



# FestKolloquium for Heinrich Wahl

Speakers will include:

**K.Kleinknecht:**

*Kaons in the '70s*

**Ph.Bloch:**

*The CDHS years*

**J.May:**

*Contribution to Aleph*

**K.Peach:**

*NA31, the first  $E'/E$  experiment*

**I.Mannelli:**

*Birth pains of NA4B*

**J.Steinberger:**

*A colleague and a friend*

**C.Jarlskog:**

*CP-Wahl : Theory*

Heinrich Wahl's scientific contribution  
will be celebrated at CERN on

**Tuesday 11 February 2003**  
**15:00 Main Auditorium**

You are all invited  
A cocktail will follow.

## NA31 – the first $E'/E$ experiment

Ken Peach

A personal view of the  
contribution of  
**Heinrich Wahl**  
to a classic experiment

# What is important? What is interesting?

- There are two basic routes to discovery

## 1. The High Energy Frontier

- LEP, HERA, Tevatron, LHC, ...

## 2. The High Precision Frontier

### a) High statistics

- The Factories' ( $\phi, \tau\text{-}c, b, \nu, \dots$ )

### b) Low systematics

- Electric Dipole Moments,  $g-2$ , rare decays ( $\mu, \pi, K, \dots$ ), dark matter searches, neutrino oscillations, anti-hydrogen..

... and  $\epsilon'/\epsilon$

Note: of course, all need high statistics, control of errors etc - but the characteristic feature that leads to discovery is energy, statistics or systematics

## In the beginning ...

- Ideas for the NA31 experiment formed in 1980/1981, before I joined, to measure  $\varepsilon'/\varepsilon$  to a precision of a few per mille
  - Theoretical expectations were that  $\varepsilon'/\varepsilon$  could be  $\sim 2\%$
- The proposal was approved by CERN in 1982
  - Theoretical expectations were that  $\varepsilon'/\varepsilon$  could be  $\sim 0.2\%$  !
- The full Collaboration was

CERN - Dortmund<sup>1</sup> - Edinburgh - Orsay - Pisa - Siegen

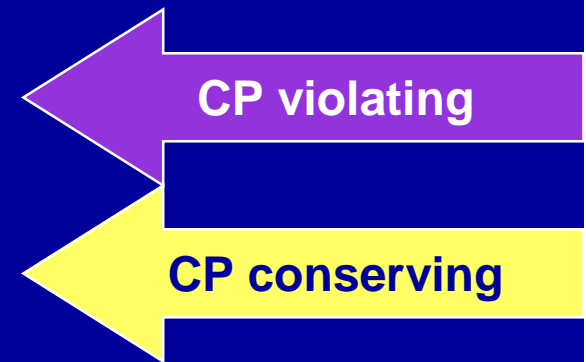
The spokesperson was **Heinrich Wahl**

1) Later the Dortmund group moved to Mainz.

# $\varepsilon'/\varepsilon$ and the Double Ratio Technique

- $\varepsilon'/\varepsilon$  excites the **theorists**
  - **Relates to fundamental (quark-level) processes**
- **experiment** measures something different

$$|\eta_{+-}|^2 = \frac{\Gamma(K_L \rightarrow \pi^+\pi^-)}{\Gamma(K_S \rightarrow \pi^+\pi^-)}$$



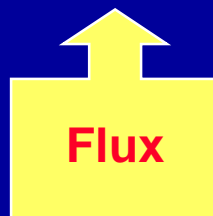
$$\eta_{+-} = \varepsilon + \varepsilon'$$
$$\eta_{00} = \varepsilon - 2\varepsilon'$$

$$R_\eta = |\eta_{00}/\eta_{+-}|^2 = 1 - 6\Re(\varepsilon'/\varepsilon)$$

## Experimental considerations

$$R_{\eta} = \frac{N(K_L \rightarrow \pi^0 \pi^0)}{N(K_S \rightarrow \pi^0 \pi^0)} \frac{N(K_S \rightarrow \pi^+ \pi^-)}{N(K_L \rightarrow \pi^+ \pi^-)}$$

$$\Gamma^{xy} \approx N^{xy} / [F^{xy} \times A^{xy} \times (1 + C^{xy})]$$



- In order for R to be simply related to the quad ratio of the event numbers

**F**, **A** and **C** must cancel either between  $K_L$  and  $K_S$  or between  $2\pi^0$  and  $\pi^+\pi^-$

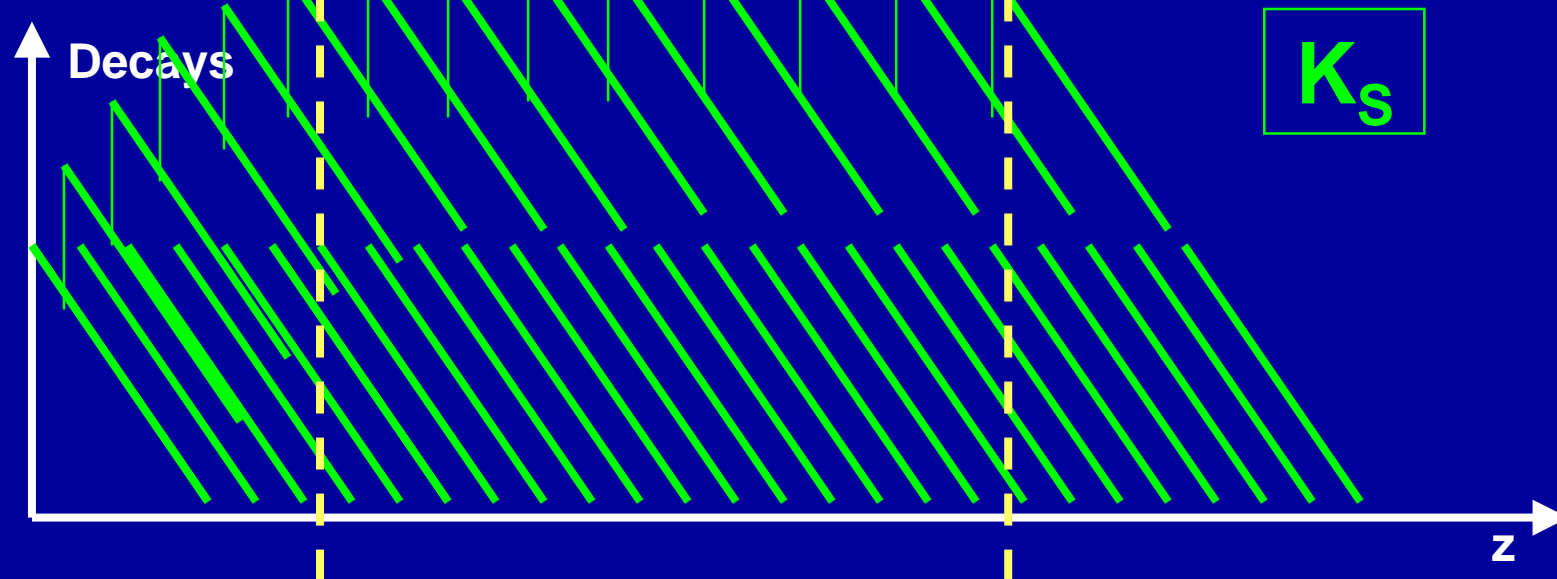
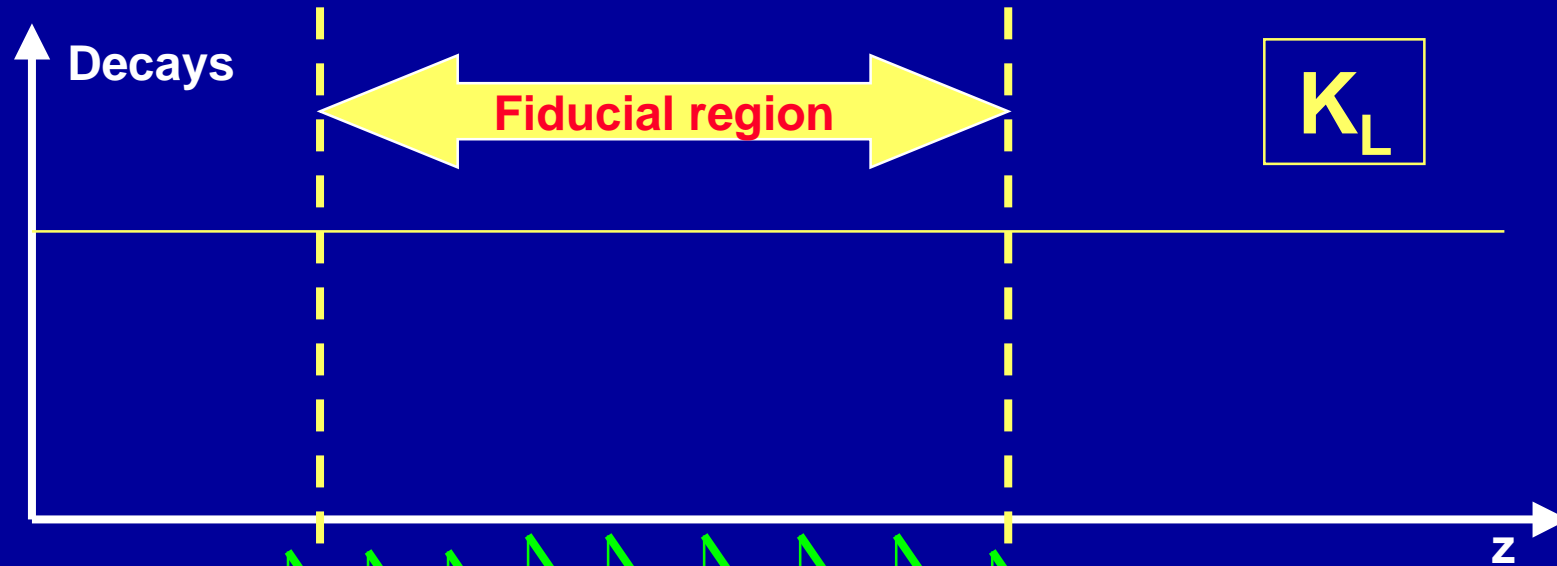
# Principles of the Experiment

