

# Particle Production Studied with **BRAHMS**

I.G. Bearden,  
Niels Bohr Institute  
For  
The **BRAHMS** collaboration

# The BRAHMS Collaboration

- 12 institutions-

I.Arsene<sup>10</sup>, I.G. Bearden<sup>7</sup>, D. Beavis<sup>1</sup>, C. Besliu<sup>10</sup>, Y. Blyakhman<sup>6</sup>, J.Brzychczyk<sup>4</sup>,  
B. Budick<sup>6</sup>, H. Bøggild<sup>7</sup>, C. Chasman<sup>1</sup>, C. H. Christensen<sup>7</sup>, P. Christiansen<sup>7</sup>,  
J.Cibor<sup>4</sup>, R.Debbe<sup>1</sup>, J. J. Gaardhøje<sup>7</sup>, M. Germinario<sup>7</sup>, K. Hagel<sup>8</sup>,  
O. Hansen<sup>7</sup>, H. Ito<sup>11</sup>, E. Jacobsen<sup>7</sup>, A. Jipa<sup>10</sup>, J. I. Jordre<sup>10</sup>, F. Jundt<sup>2</sup>,  
C.E.Jørgensen<sup>7</sup>, E. J. Kim<sup>5</sup>, T. Kozik<sup>3</sup>, T.M.Larsen<sup>12</sup>, J. H. Lee<sup>1</sup>, Y. K.Lee<sup>5</sup>,  
G. Løvhøjden<sup>2</sup>, Z. Majka<sup>3</sup>, A. Makeev<sup>8</sup>, B. McBreen<sup>1</sup>, M. Murray<sup>8</sup>, J. Natowitz<sup>8</sup>,  
B. Neuman<sup>11</sup>, B.S.Nielsen<sup>7</sup>, K. Olchanski<sup>1</sup>, D. Ouerdane<sup>7</sup>, R.Planeta<sup>4</sup>, F. Rami<sup>2</sup>,  
D. Roehrich<sup>9</sup>, B. H. Samset<sup>12</sup>, S. J. Sanders<sup>11</sup>, I. S. Sgura<sup>10</sup>, R.A.Sheetz<sup>1</sup>, Z.Sosin<sup>3</sup>,  
P. Staszal<sup>7</sup>, T.S. Tveter<sup>12</sup>, F.Videbæk<sup>1</sup>, R. Wada<sup>8</sup>, A.Wieloch<sup>3</sup>, Z. Yin<sup>9</sup>

<sup>1</sup>Brookhaven National Laboratory, USA, <sup>2</sup>IReS and Université Louis Pasteur, Strasbourg, France

<sup>3</sup>Jagiellonian University, Cracow, Poland, <sup>4</sup>Institute of Nuclear Physics, Cracow, Poland

<sup>5</sup>Johns Hopkins University, Baltimore, USA, <sup>6</sup>New York University, USA

<sup>7</sup>Niels Bohr Institute, Blegdamsvej 17, University of Copenhagen, Denmark

<sup>8</sup>Texas A&M University, College Station, USA, <sup>9</sup>University of Bergen, Norway

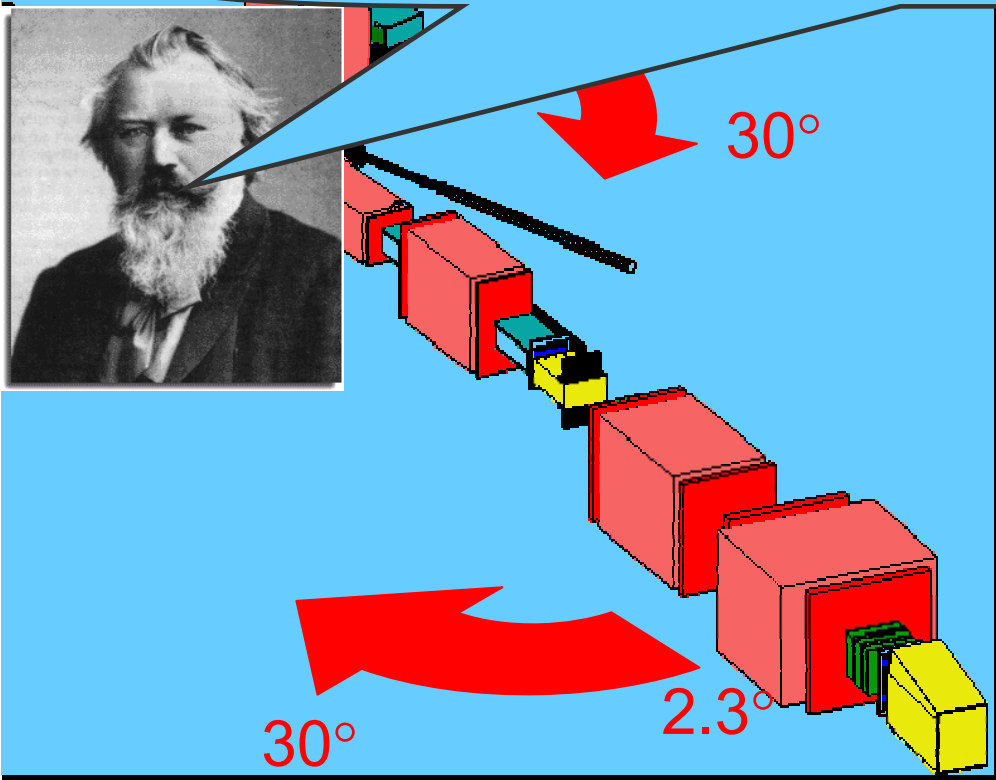
<sup>10</sup>University of Bucharest, Romania, <sup>11</sup>University of Kansas, Lawrence, USA

<sup>12</sup> University of Oslo Norway



# The BRAHMS Experiment

It's Broad Range Hadron Magnetic Spectrometers!

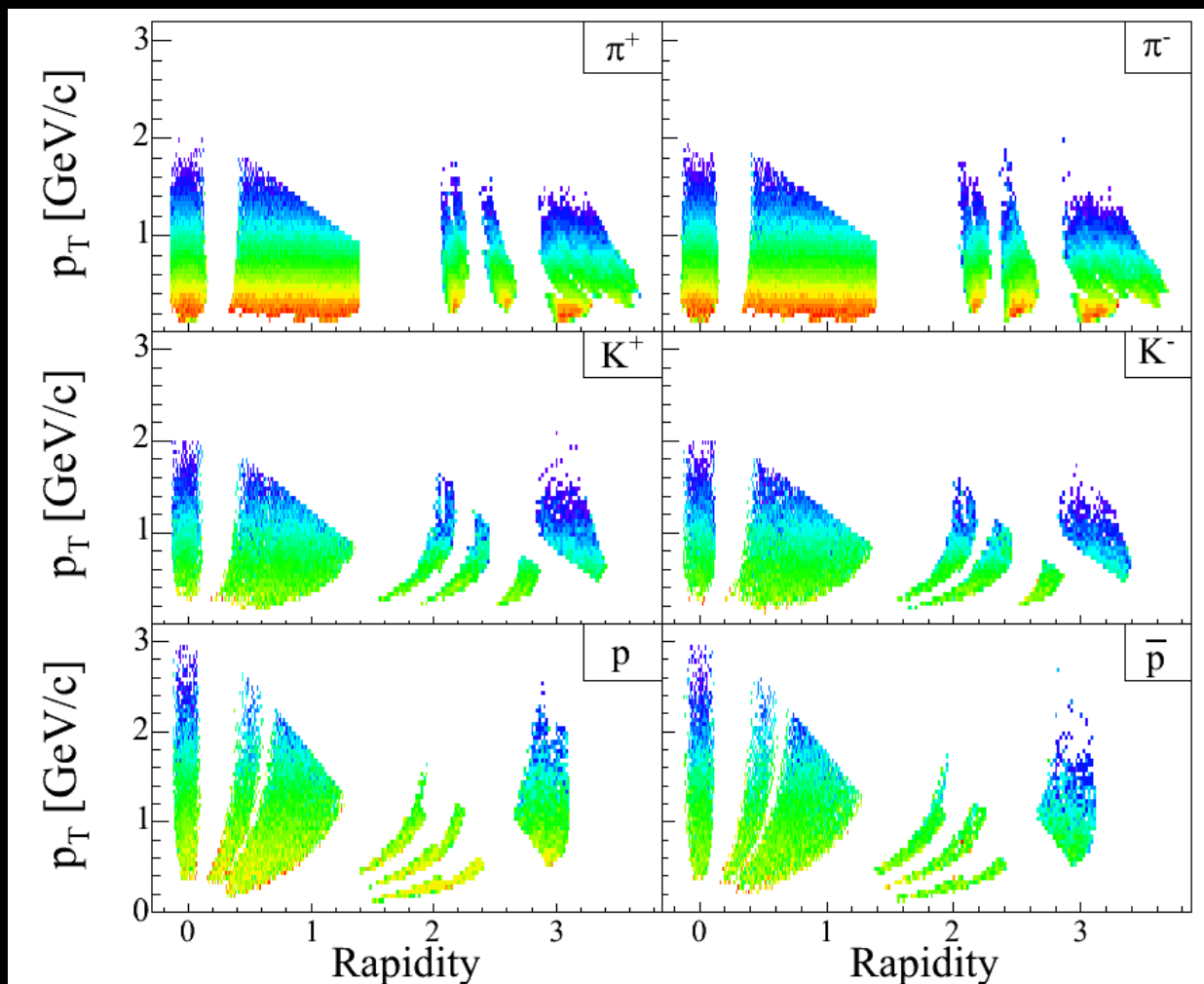


Two small solid angle spectrometers (FS and MRS)

that can rotate from 2.3° to 30° and 30° to 90° (MRS)

provide excellent PID over broad range in  $y$ - $p_T$

# BRAHMS Acceptance:

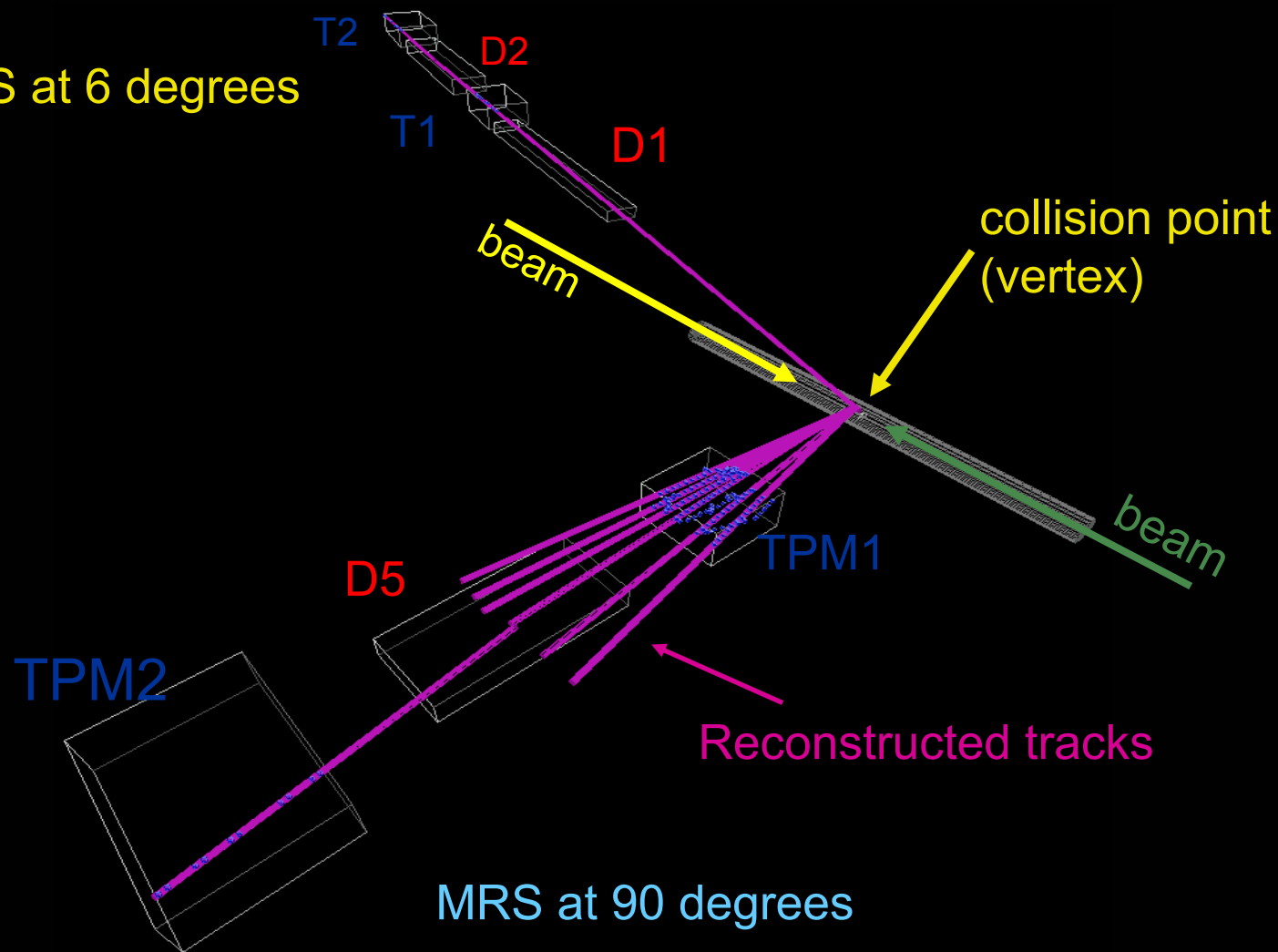
 $\pi$ 

K

p

# A BRAHMS Event

FFS at 6 degrees

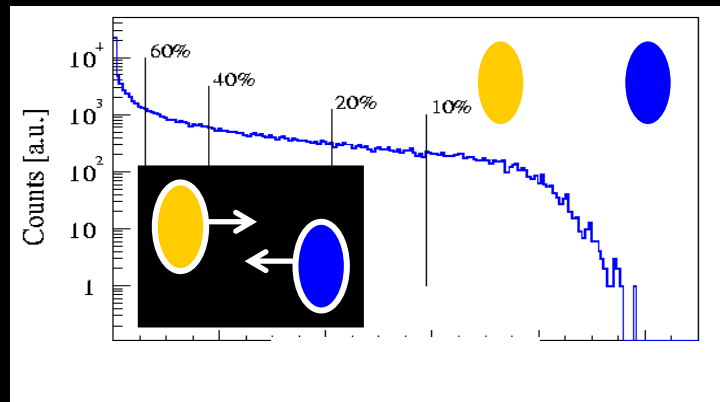


MRS at 90 degrees

# Event Counting

We measure (almost) all the collisions and counting is easy!

