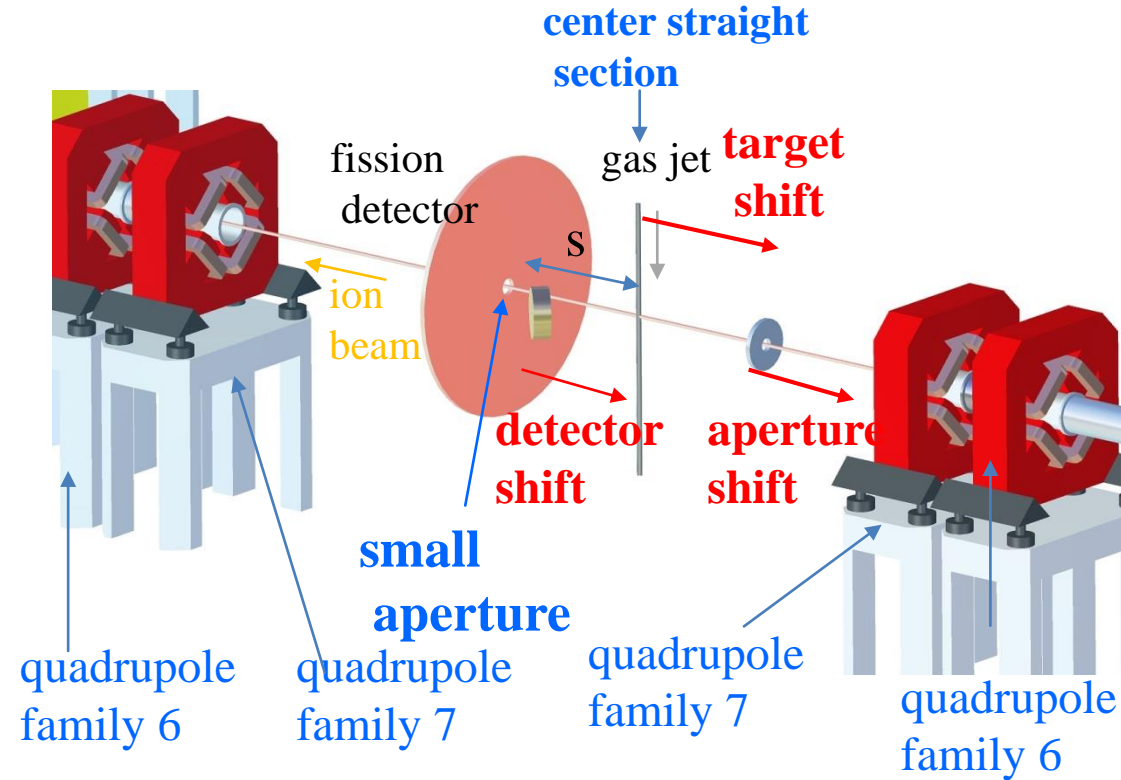
⇒ target protection with an aperture or scraper



with $d_1 > d_2$ (symmetry position)

remark:
aperture protect
also detectors against
Injected ion beam

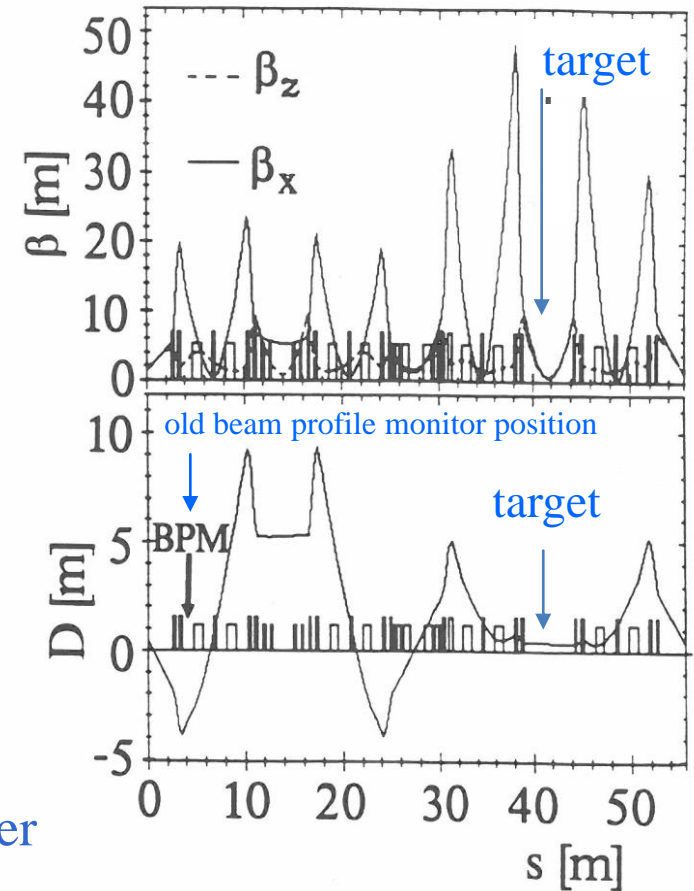
Low Beta Mode ?



In the low beta mode the number of quadrupole family is increased from 5 to 7, creating a small beta functions in the center of a straight section and increasing rapidly with s :

$$\beta(s) = \beta_0 + \frac{s^2}{\beta_0} \quad \beta_0 \text{ beta function in the center}$$

Low Beta TSR Mode

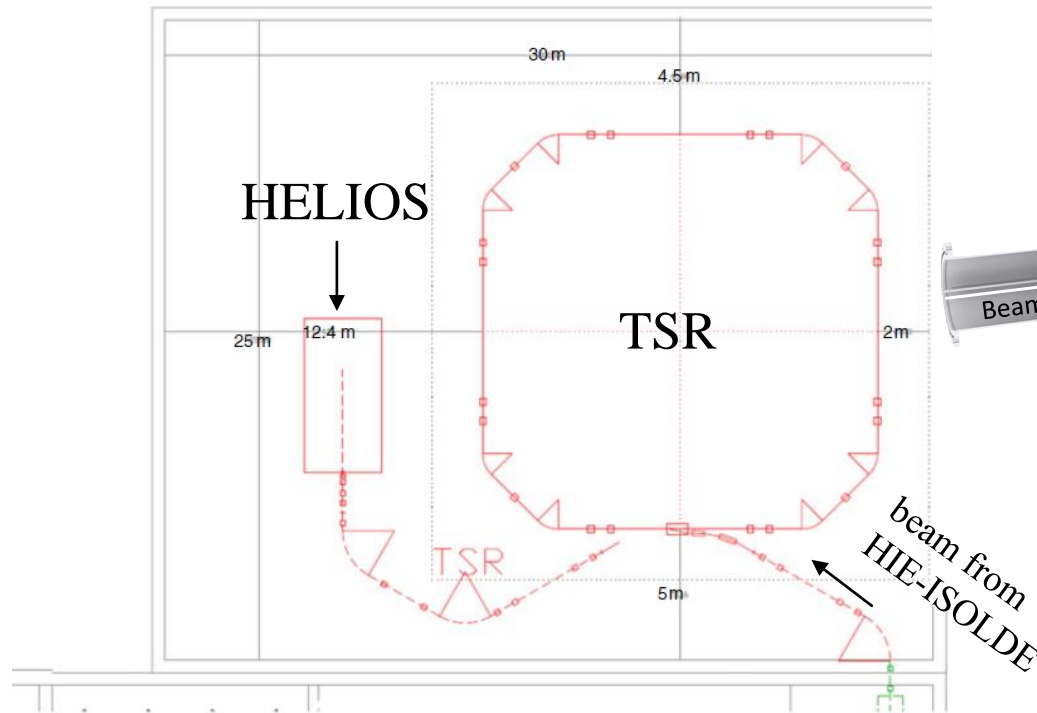


To benefit from the low beta mode fission detector has to be in the center of the straight section \Rightarrow shift of the detectors towards center of straight section \Rightarrow required shift of the gas target downstream to the beam direction

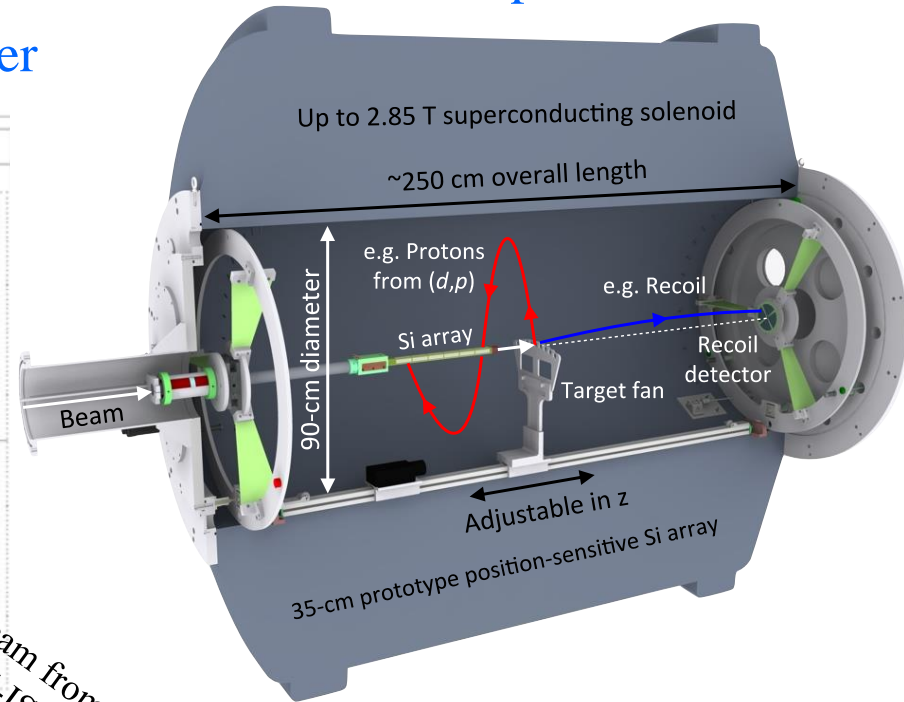
Cold ion beams for external spectrometer HELIOS

information about HELIOS spectrometer was given in the talk by Sean J Freemann at last TSR@ISOLDE workshop 2014 and will be given by Robert Page, tomorrow

