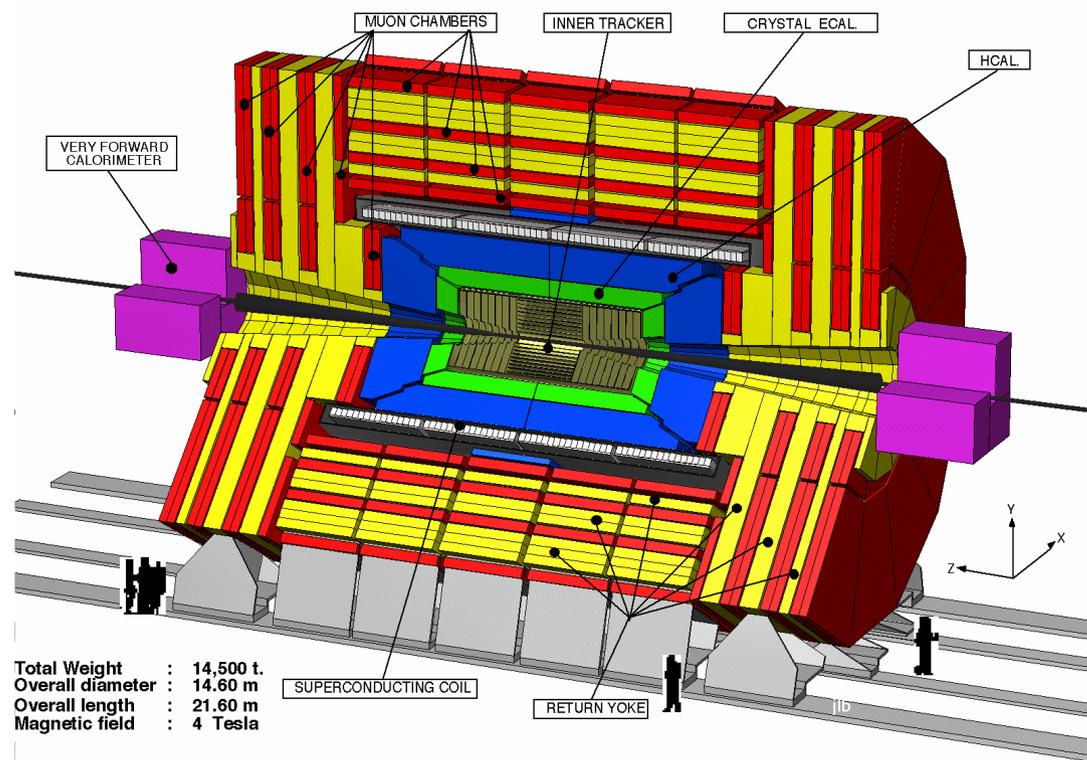


Jets in CMS

A Compact Solenoidal Detector for LHC



CMS LHCC Meeting, 19 January 1996

Overview 2

**Alexei Ulyanov (ITEP)
for CMS Collaboration**

CMS detector

Tracker

$|\eta| < 2.5$

Central calorimeters: $|\eta| < 3$

electromagnetic (ECAL)
crystal PbWO₄

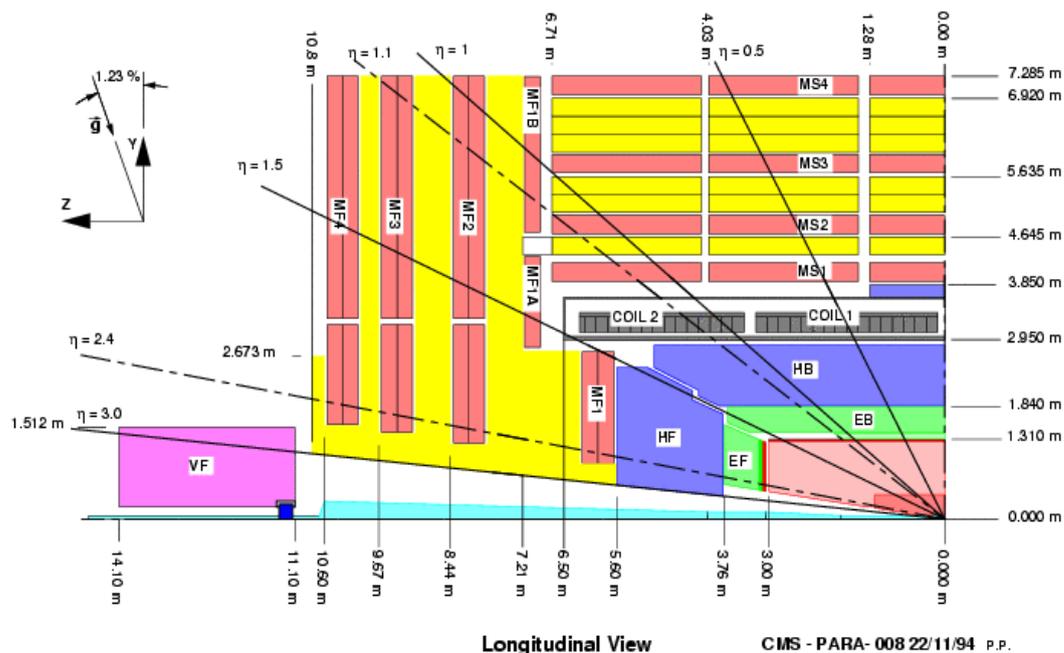
hadronic (HCAL: HB+HE+HO)
sampling calorimeter
scintillator and
brass absorber plates

forward calorimeter $3 < |\eta| < 5$
quartz fibers and iron

Muon system

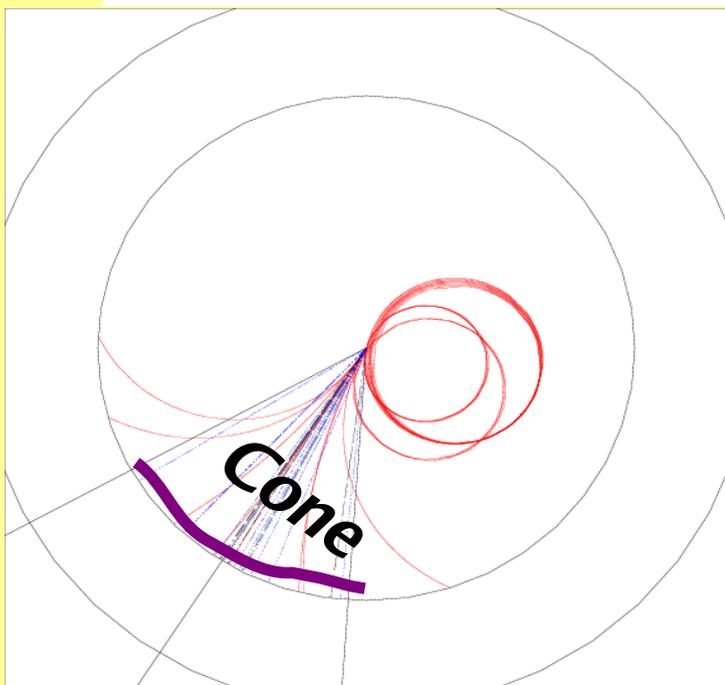
$|\eta| < 2.4$

CMS Longitudinal View



4 Tesla magnetic field

Detector effects influencing jet reconstruction



Magnetic field effect

Radius of ECAL front face $\sim 1.3\text{m}$

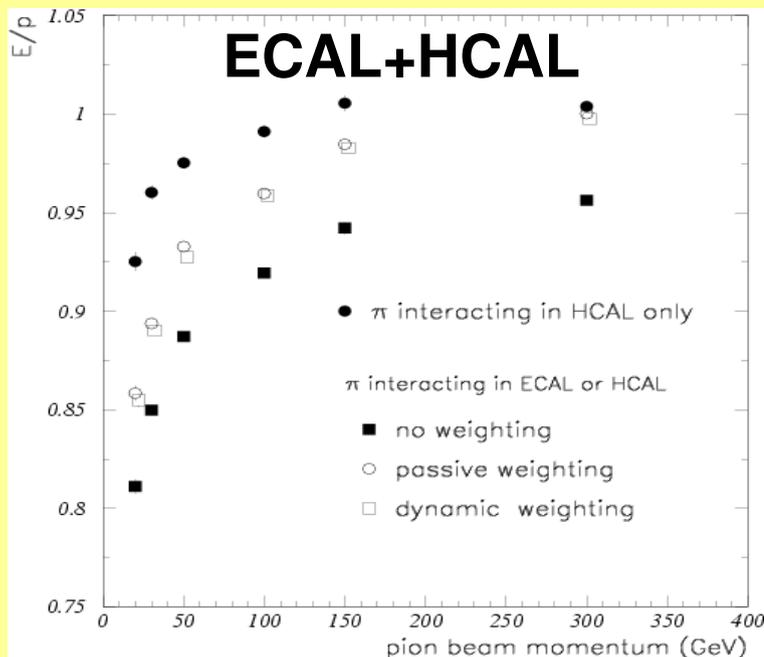
Charged particles with $P_T < 0.8 \text{ GeV}/c$ are loopers in barrel.

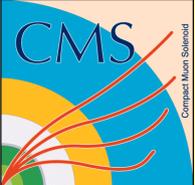
Charged particles with $P_T < 1.6 \text{ GeV}/c$ are deflected by ≥ 0.5 radians.

Silicon tracker and magnetic field allow the precise momentum measurements ($dp_T/p_T < 2\%$, $p_T < 100 \text{ GeV}$).

Nonlinearity of calorimeter response

- Central calorimetry ($|\eta| < 3$) consists of two compartments (ECAL and HCAL) and the two have different responses to electrons and hadrons (e/π). Forward calorimeter is a quartz-fiber calorimeter ($e/h \sim 5$) with very different response to em particles and hadrons.
- Jets have both hadronic (charged and neutrals) and electromagnetic components.





Factors influencing jet reconstruction (summary)

i) From jet physics (from parton to jet at particle level):

- **ISR and FSR**
- **Fragmentation**
- **Underlying event**

Leave for the physics channel study?