...still we need the centrality from the multiplicity (MA)...

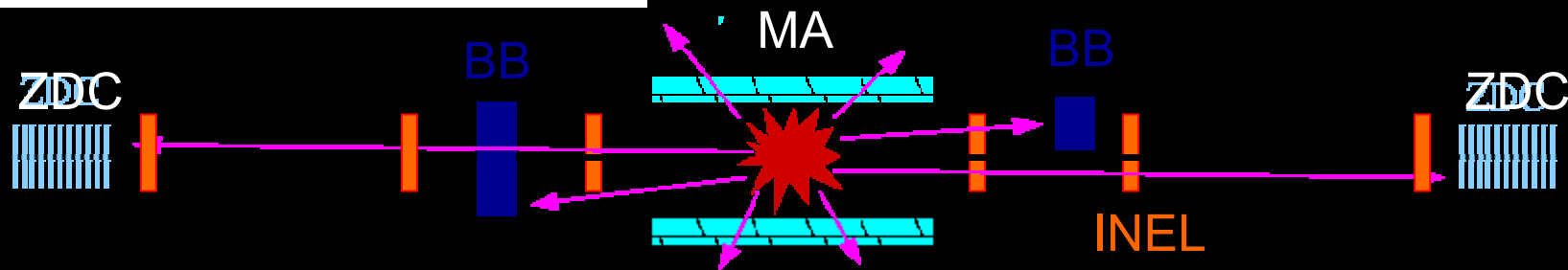


We want to make spectra,

$$\frac{1}{N_{\text{events}}} \frac{1}{2\pi p_T} \frac{dN_{\text{tracks}}}{d\eta dp_T}$$

⇒ we need to count the number of collisions (events)  $N_{\text{events}}$  and the number of tracks  $N_{\text{tracks}}$

...and the collision point (vertex) from the BB, ZDC and INEL counters.



# Charged Particle Multiplicity

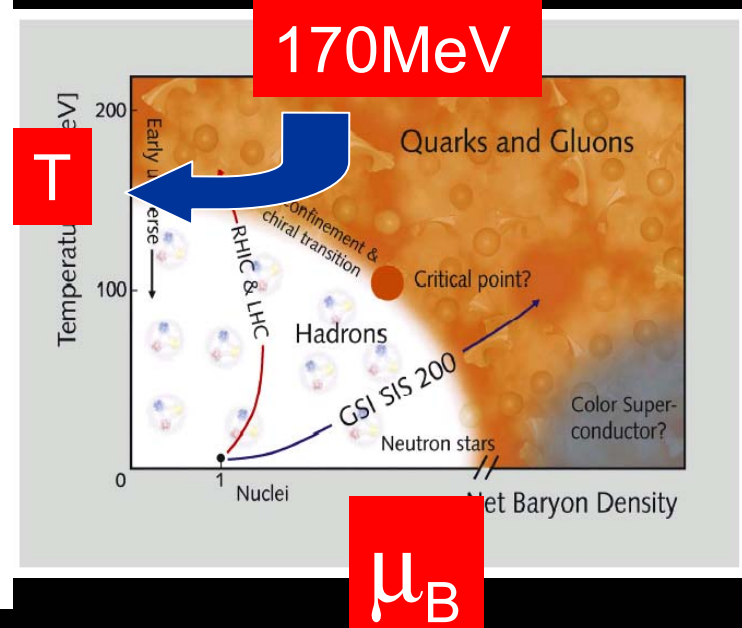
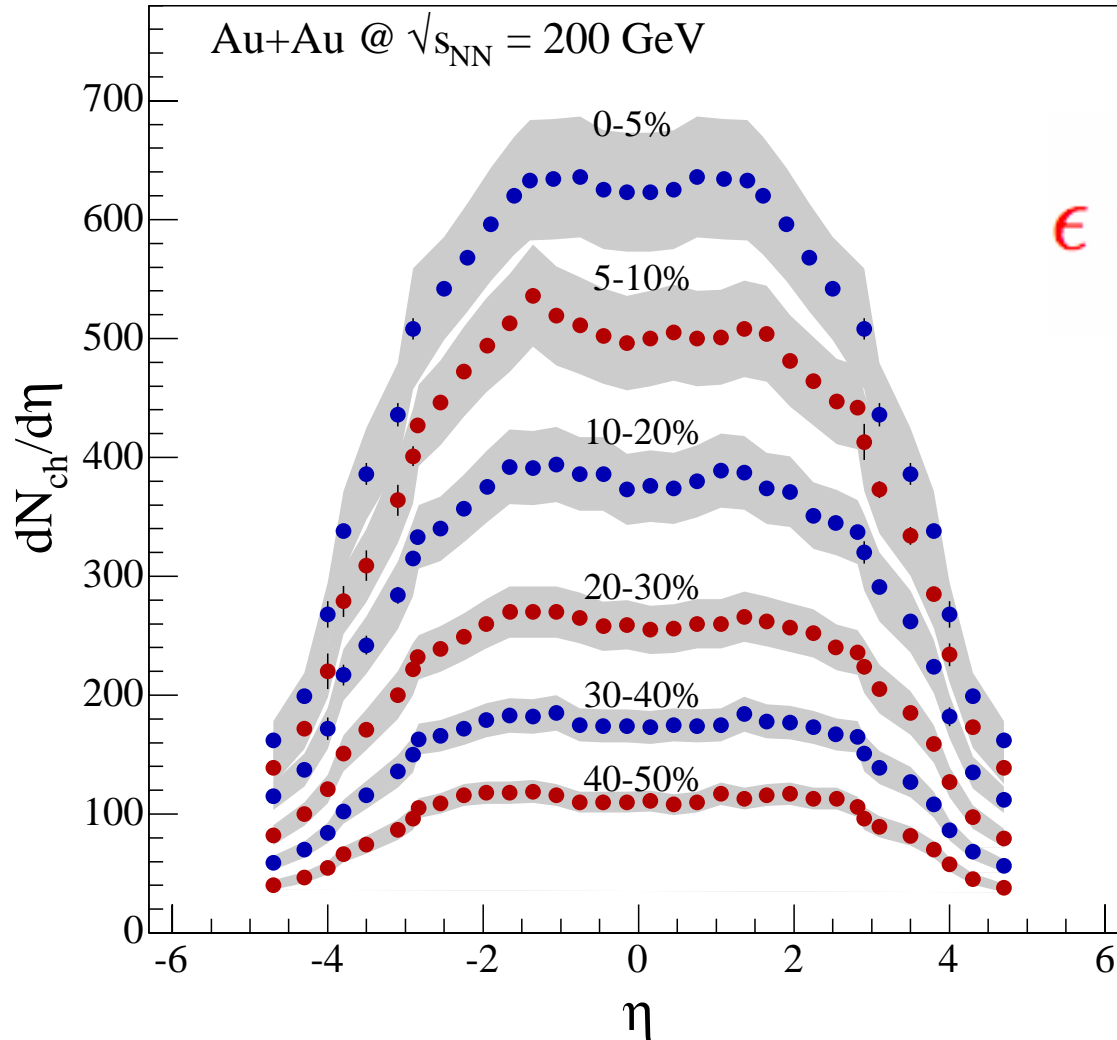
$$dN/d\eta$$



According to Bjorken,

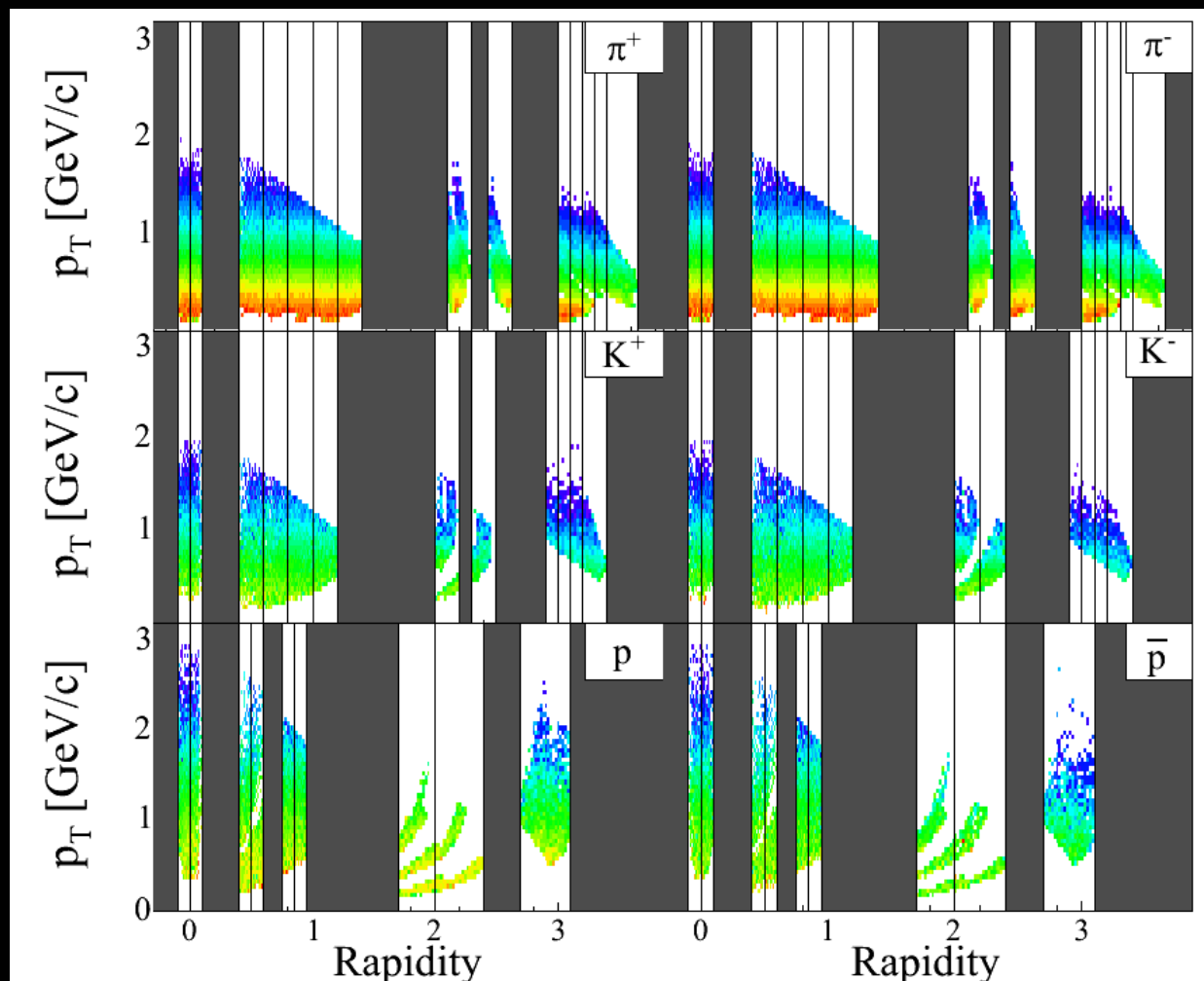
$$\epsilon \approx \frac{1}{A_t} \frac{dN}{d\eta} \frac{1}{\tau} \langle E_t \rangle$$

$$\epsilon > 5 \text{ GeV/fm}^3$$



# Particle Spectra

After appropriate corrections, we combine all data sets to obtain final invariant yields over a broad range of rapidity and  $p_T$

