



A Search for ppp -SRC

at EG2



Erez. O. Cohen

E. Piassetzky

M. Strikman

O. Hen

M. Duer

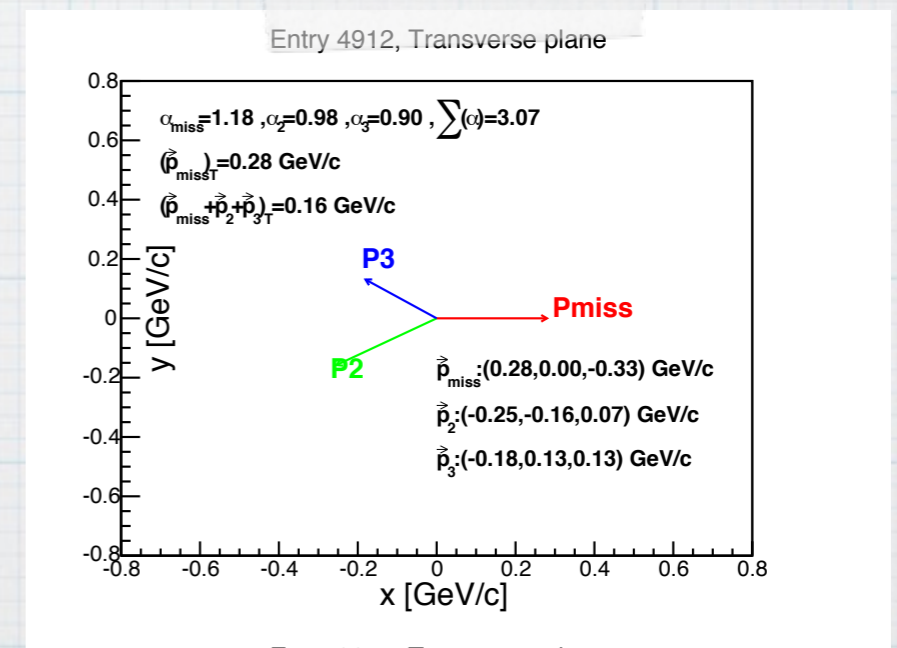
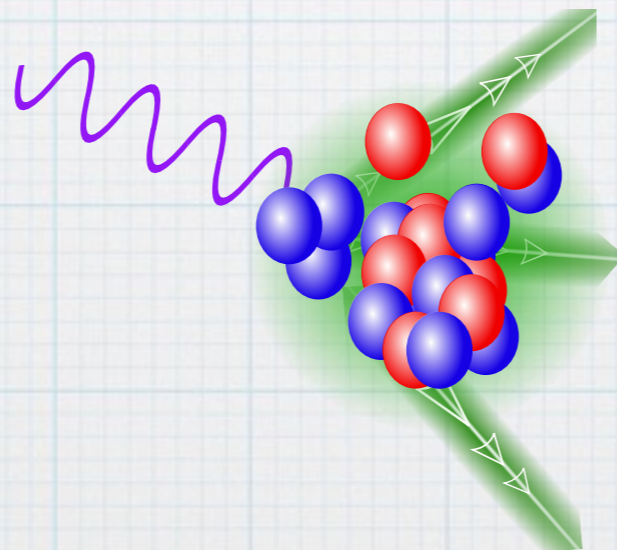
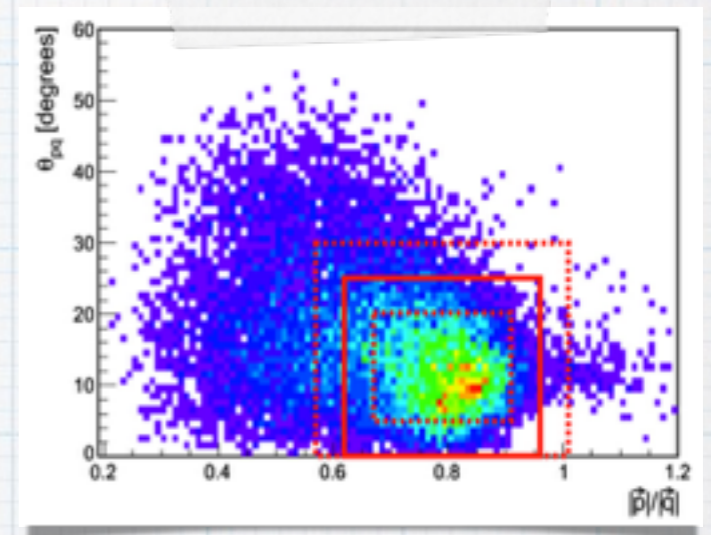
I. Korover

Tel Aviv University

Int. Workshop on Exp. and Theo. topics in CLAS Data-Mining
Buffalo (NY), July-28, 2015

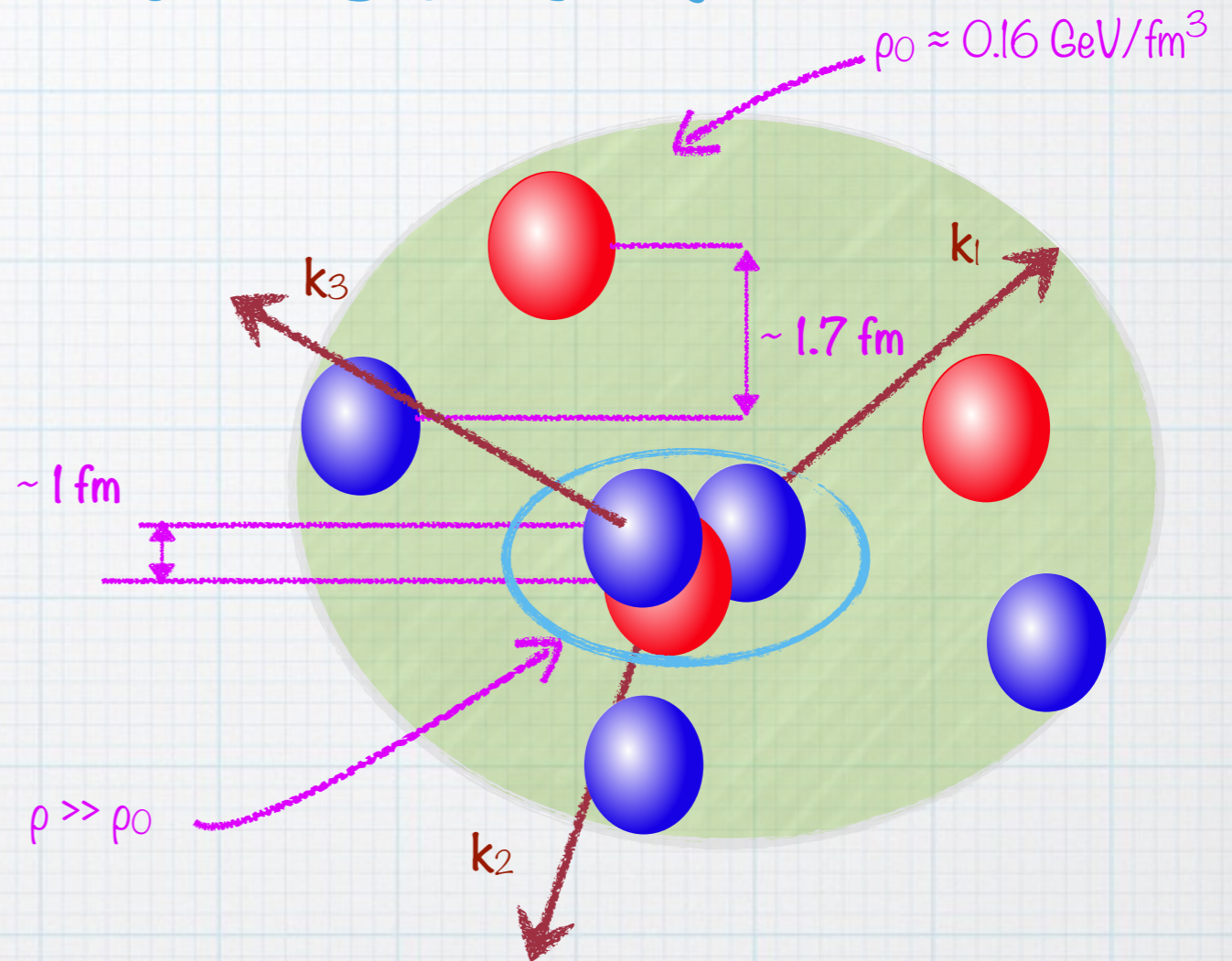
Outline

- * What is **3N-SRC**?
- * Motivation, and estimating the expected number of ppp-SRC events.
- * Search strategy
- * **Event selection**
- * **Results**
- * **Consequences**
- * **Future plans**



What is 3N-SRC ?

- * Large relative & small c.m. momentum (w.r.t Fermi)

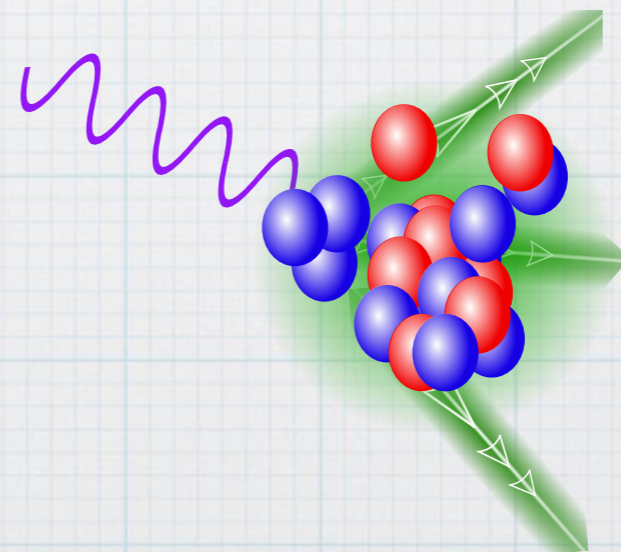


$$|\vec{k}_1 + \vec{k}_2 + \vec{k}_3| < k_F$$

$$|\vec{k}_1|, |\vec{k}_2|, |\vec{k}_3| > k_F$$

Motivation

- * We know Isospin and topological structure of $2N$ -SRC.
- * Nothing is known experimentally on $3N$ -SRC



3N-SRC ?

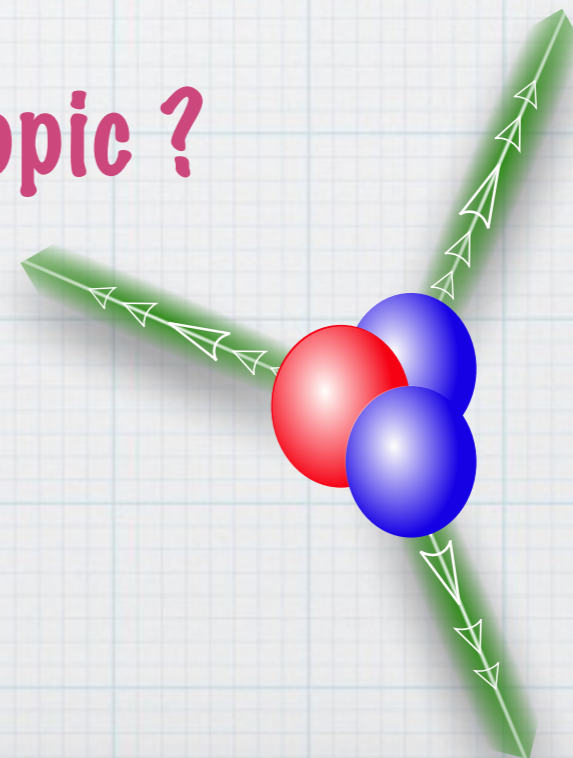
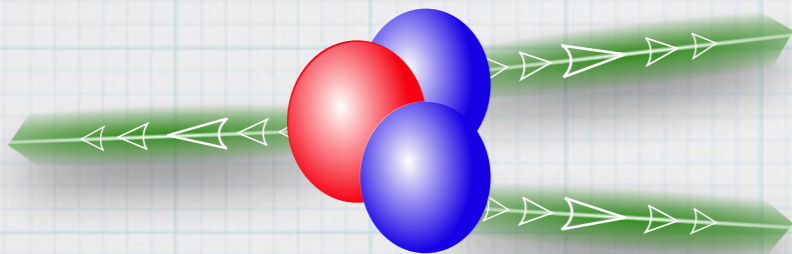
* Is there 3N-SRC? If so, how many?

* Isospin structure:

fraction of nnn / ppp / nnp / npp ?

* Geometry

Co-linear / Isotropic ?



Estimate the expected fraction of 3N-SRC events ?

$\sigma(\text{np-SRC})$
 $\sigma(\text{e,e}'p \text{ with large } p_{\text{miss}})$

~ 96±22%

$\sigma(\text{np-SRC})$
 $\sigma(\text{p,p}'p \text{ with large } p_{\text{miss}})$

~ 92±18%

$\sigma(\text{pp-SRC})$
 $\sigma(\text{e,e}'p \text{ with large } p_{\text{miss}})$

~ 9.5±2%



$\sigma(\text{2N-SRC})$
 $\sigma(\text{e,e}'p \text{ with large } p_{\text{miss}})$

> 80%



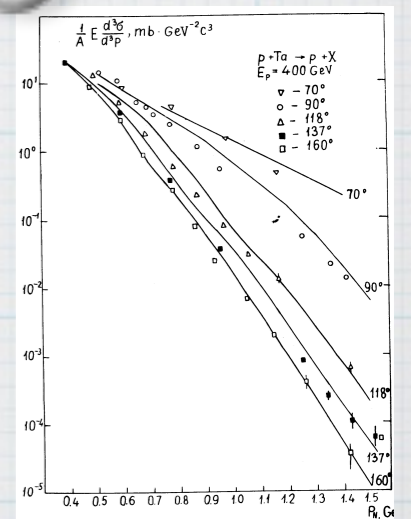
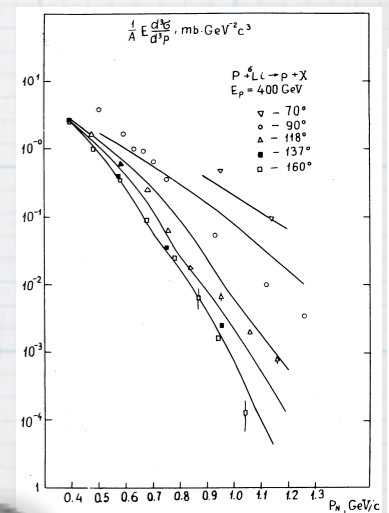
$\sigma(\text{3N-SRC})$
 $\sigma(\text{e,e}'p \text{ with large } p_{\text{miss}})$

< 20%

$\sigma(\text{3N-SRC})$
 $\sigma(\text{e,e}'p \text{ with large } p_{\text{miss}})$

~ 0.15-0.2

[M. Strikman
 priv. com. based
 on Phys.Rept. 76
 (1981) 215-347]



Search Strategy

- * Consider $^{12}\text{C}(e,e'p)X$ events with $X_B > 1.2$ as was done for **pp-SRC** search, and use kinematics and cuts which **maximize SRC** effect to
 - **Identify ppp-SRC** candidate events, and characterize them.
 - **Constrain** the relative probability of **ppp-SRC** to **3N-SRC**.



(e,e'p) SRC events

selection



Kinematics

Q: What is the impact of loosening the cut on recoiling momenta?

- $X_B > 1.2$

- $1 > |p_{miss}| > 0.3 \text{ GeV}/c$

[$Q^2 > 1.5 \text{ (GeV}/c)^2$]

I loosened the cuts on:

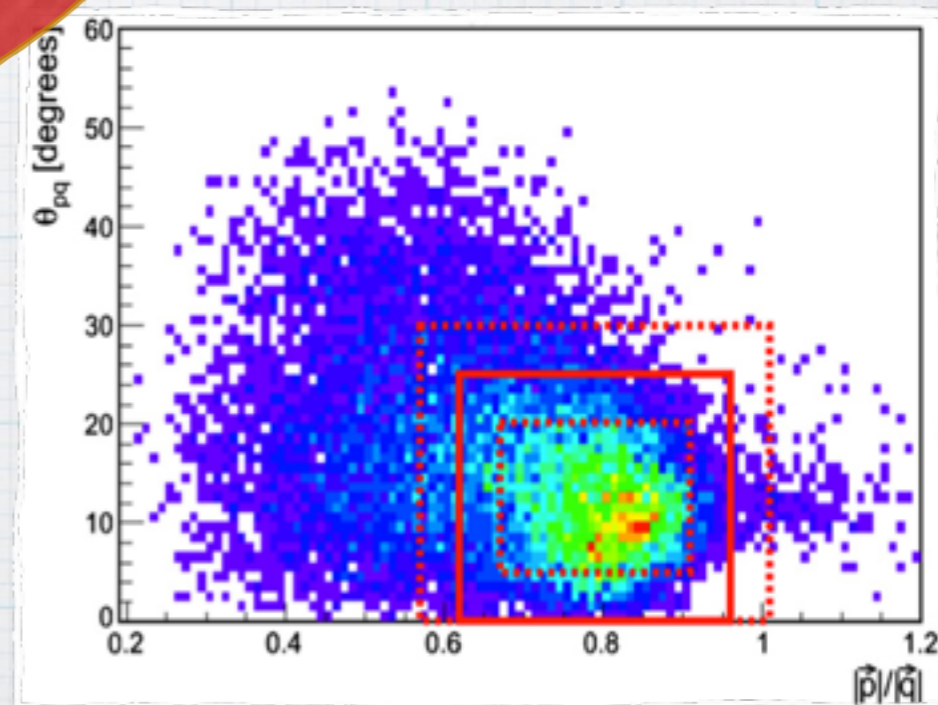
- $M_{miss} < 1.1 \text{ GeV}/c^2$

- $|p_2|, |p_3| > 0.35 \text{ GeV}/c$

Leading proton

$\theta_{pq} < 25^\circ$

$0.62 < |p|/|q| < 0.96$



LC fraction for $^{12}\text{C}(e,e'p/pp/ppp)$ events in SRC kinematics

SRC Kinematics:


$$1.2 < x_B$$


$$0.3 < |p_{\text{miss}}| < 1 \text{ GeV}/c$$


$$\theta(\vec{p}, \vec{q}) < 25^\circ$$

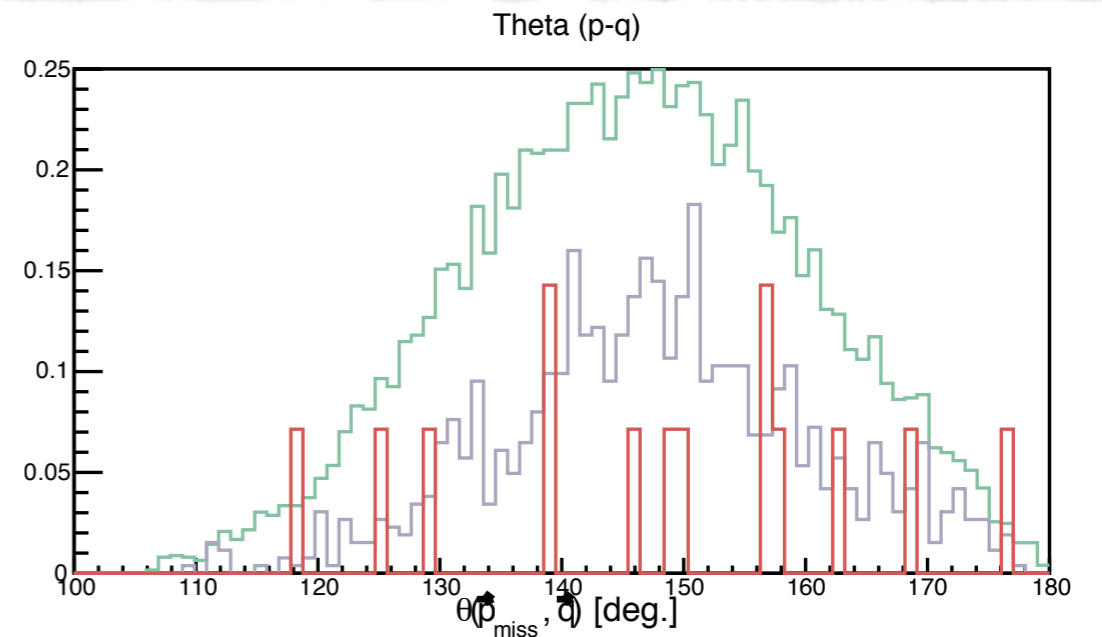
$$0.62 < |p|/|q| < 0.96$$

$$\alpha = A \frac{E_p - p_z}{m_A}$$

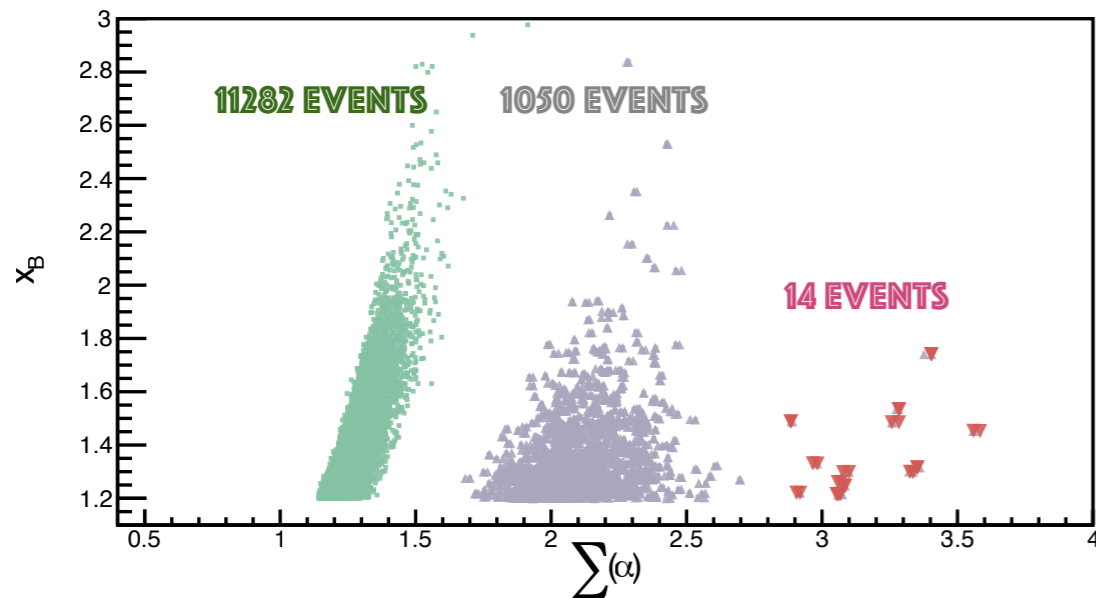
 $^{12}\text{C}(e,e'p)$, 11282 events

 $^{12}\text{C}(e,e'pp)$, 1050 events

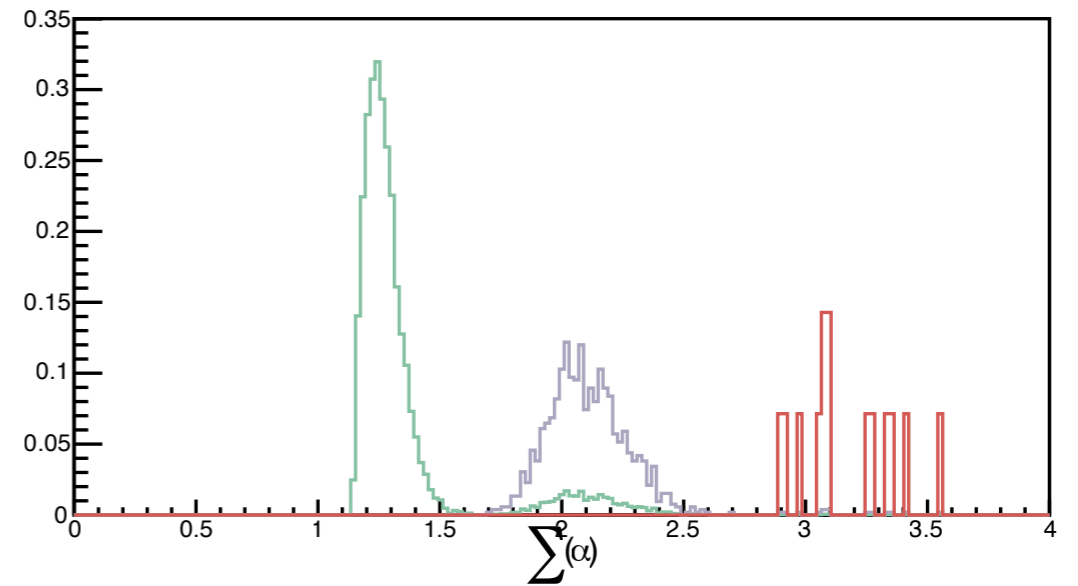
 $^{12}\text{C}(e,e'ppp)$, 14 events



light cone fraction vs. transverse momentum of the protons



Sum of light cone fractions



$$\sum \alpha = \frac{A}{m_A} [(E_p^1 - p_z^1) - (\omega - q_z) + (E_p^2 - p_z^2) + (E_p^3 - p_z^3)]$$

ppp-SRC / (e, e'p) with large p_{miss}

- * First upper limit
Assuming the 3N estimation is right, this gives us a clear indication of Isospin 1/2 dominance in 3N-SRC: ratio
#nnp, #npp >> #ppp, #nnn

- * Compare with predicted

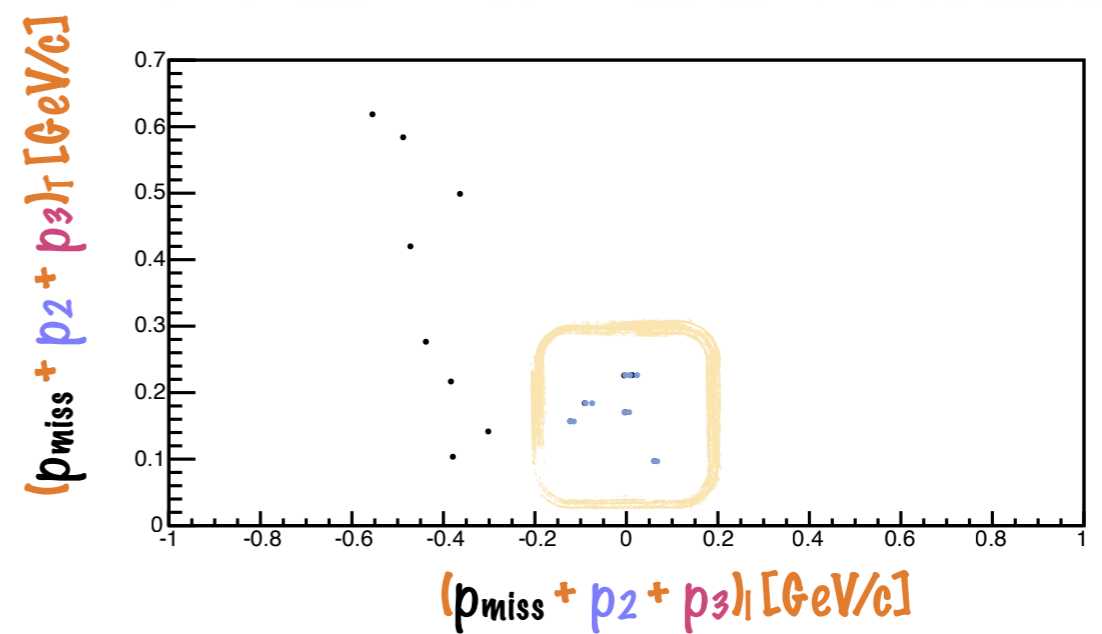
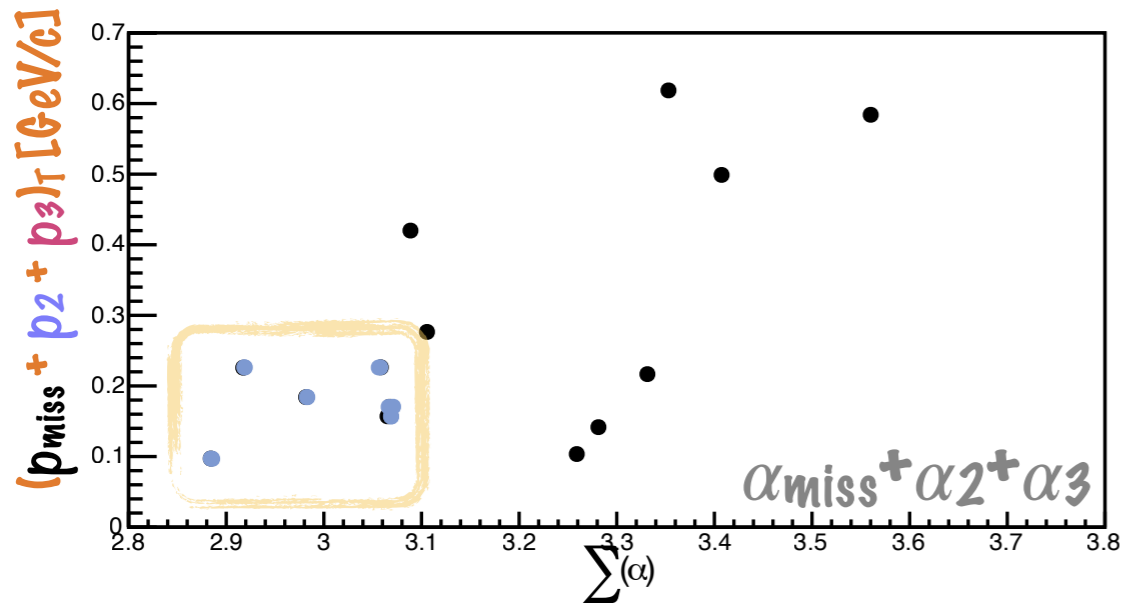
$$3N\text{-SRC} / (e, e'p \text{ with large } p_{\text{miss}}) \approx 20\%$$



$$\text{ppp-SRC} / 3N\text{-SRC} \sim 6\%$$

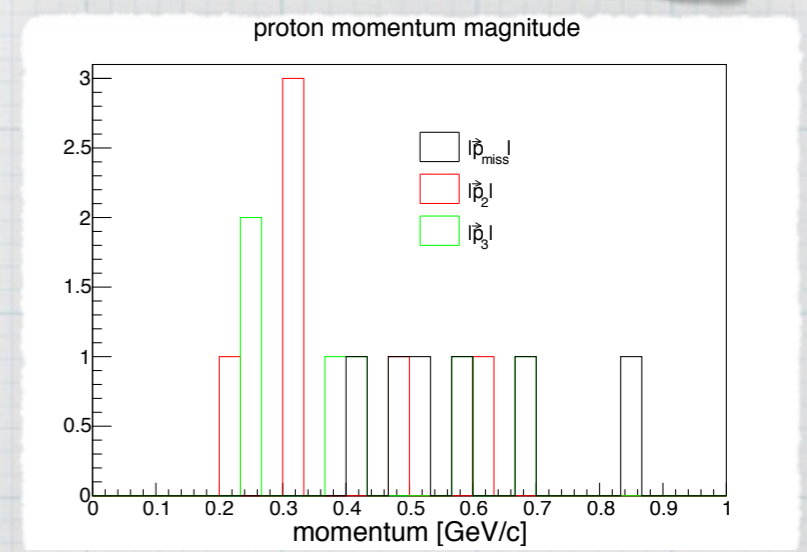
We can improve the upper limit by imposing known properties of SRC.

* Low P(c.m.) \rightarrow we request $|p_{c.m.}| < 0.25$ GeV/c.



event	\vec{p}_{miss}	\vec{p}_2	\vec{p}_3	$(\vec{p}_{miss})_T$	$(\vec{p}_{miss})_L$	$(\vec{p}_{c.m.})_T$	$(\vec{p}_{c.m.})_L$
-	GeV/c	GeV/c	GeV/c	GeV/c	GeV/c	GeV/c	GeV/c
4912	(0.28,0.00,-0.33)	(-0.25,-0.16,0.07)	(-0.18,0.13,0.13)	0.28	-0.33	0.16	-0.12
7893	(0.51,-0.00,-0.28)	(-0.10,-0.04,0.17)	(-0.30,0.24,0.11)	0.51	-0.28	0.23	0.01
9011	(0.29,-0.00,-0.44)	(-0.12,-0.23,-0.19)	(-0.26,0.08,0.63)	0.29	-0.44	0.17	0.01
11023	(0.10,0.00,-0.49)	(-0.27,-0.18,0.34)	(0.22,0.00,0.07)	0.10	-0.49	0.18	-0.07
11683	(0.34,0.00,-0.79)	(0.03,-0.22,0.58)	(-0.47,0.24,0.28)	0.34	-0.79	0.10	0.07
15416	(0.52,0.00,-0.43)	(0.04,0.14,0.29)	(-0.34,-0.12,0.16)	0.52	-0.43	0.23	0.02

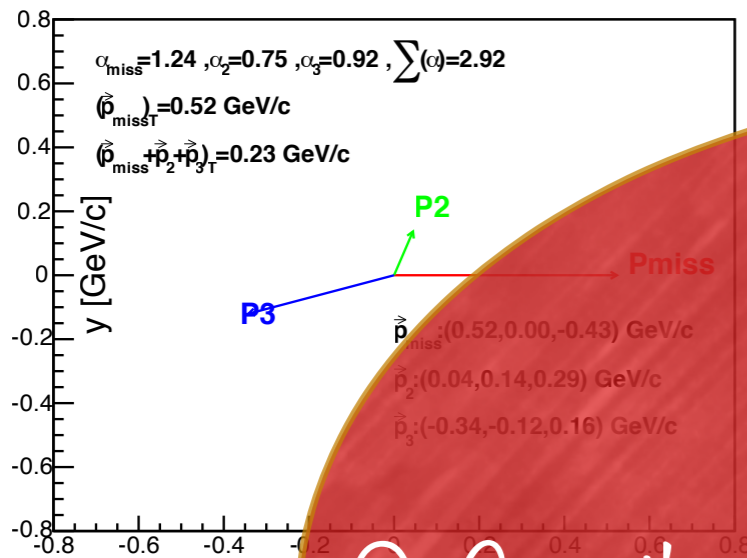
event	α_{miss}	α_2	α_3	$\sum(\alpha)$
4912	1.18	0.98	0.90	3.07
7893	1.24	0.84	0.98	3.06
9011	1.24	1.26	0.57	3.07
11023	1.26	0.77	0.96	2.98
11683	1.41	0.59	0.89	2.89
15416	1.24	0.75	0.92	2.92



