



Charged kaon femtoscopy with ALICE at LHC

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Nov. 2015, WPCF 2015, Warsaw, Poland
XI Workshop on Particle Correlations and Femtoscopy

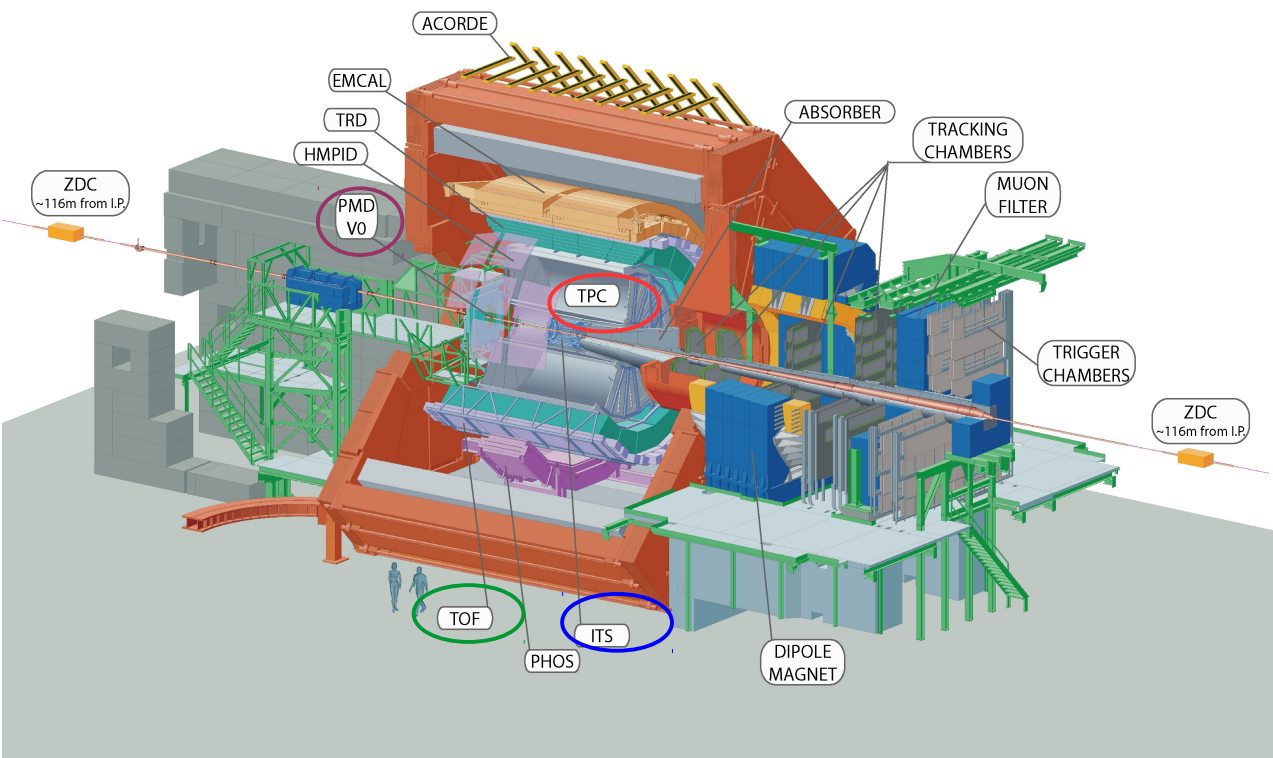
- Introduction
- Motivation
- ALICE at LHC
- Analysis details
- Results
 - 1D analysis
 - 3D analysis
- Summary

- Study of m_T -dependence of correlation radii.
- Strong constraints for hydrodynamic models (models working well for pions should work for heavier mesons and baryons also).
- **KK** suffer less from the resonance contributions than **$\pi\pi$** \rightarrow clearer signal
- Study of **$K^\pm K^\pm$** and **$K_0^s K_0^s$** \rightarrow consistency check
 - Different sources of correlations: Quantum Statistics (QS), Coulomb and Strong Final State Interactions (FSI)
 - Overlapping m_T ranges
 - Different systematics

Motivation: m_T -dependence of correlation radii



- “ m_T -scaling” : $R \sim m_T^a$, $m_T = \sqrt{m^2 + p_T^2}$
- Hydrodynamic models predict exact “ m_T -scaling” for R_{long} with $a = -1/2$ (A.N. Makhlin, Yu.M. Sinyukov, Sov. J. Nucl. Phys.46 (1987) 345; Z. Phys.C 39 (1988) 69.. Yu. M. Sinyukov, Nucl. Phys. A 498 (1989) 151.):
 - Negligible transverse flow
 - Longitudinal boost invariance
 - Common freeze-out
- Approximate “ m_T -scaling” for different particle species for R_{long} , R_{side} , R_{out} with different a was predicted in (A. Kisiel, M. Galazyn, P. Bozek, Phys.Rev. C90 (2014) 064914)
 - Indication of flow dominated freeze-out scenario
- Strong violation of “ m_T -scaling” was predicted in (V.M. Shapoval, P. Braun-Munzinger, Iu.A. Karpenko, Yu.M. Sinyukov, Nucl.Phys. A 929 (2014) 1.) due to :
 - Strong transverse flow & resonance decays influence & rescattering phase
 - “ k_T -scaling” was predicted instead
- Extraction of emission time from fit $R_{\text{long}}^2(m_T)$ using formula generalized for any strong transverse flow (Yu. Sinyukov, V.Shapoval, V.Naboka, arxiv:1508.01812),
 - Indication on importance of rescattering phase



