# FROM RAW DATA TO PHYSICS



## **LECTURE 2**



## **LECTURE 2**



## WHAT DO WE RECONSTRUCT



# **RECONSTRUCTION – FIGURES OF MERIT**

"**true**" quantity: quantity at MC generator level.

	Definition	Example		Needs be:
Efficiency	how often do we reconstruct the object	tracking efficiency = (number of reconstructed tracks) / (number of true tracks)	ATLAS 0.9 0.9 0.9 0.9 0.8 0.7 0.7 0.7 0.6 0.5 0.5 0.6 0.5 0.6 0.5 0.7 0.6 0.5 0.7 0.6 0.7 0.7 0.8 0.7 0.6 0.7 0.7 0.8 0.7 0.7 0.7 0.6 0.7 0.7 0.7 0.7 0.7 0.7 0.7 0.6 0.7 0.7 0.6 0.7	High
Resolution	how accurately do we reconstruct the quantity	energy resolution = (measured energy – true energy) / (true energy)	$\sigma = (1.12 \pm 0.03)\%$	Good
Fake rate	how often we reconstruct a different object as the object we are interested in	a jet faking an electron, fake rate = (Number of jets reconstructed as an electron) / (Number of jets)	$\begin{array}{c} 0.5 \\ 0.4$	Low

# **RECONSTRUCTION – GOALS**

- High efficiency.
- Good resolution.
- Low fake rate.
- Robust against detector problems and data-taking conditions.
  - Noise.
  - Observe the sector Dead regions of the detector.
  - Increased pile-up.
- Computing-friendly.
  - OPU time per event.
  - Memory use.



# WHY DO WE NEED THE MAGNETIC FIELD?







## **TRACKING IN A NUTSHELL**

 A track represents a measurement of a charged particle that leaves a trajectory as it passes through the detector.



Tracks are key ingredients of most of particle reconstruction.

Perfect measurement – ideal



Perfect measurement – ideal



Imperfect measurement – reality



Perfect measurement – ideal



Imperfect measurement – reality



Small errors and more points help to constrain the possibilities



Perfect measurement – ideal



Imperfect measurement – reality



Small errors and more points help to constrain the possibilities



#### Quantitatively:

- Parameterize the track;
- Find parameters by Least-Squares-Minimization;
- Obtain also uncertainties on the track parameters.

#### Sor a track we measure:

- Its momentum;
- It's direction;
- Its charge;
- Its "perigee": the closest point to a reference line, transverse (d<sub>0</sub>) or longitudinal (z<sub>0</sub>).



#### Sor a track we measure:

- Its momentum;
- It's direction;
- Its charge;
- Its "perigee": the closest point to a reference line, transverse  $(d_0)$  or longitudinal  $(z_0)$ .
- And their uncertainties!



#### Small uncertainties are required.

- $\odot$  δd0 is O(10µm) and δθ O(0.1mrad).
- Allows separation of tracks that come form different particle decays (which can be separated at the order of mm).

# TRACKING – THE UNCERTAINTIES

#### Presence of Material

- Oulomb scattering off the core of atoms
- Inergy loss due to ionization
- In Bremsstrahlung
- Hadronic interaction

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- Alignment corrections derived from data and applied in track reconstruction.



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# THE EVENT AT TIERO



## **IMPACT OF GOOD ALIGNMENT**

Improving the tracker alignment description in the reconstruction gives better track momentum resolution which leads to better mass resolution.



- Can see the reconstructed Z width gets narrower if we use better alignment constants. Very important for physics analysis to have good alignment.
- Alignment of detector elements can change with time, for example when the detector is opened for repair, or when the magnetic field is turned on and off.

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# **CLUSTERING IN A NUTSHELL**

- Reconstruct energy deposited in the calorimeter by charged or neutral particles; electrons, photons and jets.
- Solution For a cluster we measure:
  - The energy;
  - The position of the deposit;
  - The direction of the incident particles;
- Calorimeters are segmented in cells.
  - Typically a shower created by a particle interacting with the matter extends over several cells.
- **•** Various clustering algorithms, e.g.:
  - Sliding window. Sum cells within a fixed-size rectangular window.
  - Start with a seed cell and iteratively add to the cluster the neighbor of a cell already in the cluster.

