

Matching ME and PS  
in the  
Sherpa framework

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# Outline :

1. Introduction
  - Overview of Sherpa
  - Overview of the Algorithm
2. Implementation
  - Determination of jet rates at an initialization scale
  - Backward cluster scheme (colour flow reconstruction)
  - Initialization of the parton shower
3. Practitioners Tricks
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# Overview of Sherpa

Matrix Element generator [AMEGIC++](#)

- Calculation of tree-level Matrix elements
- Generation of unweighted events

Parton Shower Module [APACIC++](#)

- Final State Radiation
- Initial State Radiation

Framework [SHERPA](#)

- Handling of event generation
- Matching of Parton shower and ME
- Interfaces (ME, PS, Hadronization)

## **Algorithm**

1. Determination of jet rates at an initialization scale
2. Distribute the jet momenta according to the ME
3. Backward cluster the partons
4. Apply a reweighting (Sudakov form factors and coupling constants)
5. Initialization of the parton shower from initial values obtained during step 3

## Determination of jet rates at the initialization scale

Cross section for the production of a  $n$ -jet event:

$$\sigma_n = \int dx_1 dx_2 f_1(x_1, Q^2) f_2(x_2, Q^2) \sigma(x_1 x_2 E_{\text{cms}}^2) \Big|_{y_{ij} > y_{\text{cut}}}$$

Jet measure : covariant E-scheme

$$y_{ij} = \frac{\min(p_{\perp i}^2, p_{\perp j}^2) \cdot R_{ij}}{E_{\text{cms}}^2} \quad \text{or} \quad y_{Bj} = \frac{p_{\perp j}^2}{E_{\text{cms}}^2}$$

$$R_{ij} = 2 [\cosh(\eta_i - \eta_j) - \cos(\theta_i - \theta_j)]$$

- strong coupling  $\alpha_s$  entering the ME fixed at the jet scale  $t_{\text{jet}}$
- PDF determined at the hard scale  $Q^2$

Initialization jet rates given by

$$j_n = \frac{\sigma_i}{\sum_i \sigma_i}$$

Note, these jet rates are modified by the Sudakov rejection.

## Backward Clustering

Aim: determine hard 2 to 2 process, and equivalent PS history

1. possible clusterings are given by all possible Feynman diagrams (AMEGIC++)
2. choose the pair of partons with minimum  $y_{ij}$   
(in a frame where both incoming are aligned with the  $z$ -axis)
3. favor clusterings with the beam where  $p_i^z \cdot p_j^z > 0$
4. repeat all steps until 2 to 2 process is reached

## Sudakov rejection weights

for hadron collisions given by prescription by F. Krauss

1. for every reconstructed splitting of one parton into two

$$\mathcal{W}_{\text{corr.}} = \frac{\Delta_j(t_{\text{jet}}, t_{\text{prod}})}{\Delta_j(t_{\text{jet}}, t_{\text{dec}})} \cdot \frac{\alpha_s(t_{\text{dec}})}{\alpha_s(t_{\text{jet}})}$$

2. for each outgoing particle

$$\mathcal{W}_{\text{corr.}} = \Delta_j(t_{\text{jet}}, t_{\text{prod}})$$

the scales are given by

$$t = y_{ij} \cdot E_{\text{cms}}^2$$

but see practitioners tricks

## Initialization of the parton shower

1. Colour flow is determined on the level of the hard  $2 \rightarrow 2$  matrix element (as obtained by the Backward Clustering)
2. Colours of other partons are fixed by the shower procedure
3. Starting scale of the parton shower is given by the virtuality of the production parton

$$t_{\text{start}} = p_{\text{prod}}^2$$

4. Angular constraints are derived from angle to colour partner

Veto on every jet with  $p_{\perp}^2 > p_{\perp \text{ini}}^2 = y_{\text{cut}} \cdot E_{\text{cms}}^2$  !



## Practitioners Tricks

1. Using the freedom in Sudakov form factors and  $\alpha_S$

$$\mathcal{W}_{\text{corr.}} = \frac{\Delta_j(t_{\text{jet}}, t_{\text{prod}})}{\Delta_j(t_{\text{jet}}, t_{\text{dec}})} \cdot \frac{\alpha_s(d_{\text{dec}})}{\alpha_s(d_{\text{jet}})}$$

the scales are given by

$$d = y_{ij} \cdot E_{\text{cms}}^2$$

$$t = y_{ij} \cdot E_{\text{cms}}^2$$

running of  $\alpha_S$  at leading order

PDF set used : MRST99

## Practitioners Tricks

2. Modified treatment of events with the highest number of jets in the ME
  - Outgoing partons do not get an Sudakov weight
  - No veto on hard jets
3. Exploit that  $p_{\perp}^2$  is only approximated
  - Multiply  $y_{\text{cut}}$  in jet veto by 4/3

