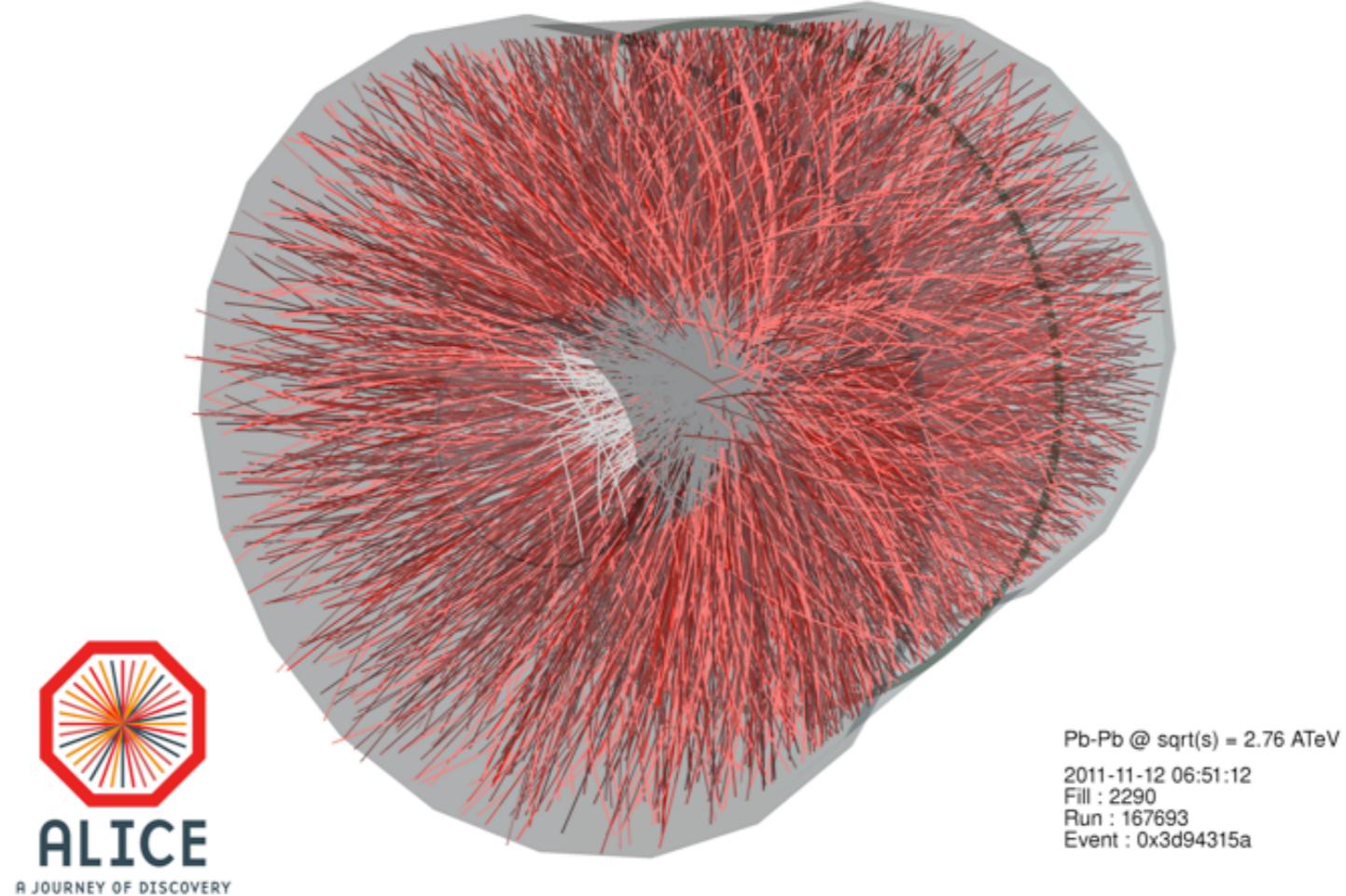


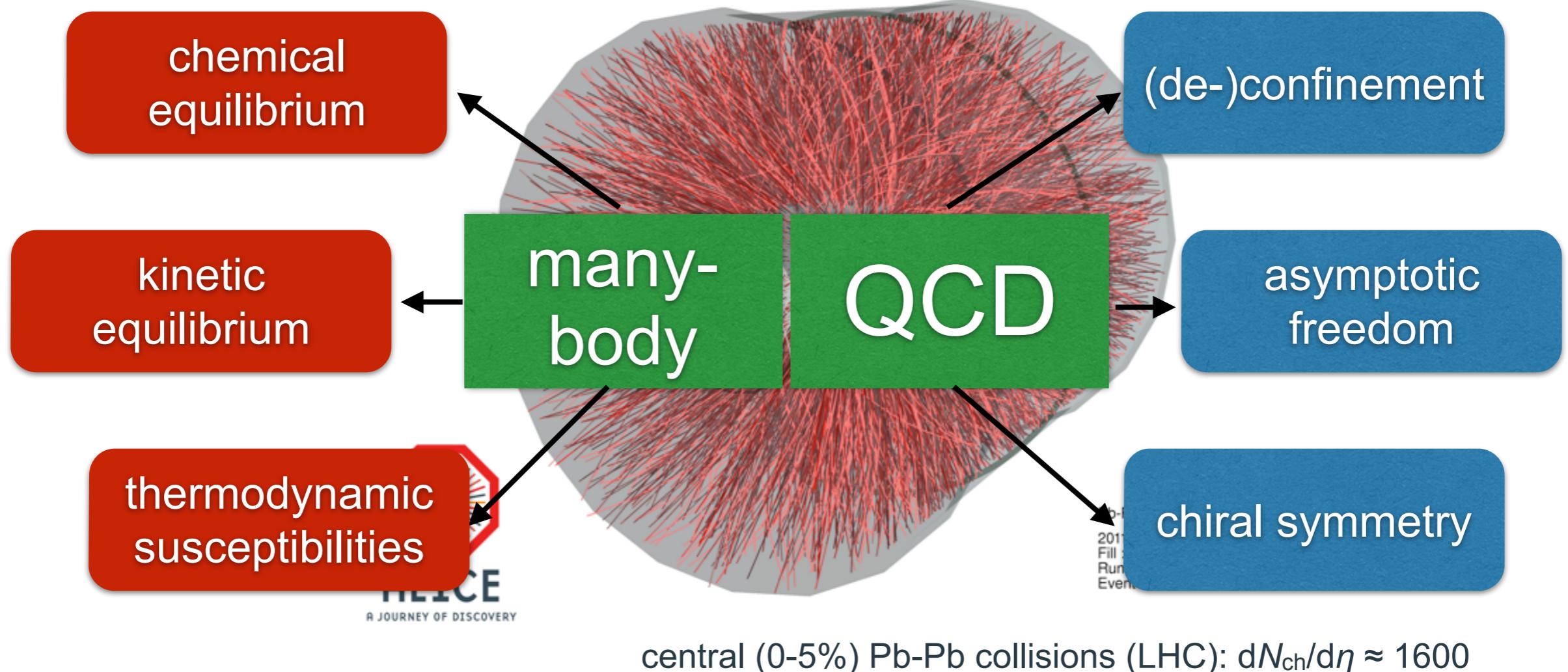
# **Measurement of event-by-event fluctuations and chemical freeze-out conditions at LHC energies with ALICE**

A. Kalweit, CERN  
*on behalf of the ALICE collaboration*

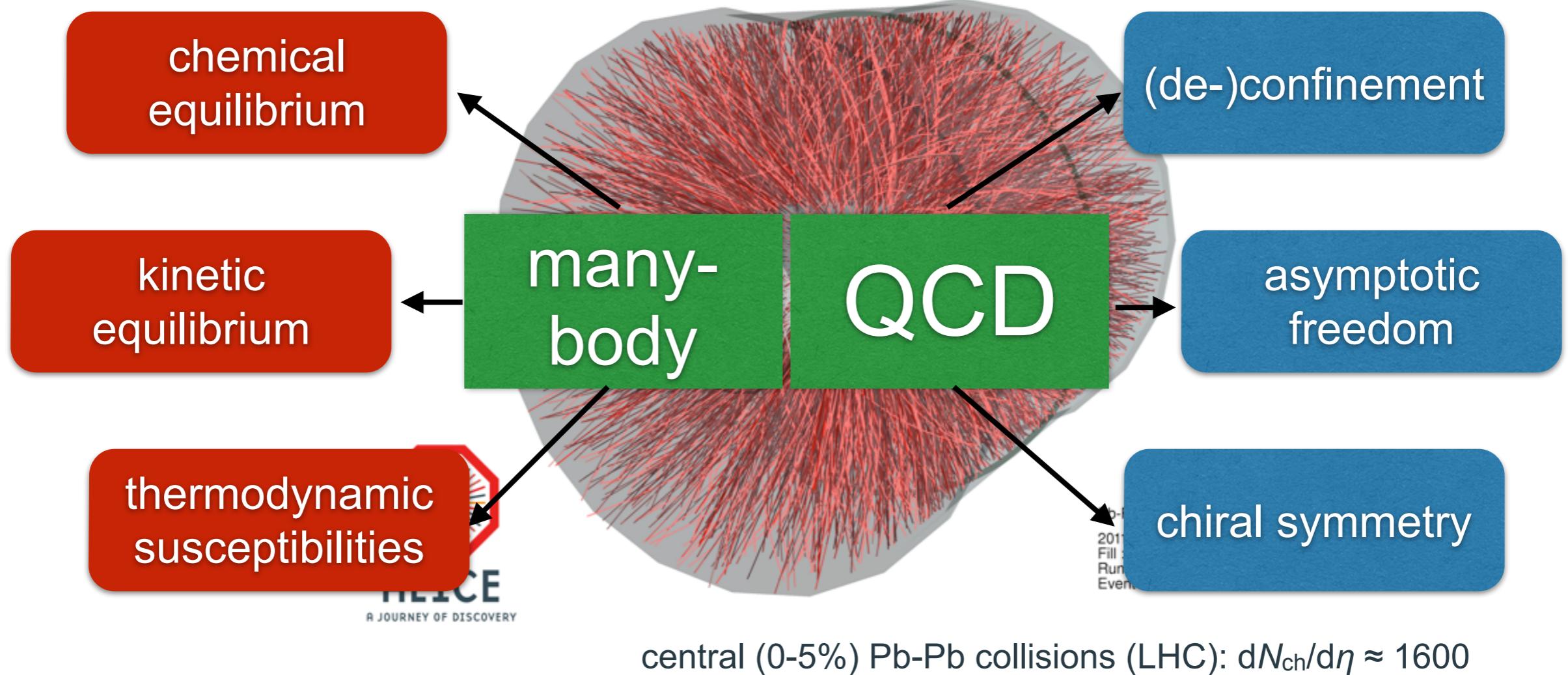
# Many-body QCD and light flavor hadron production



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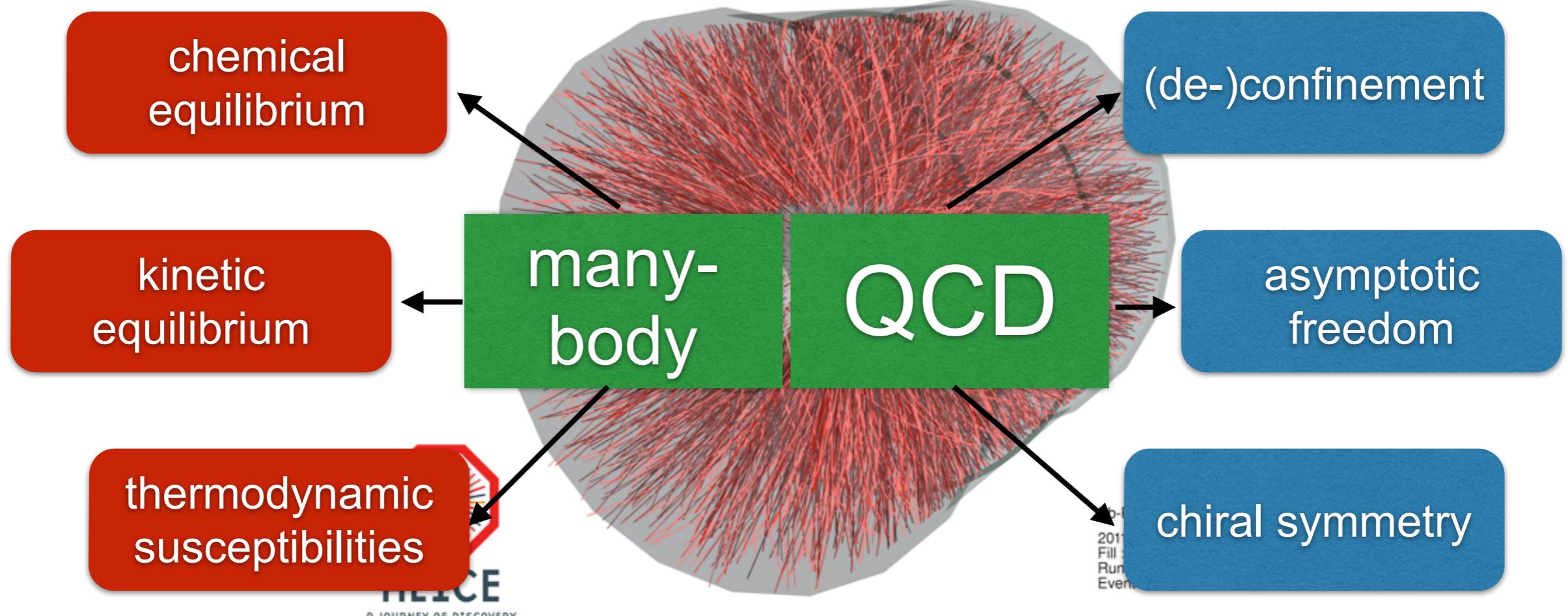


# Many-body QCD and light flavor hadron production



Light flavor hadrons ( $u,d,s$  valence quarks) are produced in apparent chemical ( $T_{\text{chem}} \approx 156$  MeV) and kinetic equilibrium ( $T_{\text{kin}} \approx 100$  MeV).

# Many-body QCD and light flavor hadron production



Light flavor hadrons ( $u,d,s$  valence quarks) are produced in apparent chemical ( $T_{\text{chem}} \approx 156$  MeV) and kinetic equilibrium ( $T_{\text{kin}} \approx 100$  MeV).

98% of all particles are produced with  $p_T < 2$  GeV/c  $\rightarrow$  thermal particle production in a non-perturbative regime  
=> **thermodynamics**  
=> **LATTICE QCD** calculations

# Introduction (1)

- Measurement of the production *yields* of identified particles and chemical freeze-out conditions:
  - Hadron resonance gas approach in thermal-statistical *models*
- Measurement of event-by-event *fluctuations* of conserved quantities:
  - net-charge fluctuations
  - plans for future measurements
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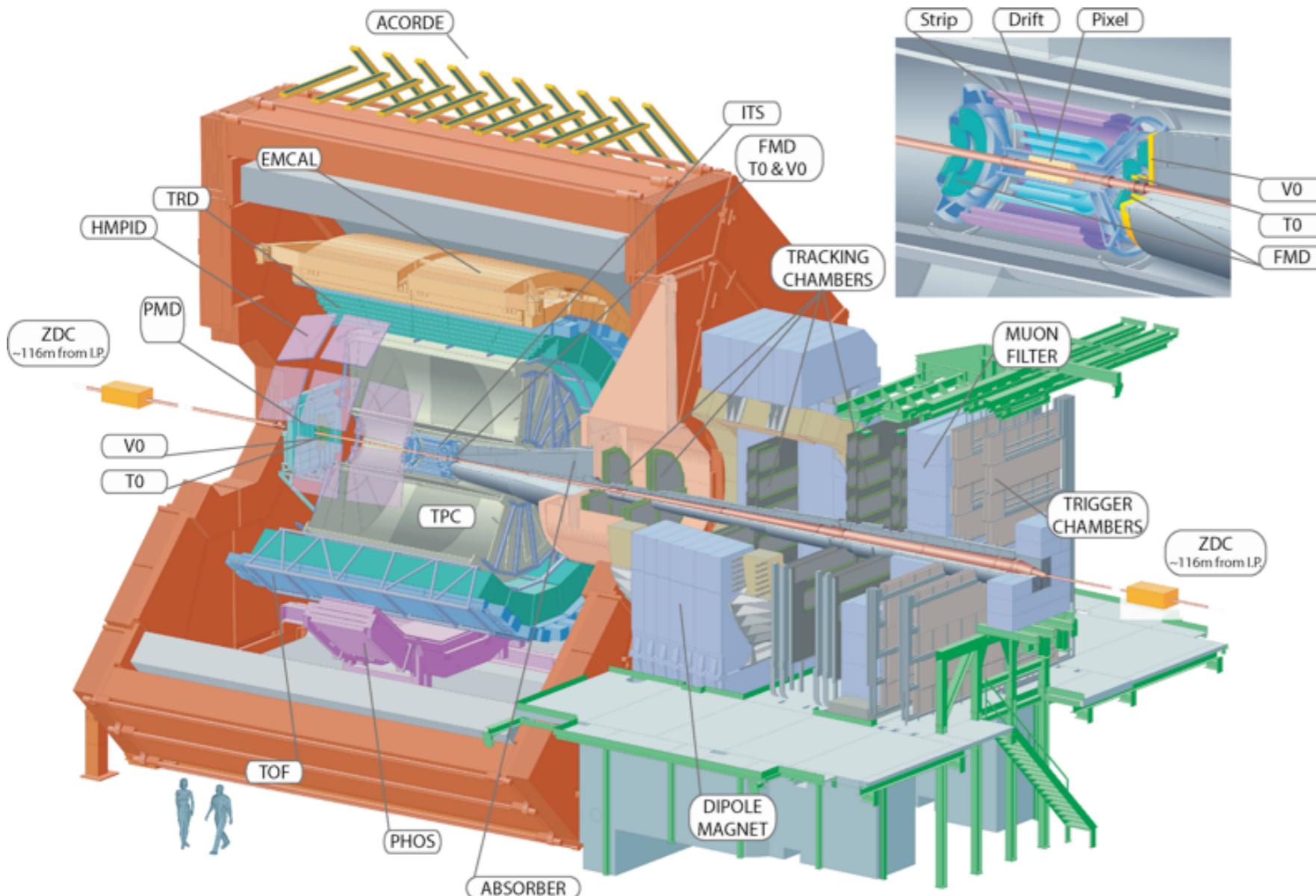
Very sensitive to critical behavior.

Still a lot of work to do at LHC energies.. Many questions are still open.

# Introduction (2)

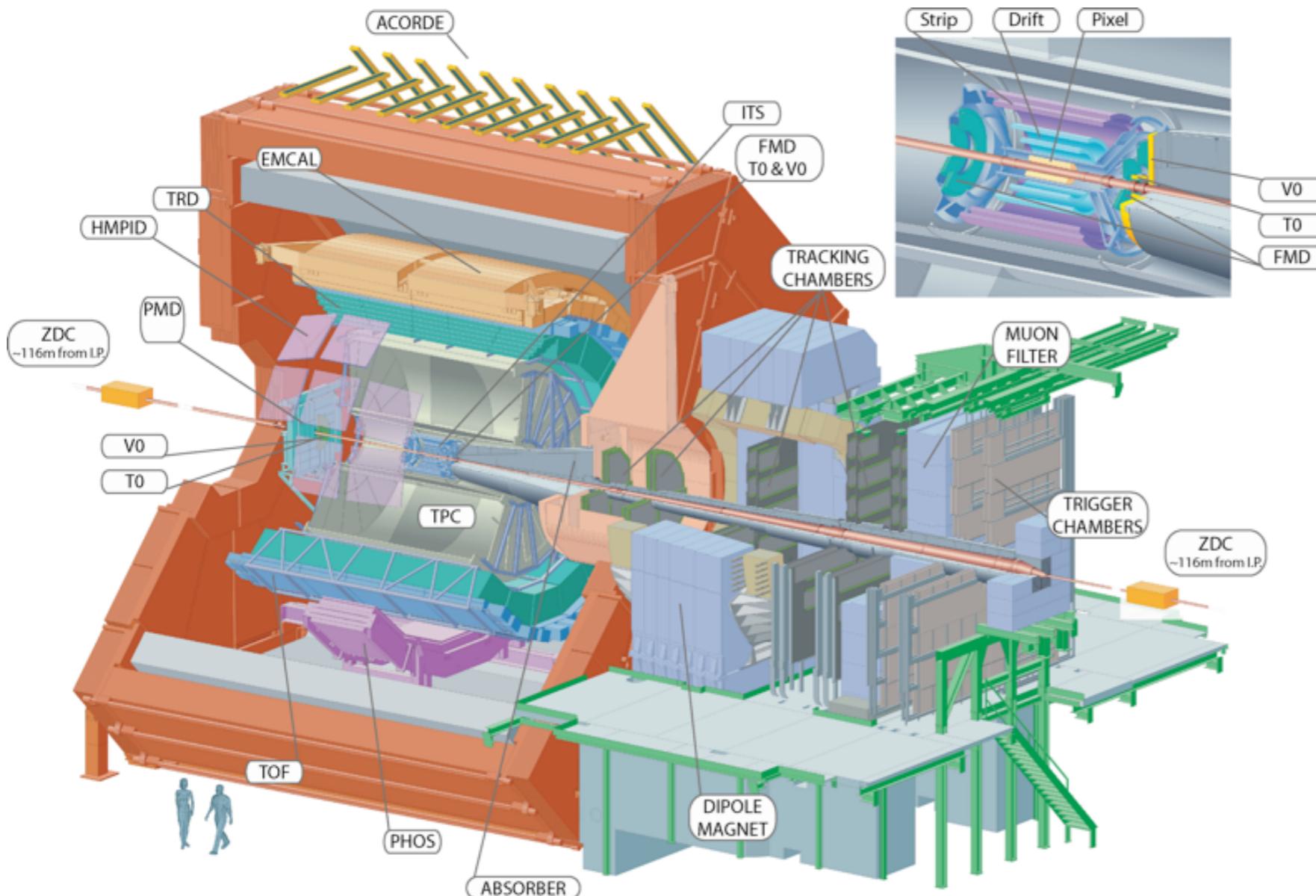
- Fluctuations can be of **statistical** or **dynamical** origin and we must carefully distinguish them. Dynamical fluctuations arise from physical phenomena.
- Ongoing and completed fluctuation analyses in ALICE:
  - **net-charge fluctuations**
  - **net-strangeness**
  - **balance functions**
  - **mean  $p_T$  fluctuations** → see next talk by Stefan Heckel
  - multiplicity fluctuations
  - higher moments of net-charge and net-baryon fluctuations
  - temperature fluctuations

