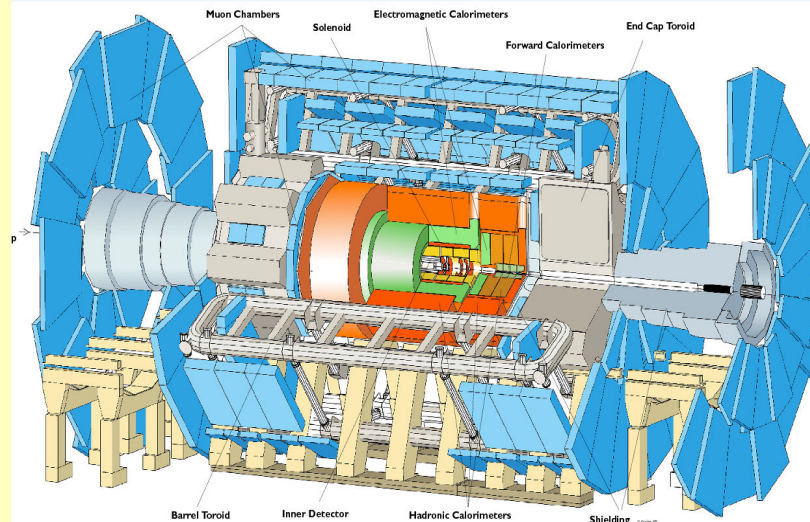


In-situ Calibration of the ATLAS Electromagnetic Calorimeter with $Z \rightarrow ee$ Events

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On behalf of the ATLAS collaboration

