

Deeply Virtual Compton Scattering on the Neutron

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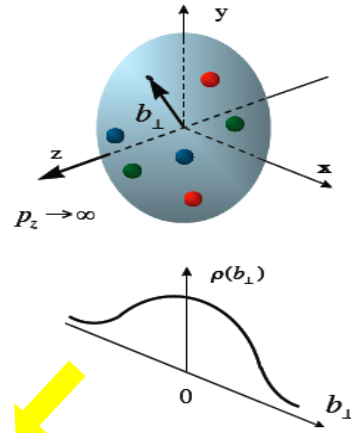
Introduction

- ❖ Elastic Scattering ($W^2=M^2$)



Form Factors

(Transverse position of partons)



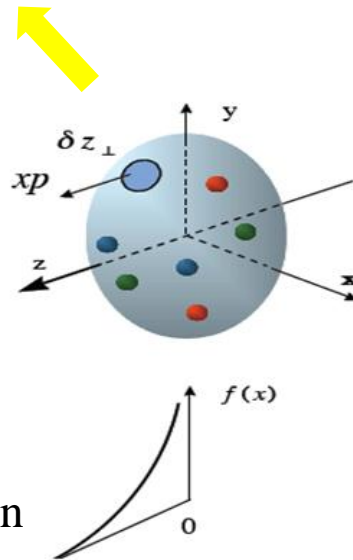
Two independent informations about the nucleon structure

- ❖ Deeply ($Q^2 \gg M^2$) Inelastic ($W^2 \gg M^2$) Scattering (DIS)



Parton Distribution Functions (PDFs)

(Longitudinal momentum distribution of the partons in the nucleon)



- ❖ Deeply Virtual Compton Scattering (DVCS)



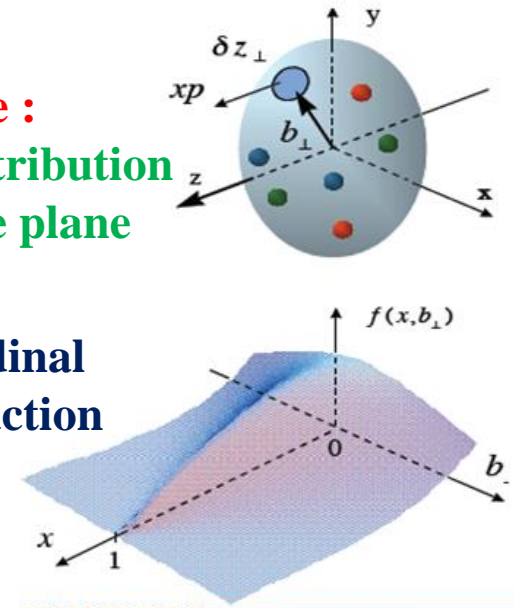
New Structure Functions

(Generalized Parton Distributions GPDs)

GPDs relate :
Spatial parton distribution in the transverse plane

+

Their longitudinal momentum fraction



Generalized Parton Distribution *GPDs*

❖ 4 **GPDs** functions of three variables:

✓ $x \pm \xi$: longitudinal momentum fraction

✓ $\xi = \frac{x_B}{2-x_B}$: GPDs skewness invariant

✓ t : squared momentum transfer.

➤ 2 GPDs nucleon spin preserved $\begin{cases} H_q(x, \xi, t) \\ E_q(x, \xi, t) \end{cases}$

➤ 2 GPDs nucleon spin flipped $\begin{cases} \tilde{E}_q(x, \xi, t) \\ \tilde{H}_q(x, \xi, t) \end{cases}$

❖ Link to Parton distribution functions

($\xi=t=0$)

$$H_q(x, 0, 0) \begin{cases} = q(x); & x > 0 \\ = -\bar{q}(x); & x < 0 \end{cases}$$

$$\tilde{H}_q(x, 0, 0) \begin{cases} = \Delta q(x); & x > 0 \\ = \Delta \bar{q}(-x); & x < 0 \end{cases}$$

❖ Link to Form Factors ($\square \xi$)

$$\int_{-1}^1 dx H_q(x, \xi, t) = F_1(t)$$

$$\int_{-1}^1 dx E_q(x, \xi, t) = F_2(t)$$

$$\int_{-1}^1 dx \tilde{H}_q(x, \xi, t) = G_A(t)$$

$$\int_{-1}^1 dx \tilde{H}_q(x, \xi, t) = G_P(t)$$

❖ Access to quark angular momentum, via **Ji sum rule** [X. Ji 1997]:

$$J_q = \frac{1}{2} \Delta \Sigma_q + L_q = \int_{-1}^{+1} dx x [H_q(x, \xi, 0) + E_q(x, \xi, 0)]$$

