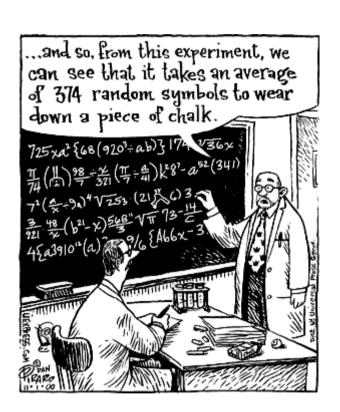
# From Raw Data to Physics: Reconstruction and Analysis

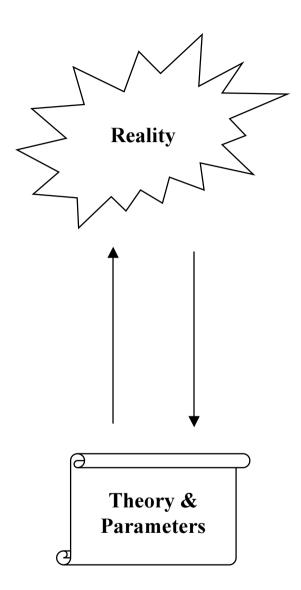
Introduction

**Sample Analysis** 

A Model

**Basic Features** 





We use experiments to inquire about what "reality" does.

We intend to fill this gap

The goal is to understand in the most general; that's usually also the simplest.
- A. Eddington

## **Theory**

146 10. Electroweak model and constraints on new physics

# 10. ELECTROWEAK MODEL AND CONSTRAINTS ON NEW PHYSICS

Revised August 1999 by J. Erler and P. Langacker (Univ. of Pennsylvania).

- 10.1 Introduction
- 10.2 Renormalization and radiative corrections
- 10.3 Cross-section and asymmetry formulas
- 10.4 W and Z decays
- 10.5 Experimental results
- 10.6 Constraints on new physics

#### 10.1. Introduction

The standard electroweak model is based on the gauge group [1]  $\mathrm{SU}(2) \times \mathrm{U}(1)$ , with gauge bosons  $W^i_\mu$ , i=1,2,3, and  $B_\mu$  for the  $\mathrm{SU}(2)$  and  $\mathrm{U}(1)$  factors, respectively, and the corresponding gauge coupling constants g and g'. The left-handed fermion fields  $\psi_i = \begin{pmatrix} \nu_i \\ \ell_i^+ \end{pmatrix}$  and  $\begin{pmatrix} u_i \\ d_i^t \end{pmatrix}$  of the  $i^{th}$  fermion family transform as doublets under  $\mathrm{SU}(2)$ , where  $d_i' \equiv \sum_j V_{ij} \ d_j$ , and V is the Cabibbo-Kobayashi-Maskawa mixing matrix. (Constraints on V are discussed in the section on the Cabibbo-Kobayashi-Maskawa mixing matrix.) The right-handed fields are  $\mathrm{SU}(2)$  singlets. In the minimal model there are three fermion families and a single complex Higgs doublet  $\phi \equiv \begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix}$ 

After spontaneous symmetry breaking the Lagrangian for the fermion fields is

$$\mathcal{L}_{F} = \sum_{i} \overline{\psi}_{i} \left( i \partial - m_{i} - \frac{g m_{i} H}{2 M_{W}} \right) \psi_{i}$$

$$- \frac{g}{2 \sqrt{2}} \sum_{i} \overline{\psi}_{i} \gamma^{\mu} (1 - \gamma^{5}) (T^{+} W_{\mu}^{+} + T^{-} W_{\mu}^{-}) \psi_{i}$$

$$- e \sum_{i} q_{i} \overline{\psi}_{i} \gamma^{\mu} \psi_{i} A_{\mu}$$

$$- \frac{g}{2 \cos \theta_{W}} \sum_{i} \overline{\psi}_{i} \gamma^{\mu} (g_{V}^{i} - g_{A}^{i} \gamma^{5}) \psi_{i} Z_{\mu} . \tag{10.1}$$

 $\theta_W \equiv \tan^{-1}(g'/g)$  is the weak angle;  $e = g \sin \theta_W$  is the positron electric charge; and  $A \equiv B \cos \theta_W + W^3 \sin \theta_W$  is the (massless) photon field.  $W^{\pm} \equiv (W^1 \mp i W^2)/\sqrt{2}$  and  $Z \equiv -B \sin \theta_W + W^3 \cos \theta_W$  are the massive charged and neutral weak boson fields, respectively.  $T^+$  and  $T^-$  are the weak isospin raising and lowering operators. The

Particle Data Group, Barnett et al

"Clear statement of how the world works"