# CLUSTER FINDING – AN EXAMPLE

#### CMS crystal calorimeter – ECAL clusters

◎ electron energy in central crystal ~80%, in 5x5 matrix around it ~96%.









# **CLUSTER FINDING**



Simple example of an algorithm

- Scan for seed crystals = local energy maximum above a defined seed threshold
- Starting from the seed position, adjacent crystals are examined, scanning first in  $\phi$  and then in  $\eta$
- Along each scan line, crystals are added to the cluster if
  - 1. The crystal's energy is above the noise level (lower threshold)
  - 2. The crystal has not been assigned to another cluster already

### DIFFICULTIES

#### Careful tuning of thresholds needed.

- needs usually learning phase;
- adapt to noise conditions;
- too low : pick up too much unwanted energy;
- too high : loose too much of "real" energy. Corrections/Calibrations will be larger.



#### example : one lump or two?

## WHAT DO WE RECONSTRUCT



## WHAT DO WE RECONSTRUCT



# **ELECTRONS / PHOTONS**

- Final Electron momentum measurement can come from tracking or calorimeter information (or a combination of both).
  - Often have a final calibration to give the best electron energy.
- Often want "isolated electrons".
  - Require little calorimeter energy or tracks in the region around the electron.



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# **ELECTRONS / PHOTONS (BGRS)**

- Hadronic jets leave energy in the calorimeter which can fake electrons or photons.
- Substitution Strain Strain
- O Usually the calorimeter cluster is much wider for jets than for electrons/photons.
- ◎ So it should be "easy" to separate electrons from jets.
- However have many thousands more jets than electrons, so need the rate of jets faking an electron to be very small ~10<sup>-4.</sup>
- Seed complex identification algorithms to give the rejection whilst keeping a high efficiency.

# **ELECTRONS / PHOTONS (BGRS)**



Example of different calorimeter shower shape variables used to distinguish electron showers from jets in ATLAS

## MUONS

- Combine the muon segments found in the muon detector with tracks from the tracking detector
- Momentum of muon determined from bending due to magnetic field in tracker and in muon system
  - Combine measurements to get
     best resolution
  - Need an accurate map of the magnetic field in the reconstruction software
  - Alignment of the muon detectors also very important to get best momentum resolution



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# **MUONS ON ATLAS**

#### **Simplified Detector Transverse View**



## **JETS**



#### **STANDARD MODEL PROCESSES**



#### Jets are produced:

- In by fragmentation of gluons and (light) quarks in QCD scattering.
- by decays of heavy Standard Model particles, e.g. W & Z.
- In association with particle production in Vector Boson Fusion, e.g. Higgs.
- in decays of beyond the Standard Model particles, e.g. in SUSY.


# **JET ALGORITHMS**

<u>Theoretical requirements</u>: infrared and collinear safe.



Soft gluon radiation should not merge jets





Final jet should not depend on the ordering of the seeds...

...and on signal split in two possibly below threshold

## Experimental requirements: detector technology & environment independent, easily implementable.

Insignificant effects of detector Noise Dead material Cracks Stability with Luminosity Pile-up Physics process Fully specified Fast

<u>Jet algorithm commonly used at the LHC</u>: 'anti- $k_t$ '. A 'recursive recombination' algorithm. Starts from (topo-)clusters. Hard stuff clusters with nearest neighbor. Various cone sizes (standard R=0.4/0.5, "fat" R=1.0).

