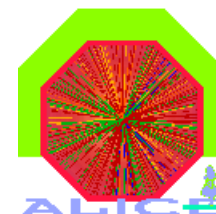


# Event characterization in ALICE

M. Monteno, INFN Torino  
for the ALICE Collaboration



- The ALICE detector
- Estimate of the **centrality** of the collisions (**in PbPb and in pPb**)
- Reconstruction of the **charged particle multiplicity  $N_{ch}$**  and of the  **$dN/d\eta$**  distribution (**in PbPb and in pp**)
- Study of the dependence of the charged particle multiplicity on centrality (**in PbPb**)
- Conclusions

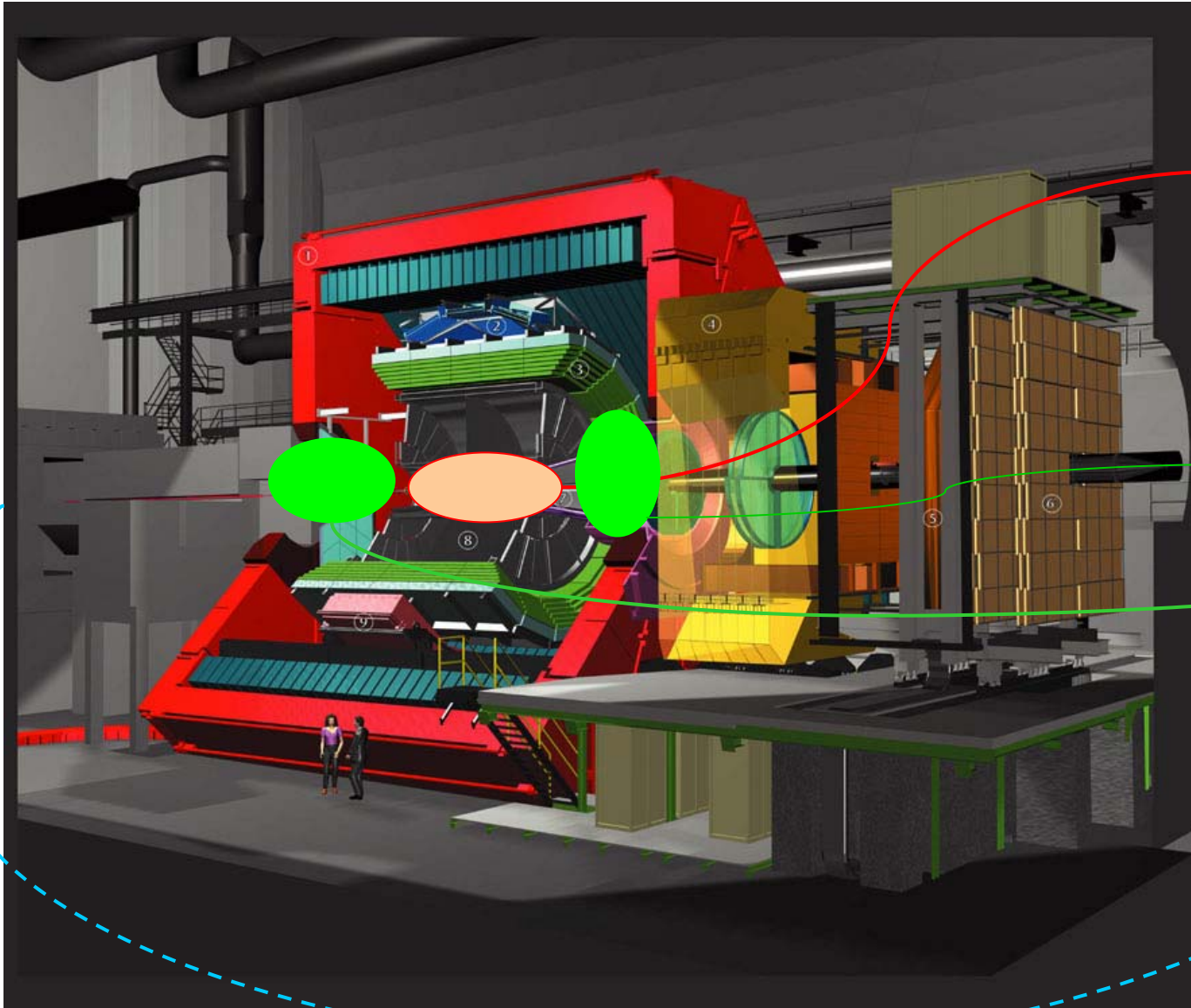
# The ALICE detector

Relevant for event  
characterization:

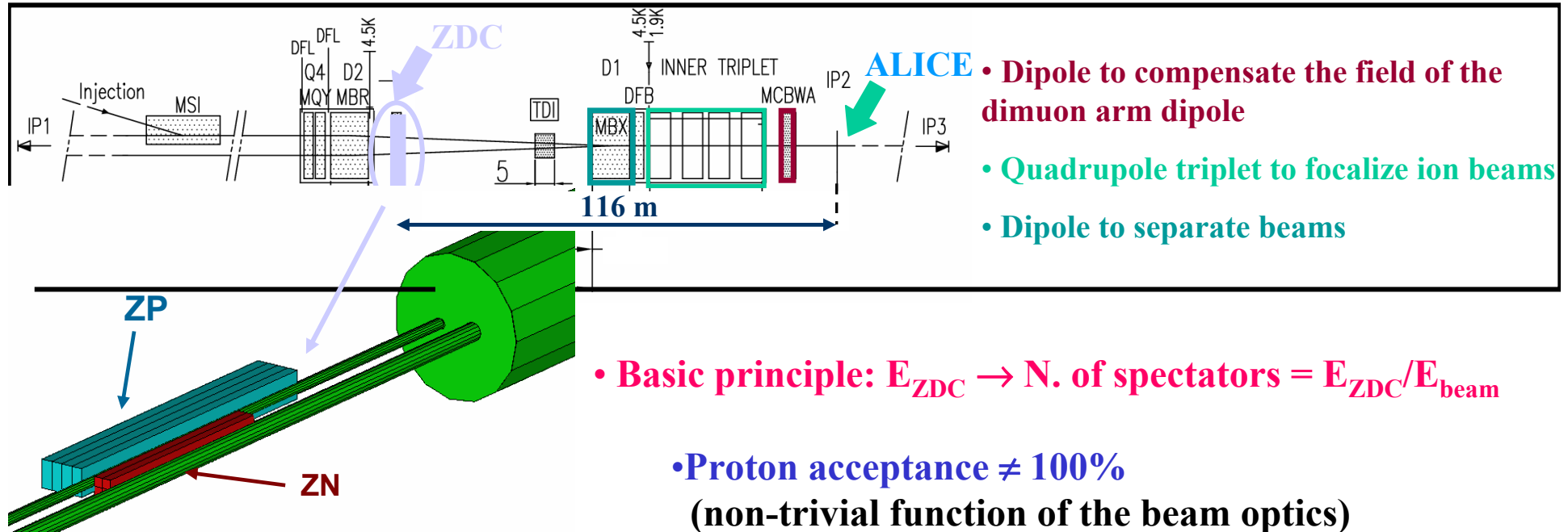
Inner Tracking  
System  
(inside the TPC)

