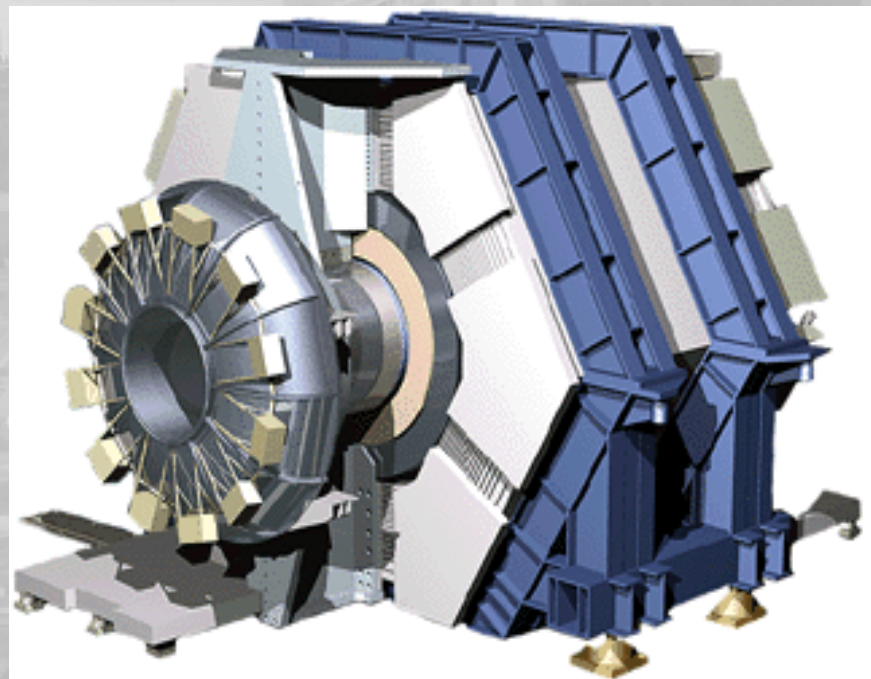


Search for $b \rightarrow u$ transitions in the decays $B \rightarrow D^{(*)}K^-$ using the ADS method at BaBar

Richard Kass for the BaBar Collaboration

Outline of Talk

- * Introduction/ADS method
- * Analysis technique
- * Preliminary Results
- * Summary & Conclusions



Atwood, Dunietz, Soni, PRL 78, 3257 (1997) & PRD 63, 036005 (2001)

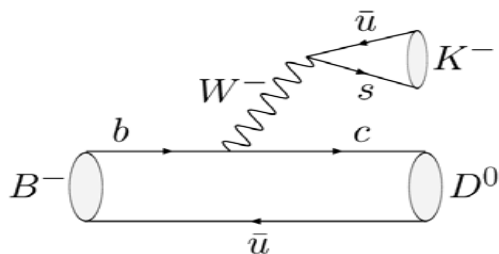
Use B decays that can reach the same final state via two different decay amplitudes

Amount of interference depends on CKM angle γ

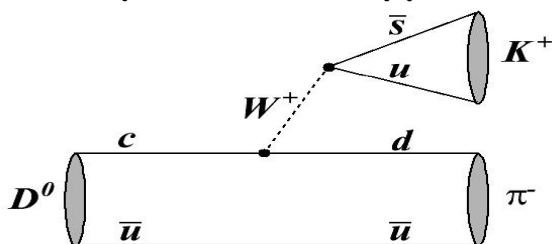
ADS idea: use D^0/\bar{D}^0 Flavor eigenstates, e.g. $B^- \rightarrow DK^- \rightarrow [K^+\pi^-]_D K^-$

Also can use D^*K^- and $D^{(*)}K^{*-}$

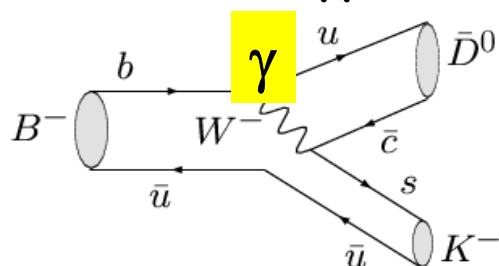
color & CKM favored



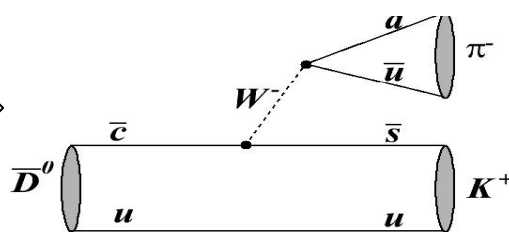
doubly Cabibbo suppressed



color & CKM suppressed



Cabibbo favored



$[K^+\pi^-]_D K^-$

The amplitude for $B^- \rightarrow DK^- \rightarrow [K^+\pi^-]_D K^-$ can be written as:

$$A(B^- \rightarrow [K^+\pi^-]_D K^-) \propto r_B e^{i\delta_B} e^{-i\gamma} + e^{-i\delta_D} r_D$$

$$r_B = \frac{|A(B^- \rightarrow \bar{D}^0 K^-)|}{|A(B^- \rightarrow D^0 K^-)|} \sim 0.1$$

B strong phase

CKM

D strong phase
 $\delta_D = (202^{+11})^0$ HFAG

$$r_D = \frac{|A(D^0 \rightarrow K^+\pi^-)|}{|A(D^0 \rightarrow K^-\pi^+)|}$$

$r_D = (5.78 \pm 0.08)\%$ HFAG

Can form two observables: R_{ADS} & A_{ADS}

$$R_{ADS} = \frac{\Gamma(B^- \rightarrow [K^+\pi^-]_D K^-) + \Gamma(B^+ \rightarrow [K^-\pi^+]_D K^+)}{\Gamma(B^- \rightarrow [K^-\pi^+]_{D^0} K^-) + \Gamma(B^+ \rightarrow [K^+\pi^-]_{\bar{D}^0} K^+)} = r_B^2 + r_D^2 + 2r_B r_D \cos(\delta_B + \delta_D) \cos \gamma$$

$$A_{ADS} = \frac{\Gamma(B^- \rightarrow [K^+\pi^-]_D K^-) - \Gamma(B^+ \rightarrow [K^-\pi^+]_D K^+)}{\Gamma(B^- \rightarrow [K^+\pi^-]_D K^-) + \Gamma(B^+ \rightarrow [K^-\pi^+]_D K^+)} = \frac{2r_B r_D \sin(\delta_B + \delta_D) \sin \gamma}{R_{ADS}}$$

☺news: theoretically clean way to measure γ .