# **JET CALIBRATION**



#### Correct the energy and position measurement and the resolution.

#### Account for:

Instrumental effects Detector inefficiencies 'Pile-up' Electronic noise Clustering, noise suppression Dead material losses Detector response Algorithm efficiency

Physics effects

Algorithm efficiency 'Pile-up' 'Underlying event'



## **JETS & PILE-UP**



Multiple interactions from pile-up

#### **BJETS**

- ◎ b-quarks have a lifetime of ~  $10^{-12}$  s.
- They travel a small distance (fraction of mm) before decaying.
- A "displaced vertex" creates a distinct jet, so b-jets can be tagged (b-tagged).
- b-tagging uses sophisticated algorithms, mostly multi-variate.
- b-jets create distinct final states, important for both Standard Model measurements and searches for New Physics.





# MISSING TRANSVERSE MOMENTUM – "ME<sub>T</sub>"

	2.4 MeV	1.3 GeV	170 GeV	0	
ks	u	с	t	Υ	
ar	4.8 MeV	104 MeV	4.2 GeV	0	
δu	ی. ا		<b>L</b>	g	U
	a	5	a	91 GeV	
70	<2 eV	<2 eV	<2 eV	Z	Ŭ
Sn (	v	<b>v</b> ,,	<b>v</b> .	80 GeV	ŭ
to	6	4		W	
ep	0.5 MeV	16 MeV	1.8 GeV	126 GeV	
Ц	е	μ	τ	H	

**Simplified Detector Transverse View** 



In the transverse plane:

$$\sum \vec{p}_{\rm T} = 0$$

Missing Transverse Momentum (ME<sub>T</sub>)

# MISSING TRANSVERSE MOMENTUM – "ME<sub>T</sub>"



In the transverse plane:

 $\sum \vec{\mathbf{p}}_{\mathrm{T}} = 0$ 

Missing Transverse Momentum (ME<sub>T</sub>)

#### Simplified Detector Transverse View **Muon Spectrometer Toroids HadCAL EMCAL** photon electron Solenoid TRT let SCT **Pixels** muon Κv

# **PARTICLE FLOW**

- "Flow of particles" through the detector.
- Reconstruct and identify all particles, photons, electrons, pions, ...
- Use best combination of all subdetectors for measuring E, η, φ, ID.
- Relies on
  - high precision, high efficiency tracking;
  - Iarge magnetic field for good pT resolution and charged-to-neutral particle separation; and
  - highly granular calorimeter.
- First used at LEP (ALEPH) and then at the LHC (CMS).





#### **PARTICLE FLOW - PERFORMANCE**



In Jet Energy Scale uncertainty, large improvements with respect to calo jets!

# **A COMPARISON**



At ~ 100GeV jets, PF jets (CMS) and calo jets (ATLAS) have similar performance.
 Particle reconstruction always needs to be optimized depending on the detector technologies and experimental requirements.

## **ONLINE RECONSTRUCTION**

Objective:Trigger ("online") reconstruction same as "offline".Problem:Time. Trigger decision needs to be taken fast.Solution:Simplification.Challenge:Clever simplification = good performance.



E.g. track reconstruction in regions of interest and simplified MET calculation.

## **ONLINE RECONSTRUCTION**

trigger efficiency =  $\frac{\# \text{ events passing offline selection \& trigger}}{\# \text{ events passing offline selection}}$ 



Clever ideas need to be deployed to bring online closer to offline, making efficiency curves **sharper** and **plateau closer to 1**.

# EFFICIENCY MEASUREMENTS

Relevant beyond the trigger...

#### Tag and Probe

Select events based on requirements on one object (tag) and study the response of the second object (probe), not used in the event selection, using some constraint such as the Z mass.

- e.g.  $Z \rightarrow \tau \tau$  events.
- Typically used for measurement of the identification efficiency.

#### **Orthogonal sample**

Measure directly the efficiency on an independent, orthogonal sample.

