

# Detector Physics



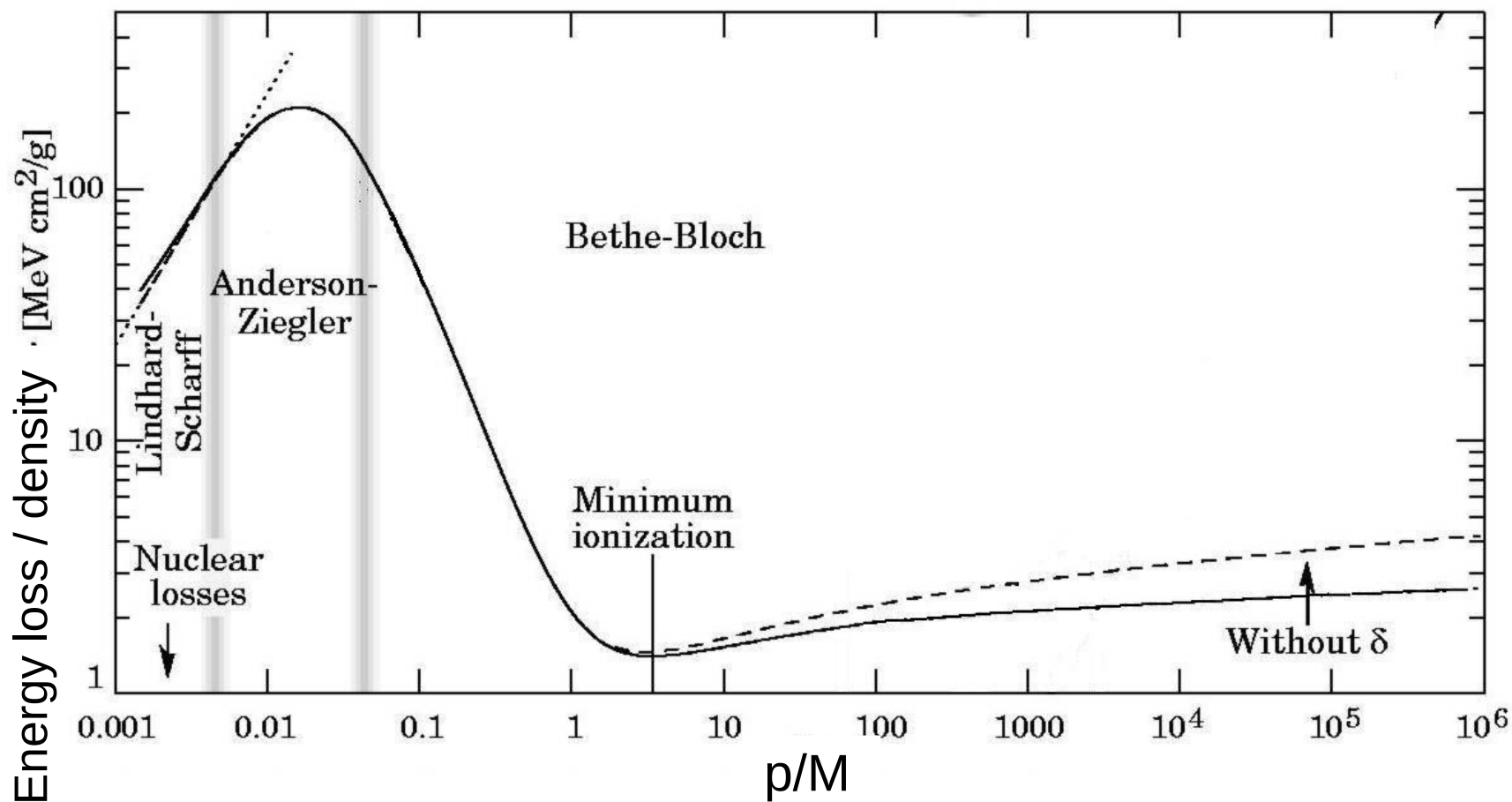
Jörn Grosse-Knetter

HASCO Summer School 2015

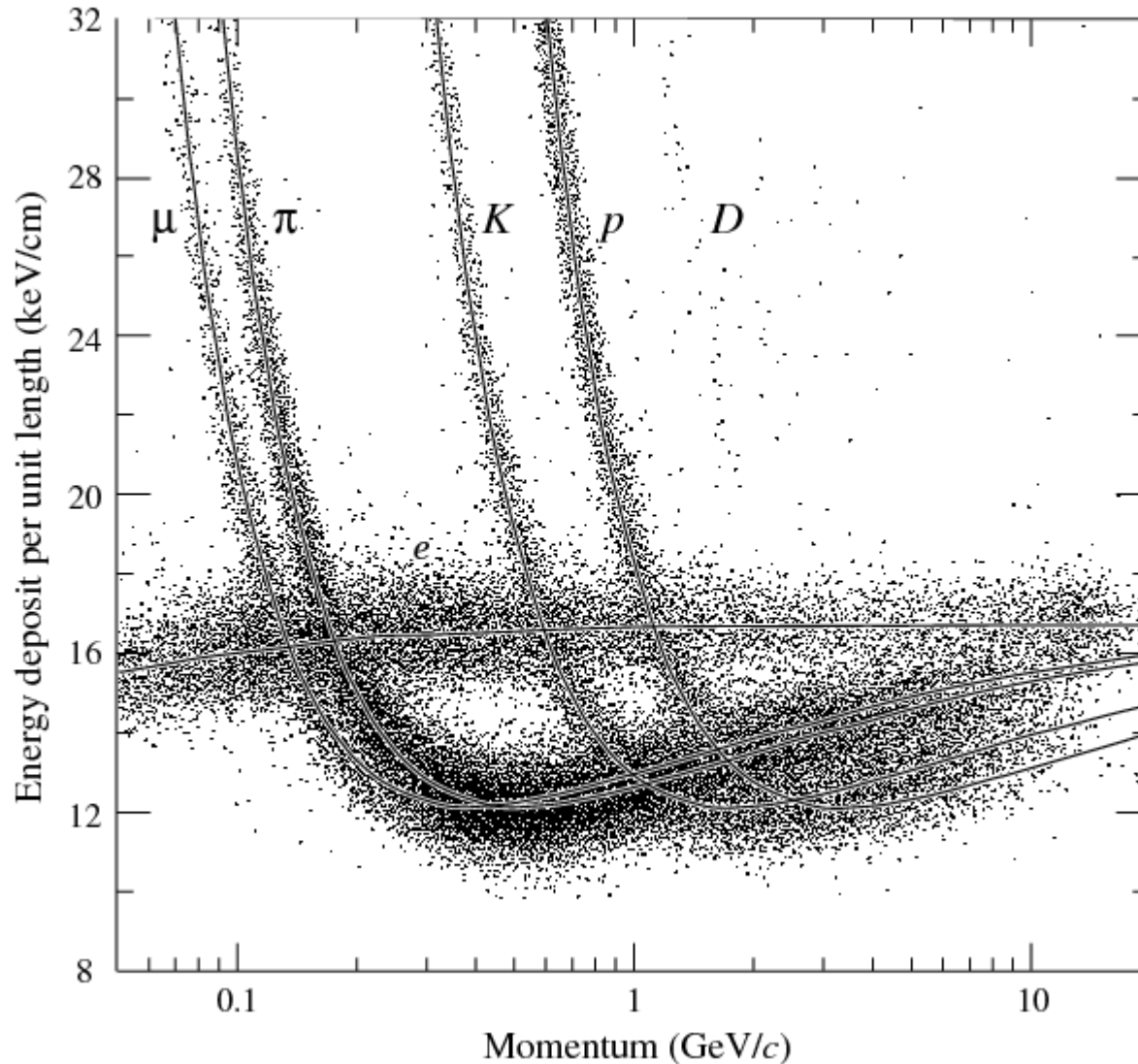
- **Basic concepts**
  - Interaction of particles with matters
  - Ionisation detectors
  - Light-based detectors
- **Tracking**
  - Momentum and vertex measurement
- **Calorimeters**
  - Electromagnetic and hadronic showers
- **Overall concepts**

# Interaction of particles with matters

- (Heavy) charged particles:
- Interact with shell electrons → energy is transferred – or lost by inc. particle:  $dE/dx$
- $dE/dx$  can be described by Coulomb interaction and simple kinematics
  - Bethe-Bloch-mechanism
- Transferred energy can excite or ionise medium
  - charge or light (from de-excitation) for detection



- $dE/dx$ : steeply falling towards  $p/M \sim 3 \dots 4$
- Modest rise afterwards  $\rightarrow$  highly relativistic particles very similar in  $dE/dx$

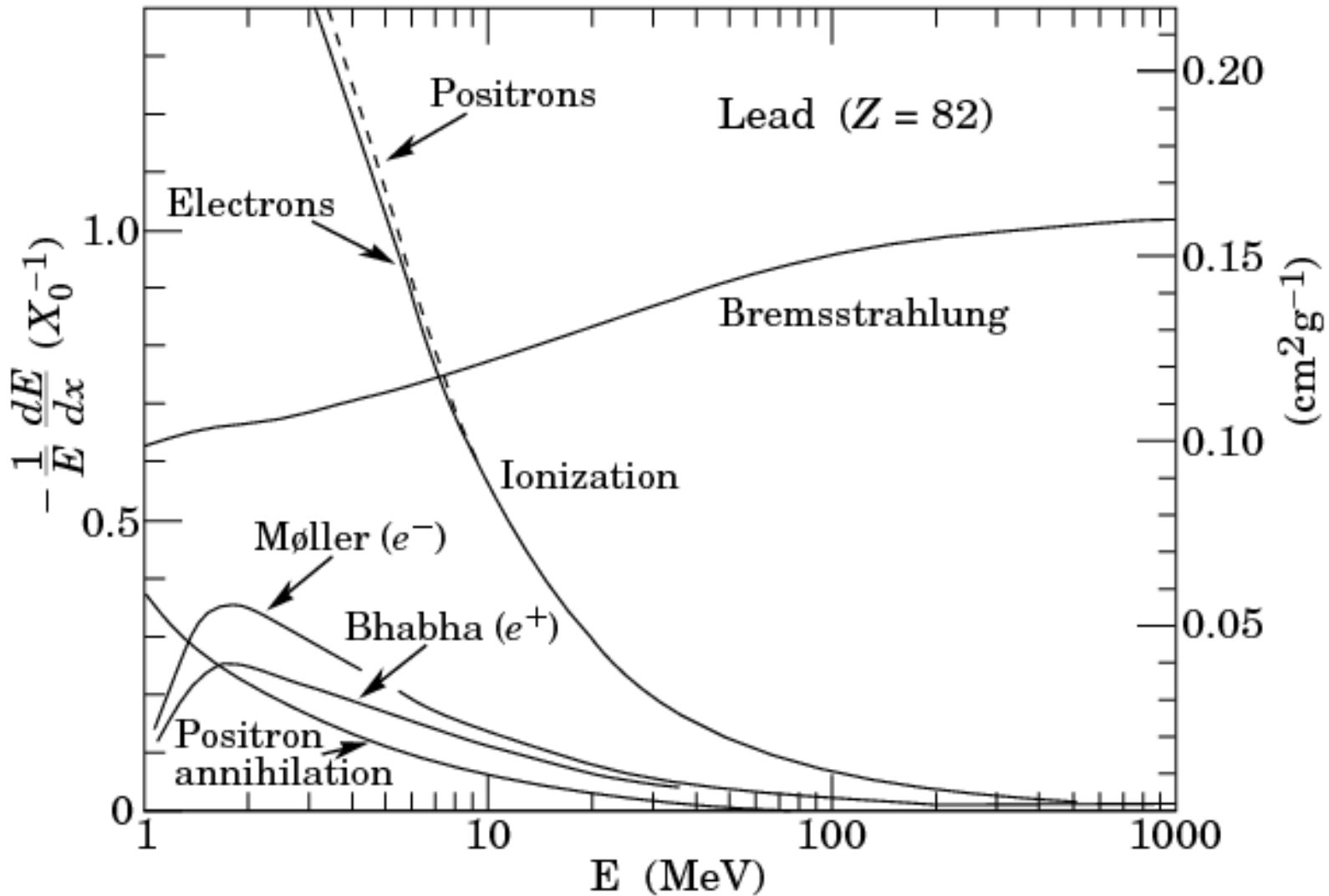


- $dE/dx$ : identical in  $p/M$ , but different vs momentum  $\rightarrow$  allows particle ID if momentum is known

“Light” charged particles:  $e^{\pm}$

- Excitation/ionisation loss similar to Bethe-Bloch, but corrections due to scattering partners with same mass
- Additional effect: Bremsstrahlung
  - Emission of photon in field of nucleus
  - $dE/dx \propto Z^2/m^2 \cdot E \rightarrow$  dominant only for low mass  $m$  and high energy  $E$ , need high- $Z$  material
  - Def. of  $X_0$  (material-dependent radiation length):

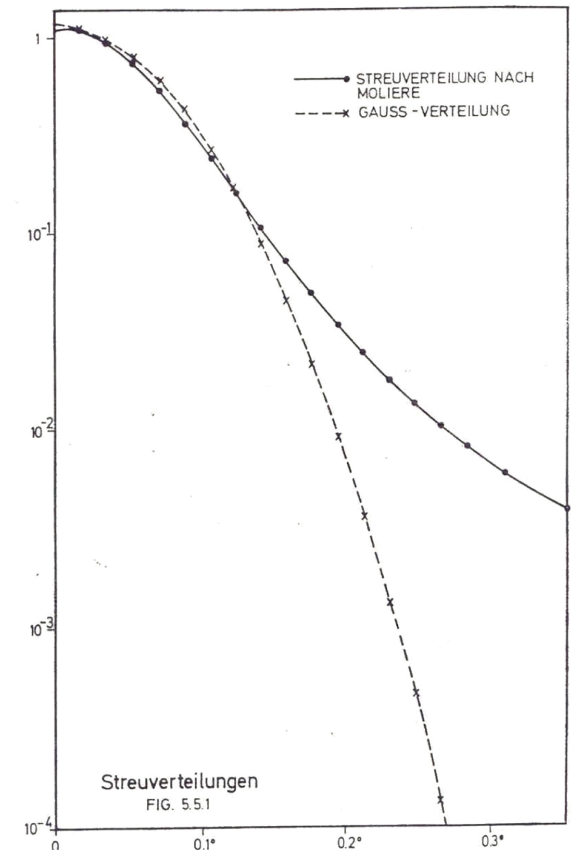
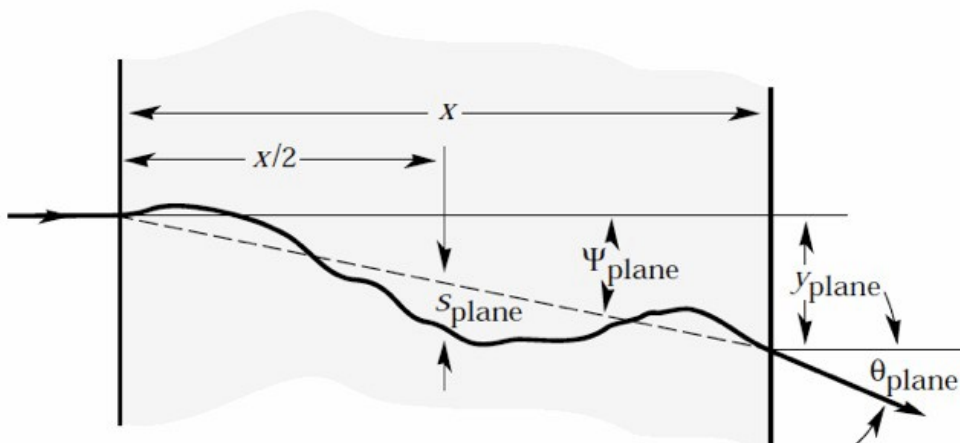
$$dE/dx := E/X_0$$



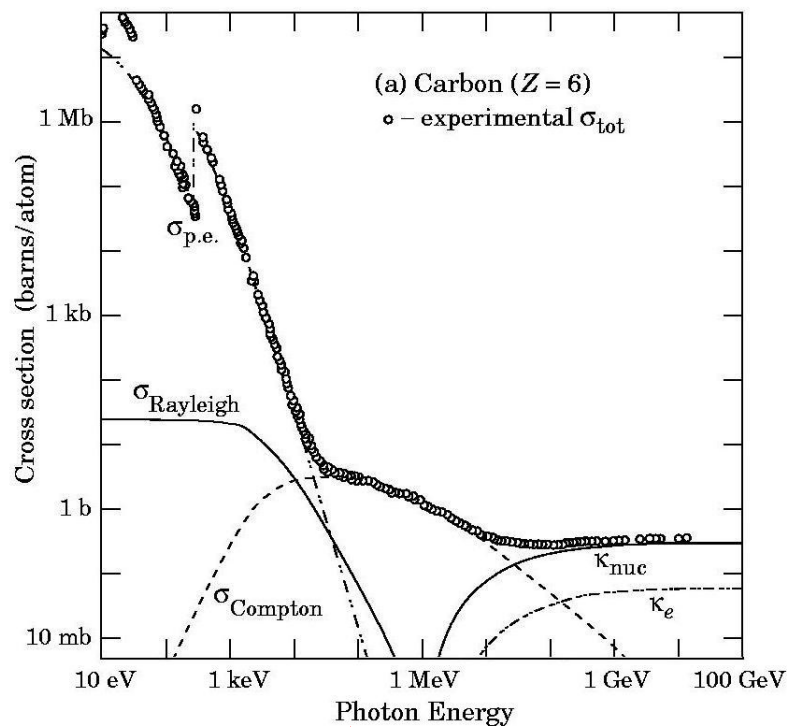


- Multiple scattering of charged particles on medium without energy transfer
  - No measurable signal
  - But: deflection of particle → disturbance that needs to be considered
    - Mostly change in direction described by angle  $\theta_0$  (1- $\sigma$ -value of distribution):

$$\theta_0 = \frac{13.6 \text{ MeV}}{\beta c p} z \sqrt{x/X_0} \left[ 1 + 0.038 \ln(x/X_0) \right]$$

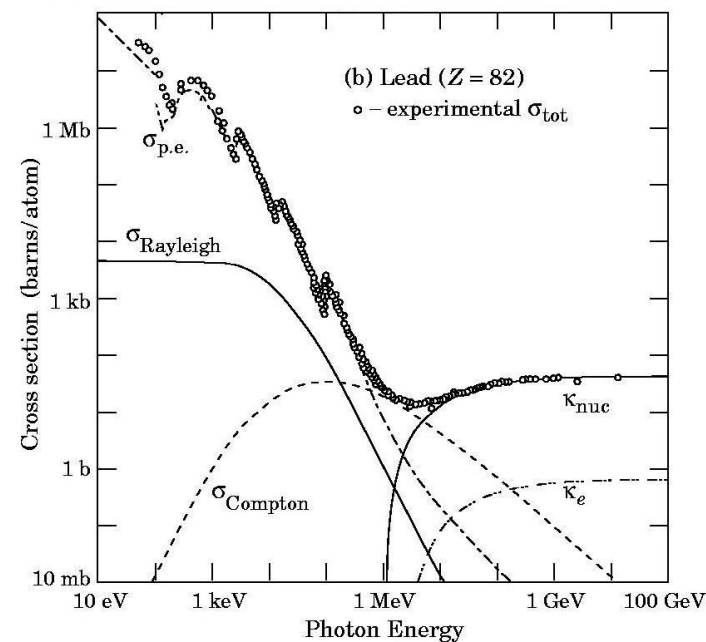


- Most processes involving photons absorb them (in contrast to  $dE/dx$  as before):
  - Photo effect: photo electron is released with  $E_e \sim E_\gamma$
  - Compton effect:  $E_\gamma \gg$  binding energy  $\rightarrow$  electron quasi-free  $\rightarrow$  scattering
  - Pair creation:  $E_\gamma > 2m_e$  allows  $\gamma \rightarrow e^+ e^-$  in the field of a nucleus
    - Process similar to Bremsstrahlung  
 $\rightarrow$  mean free path:  $9/7 X_0$
    - Relevant process at high  $E_\gamma \rightarrow$  in HEP



Absorption cross-section  
in carbon

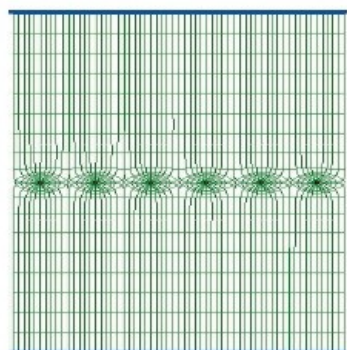
Absorption cross-section  
in lead



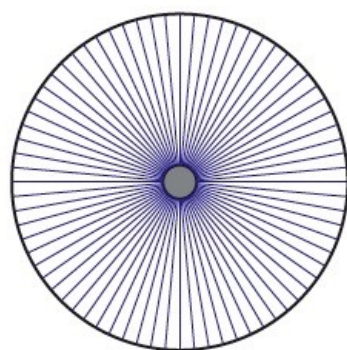
- None of the above applies to neutrons
  - Can measure it indirectly: knocking off nuclei, measure charged object
  - Ideally: scattering partner of same mass  $\rightarrow$  p  
 $\rightarrow$  use organic material (significant H-content)
- $p, n, \pi, K$  at high energies: additional processes possible
  - Creation of further hadrons
  - Nuclear interactions  $\rightarrow$  new  $\gamma, n, p$  (+nuclear fragments)
  - Avg. had. interaction length  $\lambda \gg X_0$