Tracking and vertex

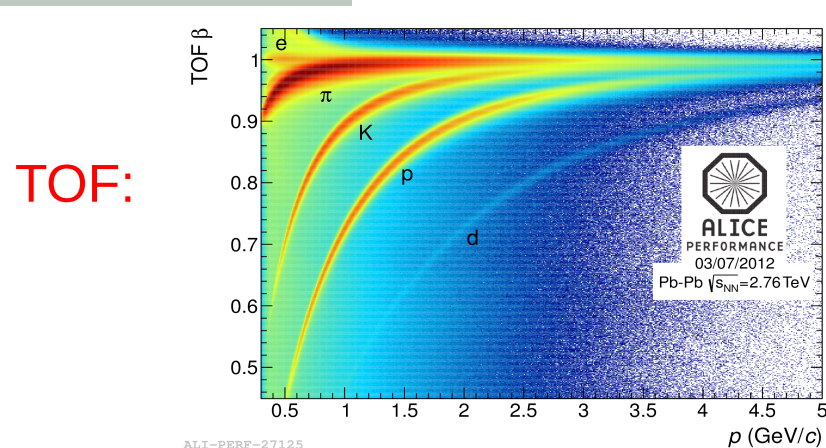
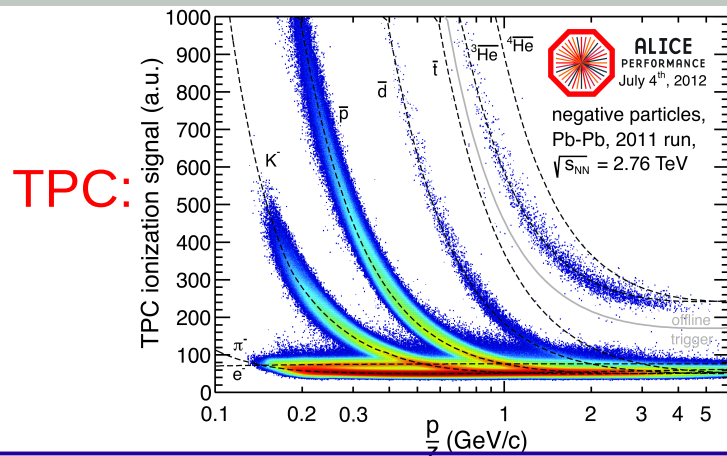
- Time Projection Chamber (TPC) & Inner Tracking System (ITS)

Centrality determination

- V0

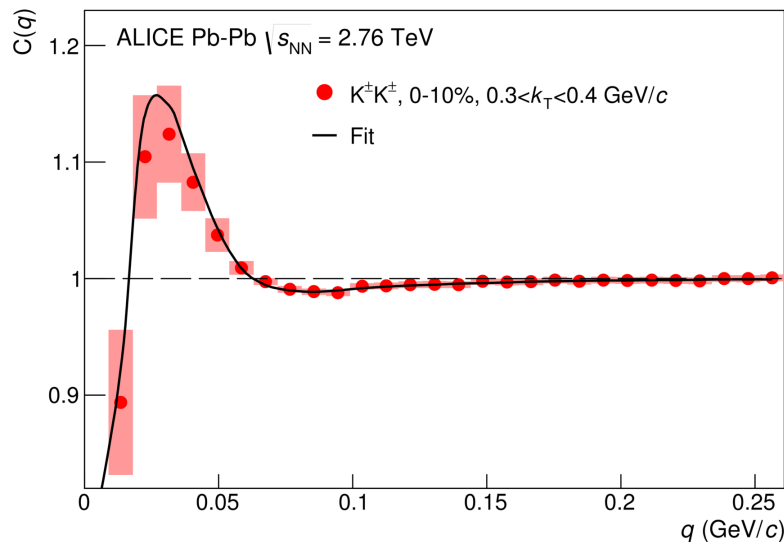
Particle Identification

- TPC and Time of Flight



K^\pm and K_s^0 CFs

Results from [ArXiv.org:1506.07884](https://arxiv.org/abs/1506.07884)



- Example $K^\pm K^\pm$ & $K_s^0 K_s^0$ CFs are shown
- CFs corrected for momentum resolution and purity
- Bose-Einstein enhancement seen for both
- Coulomb FSI: drop at low q in $K^\pm K^\pm$
- Strong FSI: dip below $C=1$ in $K_s^0 K_s^0$
- Curves corresponds to best fit:
 $K^\pm K^\pm$: Bowler-Sinyukov formula:

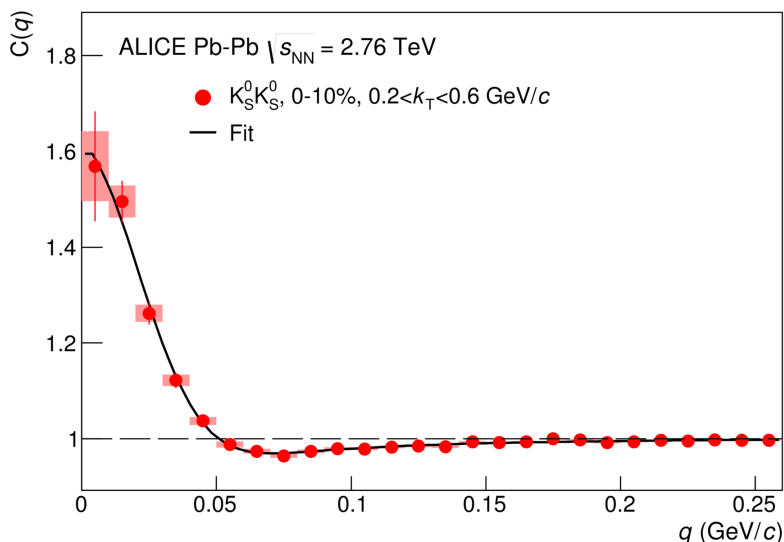
$$C(q) = N [1 - \lambda + \lambda K(q) (1 + \exp(-R_{inv}^2 q^2))],$$

N norm. factor, λ correlation strength,
 $K(q)$ symmetrized Coulomb factor

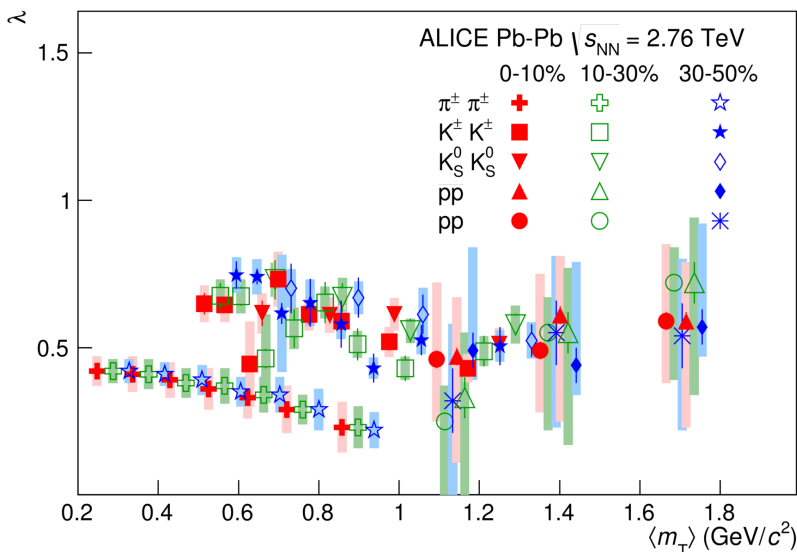
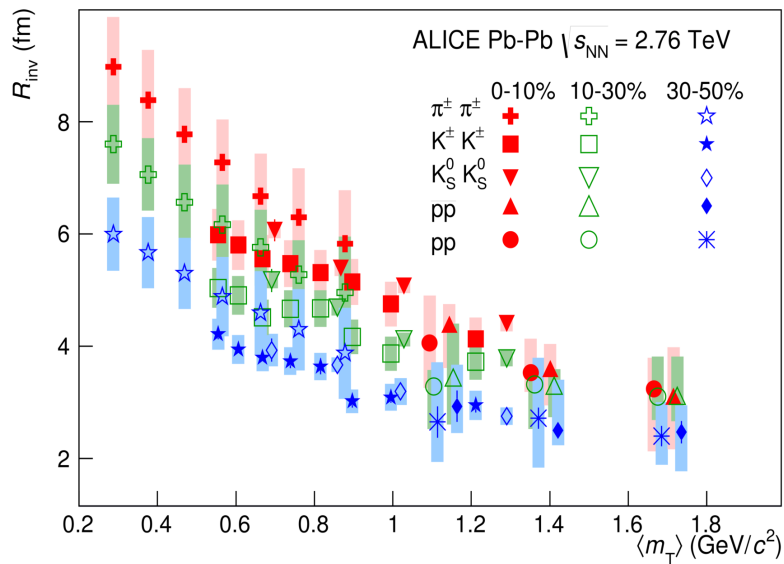
$$K_s^0 K_s^0 : \quad C(q) = N [1 - \lambda + \lambda C'(q)],$$

