

NZPV and MQE from electrical and thermal properties of commercial REBCO tapes

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WAMHTS 3 – Lyon – 11 September 2015

High-field κ studies in technical SCs



At University of Geneva, we developed a new experimental setup to investigate κ in superconducting wires and tapes with B up to 21T.

$$\kappa \propto \frac{Q}{\Delta T}$$



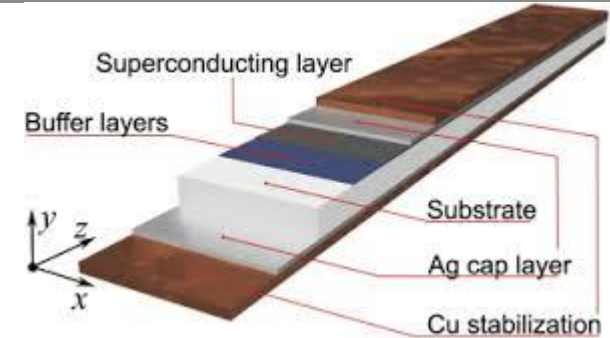
Control of all possible spurious thermal losses (conduction, convection, irradiation).

Very high sensitivity at $T < 40\text{K}$.
 $\Delta T \sim 1\text{mK} - 100\text{mK}$.

High-field κ studies important for:

- Magnet design (stability);
- Tailoring conductors to meet specific requirements.

Investigated Coated Conductors

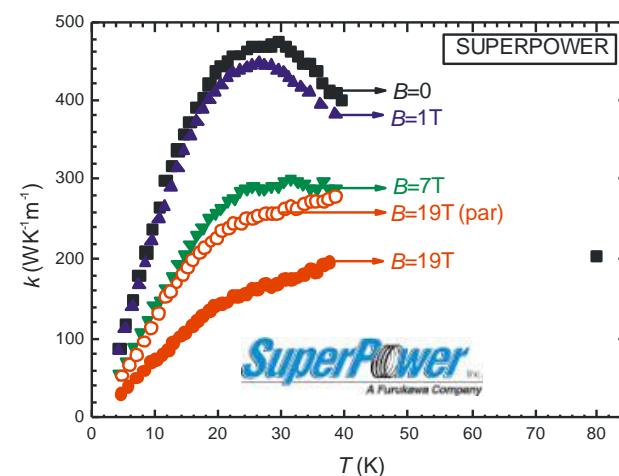
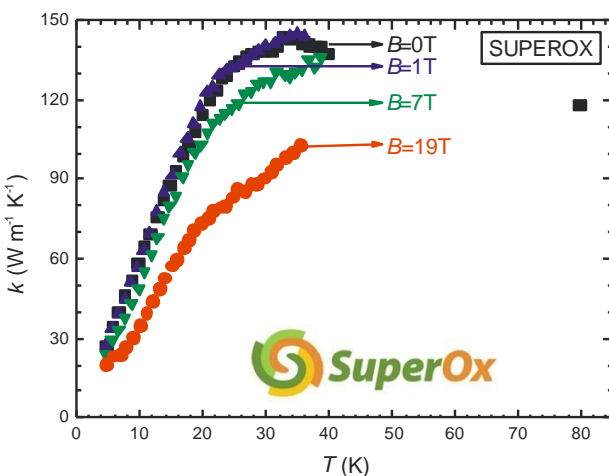
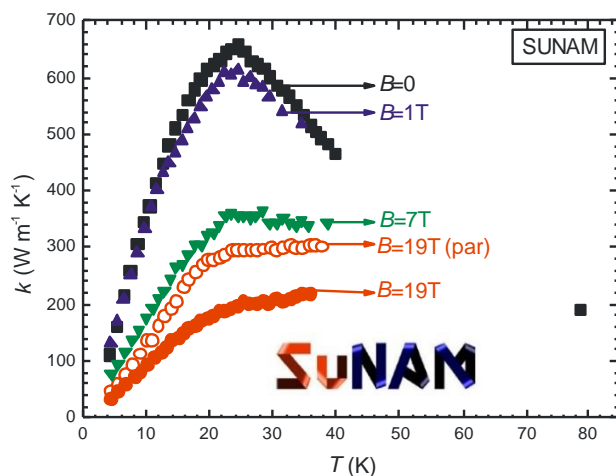
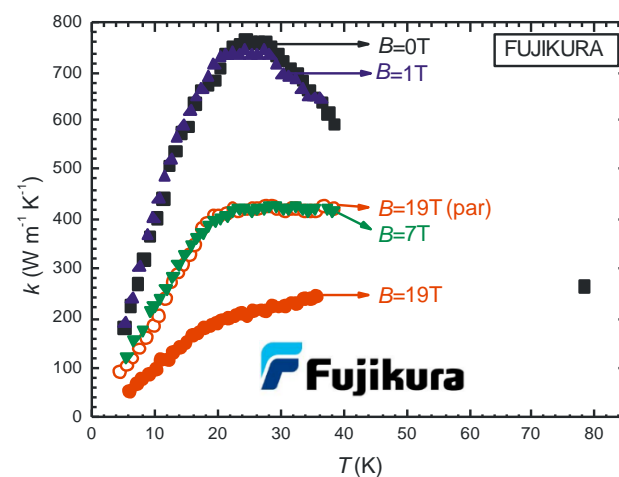
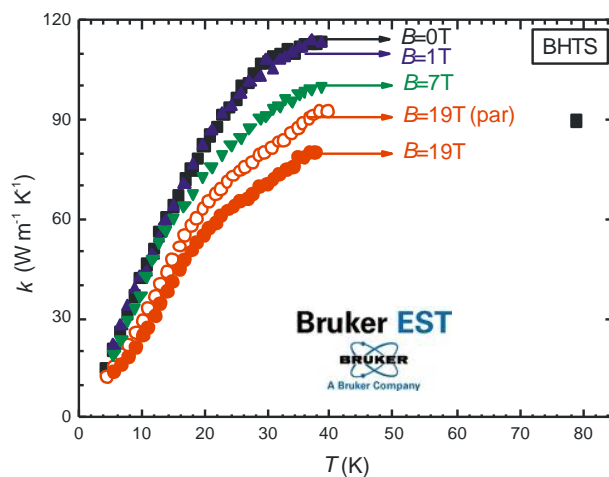
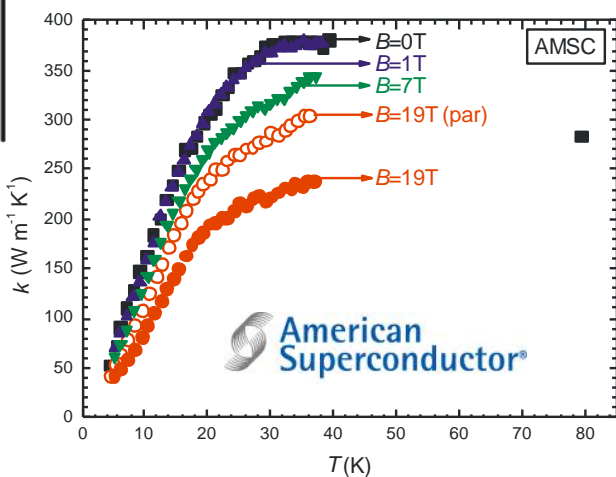