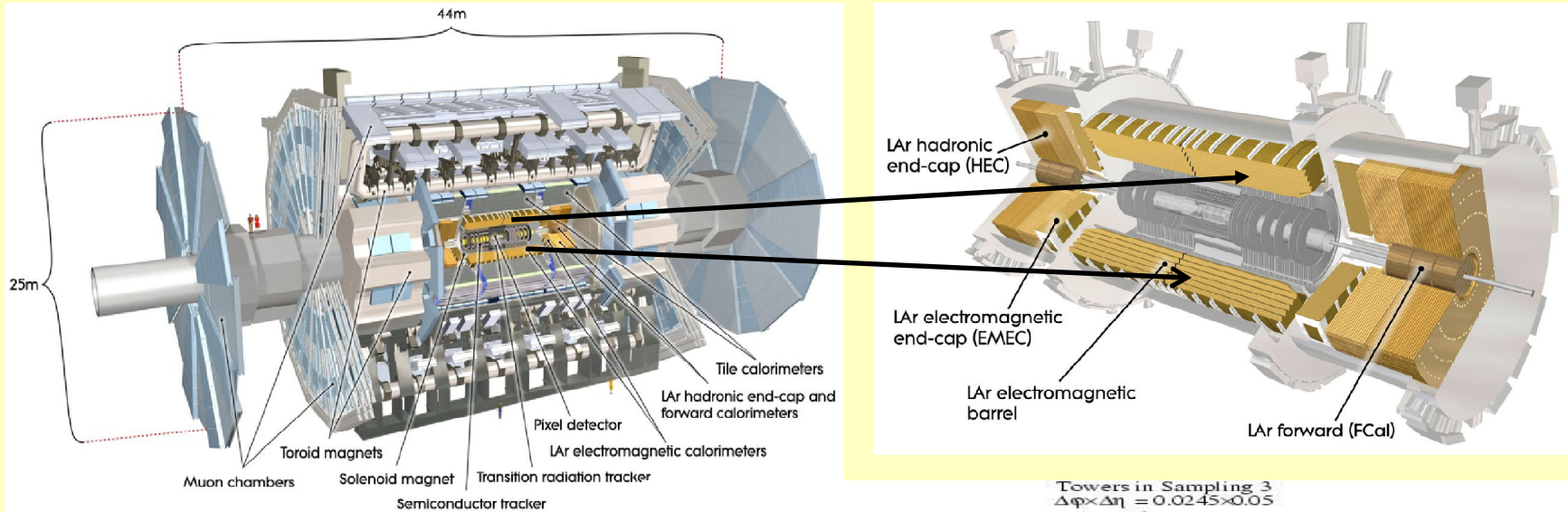
DPF 2009, WSU Detroit, MI



Outline

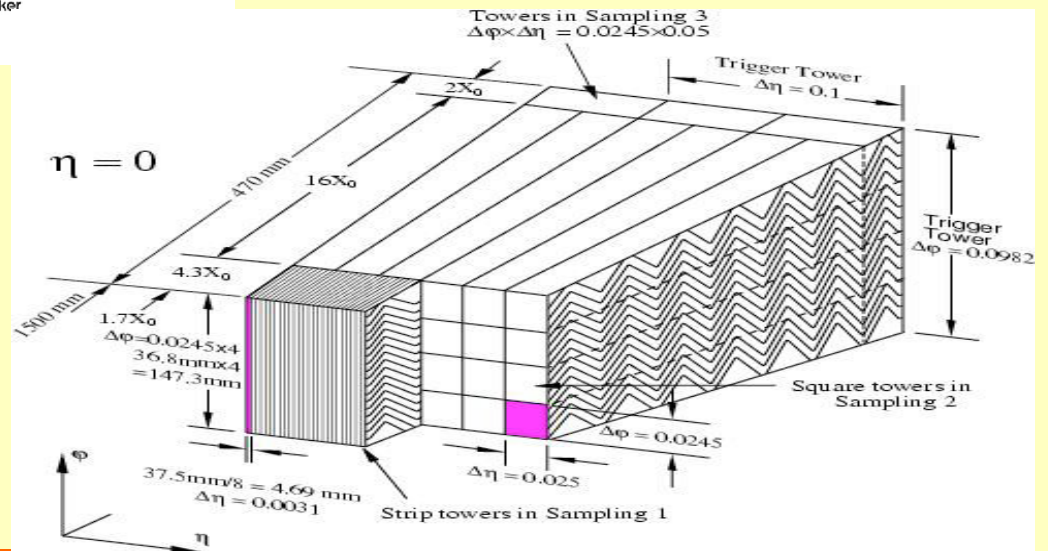
- ❑ Introduction and Motivation
- ❑ Calibration method
- ❑ Results from Monte Carlo data
 - Assessment of in-situ performance with initial data
 - systematics
- ❑ Conclusions and outlook

Liquid Argon(LAr) Calorimeter



$$\eta = -\ln \tan \left(\frac{\theta}{2} \right)$$

Cell/Cluster size in middle layer:
 Cell size ($\Delta\eta \times \Delta\phi$)=0.025x0.025
 Electron cluster ($\Delta\eta \times \Delta\phi$)=0.075x0.175
 Photon cluster ($\Delta\eta \times \Delta\phi$)=0.075x0.125



Motivation

- $H \rightarrow \gamma\gamma$: to observe signal peak on top of huge $\gamma\gamma$ background

- places severe requirements on the performance of the EM Calo.
- need mass resolution of $\sim 1.2\%$

❖ response uniformity (i.e. total constant term of energy resolution) $\leq 0.7\%$ over $|\eta| < 2.4$

- Energy resolution is parameterized as

$$\frac{\sigma_E}{E} = \frac{a}{\sqrt{E}} \oplus \frac{b}{E} \oplus c_{tot}$$

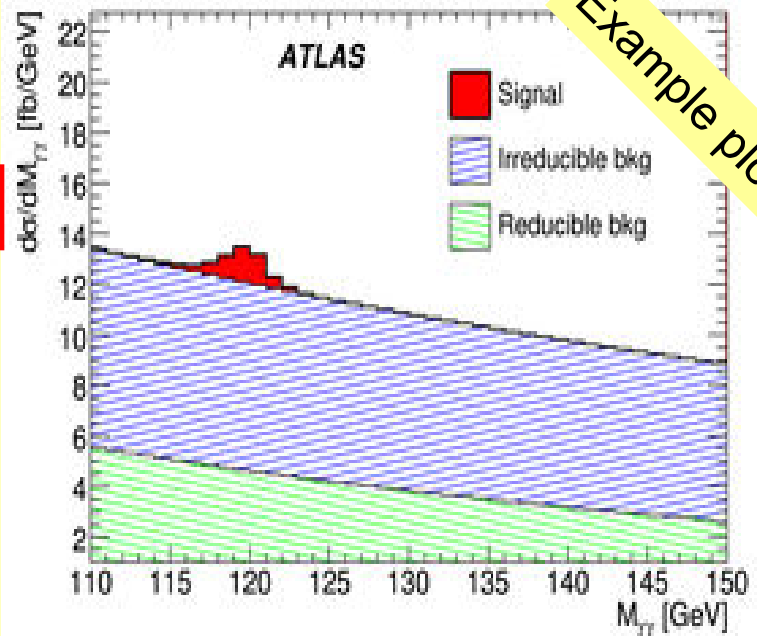
where $c_{tot} = c_L \oplus c_{LR} \leq 0.7$

- From the test beam the local constant (c_L) term $\sim 0.5\%$

⇒ the "long range" zone to zone non-uniformity (c_{LR}) must be $\leq 0.5\%$

⇒ zone is $\Delta\eta \times \Delta\phi = 0.2 \times 0.4$

- Long range non-uniformities can be corrected using electrons from Z boson decays