# The ALICE detector



# The ALICE detector

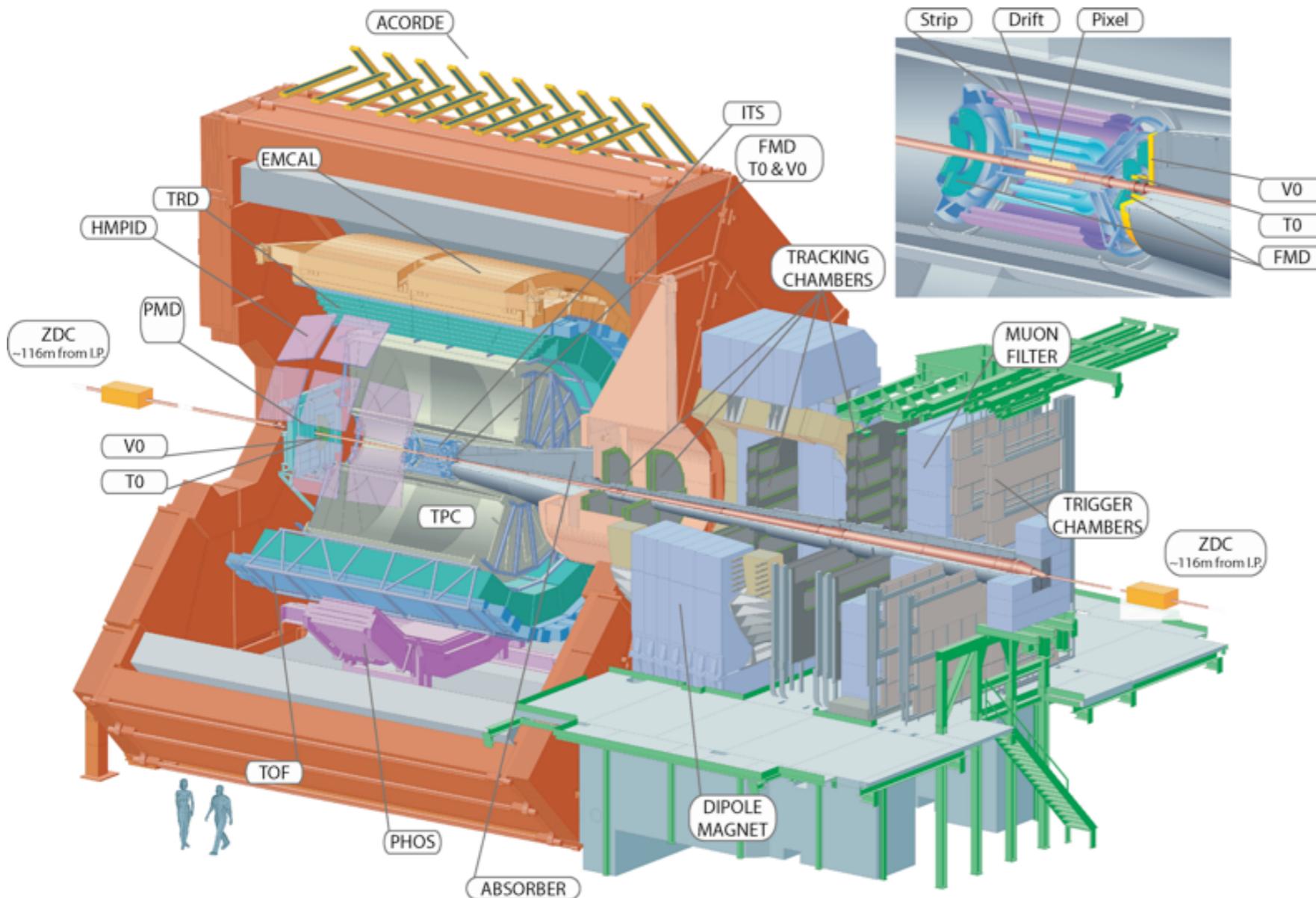
**ITS+TPC+TRD:** excellent track reconstruction capabilities in a high track density environment.



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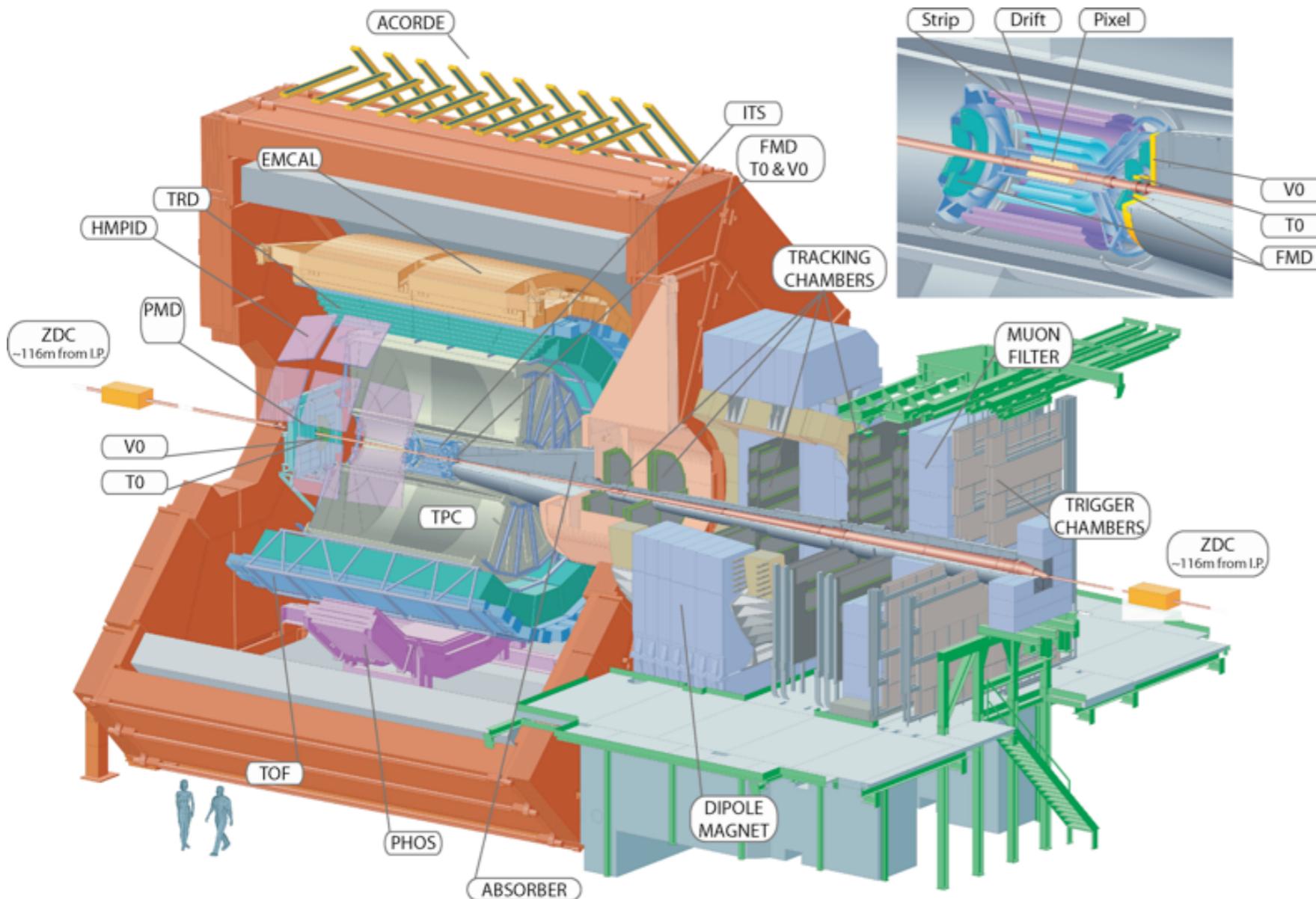
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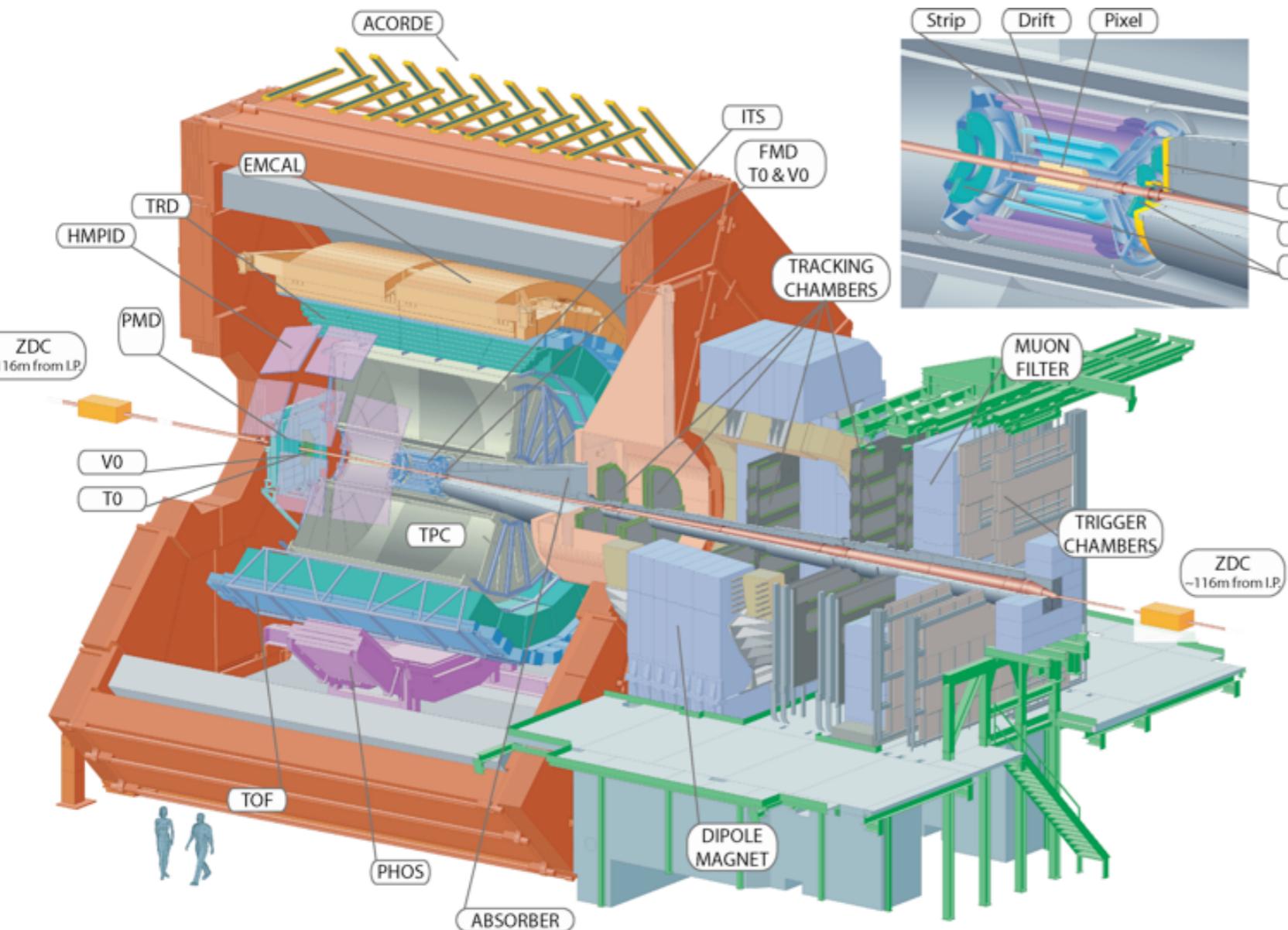
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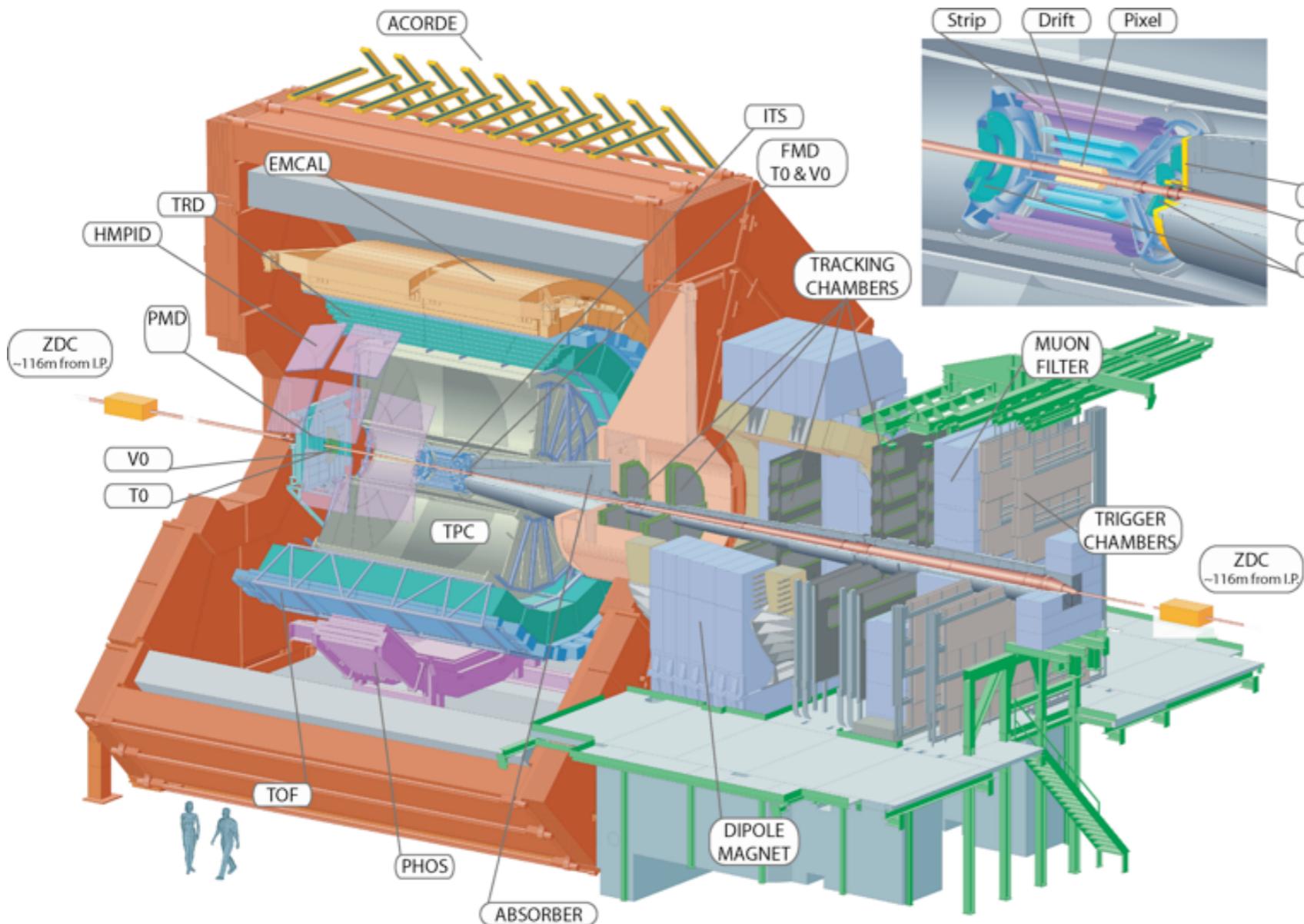
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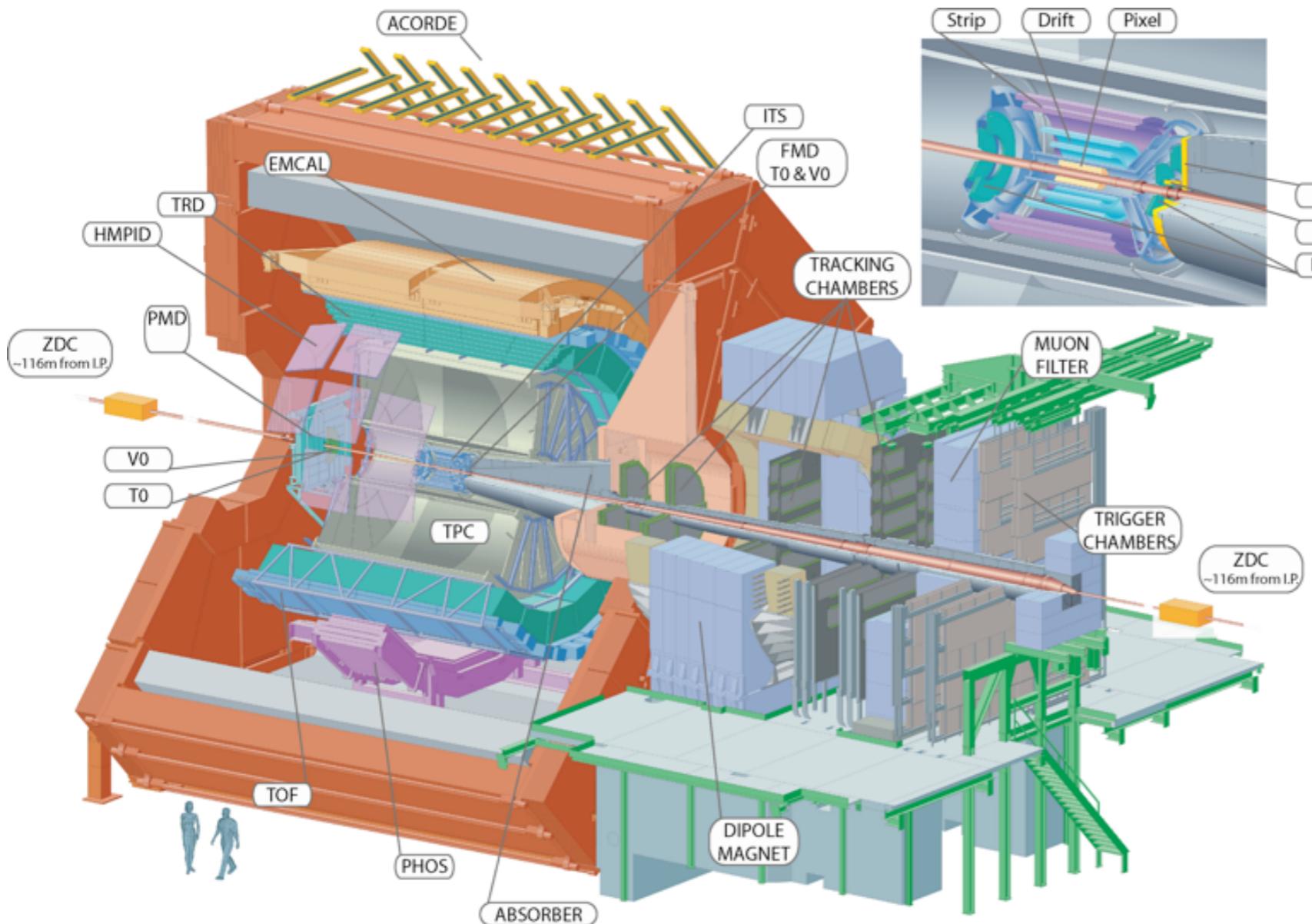
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ALICE is ideally suited for the measurement of light flavor hadrons on an event-by-event basis.

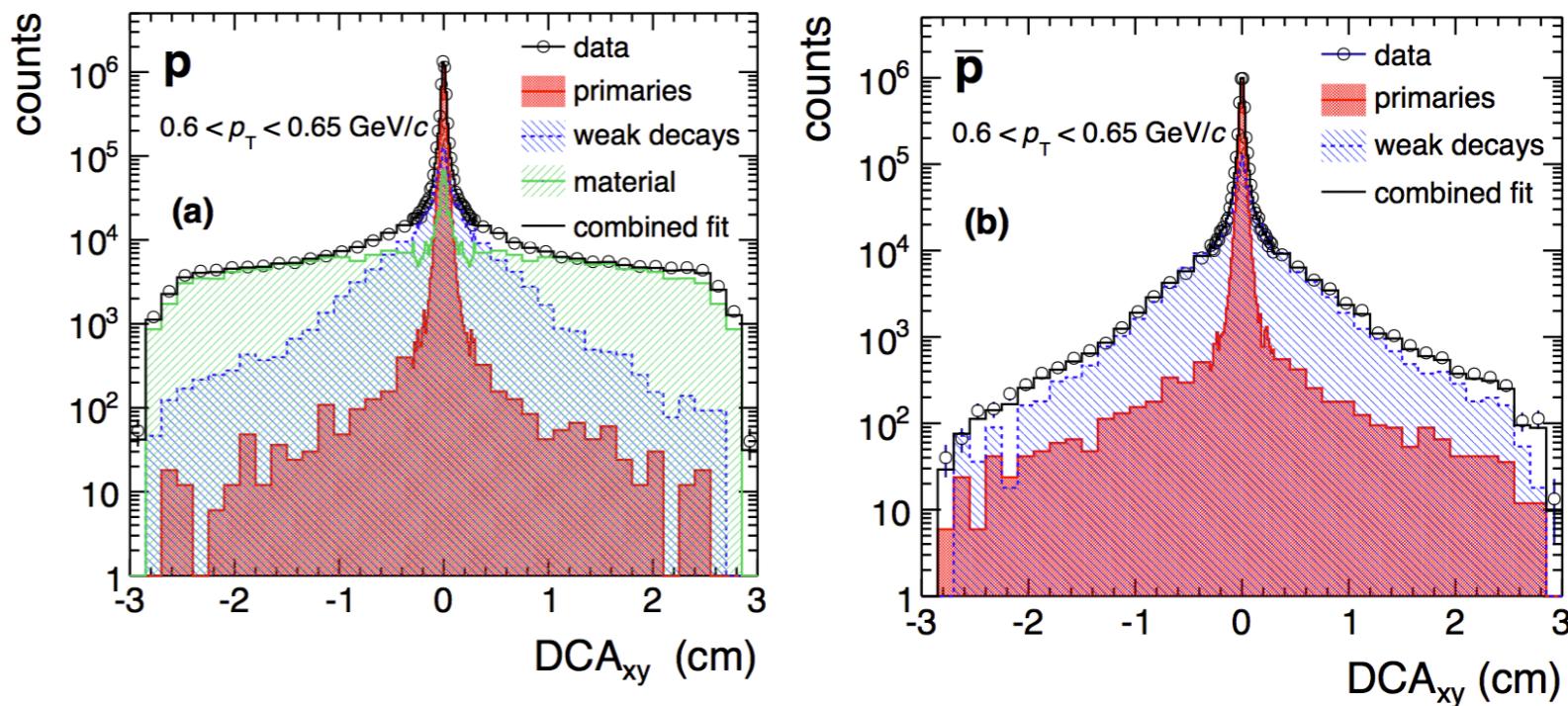
# Bulk particle production

- Investigate matter in local thermal equilibrium => Look at the hadrons made up of the most abundantly produced quarks: u,d,s.

