

# Future LHCb measurements?

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Edinburgh workshop on  $b \rightarrow s \ell \ell$  decays

# Introduction

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- Future measurements at LHCb?
  - ➔ We have (in my opinion) managed to perform an impressive number of measurements using our run I dataset.
  - ➔ Aim of this talk is to explore:
    - ◆ What more we can learn from our run I dataset?
    - ◆ What should we do differently in run II?

# Setting the scene

- Some modes are no longer particularly “rare”, we have large samples of some decays already in run I.
- Extrapolating to the future:

channel	$1\text{fb}^{-1}$	$3\text{fb}^{-1}$	run II	upgrade	
$B^0 \rightarrow K^{*0} \mu^+ \mu^-$	883	2,400	10,500	85,000	
$B^+ \rightarrow \pi^+ \mu^+ \mu^-$	25	80	360	2500	
$B_s^0 \rightarrow \mu^+ \mu^-$	–	15	65	520	
$B^0 \rightarrow K^{*0} \gamma$	5,300	17,000	76,000	500,000	} challenge to retain trigger efficiency in run II
[low $q^2$ ] $B^0 \rightarrow K^{*0} e^+ e^-$	–	150	650	5,200	

scaling naively by luminosity, assuming  $\sigma_{b\bar{b}}$  scales linearly with  $\sqrt{s}$