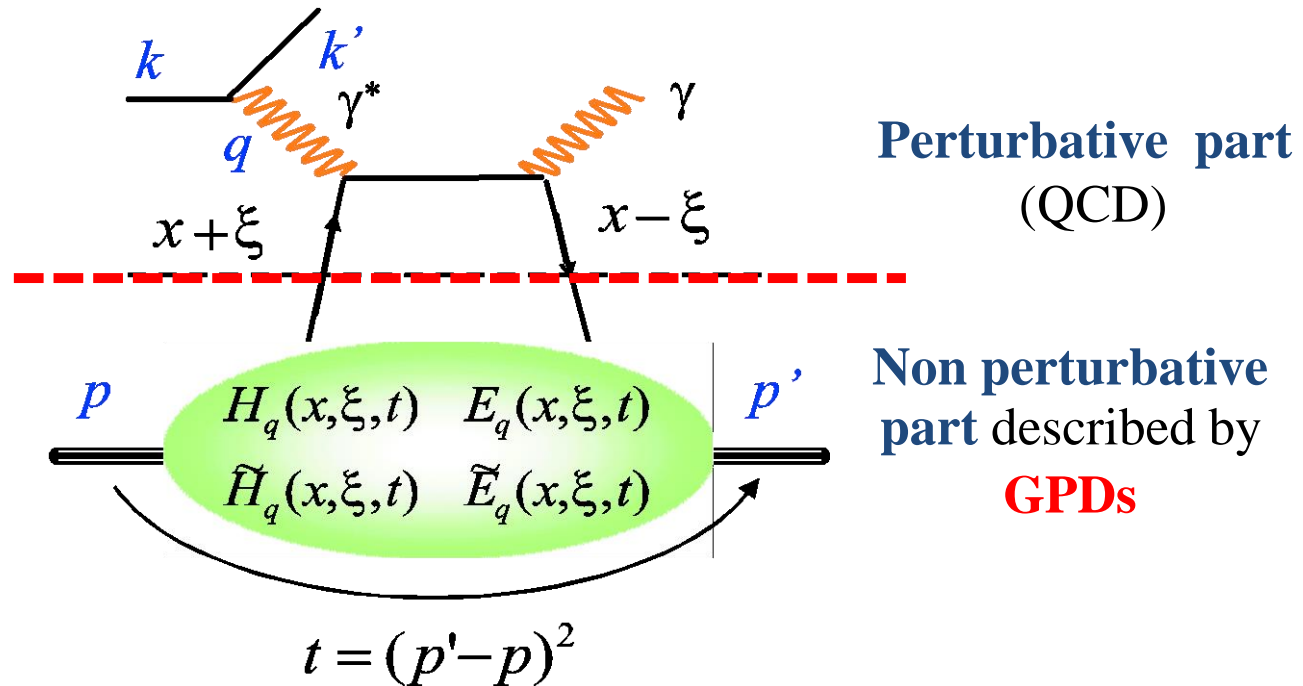
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How to measure *GPDs* ?

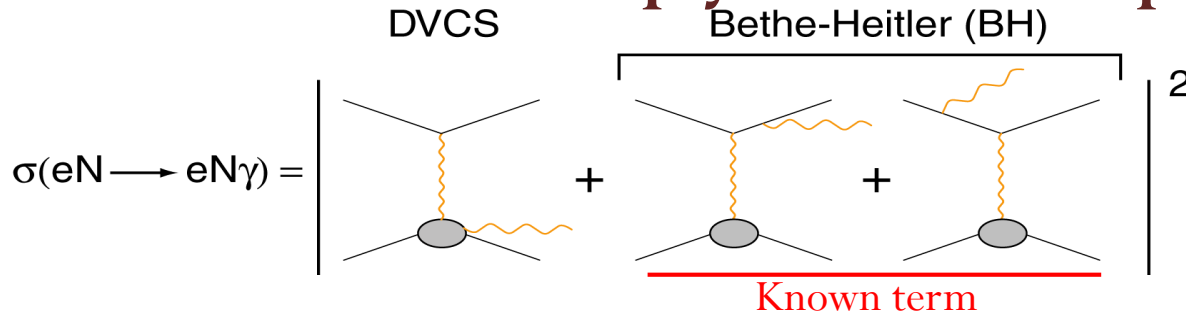
Deeply Virtual Compton Scattering (DVCS) $eN \rightarrow eN\gamma$

The simplest process that can be described in terms of GPDs by measuring its cross section

At Bjorken regime ($Q^2 \rightarrow \infty$ and $\nu \rightarrow \infty$)



Deeply Virtual Compton Scattering



$$d^5\sigma = |T^{BH}|^2 + 2T^{BH} \operatorname{Re}(T^{DVCS}) + |T^{DVCS}|^2$$

- ✓ The **total cross-section** accesses the **real** part of **DVCS** and the $|T^{DVCS}|^2$ term which are sensitive to an **integral of GPDs over x**

$$T^{DVCS} \propto \underbrace{P \int_{-1}^{+1} \frac{GPD(x, \xi, t)}{x - \xi} dx}_{\text{Real part}} \pm i \underbrace{\Pi GPD(x = \pm \xi, \xi, t)}_{\text{Imaginary part}} + \dots$$

- ✓ The **polarized cross-section difference** accesses the **imaginary** part of DVCS and therefore **GPDs at $x = \pm \xi$**

Deeply Virtual Compton Scattering

❖ Measure cross section at different kinematics (2 beam energies)



- Separates the $\text{Re}(T^{DVCS})$ of **DVCS** and the $|T^{DVCS}|^2$
&
- Better constrain theoretical models of GPDs