# Ionisation detectors

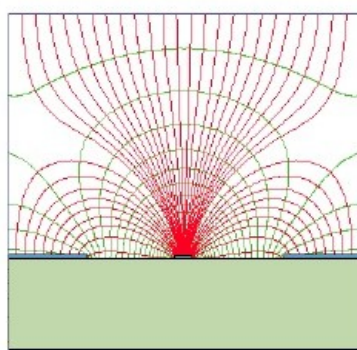
- General idea of ionisation detectors:
  - Deposited energy  $E_{\text{dep}}$  causes ionisation, for which on avg. energy  $W$  is needed  $\rightarrow$  release of  $E_{\text{dep}}/W$  charge carriers
  - Apply electric field to extract and read charge pulse
  - Typical media:
    - Gas: e-ion pairs,  $W \sim$  few 10eV
    - Semiconductor: e-hole pairs,  $W \sim$  few eV
  - Bethe-Bloch signal  $\propto$  density  $\rightarrow$ 
    - Gas: too little charge for meas.  $\rightarrow$  amplification
    - Semiconductors: charge detectable, but competes with intrinsic charge carriers



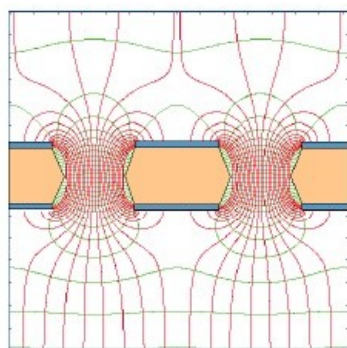
multiwire



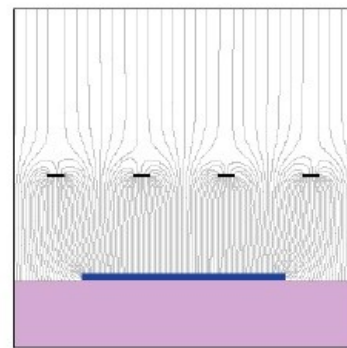
single wire



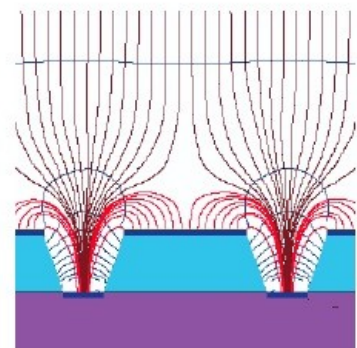
strips



holes



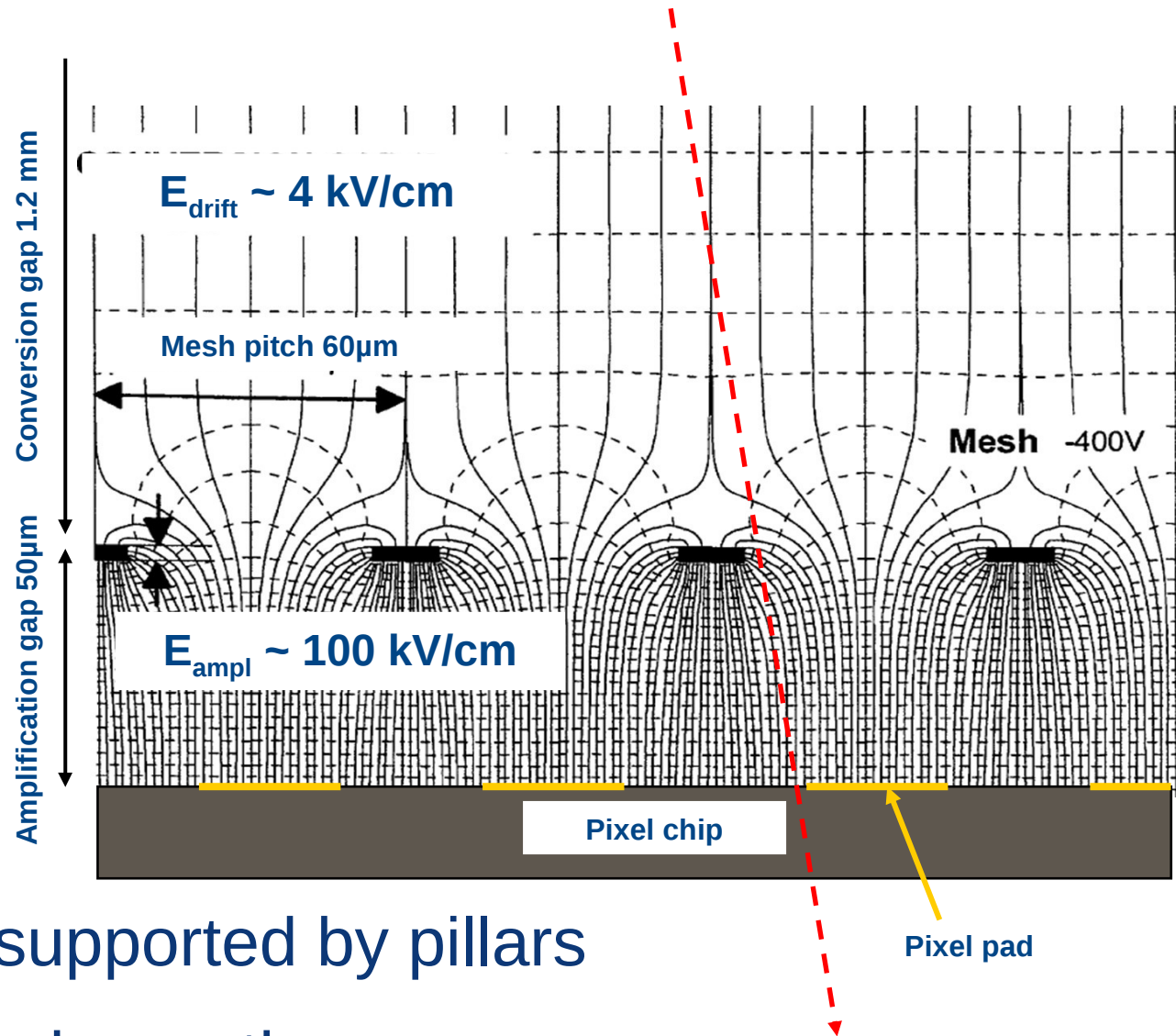
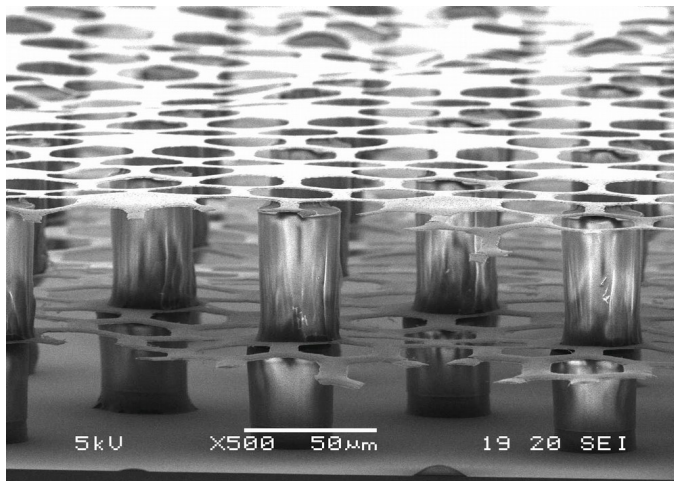
parallel plate



grooves

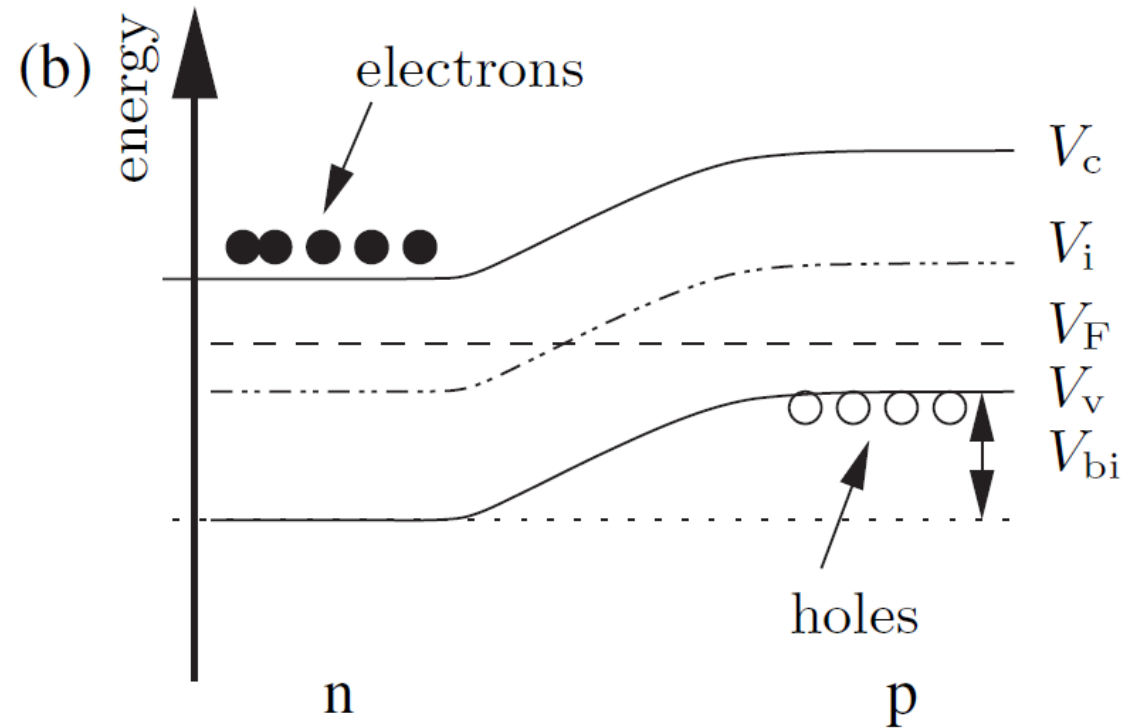
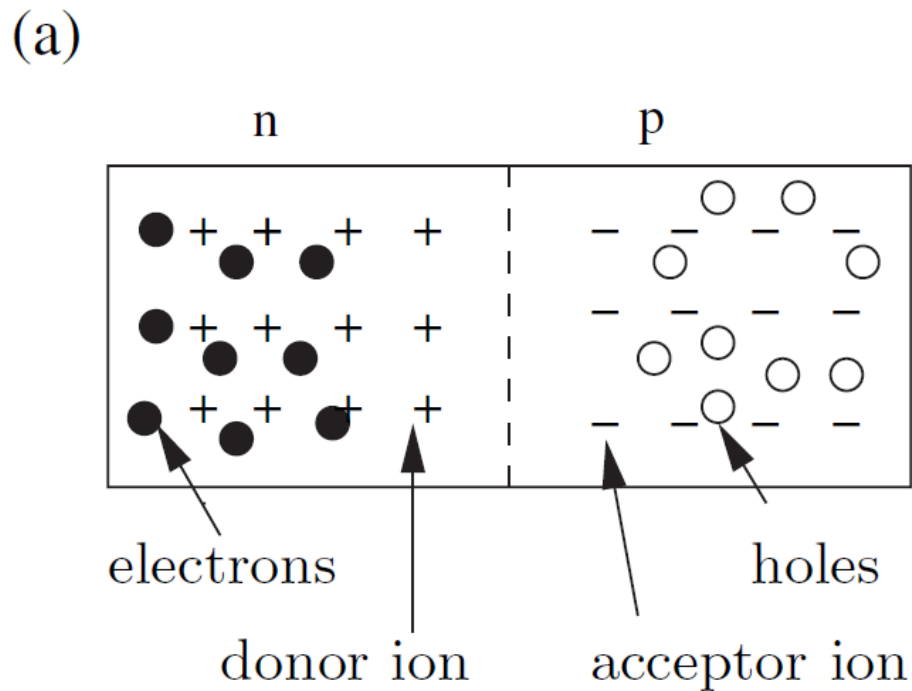
- Internal charge amplification achieved by high electric field
  - need small or close electrodes
    - Small read-out segments, e.g. wires
    - Specific perforated foils
- Operate in proportional mode → can measure  $dE/dx$





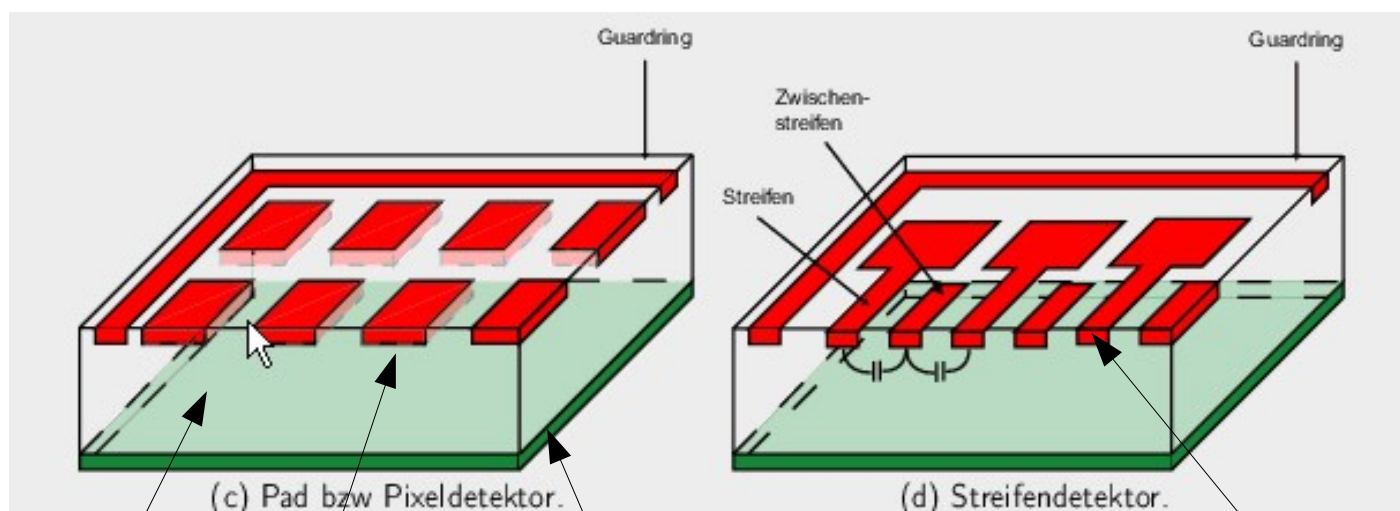
- Perforated foil supported by pillars
- Pixel electrodes beneath
  - amplification and read-out separated





- pn-junction under reverse bias:
  - Extract electrons or holes present from doping
  - Provides electric field needed for charge drift and read-out

- Segmenting pn-junctions → position sensitivity



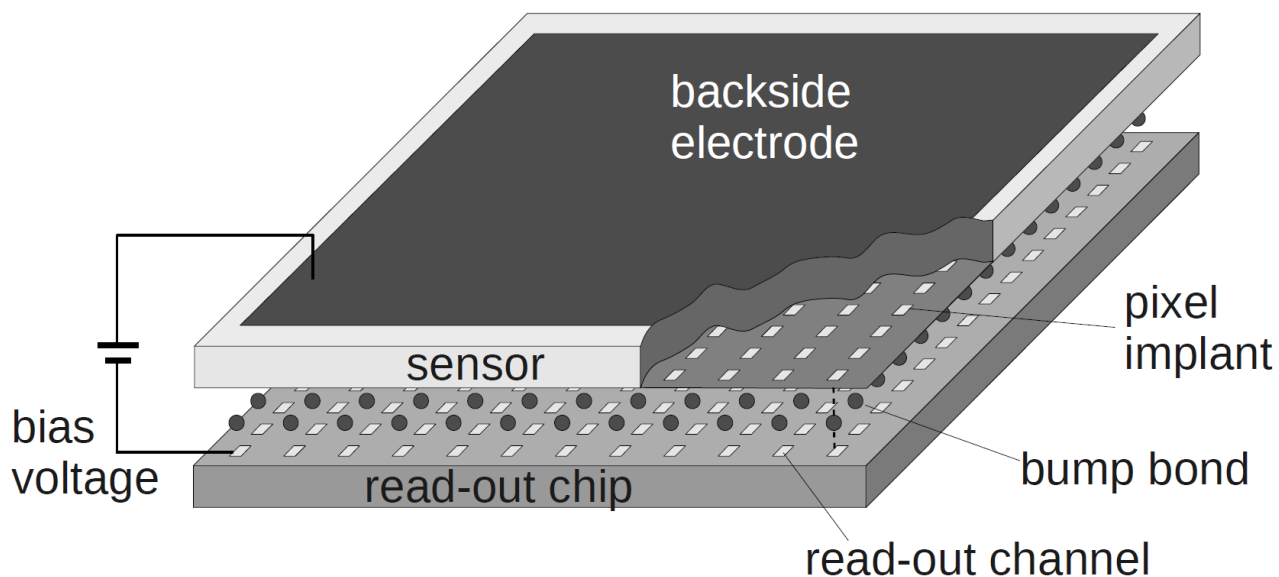
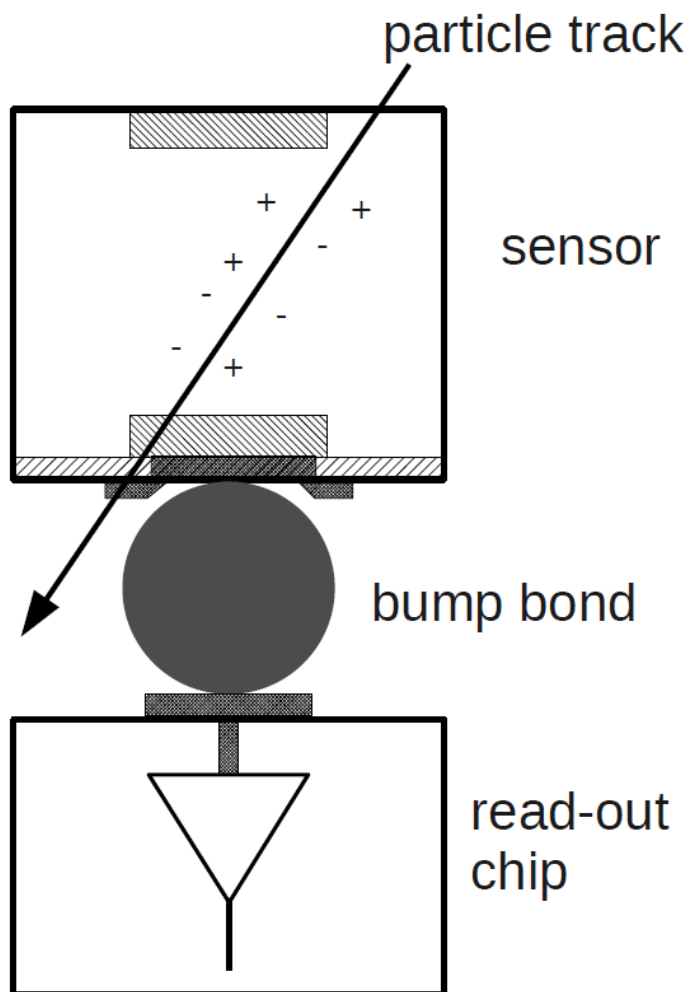
Pixel electrodes