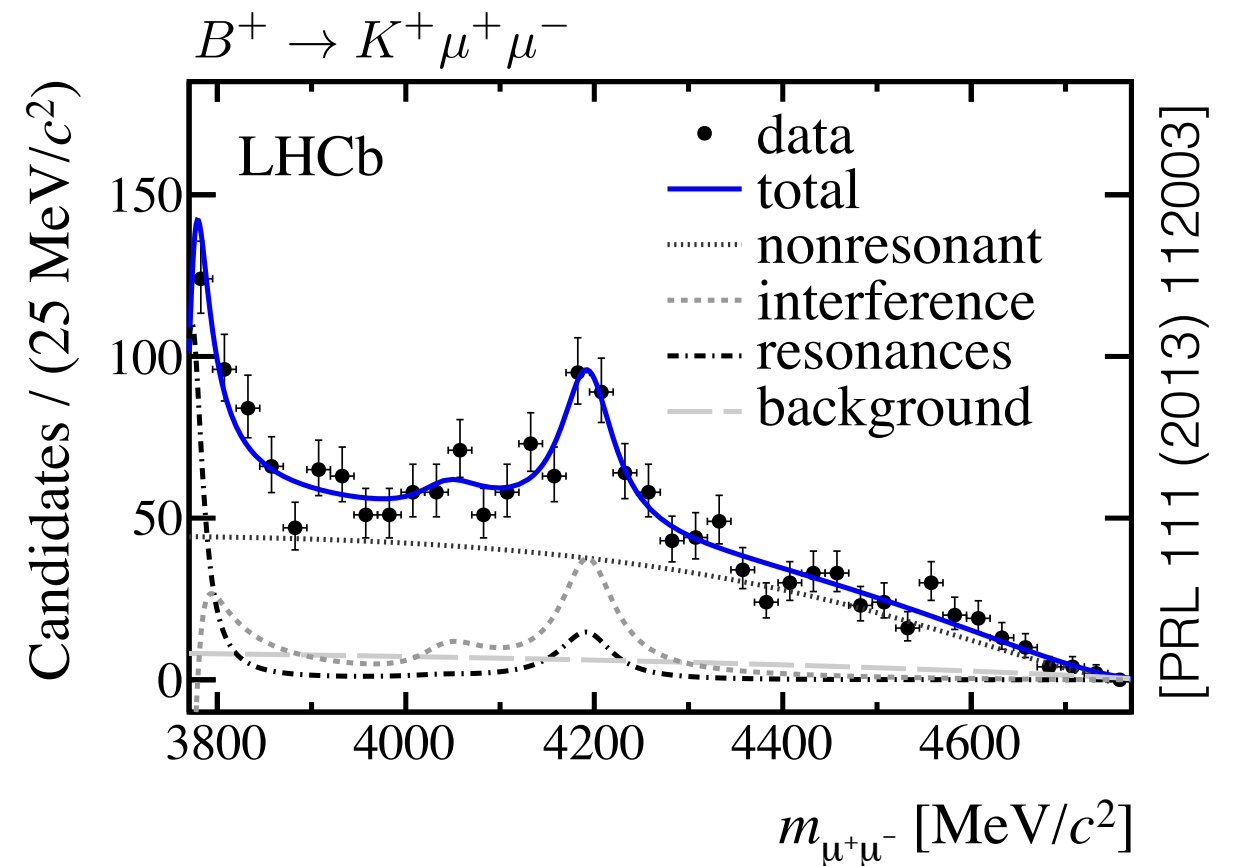
# Resonance structure

- See large resonant contributions from  $c\bar{c}$  states at large dimuon masses.
- We can fit this with a Breit-Wigner ansatz (but only after assuming some  $q^2$  parameterisation for the non-resonant part) to extract magnitudes and relative phases.

i.e. use a shape

$$\text{phsp} \times (|\mathcal{A}_V(m_{\mu\mu}) + \sum_i e^{i\phi_i} \mathcal{A}_i(m_{\mu\mu}, \mu_i, \Gamma_i)|^2 + |\mathcal{A}_A|^2) f_+^2(m_{\mu\mu})$$

for narrow states this needs to be convoluted by our experimental resolution

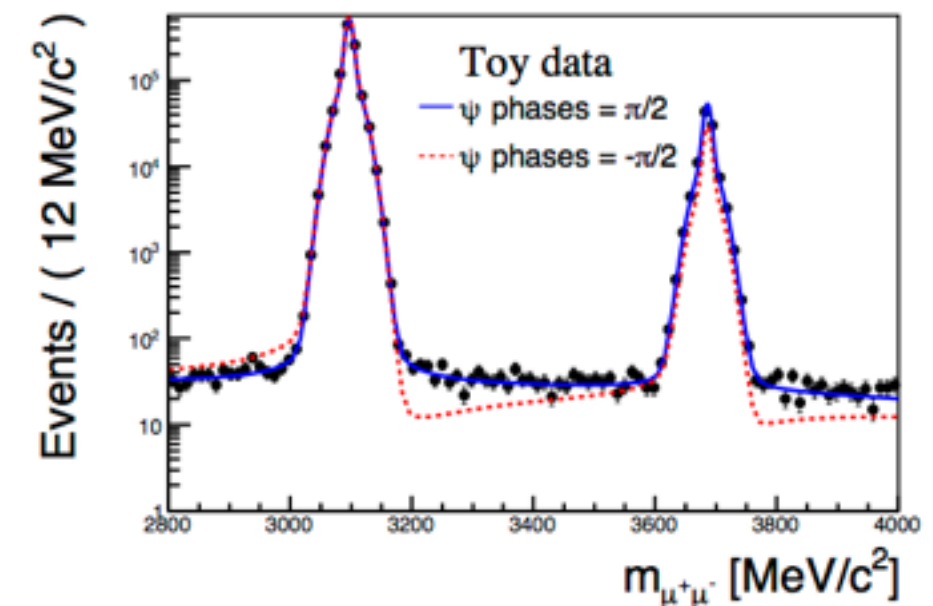


comparison with expectation from vacuum polarisation → large non-factorisable effects

# Resonance structure

- Using toy experiments it looks like we might also have sensitivity to the interference of the non-resonant contribution with the  $J/\psi$ .
  - ➔ Difficult measurement, we really need to understand our experimental resolution and the impact of bremsstrahlung/FSR.
- Can we learn anything useful from light-resonances at low  $q^2$ ?
  - ➔ These are suppressed but should be visible in our run II/upgrade dataset.

[P. Owen, LHCb implications workshop]