- Concurrent detection of  $2\pi^0$  and  $\pi^+\pi^-$ 
  - Flux cancels
- Symmetrical cuts against additional activity
  - Accidental effects cancel
- Reduction of backgrounds
  - and estimate remaining backgrounds from data
- Reduction of reliance on Monte Carlo simulation
  - Acceptance
    - The Acceptance is a strong function of Energy & Vertex

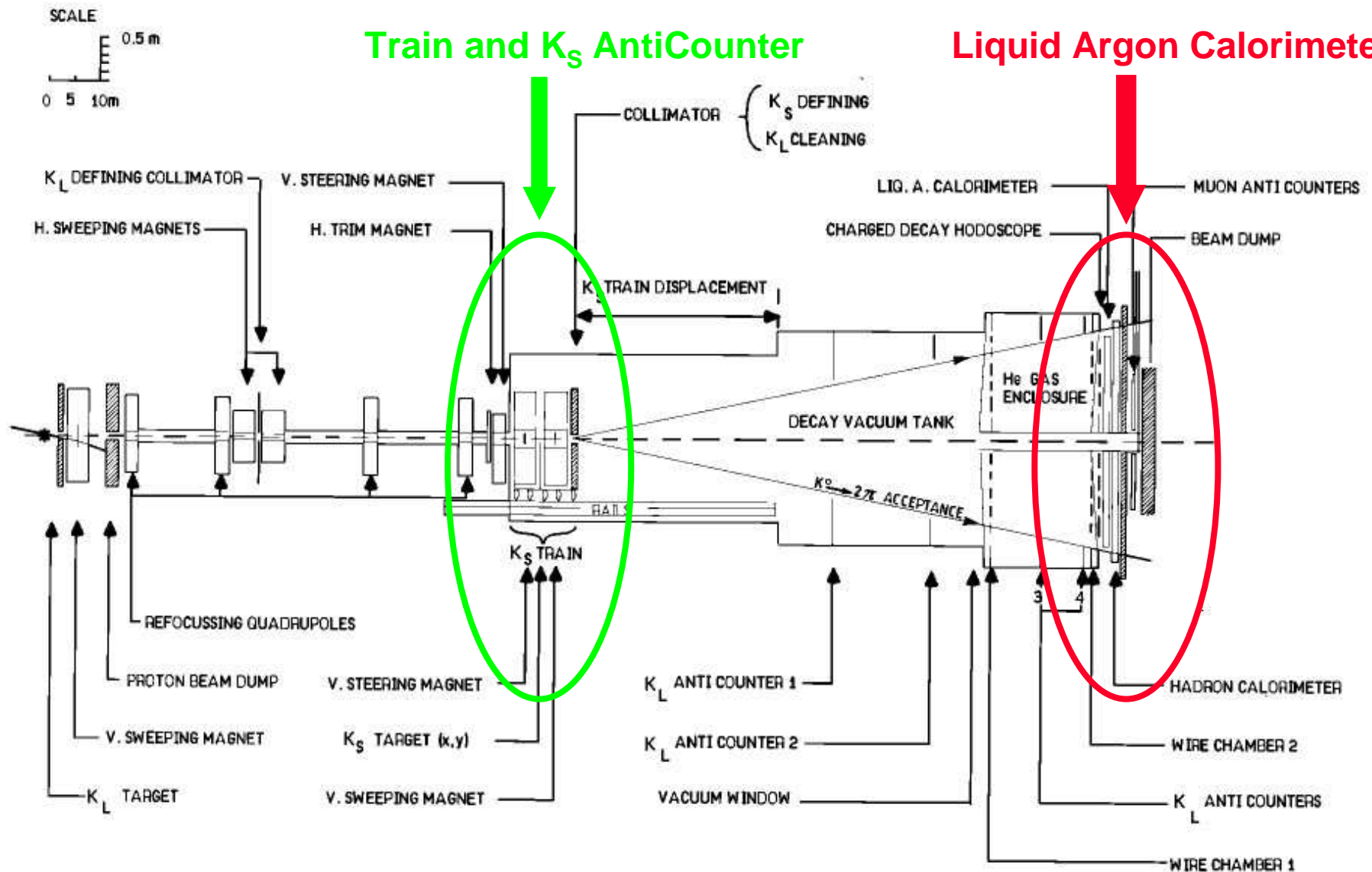
Analyse the data in energy ranges so that residual spectral differences between  $K_L$  and  $K_S$  are small

Make the  $K_L$  and  $K_S$  vertex distributions similar, and analyse in vertex ranges so that residual differences are small

