

„Collective Flow signals the QGP“ H. Stoecker FIAS

LQCD: **First Order** Quark-Hadron Phase Transition

@ high baryon density $\mu_B > 400$ MeV

2. Thermalization & Thermometers: Hadron Yields

3. The Barometer: Proton Flow

4. Discovery of 1. Order Q-H P.T.

Collapse of proton flow @ SpS -> FAIR

5. Flow and Jets...



- **Thermalization?**
 - **Yields and flow
from
nonequilibrium
hadron transport
theory**
- IQMD, UrQMD, HSD**
- Bleicher, Bass,
Bratkovskaya...**



• Delta transport in n+pi+delta system: IQMD

$$\begin{aligned}
 \frac{\partial f_{\Delta}}{\partial t} &+ \vec{v} \cdot \frac{\partial f_{\Delta}}{\partial \mathbf{r}} - \nabla_{\mathbf{r}} U_{\Delta} \cdot \frac{\partial f_{\Delta}}{\partial \mathbf{p}} = I_{\Delta\Delta} \frac{\delta^3 \Delta\Delta}{\delta\Omega} + I_{\Delta N \rightarrow \Delta N} + I_{\Delta\pi \rightarrow \Delta\pi} + I_{\Delta N \rightarrow \Delta\Delta} + I_{\Delta N \rightarrow NN} + I_{\Delta\Delta \rightarrow \Delta N} + I_{\Delta\Delta \rightarrow \Delta N} + I_{\Delta \rightarrow N\pi} \\
 &= \frac{\pi}{\hbar} \frac{g_1 g_2}{4} \frac{(2\pi)^2 (\hbar c)^4}{\mu_{\Delta\Delta} c^2 \cdot \mu_{\Delta\Delta} c^2} \int \frac{d^3 p_2}{(2\pi\hbar)^3} \int \frac{d^3 p_1'}{(2\pi\hbar)^3} \int \frac{d^3 p_2'}{(2\pi\hbar)^3} \frac{d\sigma}{d\Omega} (p_1' - p_1) \cdot (2\pi\hbar)^3 \delta^3(p_1 + p_2 - p_1' - p_2') \delta(\varepsilon_1 + \varepsilon_2 - \varepsilon_1' - \varepsilon_2') \\
 &\quad \left[\frac{p_1' - p_2'}{p_1 - p_2} f_{\Delta}(p_1') f_{\Delta}(p_2') (1 - f_{\Delta}(p_1)) (1 - f_{\Delta}(p_2)) - \frac{p_1 - p_2}{p_1' - p_2'} \Delta(p_1) f_{\Delta}(p_2) (1 - f_{\Delta}(p_1')) (1 - f_{\Delta}(p_2')) \right] \\
 &+ \frac{\pi}{\hbar} \frac{g_1 g_2}{4} \frac{(2\pi)^2 (\hbar c)^4}{\mu_{\Delta N} c^2 \cdot \mu_{\Delta N} c^2} \int \frac{d^3 p_2}{(2\pi\hbar)^3} \int \frac{d^3 p_1'}{(2\pi\hbar)^3} \int \frac{d^3 p_2'}{(2\pi\hbar)^3} \frac{d\sigma}{d\Omega} (p_1' - p_1) \cdot (2\pi\hbar)^3 \delta^3(p_1 + p_2 - p_1' - p_2') \delta(\varepsilon_1 + \varepsilon_2 - \varepsilon_1' - \varepsilon_2') \\
 &\quad \left[\frac{p_1' - p_2'}{p_1 - p_2} f_{\Delta}(p_1') f_N(p_2') (1 - f_{\Delta}(p_1)) (1 - f_N(p_2)) - \frac{p_1 - p_2}{p_1' - p_2'} \Delta(p_1) f_N(p_2) (1 - f_{\Delta}(p_1')) (1 - f_N(p_2')) \right] \\
 &+ \frac{\pi}{\hbar} \frac{g_1 g_2}{4} \frac{(2\pi)^2 (\hbar c)^4}{\mu_{\Delta\pi} c^2 \cdot \mu_{\Delta\pi} c^2} \int \frac{d^3 p_2}{(2\pi\hbar)^3} \int \frac{d^2 p_1'}{(2\pi\hbar)^3} \int \frac{d^3 p_2'}{(2\pi\hbar)^3} \frac{d\sigma}{d\Omega} (p_1' - p_1) \cdot (2\pi\hbar)^3 \delta^3(p_1 + p_2 - p_1' - p_2') \delta(\varepsilon_1 + \varepsilon_2 - \varepsilon_1' - \varepsilon_2') \\
 &\quad \left[\frac{p_1' - p_2'}{p_1 - p_2} f_{\Delta}(p_1') f_{\pi}(p_2') (1 - f_{\Delta}(p_1)) (1 + f_{\pi}(p_2)) - \frac{p_1 - p_2}{p_1' - p_2'} f_{\Delta}(p_1) f_{\pi}(p_2) (1 - f_{\Delta}(p_1')) (1 + f_{\pi}(p_2')) \right] \\
 &+ \frac{\pi}{\hbar} \frac{g_1 g_2}{4} \frac{(2\pi)^2 (\hbar c)^4}{\mu_{\Delta N} c^2 \cdot \mu_{\Delta N} c^2} \int \frac{d^3 p_2}{(2\pi\hbar)^3} \int \frac{d^3 p_1'}{(2\pi\hbar)^3} \int \frac{d^3 p_2'}{(2\pi\hbar)^3} \frac{d\sigma}{d\Omega} (p_1' - p_1) \cdot (2\pi\hbar)^3 \delta^3(p_1 + p_2 - p_1' - p_2') \delta(\varepsilon_1 + \varepsilon_2 - \varepsilon_1' - \varepsilon_2') \\
 &\quad \left[\frac{p_1' - p_2'}{p_1 - p_2} f_{\Delta}(p_1') f_{\Delta}(p_2') (1 - f_{\Delta}(p_1)) (1 - f_N(p_2)) - \frac{p_1 - p_2}{p_1' - p_2'} \Delta(p_1) f_N(p_2) (1 - f_{\Delta}(p_1')) (1 - f_{\Delta}(p_2')) \right] \\
 &+ \frac{\pi}{\hbar} \frac{g_1 g_2}{4} \frac{(2\pi)^2 (\hbar c)^4}{\mu_{\Delta N} c^2 \cdot \mu_{NN} c^2} \int \frac{d^3 p_2}{(2\pi\hbar)^3} \int \frac{d^3 p_1'}{(2\pi\hbar)^3} \int \frac{d^3 p_2'}{(2\pi\hbar)^3} \frac{d\sigma}{d\Omega} (p_1' - p_1) \cdot (2\pi\hbar)^3 \delta^3(p_1 + p_2 - p_1' - p_2') \delta(\varepsilon_1 + \varepsilon_2 - \varepsilon_1' - \varepsilon_2') \\
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 &+ \frac{\pi}{\hbar} \frac{g_1 g_2}{4} \frac{(2\pi)^2 (\hbar c)^4}{\mu_{\Delta\Delta} c^2 \cdot \mu_{NN} c^2} \int \frac{d^3 p_2}{(2\pi\hbar)^3} \int \frac{d^3 p_1'}{(2\pi\hbar)^3} \int \frac{d^3 p_2'}{(2\pi\hbar)^3} \frac{d\sigma}{d\Omega} (p_1' - p_1) \cdot (2\pi\hbar)^3 \delta^3(p_1 + p_2 - p_1' - p_2') \delta(\varepsilon_1 + \varepsilon_2 - \varepsilon_1' - \varepsilon_2') \\
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 &+ \frac{\pi}{\hbar} \frac{g_1 g_2}{4} \frac{(2\pi)^2 (\hbar c)^4}{\mu_{\Delta\Delta} c^2 \cdot \mu_{\Delta N} c^2} \int \frac{d^3 p_2}{(2\pi\hbar)^3} \int \frac{d^3 p_1'}{(2\pi\hbar)^3} \int \frac{d^3 p_2'}{(2\pi\hbar)^3} \frac{d\sigma}{d\Omega} (p_1' - p_1) \cdot (2\pi\hbar)^3 \delta^3(p_1 + p_2 - p_1' - p_2') \delta(\varepsilon_1 + \varepsilon_2 - \varepsilon_1' - \varepsilon_2') \\
 &\quad \left[\frac{p_1' - p_2'}{p_1 - p_2} f_{\Delta}(p_1') f_N(p_2') (1 - f_{\Delta}(p_1)) (1 - f_{\Delta}(p_2)) - \frac{p_1 - p_2}{p_1' - p_2'} \Delta(p_1) f_{\Delta}(p_2) (1 - f_{\Delta}(p_1')) (1 - f_N(p_2')) \right] \\
 &+ \int \frac{d^3 p_N}{(2\pi\hbar)^3} \int \frac{d^3 p_{\pi}}{(2\pi\hbar)^3} | \langle p_N p_{\pi} | T | p_{\Delta} \rangle |^2 \cdot (2\pi\hbar)^3 \delta^3(p_{\Delta} - p_N - p_{\pi}) \delta(\varepsilon_{\Delta} - \varepsilon_N - \varepsilon_{\pi}) \cdot \\
 &\quad [f_N(p_N) f_{\pi}(p_{\pi}) (1 - f_{\Delta}(p_{\Delta})) - f_{\Delta}(p_{\Delta}) (1 - f_N(p_N)) (1 + f_{\pi}(p_{\pi}))]
 \end{aligned}$$



Control of thermo-
and hydro models
necessary!!!

Two Robust Hadron-
Based nonequilibrium
Transport Models
HSD vs UrQMD

allows to estimate
systematic
uncertainties

UrQMD

- molecular dynamics with Gaussian particle distributions
- cascade mode
- all baryonic resonances up to 2.25 GeV
all mesonic resonances up to 1.9 GeV

- realization of string (LUND) model

'Frankfurt' string code

fragmentation function $f(x, m_T)$:

different for leading hadrons
and for produced particles

similar for all particles

- formation time (in hadron rest frame)

$$\tau_F = f(M, p) \simeq 1 - 2 \text{ fm}/c$$

$$\tau_F \simeq 0.8 \text{ fm}/c$$

HSD

parallel ensemble dynamics
of point-like test-particles

self-energies for hadrons

$$U_h(\rho, \vec{p})$$

baryon octet, decuplet states
and $N^*(1440)$, $N^*(1535)$
 0^- and 1^- meson octets
+ non-resonant $\pi\pi$ production

FRITIOF-7.02
(LUND string code)

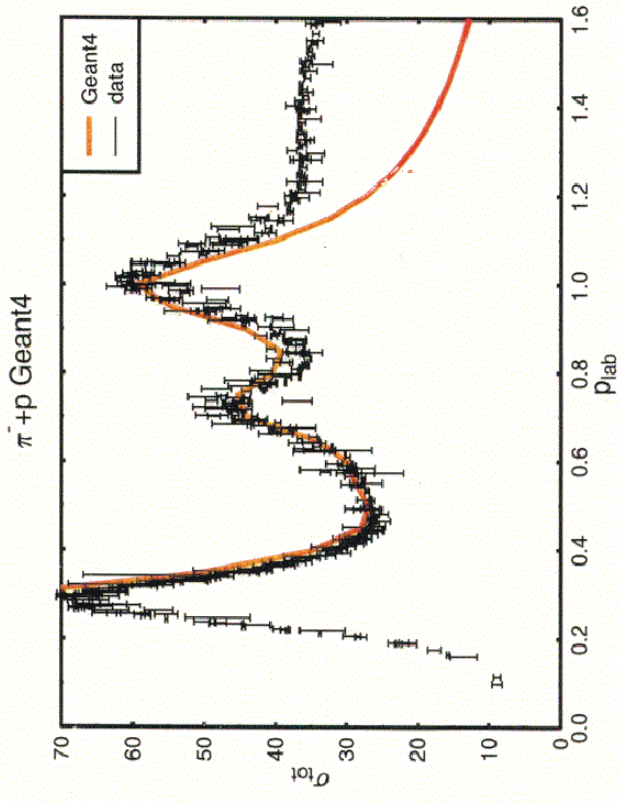
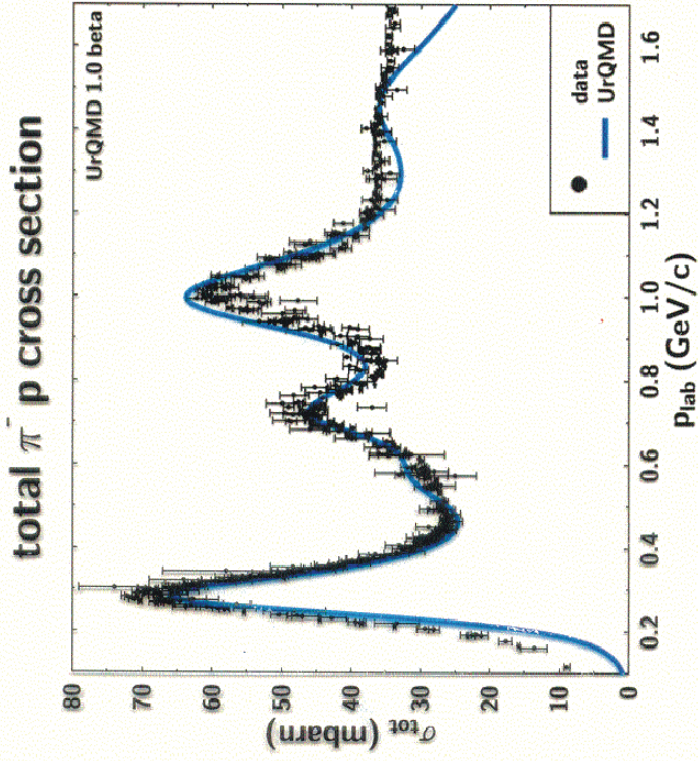
- energy density cut for hadronization $\epsilon \leq 1 \text{ GeV}/\text{fm}^3$

- HSD - recent developments:
 - off-shell dynamics with spectral functions
 - multi-meson fusion channels



• Proton pi- Cross Sections UrQMD vs. Geant4

Weber

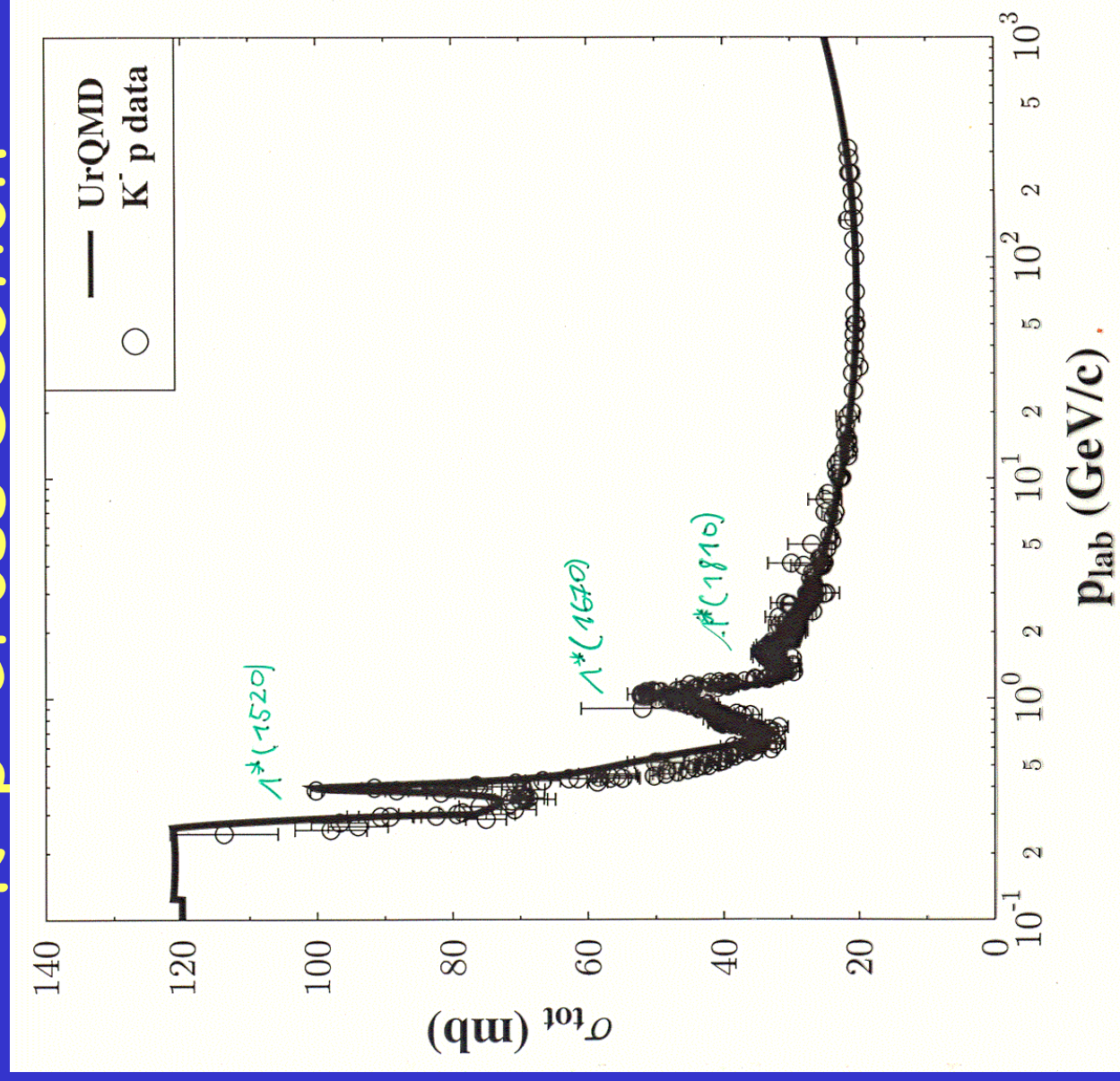


→ calculate cross section according to:

$$\sigma_{tot}^{MB} = \sum_{R=\Delta, N^*} \frac{2I_R + 1}{(2I_B + 1)(2I_M + 1)} \frac{\pi}{p_{CMS}^2} \frac{\Gamma_{R \rightarrow MB} \Gamma_{tot}}{(M_R - \sqrt{s})^2 + \frac{\Gamma_{tot}^2}{4}}$$