Manufacturer	Dimensions (w x t)	Substrate	Type of stabilization	% of Cu
AMSC	4.8 x 0.20 mm ²	NiW	Cu laminat. on 2 sides	51%
BHTS	4.1 x 0.15 mm ²	SS	Cu electroplated	20%
Fujikura	5.1 x 0.16 mm ²	Hastelloy	Cu laminat. on 1 side	44%
SuNAM	4.0 x 0.11 mm ²	Hastelloy	Cu electroplated	34%
SuperOx	4.0 x 0.09 mm ²	Hastelloy	Cu electroplated	27%
SuperPower	4.0 x 0.10 mm ²	Hastelloy	Cu electroplated	40%

In-field Longitudinal k



Measurements' Summary

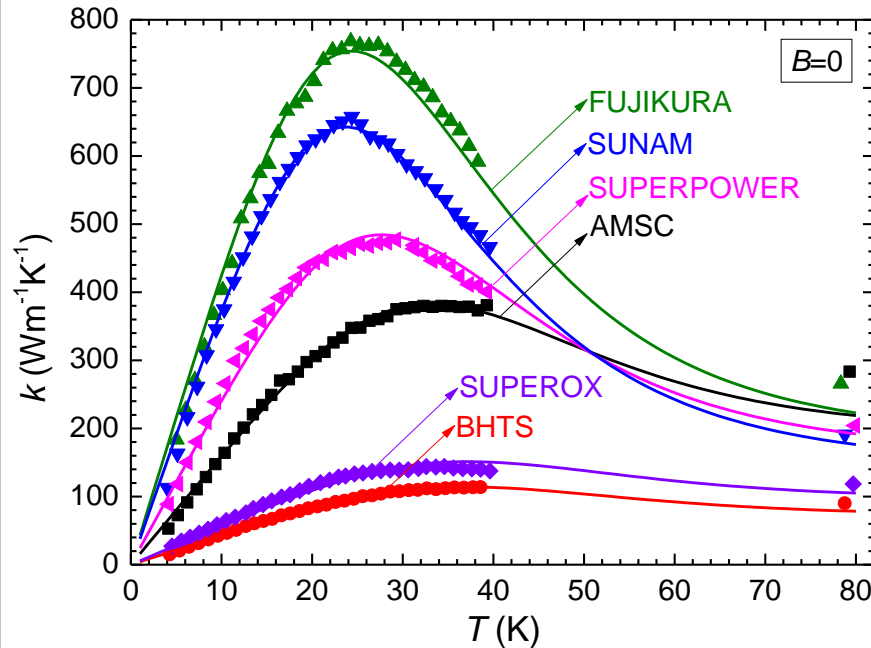


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Longitudinal κ at $B=0$



Thermal Conductivity at $B=0$



Manufacturer	RRR_{Cu} [fit]	RRR_{Cu} [$\rho(T)$]	$\frac{S_{Cu}}{S_{tot}}$
AMSC	20	19	0.51
BHTS	14	17	0.20
FUJIKURA	62	59	0.44
SUNAM	69	61	0.34
SUPEROX	13	14	0.27
SUPERPOWER	39	42	0.40

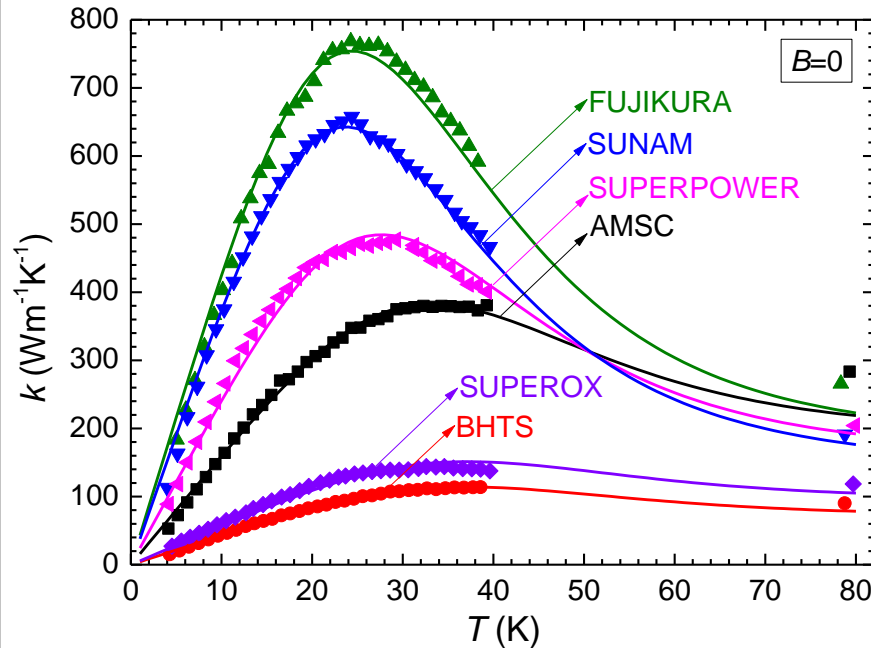
$$k_{meas} = \sum_i k_i \frac{S_i}{S_{tot}} \approx k_{Cu} \frac{S_{Cu}}{S_{tot}} \quad k_{Cu} = f(RRR_{Cu}) \quad [N. J. Simon, NIST]$$

