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"Preliminary  
Investigation of  
Radiation Effects  
upon ITER TF  
Coil Stability"

**Preliminary Investigation of the  
Radiation Effects Upon the  
Stability of the ITER TF Coils**

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# **MagRad**

## ***Purpose:***

**To predict the effects of radiation upon the stability of fusion magnet systems.**

## ***Bases:***

- 1) CICC's predictions for the ITER design**
- 2) Recent radiation effects data and expressions**

# Radiation Affects:

1) Critical Temperature,  $T_c$

2) Critical Field,  $B_c$

-  $\rho_N, \gamma, \epsilon$

3) Copper Resistivity,  $\rho_{Cu}$

**Note:** There is no  $J_c$  dependence in  $I_{lim}$  given by Dresner.  $J_c$  effects are decoupled in this analysis, though for coil optimization they will certainly be important.

# Procedure

1) Determine iteratively the  $T_{\text{lim}}$ ,  $B_{\text{lim}}$ , and  $I_{\text{lim}}$ .

2) Repeat 1) at a given fluence, with the inclusion of *all* radiation effects.

3) Use the geometry of the stability curve to find  $\Delta H$ .

**Alternatively:** Solve for a given (limiting)  $\Delta H$  and determine corresponding fluence.

# Assumptions

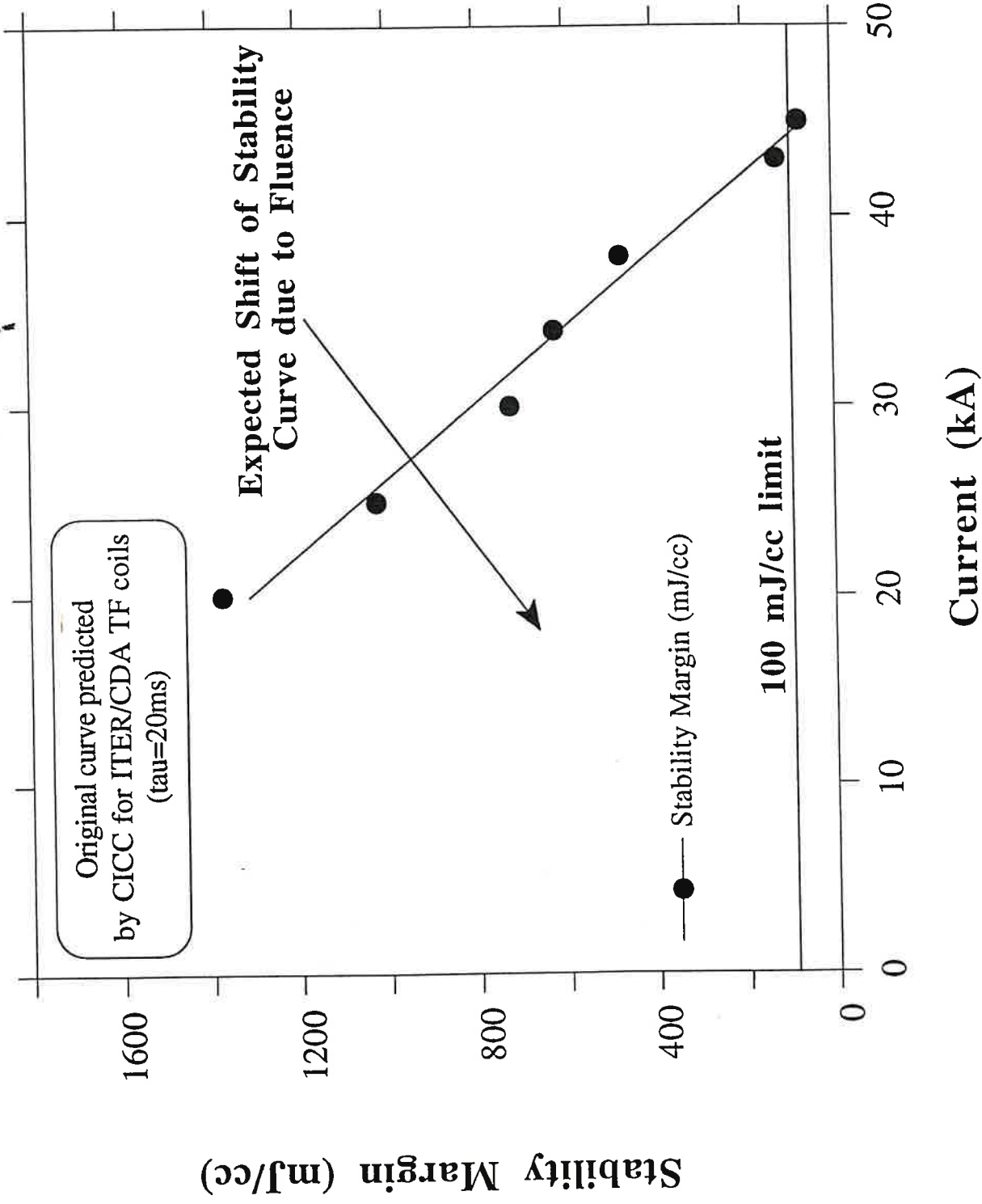
1) Stability curve retains same slope after irradiation.