Additional term goes here

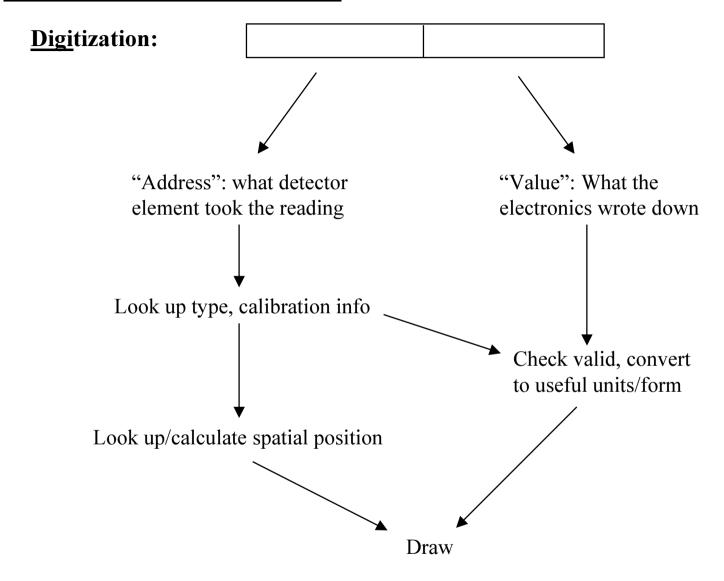
## **Experiment**

0x01e84c10: 0x01e8 0x8848 0x01e8 0x83d8 0x6c73 0x6f72 0x7400 0x0000 0x01e84c20: 0x0000 0x0019 0x0000 0x0000 0x01e8 0x4d08 0x01e8 0x5b7c 0x01e84c30: 0x01e8 0x87e8 0x01e8 0x8458 0x7061 0x636b 0x6167 0x6500 0x01e84c40: 0x0000 0x0019 0x0000 0x0000 0x0000 0x0000 0x01e8 0x5b7c 0x01e84c50: 0x01e8 0x8788 0x01e8 0x8498 0x7072 0x6f63 0x0000 0x0000 0x01e84c60: 0x0000 0x0019 0x0000 0x0000 0x0000 0x0000 0x01e8 0x5b7c 0x01e84c70: 0x01e8 0x8824 0x01e8 0x84d8 0x7265 0x6765 0x7870 0x0000 0x0000 0x0019 0x0000 0x0000 0x0000 0x0000 0x01e8 0x5b7c 0x01e84c80: 0x01e84c90: 0x01e8 0x8838 0x01e8 0x8518 0x7265 0x6773 0x7562 0x0000 0x01e84ca0: 0x0000 0x0019 0x0000 0x0000 0x0000 0x0000 0x01e8 0x5b7c 0x01e84cb0: 0x01e8 0x8818 0x01e8 0x8558 0x7265 0x6e61 0x6d65 0x0000 0x01e84cc0: 0x0000 0x0019 0x0000 0x0000 0x0000 0x0000 0x01e8 0x5b7c 0x01e84cd0: 0x01e8 0x8798 0x01e8 0x8598 0x7265 0x7475 0x726e 0x0000 0x0000 0x0019 0x0000 0x0000 0x0000 0x0000 0x01e8 0x5b7c 0x01e84ce0: 0x01e84cf0: 0x01e8 0x87ec 0x01e8 0x85d8 0x7363 0x616e 0x0000 0x0000 0x01e84d00: 0x0000 0x0019 0x0000 0x0000 0x0000 0x0000 0x01e8 0x5b7c 0x01e84d10: 0x01e8 0x87e8 0x01e8 0x8618 0x7365 0x7400 0x0000 0x0000 0x01e84d20: 0x0000 0x0019 0x0000 0x0000 0x0000 0x0000 0x01e8 0x5b7c 0x01e8 0x87a8 0x01e8 0x8658 0x7370 0x6c69 0x7400 0x0000 0x01e84d30: 0x0000 0x0019 0x0000 0x0000 0x0000 0x0000 0x01e8 0x5b7c 0x01e84d40: 0x01e84d50: 0x01e8 0x8854 0x01e8 0x8698 0x7374 0x7269 0x6e67 0x0000 0x01e84d60: 0x0000 0x0019 0x0000 0x0000 0x0000 0x0000 0x01e8 0x5b7c 0x01e84d70: 0x01e8 0x875c 0x01e8 0x86d8 0x7375 0x6273 0x7400 0x0000 0x01e84d80: 0x0000 0x0019 0x0000 0x0000 0x0000 0x0000 0x01e8 0x5b7c 0x01e84d90: 0x01e8 0x87c0 0x01e8 0x8718 0x7377 0x6974 0x6368 0x0000

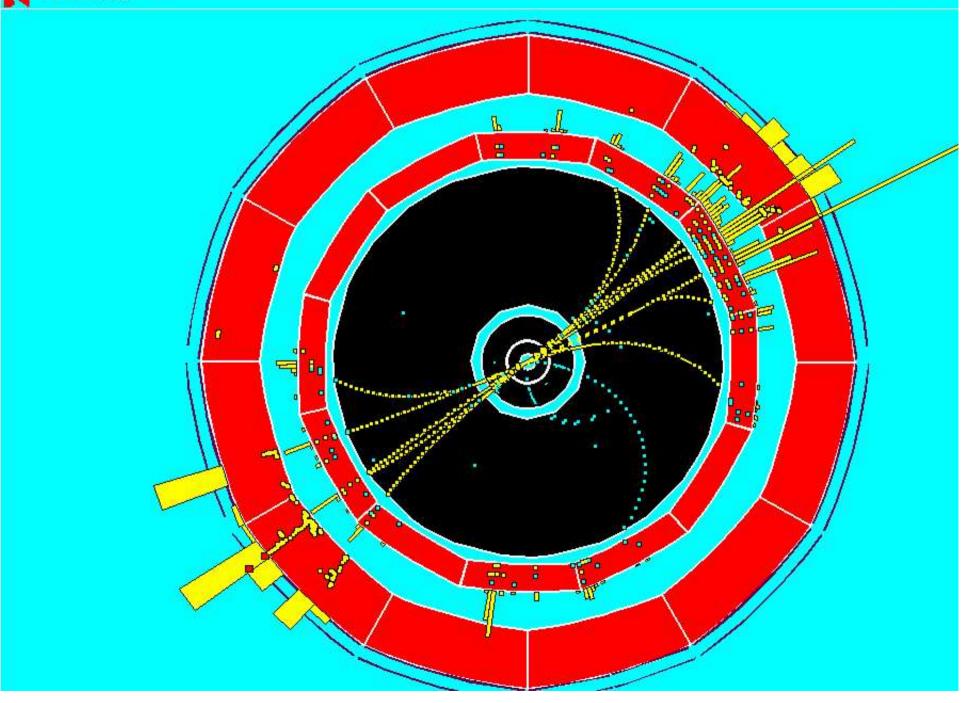
#### 1/30th of an event in the BaBar detector

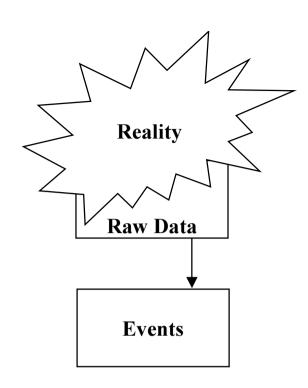
Get about 100 events/second

## What does the data mean?



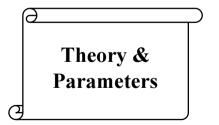






The imperfect measurement of a (set of) interactions in the detector

A unique happening: Run 21007, event 3916 which contains a Z -> xx decay



A small number of general equations, with specific input parameters (perhaps poorly known)

## **Phenomenology**

A good theory contains very few numbers

But it can predict a large number of reactions

Getting those predictions from the theory is called "phenomenology"

#### 10.4. W and Z decays

The partial decay width for gauge bosons to decay into massless fermions  $f_1\overline{f}_2$  is

$$\Gamma(W^+ \to e^+ \nu_e) = \frac{G_F M_W^3}{6\sqrt{2}\pi} \approx 226.5 \pm 0.3 \text{ MeV} ,$$
 (10.41a)

$$\Gamma(W^+ \to u_i \overline{d}_j) = \frac{CG_F M_W^3}{6\sqrt{2}\pi} |V_{ij}|^2 \approx (707 \pm 1) |V_{ij}|^2 \text{ MeV} , (10.41b)$$

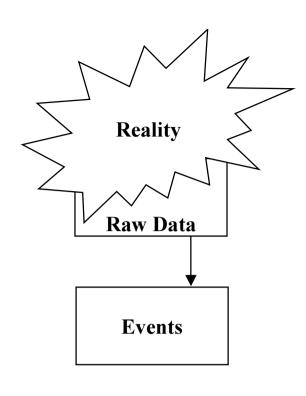
$$\Gamma(Z \to \psi_i \overline{\psi}_i) = \frac{CG_F M_Z^3}{6\sqrt{2}\pi} \left[ g_V^{i2} + g_A^{i2} \right]$$
 (10.41c)

$$\approx \begin{cases} 300.3 \pm 0.2 \text{ MeV } (u\overline{u}), & 167.24 \pm 0.08 \text{ MeV } (\nu\overline{\nu}), \\ 383.1 \pm 0.2 \text{ MeV } (d\overline{d}), & 84.01 \pm 0.05 \text{ MeV } (e^+e^-), \\ 375.9 \mp 0.1 \text{ MeV } (b\overline{b}). \end{cases}$$

From Particle Data Book

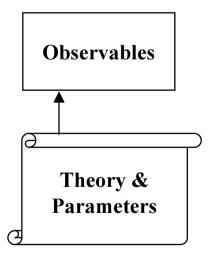
## Our modified theory predicts a different rate for Z-> $\mu\mu$

•This gives us a way to prove or disprove it!