# How to make a $K_S$ decay with the $K_L$ lifetime'



# The conceptual design





# ...the target train

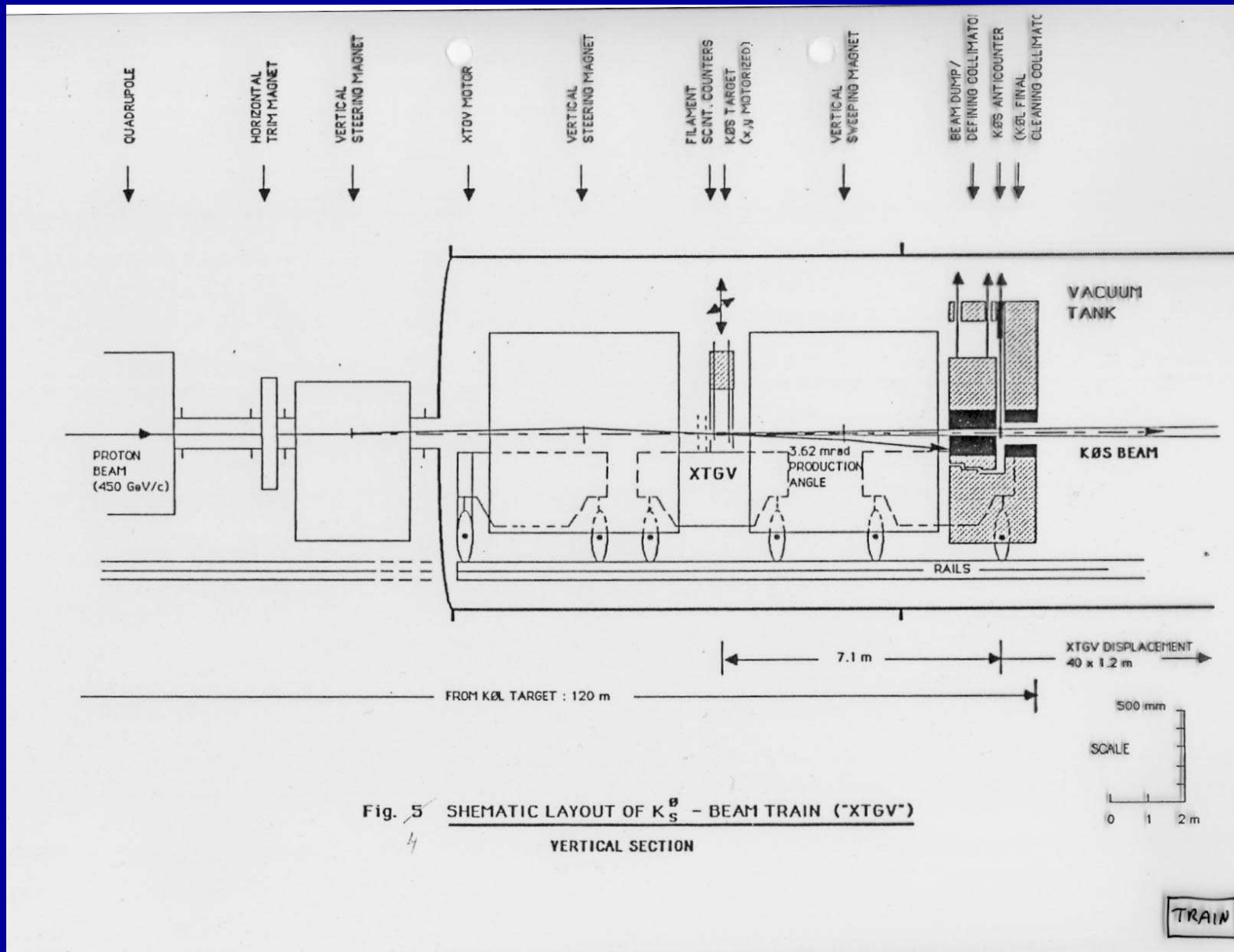