possible location of HELIOS spectrometer



HELIOS spectrometer

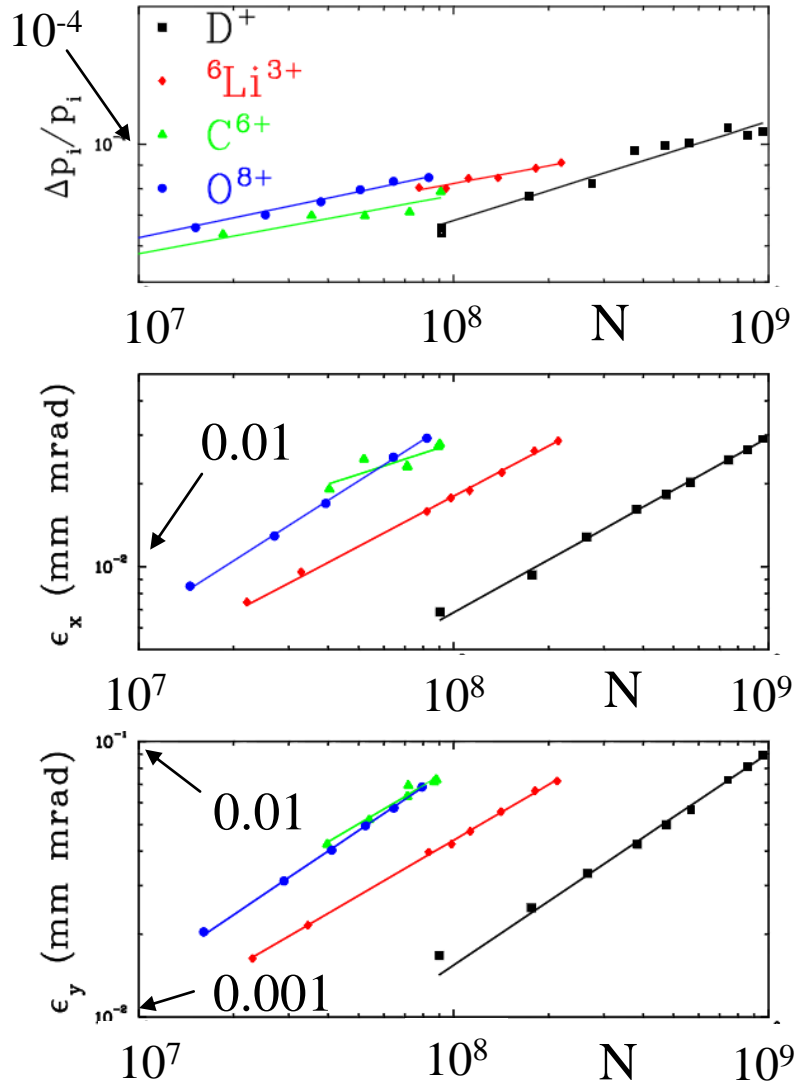


picture from talk of Sean J Freemann, TSR@ISOLDE 2014 workshop

beam requirement: transverse emittance ≤ 0.01 mm·mrad
FWHM energy spread $\approx 0.025\%$

Peter Butler, technical note, June 12 2014

Emittance and momentum spread of an electron cooled ion beam



equilibrium emittances and momentum spread of cooled ion beams as a function of particle number for the ion species:

D^+ , ${}^6\text{Li}^{3+}$, ${}^{12}\text{C}^{6+}$ and ${}^{16}\text{O}^{8+}$
 ($n_e = 8 \cdot 10^6 \text{ cm}^{-3}$, $B_{\text{cool}} = 418 \text{ Gauss}$, $\beta = 0.11$)

definition of emittances:

horizontal and vertical emittance is defined by the σ values of the horizontal and vertical beam size:

$$\epsilon_{x,y} = \frac{\sigma_{x,y}^2}{\beta_{x,y}}$$

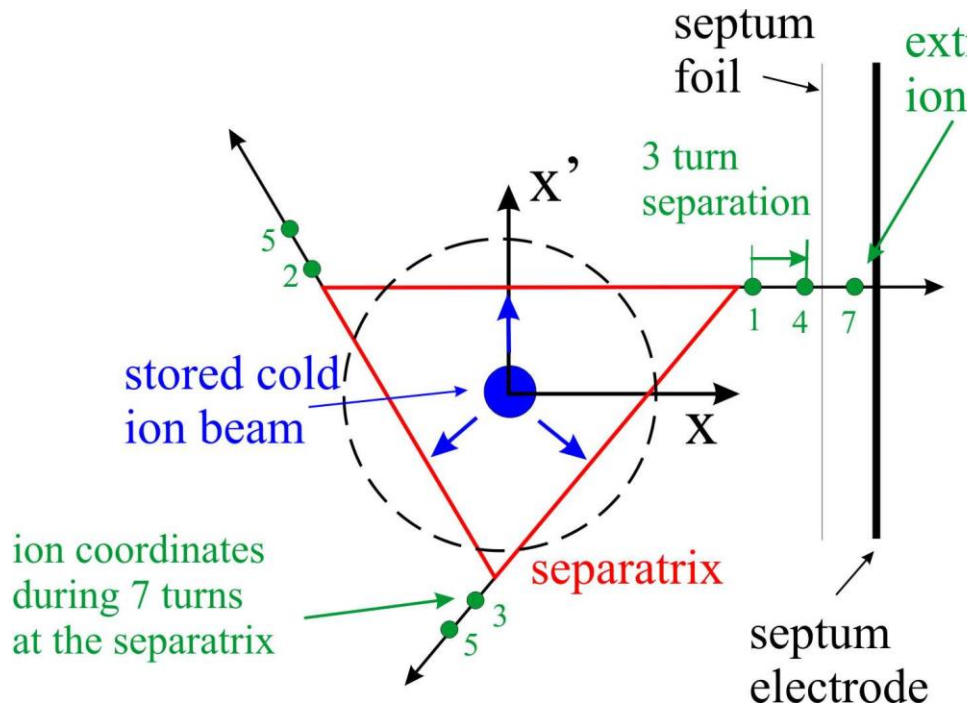
momentum spread:

momentum spread is rms value:

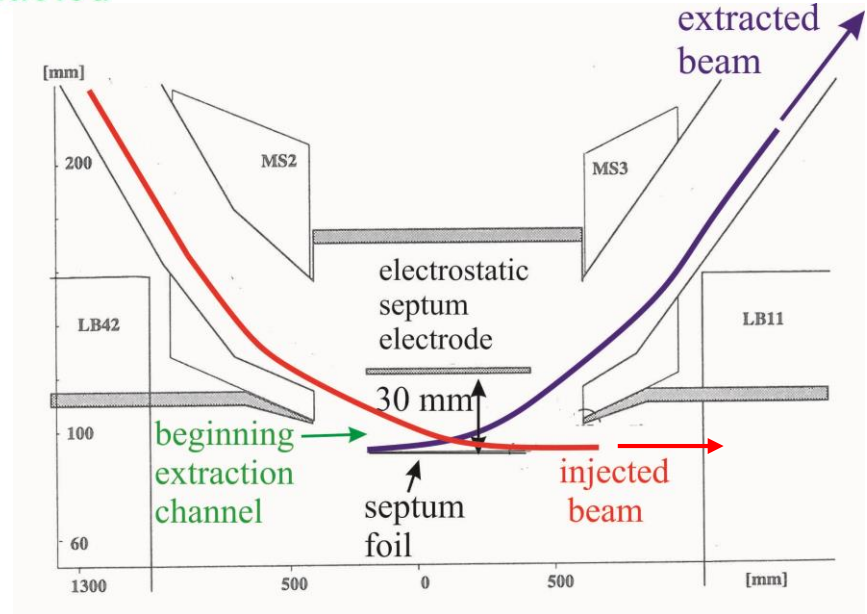
$$\frac{\Delta p_i}{p_i} = \frac{\Delta p_{\text{rms}}}{p_i} = \frac{1}{2} \frac{\Delta E_{\text{rms}}}{E} \Rightarrow \frac{\Delta E_{\text{rms}}}{E} = 0.01 - 0.02\%$$

Slow Extraction at the TSR

horizontal phase space



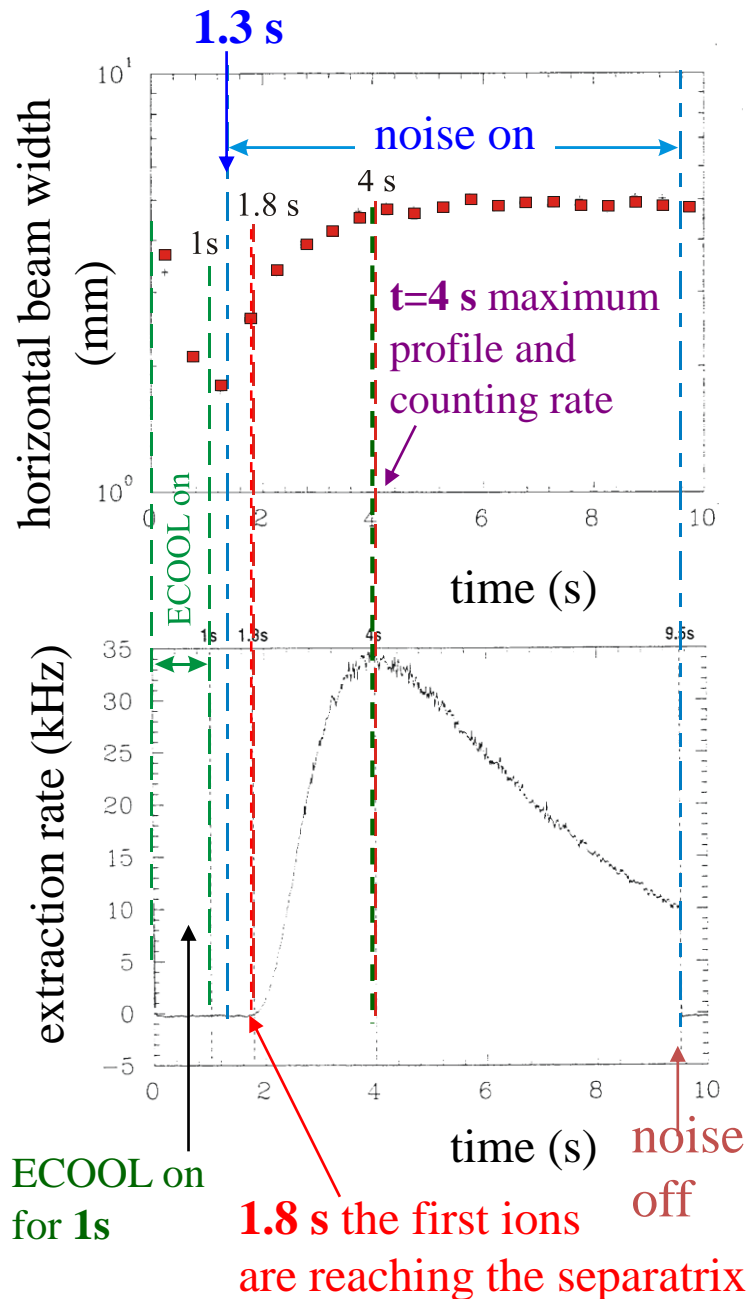
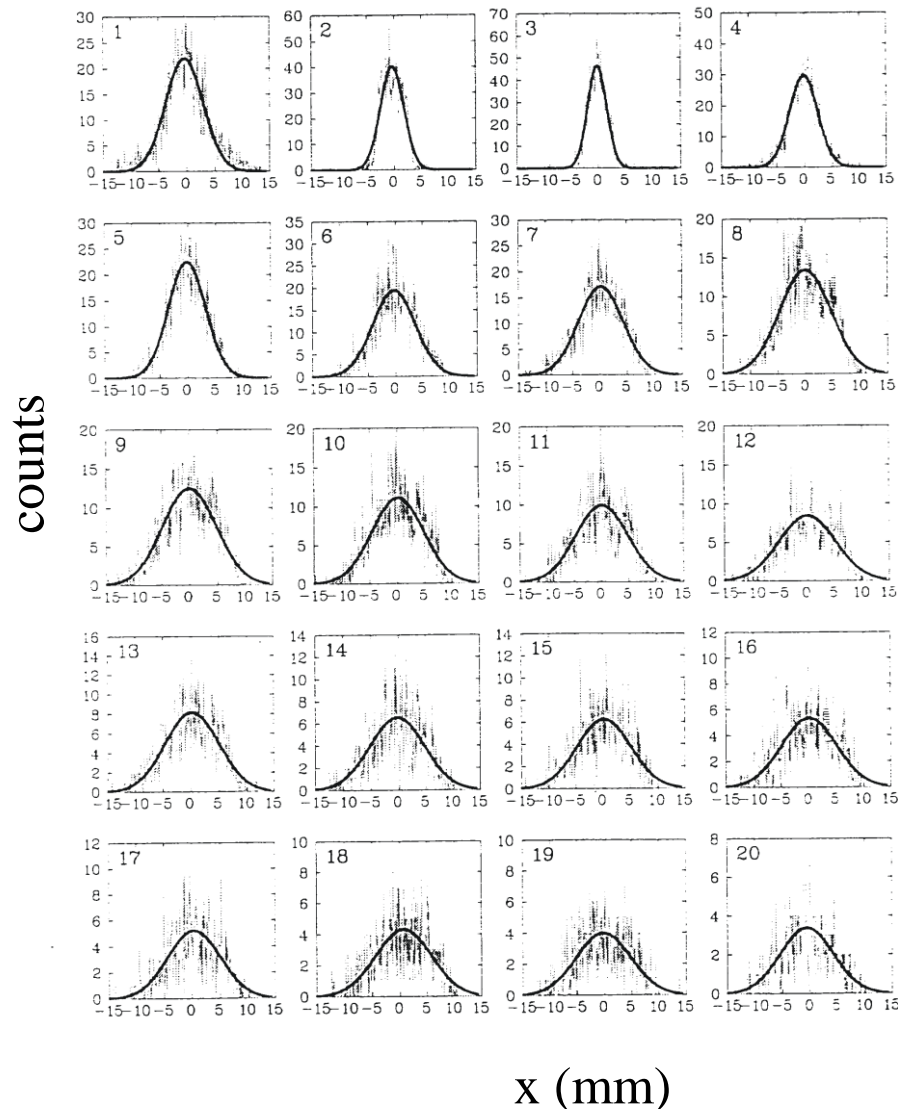
electrostatic septum for injection and extraction