Do not have to measure time dependence & asymmetry expected to be large

☹news: 3 unknowns (r_B, δ_B, γ) but 2 observables (R, A) per decay mode
 but add D^*K & now have 5 unknowns & 6 observables

☹news: Rates are expected to be small $\sim 10^{-7}$

$$B(B^- \rightarrow D^0 K^-) \times B(D^0 \rightarrow K^+ \pi^-) \sim (3.7 \times 10^{-4})(1.3 \times 10^{-4}) \sim 4.8 \times 10^{-8}$$

PEP-II at SLAC

asymmetric e^+e^- collider: 9 GeV (e^-)/3.1 GeV (e^+)
 PEP-II Peak Luminosity $1.2 \times 10^{34} \text{ cm}^{-2}\text{s}^{-1}$
 BaBar recorded 426 fb^{-1} at $\Upsilon(4S)$

$4.67 \times 10^8 \Upsilon(4S) \rightarrow B\bar{B}$ events



Study the following decays:

$$B^- \rightarrow DK^-$$

$$D \rightarrow K^+\pi^- \text{ \& \ } D \rightarrow K^-\pi^+$$

$$B^- \rightarrow D^*K^-$$

$$D^* \rightarrow \gamma D, D \rightarrow K^+\pi^- \text{ \& \ } D \rightarrow K^-\pi^+$$

$$B^- \rightarrow D^*K^-$$

$$D^* \rightarrow \pi^0 D, D \rightarrow K^+\pi^- \text{ \& \ } D \rightarrow K^-\pi^+$$

Notation:

"**ADS**": suppressed decays,
e.g. K's have opposite sign

"**CAB**": Cabibbo favored decays,
D π and DK decays
e.g. K's have same sign

$$B^- \rightarrow D\pi^-$$

$$D \rightarrow K^+\pi^- \text{ \& \ } D \rightarrow K^-\pi^+$$

$$B^- \rightarrow D^*\pi^-$$

$$D^* \rightarrow \gamma D, D \rightarrow K^+\pi^- \text{ \& \ } D \rightarrow K^-\pi^+$$

$$B^- \rightarrow D^*\pi^-$$

$$D^* \rightarrow \pi^0 D, D \rightarrow K^+\pi^- \text{ \& \ } D \rightarrow K^-\pi^+$$

Very useful check
of technique due to
large rate (>10x DK)

CPV expected to be
small in these modes

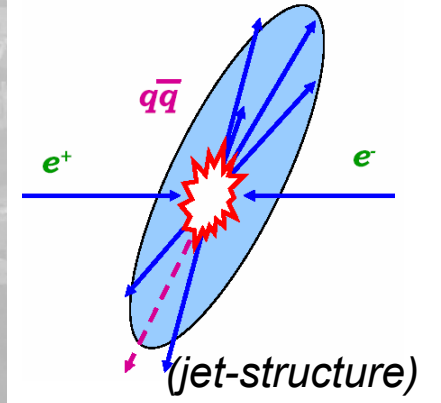
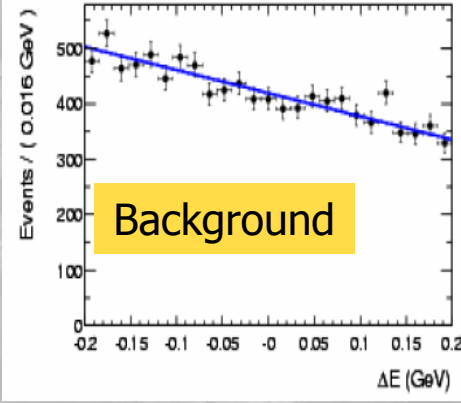
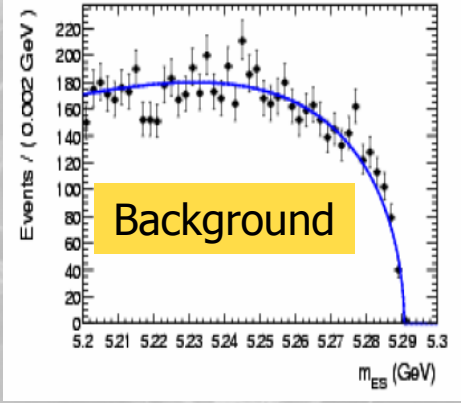
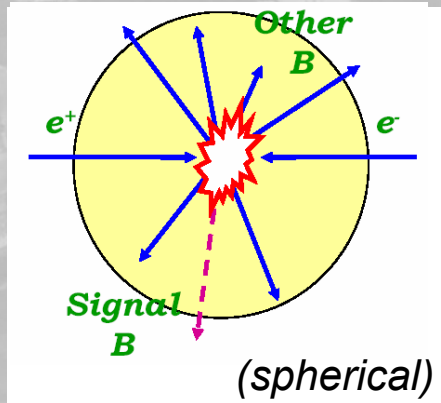
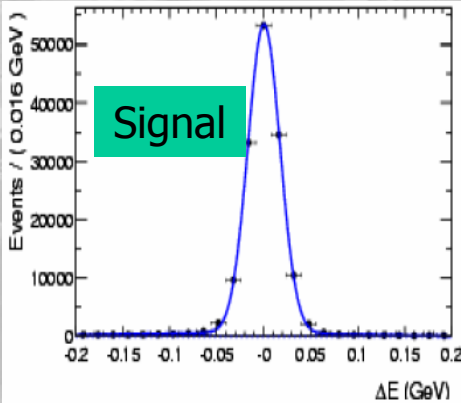
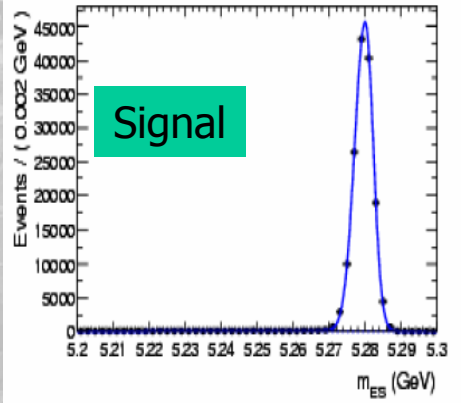
ADS Analysis Techniques

Threshold kinematics: we know the initial energy (E_{beam}^*) of the $\Upsilon(4S)$ system
 Therefore we know the energy & magnitude of momentum of each B

$$m_{ES} = \sqrt{E_{beam}^{*2} - p_B^{*2}}$$

$$\Delta E = E_B^* - E_{beam}^*$$

Event topology



Two main sources of backgrounds: B's & charm from $c\bar{c}$ events

Continuum Charm Production $e^+e^- \rightarrow c\bar{c}$

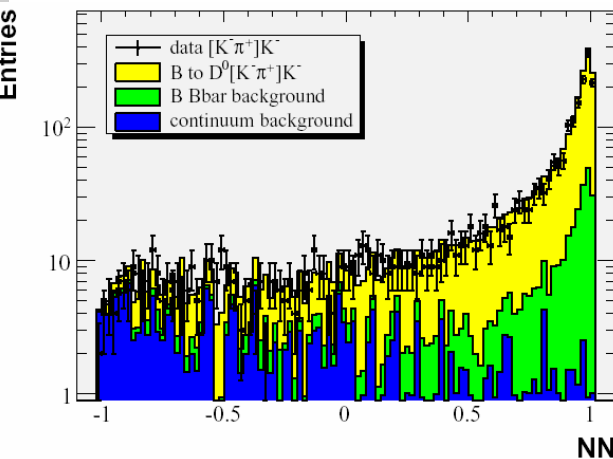
combine a $\bar{D}^0 \rightarrow K^+\pi^-$ with a K^- from rest of event