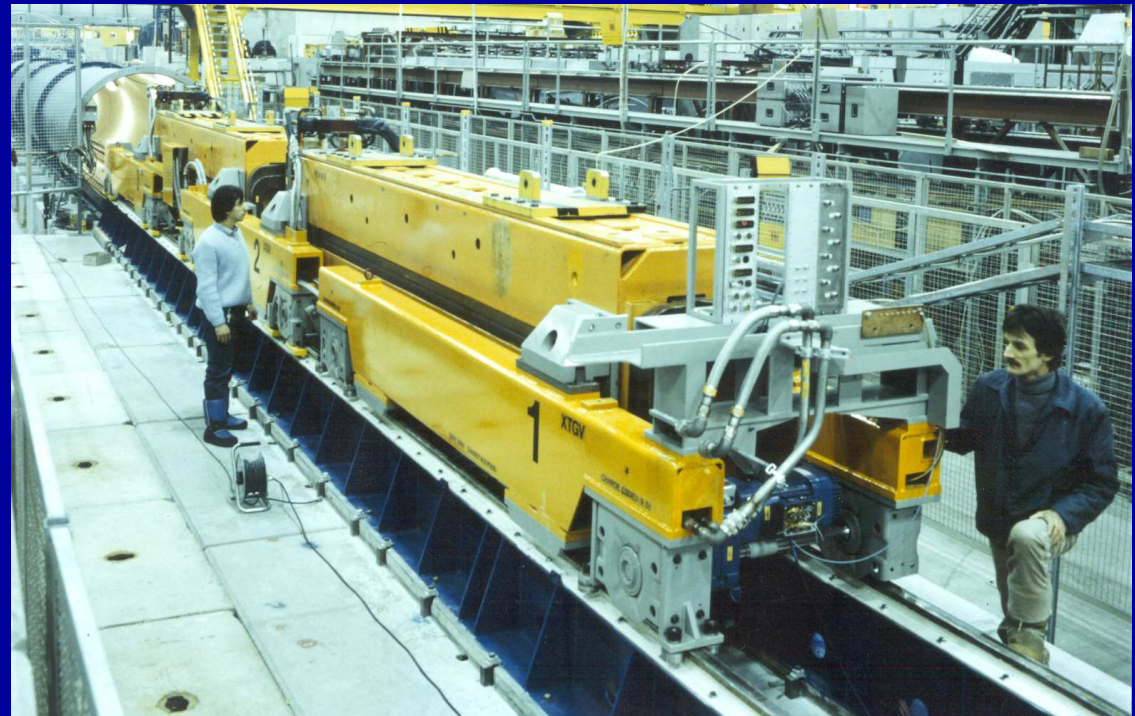
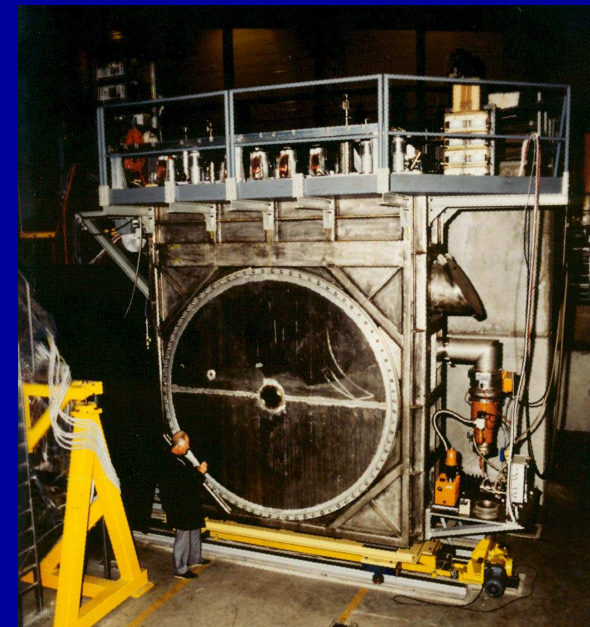
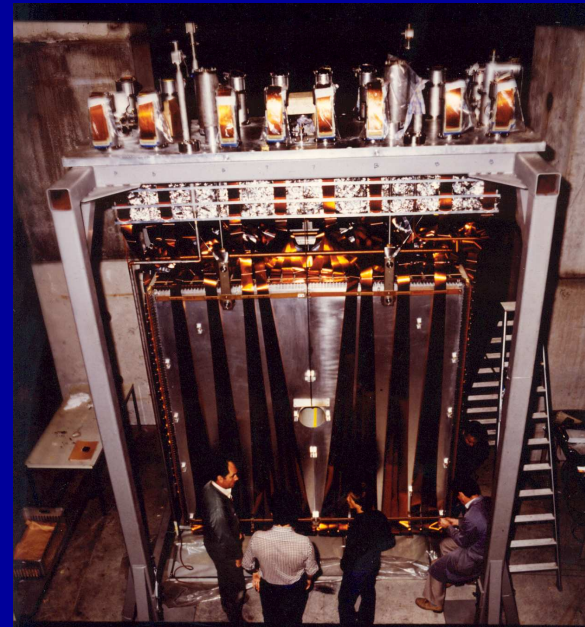
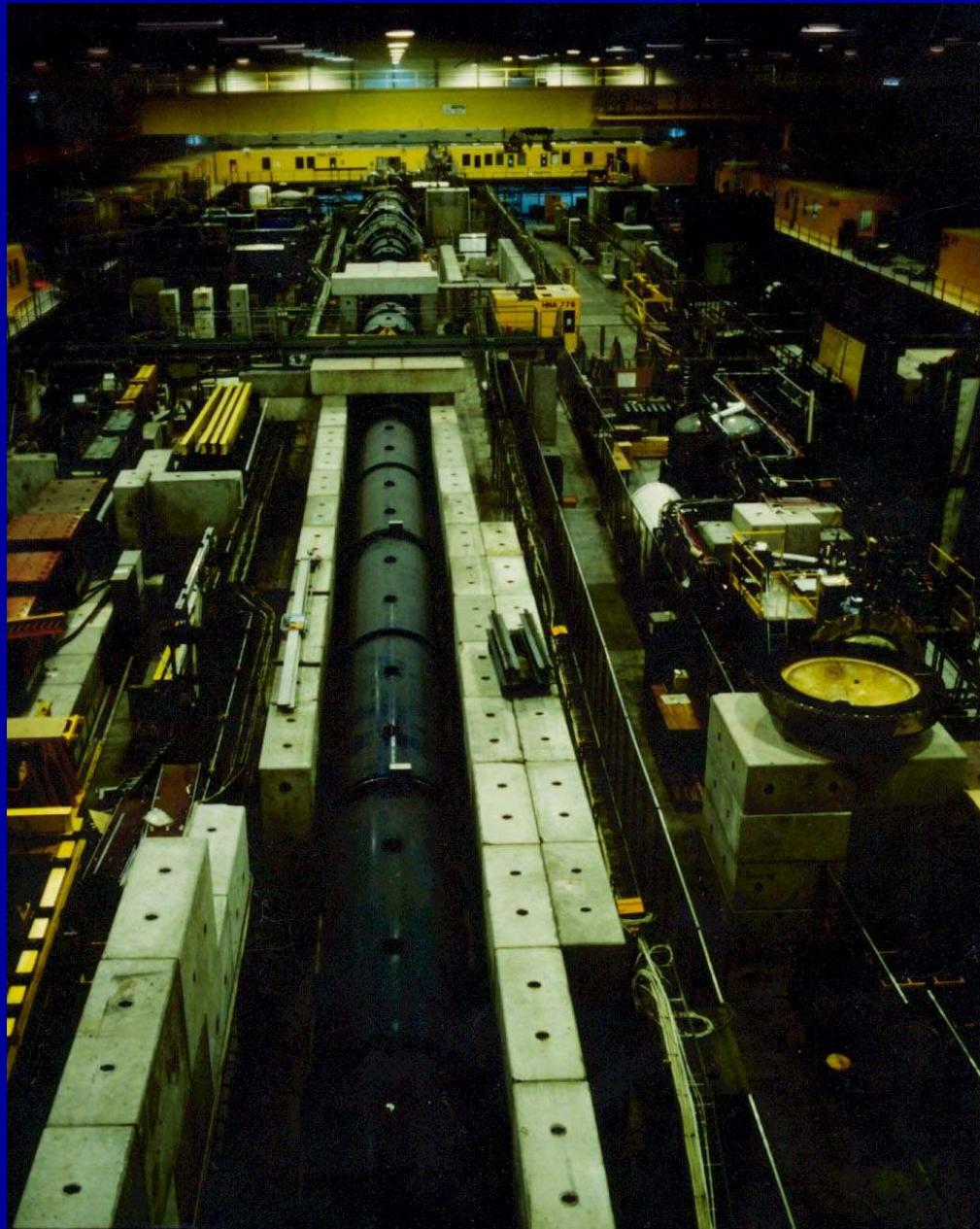