$\pi, K, p, \Lambda, \Xi, \Omega, \Phi, K^{*0}, d, {}^3He, {}^3\Lambda H, {}^4He$

- Decays of strange particles feed into the states with lower mass and need to be carefully subtracted for consistent data  $\leftrightarrow$  model comparisons:

$$\begin{aligned} \Lambda \rightarrow p \pi & \quad (63.9 \%) \\ \Xi \rightarrow \Lambda \pi & \quad (99.87 \%) \end{aligned}$$



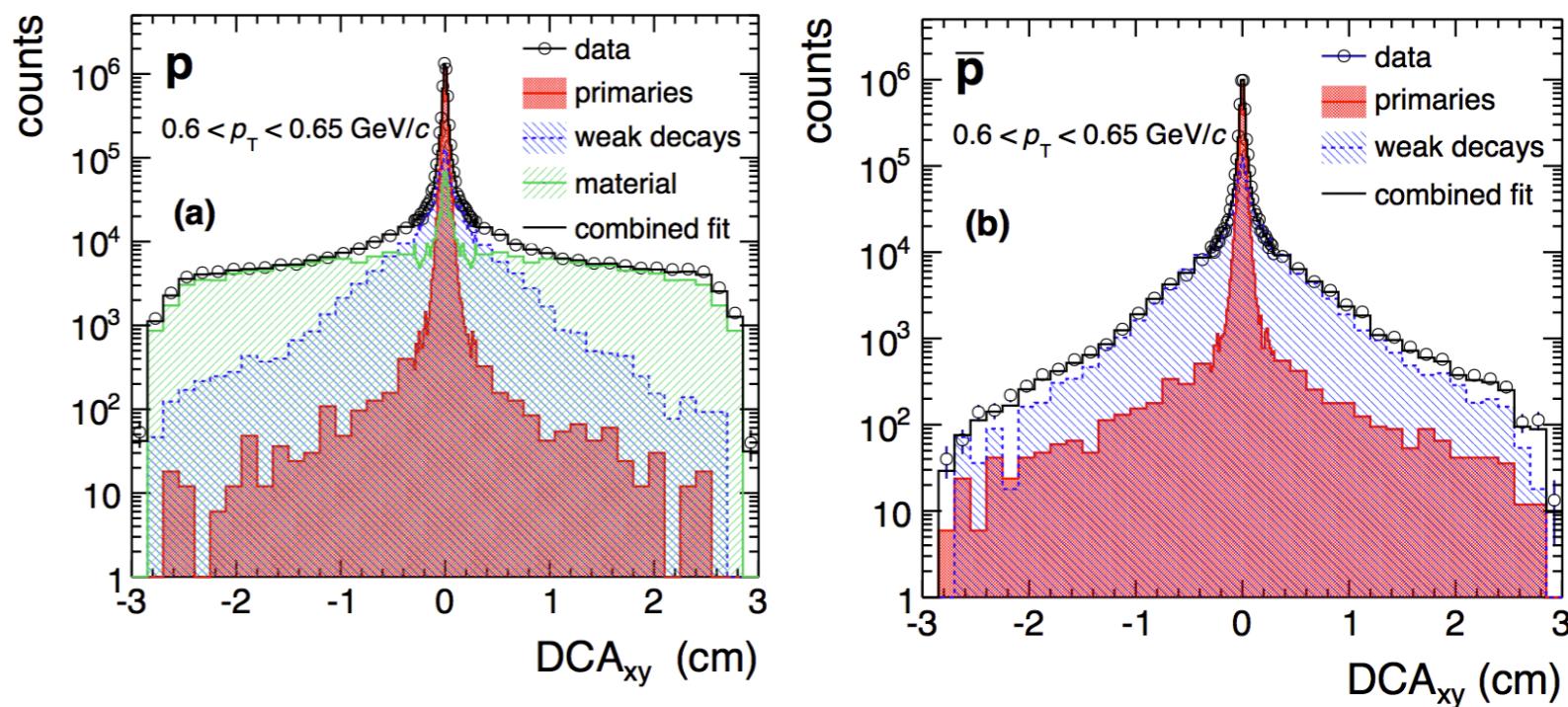
[Phys. Rev. C 88, 044910 (2013)]

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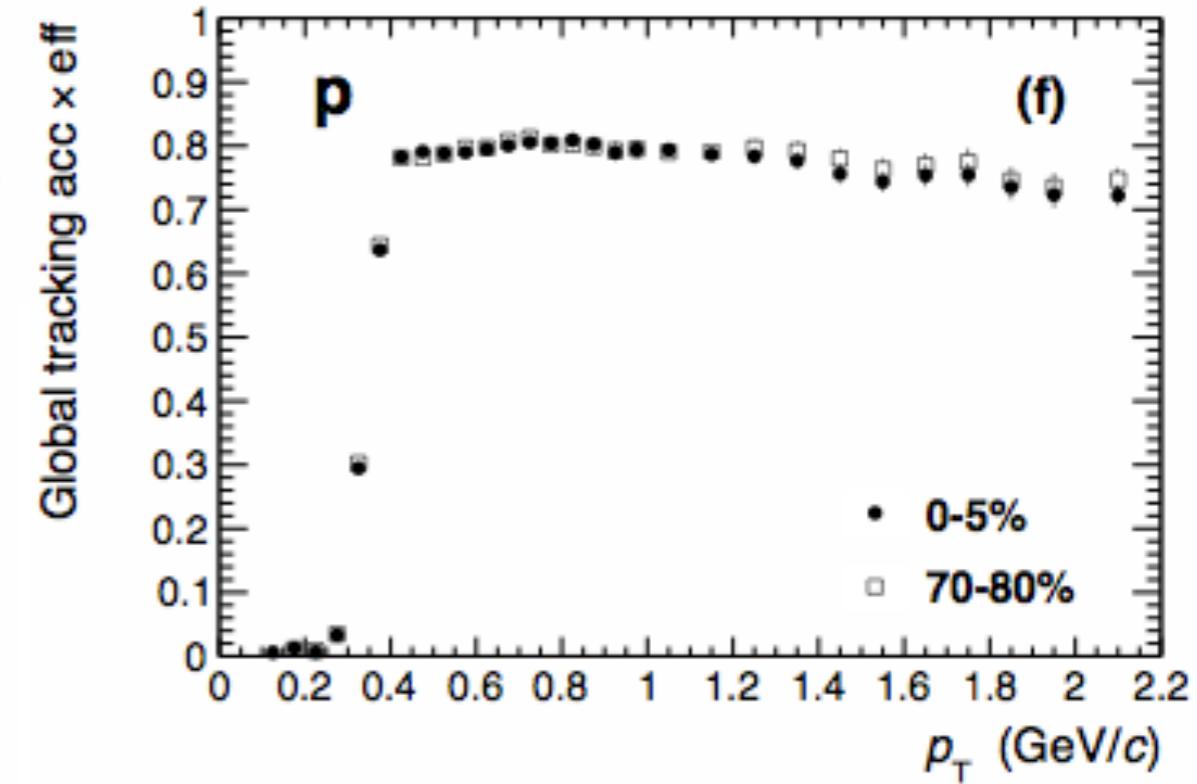
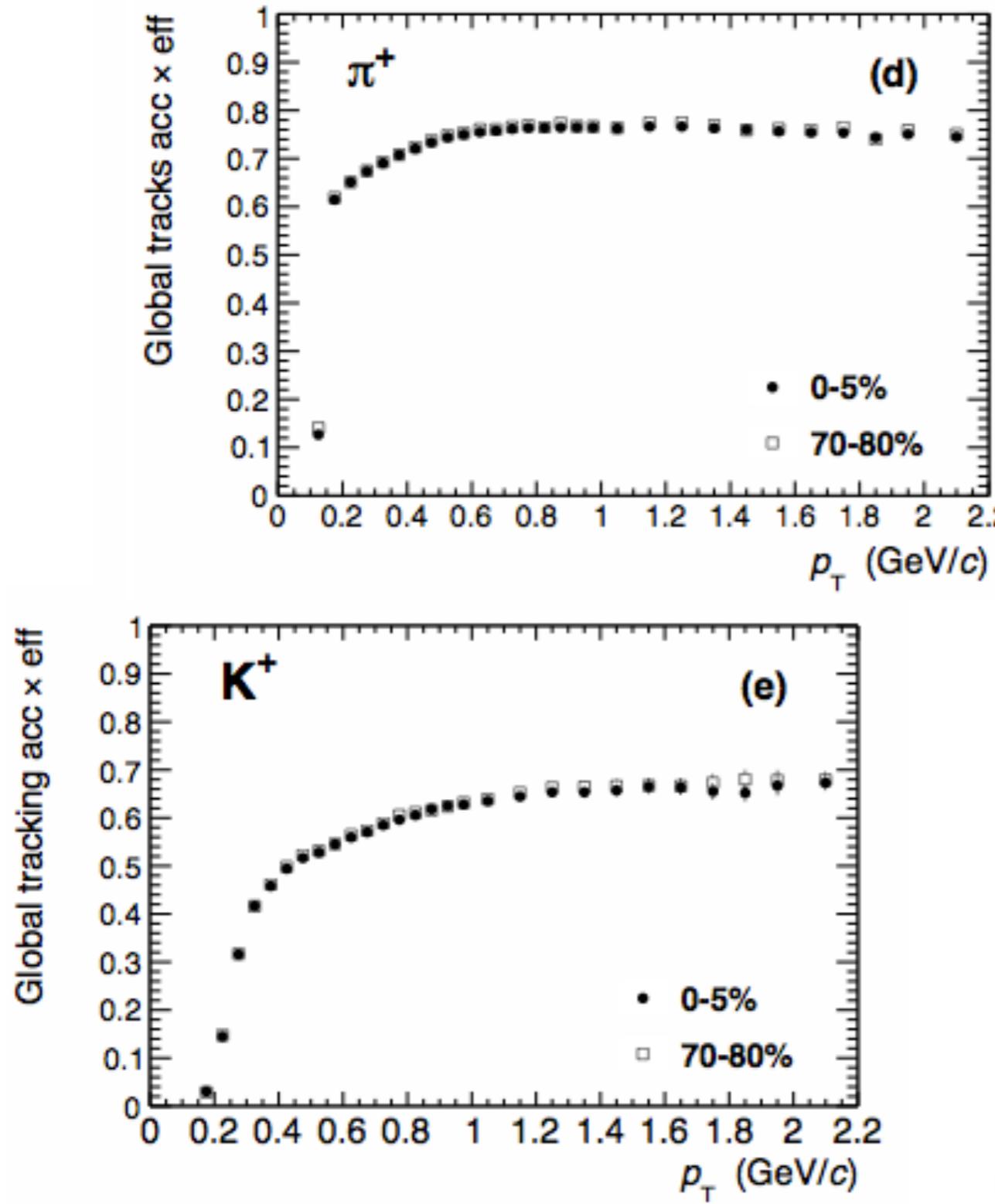
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**(ALICE Definition)** Primary particles are defined as prompt particles produced in the collision including all decay products, except products from weak decays of light flavor hadrons and of muons.



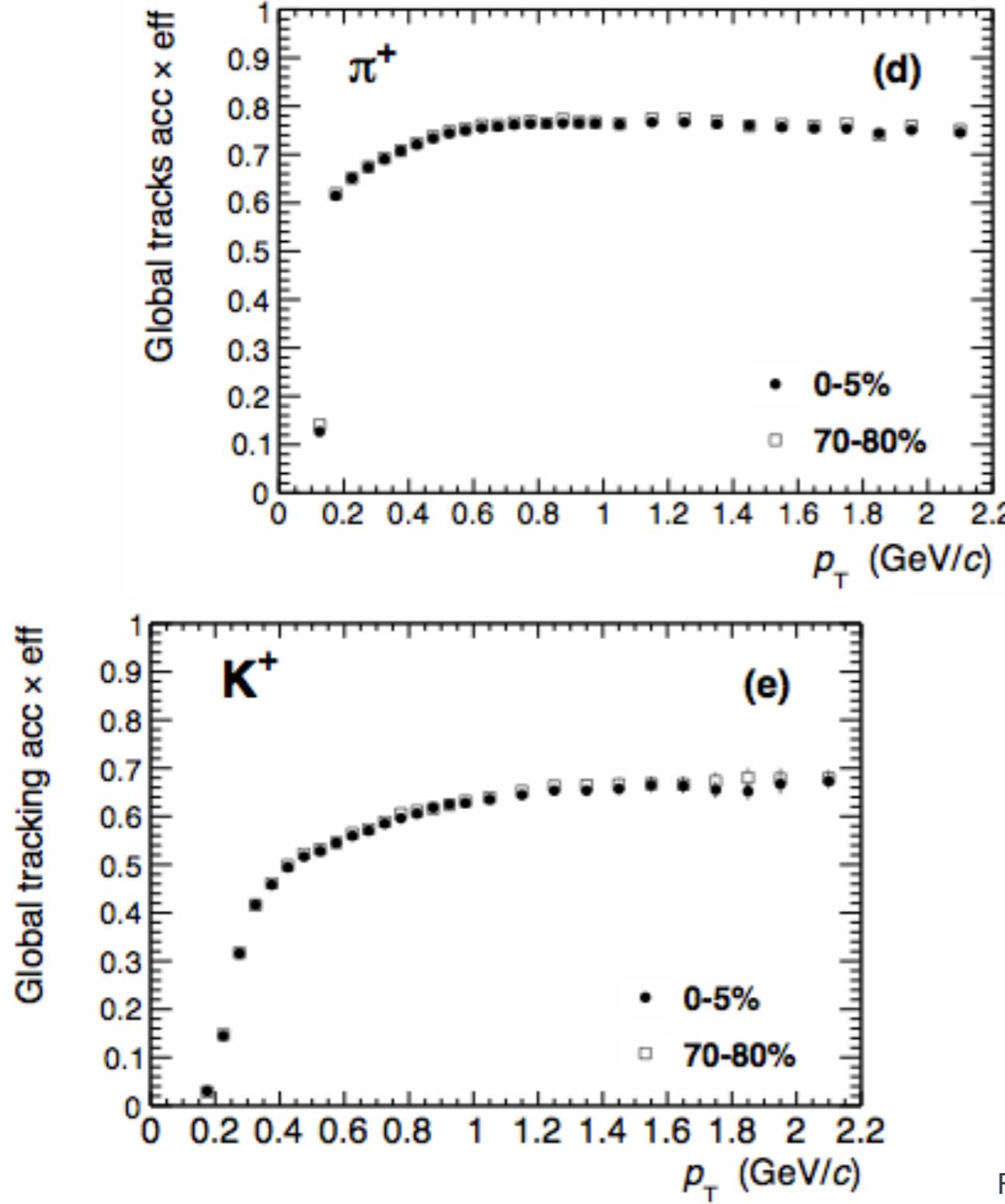
[Phys. Rev. C 88, 044910 (2013)]

# Detector efficiencies

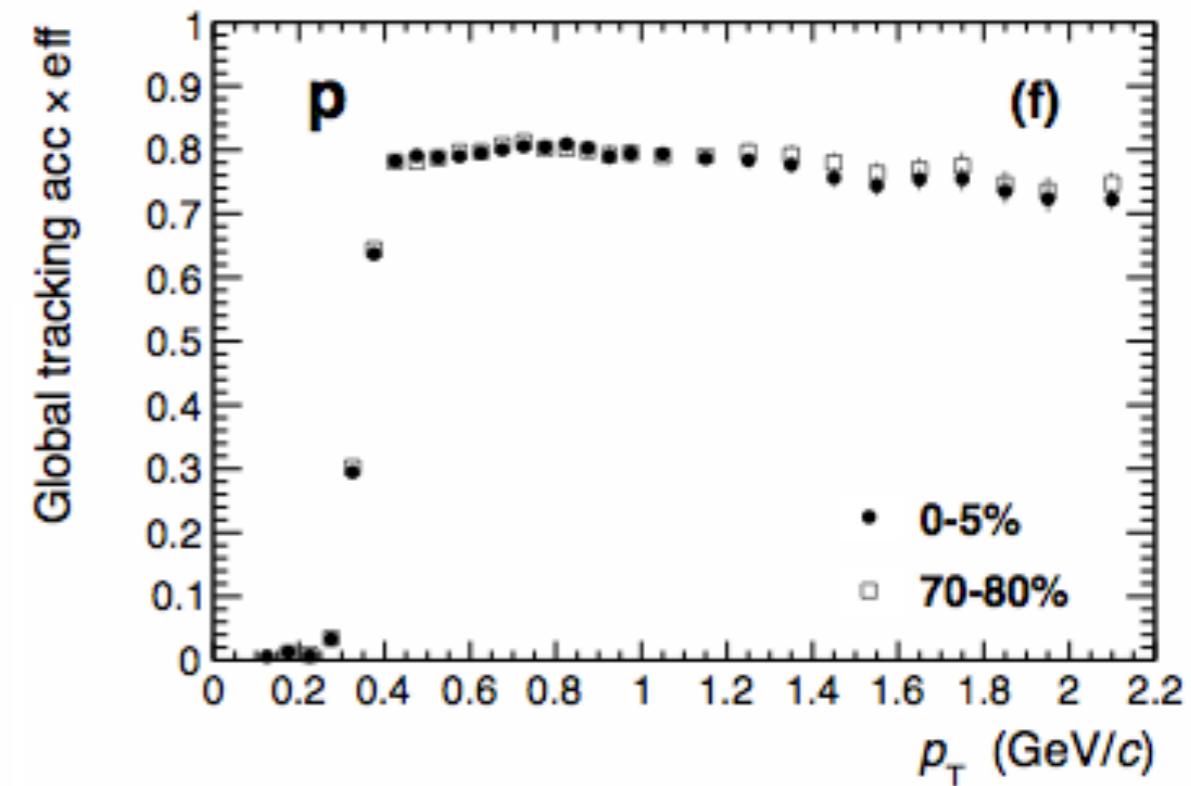


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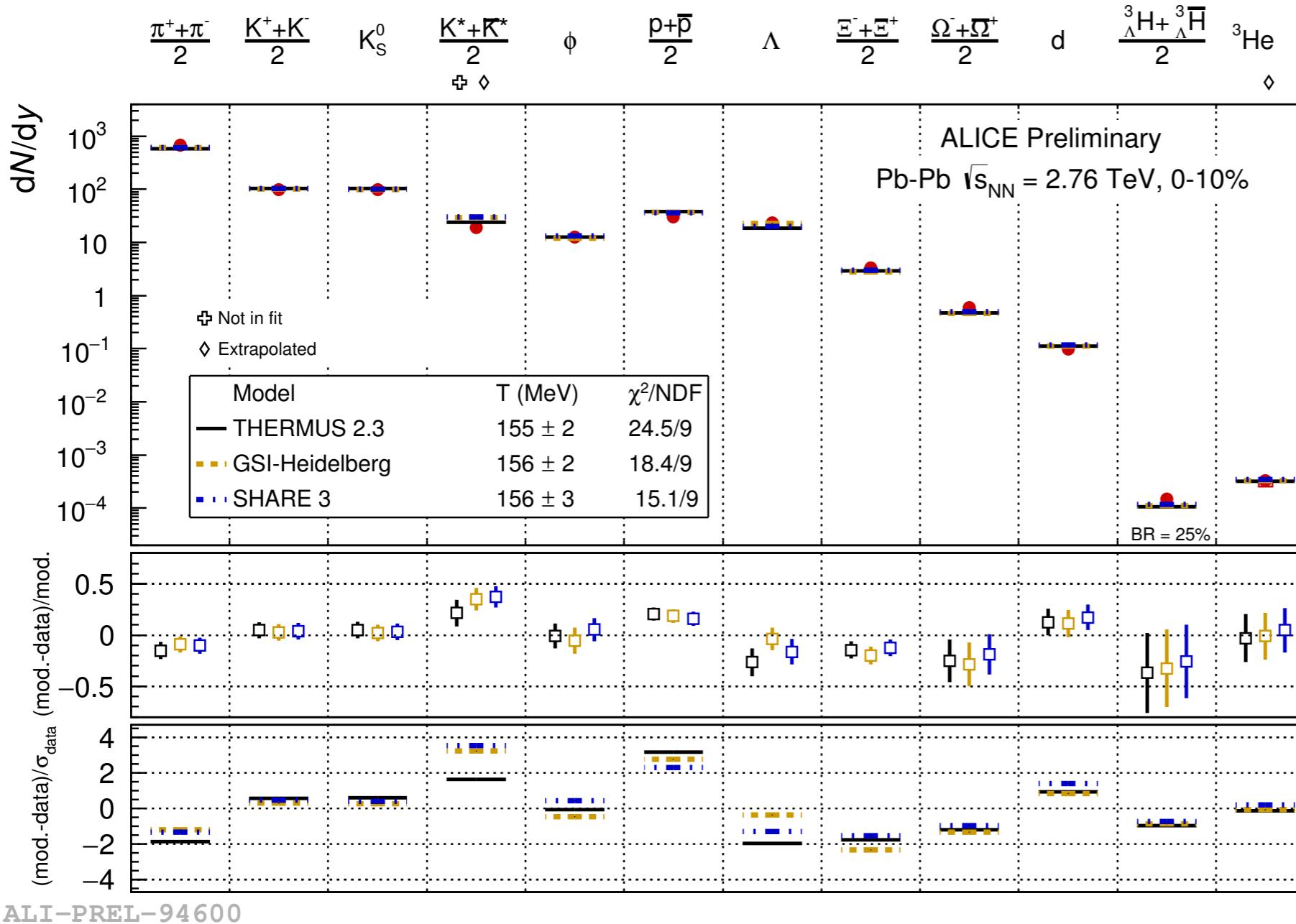
Detector originally optimised for  
 $dN/dy = 8000$   
 $\Rightarrow$  negligible dependence of  
detector efficiencies on  
centrality.