Use a Neural Net to suppress continuum backgrounds

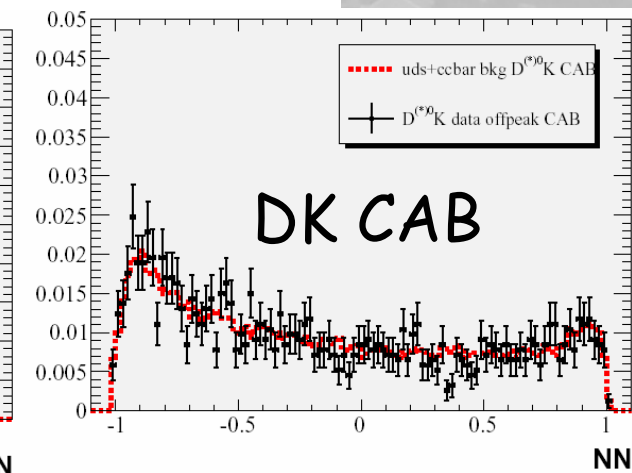
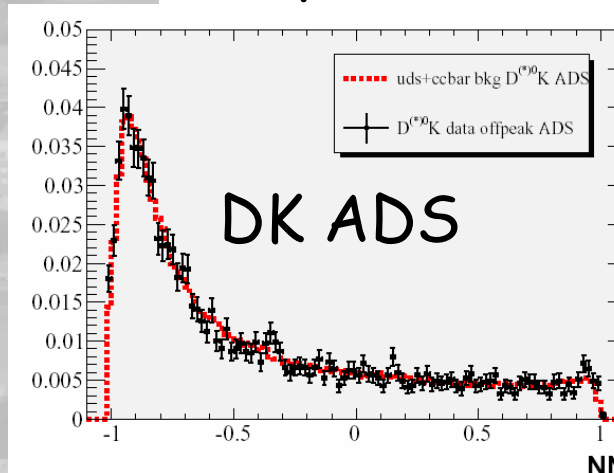
Inputs to NN include:

- event shape variables (Legendre moments, Thrust, B meson polar angle in CM)
- B tagging variables (hemisphere charge, kaon charge sum in ROE, kaon-lepton mass, Δt between 2 B's in event)

DK signal enriched CAB
 $5.2725 < m_{ES} < 5.2875$



off peak data vs udsc MC



B Mesons

Peaking backgrounds from B mesons; for $B^- \rightarrow DK^-$:

$B^- \rightarrow D\pi^-$ with π mis-ID as a K ($BR(D\pi^-)/BR(DK^-) \sim 13$)

$B^- \rightarrow DK^-$ with $D \rightarrow K^+K^-$ and K mis-ID as a π ($BR(D \rightarrow K^+K^-)/BR(D \rightarrow K^+\pi^-) \sim 31$)

Charmless B decays

$B^- \rightarrow K^+\pi^- K^+$, $B^- \rightarrow K^-\pi^+ K^-$

Eliminate backgrounds from B mesons using:
tight particle ID

swap K- π hypotheses & veto if $|m(K^-\pi^+) - m(D)| < 40 \text{ MeV}$

veto K^+K^- if $|m(K^+K^-) - m(D)| < 40 \text{ MeV}$

MC estimate of B meson backgrounds ($r_B=0.1$, $\cos\delta\cos\gamma=0$)

mode	signal	$N_{B\bar{B}}$ (all)	$N_{B\bar{B}}$ (peaking)	peaking sources
D^0K ADS	26.3	84	8.1 ± 4	$B^+ \rightarrow D^0h^+(2)$, $B^+ \rightarrow K^-K^+\pi^-$ (6.1)
$D_{D^0\pi^0}^{*0}K$ ADS	8.5	20	2.7 ± 1.6	none id. (compatible with 0)
$D_{D^0\gamma}^{*0}K$ ADS	6.8	74	6.0 ± 2.4	none id. (compatible with 0)
DK CAB	1944	354	299 ± 11	$B^+ \rightarrow D^0\pi^+$
$D_{D^0\pi^0}^{*0}K$ CAB	618	183	127 ± 8	$B^+ \rightarrow D_{D^0\pi^0}^{*0}\pi^+$
$D_{D^0\gamma}^{*0}K$ CAB	503	393	393 ± 35	$B^+ \rightarrow D_{D^0\gamma}^{*0}\pi^+$, $B^+ \rightarrow D_{D^0\pi^0}^{*0}K^+$, other

Extract parameters of interest using an unbinned extended maximum likelihood fit in m_{ES} and NN distribution.

There are 8 components to the ML fit:

ADS signal: gaussian X NN(B meson)

CAB signal: gaussian X NN(B meson)

ADS background: ARGUS X NN(ADS udsc)

CAB background: ARGUS X NN(CAB udsc)

ADS non-peaking B background: ARGUS X NN(B meson)

ADS peaking B background: gaussian X NN(B meson), **FIXED to MC**

CAB non-peaking B background: ARGUS X NN(B meson)

CAB peaking B background: gaussian X NN(B meson), **FIXED to MC**

ALSO fit for the mean & σ of gaussian and the 2 ARGUS parameters

The fit is done individually for six modes:

$D\pi$, $D^* \rightarrow (D\pi^0)\pi$, $D^* \rightarrow (D\gamma)\pi$

DK , $D^* \rightarrow (D\pi^0)K$, $D^* \rightarrow (D\gamma)K$

The fit is done separately for B^- , B^+ & combined charges

Summary of Selection Efficiencies

Channel	efficiency (%)		
	$\epsilon_{ADS} ([K^\pm \pi^\mp]_{Dh^\mp})$	$\epsilon_{CAB} ([\pi^\pm K^\mp]_{Dh^\mp})$	$\epsilon_{ADS}/\epsilon_{CAB} (\times 10^{-2})$
$D^0 K$	26.5 ± 0.1	26.6 ± 0.1	99.5 ± 0.5
$D_{D^0 \pi^0}^{*0} K$	13.3 ± 0.1	13.2 ± 0.1	100.0 ± 1.1
$D_{D^0 \gamma}^{*0} K$	17.4 ± 0.1	17.5 ± 0.1	99.4 ± 0.8
$D^0 \pi$	27.0 ± 0.1	27.5 ± 0.1	98.1 ± 0.5
$D_{D^0 \pi^0}^{*0} \pi$	14.3 ± 0.1	14.9 ± 0.1	96.2 ± 0.9
$D_{D^0 \gamma}^{*0} \pi$	18.8 ± 0.1	19.6 ± 0.1	96.1 ± 0.7

$\epsilon_{ADS}/\epsilon_{CAB} \neq 1$
due to slightly
different PID cuts
at an early stage
of analysis