$$C'(q) = 1 + \exp(-R_{inv}^2 q^2) + C_{strongFSI}(q, R)$$

Strong FSI due to resonances $f_0(980)$ and $a_0(980)$



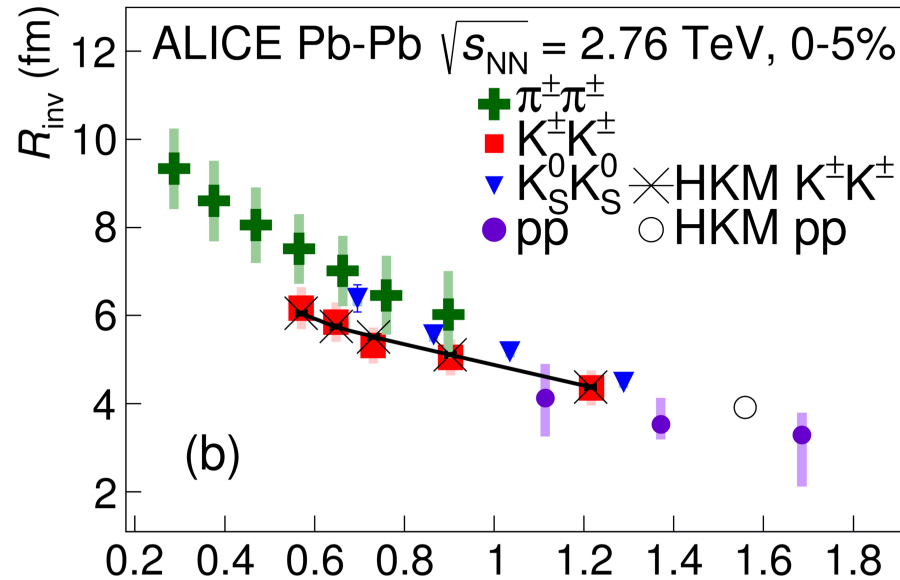
R_{inv} radii vs m_T for $\pi^\pm\pi^\pm$, $K^\pm K^\pm$, $K_S^0 K_S^0$, pp and \overline{pp}



Results from [ArXiv.org:1506.07884](https://arxiv.org/abs/1506.07884)

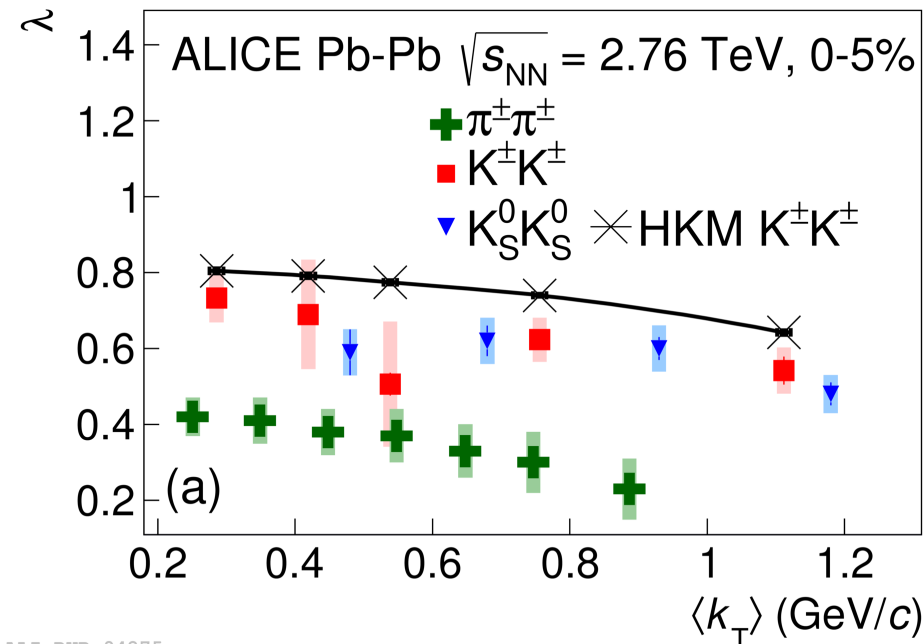
- R_{inv} and λ for $\pi^\pm\pi^\pm$, $K^\pm K^\pm$, $K_S^0 K_S^0$, pp and \overline{pp} vs m_T for several centralities
- Radii decrease with $m_T \rightarrow$ radial flow
- Increase size with increasing centrality \rightarrow simple geometric picture of the collisions.
- $R_\pi > R_K$ due to pion Lorentz factor
- R_p compatible with R_k at same m_T
- All λ lie mostly in 0.3-0.7 due to long-lived resonances, non-Gaussian shape.
- No significant centrality dependence
- λ_π are lower than λ_K due to the stronger influence of resonances

$K^\pm K^\pm$ and $K_s^0 K_s^0$ in Pb-Pb: HKM model



Results from [ArXiv.org:1506.07884](https://arxiv.org/abs/1506.07884)