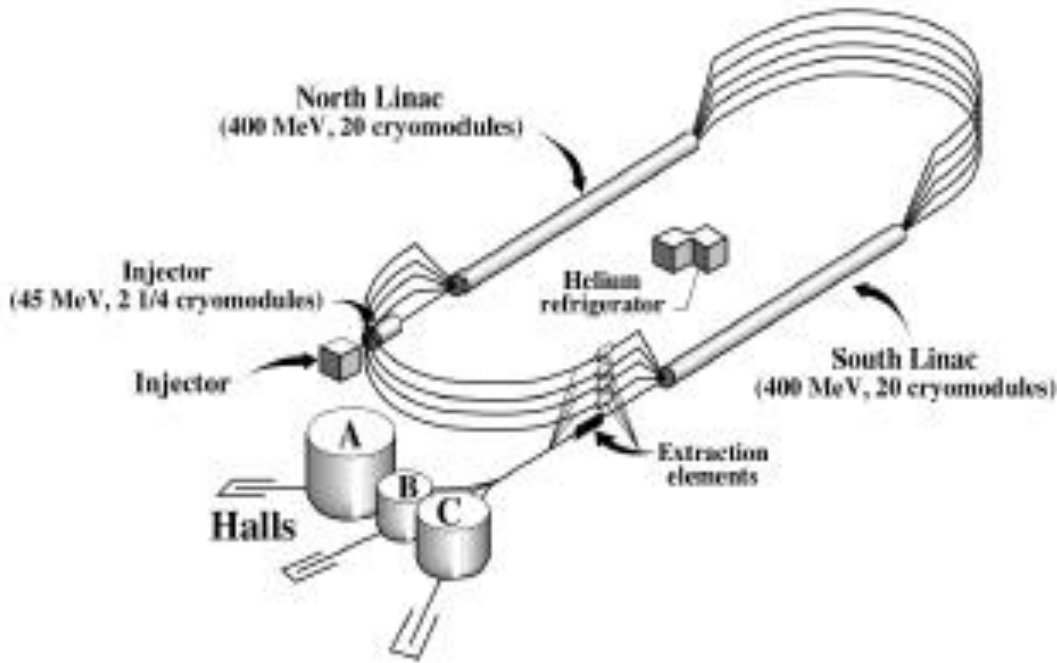
❖ Measure n-DVCS cross section is important



- Neutron has different flavors from the proton
- **Sensitive to GPD E:**
(The less constrained GPD and which is important to access **quarks orbital momentum** via J_i 's sum rule)

The E08-025 (n-DVCS) experiment was performed at JLab Hall A in 2010.

➤ **Goal : Measure the n-DVCS total cross-sections**



❖ **Hall A at Jefferson Lab
(Newport, Virginia, USA)**

- **Ebeam = 4.45 GeV and Ebeam=5.54 GeV**
- **I = 3 μ A**
- **Beam Polarization = 72% et 76%**
- **Beam energy resolution $\sim 10^{-4}$**
(High precision experiments)

The JLab 12 GeV Upgrade

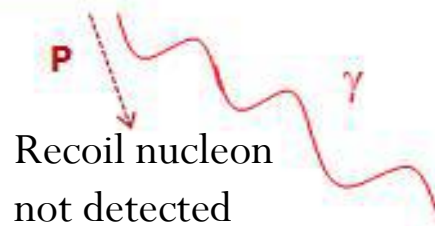
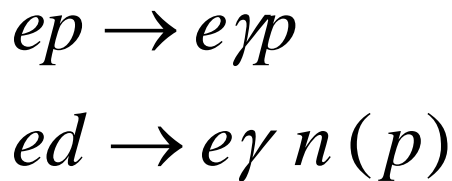
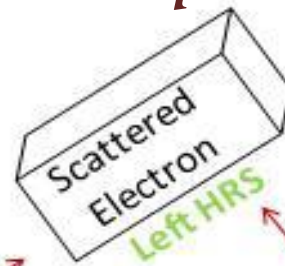
- **increases the energy of CEBAF**
- **Provides very high luminosities**

No Deuterium target is used to study the n-DVCS in Hall A

Experimental apparatus

High Resolution Spectrometers

- Maximal momentum 4 GeV/c
- Momentum acceptance $\pm 5\%$
- Momentum Resolution $\sim 10^{-4}$
- Solid angle $\Delta\Omega$ 7 msr



❖ The data were taken at two kinematics:

- ✓ Beam energy = 4.45 GeV & 5.54 GeV
- ✓ $Q^2 = 1.75 \text{ GeV}^2$
- ✓ $x_{Bj} = 0.36$
- ✓ $t \sim [-0.5, -0.1] \text{ GeV}^2$
- ✓ Maximal luminosity = $3 \cdot 10^{37} \text{ cm}^{-2} \text{ s}^{-1}$

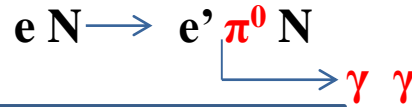
Electromagnetic Calorimeter

- 13x16 PbF₂ blocks (Čerenkov light detection)
- Block size: 3x3 cm² x 20 X₀
- Each block is connected to (PMT + base + ARS)
- The energy deposit determination is based on a wave form analysis of the ARS signals.