Summary of $D^{(*)}K$ Systematic Errors

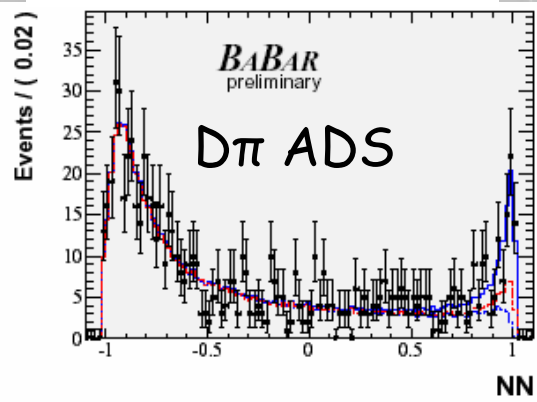
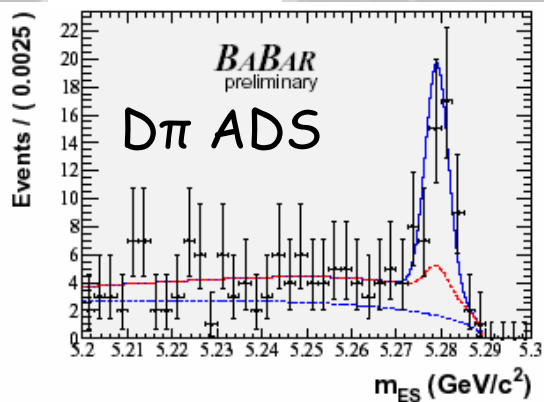
error source	$\Delta \mathcal{R}/\mathcal{R}$	$\Delta \mathcal{R}/\mathcal{R}$	$\Delta \mathcal{R}/\mathcal{R}$
	$D^0 K$	$D_{D^0 \pi^0}^{*0} K$	$D_{D^0 \gamma}^{*0} K$
signal NN	+4%	+2%	+8%
$B\bar{B}$ background NN	-7%	+14%	+28%
$udsc$ background NN	-4%	+3%	-5%
$B\bar{B}$ comb. bkg shape (m_{ES})	$\pm 4\%$	$\pm 5\%$	$\pm 6\%$
peaking background ADS	$\pm 16\%$	$\pm 15\%$	$\pm 41\%$
peaking background CAB	$\pm 3\%$	$\pm 4\%$	$\pm 9\%$
float $B\bar{B}$ comb. bkg	-	-10%	0%
Combined	$\pm 20\%$	$\pm 24\%$	$\pm 51\%$

Table for $D^{(*)}\pi$
in "extra slides"

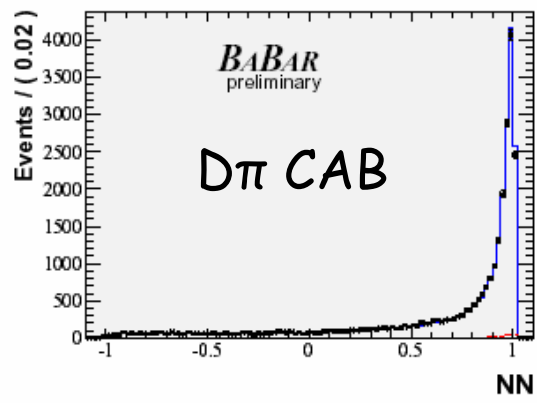
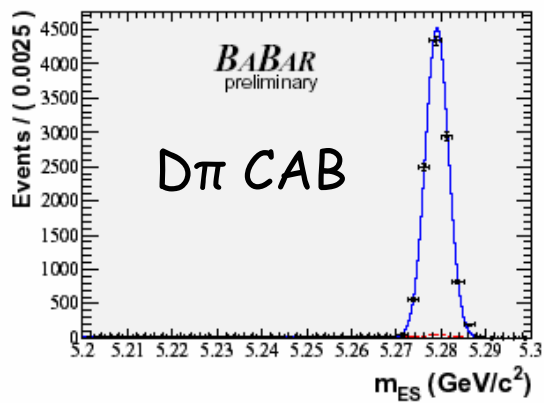
B⁻ → D^(*)π⁻ Results

NN > 0.94

5.2725 < m_{ES} < 5.2875



..... B \bar{B} bkgds
..... continuum bkgds
——— fit result



$$R = \frac{N_{ADS}}{N_{CAB}}$$

$$A = \frac{N_{ADS}^- - N_{ADS}^+}{N_{ADS}^- + N_{ADS}^+}$$

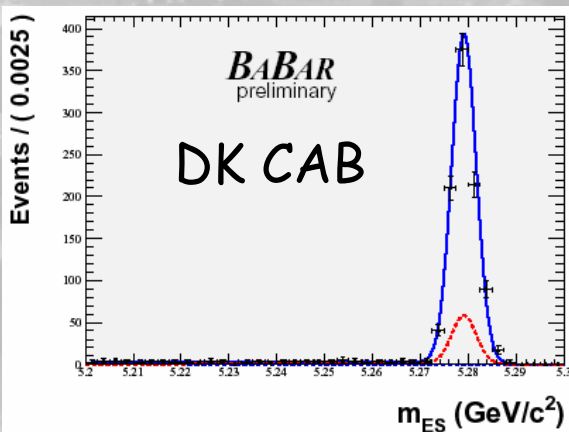
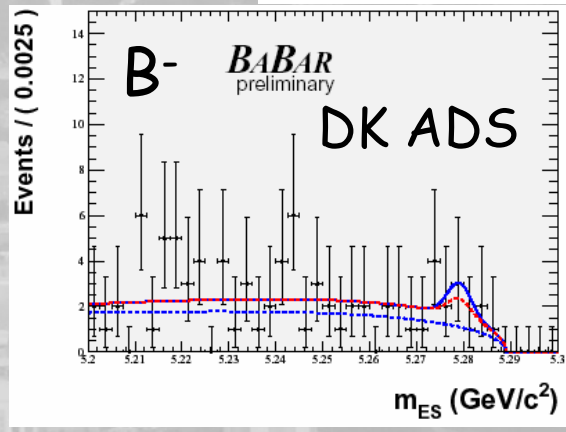
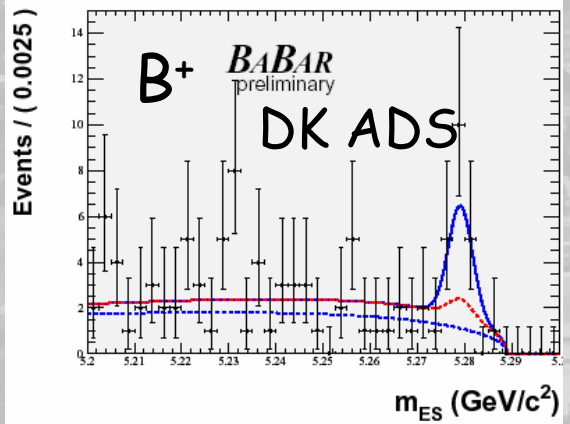
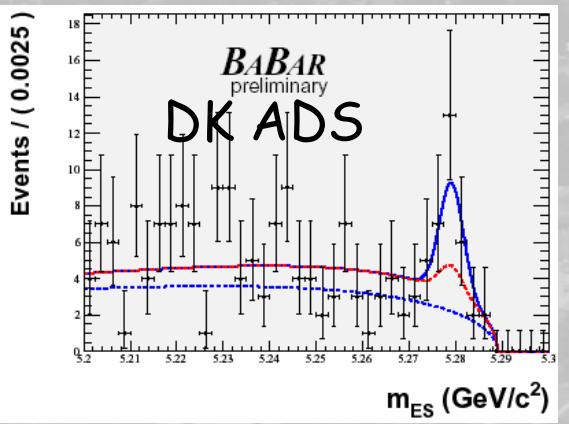
Mode	N _{ADS}	N _{CAB}	R × 10 ⁻³	A × 10 ⁻²
Dπ	79.8 ± 13.8	24662 ± 160	3.3 ± 0.6 ± 0.4	3 ± 17 ± 4
D*π → (Dπ ⁰)π	28.7 ± 7.7	9296 ± 102	3.2 ± 0.9 ± 0.8	-9 ± 27 ± 5
D*π → (Dγ)π	18.7 ± 9.7	7214 ± 105	2.7 ± 1.4 ± 2.2	-65 ± 55 ± 22