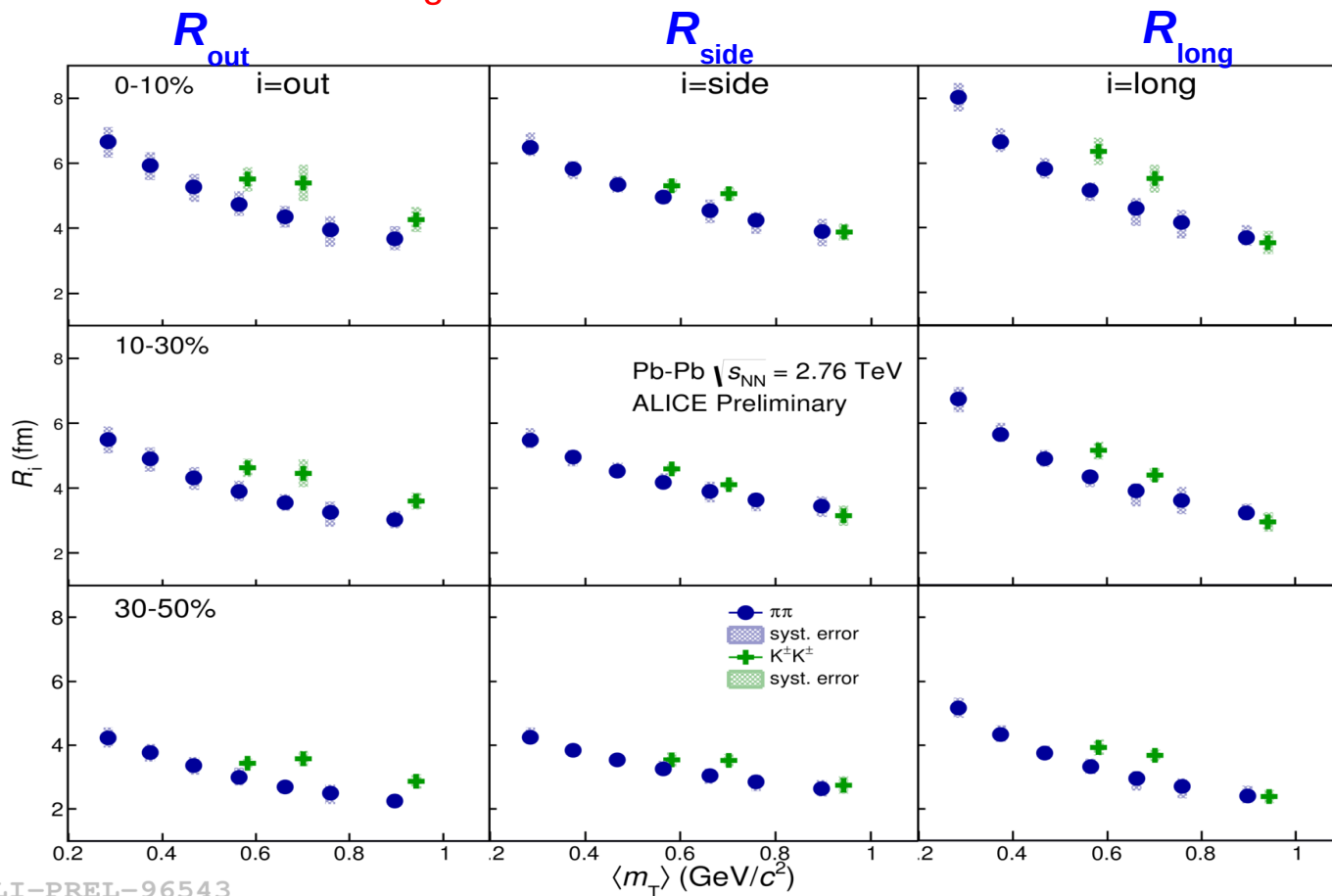
- R and λ for $\pi^\pm\pi^\pm$, $K^\pm K^\pm$, $K_s^0 K_s^0$, pp for 0-5% centrality
- Radii for kaons show good agreement with HKM predictions for $K^\pm K^\pm$ (Nucl.Phys.A929 (2014))



- λ decreases with k_T , both data and HKM
- HKM prediction for λ slightly overpredicts the data
- λ_π are lower λ_K due to the stronger influence of resonances

3D $K^\pm K^\pm$ & $\pi\pi$ radii versus m_T

Pion results from [ArXiv.org:1507.06842](https://arxiv.org/abs/1507.06842)

