

New Trends in Fusion Research

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apologies to the many authors from whom I have 'stolen' viewgraphs

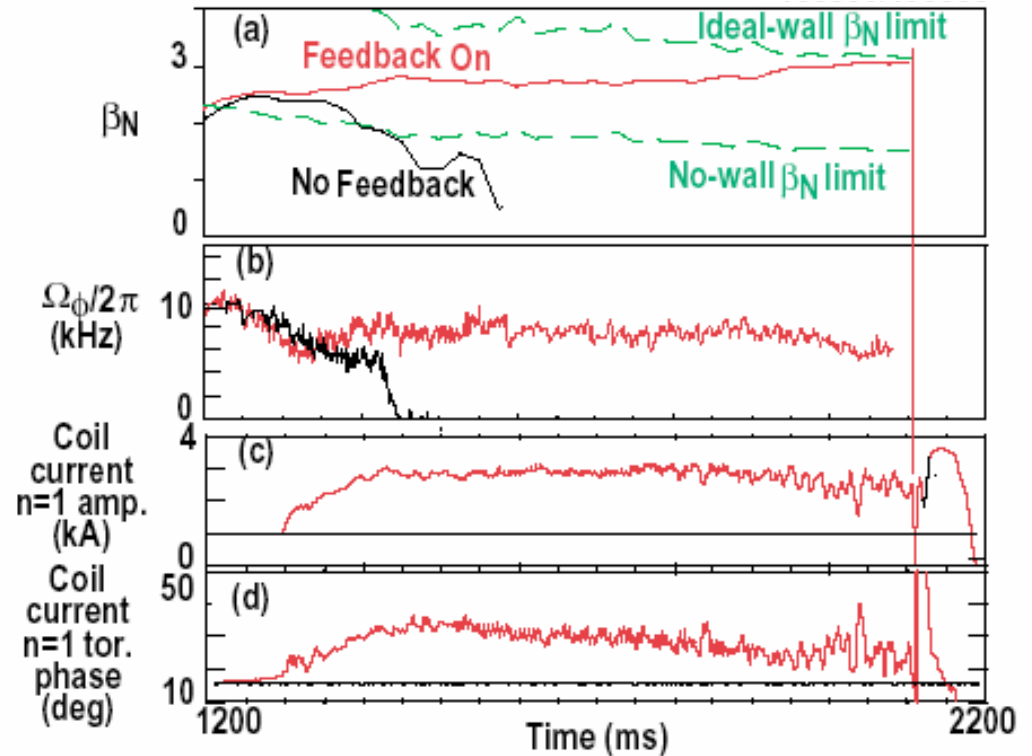
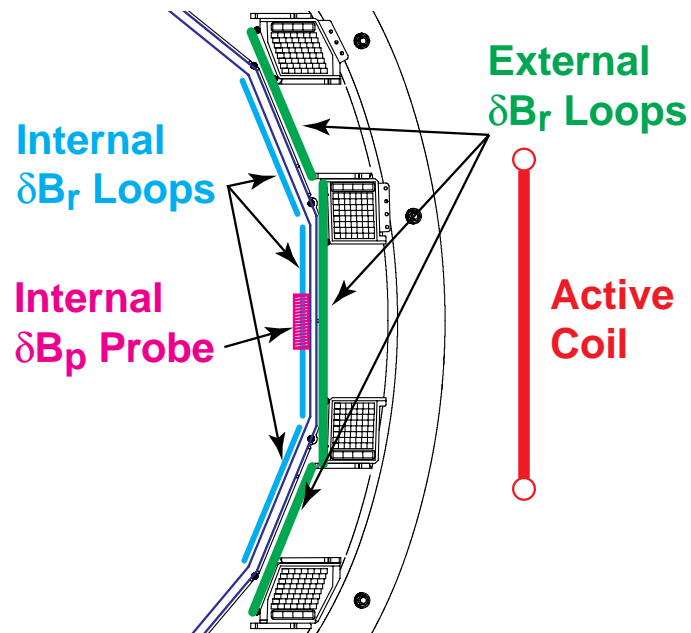


Lay-out of Lecture 3

- *Magnetic fusion physics challenges (cont.)*
 - Macroscopic equilibrium and stability
 - Resistive MHD instability
 - Example of a basic problem related to MHD in tokamaks and in space: magnetic reconnection
 - Plasma wall interaction
 - Main issues
 - The divertor concept

Resistive MHD Instabilities: ex. of active control

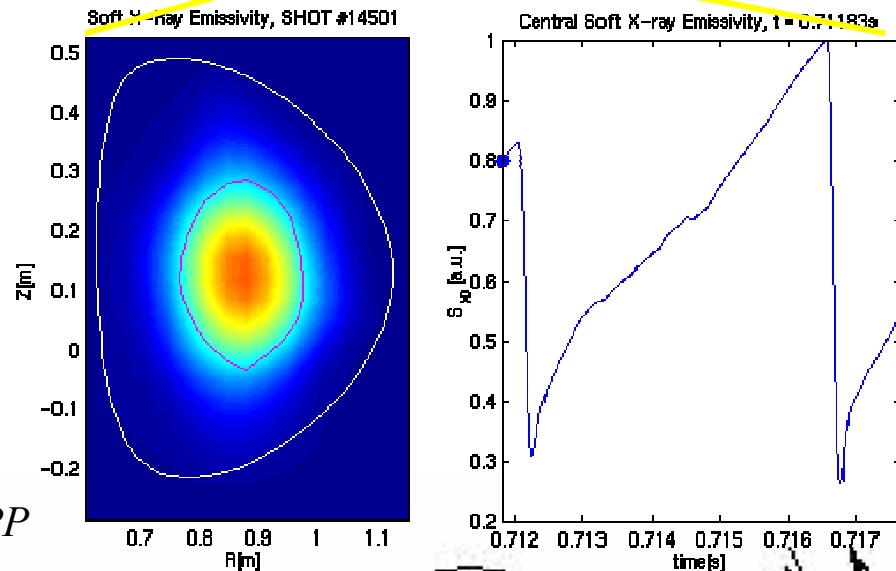
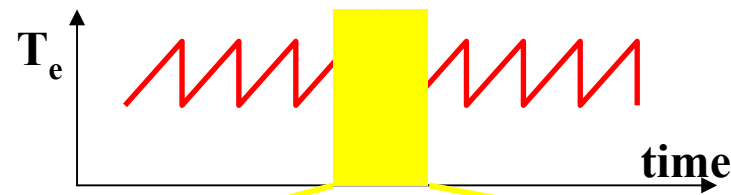
Active magnetic feedback with sensors and power supplies stabilizes Resistive Wall Modes in rapidly rotating plasmas.



DIII-D tokamak, GA

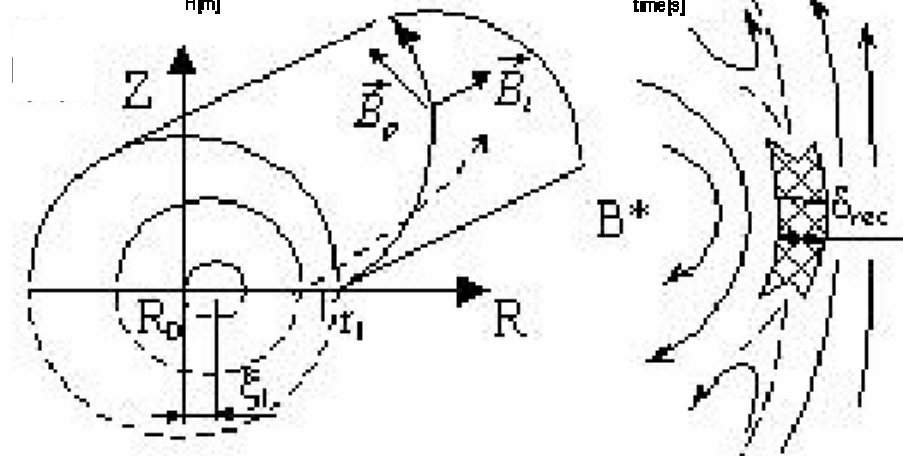
Ideal or resistive? The sawtooth instability

- Sudden, very fast losses of energy and particles in core
- Ex.: X-ray emissivity ($\sim T_e, n$) evolution in TCV



Courtesy of I. Furno, CRPP

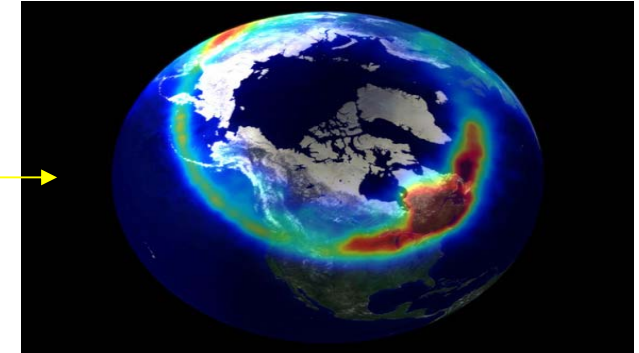
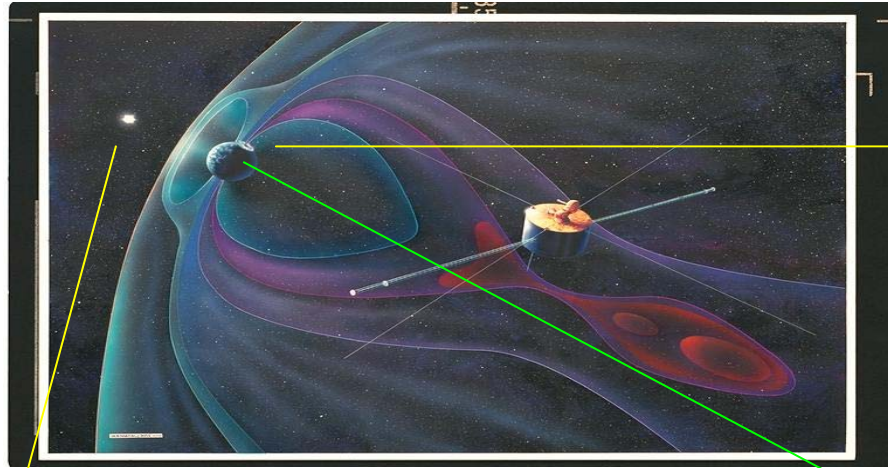
- Instability \rightarrow local breaking of magnetic structure