- working point shifted close to a third order resonance $Q_x = 2.6666\dots$
- third order resonance is exited by one or two sextupoles
- creating a separatrix around the stored ion beam
- inside the separatrix ions can be stored stable
- if ions reaches the separatrix ions are moving along the separatrix towards the electrostatic septum foil, jumping into the field of the septum and are extracted
- excitation of betatron motion inside the separatrix is done by rf noise given to a kicker where the ECOOL has to be off
- with the noise level the extraction rate can be affected

Extraction experiment with $^{12}\text{C}^{6+}$ E=73.3 MeV ions

Development of the horizontal beam profile



Measured emittance of the slow extracted beam

beam: $^{12}\text{C}^{6+}$ $E=73.3$ MeV

Measured emittances of the slow extracted beam :

number of injected ions: $N= 2.7 \cdot 10^5$ ($I=0.15$ μA)

horizontally: $\varepsilon_{x,2\sigma} = 1 \pm 0.2$ mm·mrad $\Rightarrow \varepsilon_{x,\sigma} = 0.25 \pm 0.05$ mm·mrad

vertically: $\varepsilon_{y,2\sigma} = 1.1 \pm 0.1$ mm·mrad $\Rightarrow \varepsilon_{y,\sigma} = 0.275 \pm 0.025$ mm·mrad

stored ion beam: $\varepsilon_{y,\sigma} = 0.245 \pm 0.019$ mm·mrad

emittance definition:
$$\varepsilon_{\sigma} = \frac{\sigma^2}{\beta} = \varepsilon_{\text{rms}} \quad \varepsilon_{2\sigma} = \frac{(2\sigma)^2}{\beta}$$

momentum spread of slow extracted beam:

was not measured

cooled stored beam without extraction

$N=4 \cdot 10^7$

$\varepsilon_{x,\sigma} = 0.02$ mm·mrad

$\varepsilon_{y,\sigma} = 0.04$ mm·mrad

measured for

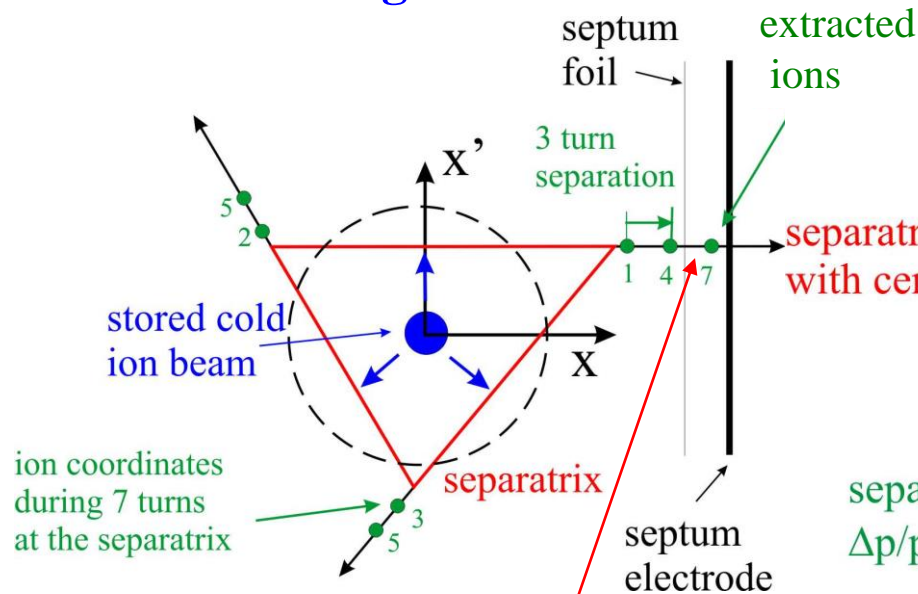
$^{12}\text{C}^{6+}$ $E=73.3$ MeV

and $n_e = 8 \cdot 10^6$ cm^{-3}

Horizontal emittance of extracted beam

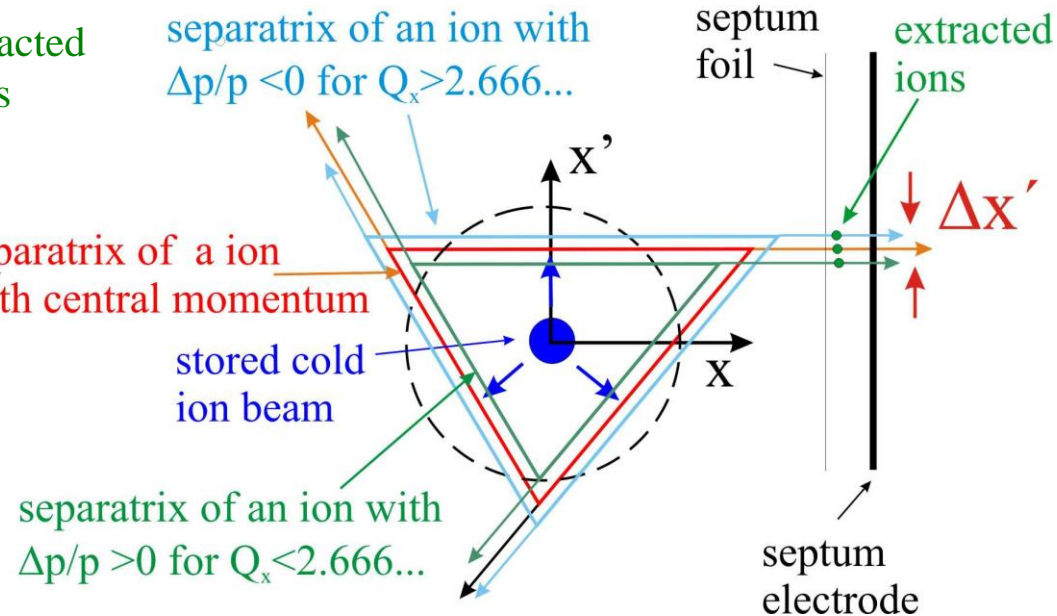
horizontal emittance of slow extracted beam is determined by the extraction method and momentum spread $\Delta p/p$

mono energetic beam



ions are extracted along a straight line in the transverse phase space
 $\Rightarrow \epsilon = 0!$

beam with momentum spread

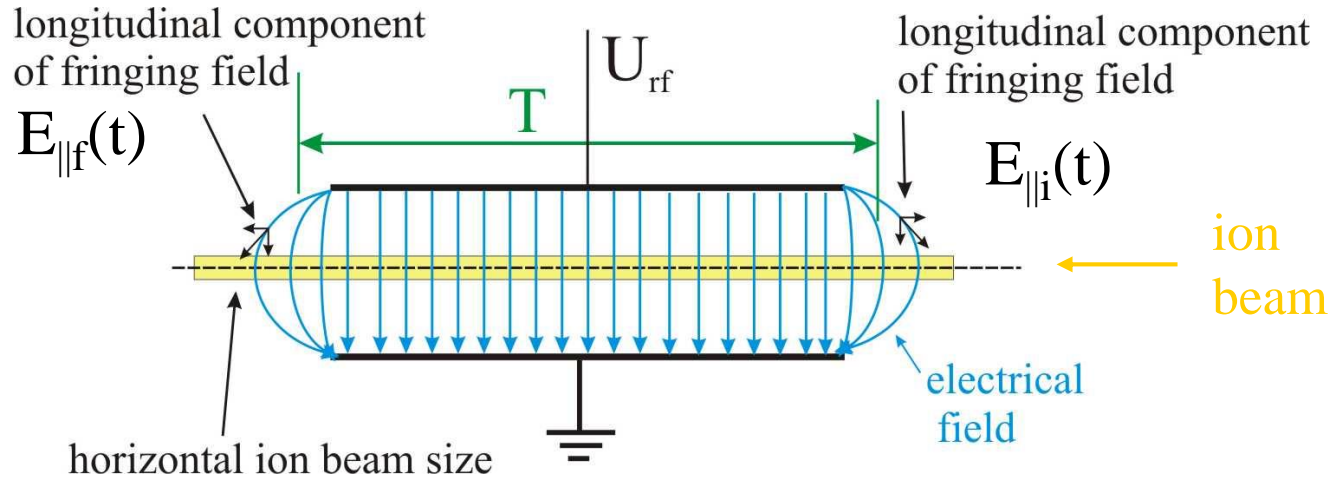


(for simplification the dispersion at the septum: $D=0$ m, $D'=0$).
 \Rightarrow divergence $\Delta x'$ of extracted beam
 horizontal beam size Δx is given by the three turn separation at septum position
 with $\Delta x' > 0 \Rightarrow \epsilon > 0$

Hardt condition $D' < 3$ for $D > 0$ m (D-dispersion at septum) to suppress $\Delta x'$ cannot full filed

