

Simulation of jet quenching in HIC at CMS

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- Scientific interest in high- p_T jets and heavy quarks, expected statistics
- Monte-Carlo model for simulation of jet quenching
- Example I: Medium-modified jet fragmentation in leading particles
- Example II: Medium-modified heavy quark fragmenation in muons
- Summary

The interest in jet and heavy quark production in HIC

- 1. Detection and studies of properties of quark-gluon plasma.
- 2. Probing QCD production in media (not in vacuum as in $pp!$). Jet observables:
	- Jet & leading particle production vs. event centrality
	- Jet & leading particle production vs. azimuthal angle
	- Jet fragmentation function with leading hadrons
	- Photon+jet and $Z+$ jet correlations

CMS will provide adequate reconstruction of jets, photons, charged hadrons, centrality and event plane

Heavy quark observables:

- \bullet $B\overline{B} \rightarrow \mu^+\mu^-,$
- \bullet B \rightarrow J/ $\psi \rightarrow \mu^+\mu^-$
- B -jet tagged by leading muon

CMS will provide adequate dimuon reconstruction & primary and secondary vertices

Expected statistics in CMS acceptance (no trigger and reconstruction efficiencies are taken into account)

Channels including jets $|\eta^{\rm jet,~\gamma}| < 3,$ $|\eta^{h,~\mu}| < 2.4$

Channels including heavy quarks in dimuon modes $|\eta^{\mu}| < 2.4$

Nuclear geometry of jet quenching

Jet partons lose energy in azimuthally asymmetric volume of quarkgluon plasma

Initial energy density and jet path length vs. centrality

 $\epsilon_0(\mathbf{b}) \propto \mathbf{T}_{\mathbf{AA}}(\mathbf{b})/\mathbf{S}_{\mathbf{AA}}(\mathbf{b})$

Nuclear overlap function: $T_{AA}(b) = \int_{0}^{2\pi} d\psi \int_{0}^{r_{max}} r dr T_A(r_1) T_A(r_2)$, $T_A(\vec{r}) = \int_{\infty}^{+\infty} \rho_A(\vec{r}, z) dz$ Transverse area of dense zone: $S_{AA}(b) = \int_{0}^{2\pi} d\psi \int_{0}^{r_{max}} r dr = (\pi - 2 \arcsin \frac{b}{2R_A}) R_A^2 - b\sqrt{R_A^2 - \frac{b^2}{4}}$

In-medium partonic energy loss

General kinetic integral equation:

$$
\Delta E(L, E) = \int_0^L dx \frac{dP}{dx}(x)\lambda(x)\frac{dE}{dx}(x, E), \quad \frac{dP}{dx}(x) = \frac{1}{\lambda(x)} \exp(-x/\lambda(x))
$$

1. Collisional loss
$$
\nu = \left\langle \frac{t}{2m_0} \right\rangle = \frac{1}{2} \left\langle \frac{1}{m_0} \right\rangle \cdot \left\langle t \right\rangle \simeq \frac{1}{4T\sigma_{ab}} \int_{\mu_D}^{t_{\text{max}}} dt \frac{d\sigma_{ab}}{dt} t
$$

$$
\frac{d\sigma_{ab}}{dt} \cong C_{ab} \frac{2\pi \alpha_s^2(t)}{t^2}, \quad \alpha_s = \frac{12\pi}{(33-2N_f)\ln(t/\Lambda_{\text{QCD}}^2)}, \quad C_{ab} = 9/4, 1, 4/9 - gg, gg, qq
$$

2. $Radioitive$ $loss$ (R. Baier, Yu.L. Dokshitzer, A. Mueller, D. Schiff. NPB 531 (1998) 403)

$$
\frac{dE}{dx}|_{mq=0} = \frac{2\alpha_s C_F}{\pi \tau_L} \int_{E_{\text{LPM}} \sim \lambda_g \mu_D^2} d\omega \left[1 - y + \frac{y^2}{2}\right] \ln |\cos(\omega_1 \tau_1)| ,
$$

$$
\omega_1 = \sqrt{i \left(1 - y + \frac{C_F}{3}y^2\right)} \bar{\kappa} \ln \frac{16}{\bar{\kappa}}, \ \bar{\kappa} = \frac{\mu_D^2 \lambda_g}{\omega(1 - y)}, \ \tau_1 = \frac{\tau_L}{2\lambda_g}, \ y = \frac{\omega}{E}, \ C_F = \frac{4}{3}
$$