Expect $R \approx r_D^2$ (world average: $r_D^2 = (3.36 \pm 0.08) \times 10^{-3}$)

B → DK Results

All m_{ES} plots have $NN > 0.94$

$B\bar{B}$ bkgds
 continuum bkgds
 fit result ———



Significance of R
 2.9σ (stat)
 2.6σ (stat+syst)

$$R = \frac{N_{ADS}}{N_{CAB}}$$

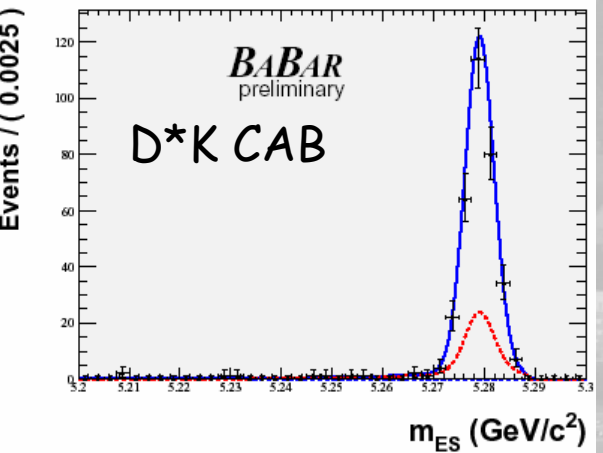
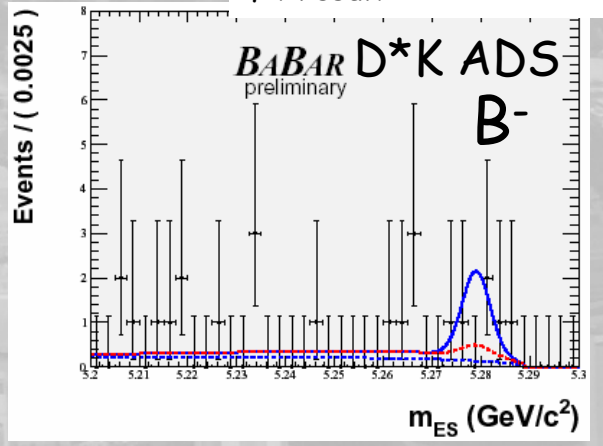
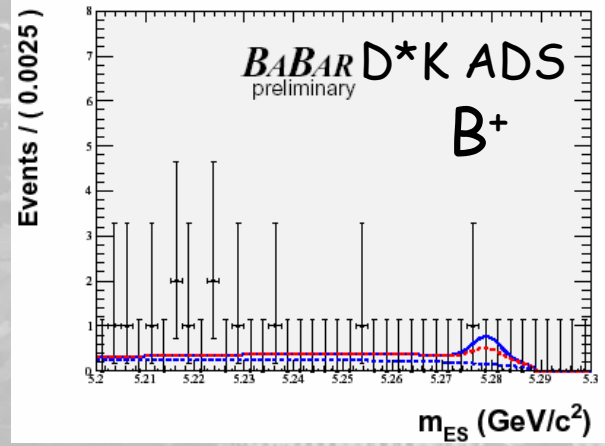
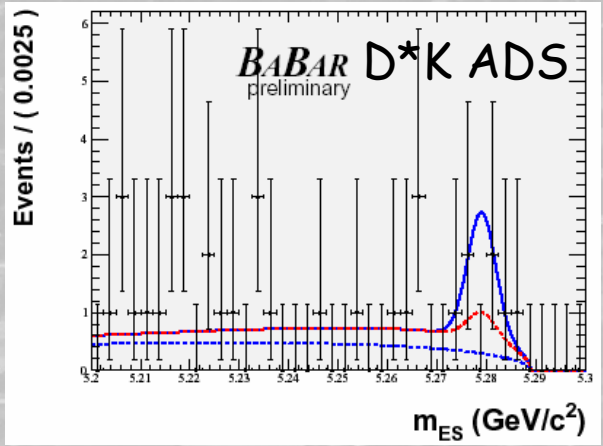
$$A = \frac{N_{ADS}^- - N_{ADS}^+}{N_{ADS}^- + N_{ADS}^+}$$

Mode	N_{ADS}	N_{CAB}	$R \times 10^{-2}$	A
DK	23.9 ± 9.7	1755 ± 48	$1.36 \pm 0.55 \pm 0.27$	$-0.70 \pm 0.35^{+0.09}_{-0.14}$

B → D*(Dπ⁰)K Results

All m_{ES} plots have $NN > 0.94$

$B\bar{B}$ bkgds
 continuum bkgds
 fit result —



Significance of R
 2.4σ (stat)
 2.2σ (stat+syst)