The imperfect measurement of a (set of) interactions in the detector

A unique happening: Run 21007, event 3916 which contains a Z -> xx decay



Specific lifetimes, probabilities, masses, branching ratios, interactions, etc

A small number of general equations, with specific input parameters (perhaps poorly known)

## A simple analysis: What's BR(Z-> $\mu$ + $\mu$ -)?

#### **Measure:**

$$BR(Z^0 \to \mu^+ \mu^-) = \frac{\text{Number of } \mu^+ \mu^- \text{ events}}{\text{Total number of events}}$$

#### Take a sample of events, and count those with a $\mu^+\mu^-$ final state.

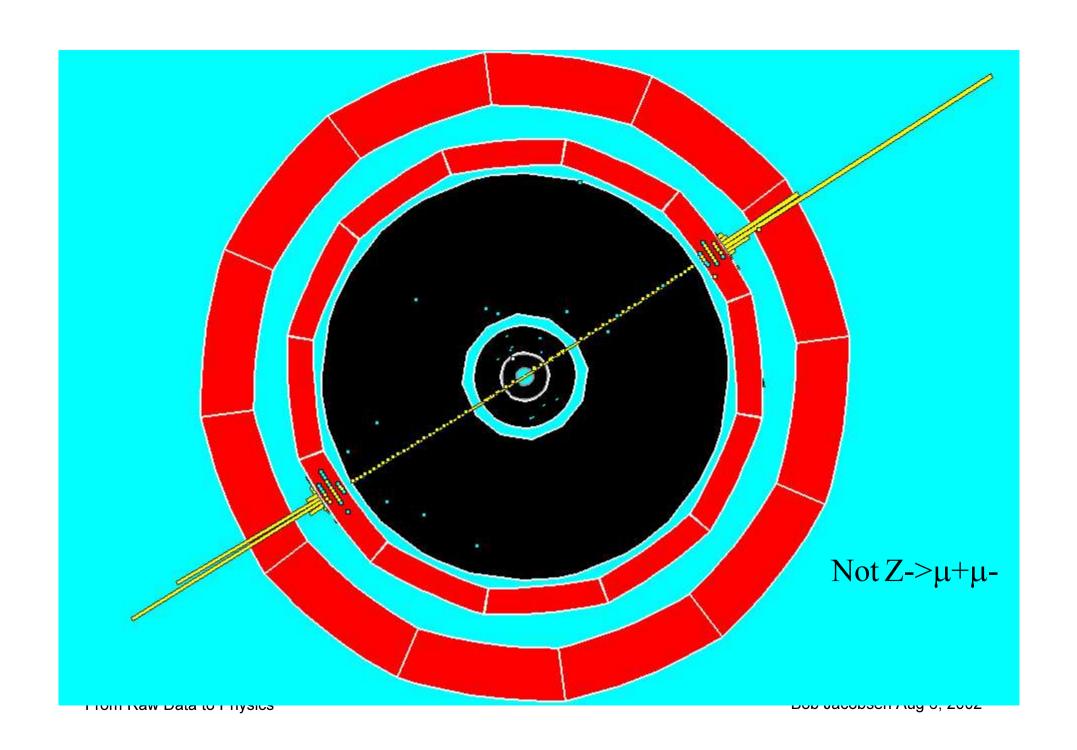
- Two tracks, approximately back-to-back with the expected |p|

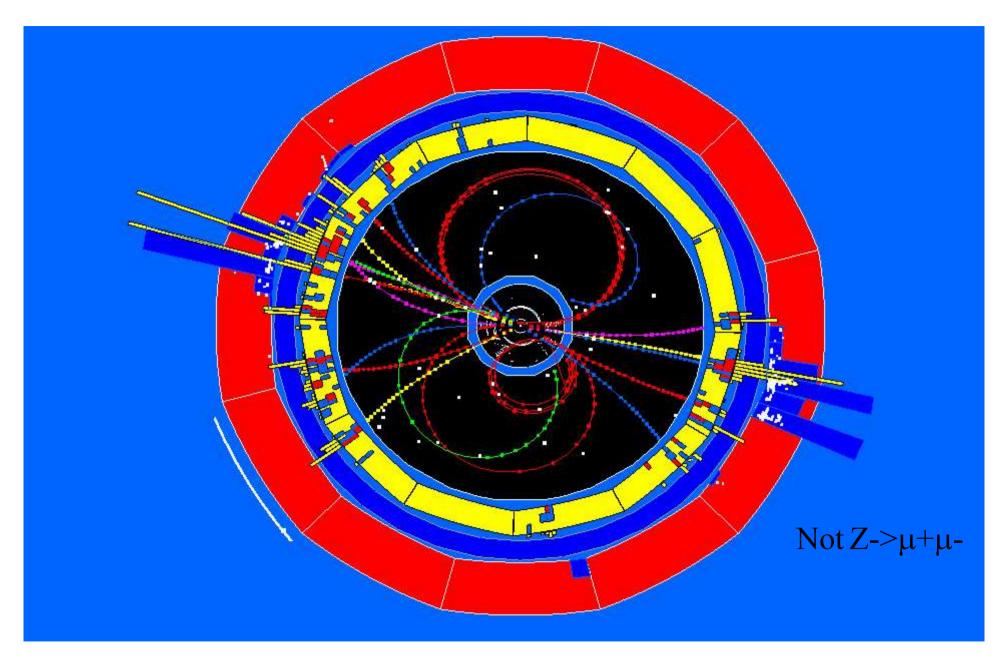
  Other kinds of events have more
- Right number of muon hits in outer layers

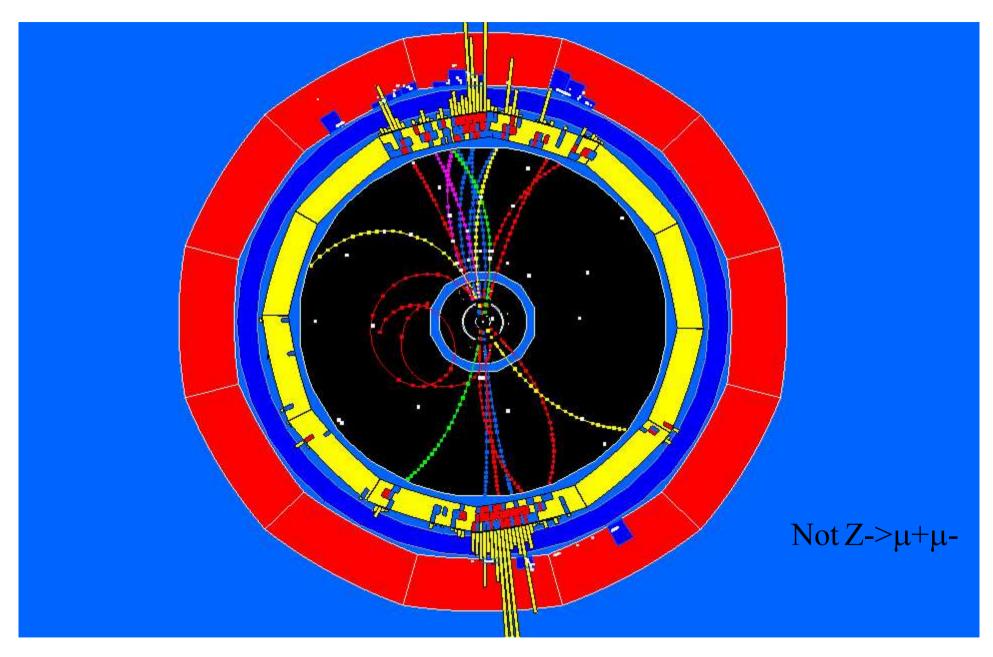
  Muons are very penetrating, travel through entire detector
- Expected energy in calorimeter