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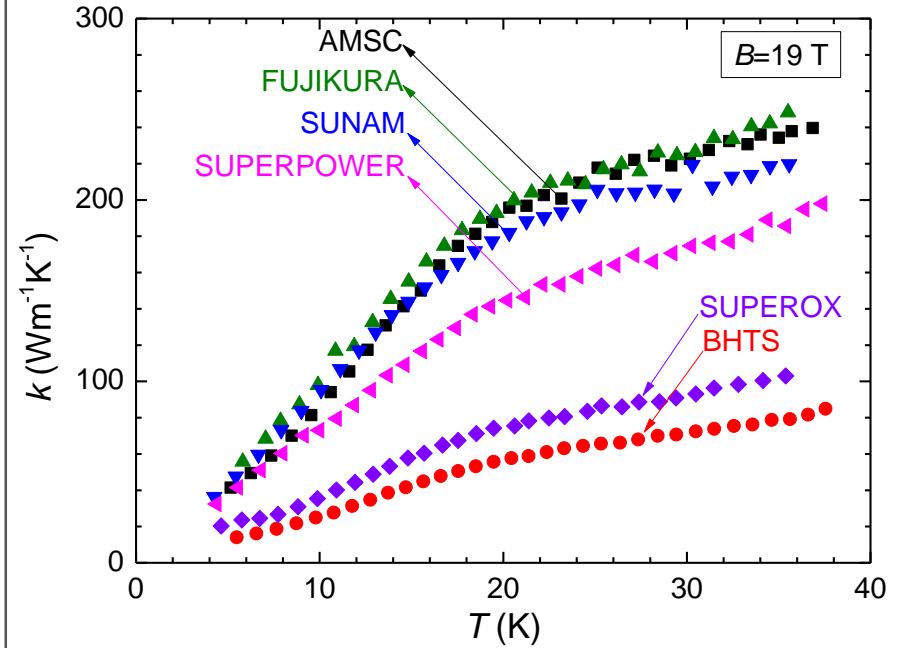
In-field Longitudinal k



Thermal Conductivity at $B=0$



Thermal Conductivity at $B=19T$



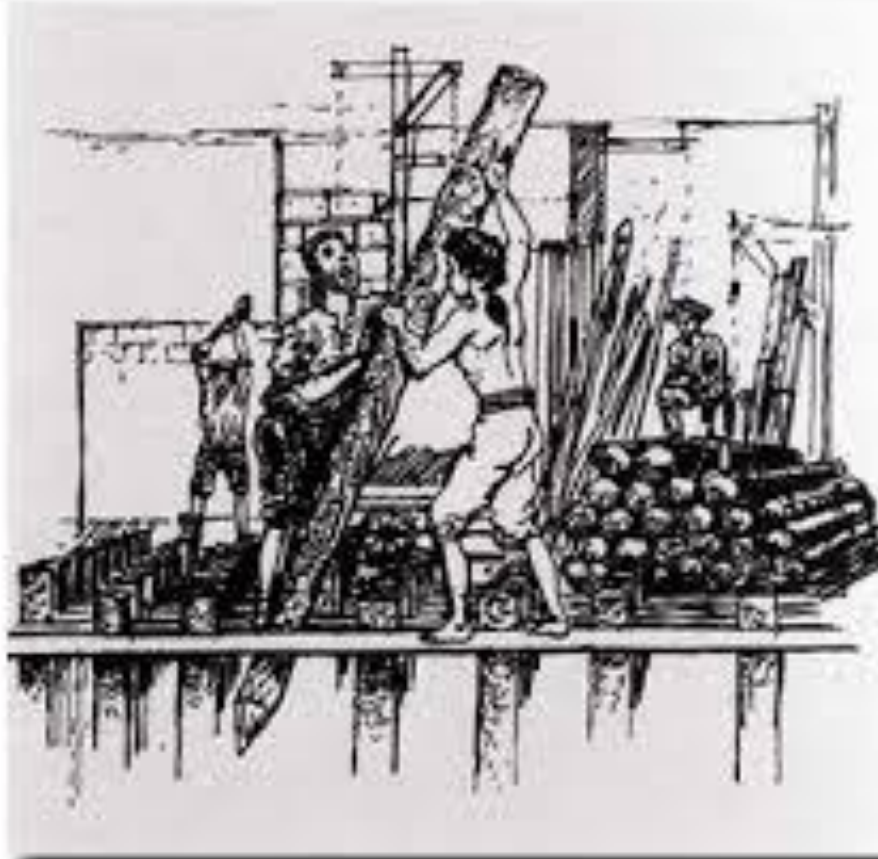
$Cu/non-Cu$ and RRR_{Cu} determine different field-induced reductions

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Thermal Stability Evaluation



May we deduce reliable information on MQE and NZPV from κ studies?