Magnetic reconnection

Change in B-field topology in the presence of plasma

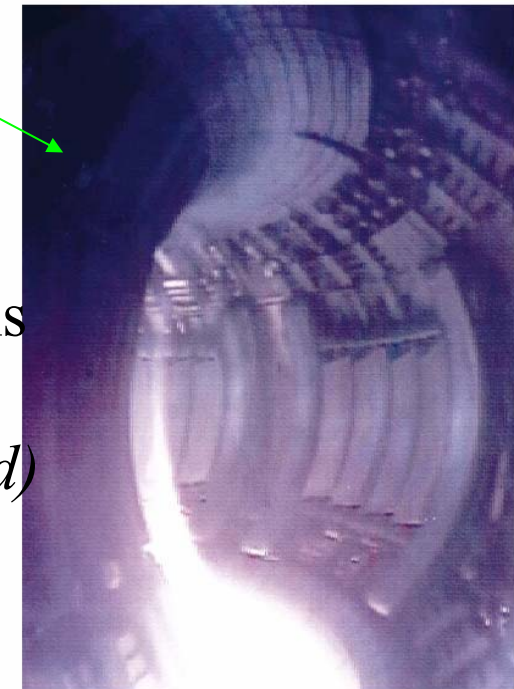
Sun: flares,
coronal
mass
ejections



Earth: substorms, aurora

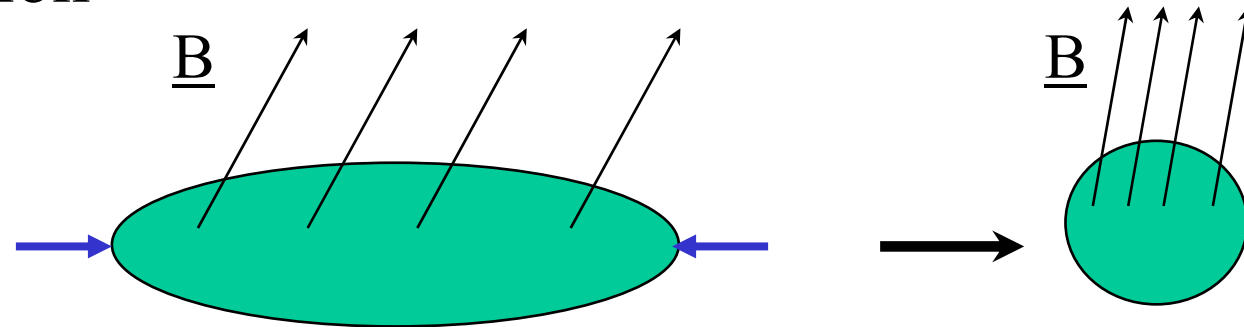


Fusion:
internal
relaxations
(*strong
guide field*)



Plasma as a charged fluid

- Resistivity $\eta = 0$: plasma and \mathbf{B} frozen together, no reconnection



- Resistivity $\eta \neq 0$: $\mathbf{E} + \mathbf{v} \times \mathbf{B} = \eta \mathbf{j} \rightarrow \mathbf{B}$ can diffuse wrt plasma

$$\frac{\partial \mathbf{B}}{\partial t} - \nabla \times \mathbf{v} \times \mathbf{B} - \frac{\eta}{\mu_0} \nabla^2 \mathbf{B} = 0$$

$$t_R = \mu_0 L^2 / \eta \quad \text{resistive time}$$

Reconnection is an open question

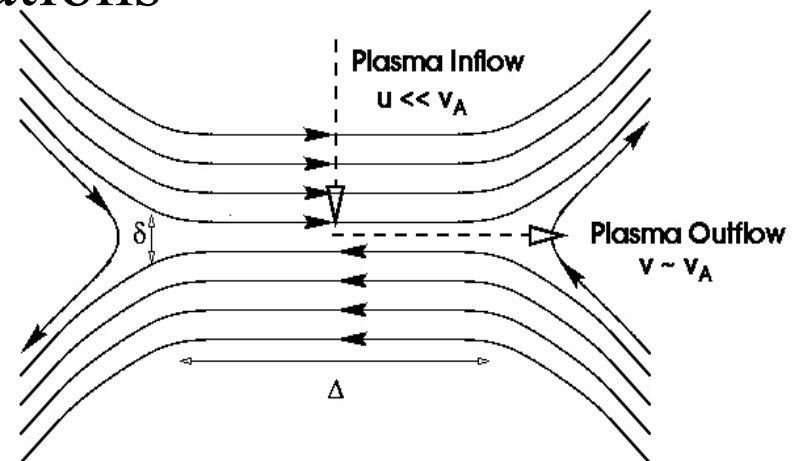
	resistive time t_R	observed reconnection time
tokamaks	$\sim 1-10$ s	$10-100$ μ s
solar flares	$\sim 10^4$ years	~ 20 min
substorms	\sim infinite	~ 30 min

- If B^2 -energy is converted to plasma flow
 - $v \sim v_A = B/(\mu_0 m n)^{1/2}$ Alfvén speed; but $t_A = L/v_A$ is far too short to explain observations

- Which L? Model local geometry

- Ex. Sweet-Parker model

$t_{SP} \sim (t_R t_A)^{1/2}$ still far too long!



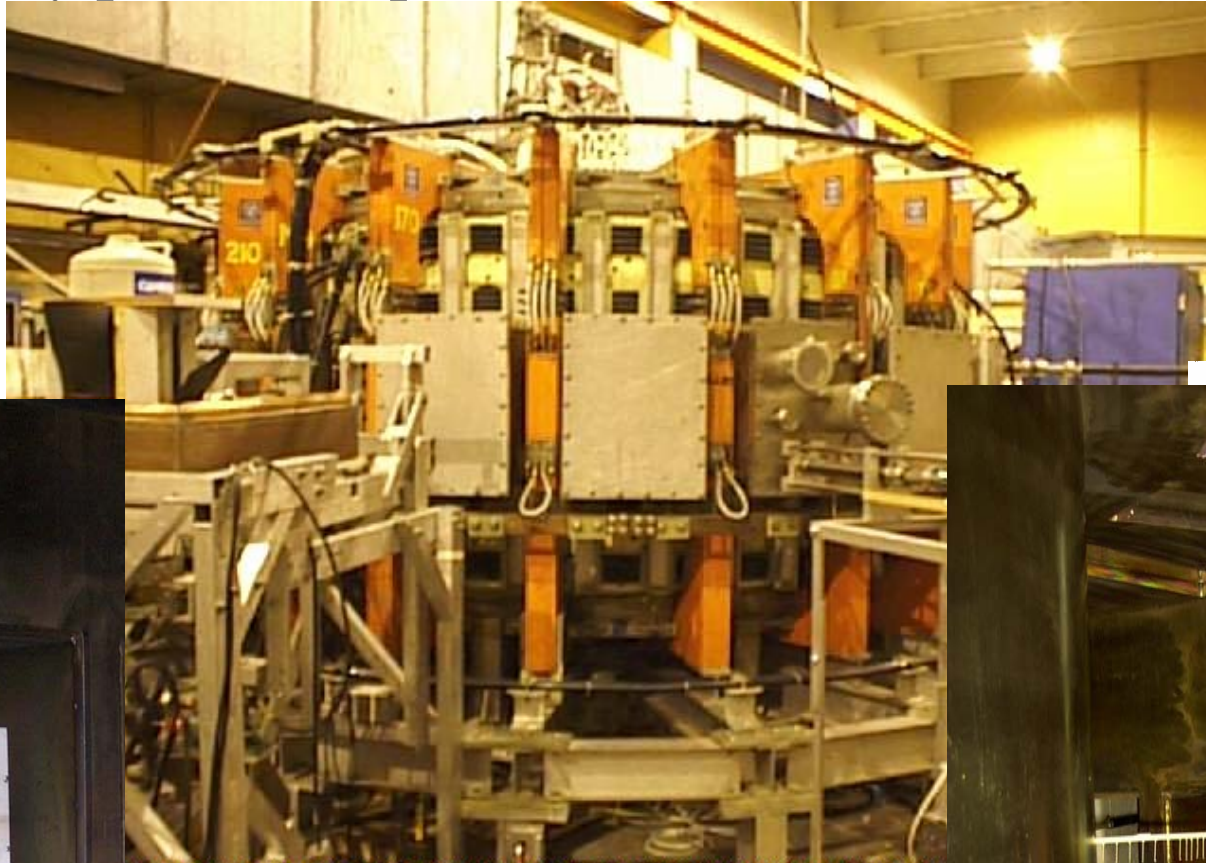
Examples of addressed questions on reconnection

- Can fast collisionless reconnection be observed?
- Intermittent vs. steady-state reconnection?
- Origin of fast time scale, mechanism breaking frozen-in law?