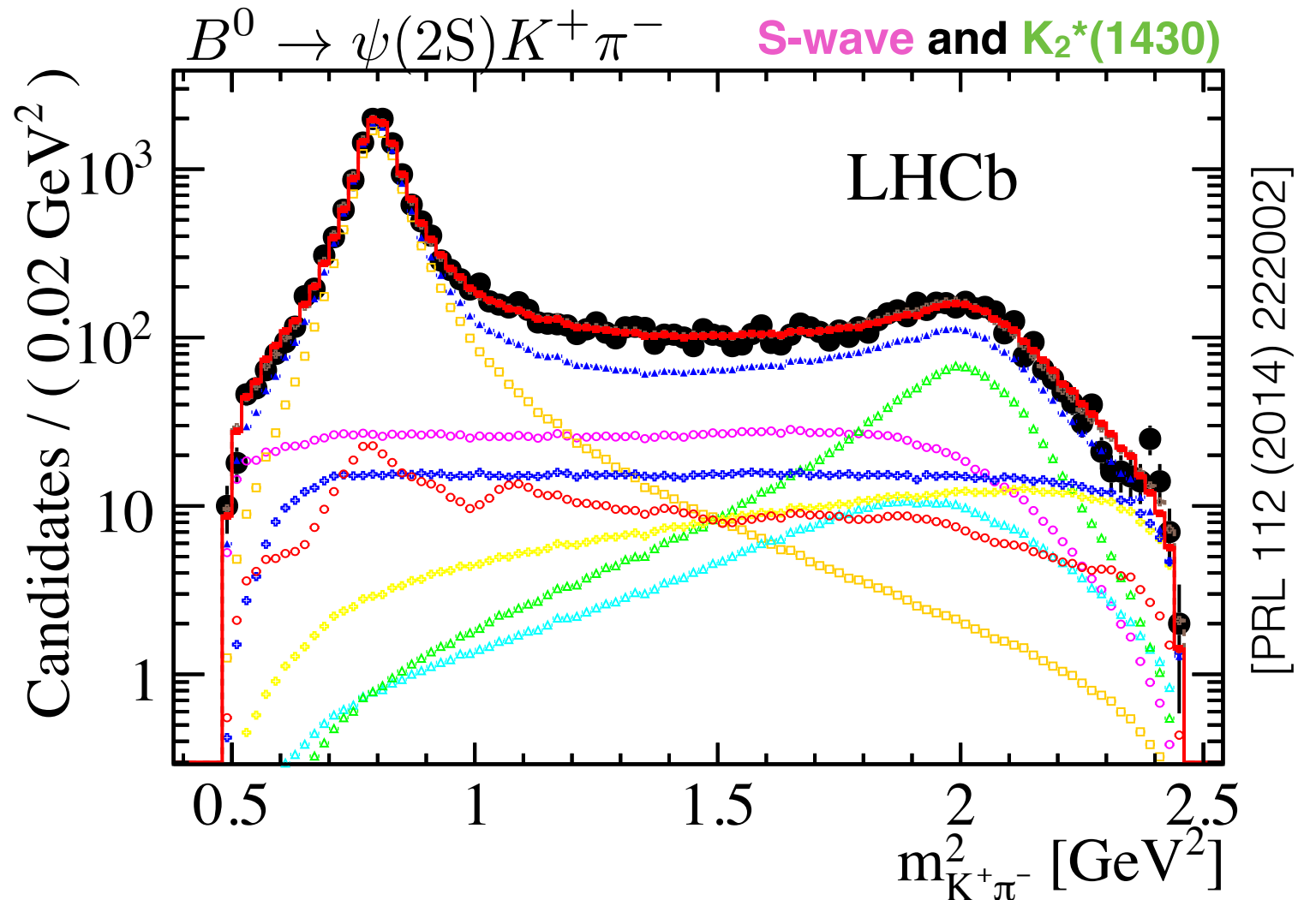


Toy experiment showing impact of the  $\psi$  phases on the visible dimuon spectrum.

$B$  mass constraint applied to recover bremsstrahlung/FSR.