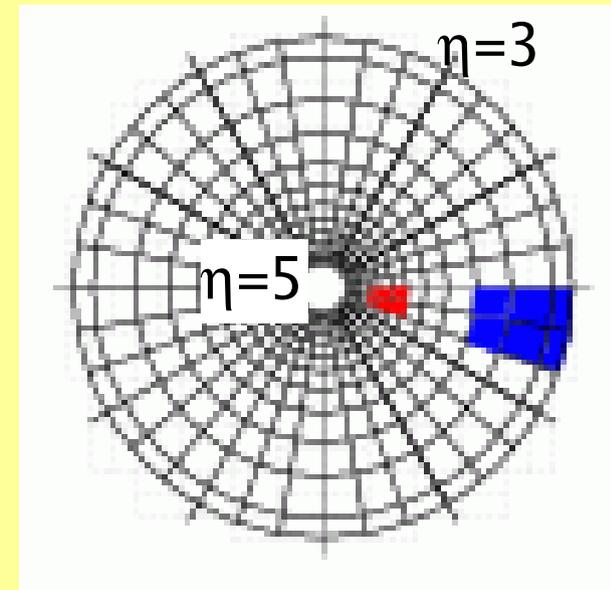
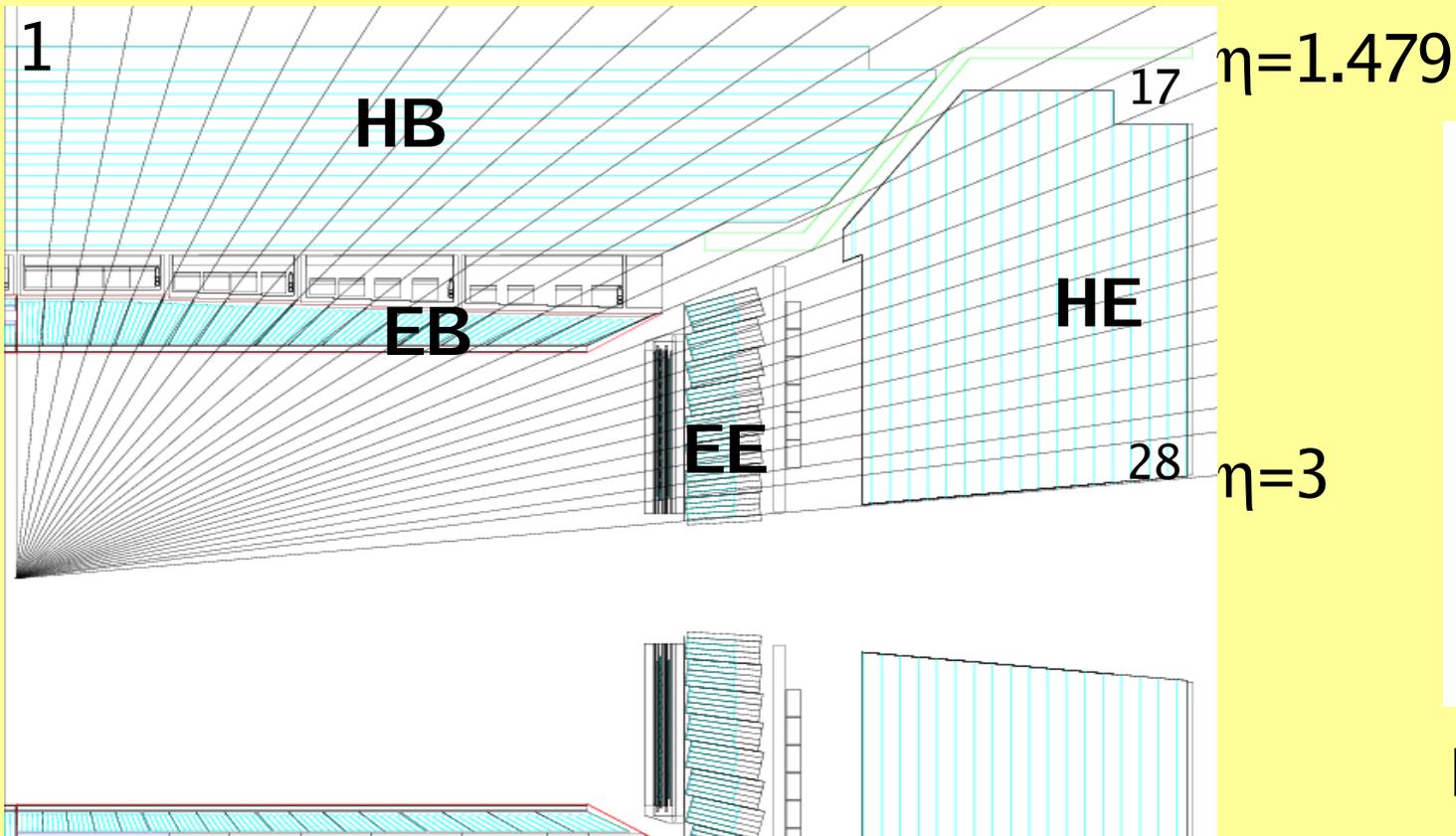
ii) From detector performance (from jet at particle level to calorimeter jet):

- **Calorimeter response to particles**
(e^\pm/γ vs π^\pm)
- **Magnetic field**
- **Electronic noise/tower thresholds**
- **Dead materials and cracks**
- **Longitudinal leakage for high-Pt jets**
- **Shower size, out of cone loss**
- **Pileup**

Develop common methods?

Jet reconstruction: Input

Input: ECAL+HCAL towers/HF towers



HF: 36 x 13 towers
 $\phi \times \eta : 0.175 \times 0.175$

ECAL+HCAL tower: HCAL tower + 5x5 crystals

$|\eta| < 1.74$

0.087×0.087

$1.74 < |\eta| < 3.0$

tower size ($\eta \times \phi$) increases from 0.087 to 0.175

Jet reconstruction: jet finders

- iterative cone algorithm:**
- take towers in a cone of radius R around a tower with highest E_T and calculate E_T -weighted η, ϕ
 - use the computed direction to seed a new cone
 - iterate until the cone position is stable
 - a stable cone makes a jet and its towers are removed from the list of input objects
 - no jet merging

- midpoint cone algorithm:**
- use iterative cone procedure to find stable cones starting from all towers with ET above a seed threshold (no tower is removed from the input list)
 - for every pair of close objects ($d < 2R$) a midpoint is calculated and is used as an additional seed;
 - splitting/merging procedure is applied (50% threshold)
 - CDF version (reduced cone size in the iterative stage)

Kt algorithm (cluster-based): starts with a list of objects: towers (particles)

$$d_i = (P_{T,i})^2 \times R^2; \quad R=1$$

$$d_{ij} = \min(P_{T,i}^2, P_{T,j}^2) \times R_{ij}^2; \quad R_{ij}^2 = (y_i - y_j)^2 + (\phi_i - \phi_j)^2$$

find the minimum of all the d_i and d_{ij} and label it d_{min}

$d_{min} = d_{ij}$ -> objects i and j are merged and replaced with a new object

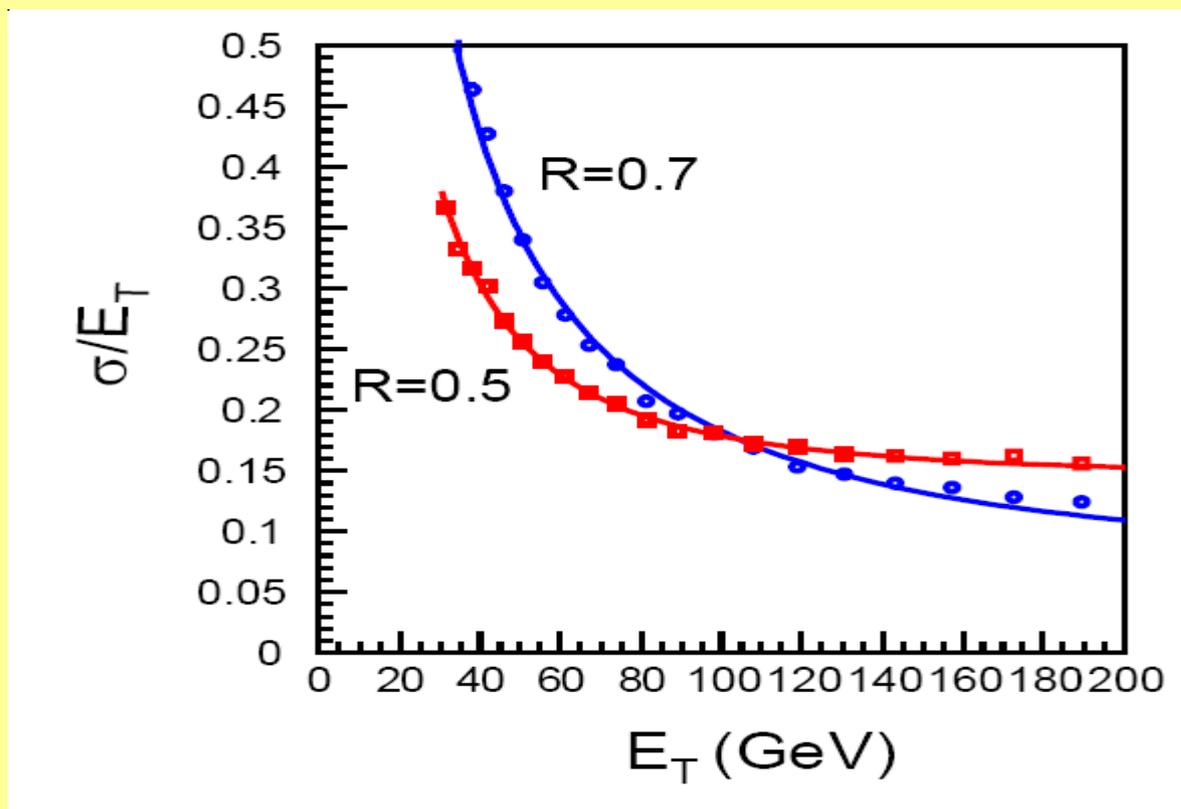
$d_{min} = d_i$ -> object i is a final jet

Jet finder parameters

Using E-scheme for object recombination (4-vector scheme)

Typical choice for the cone size is $R=0.5$ or $R=0.7$

$R=1$ for the Kt algorithm but it seems to collect too much energy from pile-up and underlying event



Jet resolution at high luminosity for two cone sizes

At particle level cone size $R=0.7$ was used



Noise and pileup events

CMS will take data with both pp and AA beams.

Electronic noise gives 5 GeV in a cone of 0.5 (η, ϕ) in barrel

pp-beam

In pp running, low luminosity pileup ($2 \times 10^{33} \text{ cm}^{-2}\text{s}^{-1}$) gives $E_T \sim 2.5$ GeV in a cone of 0.5 in pp in barrel region.

In pp running, high luminosity pileup ($10^{34} \text{ cm}^{-2}\text{s}^{-1}$) gives $E_T \sim 10$ GeV in a cone of 0.5 in barrel region.

AA beam

Pb-Pb central event gives $E_T \sim 200$ GeV in cone 0.5 in barrel and even higher in endcap.

The number of pileup min bias events decreases with decreasing luminosity during about (half a day) run.

Noise and pile-up have to be suppressed as a first step before any of jet reconstruction algorithms can be applied.

