Neutrino Physics

Boris Kayser CERN July 15 – 17, 2015 Part 2

NASA Hubble Photo



The (Mass)² Spectrum



 $|\Delta m^2_{sol}| \cong 7.5 \ge 10^{-5} \text{ eV}^2$, $|\Delta m^2_{atm}| \cong 2.4 \ge 10^{-3} \text{ eV}^2$

The Lepton Mixing Matrix U

Atmospheric Reactor
$$(L \sim 1 \text{ km})$$
 Solar

$$U = \begin{bmatrix} 1 & 0 & 0 \\ 0 & c_{23} & s_{23} \\ 0 & -s_{23} & c_{23} \end{bmatrix} \times \begin{bmatrix} c_{13} & 0 & s_{13}e^{-i\delta} \\ 0 & 1 & 0 \\ -s_{13}e^{i\delta} & 0 & c_{13} \end{bmatrix} \times \begin{bmatrix} c_{12} & s_{12} & 0 \\ -s_{12} & c_{12} & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

$$c_{ij} \equiv \cos \theta_{ij} \\ s_{ij} \equiv \sin \theta_{ij} \\ Note \ big \ mixing! \\ Does \ not \ affect \ oscillation \\ \theta_{12} \approx 33^{\circ}, \ \theta_{23} \approx 40-52^{\circ}, \ \theta_{13} \approx 8-9^{\circ} \leftarrow Not \ very \ small! \\ The \ phases \ violate \ CP. \ \delta \ would \ lead \ to \ P(\overline{v_{\alpha}} \rightarrow \overline{v_{\beta}}) \neq P(v_{\alpha} \rightarrow v_{\beta}). \\ But \ note \ the \ crucial \ role \ of \ s_{13} \equiv \sin \theta_{13}. \\ We \ know \ essentially \ nothing \ about \ the \ phases. \ Only \ hints. \end{bmatrix}$$

There Is Nothing Special About θ_{13}

All mixing angles must be nonzero for *CP* in oscillation.

For example —

$$P(\overline{v}_{\mu} \rightarrow \overline{v}_{e}) - P(v_{\mu} \rightarrow v_{e}) = 2\cos\theta_{13}\sin2\theta_{13}\sin2\theta_{12}\sin2\theta_{23}\sin\delta$$

$$\times \sin\left(\Delta m^{2}_{31}\frac{L}{4E}\right)\sin\left(\Delta m^{2}_{32}\frac{L}{4E}\right)\sin\left(\Delta m^{2}_{21}\frac{L}{4E}\right)$$

In the factored form of U, one can put δ next to θ_{12} instead of θ_{13} .

The Meaning of the Mixing Matrix Elements



means that when a v_i creates a charged lepton, the probability that this charged lepton will be, in particular, of flavor β is —

$$\left|U_{\beta i}\right|^2$$

From the measured mixing angles —



A linear version of the same information is -







Is the physics behind the masses of neutrinos different from that behind the masses of all other known particles?
Are neutrinos their own antiparticles?

•Is the (mass)² spectrum like \equiv or \equiv ?

•What is the absolute scale of neutrino mass?

•Do neutrino interactions violate CP? Is $P(\bar{v}_{\alpha} \rightarrow \bar{v}_{\beta}) \neq P(v_{\alpha} \rightarrow v_{\beta})$?

Is CP violation involving neutrinos the key to understanding the matter – antimatter asymmetry of the universe?
Are we descended from heavy neutrinos? •What can neutrinos and the universe tell us about one another?

Are there *more* than 3 mass eigenstates?
Are there non-weakly-interacting "sterile" neutrinos?

• Do neutrinos have Non-Standard-Model interactions?

- Do neutrinos break the rules?
 - Violation of relativity?
 - Violation of CPT invariance?
 - Departures from quantum mechanics?

Selected Questions: Why They Are Interesting, and How They May Be swerec







Is the Origin of Neutrino Mass Different?

Neutrino Masses Without Field Theory

We will describe what the quantum field theory does, but without equations.

We start with underlying neutrino states v and \overline{v} that are distinct from each other, like other familiar fermions, and are not the mass eigenstates.

We will have to see what the mass eigenstates are later.