Momentum spread

momentum spread of stored ion beam is affected by the rf noise field given to the kicker, used to increase the betatron amplitude during extraction



If the flight time to the kicker integer number of rf period $1/f_{rf}$

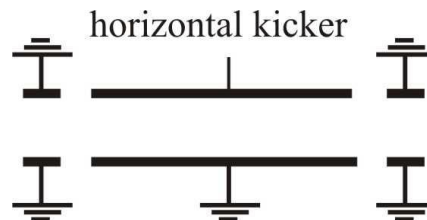
$$T = m \cdot T_{rf} = m \cdot 1/f_{rf} \Rightarrow E_{\parallel f}(t + mT_{rf}) + E_{\parallel i}(t) = 0 \quad \text{fringing field almost no effect to momentum spread !!}$$

$f_{rf} = f_0(n \pm q)$ T - flight time through the kicker, f_{rf} -center frequency of rf noise,
 f_0 -revolution frequency, n, m - integer number,
 q - non integer part of the tune $q \approx 0.66, C_0$ - circumference, L - kicker length
 \Rightarrow new extraction kicker working at relatively high frequencies

\Rightarrow condition

$$\approx C_0/L \cdot f_0$$

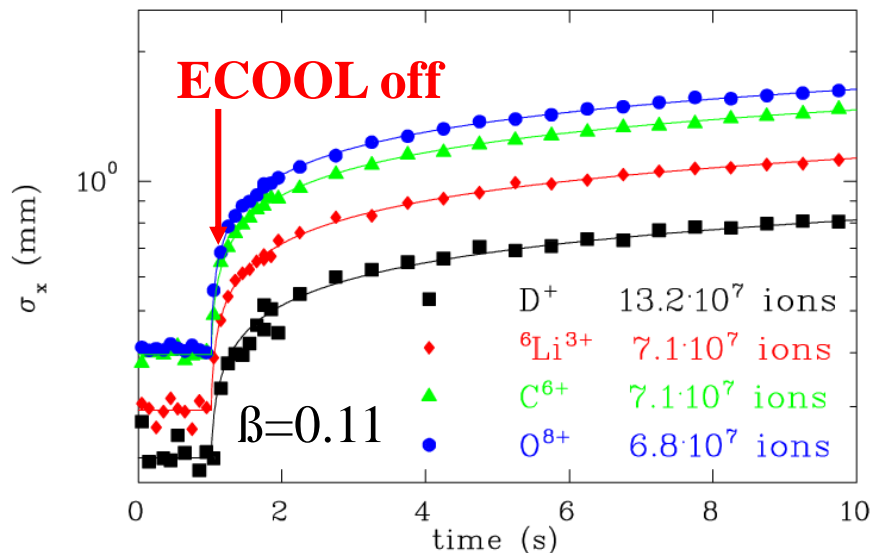
$$n \pm q = m \frac{C_0}{L} = \frac{C_0}{L} \quad \text{for } m = 1$$



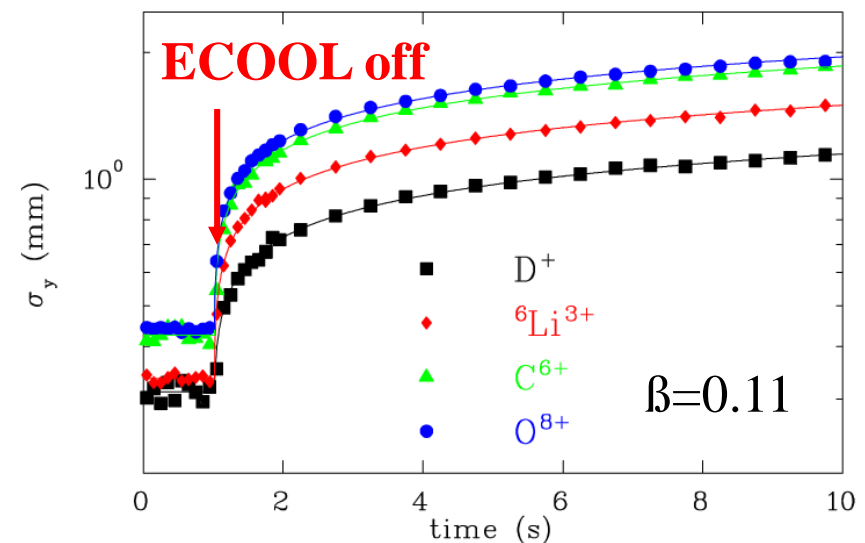
Intra Beam Scattering (IBS) effects

- reduction of the longitudinal heating effects may reduce the momentum spread and improves the horizontal emittance of the extracted beam.
- But there is an increase of the horizontal, vertical and the momentum spread in the TSR due to IBS:
 - for the slow extraction process electron cooling has to switch off
 - ⇒ blow up of the horizontal, vertical and momentum spread by IBS in the ring
- horizontal emittance of extracted beam not influenced by IBS, because it is determined by the slow extraction process
- but vertical emittance and the momentum spread of extracted beam are affected by IBS

horizontal beam width



vertical beam width

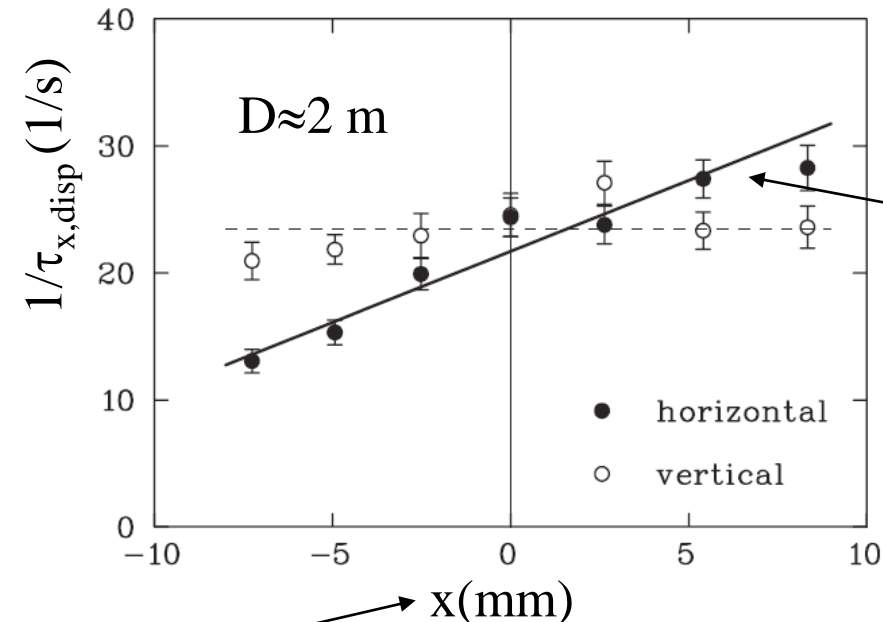


Modifying the slow extraction scheme

- electron cooling has to be permanent on to cool the vertical and longitudinal degree of freedom during the extraction process
- increase the horizontal rf noise level to overcome electron cooling force
- this process can be supported by **dispersive electron cooling** where the horizontal cooling force are transferred in the longitudinal degree of freedom, or opposite .

horizontal and vertical cooling rate

measured with 73 MeV $^{12}\text{C}^{6+}$



horizontal position of the ion beam to the center of electron beam

Dispersive electron cooling is realized by using an horizontal gradient in the horizontal cooling force realized by shifting the electron beam and applying dispersion in the electron cooler

$$\frac{1}{\tau_{x,\text{disp}}} = \frac{1}{\tau_{x,0}} + \eta_c \frac{\alpha_D D}{p_0} \alpha_{\parallel} \cdot x$$

$$\alpha_D = e^2 n_e / (4\epsilon_0 m_e v_0)$$

$$n_e = 8 \cdot 10^6 \text{ cm}^{-3} \ll n_{e,\text{max}} = 5.6 \cdot 10^7 \text{ cm}^{-3}$$

⇒ switching off horizontal cooling and horizontal heating with the electron beam should be possible !! ⇒ noise reduction transferred to the horizontal kicker

Dispersive electron cooling, longitudinal cooling force

Longitudinal friction coefficient

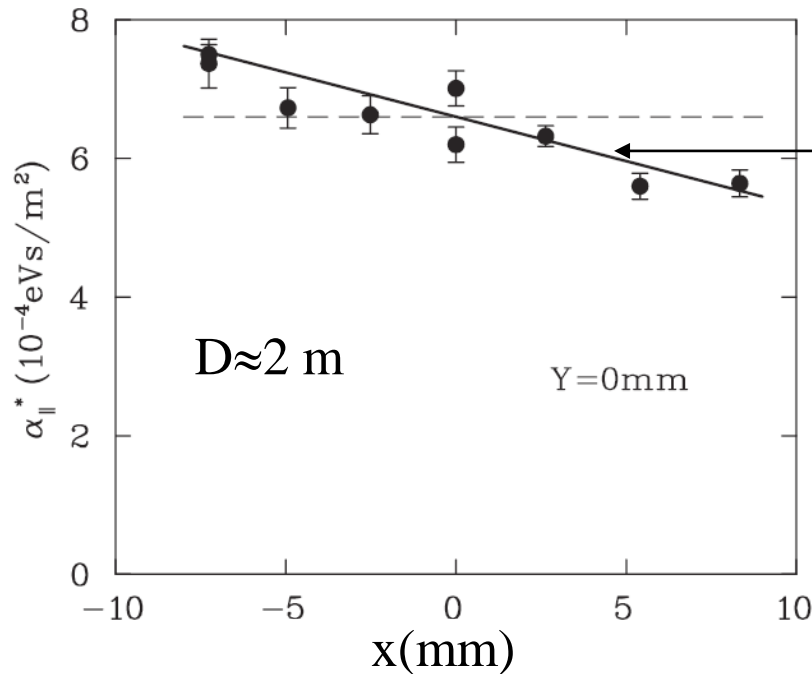
$$\alpha_{\parallel}^* = -\frac{\partial F_{\parallel}(v_{\parallel})}{\partial v_{\parallel}}$$

$F_{\parallel}(v_{\parallel})$ - longitudinal cooling force

$$\alpha_{\parallel}^* = \alpha_{\parallel} \cdot (1 - 2 \cdot \alpha_D D / v_0 \cdot x)$$

$$n_e = 8 \cdot 10^6 \text{ cm}^{-3} \ll n_{e,\text{max}} = 5.6 \cdot 10^7 \text{ cm}^{-3}$$