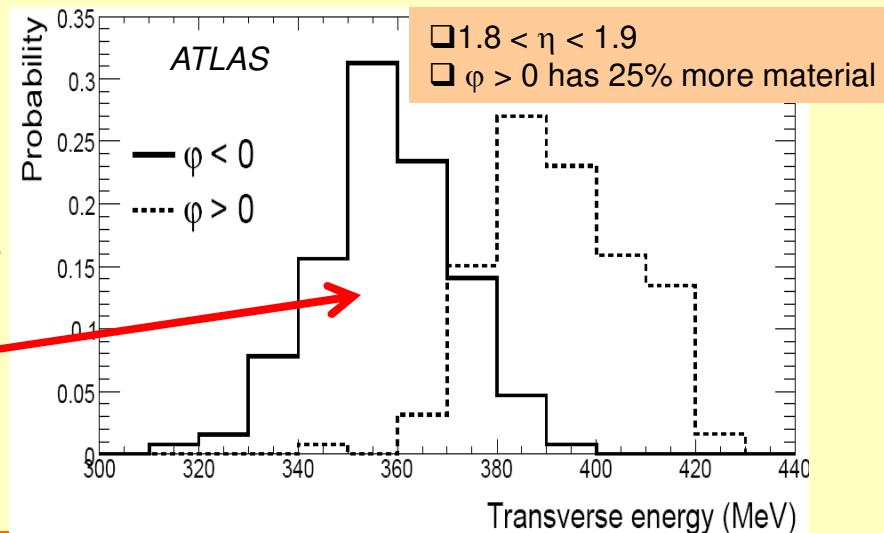
Example plot

Not using sophisticated methods developed by Higgs group for background subtraction

In-situ calibration also has to establish absolute EM scale to an accuracy $\sim 0.1\%$

A bit of details

- ❑ Some sources of long-range non-uniformities:
 - High voltage variation due to localized calorimeter defects
 - Liquid Argon (LAr) temperature variations
 - Impurities
 - Mechanical deformation
 - Material in front of the calorimeter
- ❑ By construction the response uniformity is within $\sim 1-2\%$ assuming perfect knowledge of the material in front of calorimeter
- ❑ Material could be mapped out using different methods:
 - ❖ photon conversions, energy flow measured in layers of EM calorimeter
- ❑ Transverse energy accumulated in $\Delta\eta \times \Delta\phi = 0.1 \times 0.025$ middle-layer



Description of the Intercalibration Method

□ The basic idea is to constrain the measured di-electron invariant mass to the Z boson line shape

□ Method:

- Divide EM Calorimeter into 384 regions (zones) of $\Delta\eta \times \Delta\phi = 0.2 \times 0.4$
- For region "i", the long range constant term " α " in terms of reco. energy

$$E_i^{reco} = E_i^{true} (1 + \alpha_i)$$

di-electron mass in pair of region (i,j):

$$M_{ij}^{reco} \approx M_{ij}^{true} \left(1 + \frac{\alpha_i + \alpha_j}{2}\right) = M_{ij}^{true} \left(1 + \frac{\beta_{ij}}{2}\right)$$

$$\beta_{ij} \equiv \alpha_i + \alpha_j$$

□ Solve for β 's by minimizing the log-likelihood,

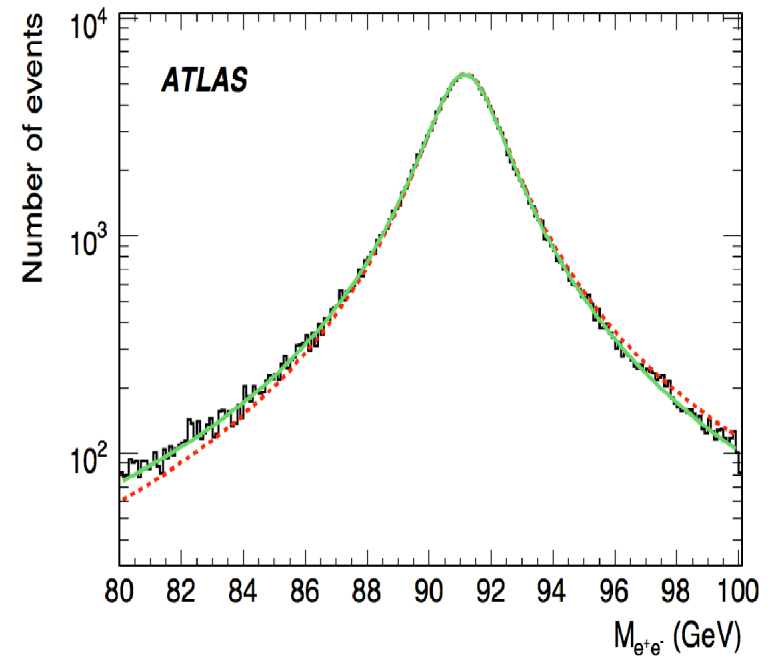
$$-\ln L = \sum_{k=1}^{N_{ij}} -\ln L_k \left(\frac{M_k}{1 + \frac{\beta_{ij}}{2}} \right)$$