We can have two types of masses:



Dirac mass

Dirac mass

 $\overline{\mathbf{v}}$

A Dirac mass has the effect:



<u>Majorana Mass</u>

A Majorana mass has the effect:



<u>Majorana Mass</u>



Majorana masses mix v and \overline{v} , so they do not conserve the Lepton Number L that distinguishes leptons from antileptons:

 $L(\nu) = L(\ell^-) = -L(\overline{\nu}) = -L(\ell^+) = 1$

A Majorana mass for any fermion f causes $f \leftrightarrow \overline{f}$.

Quark and *charged-lepton* Majorana masses are **forbidden** by electric charge conservation.

But *neutrinos* are electrically neutral, so they **can** have Majorana masses.

Neutrino Majorana masses would make the neutrinos *very* distinctive, because —

Majorana neutrino masses have a different origin than the quark and charged-lepton masses.

The Possible Origins of Majorana Masses

According to the Standard Model —

Quark and charged lepton masses arise from an interaction with the Higgs field.

Dirac neutrino masses would arise in the same way.

But *Majorana* neutrino masses cannot arise as the quark and charged lepton masses do.

Majorana neutrino masses are from physics way outside the Standard Model.

A *Majorana* neutrino mass can arise without interaction with any Higgs field,

 or through interaction with a Higgs-like field which is not in the Standard Model,
 and carries a different value of the "weak isospin" quantum number than the Standard Model Higgs,

 or through interaction with the Standard Model Higgs, but not the same kind of interaction as would generate the quark masses.

The study of neutrino masses is part of the quest to understand the *orígíns* of all mass.

The Mass Eigenstates When There Are Majorana Masses

For any fermion mass eigenstate, e.g. v_1 , the action of its mass is —



The mass eigenstate is sent back into itself.

Recall that —



Then the mass eigenstate neutrino v_1 must be —

$$v_1 = v + \overline{v}$$
,

since the Majorana mass term sends this neutrino back into itself, as required for any mass eigenstate particle:



Consequence: The neutrino mass eigenstates v_1, v_2, v_3 are their own antiparticles.

 $\overline{\mathbf{v}_i} = \mathbf{v}_i$ (for given helicity)

"Majorana neutrínos"

The Terminology

Suppose v_i is a *mass eigenstate*, with *given helicty* $h \equiv \overline{\text{Spin}} \cdot \overline{\text{Momentum}}$.

• $\overline{v_i}(\mathbf{h}) = v_i(\mathbf{h})$ Majorana neutrino

Ογ

•
$$\overline{v_i}(\mathbf{h}) \neq v_i(\mathbf{h})$$
 $Dirac neutrino$

We have just shown that if neutrinos have *Majorana masses,* then the mass eigenstates are *Majorana neutrínos*.

SM Interactions Of A Dirac Neutrino

We have 4 mass-degenerate states:



SM Interactions Of A Majorana Neutrino

We have only 2 mass-degenerate states:



The weak interactions violate *parity*. (They can tell *Left* from *Right*.)

An incoming left-handed neutral lepton makes ℓ^- .

An incoming right-handed neutral lepton makes ℓ^+ .

To Determine Whether Majorana Masses Occur in Nature

The Promising Approach — Seek Neutrinoless Double Beta Decay [0vββ]



We are looking for a *small* Majorana neutrino mass. Thus, we will need *a lot* of parent nuclei (say, one ton of them).

Note that $0\nu\beta\beta$ violates conservation of lepton number L by $\Delta L = 2$. Whatever physics causes $0\nu\beta\beta$, its observation would imply the existence of a Majorana mass term:

(Schechter and Valle)



 $\overline{\mathbf{v}} \rightarrow \mathbf{v}$: A (tiny) Majorana mass term

:
$$0\nu\beta\beta \longrightarrow \overline{\nu}_i = \nu_i$$



A Cosmic Challenge: The Matter-Antimatter Asymmetry

Cosmologists: Just after the Big Bang, the universe contained equal amounts of *matter* and *antimatter*.

Today: The universe contains *matter* but essentially no *antimatter*.

This change requires that *matter* and *antimatter* behave differently. Thus, we must have *CP*. Can we find a CP-violating scenario to explain the change?

An appealing candidate: *Leptogenesis*. (*Fukugita, Yanagida*)

Leptogenesís

Leptogenesis is an outgrowth of the *See-Saw Mechanism* for generating very small neutrino masses.



We assume that, just as there are 3 light neutrinos v_1 , v_2 , v_3 , there are 3 heavy neutrinos N_1 , N_2 , N_3 .

 $M_N \sim 10^{(9-14)}$ GeV, so we cannot produce the heavy neutrinos with any existing accelerator, but they would have been made in the *hot* Big Bang.

