

Ricerca delle oscillazioni del sistema $B_s^0 \div B_s^0$ a



Event : 147635 Run : 153068 EventType : DATA | Unpresc: 33,13,17,19,21,23,56 Presc: 17,19,56

Missing Et
Et= 4.3 phi=3.8

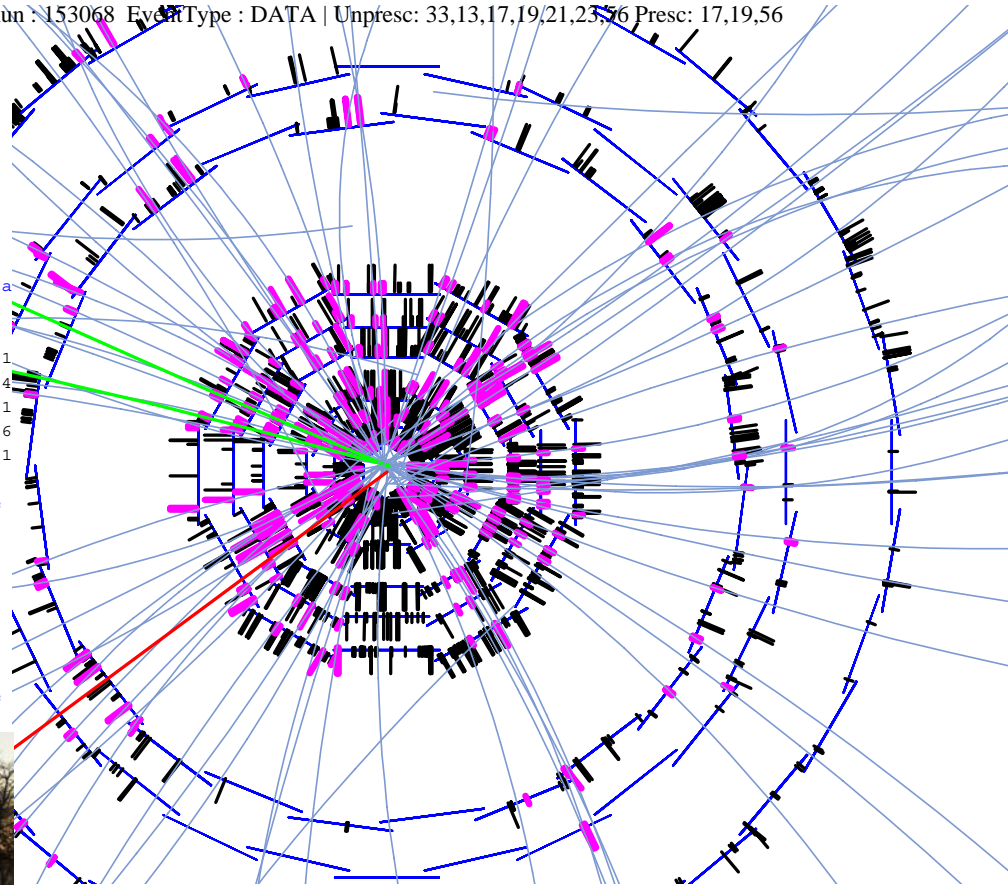
List of Tracks

Id	pt	phi	eta
Cdf Tracks: first 5			
464	-48.5	-2.7	-2.1
465	-3.0	0.8	-2.4
412	2.6	1.3	-0.1
431	-2.6	2.7	0.6
413	2.2	2.2	1.1

To select track type
SelectCdfTrack(Id)

Svt Tracks: first 5			
0	-5.5	1.2	
1	2.0	0.8	
2	1.4	2.3	

To select track type
SelectSvtTrack(Id)



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Outline

- Highlights on B_s mixing

- CDF detector and triggers

- B_s mixing analysis:
 - B_s signals
 - Lifetime measurement
 - Flavour tagging calibration
 - B_d mixing
 - Amplitude scan for Δm_s

- Preliminary CDF result

- Future prospects

B^0 meson flavour oscillations

Flavour oscillations occur through
2nd order weak interactions

$$\Delta m_q = \frac{G_F^2 m_W^2 \eta S(m_t^2 / m_W^2)}{6\pi^2} m_{Bq} f_{Bq}^2 B_{Bq} |V_{tq}^* V_{tb}|^2$$

$$\Delta m_d (\text{exp.}) = 0.510 \pm 0.005 \text{ ps}^{-1} \text{ (HFAG 2005)}$$

Lattice-QCD:

$$f_{Bd}^2 B_{Bd} = (223 \pm 33 \pm 12) \text{ MeV}$$

$$f_{Bs}^2 B_{Bs} = (276 \pm 38) \text{ MeV}$$

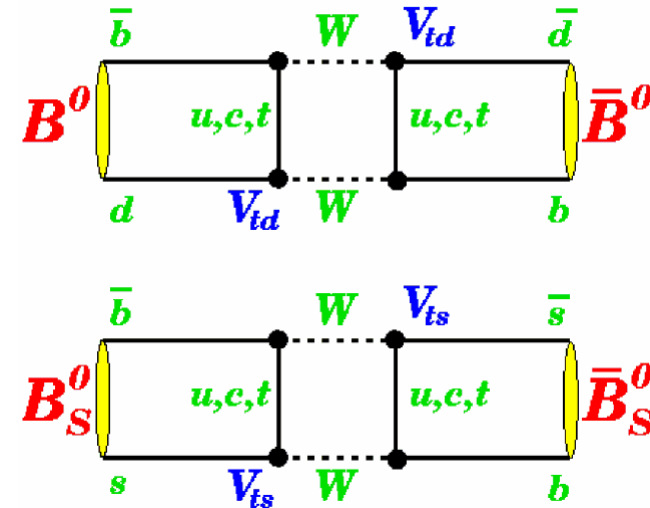
+ $|V_{td}|$ determined at ~15%

But in the ratio uncertainties cancels:

$$\frac{\Delta m_s}{\Delta m_d} = \frac{m_{Bs}}{m_{Bd}} \frac{f_{Bs}^2 B_{Bs}}{f_{Bd}^2 B_{Bd}} \frac{|V_{ts}|^2}{|V_{td}|^2} = \frac{m_{Bs}}{m_{Bd}} \xi^2 \frac{|V_{ts}|^2}{|V_{td}|^2}$$

Measuring $\Delta m_s / \Delta m_d$
determines $|V_{ts}| / |V_{td}|$
at 5% precision

$$\xi = 1.24 \pm 0.04 \pm 0.06$$



CKM Unitarity Triangle

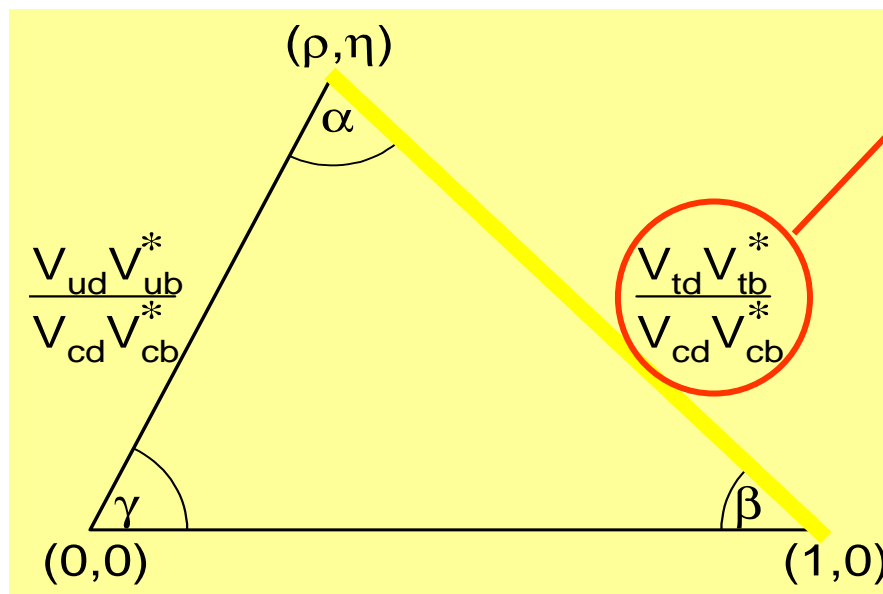
In **SM**, the CKM unitary matrix describes the weak decays of quarks, CPV allowed through phase η

$$V_{CKM} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} = \begin{pmatrix} 1 - \lambda^2/2 & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \lambda^2/2 & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{pmatrix} + \mathcal{O}(\lambda^4)$$