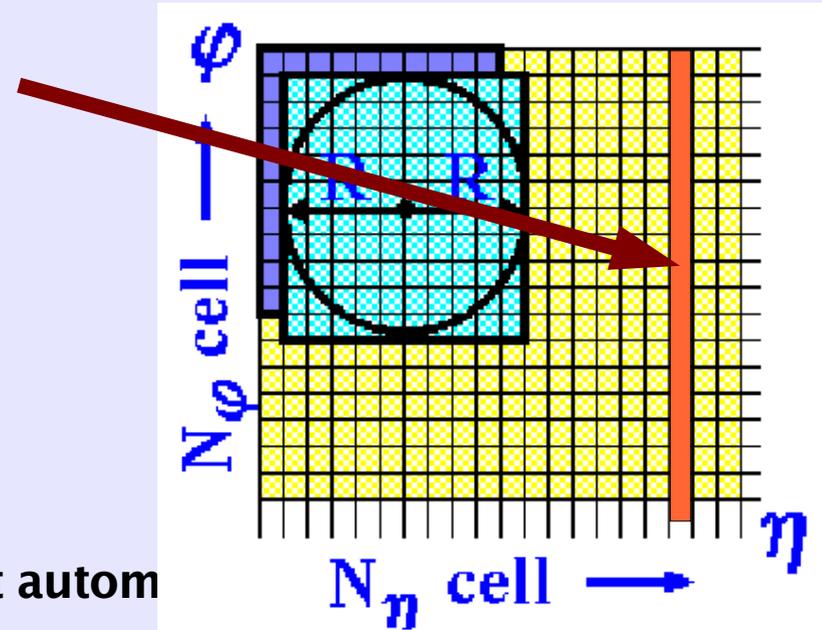
Noise and pileup suppression: subtraction based on mean value

mean value is determined over a large min bias event sample:

- constant cut on tower energy (E cut - noise subtraction)
- constant cut on tower transverse energy (E_t cut - noise and pileup subtraction)
- sliding window (E cut depending on pseudorapidity – advanced noise and pileup subtraction, possibly taking into account detector geometry)

mean value is determined on an event-by-event basis: pile-up subtraction algorithm

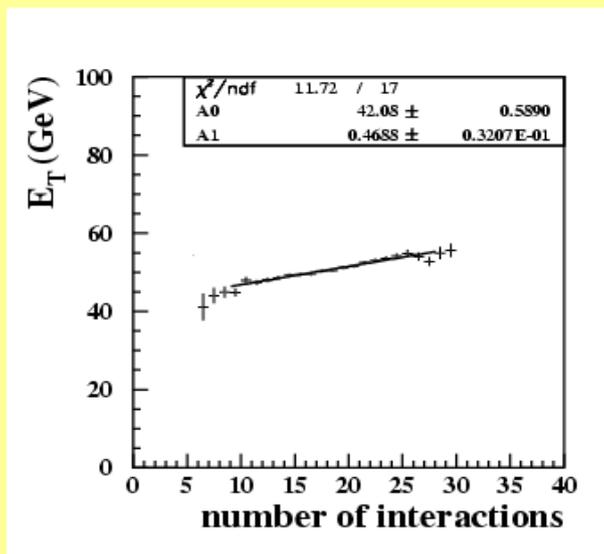
- calculate average energy and dispersion in tower (in eta rings) for each event
 - subtract average energy and dispersion from each tower
 - find jets with a jet finder algorithm (any) using the new tower energies
 - recalculate average energy and dispersion using towers free of jets
 - recalculate jet energies
- noise, pile-up, geometry are taken into account autom



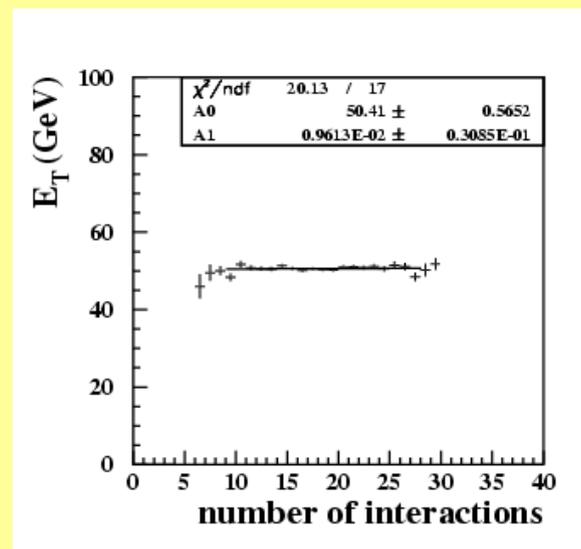
Pileup subtraction algorithm

50 GeV jet
pp, $L=10^{34} \text{ cm}^{-2}\text{s}^{-1}$

Without pile-up subtr

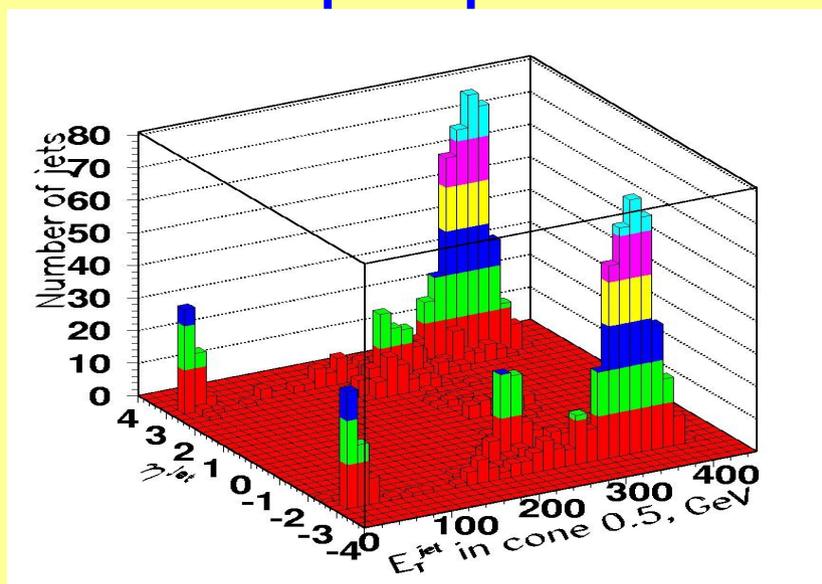


With pile-up subtr

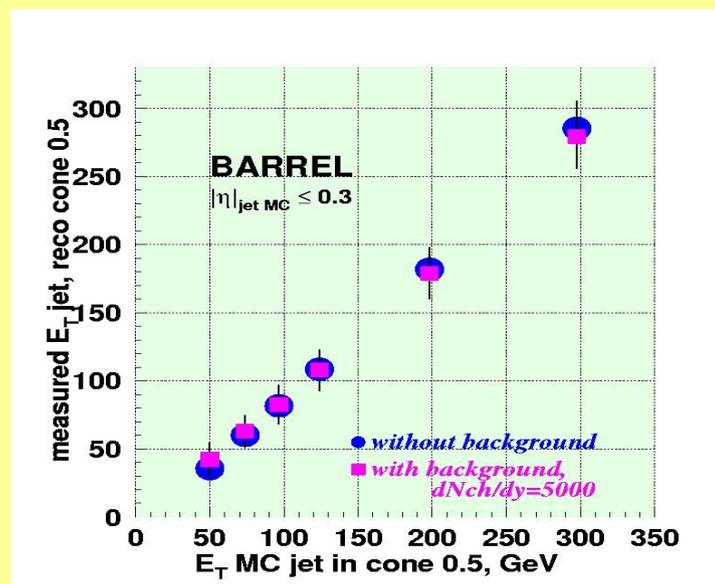


Without pile-up subtr

Pb+Pb
 $dN_{ch}/dy=5000$



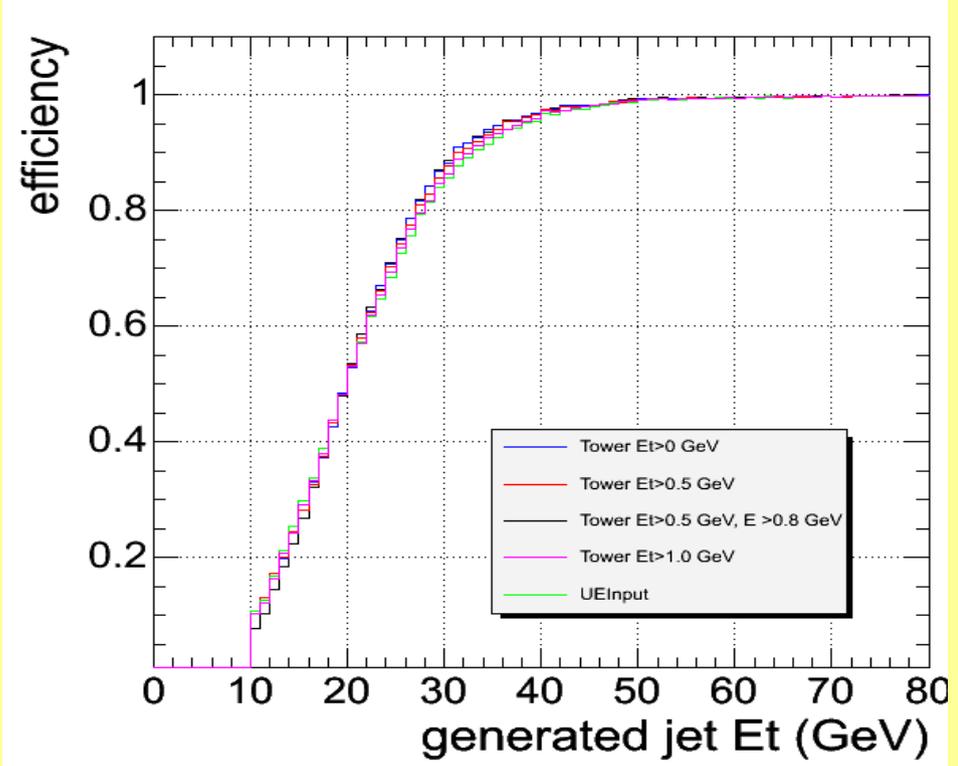
With pile-up subtr



Efficiency and fake jet rate

Cut on the reconstructed E_T is applied depending on the specific choice of calorimeter tower threshold: 50% efficiency for the generated jets with $E_T=20$ GeV

| Tower threshold(GeV) | $ET>0$ | $ET>0.5$ | $ET>0.5, E>0.8$ | $ET>1$ | $E>E_{cut}(\eta)$ |
|--------------------------------------|--------|----------|-----------------|--------|-------------------|
| Reconstructed jet ET threshold (GeV) | 15 | 10.1 | 8.46 | 5.86 | 5.6 |
| Fake rate (jets/event) | 2 | 1.98 | 1.64 | 2.1 | 2.29 |



Luminosity= $2 \times 10^{33} \text{ cm}^{-2}\text{s}^{-1}$

The fake rates are calculated from dijets event samples with $50 \text{ GeV} < p_{\text{That}} < 80 \text{ GeV}$