• e.g. jet trigger efficiency on a sample triggered by muons,

#### **Bootstrap method**

The efficiency,  $\varepsilon_{B}$ , of a selection B, inclusive compared to a selection A, can be determined in a sample of events passing selection A (provided that  $\varepsilon_{A}$  is measurable):  $\varepsilon_{B} = \varepsilon_{B|A} \times \varepsilon_{A}$ .

 e.g. trigger efficiencies, say B: tau50\_loose & A: tau16\_loose

# **RECONSTRUCTING PARTICLES**

	2.4 MeV	1.3 GeV	170 GeV	0	
cks	u	С	t	Ŷ	
uaı	4.8 MeV	104 MeV	4.2 GeV	ă	
ō	d	s	b	91 GeV	SU
	<2 eV	<2 eV	<2 eV	<b>7</b>	Ö
S	~2 CV	~2.67	~2.67	80 GeV	gö
toi	v <sub>e</sub>	ν <sub>μ</sub>	ν <sub>τ</sub>	W	щ
ep	0.5 MeV	16 MeV	1.8 GeV	126 GeV	
Ľ	е	μ	τ	Н	

Simplified Detector Transverse View Muon Spectrometer



## TAUS

Tau Decay	B.R.		
Leptonic		$\tau^{\pm} \rightarrow e^{\pm} + v + v$	17.8%
		$\tau^{\pm} \rightarrow \mu^{\pm} + \nu + \nu$	17.4%
Hadronic	1-	$\tau^{\pm} \rightarrow \pi^{\pm} + \nu$	11%
	prong	$\tau^{\pm} \rightarrow \pi^{\pm} + \nu + n\pi^0$	35%
	3- prong	$\tau^{\pm} \rightarrow 3\pi^{\pm} + v$	9%
		$\tau^{\pm} \rightarrow 3\pi^{\pm} + \nu + n\pi^0$	5%
Other			~5%

- Hadronic tau reconstruction extremely challenging.
- Using multi-variate techniques based on track multiplicity and shower shapes.

# A tau jet (signal)...

#### ...vs. a QCD jet (background)







 $e^{+}/\mu^{+}/q$ 

e<sup>-</sup>/µ<sup>-</sup>/q

Z<sup>0</sup>

## **AND THE HIGGS!**



## **HOW ABOUT NEW PARTICLES?**

These decay to Standard Model particles or create Missing Energy...

E.g.



## **PHYSICS ANALYSES**



## **END OF LECTURE 2**



## **LECTURE 3**





#### **BJETS**



#### **MISSING TRANSVERSE MOMENTUM**

Impossible to measure particles that don't interact in the detector.

➔ Instead, measure everything else & require momentum conservation in the transverse plane.

Sensitive to pile-up and detector problems.

Only as good as its inputs.

 Use calibrated physics objects: electrons, photons, muons, taus, jets.

Add remaining soft energy.



#### **MISSING ET – PILEUP & TAILS**





62

# **GRAND ATLAS** (non-BSM) PHYSICS SUMMARY



	ATLAS	Prelimina	ry m <sub>top</sub> :	summary - Oc	t. 2013, L <sub>in</sub>	<sub>t</sub> = 35 pb <sup>-1</sup>	- 4.7 fb <sup>-1</sup>	
2010, CONF-2	, <b>lepton+jets*</b> 011-033, L <sub>int</sub> = 35 pb <sup>-1</sup>				169.3	± 4.0		± 4.9
2011, Eur. Phy	lepton+jets s. J. C72 (2012) 2046, I	<sub>int</sub> = 1.04 fb <sup>-1</sup>			174.5	± 0.6 ±	0.4	± 2.3
2011, CONF-2	all jets* 012-030, L <sub>int</sub> = 2.05 fb <sup>-1</sup>				174.9	± 2.1		± 3.8
2011, CONF-2	dilepton* 012-082, L <sub>int</sub> = 4.7 fb <sup>-1</sup>				<b>1</b> 75.2	± 1.6		$\pm \frac{3.1}{2.8}$
2011, CONF-2	lepton+jets* <sup>*,®</sup> 013-046, L <sub>int</sub> = 4.7 fb <sup>-1</sup>			0	172.3	1±0.23±	0.27 ± 0.67	7 ± 1.35
2011, CONF-2	dilepton* <sup>°©</sup> 013-077, L <sub>int</sub> = 4.7 fb <sup>-1</sup>	2012 (00)/5 00	-		173.0	9 ± 0.64 (stat.)	(JSF) (bJSF	± 1.50 (syst.)
172.6	3 Comb. Sept. 35 ± 0.31 <sub>stat.</sub> ± 1.	2013 (CONF-201 .40 <sub>JSF⊕bJSF⊕sy</sub> .	3-102)	<b></b>		<ul> <li>stat. uncer</li> <li>stat. ⊕ JSF</li> <li>total uncer</li> <li>*Prelimina</li> </ul>	tainty <sup>-</sup> ⊕ bJSF unc tainty ry, <sup>©</sup> Input con	ertainty nb.
155	160	165	170	175	180	185	190	195 m <sub>ton</sub> [GeV