Unitarity relations:

$$V_{ud}V_{ub}^* + V_{cd}V_{cb}^* + V_{td}V_{tb}^* = 0$$

are represented as U.T. (area \propto CPV):



$$\left| \frac{V_{td}V_{tb}^*}{V_{cd}V_{cb}^*} \right| = \frac{|V_{td}|}{|V_{ts}|} \times \frac{1}{|V_{cb}|}$$

(since $|V_{cb}| = |V_{ts}| = A\lambda^2$)

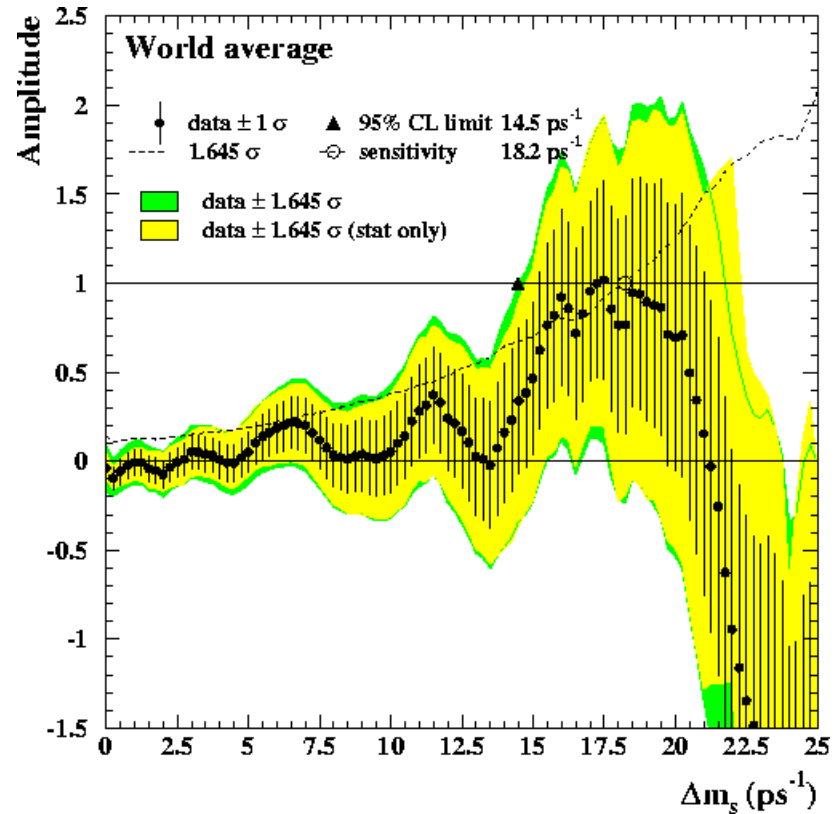
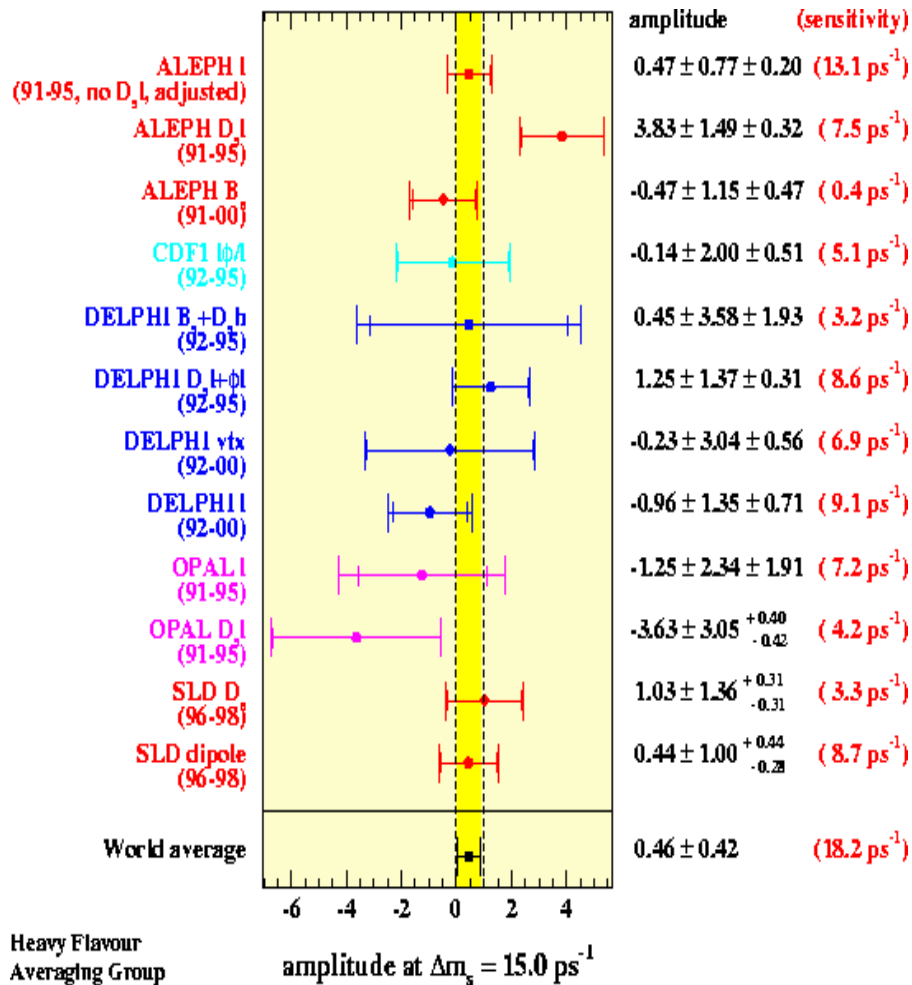
Measurement of Bs mixing frequency Δm_s gives a precise determination of one side of UT

→ confirm CP violation

Experimental status on Δm_s

Present limit (HFAG 2004)
from: LEP / SLD / CDF run I

Amplitude scan method discussed later



- 95% CL limit is : $\Delta m_s > 14.5 \text{ ps}^{-1}$
- Sensitivity: 18.2 ps^{-1}

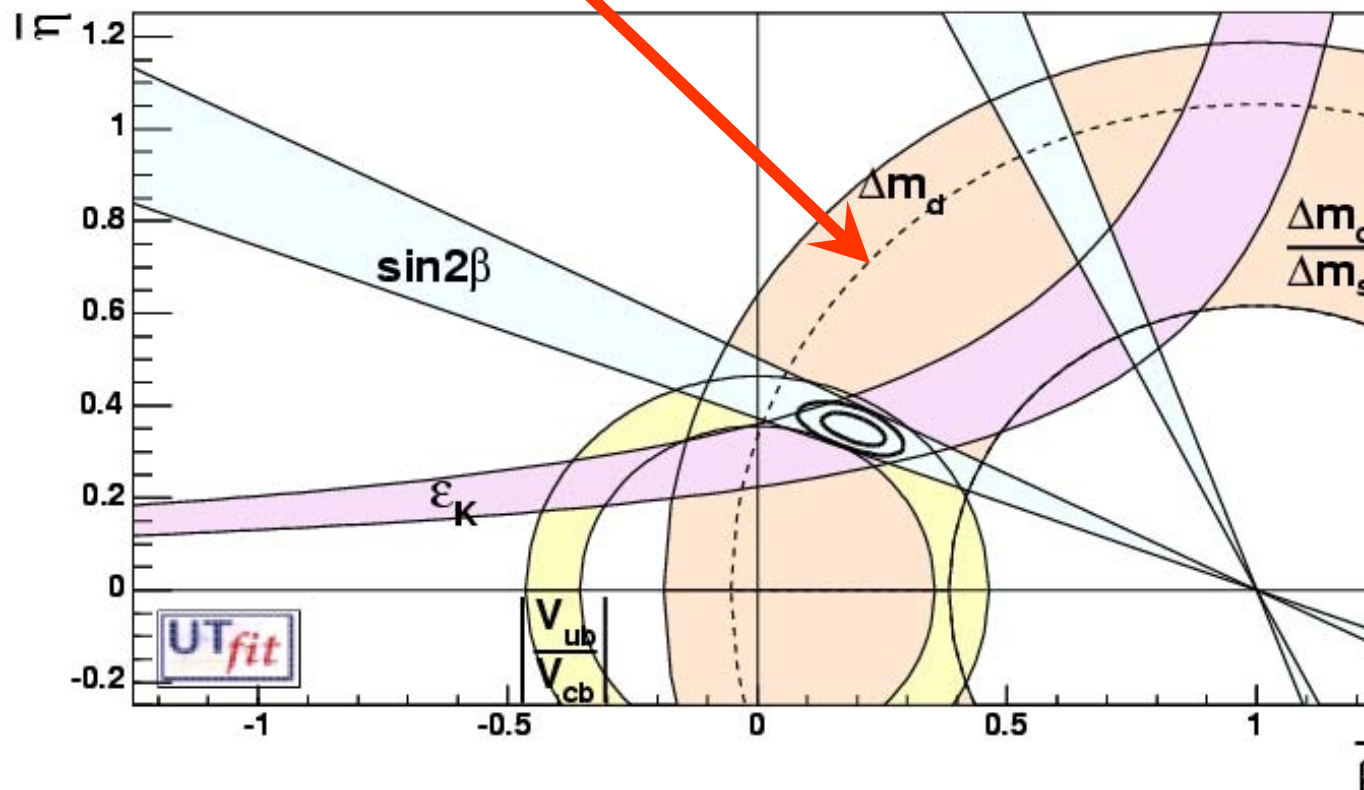
Δm_s constraint to U.T.

