

Robust collider limits on heavy-mediator Dark Matter

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arXiv: 1502.04701

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Thursday, 12th March 2015



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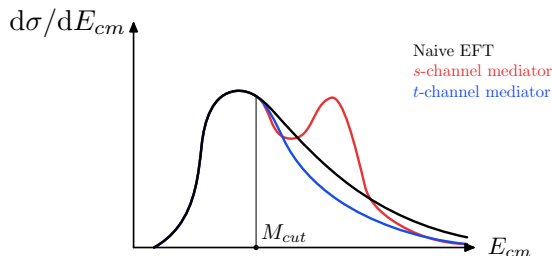
FACULTÉ DES SCIENCES

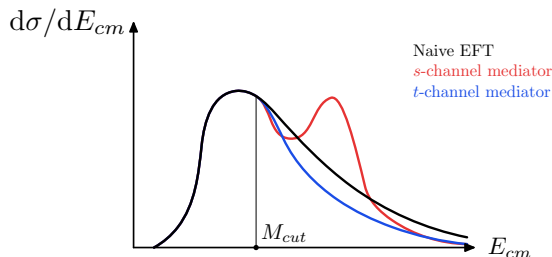
Département de physique théorique

Goal

Use the EFT to get completely general bounds from DM searches at colliders.

- Three free parameters in EFT:
 - 1 m_{DM} ;
 - 2 M_* : effective operator coefficient $(1/M_*^{d-4})$;
 - 3 M_{cut} : *cut-off scale* for the validity of the EFT.





- We restrict the signal to the events for which

$$E_{\text{cm}} < M_{\text{cut}},$$

where E_{cm} is the total invariant mass of the hard final states of the reaction:

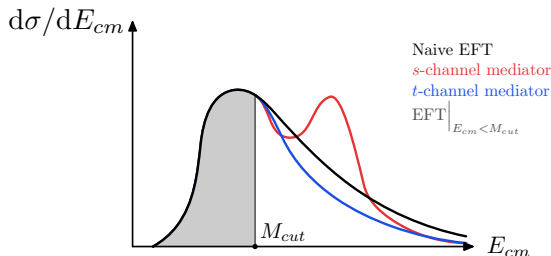
$$E_{\text{cm}} = \sqrt{\hat{s}} = \sqrt{\left(p^\mu(\text{DM}_1) + p^\mu(\text{DM}_2) + p^\mu(\text{jet})\right)^2}.$$

- Indeed, the following *always* holds:

$$\sigma_{\text{true model}}^{\text{signal}} > \sigma_{\text{corresp. EFT}}^{\text{signal}} \Big|_{E_{\text{cm}} < M_{\text{cut}}}.$$

Thus we obtain conservative but reliable limits.

Our strategy



- We restrict the signal to the events for which

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- We consider the case in which DM is a Majorana fermion X , and the effective operator for the interaction with quarks is D8,

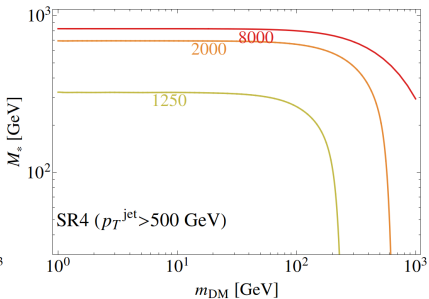
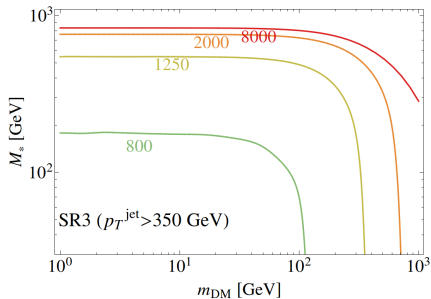
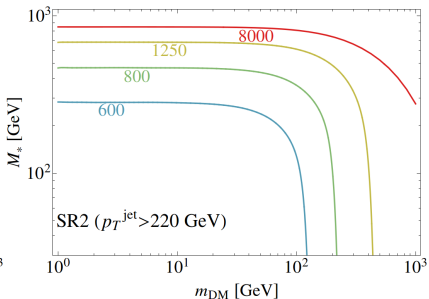
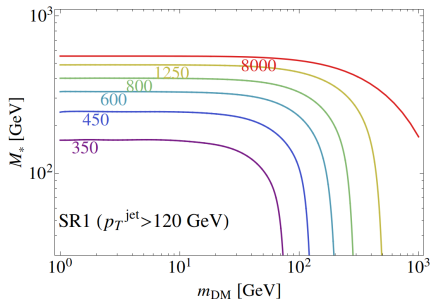
$$\mathcal{L}_{\text{EFT}} = -\frac{1}{M_*^2} (\bar{X} \gamma^\mu \gamma^5 X) \left(\sum_{\text{flavours}} \bar{q} \gamma_\mu \gamma^5 q \right).$$