VTF reconnection experiment at MIT

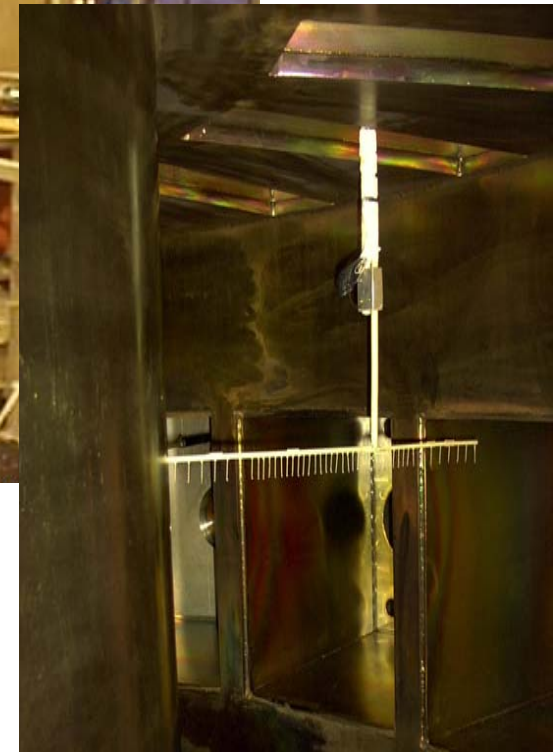
Study plasma response to driven reconnection

The VTF
device



40-channels B-probe

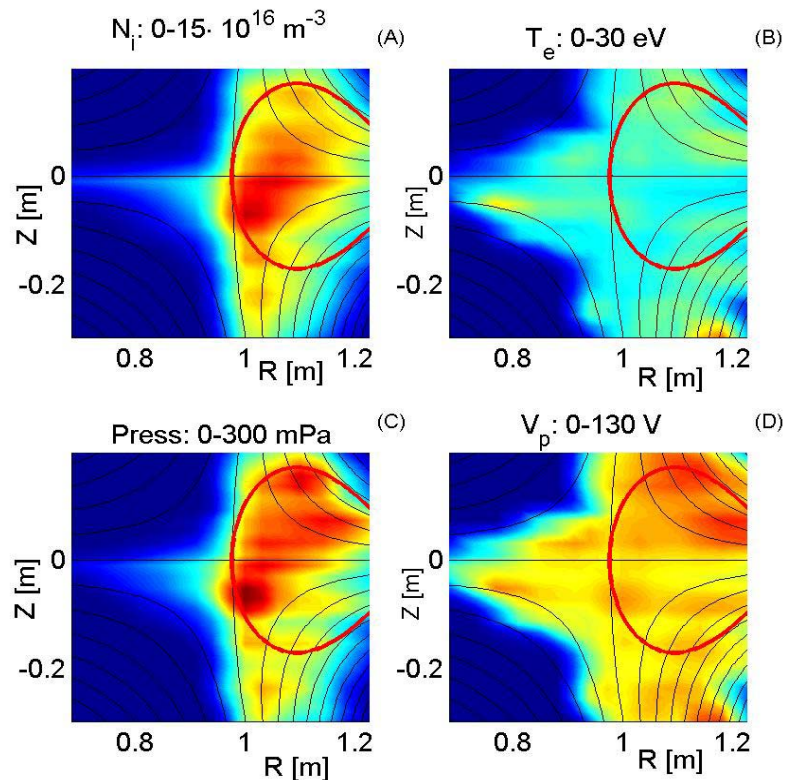
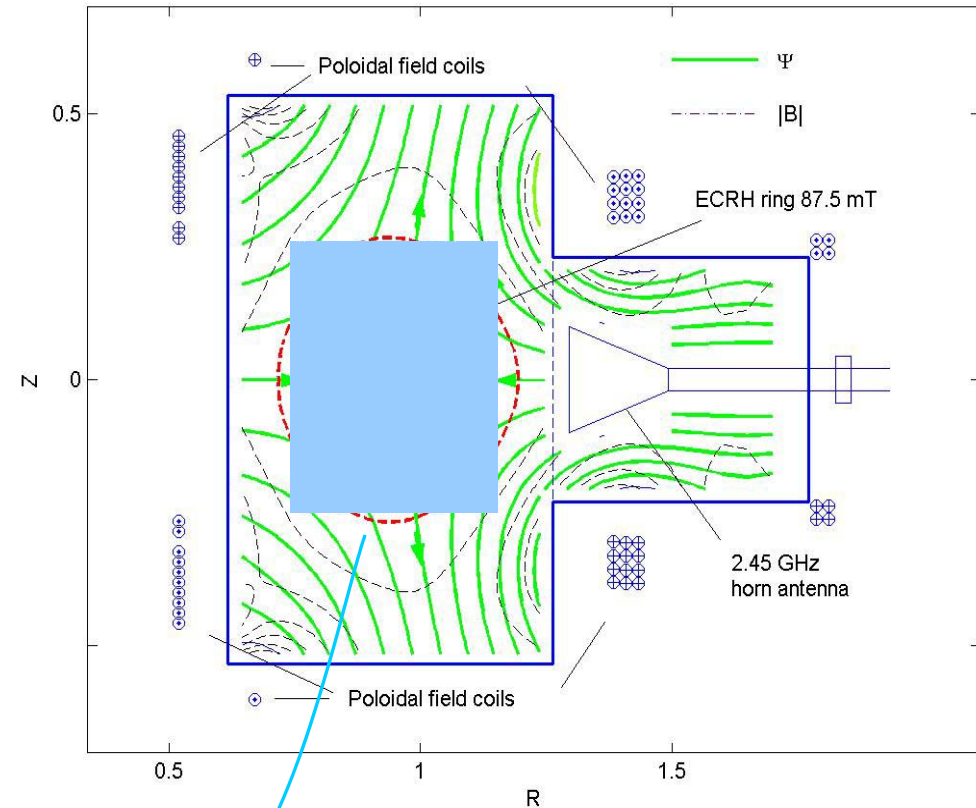
Diagnostic 'work horses'



45 heads L-probe

VTF configuration

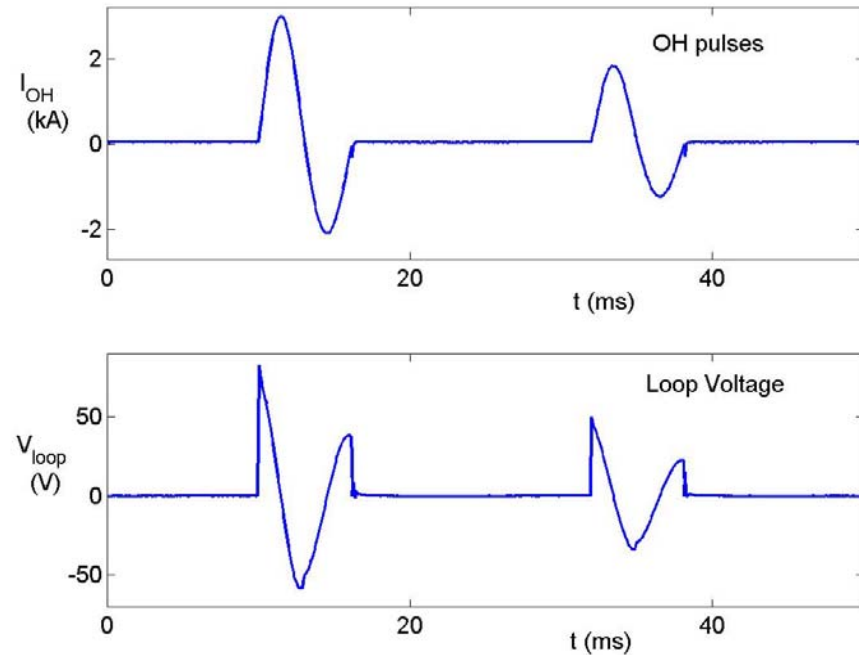
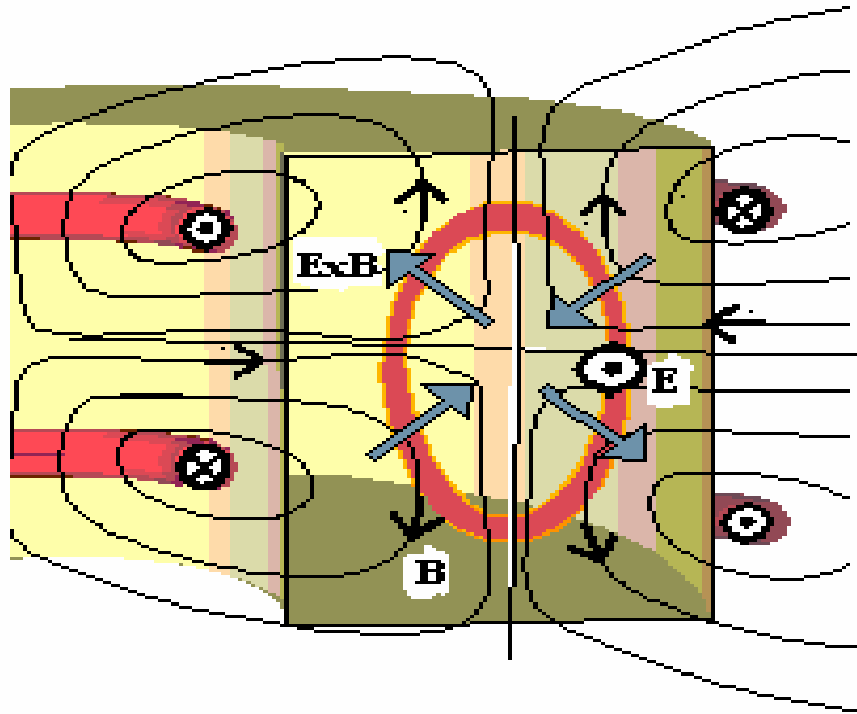
- $\lambda_{\text{mfp}} \gg L, \tau_{\text{coll}} > \tau_{\text{orbit}}, t_A; \rho_i \ll L$
- Plasma production by ECRH separate from reconnection drive



Ex. of target plasma profiles

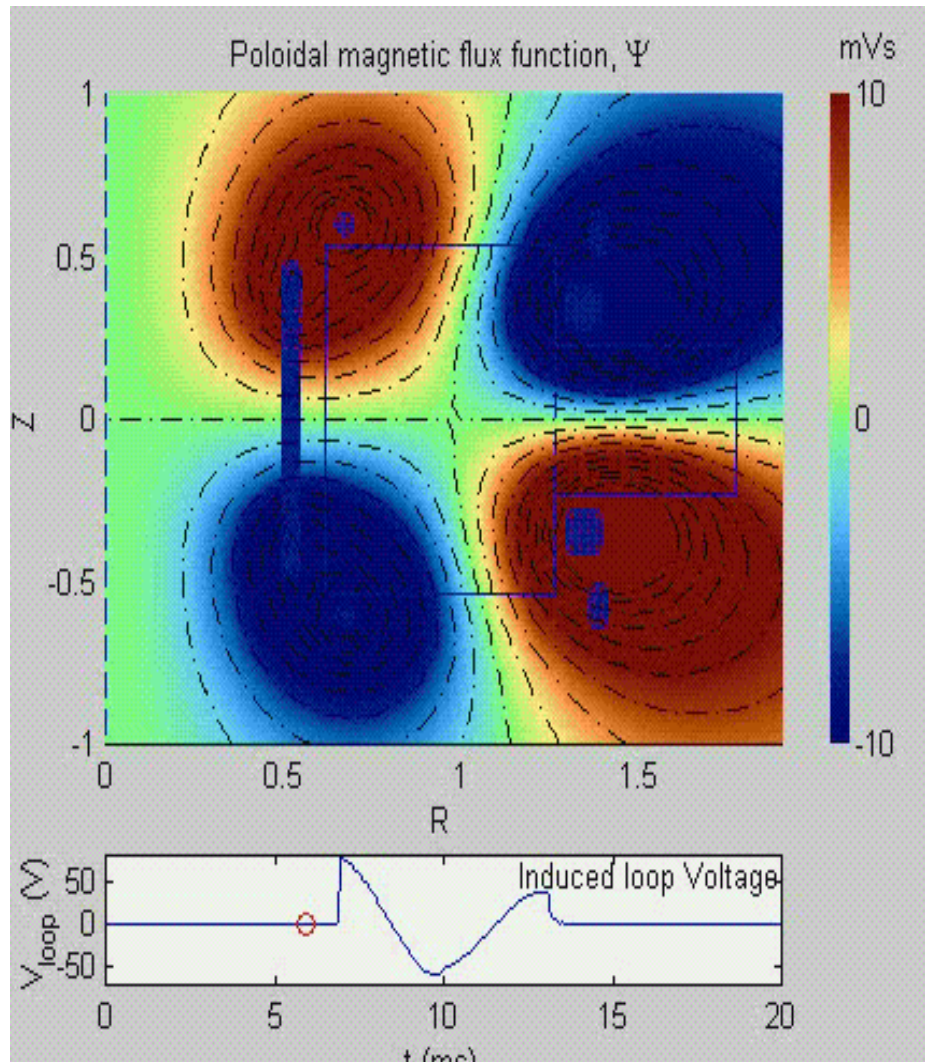
$$B_{\text{cusp}} = 50 \text{ mT}, B_{\text{guide}} = 87 \text{ mT}; P_{\text{ECRH}} \sim 30 \text{ kW}$$