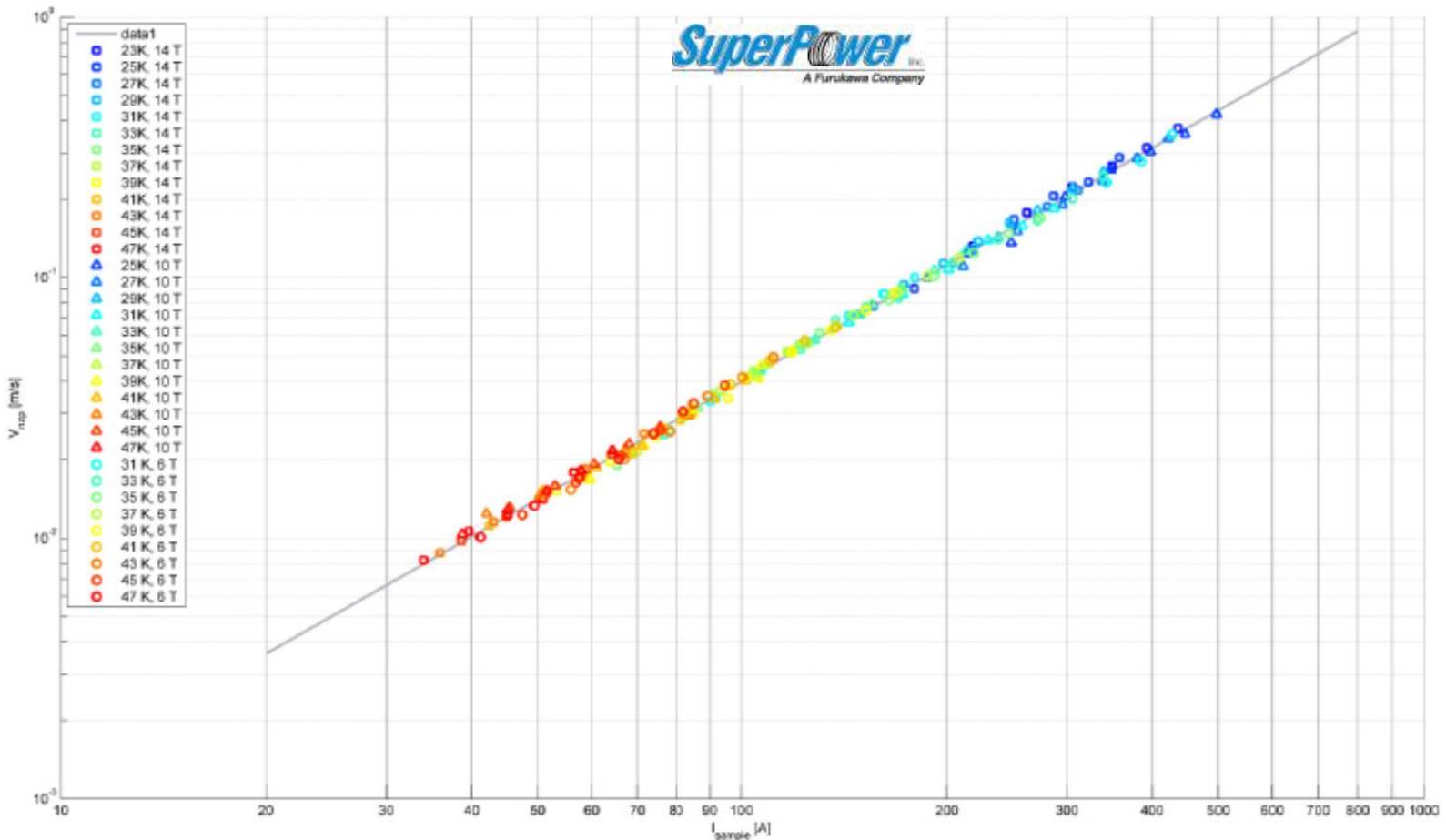


Works for foundation. Venice, XVI century.

Normal Zone Propagation Velocity



«Normal Zone Propagation in a YBCO Superconducting Tape»
Author: J. van Nugteren; Supervisor: Dr. M.M.J. Dhallé



Adiabatic theory for NZPV



From the solution of the transient heat conduction equation in an adiabatic environment assuming that the normal zone can be represented by a translating coordinate system moving at *NZPV*.

$$NZPV_L \approx \frac{I}{S_{Tot}} \left[\frac{1}{\rho(T_S)\kappa_n(T_S)} \left(C_n(T_S) - \frac{1}{\kappa_n(T_S)} \frac{d\kappa_n}{dT} \right) \int_{T_{Op}}^{T_S} C_S(T) dT \right] \int_{T_{Op}}^{T_S} C_S(T) dT \Bigg]^{-1/2}$$

In case of T-independent parameters

$$NZPV_L \approx \frac{I}{S_{Tot}} \left[\frac{\rho(T_S)\kappa(T_S)}{C_n C_S (T_S - T_{Op})} \right]^{\frac{1}{2}} \approx \frac{I}{S_{Tot}} \left[\frac{LT_S}{C_n C_S (T_S - T_{Op})} \right]^{1/2}$$

$\rho(T)$ = constant in the T range of interest:

$$NZPV_L \approx \frac{I}{S_{Tot}} \left[\frac{1}{LT_S} \left(C_n(T_S) - \frac{1}{T_S} \int_{T_{Op}}^{T_S} C_S(T) dT \right) \int_{T_{Op}}^{T_S} C_S(T) dT \right]^{-1/2}$$

$$T_S = (T_{CS} + T_C) / 2$$

Ok for LTS
and MgB₂

Whetston and Roos, J Appl Phys, **36** 783 (1965);

Zhao and Iwasa, Cryogenics **31**, 817 (1991);

Grabovickic *et al.*, IEEE Trans Appl. Supercond. 13 (2), 1726 (2003).

Adiabatic theory for NZPV



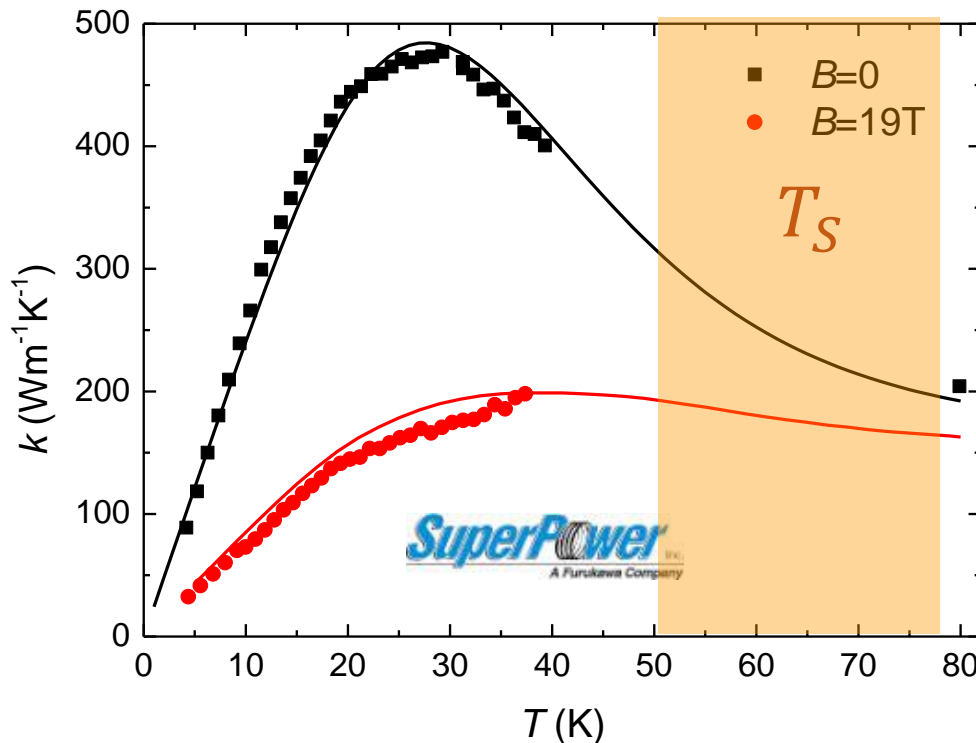
$$NZPV_L \approx \frac{I}{S_{Tot}} \left[\frac{1}{\rho(T_S)\kappa_n(T_S)} \left(C_n(T_S) - \frac{1}{\kappa_n(T_S)} \frac{d\kappa_n}{dT} \right) \int_{T_{Op}}^{T_S} C_S(T) dT \right]^{-1/2}$$