Forward  
Multiplicity  
Detectors

ZDC



# Centrality determination – PbPb collisions

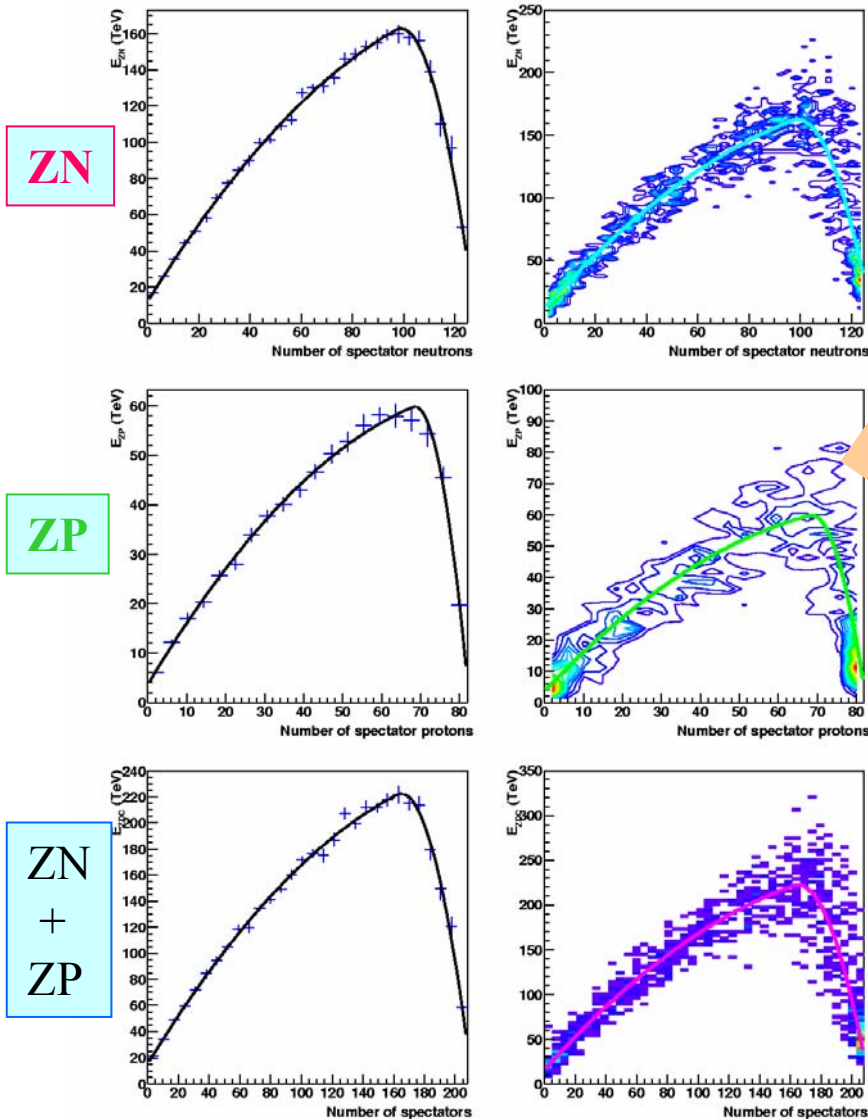


Problems:

- Knowledge of spectator fragmentation is crucial
  - model based on the ALADIN Au-Au data + deuterons (estimated from NA49)

Two methods to estimate centrality of PbPb collisions from  $E_{ZDC}$  were developed

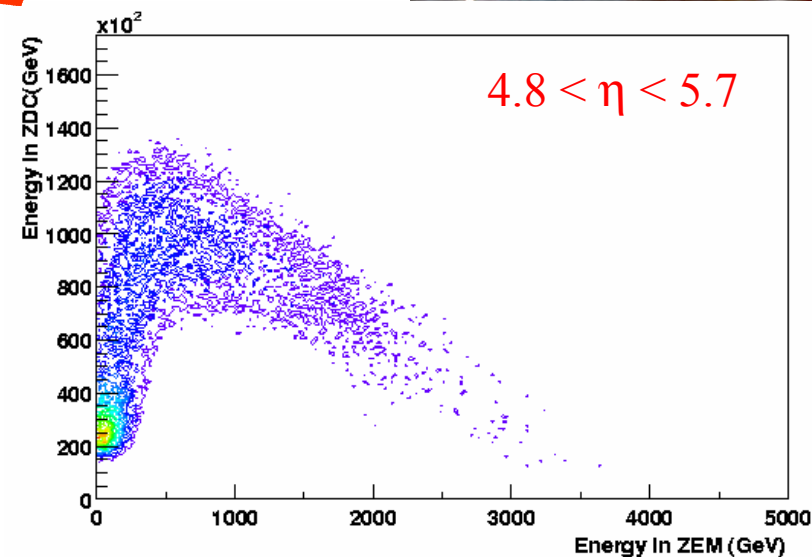
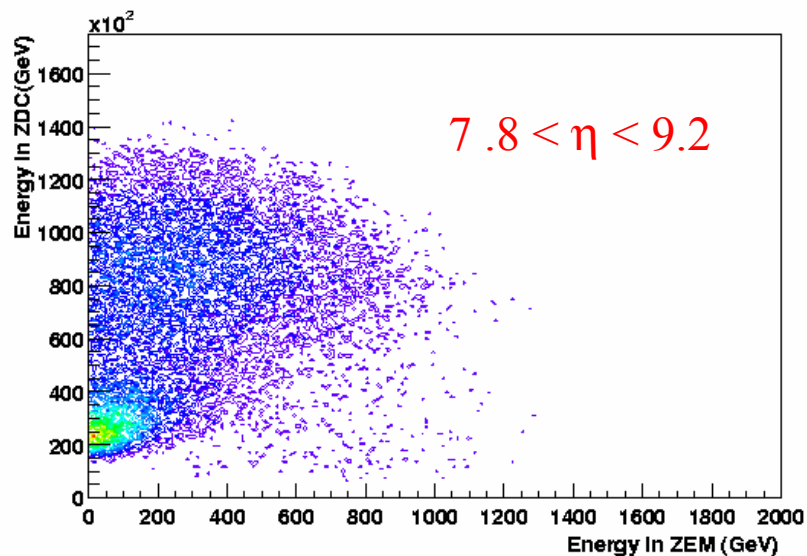
# 1. Event by event determination of the centrality



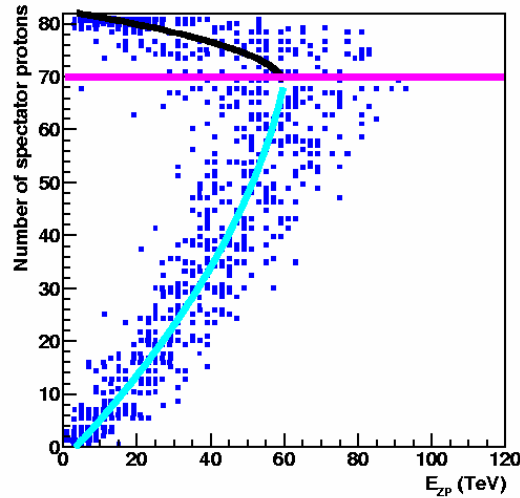
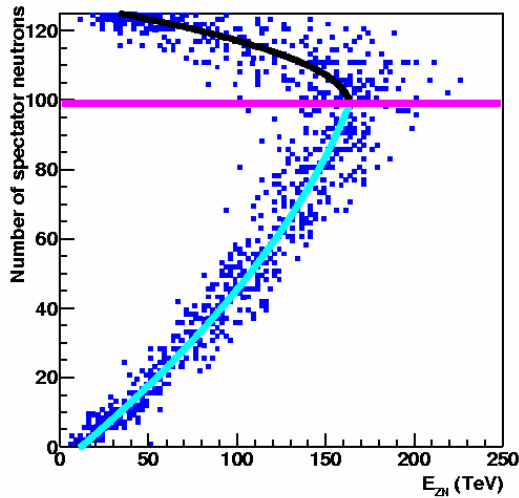
- The method makes use of the correlation between the rec.energy in the ZDCs and the centrality variables  $b$  and  $N_{part}$ , as simulated with HIJING.
- Correlation in both calorimeters versus spectator protons and neutrons are shown
- Spectator nucleon losses (incomplete fragmentation) important for peripheral events. **Correlation not monotonic**
- Need an external information to solve this ambiguity
- **Use a forward e.m. calorimeter (ZEM) to have a (fast) way of selecting between the two branches of the correlation**