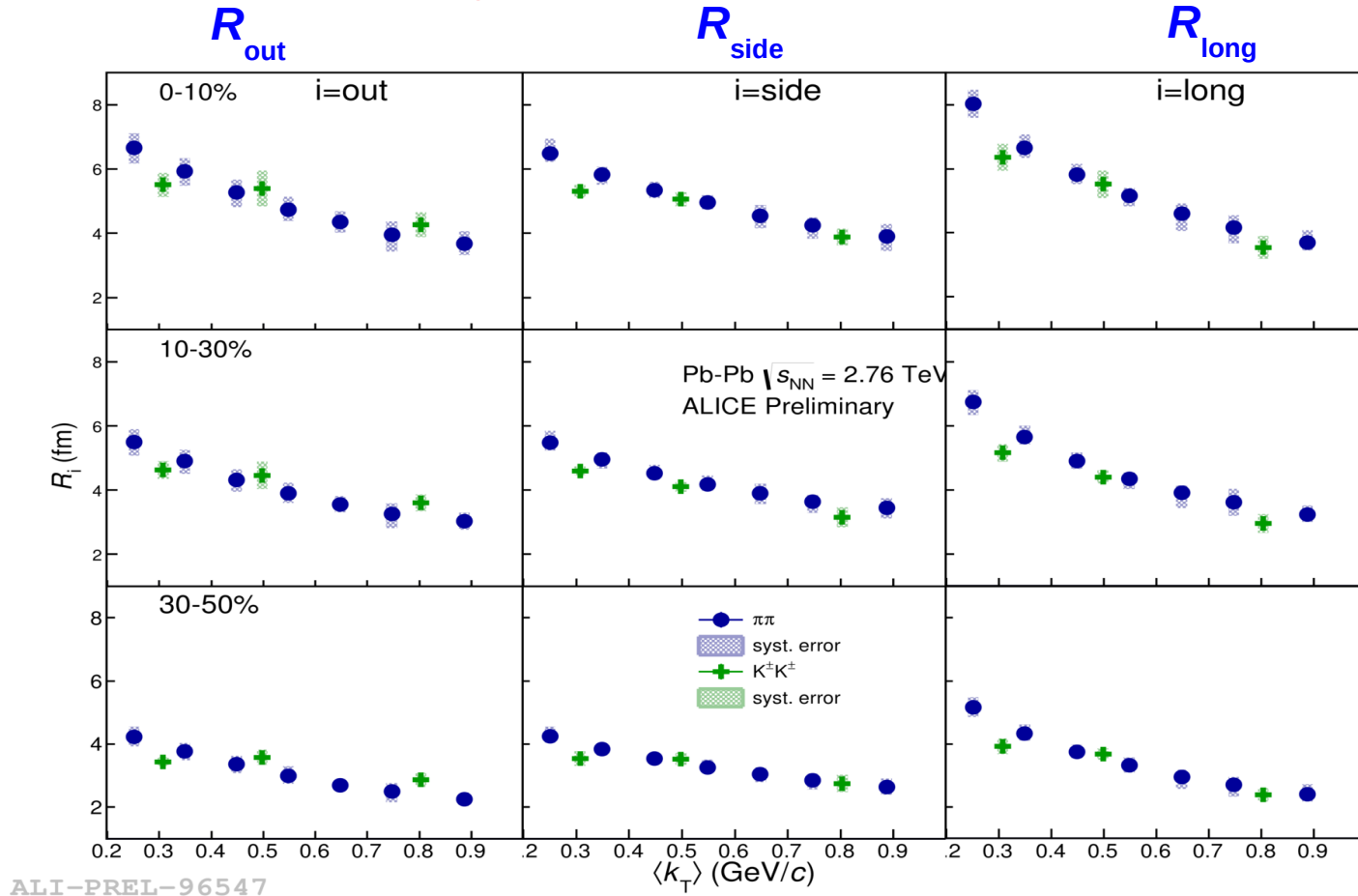


ALI-PREL-96543

- R_{side} shows approximate m_T scaling;
- R_{out} , R_{long} of K are larger than those of $\pi \rightarrow m_T$ scaling is broken;
- This difference increases for more central collisions;
- The effect is more important for R_{long}

3D $K^\pm K^\pm$ & $\pi\pi$ radii versus k_T

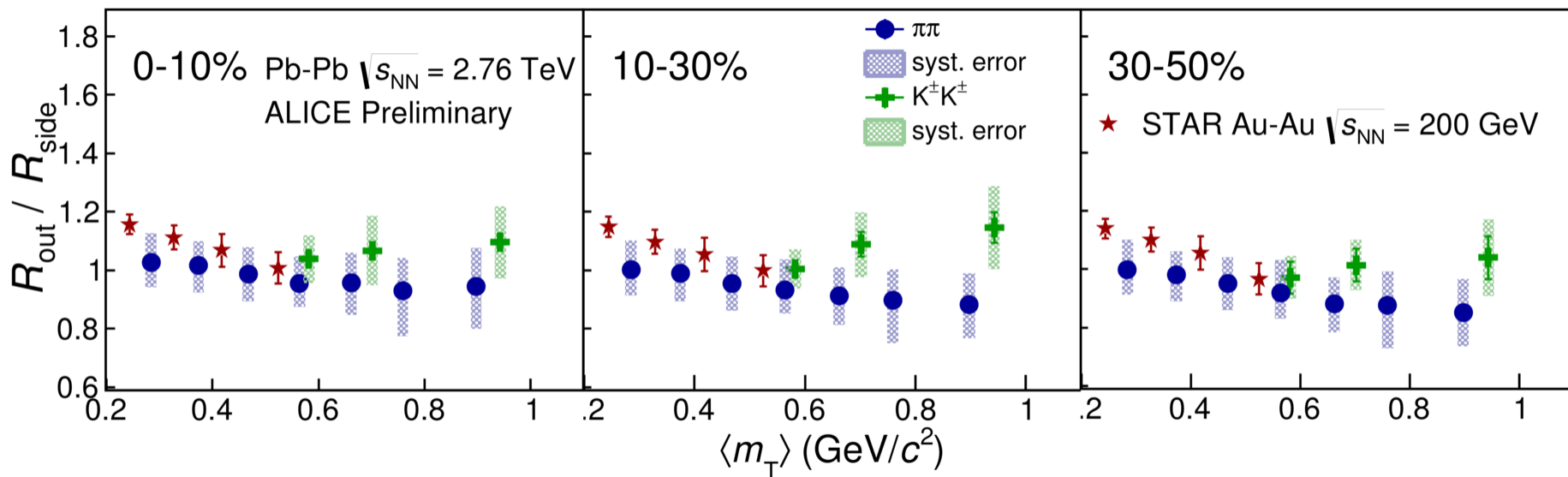
Pion results from [ArXiv.org:1507.06842](https://arxiv.org/abs/1507.06842)



- Radii scale better with k_T than with m_T according with HKM predictions (V. Shapoval, P. Braun-Munzinger, Iu.A. Karpenko, Yu.M. Sinyukov, Nucl.Phys. A 929 (2014) 1);
- Similar observations were reported by PHENIX at RHIC ([arxiv:1504.05168](https://arxiv.org/abs/1504.05168)).

