Dilepton pair production at the LHC

Kai Hencken



Physics at LHC



13-17 July 2004 . Vienna . Austria

Introduction: Overview

Aspect of e^+e^- (and $\mu^+\mu^-$) pair production at relativistic heavy ion collisions

- Total cross sections for pair production.
- Behavior of probability at small *b*.
- Strong field effects: Multiple pair production, unitarity corrections, Coulomb corrections.
- Measurement at RHIC: Pair production at small b.
- Inelastic pair production: Loss process and Probing ions with virtual photons.

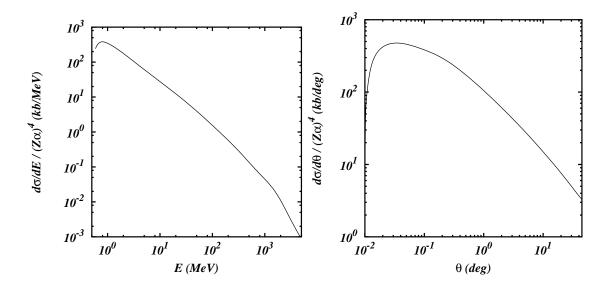
Pair Production at RHI Collisions

- Cross section for e^+e^- large for relativistic HI collisions.
- Using Racah formula (Racah 1937)

$$\sigma = \frac{Z^4 \alpha^4}{\pi m^2} \frac{28}{27} \left(\ln^3 \gamma^2 - 2.19 \ln^2 \gamma^2 + \cdots \right)$$

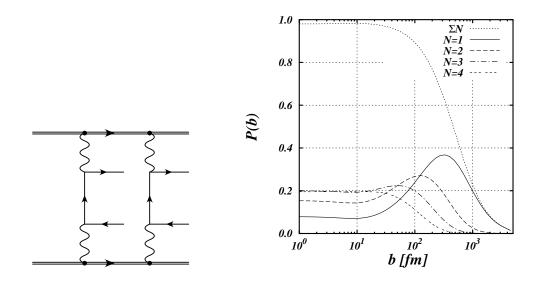
200kbarn for PbPb at LHC, 700 barn for CaCa at LHC, 30kbarn for AuAu collision.

- 10^7 pairs/s for Pb-Pb. 10^9 pairs/s for Ca-Ca.
- Due to strong electromagnetic field and small mass.
- Differential cross section peaks at forward direction, moderate invariant masses.



Application of pair production

- Potential background to detectors.
- Studied for ALICE for the internal trigger system:
 K. Hencken , S. Sadovsky, Yu. Kharlov, ALICE-INT-2002-27
- ITS most sensitive due to sensitivity to small pt and curling of the pairs.
- Of interest as a possible luminosity measurement both in central and forward region. Telnov et al., Piotrzkowski et al.
- Theoretical interest: Multiple pair production, Coulomb corrections.
- Lowest order results violate unitarity: P(b) > 1: Multiple pair production.



General overview: G. Baur et al., Physics Report 364, 359 (2002).

Work done together with V. Serbo (U Novosibirsk)

- Find analytic expression for P(b) at small b.
- For $b > \lambda_c \approx 400$ fm EPA suggests: For $1 \ll m\rho = b/m_e \le \gamma$:

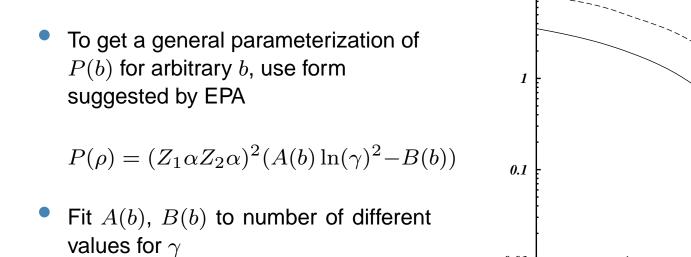
$$P(\rho) = \frac{28}{9\pi^2} \frac{(Z_1 \alpha Z_2 \alpha)^2}{(m\rho)^2} \left[2\ln\gamma^2 - 3\ln(m\rho) \right] \ln(m\rho),$$

and for $\gamma \leq m\rho \ll \gamma^2$,

$$P_{\rm B}(\rho) = \frac{28}{9\pi^2} \frac{(Z_1 \alpha Z_2 \alpha)^2}{(m\rho)^2} \left(\ln \frac{\gamma^2}{m\rho} \right)^2$$

• For $b < 1/m_2$, $\rho < 1$, P(b) was calculated numerically in lowest order QED.