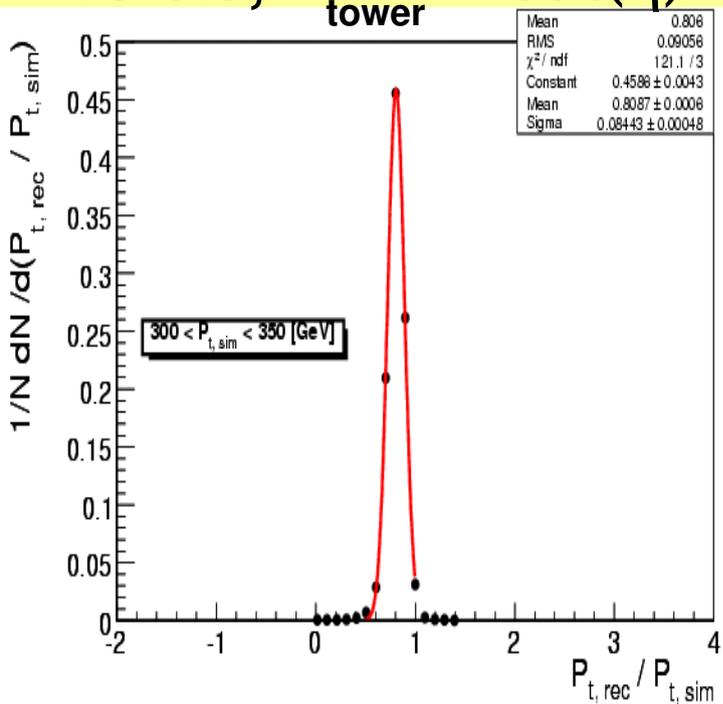


Energy resolution before corrections for different algorithms and parameters

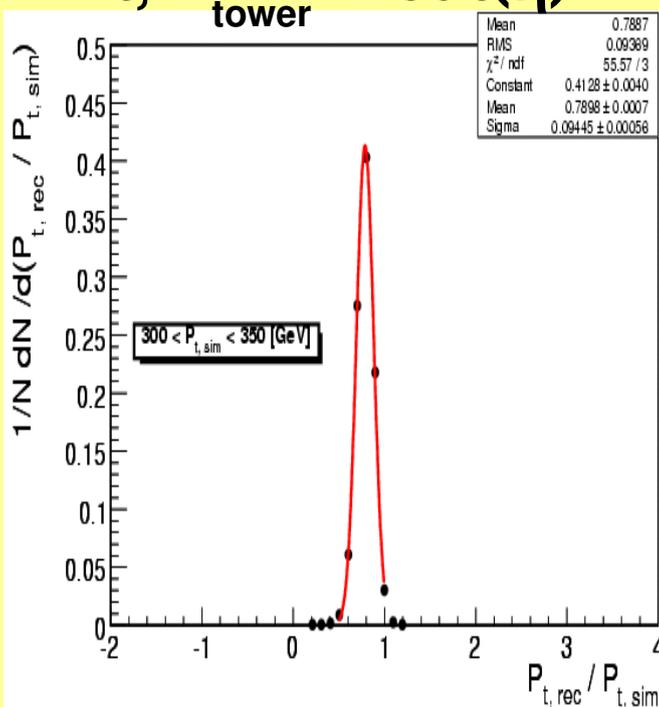
$E_T^{\text{tower}} > 0.5 \text{ GeV}, E_T^{\text{tower}} > 0.8 \text{ GeV}$

| Algorithm | $ \eta < 1.4$ | $1.4 < \eta < 3.0$ | $3.0 < \eta < 5.0$ |
|--------------|--|--|--|
| IC, DR < 0.1 | $6.6/E_T^{\text{gen}} + 1.39/\sqrt{E_T^{\text{gen}}} + 0.036$ | $7.9/E_T^{\text{gen}} + 0.7/\sqrt{E_T^{\text{gen}}} + 0.048$ | $3.24/E_T^{\text{gen}} + 0.48/\sqrt{E_T^{\text{gen}}} + 0.077$ |
| IC, DR < 0.2 | $7.5/E_T^{\text{gen}} + 1.44/\sqrt{E_T^{\text{gen}}} + 0.034$ | $8.5/E_T^{\text{gen}} + 0.67/\sqrt{E_T^{\text{gen}}} + 0.049$ | $4.1/E_T^{\text{gen}} + 0.2/\sqrt{E_T^{\text{gen}}} + 0.087$ |
| Kt, DR < 0.2 | $10.6/E_T^{\text{gen}} + 1.57/\sqrt{E_T^{\text{gen}}} + 0.027$ | $13.5/E_T^{\text{gen}} + 1.06/\sqrt{E_T^{\text{gen}}} + 0.038$ | $6.5/E_T^{\text{gen}} + 0.089$ |

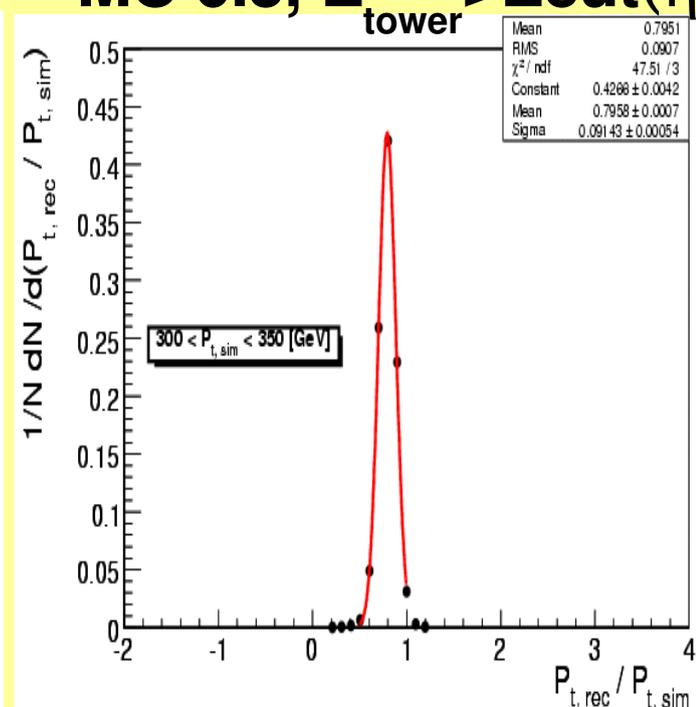
IC 0.5, $E_{\text{tower}} > E_{\text{cut}}(\eta)$



Kt, $E_{\text{tower}} > E_{\text{cut}}(\eta)$



MC 0.5, $E_{\text{tower}} > E_{\text{cut}}(\eta)$



Matching criterion: $DR = \sqrt{(\phi_{\text{jet}}^{\text{rec}} - \phi_{\text{jet}}^{\text{gen}})^2 + (\eta_{\text{jet}}^{\text{rec}} - \eta_{\text{jet}}^{\text{gen}})^2} < 0.2$



Jet reconstruction procedure in CMS:

II) To apply jet energy correction

Jet based ($|\eta| < 4.5$):

- 1) $E = a \times (EC + HC)$, a depends on $\text{jet}(E_T, \eta)$
- 2) $E = a \times EC + b \times HC$, a, b depend on $\text{jet}(E_T, \eta)$

from data: $\gamma/Z + \text{jet}$, masses (Z, W, \dots)

from Monte-Carlo generators

Particle based ($|\eta| < 4.5$):

- 3) $E = \text{em} + \text{had}$ (requires to separate em/had clusters)

$\text{em} = a \times EC$ for e/γ

$\text{had} = b \times EC + c \times HC$, for hadrons.

b (c) depend on EC (HC)

Use of tracks ($|\eta| < 1.9$):

- 4) $E = E_0 + (\text{Tracks swept away by 4T field})$
- 5) $E = EC(e/\gamma + \text{neutral}) + HC(\text{neutral}) + \text{Tracks}$

Monte-Carlo corrections

At the startup of the experiment we will have to use jet energy corrections derived from simulations.

Response = $ET_{\text{reconstructed_jet}}/ET_{\text{generated_jet}}$

Correction = $1/\text{Response}$ as a function of E_T and η of jet

MC jet corrections depend on the jet finding algorithm, on the cone size, on the level of noise and pile-up -> **a set of curves vs (P_T, η) is needed**

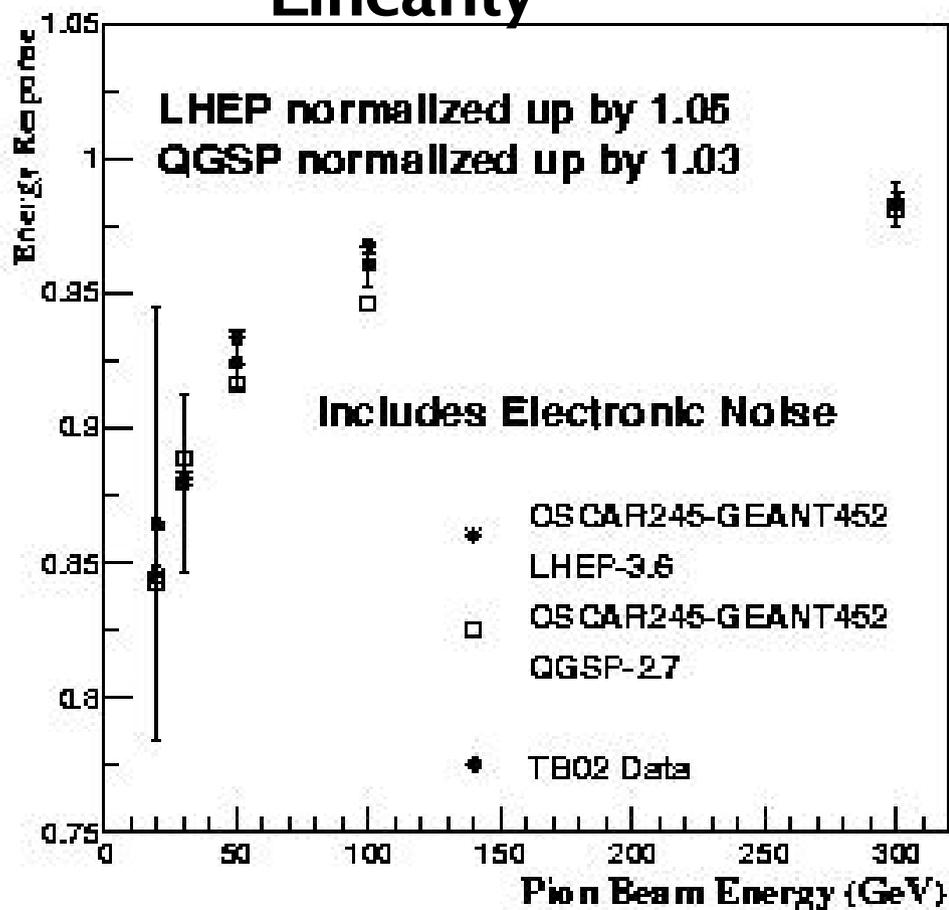
In simulations the observed jet response is different between quark and gluon jets