[Phys. Rev. C 88, 044910 (2013)]

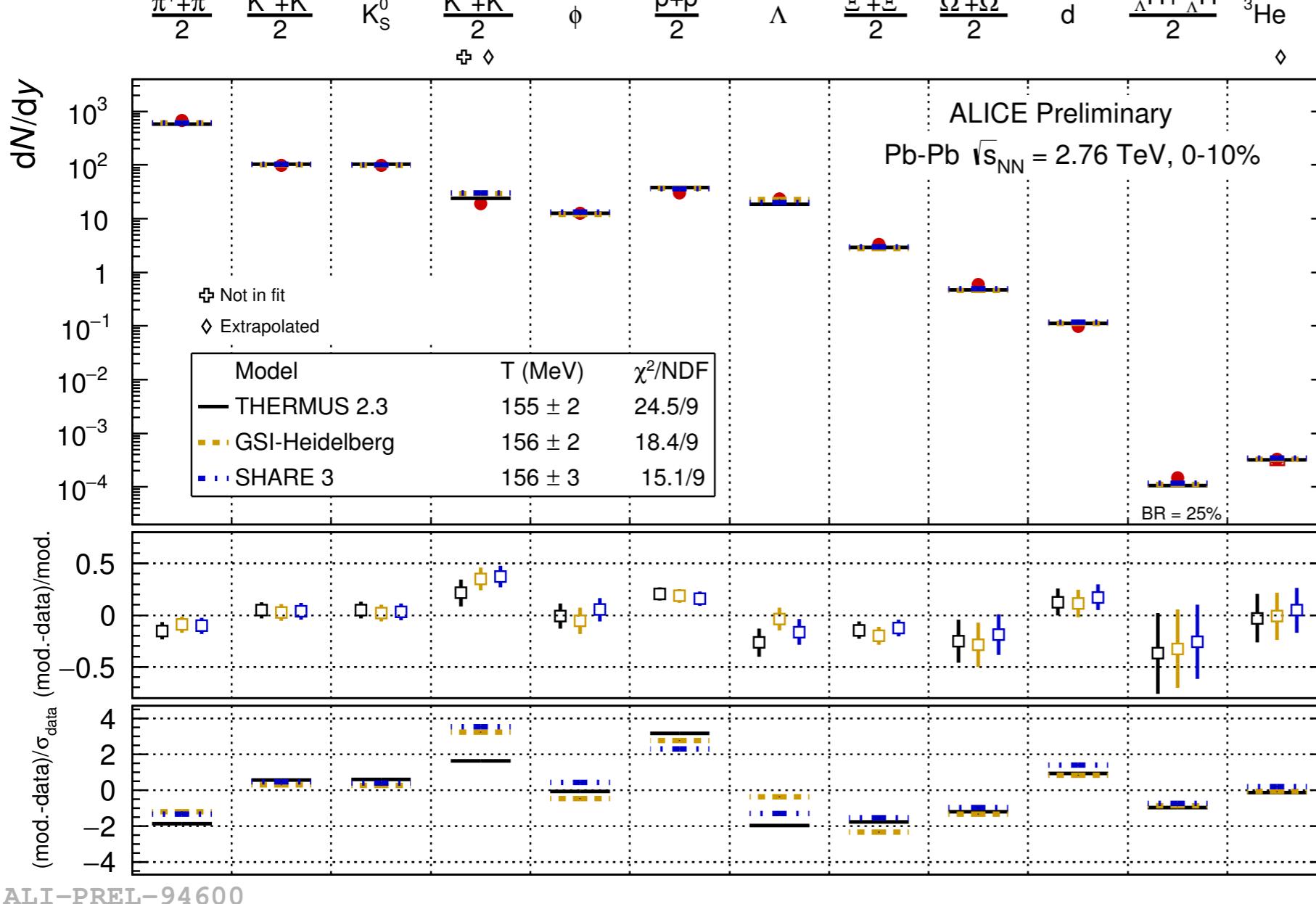
# **Chemical freeze-out and thermal model calculations**

# Pb-Pb: Thermal fits to ALICE data



[Wheaton et al, Comput.Phys.Commun, 180 84]  
 [Petrán et al, arXiv:1310.5108]  
 [Andronic et al, PLB 673 142]

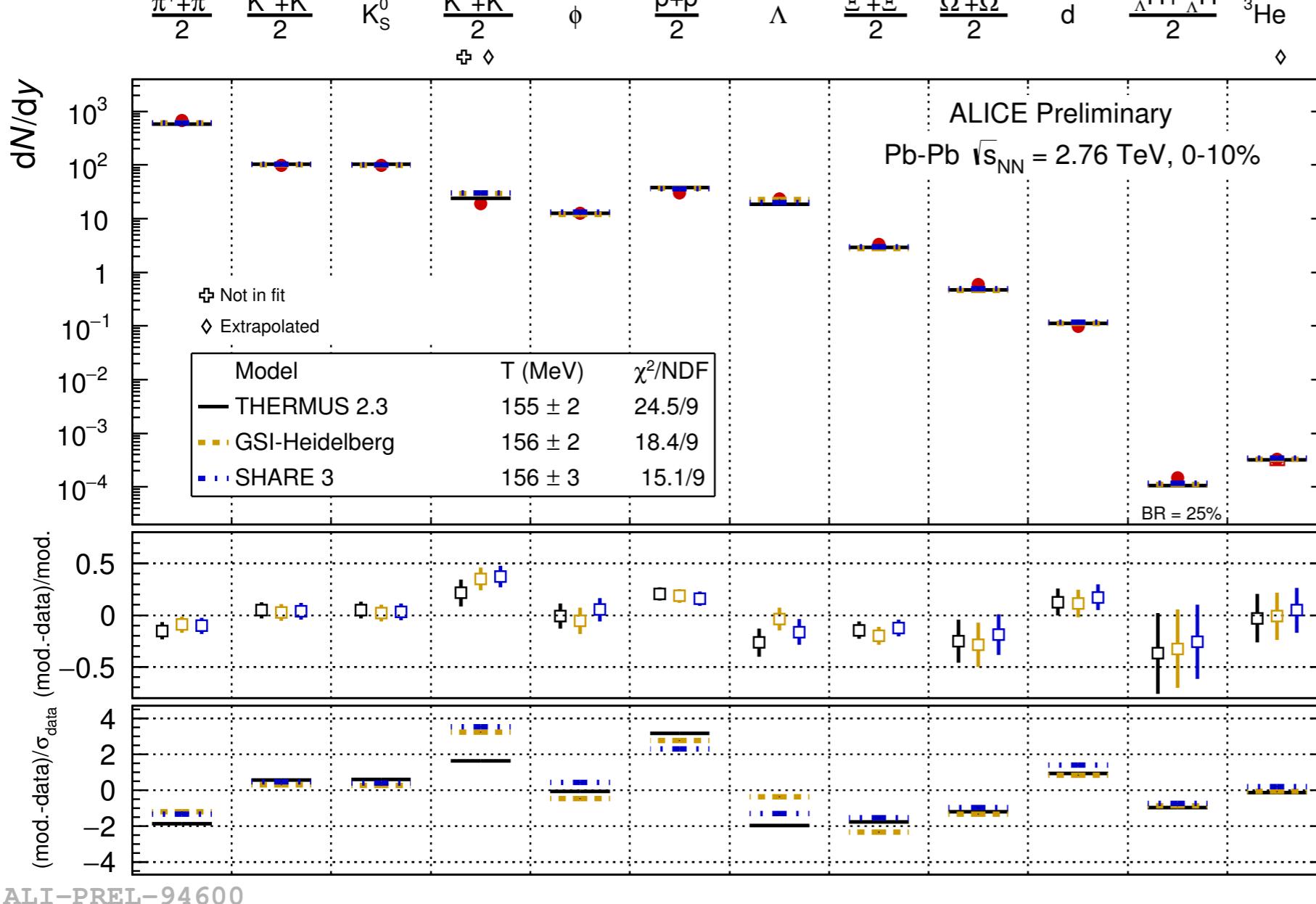
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Particle yields of light flavor hadrons are described over 7 orders of magnitude within 20% (except  $K^{*0}$ ) with a common chemical freeze-out temperature of  $T_{\text{ch}} \approx 156$  MeV (prediction from RHIC extrapolation was  $\approx 164$  MeV).

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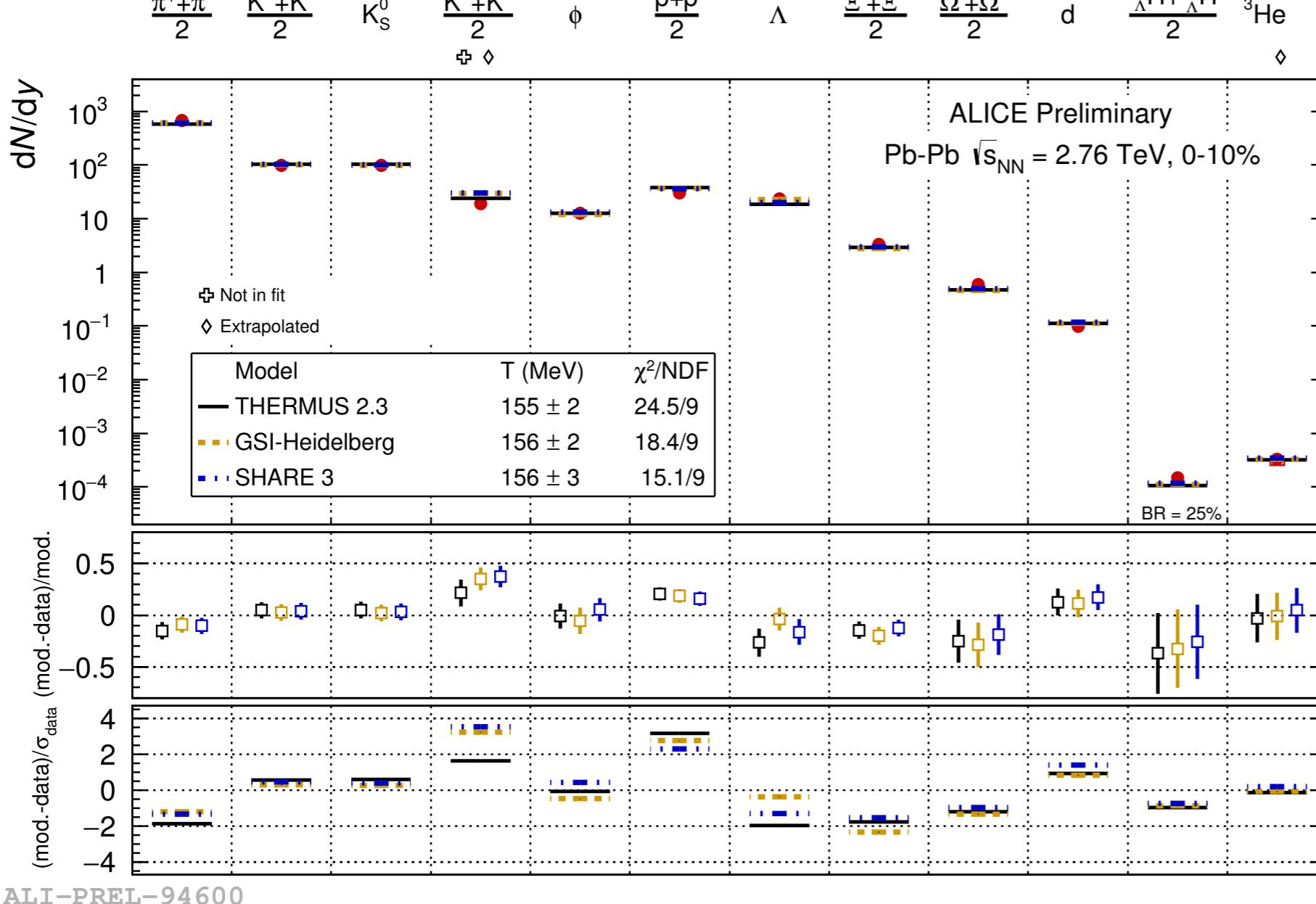


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Hadrons are produced in apparent chemical equilibrium in Pb-Pb collisions at LHC energies.

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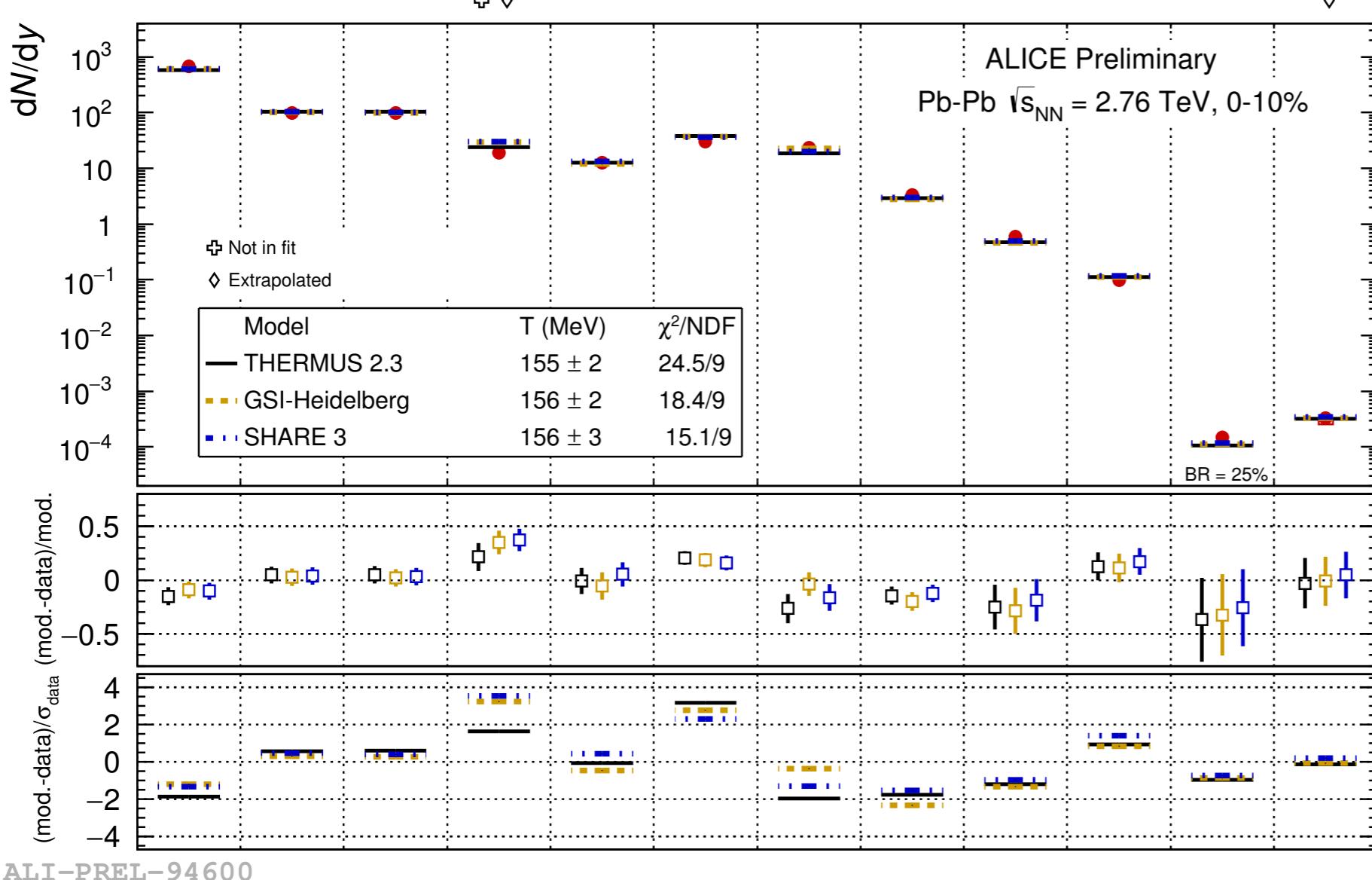
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Largest deviations observed for **protons** (incomplete hadron spectrum, baryon annihilation in hadronic phase,...?) and for  $K^{*0}$ .

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Three different versions of thermal model implementations give similar results.

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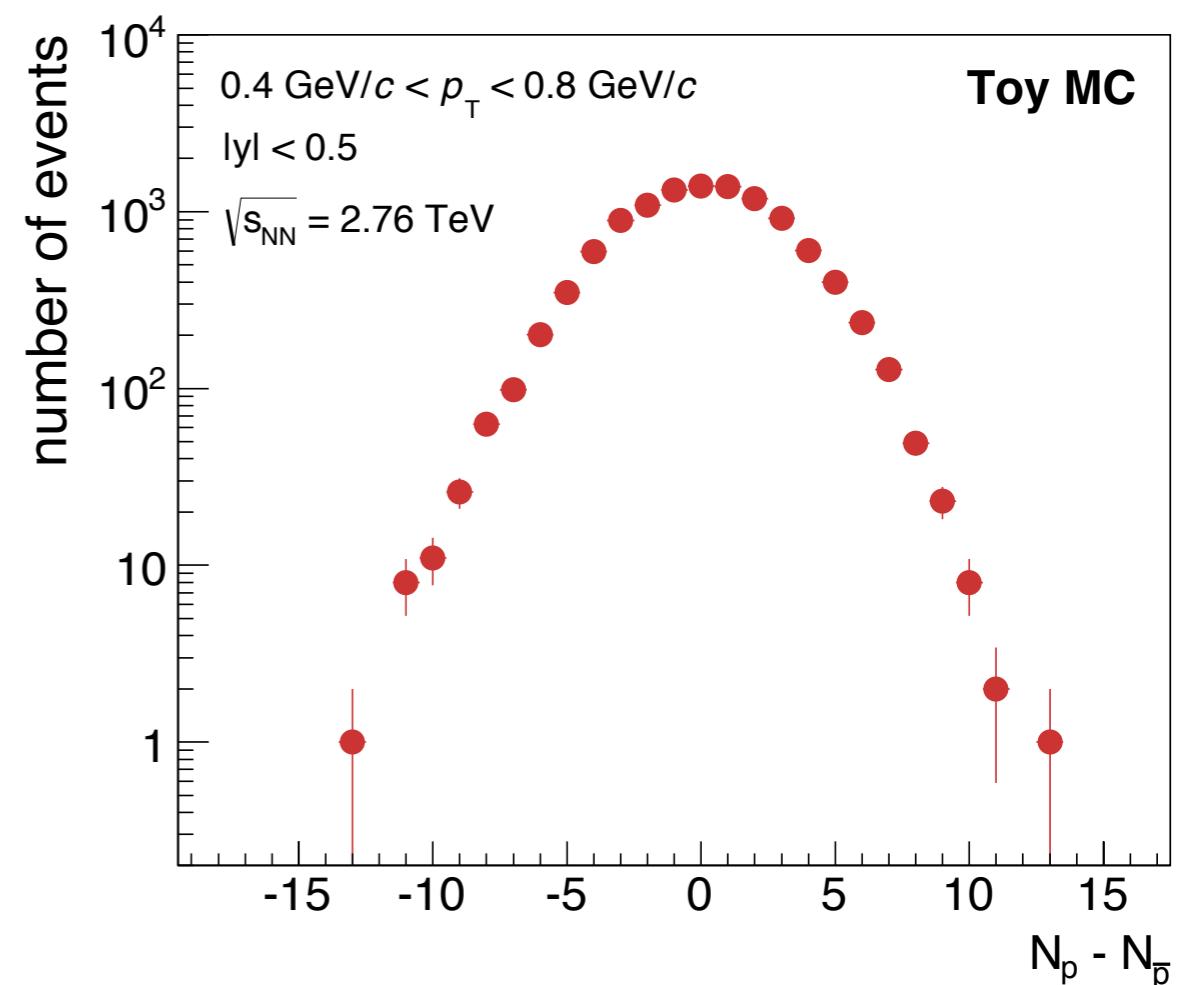
# **Event-by-event fluctuations of conserved quantities**

# Thermodynamic susceptibilities

- Event-by-event fluctuations of the conserved quantities in QCD (*charge Q, baryon number B, strangeness S*) correspond to thermodynamic susceptibilities  $\chi$  of the system which can be directly calculated in Lattice QCD or in the Hadron Resonance Gas (HRG) model:

$$\chi_{lmn}^{BSQ} = \frac{\partial^{l+m+n}(P/T^4)}{\partial(\mu_B/T)^l \partial(\mu_S/T)^m \partial(\mu_S/T)^n}$$

- Statistical distribution of conserved quantities are quantified by their (central) moments or cumulants.