NNLO+NNLL (top++ 2.0)

 $179\pm4\pm9\pm7$  pb

173 ± 6 + 14 + 8 / 7 pb

 $177 \pm 3^{+8}_{-7} \pm 7 \text{ pb}$ 

 $165 \pm 2 \pm 17 \pm 3 \text{ pb}$ 

194 ± 18 ± 46 pb

 $186 \pm 13 \pm 20 \pm 7 \text{ pb}$ 

 $168 \pm 12^{+60}_{-57} \pm 7 \text{ pb}$ 

300

250

scale uncertainty scale+PDF uncertainty

stat, uncertainty total uncertainty

b	<b>ATLAS</b> m <sub>H</sub> = 125.5 GeV	-+- σ(stat) σ(sys) σ(theo)	Total uncertainty ± 1σ on μ
pb	$H \rightarrow \gamma \gamma$ μ = 1.55 <sup>+0.32</sup> <sub>-0.26</sub>	±0.23 ±0.21 ±0.15	
b	Low $p_{Tt}$ $\mu = 1.6^{+0.5}_{-0.4}$	±0.3	
35	High p <sub>Tt</sub> $\mu = 1.7^{+0.7}_{-0.6}$	5 ±0.5	
	$\mu = 1.9^{+0.4}_{-0.6}$ $\mu = 1.3^{+1.2}_{-0.6}$ VH categories $\mu = 1.3^{+1.2}_{-1.1}$	<sup>3</sup> ±0.6 ±0.9 ►	
	$H \rightarrow ZZ^* \rightarrow 4I$ $\mu = 1.43^{+0.40}_{-0.32}$	±0.33 ±0.17 ±0.14	
	$\begin{array}{l} \text{VBF+VH-like} \\ \text{categories} \\ \mu = 1.2^{+1.6}_{-0.5} \end{array}$	6 + 1.6 - 0.9	
	Other $\mu = 1.45^{+0.43}_{-0.36}$	3 ±0.35	
	$H \rightarrow WW^* \rightarrow h/hv$ $\mu = 0.99^{+0.37}_{-0.26}$	±0.21 ±0.21 ±0.12	
	0+1 jet $\mu = 0.82^{+0.33}_{-0.32}$	<sup>3</sup> ±0.22	
	2 jet VBF $\mu = 1.4^{+0.7}_{-0.6}$	<sup>7</sup> <sub>5</sub> ±0.5	
	Comb. H→γγ, ZZ*, WW $μ = 1.33^{+0.27}_{-0.18}$	+ ±0.14 ±0.15 ±0.11	
	√s = 7 TeV ∫Ldt = 4.6-4.8 fl	b <sup>-1</sup> 0	1 2 3
	$\sqrt{s} = 8 \text{ TeV} \int Ldt = 20.7 \text{ fb}^{-1}$		Signal strength ( $\mu$ )

63

#### **B-JET**



## **STANDARD MODEL SUMMARY**



## THE SUSY MULTIJET SEARCH



Why  $ME_T / \sqrt{H_T}$ ?  $\Rightarrow$  a measure of  $ME_T$  in units of standard deviations of the fake  $ME_T$ 

$$\frac{\sigma_{\mathrm{p_T}}}{\mathrm{p_T}} = \frac{\mathrm{N}}{\mathrm{p_T}} \oplus \frac{\mathrm{S}}{\sqrt{\mathrm{p_T}}} \oplus \mathrm{C}$$

#### **MULTI-JET BACKGROUND**



## **LEPTONIC BACKGROUNDS**

- ◎ ttbar (non-full-hadronic) + jets and W/Z + jets.
- © Scale MC in control regions in data (through a multi-bin fit).