## Results

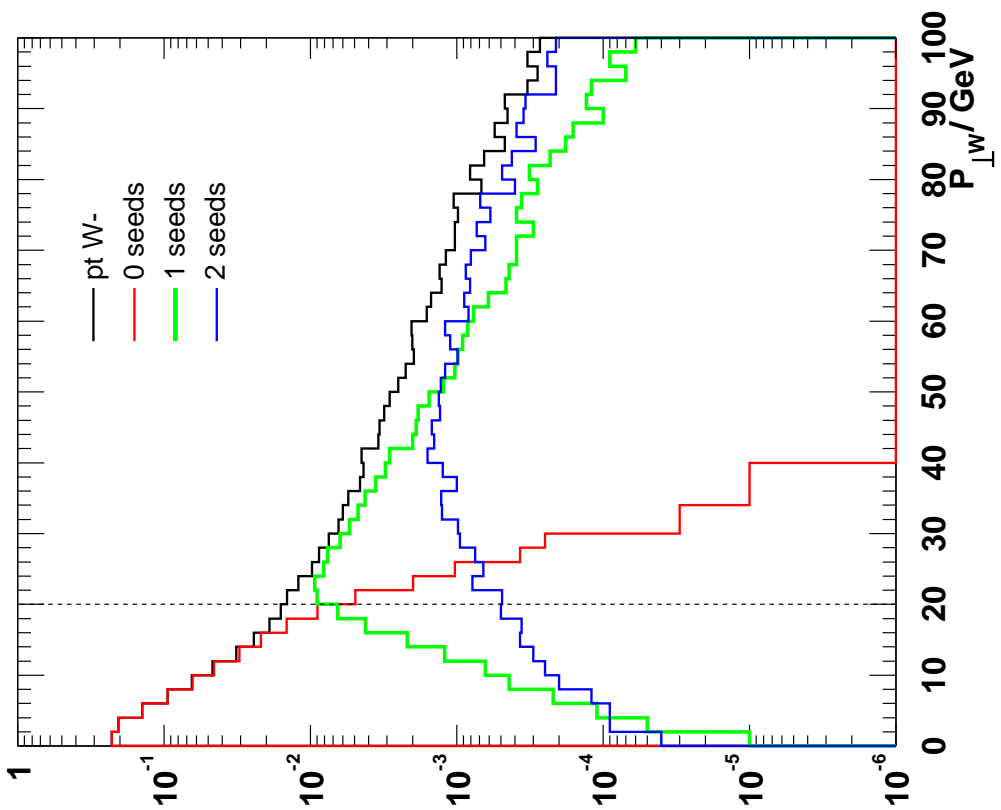
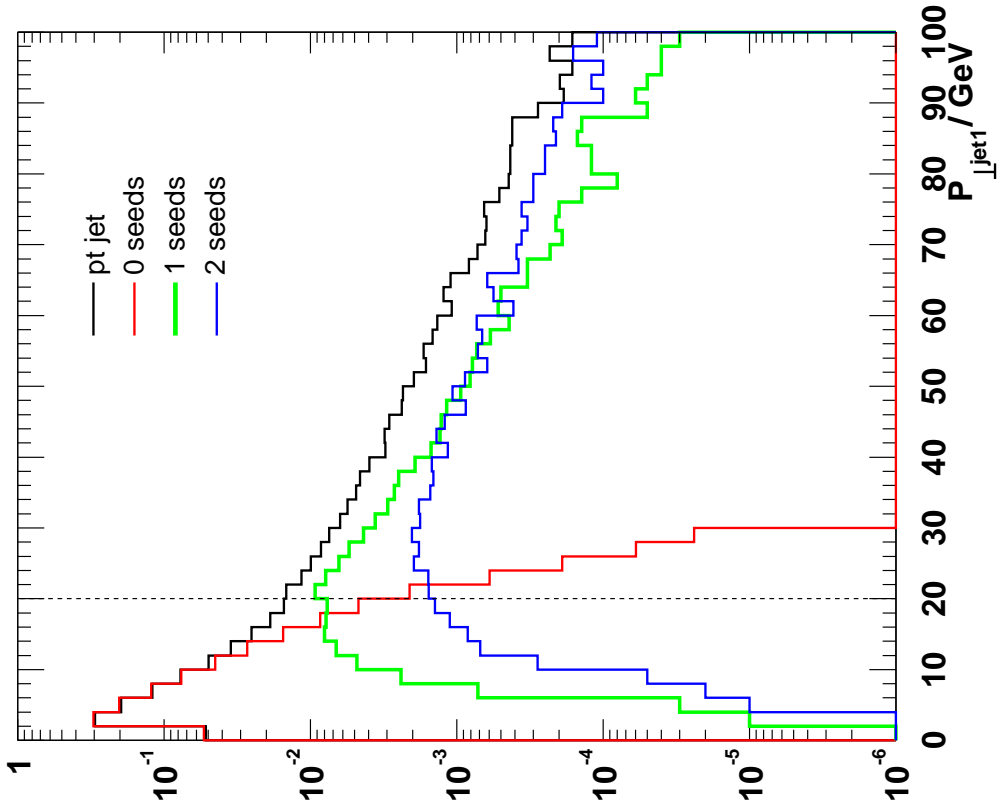
Process:

W Production at Tevatron

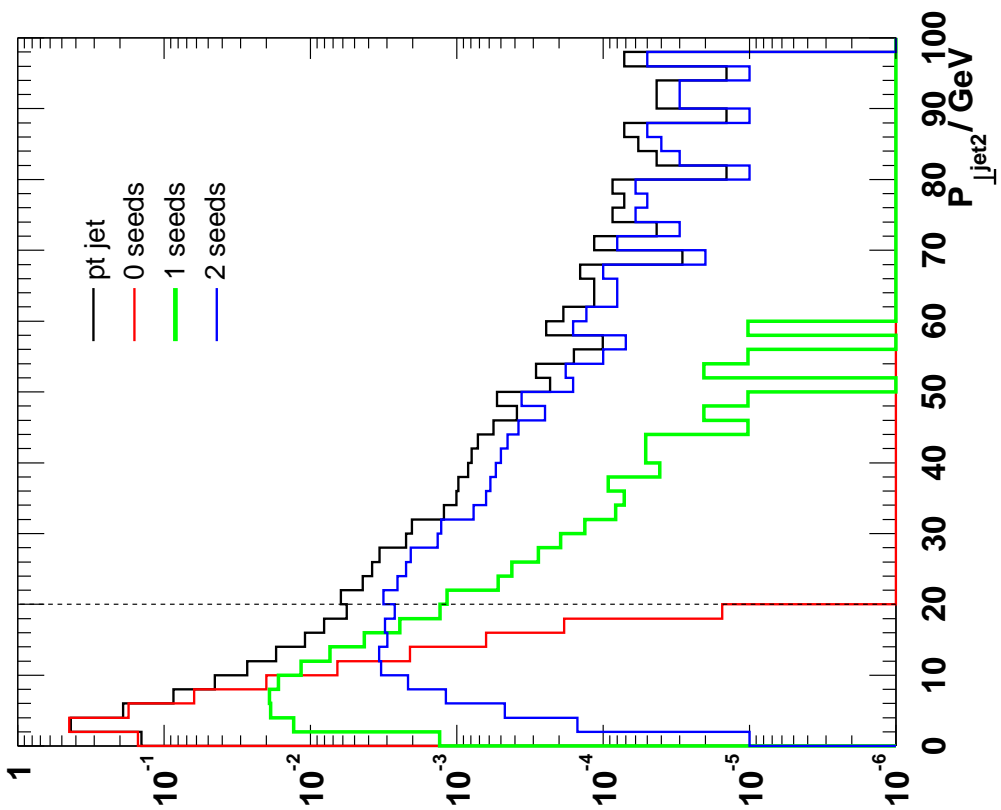
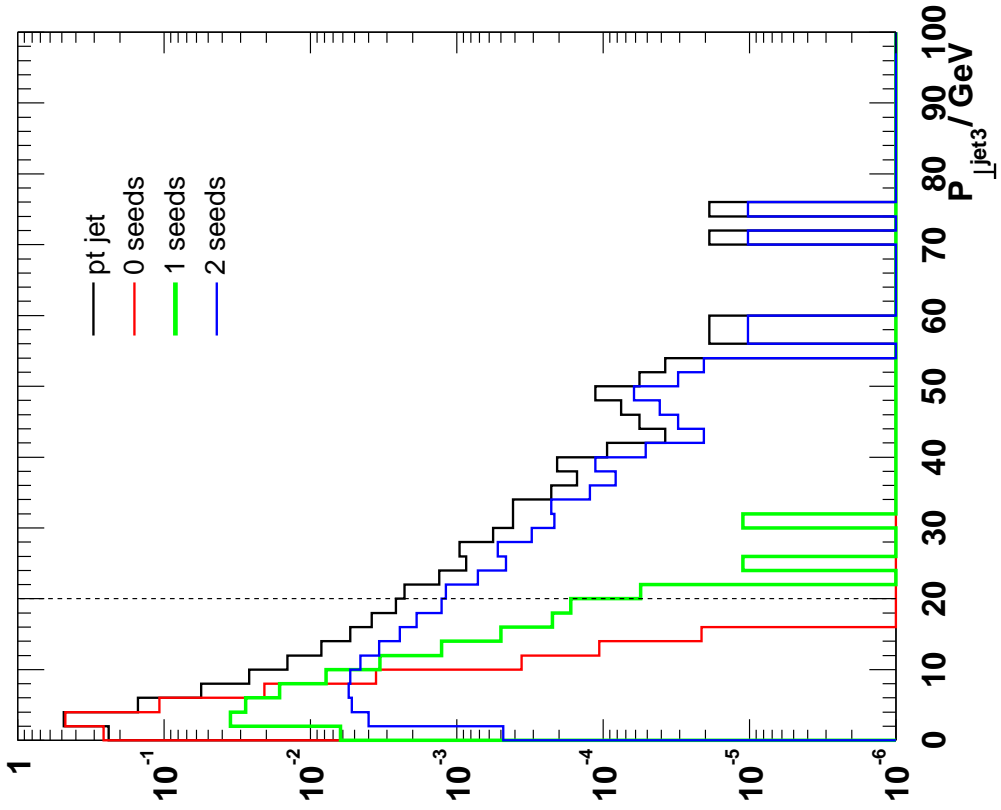
Variables

- $p_T$  distribution of the W boson
- $p_T$  distribution of the hardest jet
- differential jet rates