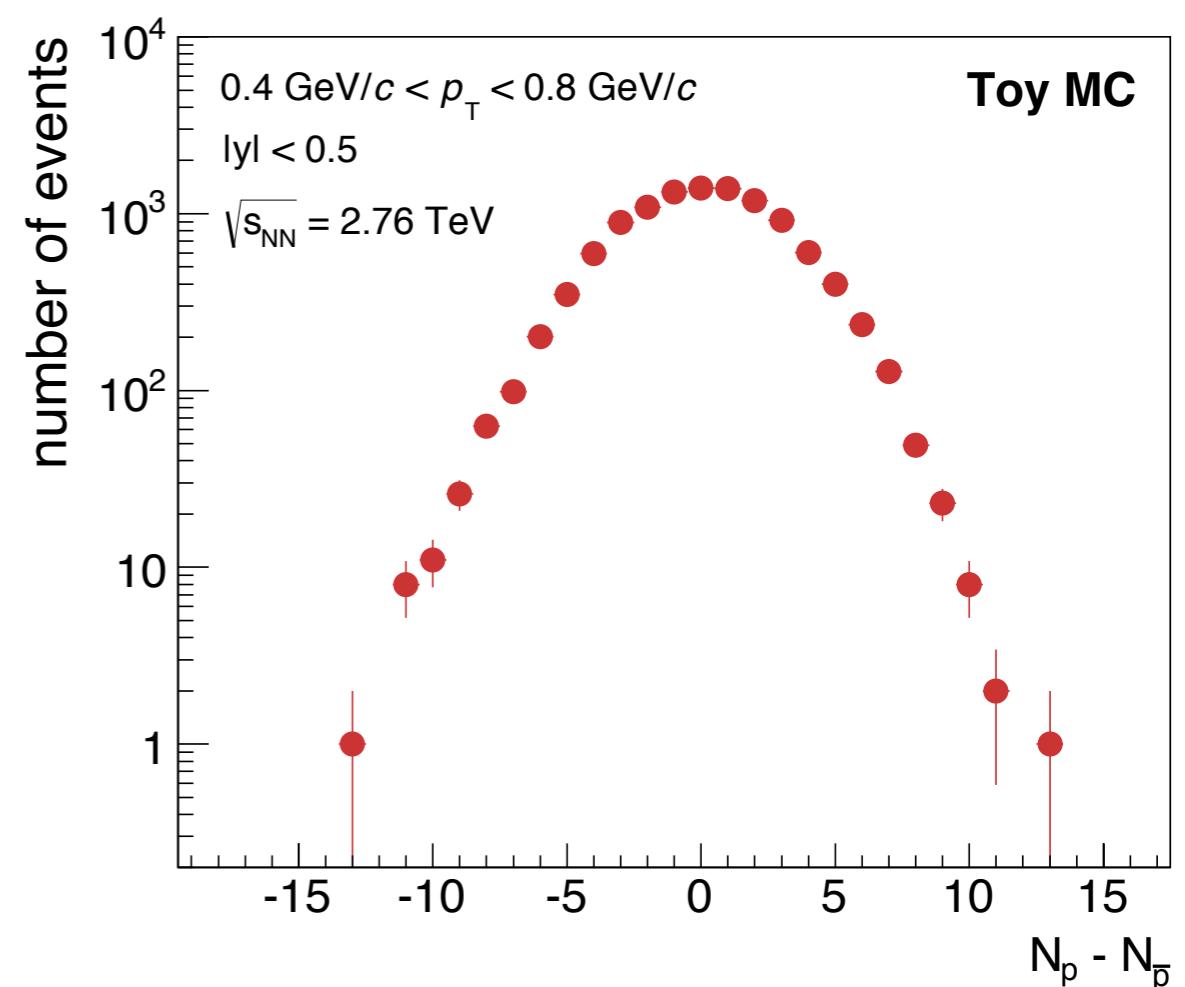
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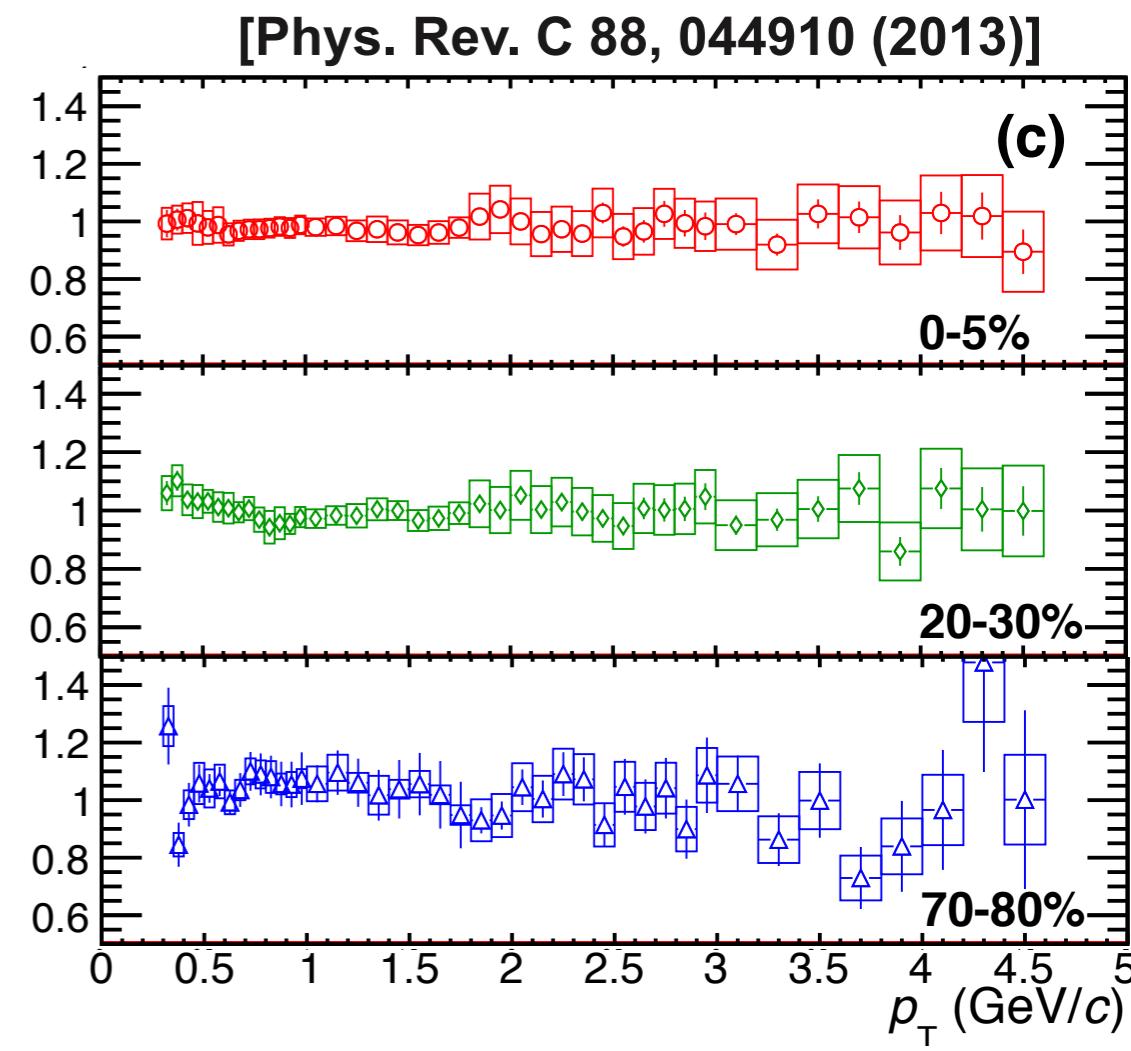
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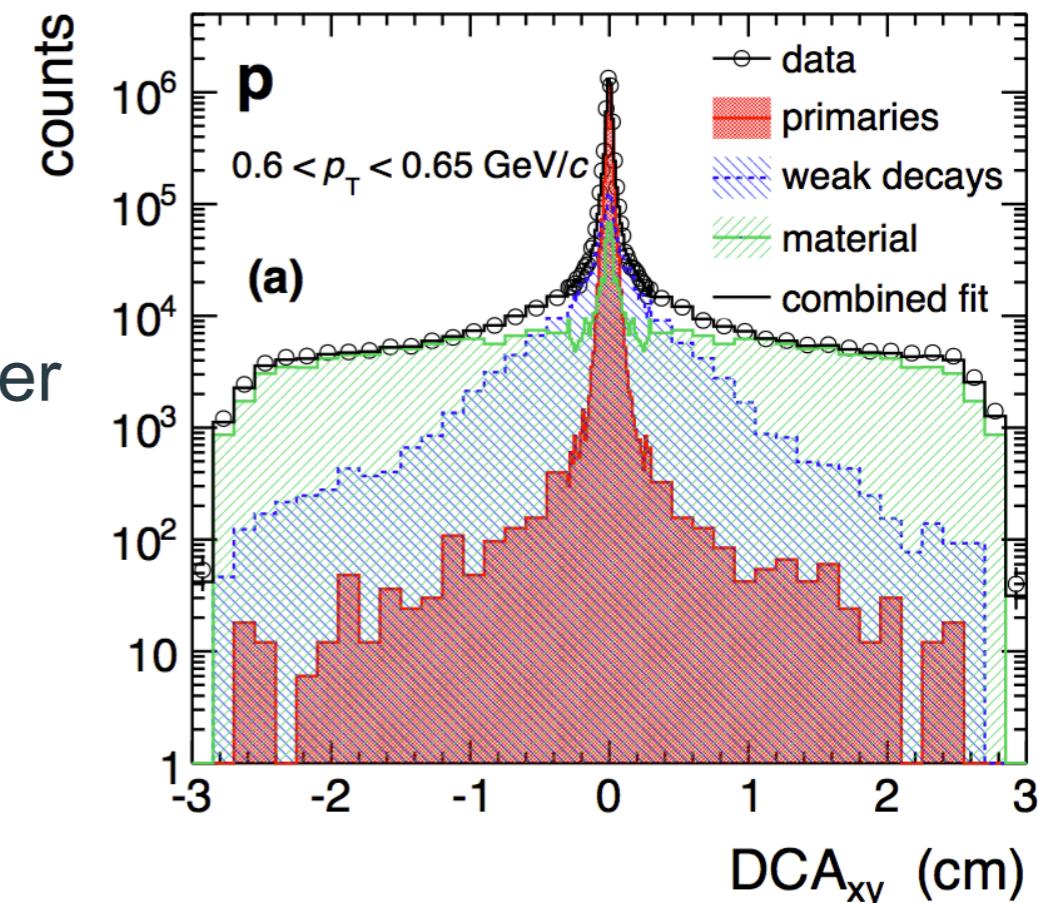
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# Towards a measurement of net-baryon number at LHC...

- The measurement is experimentally very challenging:
  - Correction for detector efficiency (N.B.: efficiencies differ for protons and anti-protons due to absorption).
  - Auto-correlations with centrality estimator.  
-> use forward detectors to avoid them.
  - Contamination from protons from material.
  - Contamination from weak decays:
    - Does the inclusion of them bring us closer to the total baryon number  $B$ ?
    - Can one separate cleanly  $\chi_B$  and  $\chi_s$ ?
  - Misidentified particles.
- However, we already know how to correct for these effects on average for particle spectra..

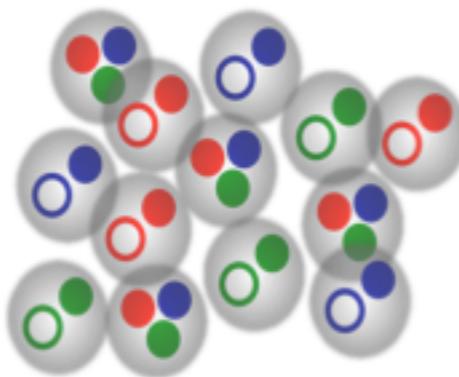


[Phys. Rev. C 88, 044910 (2013)]

# **Net charge fluctuations**

# Net charge fluctuations — introduction

- So far, only a net-charge measurement corresponding to the second order moment has been finalised at LHC energies:  
**[Phys. Rev. Lett. 110, 152301]**.
- Simplified picture:



Hadronic phase:  
 $q = \pm 1$   
 $\Rightarrow q^2 = \pm 1$



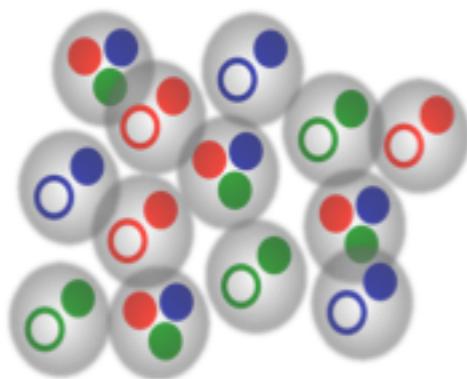
Partonic phase:  
 $q = \pm(2/3), \pm(1/3)$   
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- $\nu_{\text{dyn}}$  as robust variable to quantify dynamical fluctuations and to identify relevant charge carriers:

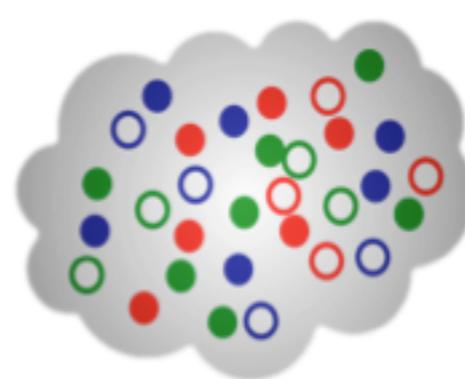
$$\nu_{(+-, \text{dyn.})} = \frac{\langle N_+ (N_+ - 1) \rangle}{\langle N_+ \rangle^2} + \frac{\langle N_- (N_- - 1) \rangle}{\langle N_- \rangle^2} - 2 \frac{\langle N_+ N_- \rangle}{\langle N_+ \rangle \langle N_- \rangle}$$

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Substantially smaller value of the correlation function is expected in the QGP phase than in the hadronic phase.

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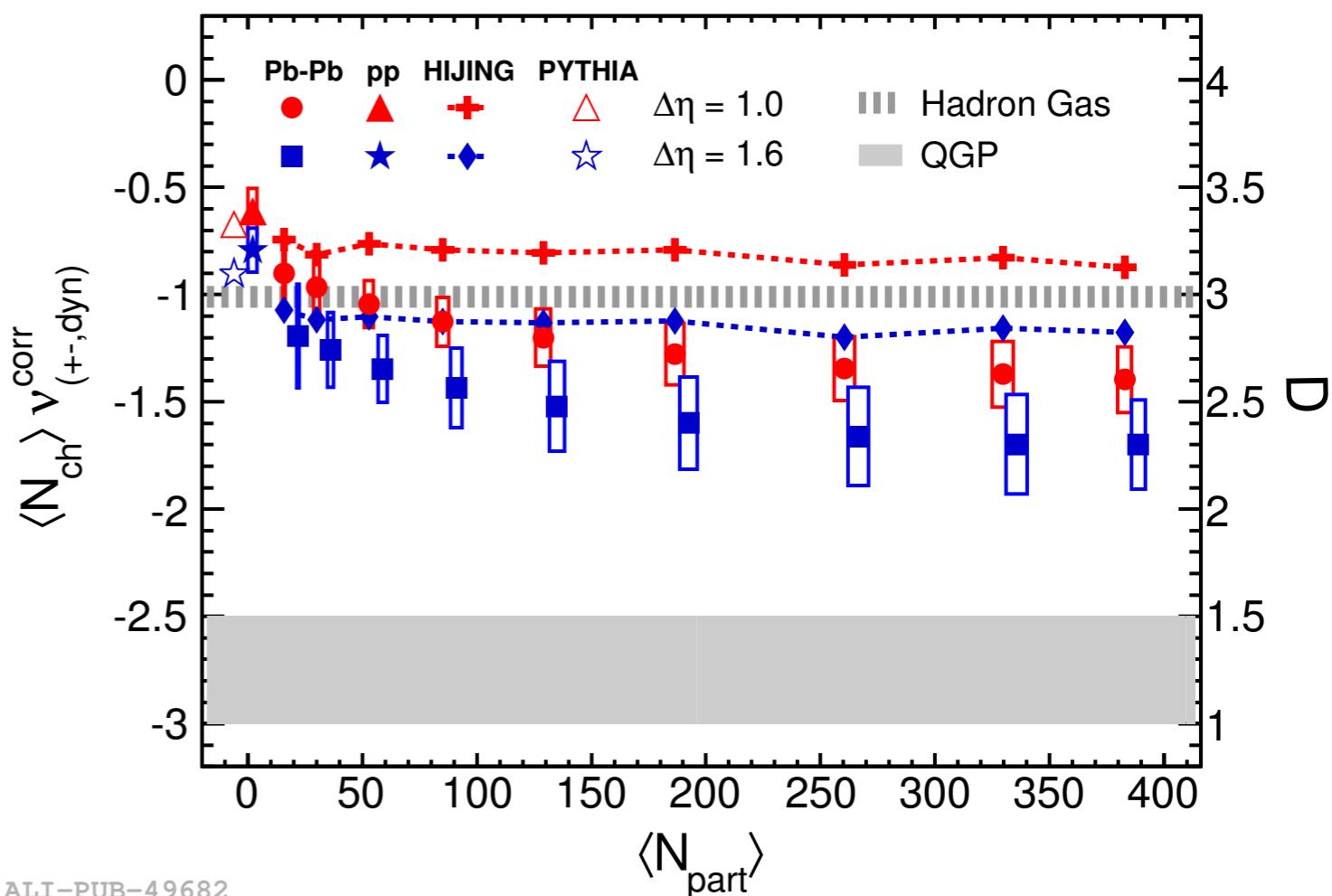
# D-measure of net-charge fluctuations

- $\nu_{\text{dyn}}$  can be connected to the entropy of the system via the D-measure in order to relate it to theoretical expectations (corrected for acceptance and global charge conservation):

$$D = \langle N_{ch} \rangle \langle \delta R^2 \rangle$$

$$D \approx 4 \frac{\langle \delta Q^2 \rangle}{\langle N_{ch} \rangle} \approx \begin{cases} 3 & \text{HRG} \\ 1-1.5 & \text{QGP} \end{cases}$$

