Energy calibration in FCC-ee based on polarization

I. Koop, BINP, Novosibirsk

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Outline

- Energy calibration concept
- Longitudinal Compton Backscattering Polarimeter
- Free precession frequency measurement approach
- Spin precession de-phasing rates
- Spin tracking results for various FCC-ee beam parameters
- Discussion
- Conclusion

Energy calibration concept

- 1. Production of polarized electrons from a laser photocathode.
- 2. Production of polarized positrons in a small energy damping ring (1-2 GeV), with polarization time in the order of 10 min (wigglers).
- 3. Acceleration of polarized beams via linac, SPS (?) and finally in the booster storage ring (100 km) using Siberian Snakes.
- 4. Injection of polarized bunches into the collider rings with the horizontal spin orientation and measuring turn by turn free precession frequency using the longitudinal Compton polarimeter.
- 5. Number of polarimeters should be large (4-12). Then one can measure the spin precession phase advances per every arc. This paves a way to validate the saw-tooth energy distribution model, constructed on the full data set, such as RF-voltage/ RF-phases, plus orbit data from BPMs, plus geodesy data, plus many other.

Energy calibration concept, cont.

- 6. Measuring the beam energy in several points (about 4-12), using the magnetic spectrometer, based on Compton scattering of a laser light on an electron beam (N. Muchnoi proposal).
- 7. Absolute calibration of such spectrometric system will be done by measurement of the spin precession phases per arc segments.
- 8. Spin coherence time depends strongly on the value of synchrotron modulation index: $\chi = \sigma_{\delta} v_0 / v_s \ (v_0 = \gamma a)$. It should be chosen not too large: acceptable is $\chi < 1.8 \ (v_s \approx 0.1-0.2 \text{ is required})$. Examples will be shown at several slides.
- 9. Resonance depolarization is not excluded, but did not work near integer resonances. In contrast, the free precession method works everywhere!
- 10. Shall measure, suppress and account spin resonances in a broad energy interval. Only after that can claim true energy value!

Spectrometer with laser calibration (suggestion)



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Compton scattering of a laser light



 $x = \omega / \omega max$

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Spin tracking oscillogram. 125 test-particles. E=45.5 GeV, σ_{δ} =0.0005, v_{s} =0.15, τ_{s} =1320 turns



E=45.5 GeV σ =0.0005 ν =0.15

Turn number

Loss of polarization degree due to de-phasing is small thanks to high enough v_s .

Spin precession spectrum. Number of turns 8192. E=45.5 GeV, v_0 =103.25, σ_8 =0.0005, v_s =0.15, χ =0.35





Fractional part of spin tune

 $\chi = \sigma_{\delta} v_0 / v_s = 0.35$ – synchrotron modulation index.

Spin tracking oscillogram. 125 test-particles. E=45.5 GeV, σ_{δ} =0.0005, v_{s} =0.035, τ_{s} =1320 turns





Turn number

Spin precession spectrum. Number of turns 8192. E=45.5 GeV, v_0 =103.25, σ_{δ} =0.0005, v_s =0.035, χ =1.48





Fractional part of spin tune

We want: $\chi < 1.7$. With $\chi > 1.7$ peaks will disappear!

Spin tracking oscillogram. 125 test-particles. E=80 GeV, $\sigma_8 = 0.001$, $v_s = 0.15$, $\tau_s = 243$ turns



Turn number

Spin precession spectrum. Number of turns 8192. E=80 GeV, v_0 =181.55, σ_{δ} =0.001, v_s =0.15, χ =1.21

E=80 GeV σ =0.001 ν =0.15 N=8192



Fractional part of spin tune

FFT amplitude, |F

Spin tracking oscillogram. 125 test-particles. E=80 GeV, σ_{δ} =0.001, v_{s} =0.10, τ_{s} =243 turns



E=80 GeV, σ =0.001, ν =0.1, τ =243 turns

Turn number

Fast de-phasing due to slow synchrotron motion!

Spin precession spectrum. Number of turns 8192. E=80 GeV, v_0 =181.55, σ_{δ} =0.001, v_s =0.10, χ =1.82



FFT amplitude, |F|

E=80 GeV σ =0.001 ν =0.1 N=8192

Fractional part of spin tune

Same results one gets with doubled both: energy spread and synchrotron tune.

Spin tracking oscillogram. 125 test-particles. E=120 GeV, σ_{δ} =0.001, v_s=0.20, τ_{s} =72 turns

0.5 Spin nx-component 50 100 150 200 250

E=120 GeV, σ =0.001, ν =0.2, τ =72 turns

Turn number

Fast de-phasing! Synchrotron modulation index is too high: $\chi = 1.36$.

Spin precession spectrum. Number of turns 8192. E=120 GeV, v_0 =272.325, σ_{δ} =0.001, v_s =0.20, χ =1.36





Fractional part of spin tune

Same results one gets with scaled both: energy spread and synchrotron tune.

Discussion

- Spin dephasing rate is governed by the synchrotron frequency modulation index χ . It should be low enough: $\chi < 1.7$ at least. Collision with the half-intensity bunch will reduce σ_{δ} , may help? Special polarization runs with high v_s , to calibrate the Compton based spectrometers!?
- VEPP-4 team performs just now the experiment "Pulsar" which, hope, will validate free spin precession technique.



Spin frequency modulation index, χ

Conclusion

- Free precession approach provides extremely fast method of spin frequency measurement.
- It is limited only by the energy spread averaging rate, provided by the synchrotron oscillations. This is expressed via synchrotron modulation index. It should not exceed a factor x < 1.7 or lower. This, in general, leads to choice of high synchrotron tunes.
- FCCee-CW parameters do not satisfy this requirement: v_s≈ 0.015-0.05. So, special calibration runs with high v_s are needed from time to time, then calibrated Compton magnetic spectrometers shall continuously monitor beam energy during normal runs.

Plans for future work

- Incorporate into the ring the 90⁰ spin rotator insertions for experiments with longitudinally polarized beams at Zpeak. Required additional space could be shared with RF.
- Make numerical simulations of the saw-tooth energy model reconstruction code.
- Develop/understand the acceleration chain for polarized beams.
- Simulate tools for suppression of spin resonances.
- Consider technical aspects of Compton polarimeter and Compton magnetic spectrometer. Combine them in one?
- Think on resonance depolarization technique, as an alternative to free spin precession method.
- There are more experts at BINP for these tasks!
 Polarization is our specialty since 70-th!