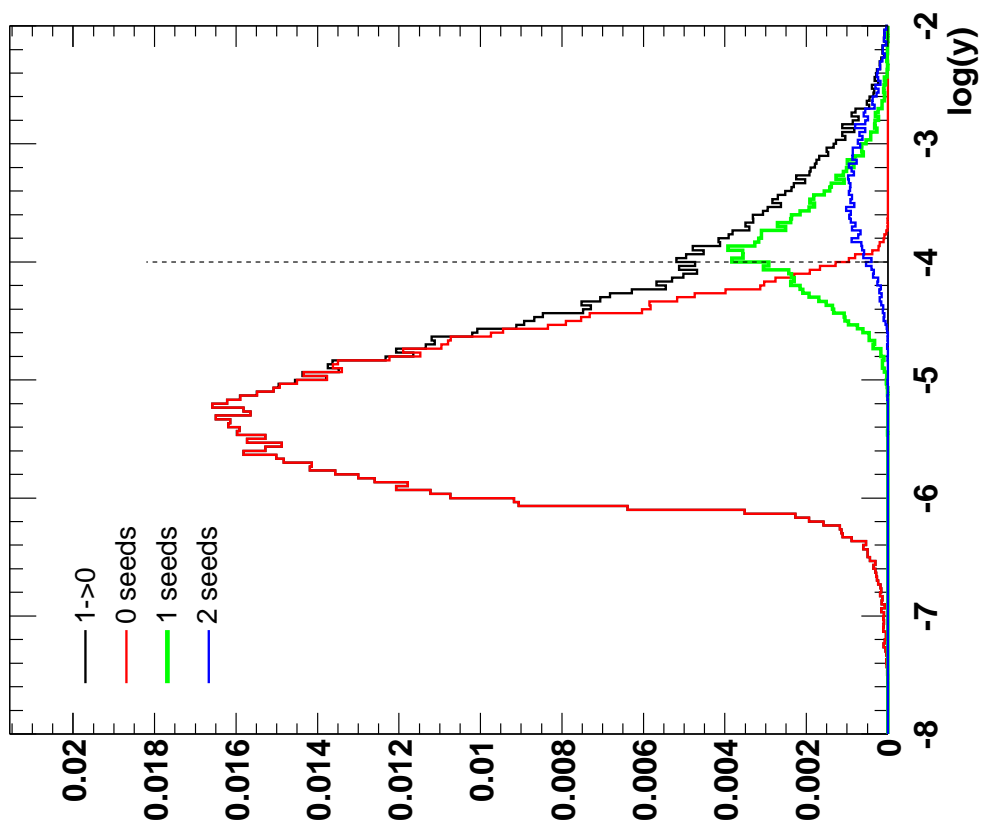
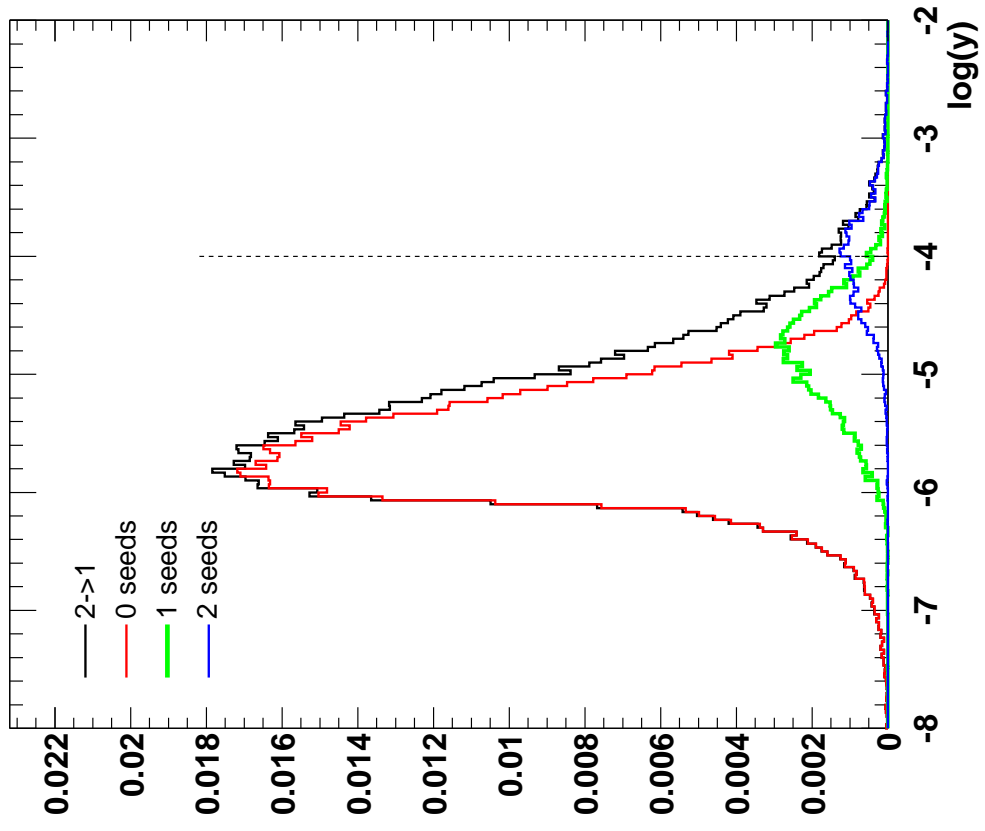
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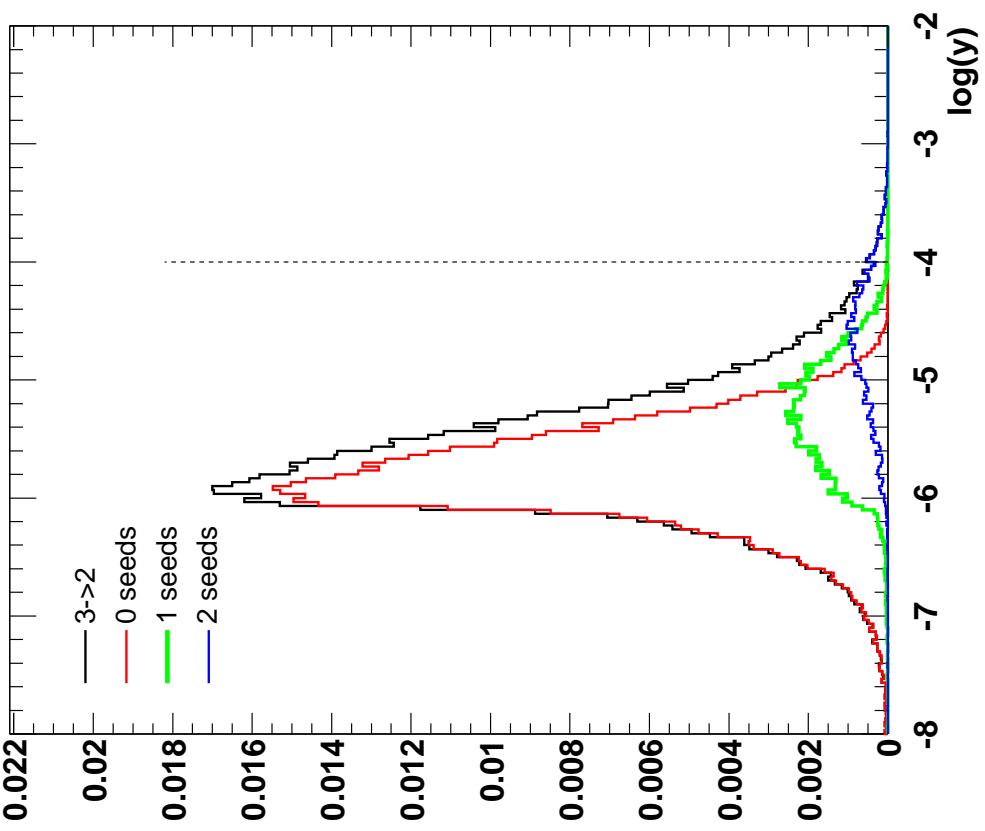