• $K^- p$ Cross Section

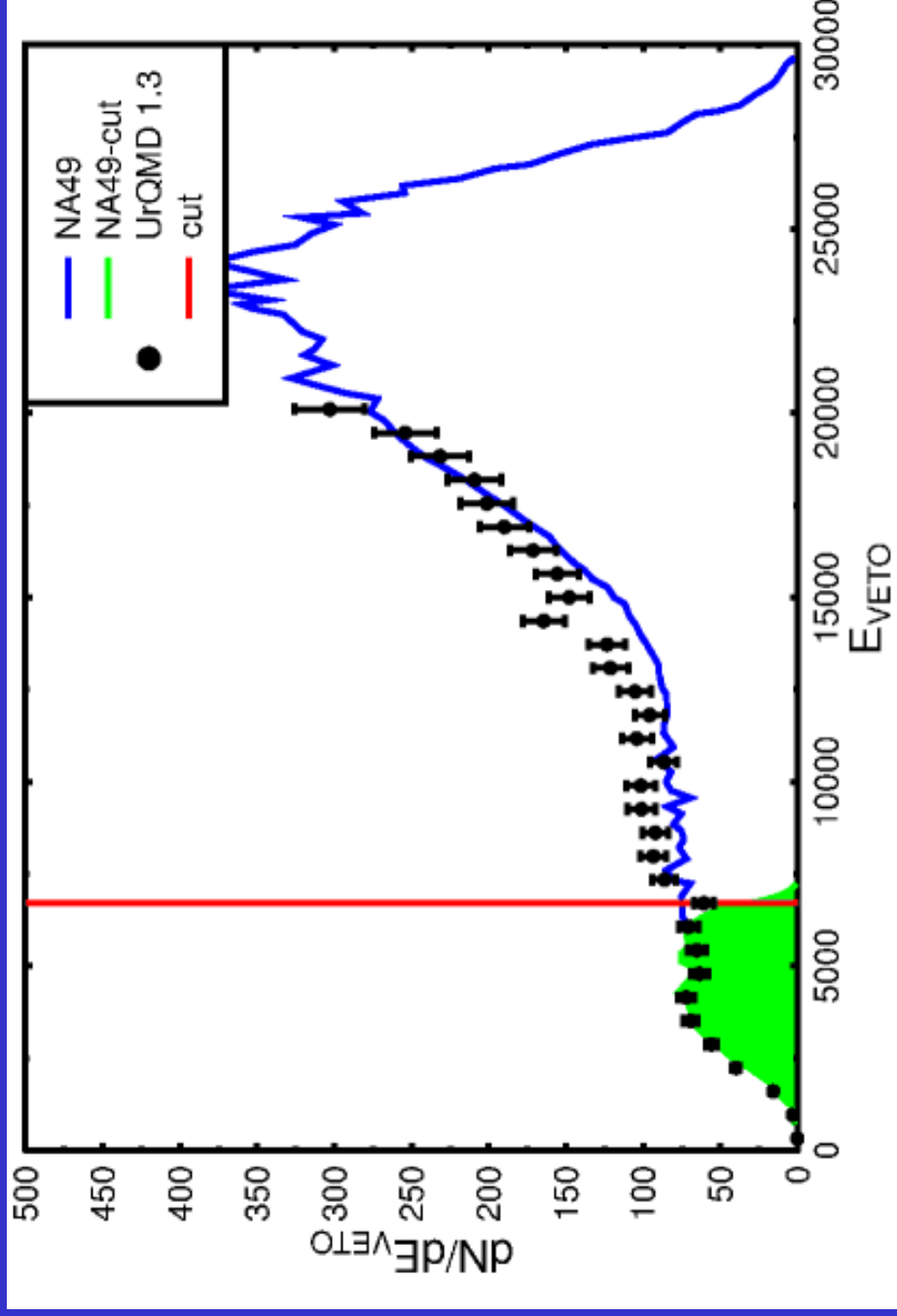


11.05.2004

Weber



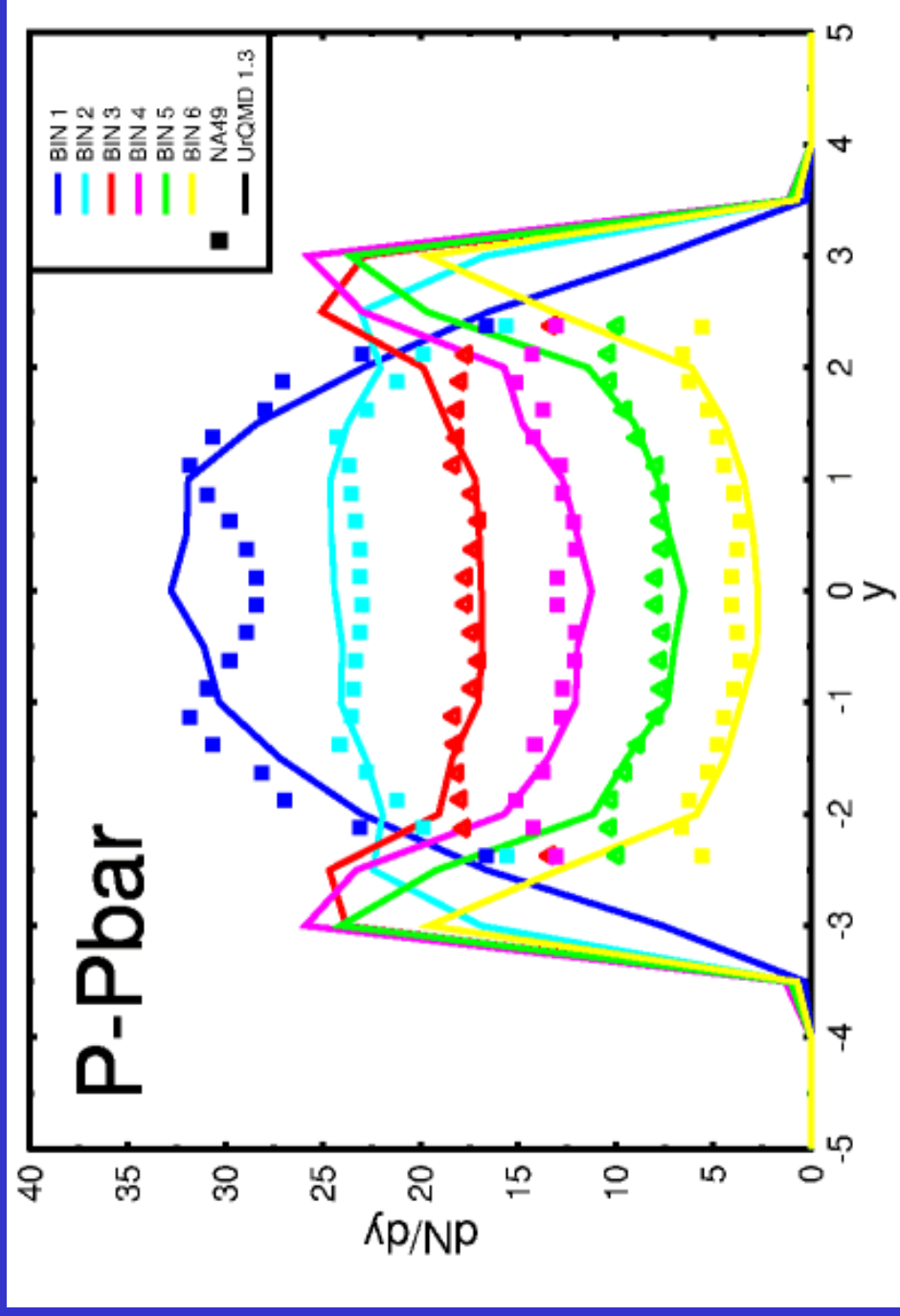
• NA49 Centrality Cut Pb+Pb 40A GeV



Weber



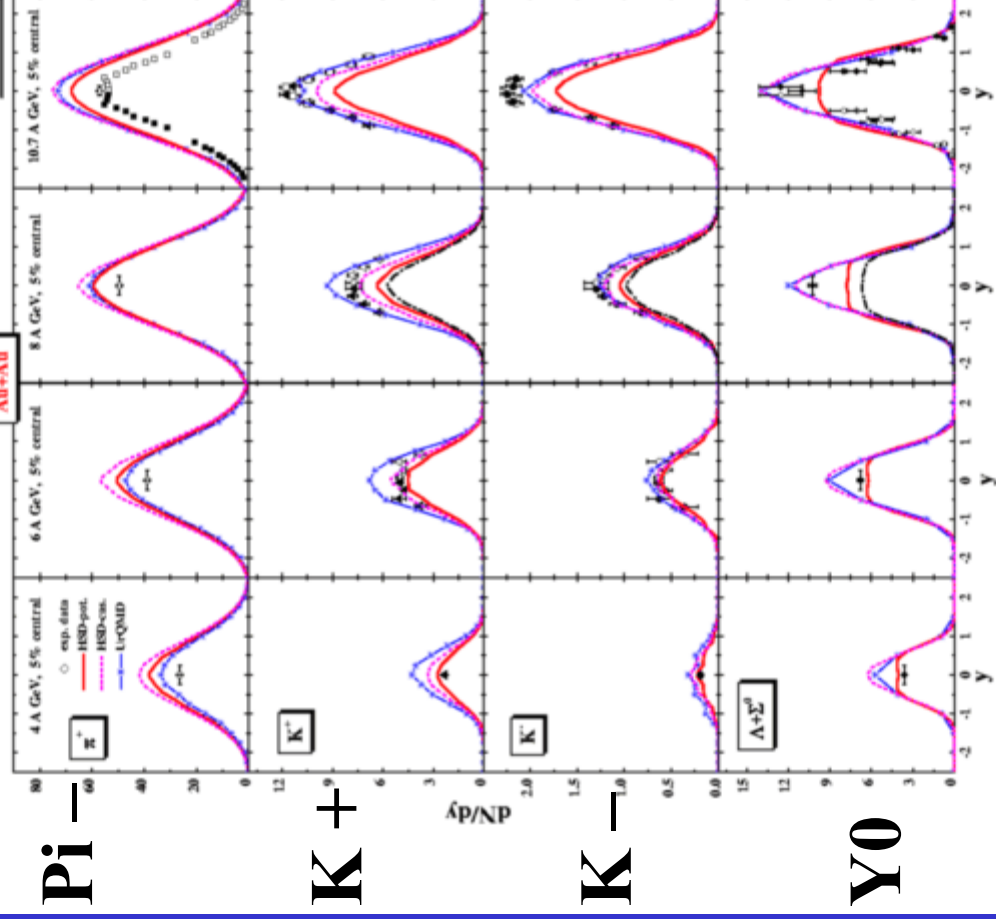
- Protons vs. Centrality Pb+Pb 158A GeV
Thermalization? 4Pi Thermal?



Weber

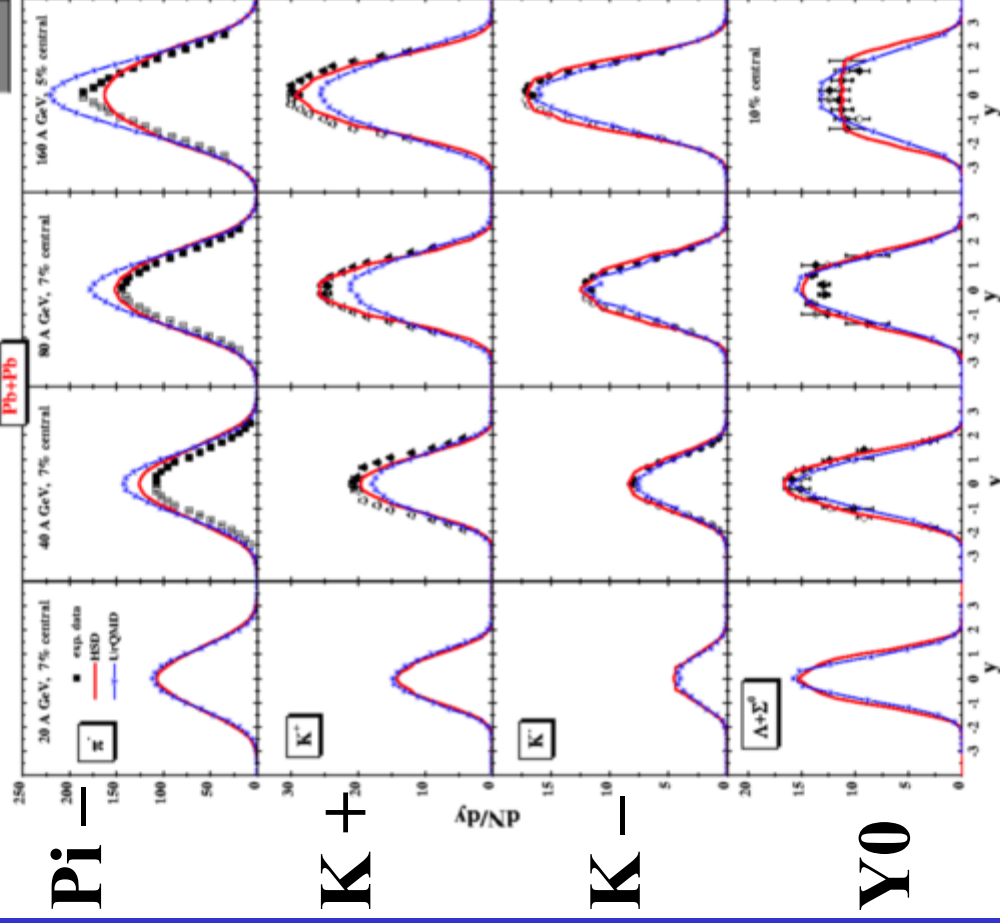


•AGS: Rapidity distributions Au+Au central 4, 6, 8, 11 AGeV

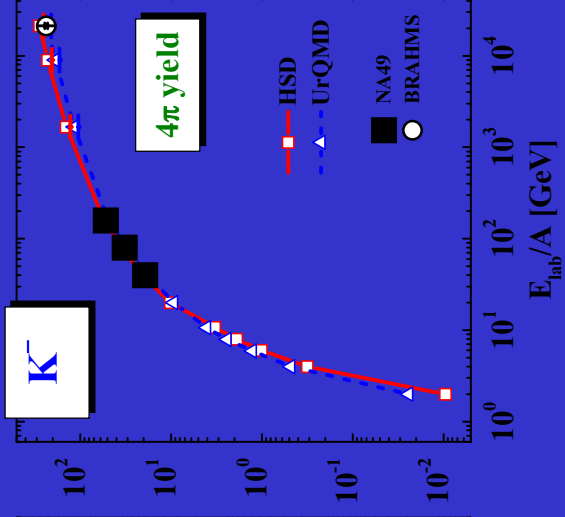
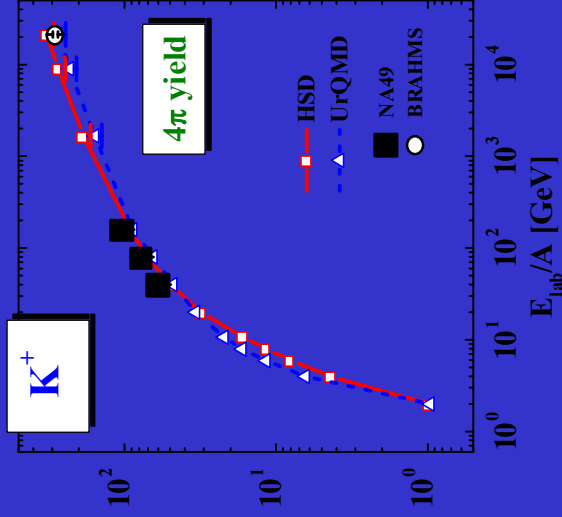
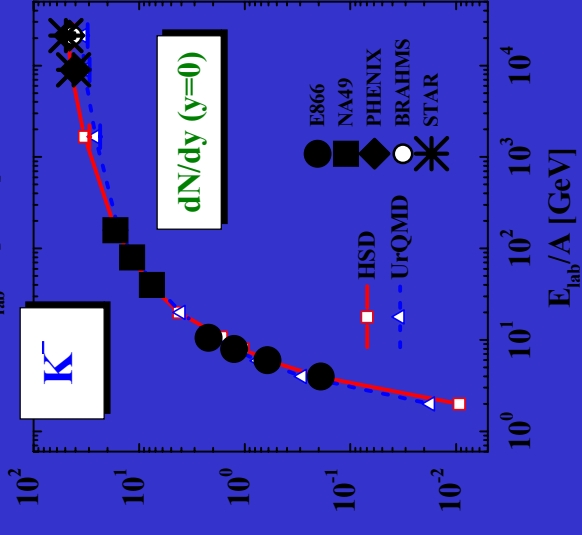
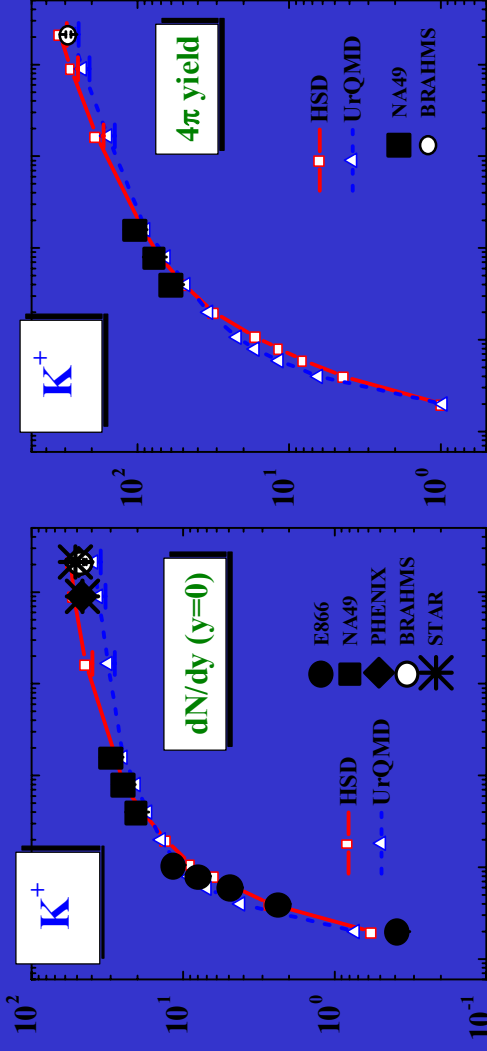


•SPS: Rapidity distributions Pb+Pb central

20 40 80 160 AGeV



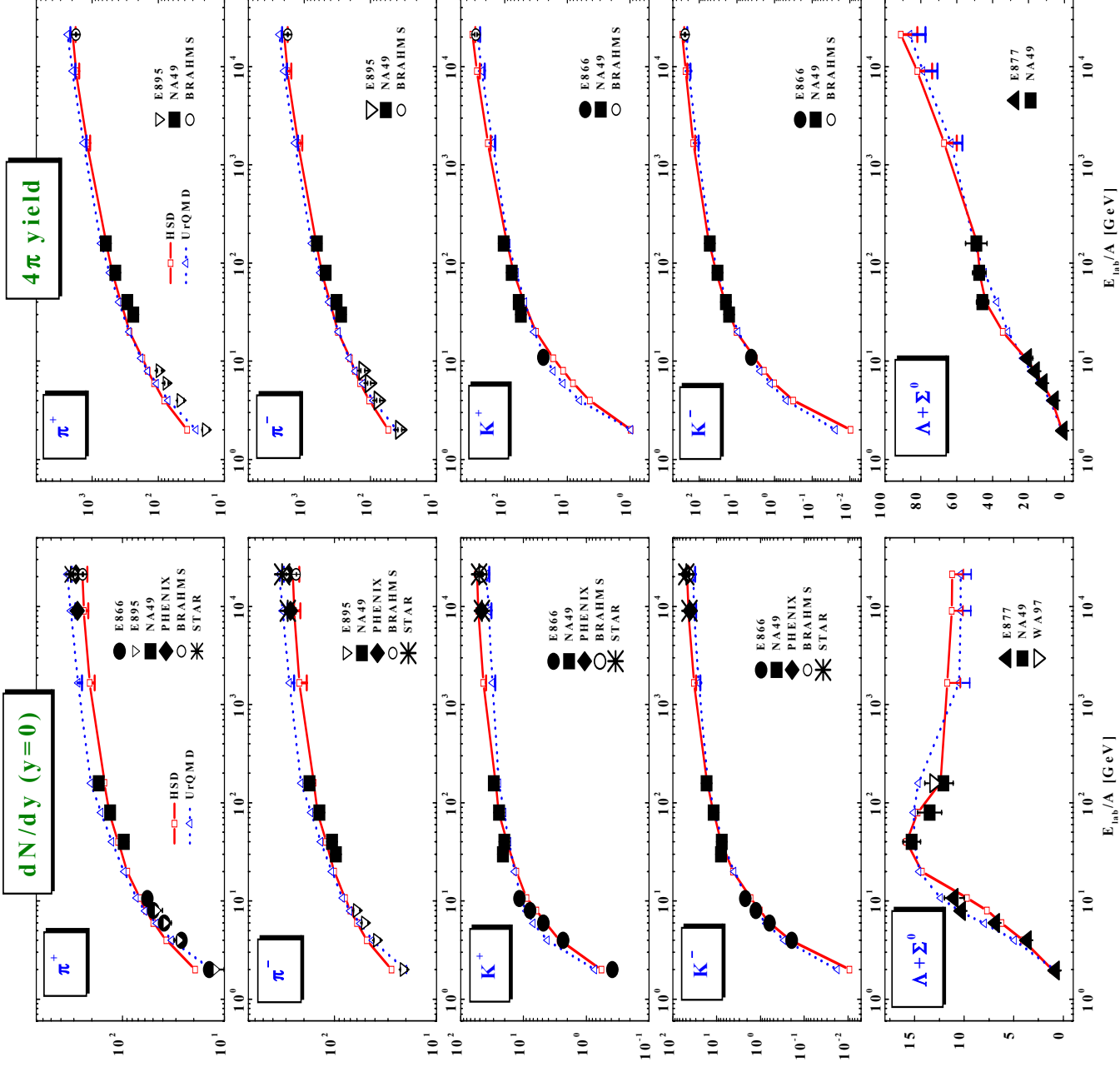
•Excitation function of K^+ yields

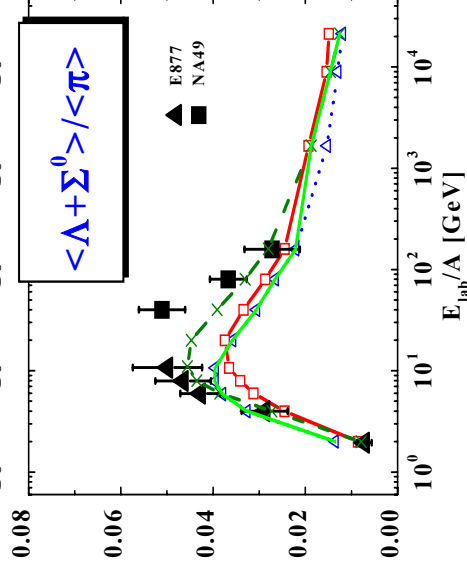
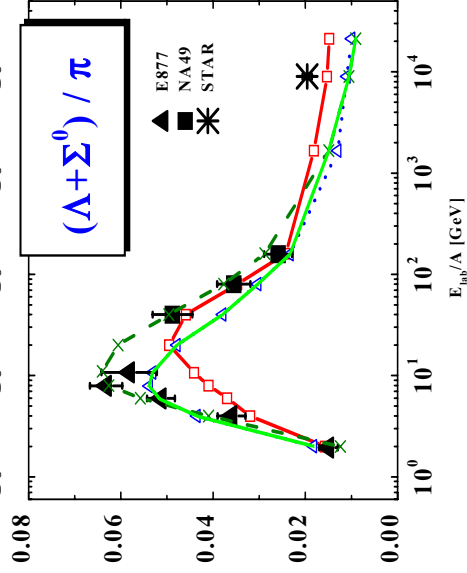
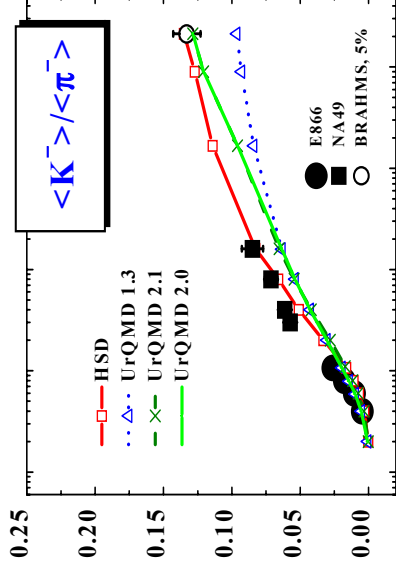
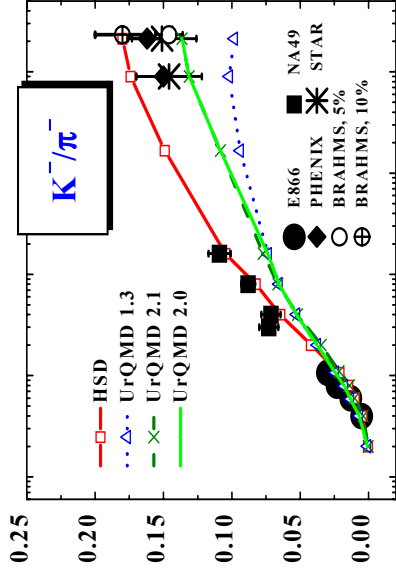
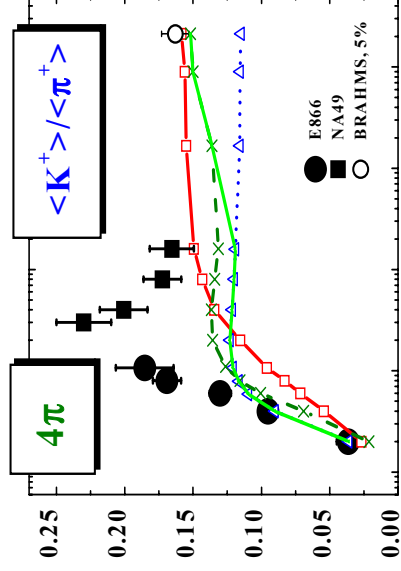
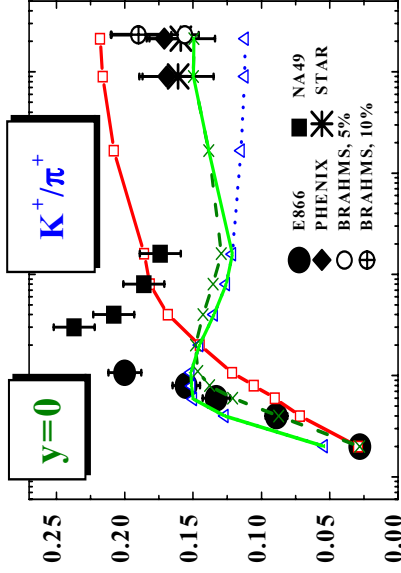