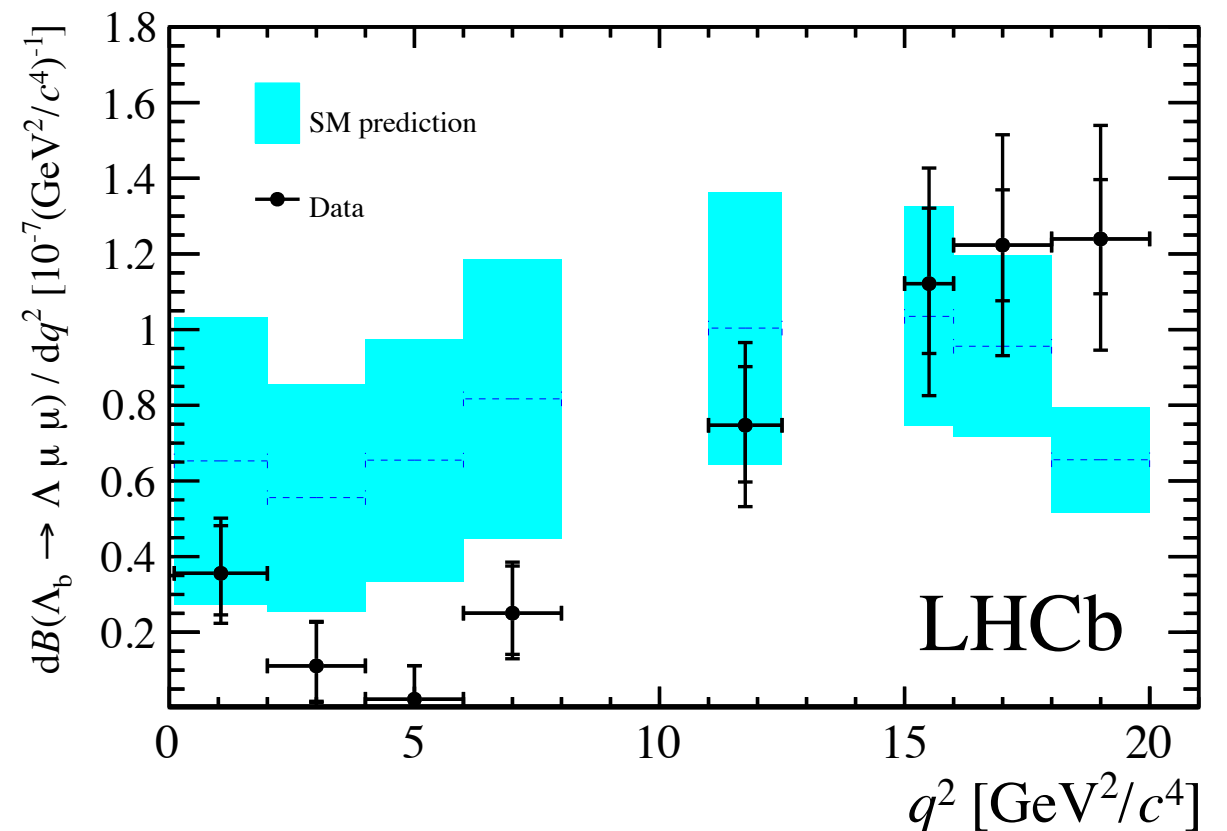
# Higher $K^*$ states?

- So far we have focussed on a  $\pm 100$  MeV window about the  $K^{*0}$  pole mass.
- We could also perform measurements at higher masses, e.g. around the D-wave  $K_2^*(1430)$ .
- Would this be useful?
- Can we make predictions for the higher spin states?



# Rare baryon decays

- We already have precise measurements of  $\Lambda_b^0 \rightarrow \Lambda \mu^+ \mu^-$
- Can we learn something from the strongly decaying  $\Lambda$  states? e.g the  $J = 3/2$   $\Lambda^*(1520)$
- Photon polarisation measurements with  $\Lambda_b^0 \rightarrow \Lambda^{*0} \gamma$  decays are limited by the small production polarisation at the LHC (to be confirmed at 13TeV). Unfortunately, the  $\Lambda \gamma$  final state is very difficult for us to reconstruct.



Poor agreement in shape between SM predictions and data (especially at low  $q^2$ )?