 $\pi$ 

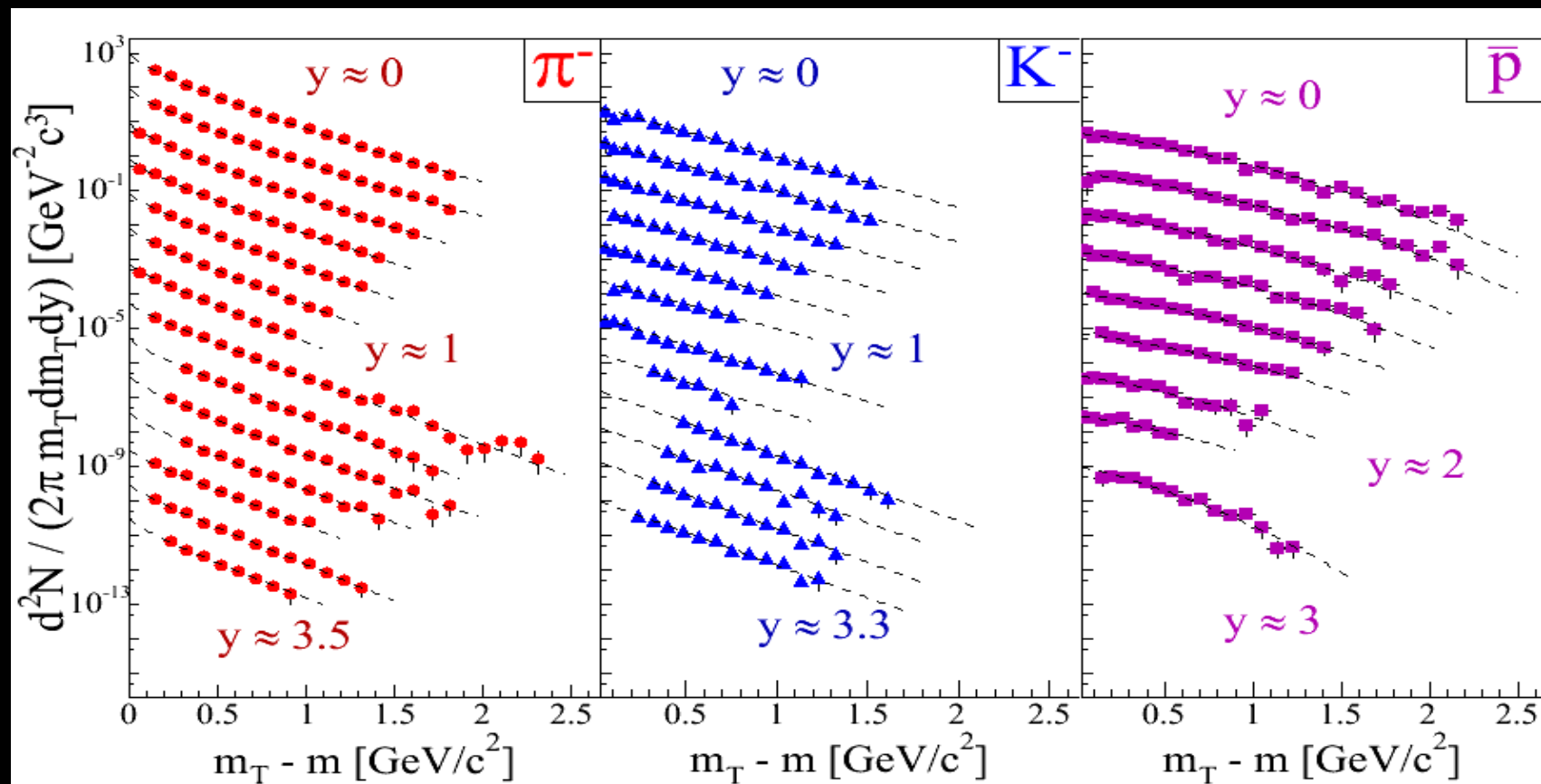
K

p



# Spectra:

Top 5% central collisions



**Pions: power law**

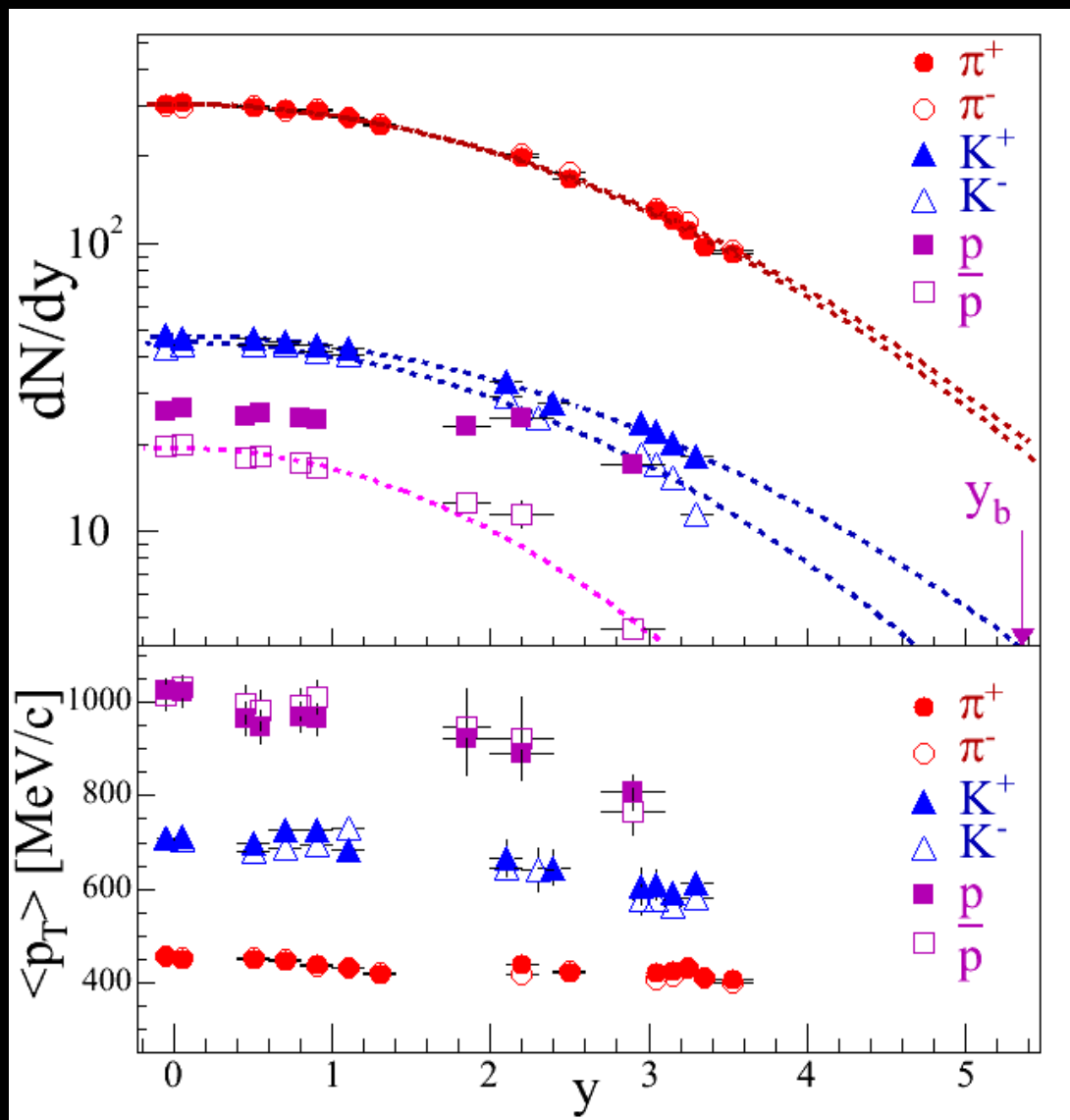
$$A \left( 1 + \frac{p_T}{p_0} \right)^{-n}$$

**Kaons: exponential**

$$A \exp \left( -\frac{m_T - m}{T} \right)$$

**Protons: Gaussian**

$$A \exp \left[ -\frac{p_T^2}{2\sigma^2} \right]$$



At  $y \sim 0$ ,  $dN/dy$  is  
 $\sim 300$  (300) for  $\pi^+$  ( $\pi^-$ )  
 $\sim 47$  (44) for  $K^+$  ( $K^-$ )  
 $\sim 27$  (20) for  $p$  ( $\bar{p}$ )

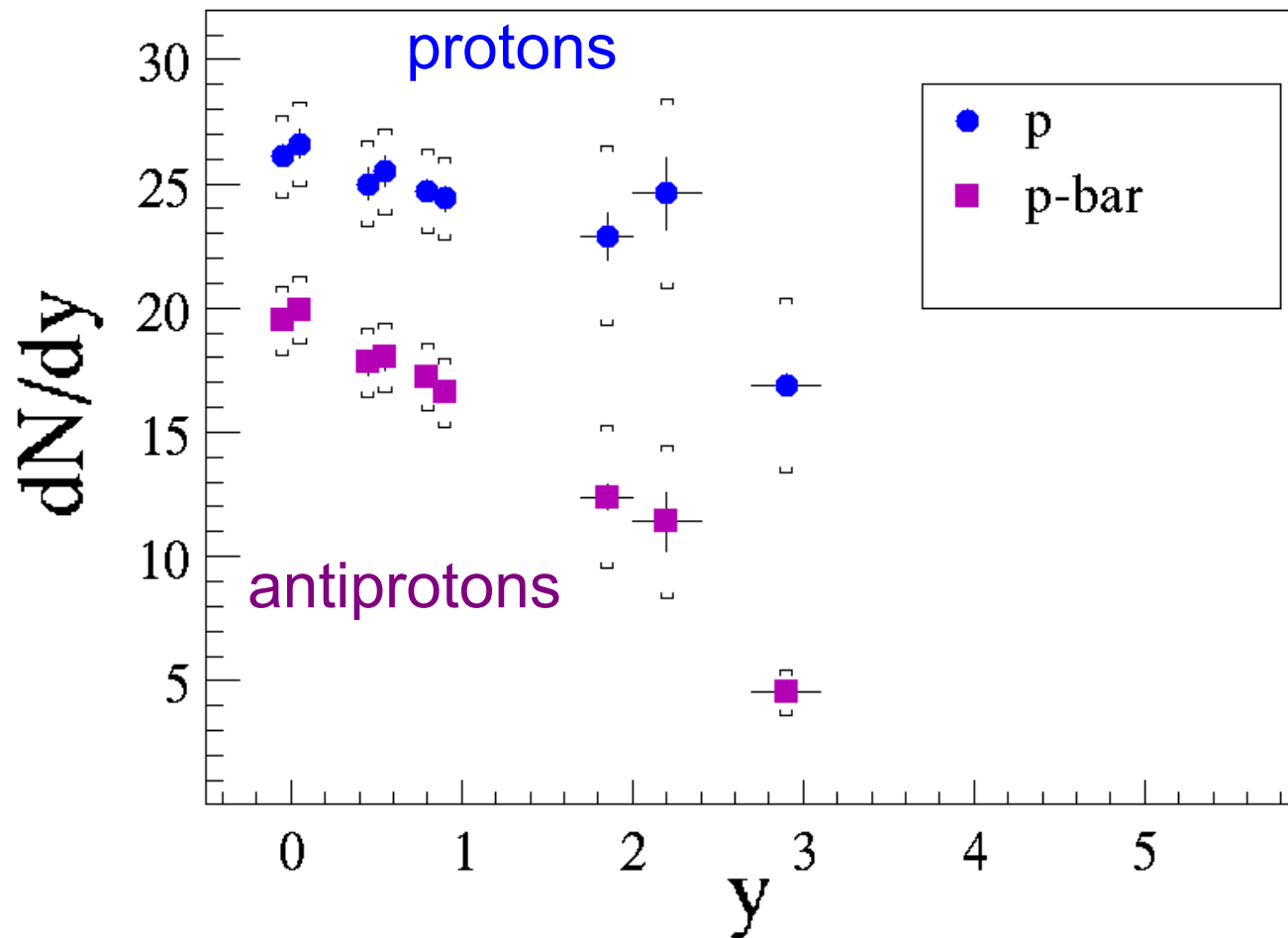
$N(\pi) \gg N(K) > N(p)$   
 $N(\pi^+) = N(\pi^-)$

$N(K^+) > N(K^-)$  and  
 $N(p) > N(\bar{p})$  systematically

Integrated multiplicities  
 (Gaussian fit)

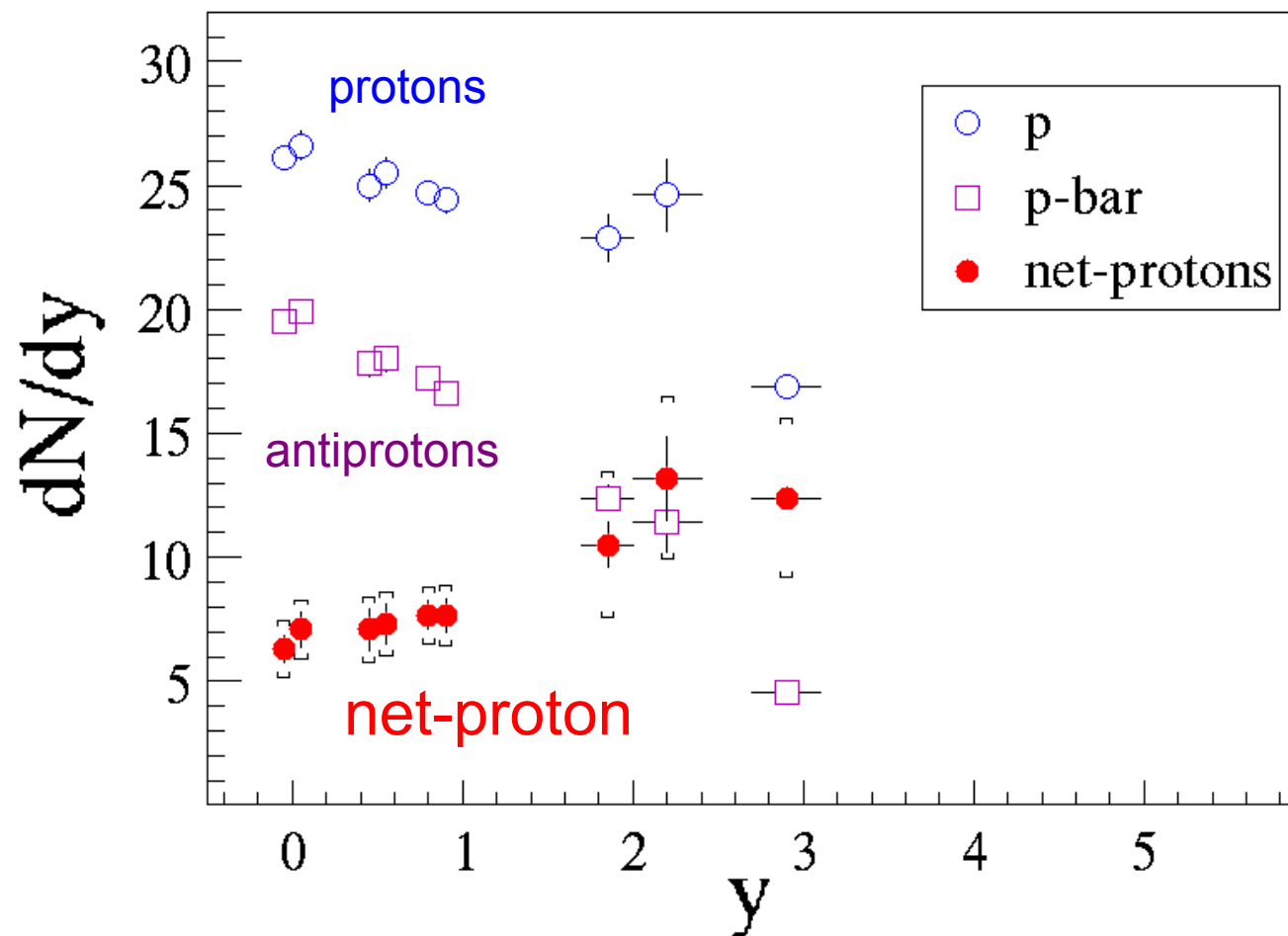
$N(\pi^-) \sim 1780$     $N(\pi^+) \sim 1760$   
 $N(K^+) \sim 290$     $N(K^-) \sim 240$   
 $N(\bar{p}) \sim 85$

# Proton & antiproton $dN/dy$ (5% central)



BRAHMS, submitted  
to PRL, 31/12/03  
nucl-ex/0312023  
P. Christiansen  
Ph.D. Thesis, København's  
Universitet