• Good description of K^+ and K^- yields by HSD and UrQMD



• Yields from transport theories - no thermal equilibrium assumed



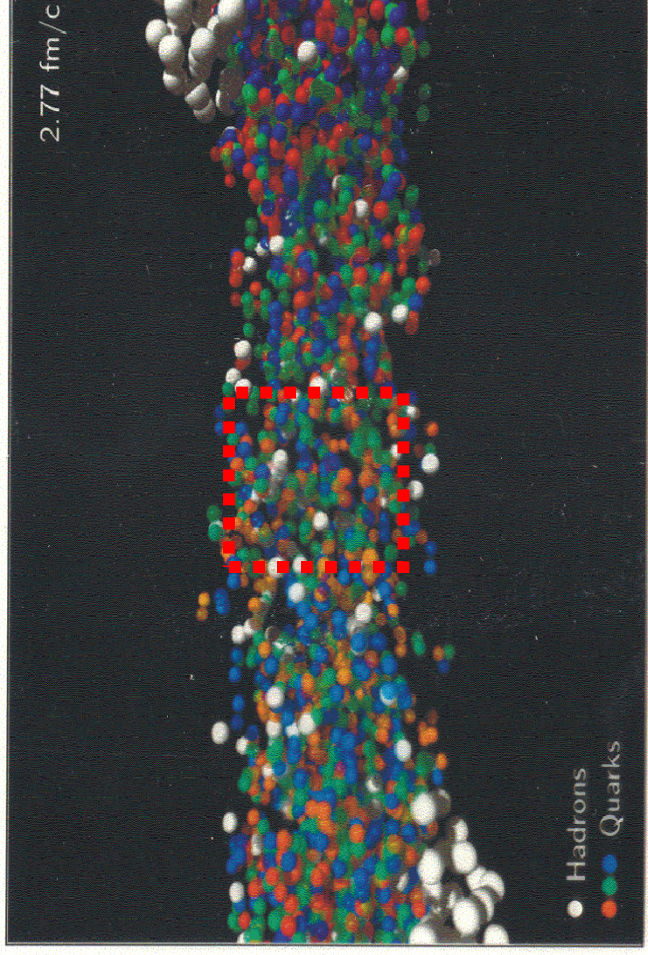
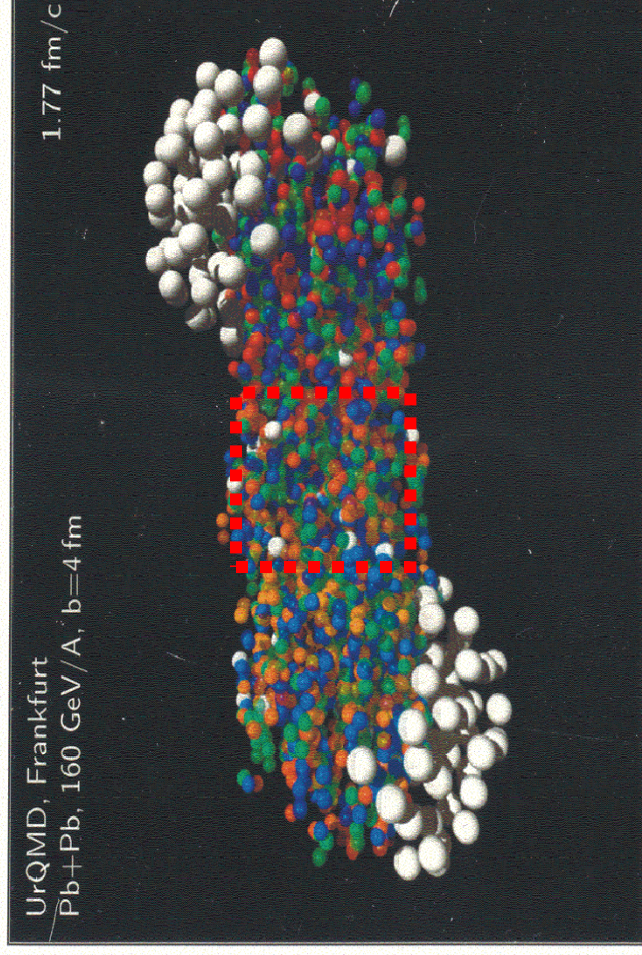


- **Nonequilibrium Microscopic models yield ok yields -
is thermalization achieved?**



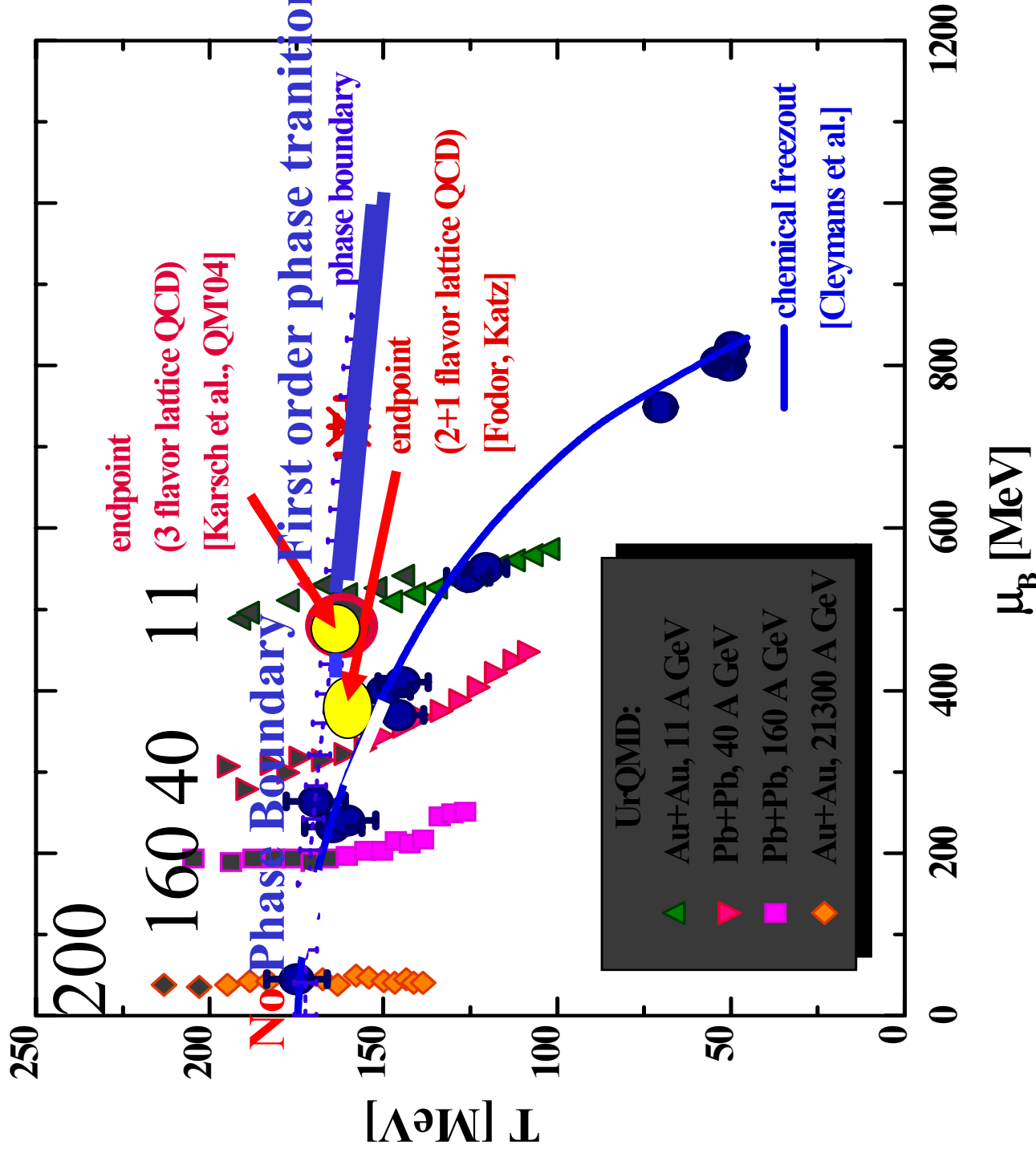
• Simulating thermo- dynamics in central collisions

Weber,
Bravina

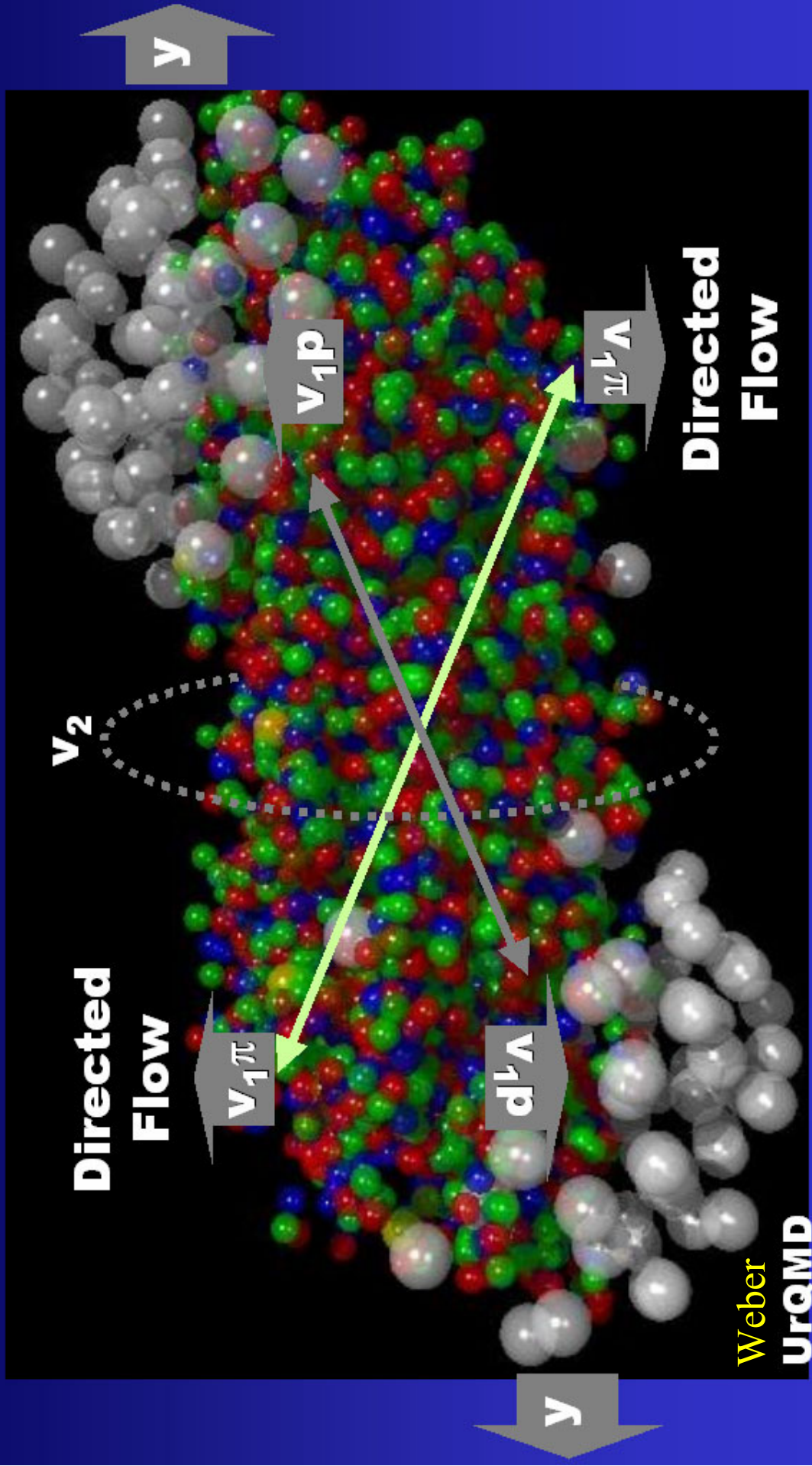


• Time evolution in $T - \mu_B$ Plane

UrQMD Bravina - looks like thermal after 5 fm/c!



Directed and Elliptic Flow



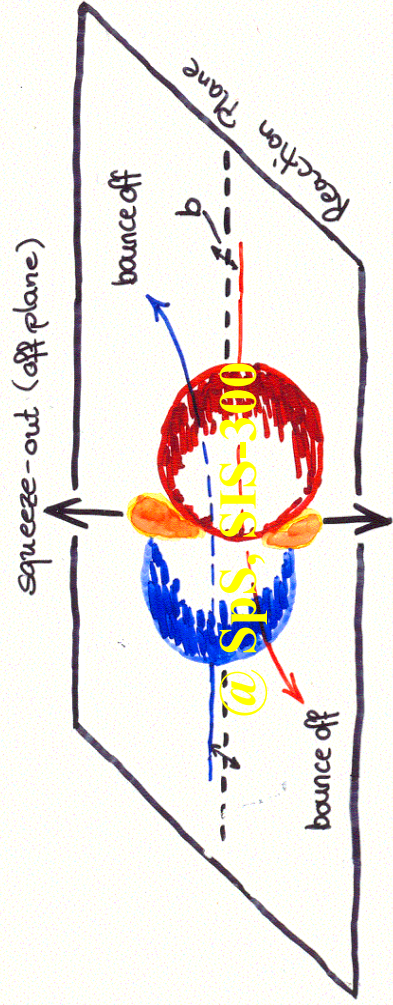
Proton Flow
as
Barometer:

Bounce-Off
= v1

SqueezeOut
= v2

It is in the
protons.
Period.

Directed Flow

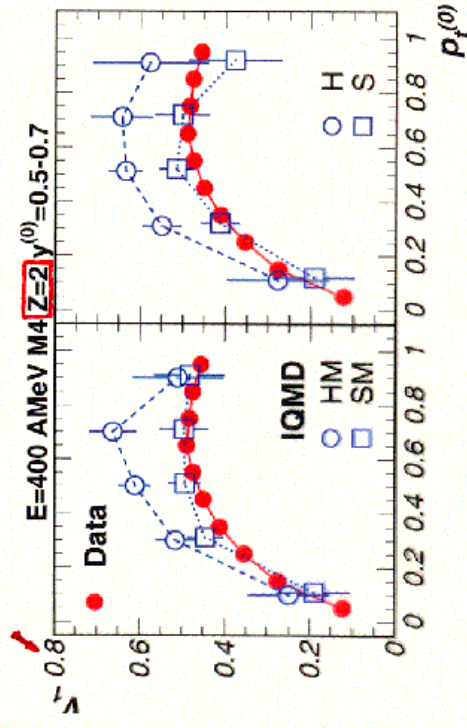
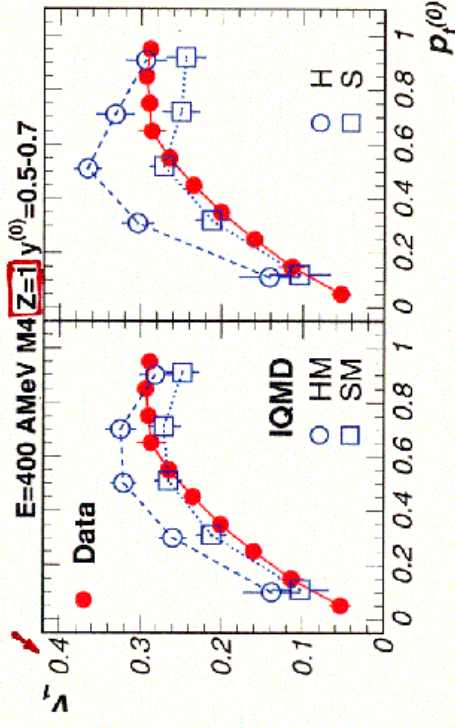



Pressure P can be measured
by the momentum P_x :

$$P_x \sim \int P(e.g) dAdt$$



• Yes! Triple Differential Flow is a barometer!
 Model Comparison FOPI - IQMD (A. Andronic)

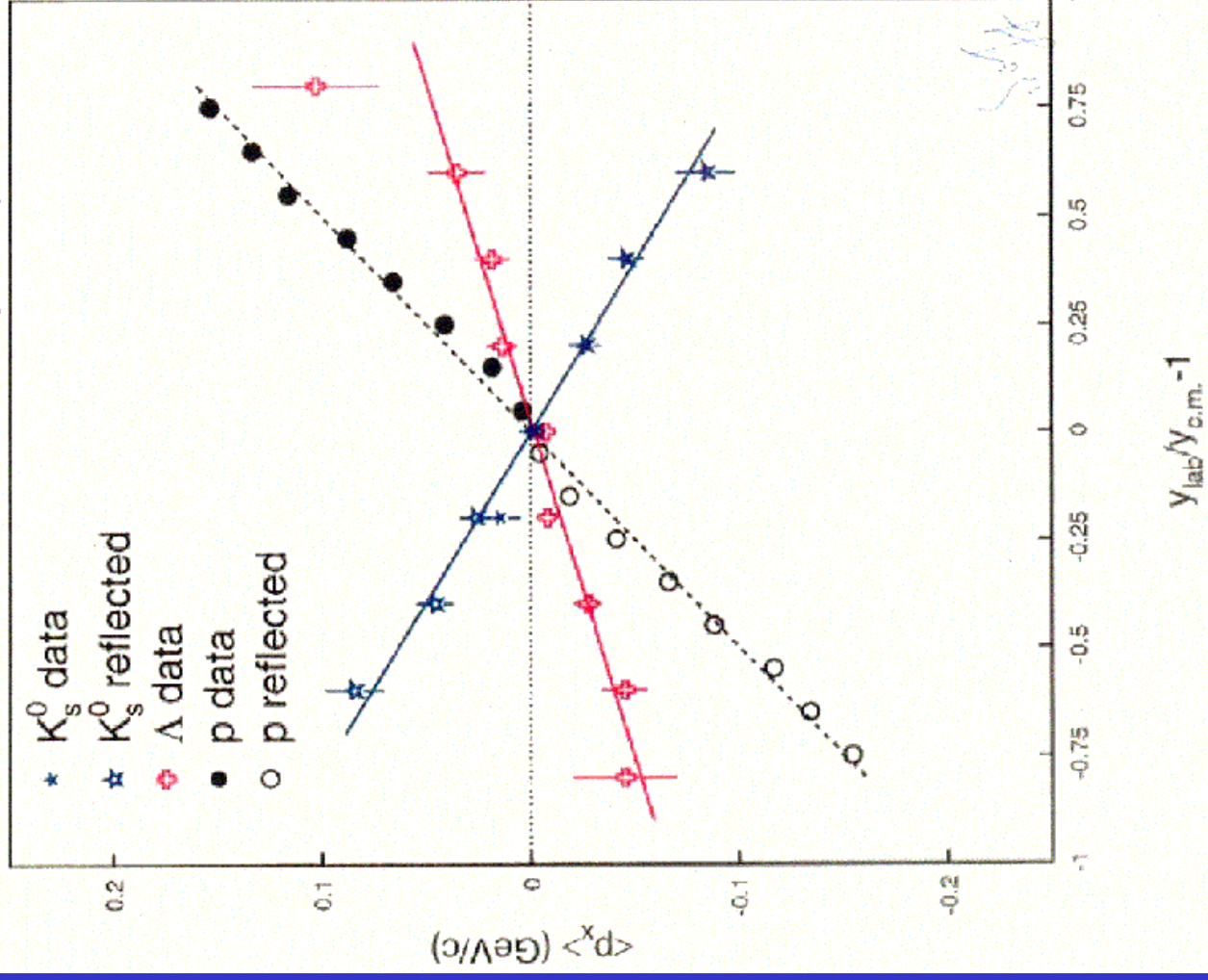


→ IQMD reproduces the particle dependence (but not in detail)

It is in the protons.
 Period.