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ALI-PUB-49682

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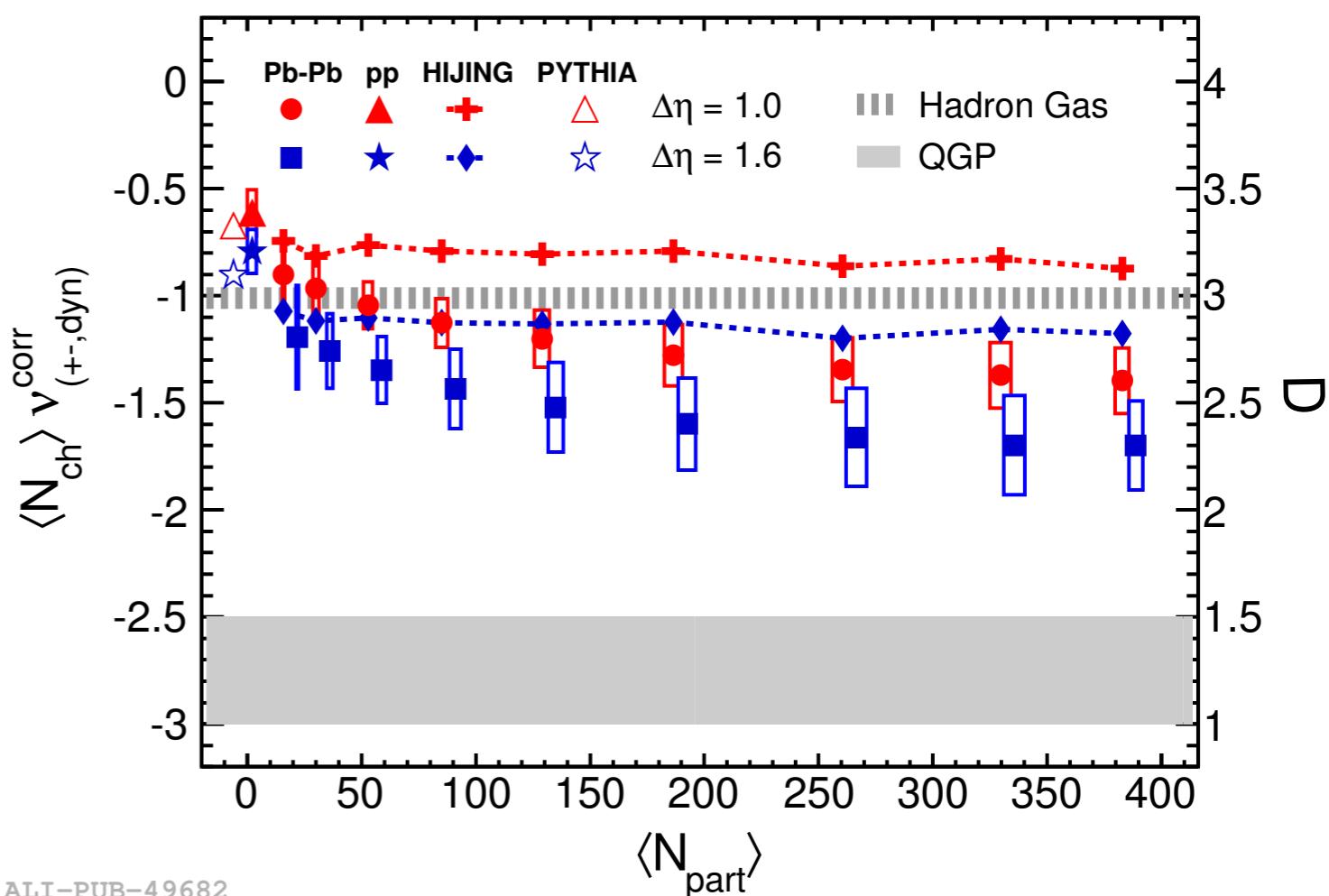
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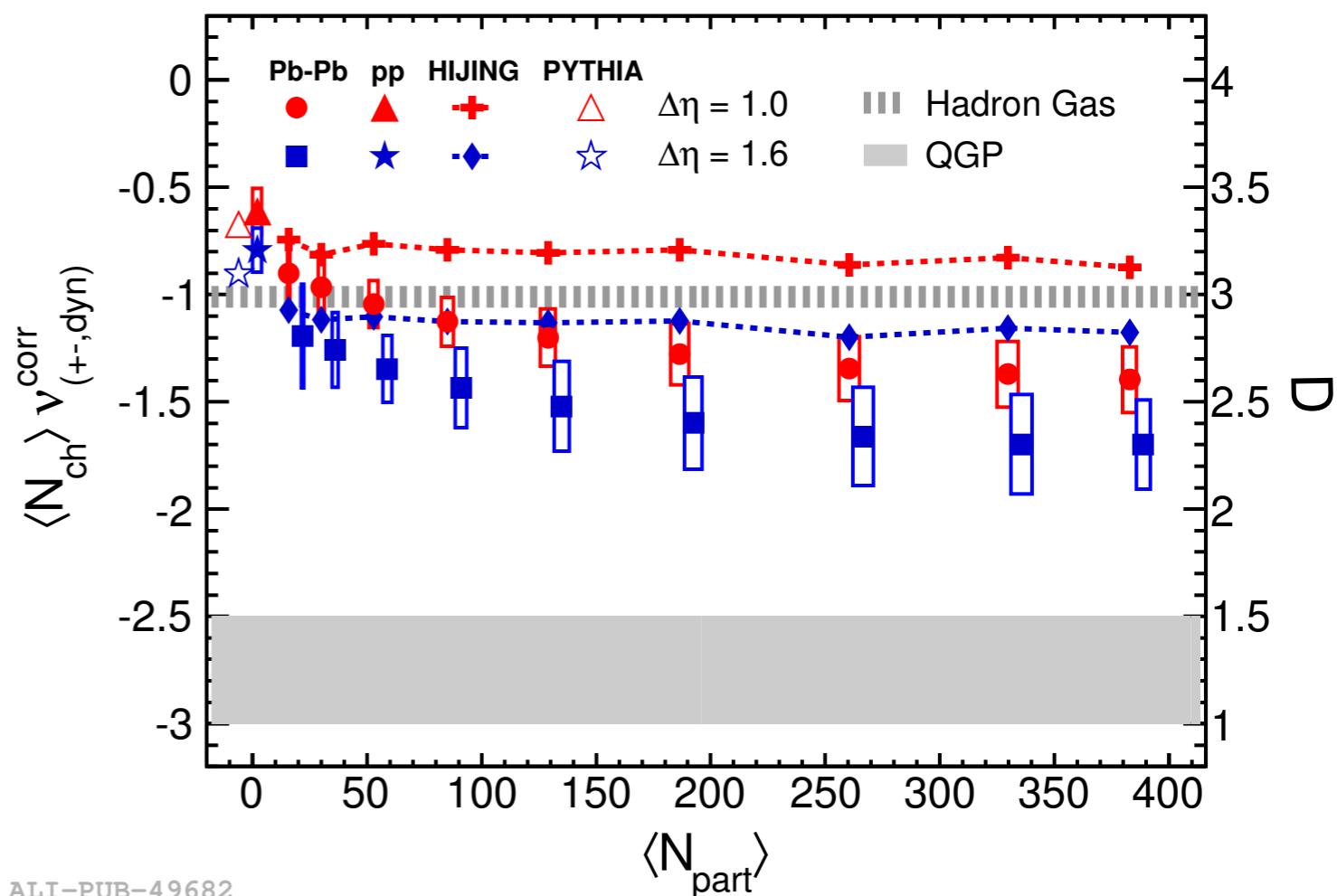
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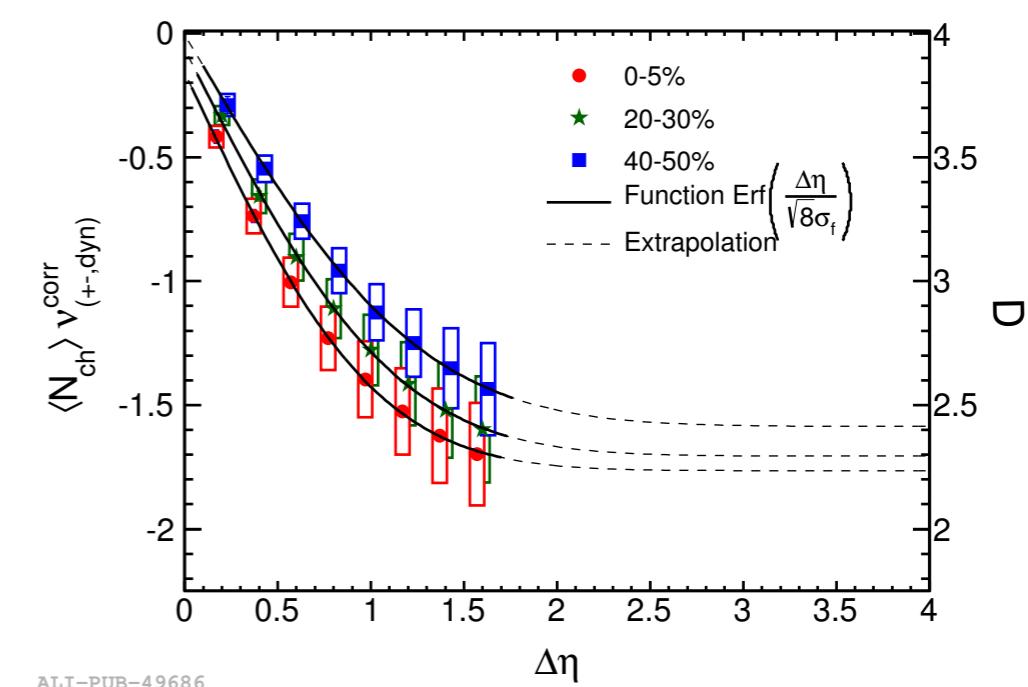
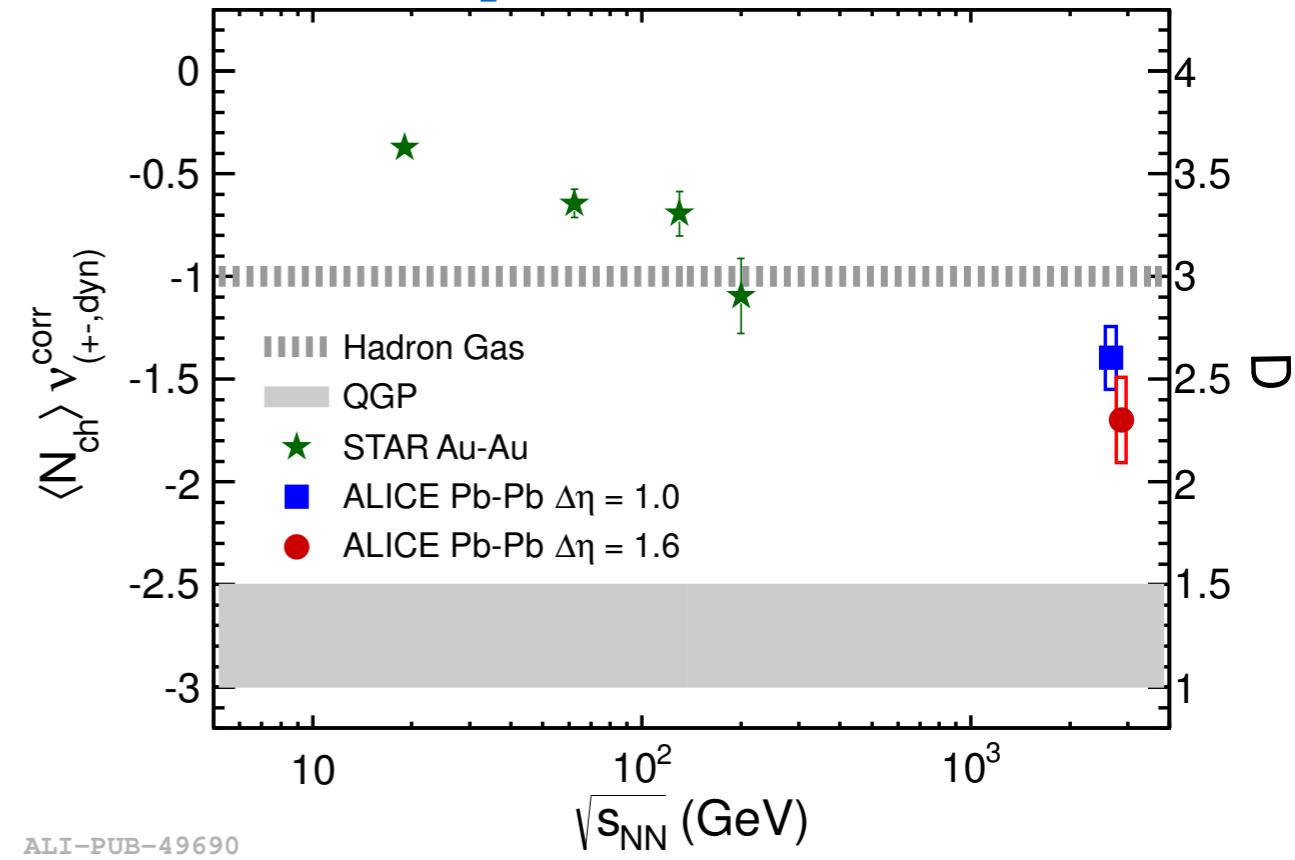
D decreases slightly with centrality and shows values between HRG and QGP expectation.

HIJING shows no centrality dependence and larger values than the data.



# Energy and rapidity window dependence

- Results are shown for 0-5% most central collisions.
- Decreasing trend with increasing center-of-mass energy is observed.
- ALICE values significantly lower than the hadron gas expectation while RHIC measurements are still compatible.
- Strong dependence on rapidity window observed which seems to saturate above  $\Delta\eta \approx 2.3$  assuming diffusion functions. Initial fluctuations are diluted by final state interactions and limited experimental acceptance. Extending it further in  $\eta$  would be nice.



# **Balance function**

# Balance function

- Definition:

$$B(\Delta\eta, \Delta\varphi) = \frac{S(\Delta\eta, \Delta\varphi)_{US}}{B(\Delta\eta, \Delta\varphi)_{US}} - \frac{S(\Delta\eta, \Delta\varphi)_{LS}}{B(\Delta\eta, \Delta\varphi)_{LS}}$$

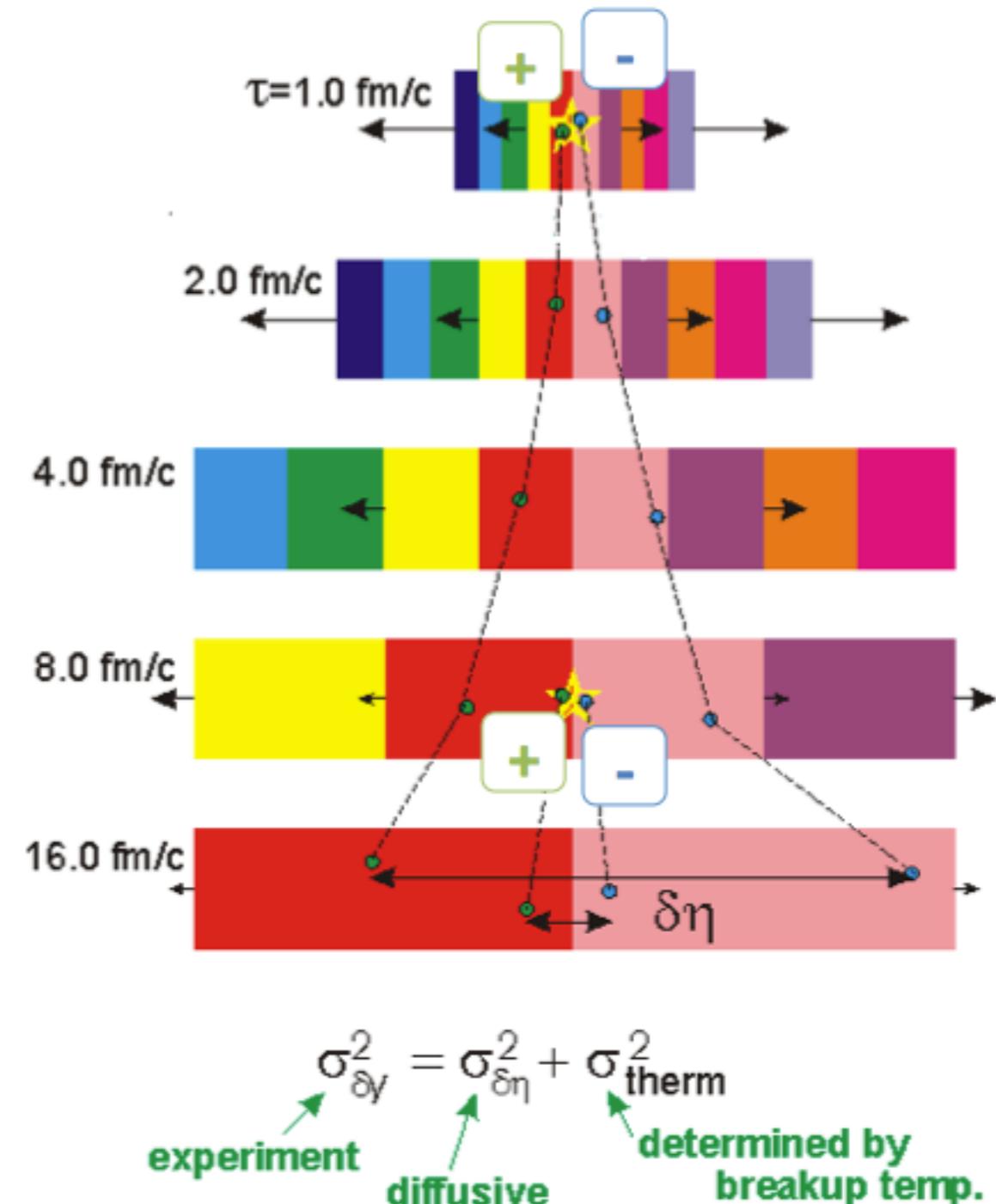
*US* = + - / - +

*LS* = + + / --

- Motivation:

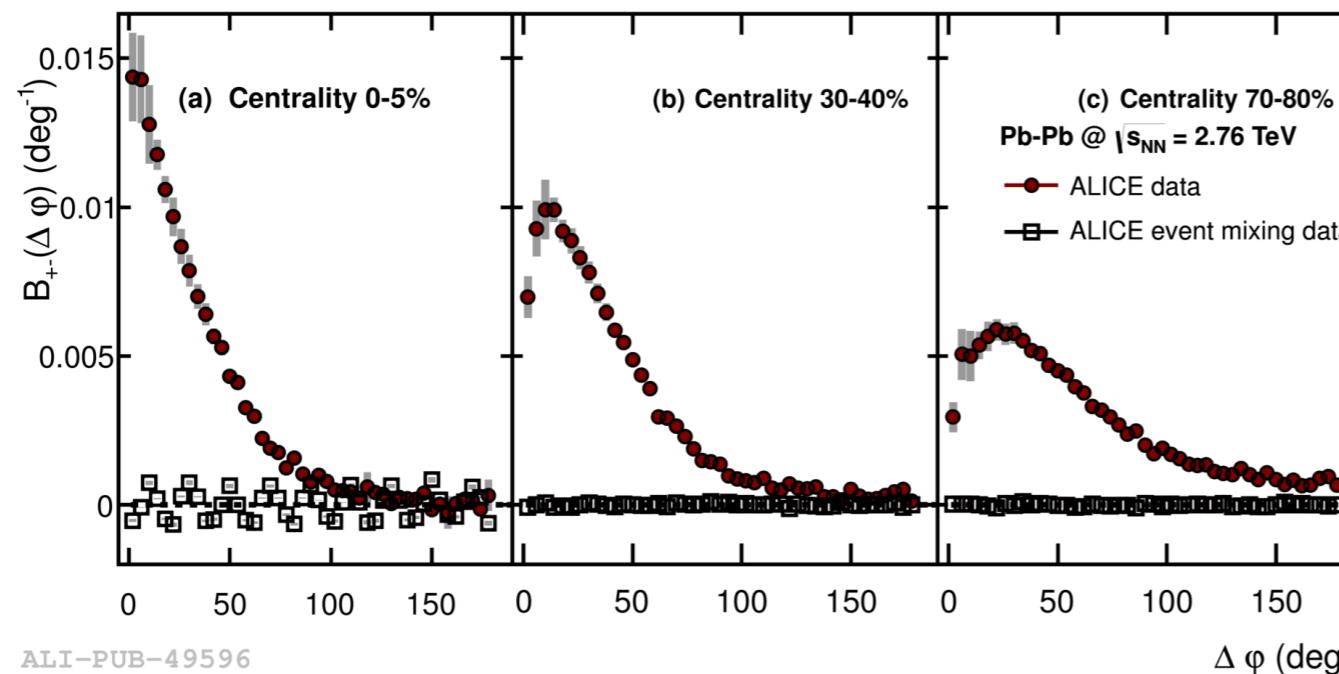
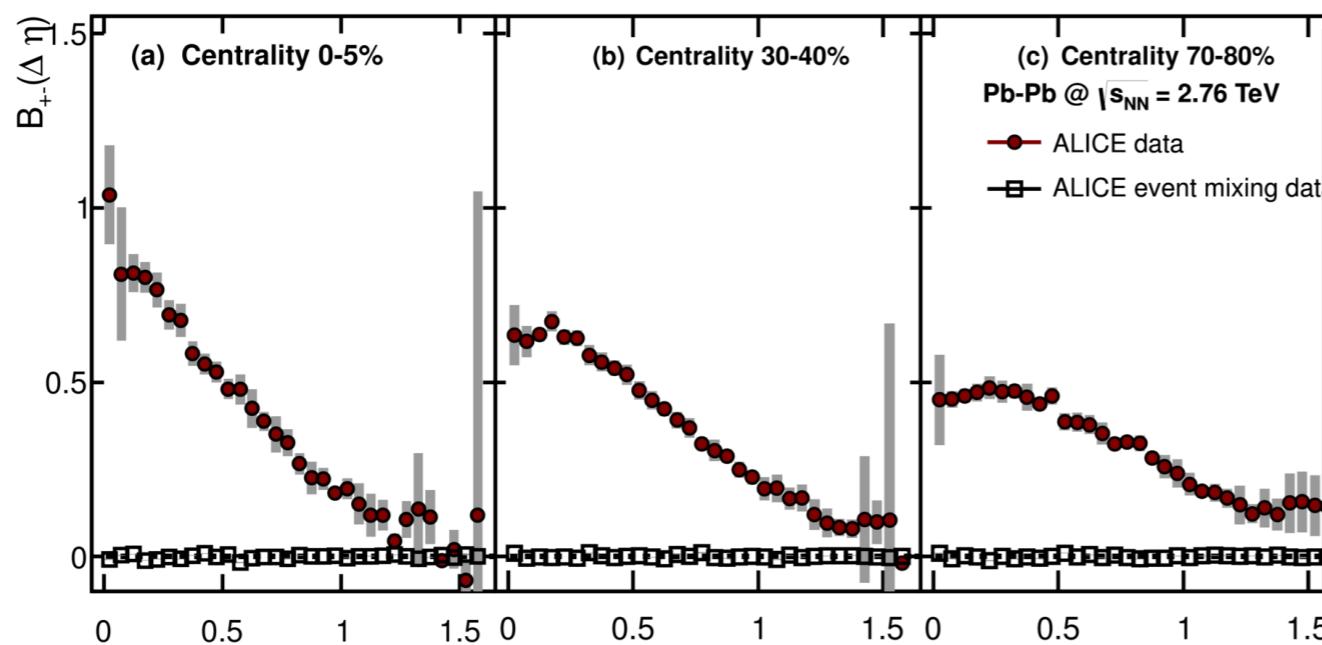
- Creation of balancing charges in rapidly expanding medium
- What is the time ordering of the collision?
- Can we detect different stages where charges are created?

- Early stage creation: large final separation, **wider balance function**
- Late stage creation: pairs more correlated, **narrower balance functions**
- **BUT:** stronger flow can also lead to a stronger correlation of pairs and a narrow balance function.