Yu.L. Dokshitzer and D. Kharzeev, PLB 519 (2001) 199 ("dead cone" approximation) :

$$
\frac{dE}{dx}|_{m_q \neq 0} = \frac{1}{(1 + (l\omega)^{3/2})^2} \frac{dE}{dx}|_{m_q = 0}, \quad l = \left(\frac{\lambda}{\mu_D^2}\right)^{1/3} \left(\frac{m_q}{E}\right)^{4/3}
$$

Simulation of parton rescattering in QGP

- The initial parton spectrum is generated with PYTHIA
- The transverse distance between scatterings, $l_i = (\tau_{i+1} \tau_i)E/p_T$:

$$
\frac{dP}{dl_i} = \lambda^{-1}(\tau_{i+1}) \exp\left(-\int_0^{l_i} \lambda^{-1}(\tau_i+s)ds\right), \quad \lambda_a^{-1} = \sum_b \sigma_{ab}\rho_b
$$

• The scattering cross section $d\sigma/dt$:

$$
\frac{d\sigma_{ab}}{dt} \cong C_{ab} \frac{2\pi \alpha_s^2(t)}{t^2}, \quad \alpha_s = \frac{12\pi}{(33 - 2N_f) \ln\left(t/\Lambda_{\text{QCD}}^2\right)}, \quad C_{ab} = 9/4, 1, 4/9 - gg, gg, qq
$$

• Radiative and collisional energy loss per scattering i:

$$
\Delta E_{\text{tot},i} = \Delta E_{\text{rad},i} + \Delta E_{\text{col},i}
$$

• Transverse momentum kick per scattering i:

$$
\Delta k_{t,i}^2 = (E - \frac{t_i}{2m_{0i}})^2 - (p - \frac{E}{p}\frac{t_i}{2m_{0i}} - \frac{t_i}{2p})^2 - m_q^2
$$

• The final spectrum is generated after hadronization with JETSET

Medium-modified jet fragmentation

Experimentally observable jet fragmentation function:

$$
D(z) \equiv \int_{z p_{T,\text{min}}^{\text{jet}}} d(p_T^h)^2 dy \frac{dN_{AA}^{\text{h}(k)}}{d(p_T^h)^2 dy dz'} \int_{p_{T,\text{min}}^{\text{jet}}} dp_T^2 dy \frac{dN_{AA}^{\text{jet}(k)}}{dp_T^2 dy}
$$

Experimentally observable integrated jet suppression factor:

$$
Q^{\rm jet}(p_{T,\rm min}^{\rm jet})\equiv \int\limits_{p_{T,\rm min}^{\rm jet}}dp_T^2dy\frac{dN^{\rm jet(k)}_{AA}}{dp_T^2dy}/\int\limits_{p_{T,\rm min}^{\rm jet}}dp_T^2dy\frac{dN^{\rm jet(k)}_{AA}}{dp_T^2dy}(\Delta p_T^{\rm jet}=0).
$$

Rate of jets of cone size θ_0 at impact parameter b:

$$
\frac{dN_{AA}^{\text{jet}(k)}}{dp_T^2 dy}(b) = \int\limits_0^{2\pi} d\psi \int\limits_0^{r_{\text{max}}} r dr T_A(r_1) T_A(r_2) \frac{d\sigma^{\text{jet}(k)}(p_T + \Delta p_T^{\text{jet}}(r,\psi,\theta_0))}{dp_T^2 dy}
$$

Rate of "jet-induced" hadrons at impact parameter b:

$$
\frac{dN_{AA}^{h(k)}}{d(p_T^h)^2 dy dz}(b) = \int_0^{2\pi} d\psi \int_0^{r_{\text{max}}} r dr T_A(r_1) T_A(r_2) \frac{d\sigma^{\text{jet}(k)}(p_T + \Delta p_T(r, \psi))}{dp_T^2 dy} \frac{1}{z^2} D_k^h(z, p_T^2)
$$

 $D_k^h(z, Q^2)$ and $\frac{d\sigma^{jet(k)}}{dp_T^2 dy}$ are fragmentation function and jet cross section in vacuum. $\Delta p_T^{\text{jet}}(\theta_0)$ and Δp_T are medium-induced shifts of jet and hadron p_T-spectrum.