Single-lepton validation region			
Lepton $p_{\rm T}$	$> 25 \mathrm{GeV}$		
Lepton multiplicity	Exactly one, $\ell \in \{e, \mu\}$		
$E_{\rm T}^{\rm miss}$	$> 30 \mathrm{GeV}$		
$E_{\rm T}^{\rm miss}/\sqrt{H_{\rm T}}$	$> 2.0 \text{ GeV}^{1/2}$		
$m_{ m T}$	$< 120 \mathrm{GeV}$		
Jet $p_{\rm T}$			
Jet multiplicity	As for signal regions $(table 1)$		
<i>b</i> -jet multiplicity			
$M_J^{\Sigma}$			
Control region (additional criteria)			
Jet multiplicity	Unit increment if $p_{\rm T}^{\ell} > p_{\rm T}^{\rm min}$		
$E_{\mathrm{T}}^{\mathrm{miss}}/\sqrt{H_{\mathrm{T}}~(+p_{\mathrm{T}}^{\ell})}$	$> 4.0 \text{ GeV}^{1/2}$		

Two-lepton validation region		
Lepton $p_{\rm T}$	$> 25 \mathrm{GeV}$	
Lepton multiplicity	Exactly two, $ee$ or $\mu\mu$	
$m_{\ell\ell}$	$80{\rm GeV}$ to $100{\rm GeV}$	
Jet $p_{\rm T}$		
Jet multiplicity	As for signal regions	
<i>b</i> -jet multiplicity	(table 1)	
$M_J^{\Sigma}$		
Control region (additional criteria)		
$ \mathbf{p}_{\mathrm{T}}^{\mathrm{miss}}+\mathbf{p}_{\mathrm{T}}^{\ell_{1}}+\mathbf{p}_{\mathrm{T}}^{\ell_{2}} /\sqrt{H_{\mathrm{T}}}$	$> 4.0 \text{ GeV}^{1/2}$	

Incertainties dominating the leptonic background determination: JES/JER, b-tagging, pile-up and theory.

#### **LEPTONIC BACKGROUND**



# THE STATISTICAL TREATMENT

#### Flavour stream

Simultaneous fit in the 'j50' and 'j80' signal regions separately.

- Itbar & W+jets: one control region per signal region.
  Normalization allowed to vary freely in the fit.
- Other less significant backgrounds; determined using MC. Constrained by their uncertainties.
- Multijet background; not constrained by control regions. Constrained by its uncertainties.

#### MJ stream

A fit performed in each signal region to adjust the normalization of ttbar and W backgrounds.

# INTERPRETATIONS

#### 'Real models'

- O Scalar mass parameter, m<sub>0</sub>
- O Gaugino mass parameter, m<sub>1/2</sub>
- O Trilinear Higgs-sfermion-sfermion coupling, A<sub>0</sub>
- O Ratio of Higgs vaccum expectation values, tanβ
- O Sign of SUSY Higgs parameter, sign(µ)

#### **'Simplified models'**

Simplified topologies with typically one production and one decay process. Provide useful information for theorists.



#### **INTERPRETATIONS**


#### **INTERPRETATIONS**



### **INTERPRETATIONS**



- Note that the multijet analysis is not optimized for a specific model, it is built to be as model-independent as possible.
- Multijet analysis is strong in other simplified models, e.g. gluino pair production via 2-step decay to 12 jets.

# **QCD BACKGROUNDS IN SUSY**

All (SUSY) analyses use data-driven methods for assessing multijet SM production.