# “Net” Proton = proton - antiproton dN/dy (5% central)



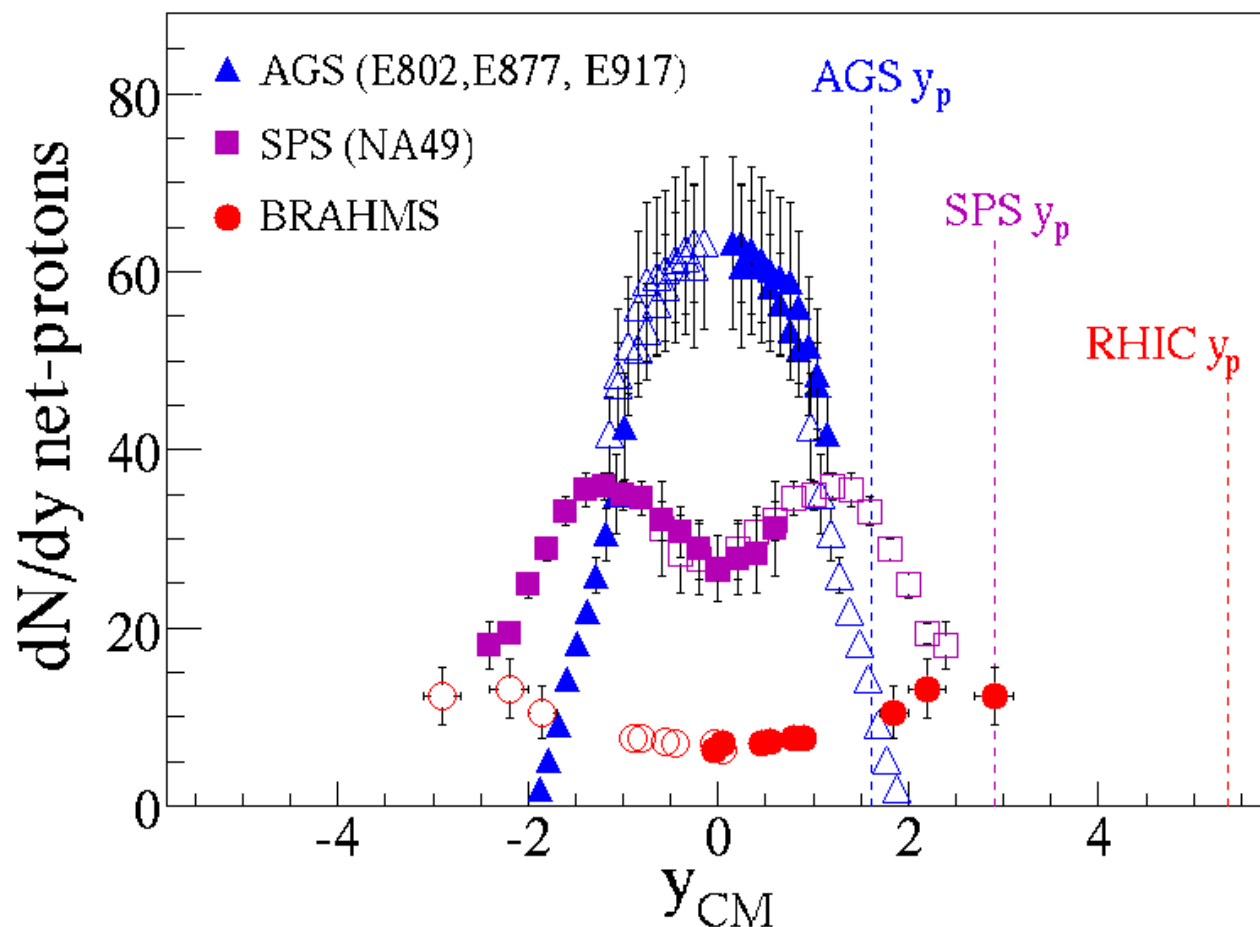
BRAHMS, submitted  
to PRL, 31/12/03

nucl-ex/0312023

P. Christiansen

Ph.D. Thesis, København's  
Universitet

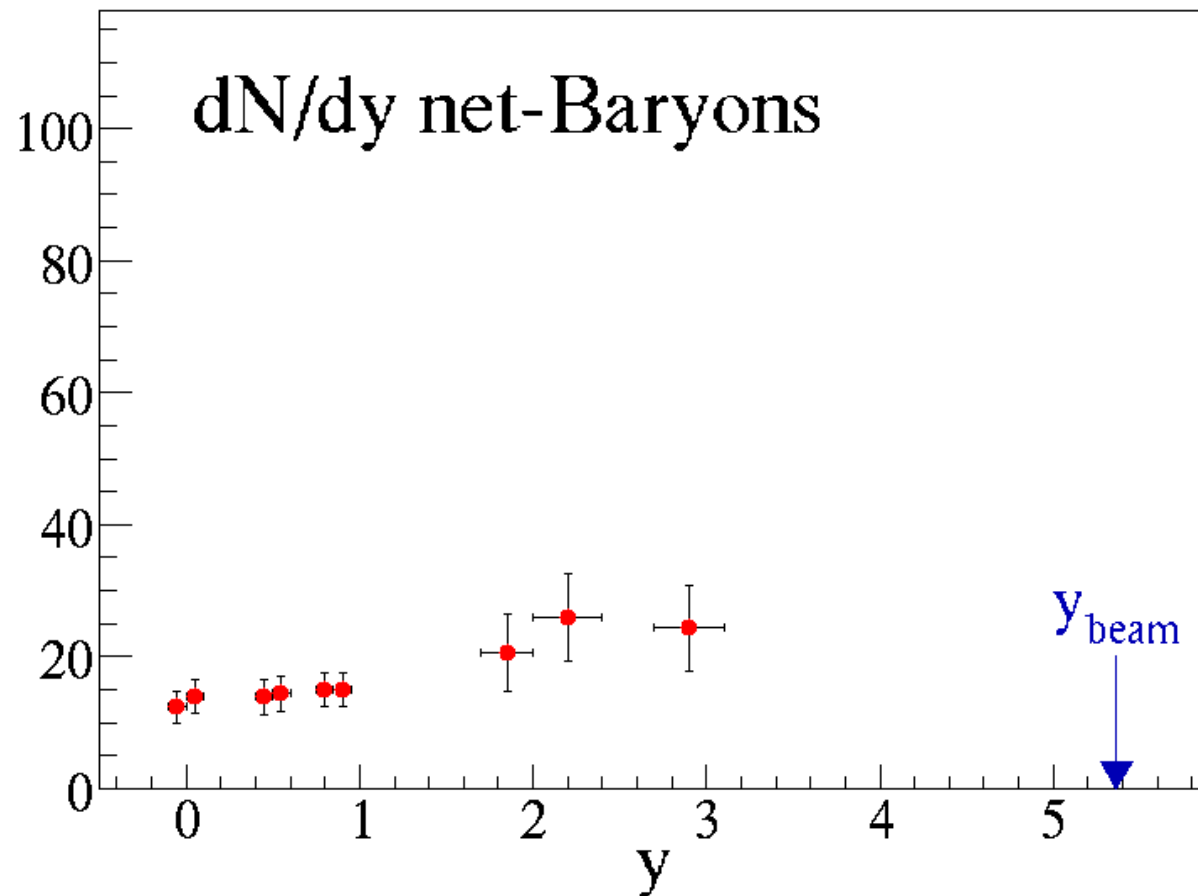
# RHIC vs. AGS, SPS:



BRAHMS, submitted  
 to PRL,  
 nucl-ex/0312023  
 P. Christiansen  
 Ph.D. Thesis

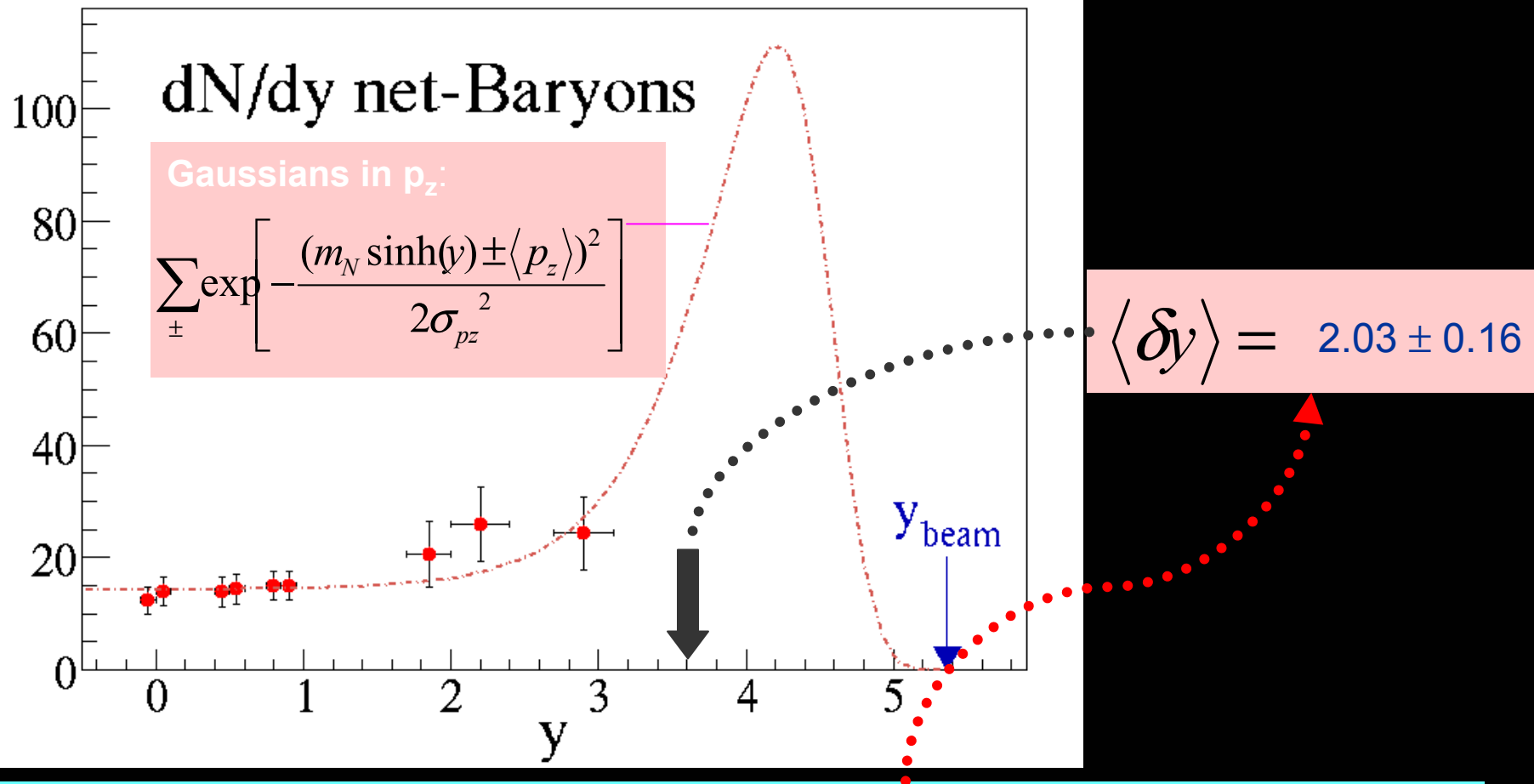
AGS : high stopping  
 RHIC: more  
 transparent

# Net Baryon $dN/dy$



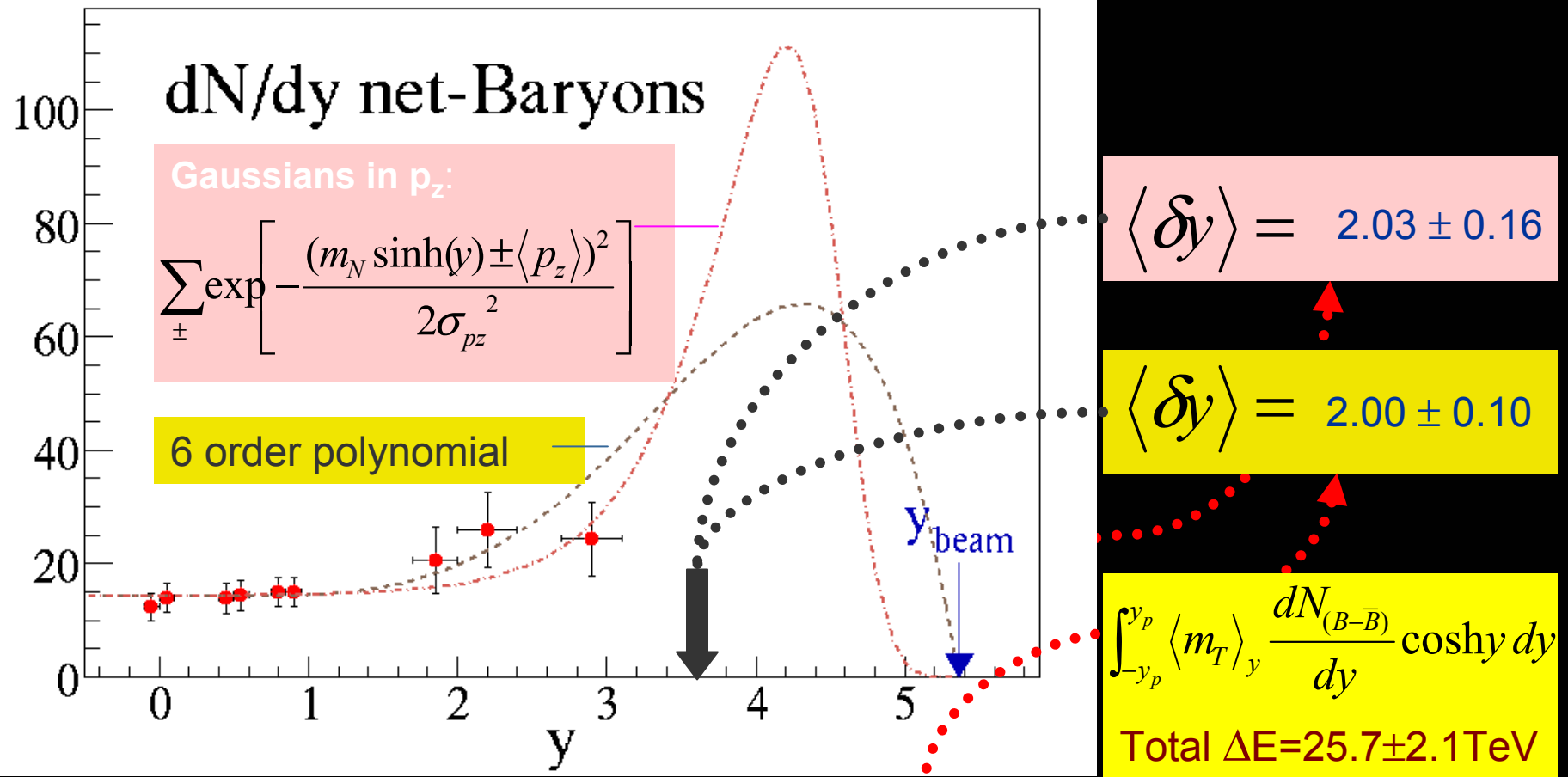
Calculate net-baryon distribution from net-protons (and  $y=0$  yields of  $\Lambda$ , and Hijing...)