a) Suppression of induced convective helium cooling implies a constant slope.

b) According to Bottura's approximate expression (1993) for  $\Delta E$ , slope would actually decrease.

2) Case of  $\tau = 20$  ms is worse than  $\tau = 10$  ms. Thus worse case is used.

# CICC Stability Margin



# Copper Resistivity

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It has been shown (Guinan, et al., 1988) that after irradiation, Cu no longer exhibits a single Kohler plot. Therefore I use this expression:

$$\rho(B) = [\rho_0 + 300(1 - e^{-240\text{dpa}})] \cdot \{ \tan^{-1}[(.7698 + 0.215\text{fluence})9.683\text{xrad}] / 9.683\text{xrad} + \tan^{-1}[(.2049 + .0209\text{fluence})153.5\text{xrad}] / 153.5\text{xrad} + \tan^{-1}[(.0263 + .00203\text{fluence})15.37\text{xrad}] / 15.37\text{xrad} \}^{-1}$$

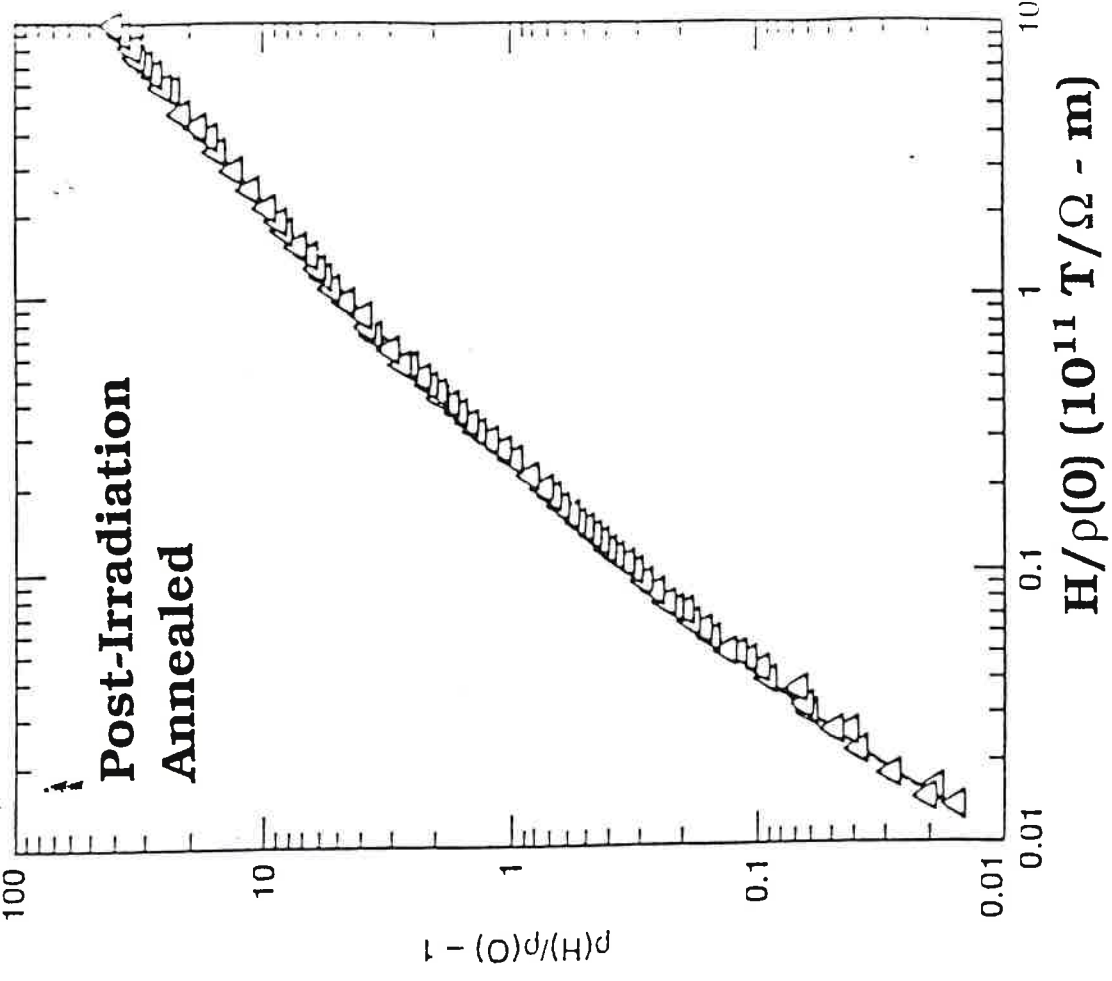
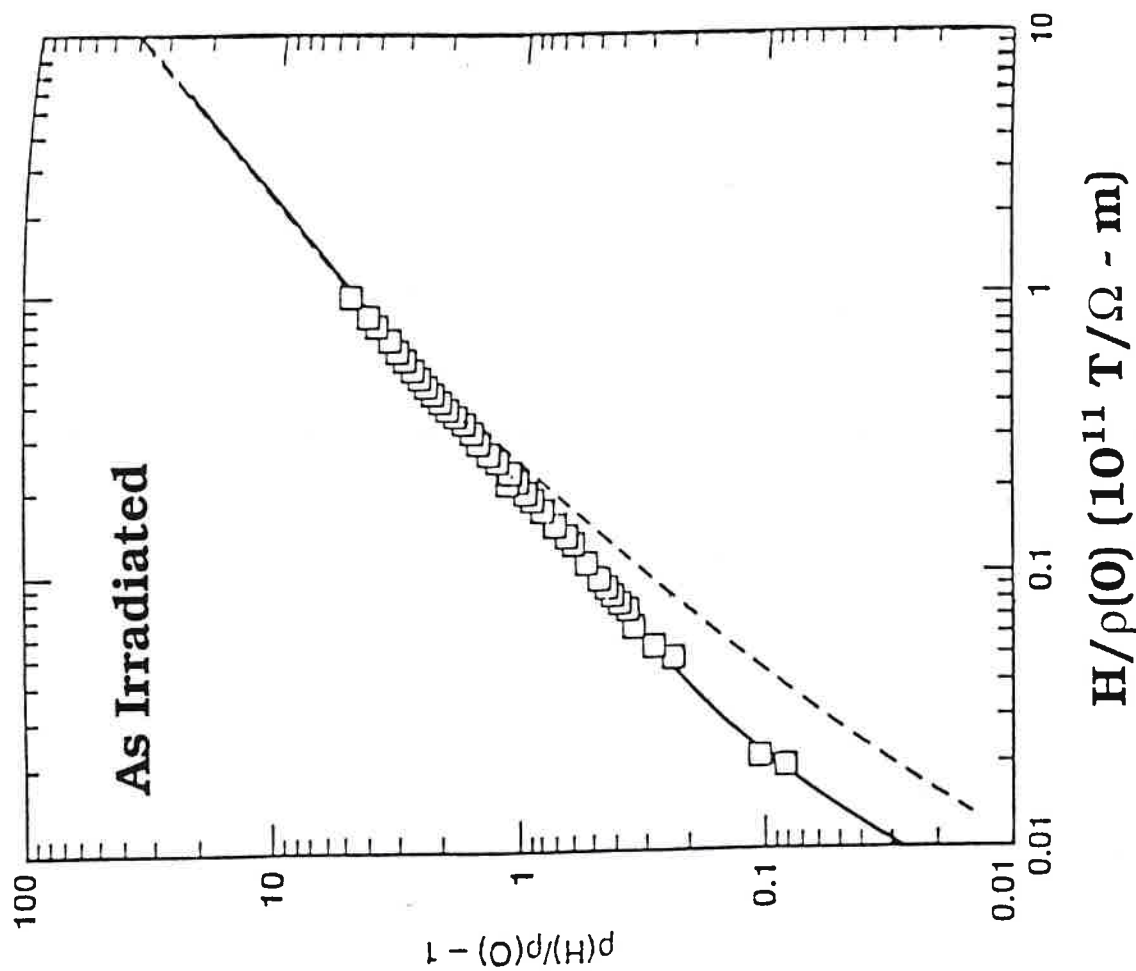
$$\text{where xrad} = \frac{B_{lim}}{[\rho_0 + 300(1 - e^{-240\text{dpa}})]}$$