SM from Detmold et al.  
Phys. Rev. D87 (2013) 074502,

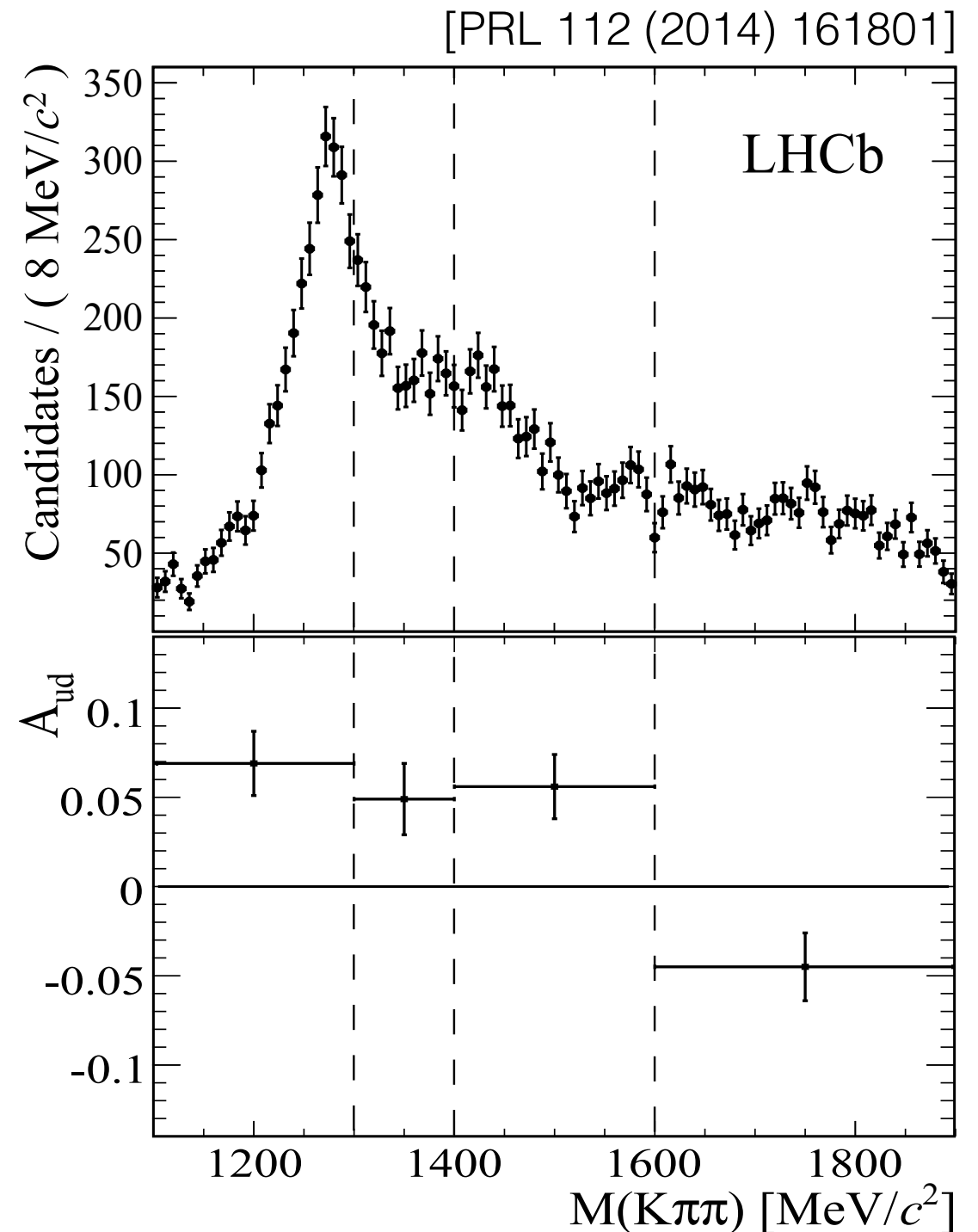
# Photon polarisation

- Observe non-zero photon polarisation in  $B^+ \rightarrow K^+ \pi^- \pi^+ \gamma$  decays.
  - ➔ Work ongoing to separate the different  $K\pi\pi$  states (needed to determine  $C'_7$ )
- We also set strong constraints on  $C'_7$  from  $A_{T2}^T$  and  $A_{TIm}^T$  using  $B^0 \rightarrow K^{*0} e^+ e^-$  decays at low  $q^2$ .

$$A_T^{(2)} = -0.23 \pm 0.23 \pm 0.05$$

$$A_T^{Im} = 0.14 \pm 0.22 \pm 0.05$$

[JHEP 04 (2015) 064]



We know polarisation is non-zero  
but not if its SM-like



# Effective lifetimes

- Untagged analysis:

$$\Gamma[B_q + \bar{B}_q](t) \propto e^{-\Gamma_q t} \left( \cosh \left( \frac{\Delta\Gamma_q}{2} t \right) - \underline{A^{\Delta\Gamma}} \sinh \left( \frac{\Delta\Gamma_q}{2} t \right) \right)$$

$$B_s^0 \rightarrow \phi\gamma$$

$A^{\Delta\Gamma}$  is sensitive to the photon polarisation.