Backside electrode

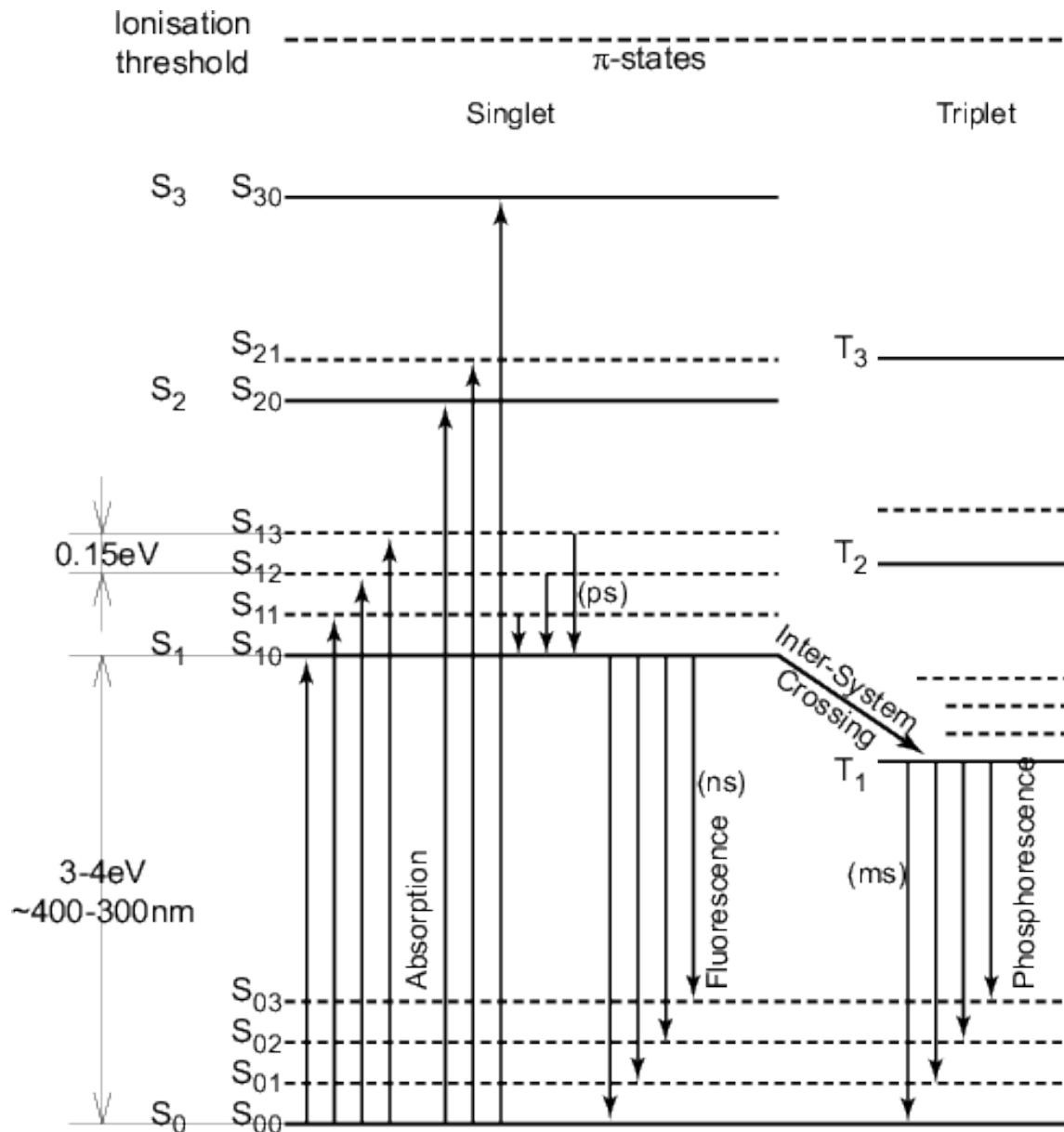
Strip electrodes

Detector volume (substrate)

- 1:1 connection sensor segment to read-out cell  
→ bump bonding



# Light-based Detectors: Scintillation & Čerenkov Radiation



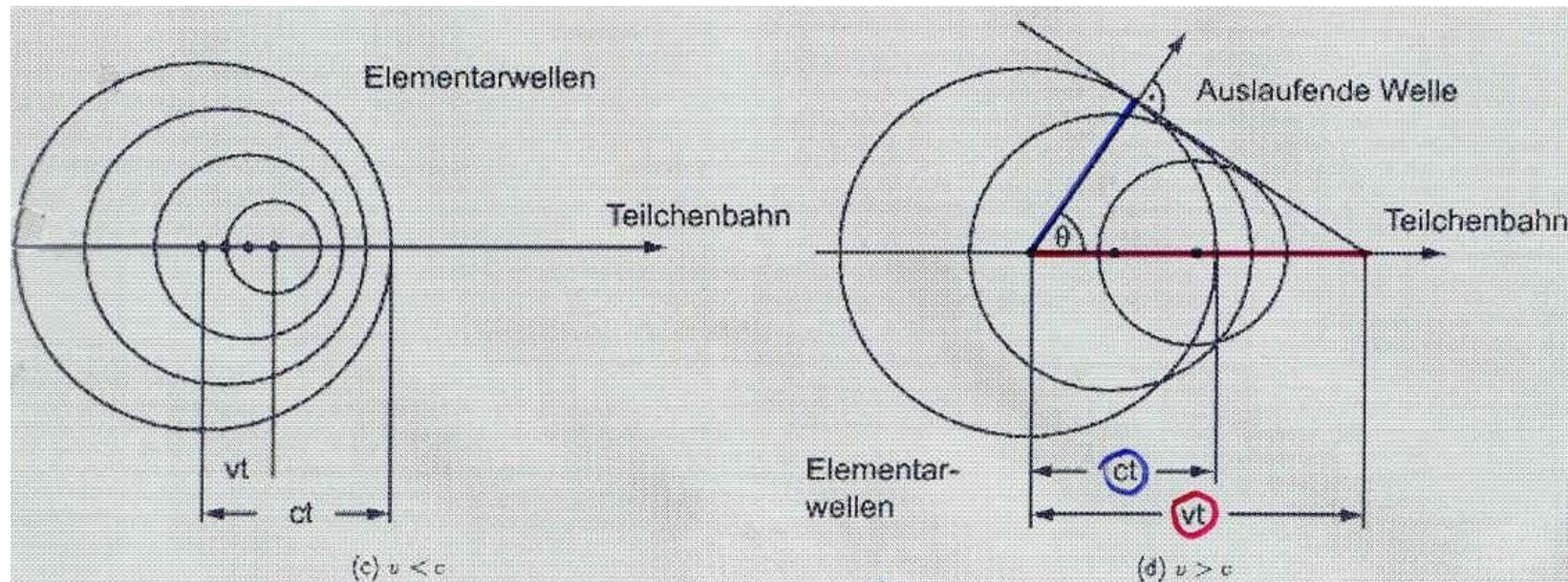
- Excitation from
    - Bethe-Bloch (chg. Particles)
    - Photo-electrons ( $\rightarrow$  detection of gammas)
    - Neutrons knocking off protons
- results in de-excitation  $\rightarrow$  scintillation light



- Particle travels with speed  $v > c_m = c/n$  (speed of light in medium) → light is emitted

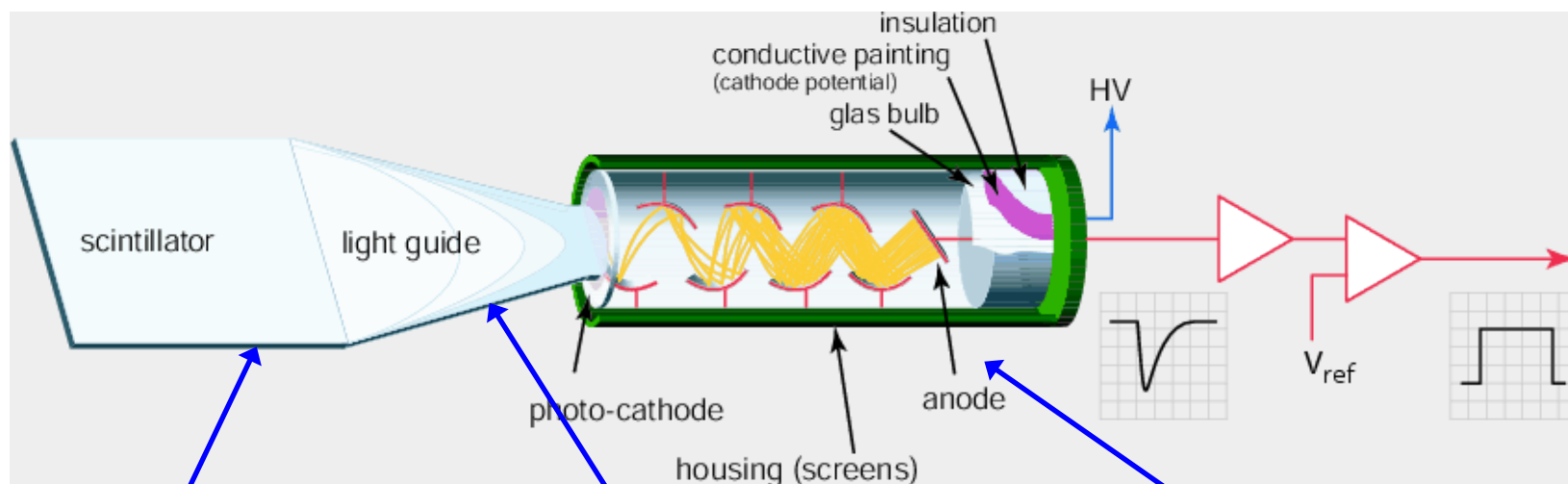
$$v \ll c_m$$

$$v > c_m$$



destructive  
interference

Mach-like shock wave →  
constructive interference

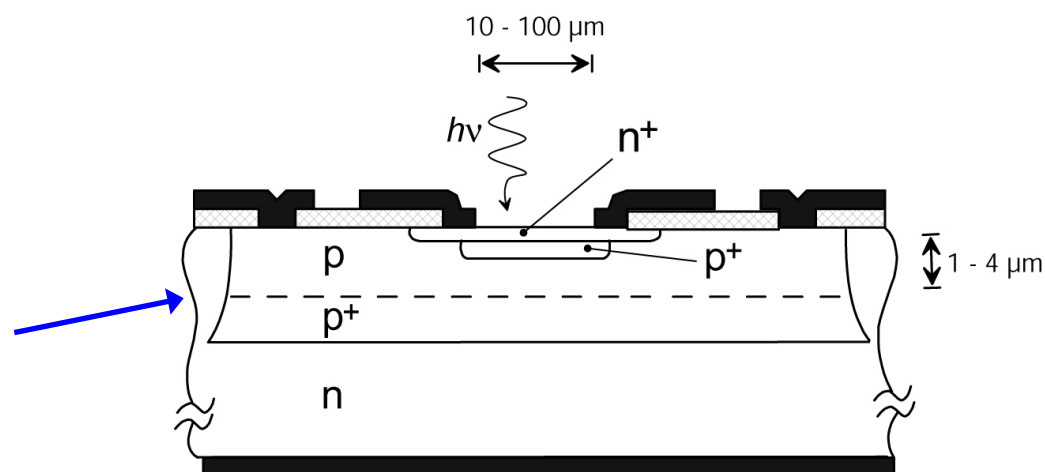


(in-)organic material →  
scintillation light

Light guide →  
connection scint.  
to PMT

Photo multiplier tube (PMT)  
→ signal amplification

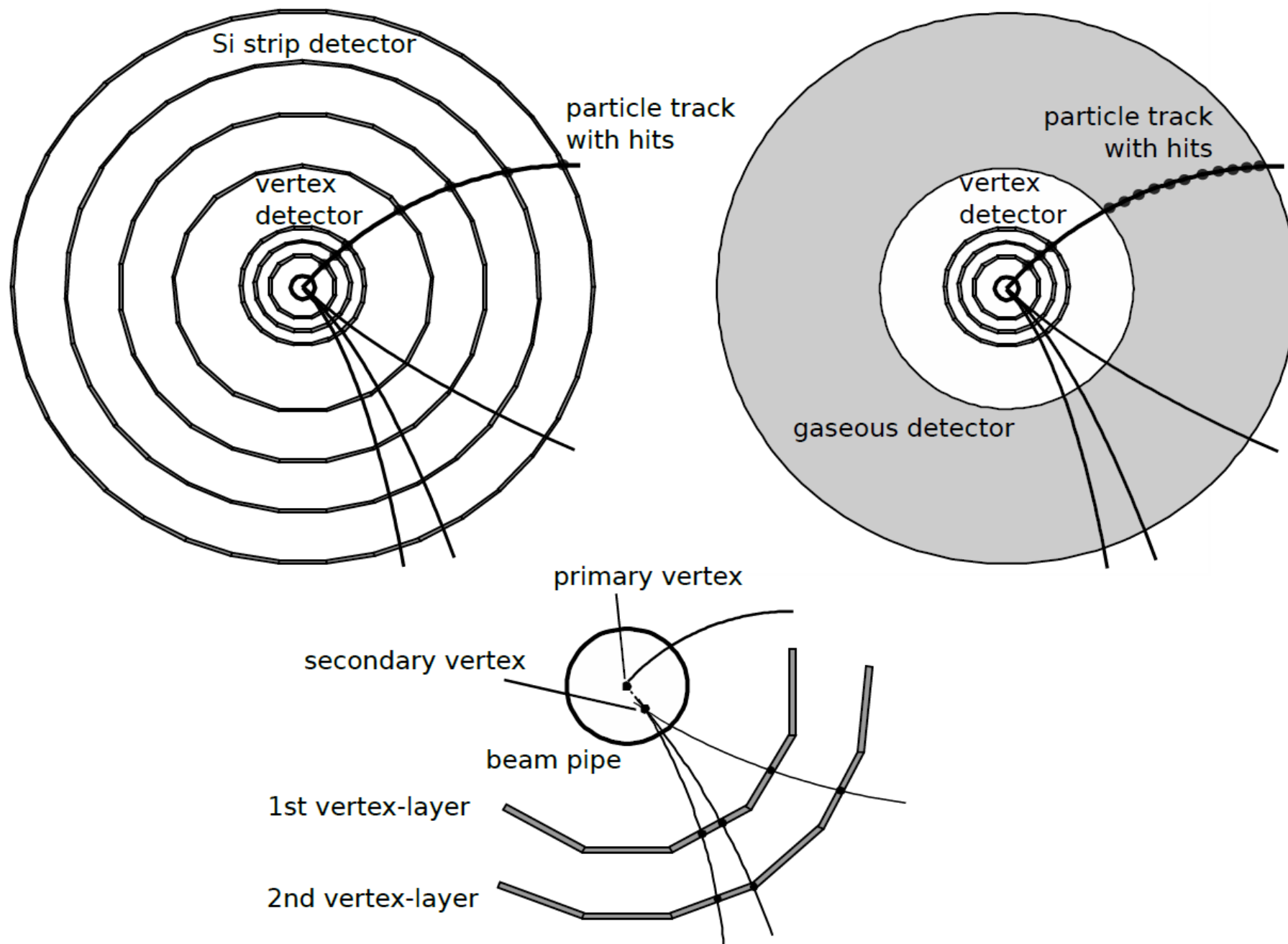
Alternative to PMT: silicon  
pn-junction with  
amplification (avalanche  
photo diode, APD)



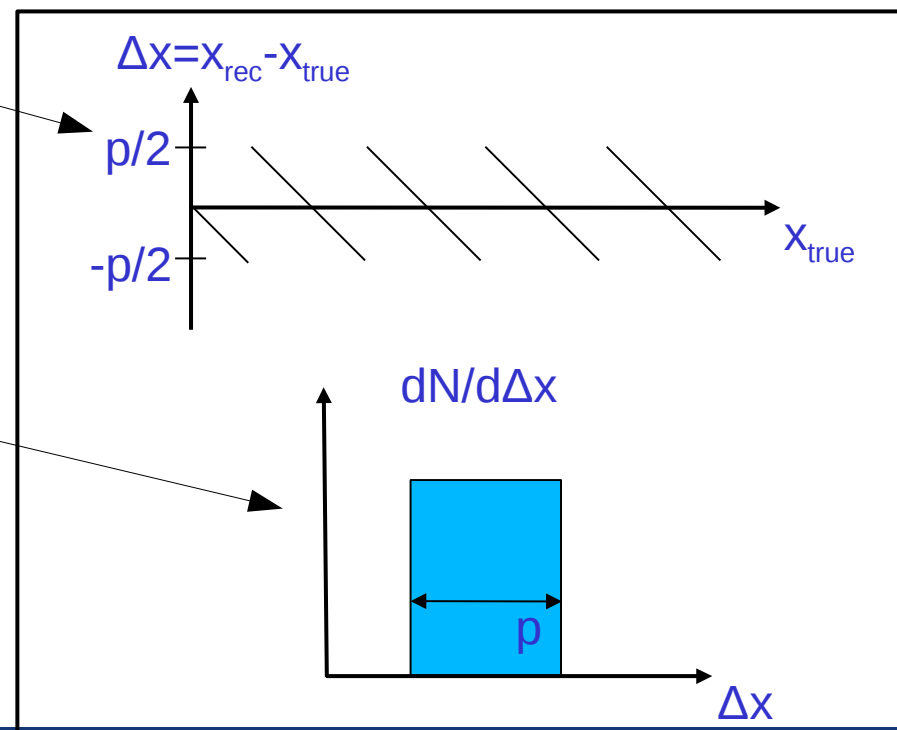
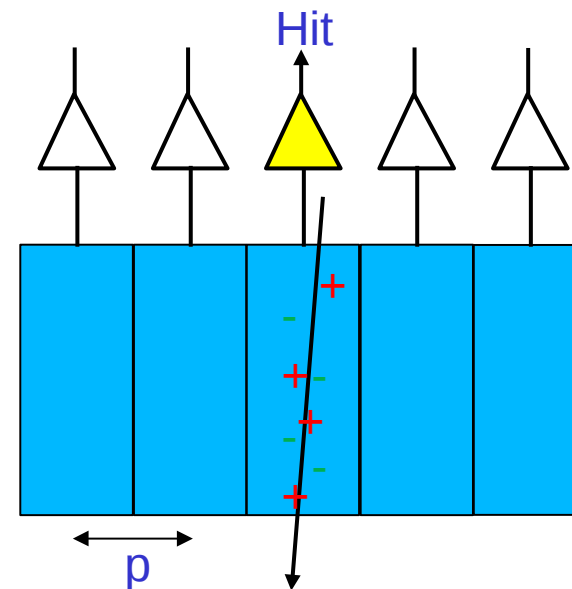
# Tracking



- Measure trajectory of charged particles
  - Measure several points along the track and fit curves to the points (helix)
- Use the track curvature in magnetic field to determine the particle momentum and charge
- Extrapolate tracks to the point of origin
  - Determine positions of primary vertices and identify collision vertex
  - Find secondary vertices from decay of long-lived particles (lifetime tagging)



- Simple case: only single hit segment
- Default hit position: centre of segment
- Reconstruction error (“residual”) varies with true hit position
- Flat hit probability: residual distribution is a box diagram



- Reconstruction error = std. deviation defined by probability distribution
- Normalised box distribution centred around 0 with width  $p$ :

$$\sigma_x = \sqrt{\frac{1}{p} \int_{-p/2}^{p/2} x^2 dx} = \frac{p}{\sqrt{12}}$$

- Worst possible resolution with pure binary readout
  - Value improves if several segments are hit per track: weighting with pulse height information

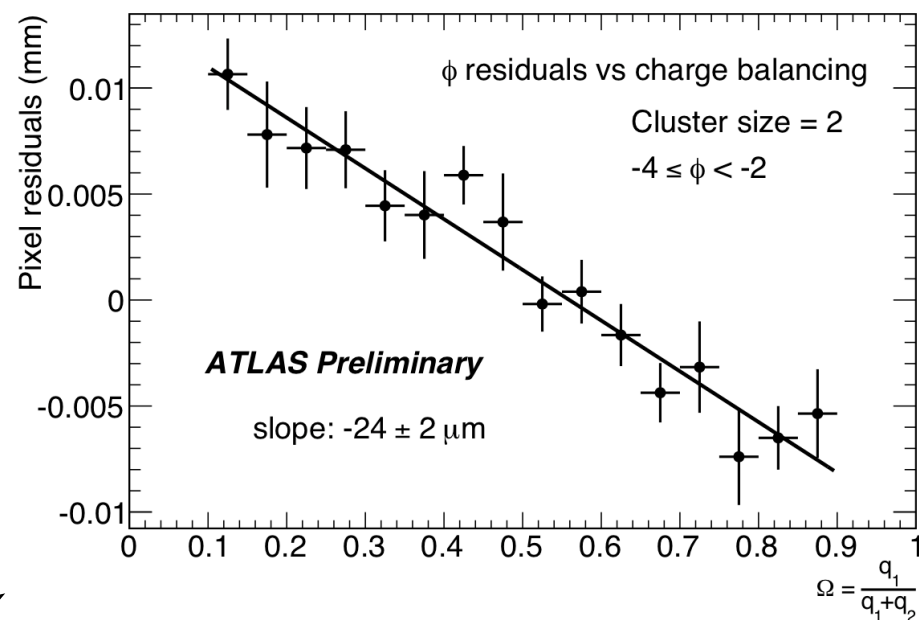
- Simplest method: linear interpolation, using the charge deposited in the edge pixels of the cluster:

$$\Omega = \frac{q_{last}}{q_{first} + q_{last}}$$

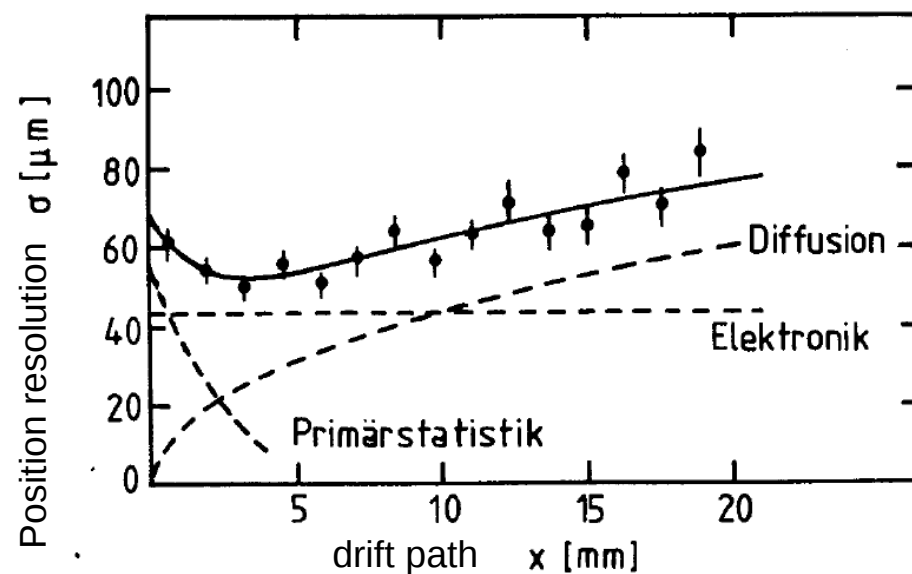
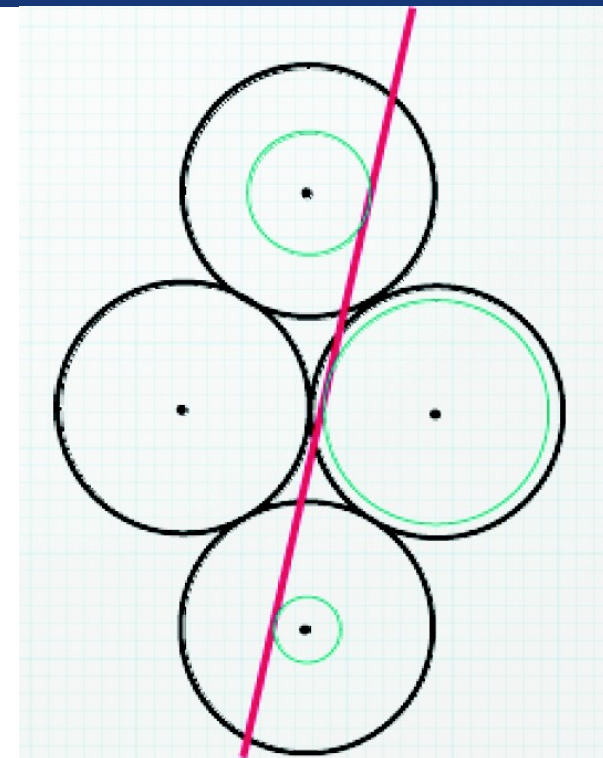
- Hit position: reconstructed from geometrical centre of the cluster and  $\Omega$ :

$$x = x_{centre} + \Delta_x \left( \Omega_x - \frac{1}{2} \right)$$

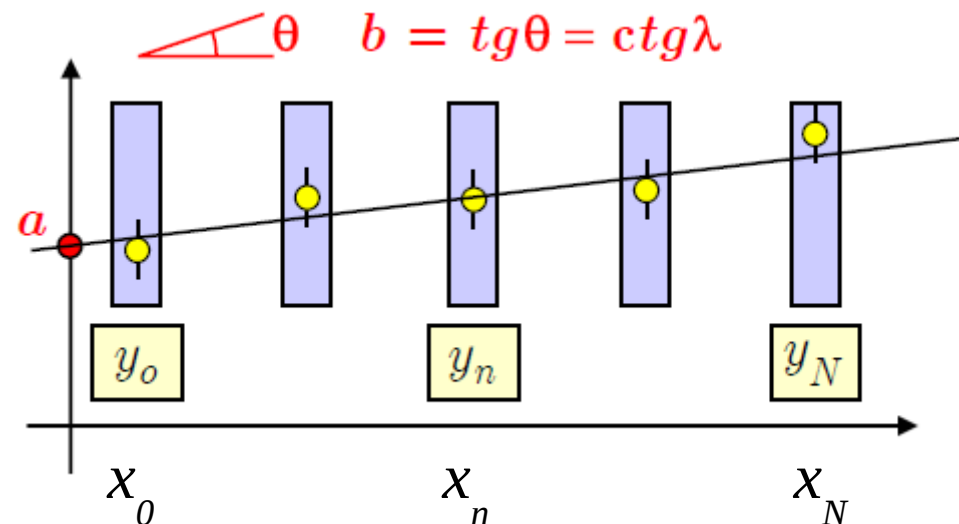
- $\Delta_x$  calibrated from data (plotting residual vs. charge sharing)



- Resolution  $< p/\sqrt{12}$  if using drift time:
  - Precise measurement of arrival time of charge signal
  - Known electric field  $\rightarrow$  drift velocity  $\vec{v} = \mu \vec{E}$  is known
    - $\rightarrow$  determine distance of ionisation location from electrode
  - Precision driven by timing resolution and smearing due to diffusion

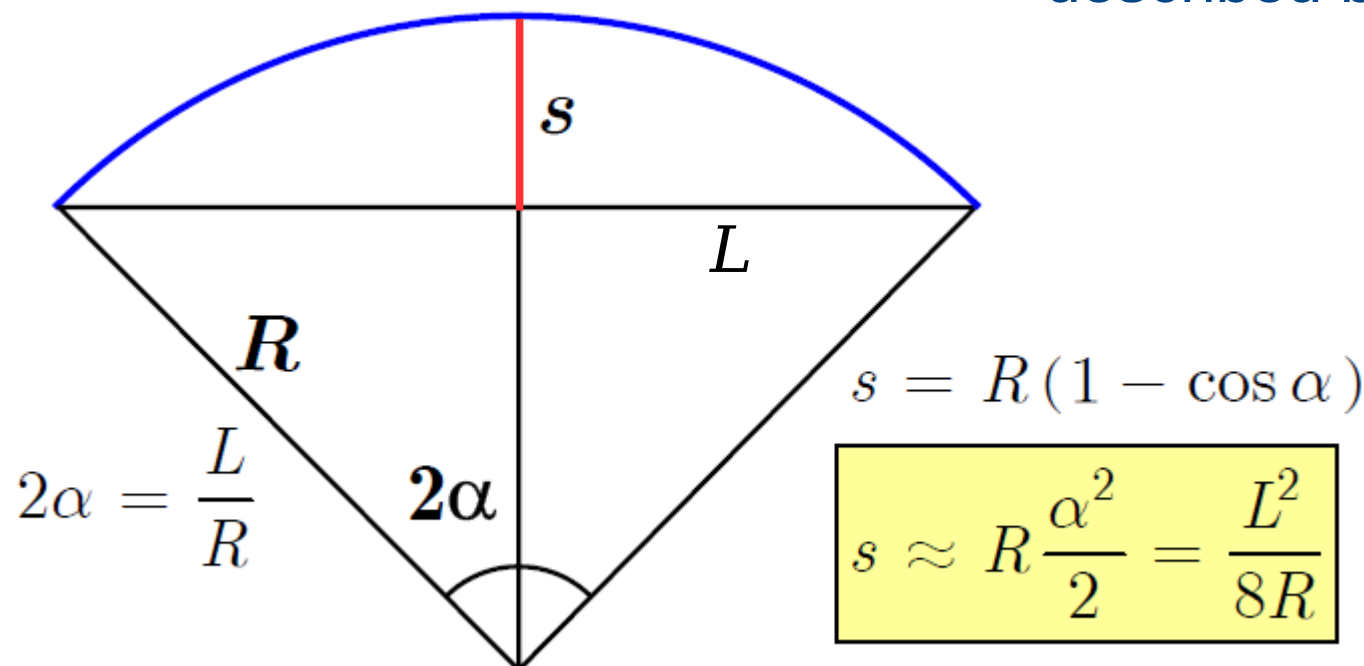


- Simple example: straight line fit  
(a track is of course more complex)
  - Measured positions  $y_i$  with single point resolution as before
  - $\chi^2$  minimisation with  $y_n = a + bx_n$  : 
$$\chi^2 = \sum_{n=0}^N \frac{(y_n - a - bx_n)^2}{\sigma_n^2}$$
  - Errors on  $a$ ,  $b$  from covariance matrix
- Similar approach for real tracks  $\rightarrow$  allows error calculation on track parameters



- Bending in B-field
  - $p_T \text{ (GeV/c)} = 0.3 \cdot B(\text{T}) \cdot R(\text{m})$
- Determine curvature from fit to N hit points → resolution in  $p_T$ ?

described by sagitta  $s$





- Error calculation by Gluckstern: approximate curved track by parabolic fit

- Points on track  $(x,y)$  with  $y = \frac{1}{2} k x^2$

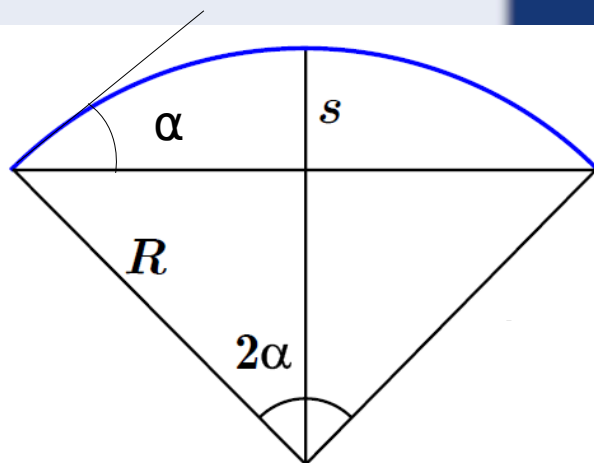
- From picture:  $s = \frac{1}{2} k (L/2)^2 \rightarrow R = k^{-1}$

$$\rightarrow p_T = 0.3 \cdot B/k \rightarrow \sigma_{p_T} = 0.3 \cdot B \cdot \sigma_k / k^2 = p_T^2 / 0.3 \cdot B \cdot \sigma_k$$

- For large  $N$  and equal errors  $\sigma_{\text{point}}$  on spatial hit position:

$$\sigma_k = \frac{\sigma_{\text{point}}}{L^2} \sqrt{\frac{720}{N+4}}$$

$$\rightarrow \frac{\sigma_{p_T}}{p_T} = \frac{p_T \sigma_{\text{point}}}{0.3 B L^2} \sqrt{\frac{720}{N+4}}$$

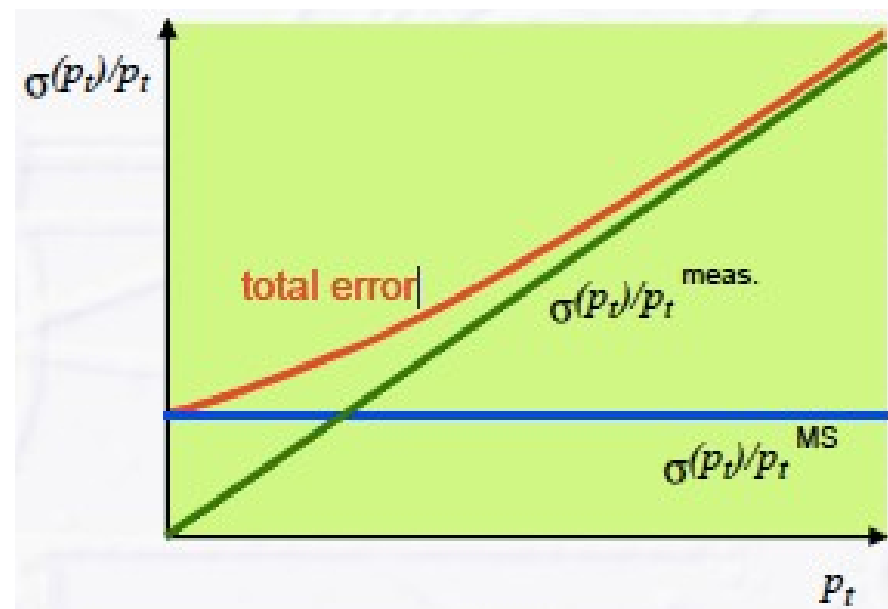


- Adds in quadrature to intrinsic resolution  $\rightarrow$  MS dominates at low  $p_T$ , intrins. part at high  $p_T$

- $p_T = 0.3 \cdot B \cdot R = 0.3 \cdot B \cdot L / (2\alpha)$
- $\sigma_\theta \propto 1/p_T$  from MS translates into  $\sigma_\alpha$

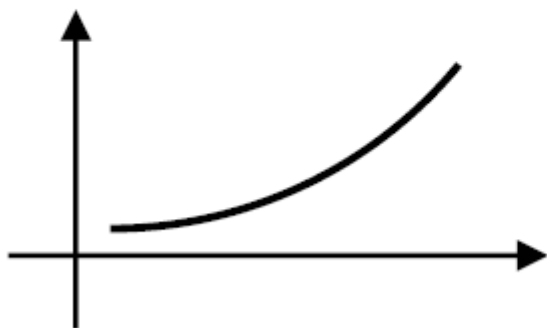
$$\sigma_{pT}^{MS} = \frac{0.3 BL}{2\alpha^2} \sigma_\alpha \rightarrow \frac{\sigma_{pT}^{MS}}{p_T} = \frac{27.2 \text{ MeV}}{0.3 B \sqrt{L X_0}}$$

const. in  $p_T$

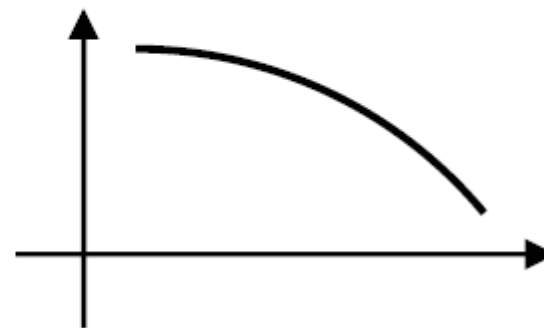


- Sign of charge is defined by the sign of  $1/R=k$ :

$$Q = +1 \quad \frac{1}{R} > 0$$

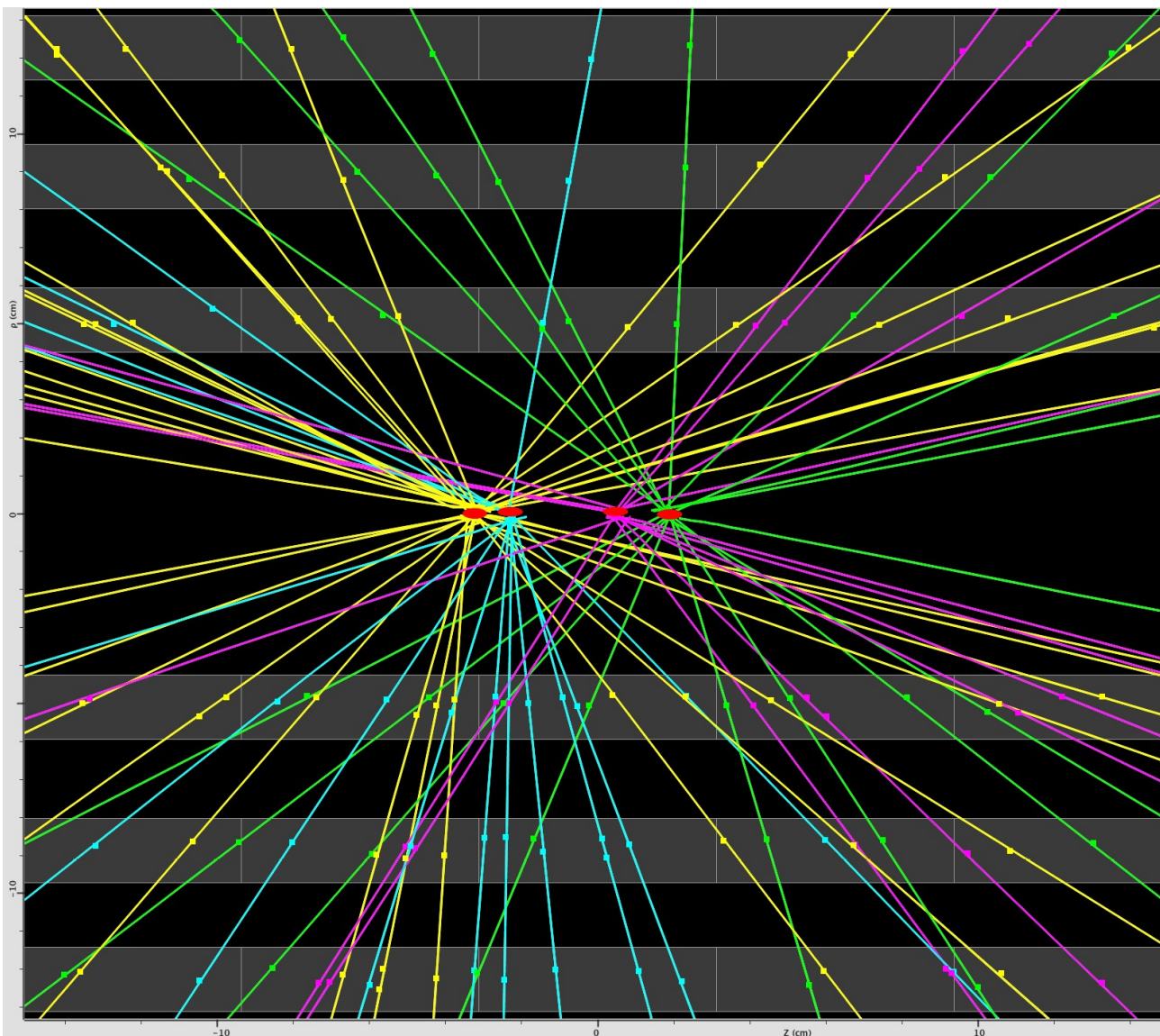


$$Q = -1 \quad \frac{1}{R} < 0$$



- Precision on  $k$  from Gluckstern:  $\sigma_k = \frac{\sigma_{\text{point}}}{L^2} \sqrt{\frac{720}{N+4}}$
- Requiring  $3\sigma$  identification  $\rightarrow$  upper lim. in  $p$ :

$$\frac{1}{R} > 3\sigma_k = \frac{3\sigma_{\text{point}}}{L^2} \sqrt{\frac{720}{N+4}} \Rightarrow p < \frac{0.3BL^2}{3\sigma_{\text{point}}} \sqrt{\frac{N+4}{720}}$$

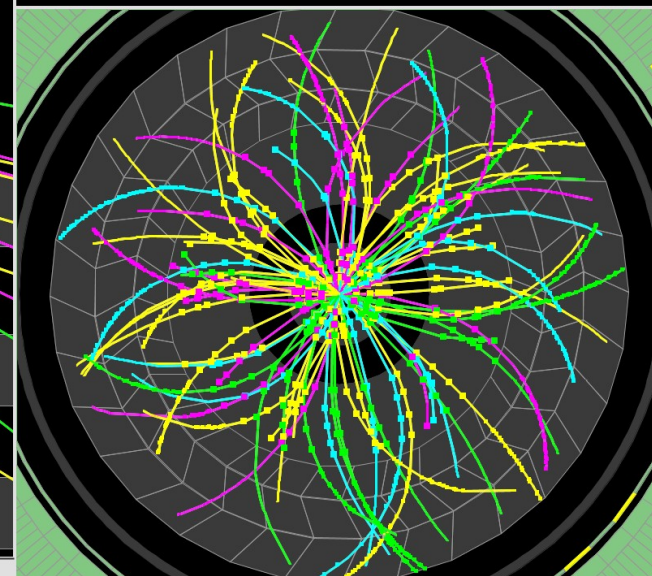


# ATLAS EXPERIMENT

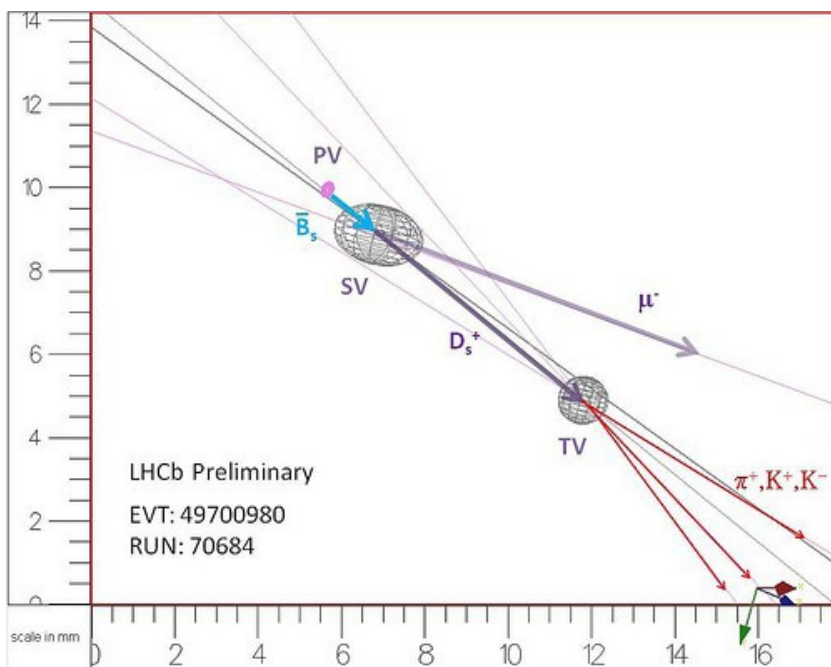
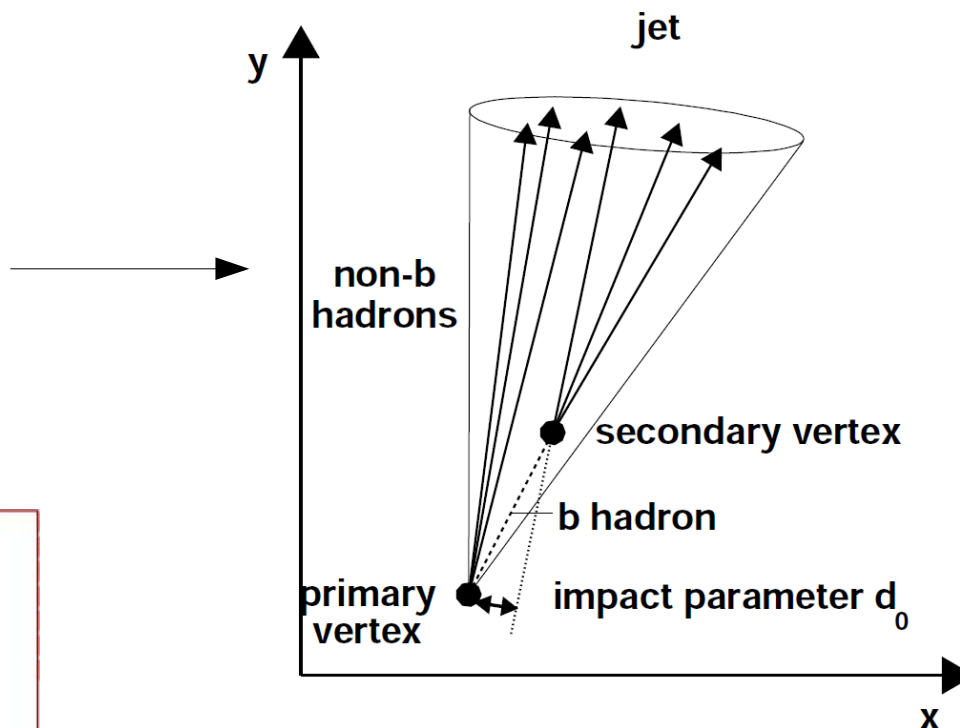
Run Number: 153565, Event Number: 4487360