- > corrections are sensitive to q/g fractions in a jet sample
- > corrections are sensitive to particle multiplicity and momentum distributions in a jet (need to tune MC generator to the experimental data)

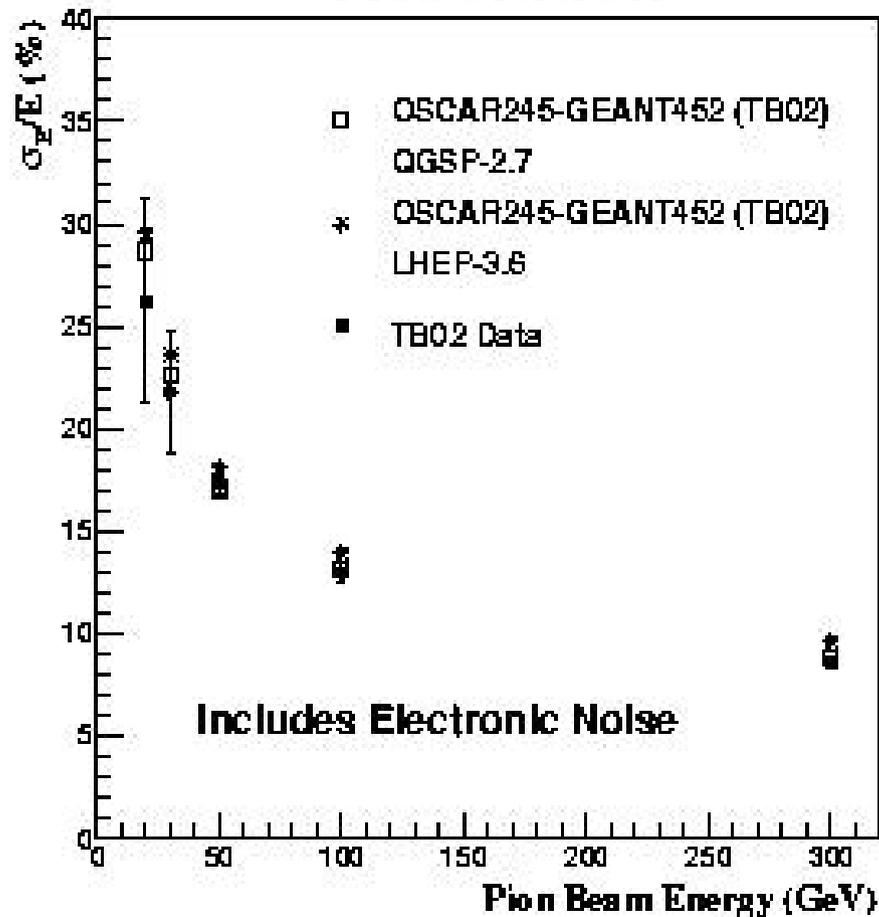
Need to tune and verify the detector simulation with test beam data

Data/Geant4 comparison (pions)

Linearity



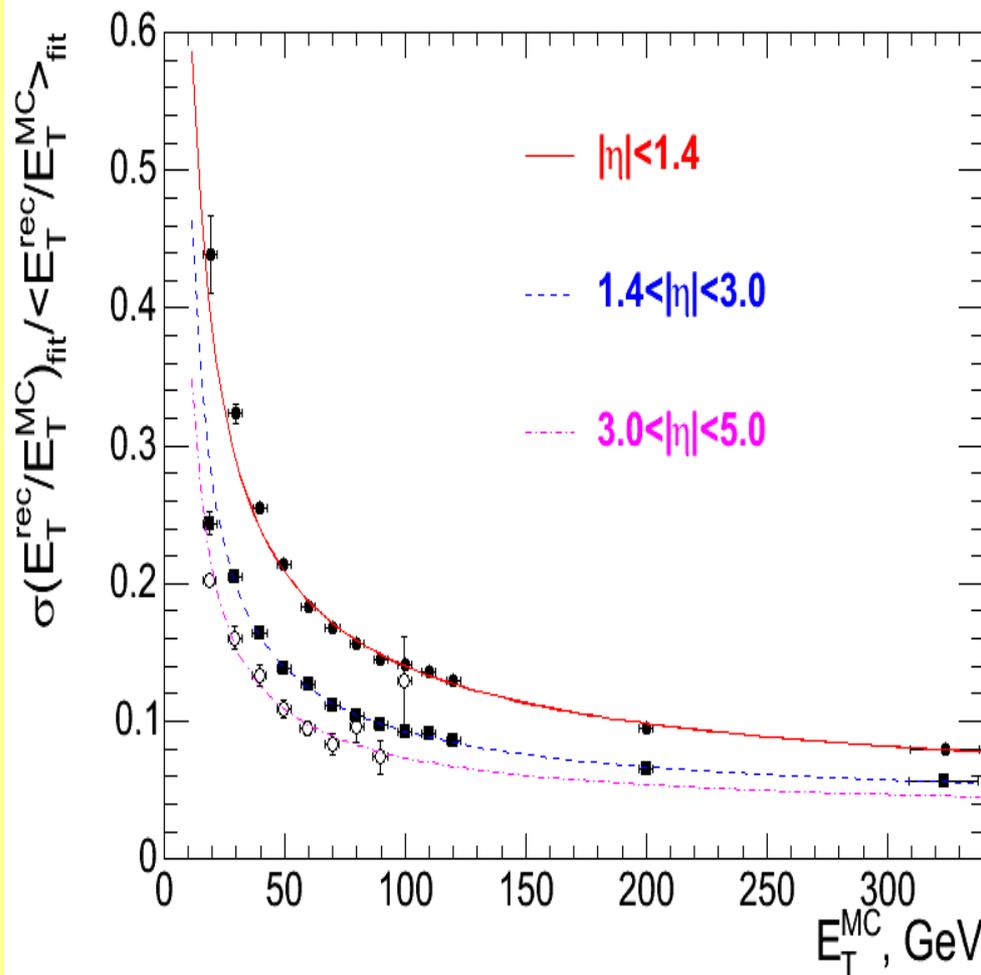
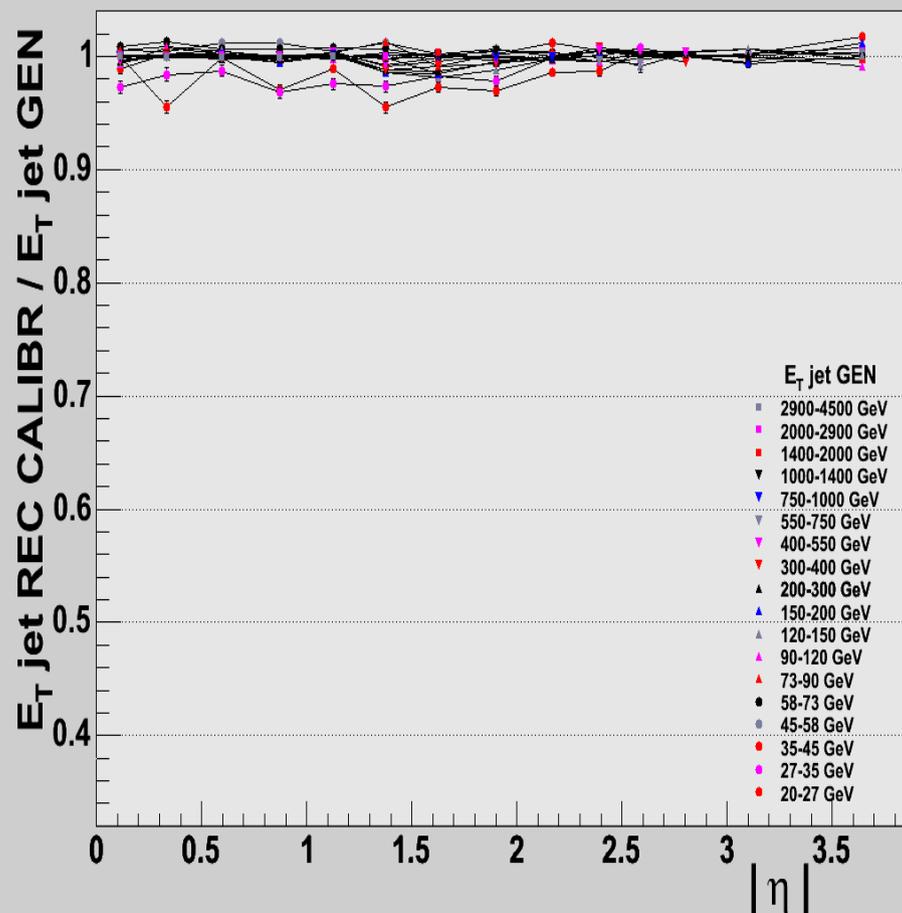
Resolution



Now taking further steps to verify the detector simulation for low energy particles