Fig. 5 SHEMATIC LAYOUT OF K<sub>S</sub><sup>B</sup> - BEAM TRAIN ("XTGV")  
 4  
 VERTICAL SECTION

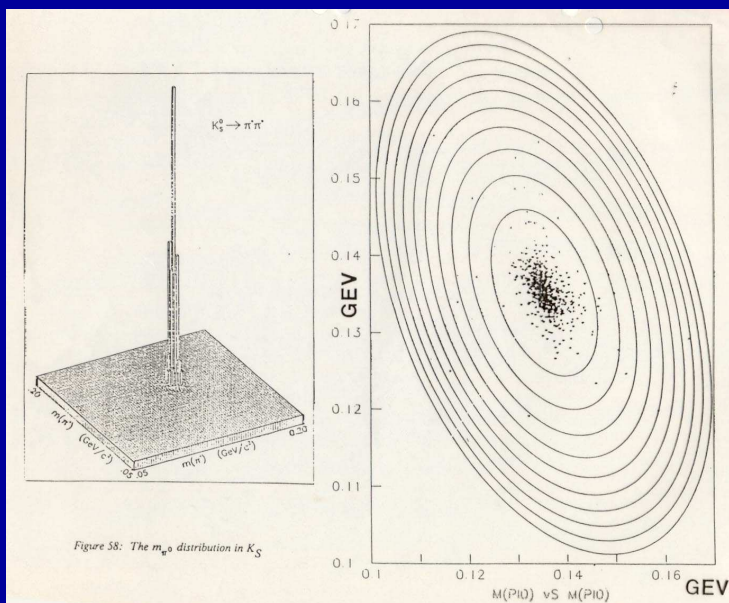
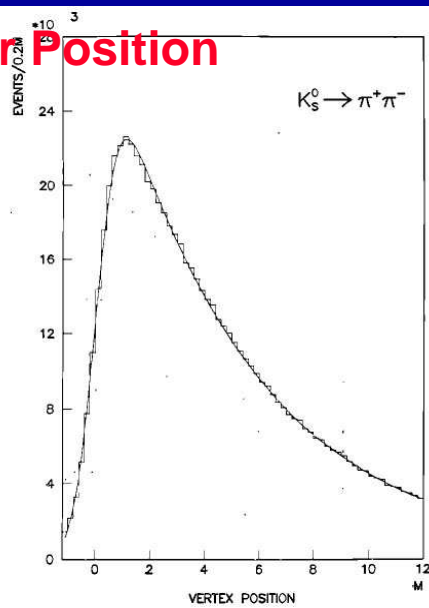
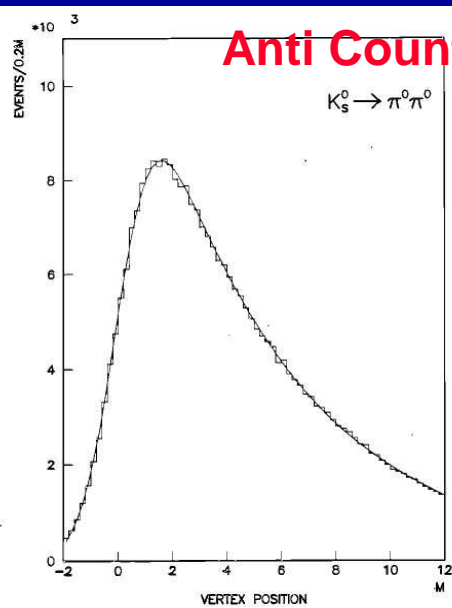
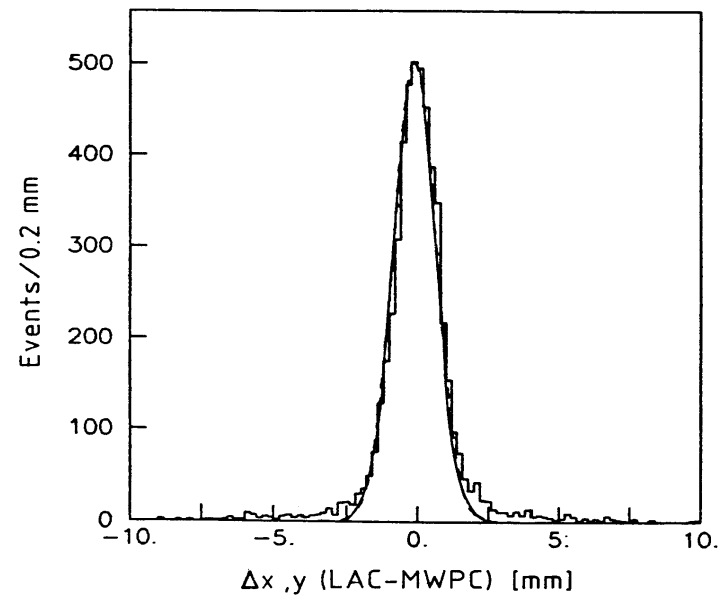
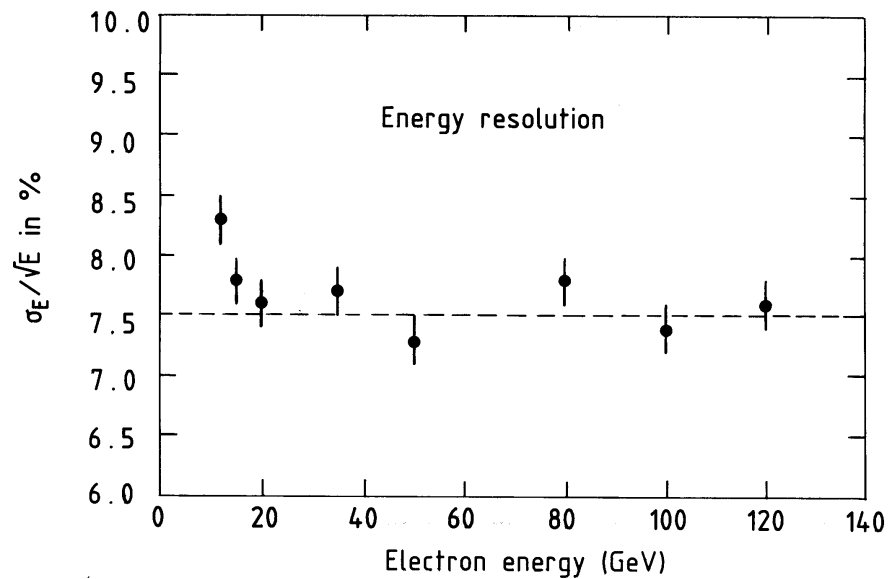
# The target train ...