Reconnection drive

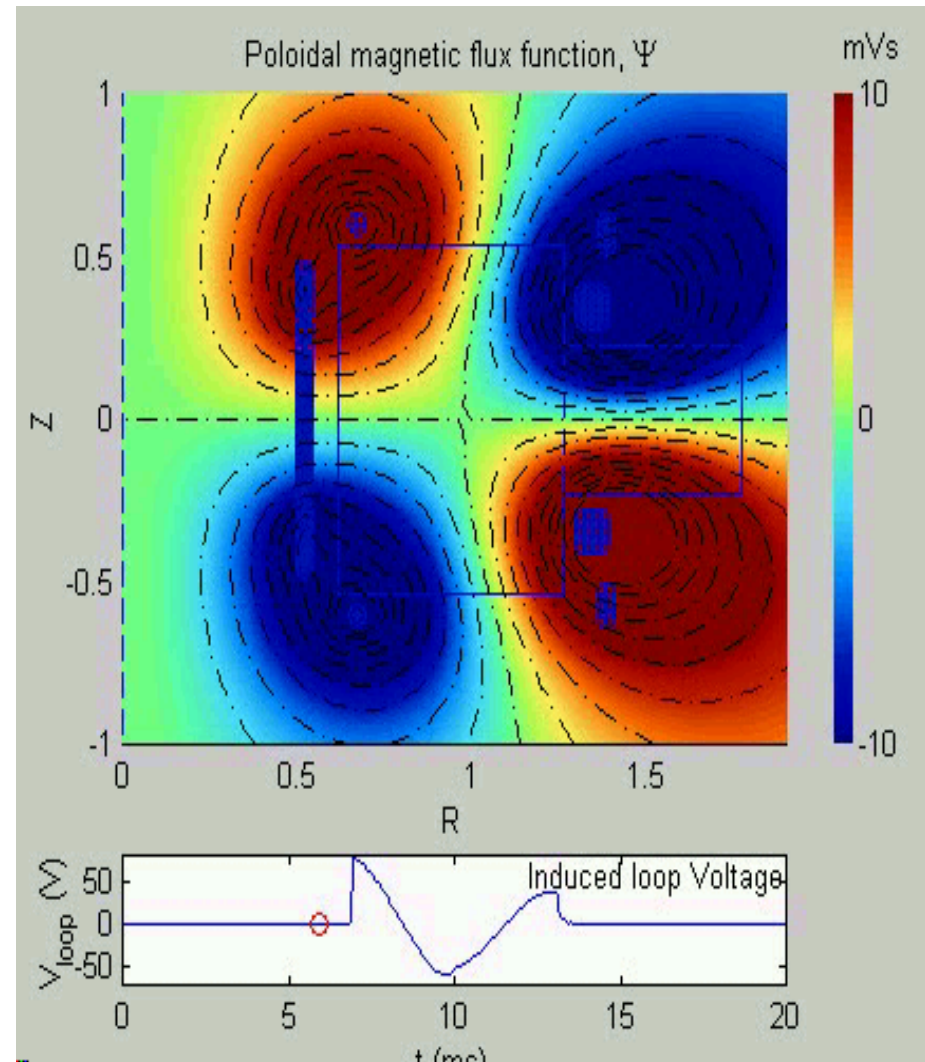


- Ohmic coils driven by LC resonant circuit
- Flux swing ~ 0.2 V-s, duration ~ 6 ms ($\gg t_{\text{reconnection}}$)
- $V_{\text{loop}} \sim 100$ V, $v_{\text{ExB}} \sim 2\text{km/s} \sim v_A/10$

Calculated poloidal flux during reconnection drive

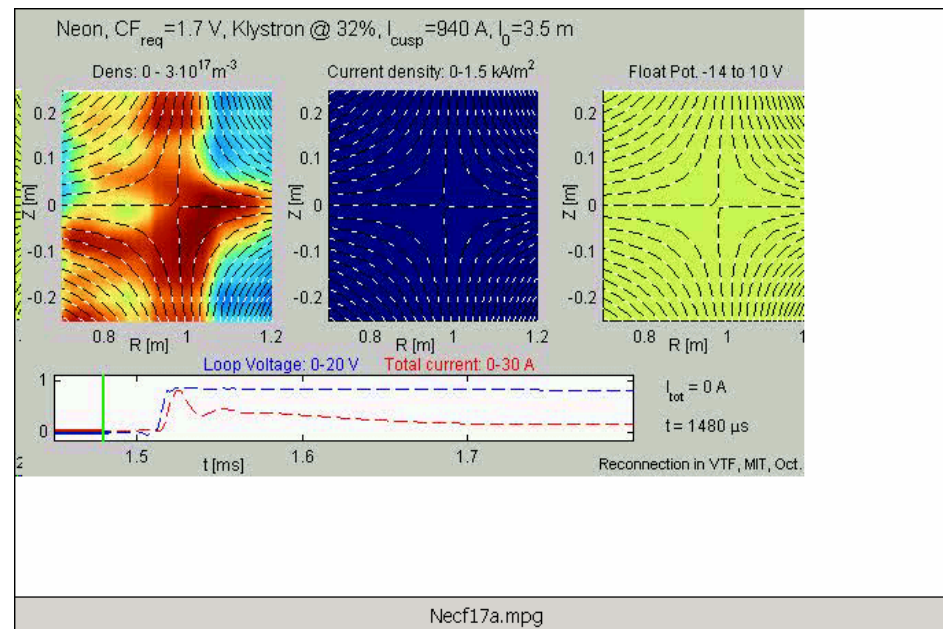


**No reconnection
as in ideal MHD**



**Fast reconnection
as in vacuum**

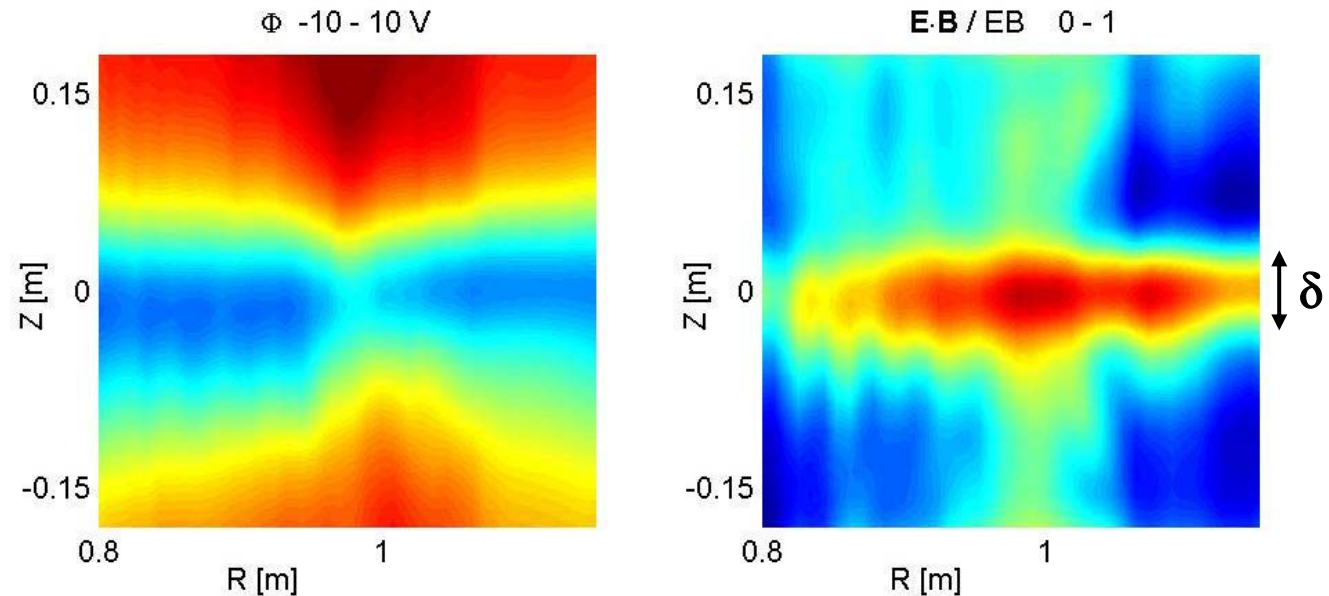
Measured response to driven reconnection



What breaks the *frozen-in* law?