• 6 GeV Sideward Flow ($b < 7 \text{ fm}$)



E895
Pions
antiflow-
all baryons
flow!
R. Lacey



- **Directed proton Flow**

$$v1 = p_x / p_t$$

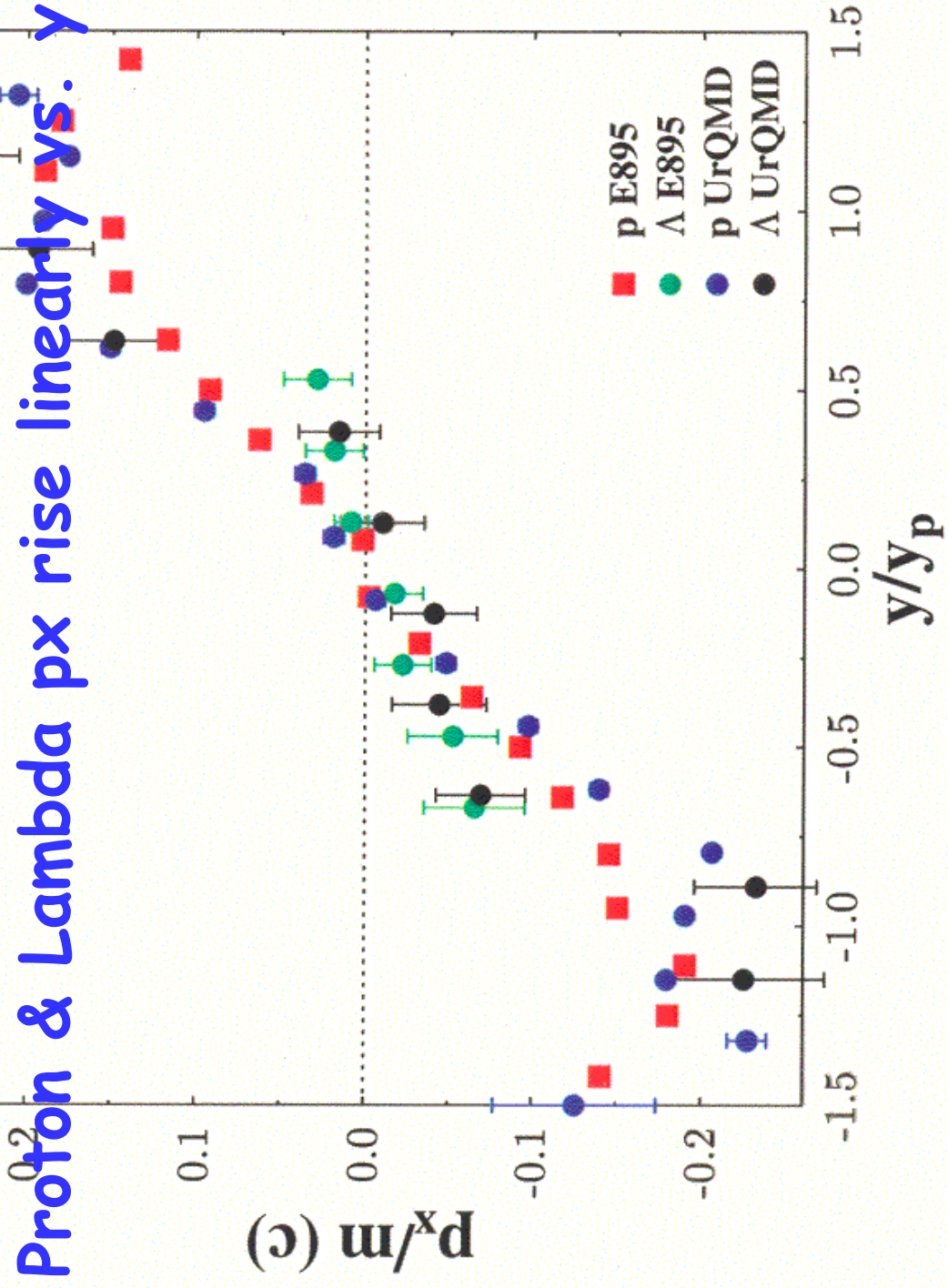
- **Proton Flow – straight forward in hydrodynamics...**

**Cross check by microscopic hadron models:
multicomponent transport theory**

- **UrQMD, HSD...**



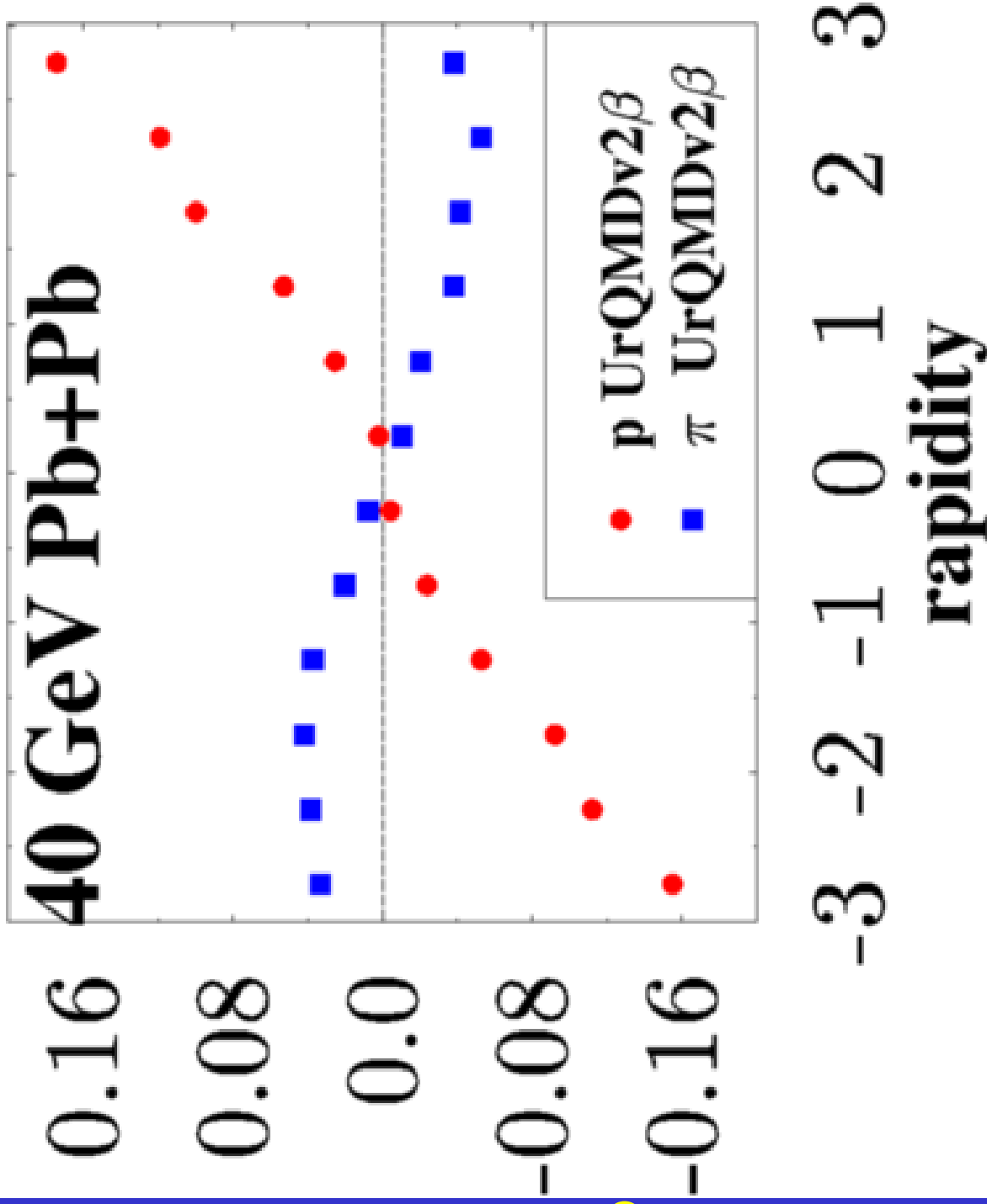
Au (6 A GeV) Au



Soff,
Urqmd



- **Bass:**
UrQMD
Predicts
Pion v1
Drops
Linearly
with Y:
Absorptio
- What do**
Data
Say?



• Multi-Fluid-Hydrodynamics

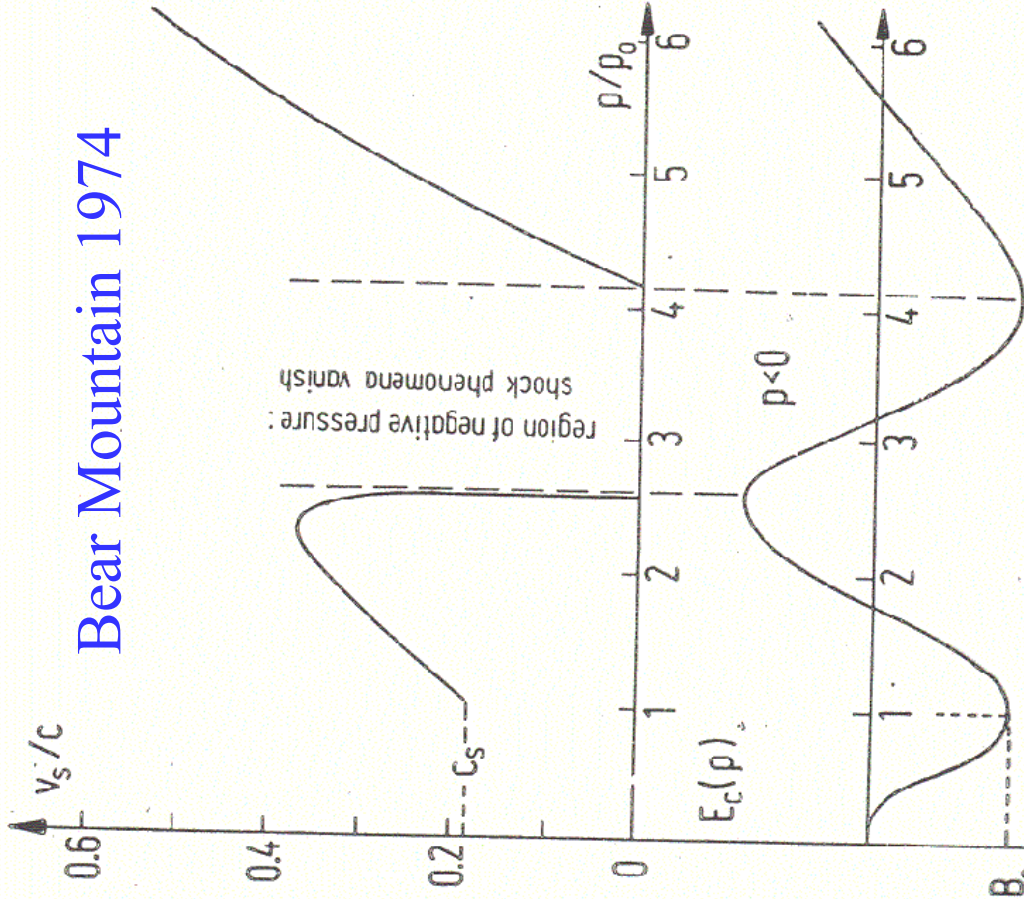
- for each fluid: $j_{(i)}^\mu, T_{(i)}^{\mu\nu}$
- every fluid for itself is in thermal equilibrium
(but not necessarily with the others)
- only the sum of all fluxes is conserved!

$$\partial_\nu j_{(i)}^\mu = \sum_j \partial_\nu j_{(i)}^\mu = \sum_j S_{(ij)} = 0$$
$$\partial_\nu T_{(i)}^{\mu\nu} = \sum_j \partial_\nu T_{(i)}^{\mu\nu} = \sum_j F_{(ij)}^\nu = 0$$

→ 3-Fluid-Modell

- 1 Projektil
- 2 Target
- 3 Fireball (Produced Particles)

Collapse of Baryon Flow signals 1. Order Phase Transition HST, Hofmann, Scheid, Greiner 1974/76



Bear Mountain 1974

Nuclear EoS Lee-Wick ($m=0$) state

VOLUME 36, NUMBER 2

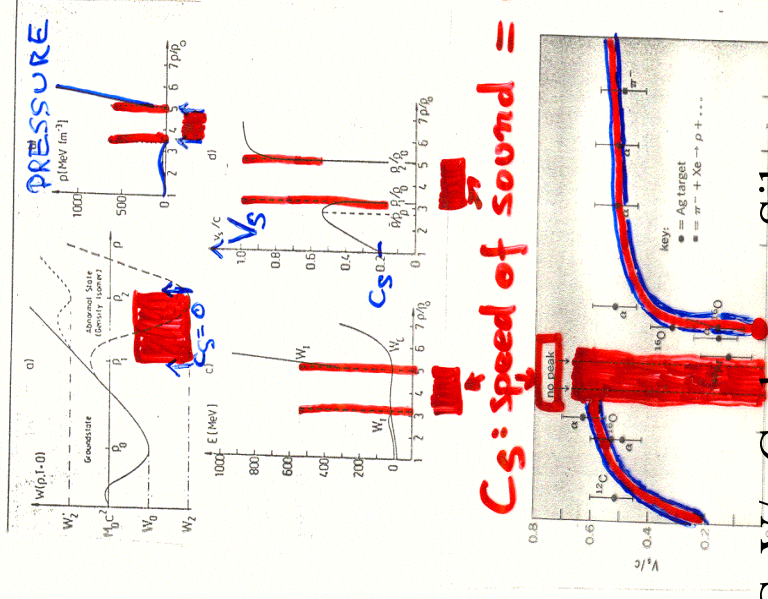
PHYSICAL REVIEW LETTERS

12 JANUARY 1976

Possibility of Detecting Density Isomers in High-Density Nuclear Mach Shock Waves*

Jürgen Hofmann, Horst Stöcker, Ulrich Heinz, Werner Scheid, and Walter Greiner
Institut für Theoretische Physik der Universität Frankfurt am Main, Frankfurt am Main, Germany
 (Received 29 September 1975)

Up to now no experimentally feasible method for detecting abnormal nuclear states has been known. We propose to observe them in high-energy heavy-ion collisions through the disappearance of, or irregularities in, high-density nuclear Mach shock phenomena.



2-4 AGeV/c Carbon on Silver

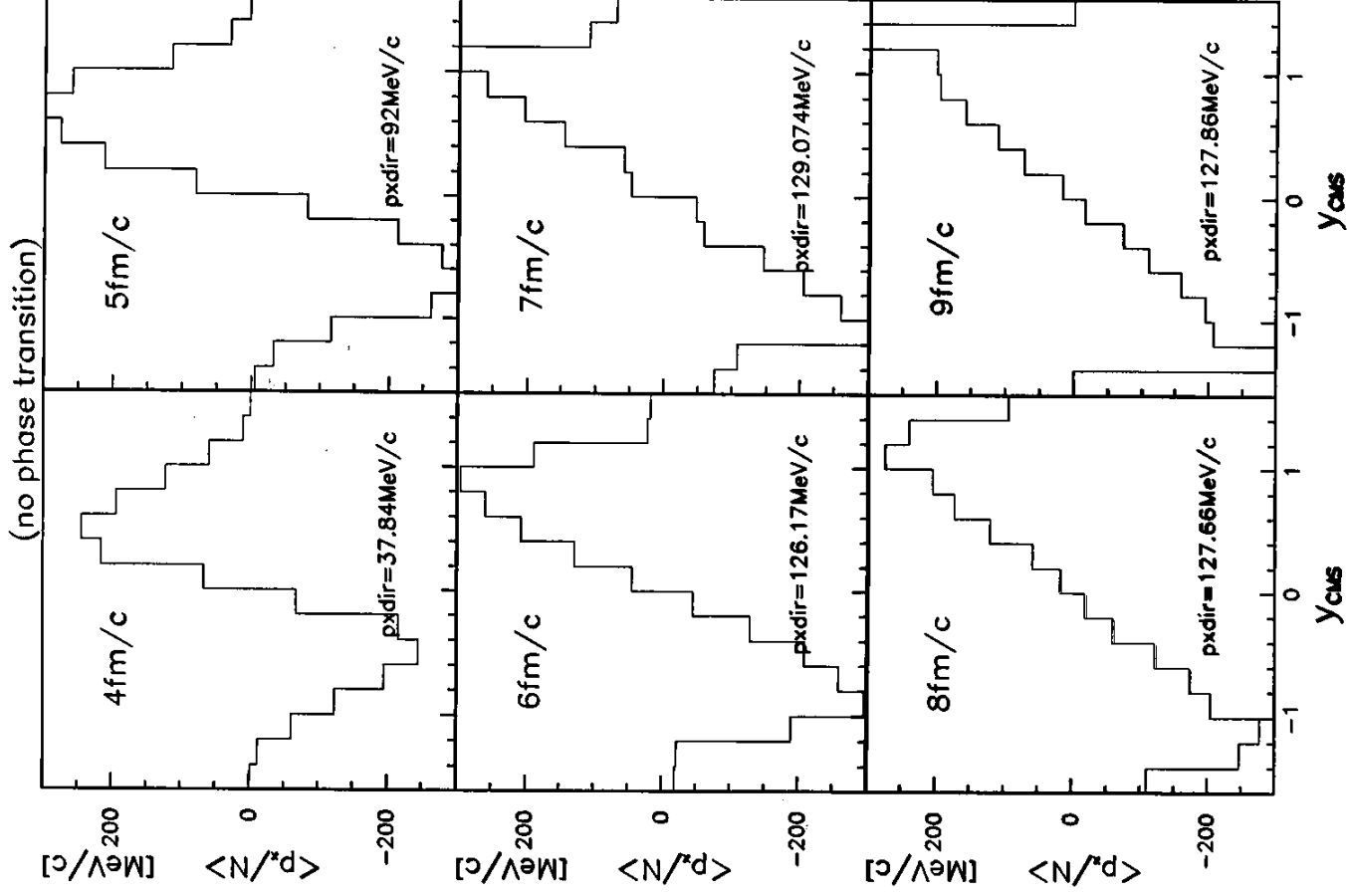


• Hydro:w/o P.T.

proton $v_1 = p_x/pt$
rise linearly

Brachmann,
Paech, Dumitru

8 AGeV, $b=3\text{fm}$, 1-Fluid Model

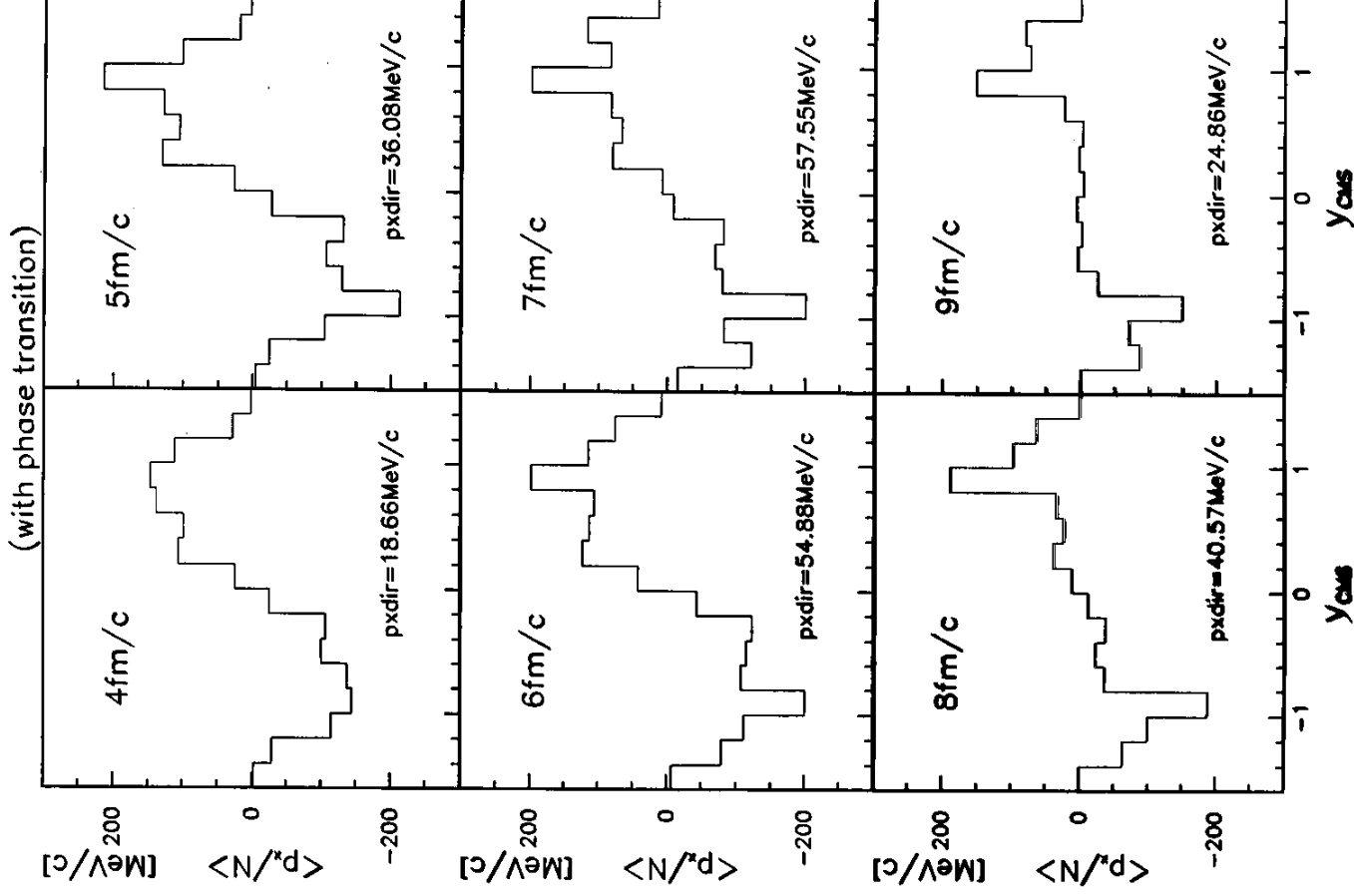


• BUT: Hydro w.
1. Order Phase
Transition:

Collapse of
proton flow!!!