... and the detector

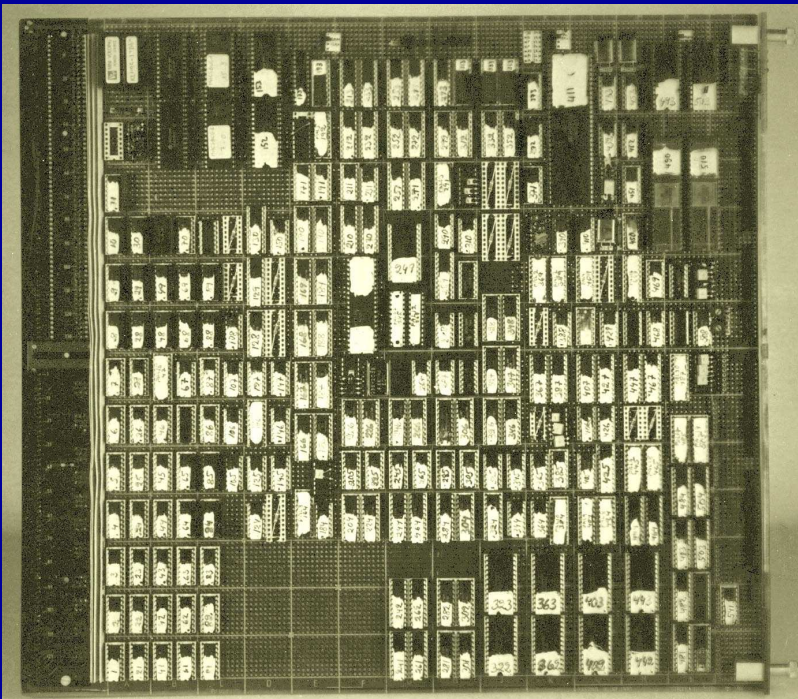


# ... Calorimeter performance

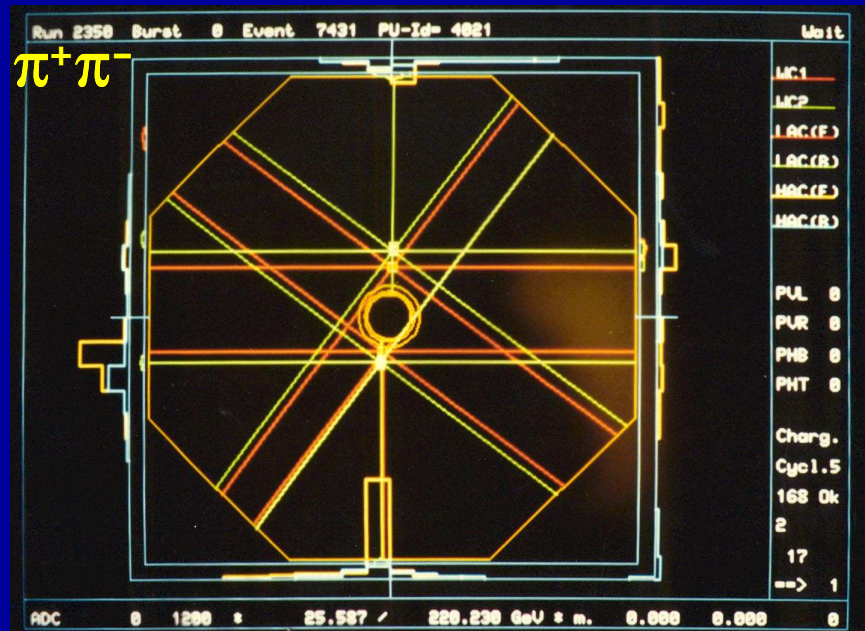
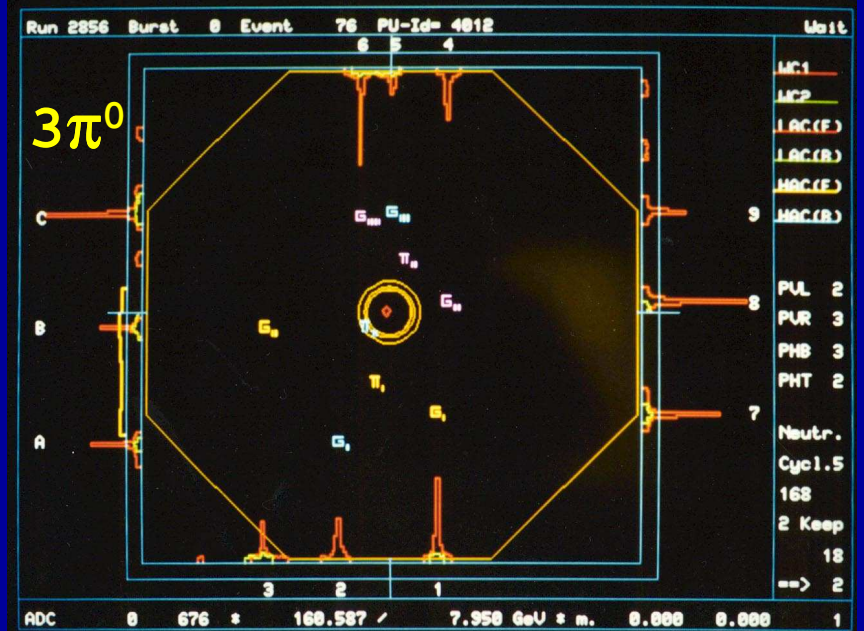
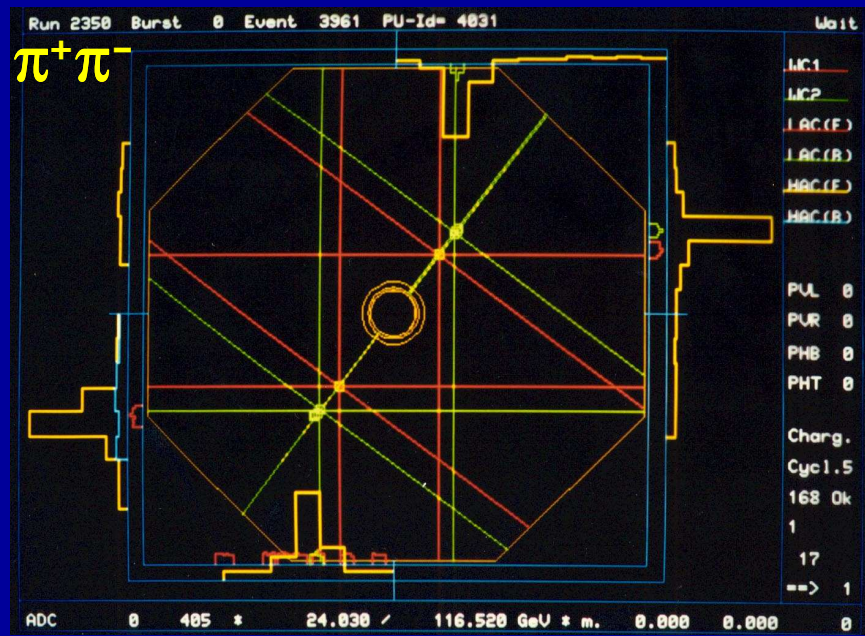
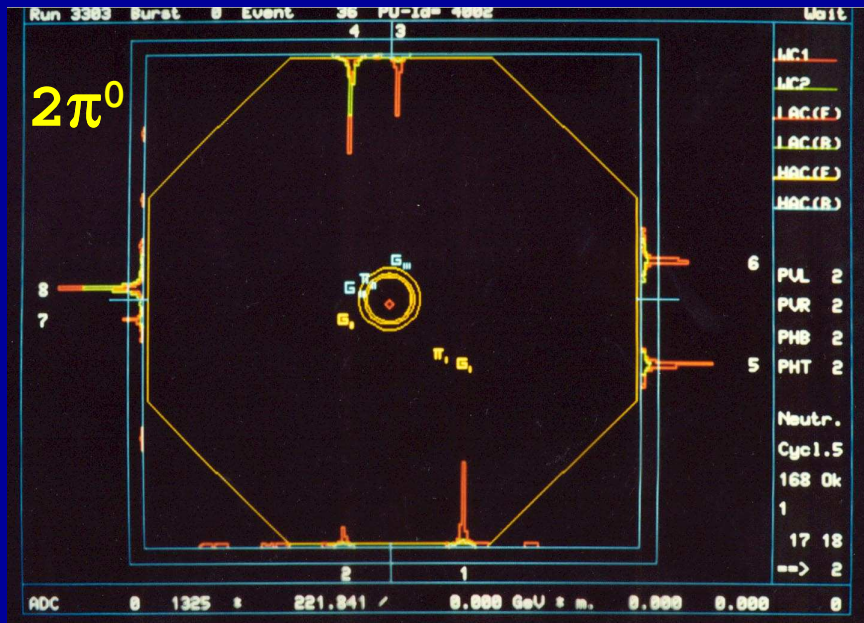


# Brave New World

- NA31 (bravely) decided to use Fastbus as its data acquisition technology
  - Adopted by LEP
  - Would mean that we would
    - “get a lot of help that we otherwise would not get”
- Bob Chase remarked (perceptively) that we would
  - “need a lot of help that we otherwise would not need”



# Some events



## Data Taking

- 1982 Test beam work
- 1983 Test beam work
- 1984 First data with full beam (no liquid argon)
- 1985 Full beam and detector, restricted readout
- 1986 First run of the complete experiment
- 1987 Special run to measure phase differences
  - Preliminary result announced in July

$$\varepsilon'/\varepsilon = 0.0033 \pm 0.0011$$

- 1988 More  $\varepsilon'/\varepsilon$  running
- 1989 Final  $\varepsilon'/\varepsilon$  run

# From a contemporary seminar

1986 Data

	Events	% Background
$K_L \rightarrow 2\pi^0$	109 000	4.0
$K_L \rightarrow \pi^+\pi^-$	295 000	0.6
$K_S \rightarrow 2\pi^0$	932 000	< 0.1
$K_S \rightarrow \pi^+\pi^-$	2 300 000	< 0.1

$R_\eta = 0.977 \pm 0.004$   
 statistical error only

Simple Ratio  
**0.912**  
 Becomes  
**0.977**  
 after binning in  
 energy & vertex

Main Systematic Effects on  $R_\eta$

Effect	%	Improved in 1988/9
Energy Scale	0.3	Yes
$2\pi^0$ background	0.2	Yes
$\pi^+\pi^-$ background	0.2	Yes
Accidental losses/gains	0.2	Yes
All other systematics	<~ 0.2	<~ 0.2

1986 Data  
 Summary of Corrections to  $R_\eta$

	Collimator Scattering %	Pretrigger Inefficiency %	Trigger Inefficiency %	Accidental Losses&Gains %
$K_L \rightarrow 2\pi^0$	< 0.1	$0.06 \pm 0.06$	$0.20 \pm 0.10$	$2.6 \pm 0.07$
$K_L \rightarrow \pi^+\pi^-$	< 0.1	$0.37 \pm 0.07$	$0.05 \pm 0.06$	$2.6 \pm 0.05$
$K_S \rightarrow 2\pi^0$	0.3	$0.04 \pm 0.02$	$0.12 \pm 0.03$	$2.5 \pm 0.05$
$K_S \rightarrow \pi^+\pi^-$	0.3	$0.48 \pm 0.03$	$0.01 \pm 0.01$	$2.8 \pm 0.05$

Total effect of  $R_\eta \sim 0.2\%$ .