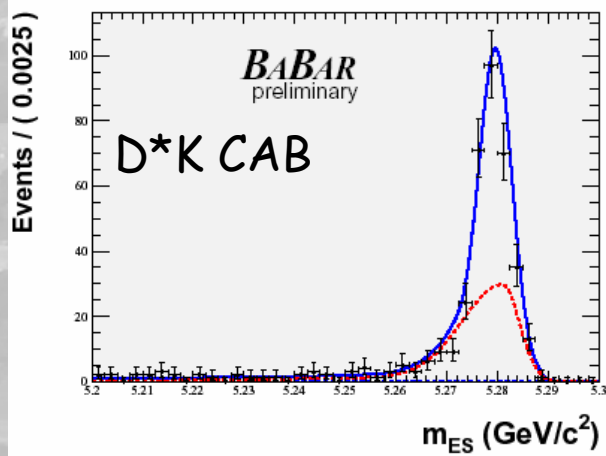
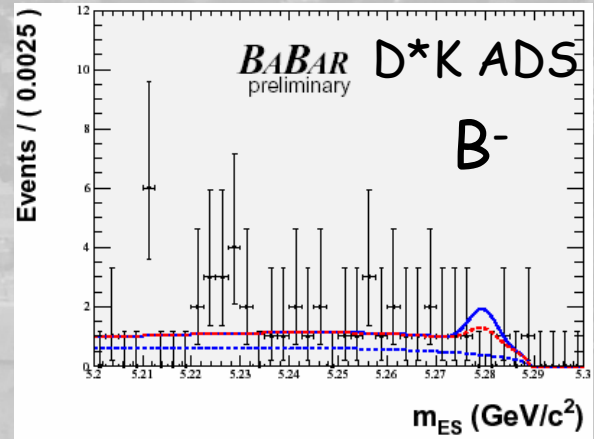
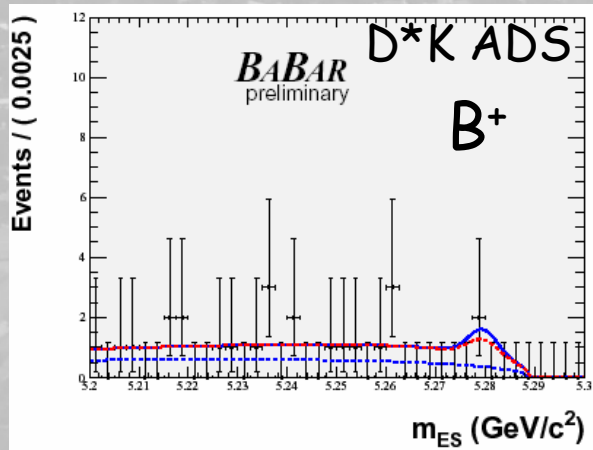
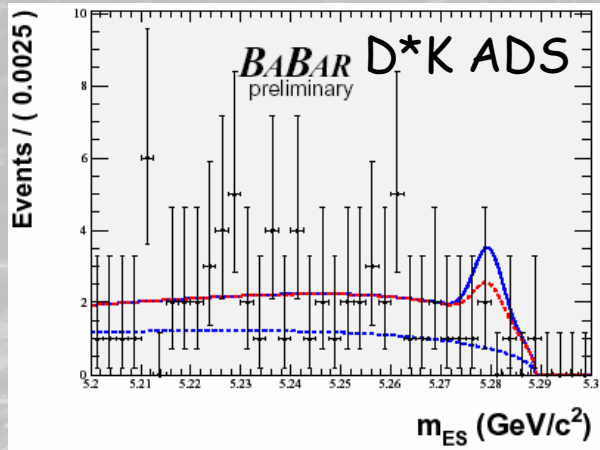
$$R^* = \frac{N_{ADS}}{N_{CAB}}$$

$$A^* = \frac{N_{ADS}^- - N_{ADS}^+}{N_{ADS}^- + N_{ADS}^+}$$

Mode	N_{ADS}	N_{CAB}	$R^* \times 10^{-2}$	A^*
D*(Dπ ⁰)K	10.3 ± 5.5	587 ± 28	1.76 ± 0.93 ± 0.42	+0.77 ± 0.35 ± 0.12

B → D*(Dγ)K Results

All m_{ES} plots have $NN > 0.94$



$B\bar{B}$ bkgds
 continuum bkgds
 fit result ———

$$R^* = \frac{N_{ADS}}{N_{CAB}}$$

$$A^* = \frac{N_{ADS}^- - N_{ADS}^+}{N_{ADS}^- + N_{ADS}^+}$$

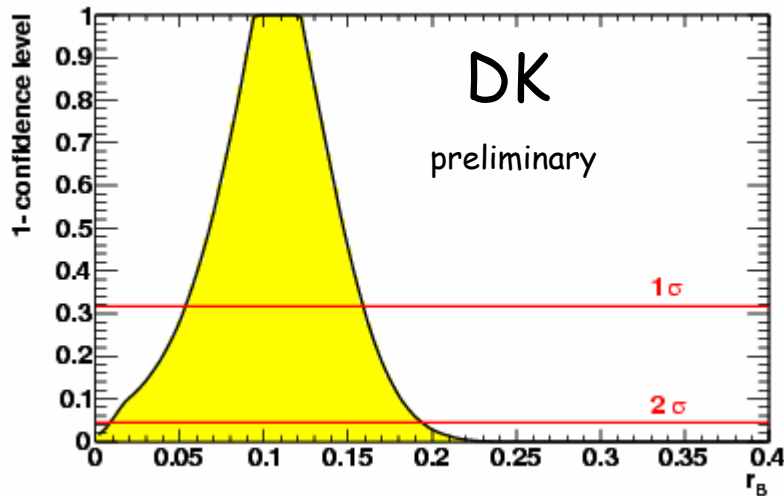
Mode	N_{ADS}	N_{CAB}	$R^* \times 10^{-2}$	A^*
$D^*(D\gamma)K$	5.9 ± 6.4	455 ± 29	$1.3 \pm 1.4 \pm 0.7$	$+0.36 \pm 0.94^{+0.25}_{-0.41}$

We use a frequentist ("CKMfitter") approach to determine confidence intervals for the CPV parameters.

r_D and δ are fixed to HFAG values

Very little sensitivity to γ : All values allowed at 1σ level.