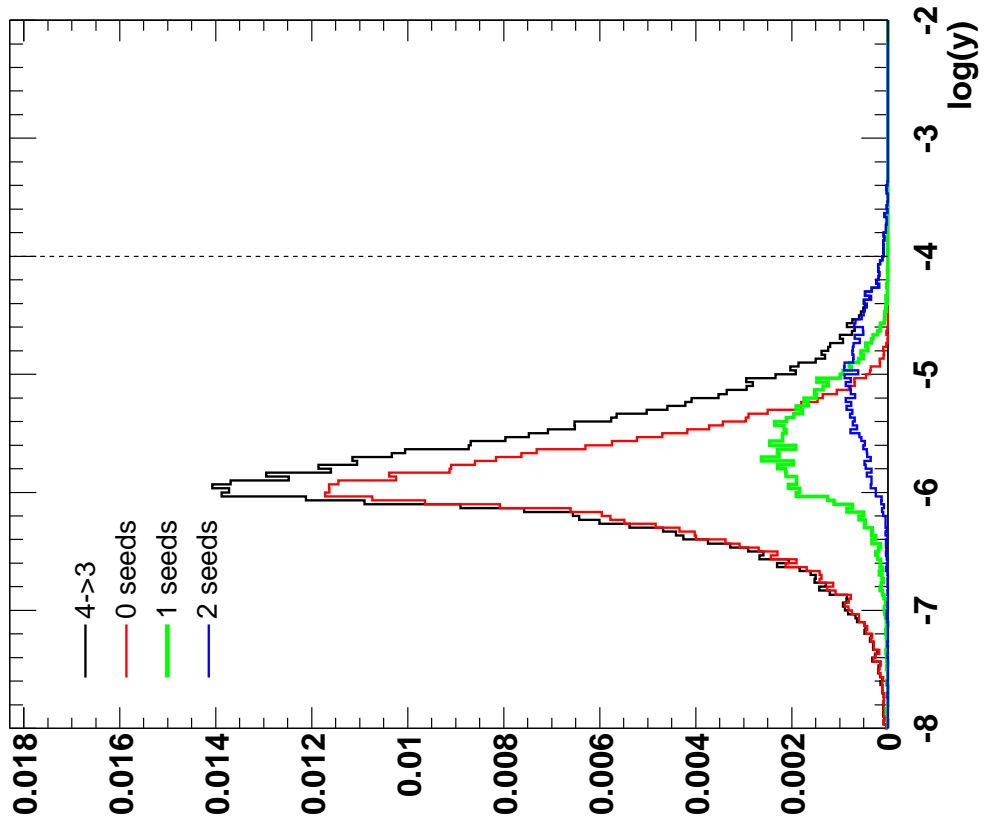
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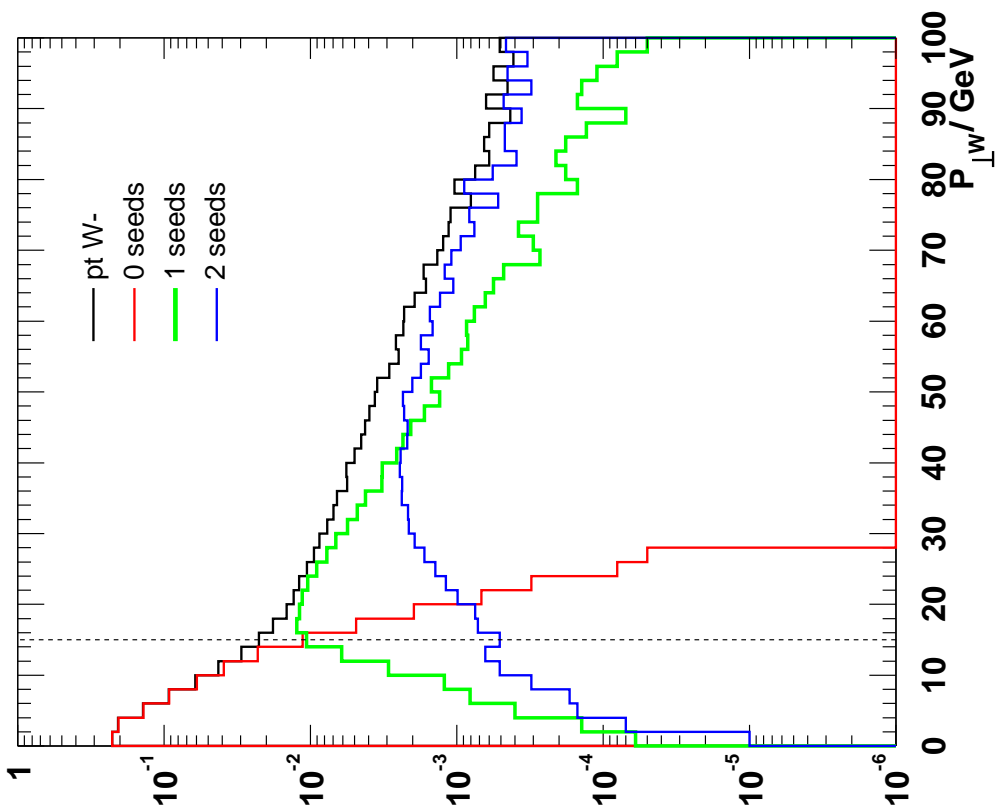