The *frozen-in* law is violated where $\mathbf{E} \cdot \mathbf{B} \neq 0$, *diffusion region*

Experimental measurement



Generalized Ohms law:

$$\mathbf{E} + \mathbf{v} \times \mathbf{B} = \cancel{\eta \mathbf{j}} + \frac{1}{ne} (\cancel{\mathbf{j} \times \mathbf{B}} - \nabla \cdot \mathbf{p}_e) + \cancel{\frac{m_e}{ne^2} \frac{d\mathbf{j}}{dt}}$$

too small ($< 10^3$) & can't explain phase

far too small with strong guide field, would give $\delta \sim c/\omega_{pi}$

Would give $\delta \sim c/\omega_{pe}$

Only off-diagonal terms (toroidal symmetry) \rightarrow orbit effects

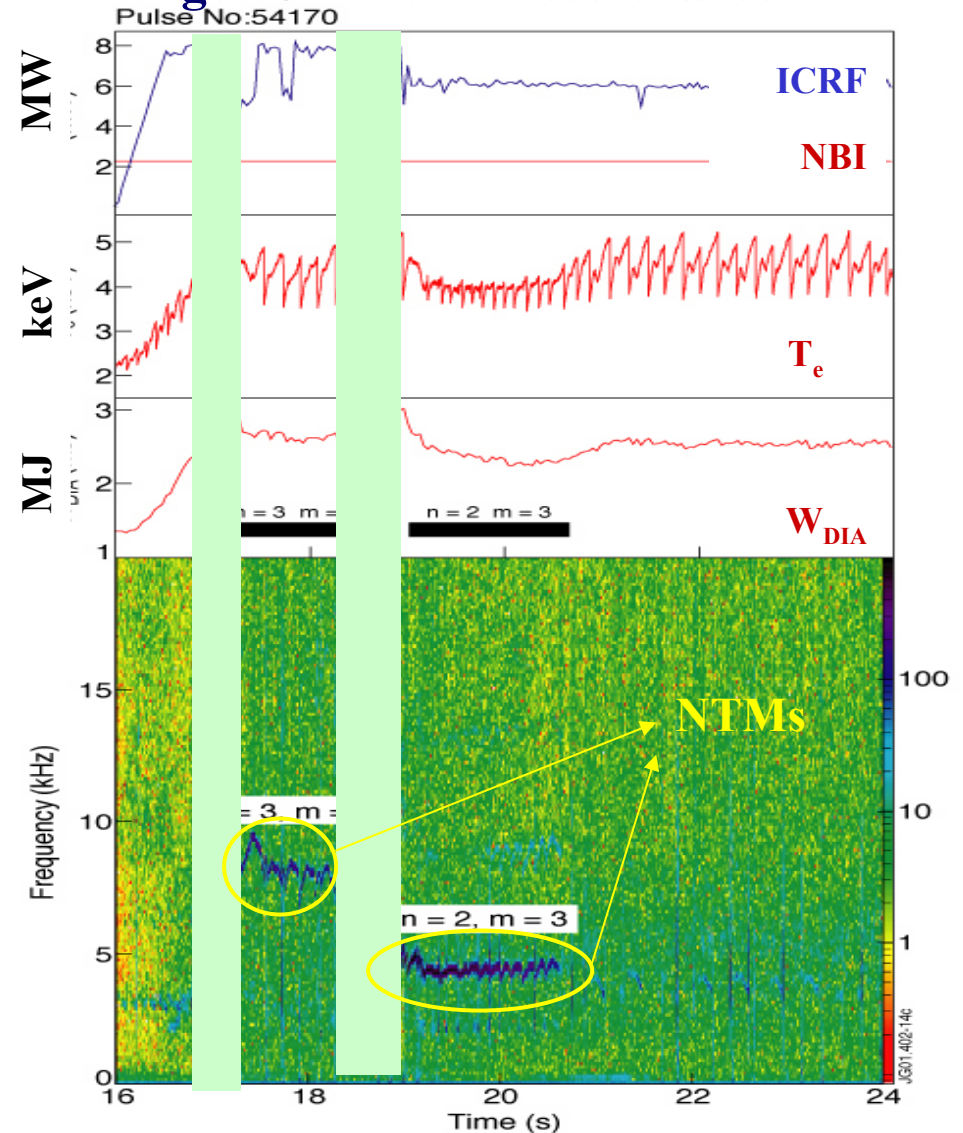
Results on addressed reconnection questions

- *Can fast collisionless reconnection be observed?*
 - **Yes, was directly measured in the lab**
 - **Highly anomalous current: can't even define resistivity as $E/J \neq \text{constant}$**
- *Can reconnection be intermittent with a steady drive?*
 - **Yes: no steady-state, dynamical evolution of $j(r)$ and potential**
 - **Ion polarisation current explains observed reconnection dynamics**
- *Origin of fast time scale for reconnection, mechanisms behind breaking of frozen-in flux?*
 - **$\nabla \cdot p_e$ (off-diagonal), kinetic effects, particle orbits**

Back to tokamak problems: coupling between sawteeth and NTM instability

Ex. of NTM triggered crashes of
large ICRH-stabilised sawteeth

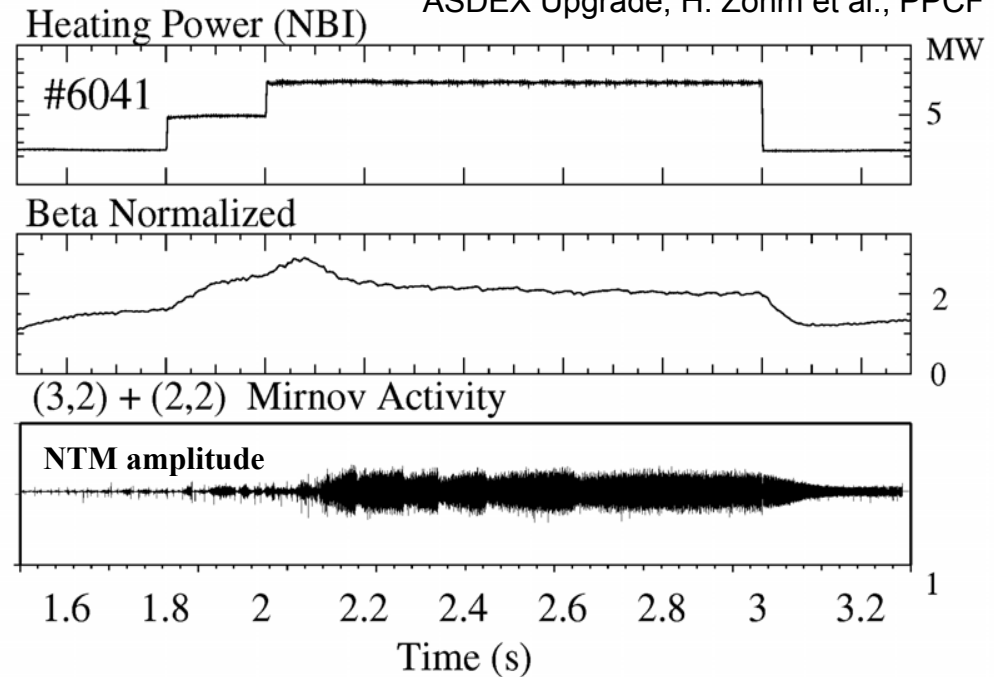
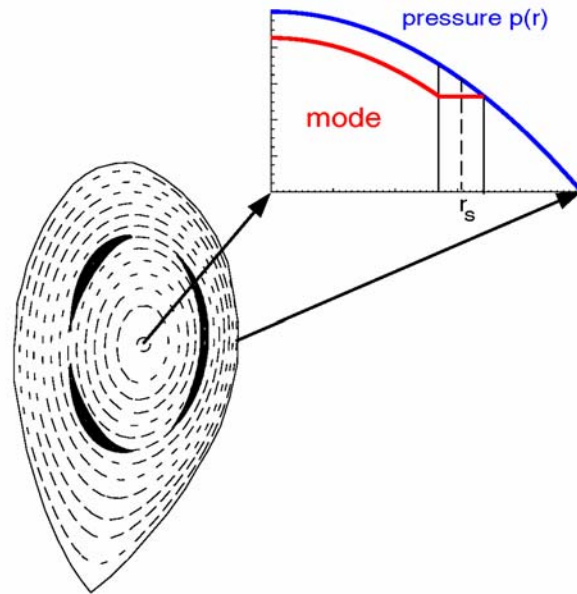
- Small sawteeth are benign
 - Redistribution only local
- α 's (or other fast particles, e.g. created by ICRH) increase sawtooth period
 - Sawtooth crash, when eventually comes, is much larger, and triggers other resistive instabilities (*NTM*) that tear B-field structure over large region, degrading confinement



Neoclassical Tearing Modes



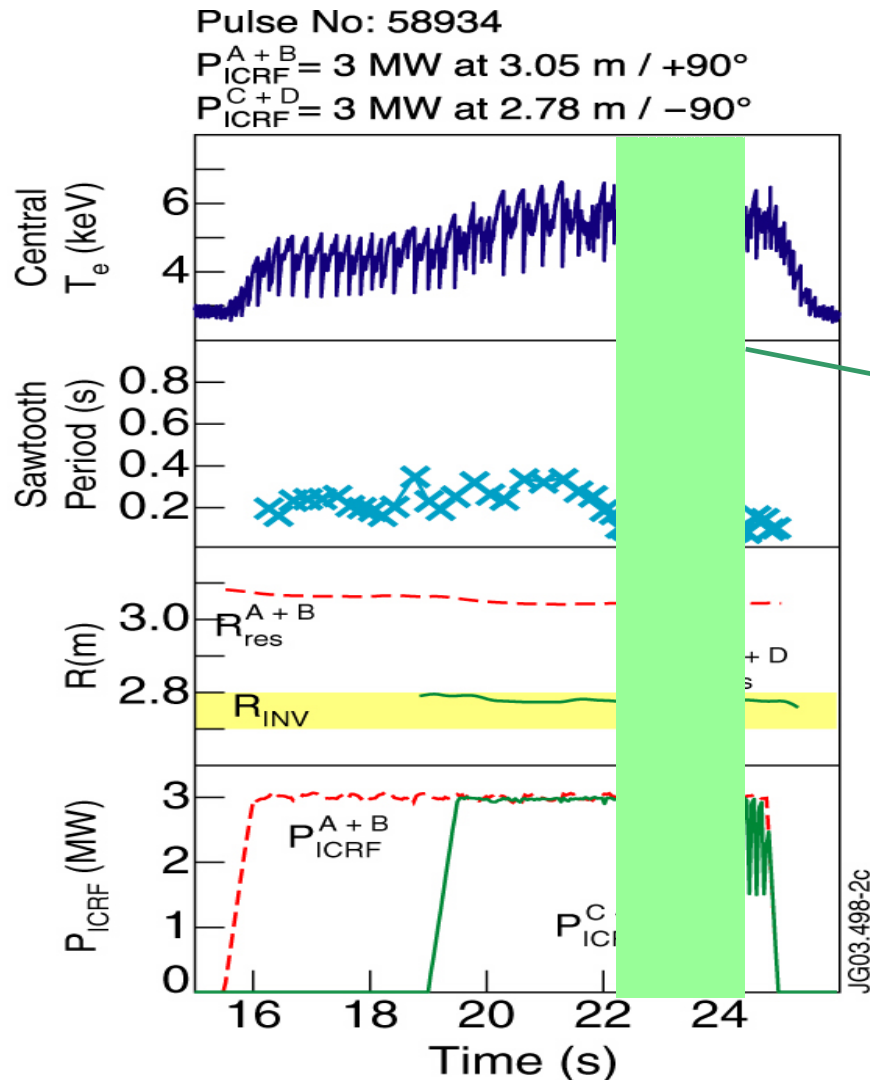
ASDEX Upgrade, H. Zohm et al., PPCF 96



- Once seeded, island is sustained by lack of local current
- Two ways to tackle the NTMs
 - 1) Avoid them by controlling sawteeth (i.e. keep their period short) using ICRH
 - 2) Replace missing current to actively stabilise mode