R_{out}/R_{side} vs m_T for $K^\pm K^\pm$ & $\pi\pi$

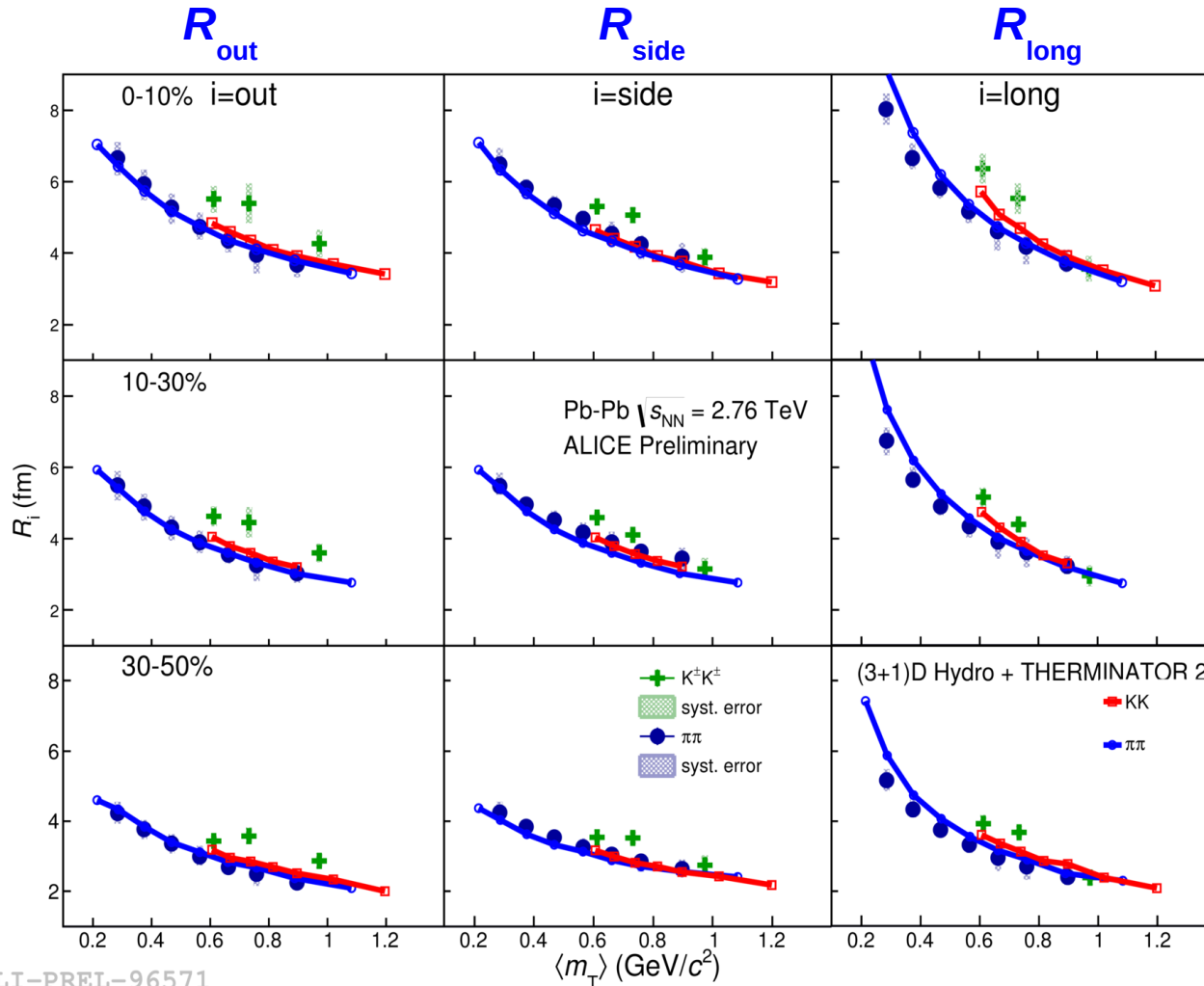
Pion results from [ArXiv.org:1507.06842](https://arxiv.org/abs/1507.06842)



ALI-PREL-96551

- $R_{out}/R_{side}(\pi) \sim 1$ for low k_T ; slowly decreasing with k_T
- $R_{out}/R_{side}(\pi)$ smaller than at RHIC (1.1) → stronger radial flow and emission point r:t correlations according to (A. Kisiel, W. Broniowski, M. Chojnacki, and W. Florkowski, PRC 79 (2009), I. Karpenko and Y. Sinyukov, PLB 688 (2010) 5054)
- Indication : $R_{out}/R_{side}(K) > R_{out}/R_{side}(\pi)$ → different r:t correlations for pions and kaons
- Similar observations were reported by PHENIX at RHIC ([arxiv:1504.05168](https://arxiv.org/abs/1504.05168)).

Comparison with (3+1)D Hydro+THERMINATOR2

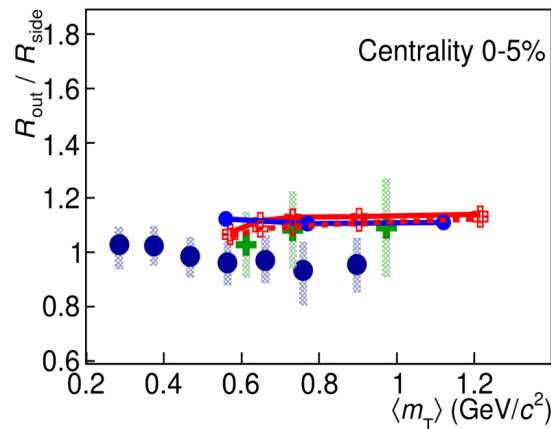
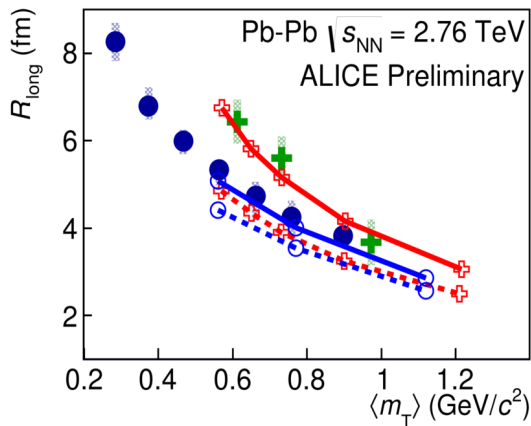
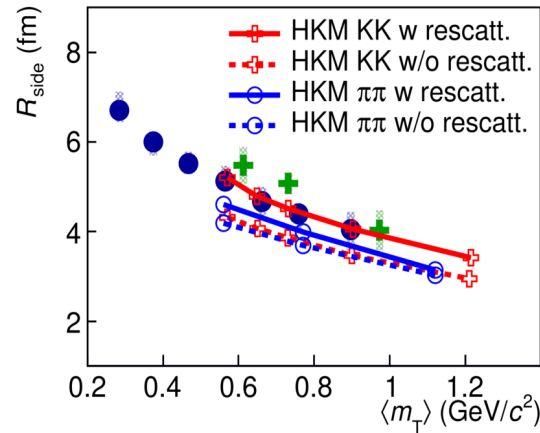
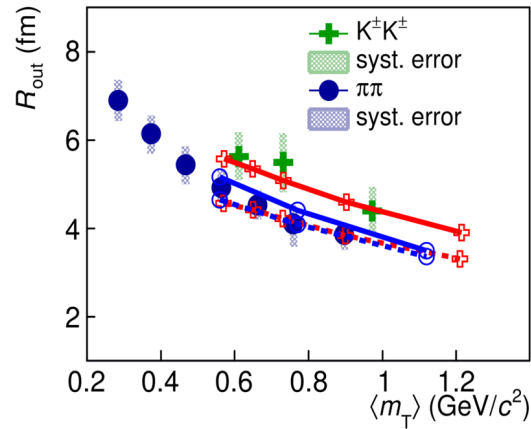


ALI-PREL-96571

- Model (A. Kisiel, M. Galazyn, P. Bozek, Phys.Rev. C90 (2014) 064914) includes hydrodynamics and resonances decays
- Good description of pion radii vs. m_T
- Underestimation of kaon radii

- Model demonstrates approximate $R \sim m_T^a$ scaling for π & K, with “a” being different for R_{out} , R_{side} , R_{long} (A. Kisiel, M. Galazyn, P. Bozek, Phys.Rev. C90 (2014) 064914)

Comparison with HKM for 0-5% centrality



- HKM model with re-scatterings (M. Shapoval, P. Braun-Munzinger, Iu.A. Karpenko, Yu.M. Sinyukov, Nucl.Phys. A 929 (2014) 1.) describes well ALICE π & K data.
- HKM model w/o re-scatterings demonstrates approximate m_T scaling for π & K, but does not describe ALICE π & K data
- The observed deviation from m_T scaling is explained in (M. Shapoval, P. Braun-Munzinger, Iu.A. Karpenko, Yu.M. Sinyukov, Nucl.Phys. A 929 (2014) 1.) by essential transverse flow & hadronic rescattering phase.