$\ll C_n(T_S)$

$$T_S = (T_{CS} + T_C) / 2$$

Good approximation for
REBCO Tapes in high field

$$NZPV_L \approx \frac{I}{S_{Tot}} \sqrt{\frac{LT_S}{C_n(T_S) \int_{T_{Op}}^{T_S} C_S(T) dT}}$$

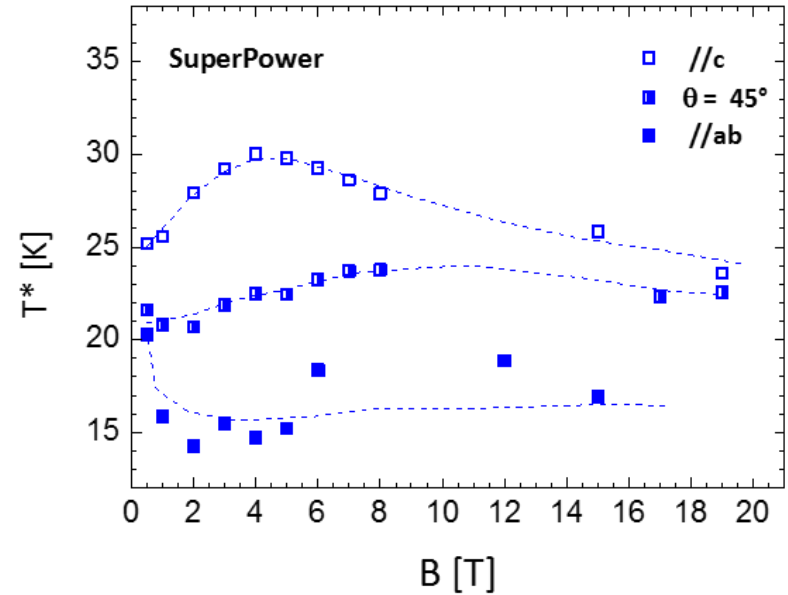
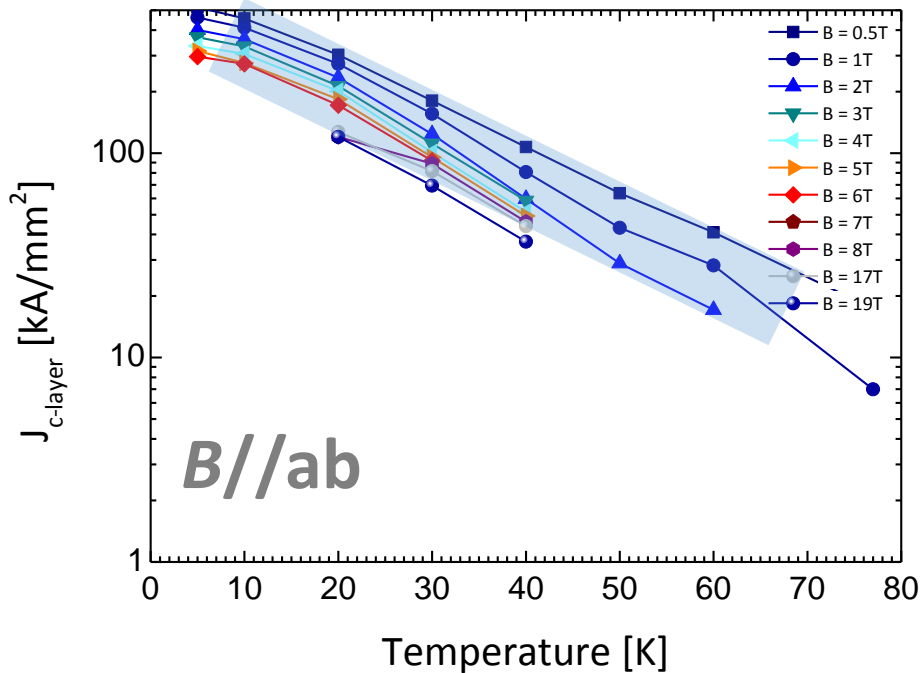