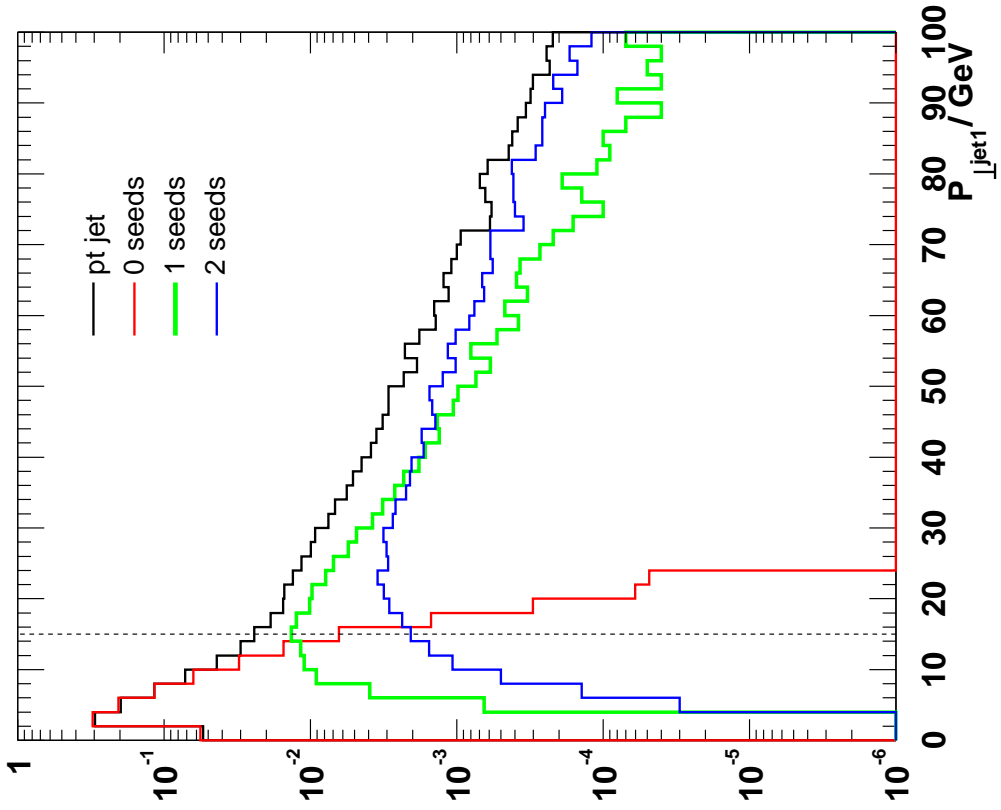
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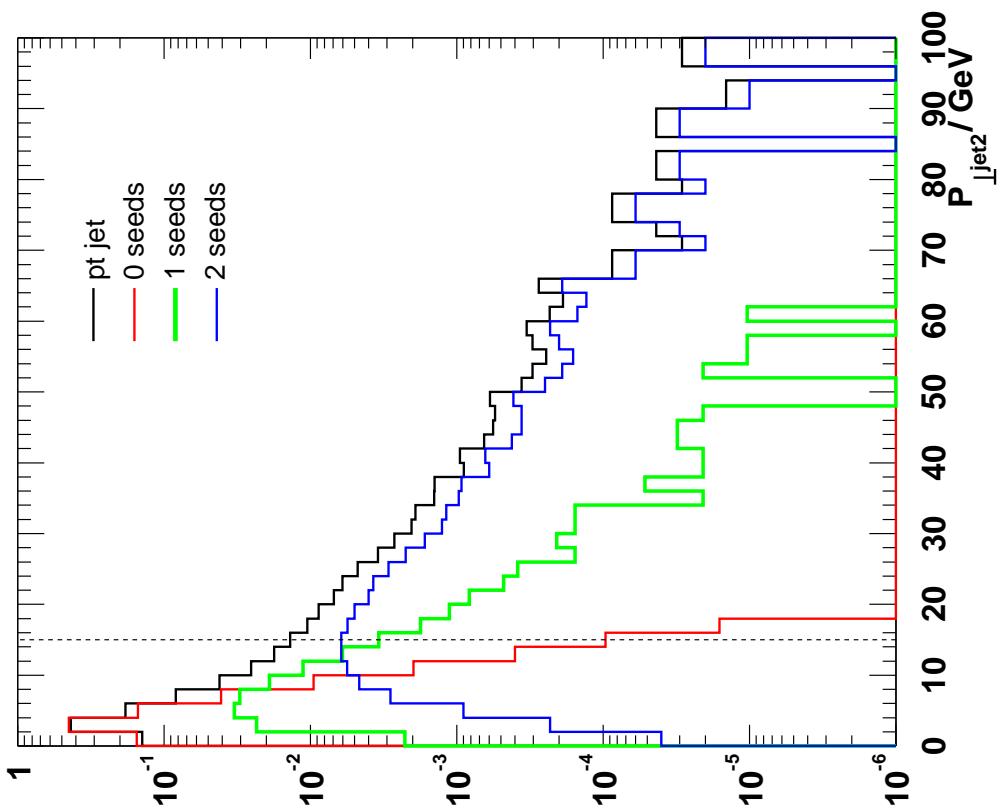
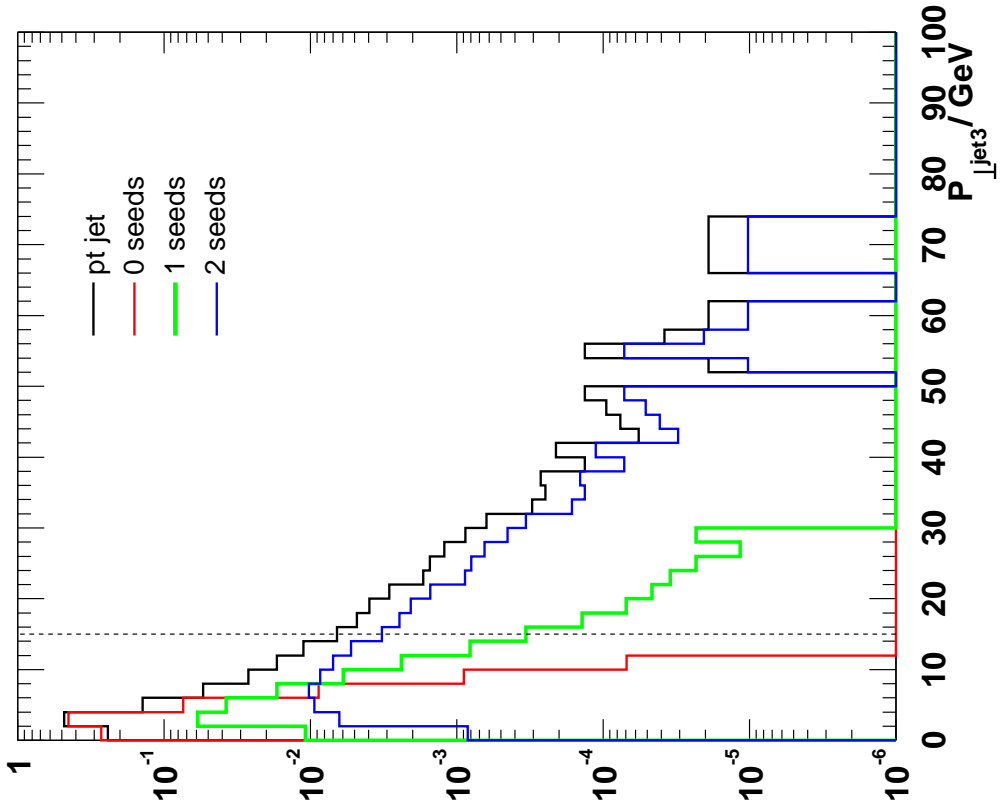