# The ZEM (Zero degree EM Calorimeter)

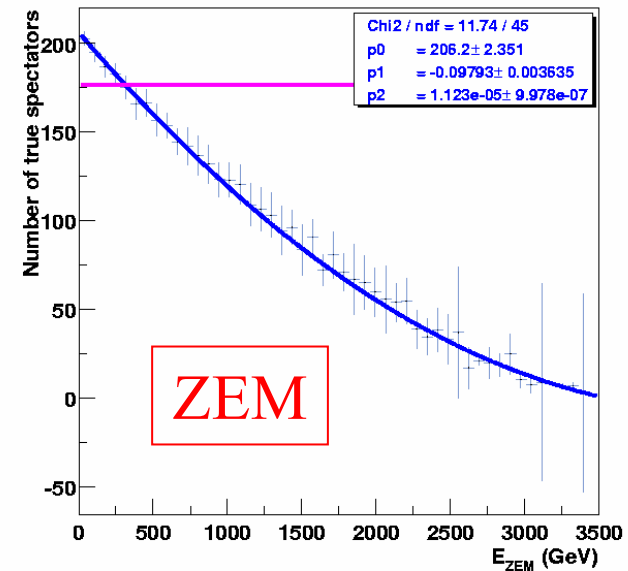
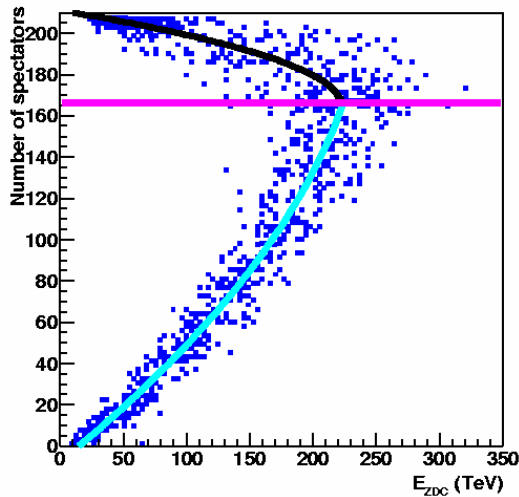
- We need a signal with relatively low resolution, but whose amplitude increases monotonically with centrality
- Initial position proposed for this device @ 116 m from IP (ZDC location)
- We realized afterwards that this is too forward ( $7.8 < \eta < 9.2$ )
- Shifted the calorimeter to a position @  $\sim 7$  m from the IP
- Rapidity coverage  $4.8 < \eta < 5.7$



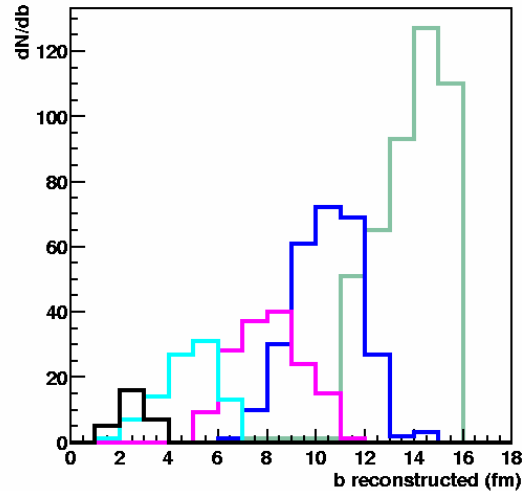
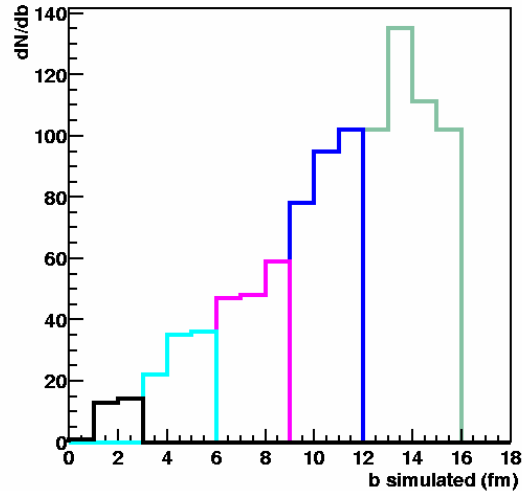
# Use of the ZEM signal to solve the ambiguity



The value of  $E_{ZEM}$  corresponding to the same number of spectators at the bend of the correlation plots ( $E_{ZDC}$  vs  $N_{spect}$ ), can be used as a **threshold value** for discriminating, at fixed  $E_{ZDC}$ , between the two branches.

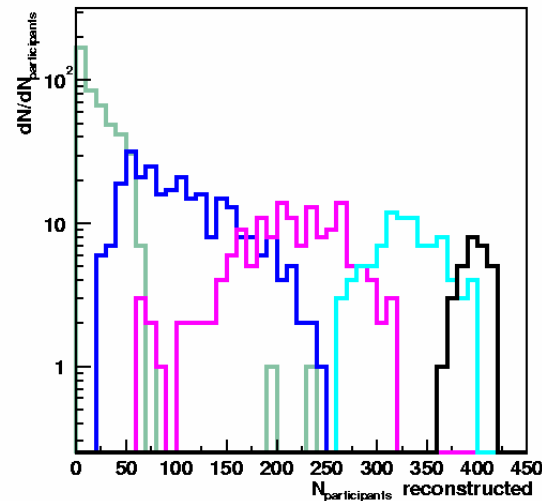
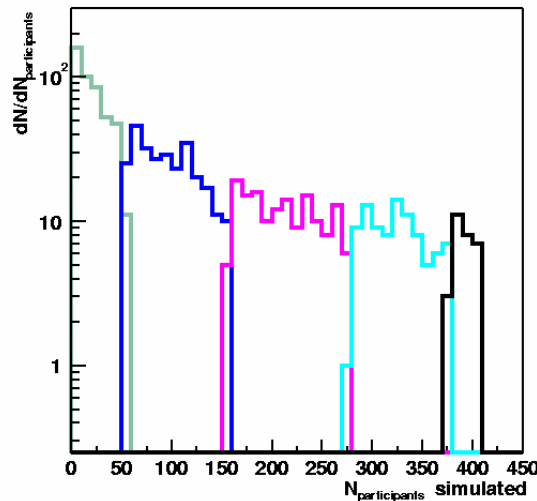


# Results: centrality classes in $b$ and $N_{part}$



$b$ range	$\langle b^{sim} \rangle$ (fm)	$\langle b^{rec} \rangle$ (fm)
0-3 fm	$2.1 \pm 0.6$	$2.6 \pm 0.6$
3-6 fm	$4.7 \pm 0.8$	$4.8 \pm 1.1$
6-9 fm	$7.6 \pm 0.8$	$8.1 \pm 1.3$
9-12 fm	$10.6 \pm 0.9$	$10.4 \pm 1.4$
12-16 fm	$14.0 \pm 1.1$	$13.8 \pm 1.4$

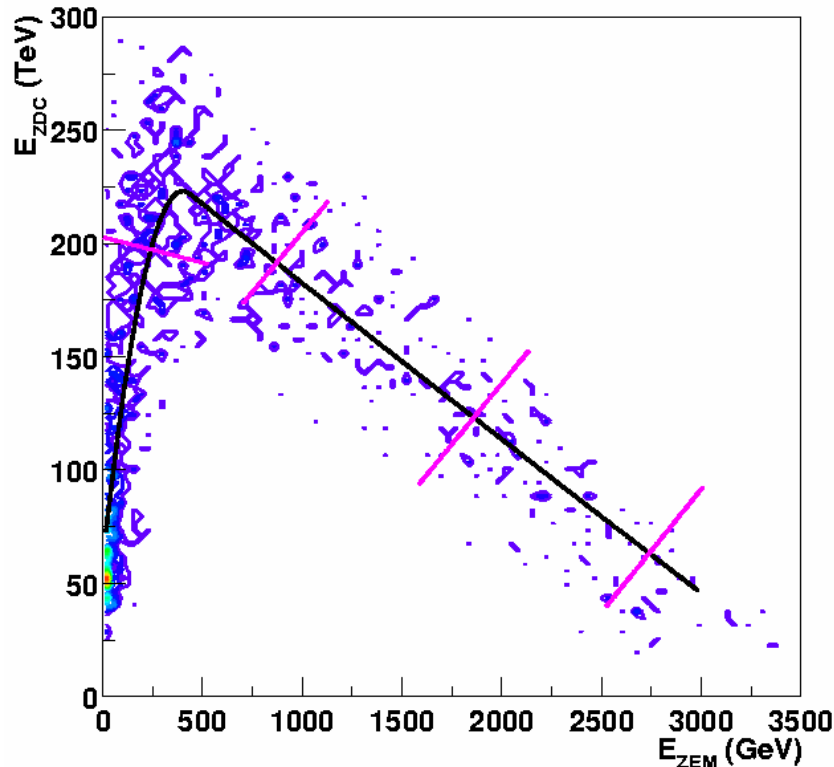
- No significant bias in the reco.
- RMS < separation between classes



**5 centrality bins can be safely defined**

$N_{part}^{sim}$ range	$\langle N_{part}^{sim} \rangle$	$\langle N_{part}^{rec} \rangle$
375-414	$391 \pm 10$	$395 \pm 14$
276-375	$323 \pm 28$	$329 \pm 33$
152-276	$210 \pm 35$	$211 \pm 54$
54-152	$94 \pm 28$	$104 \pm 51$
0-54	$18 \pm 14$	$21 \pm 22$