# Rapidity loss: gaussian in $p_z$



**Rapidity loss:**  $\langle \delta y \rangle = y_p - \langle y \rangle = y_p - \frac{2}{N_{part}} \int_0^{y_p} y \frac{dN_{(B-\bar{B})}}{dy} dy$

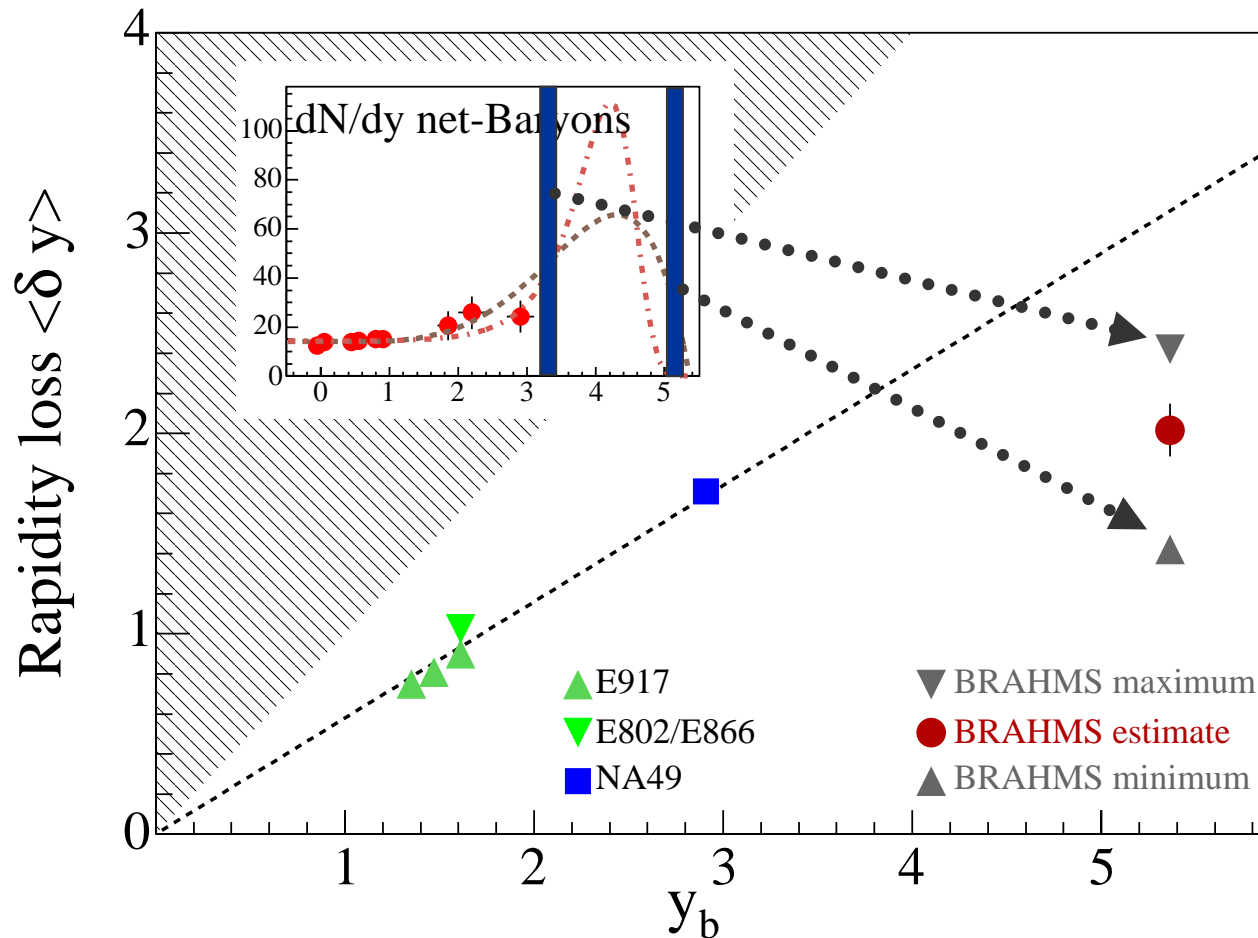
# Rapidity loss: 6th order polynomial



**Rapidity loss:**  $\langle \delta y \rangle = y_p - \langle y \rangle = y_p - \frac{2}{N_{\text{part}}} \int_0^{y_p} y \frac{dN_{(B-\bar{B})}}{dy} dy$



# $\delta y$ vs. $y_{\text{beam}}$



Even (unphysically) extreme approximations don't change conclusions: scaling broken, large energy available

Total  $\Delta E = 25.7 \pm 2.1 \text{ TeV}$

$$\int_{-y_p}^{y_p} \langle m_T \rangle_y \frac{dN_{(B-\bar{B})}}{dy} \cosh y dy$$

# Energy Balance...

Energy (in GeV)

p : 3108	$\pi^0$ : 6004
$\bar{p}$ : 428	n : 3729
$K^+$ : 1628	$\bar{n}$ : 513
$K^-$ : 1093	$K^0$ : 1628
$\pi^+$ : 5888	$\bar{K}^0$ : 1093
$\pi^-$ : 6117	$\Lambda$ : 1879
	$\bar{\Lambda}$ : 342

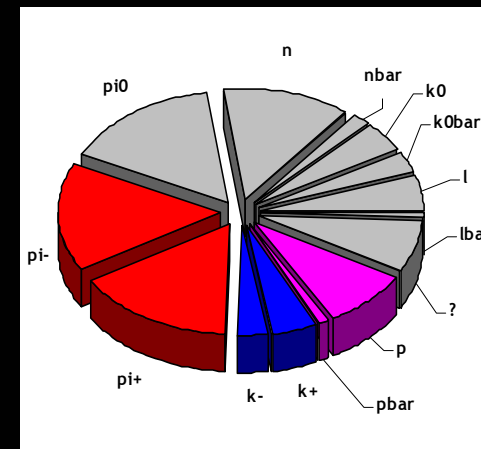
**sum: 33.4 TeV**  
**produced: 24.8 TeV**

NB: the method is very sensitive to the tails of the dN/dy dist. ( $\pm 10-15\%$ )

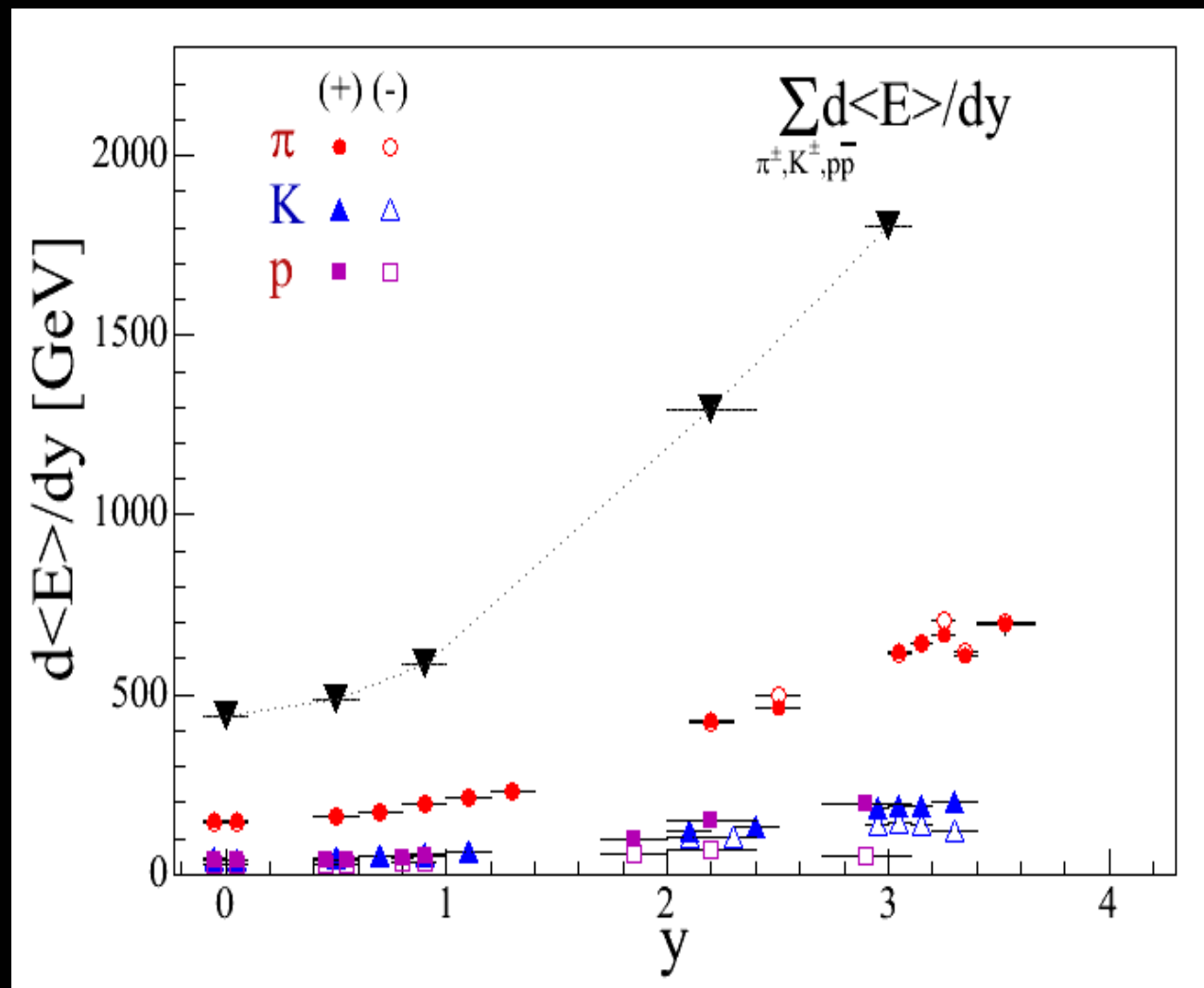
- Fit  $\pi$ , K and p distributions (dN/dy and  $\langle m_T \rangle$  vs y)  
 $\Rightarrow$  total energy of  $\pi$ , K and p
- Assume reasonable distribution for particles we don't detect ( $\pi^0, n, \Lambda \dots$ )
- Calculate the total energy...

$$E_{\text{total}} = \sum_{\text{specie}} \left[ \int \frac{dN}{dy} \langle m_T \rangle \cosh(y) dy \right]$$

**$\approx 35 \text{ TeV}$**  ( $E_{\text{beam}} \times N_{\text{part}}$ )  
of which  $\approx 25 \text{ TeV}$  are carried by produced particles.

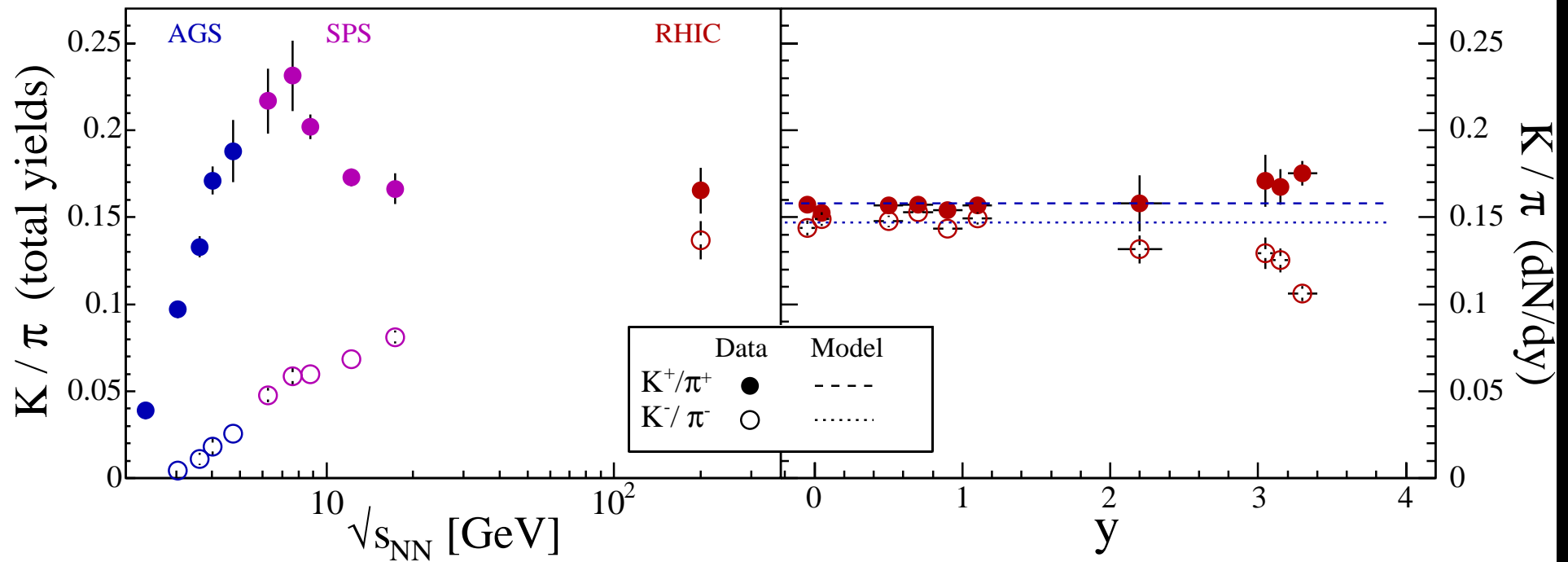


# Where is the energy?



$\approx 9\text{TeV}$  in  
 produced  
 particles  
 in the  
 covered  $y$  range  
 $-3 < y < 3$