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Calorimeter energy calibration

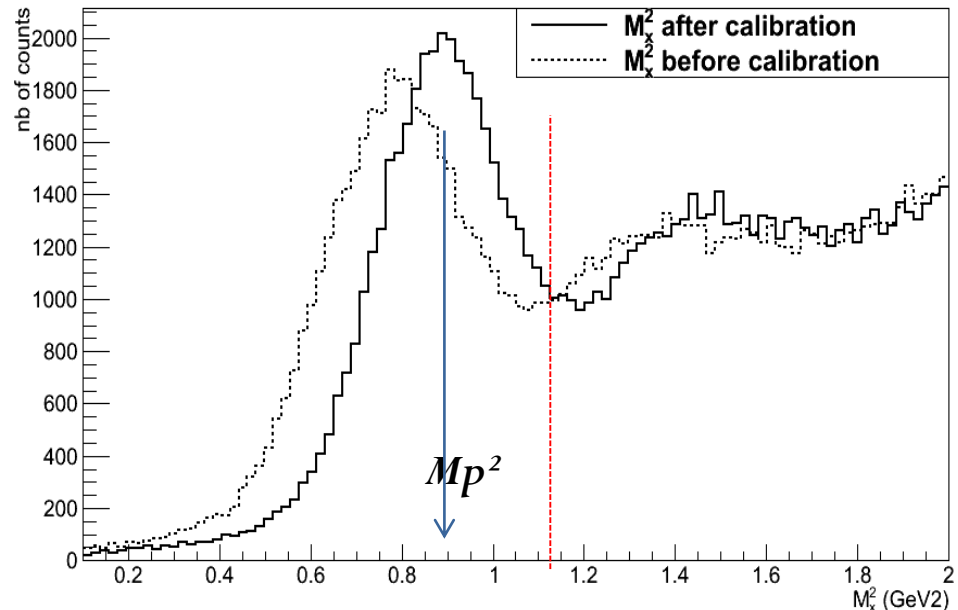
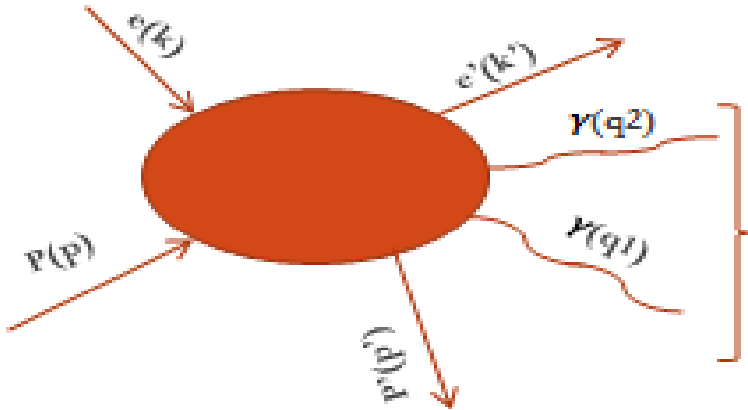
❖ The **calibration method** is based on the **comparison** between the **measured energy** of a detected π^0 from $H(e, e' \pi^0)p$ events and its expected **energy calculated** with its **scattering angle**.



$$\chi^2 = \sum_j (E_\pi^j - \sum_i C_i E_i^j)^2$$

Sum over all events $\rightarrow j$
 Pion energy $\rightarrow E_\pi^j$
 Sum over all blocks $\rightarrow i$
 Calibration coefficients $\rightarrow C_i$
 measured energy in one block $\rightarrow E_i^j$

After the minimization we get the coefficients for each block i

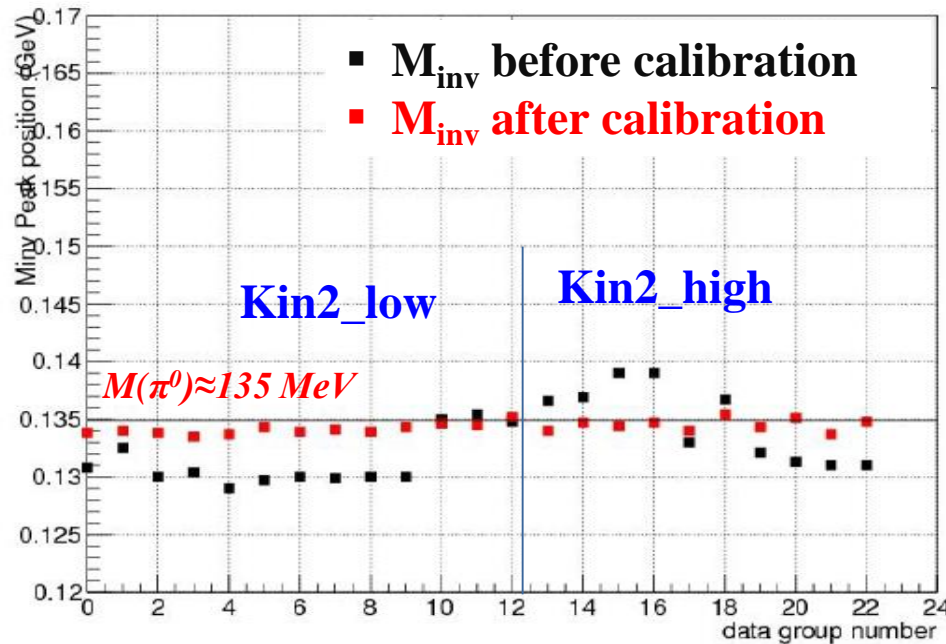
$$\Rightarrow \frac{\partial \chi^2}{\partial C_i} = 0 \Rightarrow [C_i] = [M]^{-1} [B]$$