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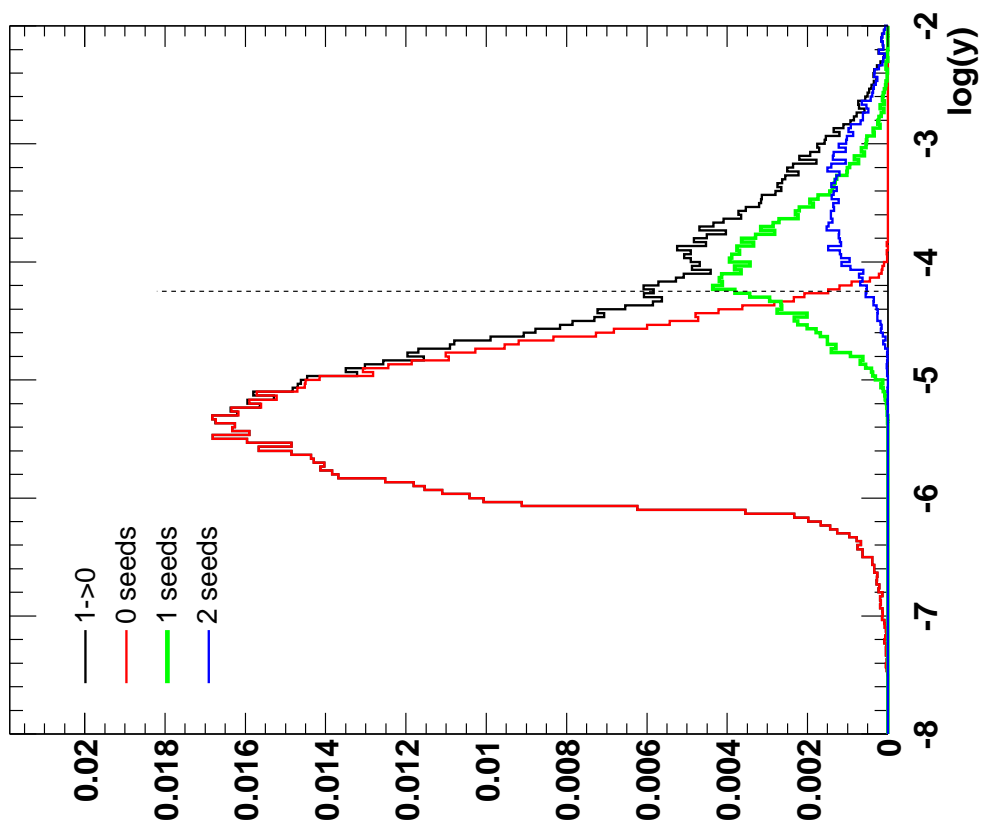
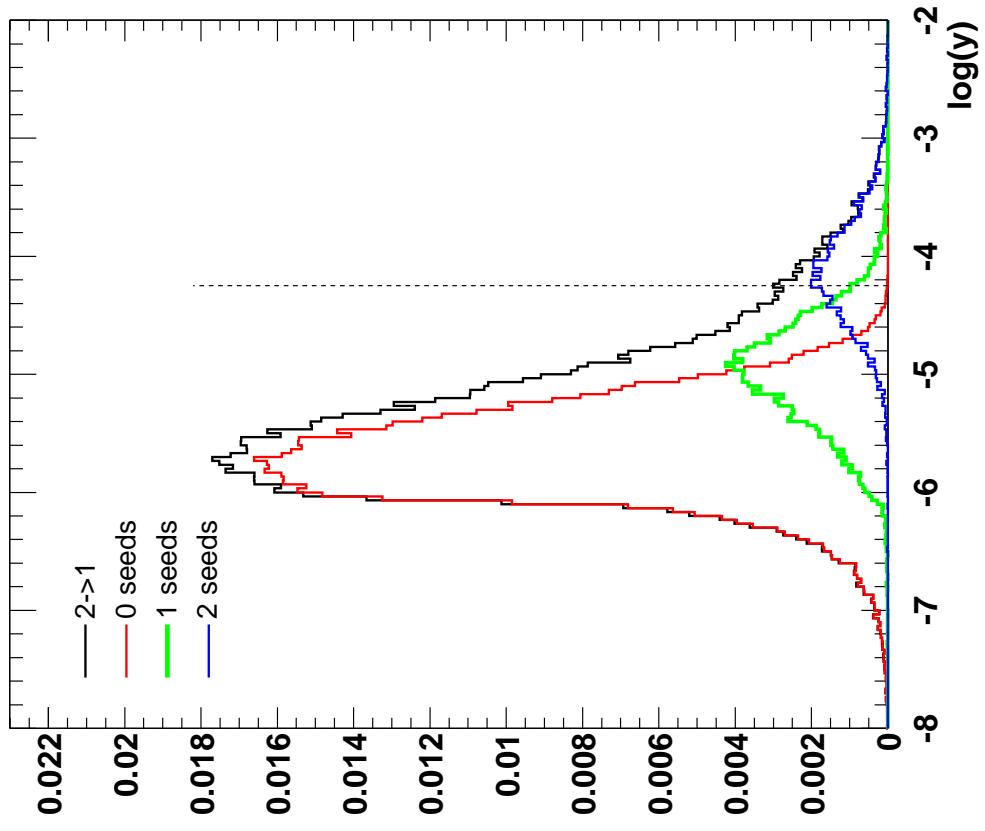