Date: 2010-04-24 04:18:53 CEST

**Event with 4 Pileup Vertices  
in 7 TeV Collisions**



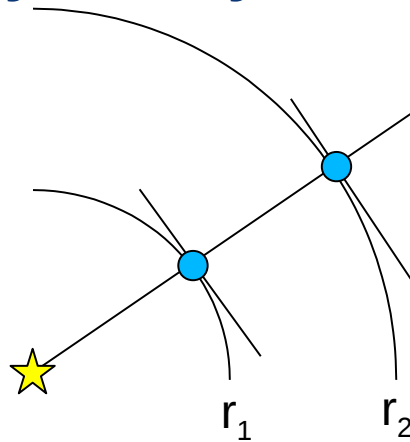
- Tracks from secondary vertex have significant impact parameter with respect to primary vertex



- Example of a fully reconstructed event from LHCb with primary, secondary and tertiary vertex



- Simple case: Two tracking layers at radii  $r_1$  and  $r_2$ , extrapolation to  $r = 0$  (intercept theorem) – if uncertainty in layer 1 only:



$$\sigma_{d_0} = \frac{r_2 \sigma_1}{r_2 - r_1}$$

similarly from layer 2 only:

$$\sigma_{d_0} = \frac{r_1 \sigma_2}{r_2 - r_1}$$

- Added in quadrature:

$$\sigma_{d_0}^2 = \frac{r_2^2 \sigma_1^2 + r_1^2 \sigma_2^2}{(r_2 - r_1)^2}$$

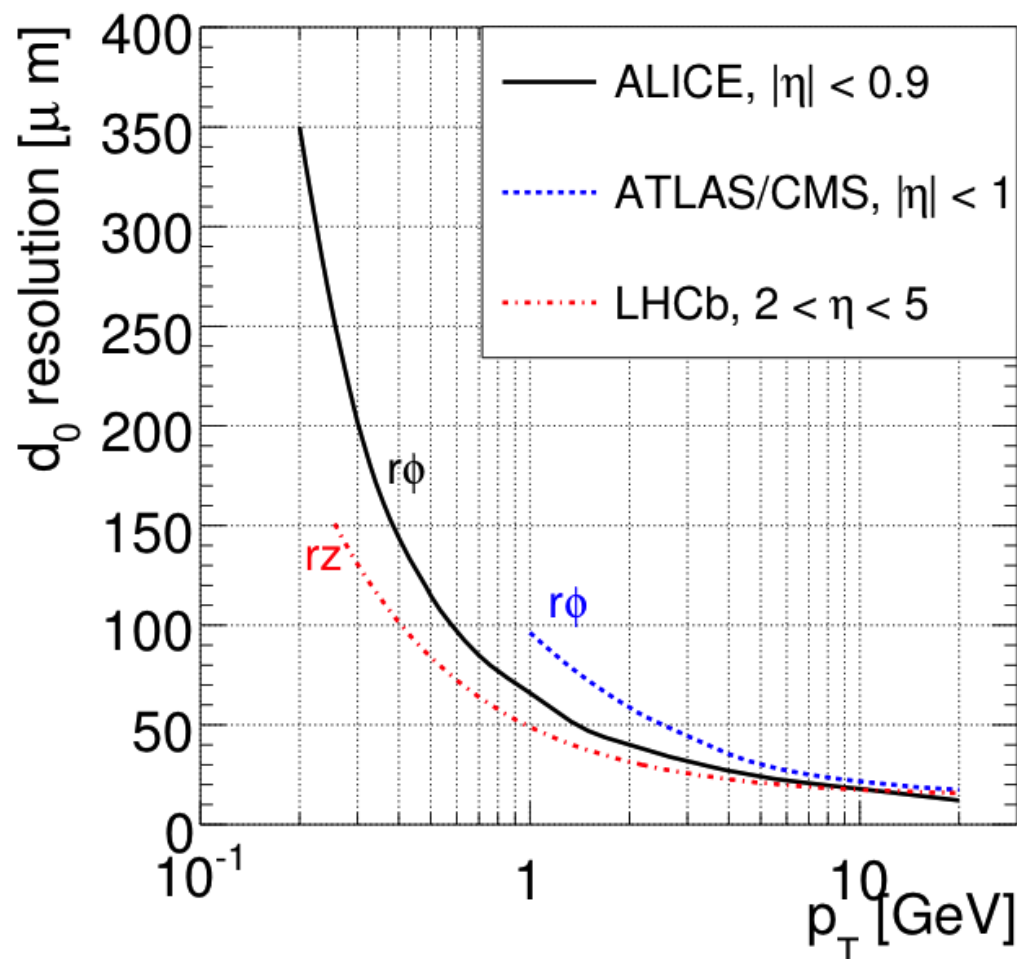
- Additional contribution due to multiple scattering

$$\sigma_i \rightarrow \sigma_i \oplus \Delta r \sigma_\theta$$

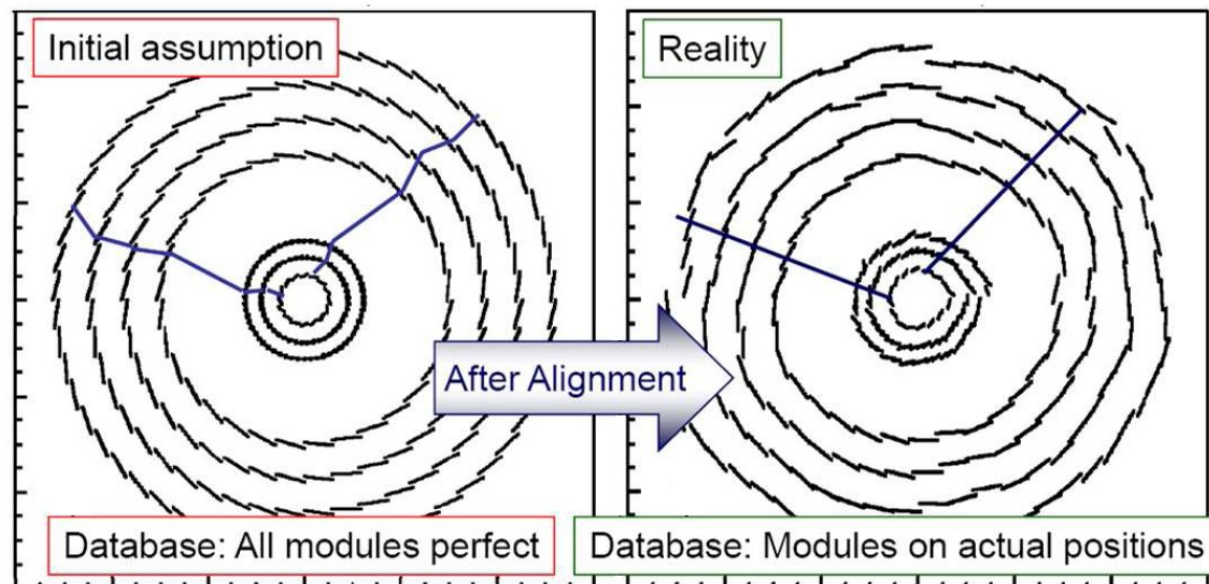
with  $\sigma_\theta$  as for momentum

- Results in

$$\sigma_{d_0} = \frac{\sqrt{r_2^2 \sigma_1^2 + r_1^2 \sigma_2^2}}{r_2 - r_1} \oplus \frac{\text{const.}}{p} \sqrt{\frac{x}{X_0}}$$



- Track fit assumes a known position of detector elements
  - Typ. have systematic shifts due to distortion in mech. structures (twist, sagging, bending, ...)
  - Impact on momentum and vertex reconstruction
- Correct for “broken” tracks → alignment





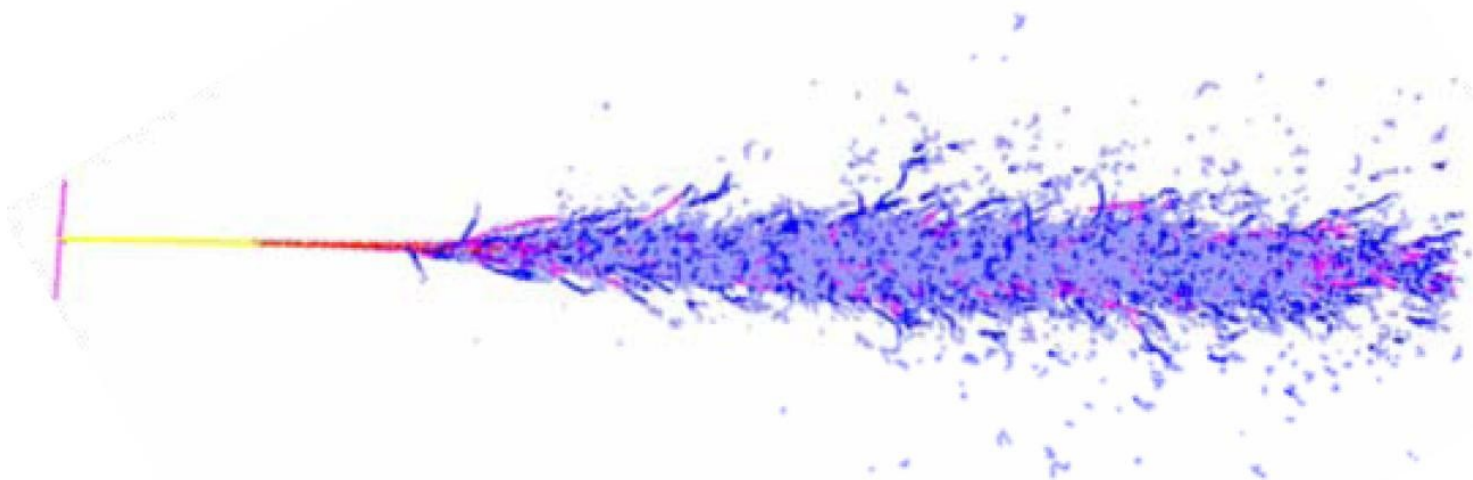
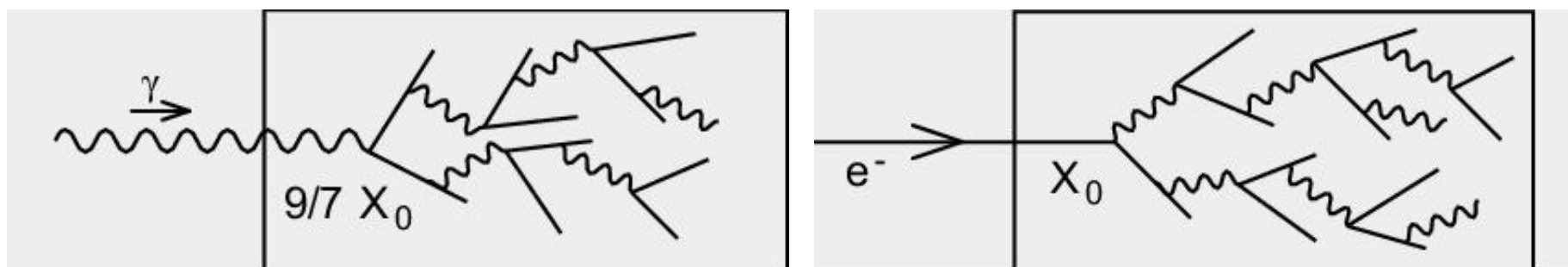
$$\sigma_{d_0} = \frac{\sqrt{r_2^2 \sigma_1^2 + r_1^2 \sigma_2^2}}{r_2 - r_1} \oplus \frac{\text{const.}}{p} \sqrt{\frac{x}{X_0}}$$

$$\frac{\sigma_{pT}}{p_T} = \frac{p_T \sigma_{pt}}{0.3 B L^2} \sqrt{\frac{720}{N+4}} \oplus \frac{27.2 \text{ MeV}}{0.3 B \sqrt{L X_0}}$$

- Tracker design:

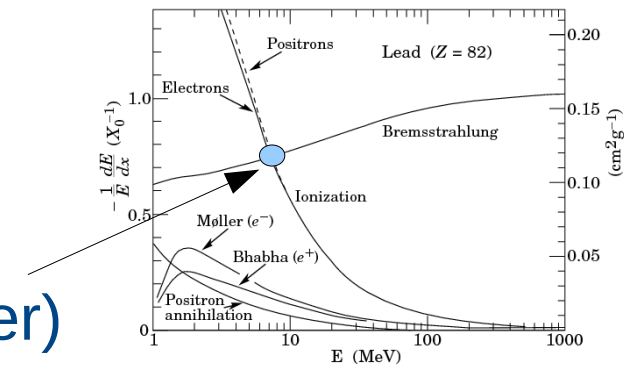
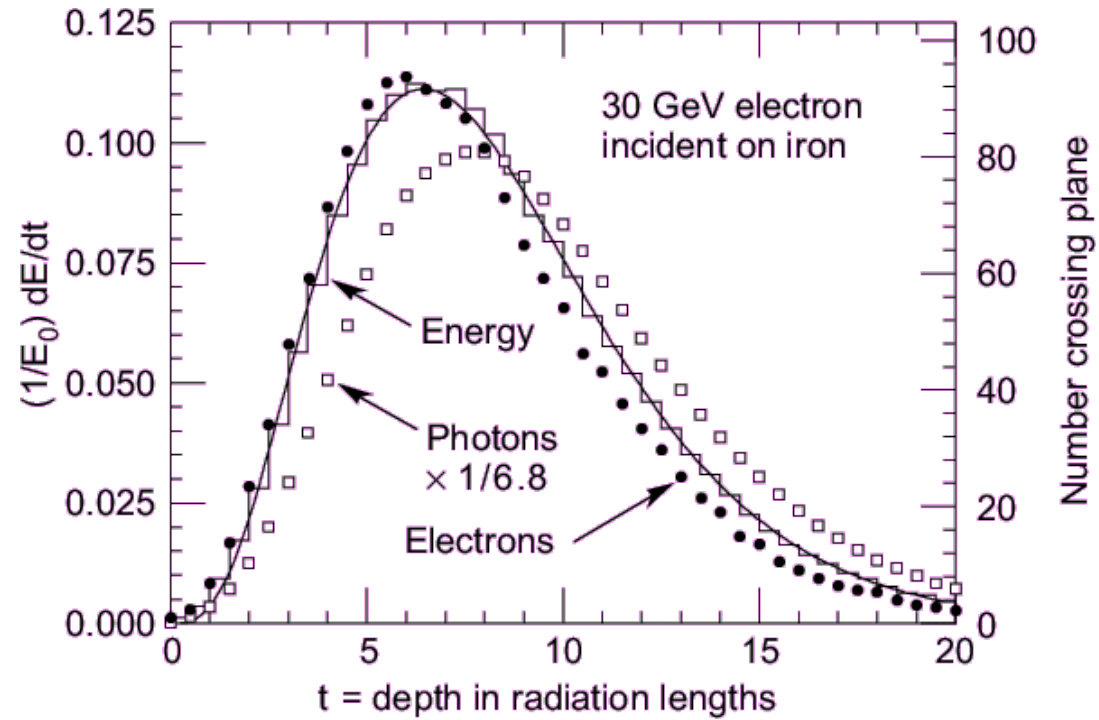
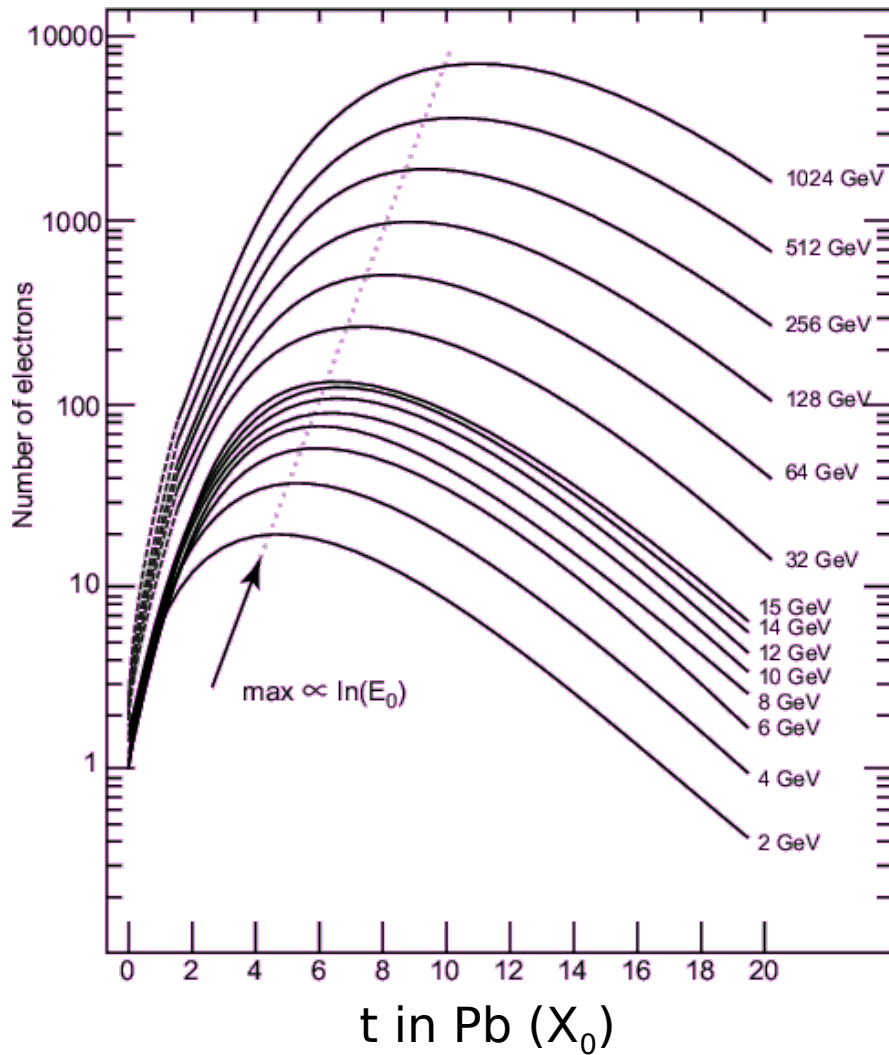
- Vertex resolution: inner radius as small as possible with best point resolution, outer radius as large as possible
- Momentum resolution: many points and long lever arm L
- Both: as little material as possible
- Limit 1 (Inner radius): Beam pipe, track density, radiation damage
- Limit 2 (Outer radius): Cost