$$(Missing\ mass)^2 = (k + p - k' - q1 - q2)^2$$

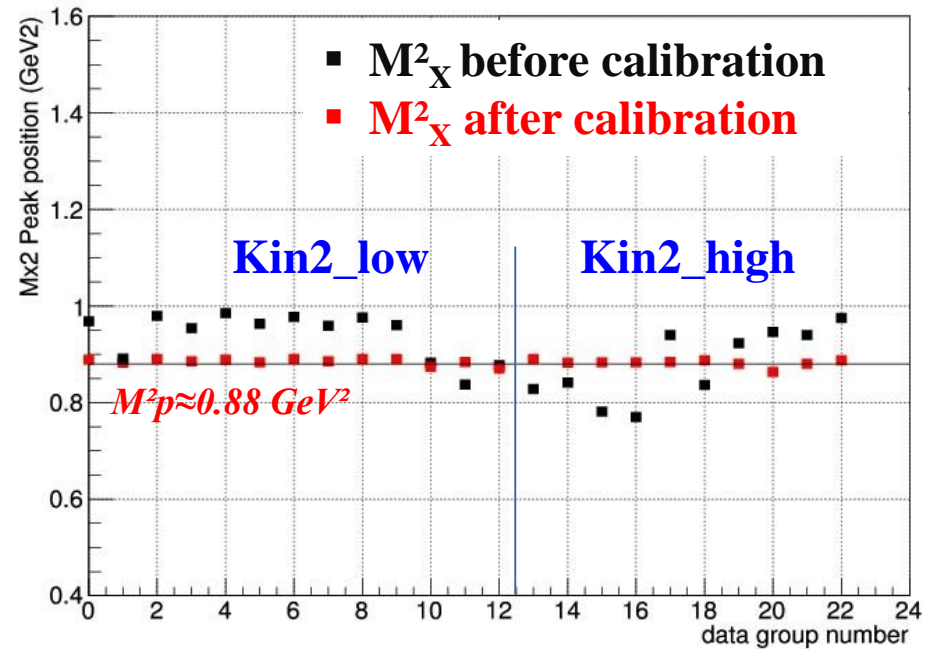
(i)

Calorimeter energy calibration: Results

Invariant mass peak position



(Missing mass)² peak position



➔ After the π^0 calibration we reproduce: the π^0 mass & the proton mass

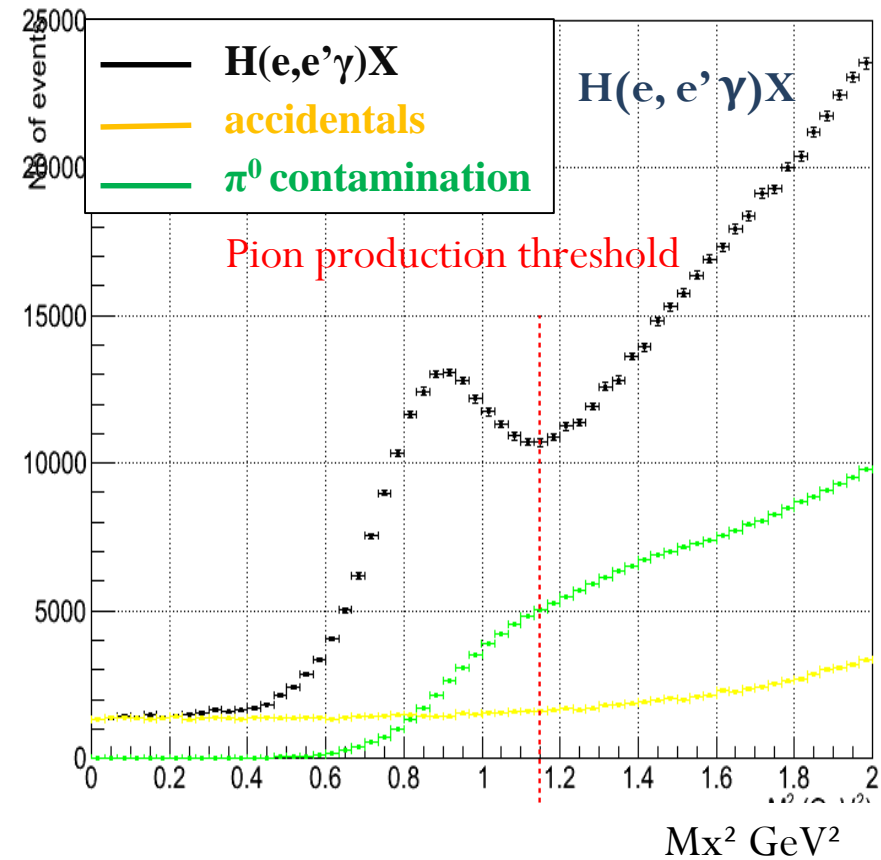
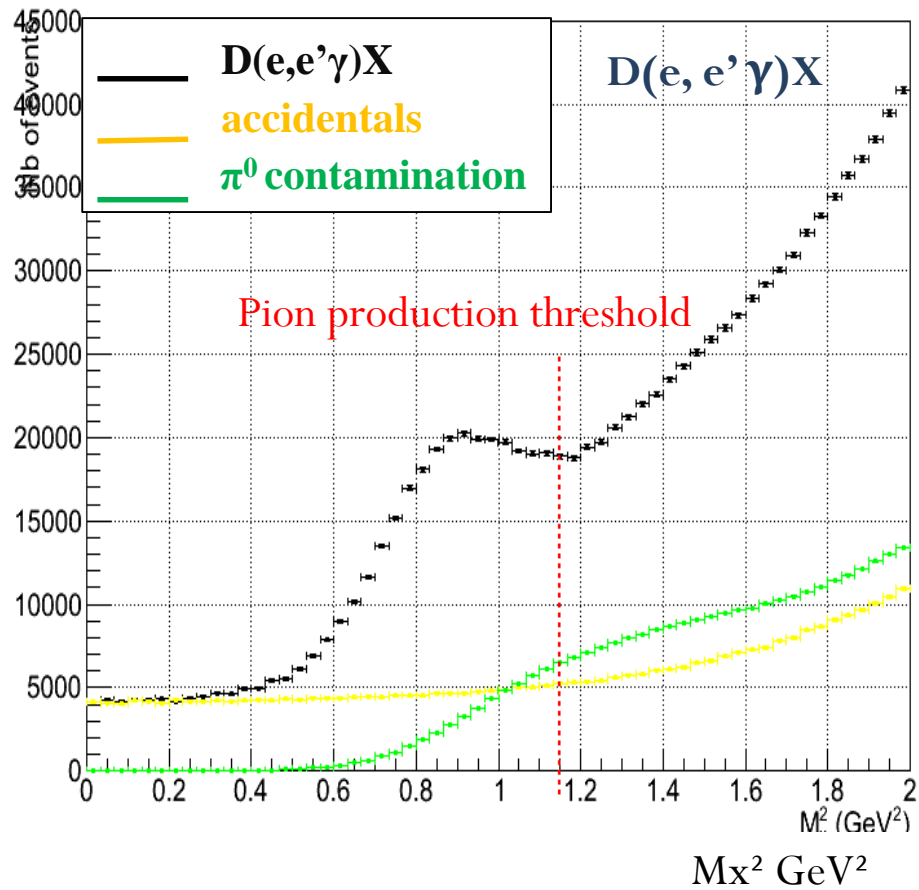
Each group number correspond to 1 or 2 days of data taking