Paech,
Brachmann
Dumitru

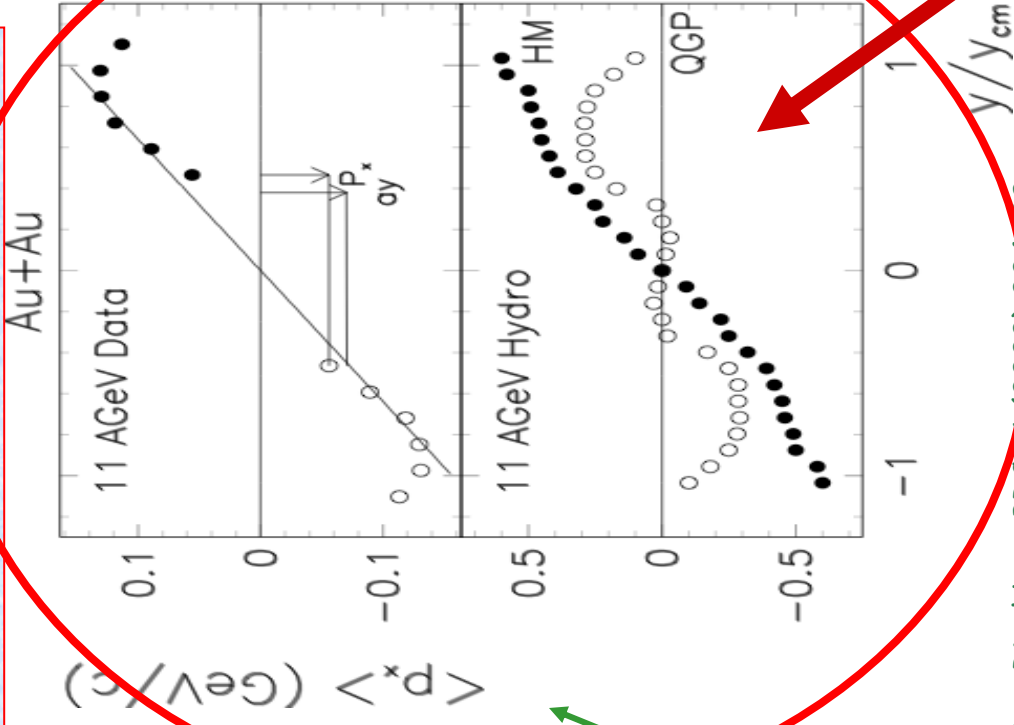
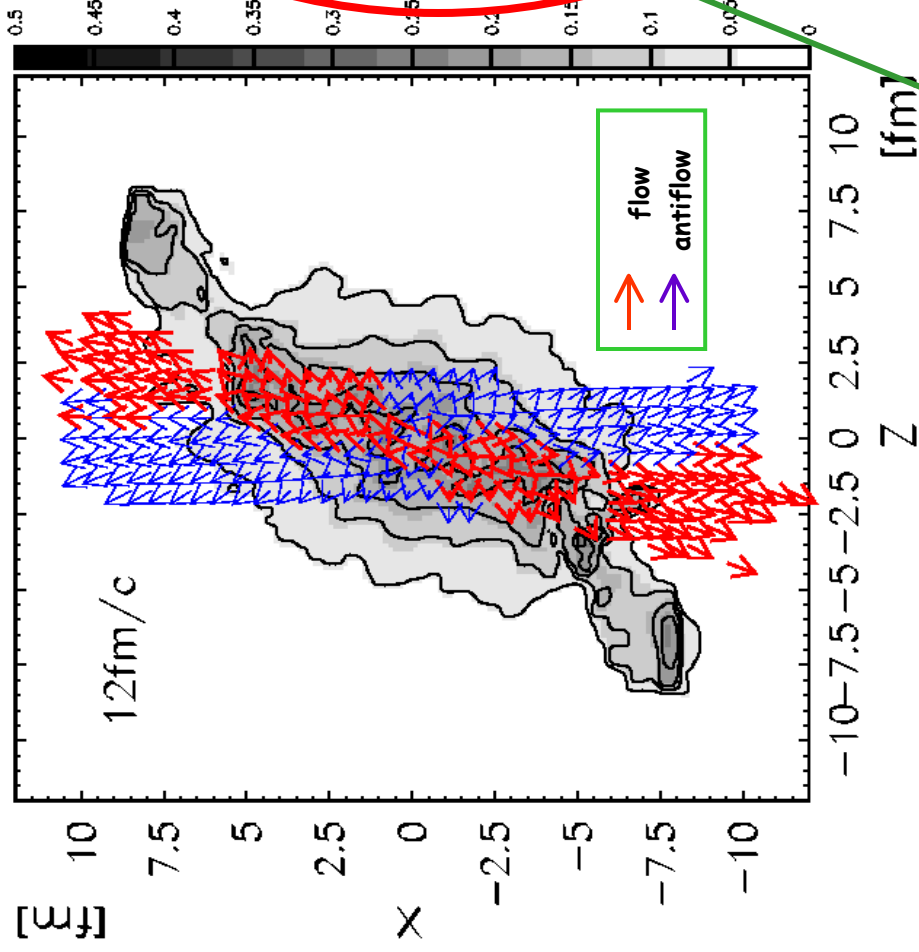
8 AGeV, $b=3\text{fm}$, 1-Fluid Model





Proton Directed flow (v_1) and phase transition

Anti-flow/3rd flow component, with QGP $\Rightarrow v_1$ flat at middle rapidity.



Brachmann, Soff, Dumitru, Stocker, Maruhn, Greiner Bravina, Rischke, PRC 61 (2000) 024909.
L.P. Csernai, D. Rohrlich PLB 458, 454 (1999) M.Bleicher and H.Stocker, PLB 526,309(2002)

Hydro [Csernai, HIPAGS'93]

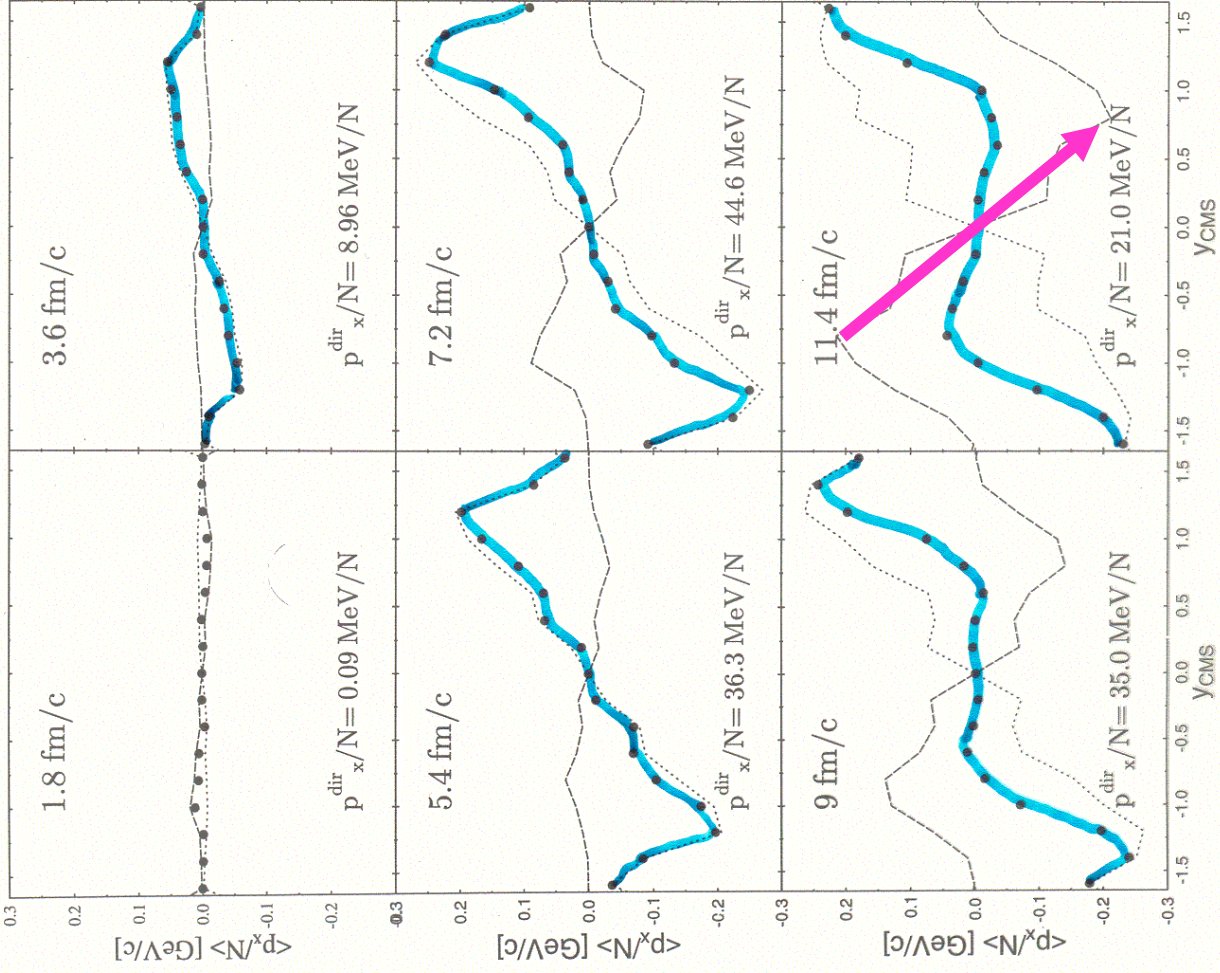
• **Anti-Flow of protons at 11 AGeV**

in hydro as a result of 1. order phasetransition

It is in the protons. Period.

Directed Flow

Au+Au (11 AGeV), 3-Fluid-Model!
(with phase transition)
 $b = 3.0 \text{ fm}$



• px

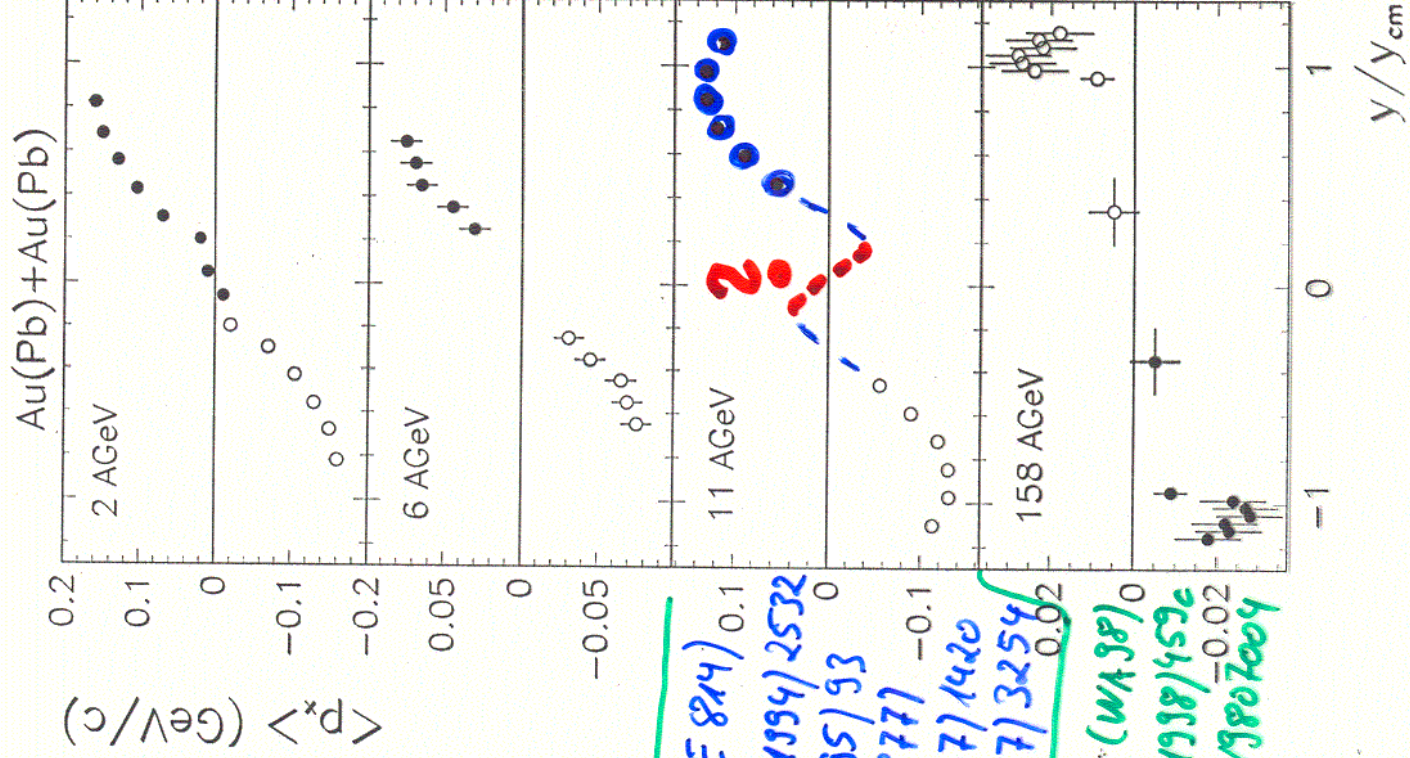
Excitation fct.

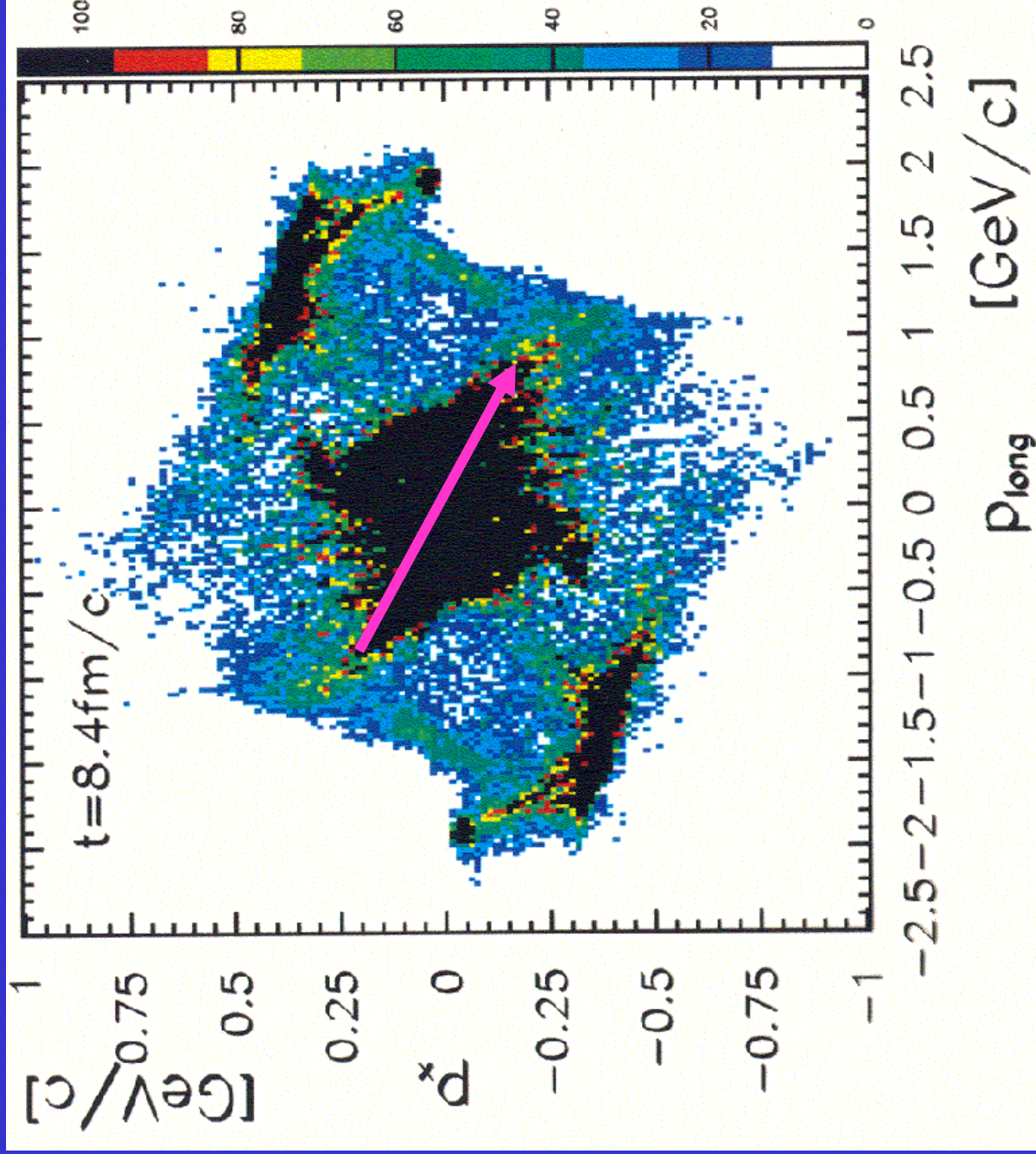
AGS
Csernai &
Roehrich

H. Liu, S. Panitkin,
M. Xu: nucl-th/9807021

J. Barette et al. (E814)
Phys. Rev. Lett. 73 (1994) 2532
Phys. Lett. B 351 (1995) 93
J. Barette et al. (E877)
Phys. Rev. C 55 (1997) 1420
Phys. Rev. C 56 (1997) 3254