  Electrons will deposit most of their energy early in the calorimeter; muons leave little

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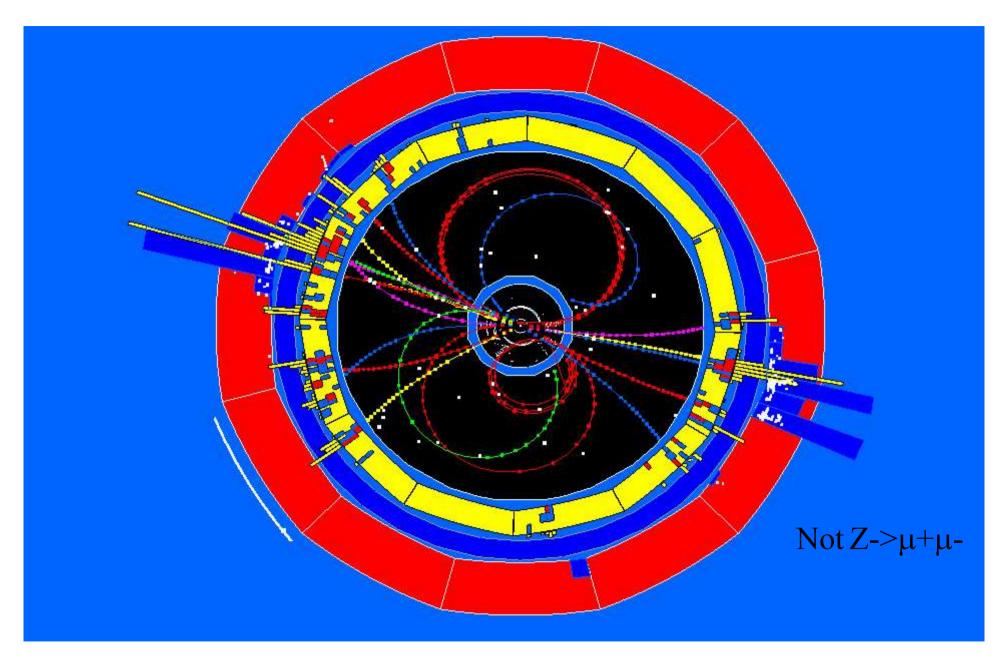