➔ This method allows a daily calibration of the calorimeter

Selection of the n -DVCS events

❖ In order to select the DVCS events in both targets:

$$(\text{Missing mass})^2 = (e + N - e' - \gamma)^2$$



Selection of the n -DVCS events

After

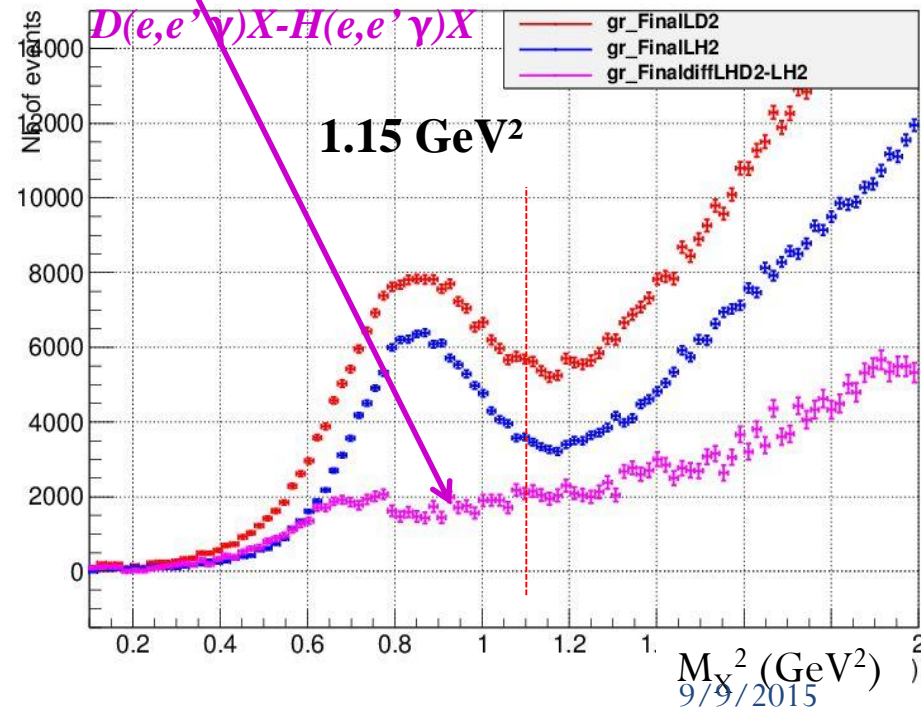
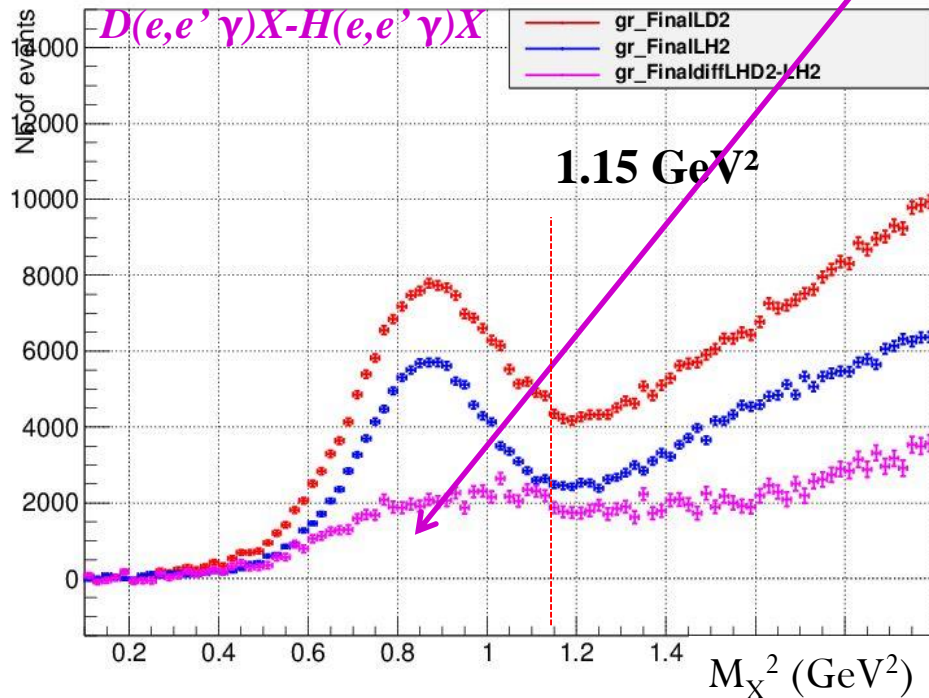
- subtracting the accidentals,
- subtracting single photons coming from π^0 decay (π^0 contamination),
- adding Fermi momentum to H2 data,
- normalizing H2 and D2 data to the same luminosity, we obtain the difference $(D(e,e'\gamma)X - H(e,e'\gamma)X)$