□ Where L_k quantifies the compatibility of di-electron mass M_k in event "k" with the Z boson line shape

Solve for α 's with least squares method

Z boson line shape

- ❑ Using Z boson line shape as a reference
 - Line shape is modeled with relativistic Breit-Wigner
 - Corrected with parton luminosity factor to best describe the Z line shape in pp collision
 - Convolution with a gaussian to take into account finite resolution of the calorimeter
- ❑ Can also use Z mass distribution using ideal data (understood material, aligned detector)



In the following slides “ α ” means long range calibration constants

Monte Carlo Generator Level Tests

□ Events generated with Pythia 6.403

➤ Tested the method with 50K events

➤ Smear electron energy as

$$\frac{\sigma_E}{E} = \frac{10\%}{\sqrt{E}}$$

➤ Selection cuts:

❖ at least one electron with

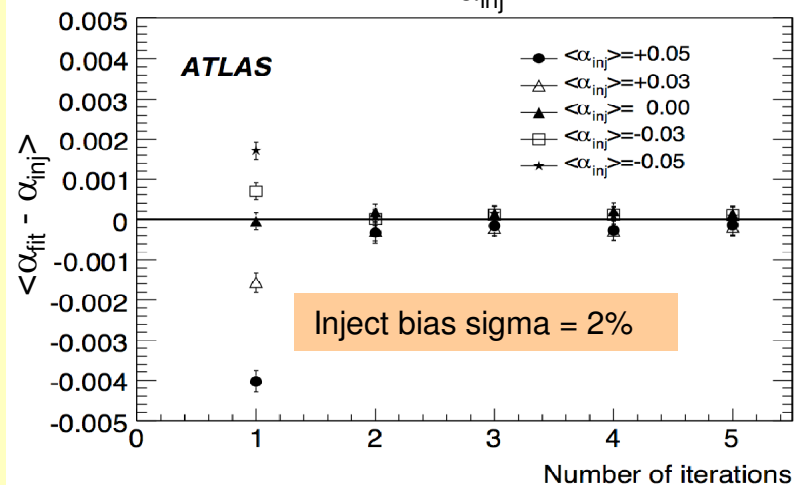
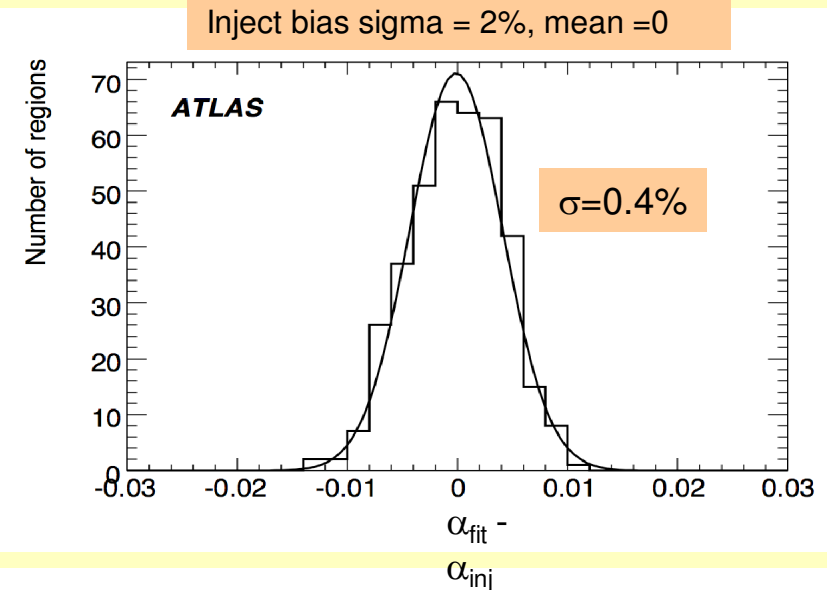
$p_T > 10\text{GeV}$, $|\eta| < 2.4$

❖ di-electron mass $> 60\text{ GeV}$

➤ Fit gives an unbiased estimator of the injected " α 's" for injected bias of mean=0, sigma=2%