# Balance function in Pb-Pb collisions

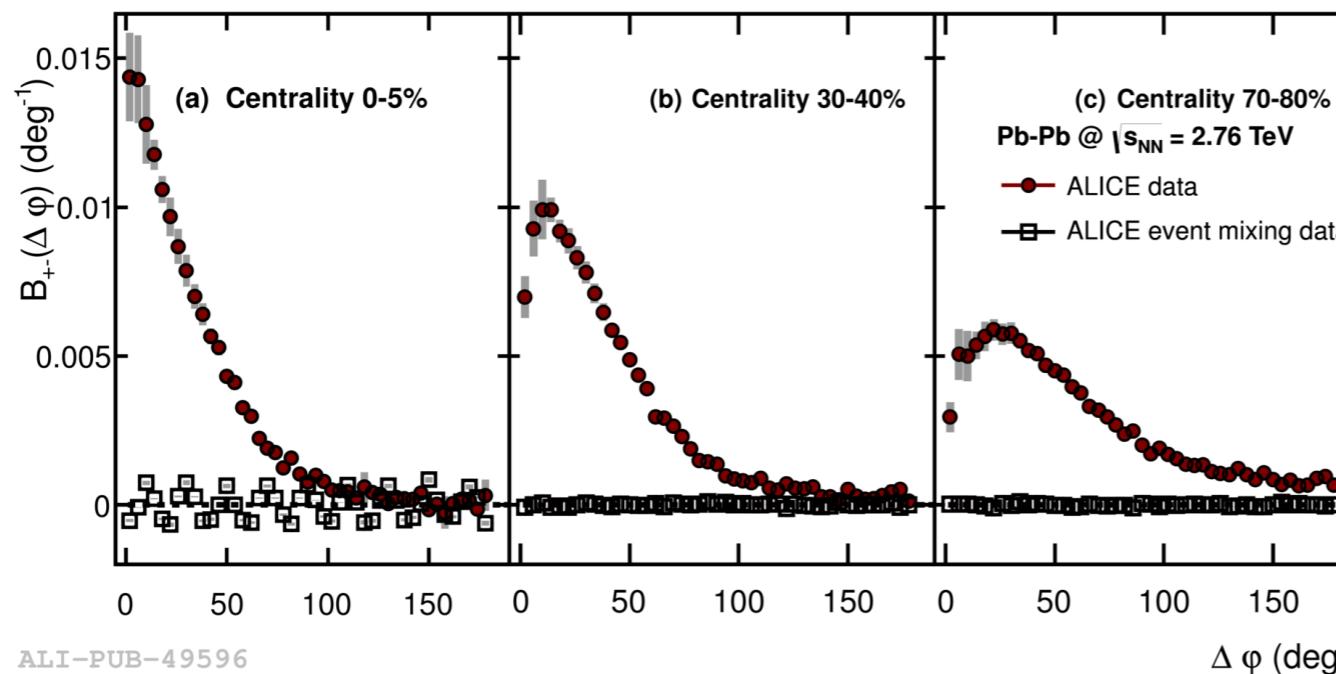
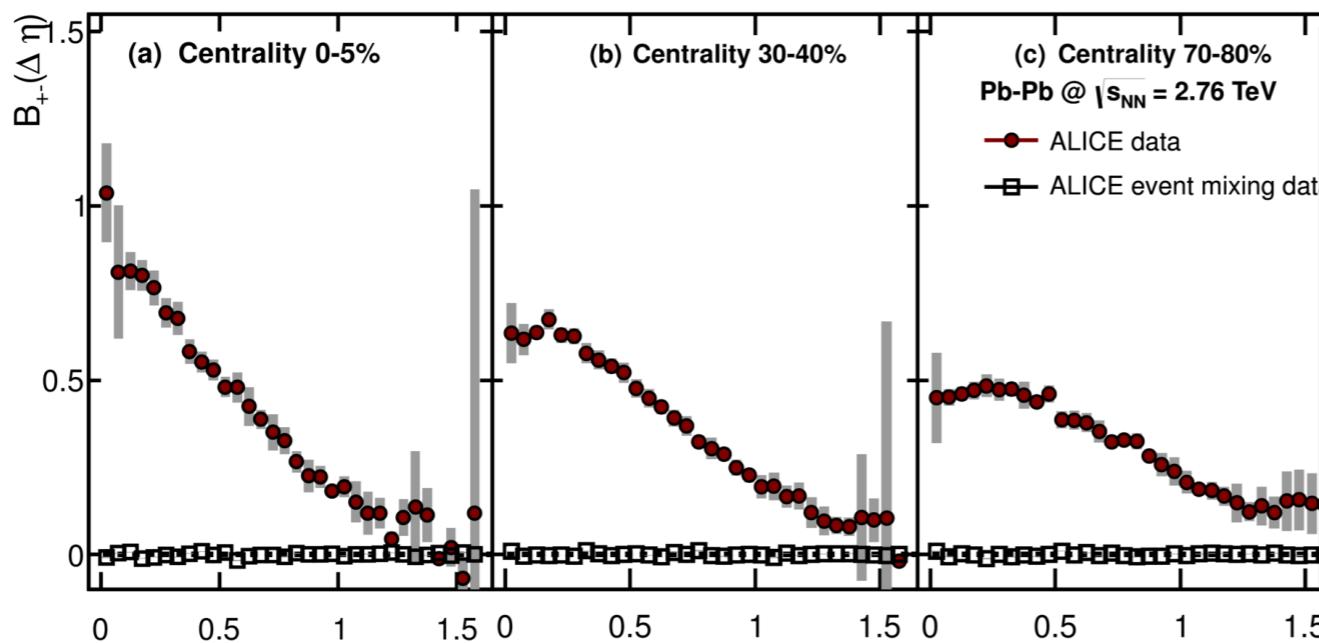
[PLB, 723 (2013), 267]



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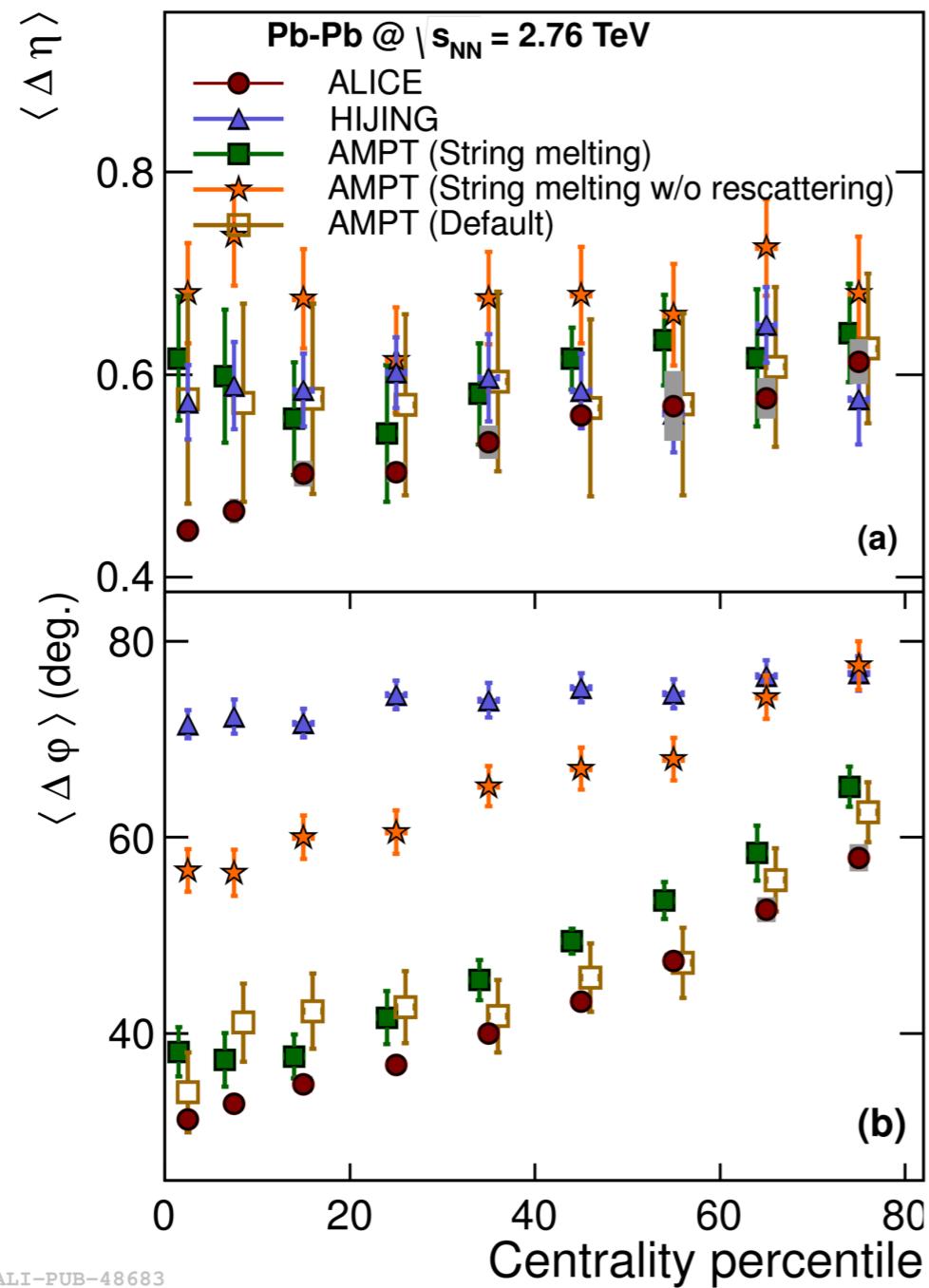
[PLB, 723 (2013), 267]

A narrowing is indeed observed in  $\Delta\eta$  and  $\Delta\phi$  going from peripheral to central collisions.



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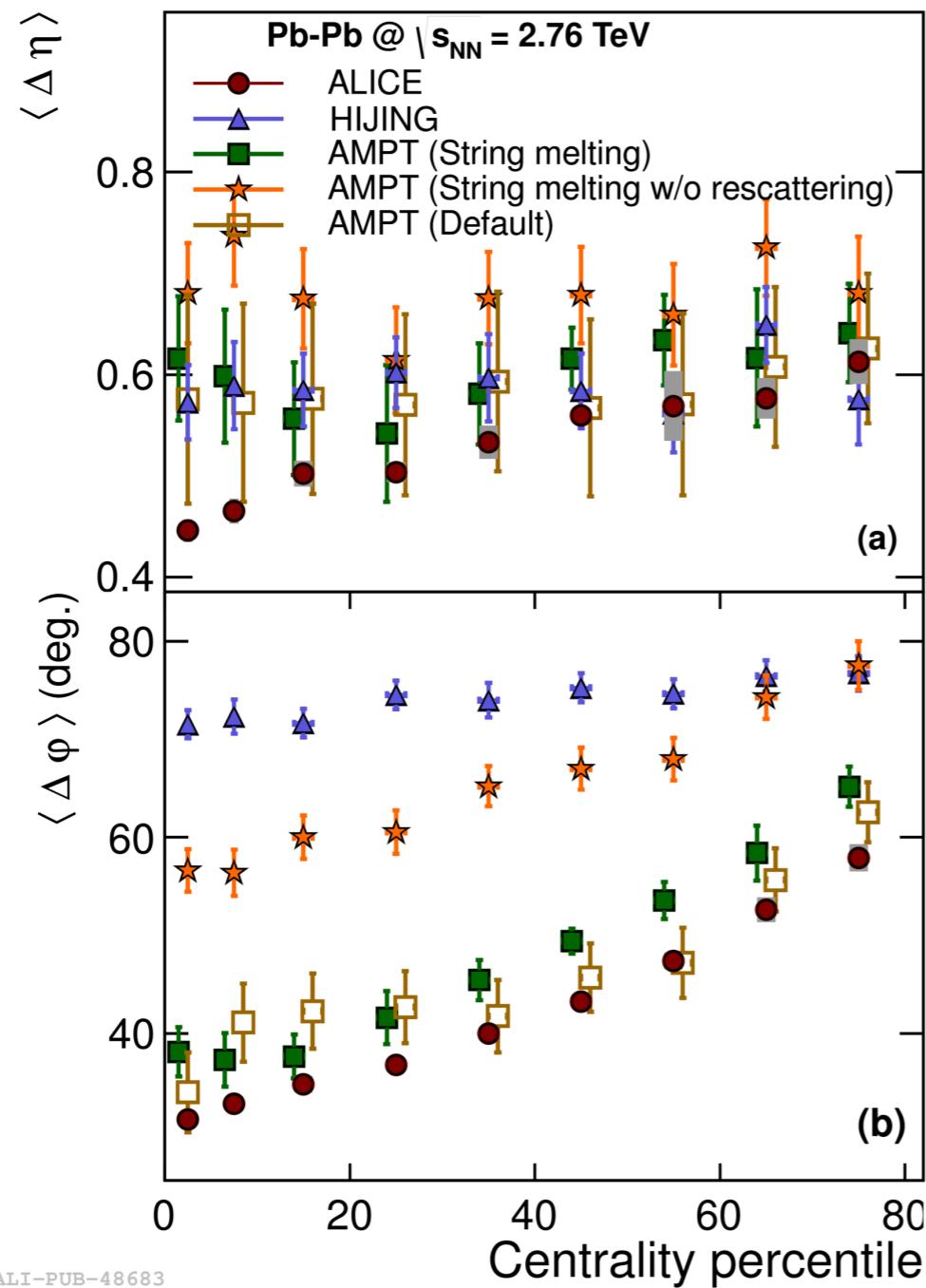
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[PLB, 723 (2013), 267]



ALICE-PUB-48683

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The observed centrality dependence is stronger than predicted by models even if they are tuned to reproduce the ALICE  $v_2$  data (AMPT).

# **Summary & conclusion**

# Summary and conclusions

- Light flavor hadron yields at LHC energies can be described in a thermal fit based on the hadron resonance gas model with a chemical freeze-out temperature of  $T_{\text{chem}} = 156 \text{ MeV}$ .
- In order to find deviations from HRG, the measurements of event-by-event fluctuations of conserved quantities (charge, baryon number, strangeness) are on their way...
- Measurements of net-charge fluctuations indicate a reduction of fluctuations from RHIC to LHC (as expected), but also emphasise the importance of systematic studies w.r.t. to the acceptance window etc.

# **SUPPORTING SLIDES**

# Thermodynamic susceptibilities (2)

- Moments  $\mu$  and cumulants  $K$ :

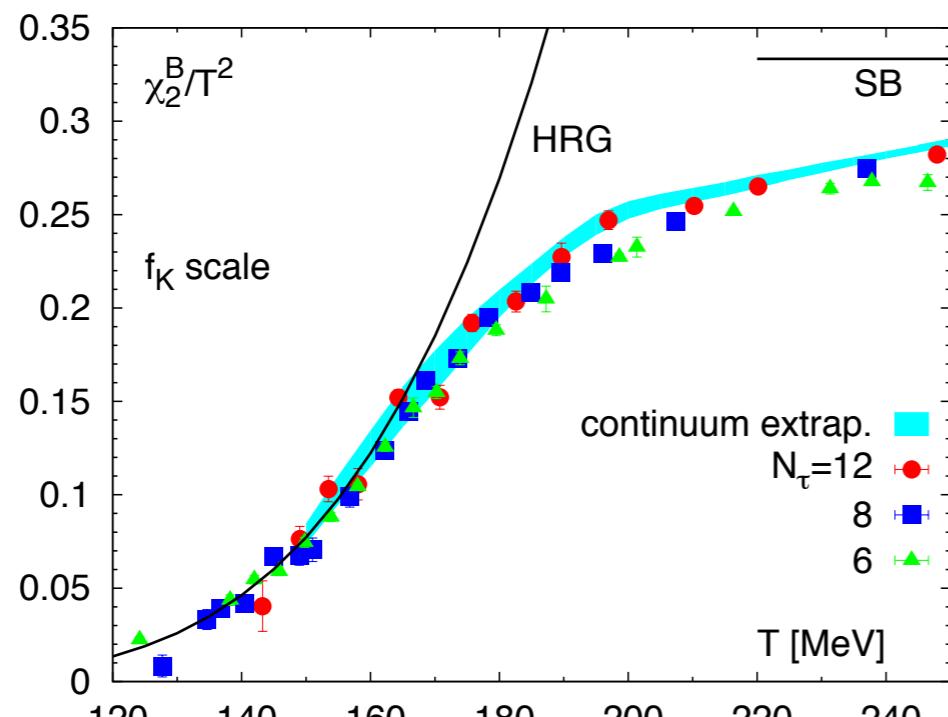
$$\begin{aligned}
 M &= K_1 &= \mu &= \langle N \rangle &= VT^3 \cdot \chi_1 \\
 \sigma^2 &= K_2 &= \mu_2 &= \langle (\delta N)^2 \rangle &= VT^3 \cdot \chi_2 \\
 S &= K_3/\sigma^3 &= \mu_3/\sigma^3 &= \langle (\delta N)^3 \rangle / \sigma^3 &= VT^3 \cdot \chi_3 / (VT^3 \cdot \chi_2)^{3/2} \\
 \kappa &= K_4/\sigma^4 &= (\mu_4 - 3\mu_2^2)/\mu_2^2 &= \langle (\delta N)^4 \rangle / \sigma^4 - 3 &= (VT^3 \cdot \chi_4) / (VT^3 \cdot \chi_2)^2
 \end{aligned}$$

- In ratios of cumulants, the volume dependence cancels:

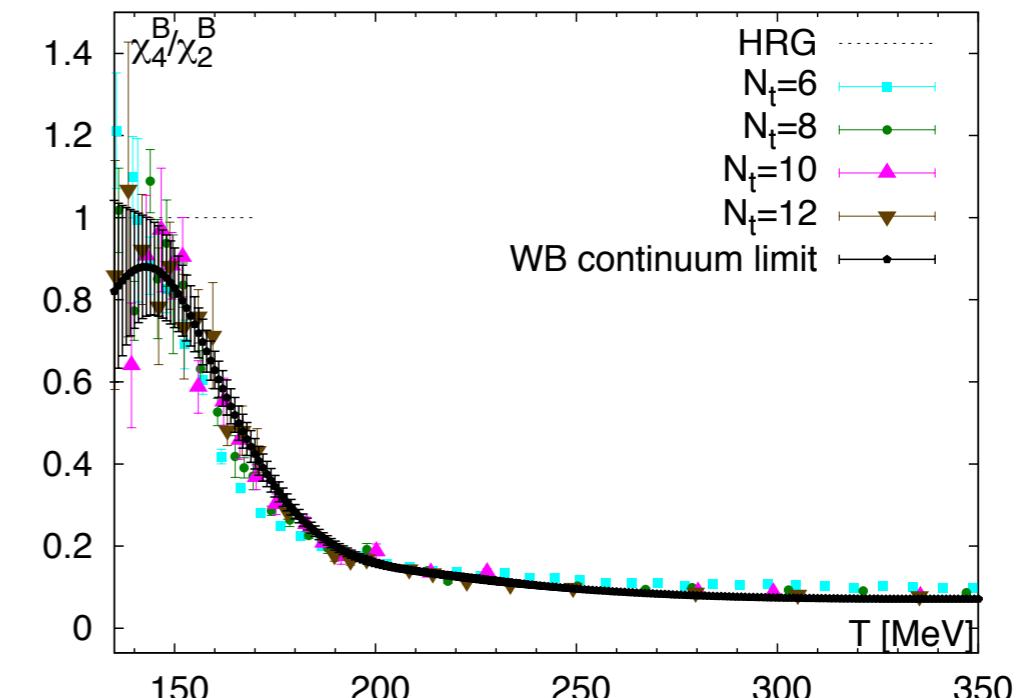
$$\begin{aligned}
 \chi_2/\chi_1 &= K_2/K_1 &= \mu_2/\mu &= \sigma^2/M \\
 \chi_3/\chi_1 &= K_3/K_1 &= \mu_3/\mu &= S \cdot \sigma^2/M \\
 \chi_3/\chi_2 &= K_3/K_2 &= \mu_3/\mu_2 &= S \cdot \sigma \\
 \chi_4/\chi_2 &= K_4/K_2 &= (\mu_4 - 3\mu_2^2)/\mu_2 &= \kappa \cdot \sigma^2 \\
 \chi_6/\chi_2 &= K_6/K_2 &= (\mu_6 - 15\mu_4\mu_2 - 10\mu_3^2 + 30\mu_2^3)/\mu_2 &.
 \end{aligned}$$

# Fluctuations and lattice QCD

- Thermodynamic susceptibilities at  $\mu_B = 0$  can be directly calculated in lattice QCD.



[1203.0784]

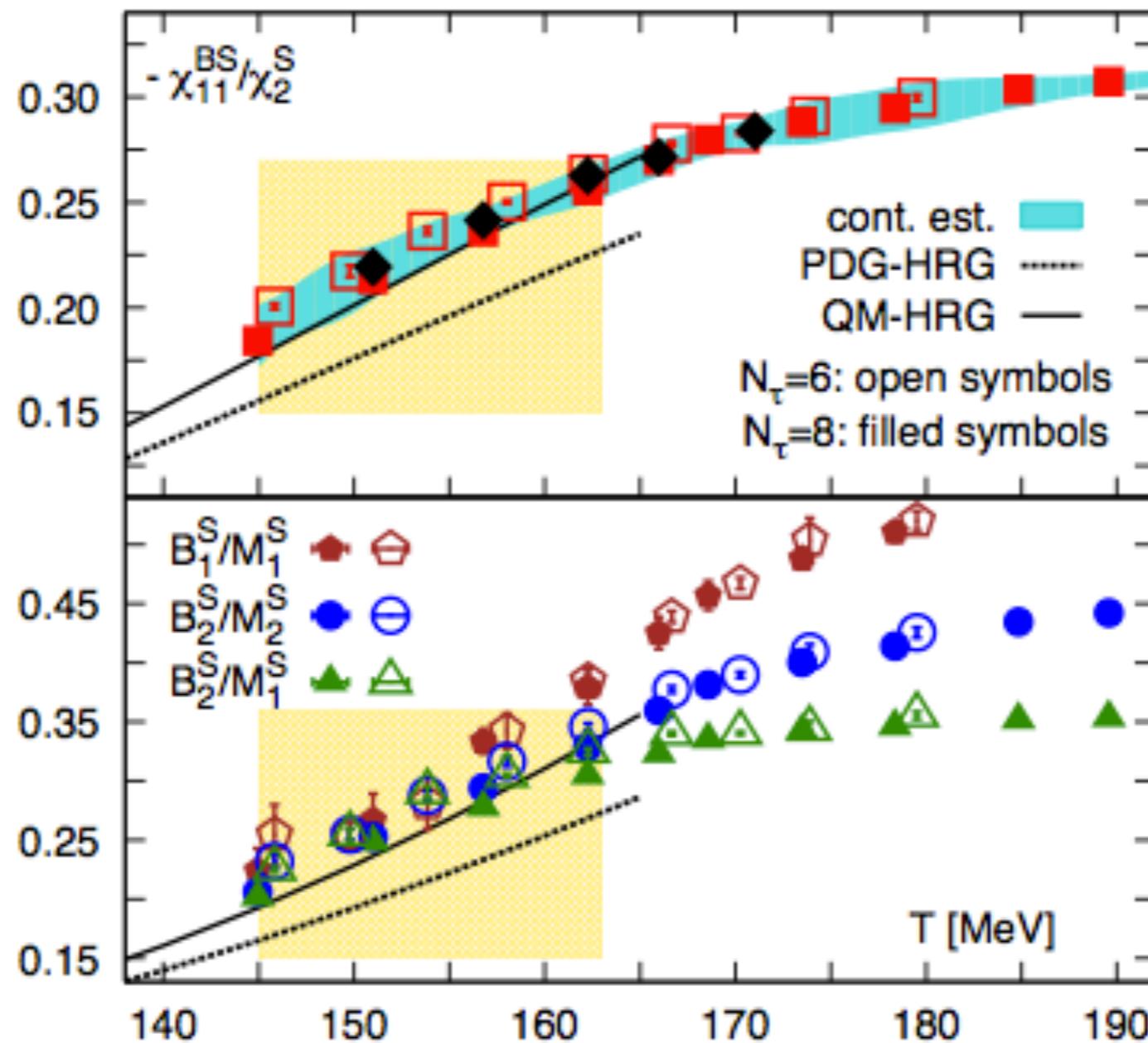


[1305.5161]

- The HRG is a very good approximation below  $T_c$ , but significant deviations at  $T_c$  are expected with increasing order of the moments due to remnants of the critical chiral behavior:  
 $\chi_6/\chi_2 < 0$  at  $T_c$  in Lattice QCD and  $\chi_6/\chi_2 = 1$  in HRG

