



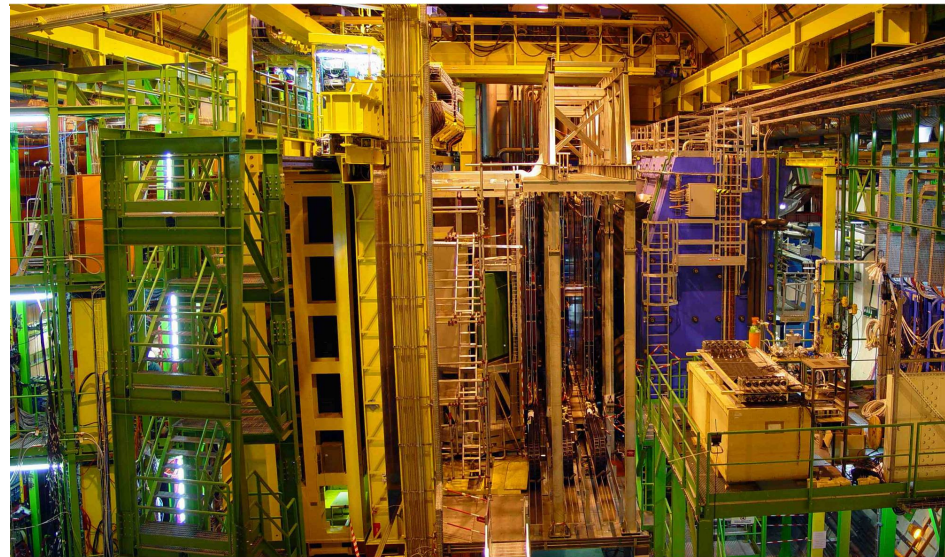
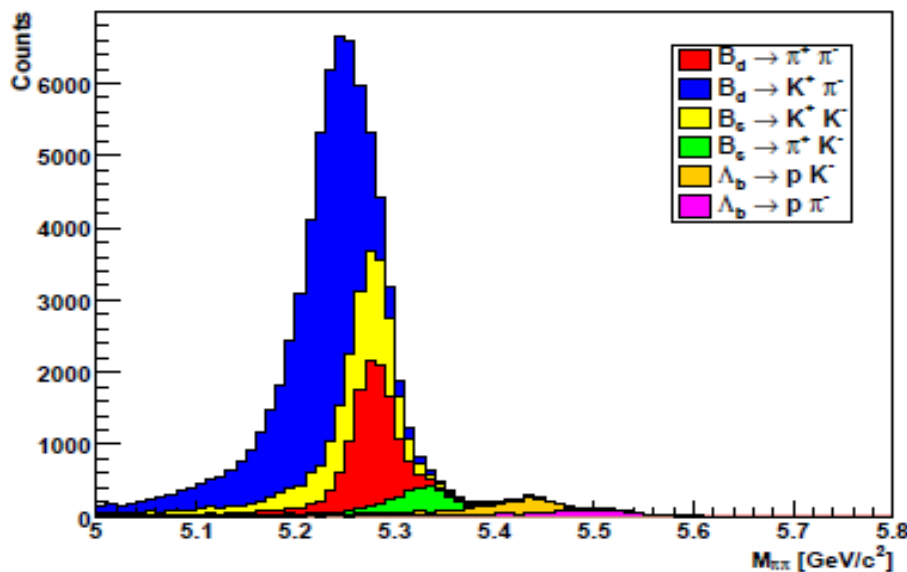
Two-Body Charmless Hadronic B Decays at LHCb

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IOP HEPP Group Meeting
6th April 2009