Experimental lower limit on Δm_s

Fit with all constraints
(winter 05):

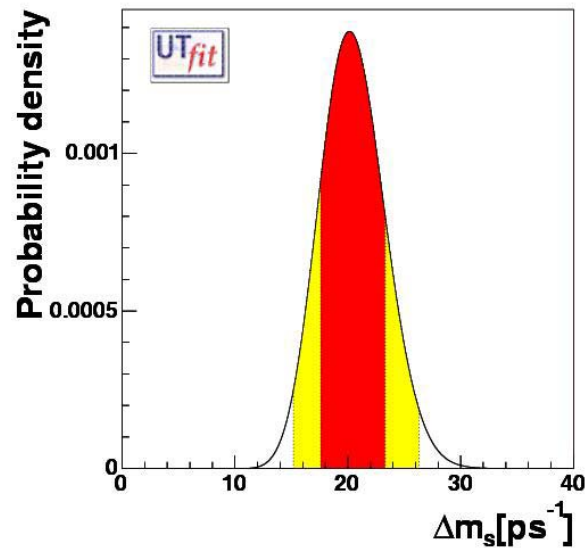
$$\rho = 0.190 \pm 0.044$$

$$\eta = 0.349 \pm 0.024$$



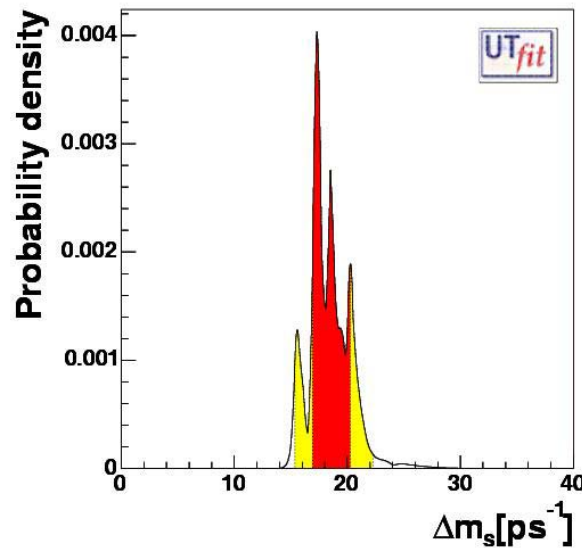
SM CKM-fit prediction for Δm_s

(Δm_s not used)



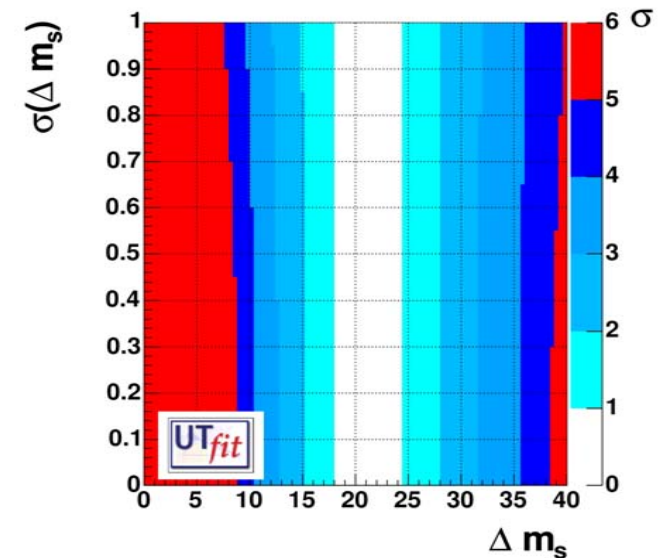
$\Delta m_s = 20.5 \pm 3.2 \text{ ps}^{-1}$
[14.4, 27.1] @ 95% CL

(with all constraints)



$\Delta m_s = 18.9 \pm 1.6 \text{ ps}^{-1}$
[15.7, 23.0] @ 95% CL

compatibility plot



If $\Delta m_s > 30 \text{ ps}^{-1}$
New Physics @ 3σ

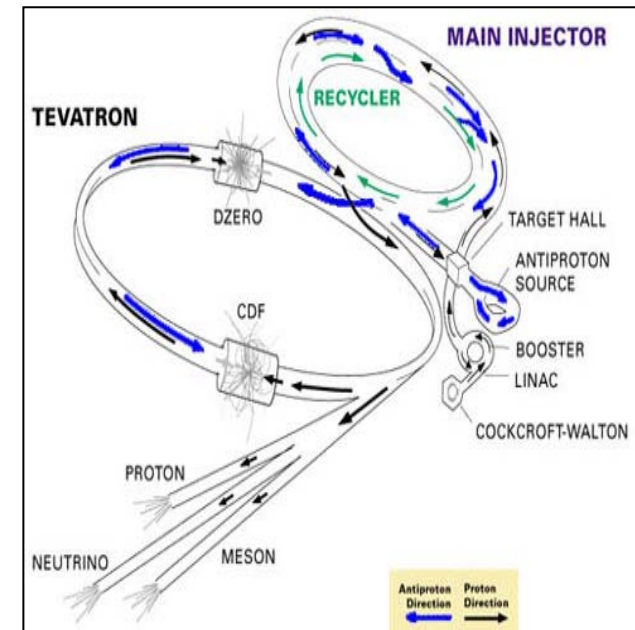
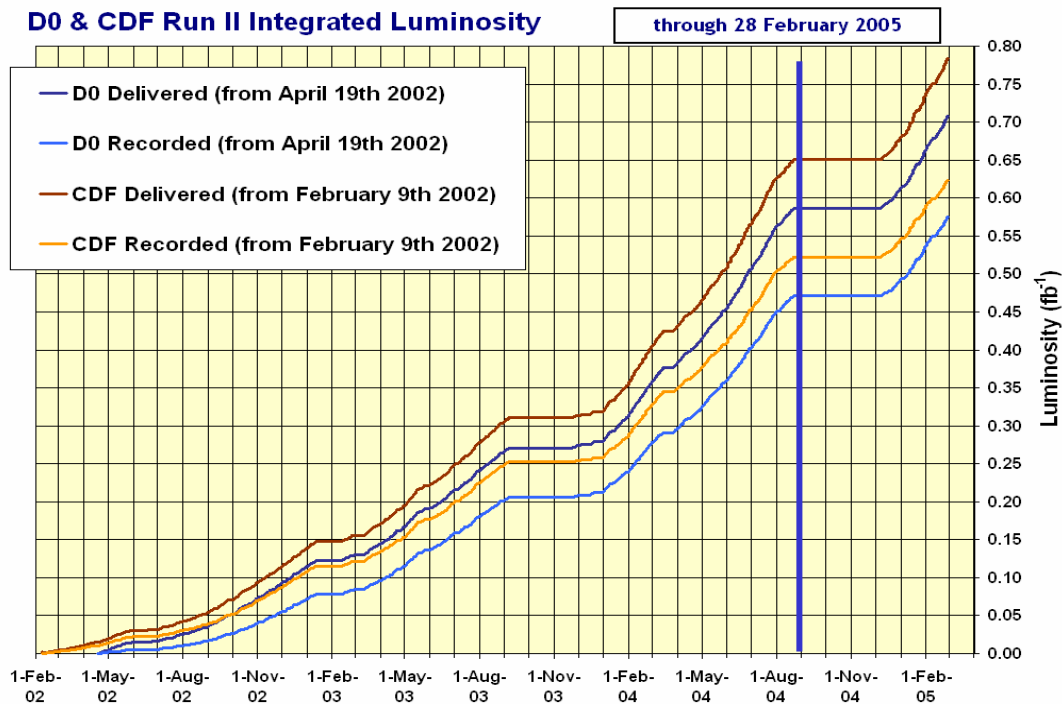
The Collider Detector at Fermilab