Jet response linearity and energy resolution after MC corrections

MC Jets Cone 0.5 - AFTER MC JET CALIBRATION

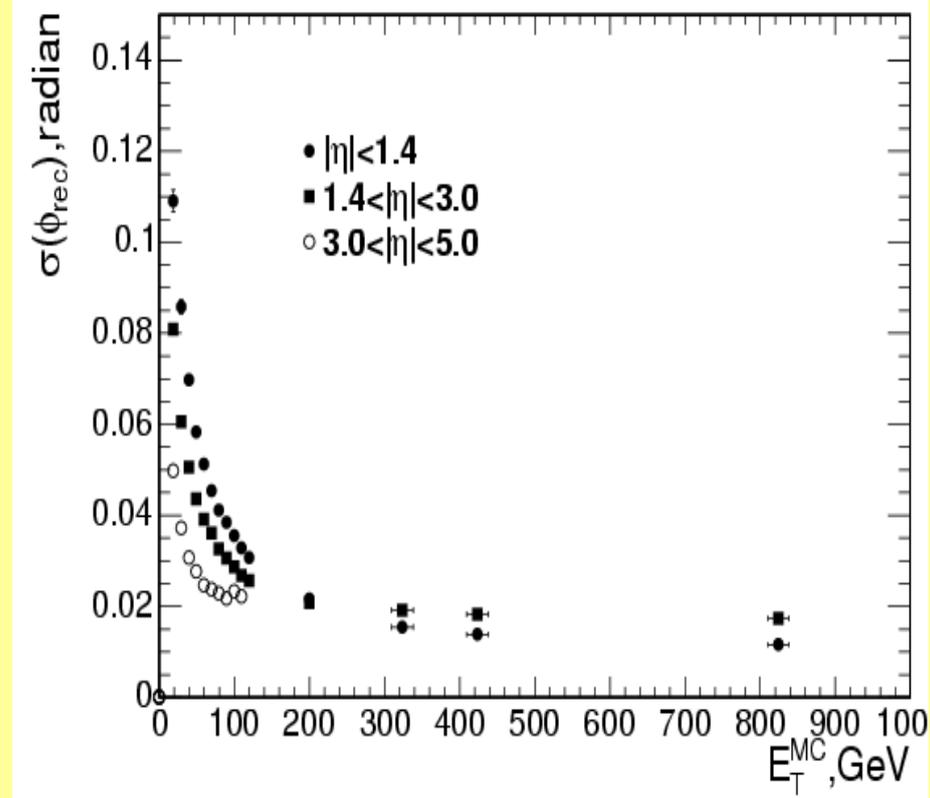
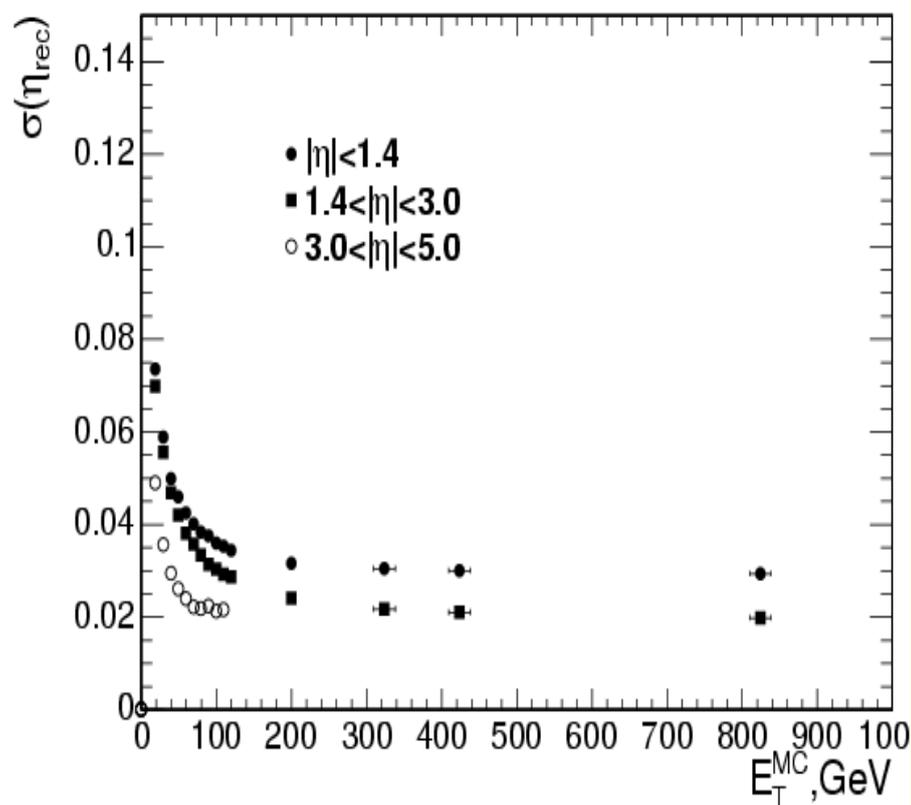


Barrel:

resolution after correction = $5.6/E_T^{\text{gen}} + 1.25/\text{sqrt}(E_T^{\text{gen}}) + 0.033$

η and ϕ resolution

Iterative cone 0.5



The sizes of towers ($\eta \times \phi$):

$|\eta| < 1.74$ 0.087×0.087

$1.74 < |\eta| < 3.0$ the granularity in ($\eta \times \phi$) increases from 0.087 to 0.175

$3.0 < |\eta| < 5.191$ 0.175×0.175

The resolution is less than the size of a tower in the entire eta range



Jet calibration from physics events

γ/Z +jet and $W \rightarrow jj$ (from $t\bar{t}$ production) samples will give the first estimation of the absolute energy scale. Dijet events can be used to establish the relative energy scale for different rapidities

Application area:

γ +jet correction is applied to parton (direct use of the initial γ -jet E_T balance)

$$E_T^{\text{parton}} = E_{T\text{jet}}^{\text{reco}} / k_{\text{jet}}^{\text{true}}, \quad k_{\text{jet}}^{\text{true}} = E_{T\text{jet}}^{\text{reco}} / E_{T\text{parton}}, \quad k_{\text{jet}}^{\text{meas}} = E_{T\text{jet}}^{\text{reco}} / E_{T\gamma/Z}$$

γ +jet correction is applied to particle jet with the additional MC correction taking into account the difference between parton and particle jet:

$$E_{T\text{jet}}^{\text{ptcl}} = E_{T\text{jet}}^{\text{parton}} \times k_{\text{jet}}^{\text{ptcl}}$$

Features:

γ +jet correction depends on the jet finding algorithm, on the cone size, on the level of noise and pile-up in event. -> **a set of curves vs (P_T, η) is needed**

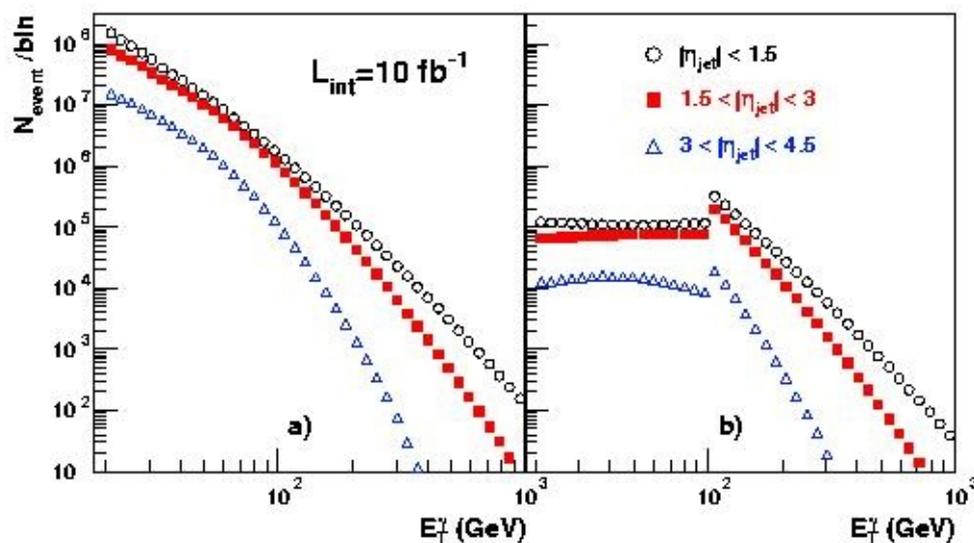
γ +jet correction has systematics connected with parton species and selections to suppress background. In γ +jet sample there are 90% of q and 10% of g jets. There is a background from the dijet events (with leading π^0).

The trigger and rate of γ +jet events

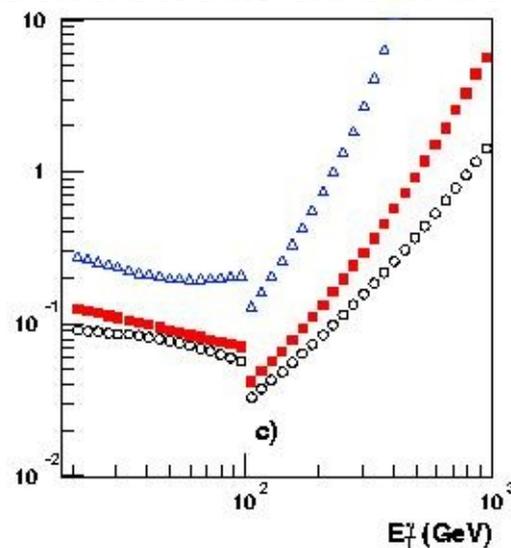
e/γ trigger:

$p_T > 80$ GeV – all events with isolated e/γ cluster in calorimeters

$p_T < 80$ GeV - Isolation of e/γ in calorimeters and pixel detector at Level 1-Level2 and rescaling to have rate at the level of a few Hz



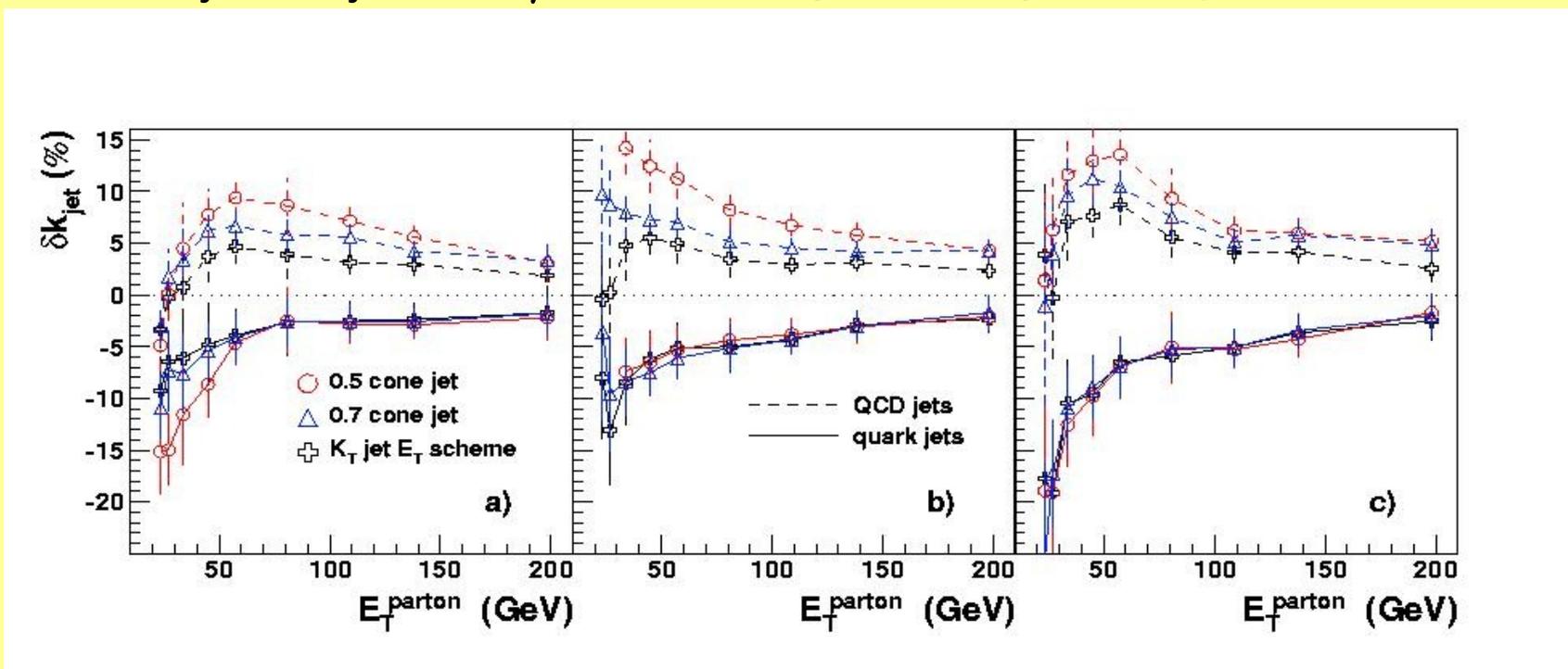
Statistical accuracy (%)