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Overview

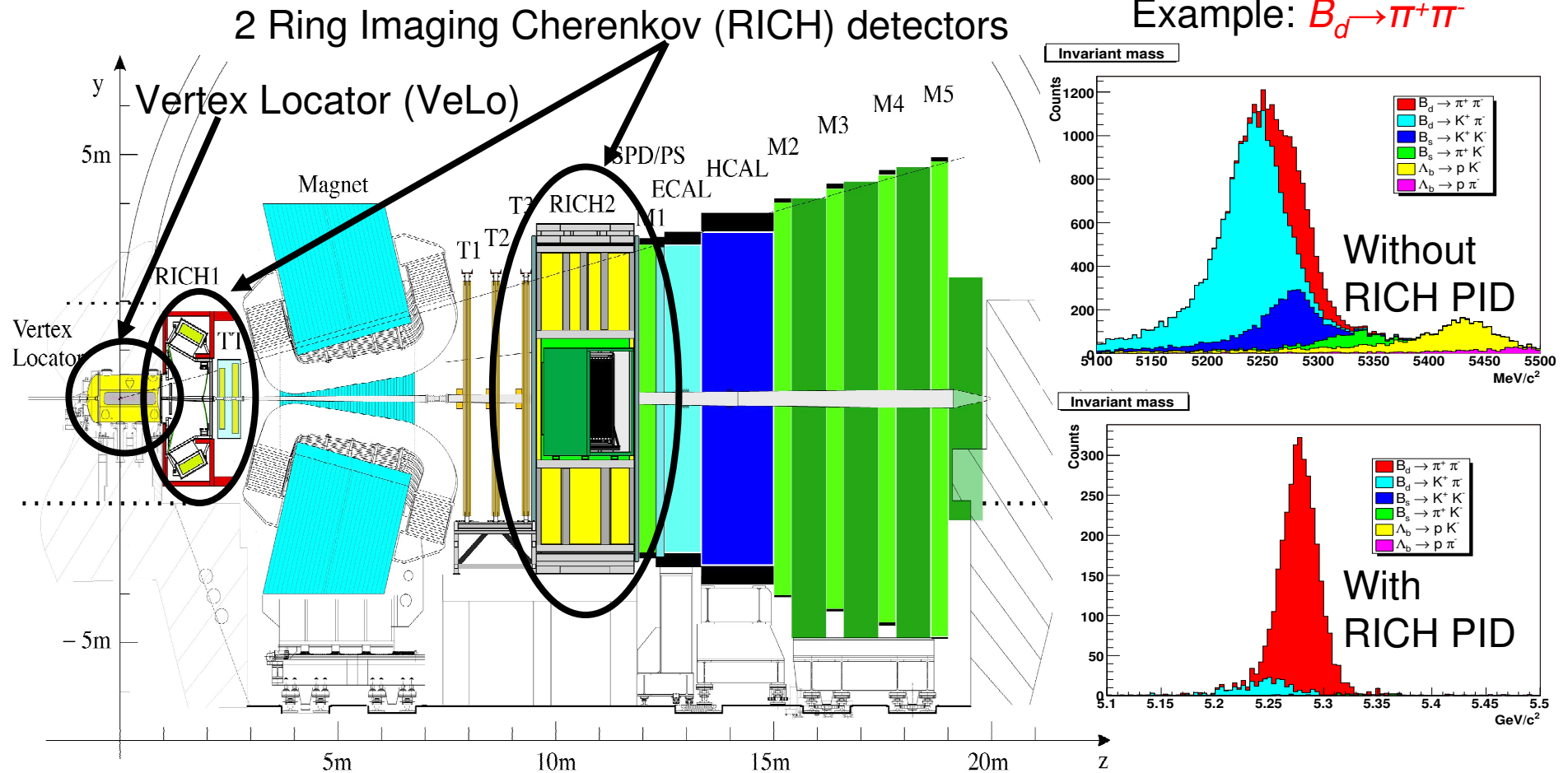
- What are two-body hadronic B decays good for?
 - Measurement of CKM angle γ
 - Discovery of rare baryonic modes
- What LHCb needs to study such decays
 - Proper time resolution calibration for γ measurement
 - Selection for rare decay $B_d \rightarrow p \bar{p}$



The LHCb Experiment

- Dedicated B physics experiment at the LHC
- Well suited to study two-body hadronic (a.k.a. $B \rightarrow h^+ h^-$) decays