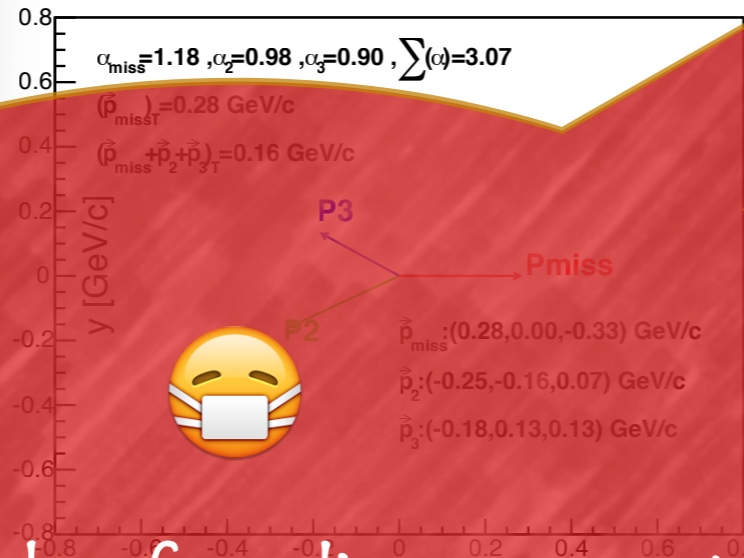
ppp-SRC candidates characteristics

Trios are generally divided isotropically

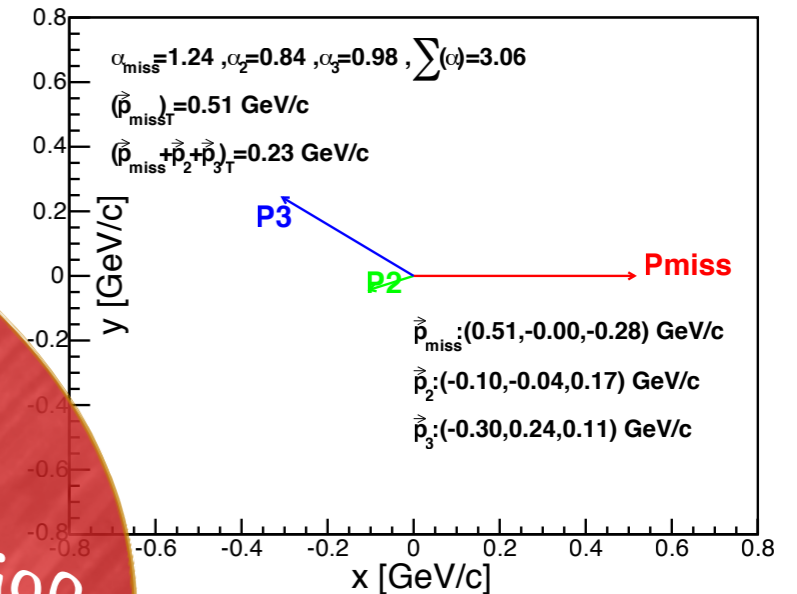
Entry 15416, Transverse plane



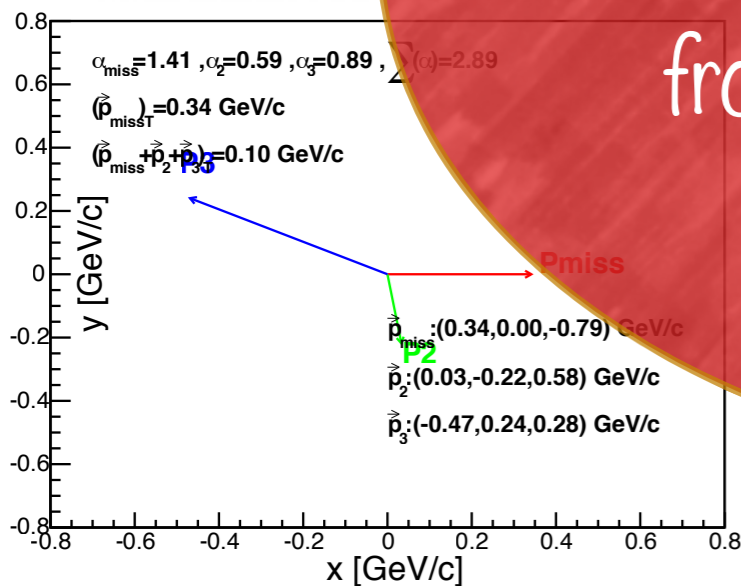
Entry 4912, Transverse plane



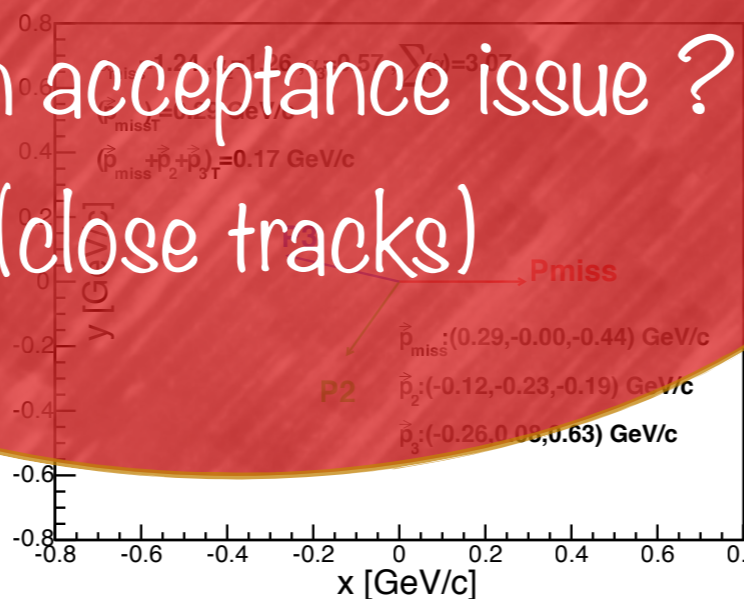
Entry 7893, Transverse plane



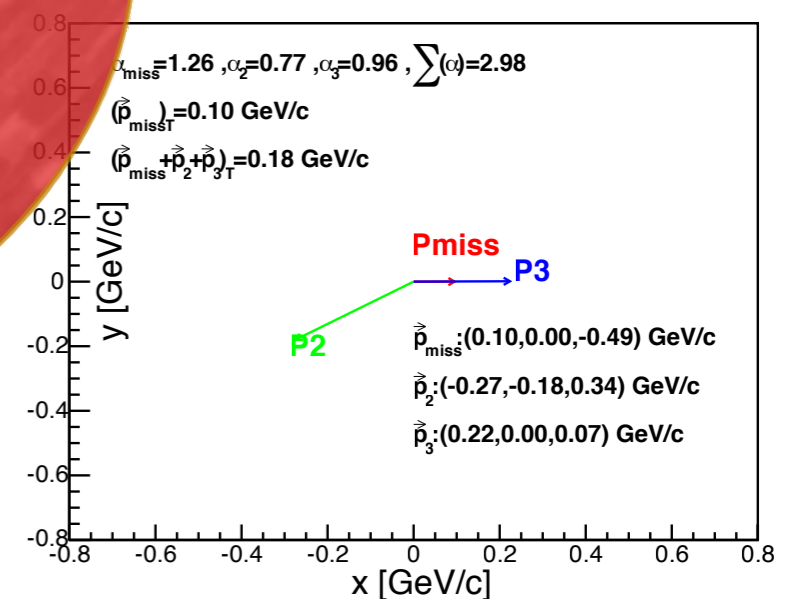
Entry 11683, Transverse plane



Entry 9011, Transverse plane



Entry 11023, Transverse plane



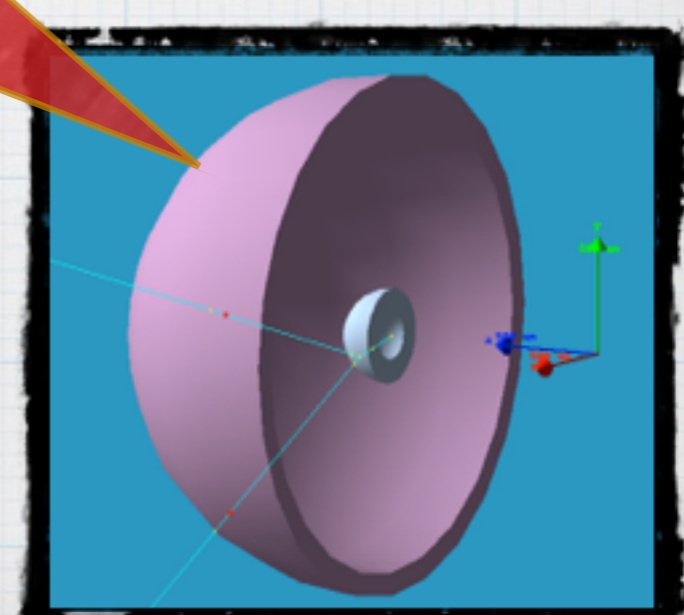
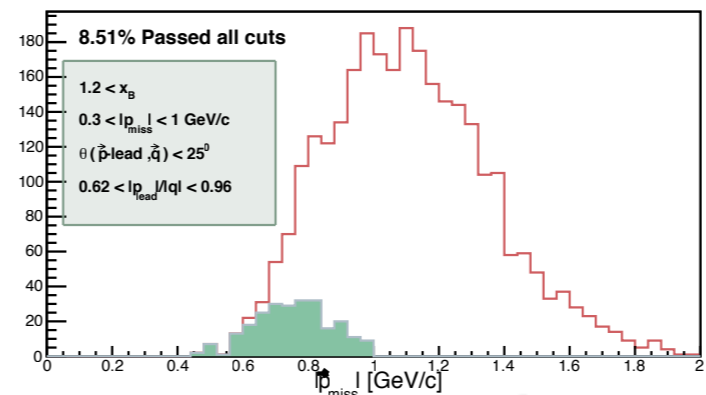
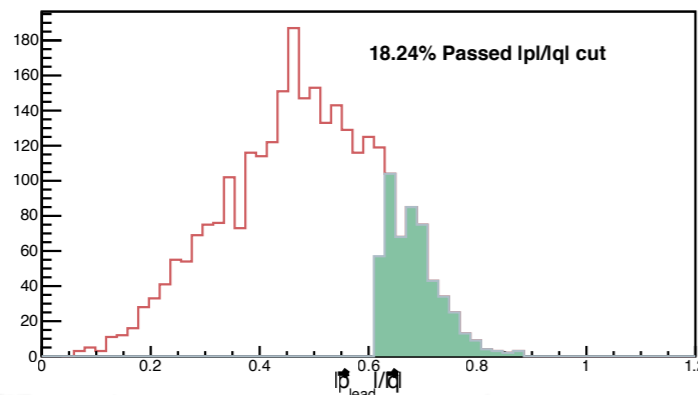
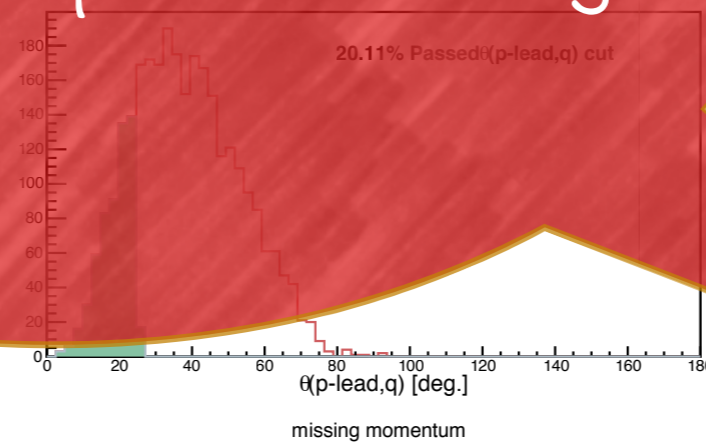
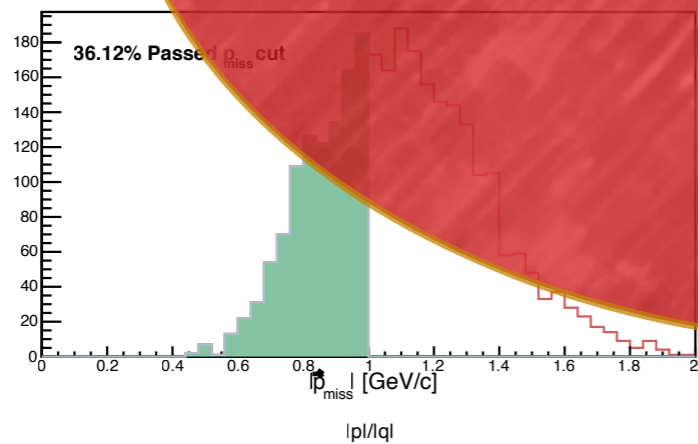
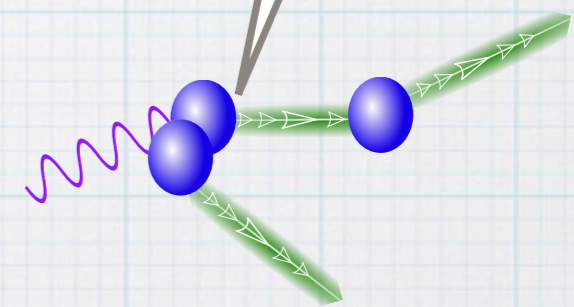
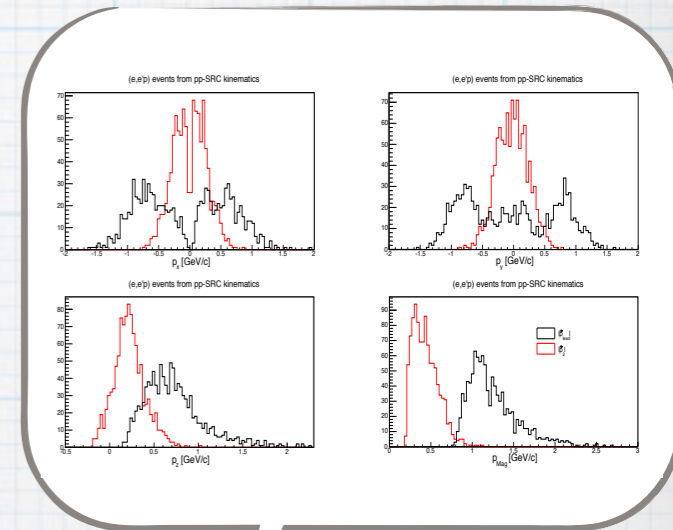
Q: Can the lack of co-linear events arise from an acceptance issue? (close tracks)

We can improve the upper limit by enforcing known properties of the pp-SRC.

* based on our simple simulation

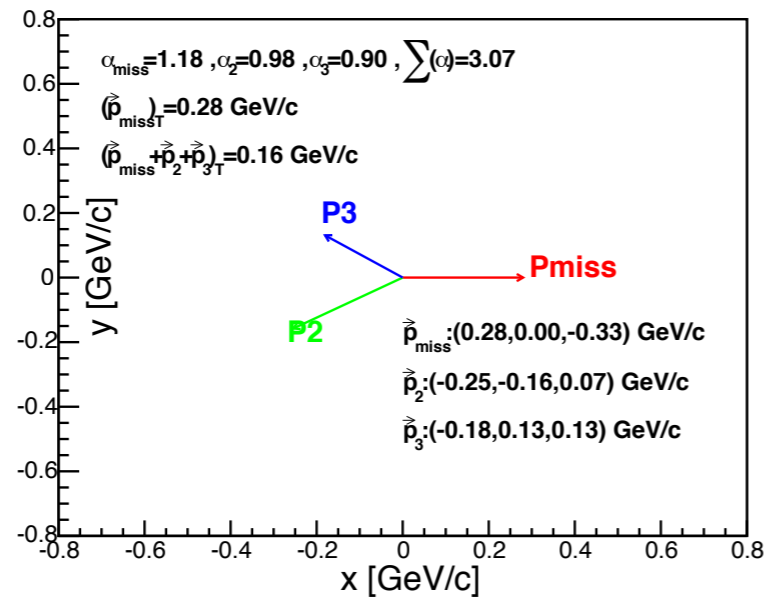


Q: Does this simplified simulation seem reasonable and comprehensive to you?

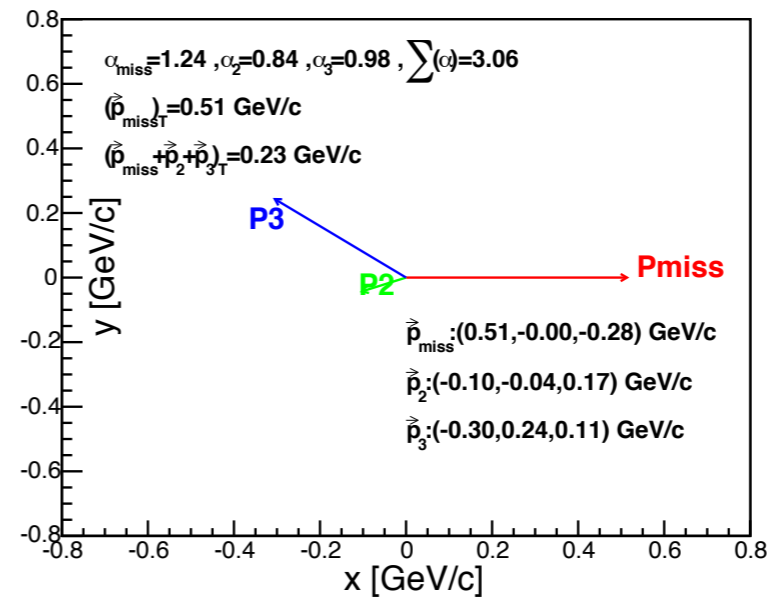


4 ppp-SRC candidates are left after $|\vec{p}_{\text{miss}}| < 0.6 \text{ GeV}/c$ cut