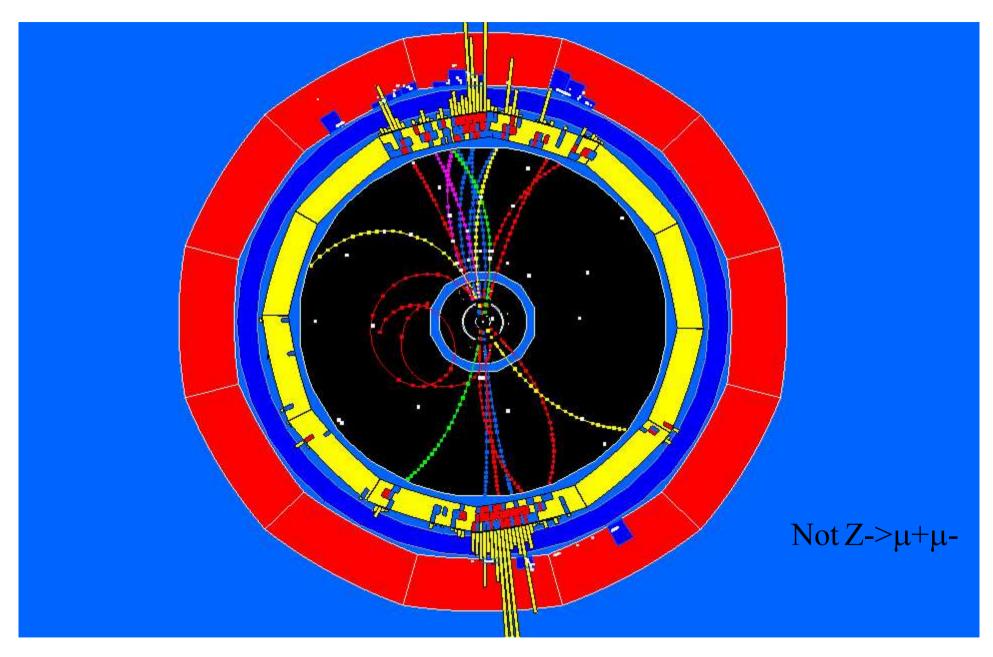




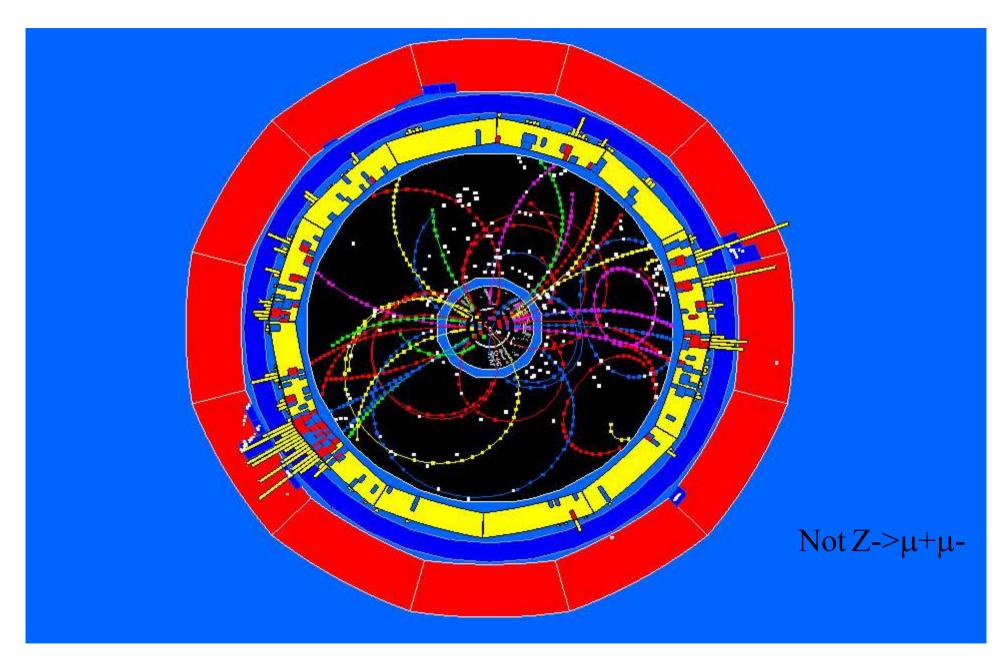
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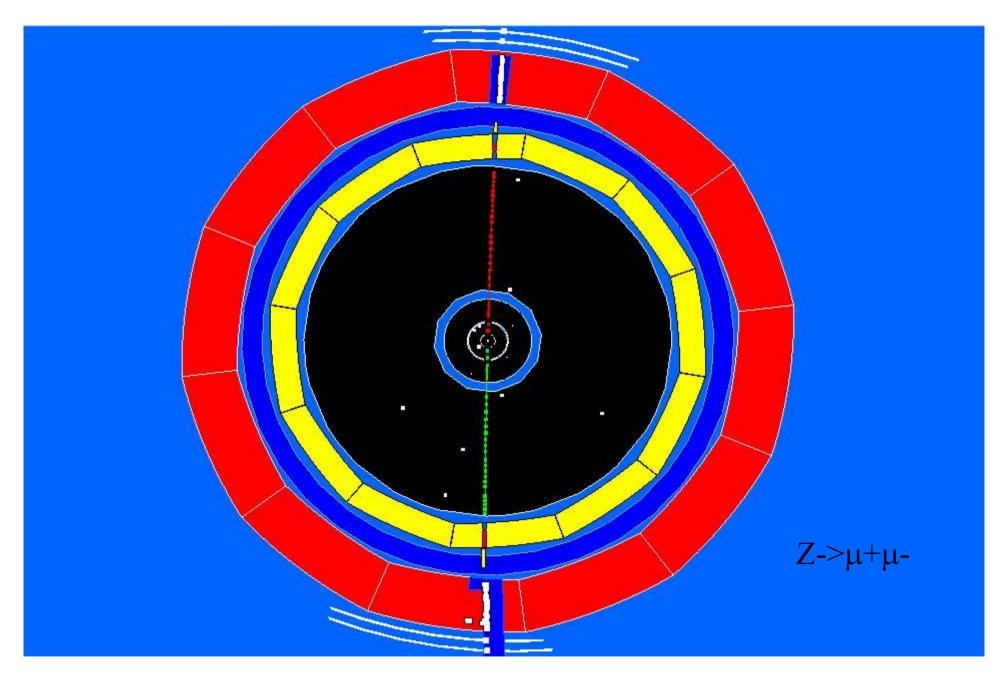
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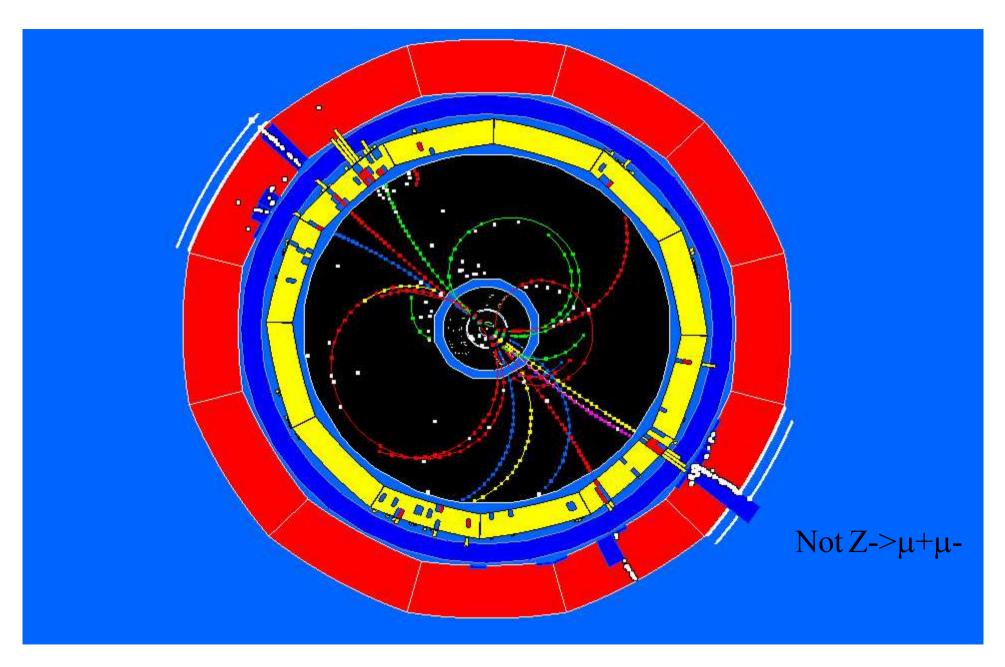


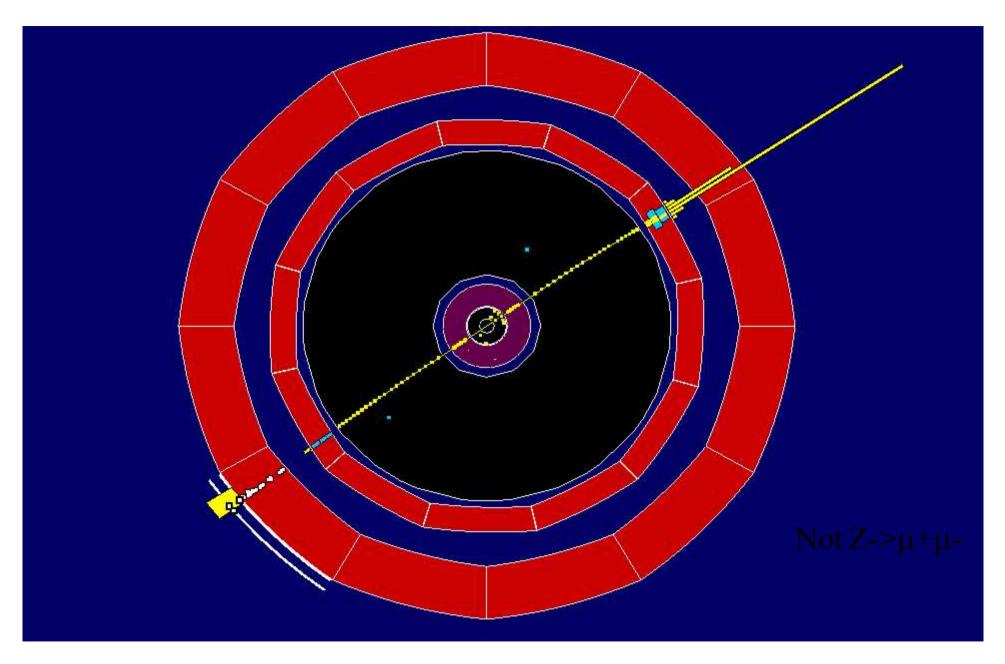


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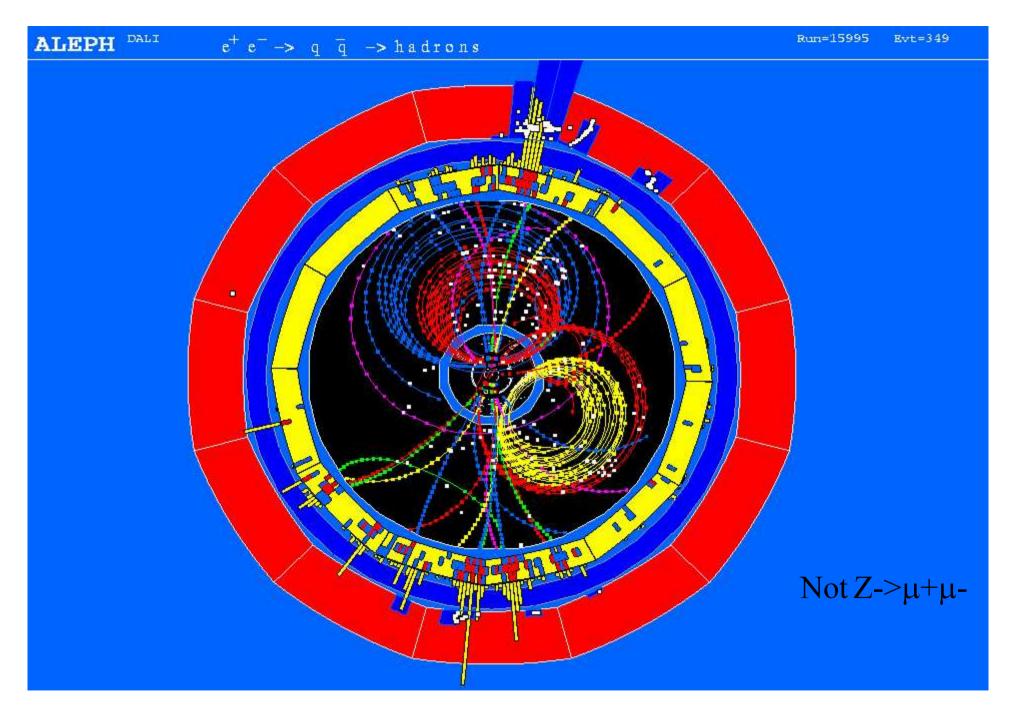