The Tevatron $p\bar{p}$ collider

Superconducting proton-synchrotron: $36p \times 36\bar{p}$ bunches, crossing each 396 ns
at $\sqrt{s} = 1.96$ TeV

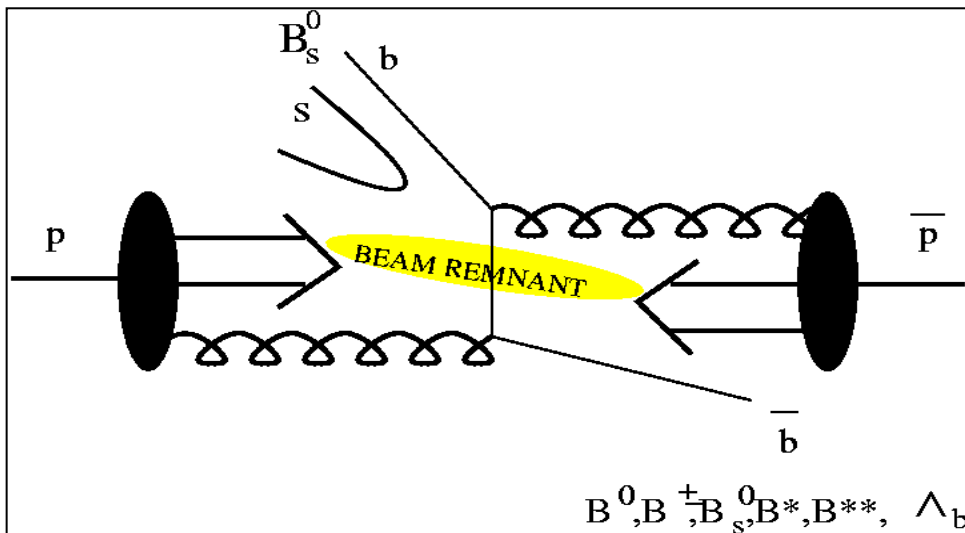
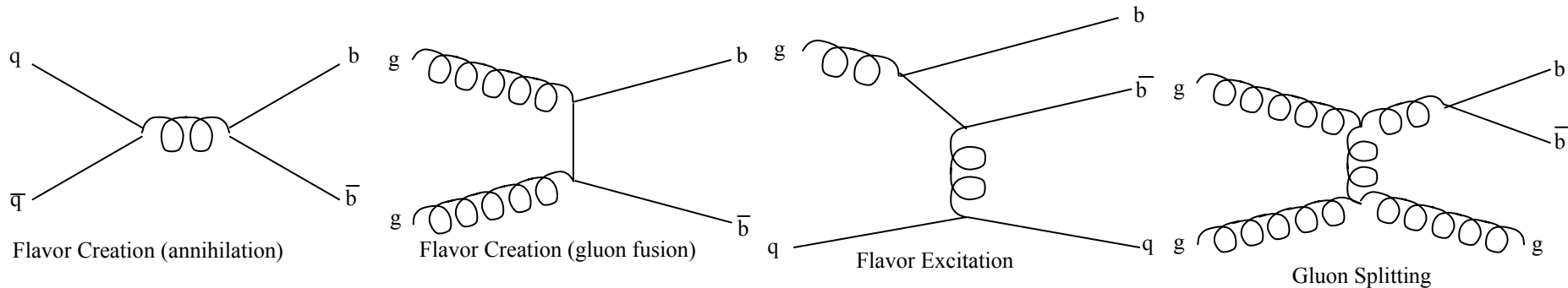
Luminosity.....: record peak $L = 1.2 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$



@CDF : 240-360 pb⁻¹ used for B physics
lost ~ 100 pb⁻¹ due to COT crisis

B Physics at $p\bar{p}$ collider

BB production mechanics in hadron collider:



- Huge cross-section: 50-100 μb

- All B species produced:

$$B_u, B_d, B_s, B_c, \Lambda_b, \Xi_b \dots$$

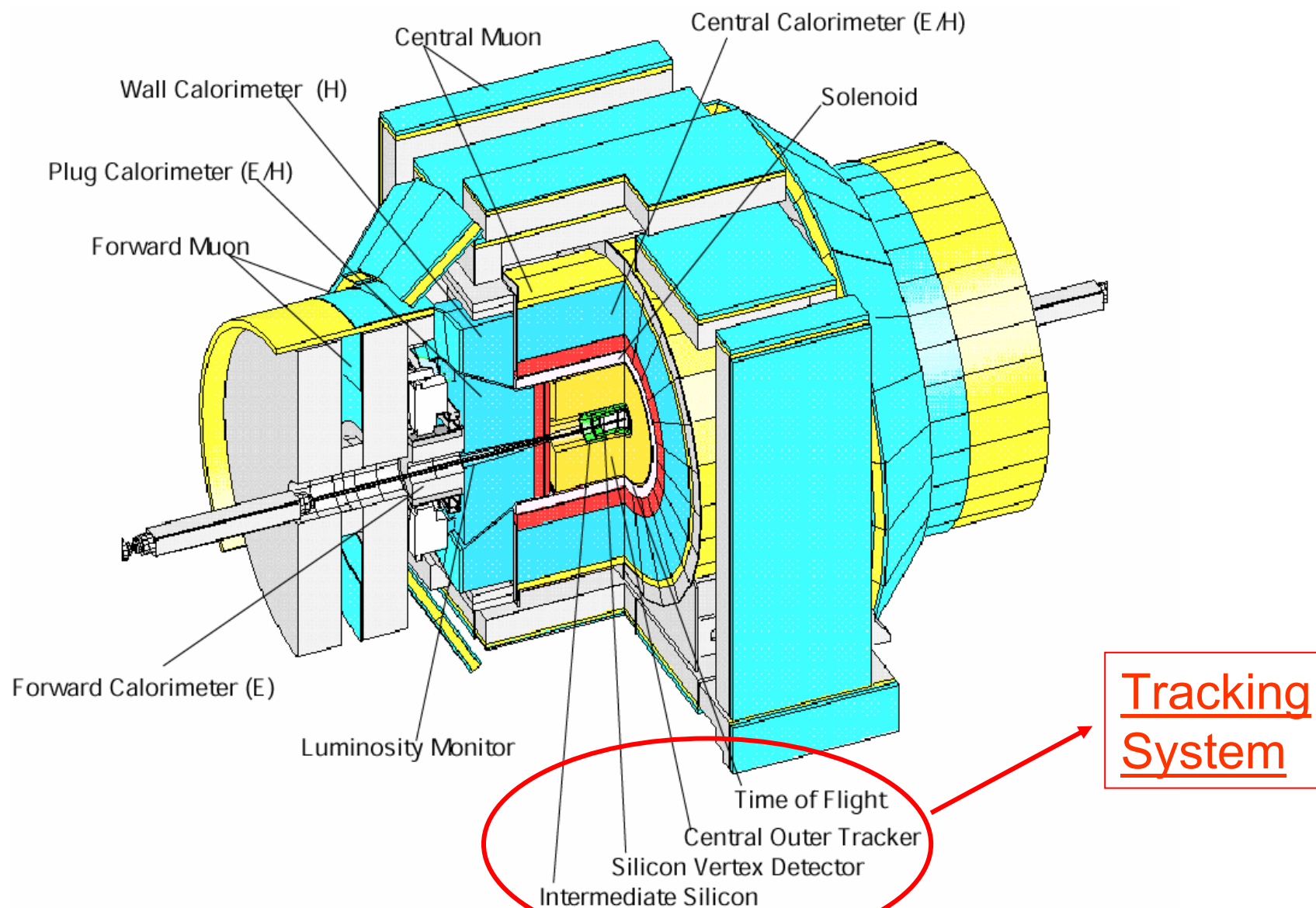
with production fractions:

$$f_u : f_d : f_s : f_\Lambda \approx 4 : 4 : 1 : 1$$

BUT: $\sigma(bb) \ll \sigma(pp)$ ($\sim 65 \text{ mb}$) \Rightarrow **B events have to be selected with specific triggers**

Trigger requirements: large bandwidth, background suppression, small dead-time

The CDF II detector



B physics triggers at CDF II

With the New Silicon Vertex Trigger

Conventional at colliders (Run I)

Di-Muon (J/ψ)

$P_t(\mu) > 1.5 \text{ GeV}$

J/ψ modes

down to low

$P_t(J/\psi) \sim 0$ (Run II)

- CP violation
- Masses, lifetimes
- Quarkonia, rare decays



Displaced track + lepton (e, μ)