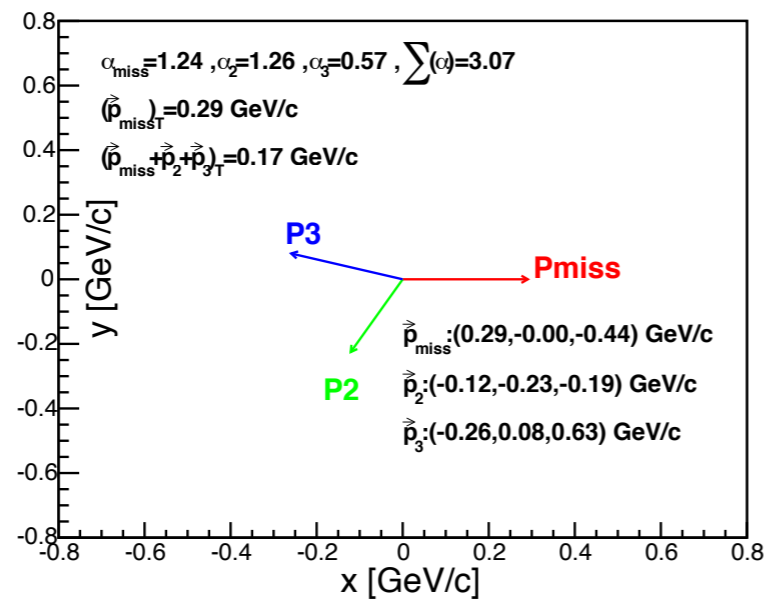
Entry 4912, Transverse plane



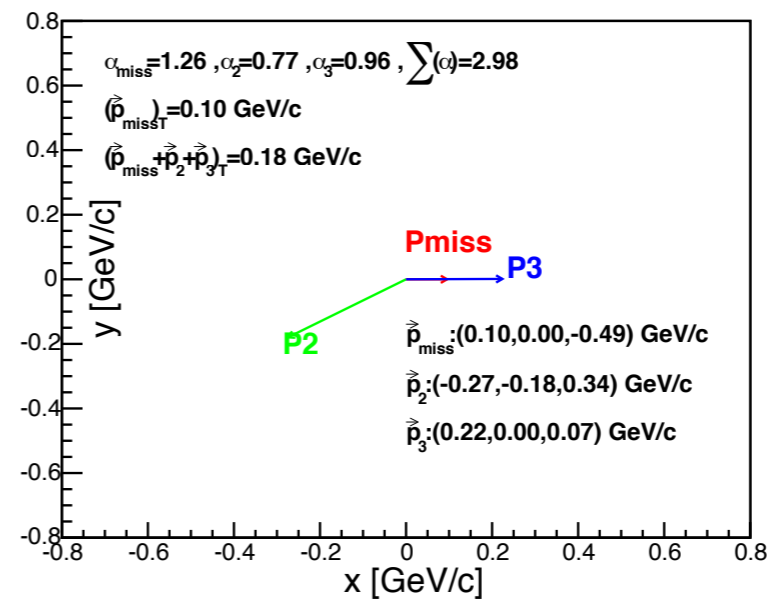
Entry 7893, Transverse plane



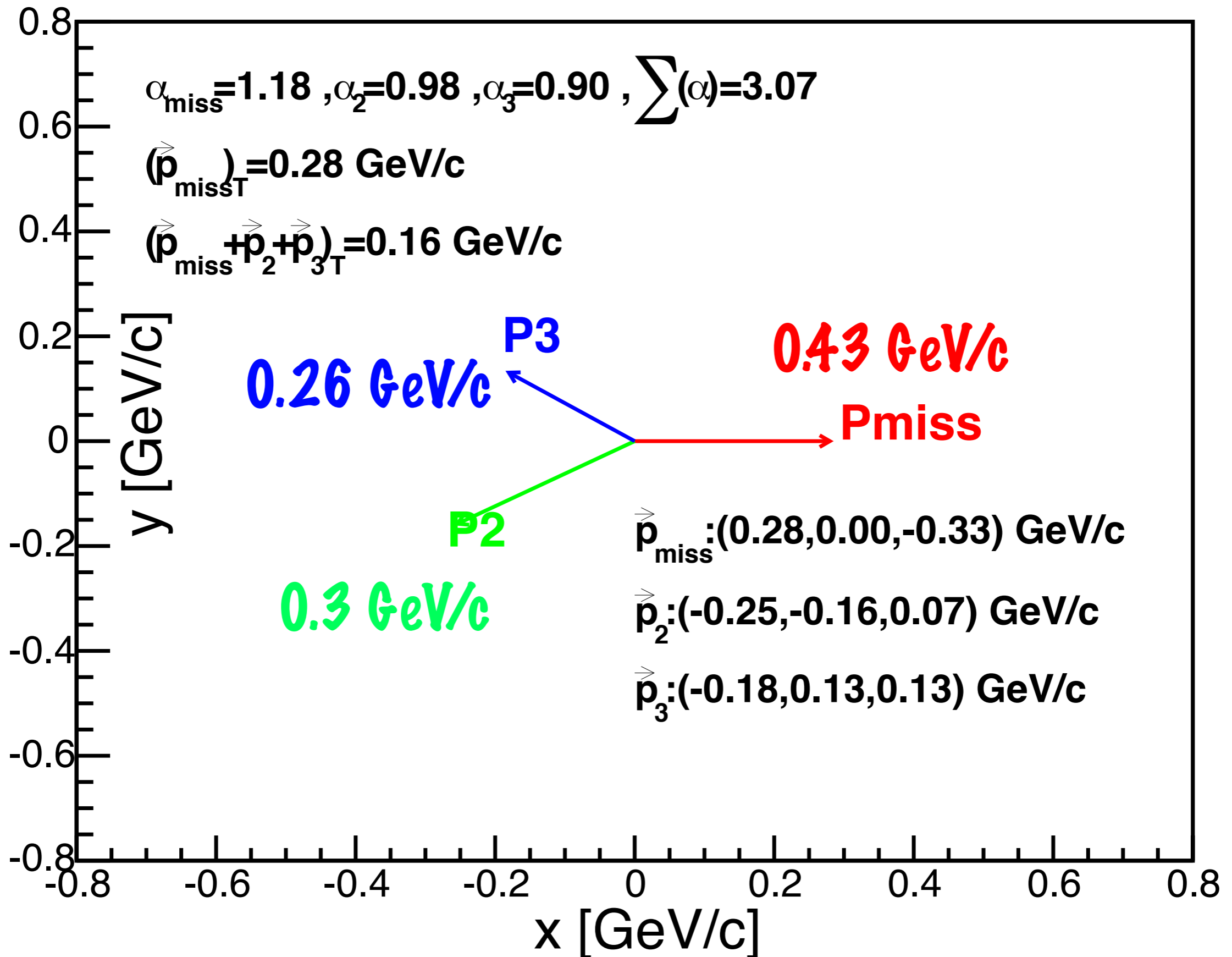
Entry 9011, Transverse plane



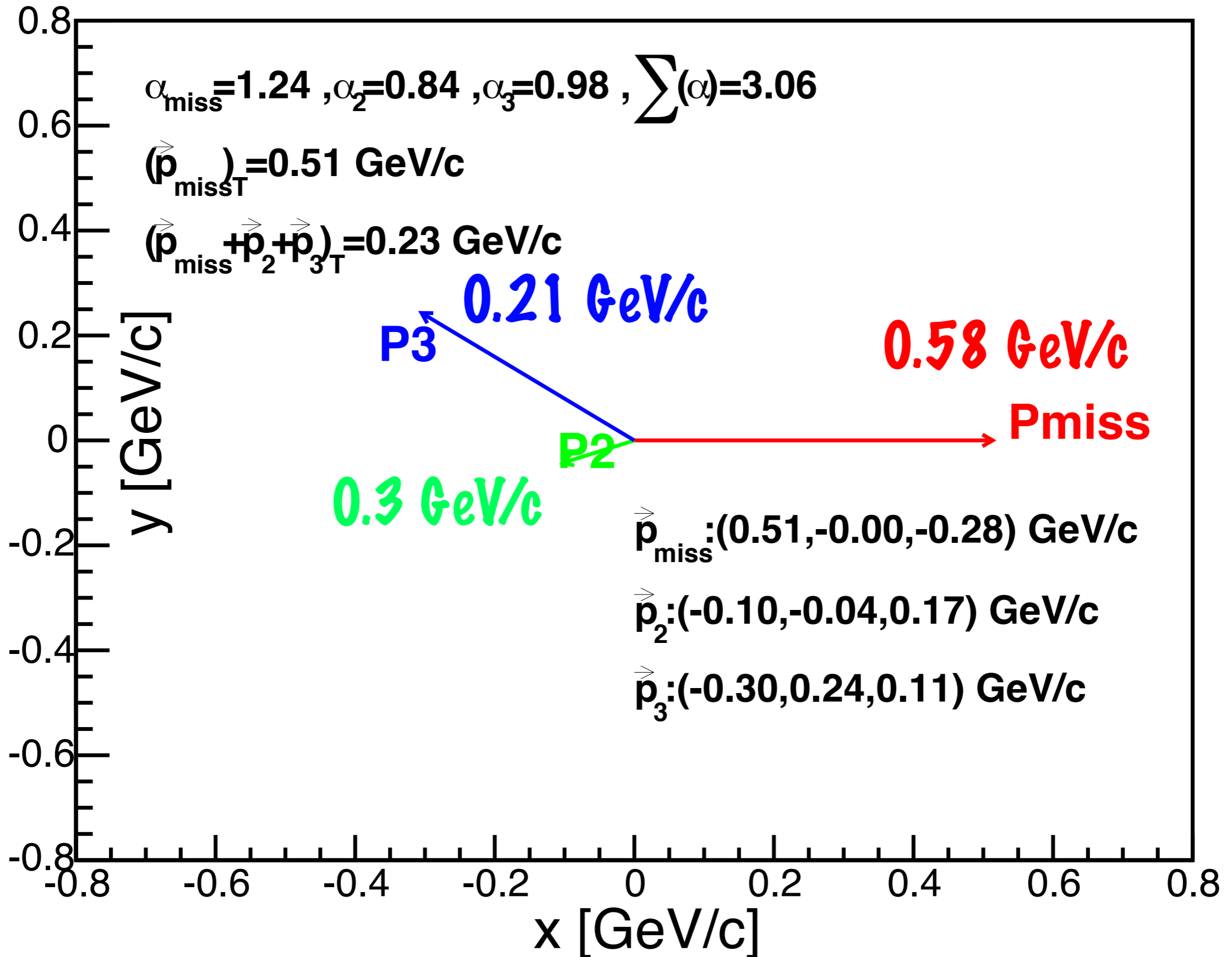
Entry 11023, Transverse plane



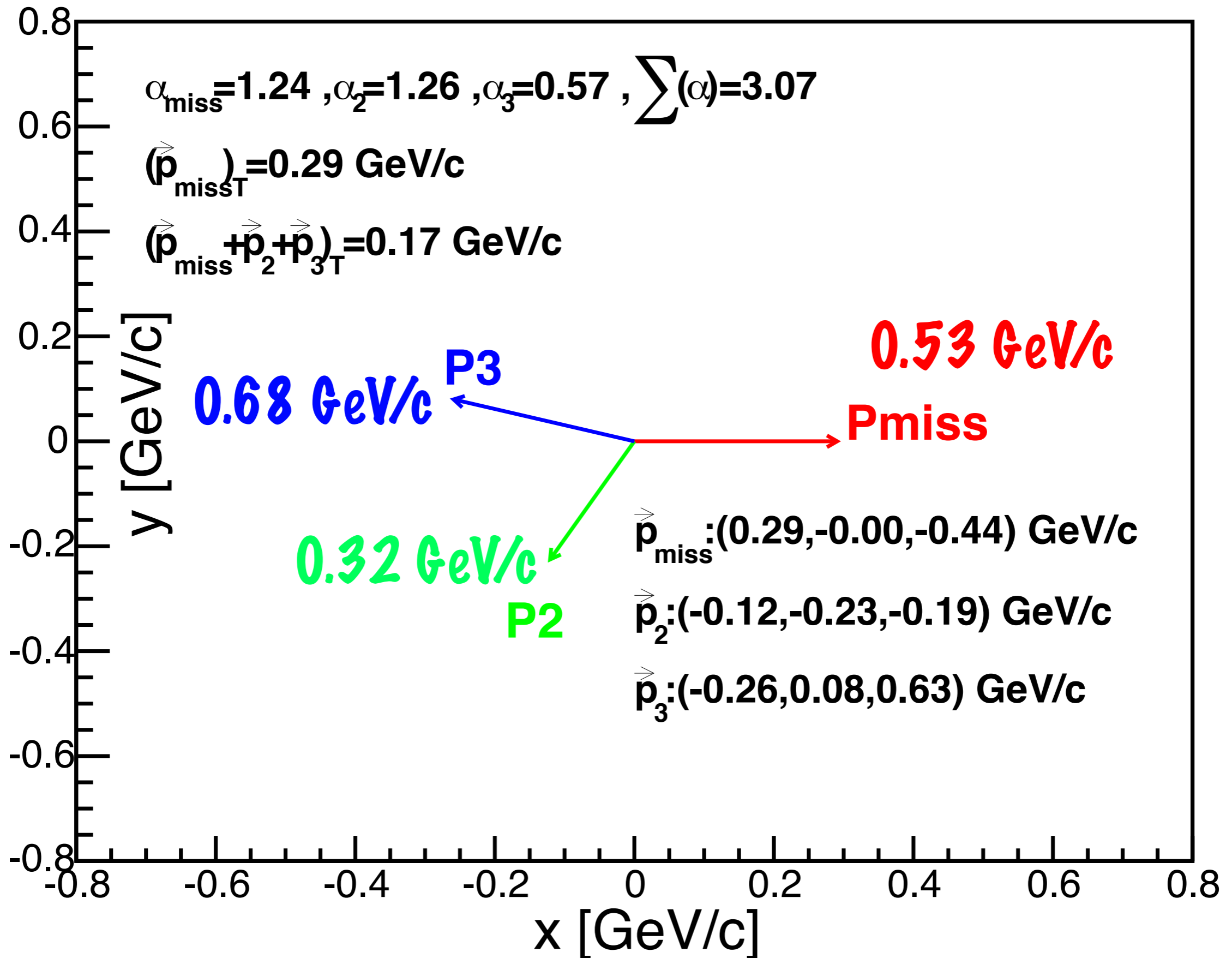
Entry 4912, Transverse plane



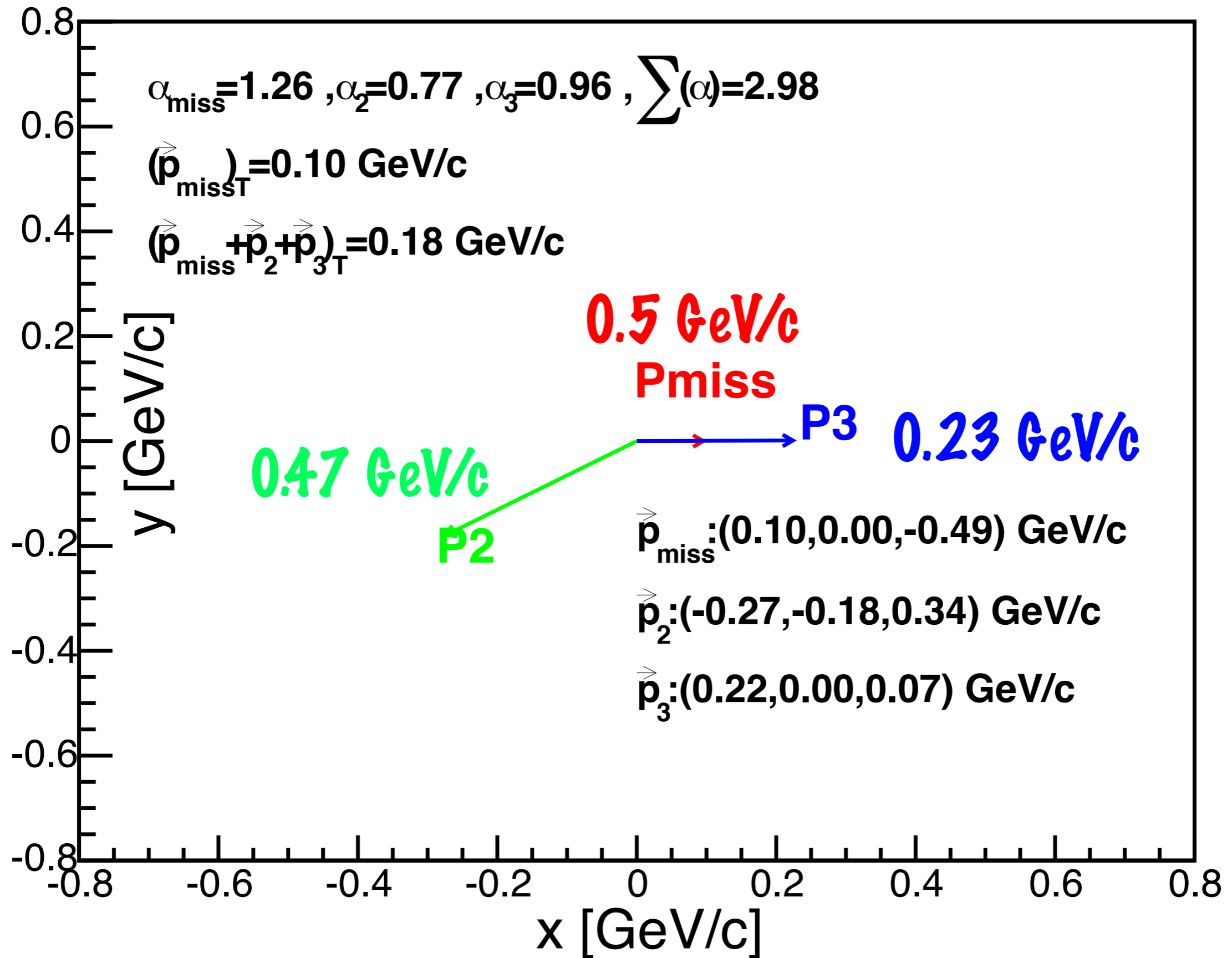
Entry 7893, Transverse plane



Entry 9011, Transverse plane



Entry 11023, Transverse plane



Consequences and Implications

- * Different nucleons dominance / Isospin $\frac{1}{2}$ dominance.

(ppp & nnn are Isospin $\frac{3}{2}$)

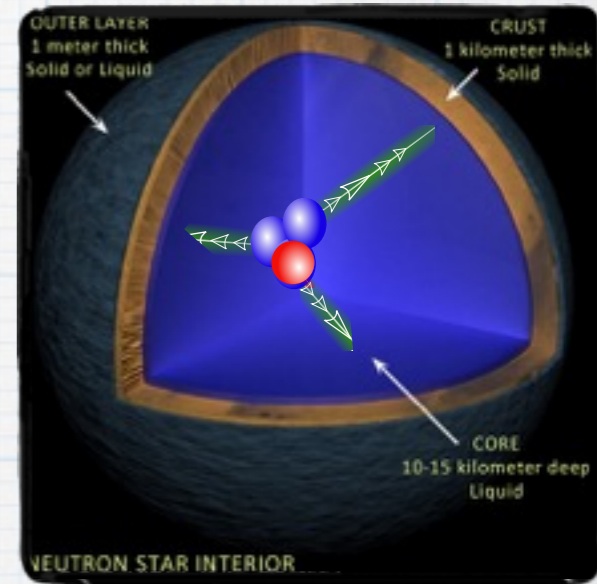
- * The number of co-linear is small, and they generally Isotropic
- * Neutron star 3N-SRC dominance:

- ~ 90% n, 10%p

- Density \gg nuclear density \rightarrow $\frac{3N-SRC}{p \text{ with large } p_{miss}} > 0.15-0.2$

- #nnn trios $>$ #nnp trios

- But due the Isospin structure of 3N-SRC, impact of nnp-SRC is large!



Summary

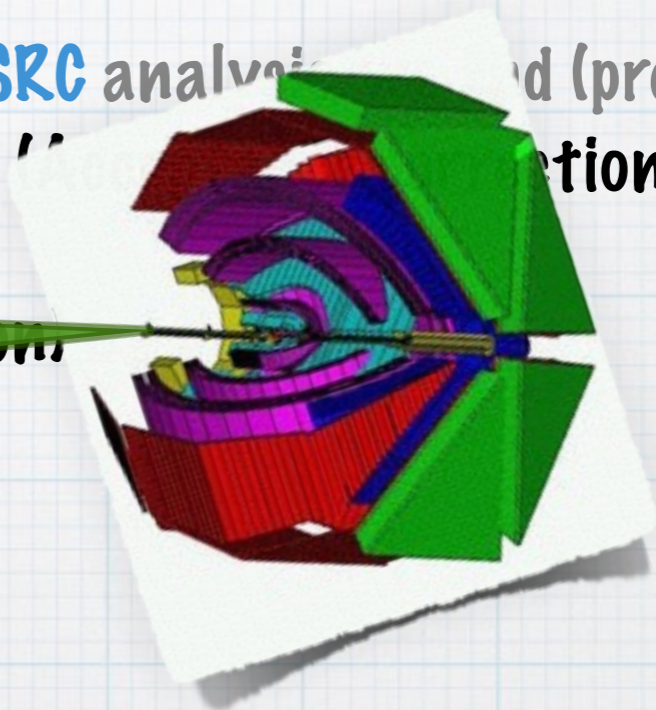
* **2N-SRC Isospin structure** is known, nothing is experimentally known for **3N-SRC** so far.

* Selecting **ppp-SRC** candidates similar to previous **2N-SRC** analysis and (preliminary) **ppp-SRC/(e,e')** with large p_{miss} upper limit $\sim 0.12\% \times \dots$ (preliminary) (Acceptance correction).

* Tighten the selection criteria (Acceptance correction)

- small p_{miss}
- [+ simple MC suggesting $p_{miss} < 0.6 \text{ GeV}/c$]

Before acceptance correction



💡 **ppp-SRC/3N-SRC < 3% x (Acceptance correction)**

Experimental signature of 3N-SRC Isospin 1/2 dominance

(#nnp,npp-SRC > #ppp,nnn-SRC)

Future plan

- * Apply **Acceptance, Energy loss and Coulomb corrections.**
- * Scan all **EG2 target nuclei.**
- * Play the same game with **$A(e,e'n)$** events (combine **Meytal's** analysis).
- * Looking for **$A(e,e'np)$** and **$A(e,e'npp)$** events.



Questions



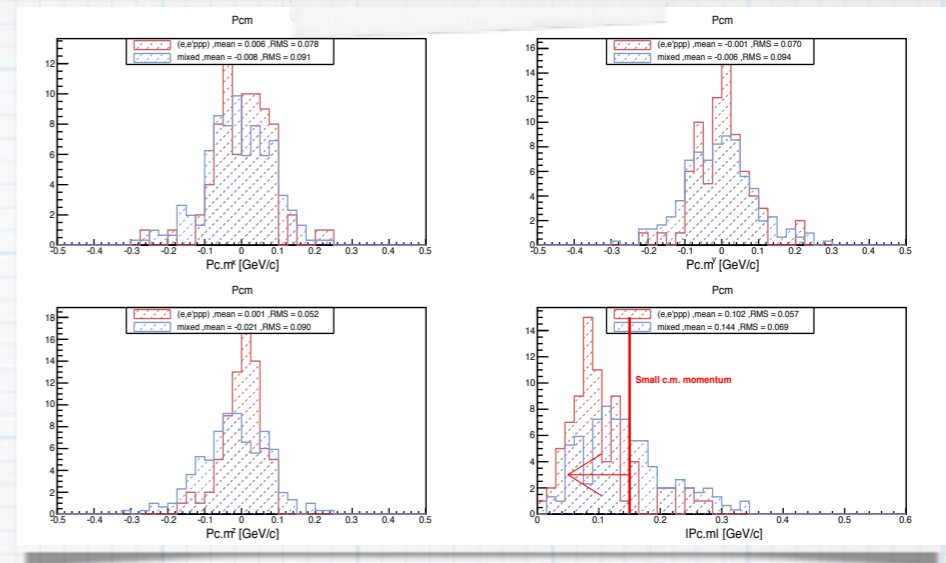
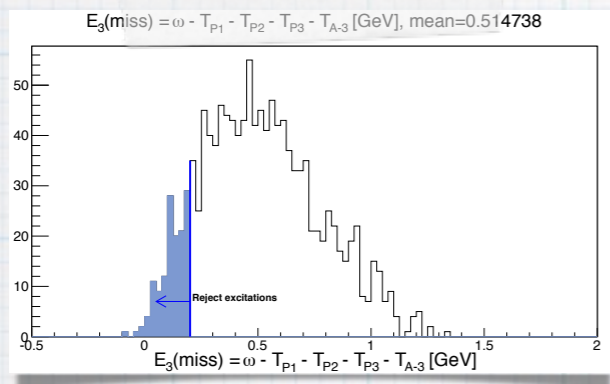
- * What is the impact of loosening the cut on recoiling momenta ($|p_2|, |p_3| > 0.35 \text{ GeV}/c$)?
- * Can the lack of co-linear events arise from an acceptance issue?
- * Does my hadElastic simplified simulation seem reasonable and comprehensive to you?

Thank you for your time...

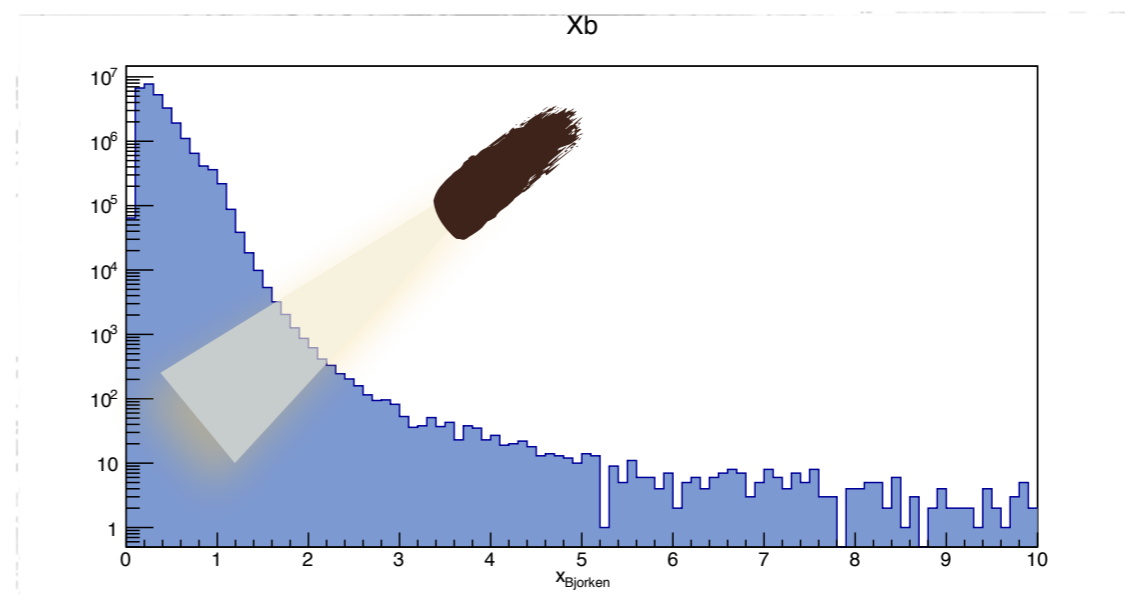
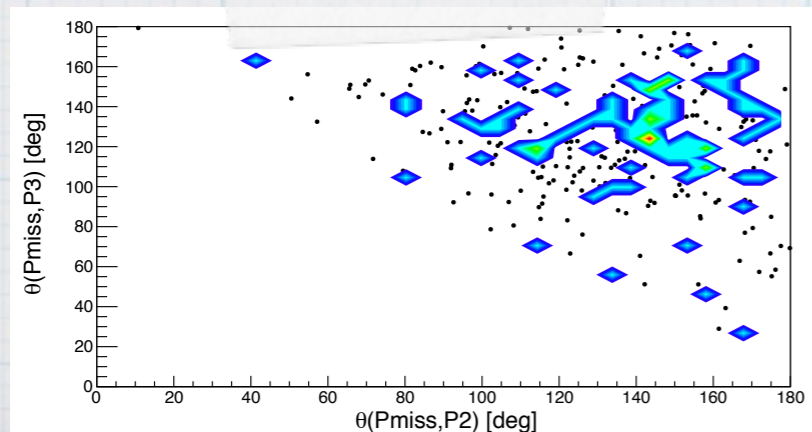


*Comments / Suggestions / Questions:
cohen.erez7@gmail.com*

Backup slides



Initial search - consider events with $x_B < 1$



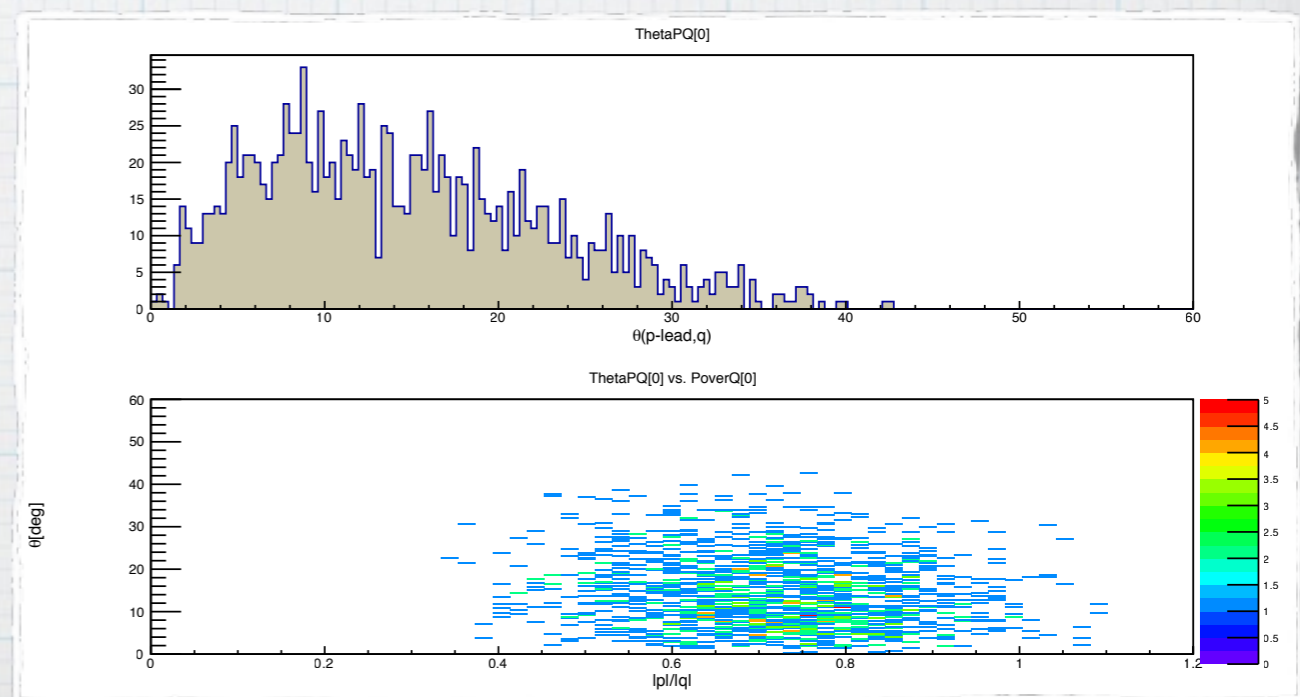
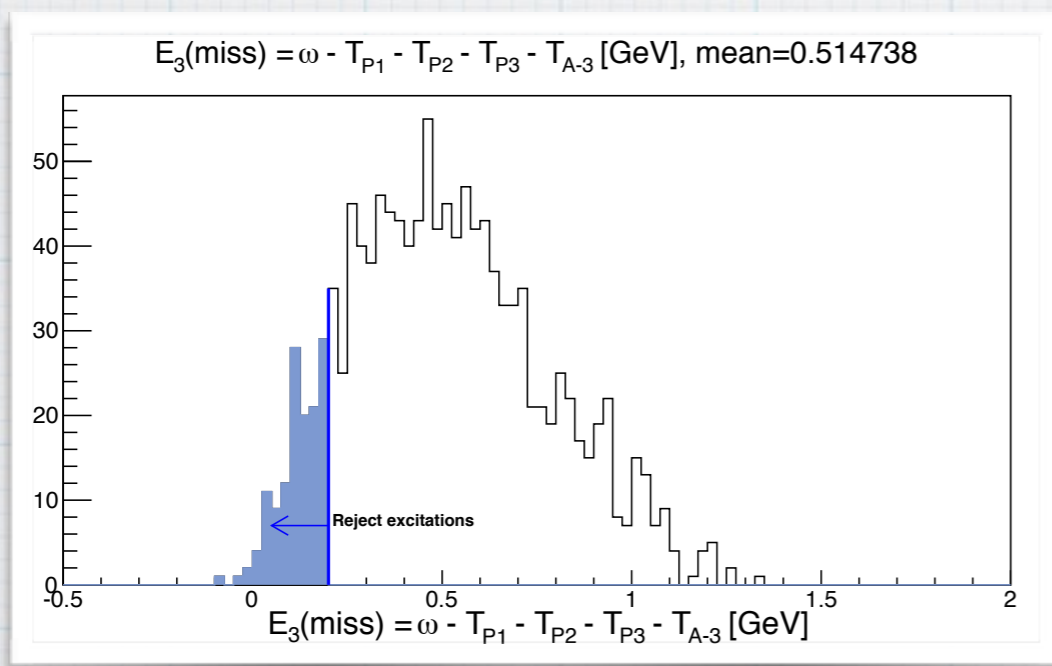
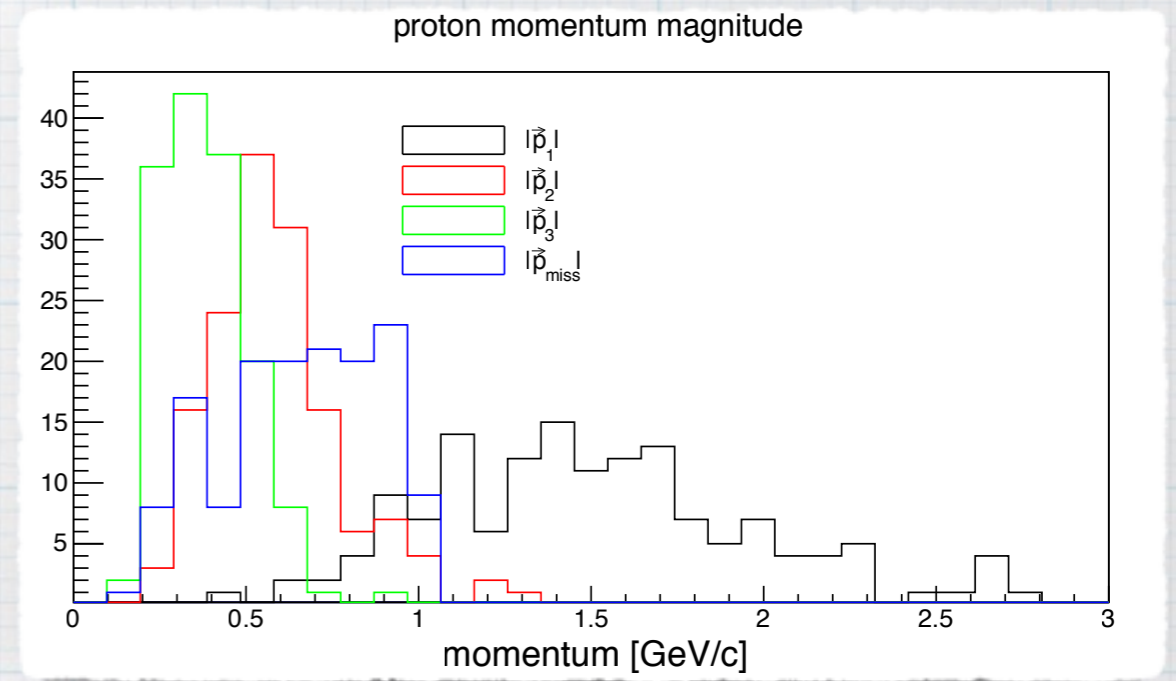
Event selection