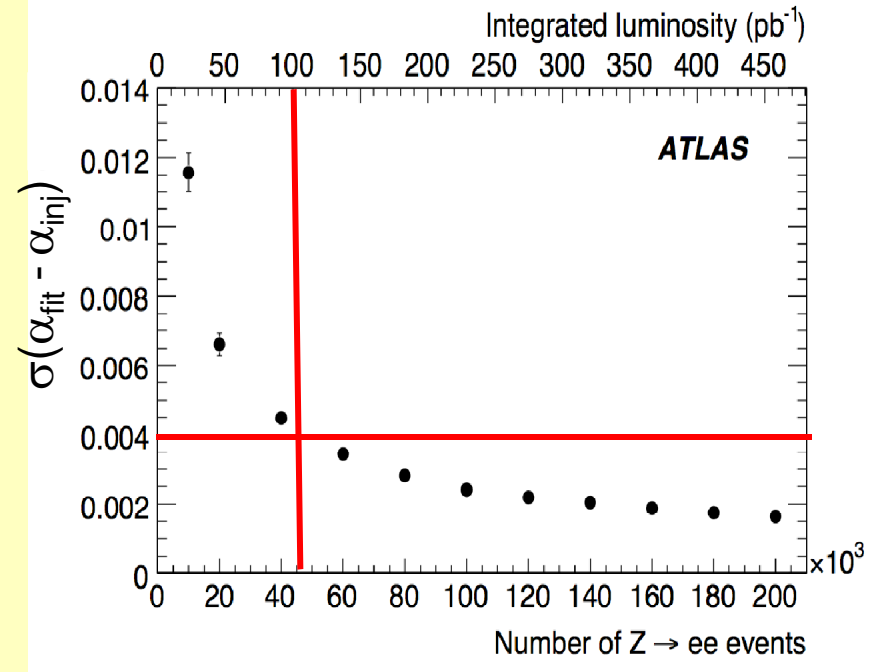
➤ For inject bias of mean=-3%, bias on energy scale 0.1%

➤ Performing a second iteration gives unbiased estimator of " α "



Constant term as a function of luminosity

- ❑ Injected gaussian bias of mean=0., sigma=2%
- ❑ At 100pb⁻¹ long range constant term~0.4%
- ❑ Combining with local term 0.5% gives total constant term ~0.6%
- ❑ assume perfect knowledge of material in front of calorimeter



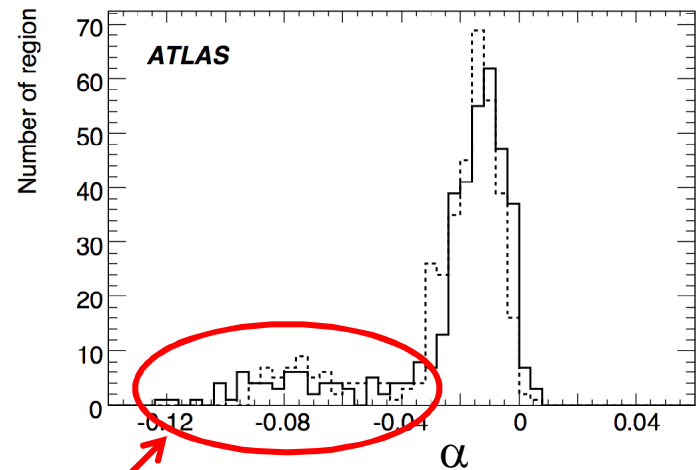
Results from realistic MC simulation

□ Results reported for $\sim 200\text{pb}^{-1}$ pseudo-data

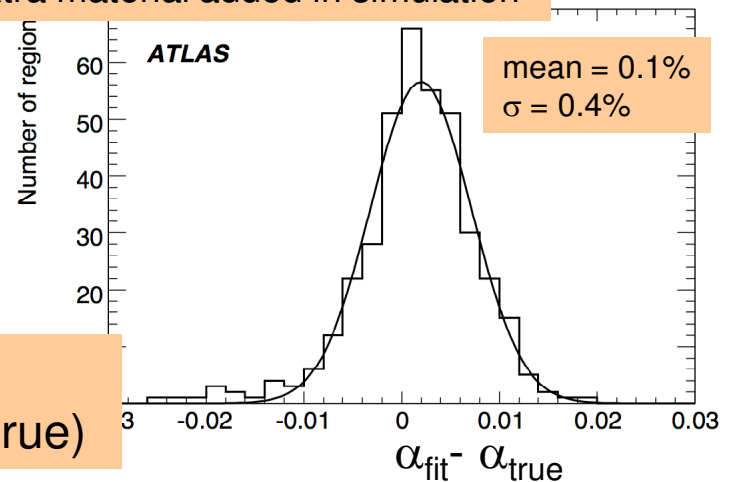
- Events were simulated/reconstructed with Atlas misaligned geometry
- Added extra material in the Inner Detector and Calorimeter
- Realistic misalignment