## 2. Centrality determination using $E_{ZEM}$ vs $E_{ZDC}$ correlation



Consider the experimental correlation  $E_{ZDC}$  vs  $E_{ZEM}$  (reconstructed variables)

Select, perpendicularly to the correlation, event classes corresponding to regions  $(E_{ZEMi}, E_{ZDCi})$  in the  $E_{ZDC}$  vs  $E_{ZEM}$  plane, such that

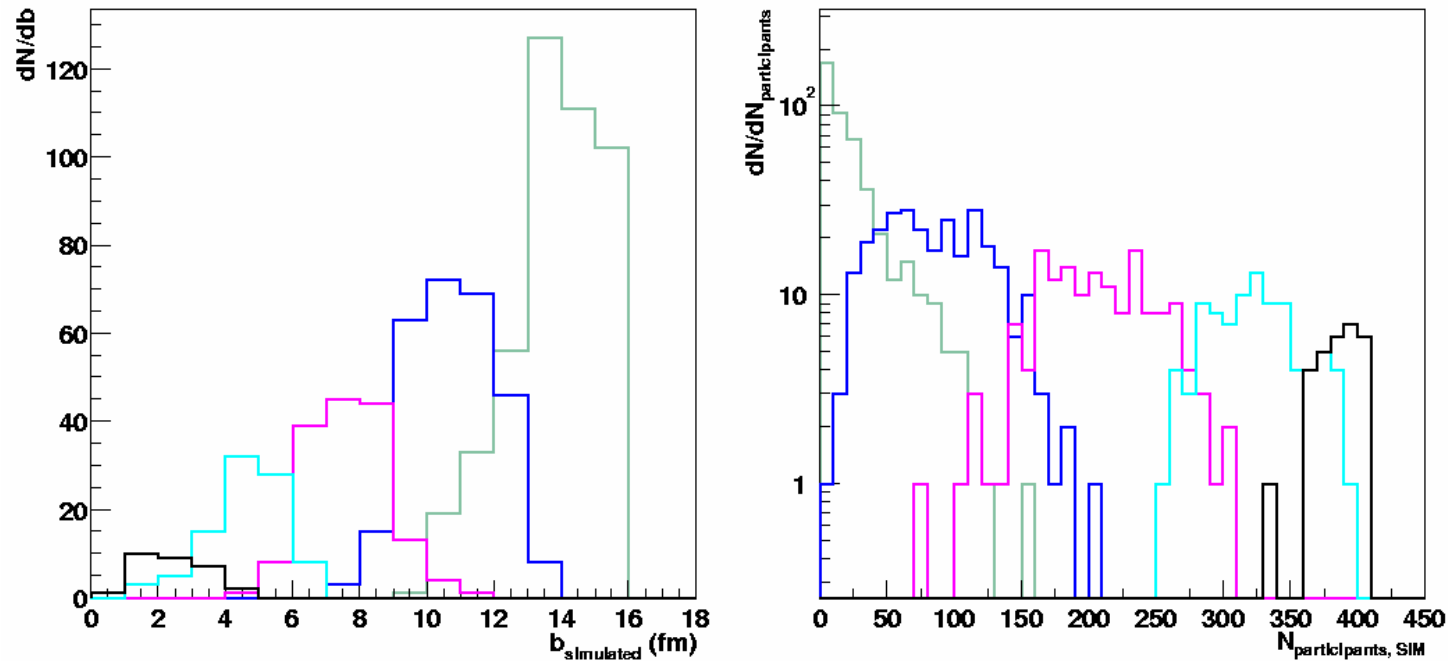
$$\iint_{E_{ZEM}^1, E_{ZDC}^1} \frac{d^2\sigma}{dE_{ZEM}dE_{ZDC}} = \int_0^{b_1} db \frac{d\sigma}{db} = x_1 \cdot \sigma_{tot}$$

where the relationship between  $b_i$  and  $x_i$  is determined by the shape of  $d\sigma/db$  calculated geometrically or through a Glauber model (similarly for  $N_{part}$ )

**This method, being based exclusively on experimental quantities, does not depend on the particular model used for the simulation**



# Classes in $b$ and $N_{part}$ : results of the second method



$b_{simulated}$ range	$\langle b_{sim} \rangle$ (fm)	$\langle b_{reco} \rangle$ (fm)	$\langle N_{part}^{sim} \rangle$	$\langle N_{part}^{reco} \rangle$
0-3 fm	$2.1 \pm 0.6$	$2.5 \pm 0.9$	$391 \pm 10$	$385 \pm 17$
3-6 fm	$4.7 \pm 0.8$	$4.6 \pm 1.1$	$222 \pm 28$	$222 \pm 22$
6-9 fm	$7.8 \pm 0.9$	$7.8 \pm 1.1$	$135 \pm 28$	$135 \pm 28$
9-12 fm	$10.6 \pm 0.9$	$10.8 \pm 1.3$	$94 \pm 28$	$84 \pm 39$
12-16 fm	$14.0 \pm 1.1$	$13.8 \pm 1.4$	$18 \pm 14$	$23 \pm 25$

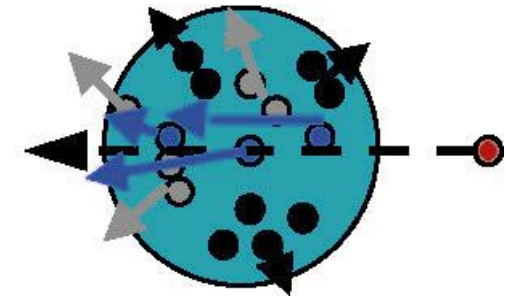
**Performance comparable to the first method**

# Centrality selection in pA collisions

- By studying pPb collisions in ALICE it will be possible to estimate the importance of initial and final state nuclear effects not connected with the creation of a hot medium.
- To properly understand pPb collisions, it would be helpful performing a centrality selection, through the estimate, event by event, of the number  $N_{\text{coll}}$  of binary collisions
- However in pA  $N_{\text{coll}}$  is loosely correlated with the inclusive measurement of charged multiplicity

- Possible way out → Measure grey/black nucleons (slow particles emitted by the target nucleus)

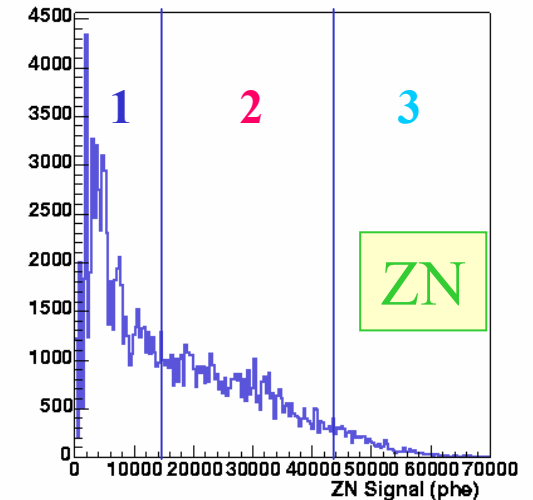
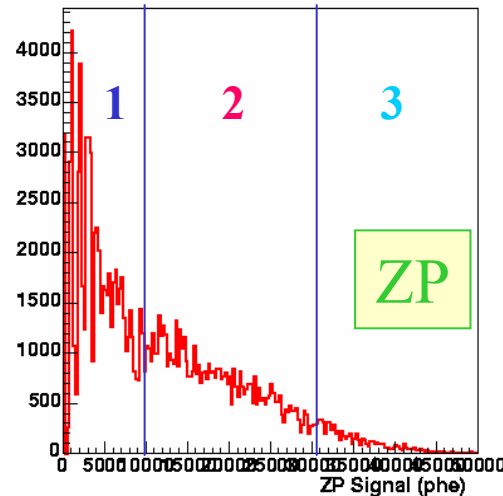
forward ●  
grey ●  
black ●



- Successfully performed at fixed target experiments (BNL-E910, NA49)
- What about colliders ? Emitted slow nucleons are Lorentz-boosted → **ZDC are the ideal detectors to measure the total energy deposited by grey/black nucleons (approach recently followed at RHIC)**