Monte Carlo can not be used when large multiplicities are involved:

- Inclusive multi-jet / multi-parton samples provided by Monte Carlo generators recently only.
  - E.g. only very latest Sherpa release provides NLO calculations up to four jets.
- Monte Carlo predictions have not yet been validated with multi-jet data.
- Detailed comparisons between data and various Monte Carlo generators and theoretical predictions would provide extremely useful input to the theory community in understanding QCD.
  - They would also provide a great understanding of a dominant SUSY background in view of run2.

## E.G. FOUR-JET TOPOLOGIES & OBSERVABLES



Category	Variable
Simple kinematic & ratios	pΤ, η, φ, ΗΤ, ρ <sub>Τi</sub> /p <sub>Τj</sub>
Angles	$\Delta \eta_{ij}, \Delta \phi_{ij}, \Delta R_{ij}$
Masses & ratios	m <sub>ij</sub> , m <sub>ijk</sub> , m <sub>4</sub> , m <sub>i</sub> /m <sub>ij</sub> , m <sub>i</sub> /m <sub>ijk</sub> , m <sub>i</sub> /m <sub>4</sub>
Event shapes	$\Sigma p_T^2 / \Sigma p^2$

## E.G. FOUR-JET TOPOLOGIES & OBSERVABLES

Name	Definition	Comment
$p_{\mathrm{T}i}$	Transverse momentum of the <i>i</i> th jet	Sorted descending in $p_{\rm T}$
$Y_i$	Rapidity of the <i>i</i> th jet	
$H_{\mathrm{T}}$	$\sum_{i=1}^{4} p_{\mathrm{T}_{i}}$	Scalar sum of the $p_{\rm T}$ of the four jets
$M_{ m jjjj}$	$\left(\sum_{i=1}^{4} E_i\right)^2 - \left(\sum_{i=1}^{4} \mathbf{p}_i\right)^2$	Invariant mass of the four jets
$M_{ m jj}^{ m min}$	$\min_{\substack{i,j\in[1,4]\\i\neq j}}\left(\left(E_i+E_j\right)^2-\left(\mathbf{p}_i+\mathbf{p}_j\right)^2\right)$	Minimum invariant mass of any two jets
$\Delta \phi_{ij}^{ m min}$	$\min_{\substack{i,j\in[1,4]\\i\neq j}} \left(  \phi_i - \phi_j  \right)$	Min azimuthal separation of two jets
$\Delta Y_{ij}^{\min}$	$\min_{\substack{i,j\in[1,4]\\i\neq j}} \left(  Y_i - Y_j  \right)$	Min rapidity separation of two jets
$\Delta \phi^{\min}_{ijk}$	$\min_{\substack{i,j,k\in[1,4]\\i< j< k}} \left(  \Delta\phi_{ij}  +  \Delta\phi_{jk}  \right)$	Min azimuthal separation between three jets
$\Delta Y_{ijk}^{\min}$	$\min_{\substack{i,j,k\in[1,4]\\i< j< k}} \left(  \Delta Y_{ij}  +  \Delta Y_{jk}  \right)$	Min rapidity separation between three jets
$\Delta Y_{ij}^{\max}$	$\Delta Y_{ij}^{\max} = \max_{i,j \in [1,4]} \left(  Y_i - Y_j  \right)$	Max rapidity difference between two jets
$\Sigma p_{\mathrm{T}}^{\mathrm{central}}$	Sum of $p_{\rm T}$ of the two central-rapidity jets	Excludes jets having $\Delta Y_{ij}^{\text{max}}$