Example: $B_d \rightarrow \pi^+ \pi^-$



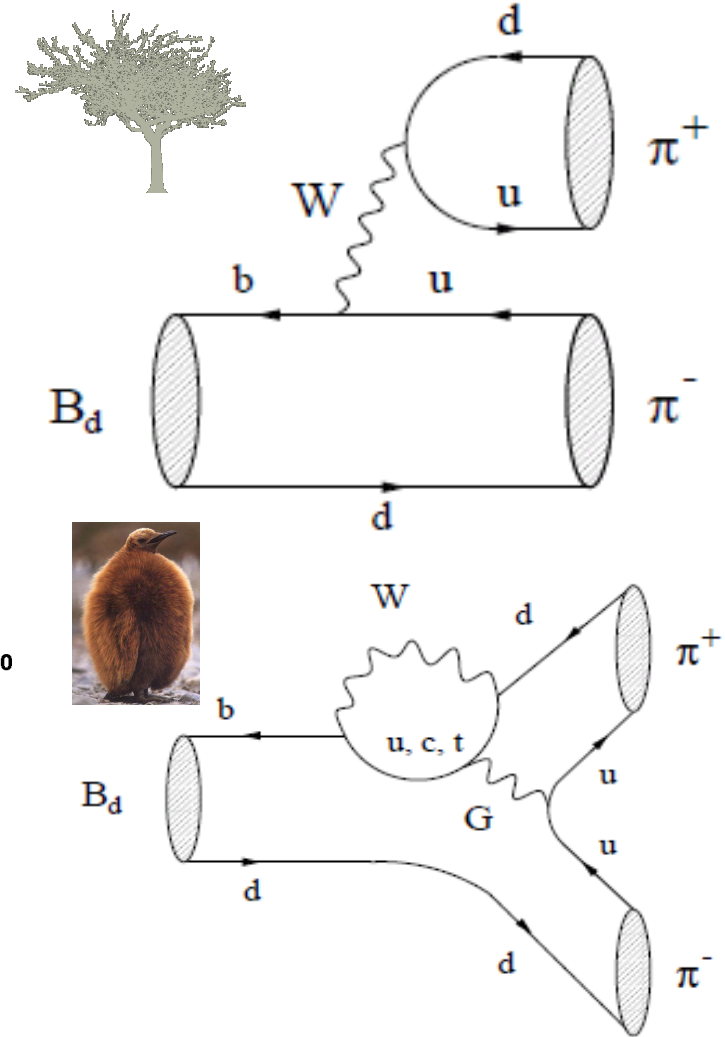
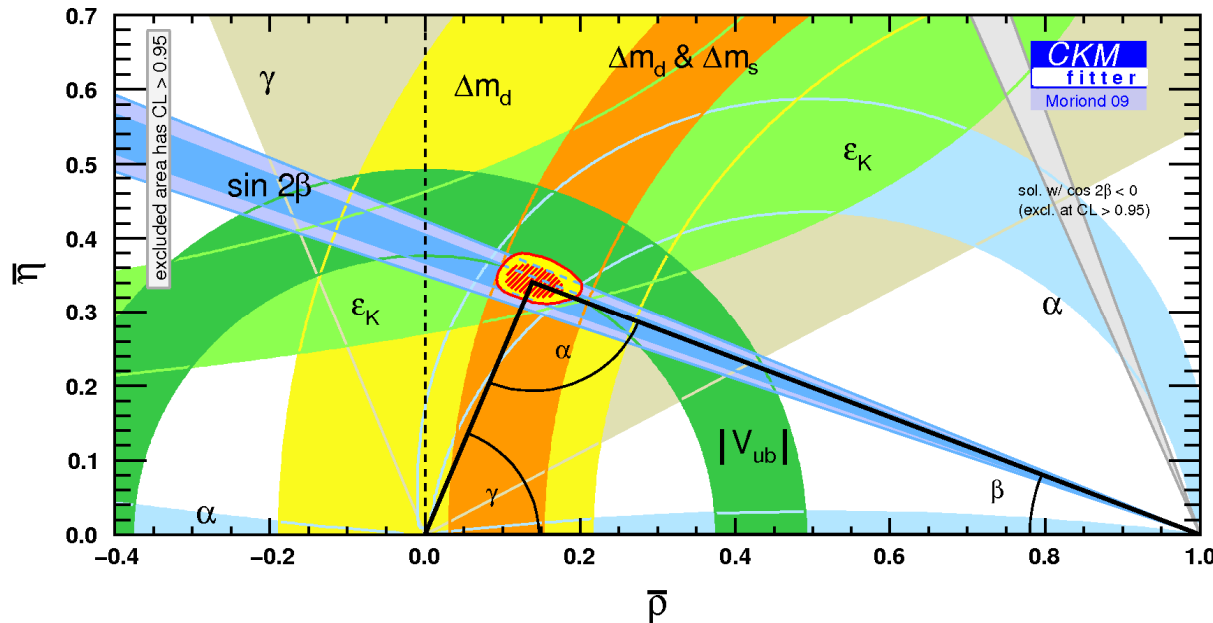
Full details in public LHCb note 2008-060

Proper Time Resolution Calibration

Measuring γ

- γ easily the least well-constrained CKM parameter:

- Direct measurements give $\gamma = (70_{-30}^{+27})^\circ$

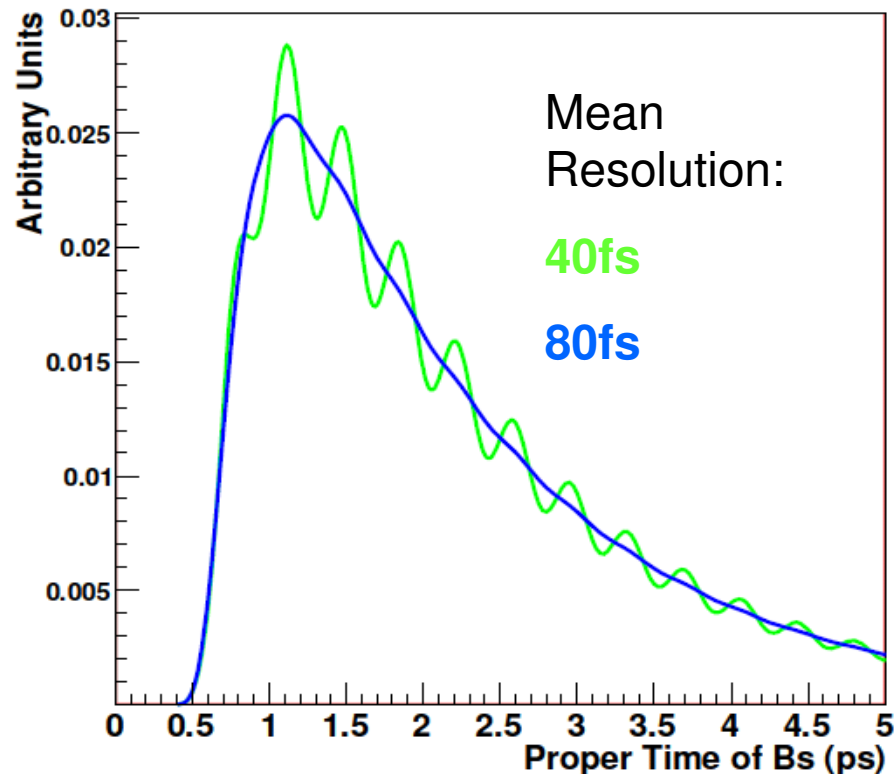


- One method^(*) of measuring γ uses the time-dependent CP asymmetries (direct and indirect) from $B_d \rightarrow \pi^+ \pi^-$ and $B_s \rightarrow K^+ K^-$
 - Compare with tree-only decays (e.g. $B \rightarrow DK$)

(*) First proposed by R. Fleischer, Phys. Lett. B459, 306 (1999)

Proper Time Resolution Model

- Fast B_s oscillations mean that the reconstructed proper time (τ_{rec}) distribution for B_s channels is dependent on detector proper time resolution.
- τ_{rec} distribution for flavour-specific final state (e.g. $B_s \rightarrow K^- \pi^+$) will not depend on the CP asymmetry. But for a CP eigenstate (e.g. $B_s \rightarrow K^- K^+$) it will depend on CP asymmetries (direct and indirect).



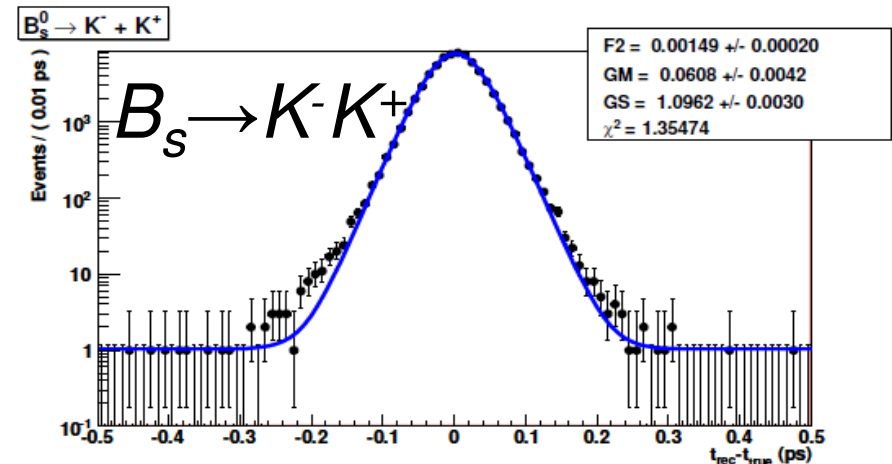
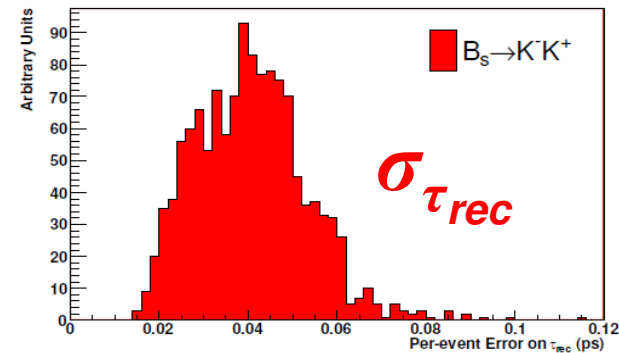
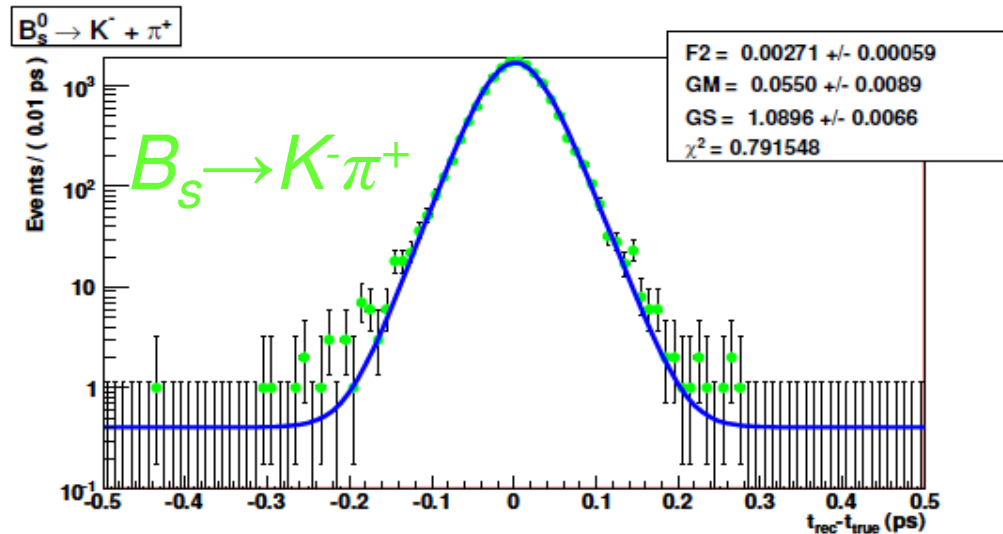
- Hence incorrect proper time resolution model can bias extraction of γ .
- Resolution model used has the form (where $\Delta\tau \equiv \tau_{\text{rec}} - \tau_{\text{true}}$):