## Key points in the analysis

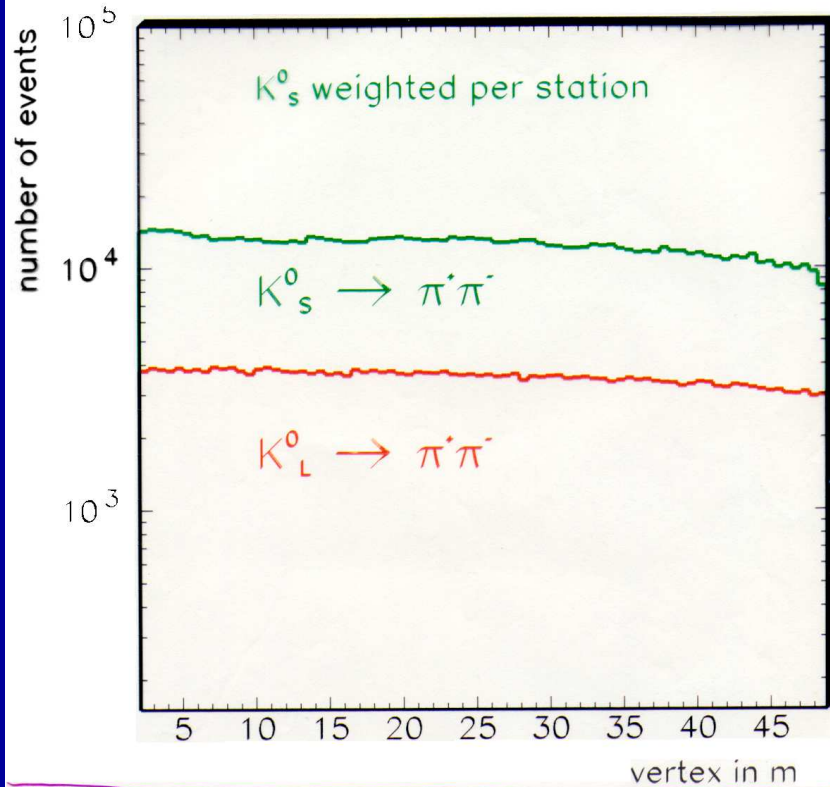


“The devil is in the detail”

- The energy scale
- Statistical analysis
- Accidentals
- Backgrounds
- Trigger efficiencies
- Reconstruction efficiencies
- The acceptance
- Rate effects
- Instrumental effects

# Making the cancellation happen

$\pi^+\pi^-$  Vertex Distributions AFTER  $K_S$  STATION ⑨  
WEIGHTS



SKETCH OF WEIGHTINGS

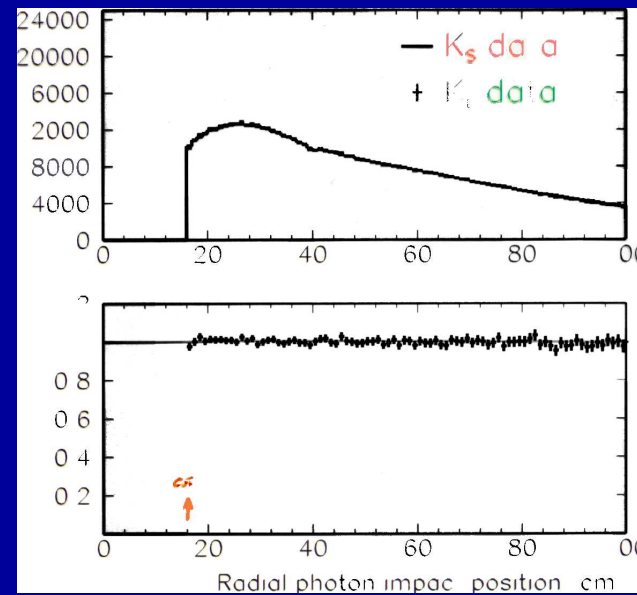
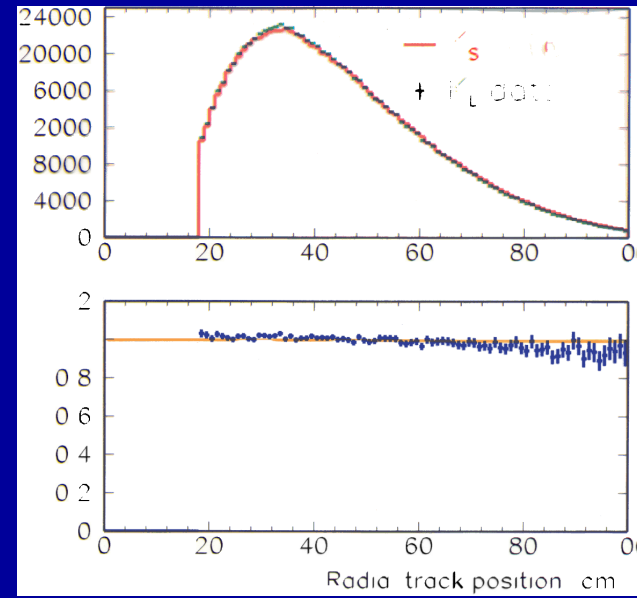
$$\begin{bmatrix} N_1^L \\ N_2^L \\ \vdots \\ N_n^L \end{bmatrix} = [W^1 \ W^2 \ \dots \ W^n] \begin{bmatrix} N_1^{S_1} & N_2^{S_1} & \dots & N_n^{S_1} \\ N_1^{S_2} & N_2^{S_2} & \dots & N_n^{S_2} \\ \vdots & \vdots & \ddots & \vdots \\ N_1^{S_n} & N_2^{S_n} & \dots & N_n^{S_n} \end{bmatrix}$$

$N_i^L$   $K_L$  vertex DIST<sup>2</sup>

$[W^1 \ W^2 \ \dots \ W^n]$  station weights

$N_i^{S_j}$   $K_S$  vertex DIST<sup>2</sup> FROM station  $S_j$

" $L = WS$ "  $\rightarrow$  " $W = S^{-1}L$ "



# Other physics

1987

First observation of  $K_S \rightarrow \gamma\gamma$   
New measurement of  $K_L \rightarrow \gamma\gamma$

1988

Search for  $K_L \rightarrow \pi^0 e^+ e^-$   
Measurement of  $K_L \rightarrow \pi^0 e^+ e^-$

1989

Search for  $K_L \rightarrow \pi^0 h^0; h^0 \rightarrow e^+ e^-$

1990

Measurement of the phases  $\phi_+$  and  $\phi_{00}$ , and the phase difference  
Measurement of  $K_L \rightarrow e^+ e^- \gamma$   
Observation of  $K_L \rightarrow \pi^0 \gamma\gamma$

1991

Observation of  $K_L \rightarrow e^+ e^- e^+ e^-$

1992

Measurement of  $K_L \rightarrow \pi^0 \gamma\gamma$

1993

**New (final) measurement of  $\epsilon'/\epsilon$**

Search for  $K_S \rightarrow \pi^0 e^+ e^-$

1994

Search for  $K_L \rightarrow \pi^0 \pi^0 \gamma$

1995

Branching Ratios  $\Gamma(K_L \rightarrow 2\pi^0) / \Gamma(K_L \rightarrow \pi^+ \pi^- \pi^0)$  and  $\Gamma(K_L \rightarrow 3\pi^0) / \Gamma(K_L \rightarrow \pi e \nu)$ ,  
Measurement of  $K_L \rightarrow e^+ e^- e^+ e^-$  & parity of the  $K_L$   
Search for  $K_L \rightarrow \gamma\gamma$

1997

Measurement of the K lifetime  
Measurement of  $K_L \rightarrow e^+ e^- \gamma\gamma$