Transverse cooling force is transferred to longitudinal cooling by dispersive electron cooling



$$\alpha_{\parallel} + \alpha_x + \alpha_y = \text{constant}$$

transfer of cooling force

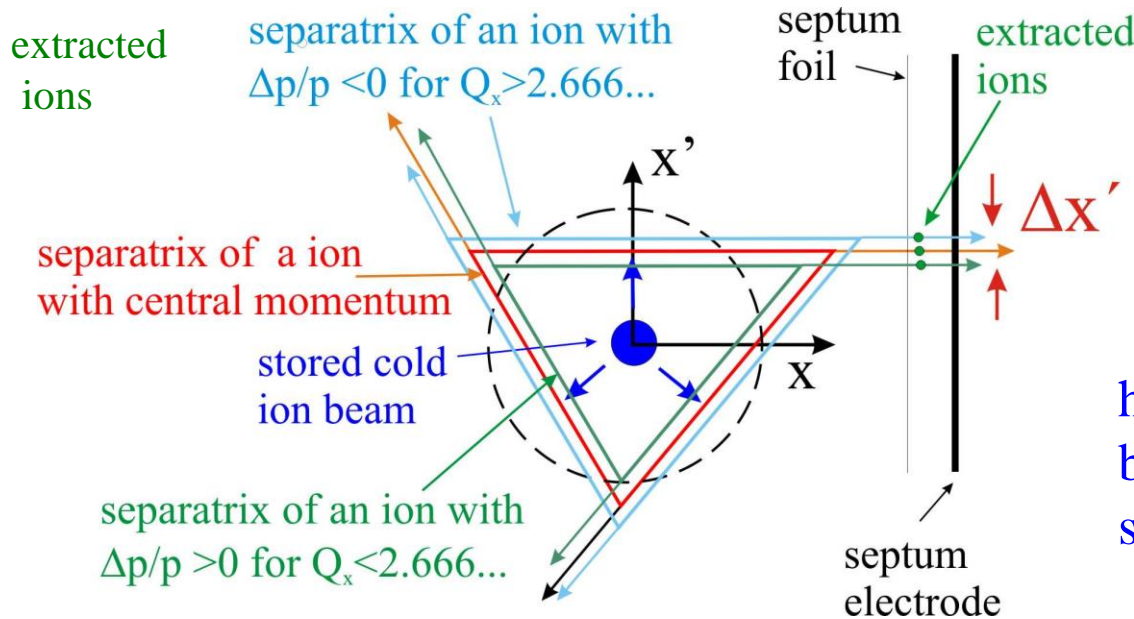
vertical cooling force remains constant

Active vertical and improved longitudinal ($\alpha_{\parallel} \rightarrow 0$ or $\alpha_{\parallel} < 0$) electron cooling during the slow extraction process !

Enhanced active longitudinal electron cooling will reduce the horizontal emittance of the slow extracted beam significantly !

Horizontal emittance of slow extracted beams

horizontal emittance of slow extracted beam is determined by the extraction method and momentum spread $\Delta p/p$



compression of $\Delta x'$ with active and improved longitudinal electron cooling \Rightarrow **significant reduction of the horizontal beam emittance !**

horizontal beam size Δx is given by the three turn separation at septum position

(for simplification the dispersion at the septum: $D=0$ m, $D'=0$, this condition is approximately fulfilled at the TSR if dispersive electron cooling is applied).

-This slow extraction scheme combined with dispersive electron cooling is not tested so far !!!

Alternatively **fast extraction** can be used to extract an cold ion beam

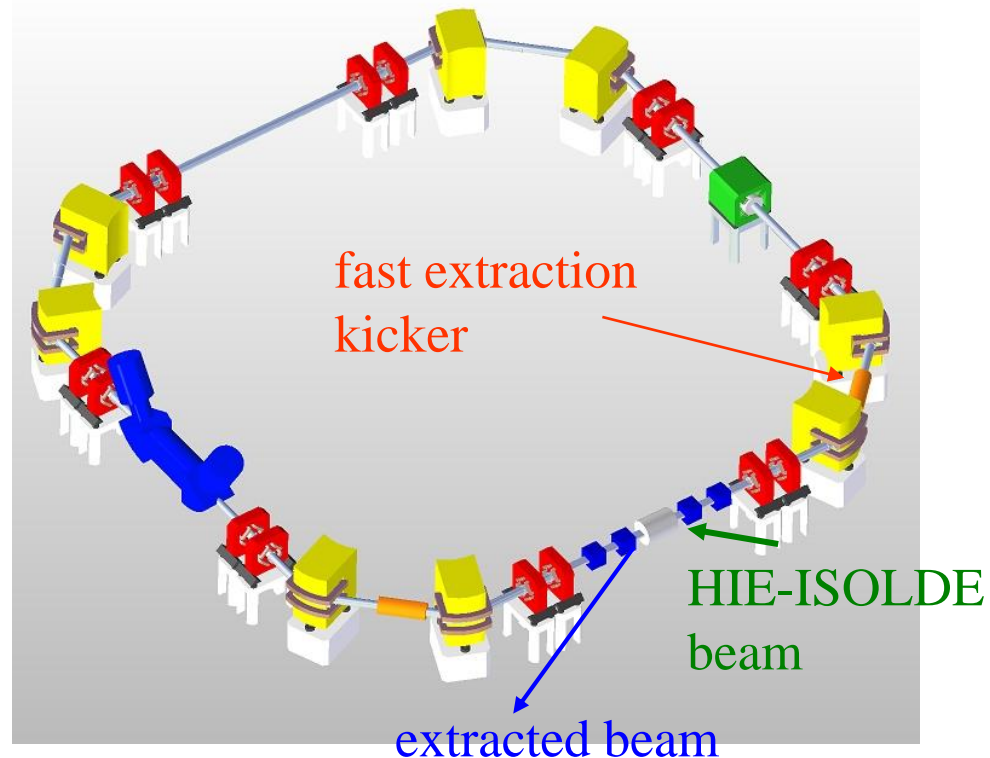
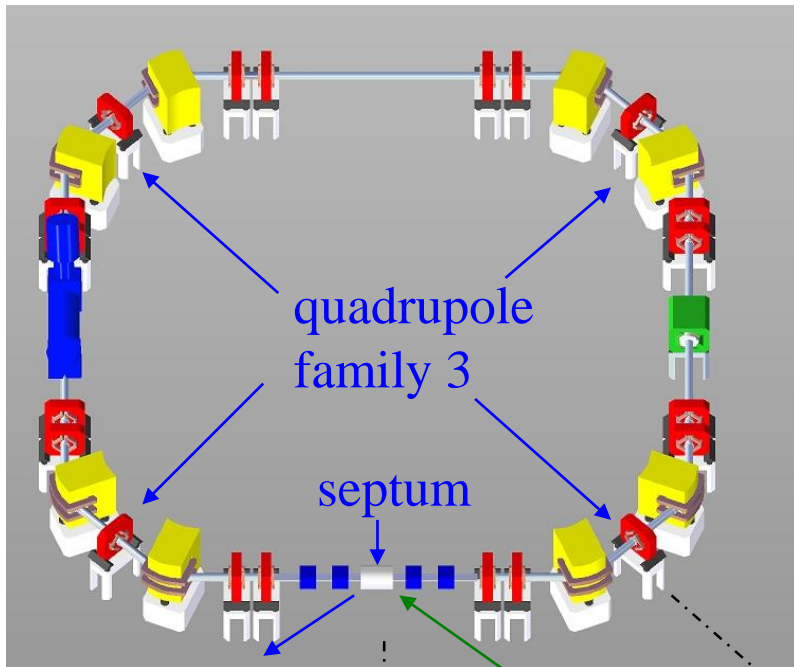
Fast extraction at the TSR

For fast extraction the phase advance between kicker and electrostatic septum:

$$\Delta\mu_x = \int_{\text{kicker}}^{\text{septum}} \frac{1}{\beta_x} ds = \frac{\pi}{2}$$

location of fast extraction kicker

- extraction kicker huge device
- dimensions only very roughly known
- worst case: removing quadrupole family 3 to provide enough space for the kicker

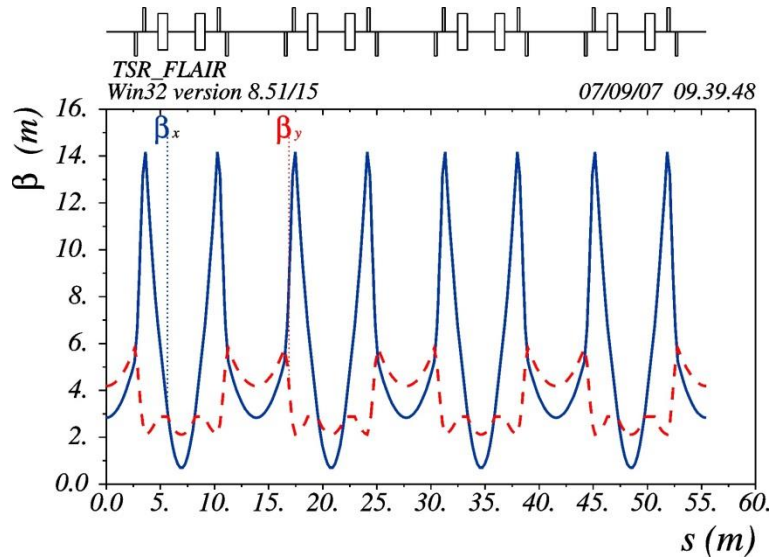


standard mode $\Delta\mu = \frac{\pi}{2}$

TSR lattice with four quadrupole families

β function

Standard Mode

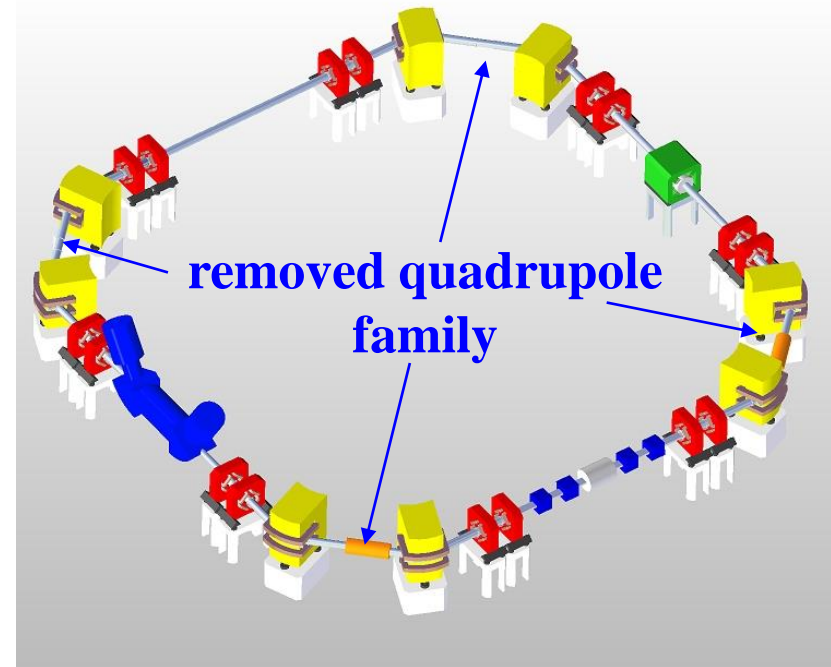
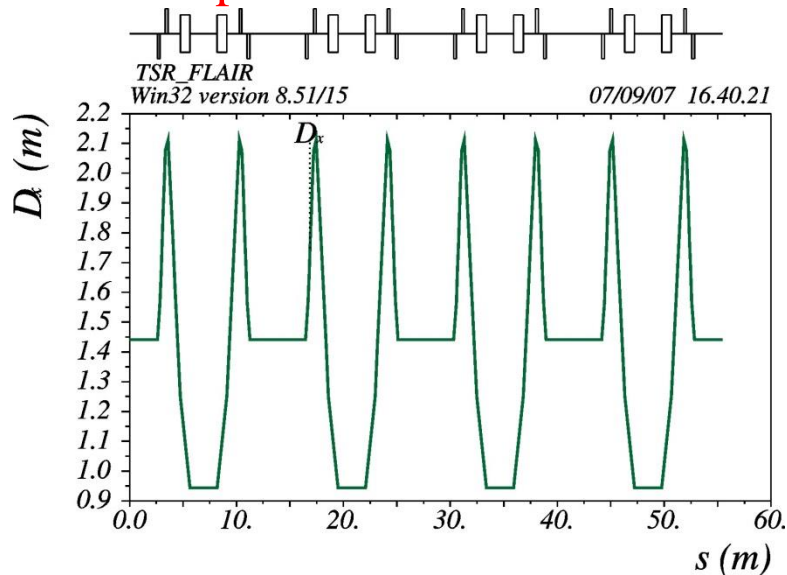