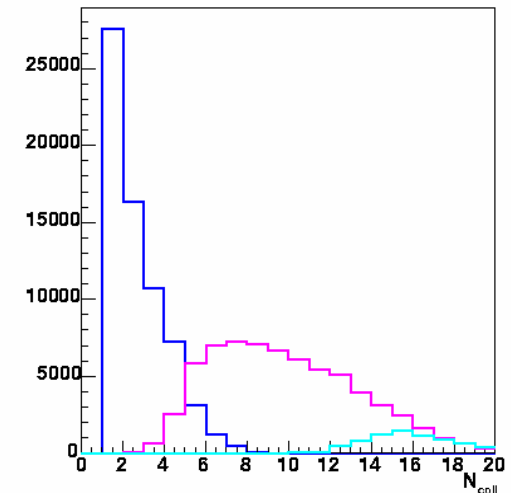
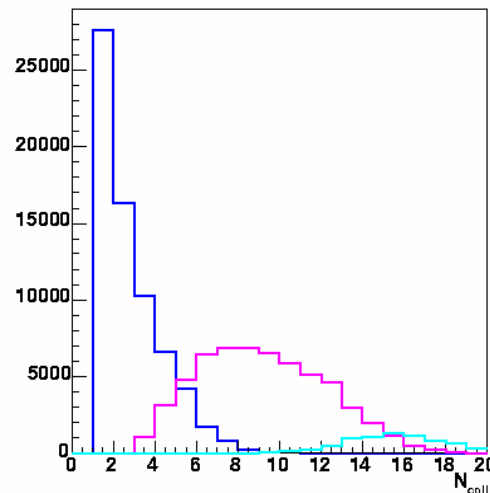
# Centrality selection in pA by using cuts on $E_{ZDC}$

- pPb collisions simulated with HIJING (that gives  $b$  and  $N_{coll}$  distributions)
- Slow nucleons sampled according to a **model based on exp.data**; then they are transported through the detector
- Result: the **response of ZP and ZN calorimeters to slow nucleons** (black and grey nucleons not separated)



- Selected 3 classes from ZDC spectra corresponding to defined intervals of  $\sigma_{pPb}$  fractions, and to intervals of  $N_{coll}$

	$\langle N_{coll} \rangle$ (ZP)	$\langle N_{coll} \rangle$ (ZN)
50÷100 %	2.3 (RMS 1.6)	2.2 (RMS 1.4)
5÷50 %	8.7 (RMS 3.0)	9.4 (RMS 3.5)
0÷5 %	14.9 (RMS 2.2)	15.2 (RMS 2.0)

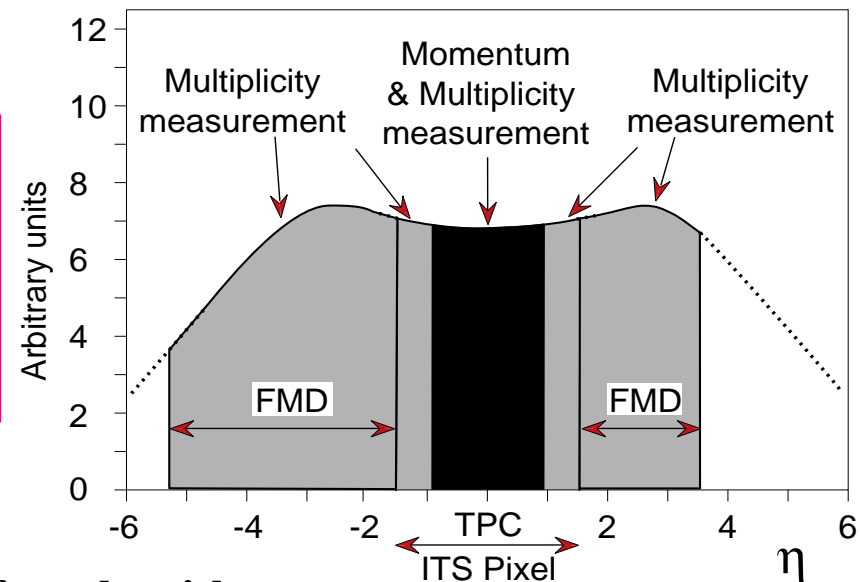


**We can safely select 3 centrality bins in pA by grouping events in  $E_{ZDC}$  classes**

# Multiplicity measurements

- **Two detectors:**
  - **SPD** (Silicon Pixel Detector, 2 cylindrical layers) in the central region;
  - **FMD** (Forward Multiplicity Detector, 5 rings of silicon strips) at forward rapidities.

The charged particle multiplicity is measured over 8.8 rapidity units, whereas the momentum is measured in the TPC (and in the Inner Tracking System) over 1.8 rapidity units with optimal resolution.



## SPD

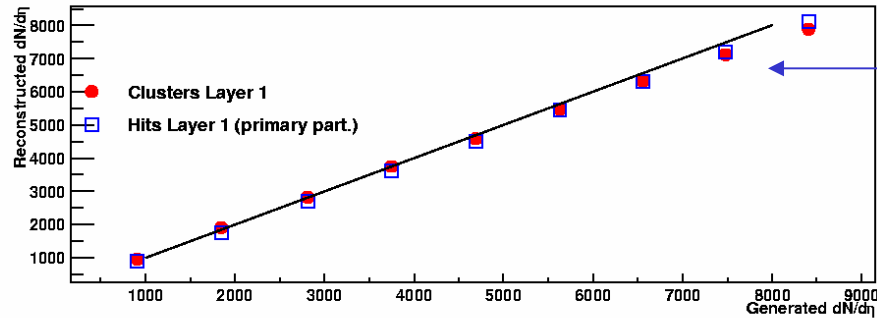
We have chosen two relatively simple and fast algorithms:

- 1) cluster counting on each pixel layer ( $|\eta| < 2$  first layer,  $|\eta| < 1.4$  second layer);
- 2) counting of tracklets (association of clusters on the two layers, aligned with the estimated vertex position) ( $|\eta| < 1.4$ )

**FMD** ( $-3.4 < \eta < -1.7$  and  $1.7 < \eta < 5.1$ )

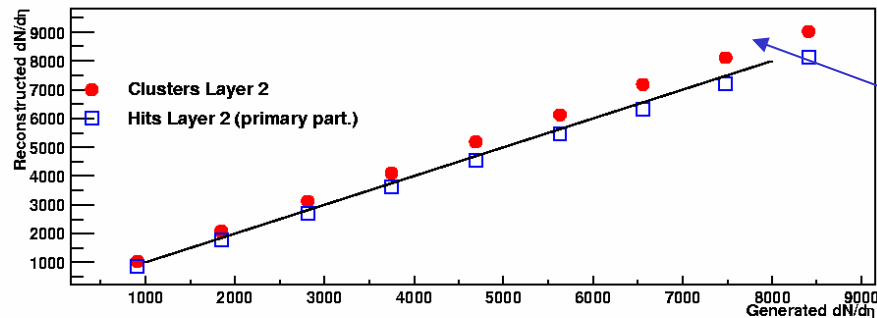
Reconstruction of multiplicity based on empty pad counting.

# Multiplicity reconstruction in PbPb with the SPD (I)



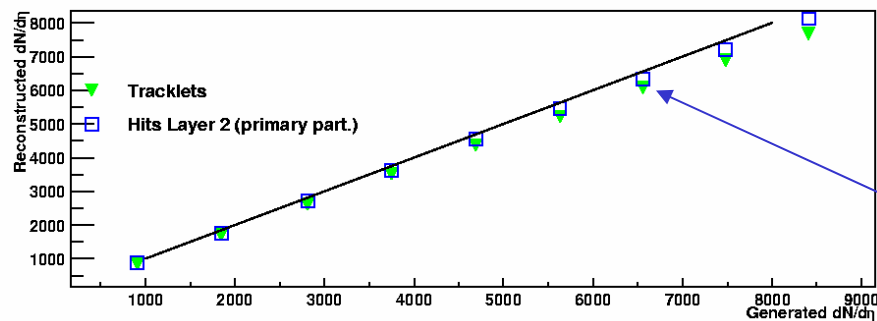
Layer 1 → small geometrical losses + cluster merging

Cluster counting:  
more sensitive to the  
background level



Layer2 → Secondaries produced in layer 1 + double hits (geometry)