M. Bonura, C. Senatore, *manuscript in preparation*

Critical Current: *Scaling Law*



Temperature scaling law $J_c(B, T) = J_c(B, T = 0) e^{-\frac{T}{T^*}}$



C. Senatore et al. Submitted to SUST

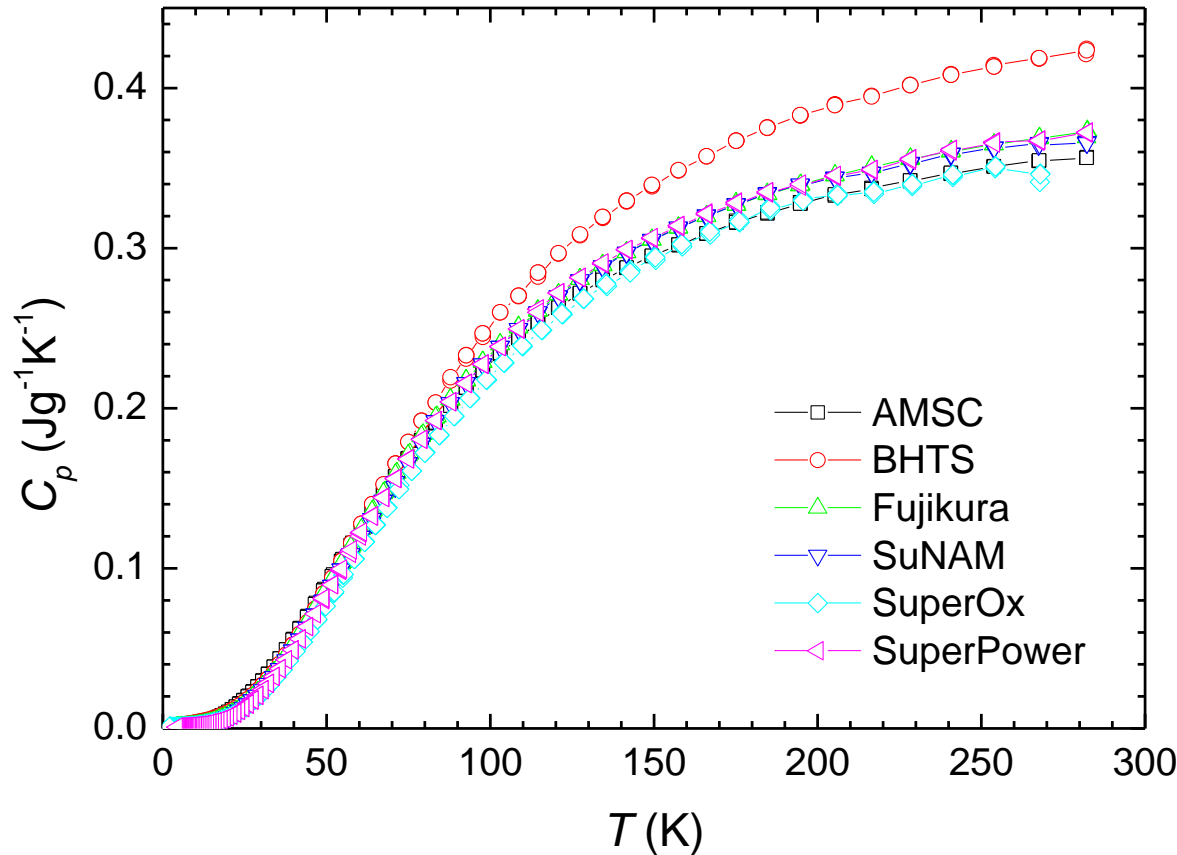
Analitical expression

$$T_{CS} = T_{Op} - T^* \ln \frac{I_{Op}}{I_C(B, T_{Op})}$$

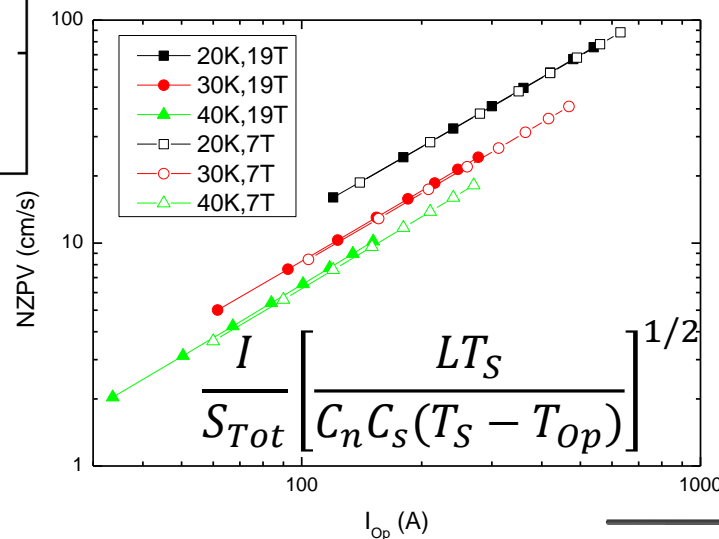
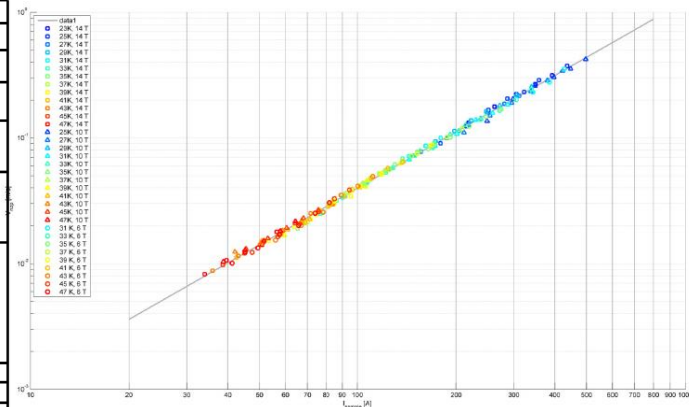
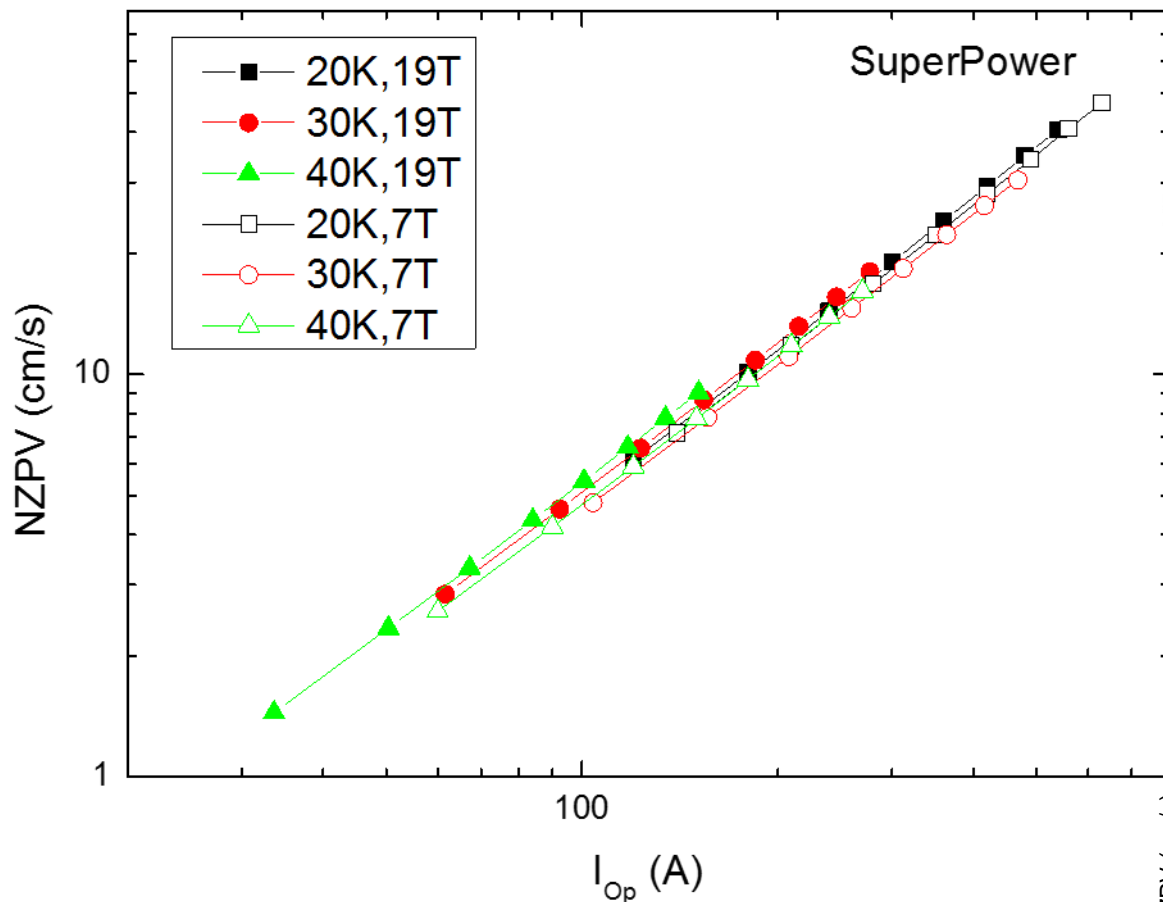
Specific Heat of REBCO tapes