# Strange to non-strange meson ratios



$K^-/\pi^- \approx K^+/\pi^+$  at midrapidity

Depend strongly on baryochemical potential

# Strangeness with Kaons

## RAPIDITY DEPENDENCE

$Y < 1$  : consistent with  
Hadron Gas Stat. Model

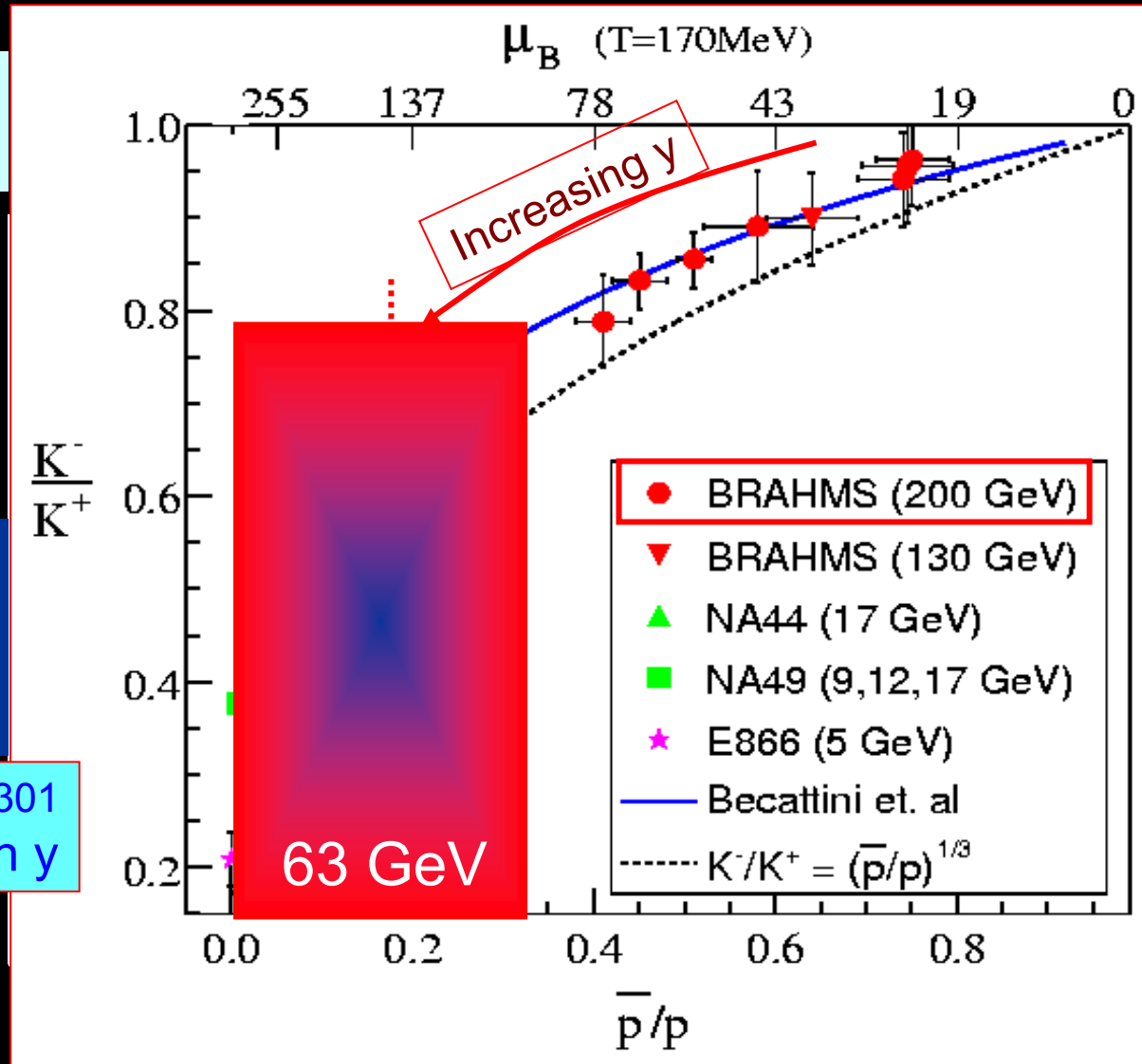
$K^+/\pi^+ : 15.6 \pm 0.1 \%$  (stat)

$K^-/\pi^- : 14.7 \pm 0.1 \%$  (stat)

[Phys. Lett. B 518 (2001) 41]

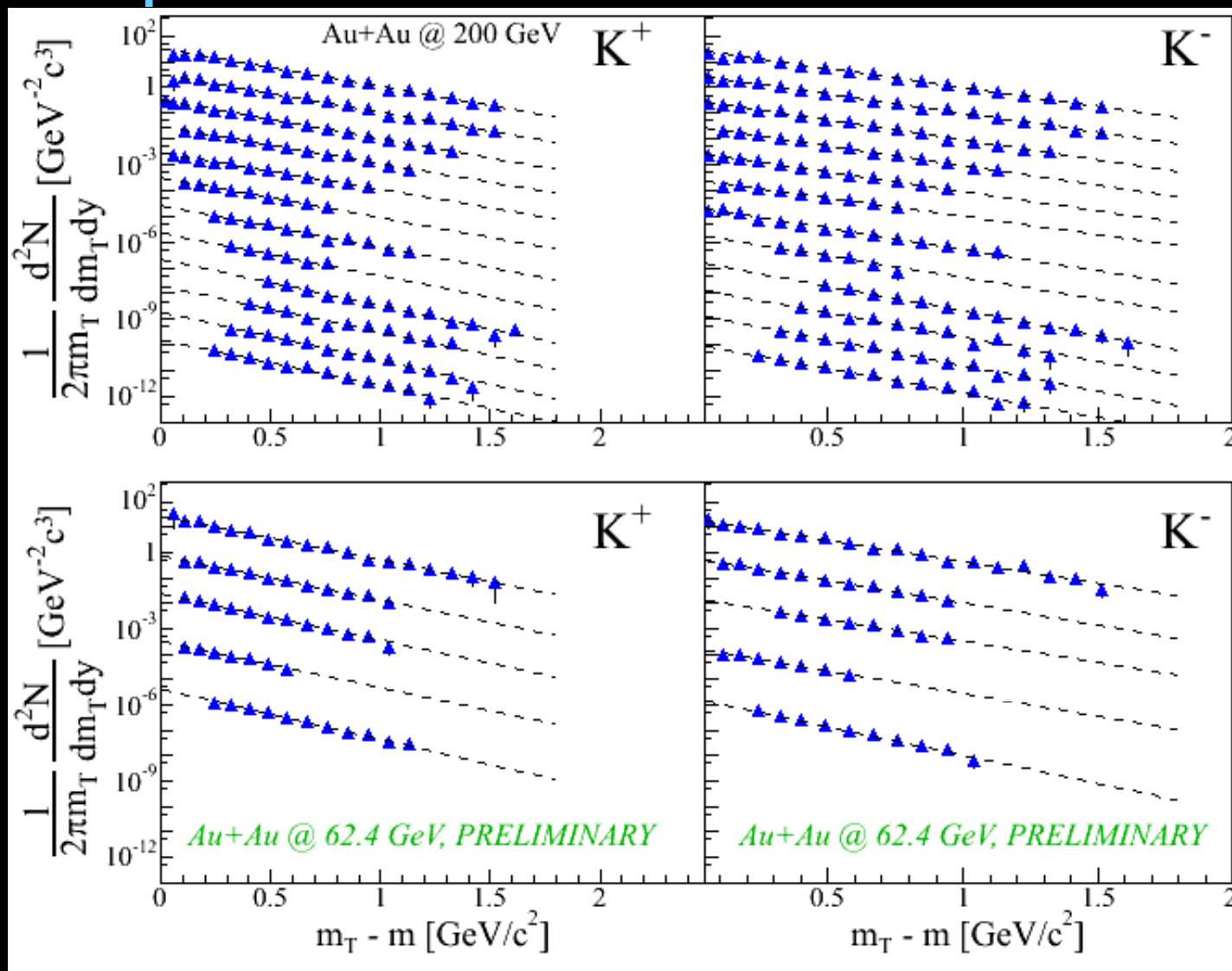
Divergence at higher  $y$  :  
Associated  $K^+$  production  
No single source with  
unique  $T$  and  $\mu_B$

BRAHMS, PRL90 (2003) 102301  
 $T \sim \text{constant}$ ,  $\mu_B$  varies with  $y$