# Calorimeters

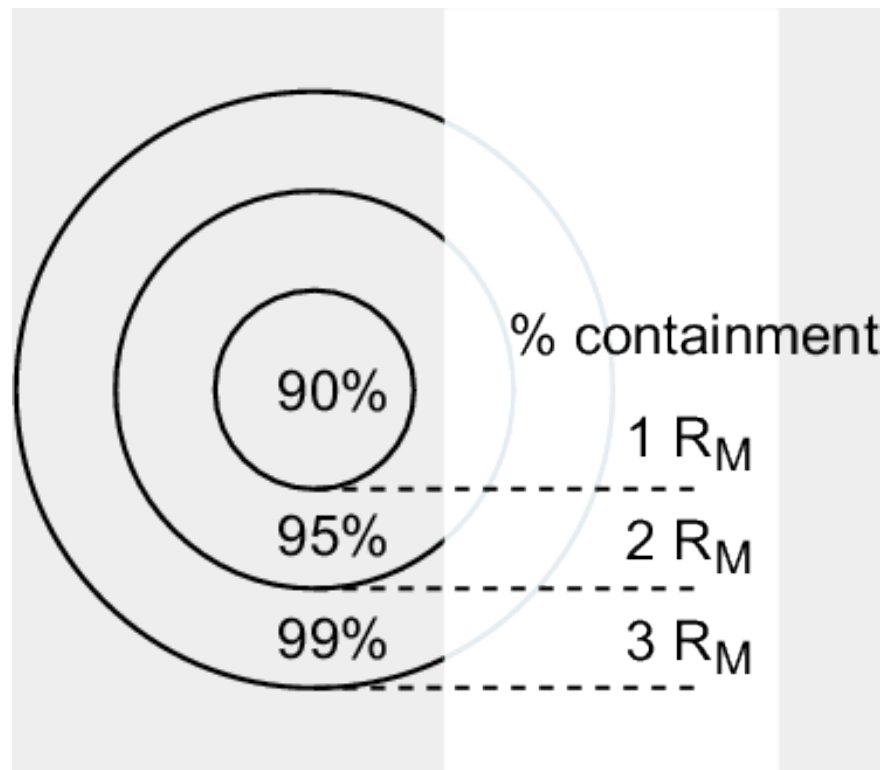
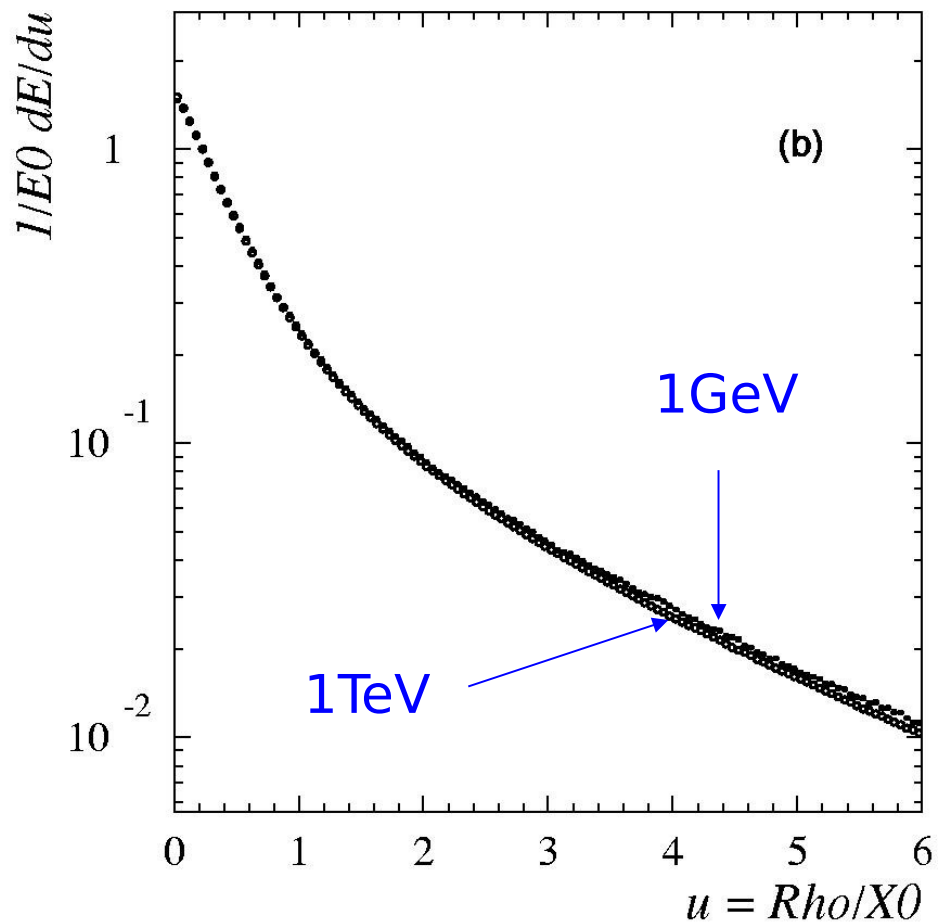


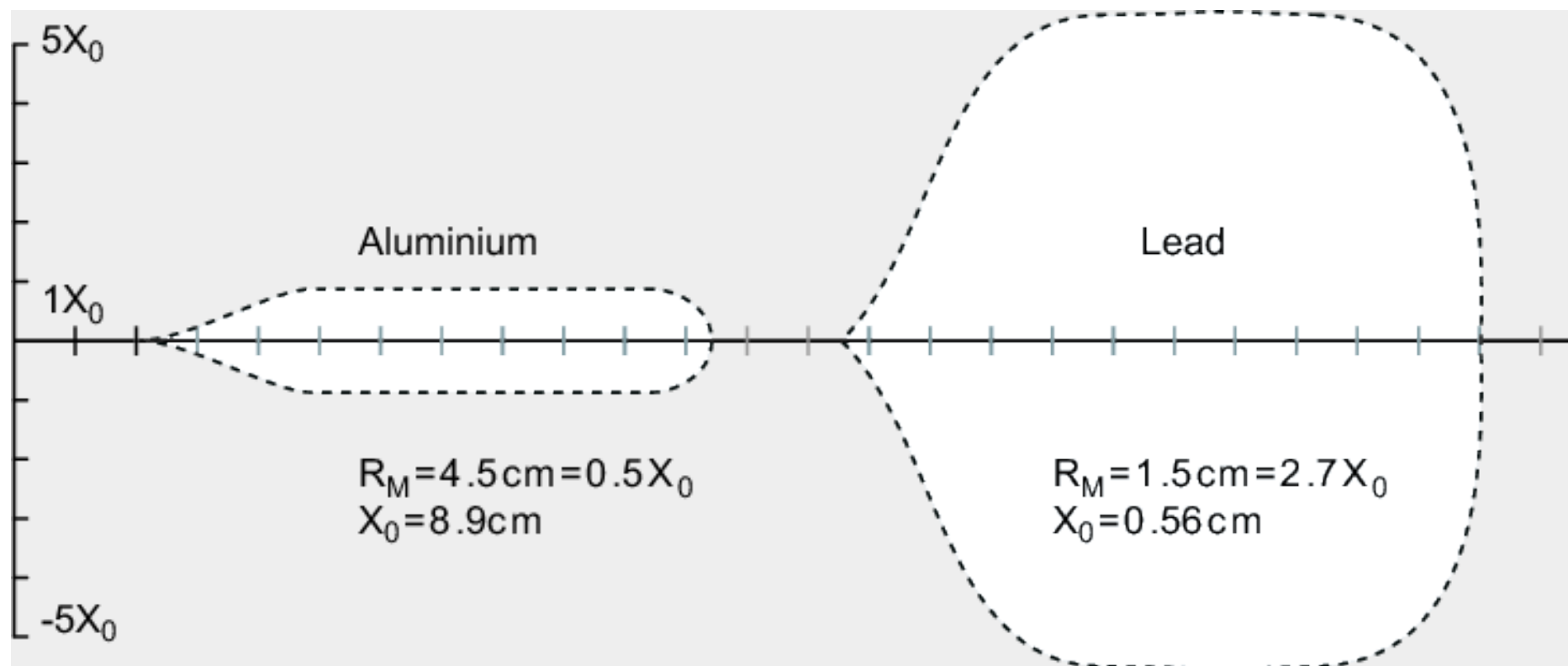
- Alternating Bremsstrahlung and pair creation
- Every  $\sim X_0$ : doubling of no. particles  $N$ ,  $\sim$ halves energy per particle  $\rightarrow N \propto$  incid. Energy  $E_i$

- Need to drive shower process and at the same time measure shower particles
- Measurement via ionisation charge or (scintillation/Čerenkov/...) light:
  - Signal is proportional to “track length”  $\sim N$
  - With  $N \propto E_i \rightarrow$  **Signal  $\propto E_i$**
- Shower scales
  - Longitudinally with  $X_0$ , but only logarithmically in  $E_i$
  - Laterally: scales with  $R_M \sim ZX_0$



Shower proceeds until  $E_e < E_c$  (ionisation takes over)

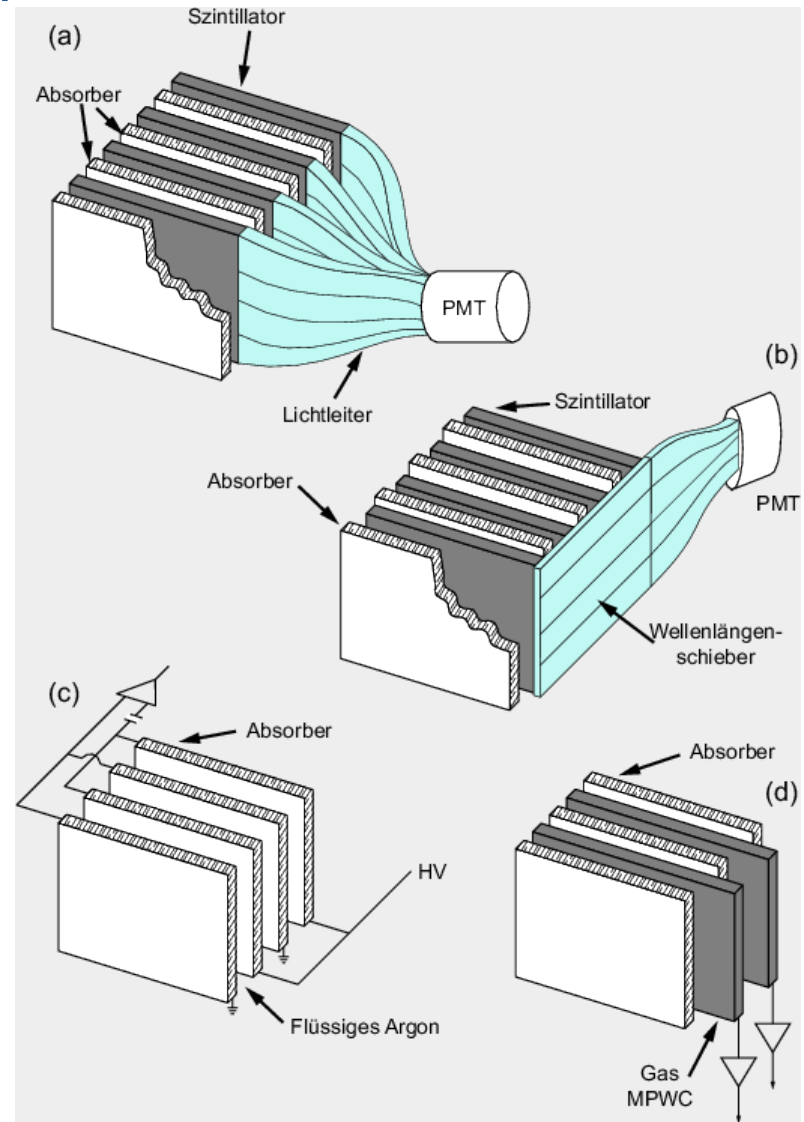
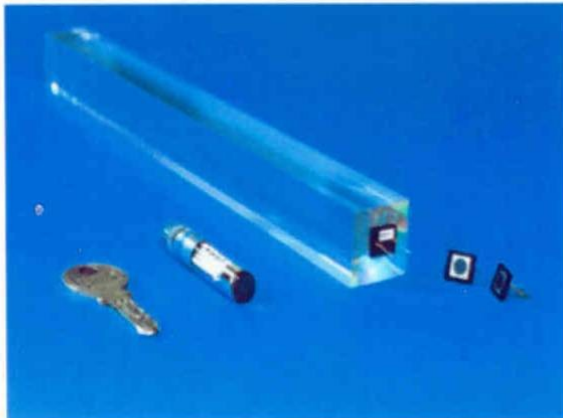
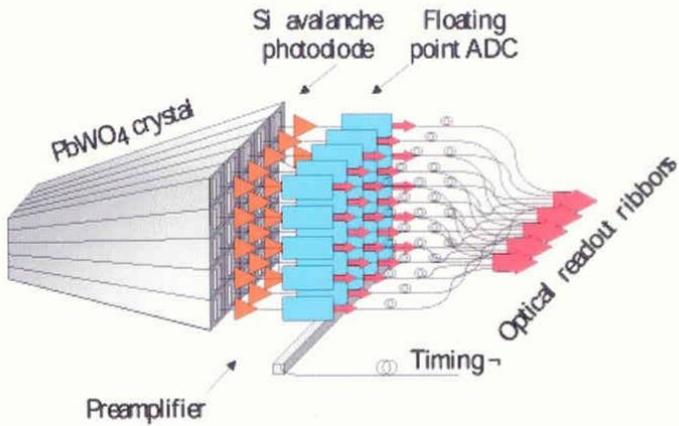




absorber & detector: the same

separate absorber and detector

homogeneous



sampling



## Homogeneous

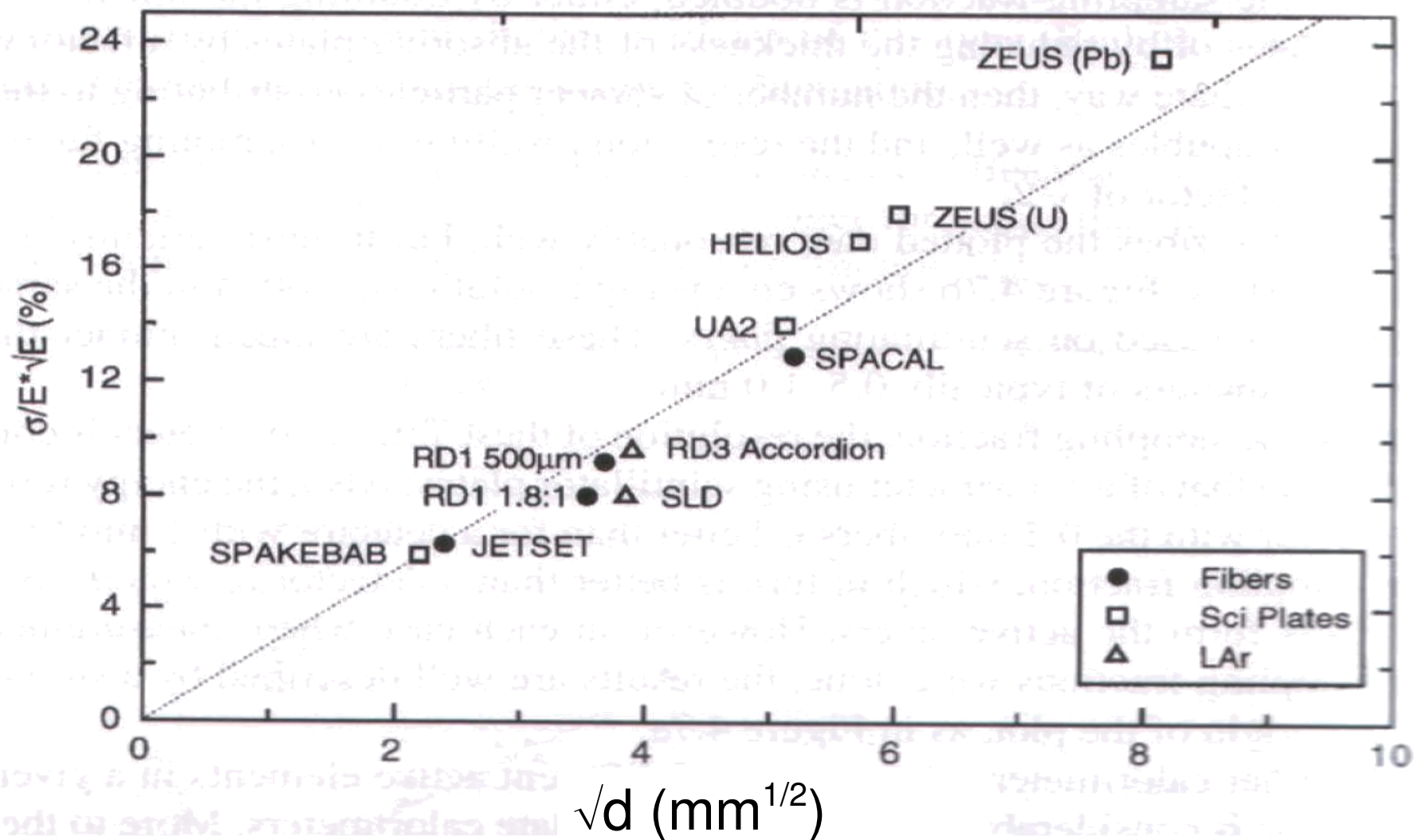
- Material:
  - Scintillators (crystals)
  - Čerenkov-Radiators
  - (Semiconductors)
  - (Liquid gases)
- Good Resolution
- Small  $X_0$ : difficult
- Segmentation?

## Sampling

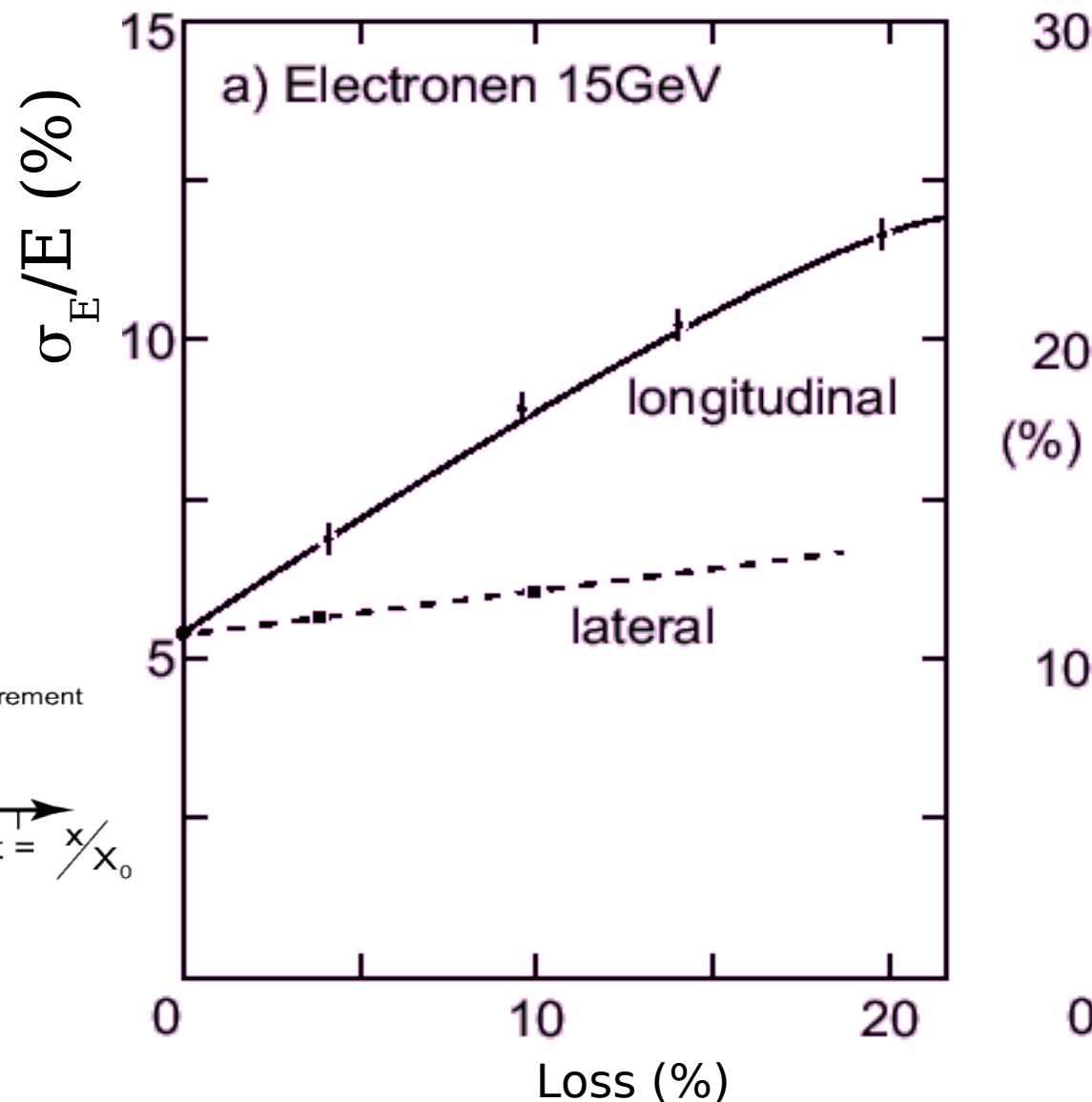
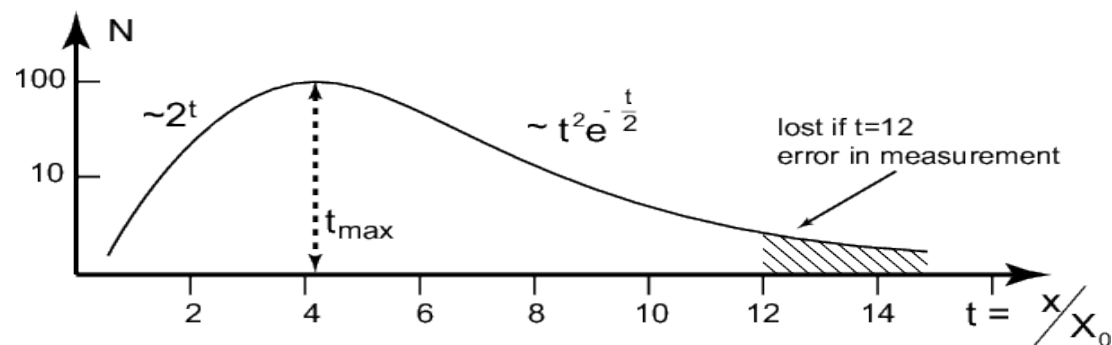
- altern. detector material:
  - Scintillators (plastic)
  - (Liquid)gases
  - (Semiconductors)
- + Absorber:
  - Fe, Pb, W, U
- Compact, easily segmented
- Poorer resolution