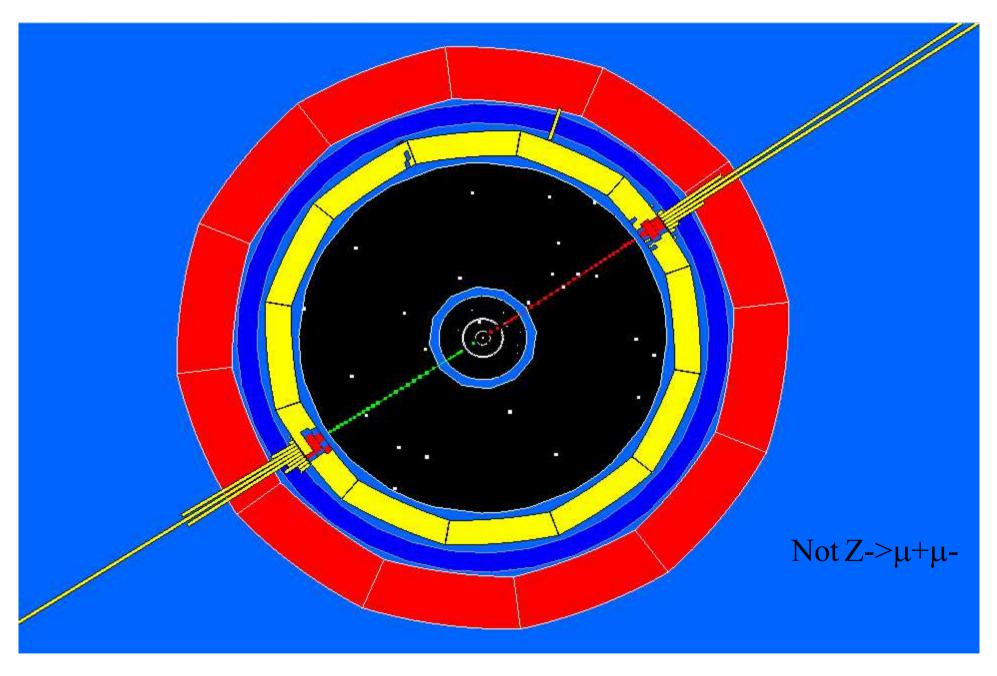


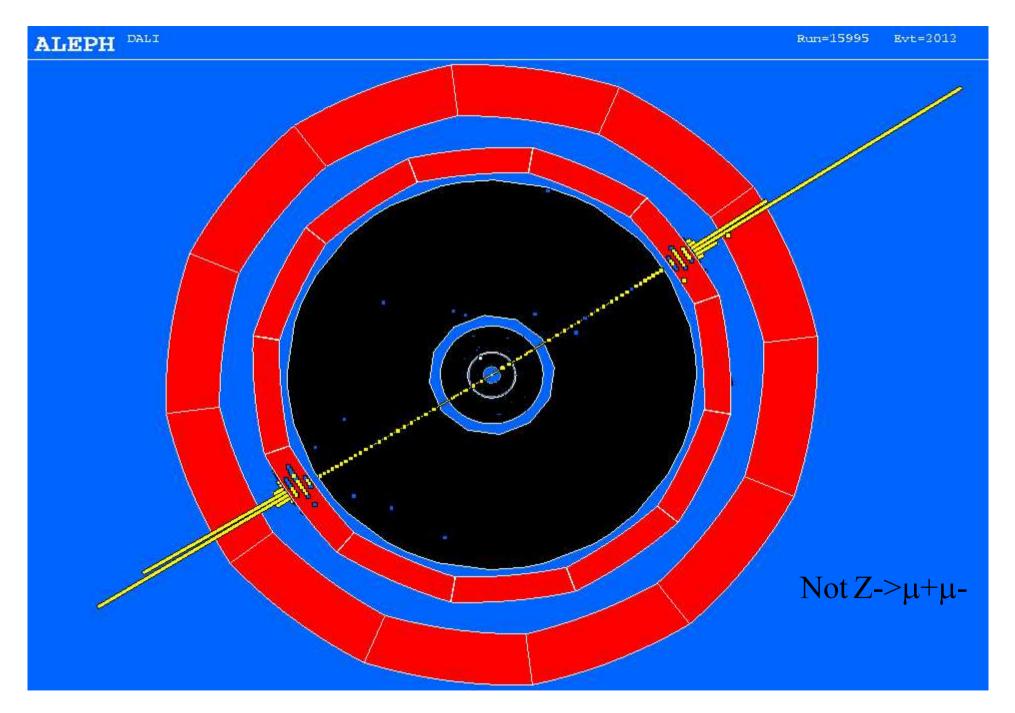




From Raw Data to Physics







## **Summary so far**

We have a result:  $BR(Z->\mu+\mu-) = 2/45$ But there's a lot more to do!

#### Statistical error

- We saw 2 events, but it could easily have been 1 or 3
- Those fluctuations go like the square-root of the number of events:

$$BR(Z^0 \to \mu^+ \mu^-) = \frac{N_{\mu\mu}}{N_{total}} \pm \frac{\sqrt{N_{\mu\mu}}}{N_{total}}$$

• To reduce that uncertainty, you need lots of events

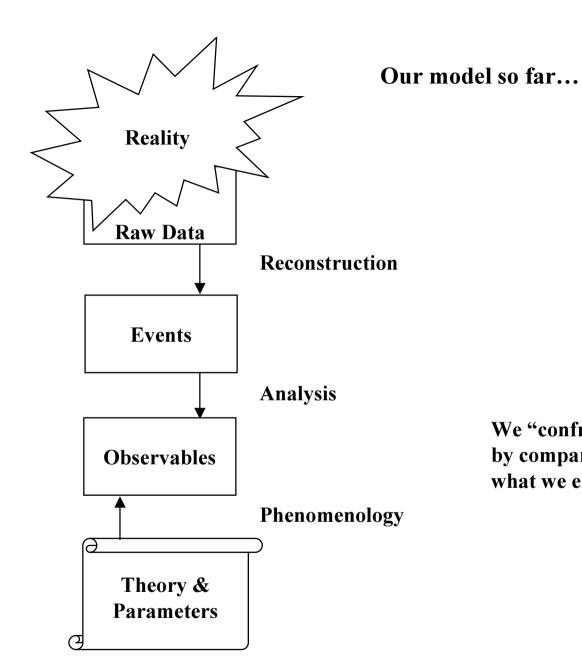
Need to record lots of events in the detector, and then process them

### **Systematic error**

• What if you only see 50% of the  $\mu$ + $\mu$ - events?  $N_{\mu}$  Due to detector imperfections, poor understanding, etc?

$$N_{\mu\mu_{
m seen}} = \varepsilon N_{\mu\mu}$$

$$BR(Z^{0} \to \mu^{+}\mu^{-}) = \frac{N_{\text{seen}}/\varepsilon}{N_{total}} \qquad \varepsilon = 0.50 \pm 0.05$$



We "confront theory with experiment" by comparing what we measured, with what we expected from our hypothesis.