γ +jet calibration

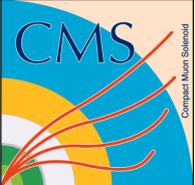
The relative systematic bias for the different samples: $(k_{\text{jet}} - k_{\text{true}})/k_{\text{true}}$

$$k_{\text{jet}} = E_{T\text{jet}}^{\text{reco}}/E_{T\gamma}$$

$$k_{\text{jet}}^{\text{true}} = E_{T\text{jet}}^{\text{reco}}/E_{T\text{parton}}$$


The main sources of systematic bias are:

- bias due to radiation effects
- background from QCD dijet events
- event selection may bias true energy scale



Cluster based corrections (energy flow)

- Fine ECAL granularity allows the reconstruction of energy clusters corresponding to single particles. Depending on the energy deposited in HCAL these clusters can be tagged as hadrons or em particles.
- Hadrons that have not interacted in ECAL can be identified as pure HCAL clusters. However, the cluster separation is worse in HCAL.
- The energy of “hadronic” clusters can be corrected for non-linear response as

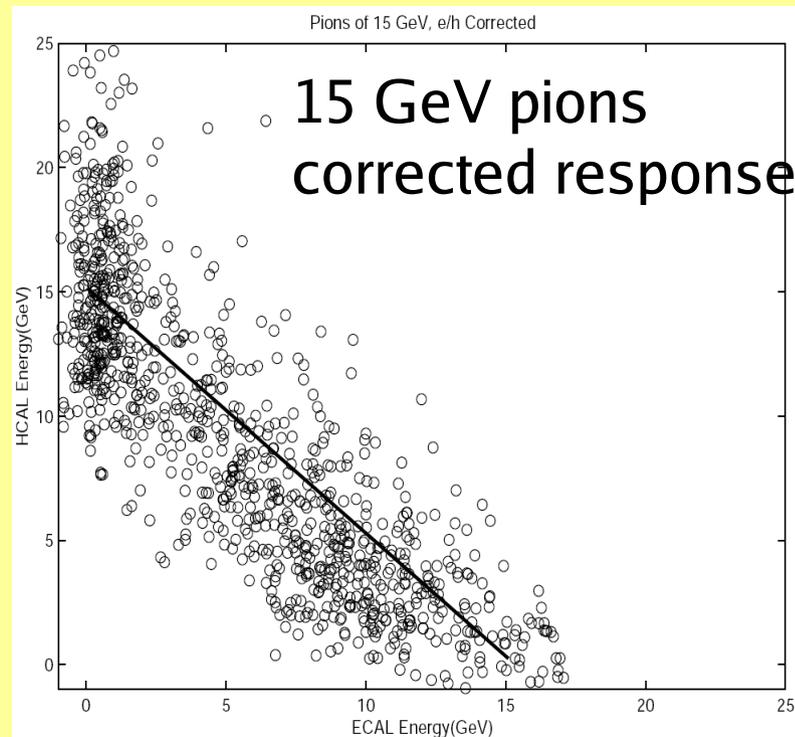
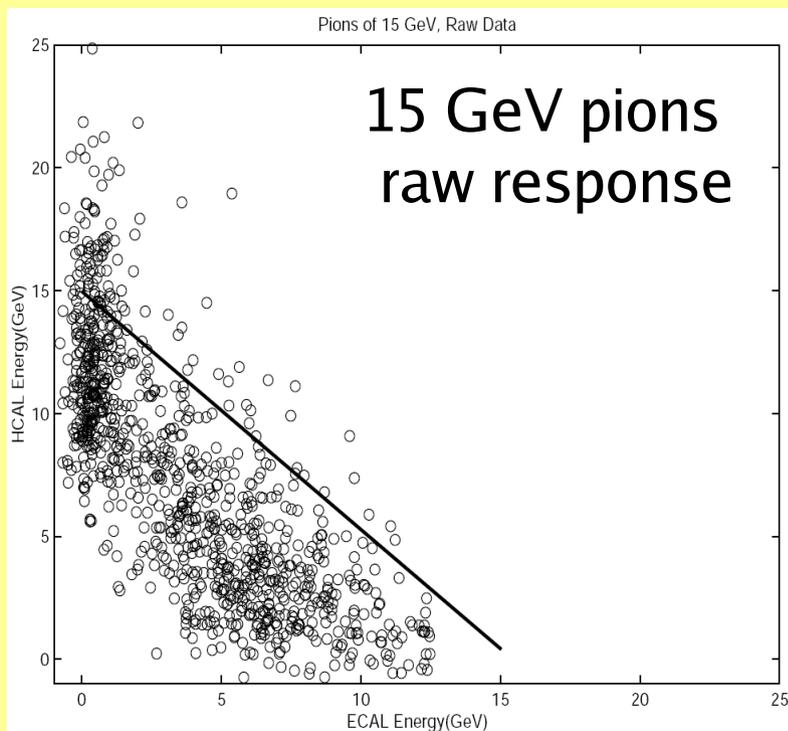
$$E = (e/\pi)_{ecal} E_{ecal} + (e/\pi)_{hcal} E_{hcal},$$

$$(e/\pi)_{(ecal, hcal)} = \frac{(e/h)_{(hcal, ecal)}}{1 + ((e/h)_{(hcal, ecal)} - 1) f_0},$$

$$f_0 = a [\log(E_{ecal} + E_{hcal})]^b.$$

Cluster based corrections (cont'd)

- The (e/π) ratios for ECAL and HCAL parameterized as functions of raw measured $(E_{ecal} + E_{hcal})$ have been fitted to the test beam data.
- Single pion response corrected using these parameterizations shows much improved linearity versus particle energy as well as improved energy resolution in the test beam data analysis.



No results for jets yet



Jet energy correction with charged particle tracks

response subtraction procedure, CMS NOTE 2004/015, published in EPJC:<http://dx.doi.org/10.1140/epjcd/s2005-02-004-2>

Jet energy = Response to charged + Response (e/γ) + Response (neutrals)

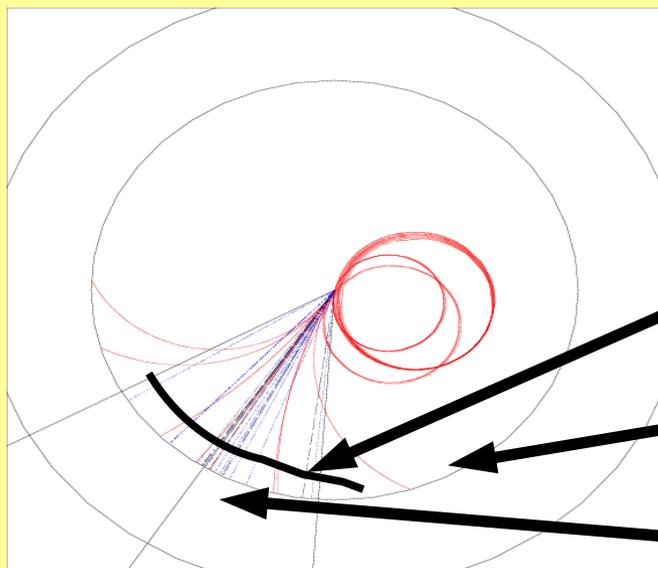
Replace response to charged hadrons of jet in reconstruction cone with energy of charged particle tracks from Tracker.

Jet energy corrected = $\text{sum}(P_{in}) + \text{sum}(P_{out}) + \text{Response (e/}\gamma + \text{neutral)}_{ECAL} + \text{Response (neutral)}_{HCAL}$

◆ Add tracks out of reconstruction cone

Expected response of charged particles can be calculated in different ways:

e/π technique, library of responses, matched clusters



Track in cone (Pin)

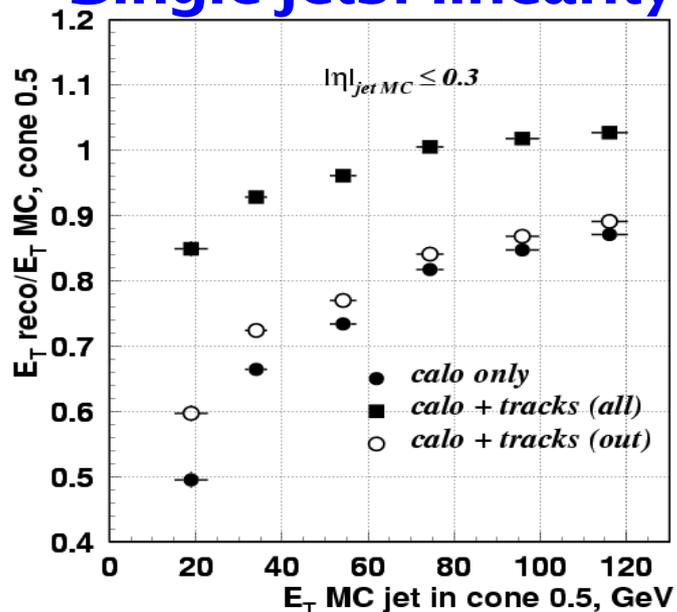
Track out of cone (Pout)

Calorimeter response in cone

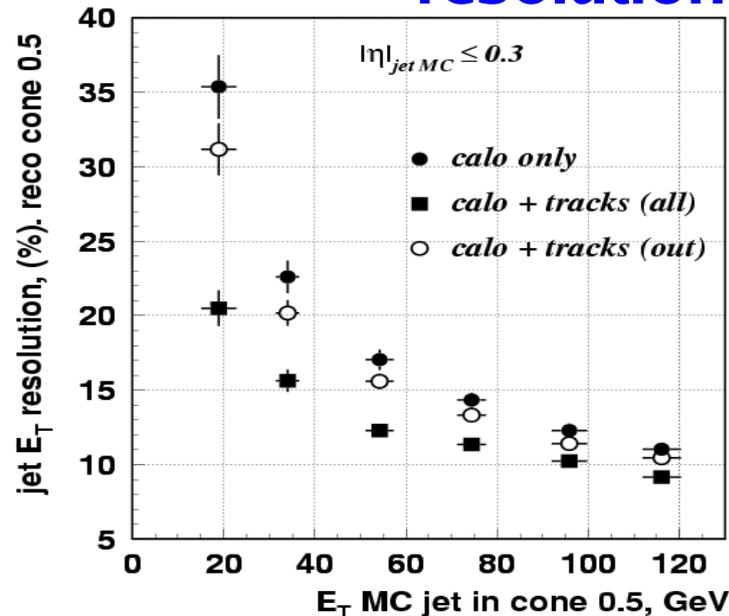
Remark: *e/π* technique (Dan Green, Energy flow in CMS Calorimetry, Fermilab-FN-0709, V.V.Abramov et al, CMS NOTE 2000/003). TB2002 and TB2006 will be used to estimate the particle response