- Intrinsic (“stochastic”) fluctuations:
  - Shower processes have intrinsic fluctuations (QM nature of processes) →  $N$  follows Poisson statistics
  - →  $\sigma_N = \sqrt{N}$
  - With  $N \propto E \rightarrow \sigma_E \propto \sqrt{E}$  or  $\frac{\sigma_E}{E} \propto \frac{1}{\sqrt{E}}$
- Sampling fluctuations
  - Homogeneous calorimeters: observe entire signal, sampling: only a fraction is observed → poorer stat.
  - Absorber thickness  $d \rightarrow$  observed signal  $\propto E/d \rightarrow$

$$\frac{\sigma_E}{E} \propto \sqrt{\frac{d}{E}}$$

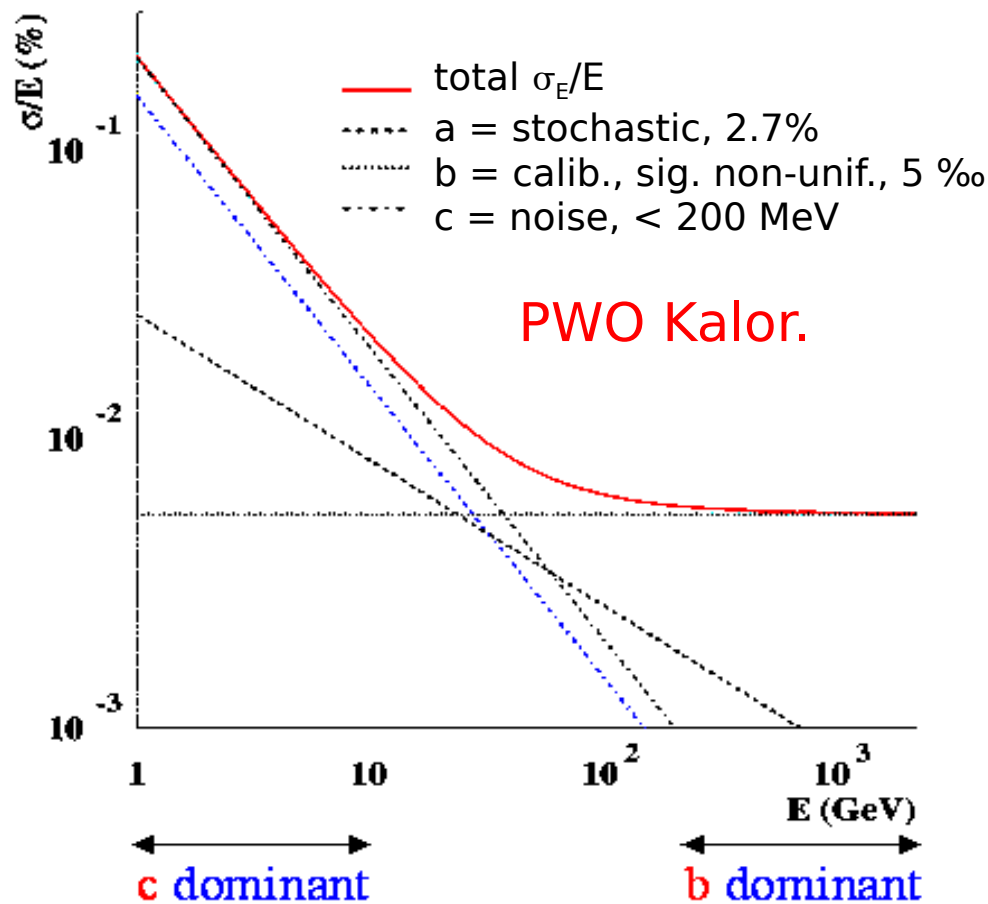


- Similar to sampling effect, also  $\frac{\sigma_E}{E} \propto \frac{1}{\sqrt{E}}$  :
  - Missing (fluctuating) parts of signal due to leakage effects
  - Intrinsic fluctuations in measured signal (Landau and path length fluctuation) – typ. “thin” media like gas
- Noise from read-out (electronics, PMT, ...)
  - Size of noise independent of shower  $\rightarrow$  const. in E  
 $\rightarrow \frac{\sigma_E}{E} \propto \frac{1}{E}$
- Signal  $\propto E$  must be calibrated  $\rightarrow$  limited precision scales with E, leads to  $\frac{\sigma_E}{E} \propto \text{const.}$

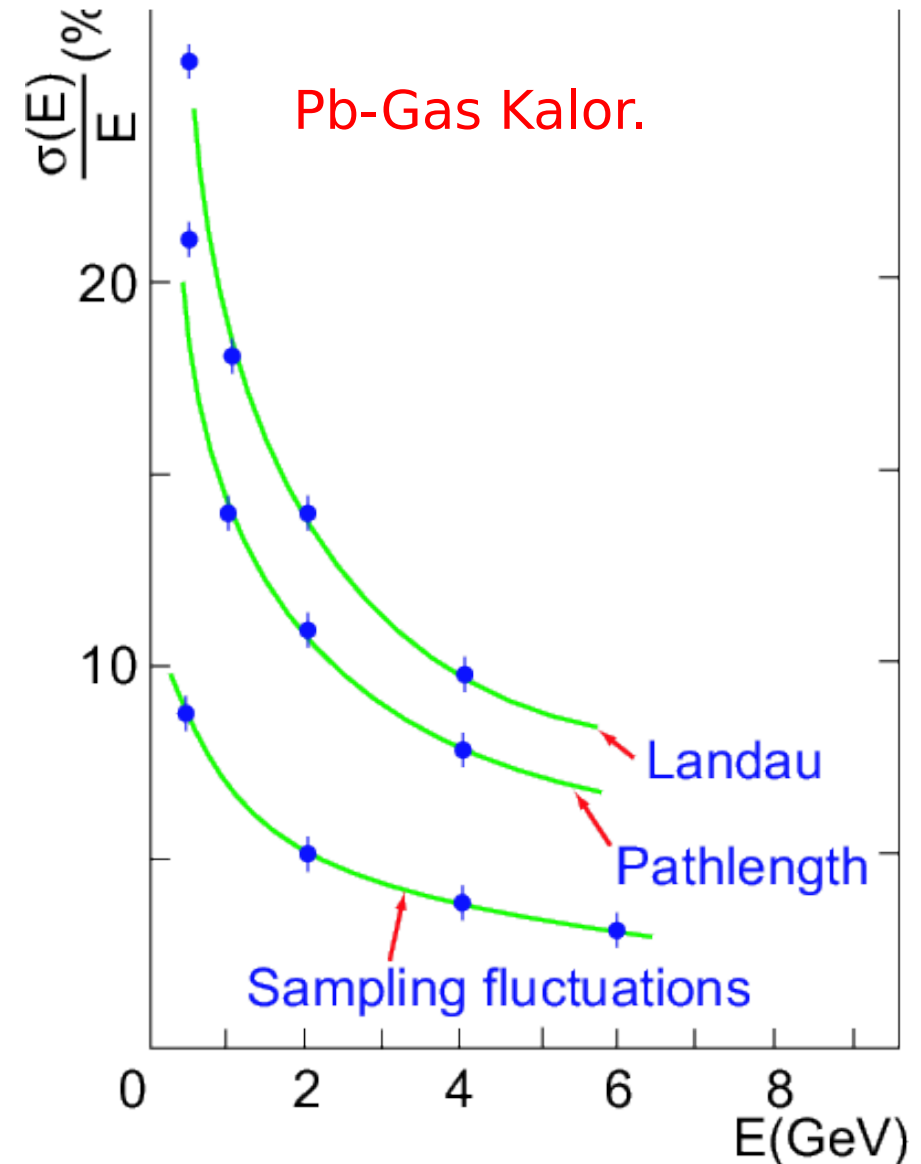


In total, we get:

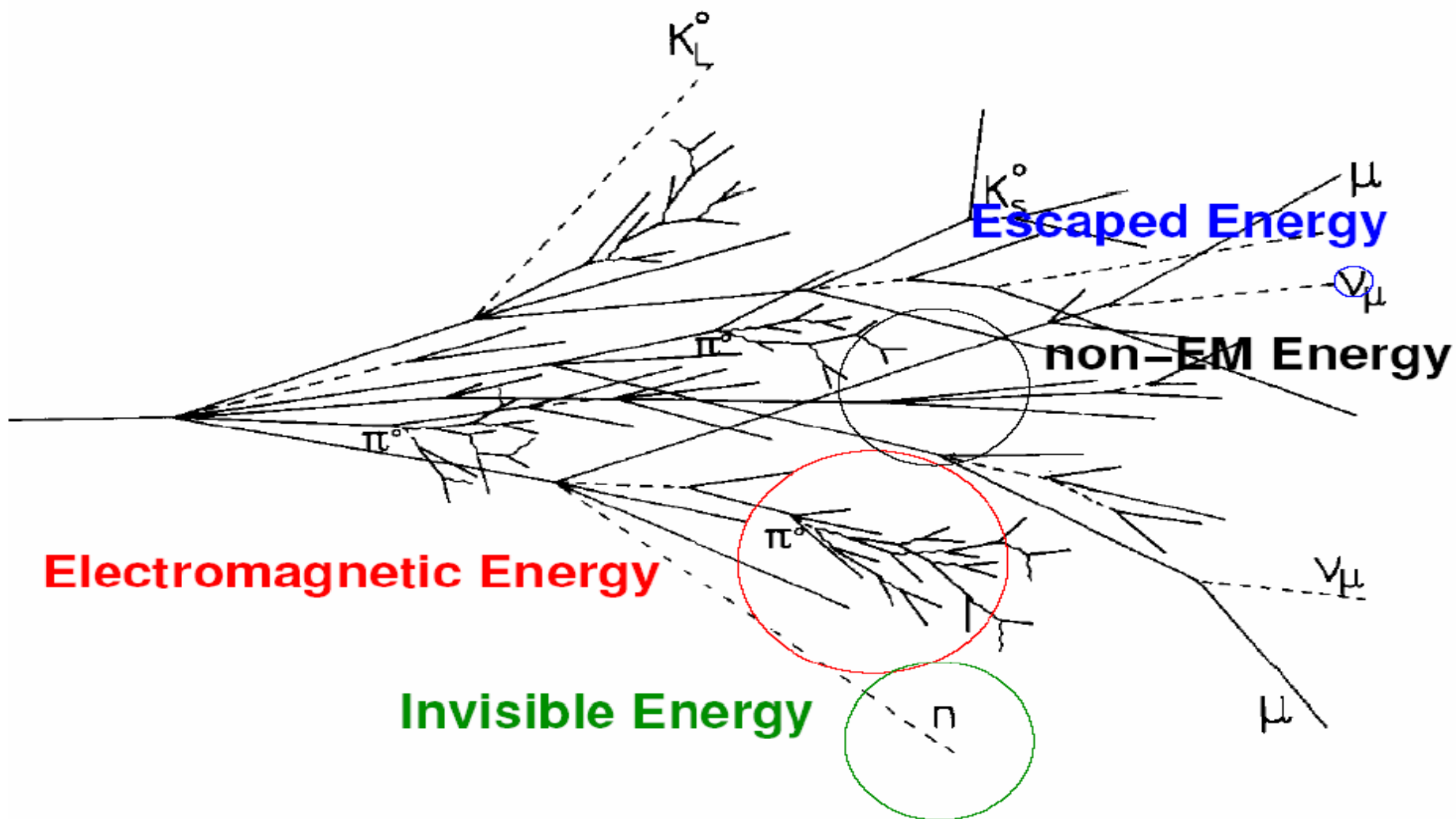
$$\frac{\sigma_E}{E} = \frac{a}{\sqrt{E}} \oplus b \oplus \frac{c}{E}$$



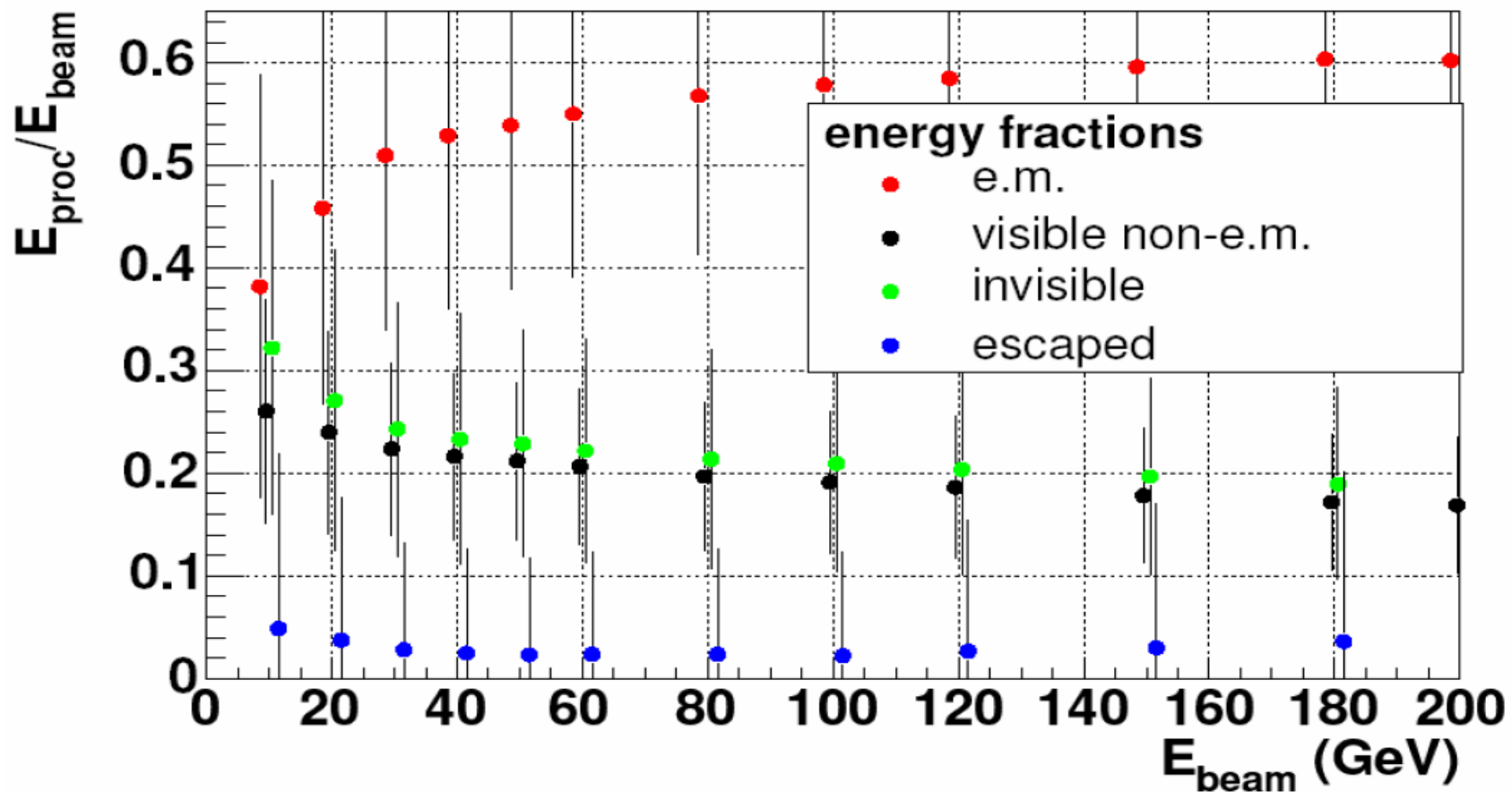
dominating term dep. on  
calor. type:



- Similar to em shower, hadronic processes lead to a shower of particles → same concepts as before (also resolution)
- Generally, much larger due to  $\lambda \gg X_0$ , no good homogenous calorimeter → only sampling
- Additional complication:
  - em showers are simple: just  $\gamma$ ,  $e^\pm$
  - Hadron showers are more complex:
    - Pure hadronic part, visible ( $\pi^\pm$ ,  $p$ , ...)
    - Electromagnetic (large fraction due to e.g.  $\pi^0 \rightarrow \gamma\gamma$ )
    - Invisible ( $n$ , nuclear fragments)
    - Escaped ( $\nu$ )

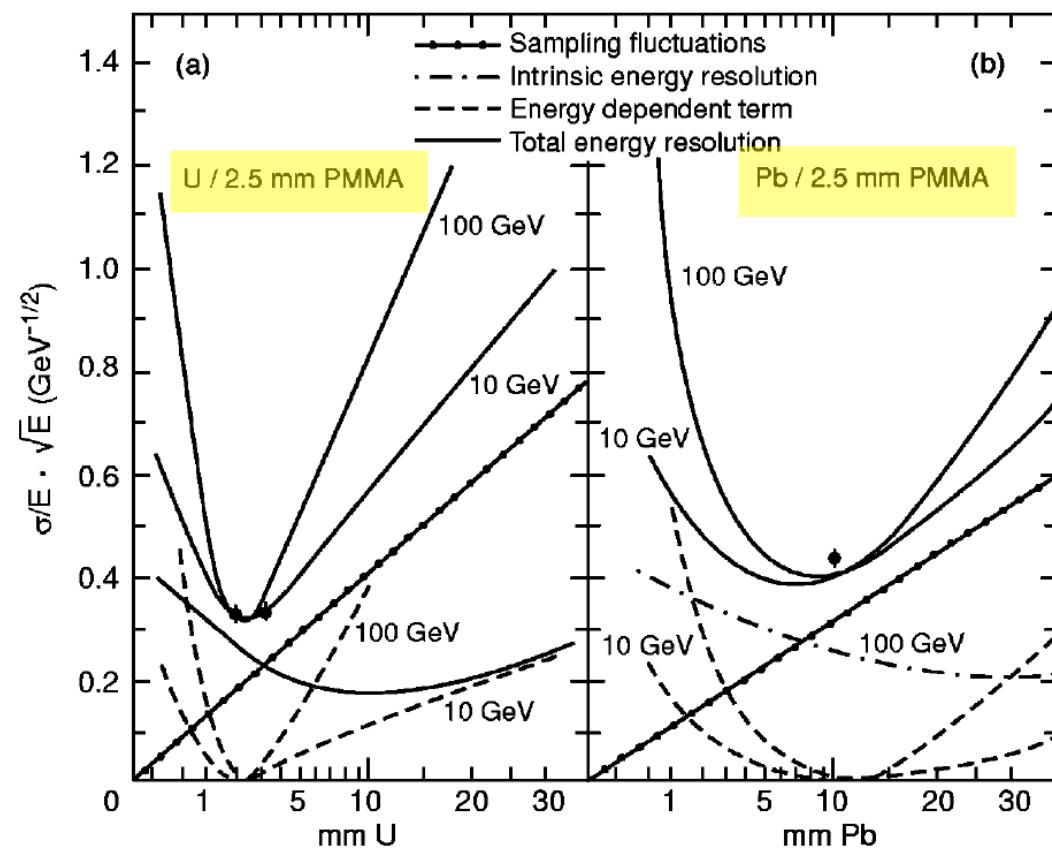
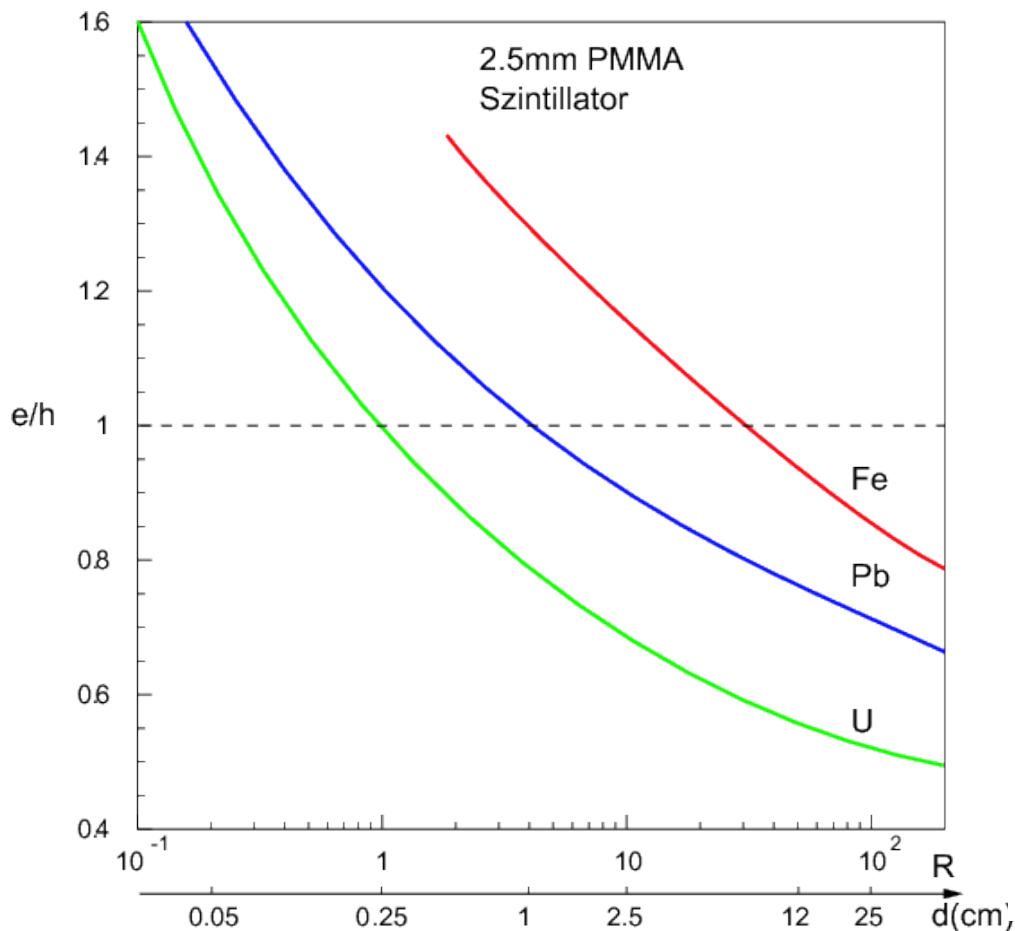