* EG2 data

* $^{12}\text{C}(e, e' ppp)$ events with

* $|\vec{p}_{\text{miss}}| < 1 \text{ GeV}/c$

* $0 < E_{\text{miss}3} < 200 \text{ MeV}$

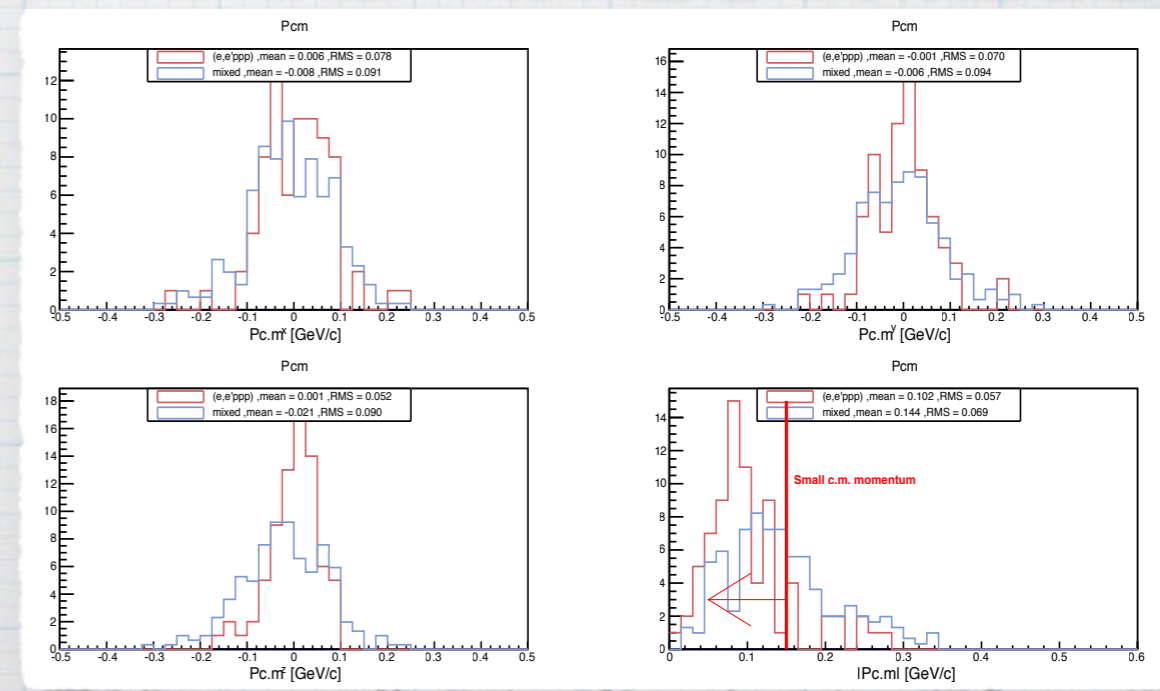
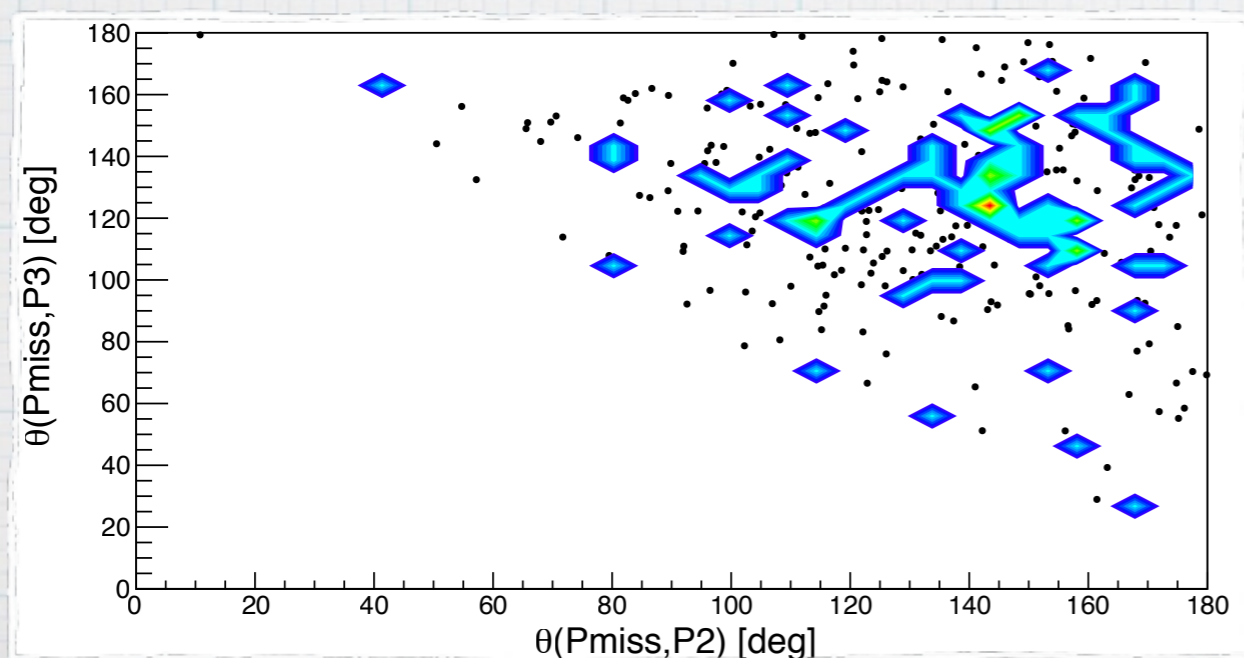
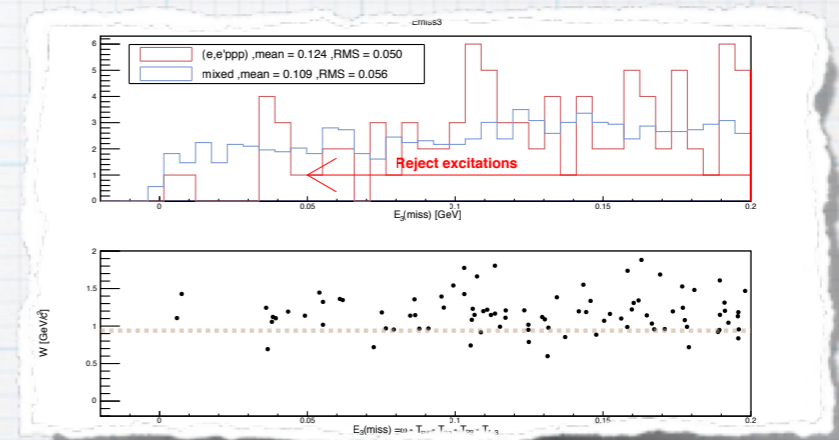


Strategy

- * Calculate as many kinematical variables as possible.

- * Build **mixed events** tree.

- * Compare data (**Signal**) to mixed events (**Background**)

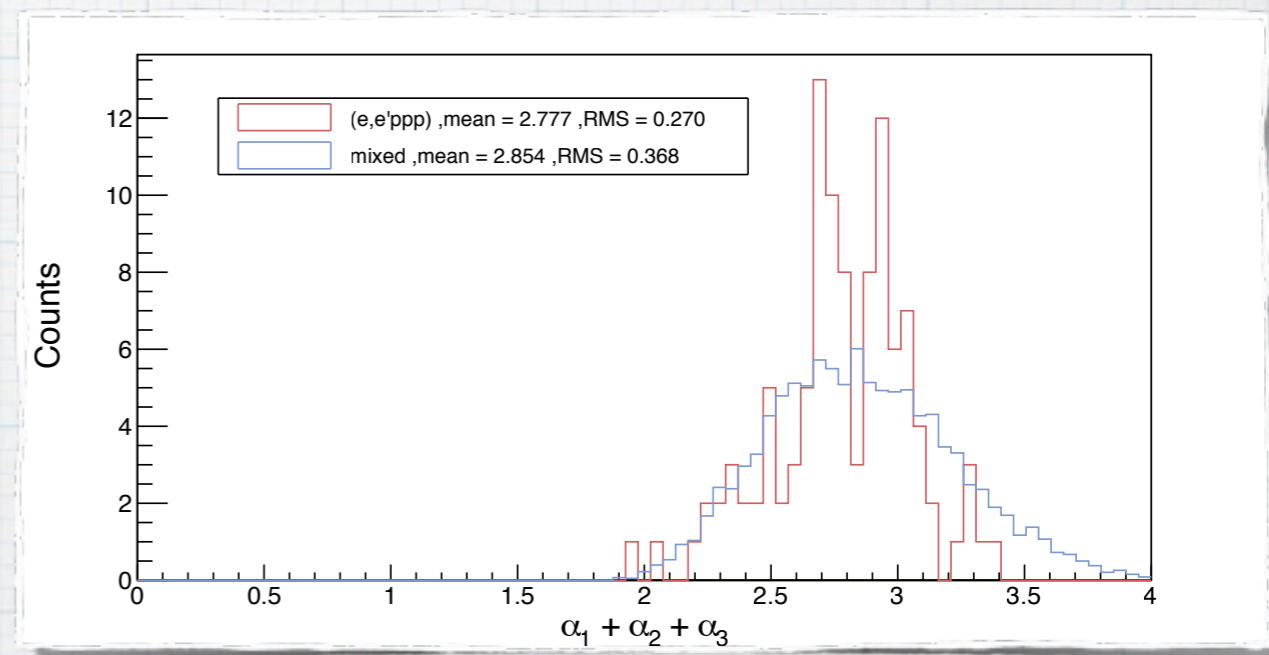


Studying the LC fraction in the relativistic regime

* α_j is similar to x_B for inelastic scattering.

$$\alpha = A \frac{E_p - p_z}{m_A}$$

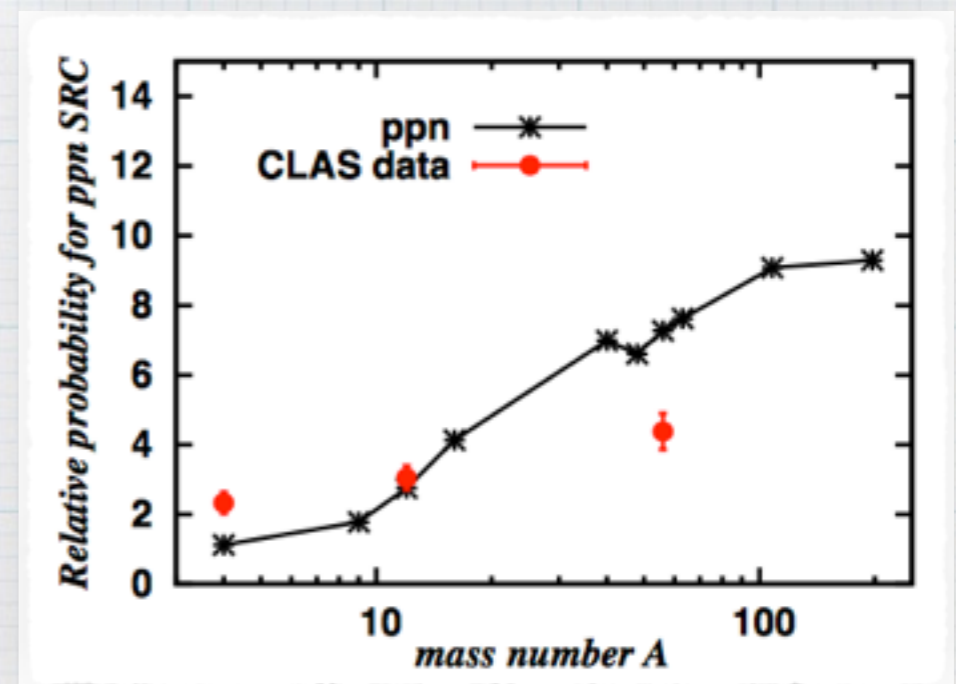
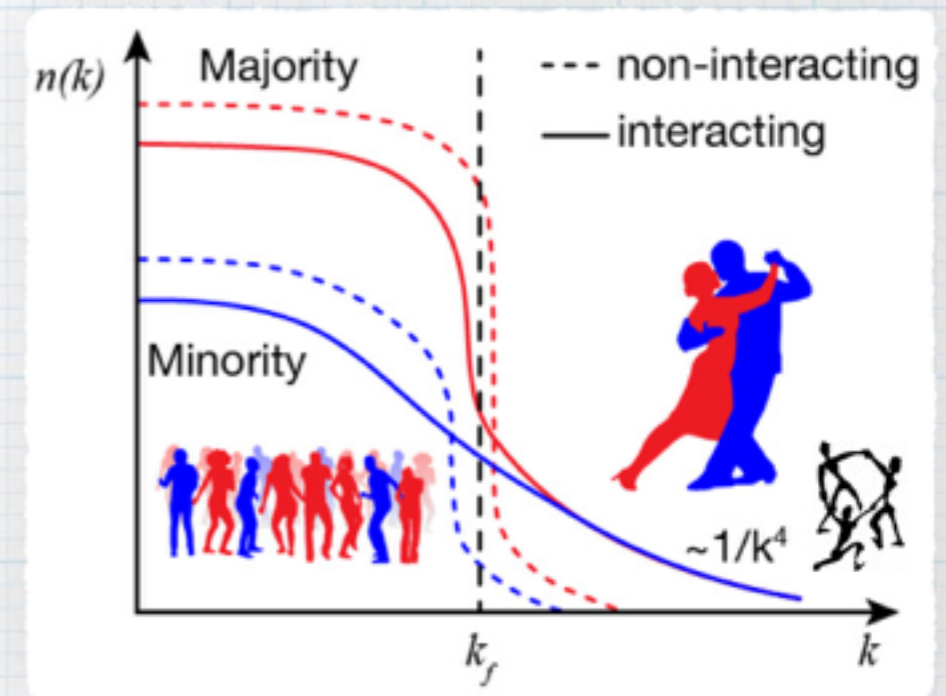
- $\Sigma \alpha_j > 2$ requires at least 2 nucleons involved.
- $\Sigma \alpha_j$ can distinguish 2N-SRC from 3N-SRC.



$$\sum \alpha = \frac{A}{m_A} [(E_p^1 - p_z^1) - (\omega - q_z) + (E_p^2 - p_z^2) + (E_p^3 - p_z^3)]$$

The advantage of $x_B > 1$

- * Wish to suppress multi-step processes off low momentum nucleons in the simplest way.
- * $x_B < 1$ would require getting rid of inelastic processes which perhaps is possible but more tricky.
- * Use Or Hen' observation that 2p-SRC is well seen for $x_B > 1.2$.
- * Since this sample is clean we can use relative normalization to see **how much ppp is suppressed as compared to pp.**



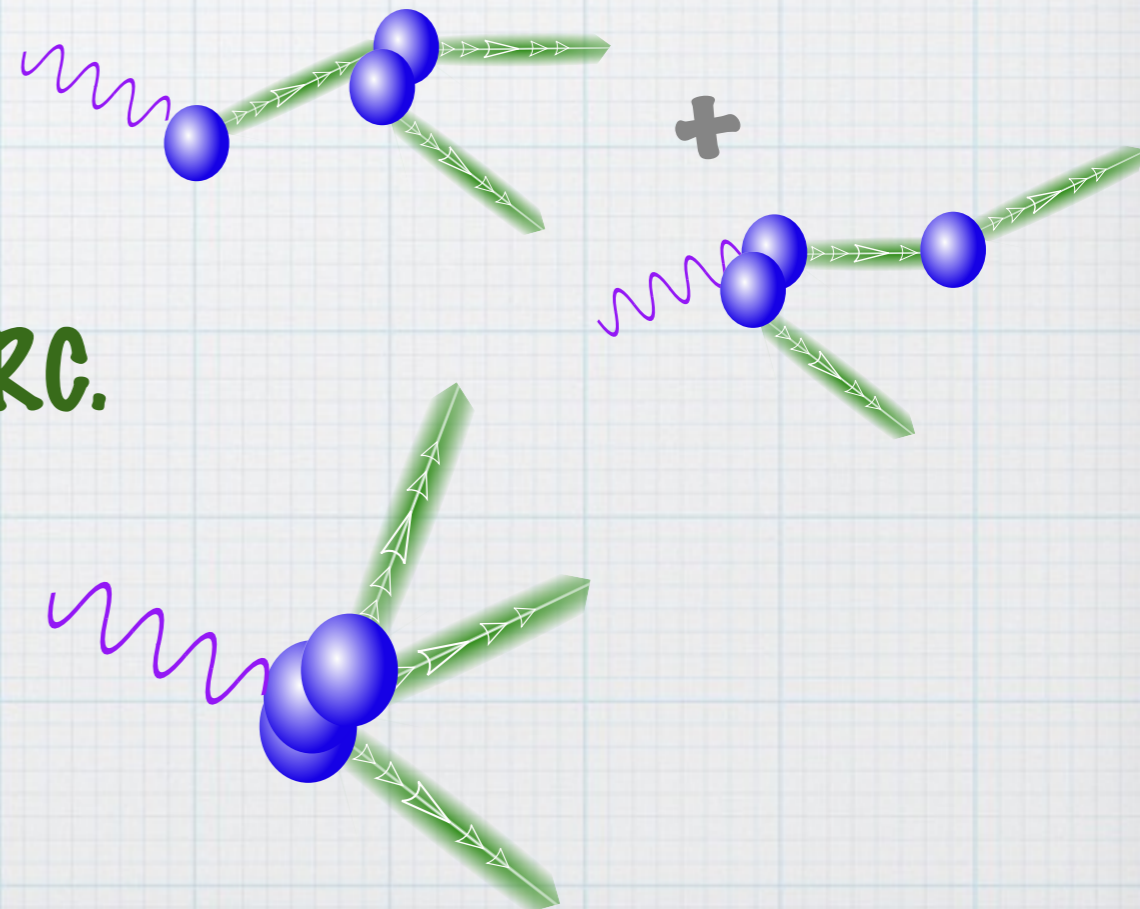
Backup slides

3p in the final state

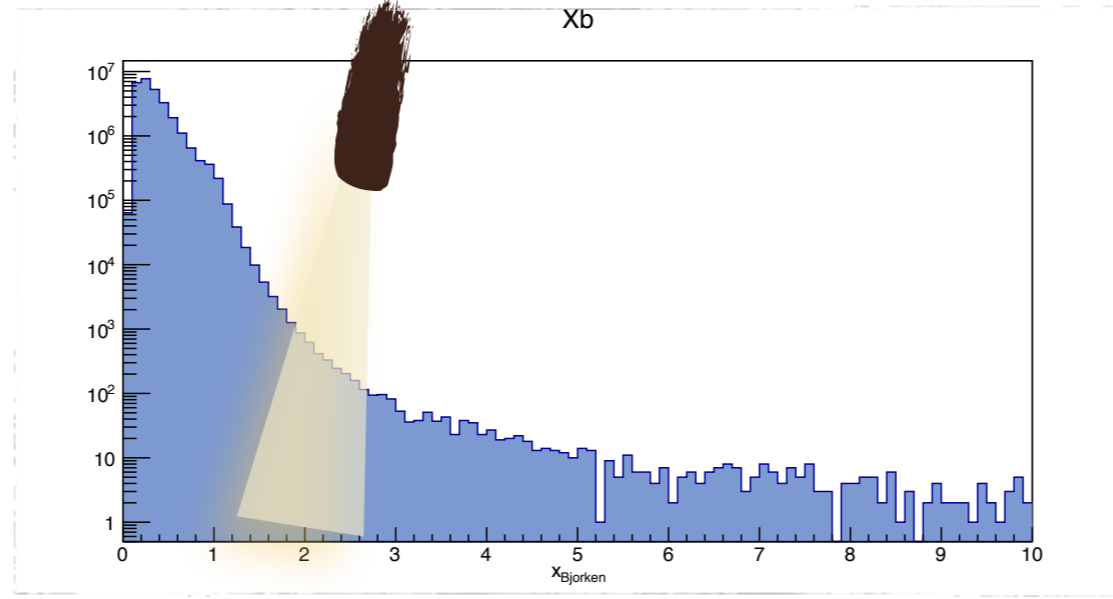
- * Two possible mechanisms produce $(e, e' p p p)$ event:

e Interacts with $p + pp$ -SRC.