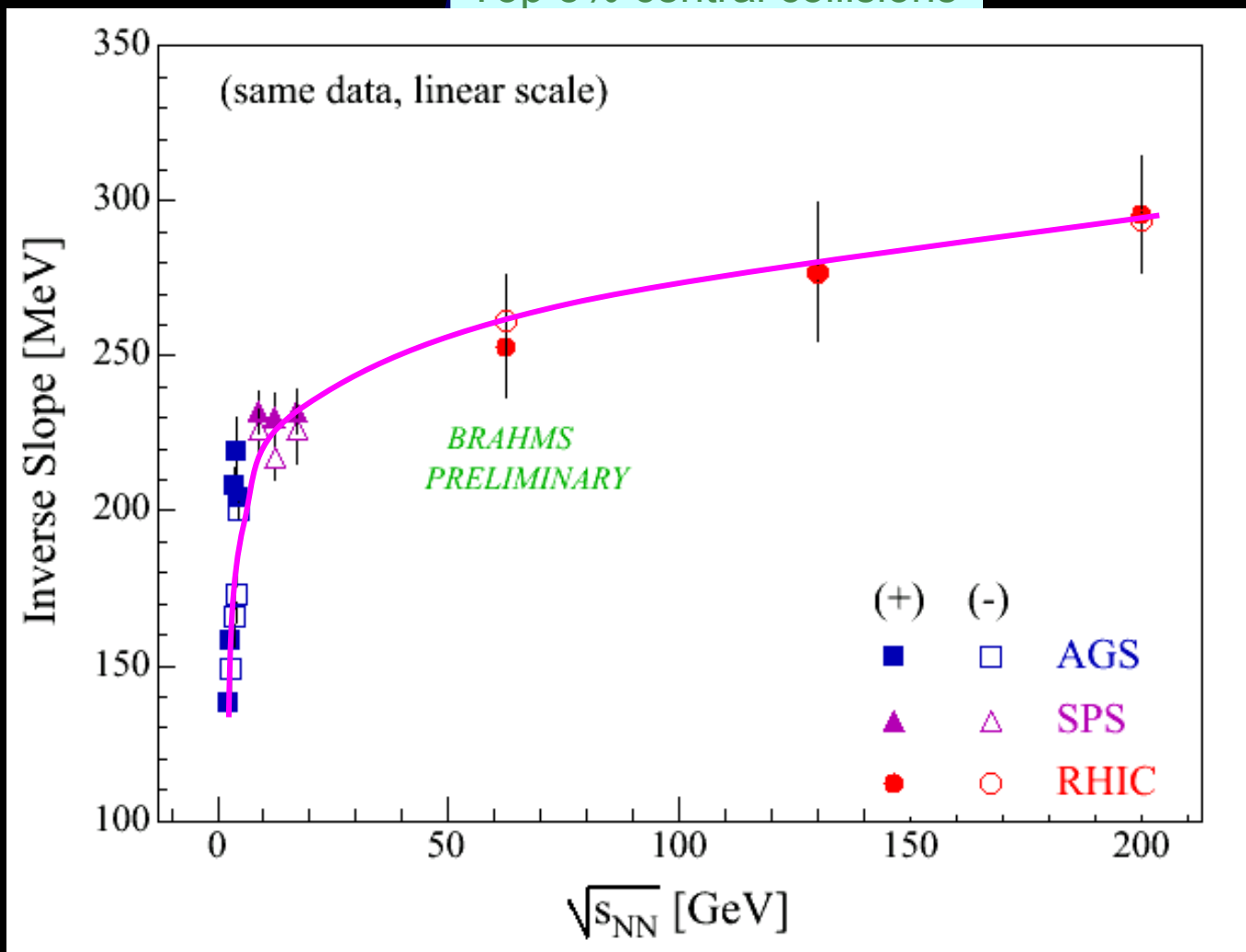


# Kaon Spectra

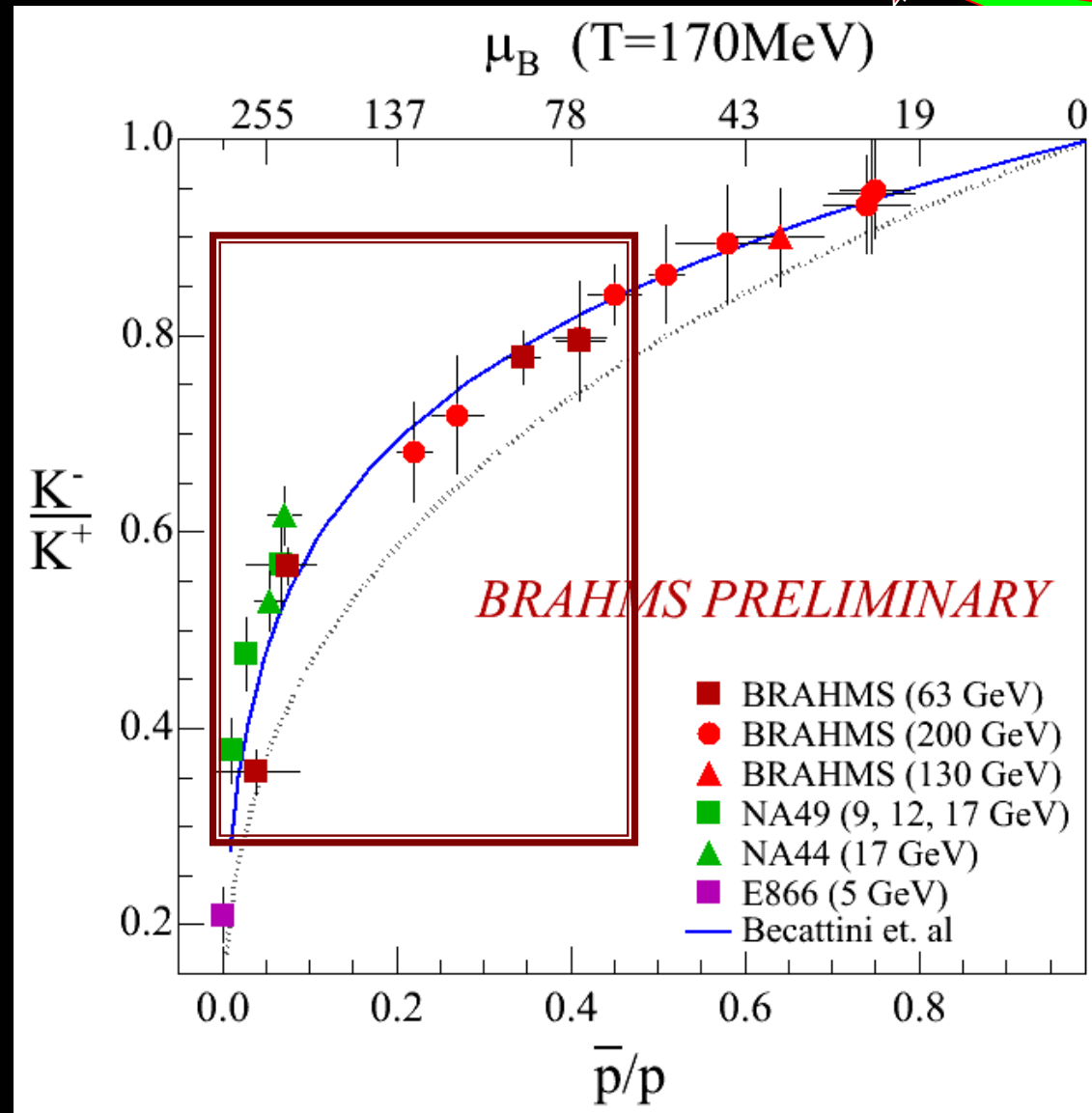
Top 5% central collisions



Top 5% central collisions

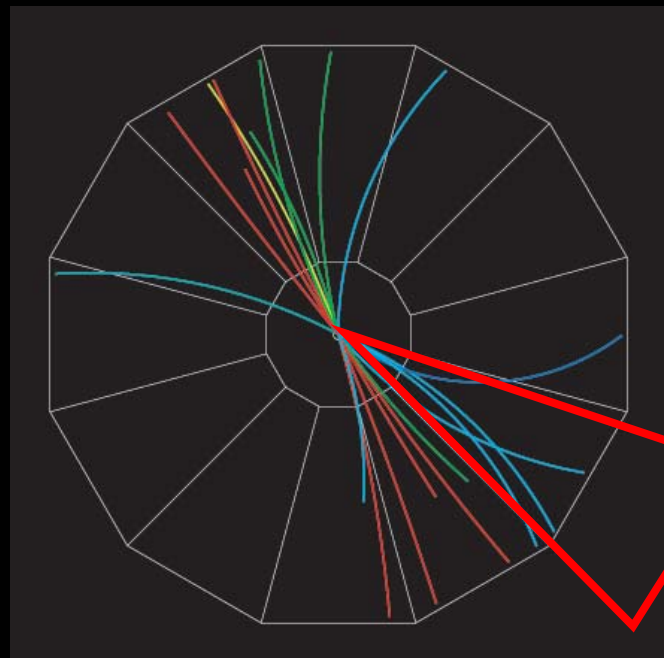


# Cover “peak” of strange matterhorn





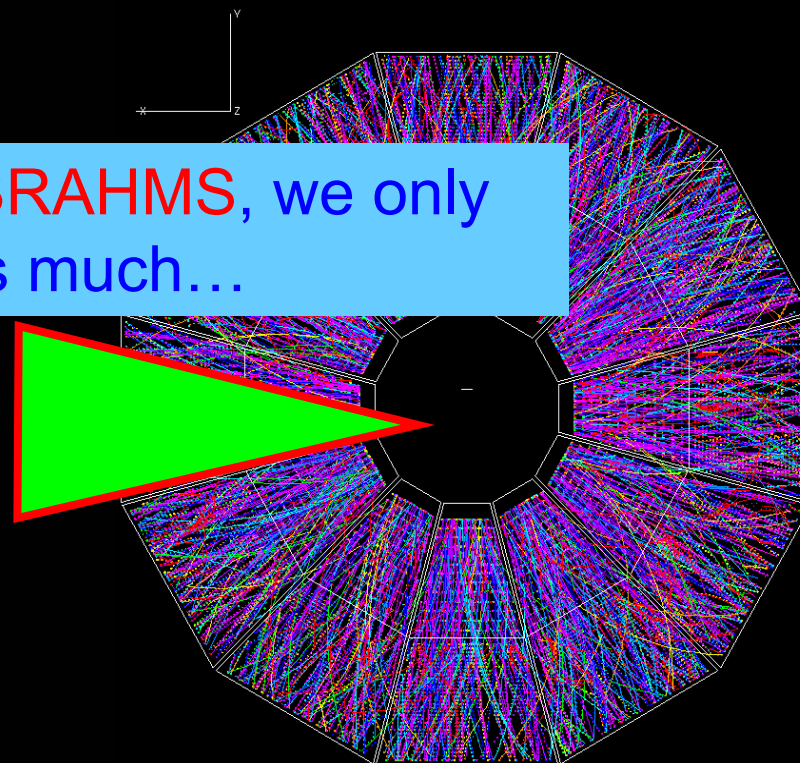
# Jets at RHIC



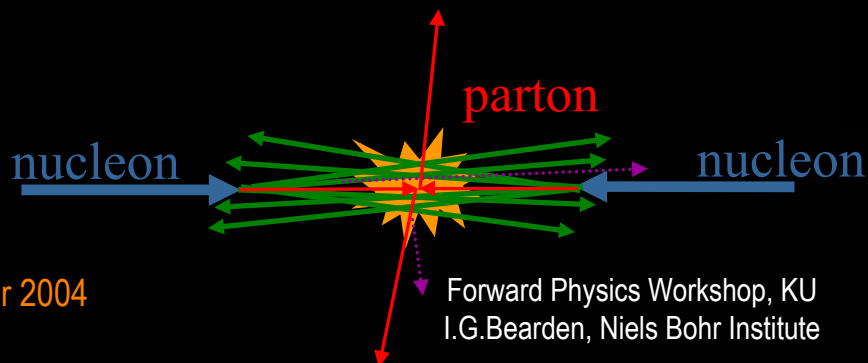
$p+p \rightarrow \text{jet}+\text{jet}$   
(STAR@RHIC)

Find this.....in this

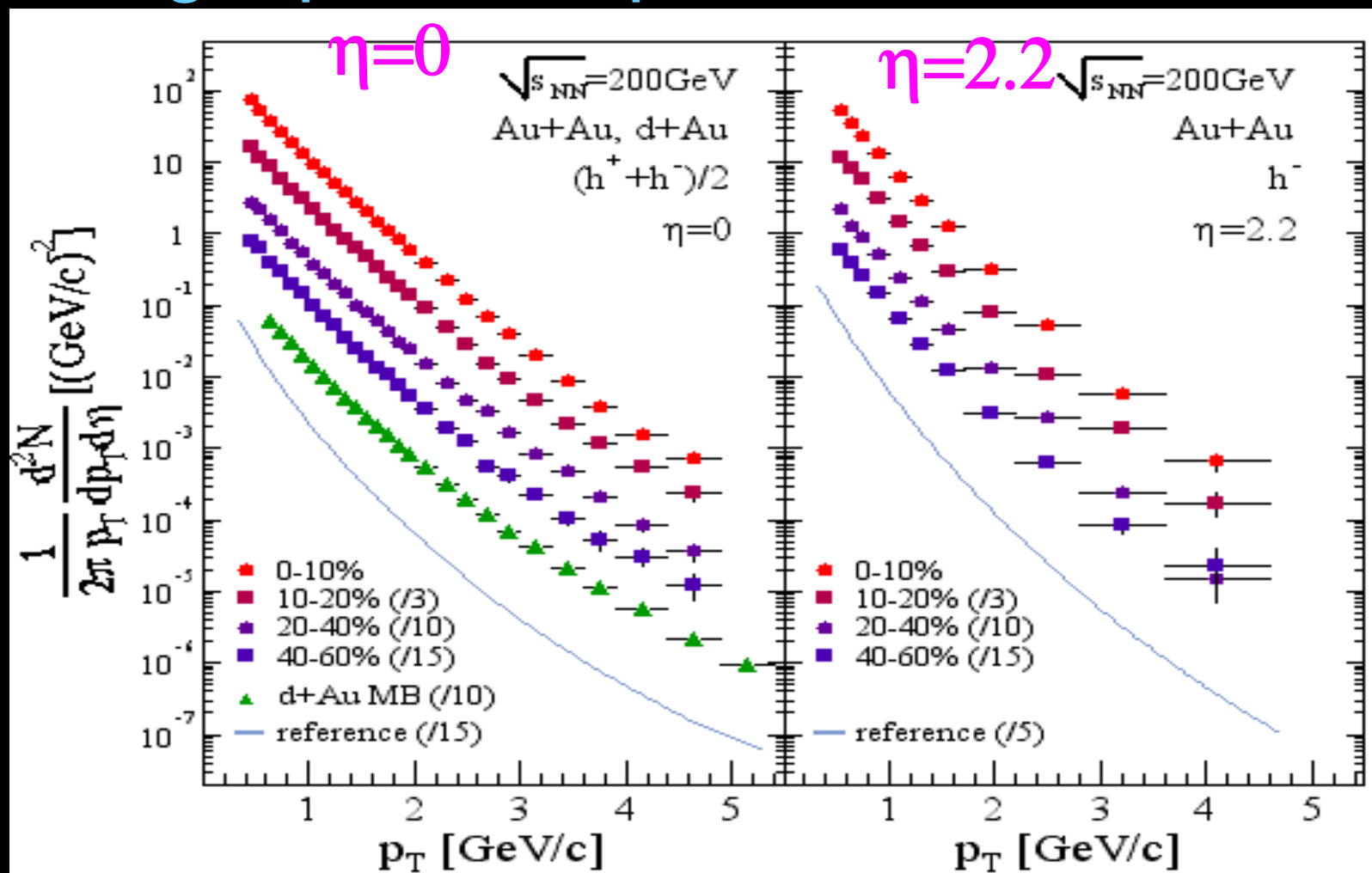
And, in BRAHMS, we only  
"see" this much...



$\text{Au}+\text{Au} \rightarrow ???$   
(STAR@RHIC)



# Characterize “high” $p_T$ by single particle spectra



# Nuclear Modification

Quantified by:

$$R_{AB} = \frac{d^2N^{AB} / dp_T d\eta}{\langle N_{bin} \rangle d^2N^{NN} / dp_T d\eta}$$

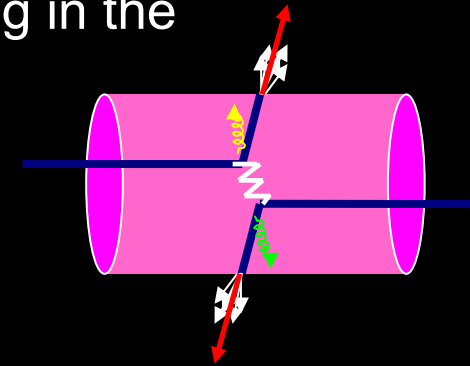
- yield relative to that from N+N collisions, scaled for the nuclear geometry ( $N_{bin}$ )

- Cronin Enhancement
- Shadowing/Saturation
- **Jet-quenching**

## Jet-quenching

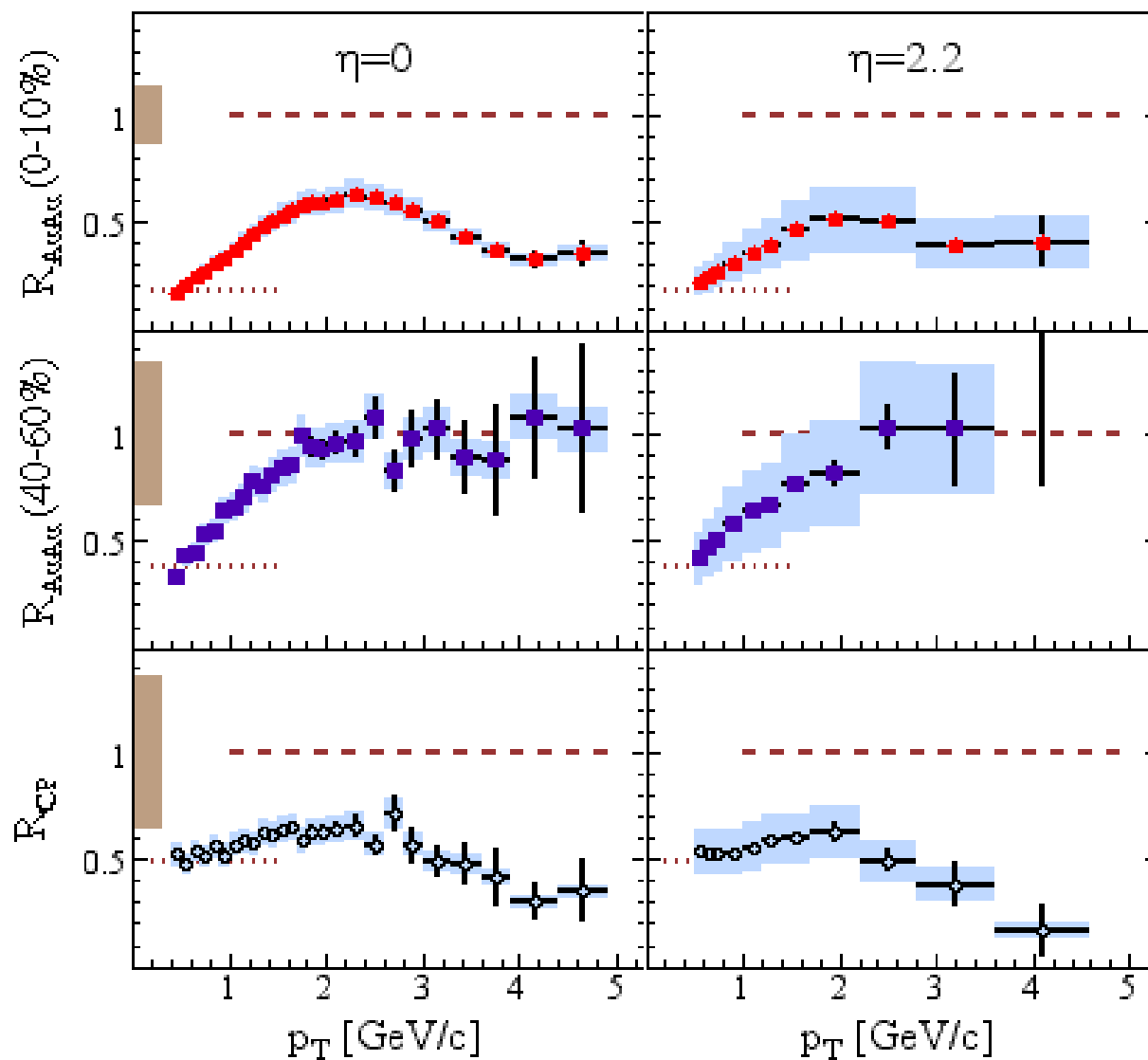
energy loss of high momentum particles in the dense medium due to

- gluon brehmstrahlung in the colored medium
- hadronic multiple scattering

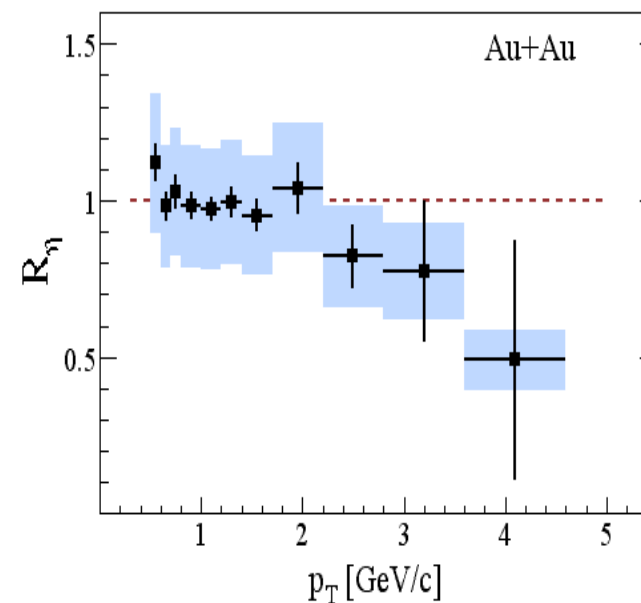


⇒ suppression of leading hadrons

- Au+Au at  $\sqrt{s_{NN}} = 130\text{GeV}$  and  $200\text{GeV}$
- next: energy+rapidity dependence