$$R(\Delta\tau) = (1-F) \cdot e^{-\frac{1}{2} \left(\frac{\Delta\tau - M}{S} \right)^2} + F \cdot e^{-\frac{1}{2} \left(\frac{\Delta\tau}{S_{\text{fixed}}} \right)^2}$$

↑ Main Gaussian ↑ Secondary Gaussian

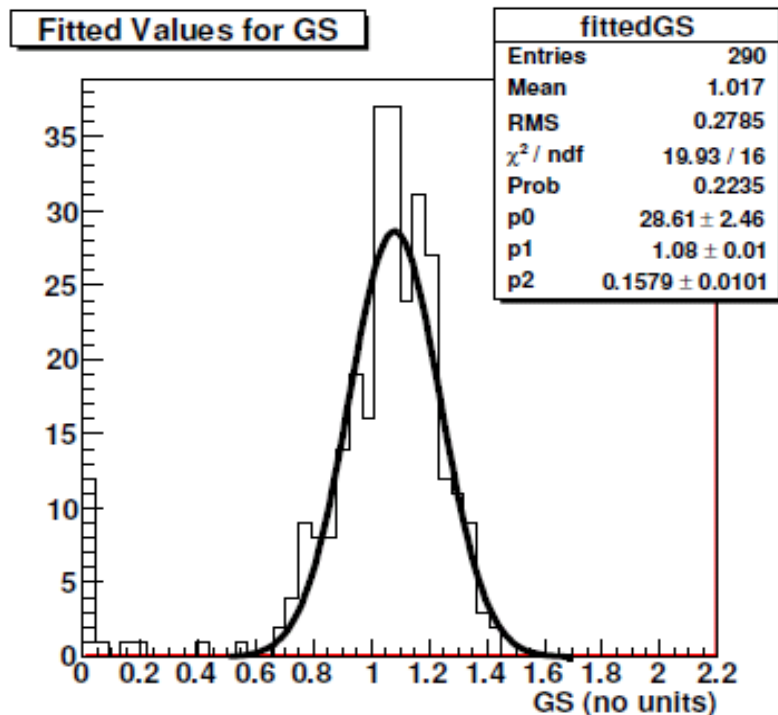
Validation of Resolution Model

- Model validated by fitting to $\Delta\tau$ distribution for simulated $B \rightarrow h^+ h^-$ events.
- Parameters M and S are calculated event-by-event, using $M \equiv GM \cdot \sigma_{\tau_{rec}}$ and $S \equiv GS \cdot \sigma_{\tau_{rec}}$ ($\sigma_{\tau_{rec}}$ is per-event error).
 - GM (GS) is effectively the pull mean (width) of the τ_{rec} calculation.
- Values of GS , GM and $F2$ are found that allow $R(\Delta\tau)$ to accurately describe the $\Delta\tau$ distribution in each channel. Values across channels are consistent.



Fit for Parameters from Data

- Extract parameters from fit to τ_{rec} of $B_s \rightarrow K^- \pi^+$, then apply to $B_s \rightarrow K^- K^+$.
- Build toy τ_{rec} distribution for $B_s \rightarrow K^- \pi^+$
 - Use resolution model found from fit to (full MC) $\Delta\tau$ distribution.
 - Physics parameters (like τ_{B_s}) and mistag rate are assumed to have been measured from other channels.
 - Add background: combinatoric bkg (dominant), and specific bkg from $B_d \rightarrow K^+ \pi^-$.
- Each toy job contains 20k events (6k signal)
 - Corresponds to 2fb^{-1} of data