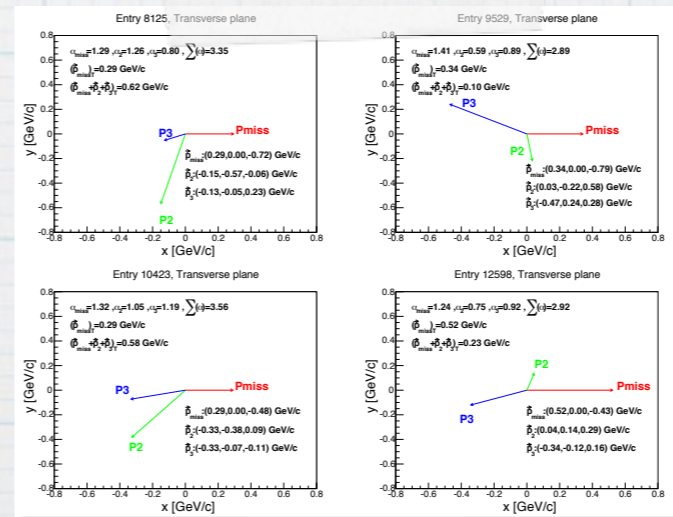
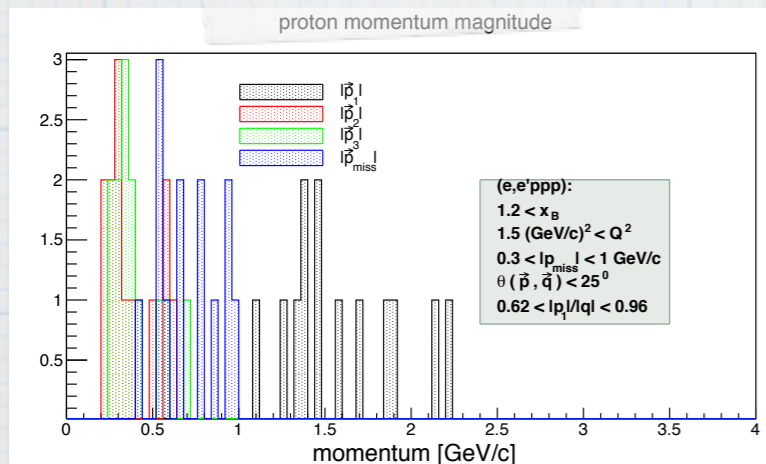
e Interacts with p from $3p$ -SRC.



event	p_{miss}	p_1	p_2	Q_{miss}^2	Q_1^2	Q_2^2	Q_3^2
-	GeV/c	GeV/c	GeV/c	GeV/c	GeV/c	GeV/c	GeV/c
3965	(0.26,0.00,0.60)	(-0.30,0.21,0.10)	(-0.25,-0.28,0.11)	0.26	-0.60	0.10	-0.38
4015	(0.28,0.00,0.31)	(-0.25,-0.16,0.07)	(-0.18,0.11,0.11)	0.28	-0.31	0.16	-0.12
4069	(0.62,0.00,0.79)	(-0.41,-0.26,0.26)	(-0.26,0.14,0.15)	0.62	-0.70	0.14	-0.29
5227	(0.49,0.00,0.84)	(-0.27,-0.22,0.13)	(0.05,0.16,0.30)	0.49	-0.84	0.28	-0.45
6453	(0.51,0.00,0.28)	(-0.10,-0.01,0.17)	(-0.30,0.21,0.11)	0.51	-0.28	0.23	0.01
7372	(0.29,0.00,0.44)	(-0.12,-0.21,0.19)	(-0.26,0.08,0.43)	0.29	-0.44	0.17	0.01
9529	(0.34,0.00,0.79)	(0.01,-0.22,0.38)	(-0.47,0.24,0.28)	0.34	-0.79	0.19	0.07
12598	(0.52,0.00,0.41)	(0.04,0.14,0.29)	(-0.34,-0.12,0.16)	0.52	-0.41	0.23	0.02
13054	(0.75,0.00,0.54)	(-0.29,0.01,0.01)	(-0.25,-0.06,0.18)	0.75	-0.54	0.22	-0.39

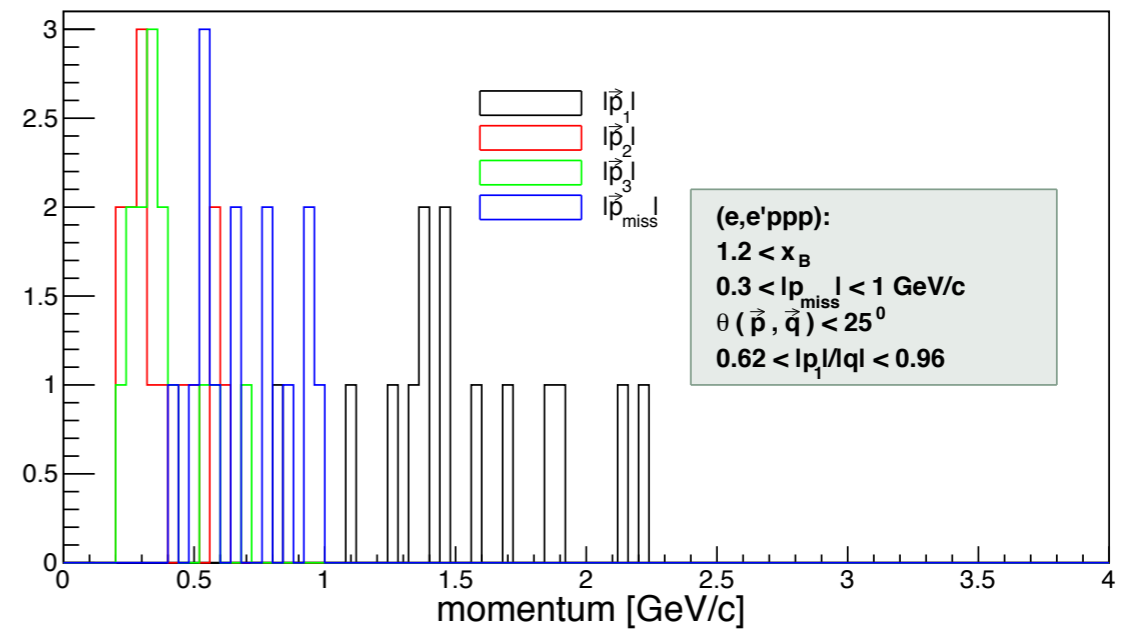
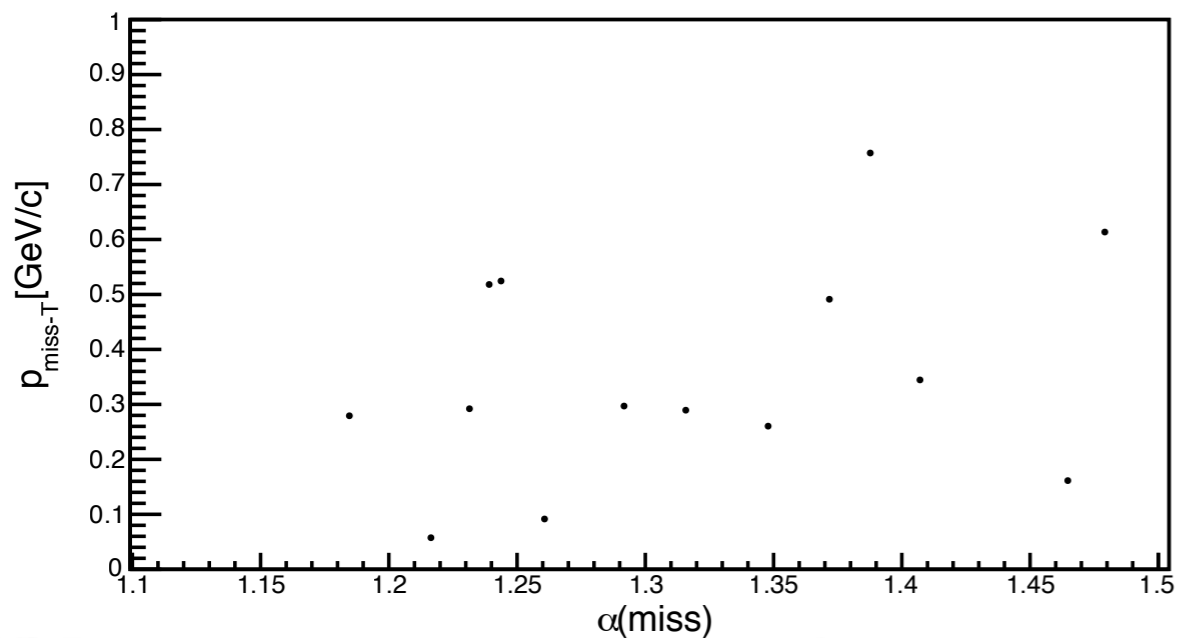
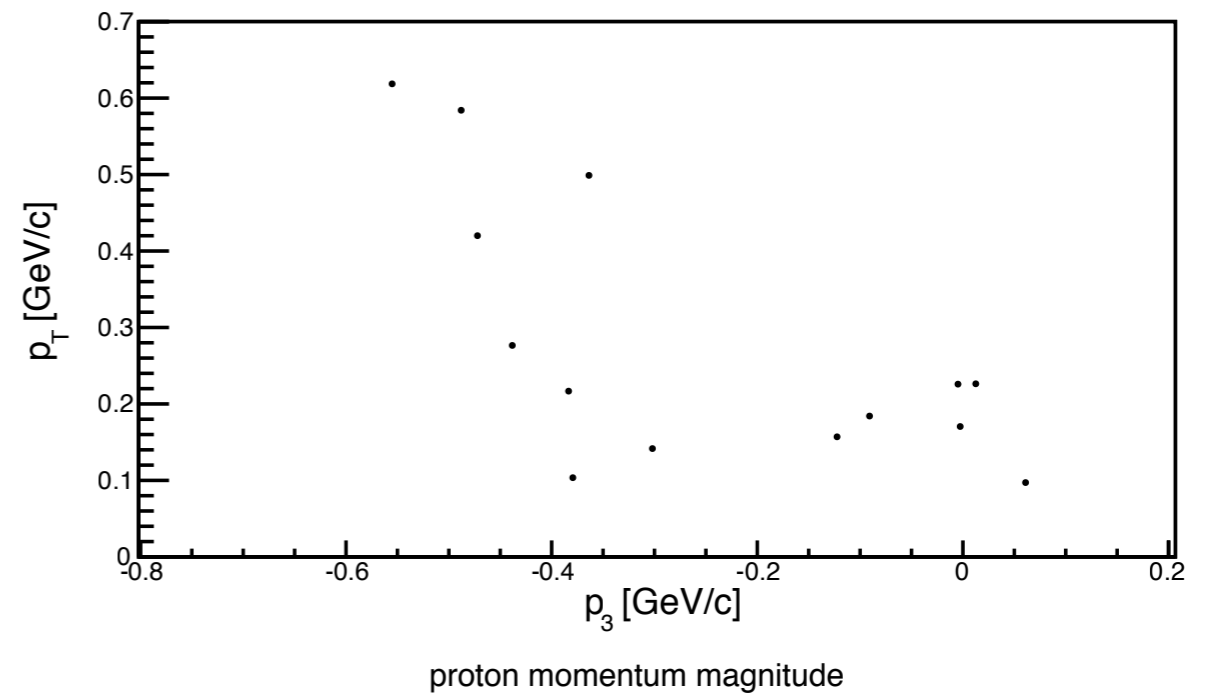
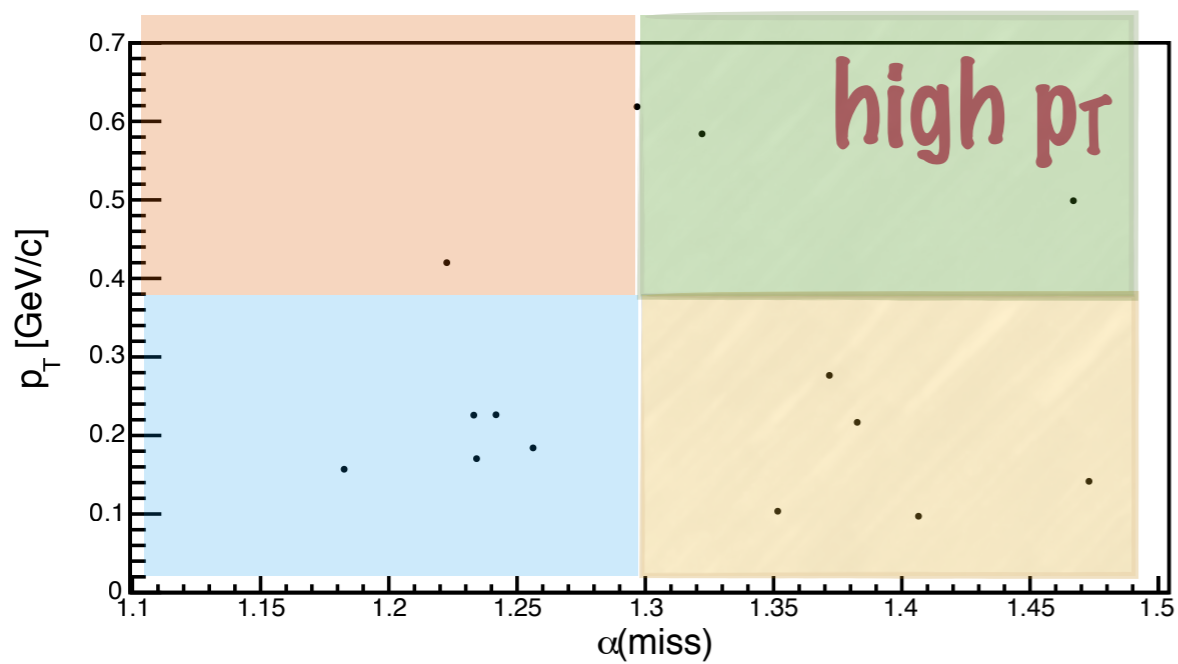


Changing approach - cleaning events to SRC kinematics

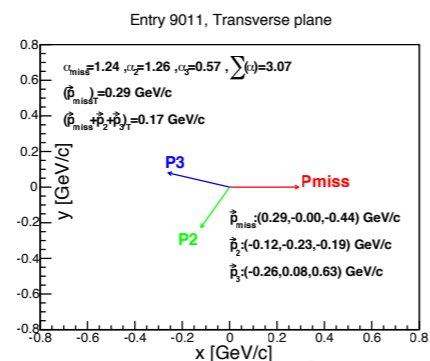
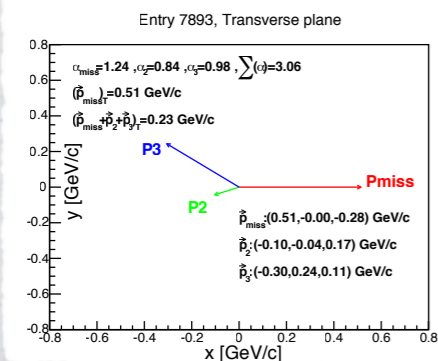
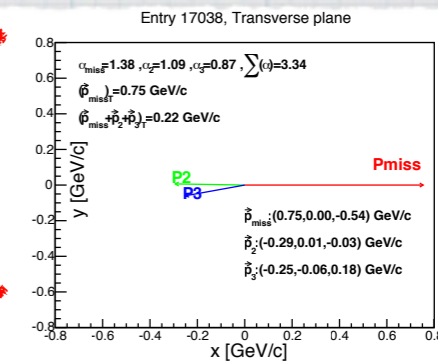
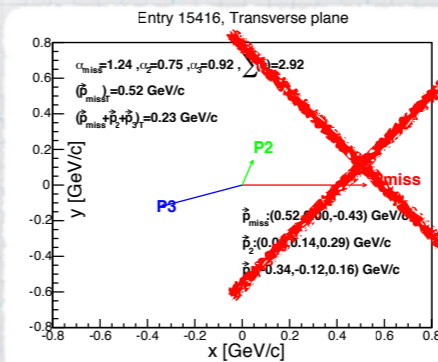
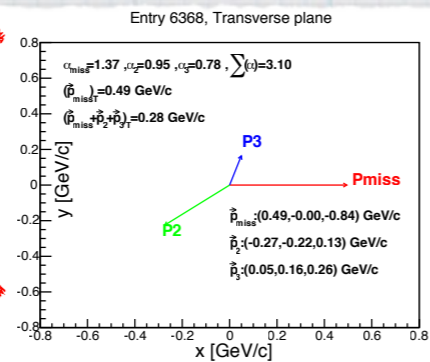
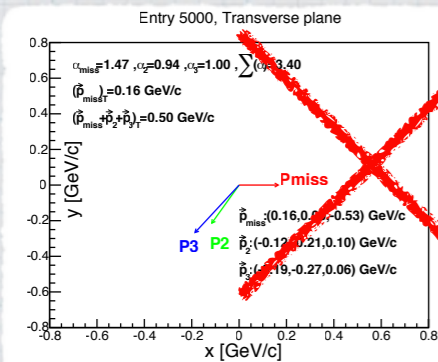
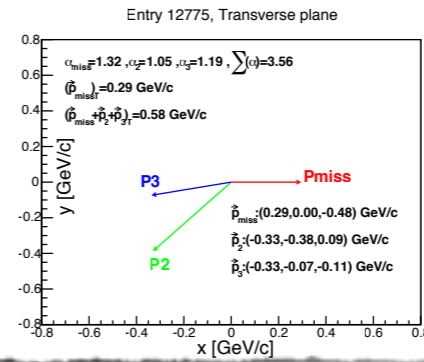
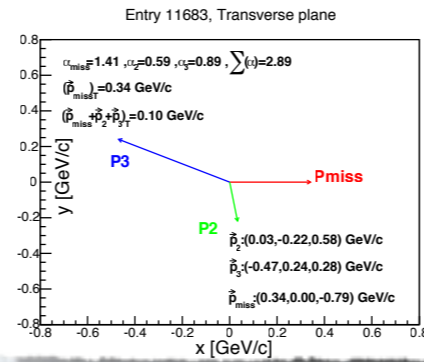
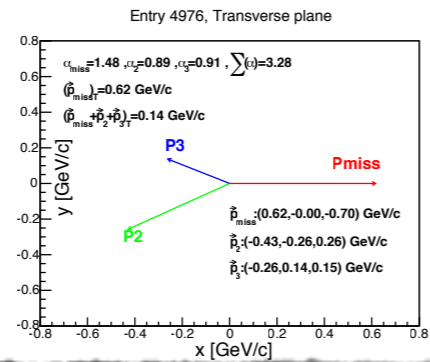
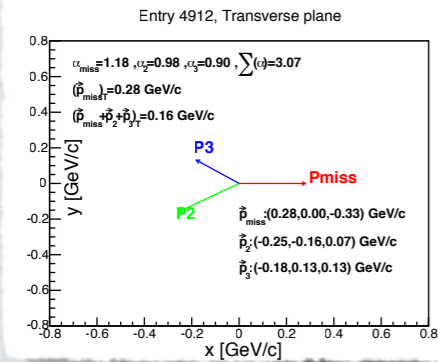
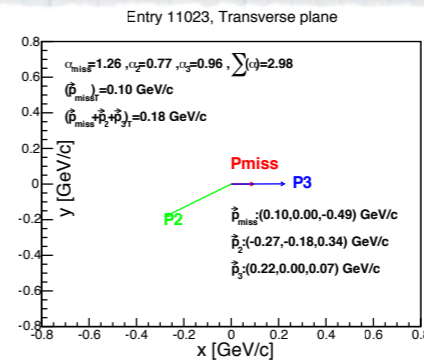
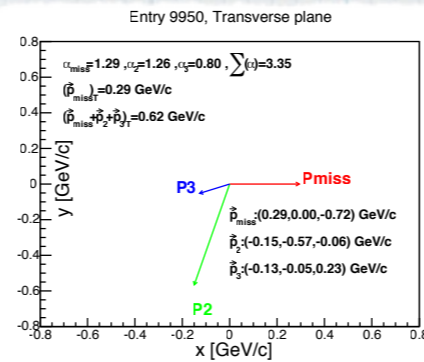
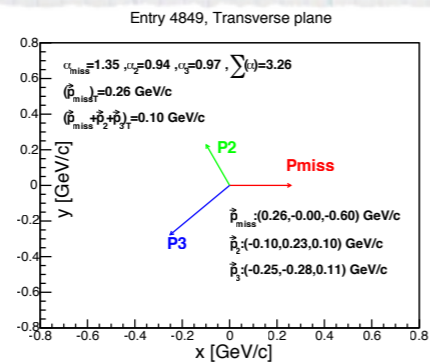
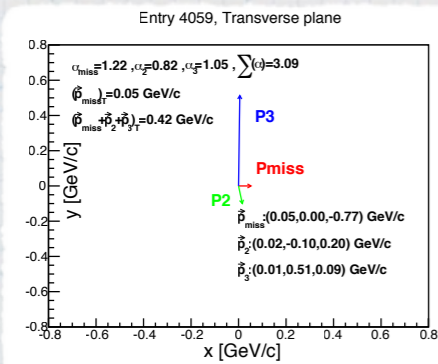