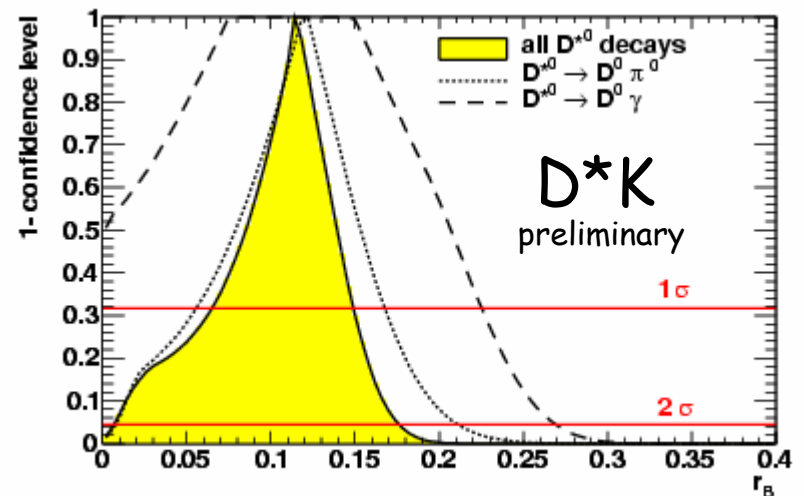
$r_{B,DK}$



$$r_{B,DK} = (10.7^{+5.1}_{-5.4})\%$$

$$r_{B,DK} < 18\% \text{ @ } 90\% \text{ CL}$$

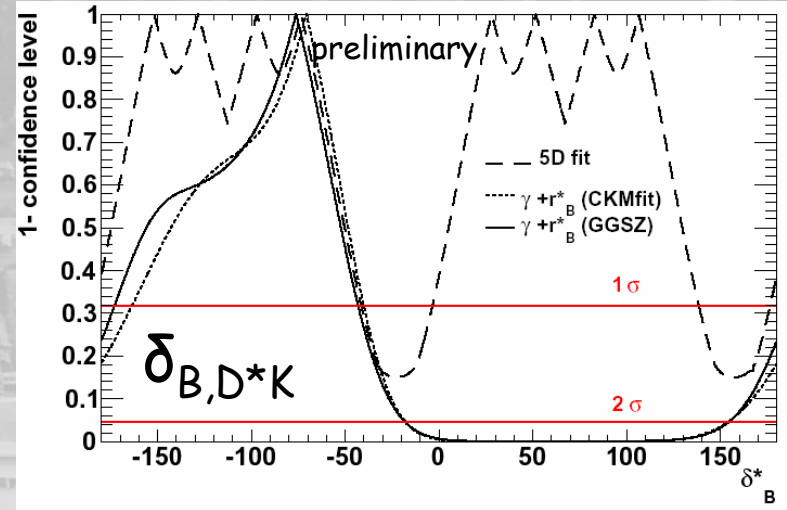
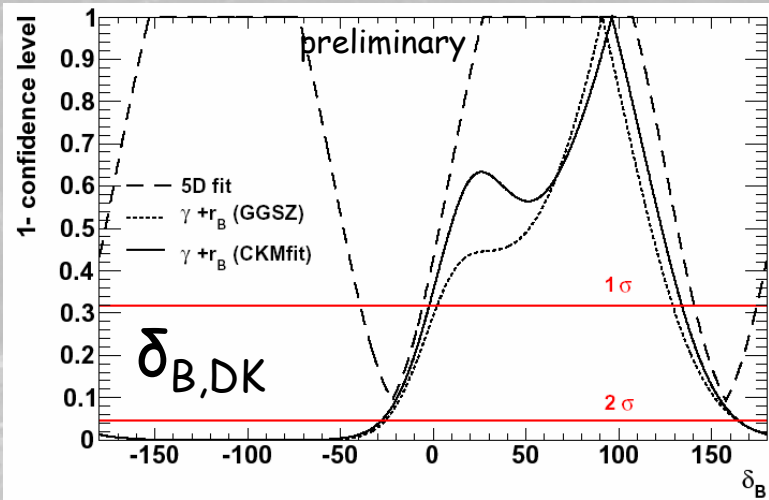
r_{B,D^*K}



$$r_{B,D^*K} = (11.6^{+3.3}_{-5.1})\% \text{ combined}$$

$$r_{B,D^*K} < 17\% \text{ @ } 90\% \text{ CL}$$

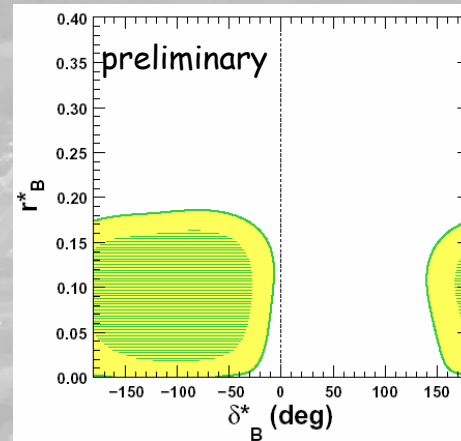
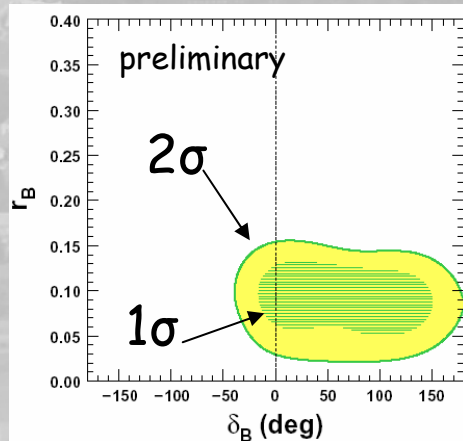
Extraction of δ_B



With input from other BaBar analysis (Dalitz*) and/or CKMfitter can resolve ambiguity in δ

*PRD 78 034023 (2008)

Exclude
 $[-180, -28]^\circ$
 &
 $[164, 180]^\circ$
 @ 95%CL



Exclude
 $[-18, 155]^\circ$
 @ 95%CL

2D confidence intervals using $\gamma = 76^\circ$ from BaBar Dalitz analysis

- Analysis uses full BaBar data set
2X data as previous BaBar analysis, PRD 72 032004 (2005)
- Test technique using $D^{(*)}\pi$
- New preliminary measurements of $r_{B,DK}$ & r_{B,D^*K}

$$r_{B,DK} = (10.7^{+5.1}_{-5.4})\%$$

$$r_{B,DK} < 18\% @ 90\% \text{ CL}$$

$$r_{B,D^*K} = (11.6^{+3.3}_{-5.1})\%$$

$$r_{B,D^*K} < 17\% @ 90\% \text{ CL}$$

Consistent with BaBar's Dalitz analysis (PRD 78 034023 (2008)):
 $r_{B,DK} = (8.6 \pm 3.5)\%$ and $r_{B,D^*K} = (13.5 \pm 5.1)\%$

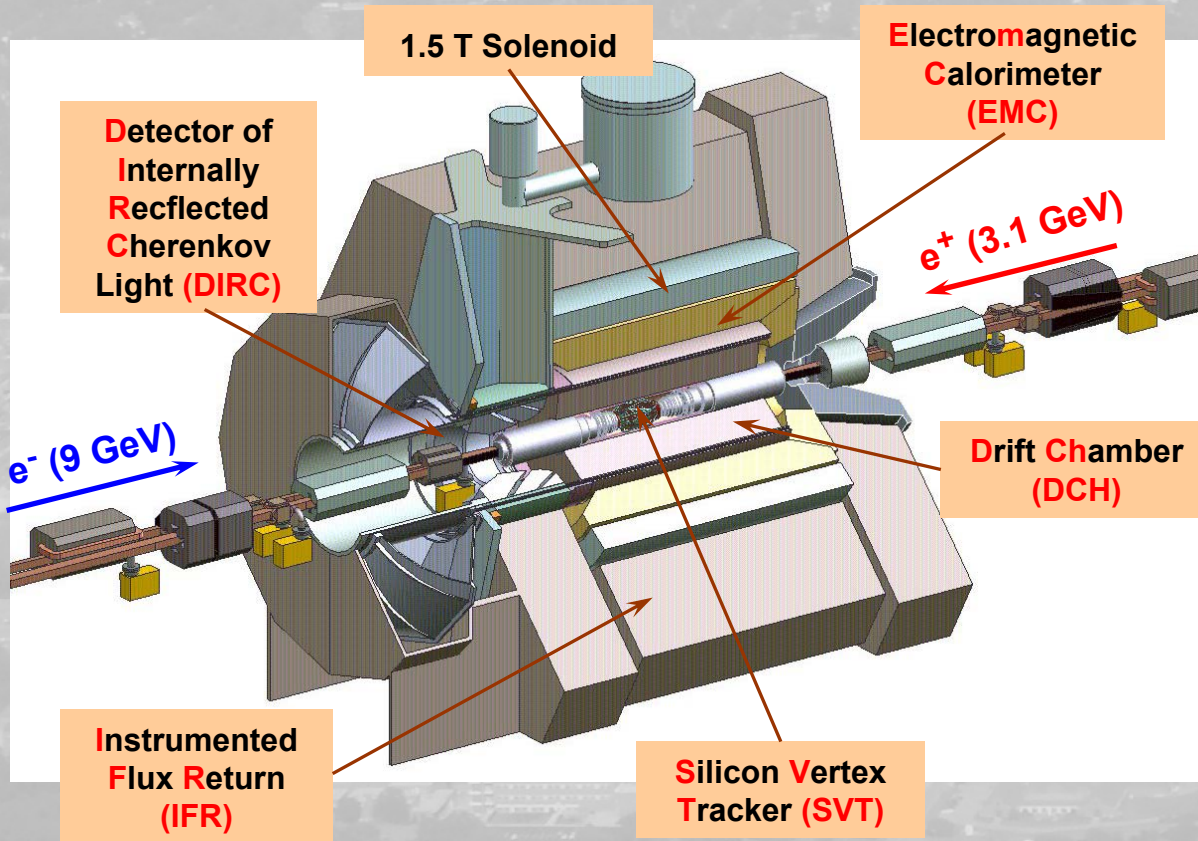
- ADS CP asymmetry for DK & D^*K may be very large
Both DK and D^*K have asymmetries $\sim 70\%$ (but with large uncertainties)
- Resolve ambiguity in strong phases, $\delta_{B,DK}$, δ_{B,D^*K}
good agreement with $\delta_{B,DK}$, δ_{B,D^*K} from BaBar Dalitz analysis