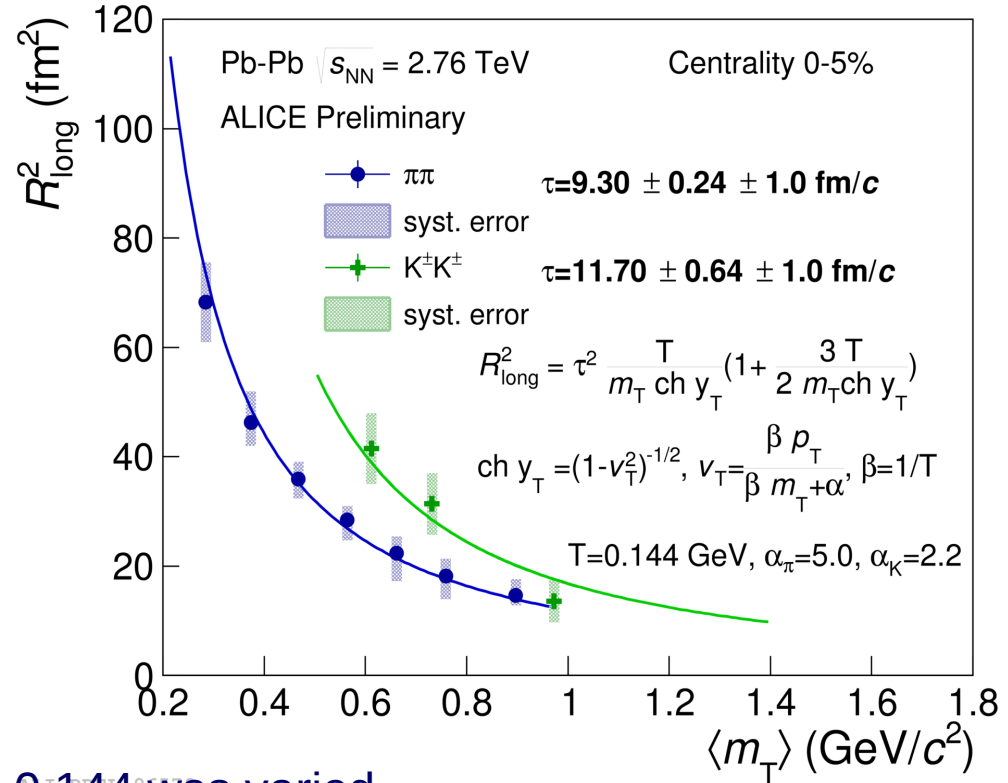
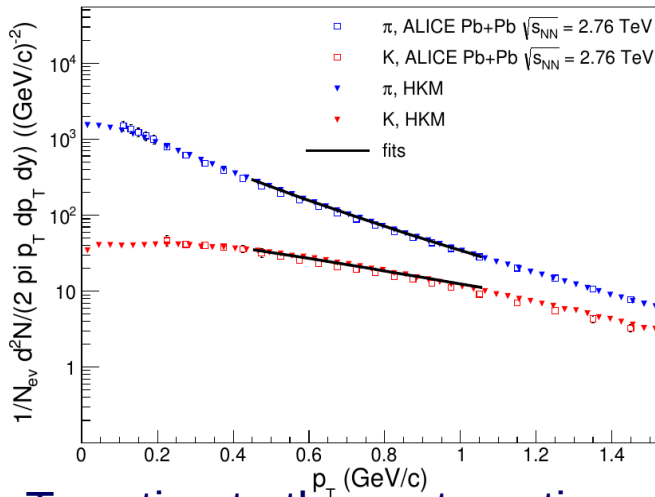
● HKM model slightly underestimates R_{side} →
overestimates R_{out}/R_{side} ratio for π

Extraction of emission time from fit $R_{\text{long}}^2(m_T)$



- The new formula for extraction of the maximal emission time for the case of strong transverse flow was used (Yu. Sinyukov, V.Shapoval, V.Naboka, arxiv:1508.01812)

- The parameters of freeze-out: T and “intensity of transverse flow”, α were fixed by fitting π and K spectra (arxiv:1508.01812)



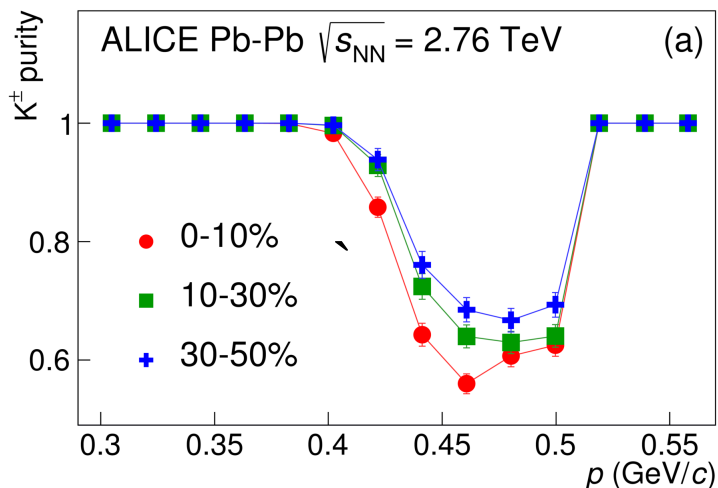
- To estimate the systematic errors: $T = 0.144$ was varied on ± 0.03 GeV & free α_π, α_K , were used; systematic errors ~ 1 fm/c
- Indication: $\tau_\pi < \tau_K$. Possible explanations (arxiv:1508.01812): HKM includes hadronic rescattering phase (UrQMD cascade): e.g. $K\pi \rightarrow K^*(892) \rightarrow K\pi$, $KN \rightarrow K^*(892)X$; ($K^*(892)$ lifetime 4-5 fm/c) [$\pi N \rightarrow N^*(\Delta)X$, $N^*(\Delta) \rightarrow \pi X$ (N^* s(Δ s)- short lifetime)]