Expect  $\sigma(A^{\Delta\Gamma}) \sim 0.3-0.4$

[Zwicky et al, PLB 664 (2008)]

$$B_s^0 \rightarrow \mu^+\mu^-$$

$A^{\Delta\Gamma}$  is sensitive to non-zero scalar and pseudoscalar contributions.

[De Bruyn et al, PRL 109 (2012) 041801]

- What about  $B_s^0 \rightarrow \phi\mu^+\mu^-$ ?

➔ Taking  $|q/p| = 1$ , the effective lifetime is sensitive to the asymmetry between the CP-odd/CP-even amplitudes.

# Determining $|V_{td}/V_{ts}|$ ?

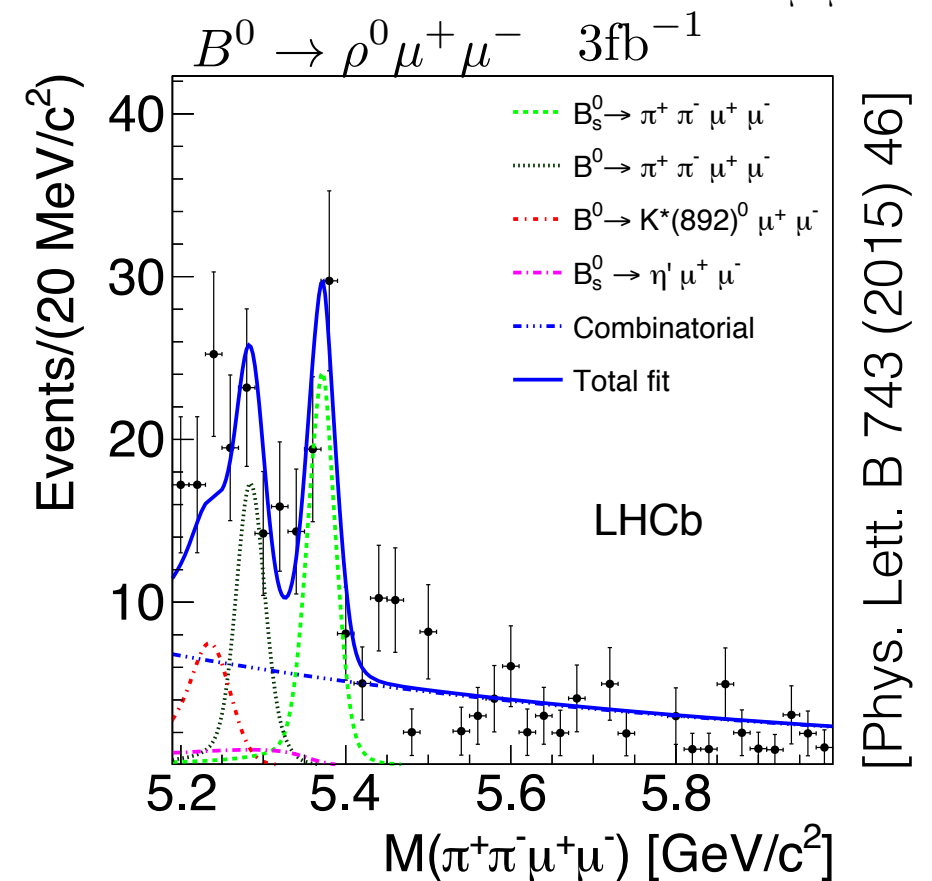
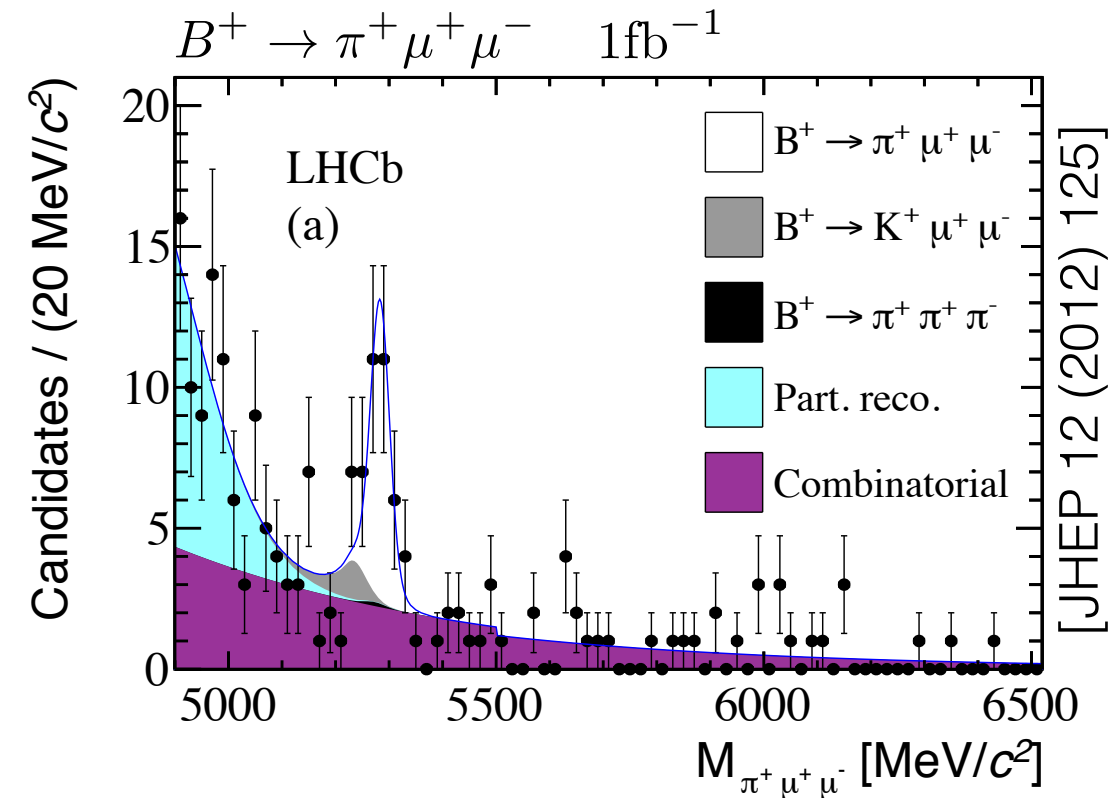
(and testing MFV)