Jet fragmentation function with leading π^0 **,** h^{\pm}

I.P. Lokhtin and A.M. Snigirev, hep-ph/0303121, Phys. Lett. B, in press modification of jet fragmentation function crucially depends on the fraction ε of jet energy loss falling outside the typical jet cone (and being truly lost to the jet).

B-jet fragmentation function with leading μ

modification of μ -tagged B-jet fragmentation function also depends on the fraction ε of jet energy loss falling outside the typical jet cone.

Heavy quark fragmentation effects on dimuon spectra

Signal I:

$$
b\overline{b} \to \overline{B} \to \mu^+ \mu^- X \quad (c\tau_{B^\pm} = 496\mu \text{m}, \ c\tau_{B^0} = 464\mu \text{m})
$$

$$
c\overline{c} \to \overline{D} \to \mu^+ \mu^- X \ (c\tau_{D^\pm} = 300\mu \text{m}, \ c\tau_{D^0} = 124\mu \text{m})
$$

Background I:
$$
(M_{\mu^+\mu^-} \gtrsim 10 \text{ GeV}/c^2)
$$

\n $q\bar{q} \to \mu^+\mu^-$ Drell-Yan
\n π^{\pm} , $K^{\pm} \to \mu^{\pm}\nu(\overline{\nu})$ Combinatorial background (subtracted using like-sign spectra)
\n**Signal II.**

Signal II:

$$
b\bar{b} \to BX \to J/\psi X \to \mu^+ \mu^- X
$$

Background II: $(M_{\mu^+\mu^-} \sim 3.1 \text{ GeV}/c^2)$ $gg \to J/\psi \to \mu^+ \mu^-$ primary J/ψ $\pi^{\pm}, K^{\pm} \to \mu^{\pm} \nu (\overline{\nu})$ Combinatorial background (subtracted using like-sign spectra)

Linear superposition of independent nucleon-nucleon sub-collisions (no collective effects):

$$
\sigma^h_{AA} = A^2 \sigma^h_{pp}
$$

Nuclear collective effects (initial and final state) will modify dimuon rates $\&$ spectra

Heavy quark production at very high energies

E. Norrbin, T. Sjöstrand, EPJ C 17 (2000) 137: 1. The "flavour excitation" and "gluon splitting" contributions in PYTHIA important and can dominate at LHC; 2. The single quark spectra are similar for all three contributions but the $Q\overline{Q}$ correlations are different.

(PYTHIA prediction)

I. Lokhtin, A. Snigirev, NPA ⁷⁰² (2002) ³⁴⁶

B-fragmentation: $B\overline{B} \to \mu^+\mu$ and $B \to J/\psi \to \mu^+\mu^-$

Invariant mass distribution of $\mu^+ \mu^-$ in Pb-Pb, $\sqrt{s} = 5.5$ A TeV

P_T and η distributions of J/ Ψ ($\rightarrow \mu^+ \mu^-$) from B-decay in Pb-Pb NUCLEAR SHADOWING + ENERGY LOSSES

I. Lokhtin, A. Snigirev, EPJ C ²¹ (2001) 155; JPG ²⁷ (2001) 2365; CERN CMS Note 2001/008; NPA ⁷⁰² (2002) ³⁴⁶ – see for details.

Jet quenching in HIC at CMS: Summary

Monte-Carlo studies show that CMS is well suited to observe and analyze jet quenching in various channels

Leading particles in jet:

- medium-modified jet fragmentation function can be measured (with fine jet, π^0 and charged hadron reconstruction)
- medium-modified *b*-quark fragmentation function can be measured (with fine jet and single muon reconstruction)

Heavy quarks:

• medium-modified spectra of high-mass dimuons from semilepronic $B\overline{B}$ decays and secondary J/ψ 's from single B can be observed (with fine dimuon and event vertex reconstruction)