___ $D(e,e'\gamma)X - \text{acc} - \pi^0 \text{cont}$
 ___ $H(e,e'\gamma)X - \text{acc} - \pi^0 \text{cont}$
 ___ $D(e,e'\gamma)X - H(e,e'\gamma)X$

$$D(e,e'\gamma)pn = p(e,e'\gamma)p + n(e,e'\gamma)n + d(e,e'\gamma)d$$

Ebeam=4.45 GeV

Ebeam=5.54 GeV



Extraction of the cross section

❖ The total unpolarized cross section of $H(e, e' \gamma)p$:

$$\frac{d^4 \sigma}{dQ^2 dx_B dt d\varphi} = |TBH|^2 + |TDVCS|^2 + \underbrace{I}_{\text{The interference term}}$$

❖ The data $D(e, e' \gamma)X - H(e, e' \gamma)X$ (with $Mx^2 < 1.15 \text{ GeV}$) are fitted by a GEANT4 simulation assuming a cross section of the form [A.V. Belitsky, D. Muller Phys. Rev., D82:074010, 2010]

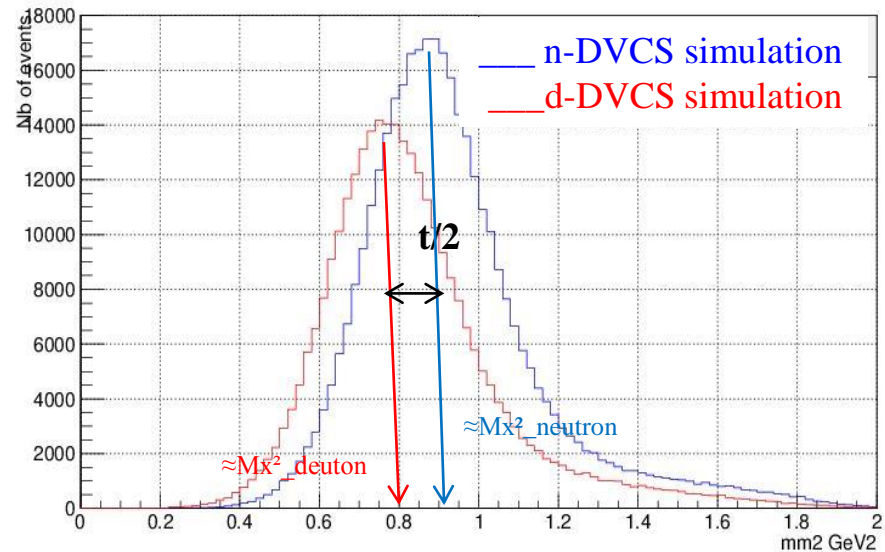
$$\frac{d^4 \sigma}{dQ^2 dx_B dt d\varphi} = \underbrace{BH_n + BH_d}_{\text{Calculated with n and d elastic form factors}} + \underbrace{\sum_i \Gamma_{in}(Q^2, x_B, t, \varphi) X_{in}}_{(DVCS^2+I) \text{ neutron}} + \underbrace{\sum_i \Gamma_{id}(Q^2, x_B, t, \varphi) X_{id}}_{\text{Coherent deuteron } (DVCS^2+I)}$$

Calculated with n and d elastic form factors

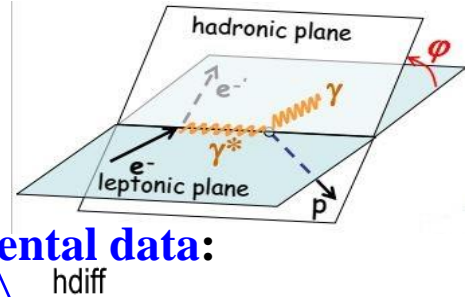
Dependence in φ



Separate the different neutron contributions X_{in} (and separate the coherent deuteron contributions X_{id})