## E.G. FOUR-JET MONTE CARLO SAMPLES

Name	Hard process	PDF	Parton shower	Underlying event	Tune
Pythia8-CT10	PYTHIA 8	CT10	PYTHIA 8	PYTHIA 8	AU2-CT10
Pythia8-CTEQ6L1	PYTHIA 8	$CTEQ6L1(\dagger)$	PYTHIA 8	PYTHIA 8	AU2-CTEQ6L1
Herwig++	Herwig++	CTEQ6L1	Herwig++	Herwig++	UE-EE-3-CTEQ6L1
Alpgen+Herwig	Alpgen	CTEQ6L1	HERWIG 6	JIMMY	AUET2-CTEQ6L1
Alpgen+Pythia	Alpgen	CTEQ6L1	PYTHIA 6	PYTHIA 6	Perugia 2011C
Madgraph+Pythia	Madgraph	CTEQ6L1	PYTHIA 6	PYTHIA 6	AUET2B-CTEQ6L1
Sherpa	Sherpa		Sherpa	Sherpa	

Table 2: The different Monte Carlo generators used for comparison against the data are listed, together with the parton distribution functions, parton shower algorithms, underlying event and parameter tunes. (†) The Pythia8-CT6L1 sample uses CT10 when calculating the Matrix Element but CTEQ6L1 when simulating the parton shower and underlying event. The first listed sample (Pythia8-CT10) is used for the deconvolution of detector effects.

# THE ATLAS TRIGGER SYSTEM



#### Multijet trigger improvements in 2012



## TRIGGER

Signal triggers								
Jet Multiplicity	pT cut	η						
6	45							
5	55	3.2						

Background/support triggers								
Туре	Purpose							
Multijet (prescaled)	Efficiencies & Control regions							
Single lepton	Control regions							

### **THE BENEFITS**



## **THE CHALLENGES**

#### The calorimeter

Simulated noise in the Liquid Argon and Tile calorimeters at the electron scale



## **THE 'SOLUTIONS'**

Detector extensions, e.g. extra muon chambers at  $1.0 < |\eta| < 1.3$ .

**Ongoing trigger upgrade that will:** 

- Increase the peak L1 rate to 100kHz.
- Provide possibility to select on combined L1 quantities (angles, masses, etc).
- **©** Provide tracks at the input of the HLT for better object ID.
- Insure more efficient and flexible HLT reconstruction with a merged (L2 & EF) HLT.

**Clever ideas for better & more robust object reconstruction.** 

### **THE PROSPECTS**



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"Topological" clusters, i.e. "blobs" of energy inside the detector.



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-0.05

-0.05

"Topological" clusters, i.e. "blobs" of energy inside the detector.



0

 $\frac{0.05}{|\tan \theta|} \times \cos \phi$ 

10<sup>2</sup>

## CLUSTER MERGING AND SPLITTING

If clusters have common neighboring cells, they are merged according to the basic algorithm.





◎ Clusters are split if more than one local maxima.





For common cells, a weight is applied to share them (shaded cells).

## CLUSTER MERGING AND SPLITTING

If clusters have common neighboring cells, they are merged according to the basic algorithm.





Split clusters with more than one local maxima.

ſ		0	0	Δ	0	S	0	Δ	0	0		
Ψ		0	0	0	0	141	0	0	0	0		
		0	2	2	2	Ø	2	2	2	0		
		0	2	4	2	۵	2	4	2	0		
		0	2	2	2	2	2	2	2	0		
		0	0	2	4	2	0	0	0	0		
			0	2	2	2	0					
			0	0	0	0	0					
	A more complicated case									η		

## **CLUSTER CALIBRATION**

Possible energy measurements:

- Non-calibrated clusters: sum energy using baseline cell-level detector calibration.
  - That's NOT the true energy of the particle that originated the cluster.
- Solution Section Se
  - (a) the different calorimeter response on an EM (e.g.  $\pi^0$ ) or a hadronic (e.g.  $\pi^{\pm}$ ) deposition.
  - It the low energetic deposits, lost in the tails of the shower ("out-ofcluster" corrections, derived from simulation).
  - It the presence of dead material, i.e. material without a read-out device, where energy is lost.
- Corrections are complex functions of the energy and the position of the cluster and other parameters defining the cluster shapes.

## **MUONS ON ATLAS**

#### **Simplified Detector Transverse View**