Parameterization of $P(\rho)$



Can be used to calculate multiple pair production cross sections as well as unitarity corrections via

$$C(n) = \frac{1}{n!} \int_{\rho_m in}^{\infty} A(\rho)^n d^2 \rho$$

10

0.01

0.01

0.1

via

$$\sigma(n) = C_n \frac{(Z_1 \alpha Z_2 \alpha)^{2n}}{m_e^2} \ln(\gamma^2)^n \qquad \sigma_{unit} = -2C_2 \frac{(Z_1 \alpha Z_2 \alpha)^4}{m_e^2} \ln(\gamma^2)^2$$

10

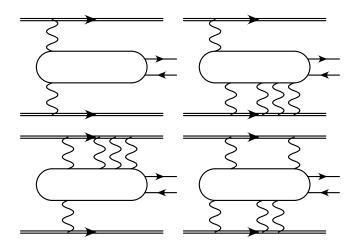
 $A(\rho) - B(\rho) -$

1

ρ

- Work in progress also on muon pair production.
- Form factor plays important role.
- Total cross section also studied in this way.
- New Ideas: Double muon pair production. Muon pair production together with e^+e^-

- Coulomb corrections due to strong field:
- Correction to the total cross section known.
- Based on BMD results:



- Based on different importance of different diagrams
- Still open question: Coulomb corrections at small b.

Pair production at small b

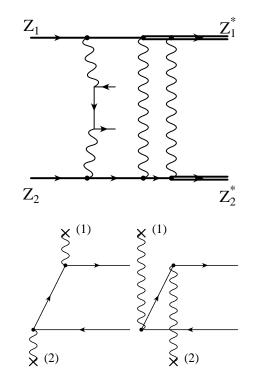
- Experiment at RHIC: Pairs produced at small *b*.
- Tagging for mutual excited ions: few neutrons emitted into the ZDC.
- Average impact parameter:

$$\overline{b} = \frac{\int d^2 b \; b P(b)}{\int d^2 b P(b)} \approx \frac{8R_a}{3} \approx 19 \; {\rm fm},$$

Rather severe restriction on phase space:

trans. momenta of $e^+e^- > 60 MeV$, rapidity < 1.15.

- Calculation done in lowest order external field QED.
- Comparison with data and also EPA approach.



K. Hencken, G. Baur, D. Trautmann, Phys. Rev. C69 (2004) 054902 J. Adams et al. (STAR collaboration), nucl-

ex/0404012, to appear in PRL '04

Calculation in external field approach

In external field approximation different processes factorize:

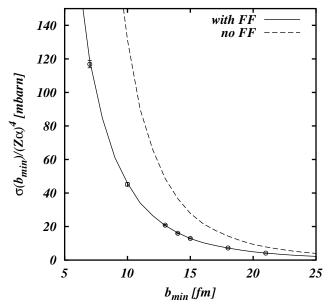
$$\frac{d^6\sigma_{e^+e^-,2GDR}}{d^3p_+d^3p_-} = 2\pi \int_{b_{min}}^{\infty} bdb P_{GDR}^2(b) \frac{d^6P(b)}{d^3p_+d^3p_-}.$$

- $b_{min} \approx 2R_A$ to avoid hadronic interactions.
- Assume $P^2(GDR, b) \sim S^2/b^4$, S from TRK sum rule.