M. M. Aggrava et al. (WA98)
Nucl. Phys. A 638 (1998) 459c
nucl-ex/9807004



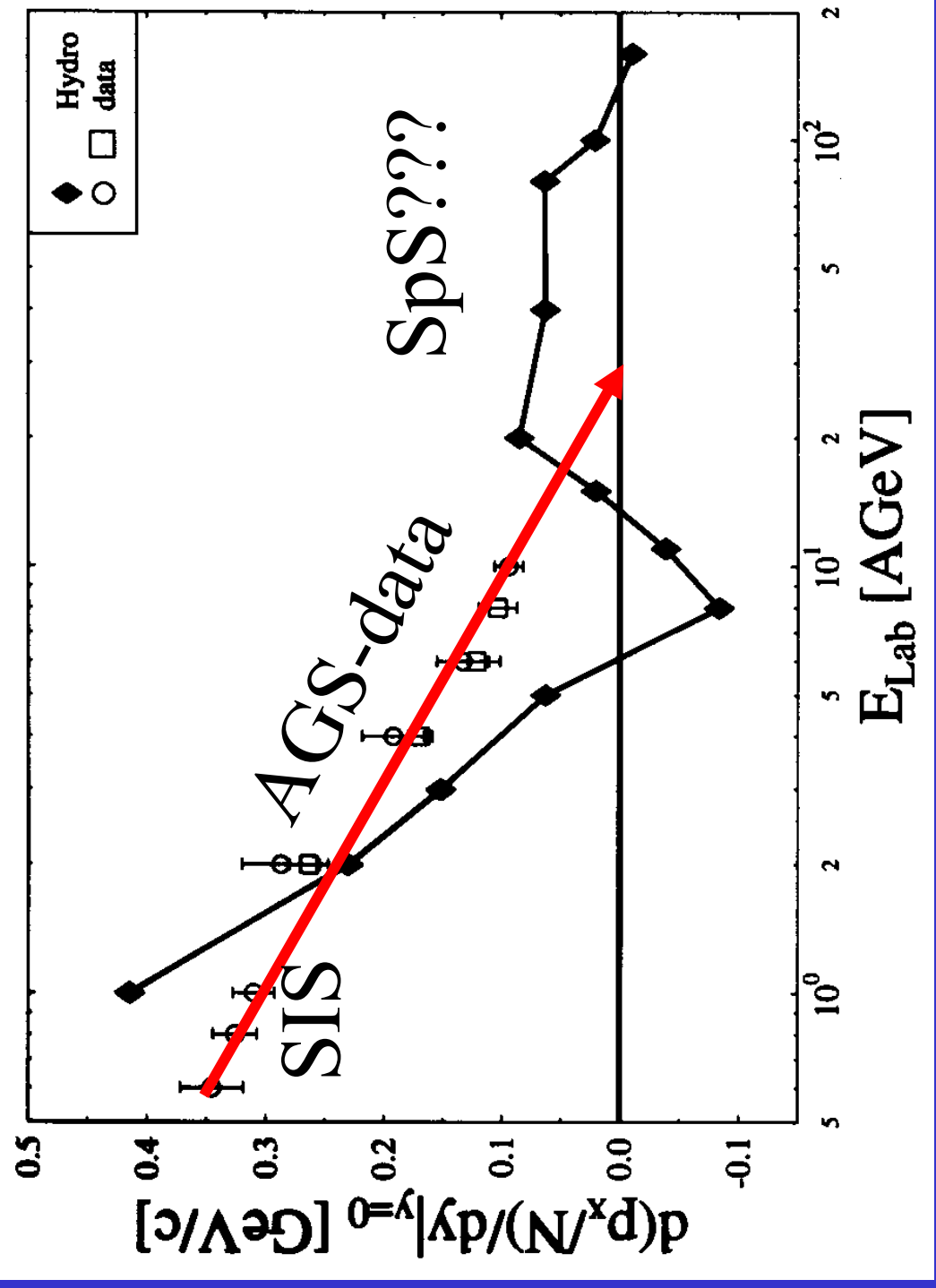


- **Au+Au, 8GeV, $b=3\text{fm}$, Triple differential Cross section**

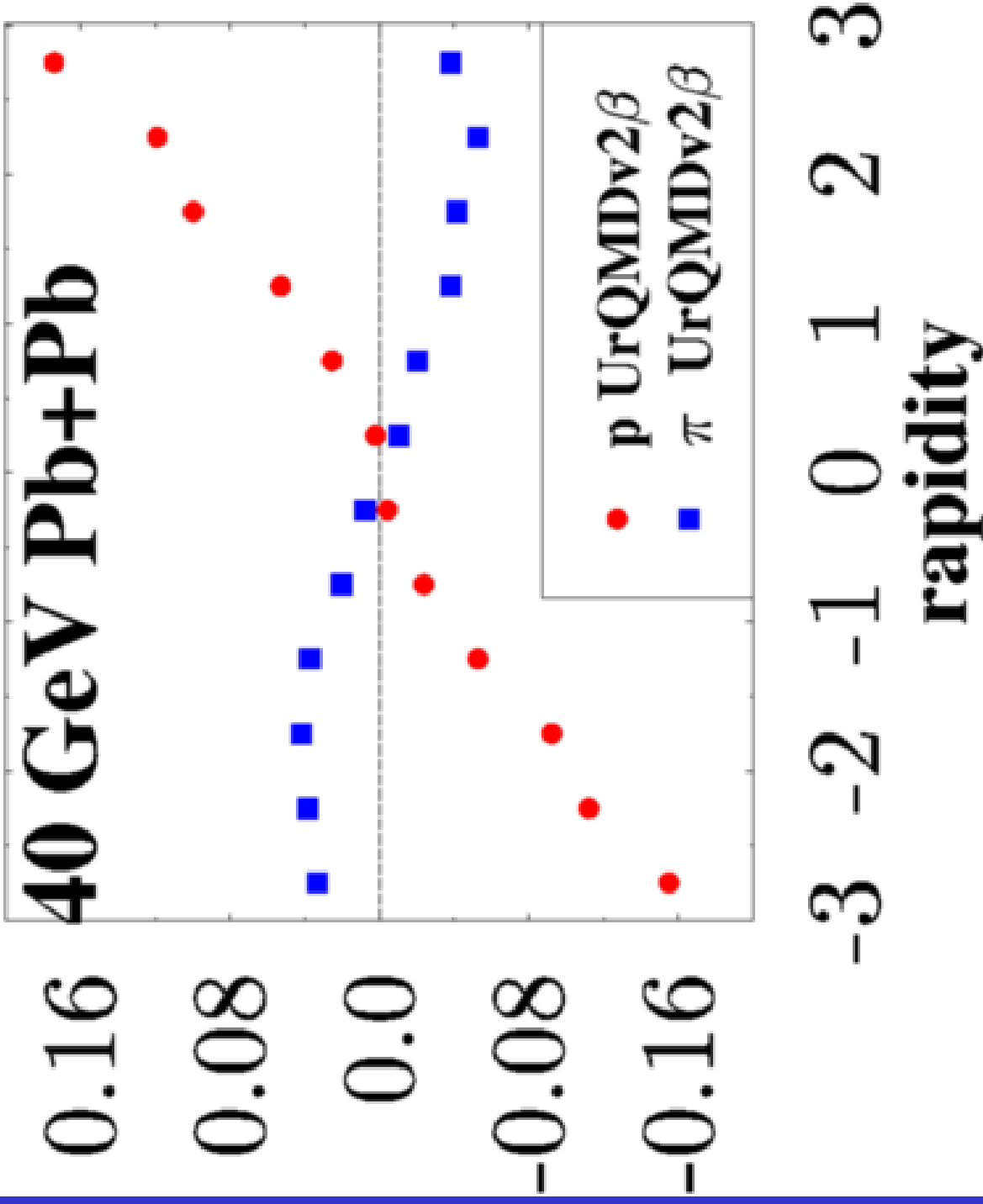


•v1-Excitation Function: 3D-Hydro: Anti-Flow @AGS !!!
 Extrapolated Data: NO! Anti-Flow only @ 30 AGeV ???

Paech, Dumitru



- **Soif:**
UrQMD
Predicts
Proton v1
Rises
Linearly
with Y
& E -
- What do
Data
Say?**

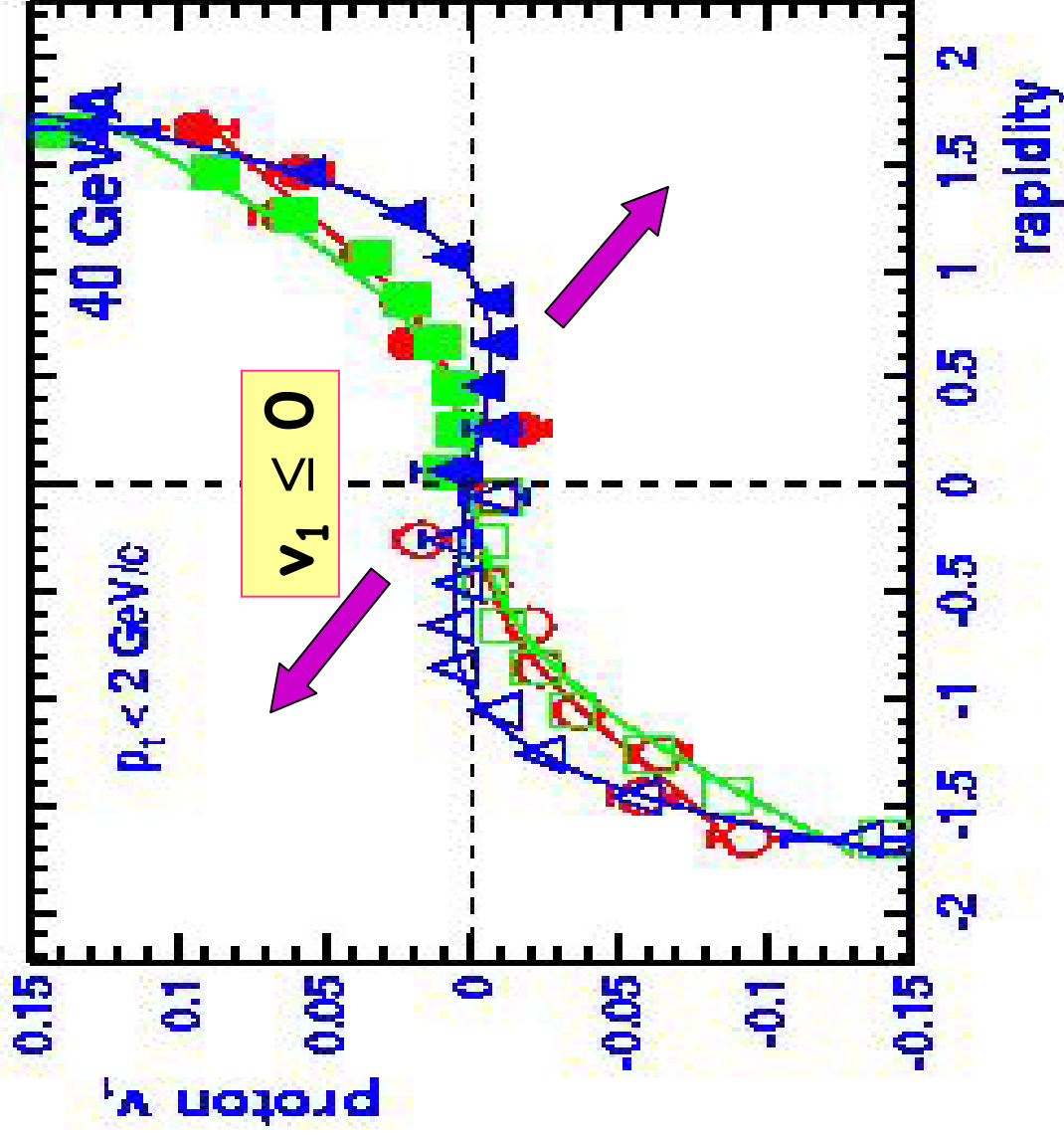


Proton "Anti-Flow" observed in Pb+Pb@ 40A GeV by NA49:



Preliminary

A. Wetzler

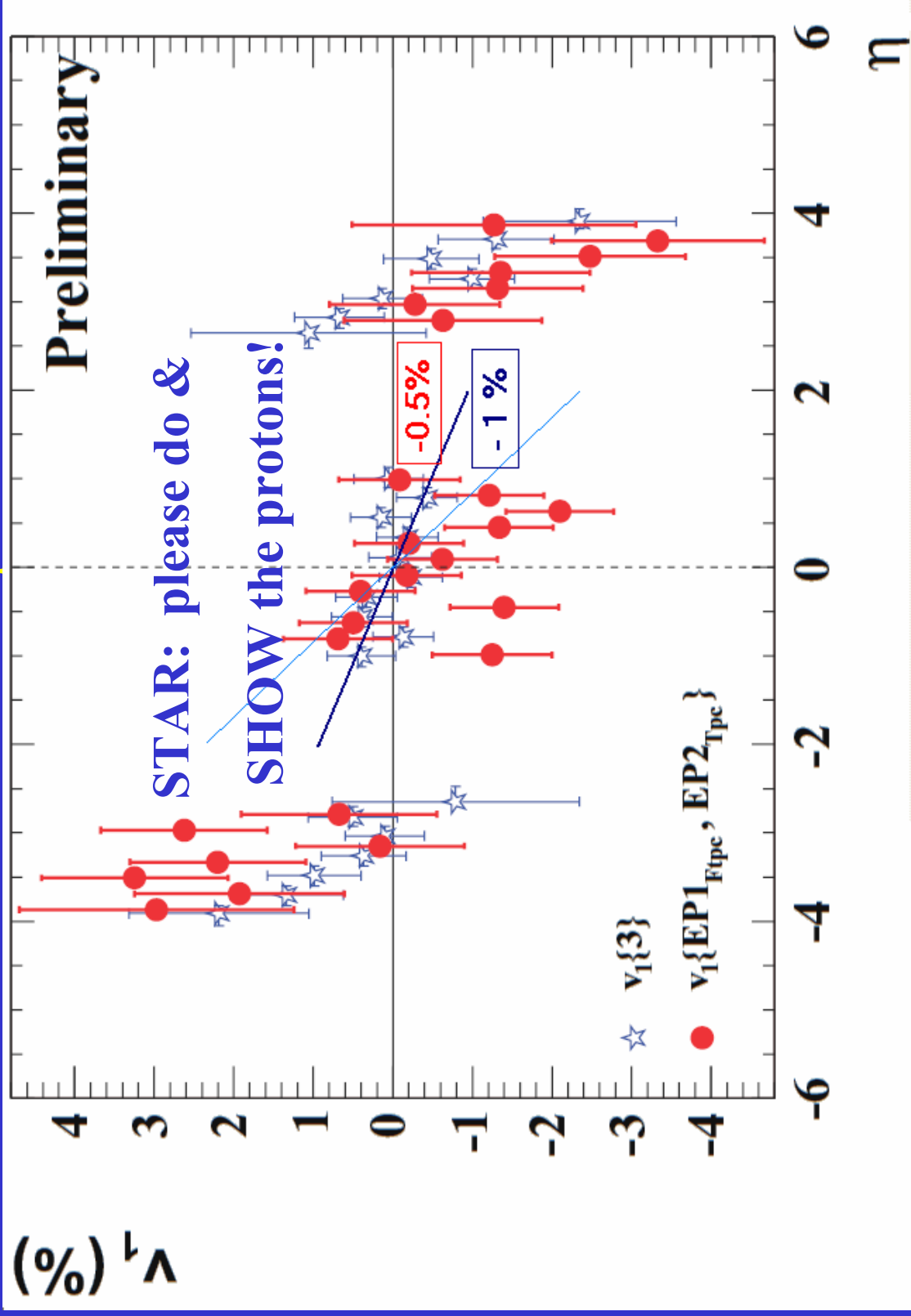


"Anti-Flow" discovered! -> 1. Order Phase Transition!



It is in the protons.
Period.

Pion v1 STAR, M.D.
Oldenburg, QM'04 & nucl-
exp/0403007 v2



- SqueezeOut & Elliptic Flow: v_2 of Protons

$$\langle p_x^2 \rangle - \langle p_y^2 \rangle$$

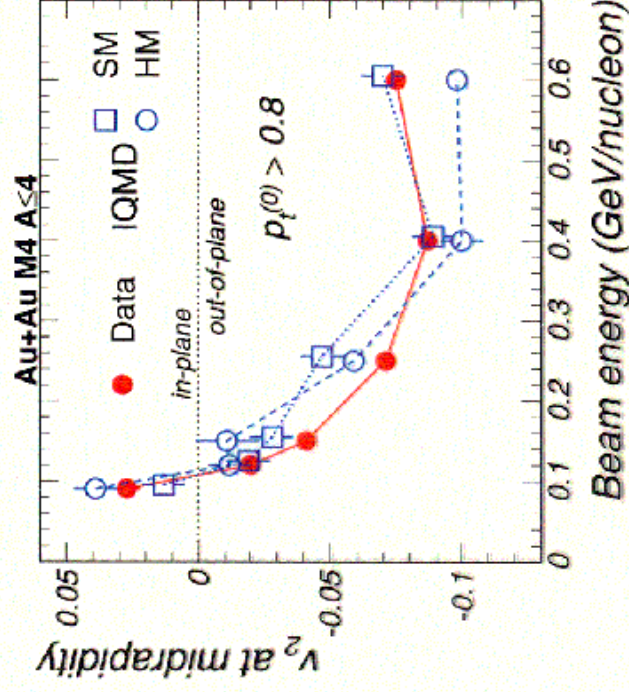
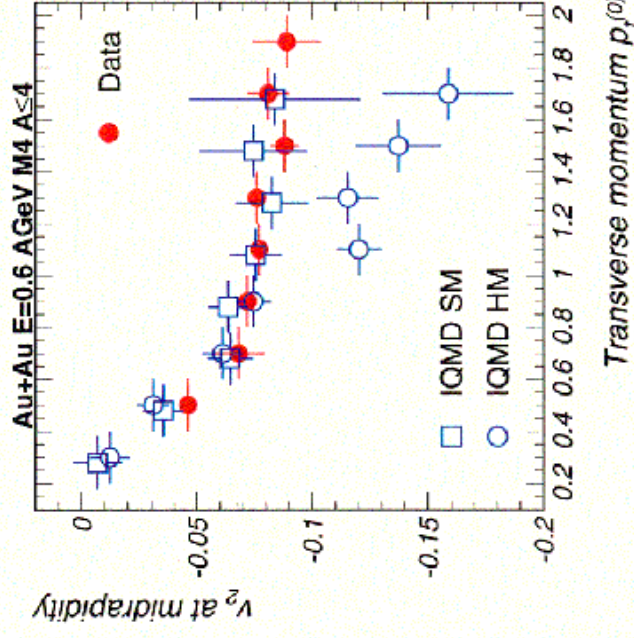
- $v_2 = \frac{\quad}{\quad}$

$$\langle p_x^2 \rangle + \langle p_y^2 \rangle$$



- Proton Elliptic Flow
- v_2 is a barometer!
- FOPI-data vs. IQMD: sensitivity to EOS!

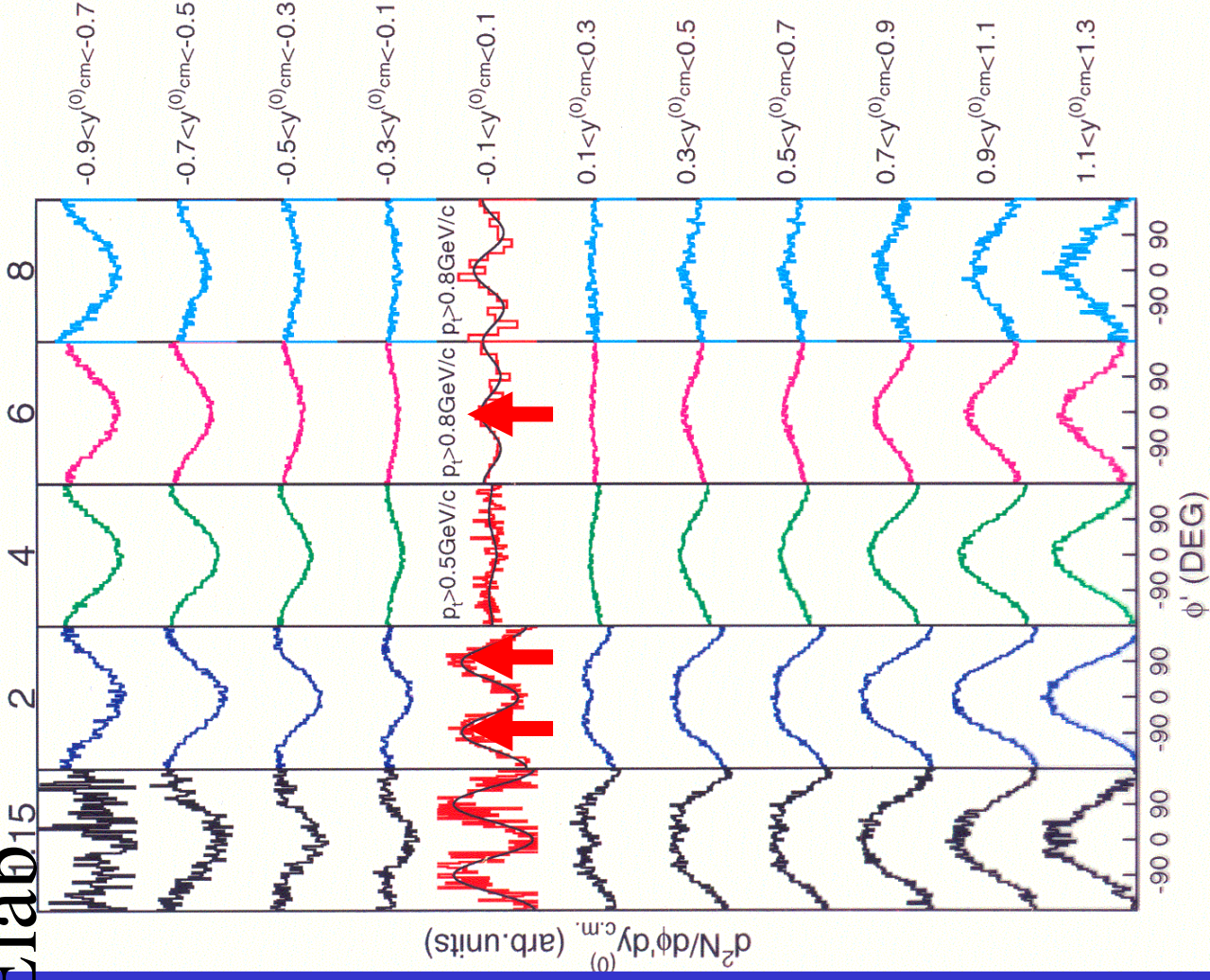
Negative v_2
at SIS & AGS:
Squeeze Out!