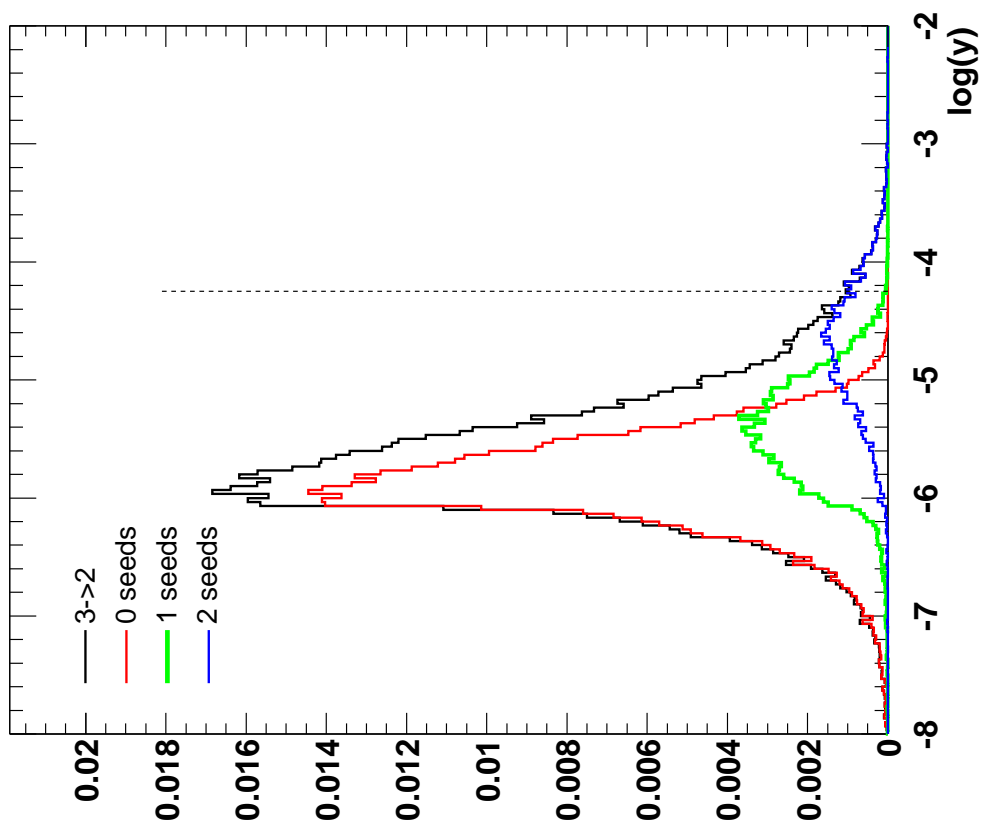
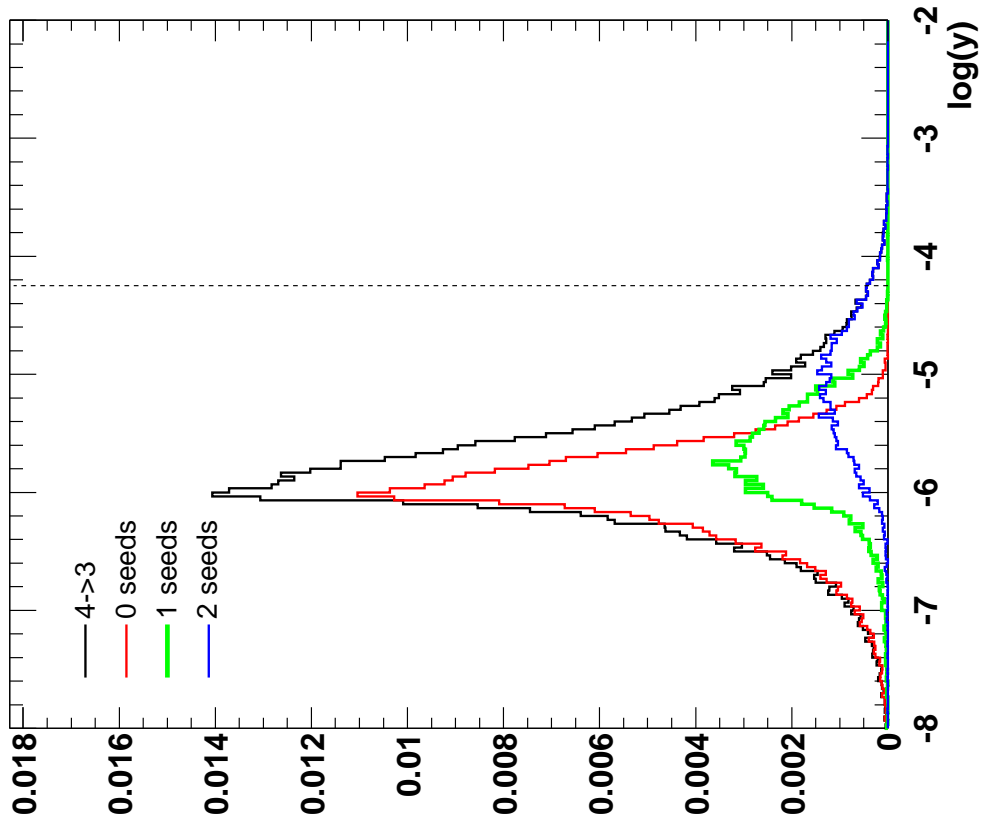
# W Production at Tevatron



# W Production at Tevatron



# W Production at Tevatron



## Conclusion

There is much to do!

Aim for the Workshop:

- Discussions with colleagues from PYTHIA and HERWIG
- Comparisons of different implementations for the LHC