$$S \approx 5.45 \times 10^{-5} Z^3 N A^{-2/3} \text{fm}^2.$$

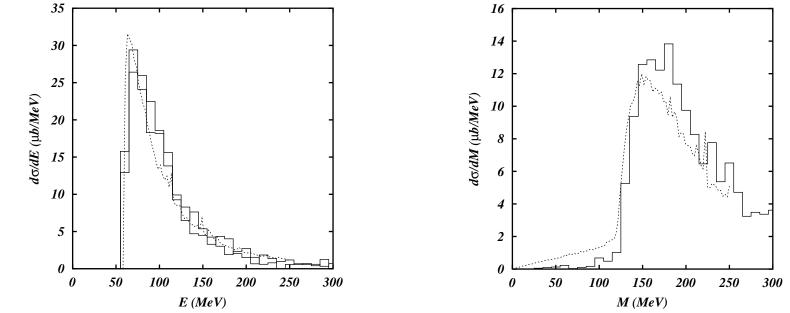
- Can be generalized to arbitrary 1/bⁿ behavior.
- Study also differential distributions.

As a function of b_{min} :

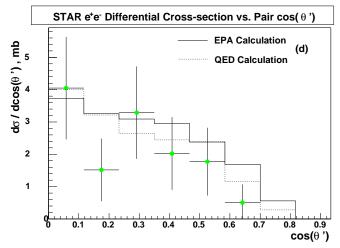


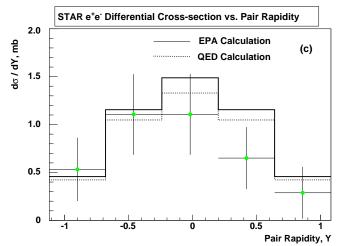
Differential distributions

Comparison also with distribution of unrestricted cross section (without GDR excitation):



Comparison with experimental results at STAR, EPA calculation:



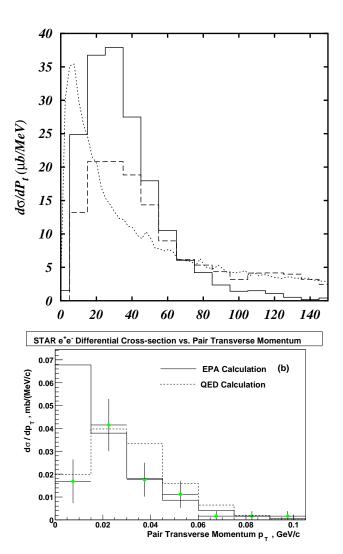


Distribution of pair-Pt

- Main difference seen in P_t of the pair.
- untagged and GDR tagged cross have different form.
- Also EPA calculation by Morozov et al. has different Pt behavior.
- Experiment in better agreement with full calculation.
- Explanation: Photon-kt distribution is b dependent.

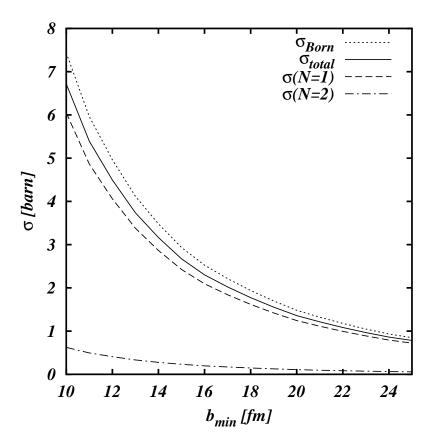
For small *b*, distribution is wider.

- At the moment no evidence for Coulomb effects.
- Multiple pair effects are small.



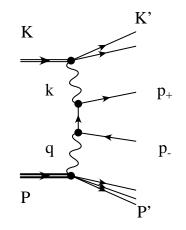
Pair production at ALICE/LHC

- Can use Internal Trigger System (ITS) of ALICE to detect electrons and positrons.
- Cut in phase space on $p_t > 2.6 \text{MeV}$, |Y| < 1.5.
- Distributions of less importance, as no tracking possible.
- Probability in this region is rather large.
- Multiple pair production could be seen at LHC.
- Two-pair production contributes to 10% of total cross section.
- To be studied: pair production into CASTOR.



Work done together with U. Dreyer (U Basel) U. Dreyer et al., to be submitted 2004

- Cross section for (elastic) pair production is large: 200kbarn for PbPb@LHC.
- Inelastic pair production might still give reasonable cross section:
 Z² enhancement reduces to Z (A).
 range of q² extended considerably.
- Emphasis on two effects:
- Additional loss process: GDR excitation, quasifree knockout.
- Probing the ions with virtual photons: Avoiding restriction of quasireal photons.
- Not comparable with dedicated eRHIC machine.
- Calculated in Plane wave approach.