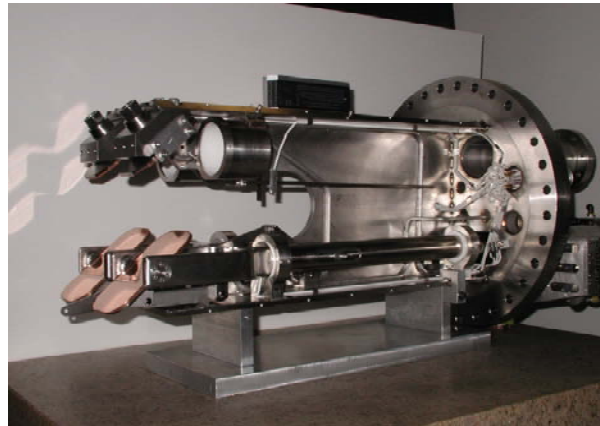
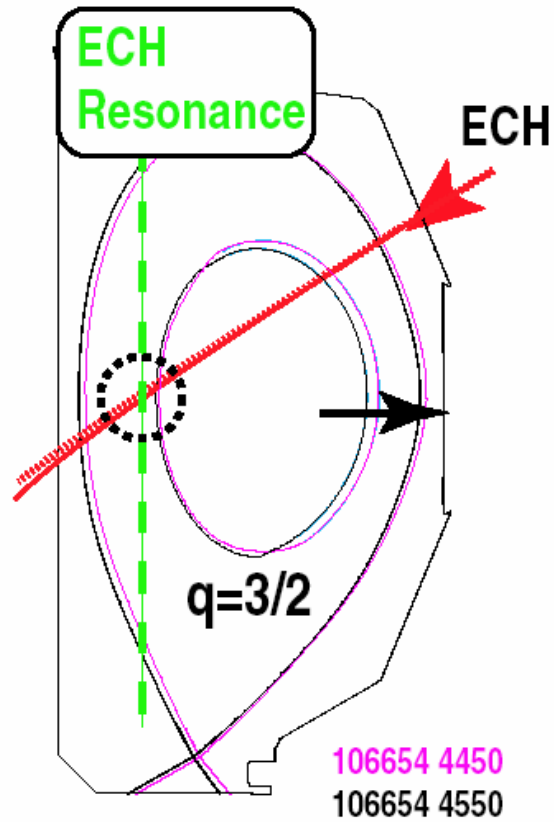
Avoiding NTMs

Use ICRH to modify current profile locally and de-stabilise (i.e. reduce period of) sawteeth

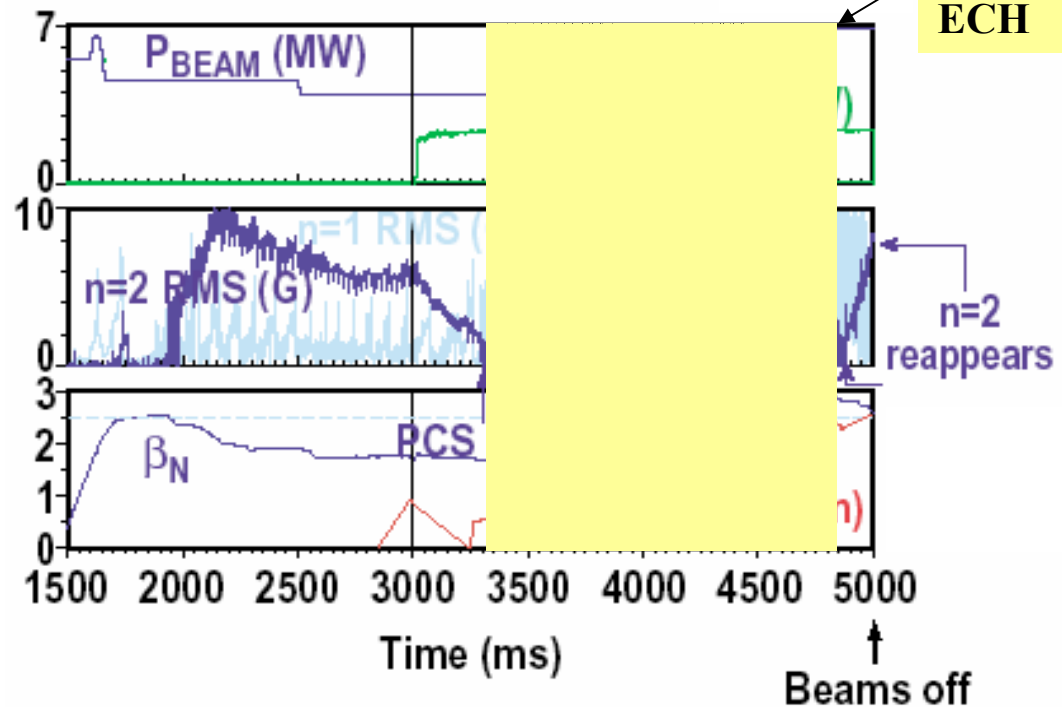


De-stabilisation of fast particles stabilised sawtooth by ICRH:
avoid large build-up of ∇p and subsequent large crash, hence avoid triggering NTM instabilities

Precisely directed microwaves can stabilise NTMs



Steerable ECH/ECCD launchers allow local injection of current and NTM stabilization



Fusion plasma *physics* challenges

- Large power density and gradients ($10\text{MW}/\text{m}^3 \approx 30'000 \times \text{sun's core}$), anisotropy, no thermal equilibrium

- Macro-instabilities and relaxation processes

solar flares, substorms

- Dual fluid/particle nature

- Wave-particle interaction (resonant, nonlinear)

coronal heating

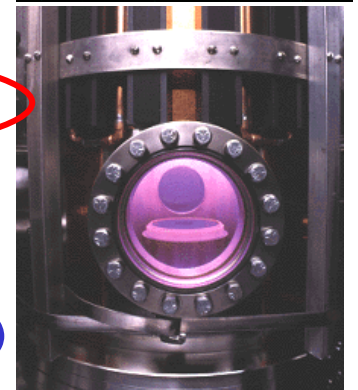
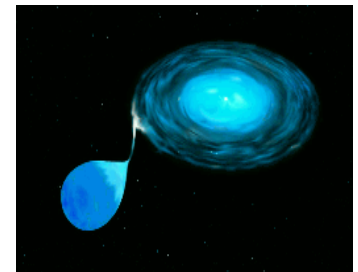
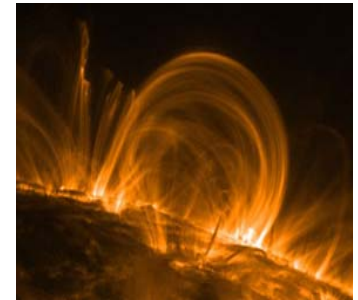
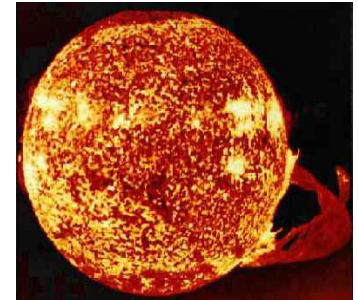
- Turbulent medium

- Non-collisional transport and losses

accretion disks

- Plasma-neutral transition, wall interaction

plasma manufacturing



Huge range in temporal ($10^{-10} \rightarrow 10^5$ s) and spatial scales ($10^{-6} \rightarrow 10^4$ m)

Plasma wall interaction issues

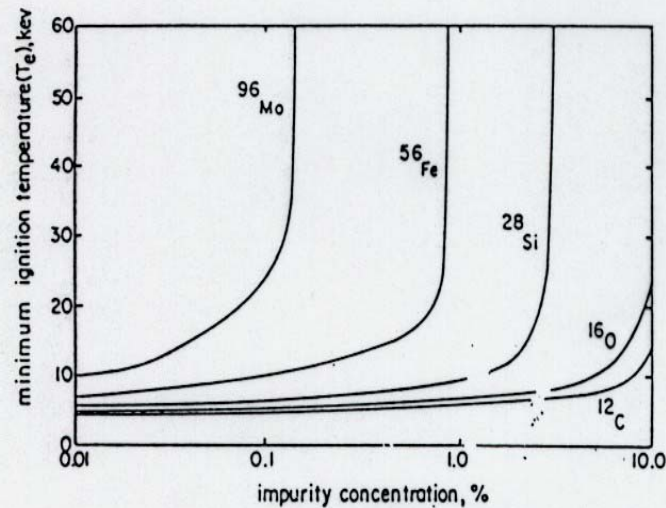
- Withstand power fluxes
 - Limit erosion, melting
 - Steady-state
 - *During transient edge instabilities*
 - Keep the plasma pure
 - Minimise T retention
 - Exhaust
 - Power
 - Through solid surface in contact with fluid transfer medium
 - Particles
 - To avoid dilution in reactor ^4He ‘ashes’ must be removed
- the divertor concept
- Separates plasma surface interactions from confined plasma