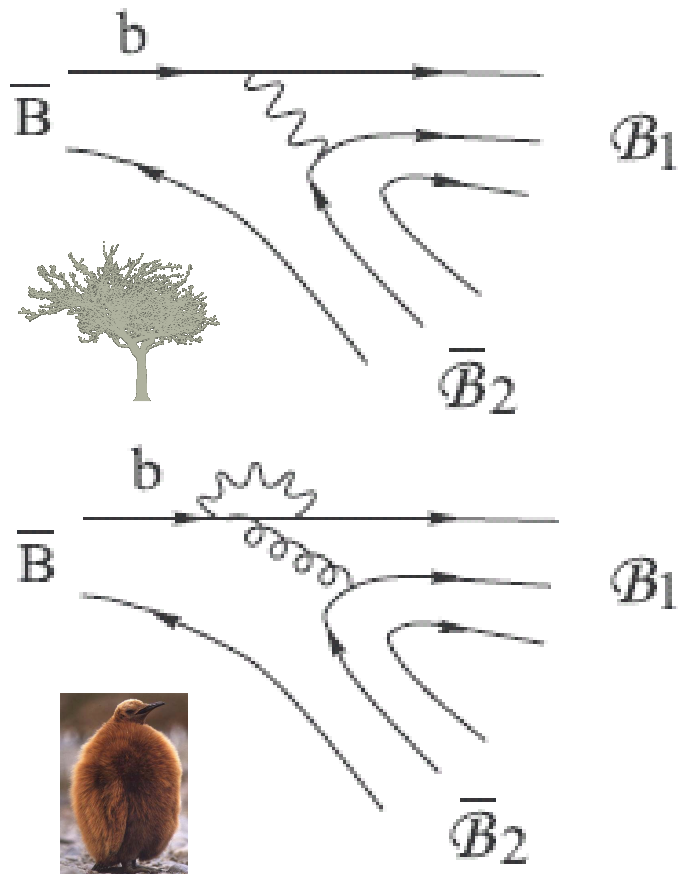
- Input values recovered without significant biases, and pull widths all compatible with 1.
- The sensitivities are such that from 2fb^{-1} onwards the fit can start to give non-trivial input into the analysis of $B_s \rightarrow K^- K^+$, and hence the γ measurement.

Full details in public LHCb note 2009-006

Search for $B_d \rightarrow p\bar{p}$

Two-Body Baryonic B Decays

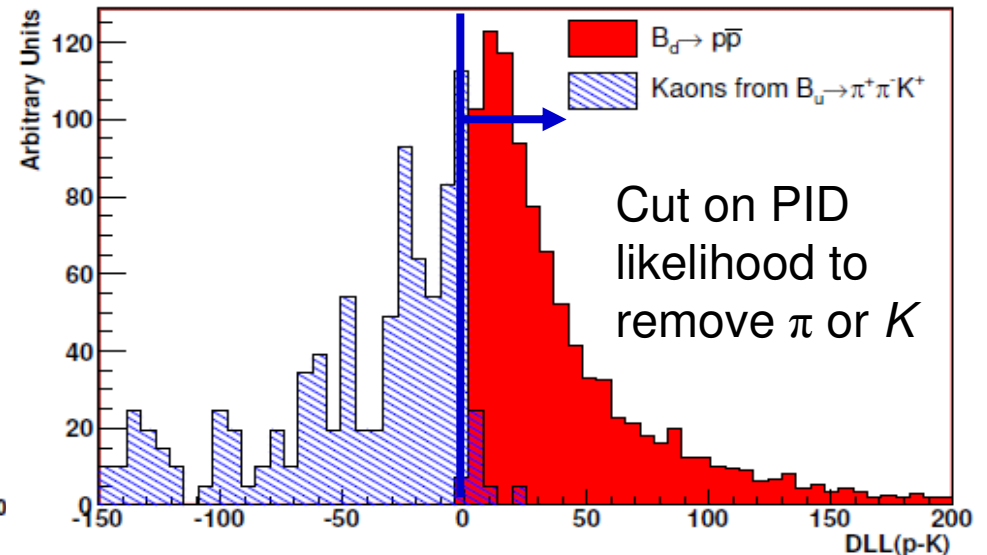
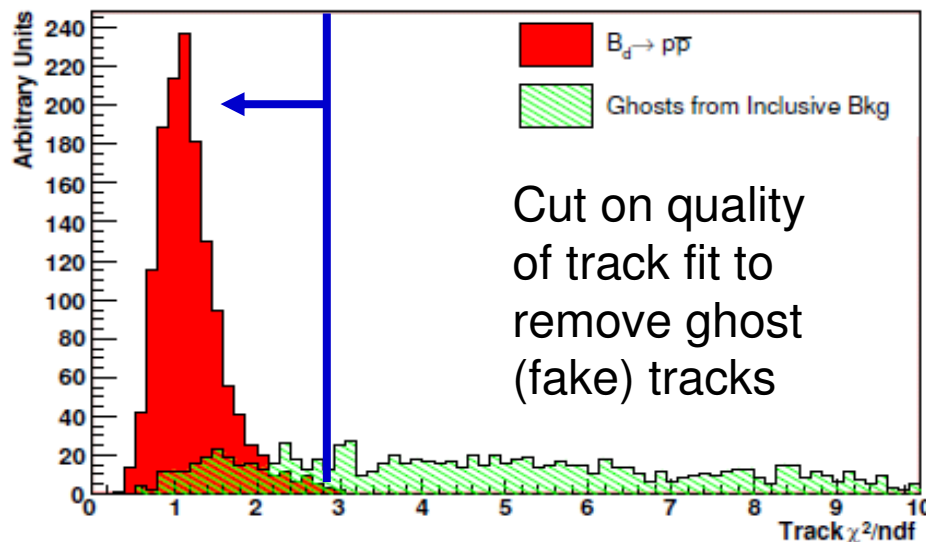
- No decay of a B to two charmless baryons has yet been observed.
 - Several possibilities exist ($p, n, \Lambda, \Sigma \dots$)
- Theoretical predictions for SM branching ratios (B.R.s) vary widely
 - No agreement between different methods, even in order of magnitude