Promising γ analysis for LHCb & Super-B factory

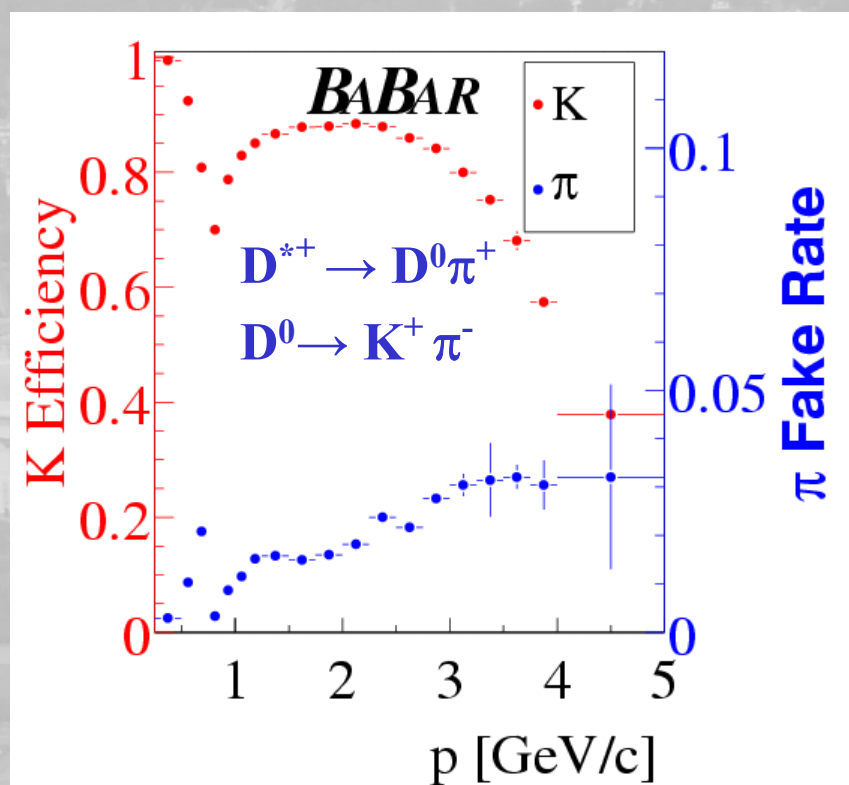
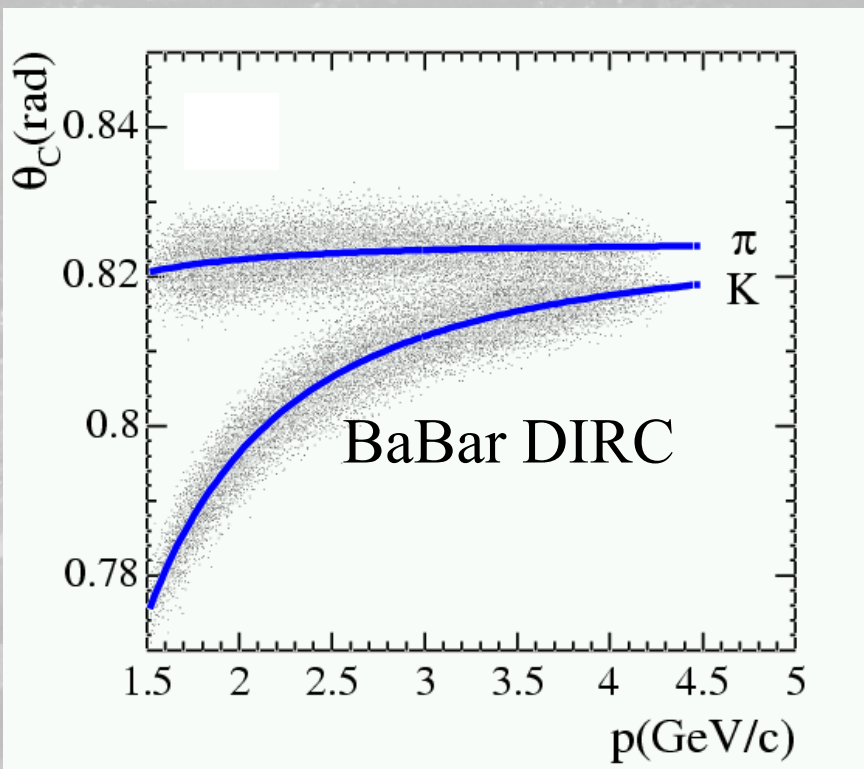
need super-sized data sample to overcome our limited statistics



Extra slides



SVT, DCH: charged particle tracking: vertex & mom. resolution, K^0_s/Λ
 EMC: electromagnetic calorimeter: $\gamma/e/\pi^0/\eta$
 DIRC, IFR, DCH: charged particle ID: $\pi/\mu/K/p$
 Highly efficient trigger for B mesons



Summary of $D^{(*)}\pi$ Systematic Errors

error source	$\Delta\mathcal{R}/\mathcal{R}$ $D^0\pi$	$\Delta\mathcal{R}/\mathcal{R}$ $D_{D^0\pi^0}^{*0}\pi$	$\Delta\mathcal{R}/\mathcal{R}$ $D_{D^0\gamma\pi}^{*0}$
signal NN	-3%	-2%	-7%
$B\bar{B}$ background NN	-3%	+3%	+30%
<i>udsc</i> background NN	-3%	-2%	-11%
$B\bar{B}$ comb. bkg shape (m_{ES})	+7% -6%	+3% -5%	+7% -11%
peaking background DCSD	$\pm 7\%$	+23% -22%	+74% -70%
peaking background CAB	-	$\pm 3\%$	$\pm 4\%$
float $B\bar{B}$ comb. bkg	-	+2%	-4%
Combined	$\pm 11\%$	$\approx \pm 25\%$	$\approx \pm 80\%$

R_{ADS} Significance