The need for a *pure* plasma

- **Bremstrahlung radiation**

$$P_b = A Z^2 n^2 T^{1/2}$$

- **Bremstrahlung limitation will move up for higher Z**



Minimum ignition temperature goes up with impurity concentration

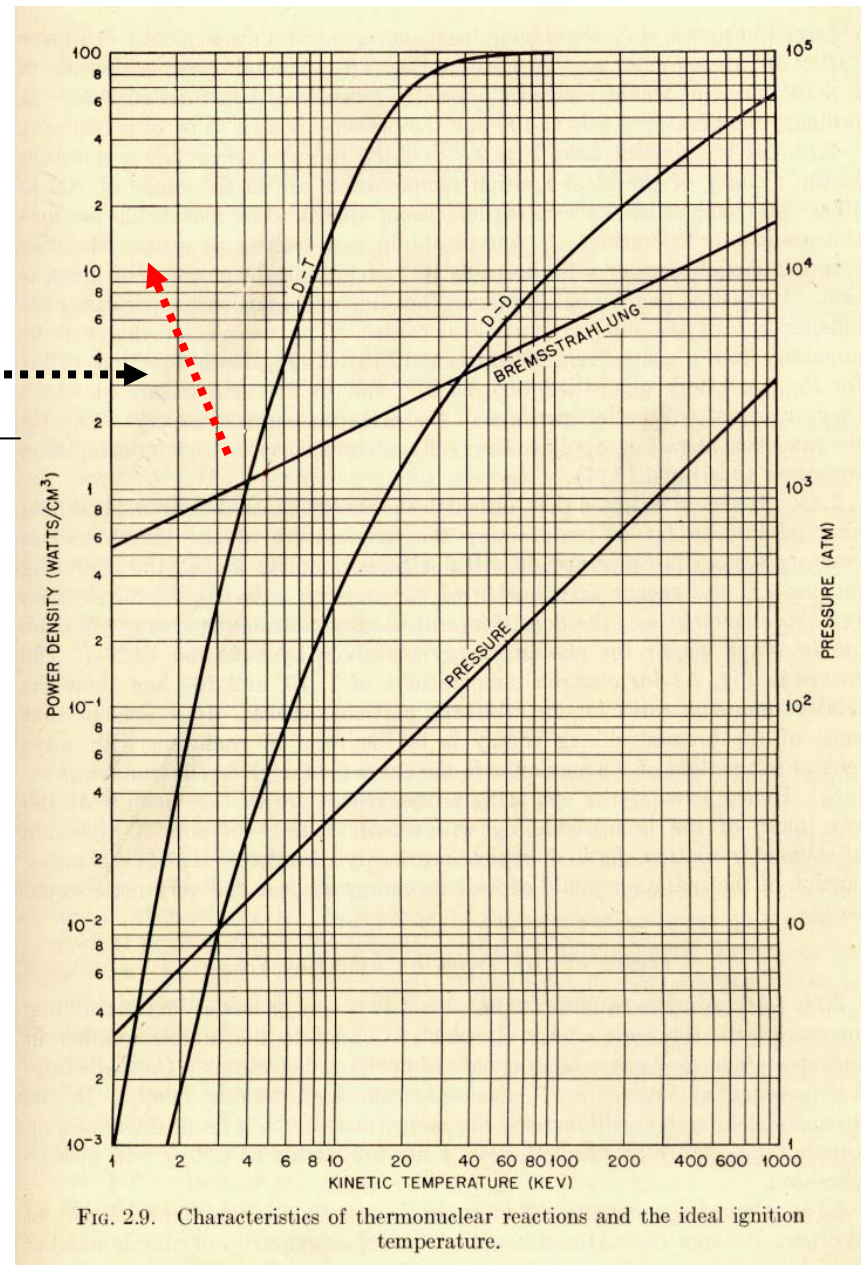


FIG. 2.9. Characteristics of thermonuclear reactions and the ideal ignition temperature.

The divertor concept

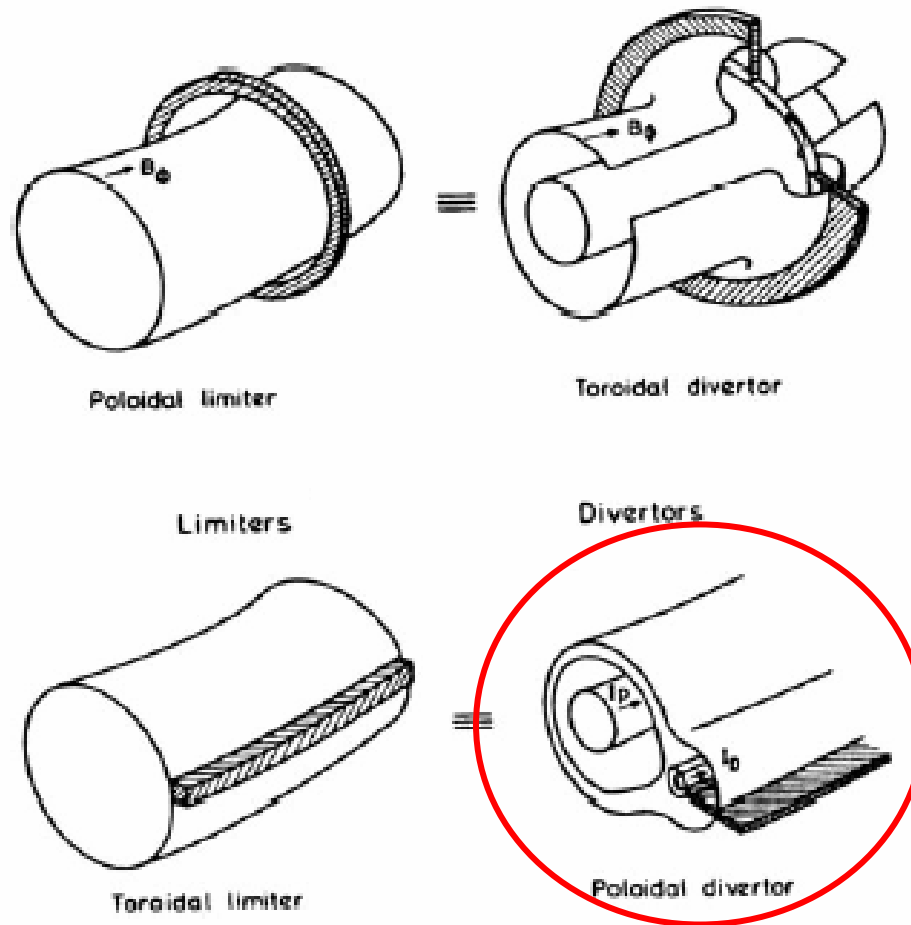
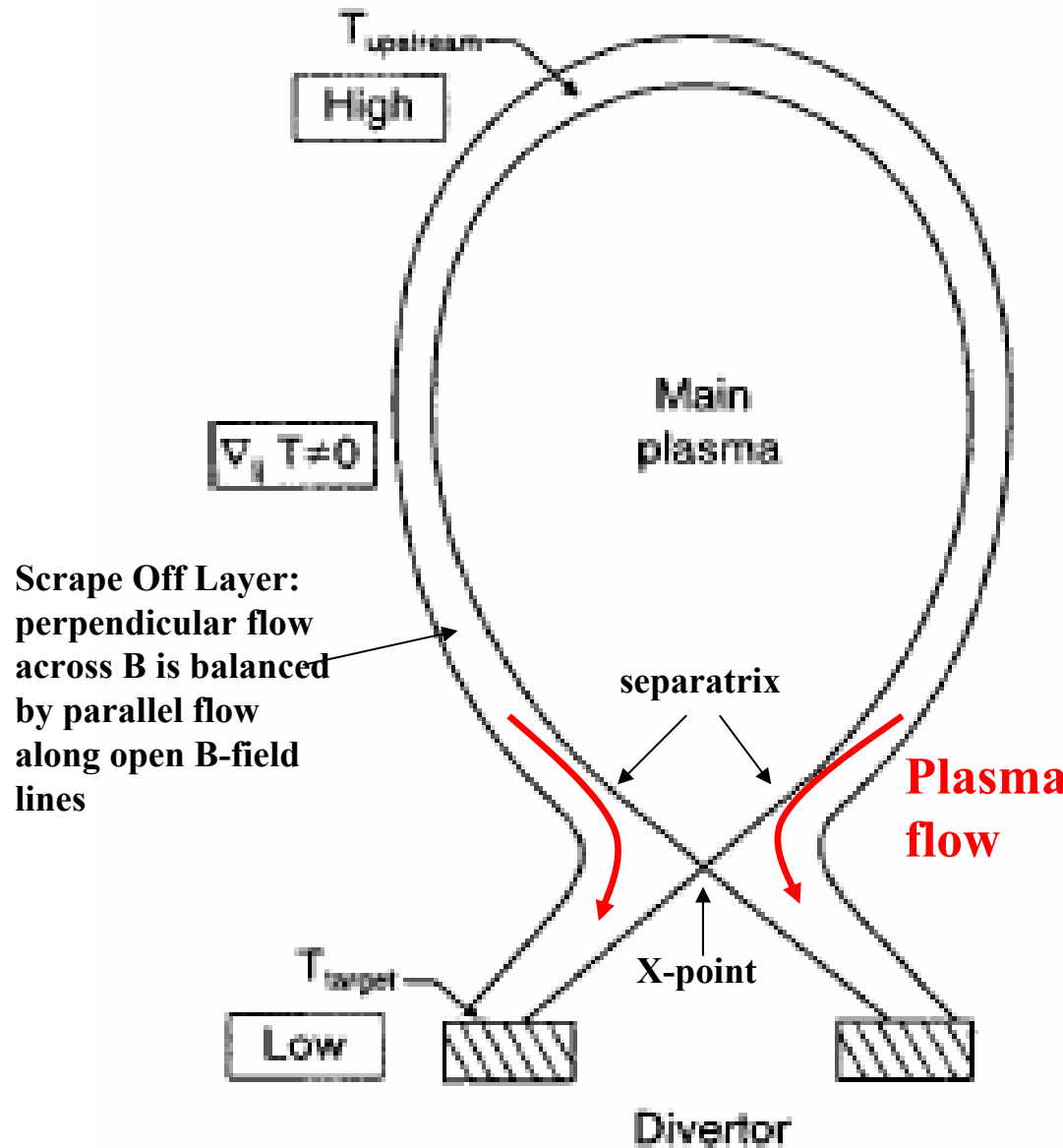


Figure 13. Various limiter and divertor configurations: (1) the *poloidal ring limiter*, in the simplest case, is a circular annular plate of inner radius $r = a_{\text{plasma}}$, outer radius $r = a_{\text{wall}}$. (2) The *toroidal divertor* involves a diversion of the toroidal magnetic field near the edge, making for a configuration analogous to that of the *poloidal ring limiter*. (3) The *toroidal limiter* consists of a toroidally symmetric, protruding structure attached to the wall, mounted at the outside of the vessel, as shown here, or at the bottom, etc. (4) The *poloidal divertor* involves a diversion of the poloidal magnetic field near the edge, making for a toroidally symmetric configuration, analogous to the toroidal limiter [13].