SP=4

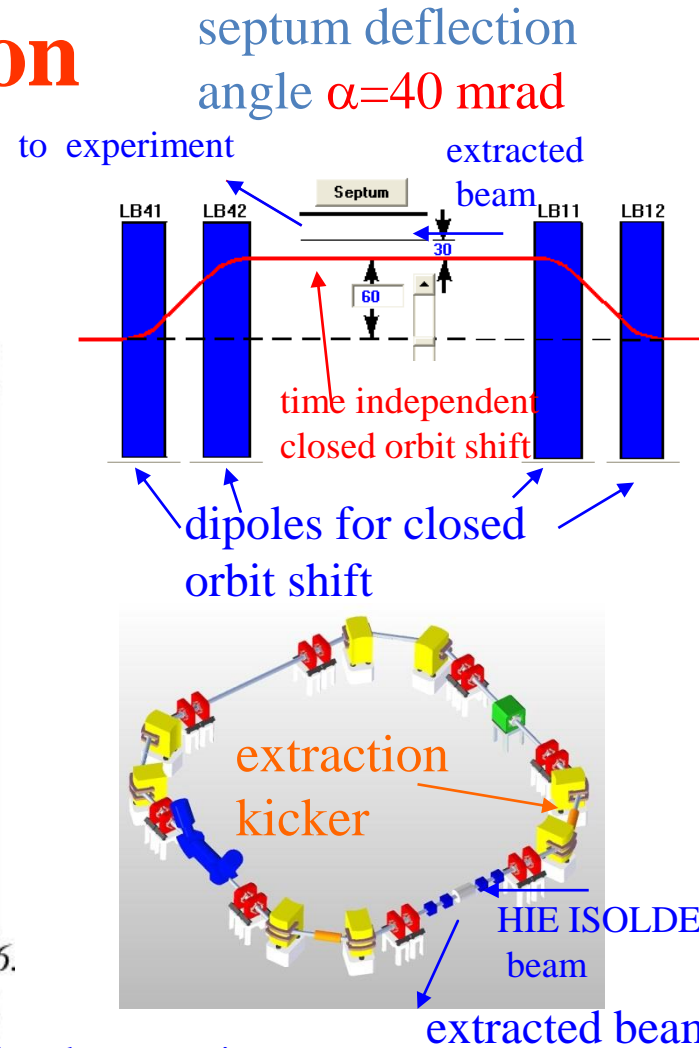
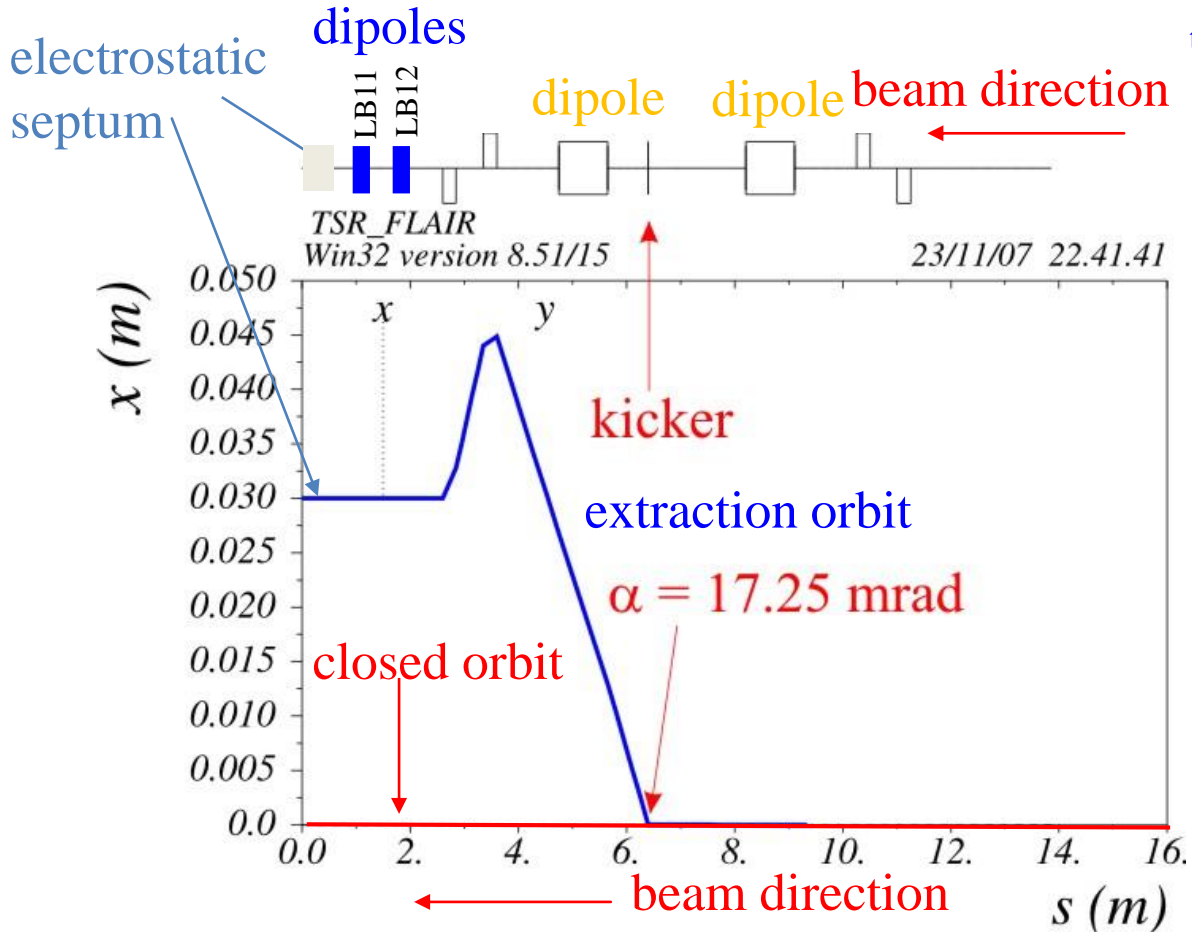
$Q_x=2.84$

$Q_y=2.91$

dispersion function



Fast Extraction



- For fast extraction the closed orbit is shifted permanently towards the electrostatic septum by about 60 mm
- a fast kicker deflect the ion beam by around 17 mrad. Leading to a beam deflection of 30 mm at the location of electrostatic septum, therefore the total beam deflection in front of the septum is $30+60\text{mm}=90$ mm
- In the electrostatic septum the extracted ion beam is deflected by about 40 mrad and transferred to the experiments

Fast extraction kicker specifications

fast kicker specification for a rough cost estimation from CERN

maximum beam rigidity: 1.5 Tm

deflection angle: about 20 mrad

response time (from $B=0T$ to $0.9 B_{\max}$): about 200 ns (roughly), preferable 100 ns

maximum length of the kicker: below 1 m (if possible)

(to avoid removing of quadrupole family 3)

kicker chamber (inside): horizontal width of at least 100 mm, 200 mm (preferable)

vertical height: ≥ 55 mm

remark: kicker has switching time, defined by the respond time

coasting beam: causes movement of the extracted beam

to avoid movement \rightarrow bunching + ECOOL \rightarrow increasing of emittance and momentum spread

kicker specification requirements fulfill:

-two modules of the **LEIR/CERN** extraction kicker

-fast injection kicker for **ELENA/CERN** (roughly)

remark: fast ELENA injection kicker can be used also as an extraction kicker fulfilling our demand for an 20 mrad deflection angle at $B\rho=1.5$ Tm, but the field quality of the horizontal field is less than expected

Rough cost estimation for the extraction kicker

very rough cost estimation from **Brennan Goddard** and **TE-ABT group/CERN**
from 14. April 2015 can increased to 100x55 mm

Estimates for TSR kicker costs, based on the ELENA kicker/magnet with beam aperture = 50*50 mm ← based on ELENA kicker
Magnet length flange to flange : 1000 mm ← total length=1000 mm ⇒ removing of quadrupole family 3 maybe not necessary !!!

Infrastructure (building, mains distribution etc. not included - need 50 m2 horizontal surface, with 10 kW from the network and 10 litres/min cooling water).

Costs valid providing 80kV cable can be outsourced

No CERN manpower is presently available or planned for the construction or maintenance.

Item	Cost kCHF (incl. FSU)	CERN manpower (FTE)
Magnet module, vacuum tank, feedthrough, connection boxes	240	1.5
PFL 80 kV cable, transmission cable, connectors	110	0.2
Main switch, dump switch, thyratrons	240	1.2
SF6 handling system, hydraulic system	140	1.0
Controls and electronics	275	0.5
Total	1005	4.4
Maintenance (per year) of magnets, generators, hydraulics and controls	50	0.4

total cost: 1005 kCHF CERN manpower: 4.4 FTE

Maintenance of magnets, generators etc. : 50 kCHF per year

Acknowledgement

Peter Butler, University of Liverpool, Liverpool

Brennan Goddard, CERN, Geneva

Beatriz Jurado, CENBG, Gradignan

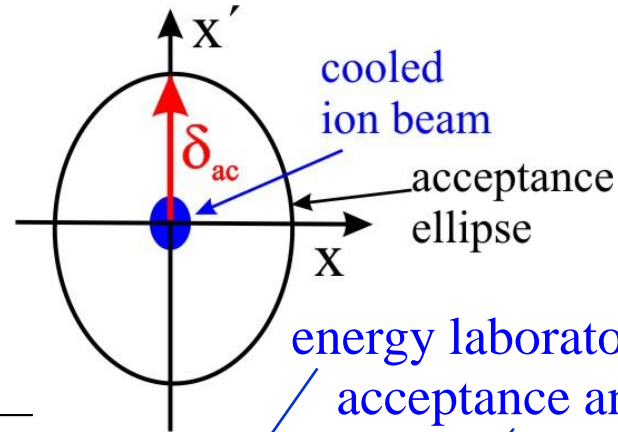
Shabab Sanjari, GSI, Darmstadt

Luc Sermeus, CERN, Geneva

Fredrik Wenander, CERN, Geneva

back-up

Single scattering in gas targets



-CMS System Rutherford scattering:

$$\frac{d\sigma}{d\Omega} = \frac{1}{4} \left(\frac{q \cdot Z \cdot e^2}{4 \cdot \pi \cdot \epsilon_0 \cdot 2 \cdot E_s} \right)^2 \frac{1}{\sin^4(\Theta/2)}$$

$$E_s = \frac{m_t}{m + m_t} E$$

$$\tan(\delta_{ac}) = \frac{\sin(\varphi_{ac})}{\cos(\varphi_{ac}) + \frac{m_t}{m}}$$