- Also see signals for CKM suppressed  $b \rightarrow d$  decays in our run I dataset
- How should we treat form-factors in ratios? e.g. in

$$B^+ \rightarrow \pi^+ \mu^+ \mu^- / B^+ \rightarrow K^+ \mu^+ \mu^-$$

- Can anything be done, using SU(3) flavour, with  $B_s^0 \rightarrow \bar{K}^{*0} \mu^+ \mu^-$ ?
- We should also be able to improve the measurement of

$$B^0 \rightarrow \rho \gamma / B^0 \rightarrow K^{*0} \gamma$$



# Decays with $\tau$ leptons?

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- Experimentally challenging (particularly in a hadronic environment):
  - ➔ We only reconstruct a small number of the  $\tau$  decay channels (e.g.  $\mu^+$  or  $\pi^+\pi^-\pi^+$ ).
  - ➔ Difficult to separate missing neutrinos from other partially reconstructed  $b$ -hadron decays.
- Would limits of 10-100 x SM be interesting?

this is just a guess of what might be possible, proper studies need to be done to really understand our sensitivity.

# Lepton flavour violation

- Using  $1\text{fb}^{-1}$  of integrated luminosity we set limits

$$\mathcal{B}(B^0 \rightarrow e^\pm \mu^\mp) < 2.8 \times 10^{-9} \quad \text{at 90\% C.L.} \quad [\text{PRL 111 (2013) 141801}]$$

- We expect to be able to reach limits of  $O(10^{-9} - 10^{-8})$  for

$$B^0 \rightarrow K^{*0} e^\pm \mu^\mp \quad \text{or} \quad B^+ \rightarrow K^+ e^\pm \mu^\mp$$

using our run I data, compared to existing limits of  $O(10^{-8} - 10^{-7})$  from the B-factories.

- What range of branching fractions is interesting?

From [Hiller et al. arXiv:1503.01084] and [Glashow et al. PRL 114 (2015) 091801] it seems that these limits could already be interesting.

# Anything else?

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