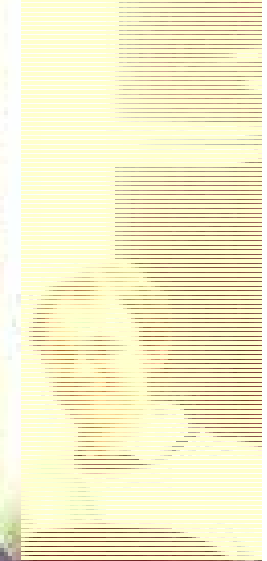
$$\epsilon'/\epsilon = 0.00230 \pm 0.00065$$

$$\epsilon'/\epsilon = 0.0033 \pm 0.0011 \quad [1987]$$

[1986] Presentation of the 'Cheque' for 200,000  $K_L \rightarrow 2\pi^0$

Heinrich Wahl

NA 31 Spokesperson



# ... and in action ...

EUROPEAN ORGANIZATION FOR NUCLEAR RESEARCH

CERN-EP/88-47

6 April 1988

## FIRST EVIDENCE FOR DIRECT CP VIOLATION

CERN-Dortmund-Edinburgh-Mainz-Orsay-Pisa-Siegen Collaboration

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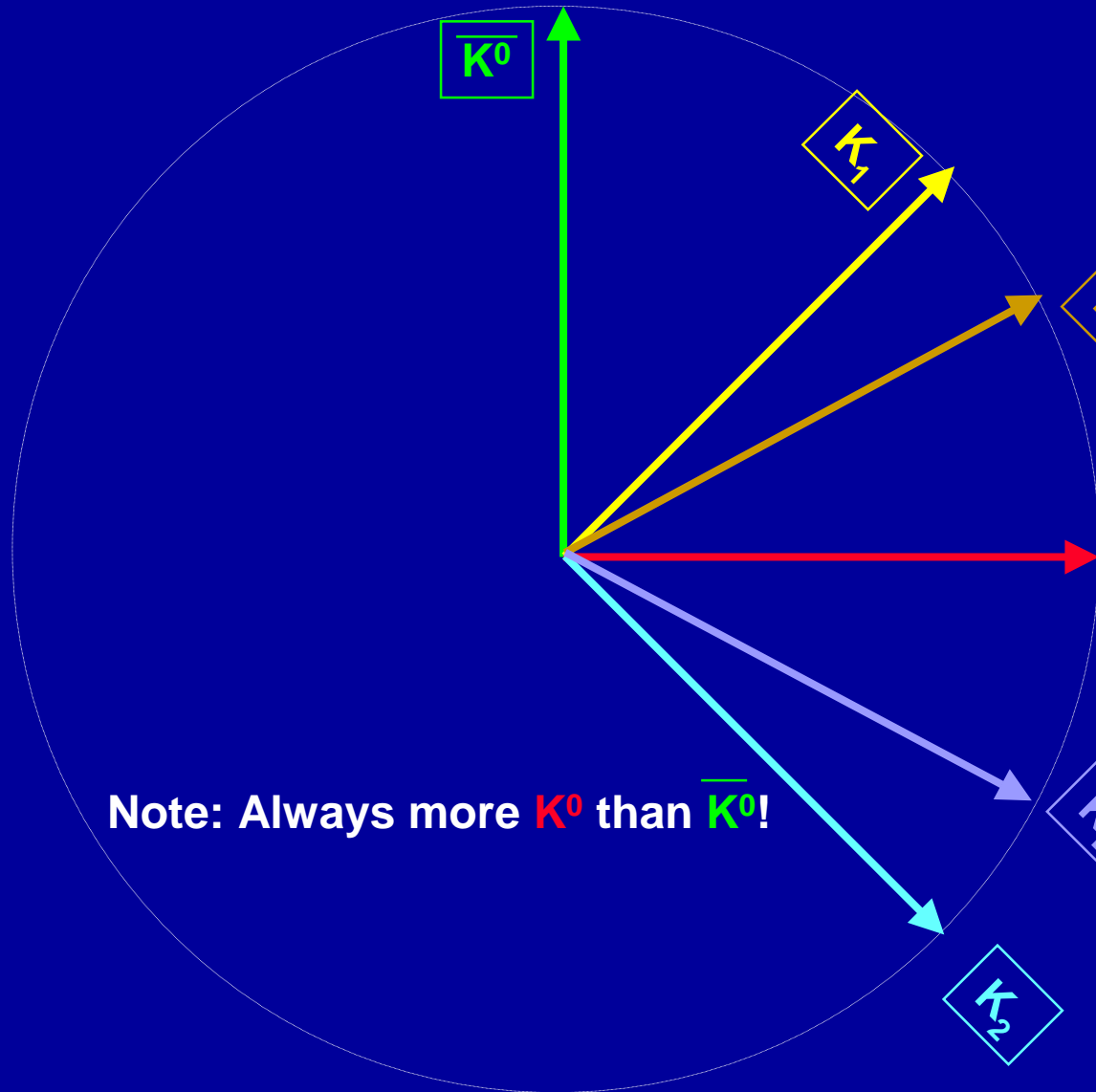
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(Submitted to Physics Letters B)

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- a) Funded by the German Federal Minister for Research and Technology (BMFT) under contract 05 4M218.  
b) Funded by Institut National de Physique des Particules et de Physique Nucléaire, France.  
c) Funded by the German Federal Minister for Research and Technology (BMFT) under contract 054 Si74.

	NAB1	E731
$K_L \rightarrow \pi\pi^0$	428 k	410 k
$K_L \rightarrow \pi^+\pi^-$	1142 k	327 k
$K_S \rightarrow \pi\pi^0$	2254 k	800 k
$K_S \rightarrow \pi^+\pi^-$	5541 k	1061 k
$R_{\text{new}} = \frac{L^{\infty} S^+}{S^{\infty} L^+}$	0.9213	1.6629
$\epsilon'/\epsilon _{\text{dir}}$	0.0023	0.0007
Stat. err	0.0004	0.0005
System. err	0.0005	0.0003
TOTAL err	0.00065	0.00059

# The neutral kaon system



$$|K_1\rangle = \frac{1}{\sqrt{2}} \left[ |K^0\rangle + |\bar{K}^0\rangle \right]$$

$$K_S = \frac{1}{\sqrt{1+|\epsilon_S|^2}} \left[ |K_1\rangle + \epsilon_S |K_2\rangle \right]$$

$$K_L = \frac{1}{\sqrt{1+|\epsilon_L|^2}} \left[ |K_2\rangle + \epsilon_L |K_1\rangle \right]$$

$$|K_2\rangle = \frac{1}{\sqrt{2}} \left[ |K^0\rangle - |\bar{K}^0\rangle \right]$$

Note: Always more  $K^0$  than  $\bar{K}^0$ !

## CP conservation

- Since  $CP|2\pi\rangle = +|2\pi\rangle$
- CP conservation implies that

$$1. \quad \varepsilon_S = \varepsilon_L = 0$$

↪  $K_L$  cannot decay into  $2\pi$

! Note that **CPT** implies

$$\varepsilon_S = \varepsilon_L$$

$$\varepsilon'/\varepsilon$$

$2\pi$  state can be either  $I=0$  or  $I=2$

$\pi^+\pi^-$  is  $2/3$  ( $I=0$ ) and  $1/3$  ( $I=2$ )

$\pi^0\pi^0$  is  $1/3$  ( $I=0$ ) and  $2/3$  ( $I=2$ )

$$\eta_{+-} = \varepsilon + \varepsilon'$$

$$\eta_{00} = \varepsilon - 2\varepsilon'$$



$$R_\eta = |\eta_{00}/\eta_{+-}|^2 = 1 - 6\Re(\varepsilon'/\varepsilon)$$

$$\varepsilon' = \frac{1}{\sqrt{2}} i e^{i(\delta_2 - \delta_0)} \frac{\Im A_2}{A_0}$$