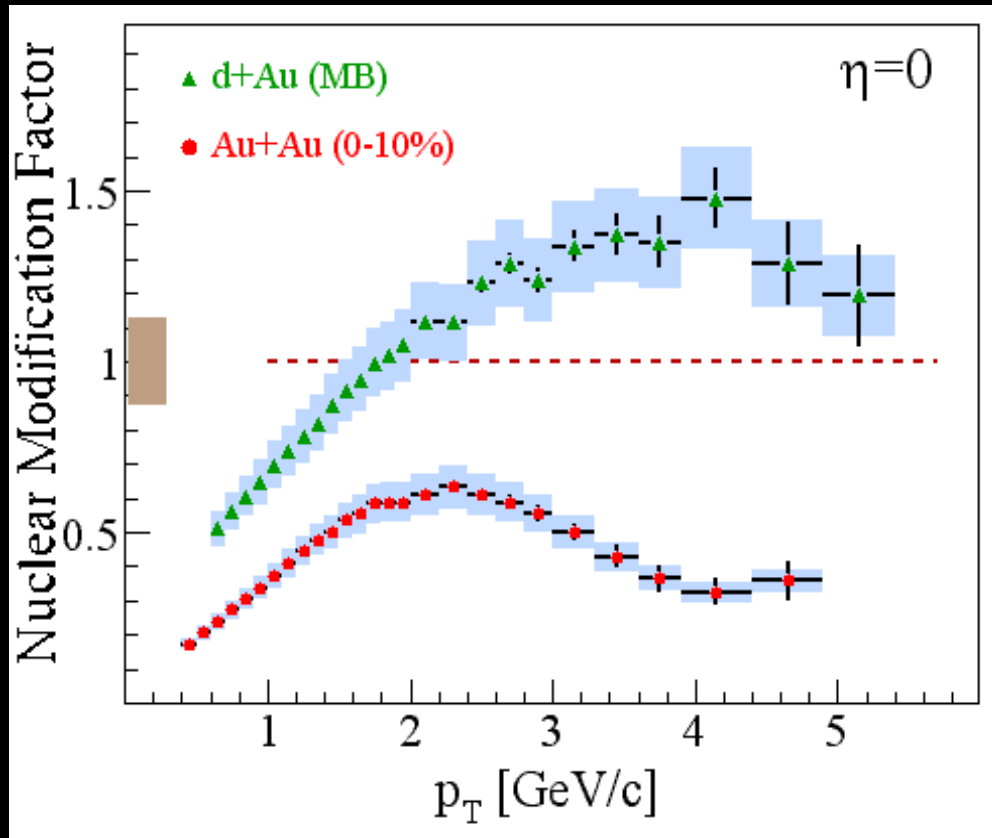


To look at 'only' data,  
form ratio  
 $R_\eta = R_{cp}(\eta=2.2)/R_{cp}(\eta=0)$



Arsene et al.  
PRL2003

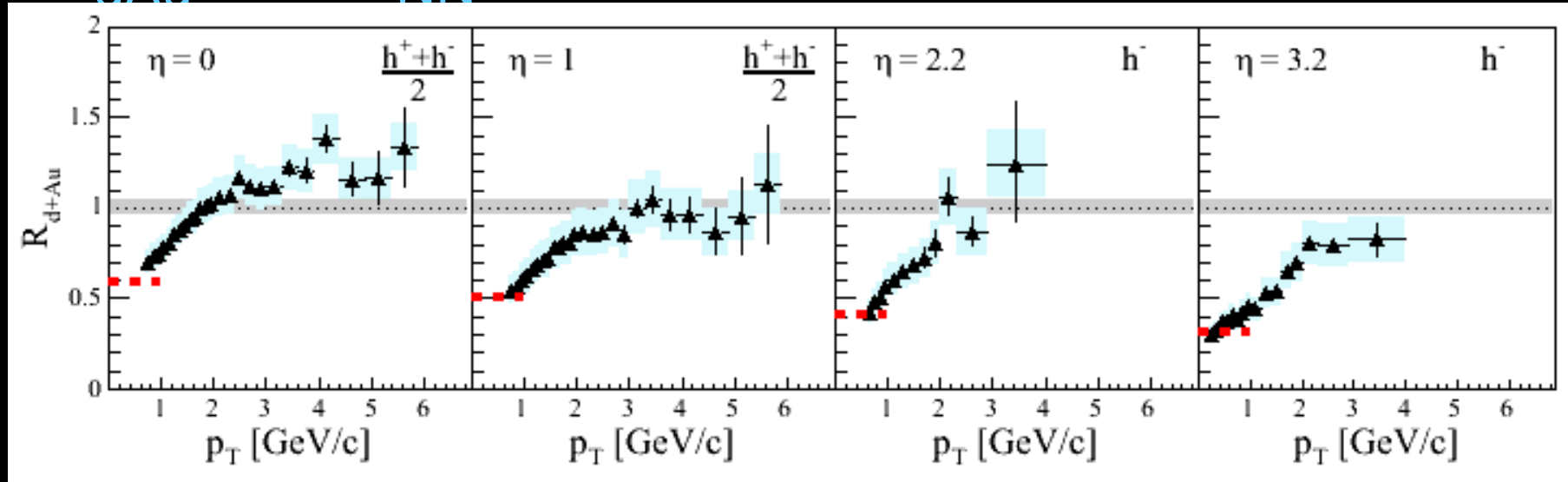
# d+Au Nuclear Modification $\eta = 0$



High  $p_T$  enhancement observed in d+Au collisions at  $\sqrt{s_{NN}}=200$  GeV.

Comparing Au+Au to d+Au  
 $\Rightarrow$  strong effect of dense medium

# $R_{dAu}$ at $\sqrt{s_{NN}} = 200$ GeV



## Cronin enhancement at $\eta=0$

- the “null” experiment that ruled out initial state effect as explanation for Au+Au suppression

submitted to PRL

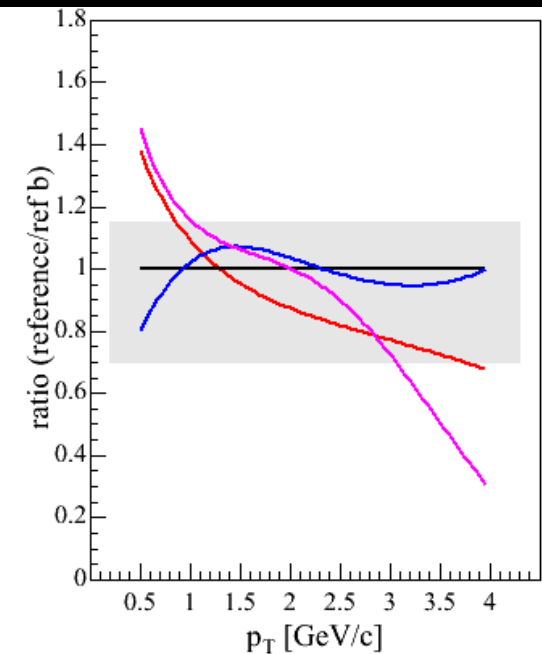
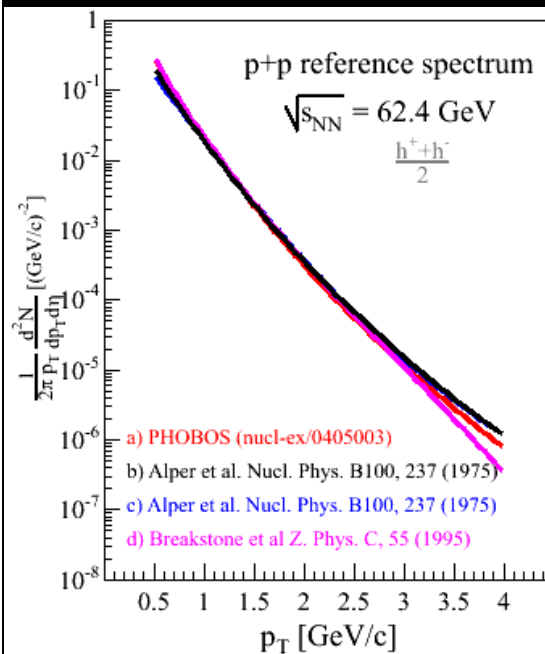
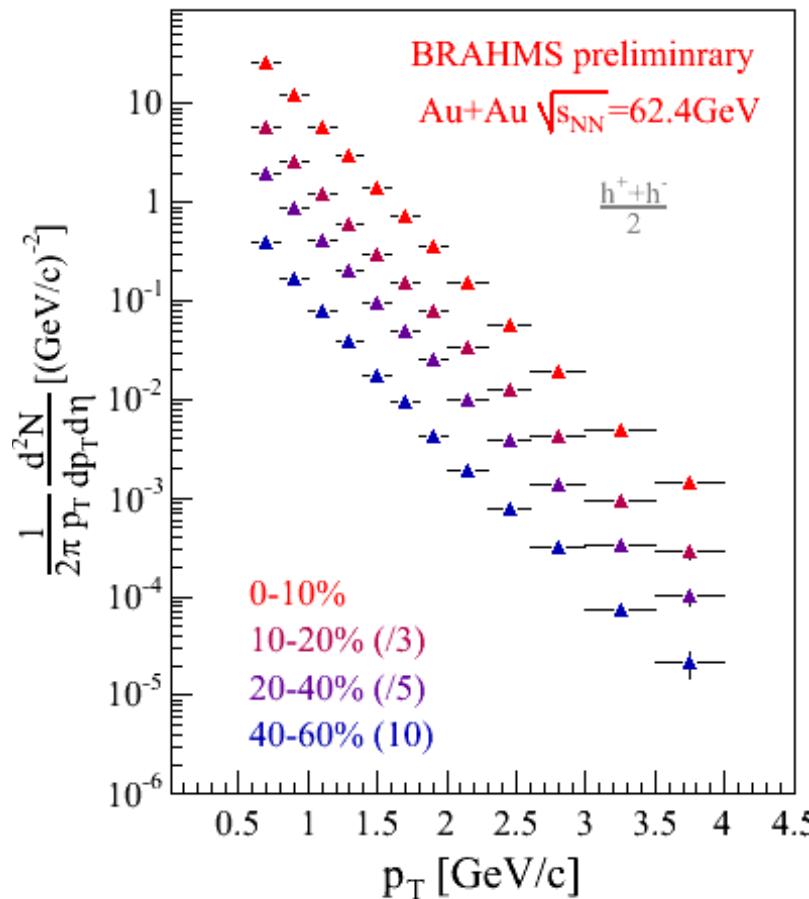
## Increasing suppression for $\eta \rightarrow 3$

- window to the low-x partons in the Au nuclei ( $Q_s \sim A^{1/3} e^{-\alpha y}$ )
- consistent with CGC prediction

# one week of 62.4 GeV running...

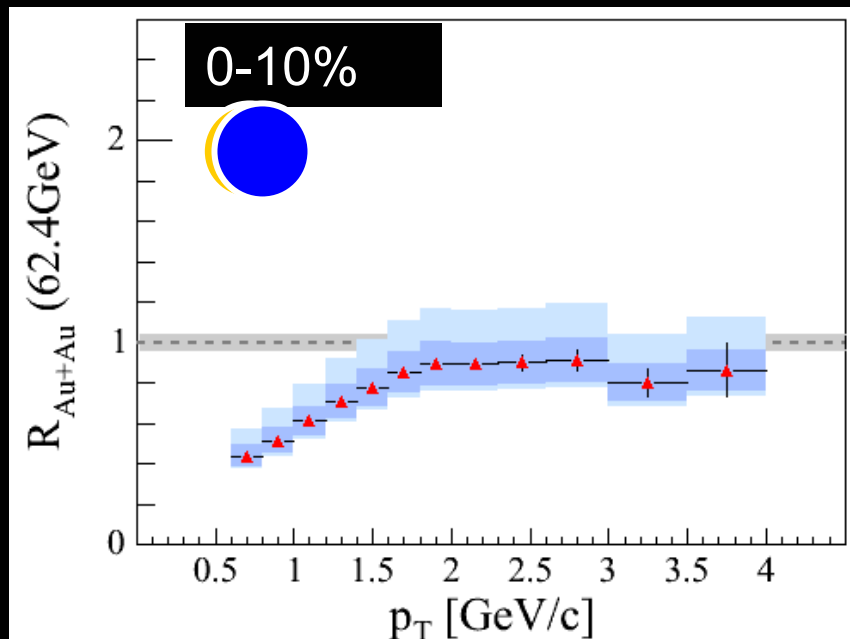
## New BRAHMS results

No RHIC p+p running at this energy:  
- what should we use as reference?

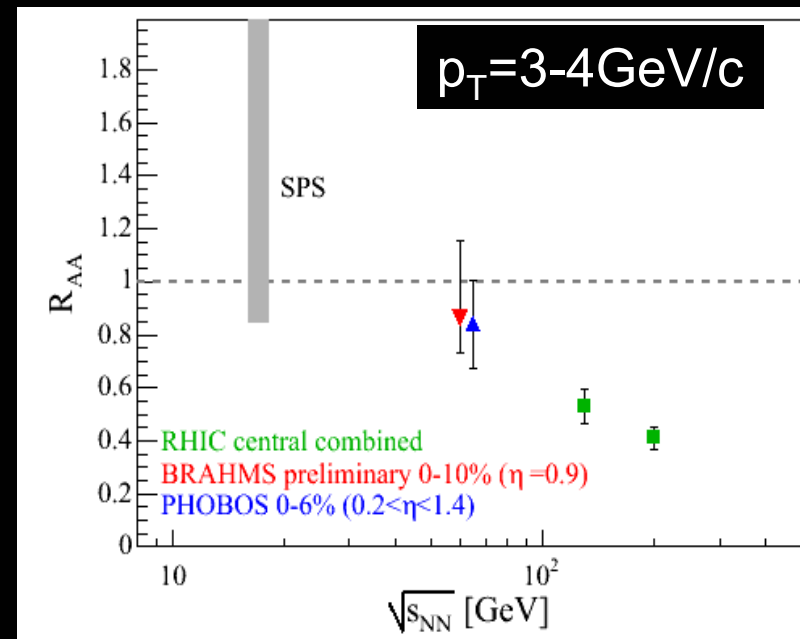


# $R_{\text{AuAu}}$ at $\sqrt{s_{\text{NN}}} = 62.4 \text{ GeV}$

Nuclear modification factor  $R_{\text{AuAu}}$   
- different centrality classes



Energy dependence (SPS  $\rightarrow$  RHIC)  
 $p_T = 3-4 \text{ GeV}/c$





# Conclusions

- High energy density
- 70% of energy available for particle production
- Source (nearly) same over  $>1$  unit rapidity
- 63 GeV data: climb the  $K/\pi$  “matterhorn”?
- High  $p_T$  suppression persists to high  $y$  in Au+Au
- More saturation as  $y$  increases in d+Au
- Gluon saturation describes data, though not uniquely
- Lots left to do...

# In 'BT' (Danish morning tabloid) Feb. 2004



**That you can recreate the Big Bang in a particle accelerator is simply a fantastic and earth shattering....**

**discovery!**

**At the same level .....**

**.....as plastic slippers with acrylic lining**