# Missing strange resonances (Lattice QCD)

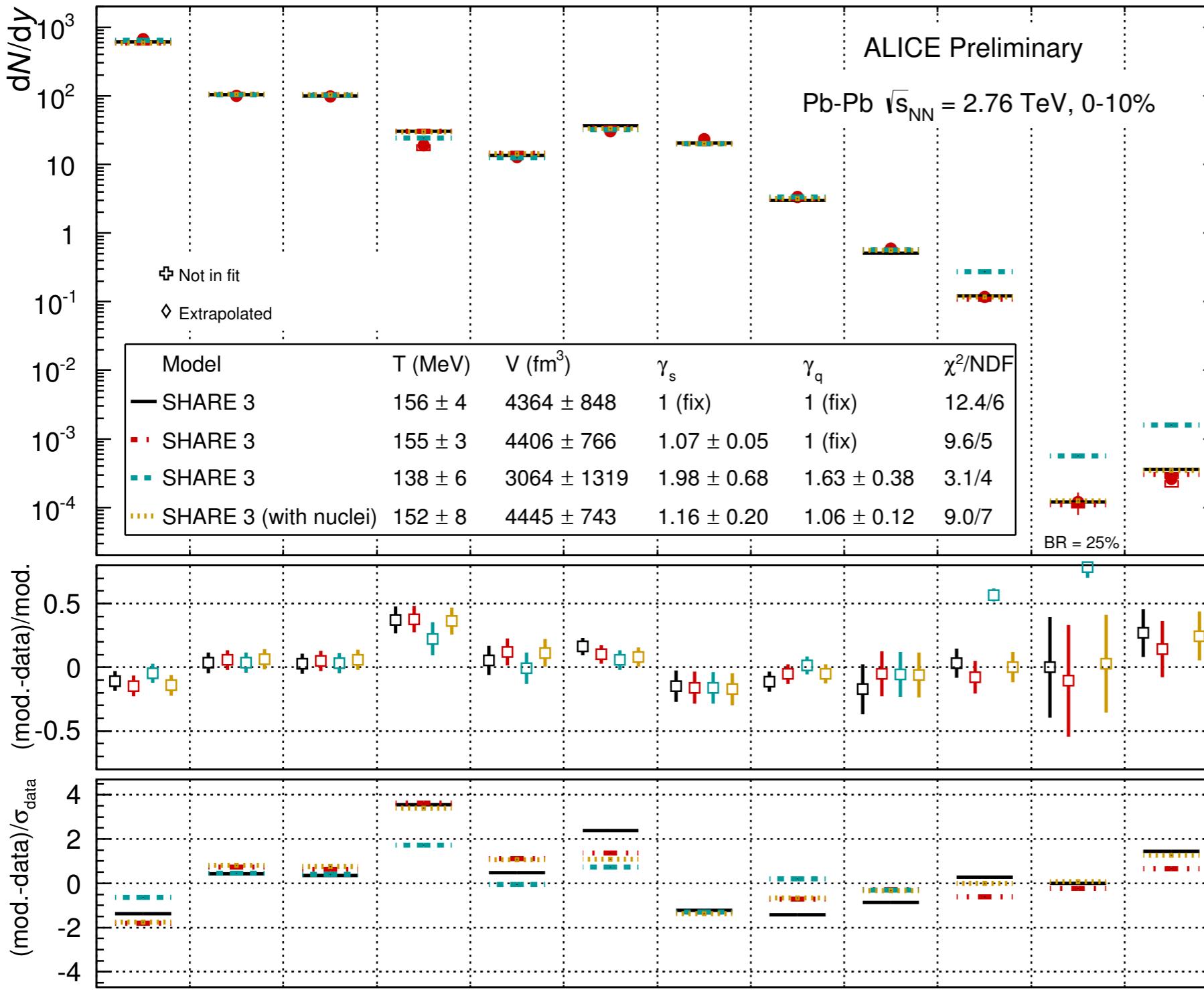
[1404.6511]



# Nuclei and non-equilibrium models

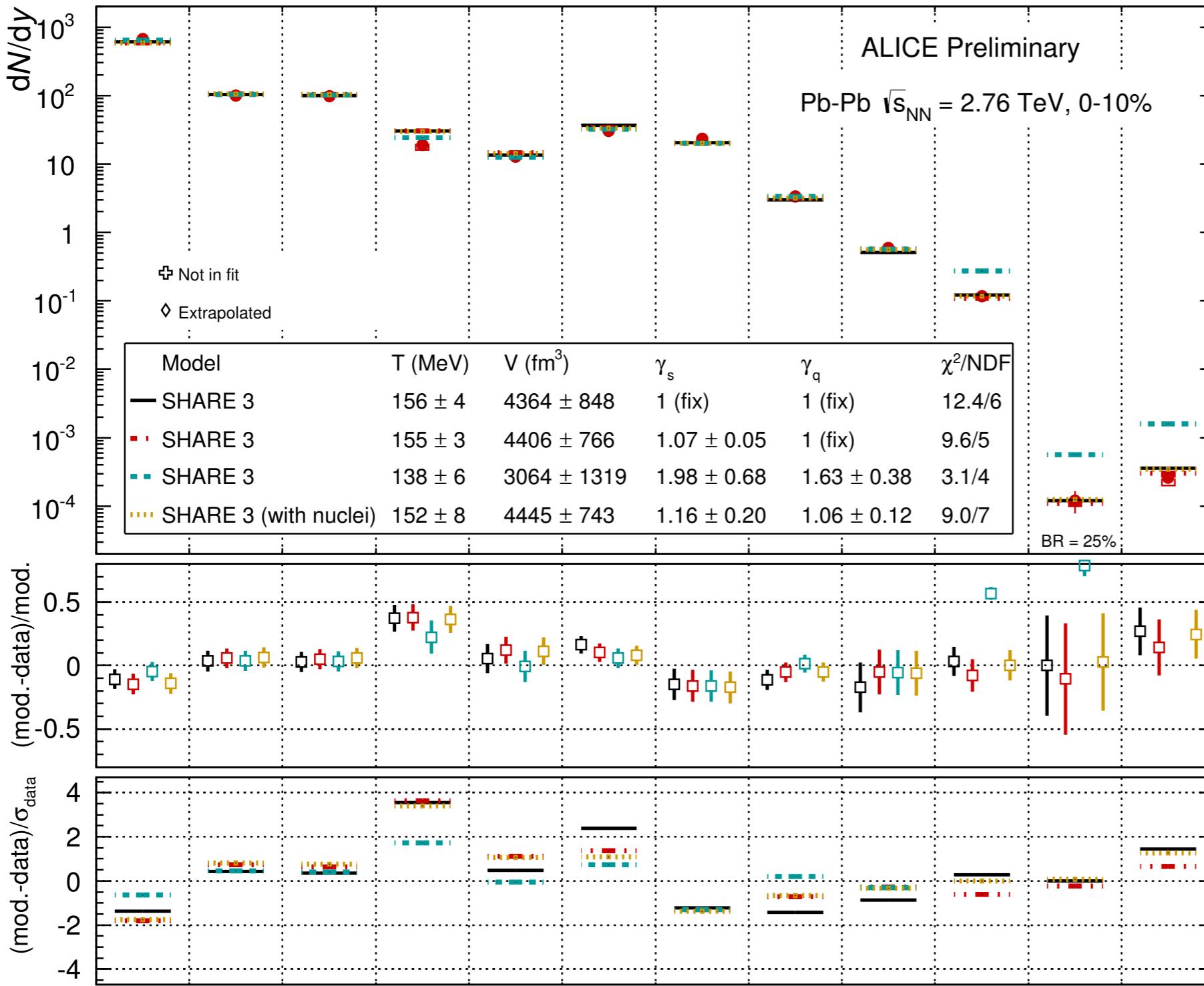
$\frac{\pi^+\pi^-}{2}$     $\frac{K^+K^-}{2}$     $K_S^0$     $\frac{K^*+\bar{K}^*}{2}$     $\phi$     $\frac{p+\bar{p}}{2}$     $\Lambda$     $\frac{\Xi^-\bar{\Xi}^+}{2}$     $\frac{\Omega^-+\bar{\Omega}^+}{2}$     $d$     $\frac{\Lambda^3H+\bar{\Lambda}^3H}{2}$     $^3He$

+ ◇



# Nuclei and non-equilibrium models

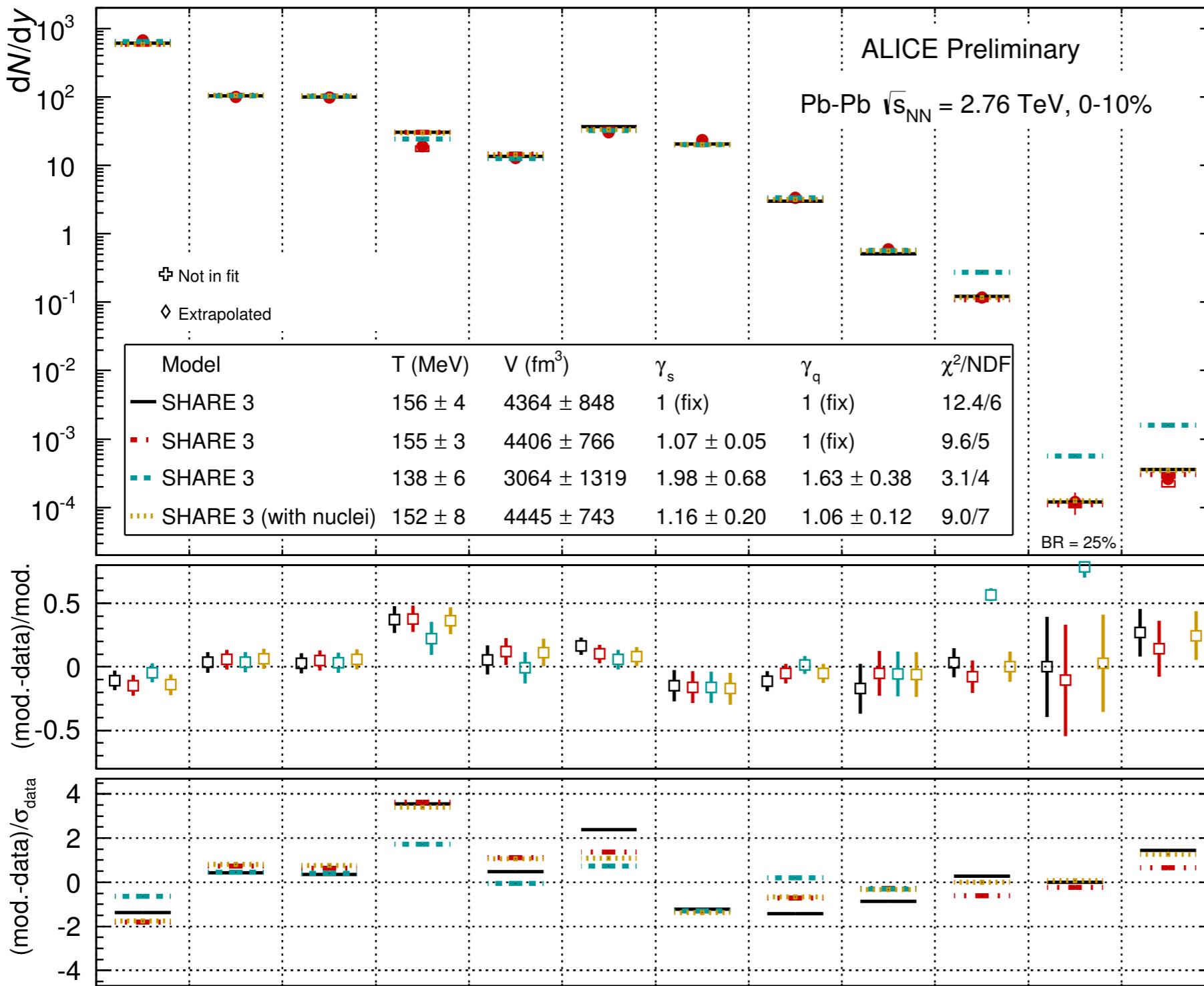
$\frac{\pi^+ + \pi^-}{2}$     $\frac{K^+ + K^-}{2}$     $K_S^0$     $\frac{K^* + \bar{K}^*}{2}$     $\phi$     $\frac{p + \bar{p}}{2}$     $\Lambda$     $\frac{\Xi^- + \bar{\Xi}^+}{2}$     $\frac{\Omega^- + \bar{\Omega}^+}{2}$     $d$     $\frac{\Lambda^0 + \bar{\Lambda}^0}{2}$     ${}^3\text{He}$   
 + ◇



SHARE performs a thermal fit in an equilibrium mode ( $\gamma_q = \gamma_s = 1$ ) or in a non-equilibrium mode ( $\gamma_q$  and  $\gamma_s$  free).

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 + ◇

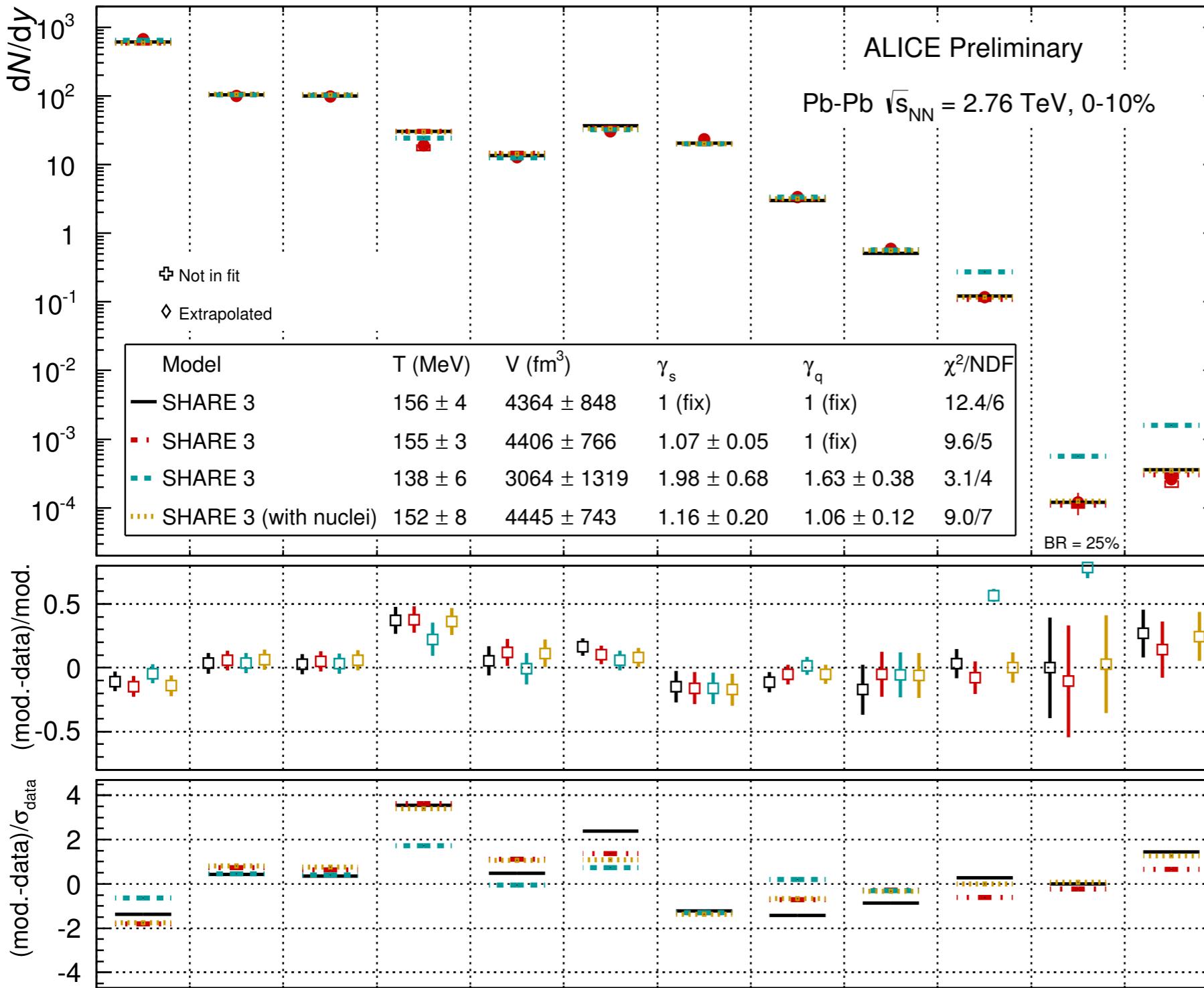


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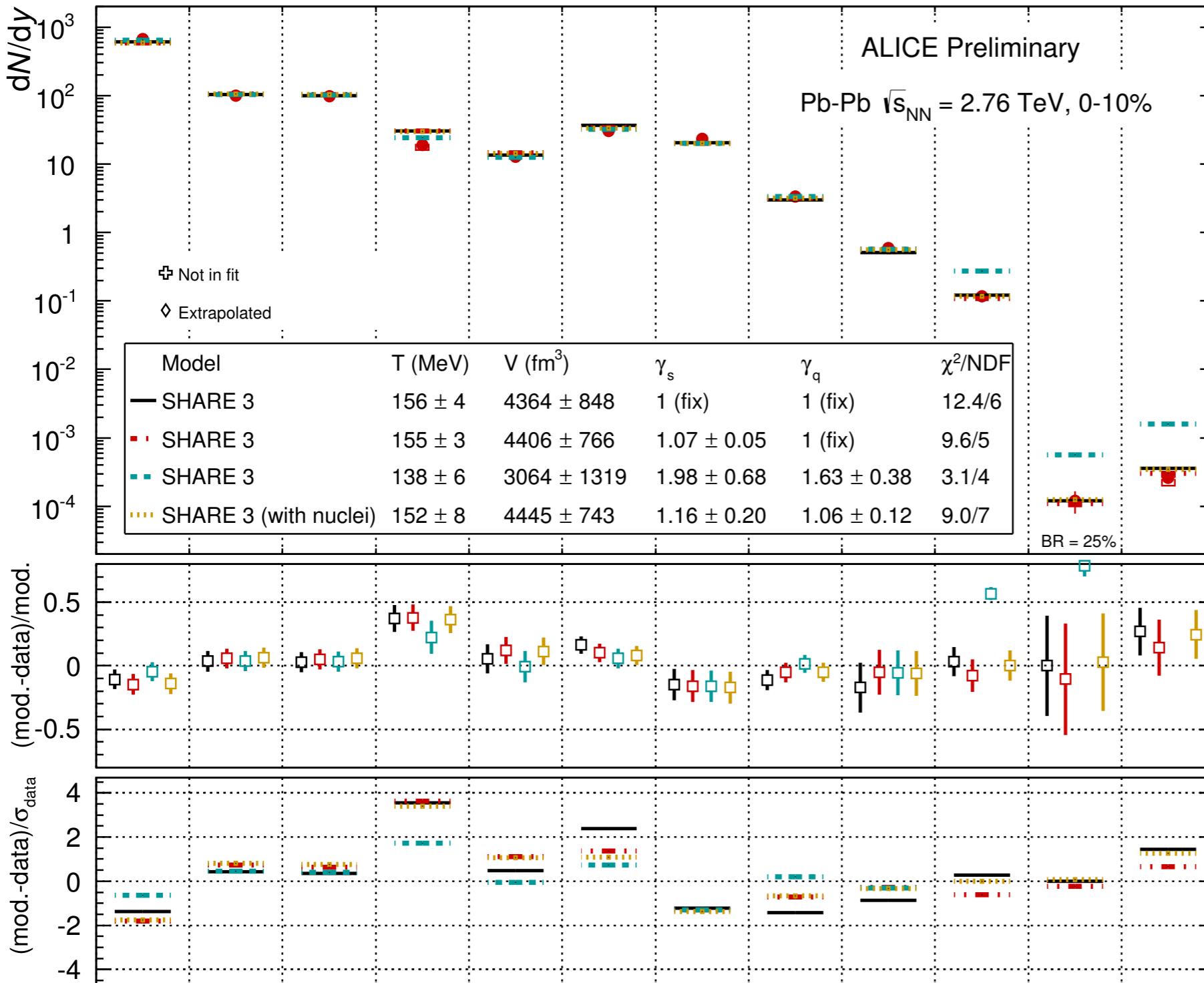
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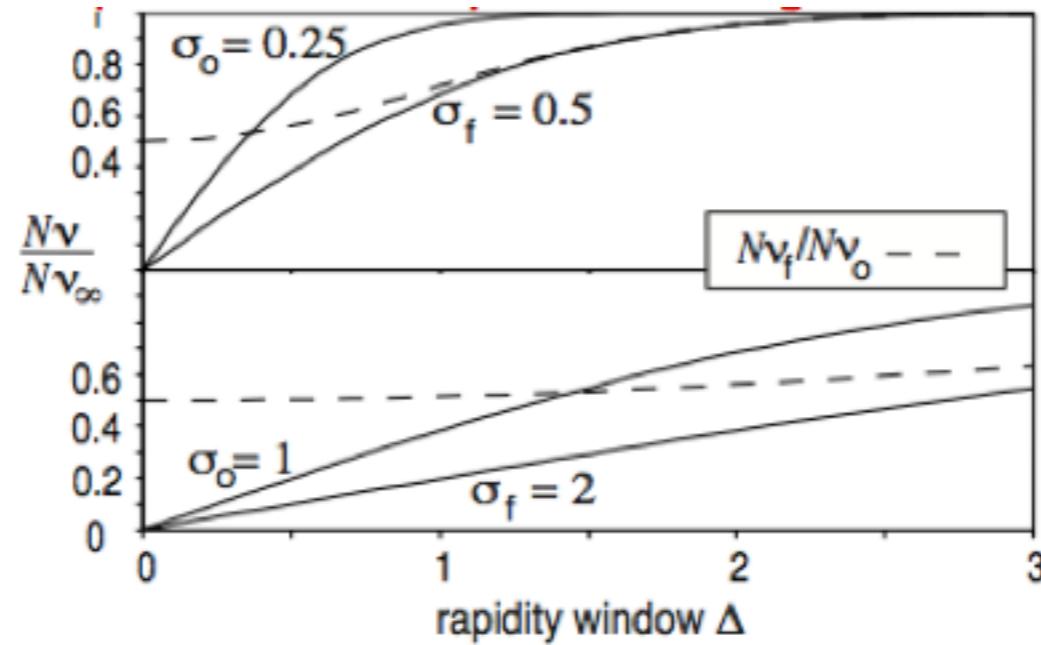


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Ratio indicates the decrease of fluctuations with increase of the width.  
 Diffusion has increased the width from  $\sigma_0 = 1$  to  $\sigma_f = 2$  (bottom) and  $\sigma_0 = 0.25$  to  $\sigma_f = 0.5$  (top).  
 $\sigma$  = width of fluctuations

$$\langle N_{ch} \rangle v = \langle N_{ch} \rangle v_\infty \operatorname{erf}\left(\frac{\Delta\eta}{\sigma\sqrt{8}}\right)$$

[M Aziz and S. Gavin, PRC 70, 034905 (2004)]