□ Selection criteria:

- Two medium electrons
- Opposite sign
- $p_T > 20$ GeV, $|\eta| < 2.4$
- Mass window, $80 < M_{ee} < 100$ GeV
 - ❖ Selection efficiency $\sim 21.5\%$



due to extra material added in simulation

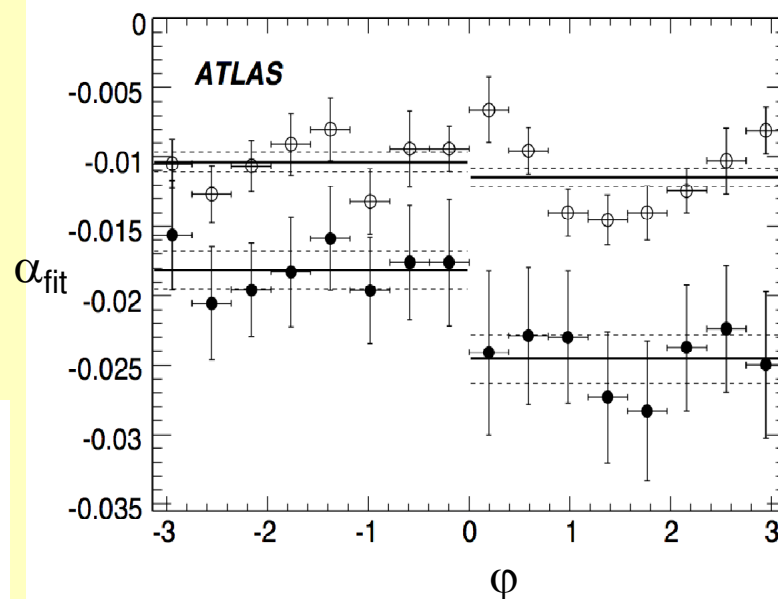
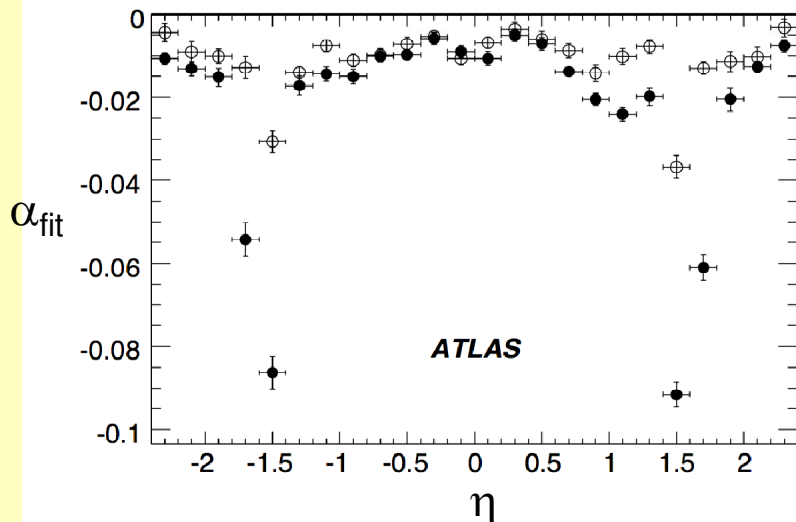


intrinsic true " α 's" are derived by fitting the peak position of $(p_T(\text{reco}) - p_T(\text{true})) / p_T(\text{true})$