14 $^{12}\text{C}(e, e'ppp)$ events

kinematics - characteristics

Transverse plane projection



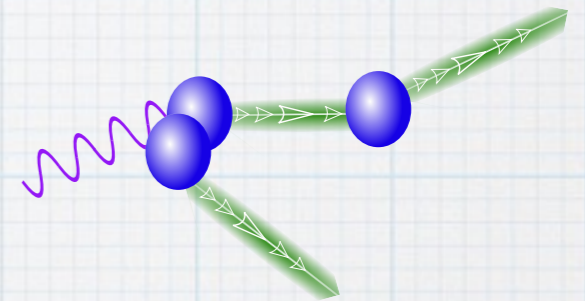
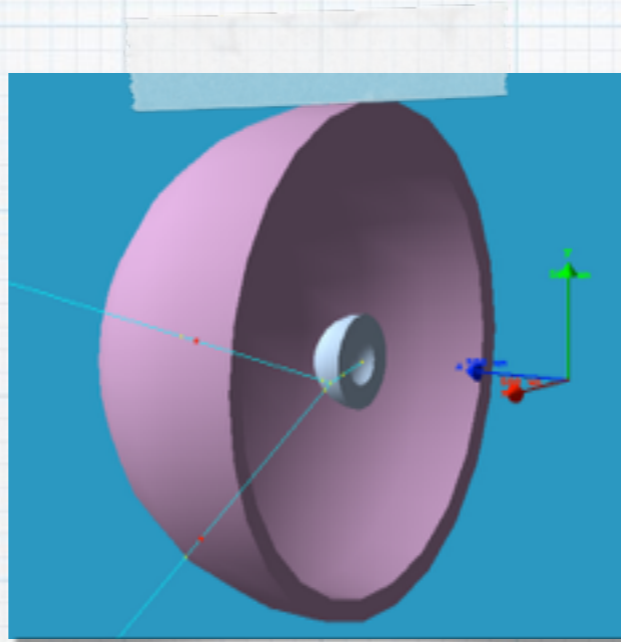
9 ARE BALANCED



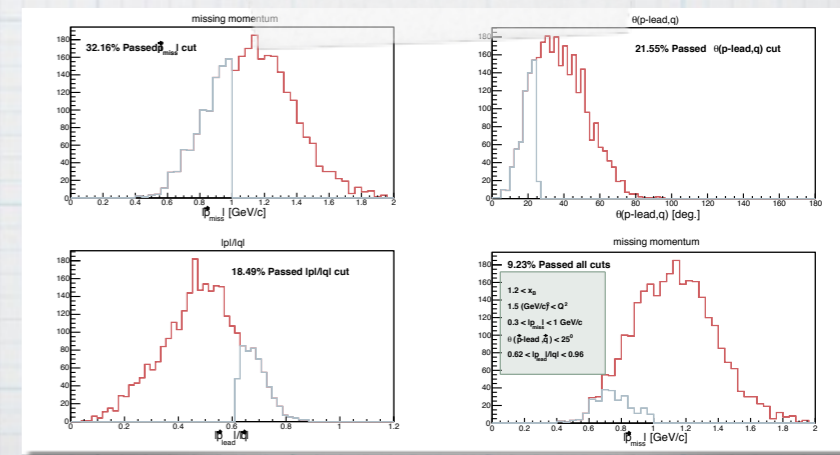
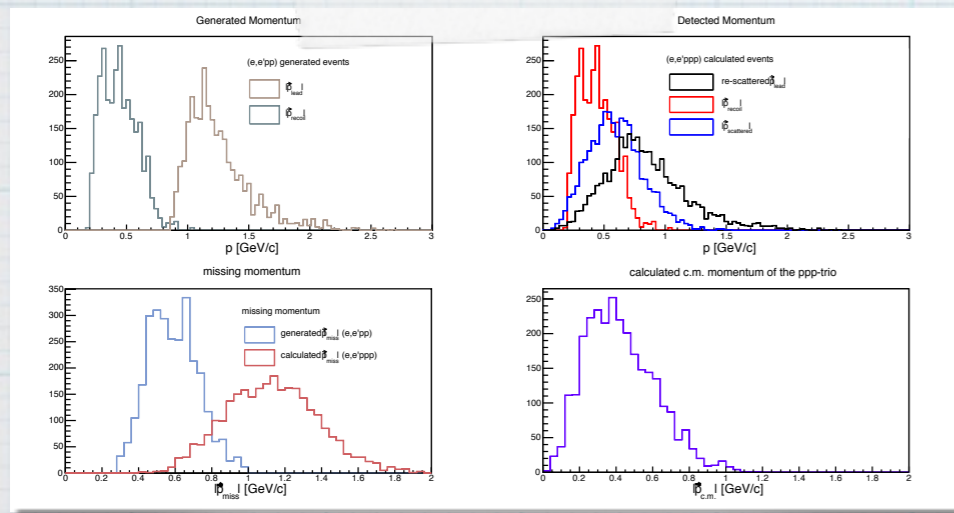
Further information on the 3p-SRC candidates

event	\vec{p}_{miss}	\vec{p}_2	\vec{p}_3	$(\vec{p}_{miss})_T$	$(\vec{p}_{miss})_l$	$(\vec{p}_{c.m.})_T$	$(\vec{p}_{c.m.})_l$
-	<i>GeV/c</i>	<i>GeV/c</i>	<i>GeV/c</i>	<i>GeV/c</i>	<i>GeV/c</i>	<i>GeV/c</i>	<i>GeV/c</i>
4849	(0.26,-0.00,-0.60)	(-0.10,0.23,0.10)	(-0.25,-0.28,0.11)	0.26	-0.60	0.10	-0.38
4912	(0.28,0.00,-0.33)	(-0.25,-0.16,0.07)	(-0.18,0.13,0.13)	0.28	-0.33	0.16	-0.12
4976	(0.62,-0.00,-0.70)	(-0.43,-0.26,0.26)	(-0.26,0.14,0.15)	0.62	-0.70	0.14	-0.29
6368	(0.49,-0.00,-0.84)	(-0.27,-0.22,0.13)	(0.05,0.16,0.26)	0.49	-0.84	0.28	-0.45
7893	(0.51,-0.00,-0.28)	(-0.10,-0.04,0.17)	(-0.30,0.24,0.11)	0.51	-0.28	0.23	0.01
9011	(0.29,-0.00,-0.44)	(-0.12,-0.23,-0.19)	(-0.26,0.08,0.63)	0.29	-0.44	0.17	0.01
11683	(0.34,0.00,-0.79)	(0.03,-0.22,0.58)	(-0.47,0.24,0.28)	0.34	-0.79	0.10	0.07
15416	(0.52,0.00,-0.43)	(0.04,0.14,0.29)	(-0.34,-0.12,0.16)	0.52	-0.43	0.23	0.02
17038	(0.75,0.00,-0.54)	(-0.29,0.01,-0.03)	(-0.25,-0.06,0.18)	0.75	-0.54	0.22	-0.39

α_{miss}	α_2	α_3	$\sum(\alpha)$
1.35	0.94	0.97	3.26
1.18	0.98	0.90	3.07
1.48	0.89	0.91	3.28
1.37	0.95	0.78	3.10
1.24	0.84	0.98	3.06
1.24	1.26	0.57	3.07
1.41	0.59	0.89	2.89
1.24	0.75	0.92	2.92
1.38	1.09	0.87	3.34



Background contribution



Characterizing background contribution

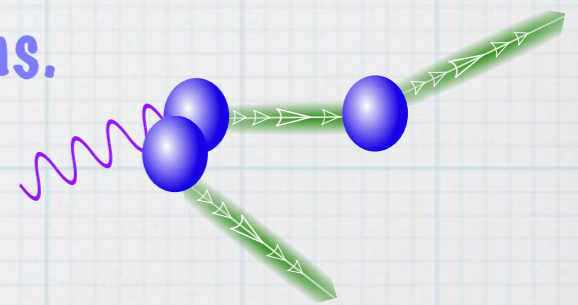
* 3N correlations without distortions should have

- $(p_{\text{miss}} + p_2 + p_3)_T < 0.2-0.3 \text{ GeV}/c$
- $\Sigma \alpha - 3 < 0.2-0.3$



* Larger values are likely:

- pnpp correlations in which all goes through pn interactions.
- Re-scattering

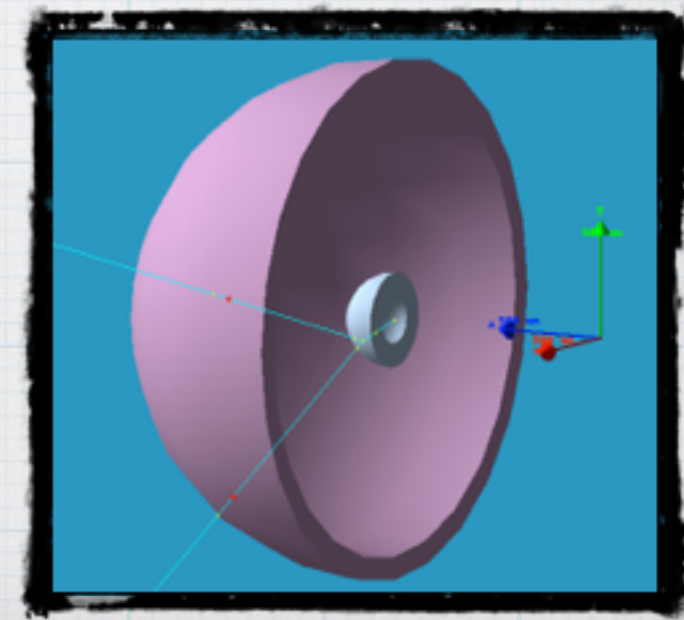
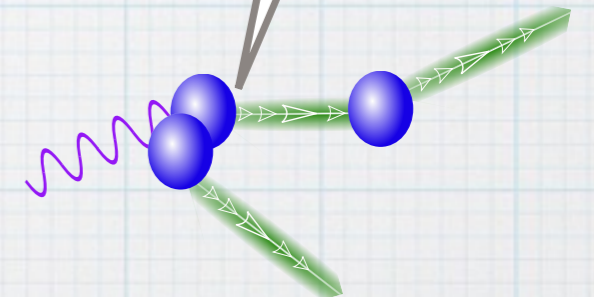
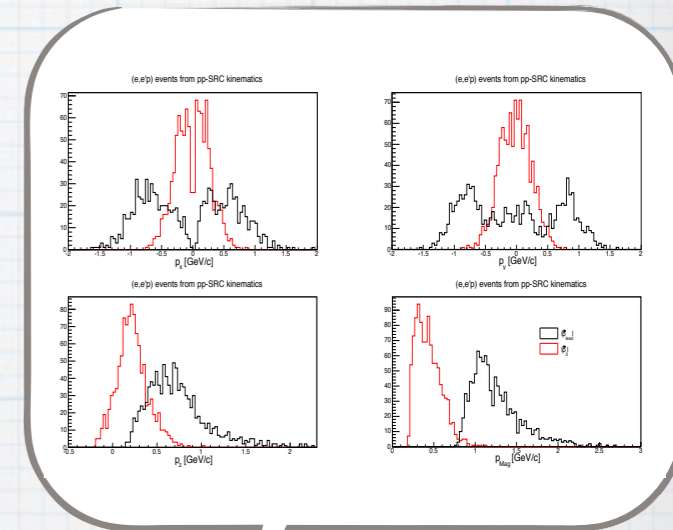


* Its important to have an idea where do the 4 events with $|p_{\text{miss}}| \sim 0.8-1 \text{ GeV}/c$ come from.

* Such a large suppression of ppp- to pp-SRC requires us to look for rare processes which mimic 3p-SRC.

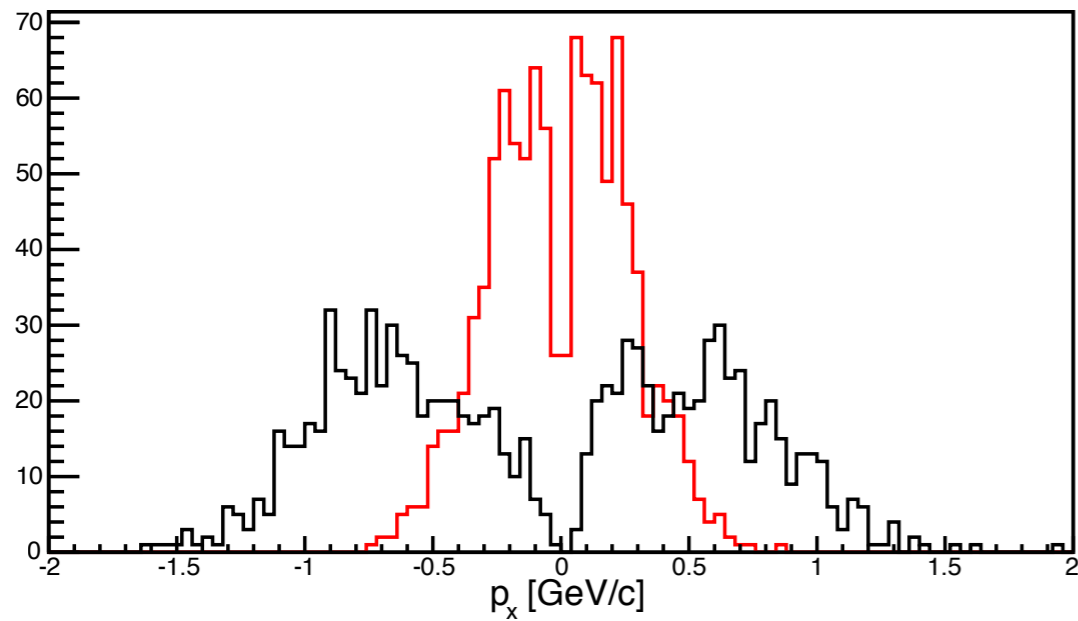
Studying contribution to Re-scattering

- * Consider elastic re-scattering of pp-SRC (p_{lead}), off a proton (p_3) when leaving the nucleus.
- * Model using Geant4 simulation:
 - Both p_{lead} & $p_{precoil}$ from pp-SRC (e,e'pp) data were injected into the simulation,
 - p_{lead} was allowed to re-scatter elastically off p_3 at rest.