Tracklets: more  
effective background  
rejection



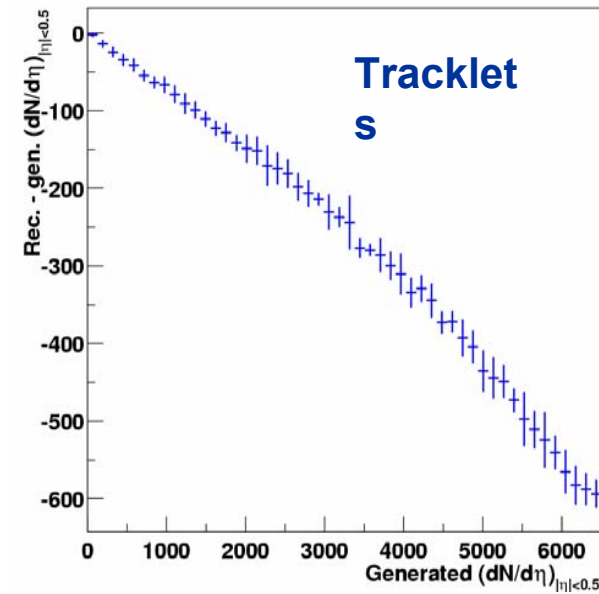
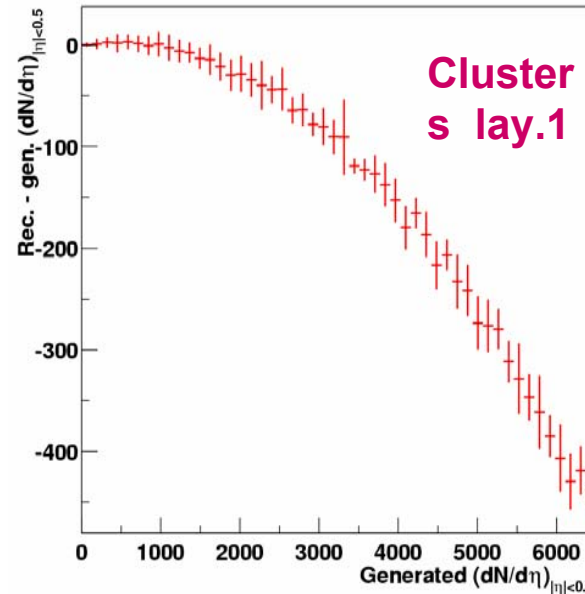
Association efficiency decreases for very high multiplicity

# Multiplicity reconstruction in PbPb with the SPD (II)

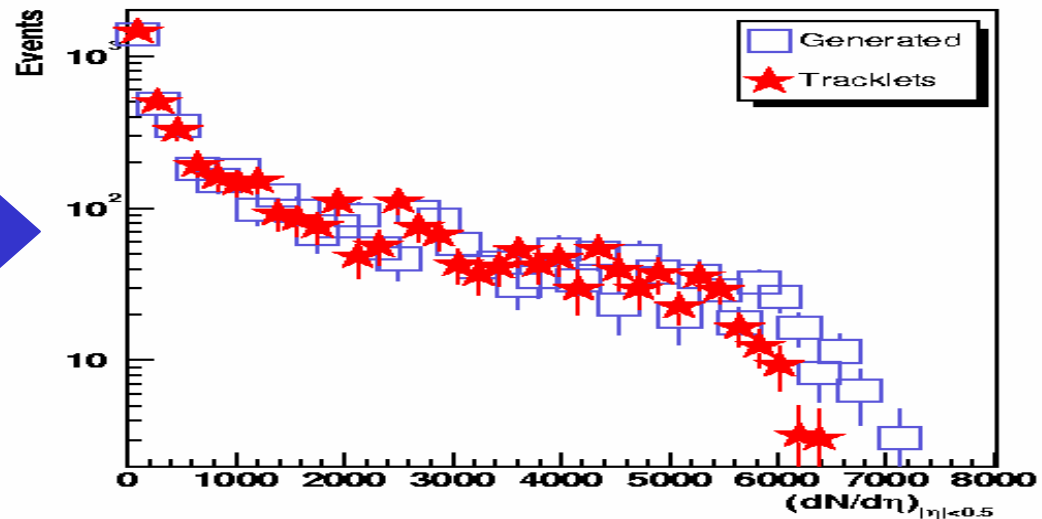
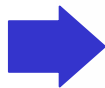
Accuracy on the reconstructed Multiplicity:

Clusters on layer 1 and tracklets BOTH slightly underestimate multiplicity

Difference <10%



Reconstructed multiplicity distribution with tracklets (HIJING events)



# Multiplicity reconstruction in pp with the SPD (I)

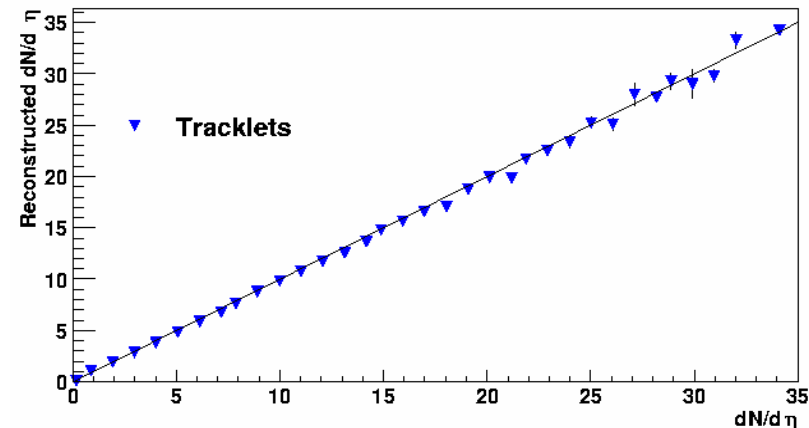
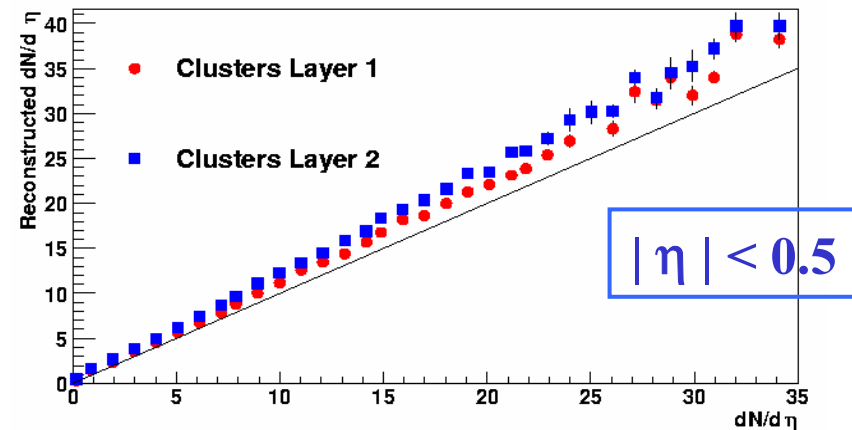
**Main problems** with respect to the same measurement in PbPb events:

In the **low multiplicity environment**:

- 1) **statistical fluctuations of background** can become not negligible compared with the signal;
- 2) the **vertex position is not always available** (or the accuracy of its reconstruction is poor)

However:

- 1) The **effect of fluctuations can be reduced by using the tracklet method**. The low multiplicity allows to **enlarge the fiducial window** where clusters are associated to form a tracklet.
- 2) The **vertex position doesn't affect the cluster multiplicity**