**This does not impact stability much (I also calculate  $\rho_{Cu}$  two other ways for comparison; they are quite close).**



# Radiation Effect Upon Kohler Plot of Copper\*

(Guinan et al., 1988)



\*at RTNS-II fluence of  $1.33 \times 10^{18} \text{ n/cm}^2$

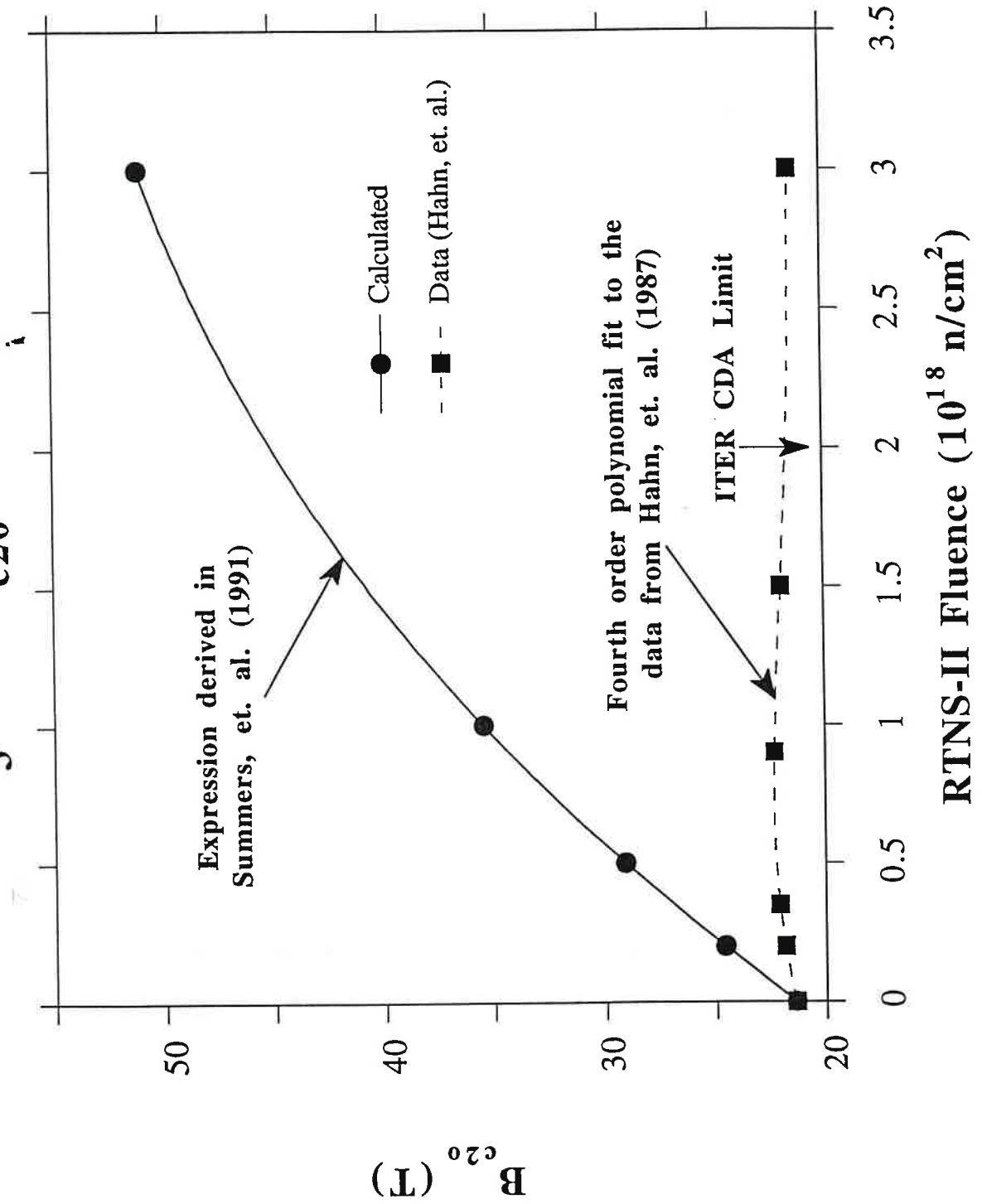
# The Upper Critical Field Problem

- In all codes and literature surveyed this is the form that is used,

$$B_{c20m}(E_d) = B_{c20m}(0) \frac{\rho_o + 600 E_d}{\rho_o} e^{-\frac{5}{8} E_d} \quad (\text{Summers et al., 1991})$$

- However, it *must* be noted that this expression yields a peak upper critical field of about 63 T at an ITER fluence of about  $25 \times 10^{18}$  n/cm<sup>2</sup> ! (even higher  $B_{c20m}(E_d)$  for ternaries).

# $\text{Nb}_3\text{Sn}$ $B_{c20}$ v. Fluence



# Why Did This Problem Occur?

- The "dirty" limit was used,

$$H_{c2} \propto \gamma \rho_N T_c$$

– we have  $\gamma$ ,  $\rho_N$ ,  $T_c$ , so what's the problem?

- The problem may be that the dirty limit may not apply to these conductors (especially after irradiation).

**In the "dirty limit",**

$$H_{c2} = 3.1 \times 10^3 \gamma \rho_N T_c \quad (\text{Wilson, 1983})$$

- This gives an  $H_{c20m}$  for  $Nb_3Sn$  at zero fluence of about 9 T. Thus, even at zero fluence we should be wary of using this formula (as Wilson also says of  $Nb_3Sn$ , p.283)
- Moreover, we are not certain how the coherence length and electron mean free path are affected by radiation.

**Conclusion: Use the data, not the modelled expression.**

# One Possible Solution

• Inspection of Hahn's data, however, gives a peak  $B_{c20}$  of only about 30 T at an ITER fluence of about  $5 \times 10^{18}$  n/cm<sup>2</sup>.

• Therefore, in lieu of the previous expression one may fit the data

$$B_{c20m}(E_d) = B_{c20m}(0) + 3.12(\phi t) - 3.19(\phi t)^2 + 1.11(\phi t)^3 - .13(\phi t)^4$$