Inclusive cross section given as

$$\sigma = \frac{(2\pi)^4 (4\pi\alpha)^4 2M_K 2M_P (2\pi)^2}{8E_K E_P (2\pi)^8} \int \delta(q+k-p_+-p_-) \left(M^{\mu\mu'\nu\nu'} W^K_{\mu\mu'} W^P_{\nu\nu'} \right) \\ \frac{1}{q^4 k^4} \frac{d^3 p_+}{(2\pi)^3 2\epsilon_+} \frac{d^3 p_-}{(2\pi)^3 2\epsilon_-} d^4 q d^4 k$$

• Electromagnetic tensors determined by W_1 and W_2 :

$$W_{i}^{\mu\mu'} = \left(-g^{\mu\mu'} + \frac{q_{i}^{\mu}q_{i}^{\mu'}}{q_{i}^{2}}\right)W_{i,1} + \left(p_{i}^{\mu} - \frac{p_{i} \cdot q_{i}}{q_{i}^{2}}q_{i}^{\mu}\right)\left(p_{i}^{\mu'} - \frac{p_{i} \cdot q_{i}}{q_{i}^{2}}q_{i}^{\mu'}\right)\frac{W_{i,2}}{M^{2}}$$

- Elastic process on one vertex: $W_1 = 0$, $W_2 = \delta(\nu)Z^2F_{el}(q^2)$.
- Inelastic process W_1 and W_2 selected for process of interest.

 Beam loss and therefore total beam lifetime limited by electromagnetic processes:

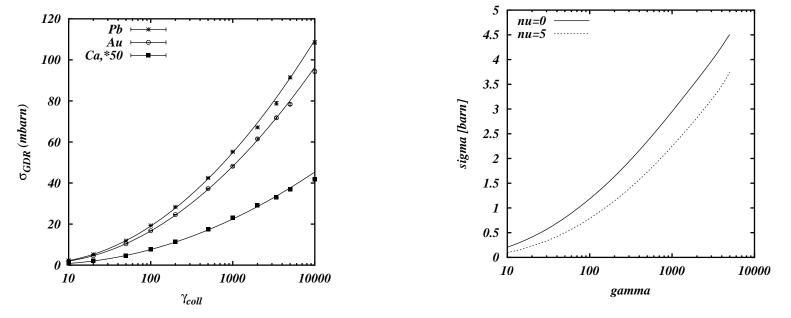
Electron capture from Pair

Production = Bound-free Pair production.

Electromagnetic excitation of the ions.

Dominant nuclear excitation to the GDR.

- Alternative scenario: Quasielastic nucleon knockout.
- Also leads to change in Z/A ratio.
- Deexcitation via multiple neutron emission.
- Use simple Fermi gas model.
- Depends on average excitation energy for the nucleon.



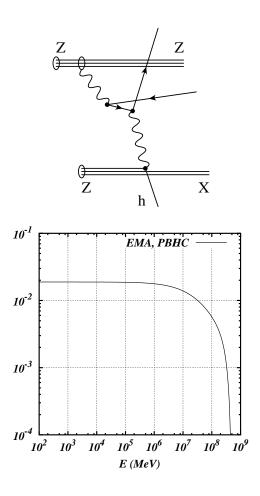
• Open question: Contribution to mutual excitation for luminosity measurement.