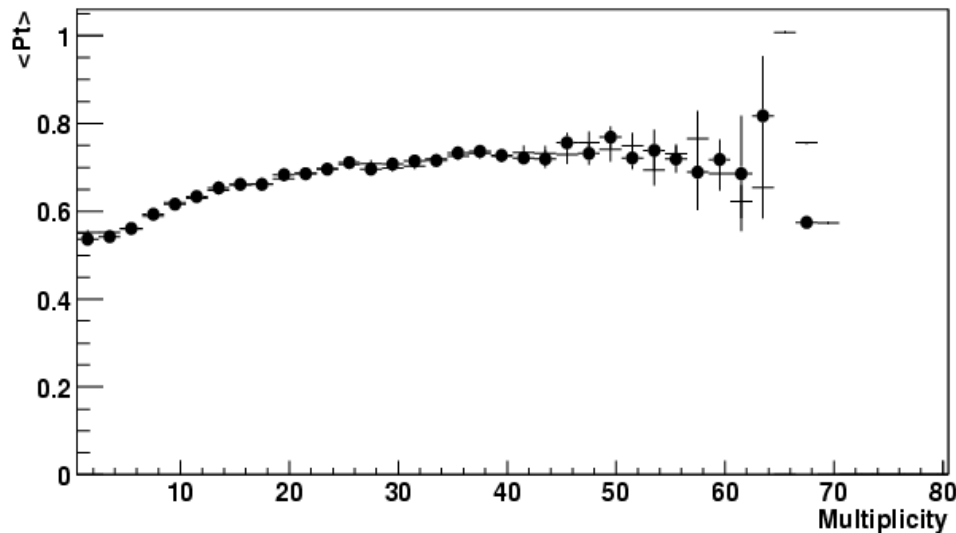
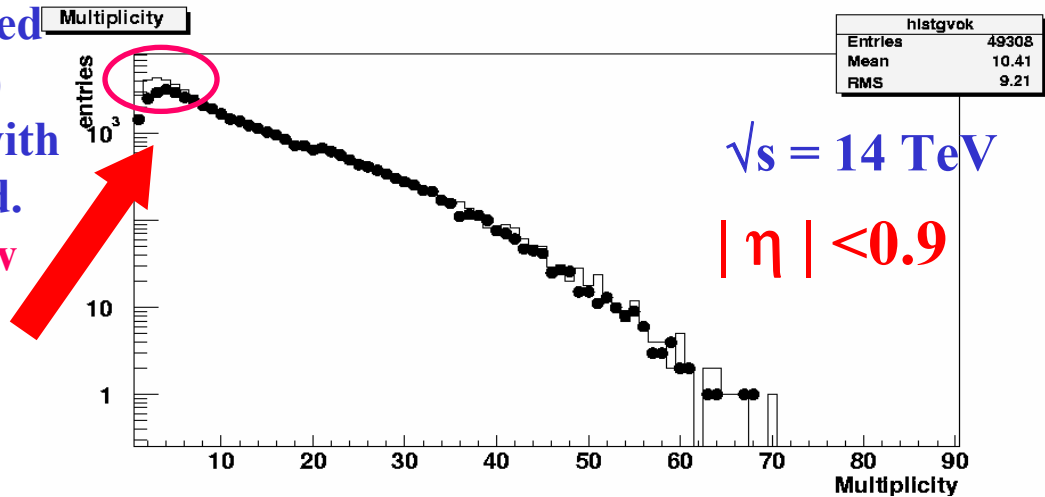


# Multiplicity reconstruction in pp with SPD (II)

Full simulation of pp events generated with PYTHIA 6.150 (pdf=CTEQ4L)

Multiplicity distrib. reconstructed with tracklets, compared to the generated.

Most of the systematics occurs at low multiplicities. The inefficiency of the tracklet algorithm is mainly due to the poor (or missing) vertex reconstruction for pp collisions

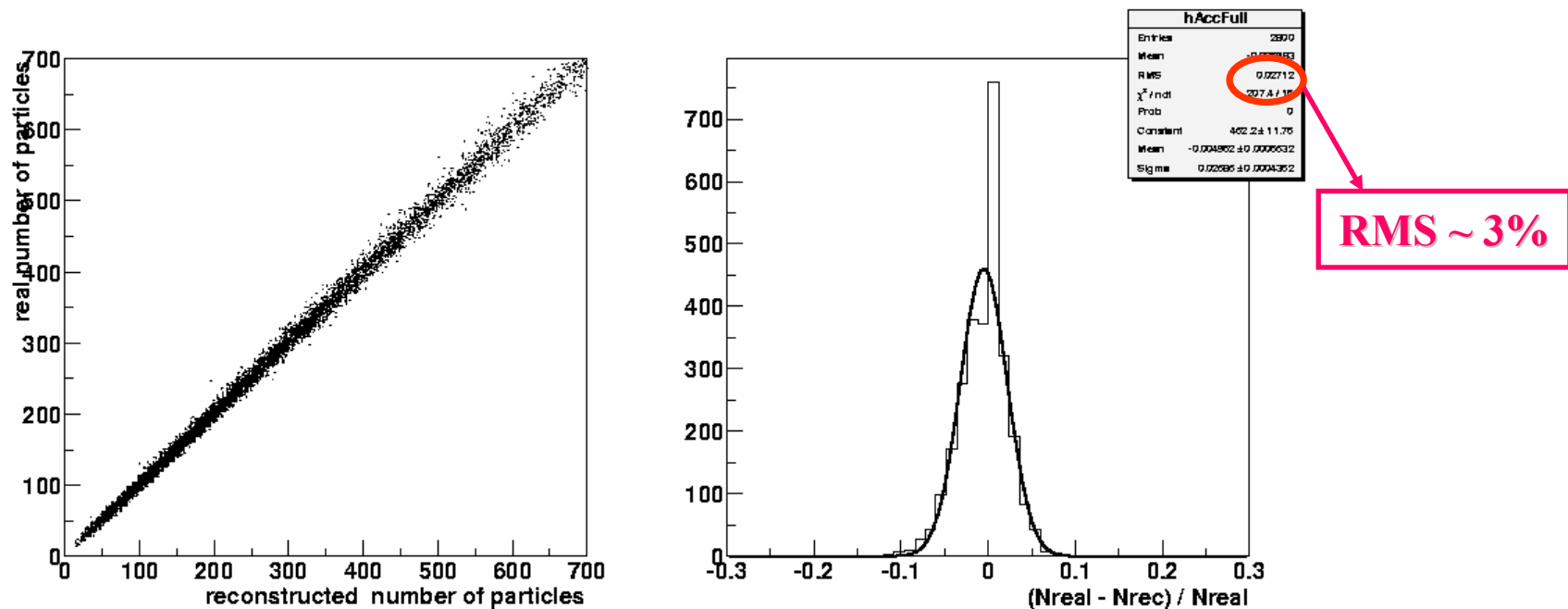


- $p_T$  of a track measured with TPC+ITS
- Correlation  $\langle p_T \rangle$  vs multiplicity already studied at UA1 and Tevatron (onset of gluon radiation, minijets ??)
- Also for identified particles (very powerful PID system in ALICE)