The divertor concept



- Long connection length parallel to B_{tot} (e.g. in ITER $\sim 150\text{m}$) reduces parallel power flux arriving to target
- Upstream $T_e \sim 0.5\text{keV}$, must be reduced to $\sim 5\text{eV}$
 - At 5eV $\sigma_{\text{ionisation}} < \sigma_{\text{charge exchange}}$
 - Energy is transferred from ions to neutrals, which spread power deposition (*neutral cushion*)
 - T is further reduced and e-i recombination occurs
 - Plasma *detachment*

Observation of plasma *detachment*

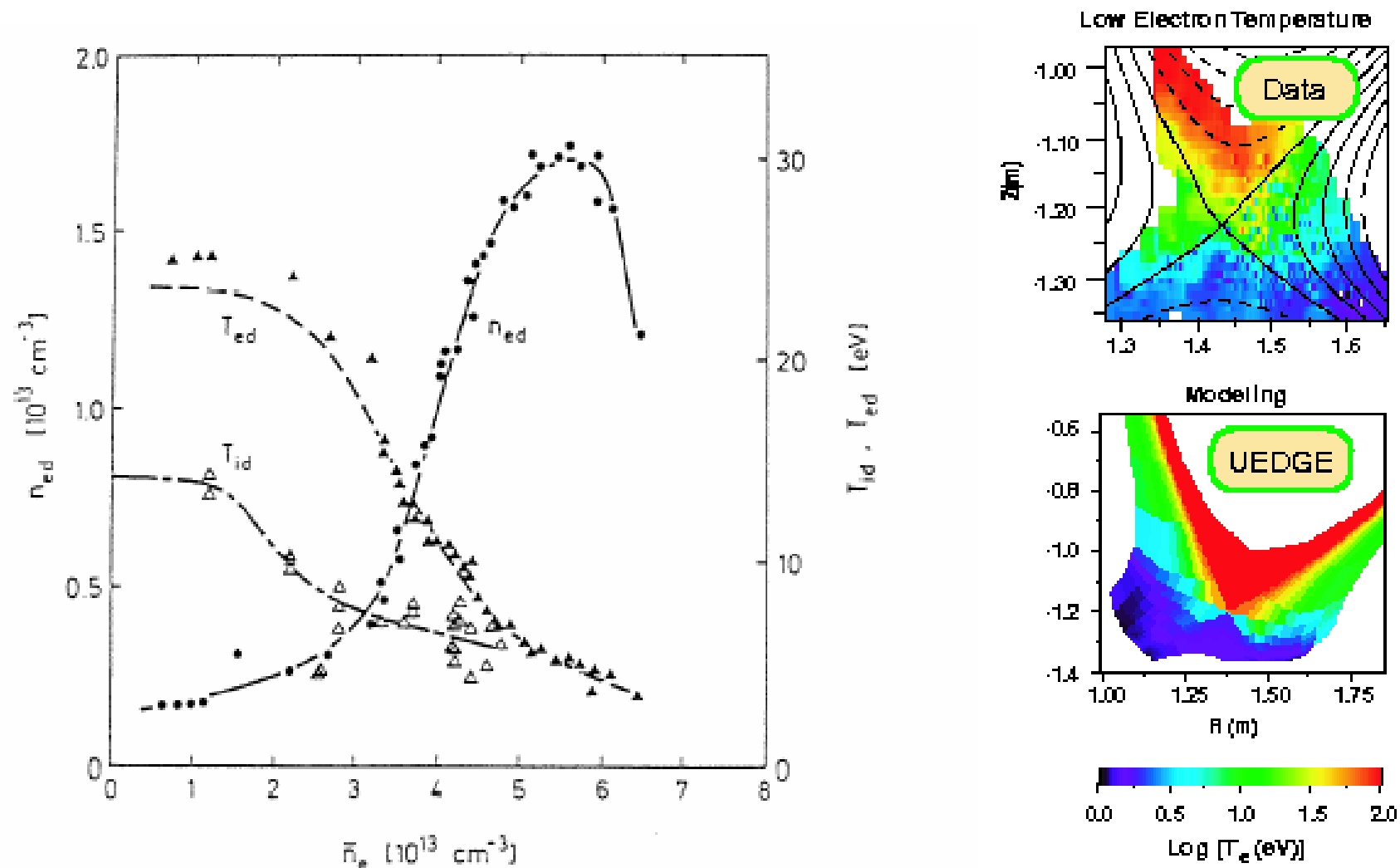
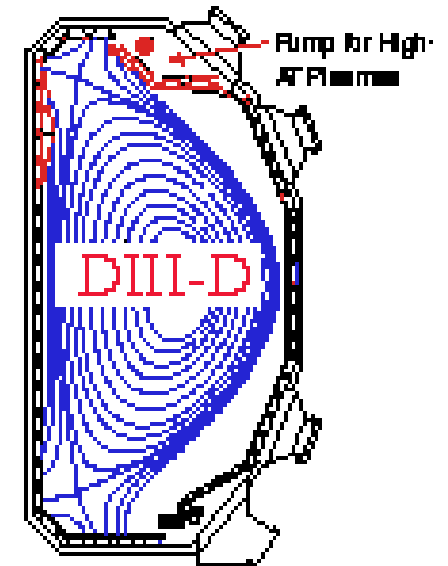
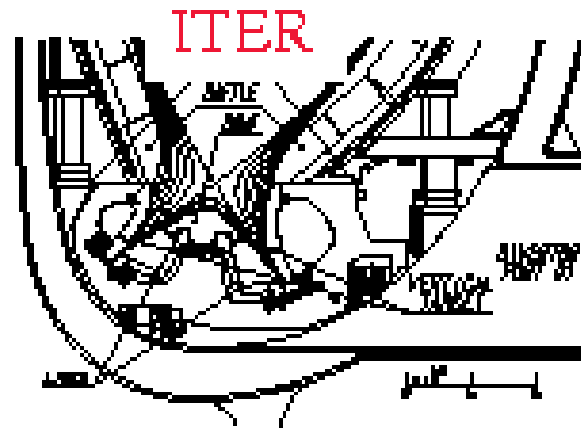
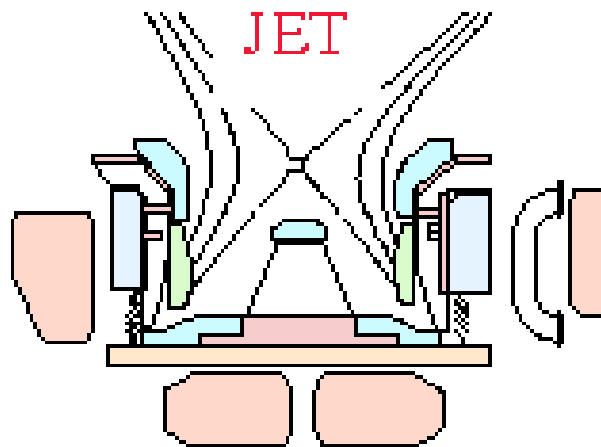


Figure 25. Divertor conditions in ohmic discharges in ASDEX as a function of \bar{n}_e (Shimomura *et al* 1983, Wagner and Lackner 1986). Electron density n_{ed} and temperature T_{ed} from a Langmuir probe. Ion temperature T_{id} from C III line-width measurements.

DIII-D Thomson scattering T_e profile plot and UEDGE simulation showing extended region of cold ($T_e < 2\text{eV}$) recombining plasma

Ex. of different divertor geometries

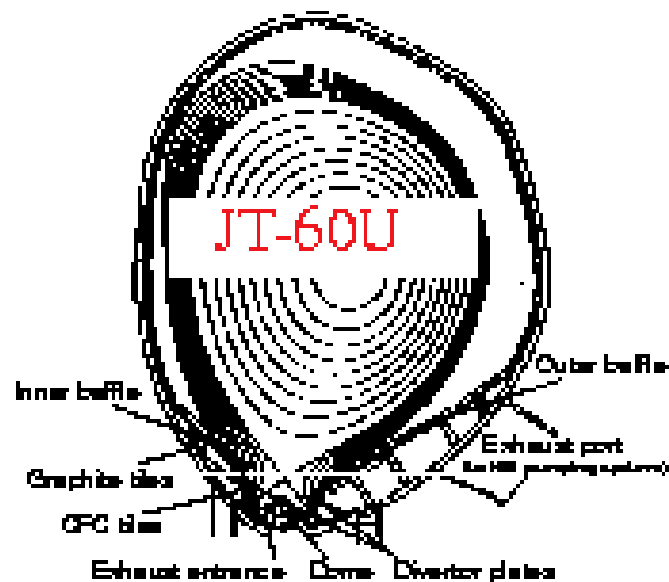
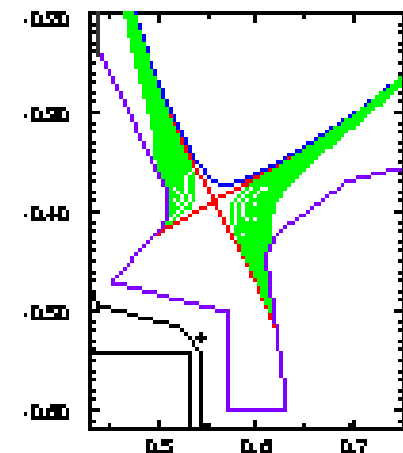


First Modification (Early 1993)

Alcator

C-Mod

"Vertical-Plate"



ASDEX Upgrade