Deep inelastic scattering in inel. pair production

- Inelastic pair production allows to go from quasireal photons to virtual photons.
- Picture: Equivalent Lepton Approximation:

$$f_{l|A}(x) \approx \int \frac{du}{u} f_{\gamma|A}(u) f_{l|\gamma}(x/u)$$

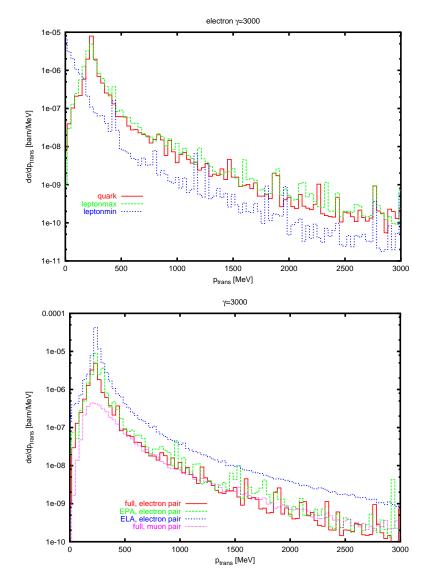
- At high q²: Study quark pdf in the nucleus.
- Estimate cross sections with no medium modification.
- Compare EPA, ELA with full calculation.
- Both electron and muon pair production studied.



$$W_1 = \frac{1}{2Mx} F_2(x), \quad W_2 = \frac{2Mx}{Q^2} F_2(x), \quad F_2(x) = \sum_i e_i^2 x f_i(x)$$

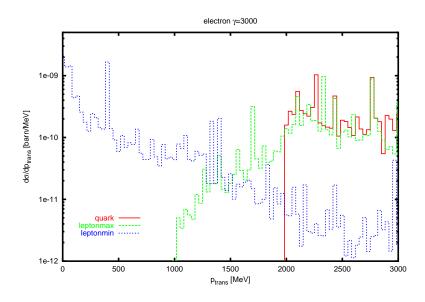
Transverse momentum distribution

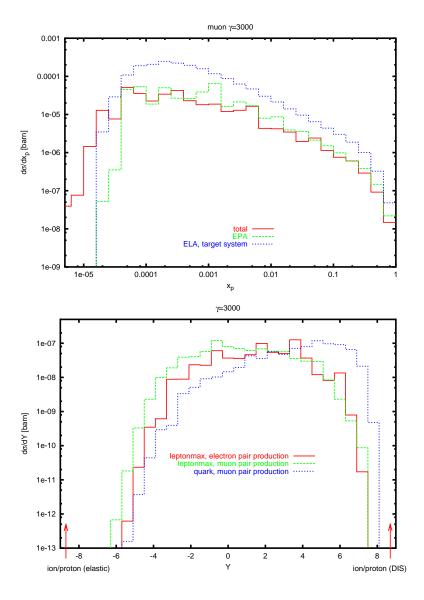
- Identify the two leptons via their transverse momenta:
- Smaller p_t (ptmin) \leftrightarrow spectator lepton.
- Larger p_t (ptmax) \leftrightarrow inelastic scattered lepton.
- ptmax-distribution coincides with "quark" ptrans-distribution
- Comparison between EPA, ELA, full approach:
 - EPA reproduces differential and total cross section reliably.
 - ELA overestimates up to a factor of four.
- Explanation: pt of intermediate muon (= spectator muon) can get large.
- Muon cross section only differ slightly compared to electron.



Jet transverse momenta of 2GeV

- Restrict cross section to transverse momentum transfer > 2GeV.
- Naive expectation: ELA should agree better.
- Important also to be able to detect/reconstruct jet.





Future work

- Calculate in-medium modification effects for moderate q^2 and x.
- Study cross section including experimental acceptance (especially of ALICE, CMS)
- Especially: accuracy that can be reached.
- Reconstruction of the muon energy.
- q^2 dependence of exclusive (coherent) vector meson production.

- Large cross section for e^+e^- both a possible background and an interesting signal.
- Impact parameter dependence and cross sections of corrections well understood.
- Analytic expression for γ dependence, universal parameterization available.
- Coulomb corrections at small b still an open question.
- Experimental results at RHIC in good agreement with calculation.
 But: Phase space rather restricted.
- Interesting question: Effect at small b in CASTOR.
- Inelastic pair production:
- Correction to elmgn. excitation of ions, loss process
- Deep inelastic scattering possible approach to study quark pdfs in nuclei at LHC.

Work done together with:

A. Aste, T. Baier, G. Baur, U. Dreyer, Yu. Kharlov, S. Sadovsky, V. Serbo, D. Trautmann