Calibration constants vs eta/phi

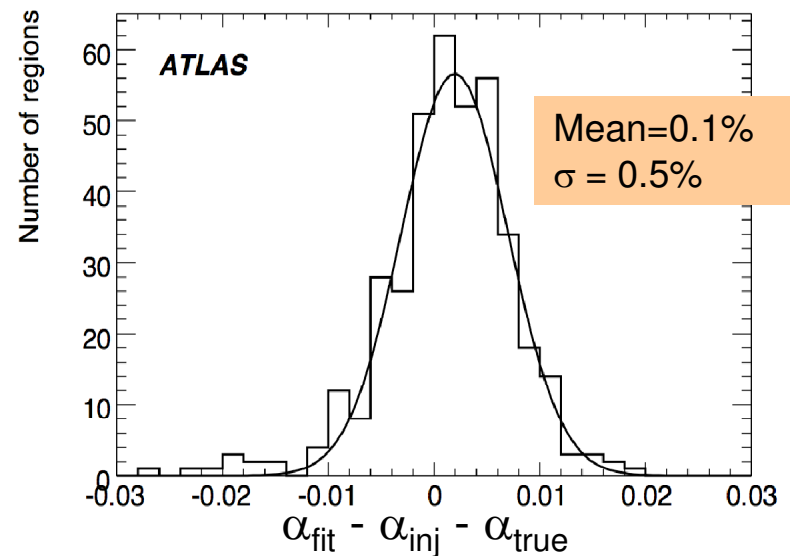
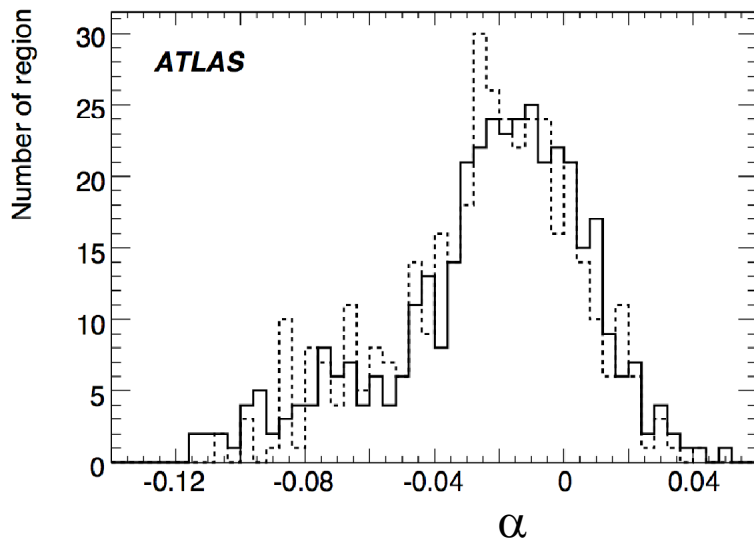
- Comparison between nominal (open circles) and realistic (full circles) simulation
- Effect of extra material visible between positive and negative ϕ

➤ Difference $\sim 0.6\%$



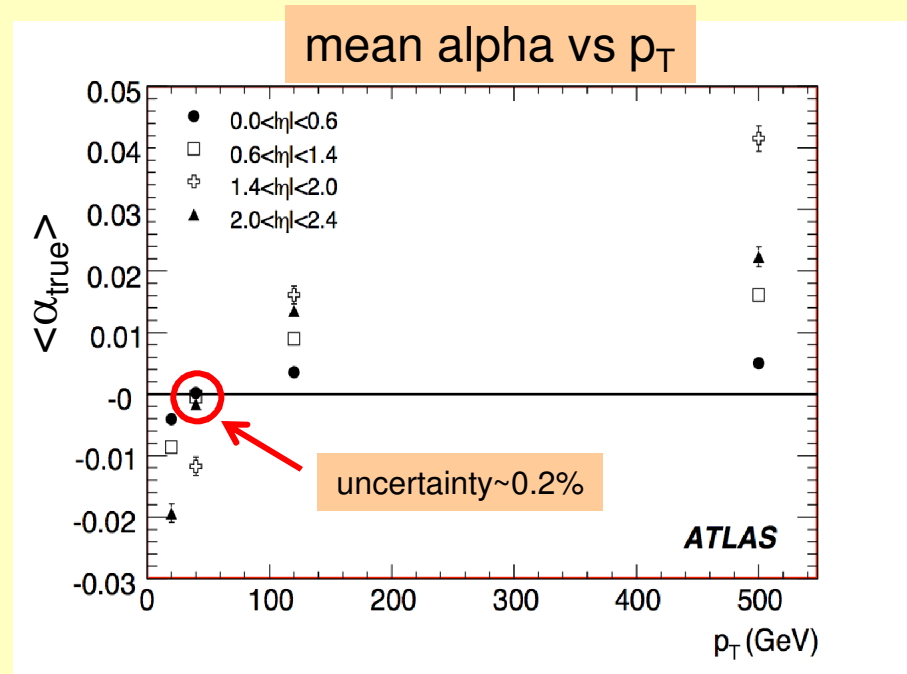
Realistic simulation plus injected bias

- ❑ Injecting bias from a gaussian distribution of mean=0., sigma=2%
 - ❑ Estimating true " α 's" as before using truth information
 - ❑ Good agreement between data driven fitted " α 's" and true alpha's
 - ❑ Could recover constant term $\sim 0.5\%$
 - ❑ Absolute energy scale accuracy $\sim 0.1\%$
- ❑ With 200 pb^{-1} and initial non-uniformity of 2% the long range constant term is within $\sim 0.5\%$
 - ❑ Repeating the same exercise at 100 pb^{-1} give constant term $\sim 0.8\%$, bias on absolute scale $\sim 0.1\%$