- We use Atlas monojet search ATLAS-CONF-2012-147 (10.5 fb^{-1} at $\sqrt{s}=8 \text{ TeV}$).

signal region	SR1	SR2	SR3	SR4
$p_{\text{T}}^{\text{jet}}$ and $E_{\text{T}}^{\text{miss}}$ [GeV]	>120	>220	>350	>500
σ_{exc} [pb], 95% CL	2.7	0.15	$4.8 \cdot 10^{-2}$	$1.5 \cdot 10^{-2}$

- We perform a parton-level analysis, and we compute cross-section σ and acceptance A with MadGraph5.
- We estimate the efficiency ϵ by matching this output to the experimental limit. The available data allow to extract ϵ for SR3, for three values of m_X .

Results for fixed M_{cut}



What are reasonable M_{cut} values?

- EFT Lagrangian:

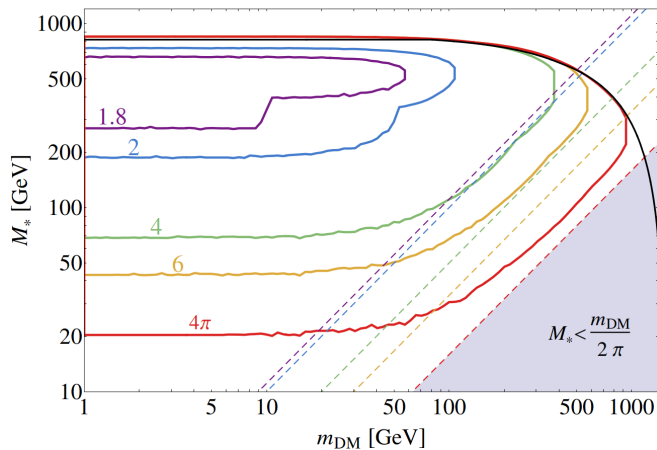
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- We can link the two dimensionful parameters M_* and M_{cut} through

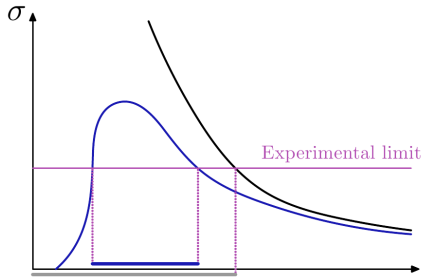
$$\boxed{M_{\text{cut}} = g_* M_*}.$$

g_* : *effective coupling strength* of the EFT. Justification:

$$\mathcal{M}(2 \rightarrow 2) \sim \frac{E^2}{M_*^2} \xrightarrow{\text{at cut-off}} \frac{M_{\text{cut}}^2}{M_*^2} \equiv g_*^2.$$



Why is there a lower limit in the excluded region?



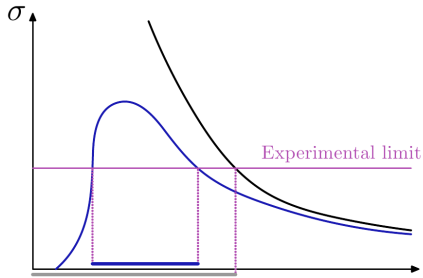
$$\sigma_{\text{EFT}}^{\text{signal}} \Big|_{E_{\text{cm}} < g_* M_*} \propto \frac{1}{M_*^4} \cdot \text{Acceptance} \rightarrow \begin{cases} \frac{1}{M_*^4} & \text{for } M_* \rightarrow \infty, \\ 0 & \text{for } M_* \rightarrow 0. \end{cases}$$

- Kinematical threshold:

$$E_{\text{cm}}^{\text{min}} = p_{\text{T}}^{\text{jet}} + \sqrt{\left(p_{\text{T}}^{\text{jet}}\right)^2 + 4 m_{\text{DM}}^2}.$$

The lower is $p_{\text{T}}^{\text{jet}}$, the stronger is the lower limit in the exclusion interval.

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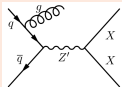
The lower is $p_{\text{T}}^{\text{jet}}$, the stronger is the lower limit in the exclusion interval.