The *N* decays modes are —



Including the possibility of CP-mirror-image decays (every particle replaced by its antiparticle), the *N* decays modes are —

Standard-Model Higgs

$$N \rightarrow \ell^{-} + H^{+}$$
, $N \rightarrow \ell^{+} + H^{-}$
 \downarrow CP mirror
 \downarrow image modes
 $N \rightarrow v + H^{0}$, $N \rightarrow \overline{v} + \overline{H^{0}}$
Standard-Model Higgs

The See-Saw picture depends on Majorana masses. In the See-Saw picture, $\overline{N} = N$.

And today $\overline{v} = v$. Try to confirm by observing $0v\beta\beta$.

CP violation in the N decays, *coming from phases among the* $y_{\alpha i}$, will lead to —

$$\Gamma\left(N \to \ell^{-} + H^{+}\right) \neq \Gamma\left(N \to \ell^{+} + H^{-}\right)$$

and

$$\Gamma\left(N \to \nu + H^0\right) \neq \Gamma\left(N \to \overline{\nu} + \overline{H^0}\right)$$

This will produce a universe with unequal numbers of leptons (ℓ^- and ν) and antileptons (ℓ^+ and $\overline{\nu}$).

In this universe the lepton number *L*, defined by $L(\ell^{-}) = L(\nu) = -L(\ell^{+}) = -L(\overline{\nu}) = 1$, is not zero.

This is Leptogenesis — Step 1

Leptogenesís — Step 2

The Standard-Model *Sphaleron* process acts. This process does not conserve the Lepton Number *L*, or its Baryonic equivalent, the Baryon Number *B*, defined by B(nucleon) = -B(antinucleon) = 3B(quark) = -3B(antiquark) = 1



Initial state from N decays Final state

There is now a nonzero Baryon Number.

Eventually, there will be nucleons, but ~ no antinucleons.

Reasonable parameters give the observed n_{Nuc} / n_{γ} .

Generically, leptogenesis and light-neutrino *CP* imply each other.

Seeking *CP* in neutrino oscillation is now a worldwide goal.

The search will use long-baseline accelerator neutrino beams to study $v_{\mu} \rightarrow v_{e}$ and $\overline{v}_{\mu} \rightarrow \overline{v}_{e}$, or their inverses. *To confirm leptonic CP violation, compare two CP-mirror-image neutrino oscillations.*



Do these two CP-mírror-ímage processes have dífferent rates? This is today's version of comparing —

with —

Sterile Neutrino One that does not couple

to the SM W or Z boson

A "sterile" neutrino may well couple to some non-SM particles. These particles could perhaps be found at LHC or elsewhere.

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The Hints of eV-Mass Sterile Neutrinos
Probability (Oscillation)
$$\propto \sin^2 \left[1.27 \Delta m^2 (\text{eV}^2) \frac{L(\text{m})}{E(\text{MeV})} \right]$$

There are several hints of oscillation with $L(m)/E(MeV) \sim 1$:

These \longrightarrow a $\Delta m^2 \sim 1 \text{ eV}^2$, bigger than the two established splittings. At least 4 mass eigenstates V^2 At least 4 flavors $\frac{\Gamma(Z \rightarrow v\overline{v})\big|_{\text{Exp}}}{\Gamma(Z \rightarrow \text{One } v\overline{v} \text{ Flavor})\big|_{\text{SM}}} = 2.984 \pm 0.009$ Then At least 1 sterile neutrino

The Hints of eV ² -Scale Δm ²		
Experiment	Possible Oscillatio	<u>n</u> <u>Comment</u>
LSND	$\overline{V}_{\mu} \rightarrow \overline{V}_{e}$	Interesting
MiniBooNE	$\nu_{\mu} \rightarrow \nu_{e}$	Somewhat disfavored by ICARUS & OPERA
MiniBooNE	$\overline{V}_{\mu} \rightarrow \overline{V}_{e}$	NOT constrained by ICARUS & OPERA
Reactor Exps.	$\overline{v}_e \rightarrow \operatorname{Not} \overline{v}_e$	Flux uncertainty ~ 6% size of effect
⁵¹ Cr and ³⁷ Ar Source Exps.	$v_e \rightarrow \operatorname{Not} v_e$	Detection efficiency?

Q: So, are there eV-scale sterile neutrinos?

A: Some interesting experiments are planned or suggested.