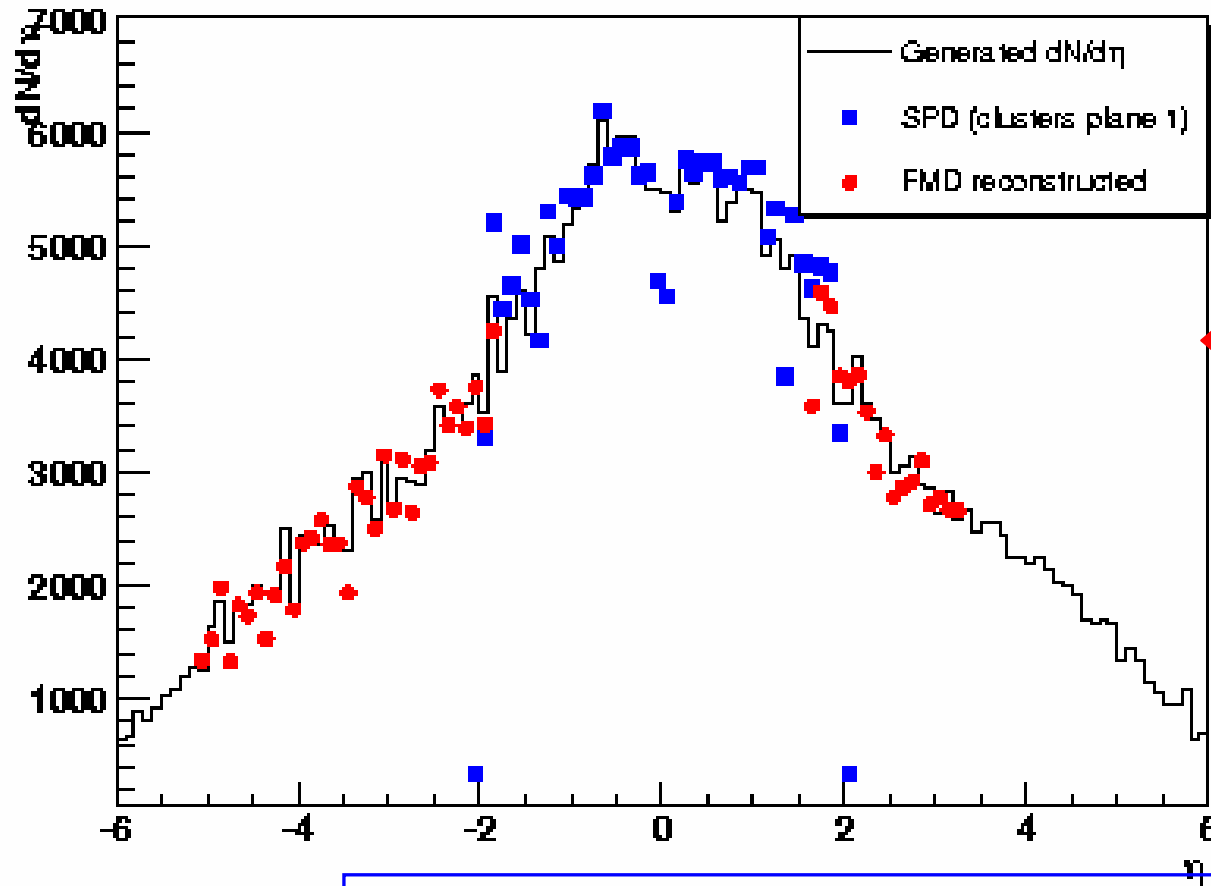


# Multiplicity Rec. in the forward region with the FMD

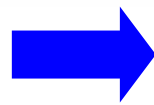
- Average detector occupancy  $\sim 1$  (even larger for most central events)
- **Multiplicity rec. based on counting of empty pads**
  - Average occupancy  $\lambda = -\ln P(0)$  (Poisson statistics) with  $P(0) = N_{\text{empty}}/N_{\text{tot}}$
  - Multiplicity  $n = \lambda \cdot N_{\text{tot}}$
- Should be able to reach **an accuracy of a few percent on the multiplicity measurement**



# Reconstruction of $dN/d\eta$ distribution in Pb-Pb with FMD+SPD

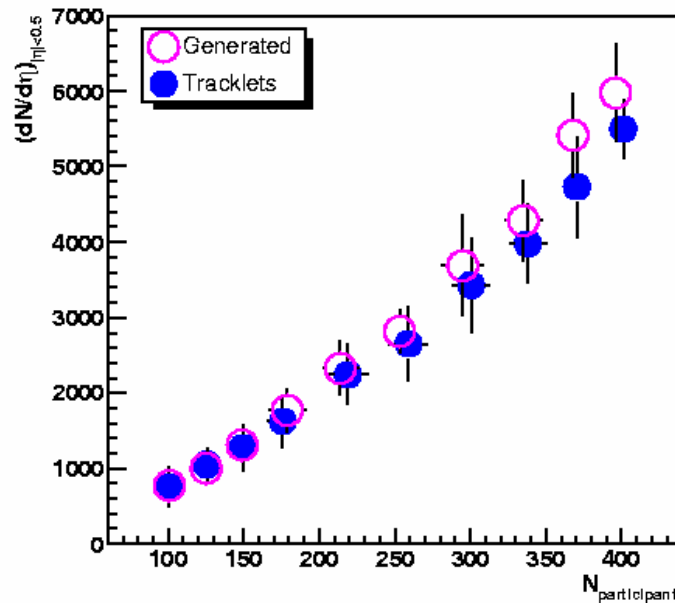
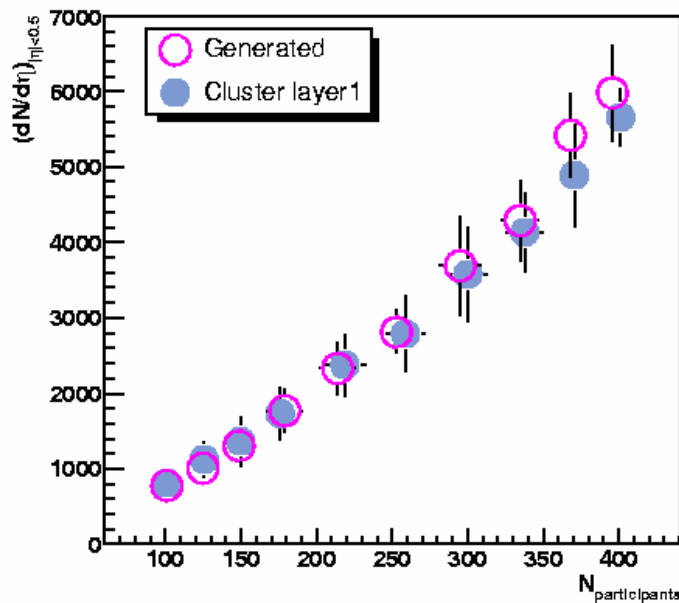


1  
Central Pb-Pb  
HIJING event



- We can have in ALICE a coverage up to  $\sim 10$   $\eta$ -units
- Accuracy  $\sim 7\%$  in  $0.1$   $\eta$  bins

# Study of multiplicity versus centrality (à la PHOBOS)



Multiplicity measured with SPD

10 centrality bins in  $N_{part}$  estimated event by event from the measured  $E_{ZDC}$

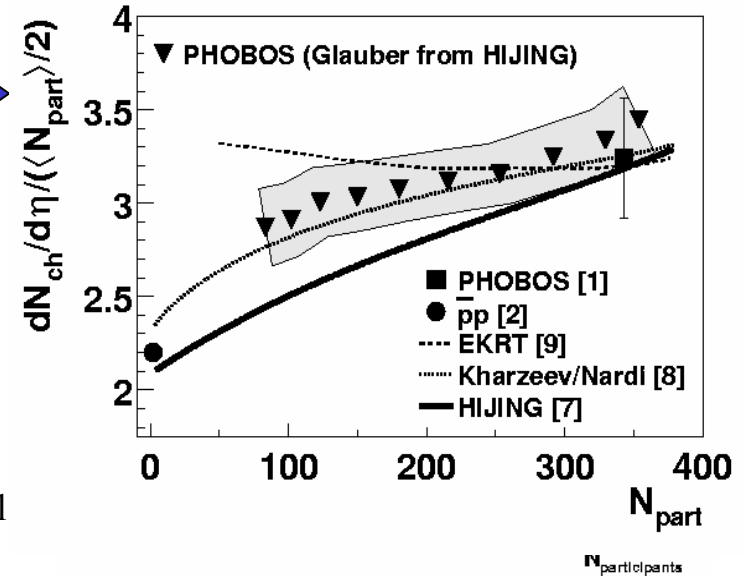
Fit with KN model

**Kharzeev-Nardi model [Phys. Lett. B 507 (2001) 79]**

$$\frac{dN_{ch}}{d\eta} = (1-x)n_{pp} \frac{N_{part}}{2} + xn_{pp}N_{coll}$$

$$n_{pp} = 2.5 - 0.25 \cdot \ln(s) + 0.023 \cdot \ln^2(s)$$

	$x$
Generated	$0.61 \pm 0.03$
Rec. clusters	$0.60 \pm 0.03$
Rec. tracklets	$0.57 \pm 0.03$



M. Monteno, ALICE Coll

Vienna, 13-17 July 2004

# Conclusions

## Centrality

### • **Pb-Pb collisions**

- Two methods to measure centrality by using the ZDC have been investigated
- Typical resolutions:
  - $\sigma_{N_{\text{part}}}/N_{\text{part}} \sim 5 \%$  for very central collisions
  - $\sigma_{N_{\text{part}}}/N_{\text{part}} \sim 25 \%$  for semi-peripheral collisions ( $b \sim 8\text{fm}$ )
- Advantage of using ZDC: more direct connection with event geometry (independently of the hadro-production model)

### • **p-Pb collisions**

- **Demonstrated feasibility to select on  $N_{\text{coll}}$  using grey/black nucleons**
- More model-dependent measurement with respect to Pb-Pb

## Multiplicity

### • **Pb-Pb collisions**

- Analyzed the properties of various estimators of the charged hadron multiplicity involving the Silicon Pixel Detector (SPD) and the Forward Multiplicity Detector
- **Checked the performance of ALICE for the combined measurement of the charged particle multiplicity (in SPD) versus centrality (with ZDC)**

### • **p-p collisions**

- Established the good performance of the multiplicity estimators defined with SPD