- Most promising channel for LHCb is $B_d \rightarrow p \bar{p}$
 - Commonality with benchmark $B \rightarrow h^+ h^-$ ($h = \pi, K$) modes
 - PID can reduce combinatorial and specific backgrounds
 - Experiment: B.R. $< 1.1 \cdot 10^{-7}$ (dominated by Belle)
 - Other possibilities for LHCb include $B_s \rightarrow p \bar{p}$ and $B_u \rightarrow p \bar{\Lambda}$.

$B_{d^{\pm}} \rightarrow p\bar{p}$ Selection

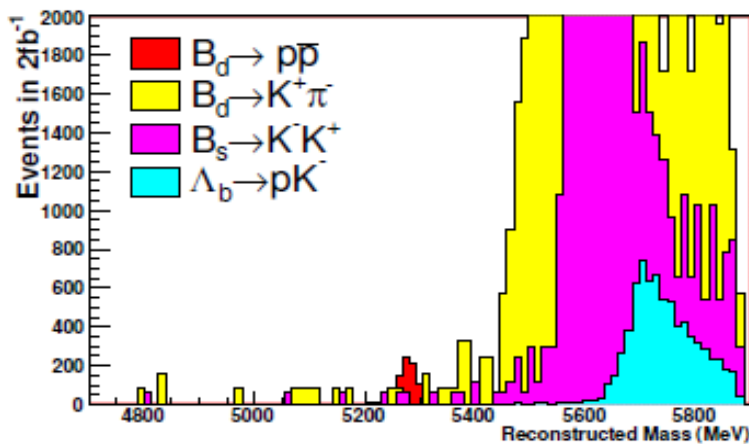
- Starting point for selection is that used for standard $B \rightarrow h^+h^-$ modes
 - Geometrical cuts (impact parameter significance, flight distance)
 - Kinematic cuts (transverse momentum, invariant mass)
- Extra cuts added to further reduce background



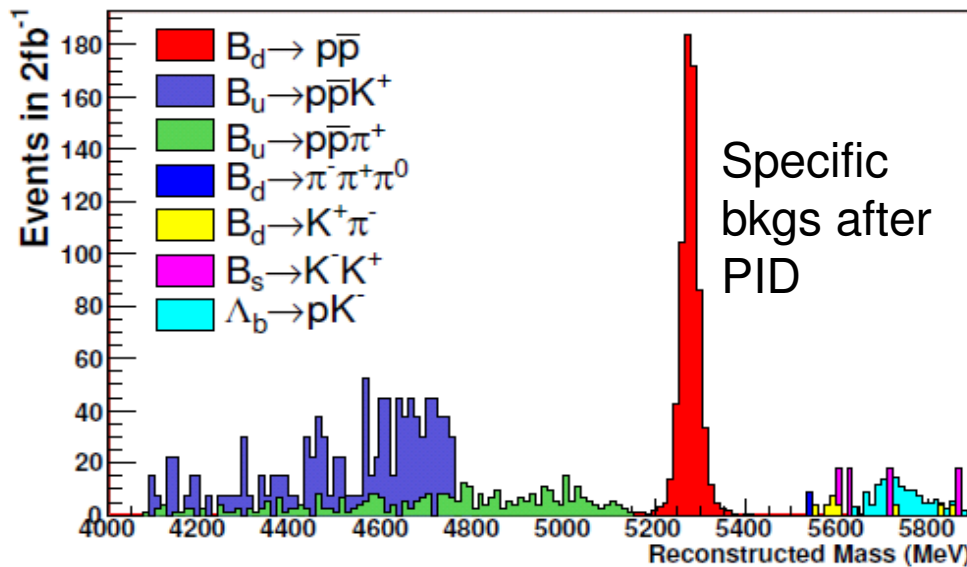
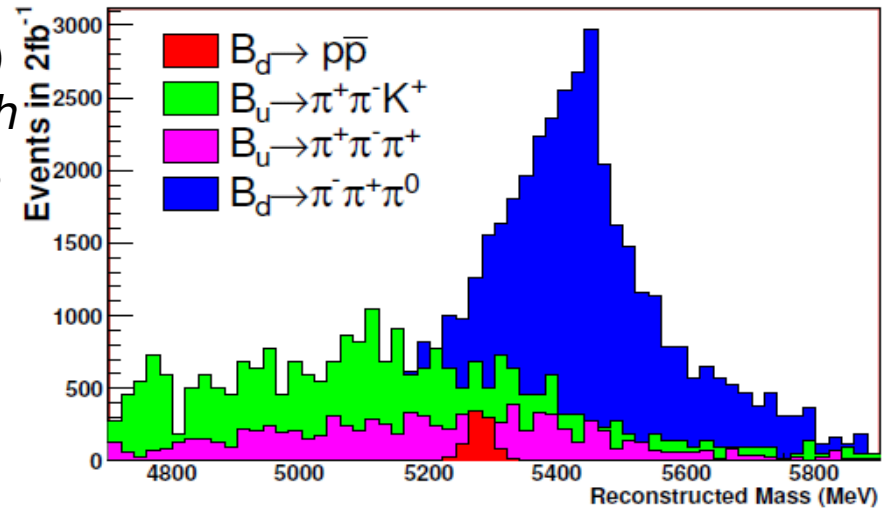
- Overall efficiency of selection on signal = **9.8%**