Comparison with the simplified model

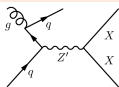
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Model A: s -channel vector mediator

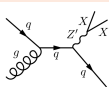
$$\mathcal{L}_{\text{int}}^{\text{A}} = Z'_\mu \left(g_q \sum_q \bar{q} \gamma^\mu \gamma^5 q + g_X \bar{X} \gamma^\mu \gamma^5 X \right)$$



A.1



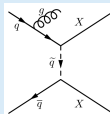
A.2



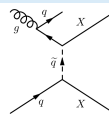
A.3

Model B: t -channel scalar mediator

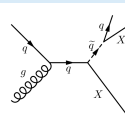
$$\mathcal{L}_{\text{int}}^{\text{B}} = -g_{\text{DM}} \left[\sum_{i=1}^3 \left(\tilde{u}_{iL} \overline{u_{iL}} + \tilde{d}_{iL} \overline{d_{iL}} + \tilde{u}_{iR} \overline{u_{iR}} + \tilde{d}_{iR} \overline{d_{iR}} \right) X + \text{h.c.} \right]$$



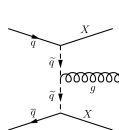
B.1



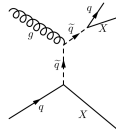
B.2



B.3

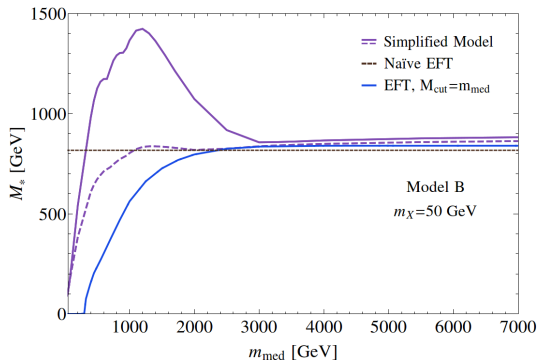


B.4



B.5

Comparison with the simplified model



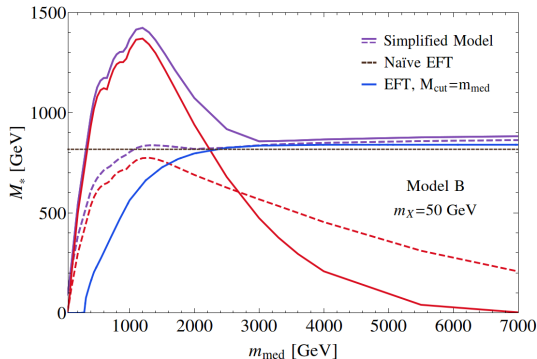
- **Blue line:** from model-independent limit, with the identification

$$M_* = \frac{2\tilde{m}}{g_{\text{DM}}}, \quad M_{\text{cut}} = \tilde{m}.$$

- **Red lines:** only from the resonant production of the mediator.
The EFT limit is complemented by the limit from the resonant production.

- **Grey lines:** fixed mediator width.
The plane (m_{med}, M_*) is not suitable to draw a limit for fixed mediator width.

Comparison with the simplified model



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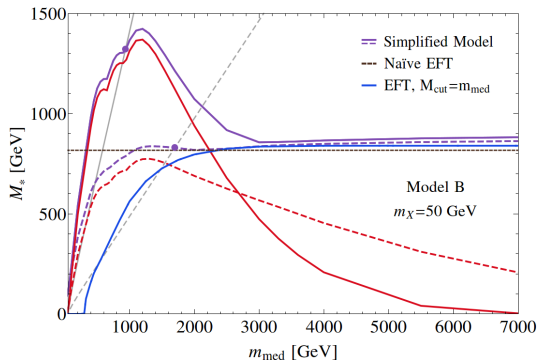
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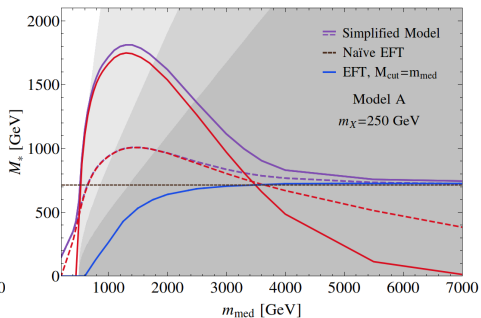
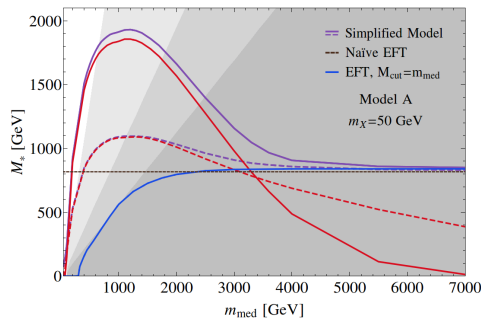
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- ④ The EFT allows to extract **universal bounds** from DM searches.
(reinterpretable in any UV model)
- ② The prescription $E_{\text{cm}} < M_{\text{cut}}$ can be used for any effective operator.
- ③ An effective operator as D_8 may have several microscopic origins.
- ④ Exclusion intervals in M_* have also a *lower* bound.
The softer SRs are useful to extend the limits for small M_* .
- ⑤ Extended simplified model reach due to resonant production.
 \Rightarrow complement the monojet EFT search with direct mediator search.
- ⑥ Limitation of the plane M_{med}, M_* (inconsistent width).

1. BACKUP SLIDES

Comparison with the simplified model A



Comparison with the choice of Q_{tr}