- Composition varies with energy → non-linearity
- Stat. variation in composition (shown by “error bars”) → fluctuations in resolution

- Net result: different response from calorimeter to electromagnetic shower, e.g. from  $e$ , and to hadronic shower, e.g. from  $\pi^\pm$
- Ratio of response often noted as  $e/h$  ( $>1$  w/o any further action)
- Cure: compensation to achieve  $e/h=1$ 
  - Enhance  $h$  signal, e.g. by recovering  $n$ -contribution
    - Plastic scintillators well suited for  $n$  detection
    - Tune effect by thickness ratio absorber/plastic  $\rightarrow$  also affects resolution due to sampling effect
  - Reduce  $e$ -signal, e.g. by identifying “compact” shower and post-processing

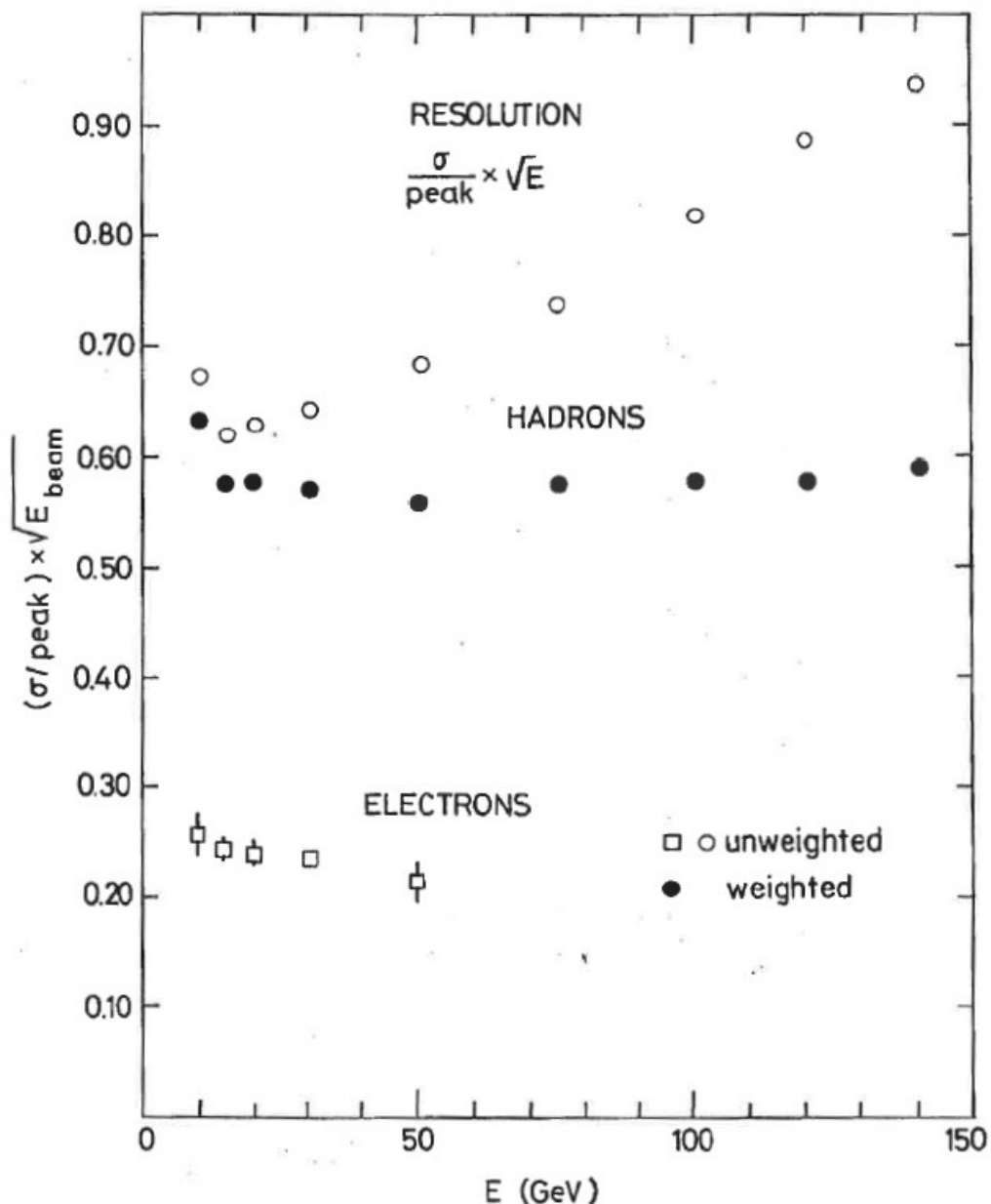


- Tuning  $e/h$  and the resolution by adjusting absorber thickness for fixed plastic scintillator (PMMA) thickness
- Depends on absorber  $\rightarrow$  different nuclear processes

- Aim: identify em sub-showers  $\rightarrow$  need a fine segmentation of calorimeter
- Identify cells with high energy density and re-weight cell energy  $E_i$ :

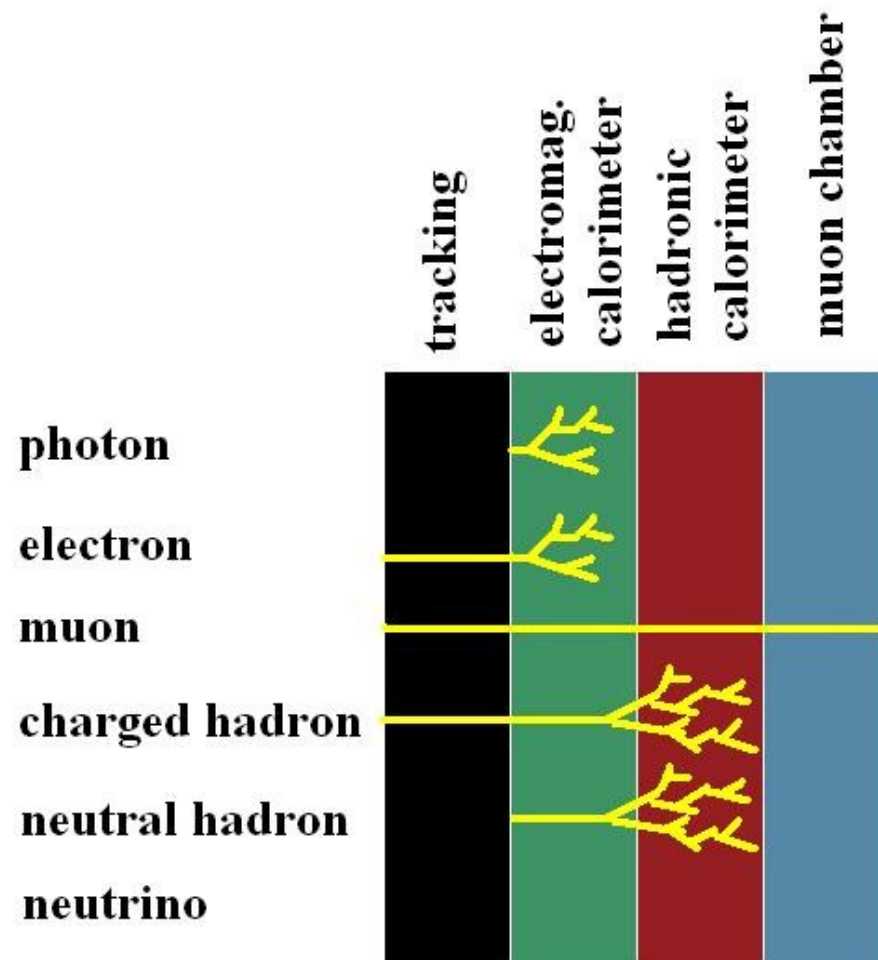
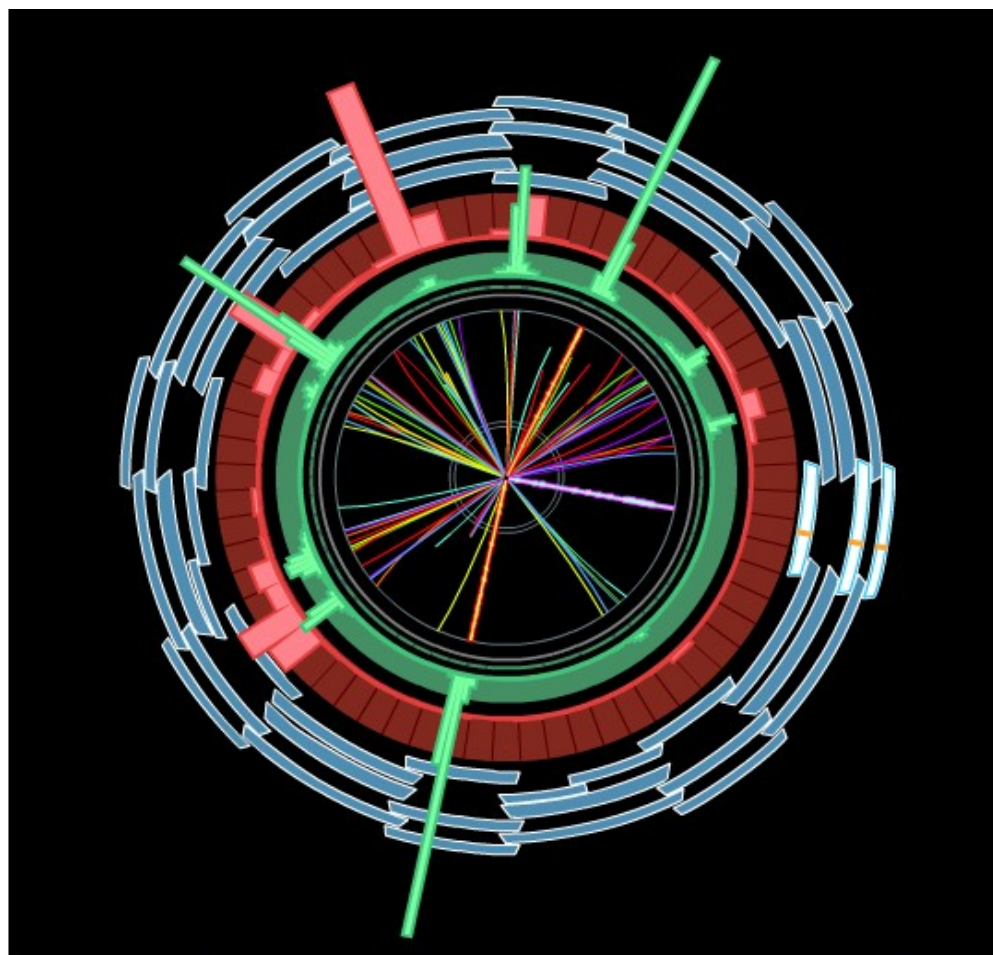
$$E_i' = E_i \cdot (1 - C \cdot E_i)$$

- Parametrise  $C$  as function of (un-weighted) jet energy



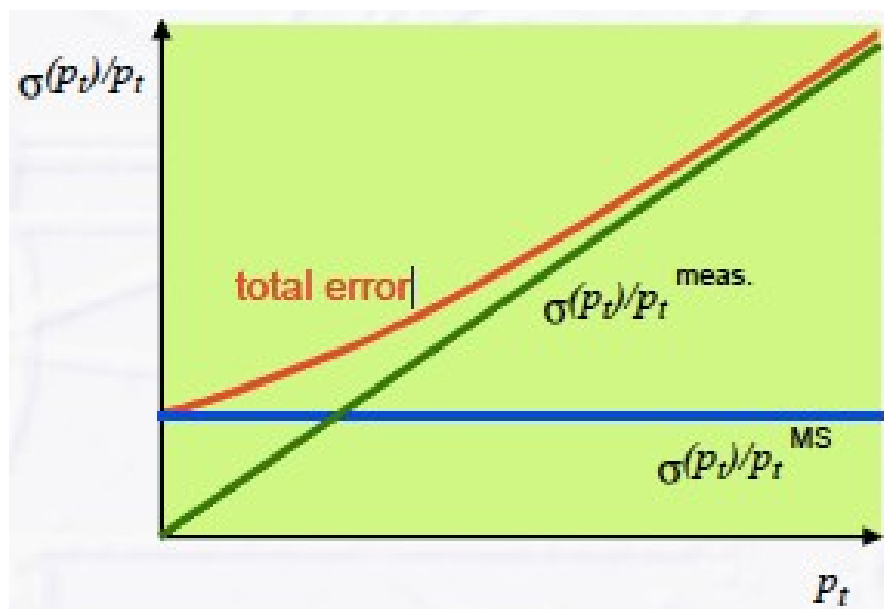
- Inner part: tuned for em showers ( $\lambda \gg X_0$ )
  - Homogeneous: only few crystals with useful  $X_0$  available
  - Sampling: variety of material
  - Choice drives resolution, but also other requ.: read-out speed, radiation hardness,...
  - Segmentation: separation of individual particles, e.g. photons from  $\pi^0 \rightarrow \gamma\gamma$
- Outer part: tuned for had. showers
  - Size is critical: avoid leakage problems
  - Decide if sw/hw-compensation is required  $\rightarrow$  e.g. fine segmentation

# Overall Concepts

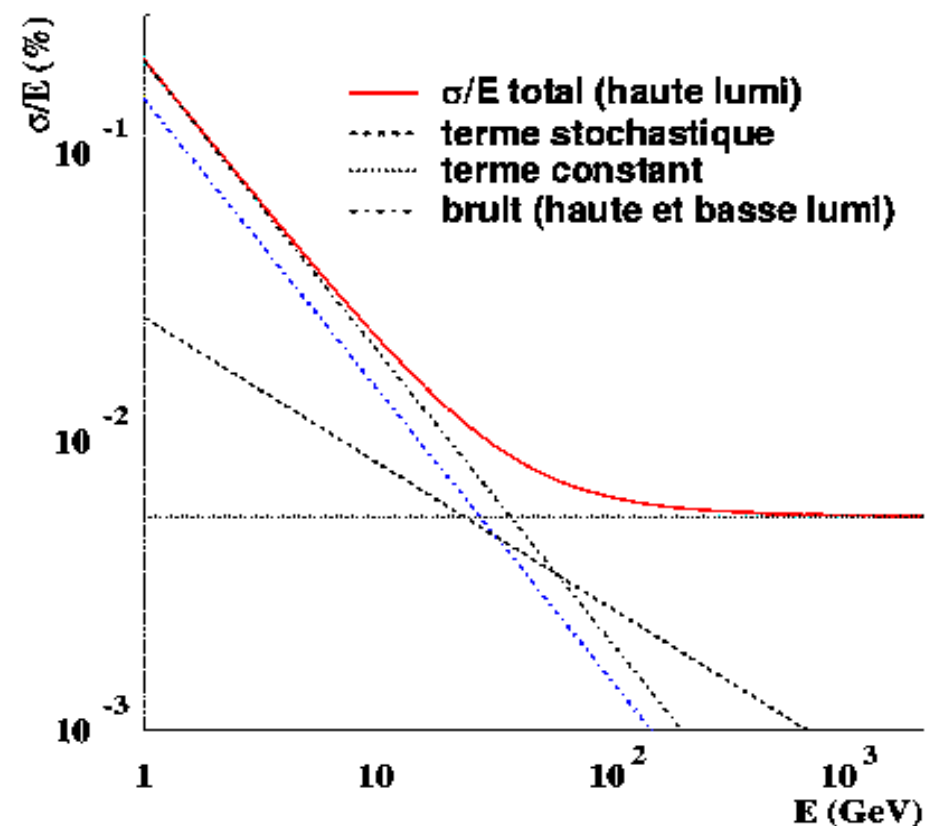




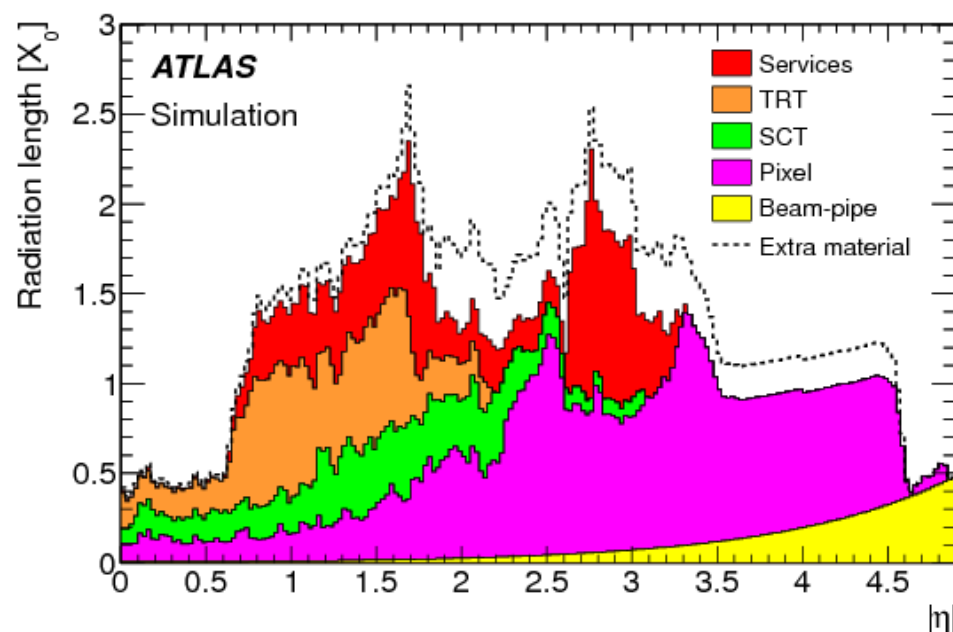
- Tracking: measure momentum  $p$
- Resolution degrades with rising  $p$



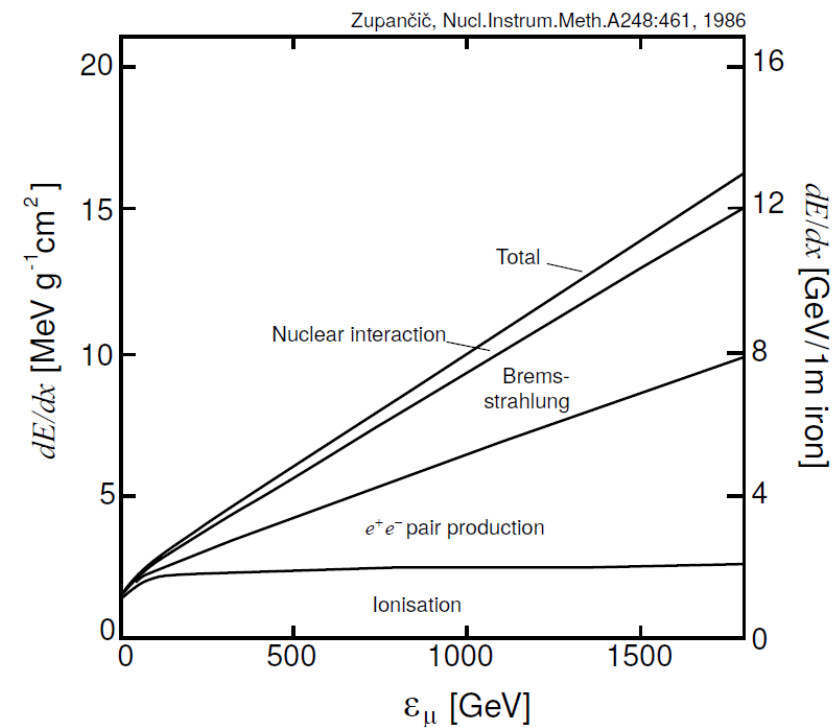
- Calorimeter: measure energy  $E$
- Resolution improves with rising  $E$



- Inner detector layers influence outer layers
  - Multiple scattering: influence on tracking itself, but also on track-calor. matching
  - Possible photon-conversion and Bremsstrahlung → calorimeter doesn't measure “original” e,  $\gamma$ 
    - keep material as low as possible
- Material budget is not just the pure detector (gas or silicon): cables, cooling pipes, support structures, ... contribute as well



- Muons penetrate calorimeter layers → detector in outermost layer
- Independent tracking system
  - Magnetic field: return yoke from inner tracking system (CMS), or additional magnets (ATLAS)
  - Complementary momentum measurement
  - Adjust for energy loss in calorimeter: several processes, contribution is energy dependent



- Combine measurement with inner tracking system:
  - Each provides independent momentum measurement → reduce syst. error
  - More hits and larger L improves resolution