Extraction of the cross section



Binning : 4 bins on t (squared momentum transfer) \times 20 bins on ϕ

A χ^2 minimization between the **smeared simulation** and **experimental data**:

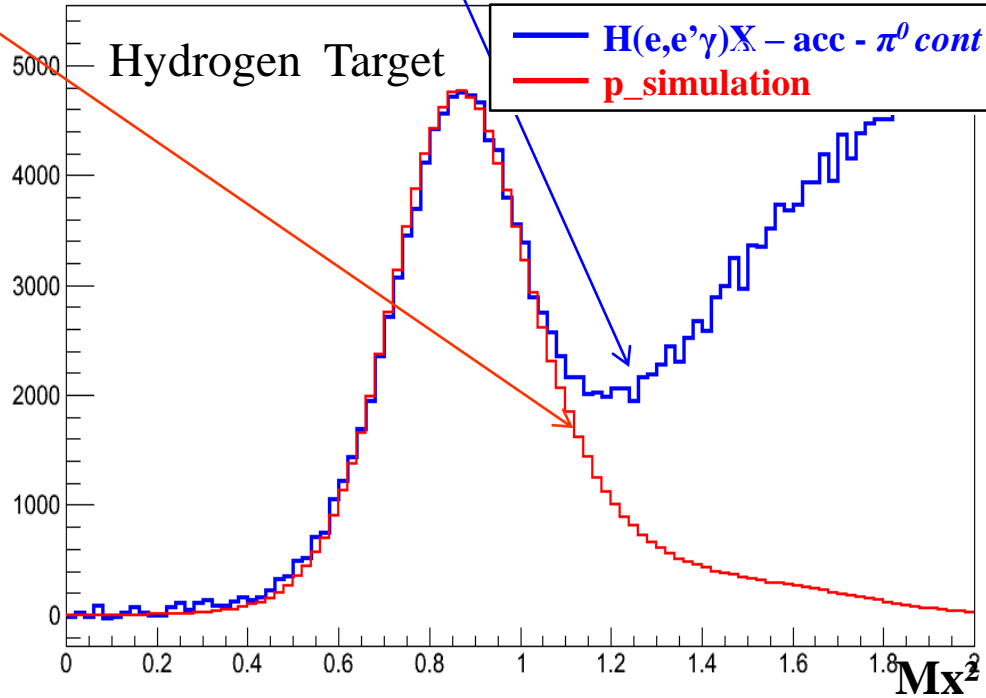
$$\chi^2 = \sum_{k=0}^{N_{bin}} \left(\frac{N_k^{sim} - N_k^{data}}{\sigma_k^{exp}} \right)^2$$

The statistical errors in the bin k

Number of experimental events in the bin k

$$N_k^{sim} = \sum_{\nu\lambda\dots} L \Gamma_\lambda(Q^2, x_B, t, \phi) P(k, \nu) X_{\lambda\nu}$$

luminosity \rightarrow L
Bin migration probability \rightarrow $P(k, \nu)$



$$\frac{d\chi^2}{dX_{\lambda_0\nu_0}} = 0$$

Values of the $X_{\lambda\nu}$

The cross section :

$$d^4 \sigma^{exp}(k) = d^4 \sigma^{Fit}(k) \frac{N^{exp}(k)}{N^{MC}(k)}$$

conclusion

✓ These results show for the first time the existence of a positive contribution of n-DVCS (+ d-DVCS)

Expérimental cross section > (n-BH+d-BH)

✓ These results are relatively stable as a function of M_x^2 cut and the experimental cross section is almost independent of the experimental binning.

✓ The errors bars in the previous plots are purely statistical errors, systematic errors are under estimation.

❖ Stability and correlation studies to estimate separately the contributions of n-DVCS and d-DVCS still to be done.

❖ A global fit will be performed using both energies (high and low) data to extract CFFs.

❖ Other Phd works on the same subject and data (C. Desnault, IPN-Orsay)

Thank you for your attention

Extraction of the cross section

A.V. Belitsky, D. Muller Phys. Rev., D82:074010, 2010

In the new BKM Formalism we have: $\left\{ \begin{array}{l} 9 \text{ CFFs for the neutron} \\ 9 \text{ CFFs for the coherent deuteron} \end{array} \right. \rightarrow$ **18 Contributions !!**
(we can't fit everything)

We chose to fit only 6 CFFs: $\left\{ \begin{array}{l} 3 X_{in} = \text{Re}(C^I)_n, \text{Re}(C^I_{Feff})_n, C_n^{DVCS} \\ \text{AND} \\ 3 X_{id} = \text{Re}(C^I)_d, \text{Re}(C^I_{Feff})_d, C_d^{DVCS} \end{array} \right.$

BUT:

These coefficients X_{in} and X_{id} are **effective coefficients**
AND

These coefficients **are not stable** (event if the χ^2 of the fit is good) as a function of:

- ❖ Cut on Mx^2
- ❖ the binning on Mx^2
- ❖ The number of contributions to fit

Only the BH_contributions and the total experimental cross section will be shown