Specific Heat data of REBCO CCs from different manufacturers

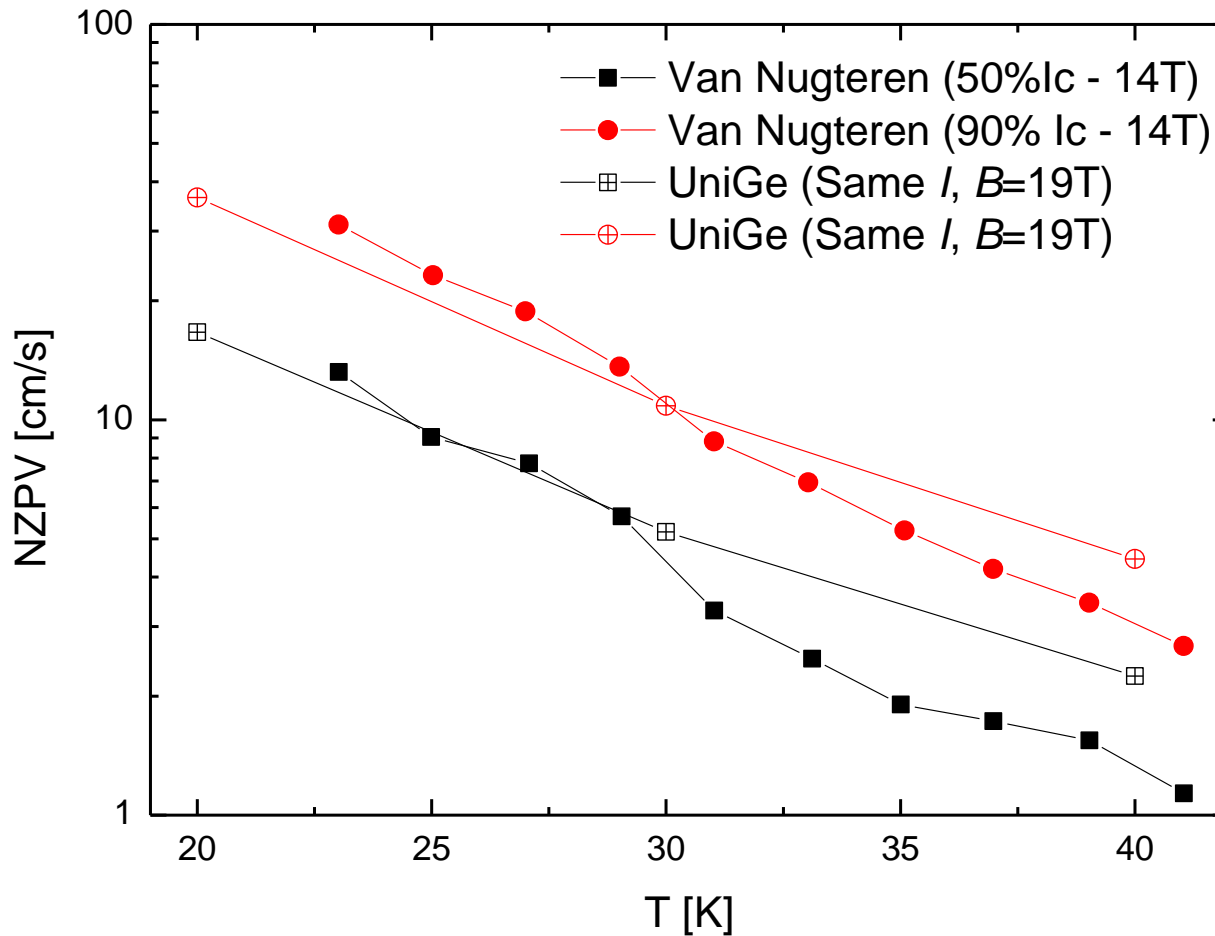


Calculated NZPV



$$NZPV_L \approx \frac{I}{S_{Tot}} \sqrt{\frac{LT_S}{C_n(T_S) \int_{T_{Op}}^{T_S} C_S(T) dT}}$$