Jet energy correction with charged particle tracks (example)

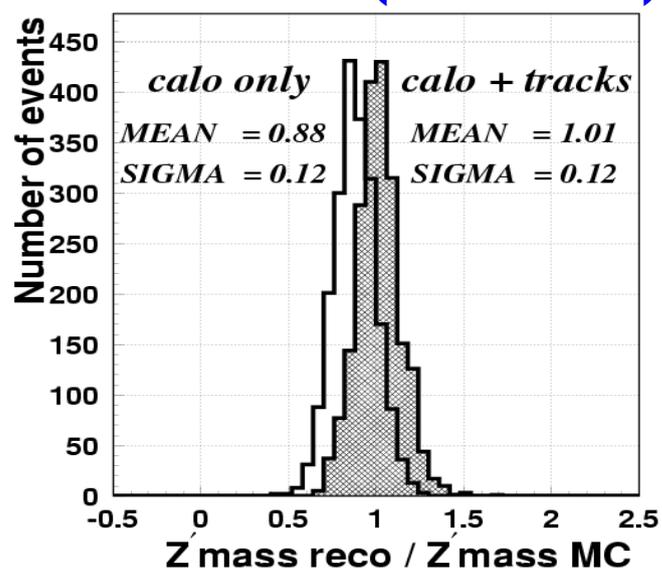
Single jets: linearity



resolution



Mass of Z' (120 GeV)



$\langle M_{rec} / M_{gen} \rangle$ and σ at $L = 2 \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$

| <i>Resonance</i> | <i>Calo</i> | <i>Calo + tracks</i> |
|---------------------|---------------|----------------------|
| Z' -> jj(120 GeV) | 0.88 +/- 0.12 | 1.01 +/- 0.12 |
| H -> bbbar(125 GeV) | 0.84 +/- 0.11 | 1.006 +/- 0.11 |

Improvement in fractional resolution ~ 15%

The association of the primary vertex and jet

- Jets are found in calorimeters
- a set of event vertices is found with reconstruction in tracker.
The signal hard collision/trigger vertex is identified.
- reconstructed tracks from the signal vertex that have impact in ECAL within jet cone are identified for each jet.

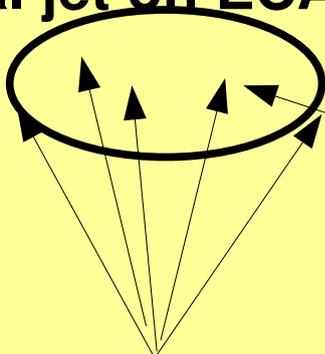
Criterion α :

- the ratio of the sum of transverse momenta of all tracks found inside the jet cone and coming from the signal vertex to the transverse momentum of jet ($\alpha = \text{sum}(P_{T\text{jet}}^{\text{track}}) / P_T^{\text{jet}}$) is calculated.

The jet vertex should satisfy: $|Z_{\text{vertex}}^{\text{track}} - Z_{\text{vertex}}^{\text{primary}}| < dZ$

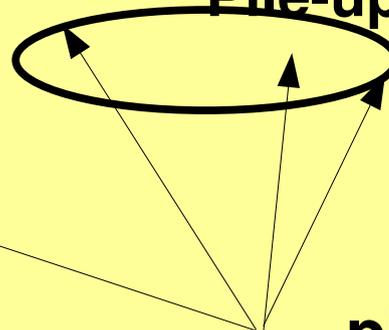
- the jet is associated with the signal vertex if $\alpha > \alpha_0$

Signal jet on ECAL surface



Signal vertex

Pile-up jet on the ECAL surface



pile-up vertex



The association of the primary vertex and jet (central jet veto example for qqH)

Central jet veto:

There are no additional jets with $P_T > P_T^{\text{threshold}}$ in central rapidity region

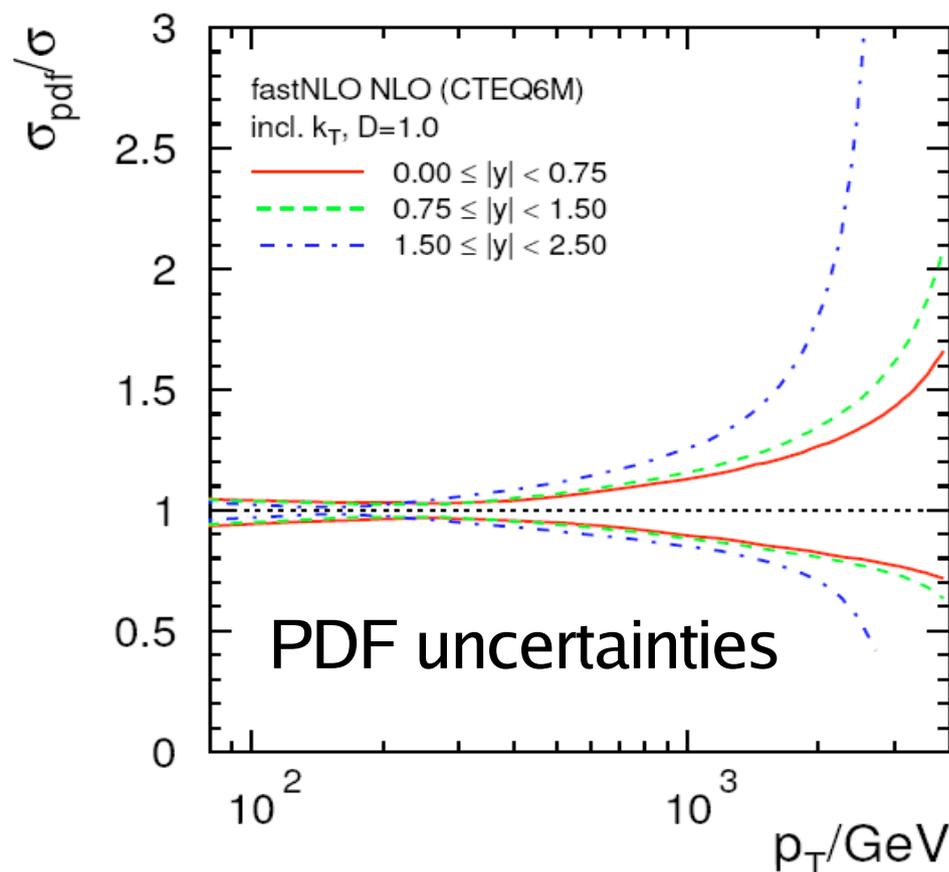
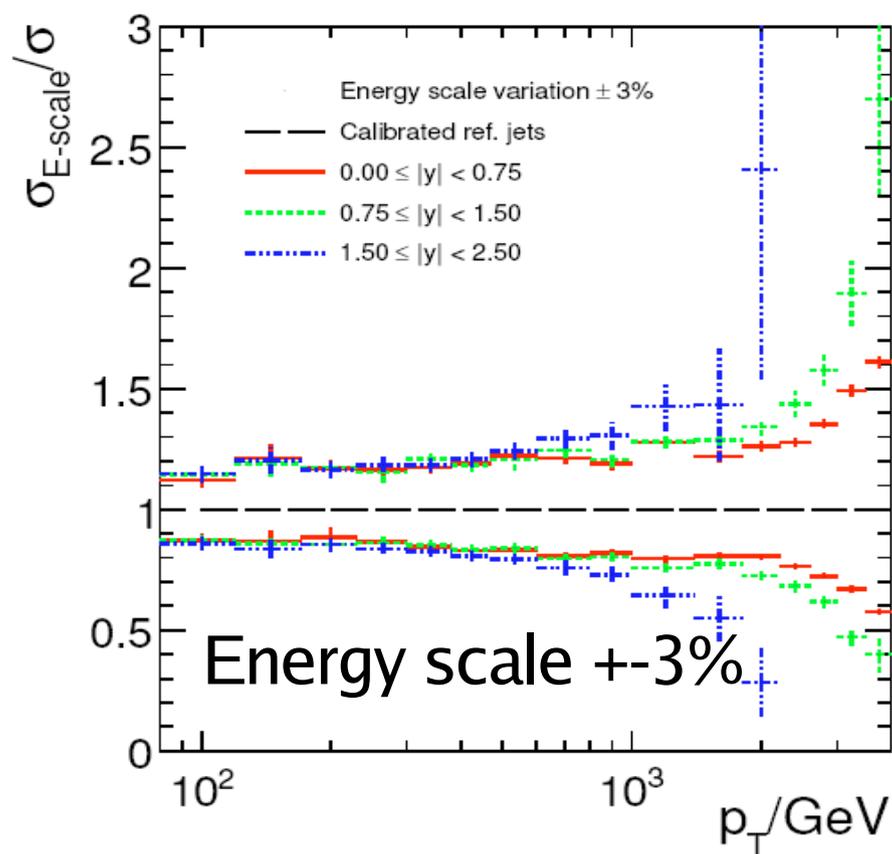
After signal vertex-jet association, the central jet veto is applied only on jets from signal vertex.

Fraction of signal events passing central jet veto depending on $P_t^{\text{threshold}}$, without and with proper signal vertex-jet association applied.

| $P_T^{\text{threshold}}$ | 20 GeV | 25 GeV | 30 GeV | 35 GeV | 40 GeV | 45 GeV |
|------------------------------------|--------|--------|--------|--------|--------|--------|
| no vertex association | 24.00% | 60.00% | 80.00% | 87.00% | 90.00% | 93.00% |
| vertex association $\alpha=0.2$ | 49.00% | 75.00% | 87.00% | 90.00% | 93.00% | 94.00% |

Uncertainties for the jet cross section

- An uncertainty of the jet energy scale is expected to dominate the experimental uncertainties for high p_T jet cross sections.
- Theoretical uncertainties are of the same order of magnitude and dominated by the PDF uncertainties at $p_T > 500$ GeV. At lower momenta other sources of theoretical uncertainties (underlying event, fragmentation) may be significant.





Summary

Jet measurements include three steps:

- noise and pile-up suppression**
 - jet finding**
 - jet energy correction**
- and jet direction correction ($|\eta| < 2.4$)**

Jet energy and direction corrections are:

- jet based (γ/Z +jet, $W \rightarrow jj$, dijet, Monte-Carlo)**
- using information from tracker**

Jet measurements requires monitoring and recalibration during data taking:

- monitoring with off-line processes**
- recalibration with off-line processes:**
using isolated particles, γ/Z +jet balancing, min bias for ϕ uniformity, etc