A word about systematics

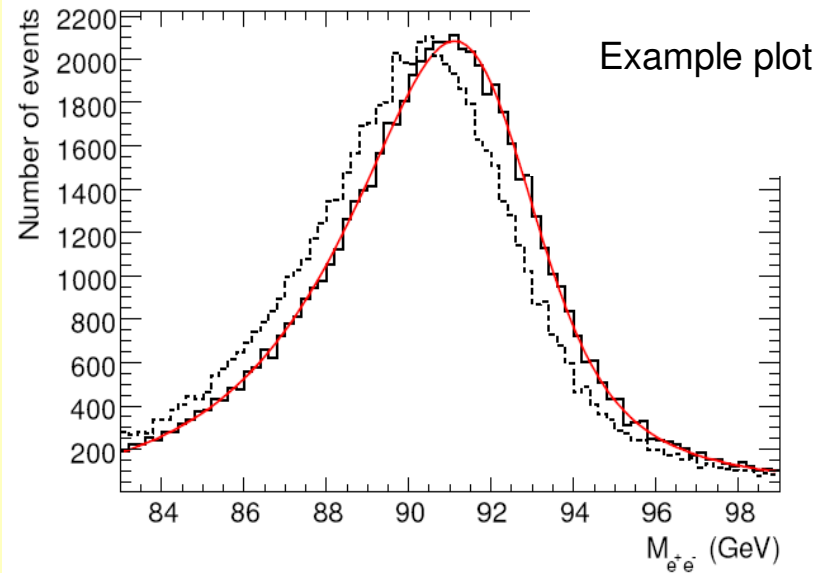
- ❑ Bias due to QCD background
 - Contribution from QCD background with two jets faking electrons is small
 - Negligible effect on determination of energy scale
- ❑ Extrapolation to low or high p_T
 - Electron p_T from Z boson has peak ~ 45 GeV
 - For electron in $|\eta| < 0.6$, p_T dependence is within $\sim 0.5\%$
 - Effect is worse for non central electrons
 - Non-linearity is due to the presence of extra material
 - Study has been ongoing to cross check calibration constants in the low p_T region with $J/\psi \rightarrow ee$
- ❑ At Z boson scale uncertainty $\sim 0.2\%$ for central electron
- ❑ For non central electron $\sim 1\%$



Corrections derived with $Z \rightarrow ee$ were applied to single electron samples in different p_T range

Z boson mass

- The data driven way to check the performance of the calibration machinery is to compare the di-electron invariant mass before and after corrections



Conclusions

- ❑ Methods to calibrate ATLAS Electromagnetic calorimeter are in place
- ❑ Performance studied on realistic Monte Carlo data
 - With 200pb^{-1} the long range constant term is $\sim 0.5\%$
 - ❖ hence the total constant term $\sim 0.7\%$
 - Absolute energy scale accuracy $\sim 0.1\%$
 - For central electron corrections can be extrapolated to full p_T spectrum within 0.5%
 - For non-central electrons linearity is degraded due to extra material
- ❑ Studies are in progress to improve/cross check $Z \rightarrow ee$ calibration by using isolated electrons from W boson and in the low p_T region using electrons from J/psi

Backup Slides

Backup

$$\frac{\sigma_E}{E} = \frac{a}{\sqrt{E}} \oplus \frac{b}{E} \oplus c_{tot}$$

$$c_{tot} = c_L \oplus c_{LR}$$

- ❑ a = stochastic term (sampling fluctuation)
- ❑ b = noise term (electronic, pile-up)
- ❑ c = constant term (non-uniformities, inter-channel calibration)

backup

Table 1.1: General performance goals of the ATLAS detector. Note that, for high- p_T muons, the muon-spectrometer performance is independent of the inner-detector system. The units for E and p_T are in GeV.

Detector component	Required resolution	η coverage	
		Measurement	Trigger
Tracking	$\sigma_{p_T}/p_T = 0.05\% p_T \oplus 1\%$	± 2.5	
EM calorimetry	$\sigma_E/E = 10\%/\sqrt{E} \oplus 0.7\%$	± 3.2	± 2.5
Hadronic calorimetry (jets)	barrel and end-cap	± 3.2	± 3.2
	forward	$3.1 < \eta < 4.9$	$3.1 < \eta < 4.9$
Muon spectrometer	$\sigma_{p_T}/p_T = 10\%$ at $p_T = 1$ TeV	± 2.7	± 2.4