⇒ cross section for particle loss

$$\sigma_{sc} = \int_{\varphi_{ac}}^{\pi} \frac{d\sigma}{d\Omega} \cdot 2\pi \sin(\Theta) d\Theta = \frac{e^4 \cdot q^2 \cdot Z^2}{64 \cdot \pi \cdot \epsilon_0^2 \cdot E_s^2} \cot^2\left(\frac{\varphi_{ac}}{2}\right)$$

$$\delta_{ac} \approx 5 \text{ mrad}$$

⇒ life-time

$$T_{sc} = \frac{1}{\sigma_{sc} \cdot n_t \cdot f_0}$$

$^{232}\text{Th}^{71+}$ $E=2320$ MeV and ^3He target with $n_t=10^{13}$ 1/cm²:

$T_{sc} \approx 14000$ s (negligible)

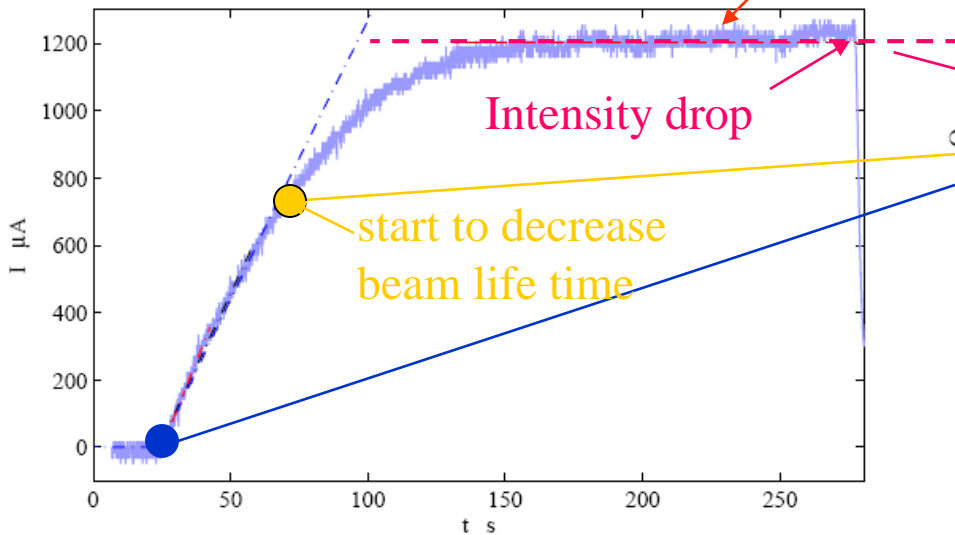
ECOOOL stacking with $^{12}\text{C}^{6+}$ ions (E=73.3 MeV) at the TSR

Intensity increase during ECCOL stacking

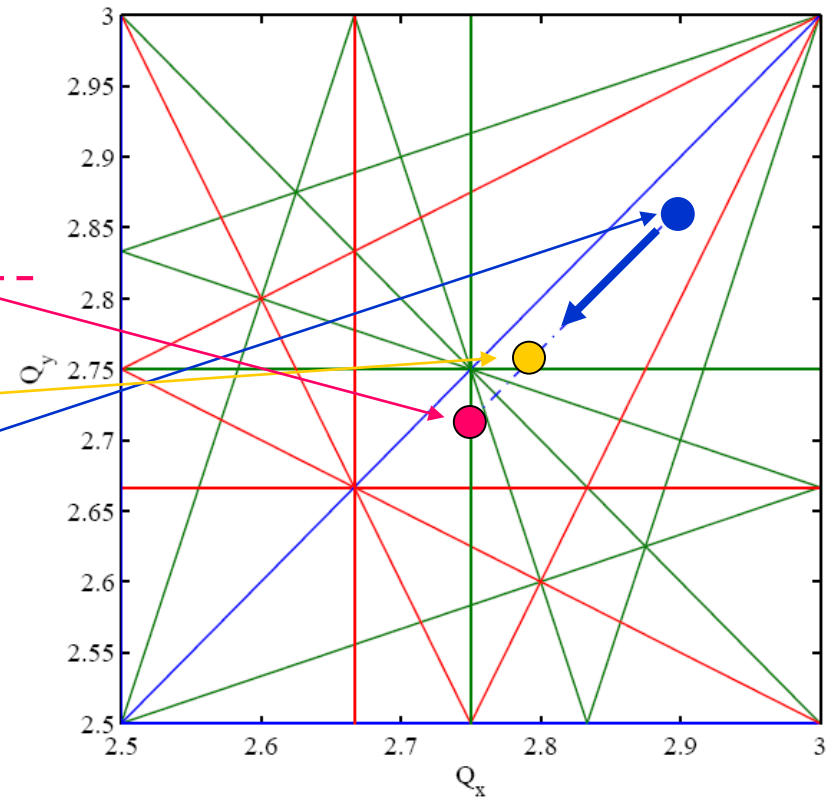
$$\frac{dI(t)}{dt} = n_r I_m - \frac{I(t)}{\tau}$$

$I(t)$ -stored intensity
 I_m -intensity stored with a multi turn injection
 n_r injection rate
 τ beam life time

$\tau \approx 1000$ s at low intensity



working diagram



fourth order resonance $Q=2.75$ should be avoided !

possible incoherent tune shift without reducing

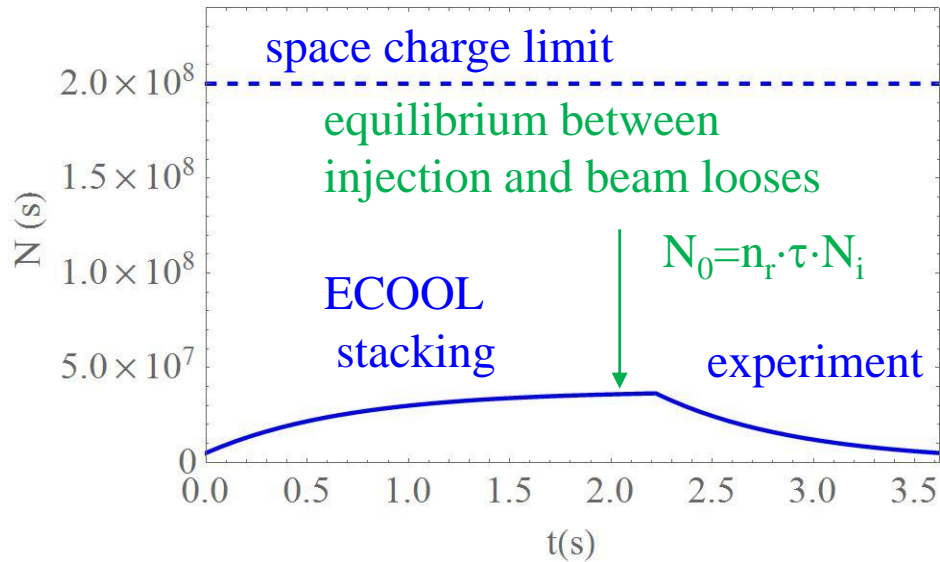
beam life time: $\Delta Q \approx 0.1$

$Q_x = 2.75$

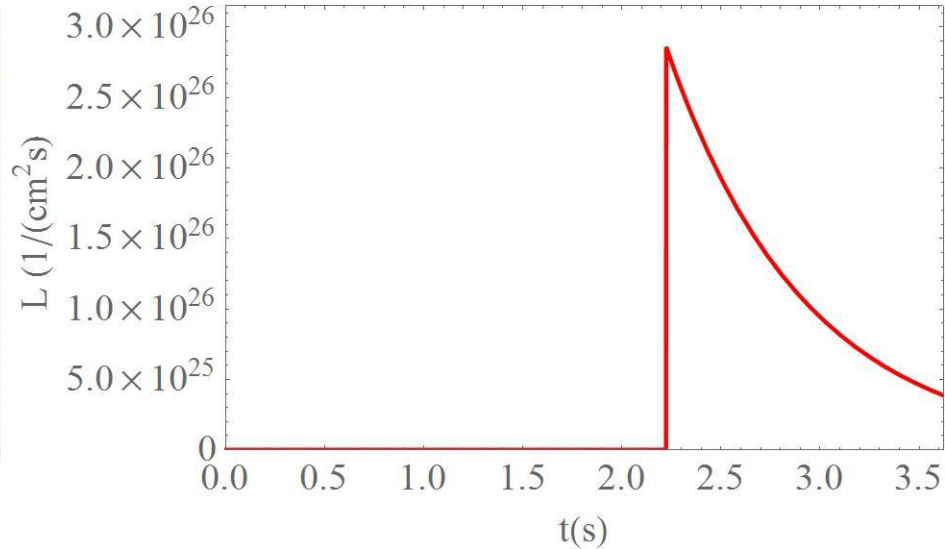
- fourth order resonances
- third order resonance