Backgrounds to $B_{d^-} \rightarrow p\bar{p}$

- Combinatorial background killed by geometrical and kinematic cuts
- Specific background killed by mass and PID cuts



$B \rightarrow hh$ (left)
and $B \rightarrow hhh$
(right) bkg
before PID



Specific
bkg
after
PID

In signal mass region ($m_{B_{d^-}} \pm 50 \text{ MeV}$),
no background events (combinatorial
or specific) survive selection.

- Allows upper limit on selection
“efficiency” for backgrounds to be set
using Feldman-Cousins method.

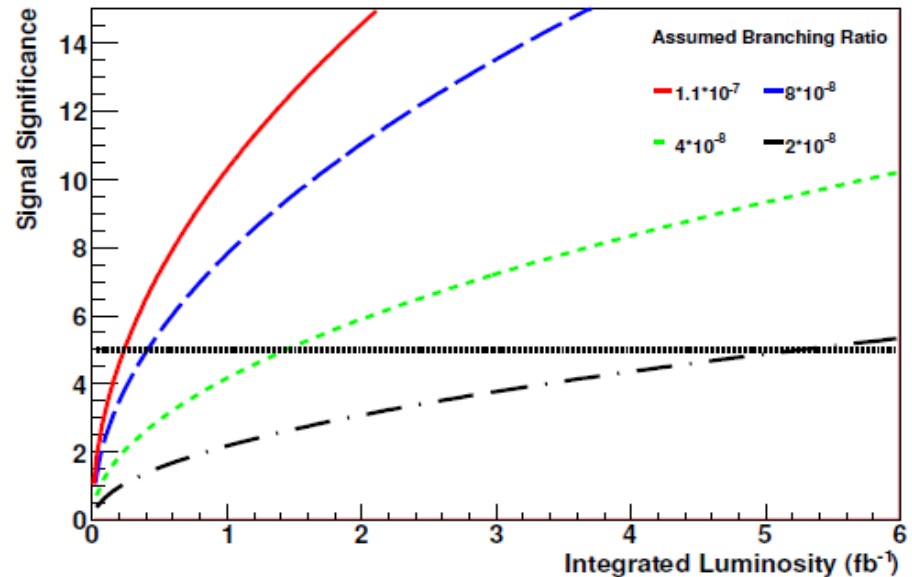
Yields & Sensitivity

- Signal and background yields given by:

$$Yield = \epsilon_{sel} * \epsilon_{geo} * \epsilon_{trig / sel} * 2 * f_B * BR * \sigma_{b\bar{b}} * \int L$$

Selection eff. LHCb acceptance (~20% for $B \rightarrow hh$) Trigger eff. (~36%) b and \bar{b} produced Hadronisation probability Branching ratio $\sim 500 \mu\text{b}$ Integrated luminosity

(assuming $BR=1.1 \cdot 10^{-7}$)	2fb^{-1} Yield	B/S
$B_{d^*} \rightarrow p\bar{p}$	678	
$B \rightarrow hh$ bkg	<33	<0.05
$B \rightarrow hhh$ bkg	<272	<0.40
Inclusive $b\bar{b}$ bkg	<1 188	<1.75
Total bkg	<1 493	<2.20



- If $BR(B_{d^*} \rightarrow p\bar{p}) \approx$ current expt limit, discovery with 0.24fb^{-1} (in 2009/10 run).
- BR measured by normalising to $BR(B_{d^*} \rightarrow K^+\pi)$, which is already well known.

Conclusions

Two-body hadronic B decays offer exciting opportunities for LHCb:

- γ measurement with $B_d \rightarrow \pi^+ \pi^-$ and $B_s \rightarrow K^- K^+$
 - Need calibration of $B_s \rightarrow K^- K^+$ proper time resolution model to avoid bias on γ .
 - Calibration method developed using $B_s \rightarrow K^- \pi^+$ as control channel.
- Discovery of new baryonic modes
 - Selection developed for $B_d \rightarrow p \bar{p}$.
 - Can be observed in 2009/10 run if branching ratio is near current experimental limit.
 - Observation of $B_s \rightarrow p \bar{p}$ and $B_u \rightarrow p \bar{\Lambda}$ may be possible with more data.