Summary

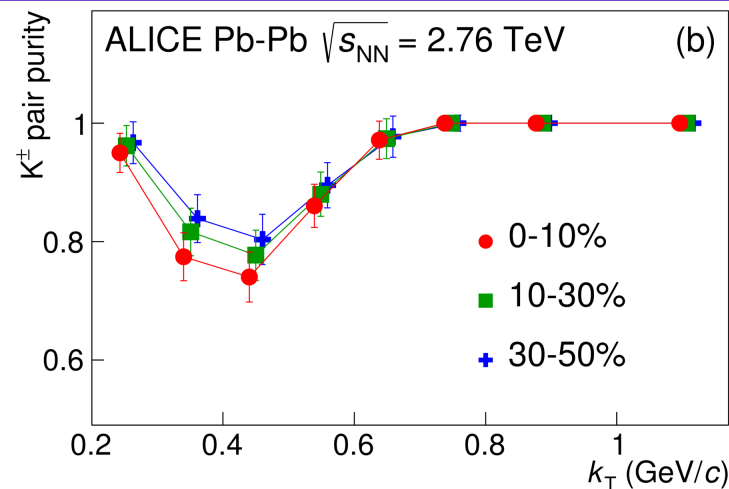
- The study performed by ALICE Collaboration on the femtoscopic correlations of heavy particles is a good complement to the pion femtoscopy as it allows one to distinguish between different model scenarios.
- 1D $\pi^+\pi^+$, K^+K^+ , $K_0^sK_0^s$, pp and \overline{pp} femtoscopic radii were measured for several centrality and m_T bins in Pb-Pb collisions at 2.76 TeV:
 - decrease with increasing m_T and decreasing system size was observed
- 3D $\pi^+\pi^+$ and K^+K^+ femtoscopic radii were measured for several centrality and m_T bins in Pb-Pb collisions at 2.76 TeV:
 - decrease with increasing m_T and decreasing system size;
 - breaking of approximate m_T -scaling expected by pure hydro-dynamical models;
 - scaling of pion and kaon radii with k_T as it was predicted by HKM ;
 - indication of $R_{out}/R_{side}(K) > R_{out}/R_{side}(\pi)$
 - indication of $\tau_\pi < \tau_K$ extracted from fit R_{long}^2 vers. m_T
- HKM model describes 3D $\pi^+\pi^+$ and K^+K^+ femtoscopic radii well
- Importance of hadronic rescattering phase for explanation of breaking of m_T -scaling

Additional slides

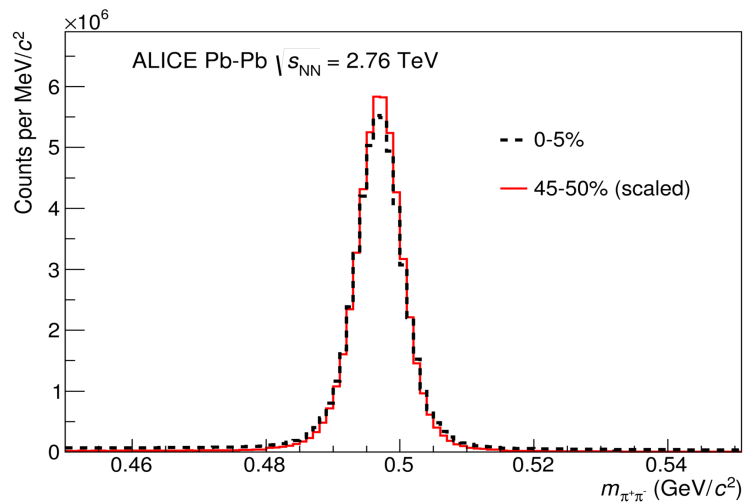
K^\pm and K^0_s PID



Results from
[ArXiv.org:1506.07884](https://arxiv.org/abs/1506.07884)



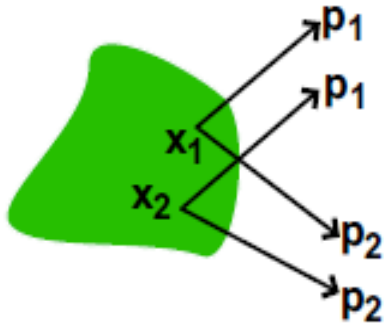
- K^\pm : $0.15 < p_T < 1.5$ GeV/c, $|\eta| < 0.8$, TCP and TOF ($p > 0.5$ GeV/c) $n\sigma$ PID ($n < 3$)
- Single and pair purity: main contamination ($0.4 < p < 0.5$ GeV/c) comes from e^\pm



- $K^0_s \rightarrow \pi^+\pi^-$ ($c\tau = 2.7$ cm)
 Daughter π : $p_T > 0.15$ GeV/c, $|\eta| < 0.8$
- TPC and TOF ($p > 0.8$ GeV/c) $n\sigma$ PID
 K^0_s : $|\eta| < 0.8$, $\pi^+\pi^-$ DCA < 0.3 cm,
 DCA to prim. vertex < 0.3 cm
- decay length < 30 cm, $\cos(\text{point. angle}) > 0.99$
- $0.480 < m_{\text{inv}} < 0.515$ GeV/c²; Purity $> 95\%$

Introduction

Correlation femtoscopy : measurement of space-time characteristics $R, c\tau \sim \text{fm}$ of particle production using particle correlations due to the effects of quantum statistics (**QS**) and final state interactions (**FSI**)



- **Two particle Correlation Function (CF):**

Theory:
$$C(q) = \frac{N_2(p_1, p_2)}{N_1(p_1) \cdot N_2(p_1)}, C(\infty) = 1$$

Experiment:
$$C(q) = \frac{S(q)}{B(q)}, q = p_1 - p_2$$

$S(q)$ – pairs from same event

$B(q)$ – pairs from different event

- **Parametrization:**

1D: $C(q_{inv}) = 1 + \lambda \exp(-R^2 q_{inv}^2)$, R Gaussian radius in Pair Rest Frame (**PRF**), λ correlation strength parameter

3D: $C(q_{out}, q_{side}, q_{long}) = 1 + \lambda \exp(-R_{out}^2 q_{out}^2 - R_{side}^2 q_{side}^2 - R_{long}^2 q_{long}^2)$

where both R and q are in Longitudinally Co-Moving Frame (**LCMS**)
 long || beam; out || transverse pair velocity v_T ; side normal to out, long