Squeeze-Out -> Inplane Flow @ AGS

Elab¹⁵

E895 data

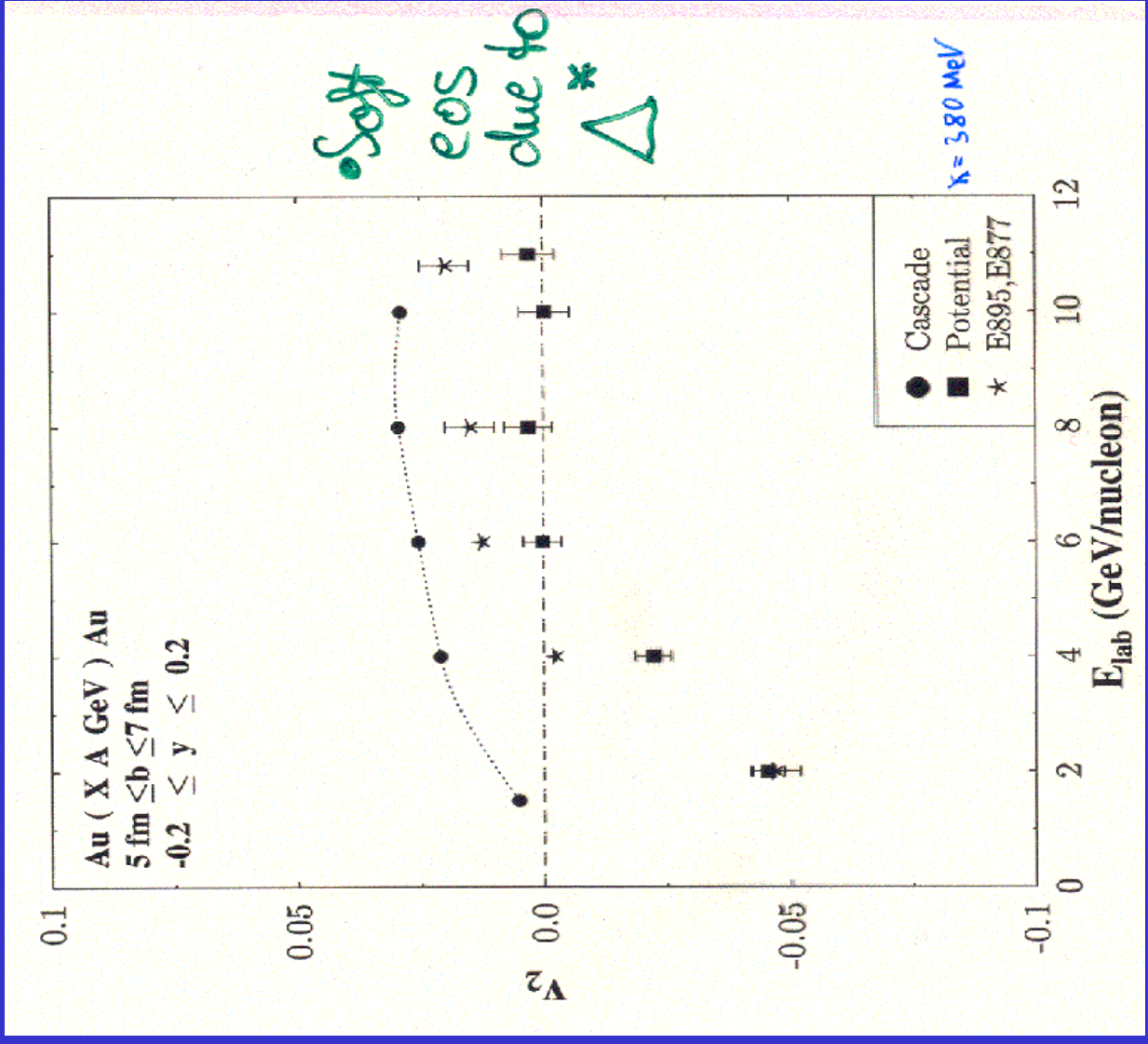


Excitation function of elliptic flow @ AGS

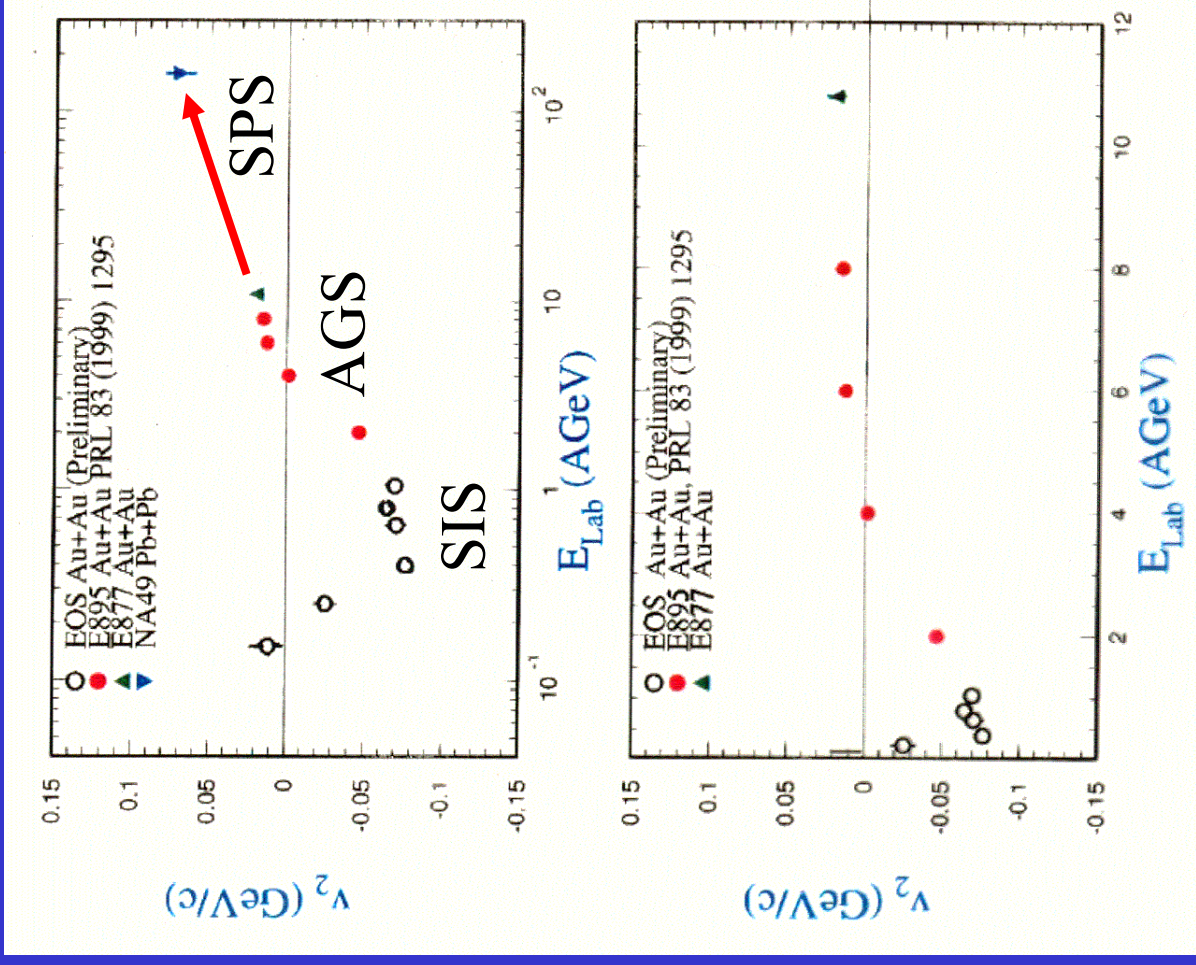
- $V_2 = \langle \cos(2\phi) \rangle = (p_x^2 - p_y^2) / (p_x^2 + p_y^2)$

• v_2 changes sign at 6 AGeV, then:

smooth increase predicted by hadronic models
UrQMD! S. Soff



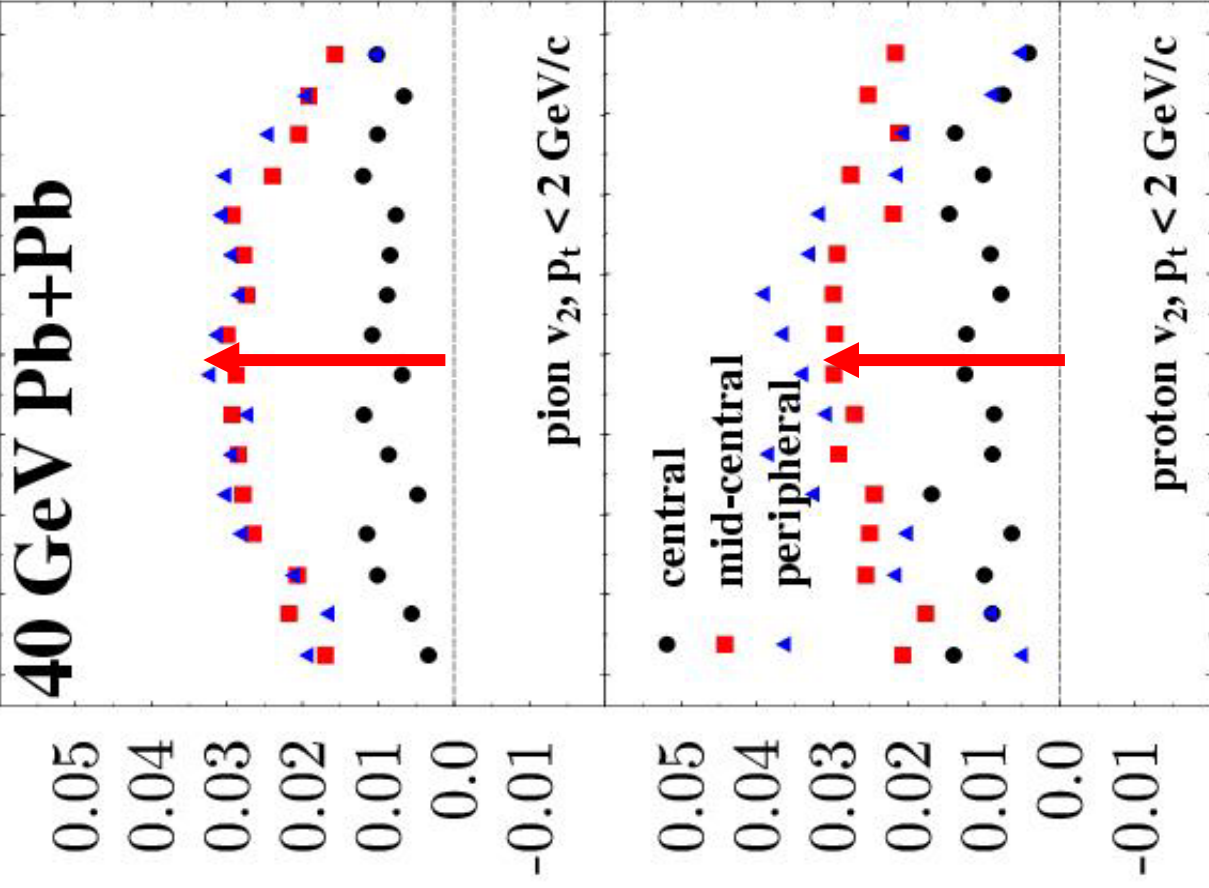
• $v_2(\text{Elab})$: Elliptic flow excitation function



UrQMD:

Expect
Smooth
Increase
of $v_2 > 0$
above
6 AGeV



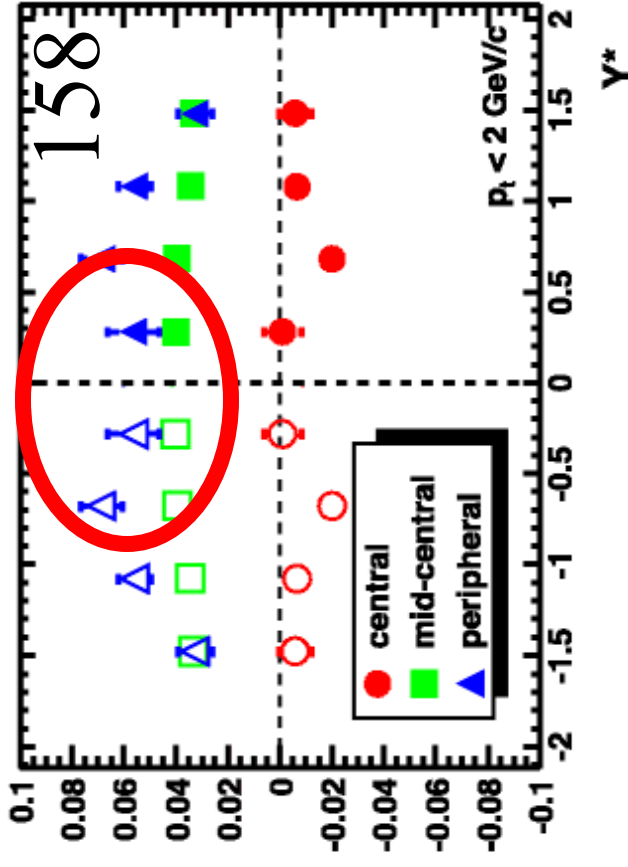
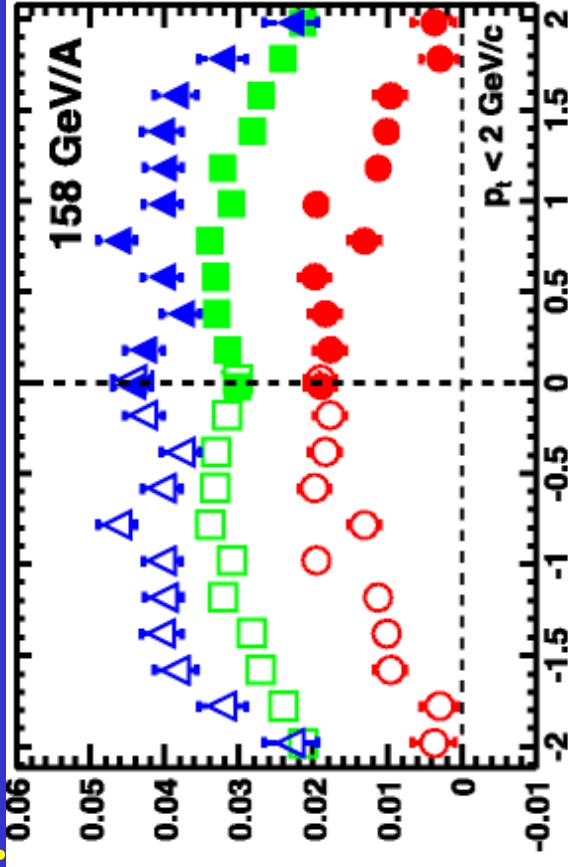
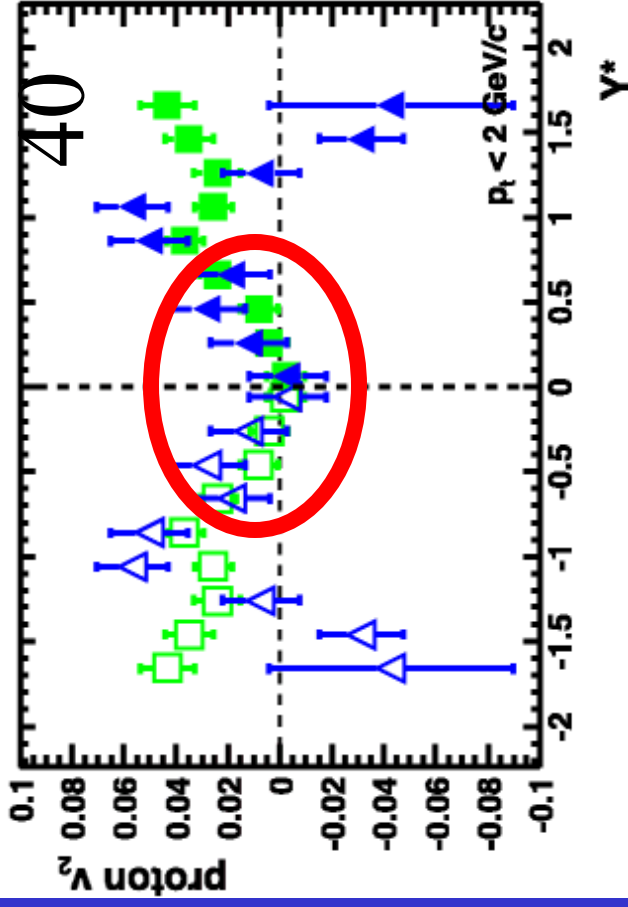
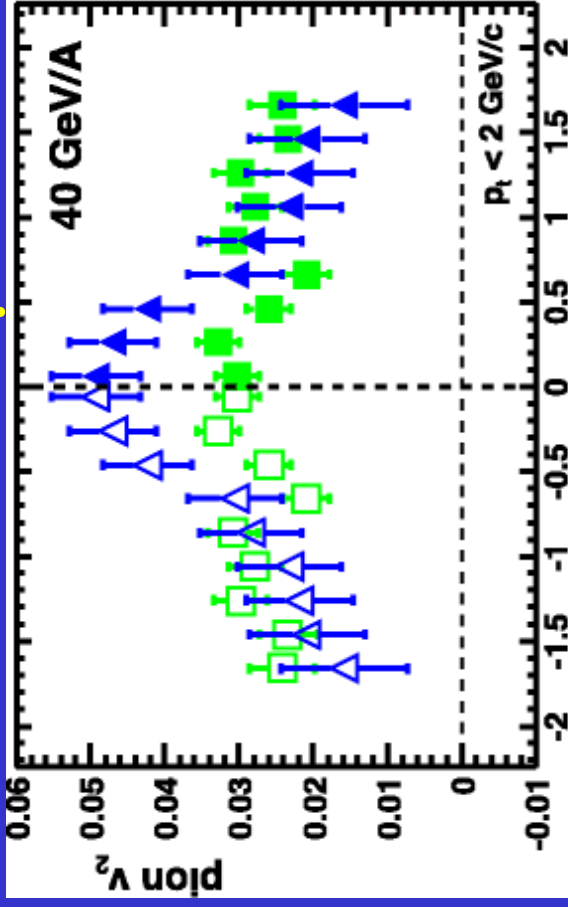


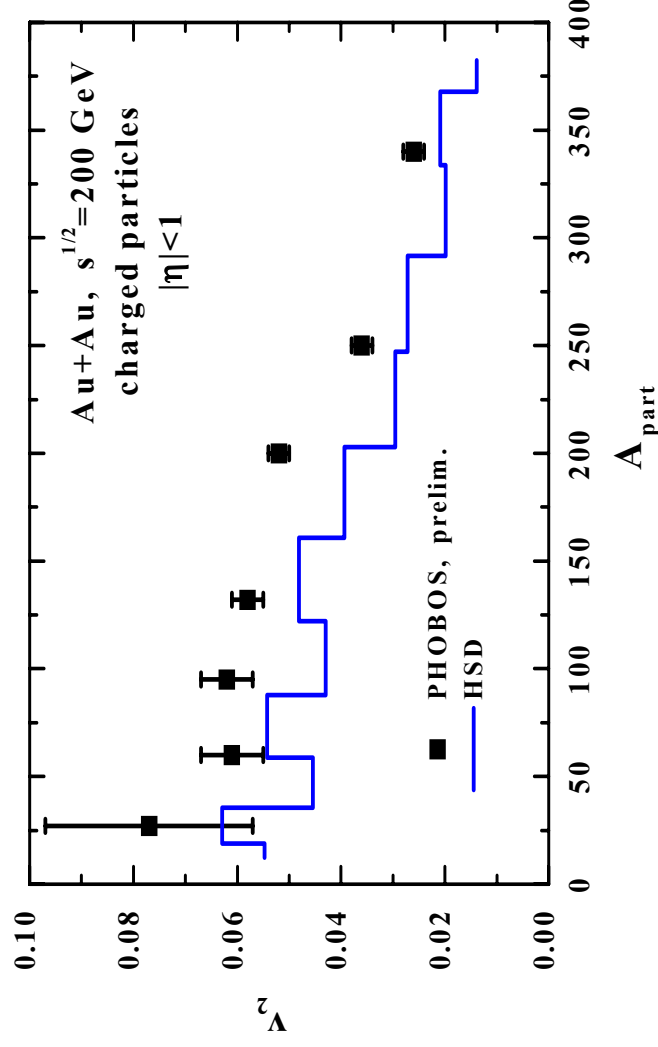
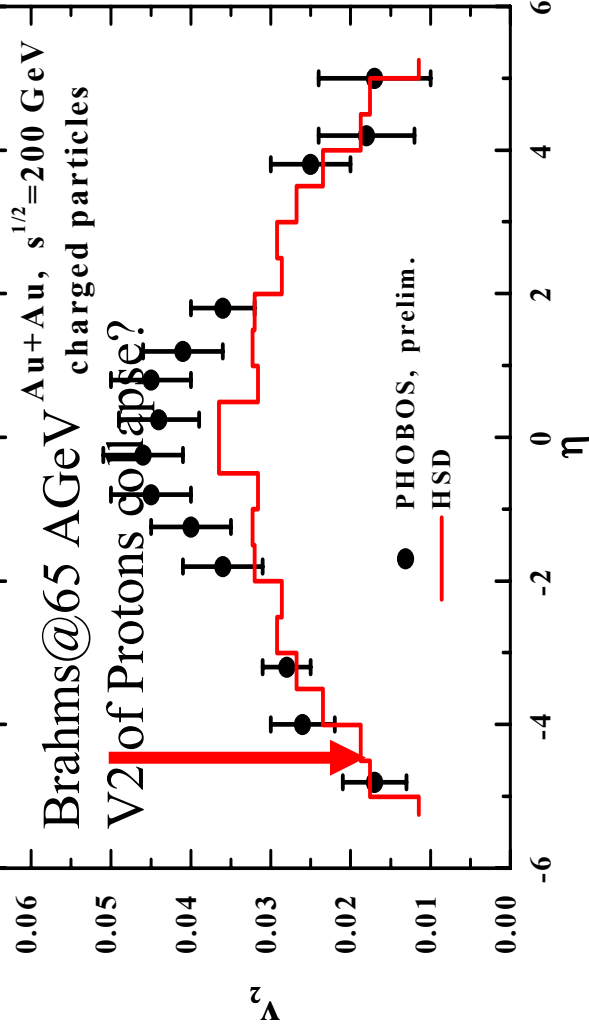
PIONS

V2:40AGeV
UrQMD

Protons
S. Soff

• NA49: Collapse of V_2 (protons) at 40 AGeV





• v_2 of all
charged particles
at RHIC
Phobos- data

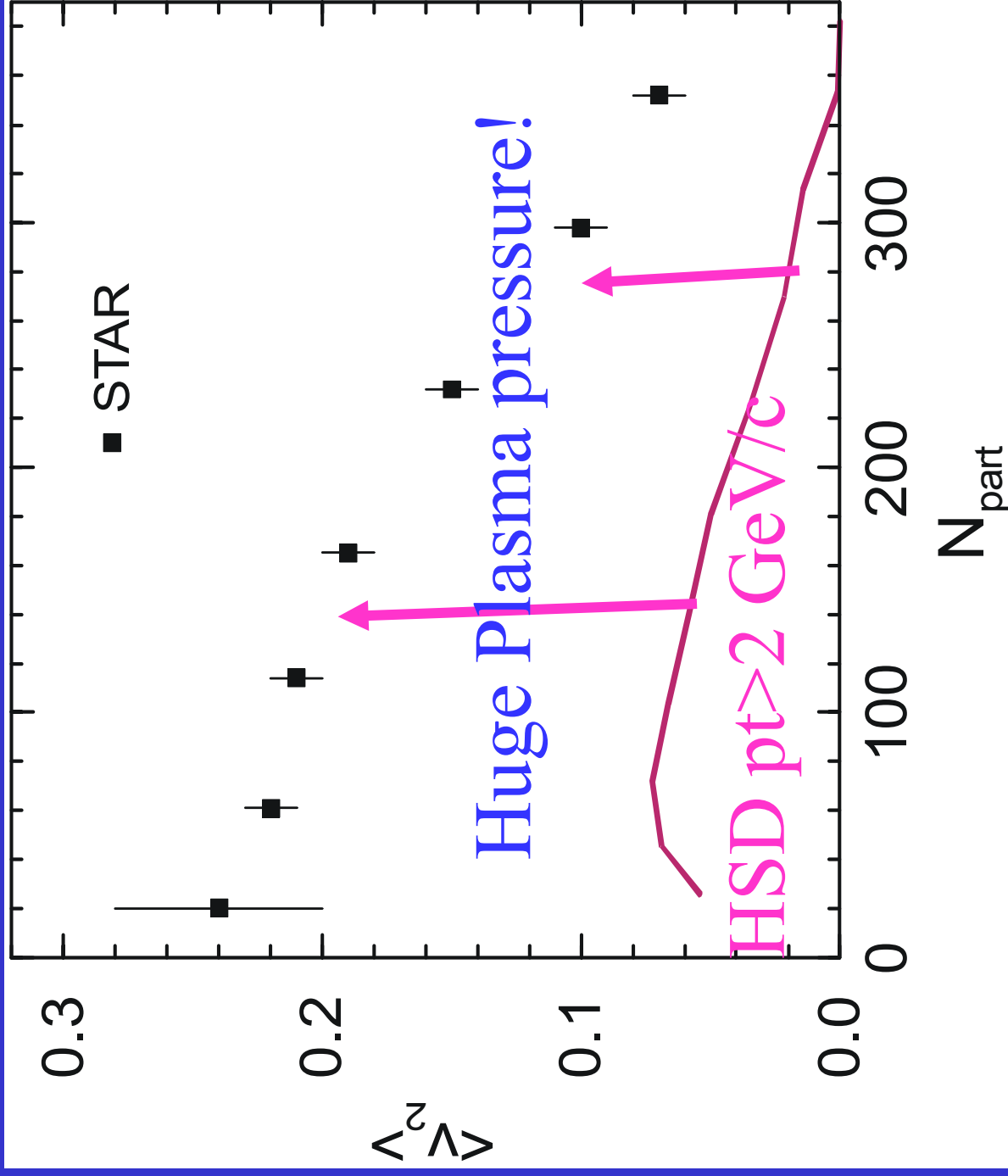
It is in the protons.