Ion Number and Luminosity

periodical change of $N(t)$



periodical change of luminosity



← target on →

life time: $\tau_1 = 0.7$ s

4 multi turn injections
with $N_i = 3 \cdot 10^7$ ions
and $n_r = 1.8$ 1/s

life time: $\tau_2 = 0.7$ s

measuring time
per period:
 $2 \cdot \tau_2$

$n_i = 10^{13}$ 1/cm²

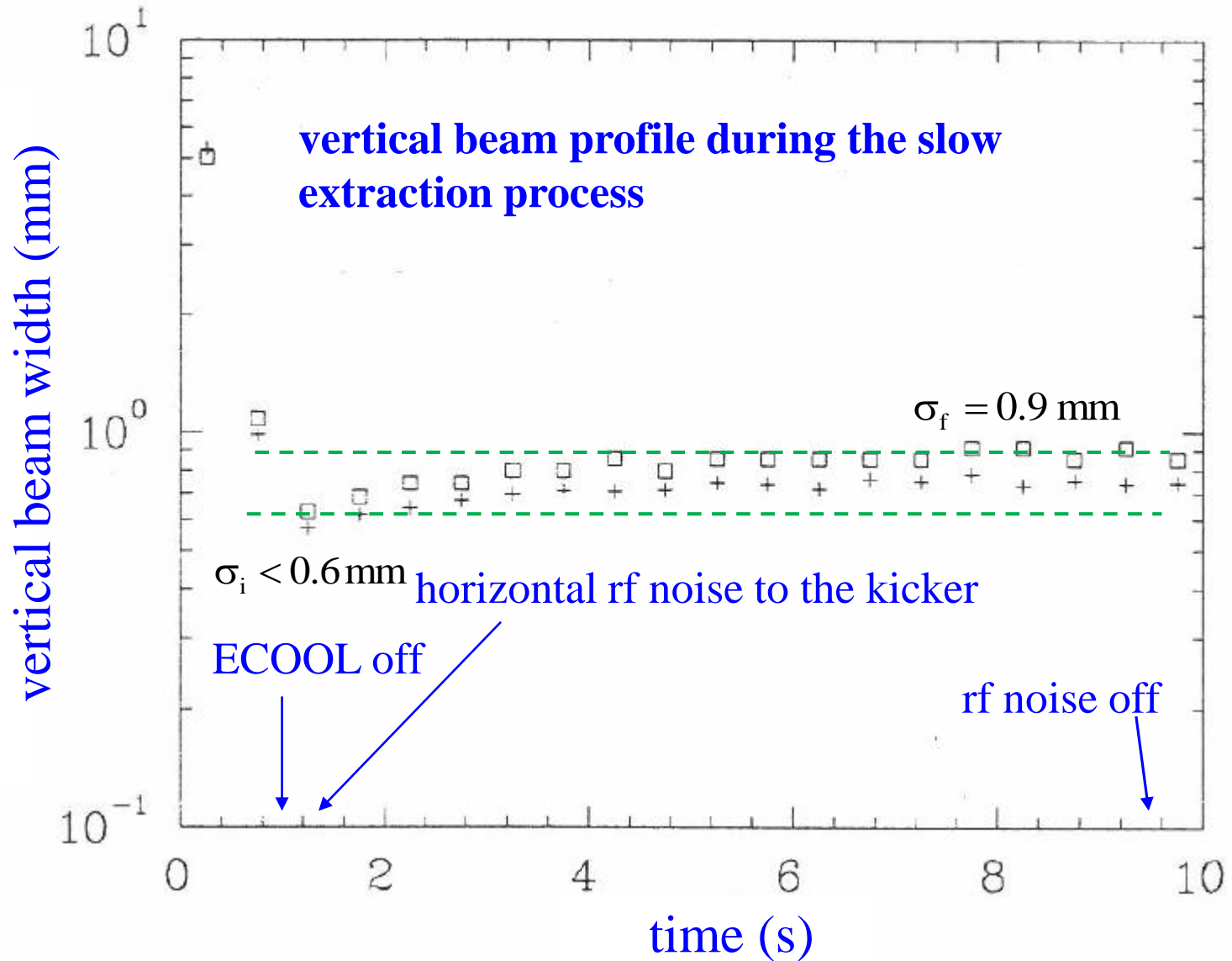
average luminosity:

$$\bar{L} = \frac{1}{T} \int_0^T L(t) dt$$

$$\bar{L} = 4.8 \cdot 10^{25} \text{ 1/(cm}^2\text{s)}$$

for $^{232}\text{Th}^{71+}$ beam $E = 2320$ MeV
($f_0 = 0.786$ MHz)

Time development of the vertical beam profile



Comparison of bunched and coasting beams

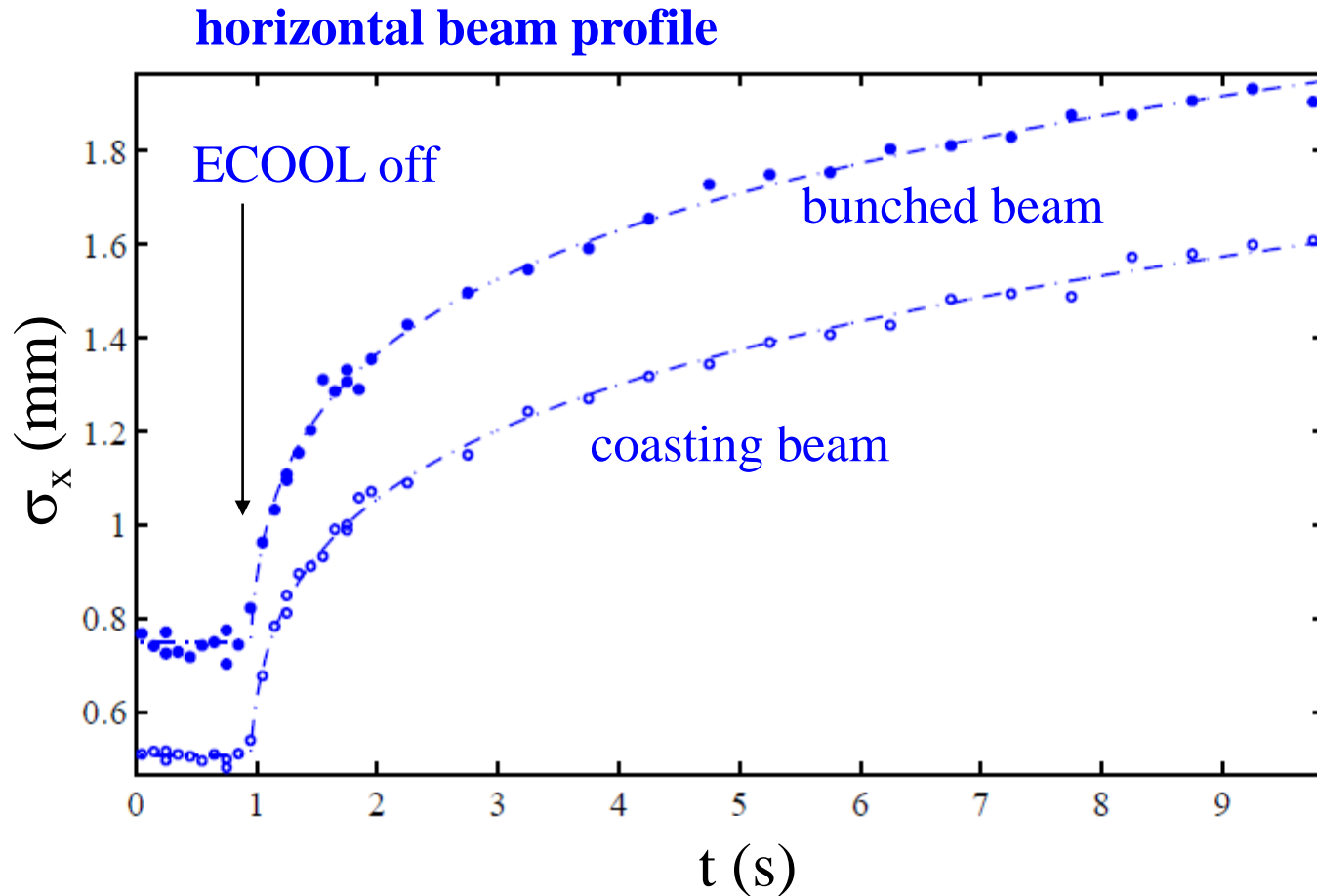
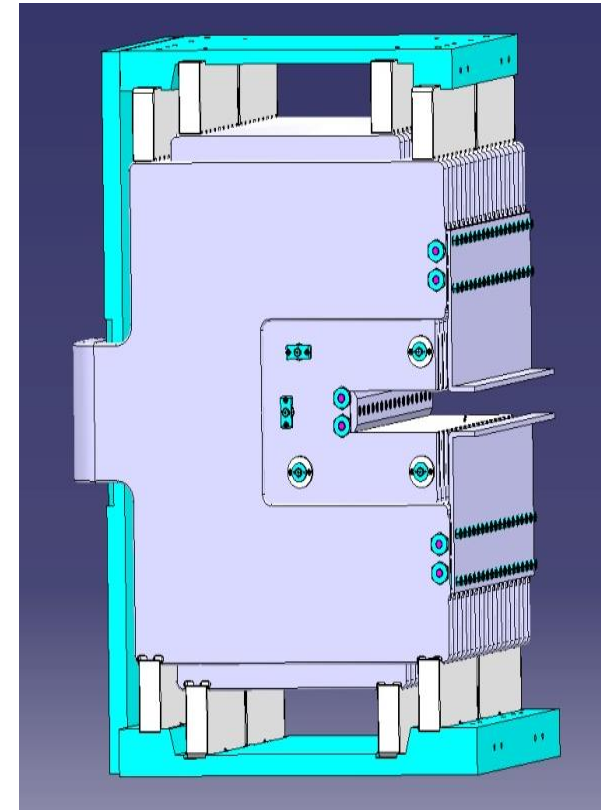


Figure 5.1: Expansion of the beam width due to IBS is measured with the 73.3 MeV coasting and bunched $^{12}\text{C}^{6+}$ ion beams at $50 \mu\text{A}$ ion current. The horizontal beam width of Gaussian profiles are shown as a function of time. The hollow markers are the data with the coasting beam and the solid markers are those with the bunched beam.

Elena Injection kicker → TSR fast extraction kicker ?

- Existing (1986), from AA ring
- Magnet installed into new vacuum tank to be bakeable up to 300 deg in situ
- HV power converter recuperated from AAC
- PFL (SF₆, 15 Ohm, 40kV) discharged by fast thyatron switches
- Terminated by matched resistor
- Pulse length can be adjusted with a dump thyatron
- Polarity reversal by swapping HV in/out cables in magnet connection box



slide from Wolfgang Bartmann (CERN), ELENA review CERN, 15-16 October 2013

ELENA Injection kicker parameters

slide from Wolfgang Bartmann (CERN), ELENA review CERN, 15-16 October 2013

Injection kicker magnet data	Unit		
Required angle @5.3 MeV	mrاد	84	
Effective magnetic length	mm	432	too small
Maximum B.l	mT.m	31.36	
Rise/Fall time (2-98) %	ns	200	
Flat top (max)	ns	~600	too small →
Aperture w × h	mm × mm	110 × 45	
Good field region, h × v (nominal ± 1 %)	mm × mm	72 × 36	
Magnet impedance	Ω	15	
Magnet transit time	ns	106.2	
Magnet termination	Ω	15	
Maximum magnet current/voltage	kA/kV	2600/40	
B max	mT	72.6	
Remnant B.l max	μT.m	75	

LEIR extraction kicker

from PIL/LEIR design report, C.Carli, M. Chanel, S. Maury

HV modulators:	No. of generators: 3	two modules are required
	Generator impedance: 15.7Ω	
	PFN: SF_6 pressurized at 10bar, 15.7Ω , ~83m, 97m & 131m cable	
	Transmission: 2 flexible sterling type 30Ω & 32Ω , ~41m cables, in parallel	
	Main Switch: EEV CX1171A/2 (from Marconi Applied Technologies)	
	Dump Switch: EEV CX1171A/2	
	Max. PFN voltage: 80kV (positive)	
	Max. load current: 2548A	
◆ Magnets:	No. of magnets/generator: 1	
	Type: ferrite loaded delay line	
	No. of cells: 18	
	Aperture w×h: 147mm×66mm	
	Effective length: 467.5mm	one module
	Delay: 90ns	
	Impedance: 15.7Ω	
◆ Kick:	$\int Bdl$ max per magnet: 22mT.m	
	$\int Bdl$ flat top uniformity: $\pm 0.5\%$	
	Rise time (1-99)%: 120ns	
	Rise time (2-98)%: 113ns	
	Length (max): ~690ns, 800ns & 1050ns (variable)	
◆ Filters:	Magnet output C: 570pF	
	Mag. Term. R+C: $40\Omega + 200pF$	
◆ Ferrite:	MS cathode lemos: CMD5005, tube OD=74.5mm, ID=35mm, L=50mm	
	Magnet input lemos: CMD5005, tube OD=74.5mm, ID=35mm, L=50mm	