to,

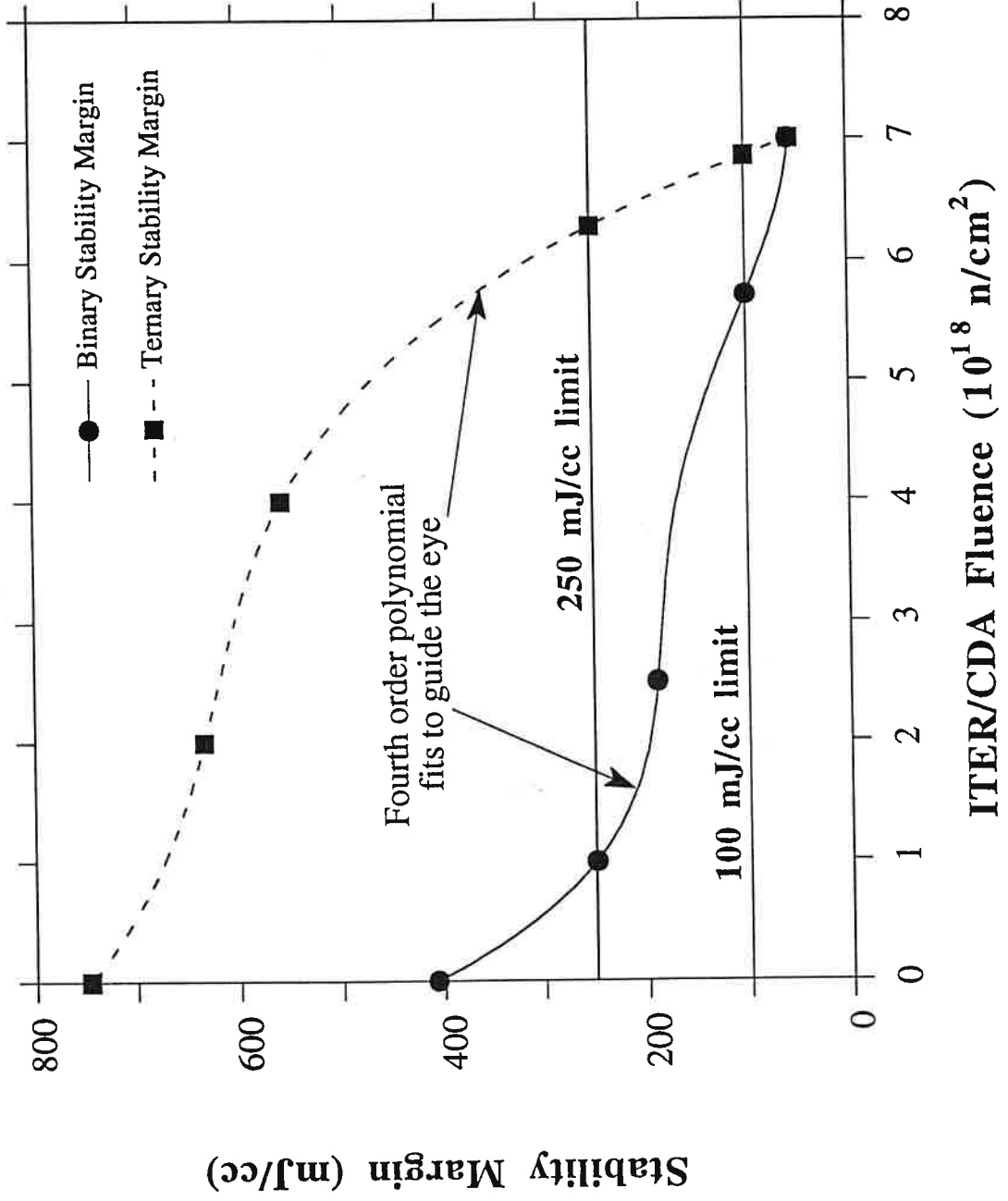
where  $\phi t$  is RTNS-II fluence. Valid up to ITER fluence of  $1.5 \times 10^{19}$  n/cm<sup>2</sup>.

• One might also use a best fit (which still is not good) to the data of the same form as the Summers, et al. expression, giving,

$$B_{c20m}(E_d) = B_{c20m}(0) \frac{\rho_o + 42(\phi t)}{\rho_o} e^{-0.2(\phi t)}$$