## The process in practice:

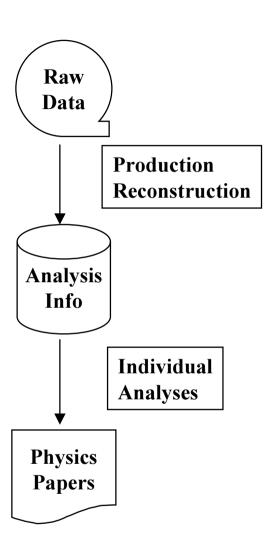
#### The reconstruction step is usually done in common

- "Tracks", "particle ID", etc are general concepts, not analysis-specific. Common algorithms make it easier to understand how well they work.
- Common processing needed to handle large amounts of data. Data arrives every day, and the processing has to keep up.

#### Analysis is a very individual thing

- Many different measurements being done at once
- Small groups working on topics they're interested in
- Many different timescales for these efforts

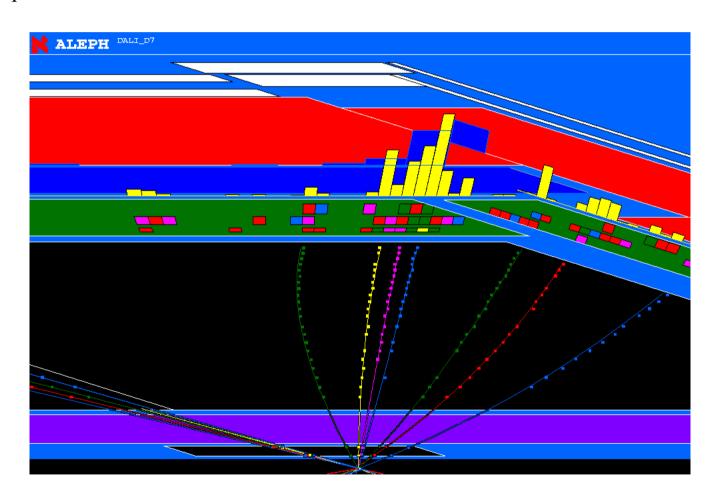
Collaborations build "offline computing systems" to handle all this.



## **Reconstruction: Calorimeter Energy**

## Goal is to measure particle properties in the event

- "Finding" stage attempts to find patterns that indicate what happened
- "Fitting" stage attempts to extract the best possible measurement from those patterns.



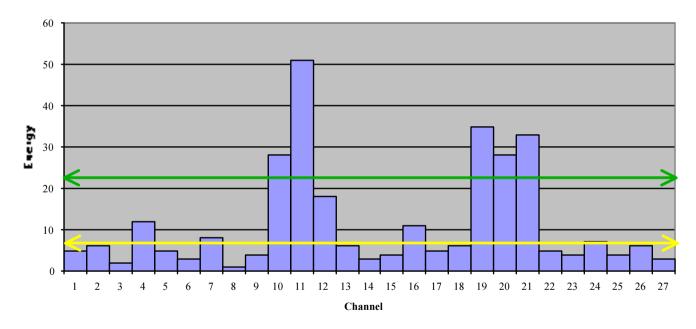
## **Finding**

#### Clusters of energy in a calorimeter are due to the original particles

- Clustering algorithm groups individual channel energies
- Don't want to miss any; don't want to pick up fakes

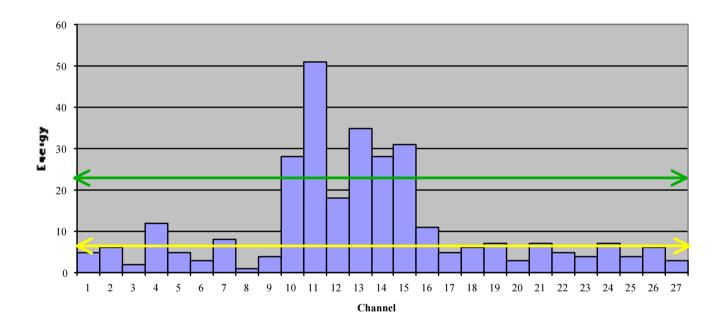
#### Many algorithms exist

- Scan for one or more channels above a high threshold as "seeds"
- Include channels on each side above a lower threshold:



Not perfect! Doesn't use prior knowledge about event, cluster shape, etc

# One lump or two?



Hard to tune thresholds to get this right.

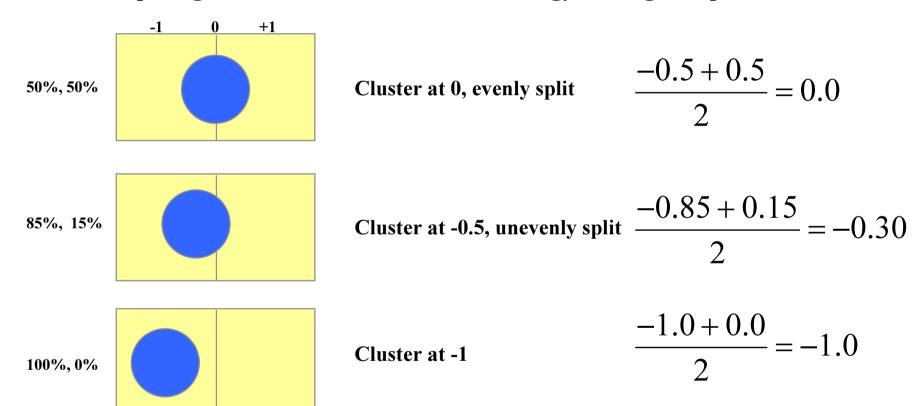
Perhaps a smarter algorithm would do better?

# **Fitting**

## From the clusters, fit for energy and position

• Complicated by noise & limited information

Simple algorithm: Sum of channels for energy, average for position



## **Empirical corrections are important!**

Once you understand an effect, you can correct for it But you need data ...

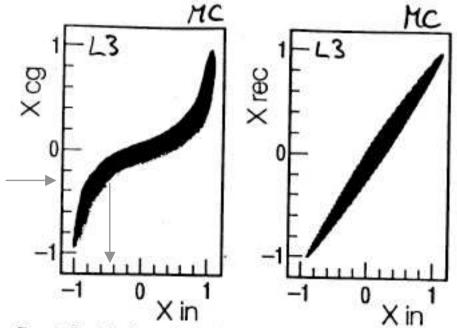


Figure 8. Correlation between the positions measured with (a) the center of gravity method  $(X_{cx})$  and (b) the reconstructed positions  $(X_{cx})$  vs the actual positions  $(X_{tx})$ . The results are derived from 5000  $Z \to e^+e^-$  decays simulated by the GEANT Monte Carlo in the L3 BGO calorimeter (44).