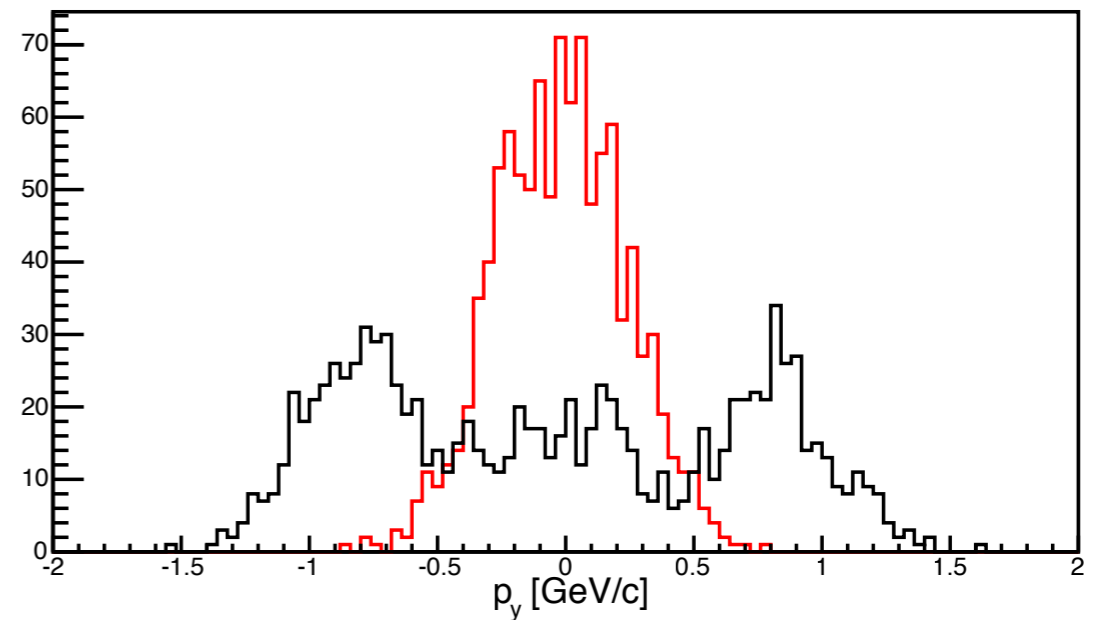


Data - simulation input

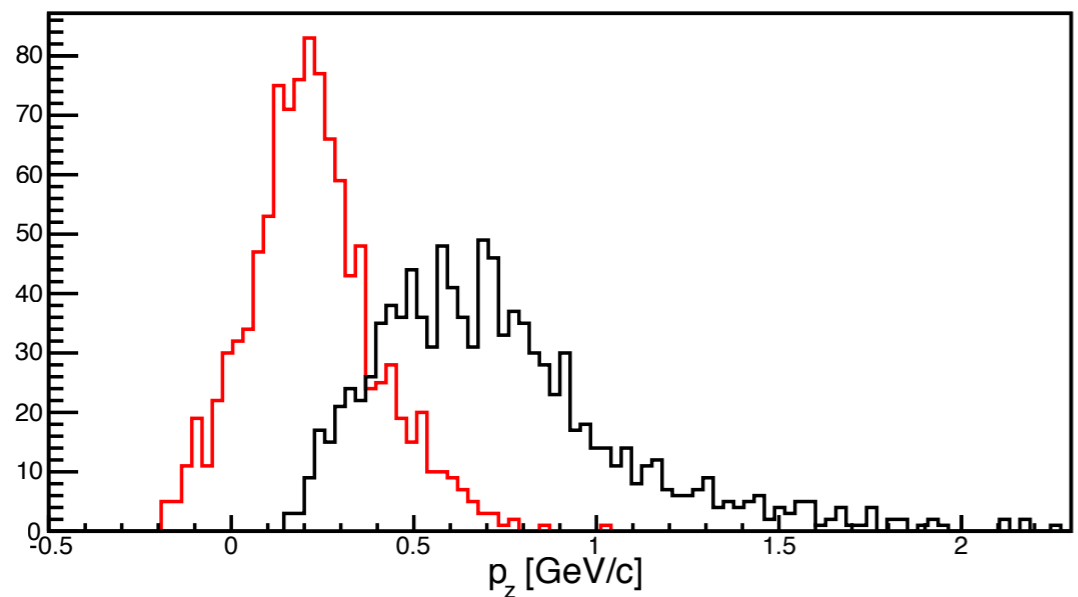
(e,e'p) events from pp-SRC kinematics



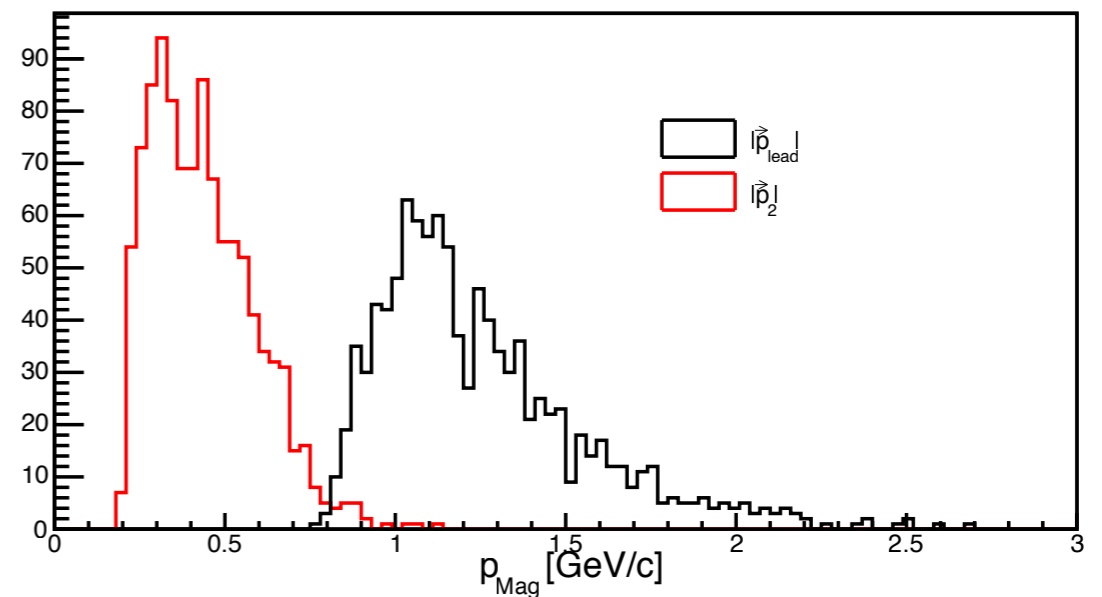
(e,e'p) events from pp-SRC kinematics



(e,e'p) events from pp-SRC kinematics

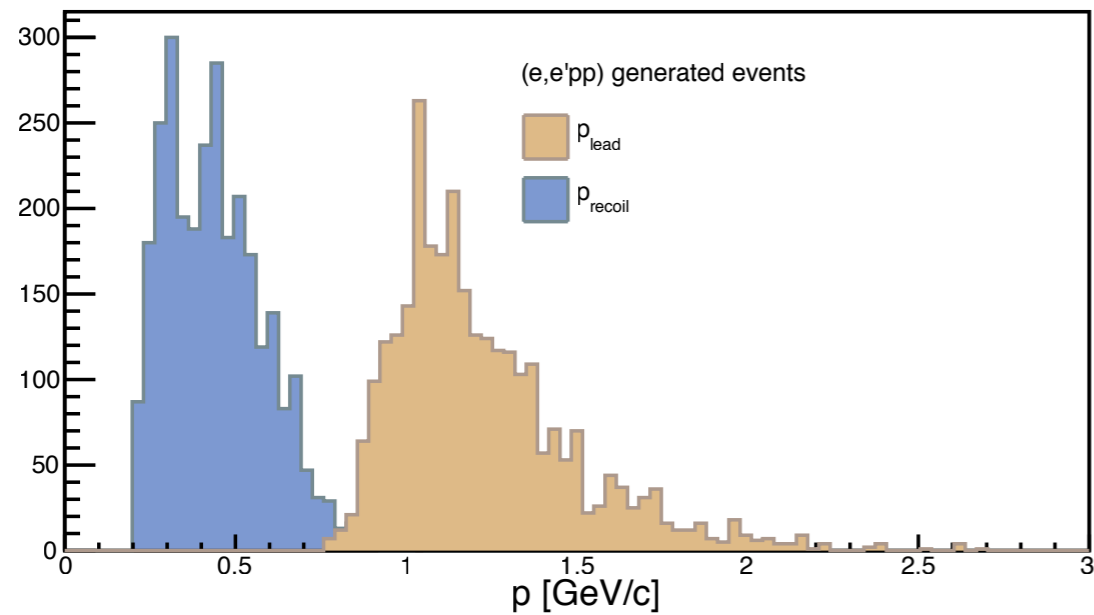


(e,e'p) events from pp-SRC kinematics

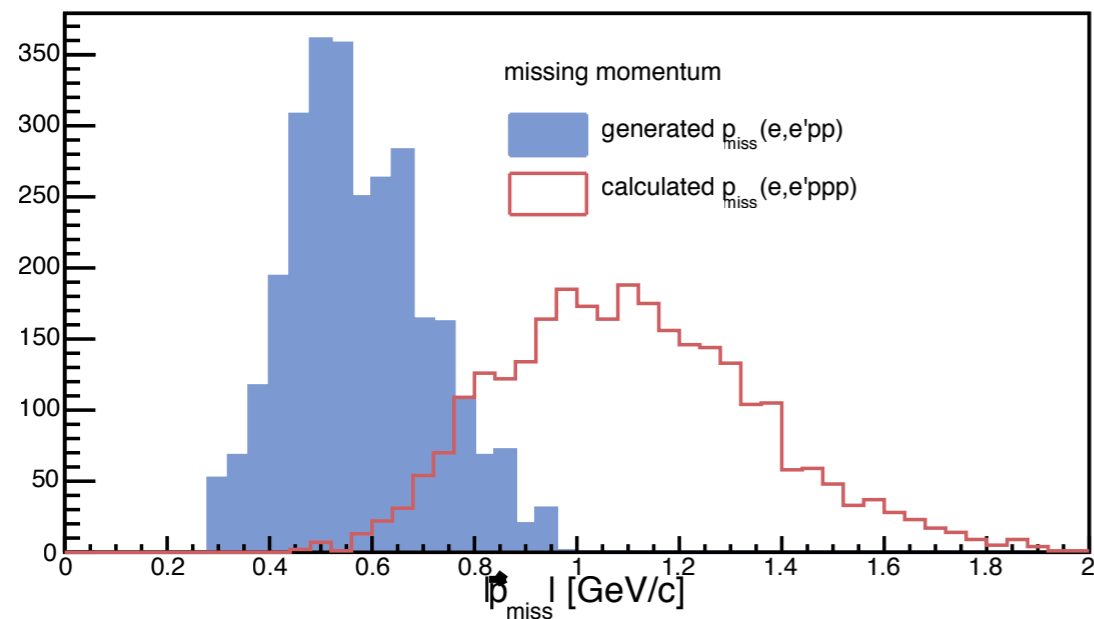


Simulation results

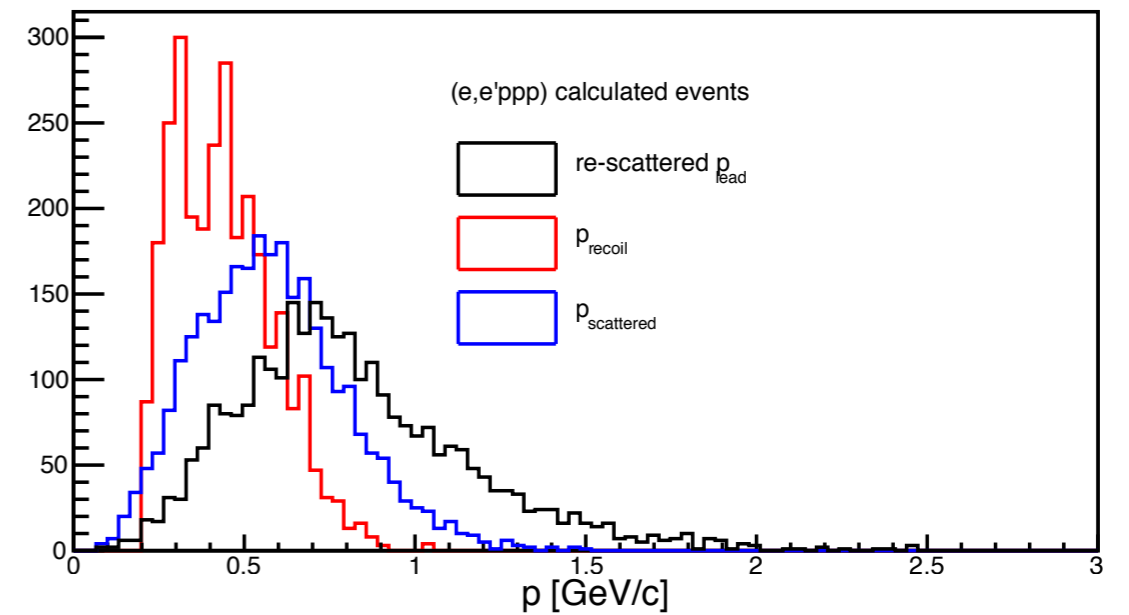
Generated Momentum



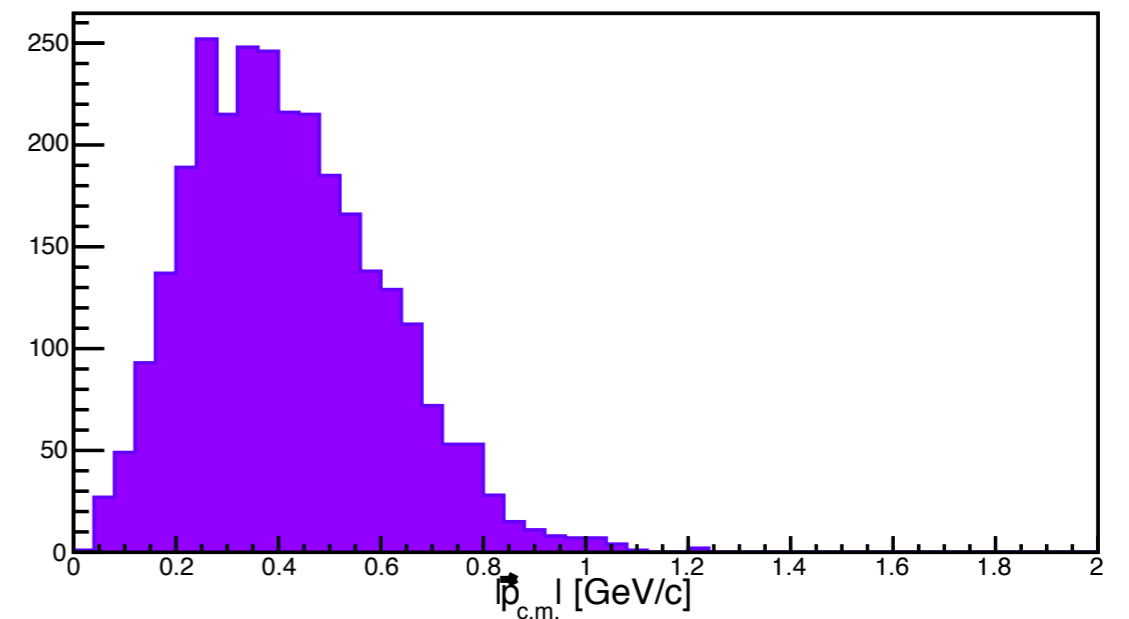
missing momentum



Detected Momentum

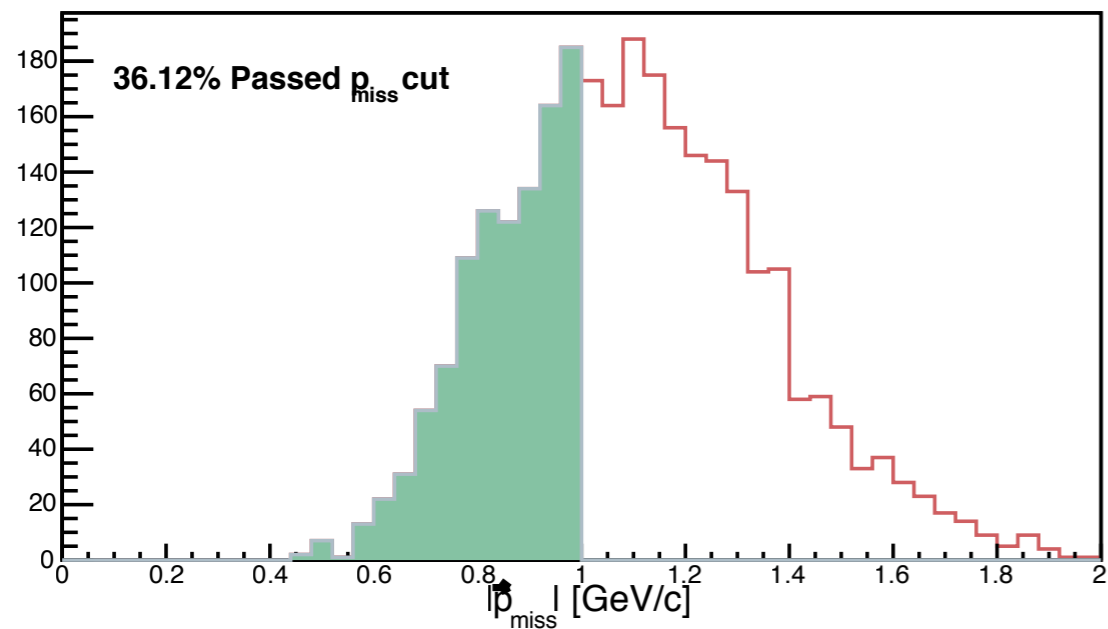


calculated c.m. momentum of the ppp-trio

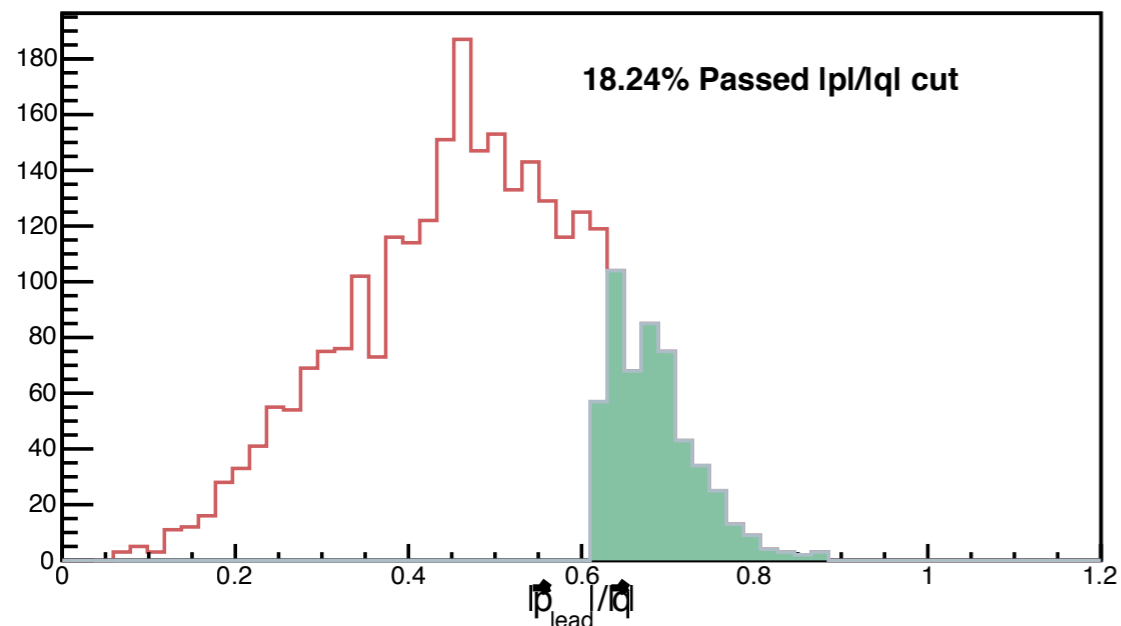


Simulation results

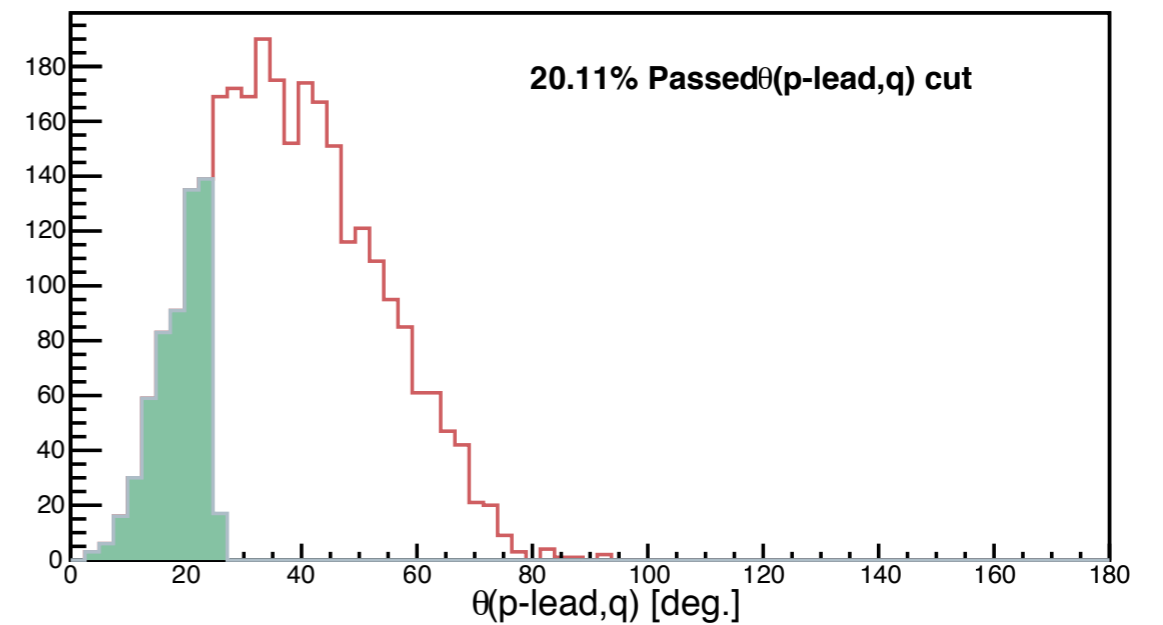
missing momentum



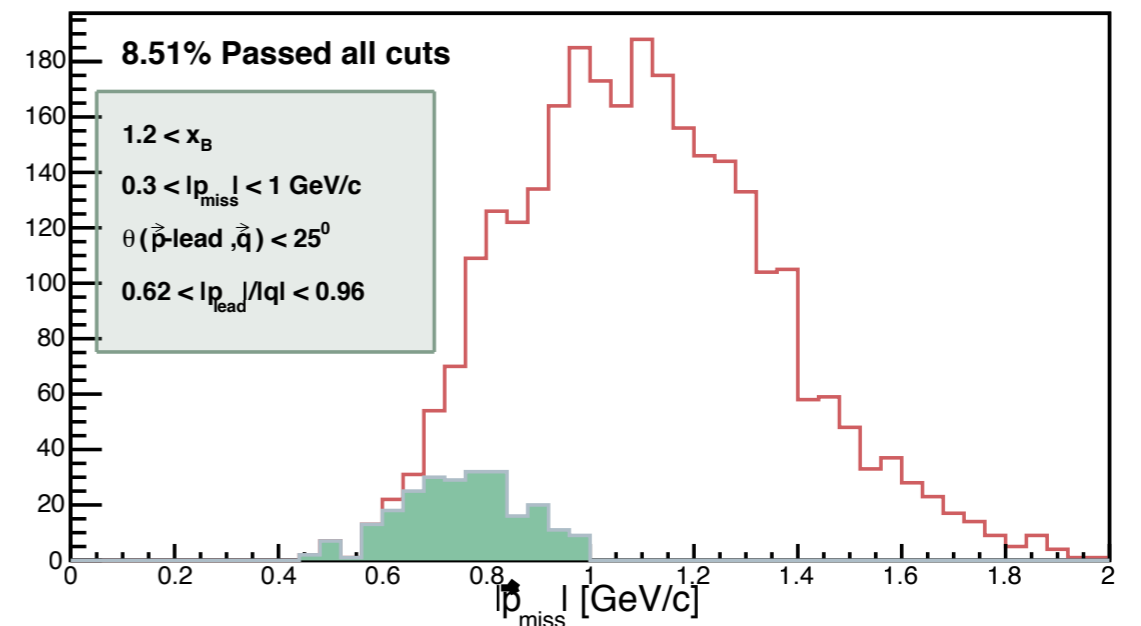
$|p|/|q|$



$\theta(p\text{-lead},q)$



missing momentum



Simulation results

- * **About 8.5%** of the pp-SRC re-scattering events contribute to ppp-SRC candidates.
- * This contribution comes with high missing momentum, **may** explain high $|p_{\text{miss}}|$ 3p-SRC candidates.
- * Normalization needs to be figured out:

$$1050 \text{ pp events} \times 8.5\% \times 0.4 (p/N) \sim$$

35 (e,e'ppp) events

Work under way

- * pp-SRC re-scattering background contribution:
 - How much a scattering off a bound nucleon could be different?
 - Improving the model by allowing p_3 to move (Fermi motion).
- * The residual system ($3p+6n$) is highly excited (~ 47 MeV). What effects does this introduce?

Nuclide	Z	N	Mass excess (keV)	Binding energy (keV)	Mass (mu)	Origin
^{12}C	6	6	0.0 ± 0.0	92161.753 ± 0.014	$12\ 000000.0 \pm 0.0$	
^9Li	3	6	24953.903 ± 1.946	45340.942 ± 1.946	$9\ 026789.122 \pm 2.089$	

Estimate the expected number of ppp-SRC events

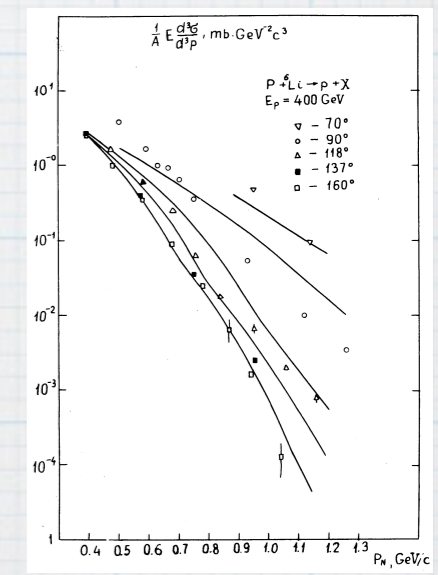
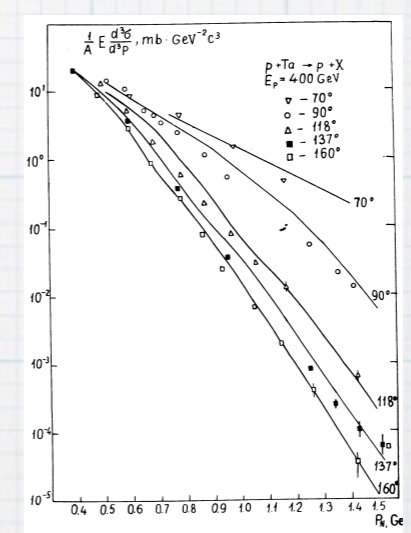
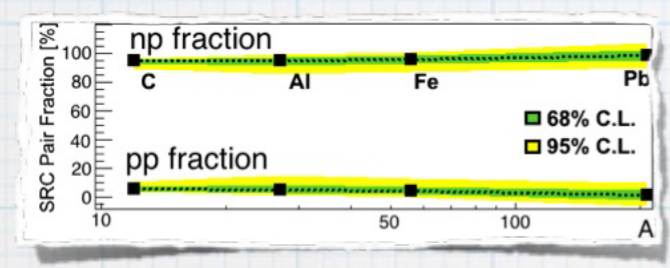
$\frac{\sigma(\text{pp-SRC})}{\sigma(\text{2N-SRC})} \sim 0.1 = \lambda$

$\frac{\sigma(\text{3N-SRC})}{\sigma(\text{2N-SRC})} \sim 0.15-0.2$

$\frac{\sigma(\text{ppp-SRC})}{\sigma(\text{3N-SRC})} \sim \lambda^2$

[Science, 346:614 (2014)]

[M. Strikman priv. com. based on Phys.Rept. 76 (1981) 215-3471]



$\# \text{ppp-SRC} = \frac{\sigma(\text{ppp-SRC})}{\sigma(\text{pp-SRC})} \# \text{pp-SRC}$

For ~ 1000 pp-SRC events, we expect 15-20 ppp-SRC

λ^2

λ

0.15-0.2

$= 1.5-2.0 \# \text{pp-SRC}$