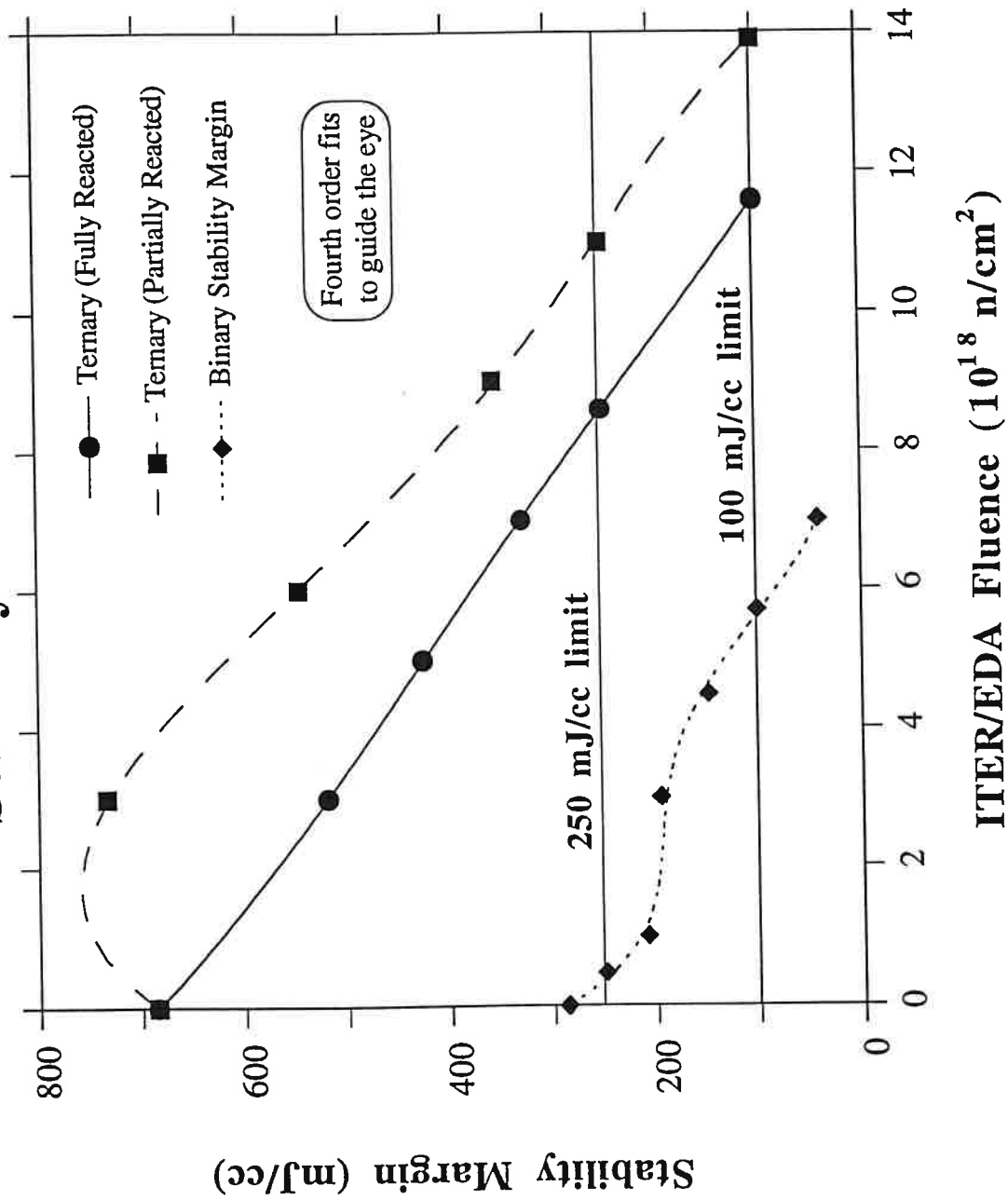
where  $\phi t$  is defined as above.

# ITER/CDA Stability v. Fluence



# ITER/EDA

## Stability v. Fluence





# Design Conclusions

1) EDA design demonstrates better stability than the CDA design at all ITER fluences for ternary  $\text{Nb}_3\text{Sn}$ , but worse stability for binary  $\text{Nb}_3\text{Sn}$ .

2) Use of binary  $\text{Nb}_3\text{Sn}$  may be precluded in the EDA design, unless used in conjunction with inorganic insulators with a suitable magnet annealing schedule adopted.

3) Ternary  $\text{Nb}_3\text{Sn}$  will most probably allow the full ITER fluence limit to be attained in the coils (given frequent stabilizer anneals) with only minor, if any, design modifications.