Bratkovskaya,
H.ST, Cassing,
HSD,
 $\tau=0.8$ fm/c



• $\langle v_2 \rangle$ of high pt particles:

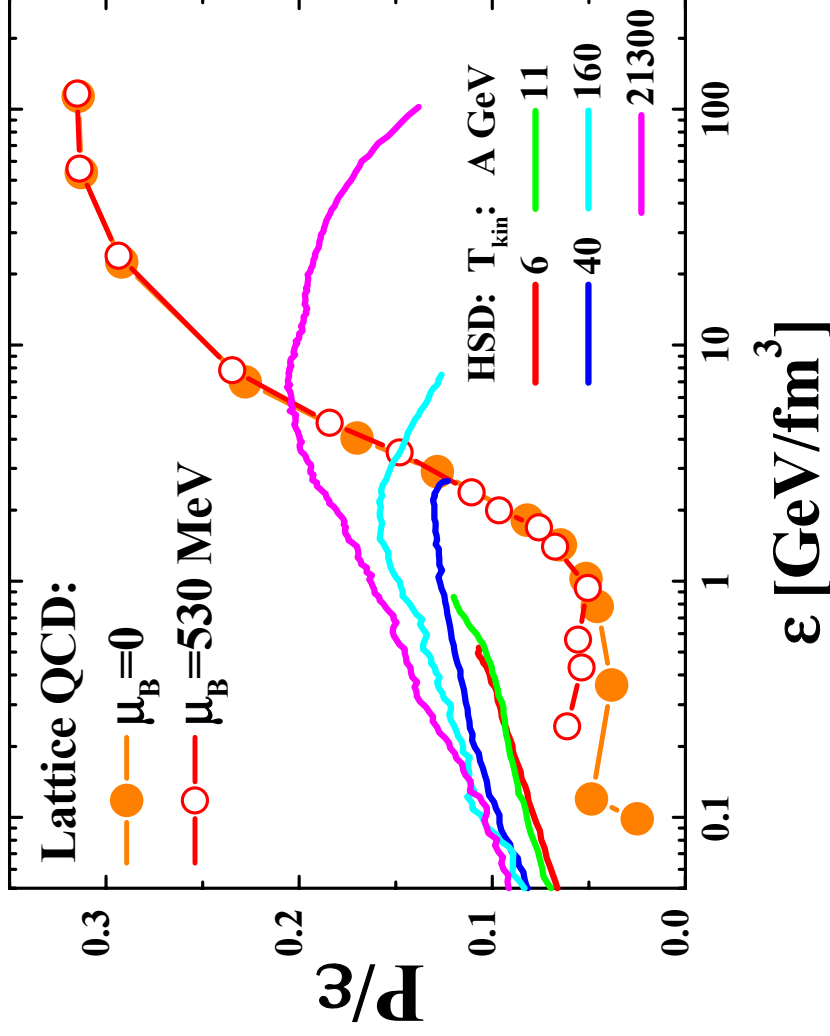
Factors 3-5 from plasma pressure!



Cassing, Gallmeister, C. Greiner, HSD



•Pressure: LQCD & hadron-string model (HSD)



Note: ONLY qualitative comparison, since LQCD results correspond to the equilibrium situation, whereas HSD results correspond to the non-equilibrium / or approximate equilibrium situation

Here HSD pressure $P=3P_{xx}$ - valid only in equilibrium!

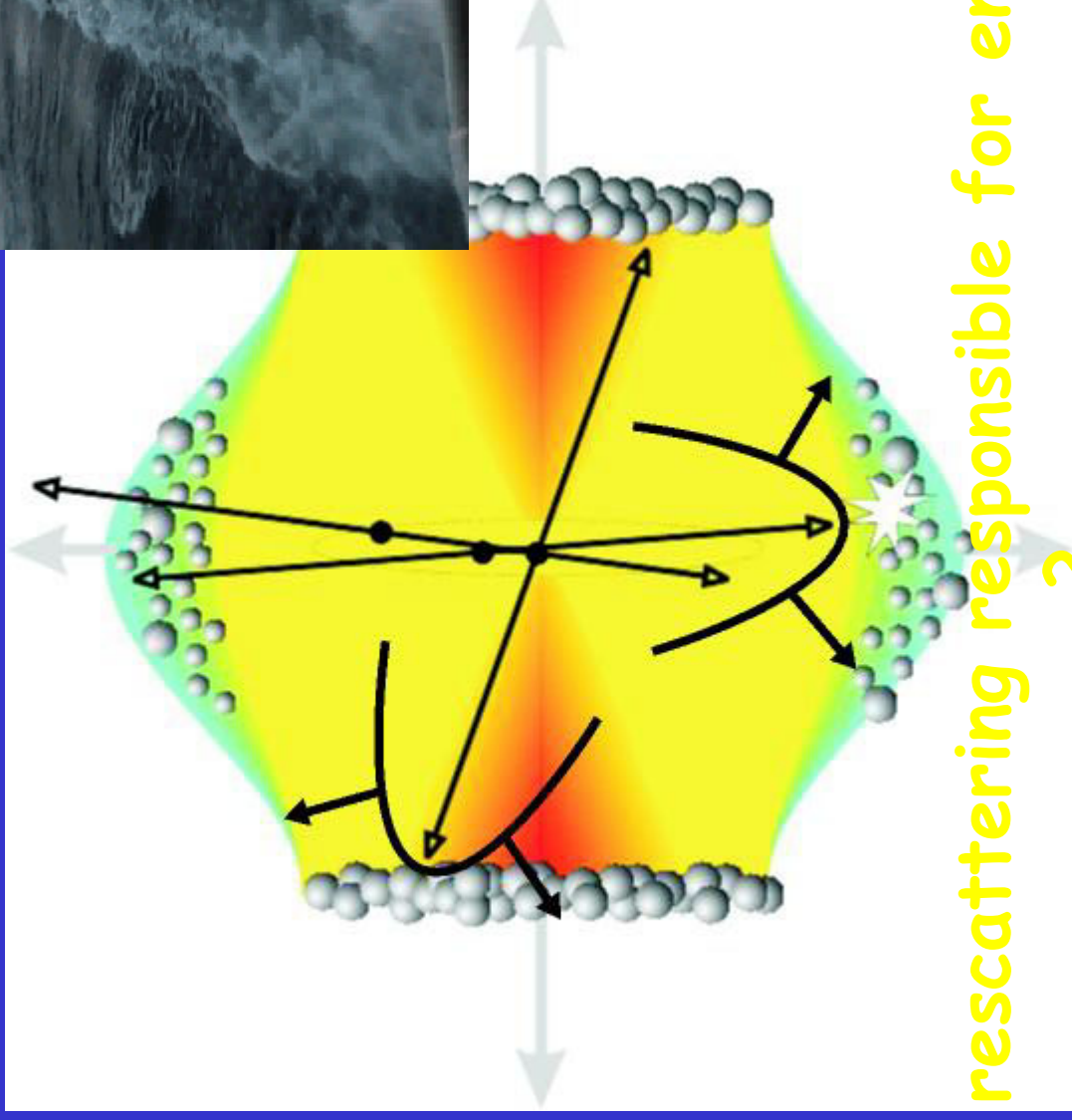
➤ The hadron-string picture does not generate enough initial pressure!



- Jets interact in the plasma, causing wakes and bow waves $c_s/v_{jet} = \cos(\alpha)$ rel. to jet-axis



$C_s = 0.2$ in N.M.
 $C_s = 0.57$ $m = 0$



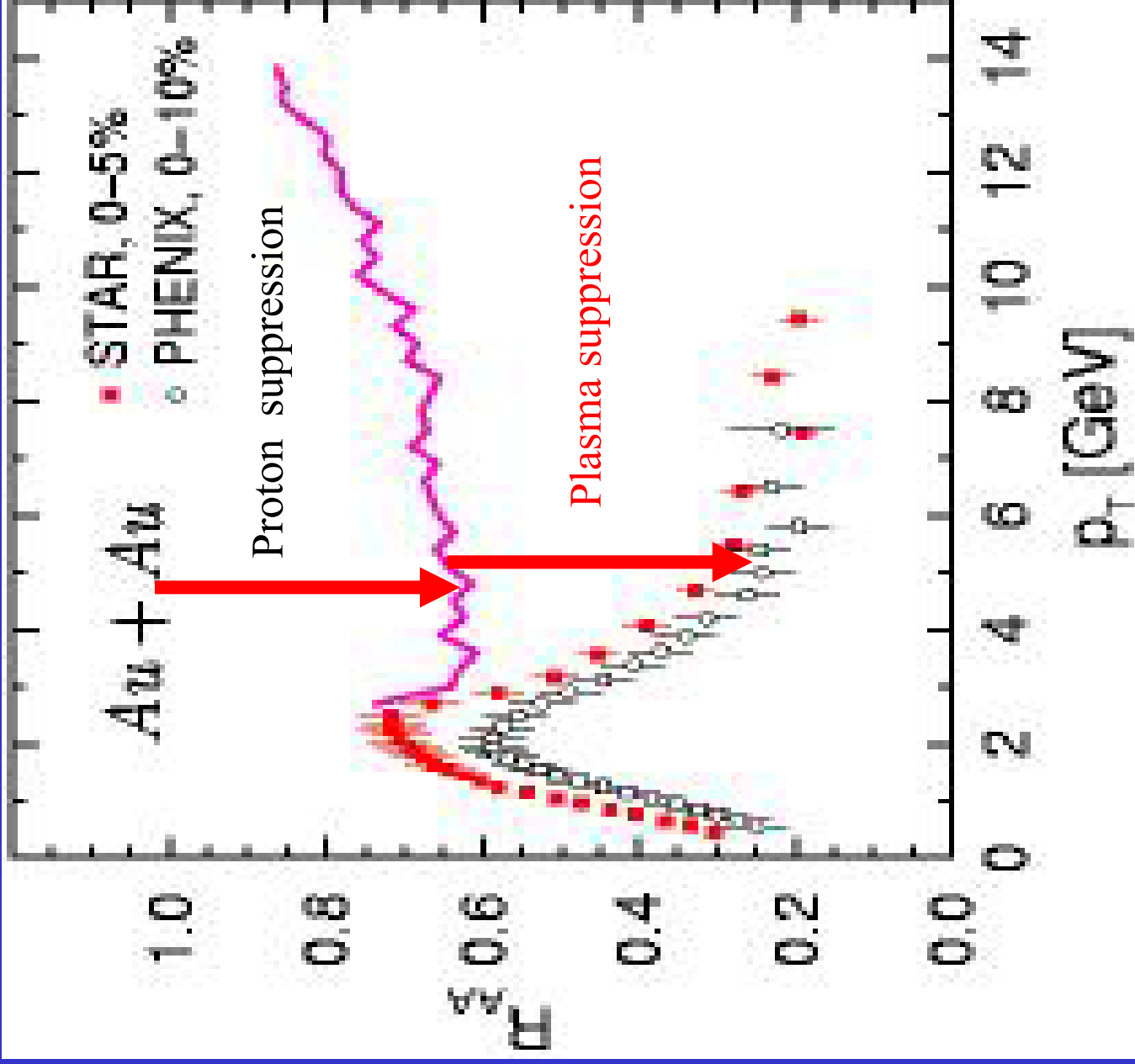
- Hadronic rescattering responsible for energy loss ?

Cassing
Gallmeister
C. Greiner

HSD: expansion
of small color
transparency
configuration

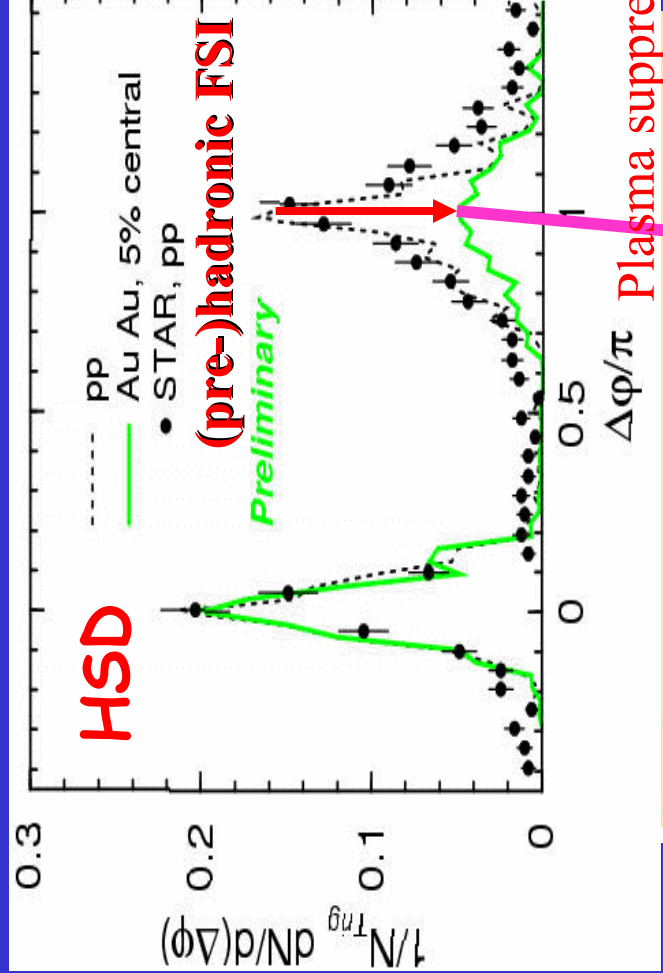
too little
quenching!

QGP needed!

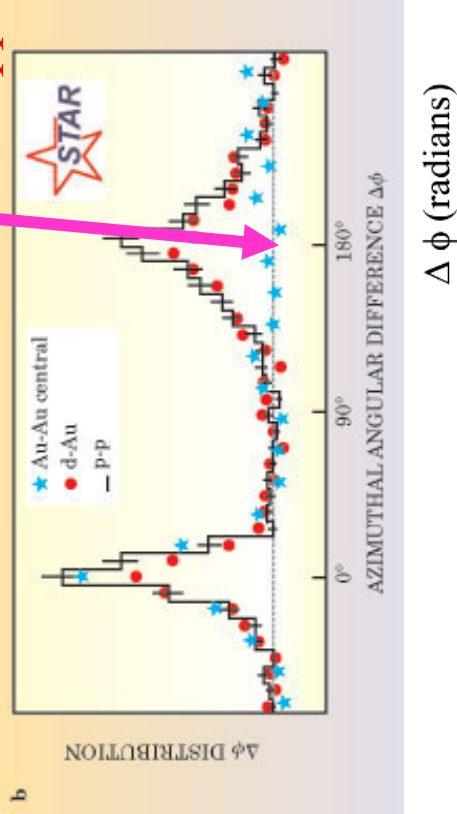


How much of Jet quenching is due to (pre-)hadronic FSI?

- p-p jet angular correlations o.k.
- near-side jet angular correlation ok for central Au+Au



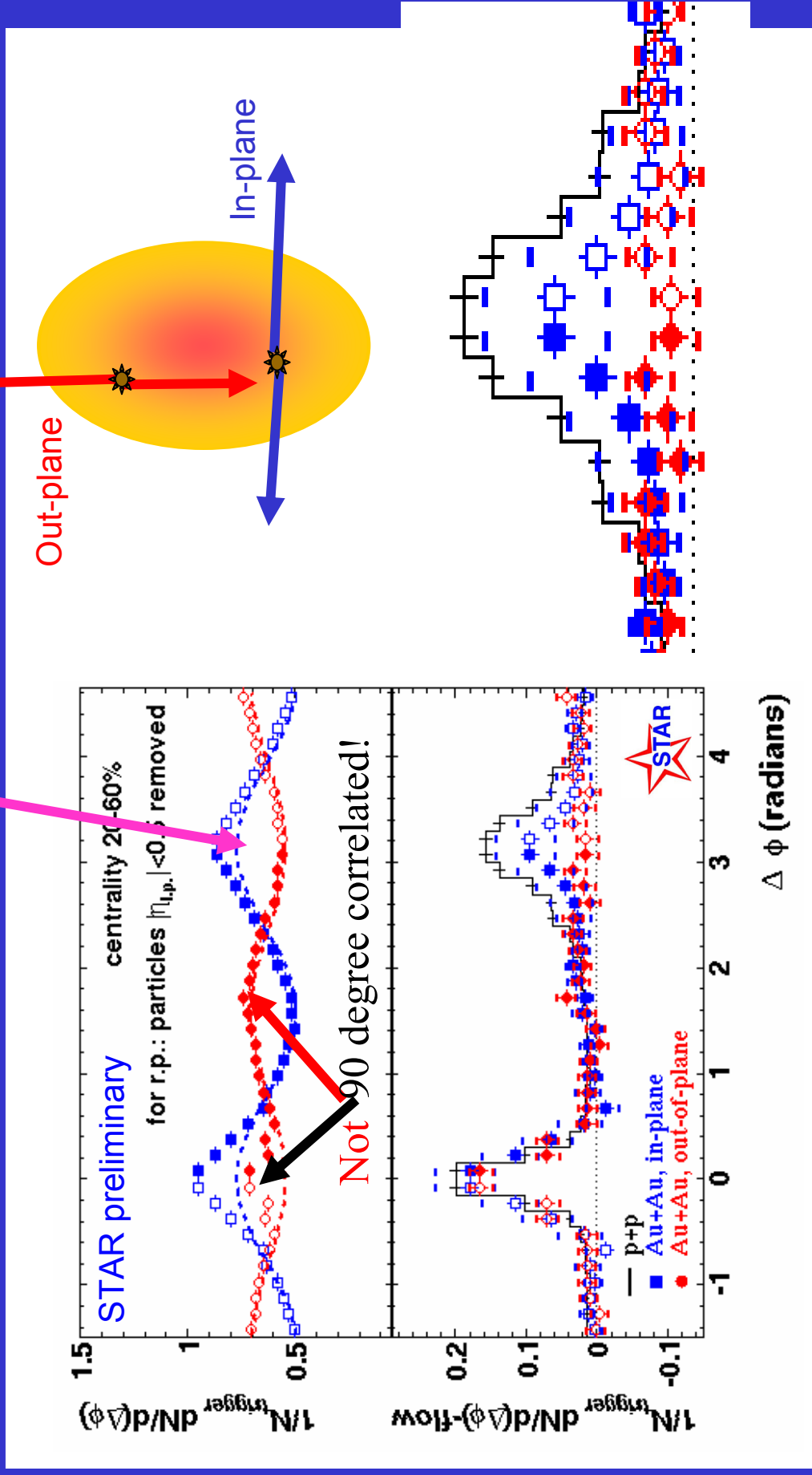
- Way Too little suppression of far-side HSD-jet by hadrons !



W. Cassing, K. Gallmeister and C. Greiner,
 hep-ph/0403208, QM'04 Proceedings



- High- p_T correlations: in-plane vs. out-of-plane
Do jets fake large “ v_2 ” values by wake-riding?



Is the v_2 in protons?

K. Filimonov, DNP03 K.Schweda, QM04



- **Thermodynamics in the T-mu plane**
- **1. order phase transition at high μ_B :**
- **v_1 & v_2 at SIS-AGS-SPS: Collapse of Proton Flow**
- **Signals 1. order phase transition**
- **observe 1. order transition by collapse of proton flow at $y=3$ @ RHIC 65 AGeV!**
- **Strong collective flow at RHIC signals QGP at $\mu=0$**
- **How much jet quenching due to Hadron FSI?**
- **Do jets fake large v_2 values observed?**
- **Use jet-induced Mach-cones to**
- **measure c_s of plasma!**



• Thank You!!!

Elena Bratkovskaya, GSI& ITP J.W. Goethe- Univ.
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Henning Weber, Z. Xu
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Steffen Bass, Duke University
B. Tavares, L. Portugal, C. Aguiar, T. Kodama, UFRJ, Rio