# Analysis: Measure BR(B−>J/Ψ K\*)

## Neither J/ $\Psi$ nor K\* is a long-lived particle

• Detector doesn't see them, only their decay products  $K^*->K\pi$ 

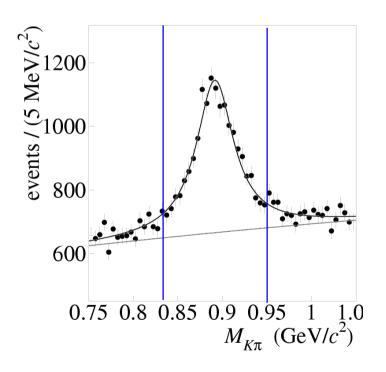
Take all pairs of possible particles, and calculate their mass

$$m^{2} = E^{2} - p^{2} = (E_{1} + E_{2})^{2} + (\vec{p}_{1} + \vec{p}_{2})^{2}$$

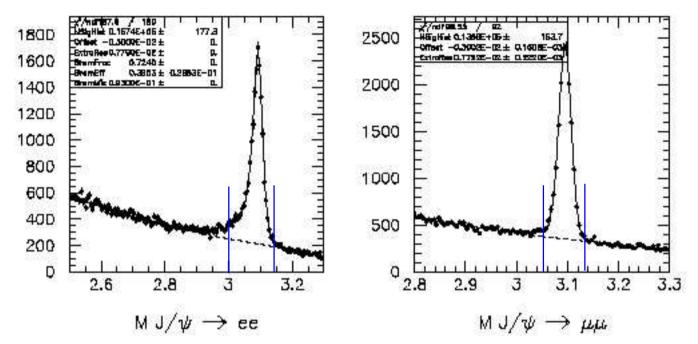
If its not the K\* mass, that combination can't be a K\*->K $\pi$ 

If it is the K\* mass, it might be a K\*

Signal/Background ratio is critical to success!



## Next, look for J/ $\Psi$ ->e+e- and J/ $\Psi$ -> $\mu$ + $\mu$ -



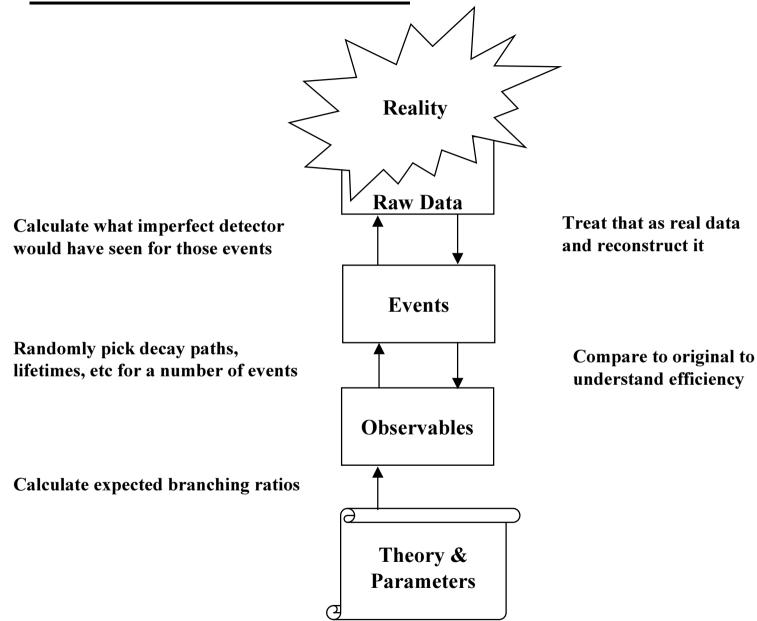
#### Why not J/Ψ->hadrons? Too many wrong combinations!

- Only a few e/m in an event, so only a few combinations
- About 10 hadrons, so about 50 combinations of two Some are bound to at about the right mass!

#### Note peaks not same size, shape

• Do we understand our efficiency?

## **Monte Carlo simulation's role**



## How do you know it is correct?

#### Divide and conquer

- A very detailed simulation can reproduce even unlikely problems
- By making it of small parts, each can be understood
- Some aspects are quite general, so detailed handling is possible

#### Why does it matter?

- We "cut on" distributions
- Example: Energy (e.g. signal) from particle in a Si detector

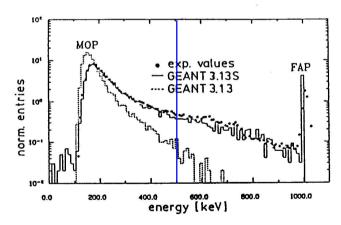


Fig. 15 Comparison of measured and simulated energy deposition in 530 µm silicon for 1 MeV electrons (experimental points see [30]).

Take only particles to left of blue line

Dots are data in test beam

Two solid lines are two simulation codes

One simulation doesn't provide the right efficiency!

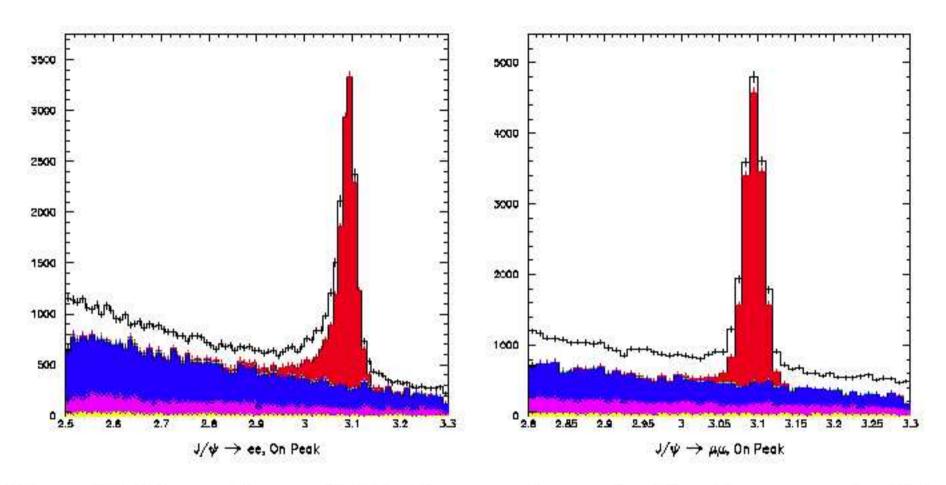


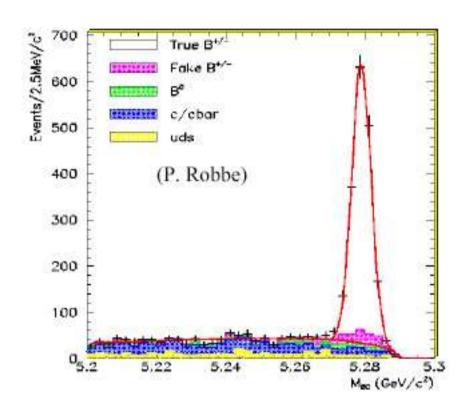
Figure 18: Observed mass distribution superimposed with uds, cc, generic  $B\overline{B}$  and signal MC events for (a)  $J/\psi \rightarrow e^+e^-$  and (b)  $J/\psi \rightarrow \mu^+\mu^-$ .

## The tricky part is understanding the discrepancies....

## Finally, put together parts to look for B–>J/Ψ K\*

#### **Details:**

- Background under peak?
- Systematic errors on efficiency
- . . . .



When you get more data, you need to do a better job on the details

## **Summary so far**

We seen some simple analyses

We have a model of the steps involved

We're starting to see details of how its done

More detailed examples tomorrow!