NZPV: comparison with experiment

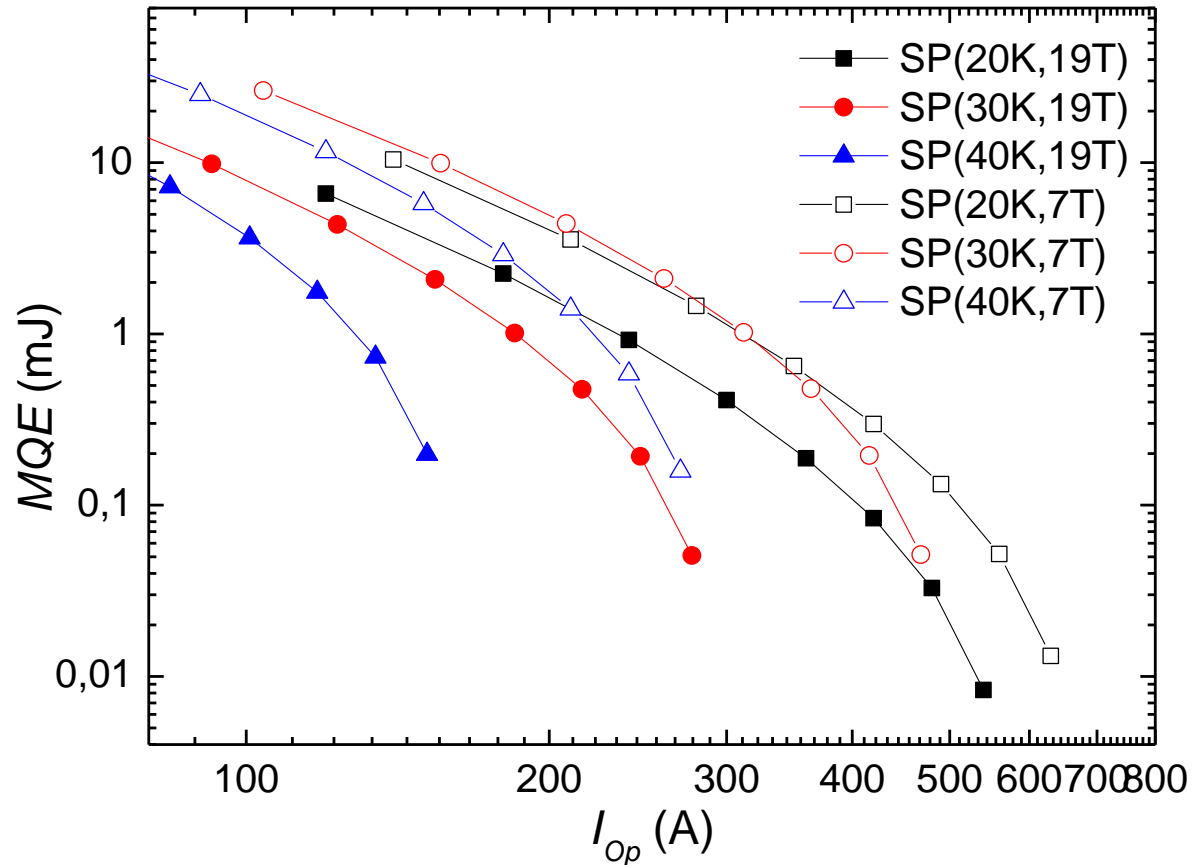


SuperPower
A Furukawa Company
SCS4050

Minimum Quench Energy



$$MQE \approx \frac{\kappa_L S_{Tot}^2}{I_{Op}} \sqrt{\frac{2s_{Cu}(T_{CS} - T_{Op})}{LT_{CS}}} \int_{T_{Op}}^{T_{CS}} c(T) dT$$





**Many thanks for your
attention**

Marco Bonura

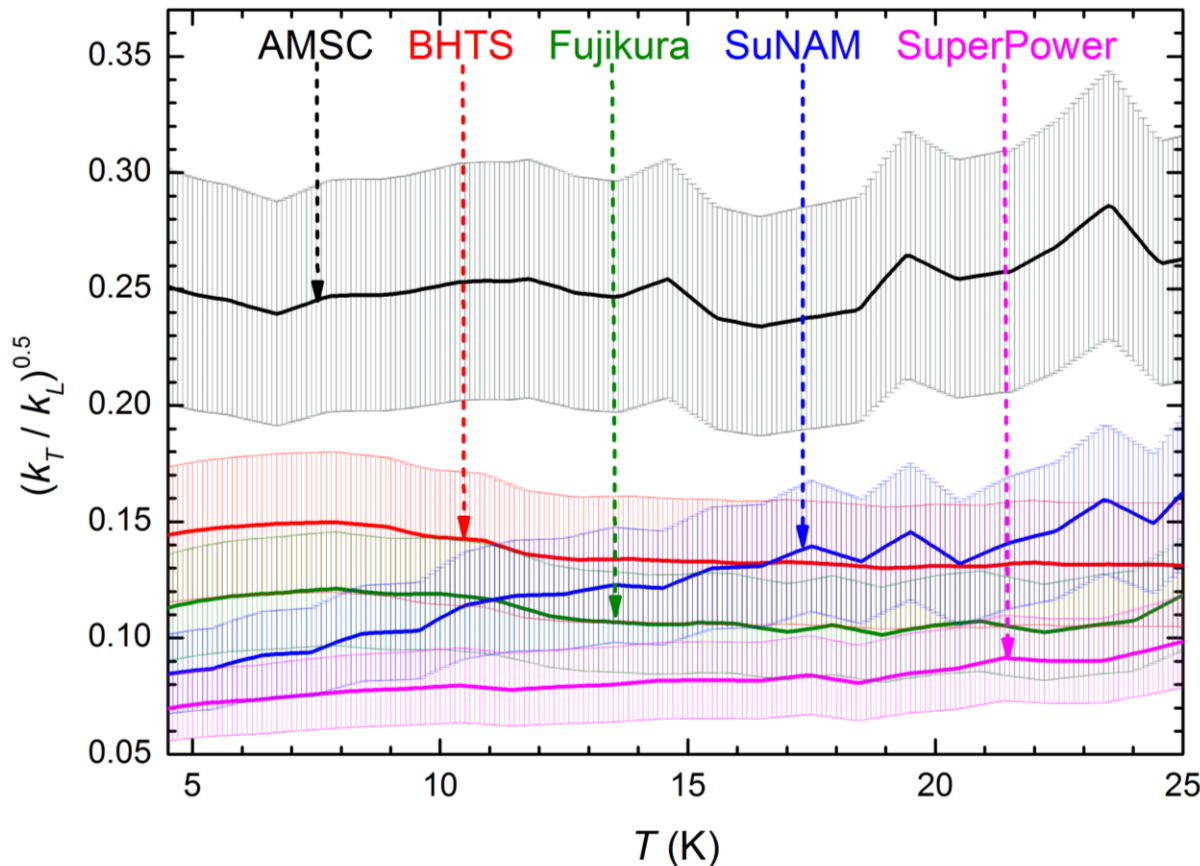


09/09/2015

Normal Zone Propagation Velocity



The experimental determination of $NZPV_T$ is much more complex than that of the longitudinal $NZPV_L$.



$$\frac{NZPV_{Transv}}{NZPV_{Long}} = \sqrt{\frac{k_T}{k_L}}$$

M. Bonura, C. Senatore IEEE TRANS APPL SUPERCOND 25 (3) 6601304 (2015)