$120 \mu\text{m} < \text{I.P.}(\text{trk}) < 1\text{mm}$

$P_T(\text{lepton}) > 4 \text{ GeV}$

Semileptonic modes

- High statistics lifetimes
- Sample for tagging studies

2-Displaced tracks

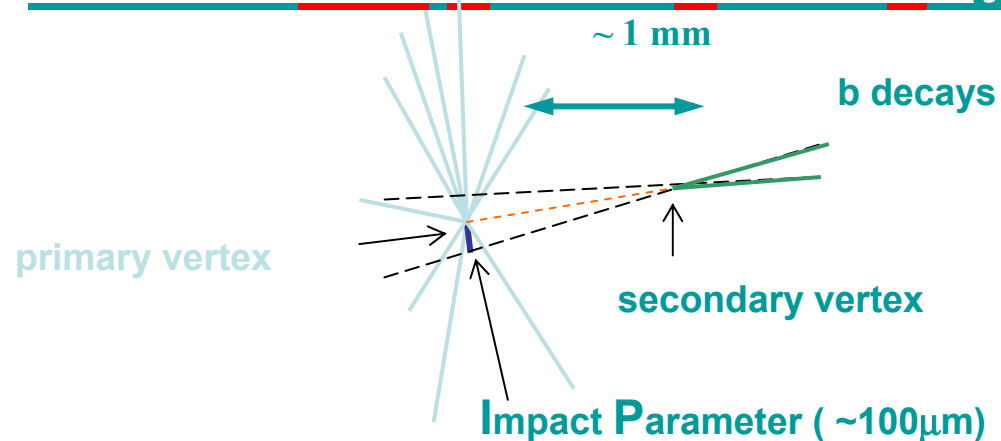
$P_T(\text{trk}) > 2 \text{ GeV}$

$120 \mu\text{m} < \text{I.P.}(\text{trk}) < 1\text{mm}$

$\Sigma p_T > 5.5 \text{ GeV}$

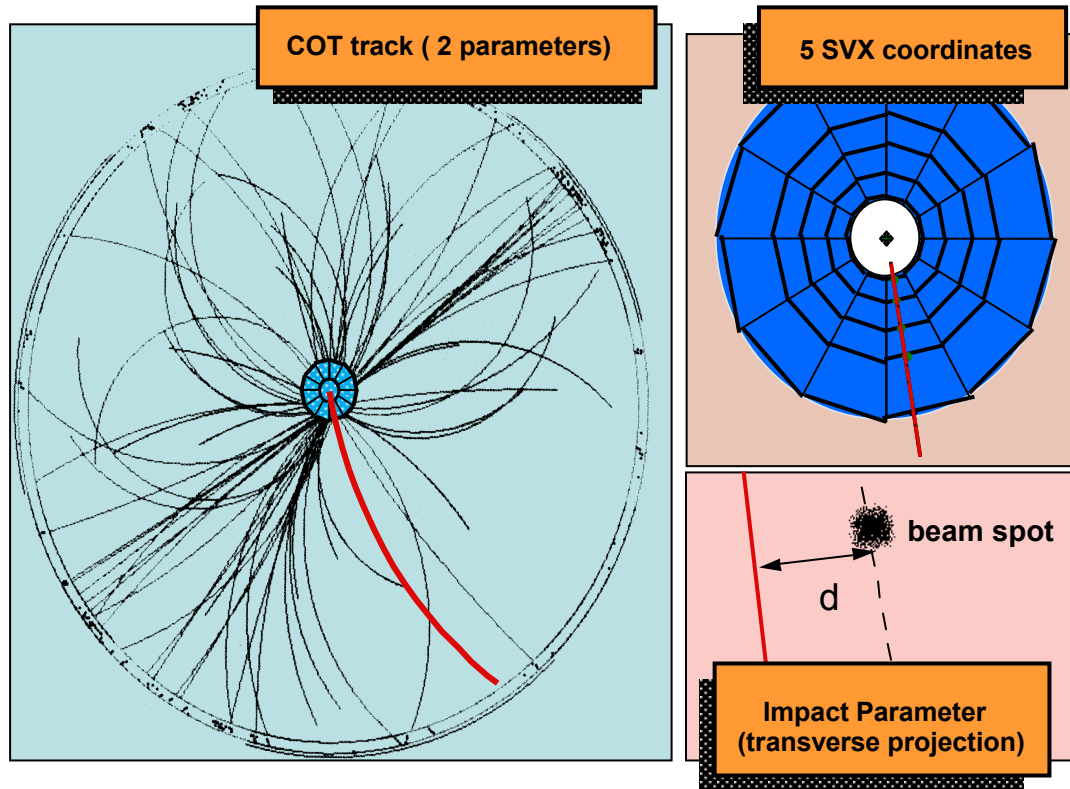
fully hadronic modes

- B_s mixing
- Charmless decays



Silicon Vertex Tracker: the hadronic B trigger

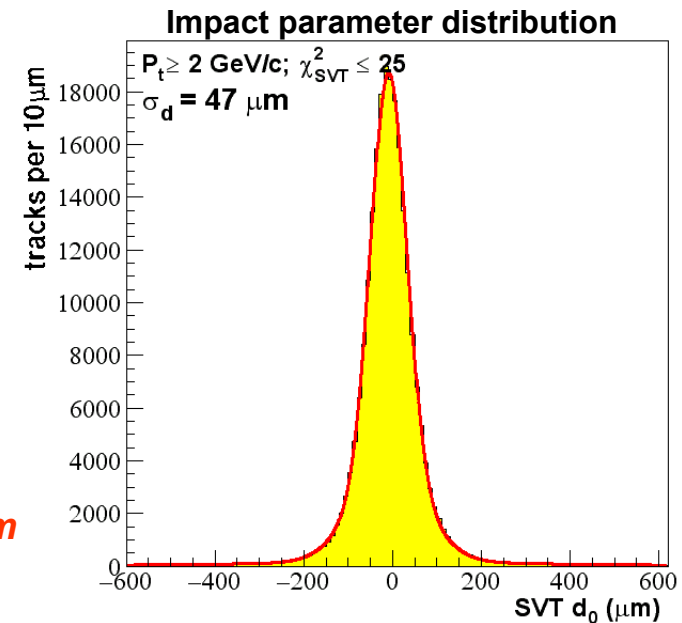
→ Online Impact parameter
Available at Level 2 trigger (20μs latency)



→convolution of transverse size of the beam spot with the impact parameter resolution of the SVT:

$$\sigma \approx 47 \mu\text{m} \approx 35 \mu\text{m} \oplus 30 \mu\text{m}$$

↑ SVT resolution
↑ Beam spot size



Compare to offline $\sim 46 \mu\text{m}$

Searching for B_s mixing @ CDF



B_s time evolution

Mix and un-mix time dependent probabilities:

$$P(B \rightarrow B) = \frac{e^{-t/\tau}}{2\tau} (1 + \cos \Delta m t) = P_{unmix}$$

$$P(B \rightarrow \bar{B}) = \frac{e^{-t/\tau}}{2\tau} (1 - \cos \Delta m t) = P_{mix}$$

Time dependent Asymmetry:

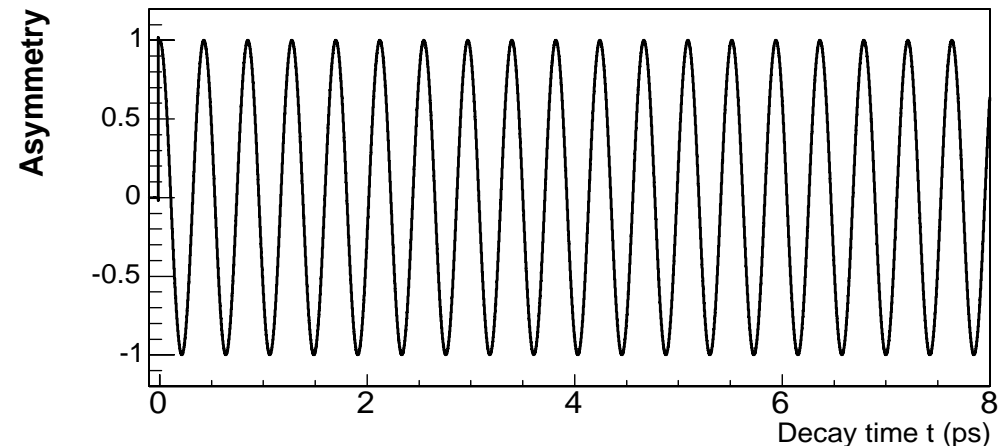
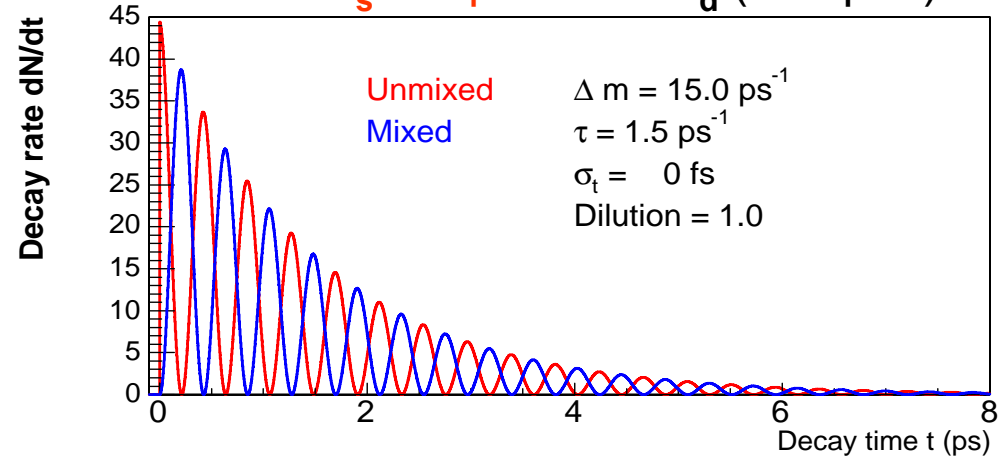
$$A = \frac{P_{unmix} - P_{mix}}{P_{unmix} + P_{mix}} = \cos \Delta m t$$

B_s fully mixes in < 0.15 ps



Several oscillations per lifetime
.... experimental challenge

Ex. $\Delta m_s = 15 \text{ ps}^{-1} \gg \Delta m_d (=0.5 \text{ ps}^{-1})$



Significance of B^0_s mixing measurement

• Since initial state flavour sign is “far from ideally” known

where: $D = \frac{N^{right} - N^{wrong}}{N^{right} + N^{wrong}}$



$$A = \frac{P_{unmix} - P_{mix}}{P_{unmix} + P_{mix}} = D \cos \Delta mt$$

$$\text{Significance} = \sqrt{\frac{S \epsilon D^2}{2}} e^{-\frac{(\Delta m_s \sigma_t)^2}{2}} \sqrt{\frac{S}{S+B}}$$

Signal / Noise

Effective tagging power:

ϵ = efficiency of taggers

$$\epsilon = \frac{N^{right}}{N^{right} + N^{wrong} + N^{no-tag}}$$

→ ϵD^2 figure of merit

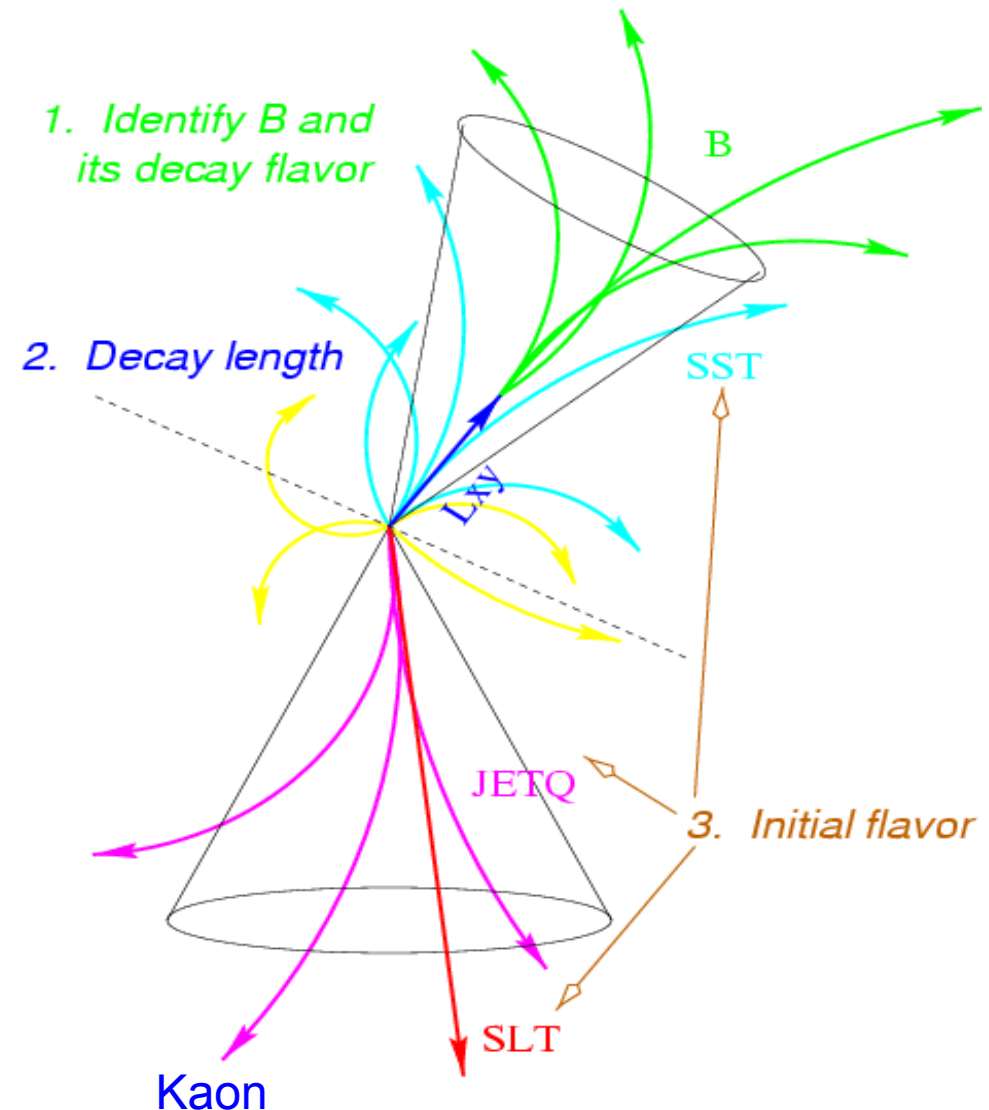
$$c\tau = \frac{L_{xy}}{\beta_T \gamma} = \frac{L_{xy} m(B)}{p_T(B)}$$

vertexing and momentum resolution

$$\sigma_{c\tau} = \left(\frac{\sigma_{L_{xy}} \cdot m(B)}{p_T(B)} \right) \oplus \left(\frac{\sigma_{p_T}}{p_T(B)} \right) \cdot c\tau$$

Analysis Strategy

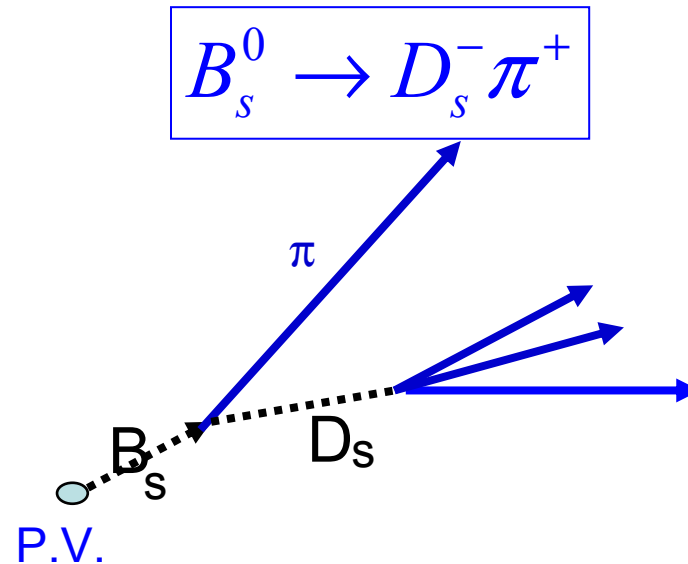
- B_s signal reconstruction
 - Flavour specific eigenstates
 - B_s decay time
 - proper time reconstruction
 - Lifetime measurement
 - Initial flavour of the B_s
 - Flavour tagging techniques
 - calibrate on B_d mixing
- B_s Mixing
- performed a “Blind Analysis”



Two different B_s signatures:

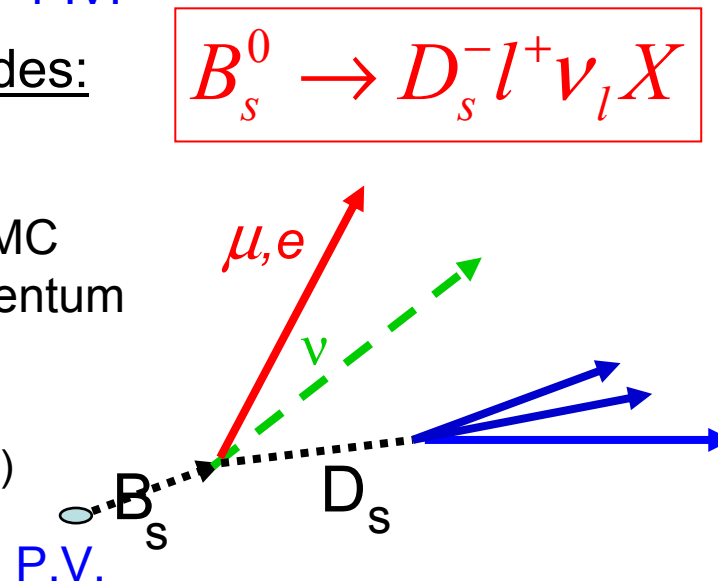
Fully reconstructed **HADRONIC** modes:

- Complete momentum reconstruction
- Good proper time resolution
- High B_s mass resolution \rightarrow high S/B
- Selected by Two Track Trigger (SVT)
 - Two displaced tracks (w SVT Impact parameter)
- LOW statistics



Partially reconstructed **SEMILEPTONIC** modes:

- **Missing momentum** carried by the ν
- Visible proper time corrected by **K factor** from MC
- Proper time resolution diluted by missing momentum
- Cannot reconstruct B_s mass \rightarrow different S/B
- Selected by dedicated trigger (l+SVT):
 - One displaced tracks (w SVT Impact parameter)
 - One Lepton μ, e w $p_T > 4$ GeV/c
- HIGH statistics

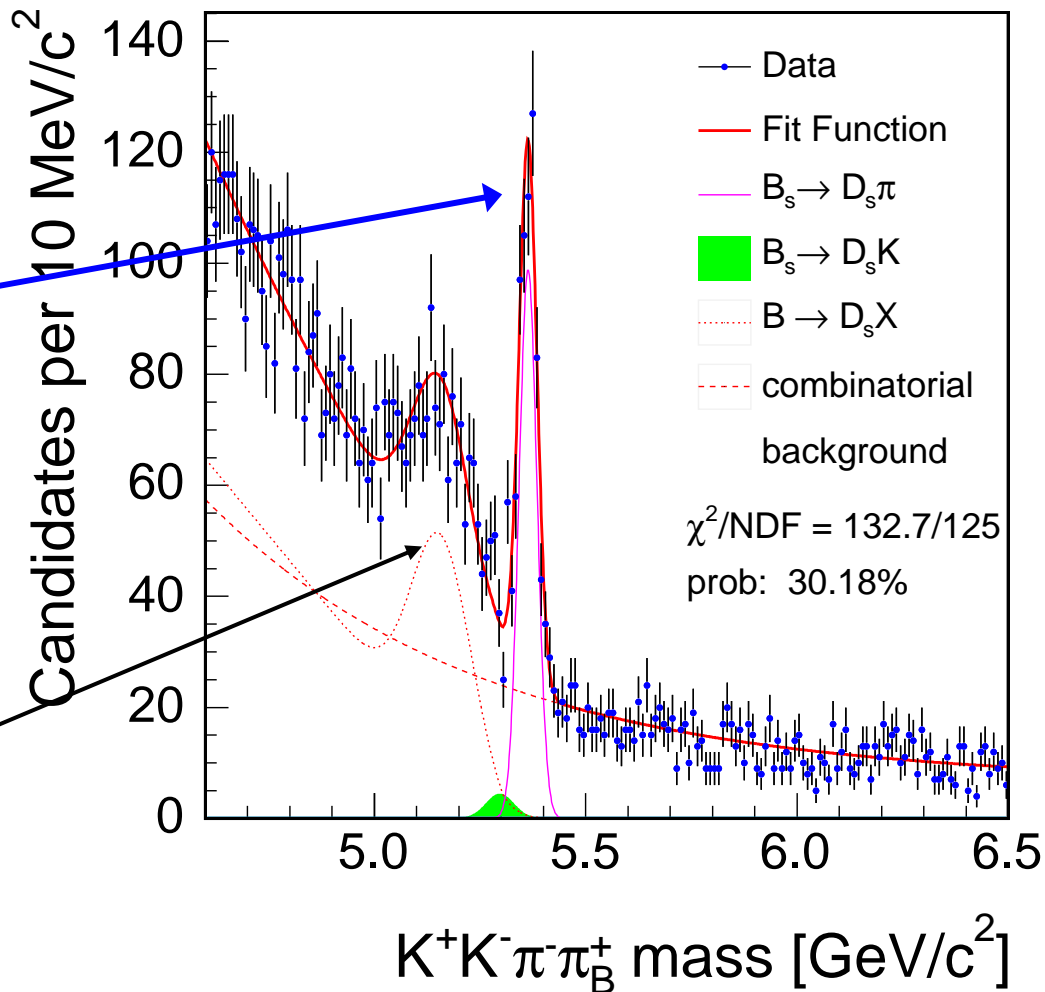


Hadronic B_s signals

$B_s^0 \rightarrow D_s^- \pi^+ (D_s^- \rightarrow \phi \pi^-)$ CDFII Preliminary, 355 pb^{-1} , $B_s \rightarrow D_s \pi$, $D_s \rightarrow \phi \pi$

$[\phi \rightarrow K^+ K^-]$

$N_{B_s} = 526 \pm 33$
 $S/B \sim 2$
 $\sigma_M \approx 15 \text{ MeV}$



“Satellites”:

$$B_s^0 \rightarrow D_s^{*-} \pi^+ (D_s^{*-} \rightarrow D_s^- \gamma)$$

$$B_s^0 \rightarrow D_s^- \rho^+ (\rho^+ \rightarrow \pi^+ \pi^0)$$

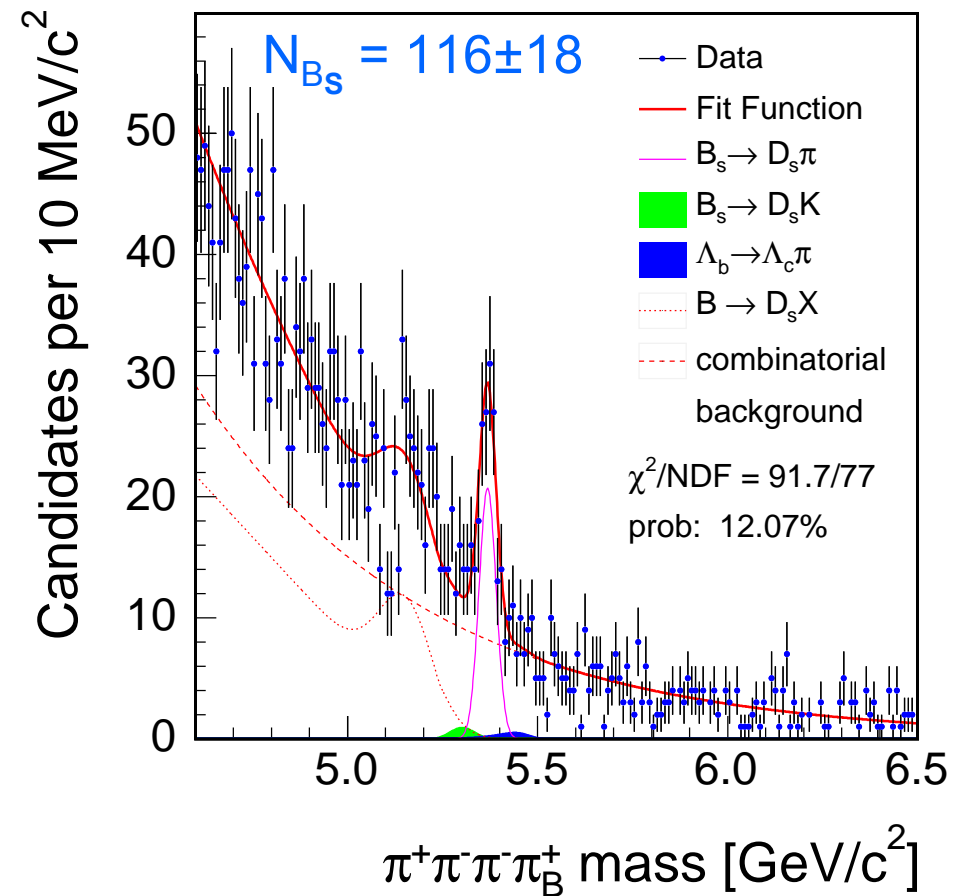
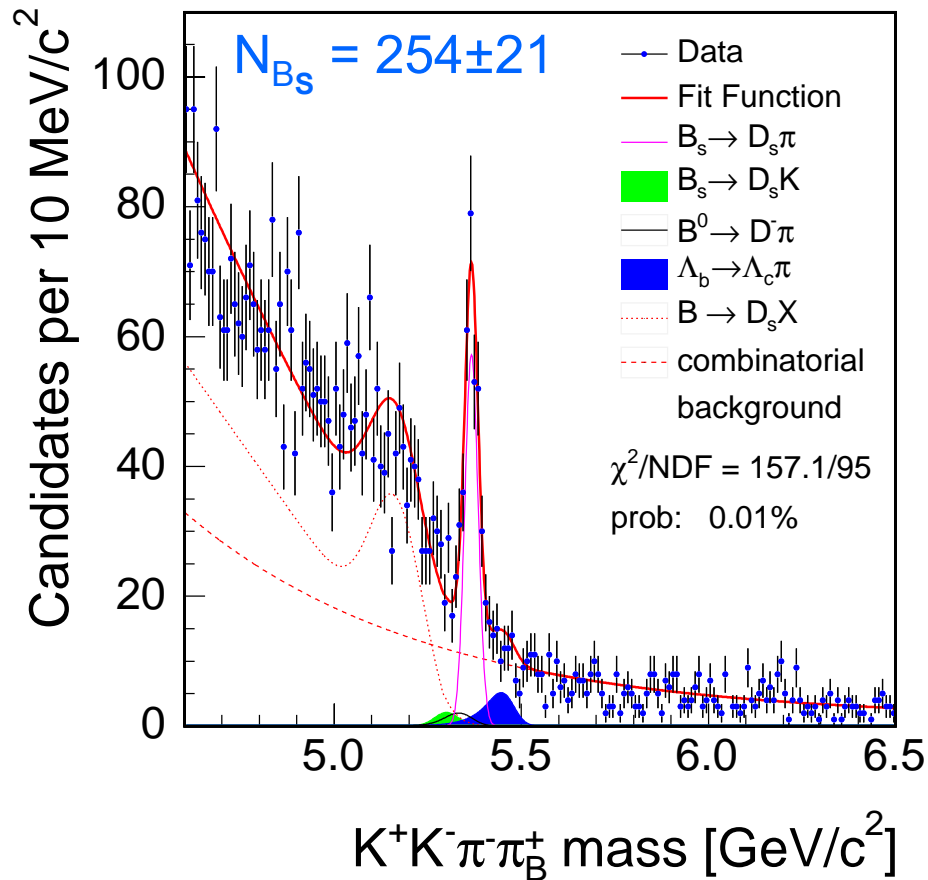
(Not used in this analysis)

Hadronic B_s signals (2)

$$B_s^0 \rightarrow D_s^- \pi^+ (D_s^- \rightarrow K^{*0} K^-)$$

$$B_s^0 \rightarrow D_s^- \pi^+ (D_s^- \rightarrow \pi^+ \pi^- \pi^-)$$

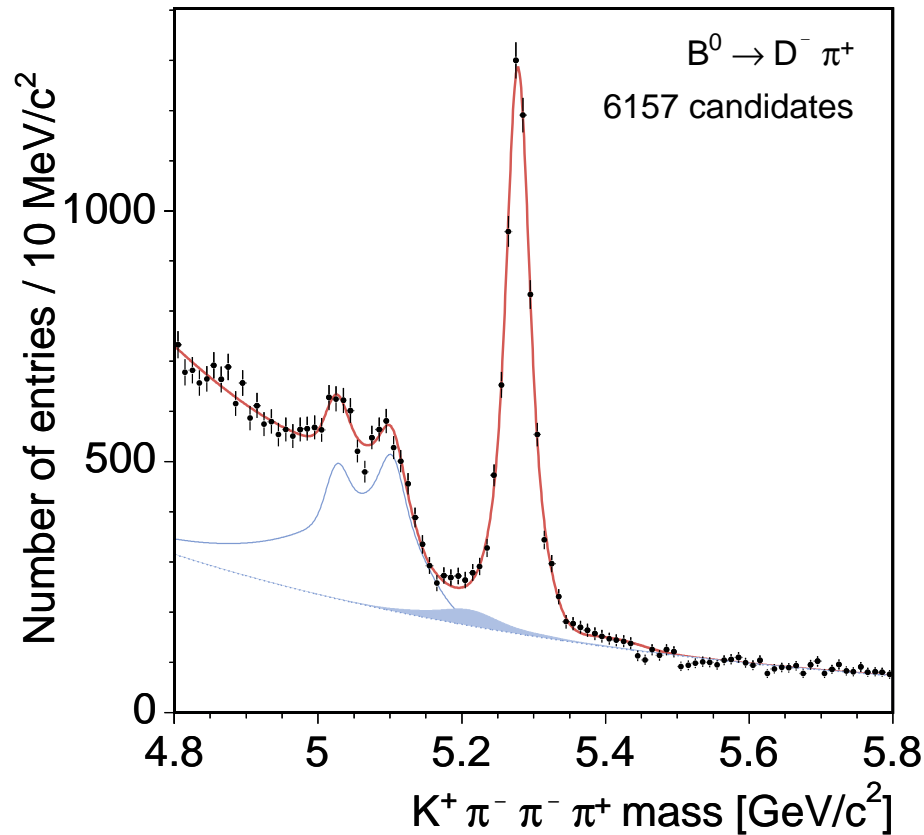
CDFII Preliminary, 355 pb^{-1} , $B_s \rightarrow D_s \pi$, $D_s \rightarrow K^* K$ CDFII Preliminary, 355 pb^{-1} , $B_s \rightarrow D_s \pi$, $D_s \rightarrow \pi \pi \pi$



Calibration B^0 and B^+ hadronic signals

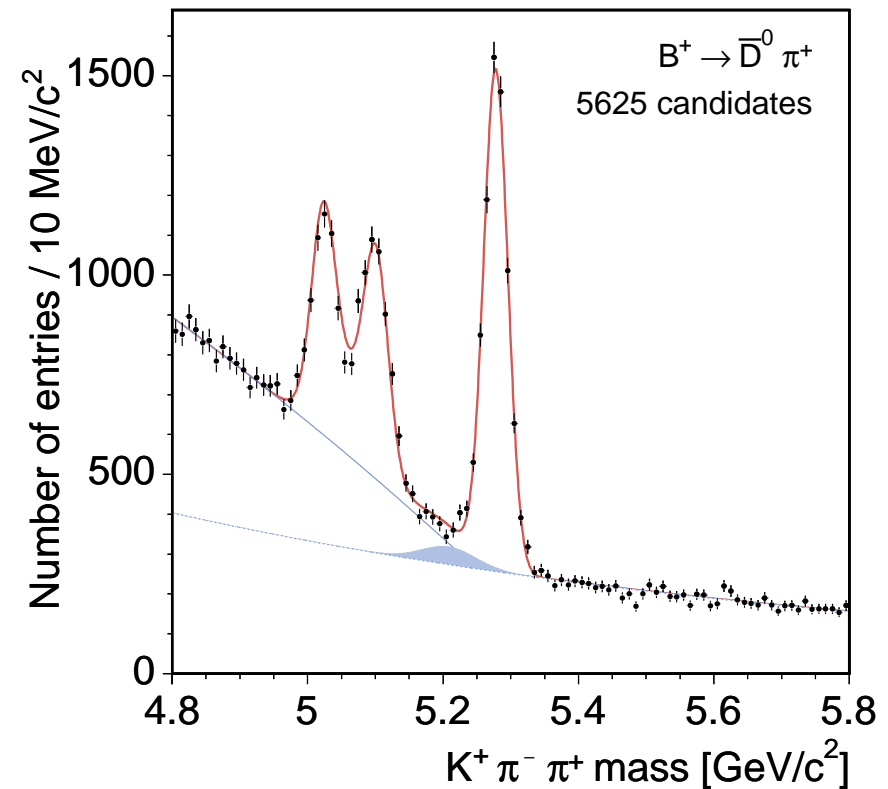
$$B^0 \rightarrow D^- \pi^+ (D^- \rightarrow K^+ \pi^- \pi^-)$$

CDF Run II Preliminary $L \approx 355 \text{ pb}^{-1}$



$$B^+ \rightarrow D^0 \pi^+ (D^0 \rightarrow K^+ \pi^-)$$

CDF Run II Preliminary $L \approx 355 \text{ pb}^{-1}$



Semileptonic B_s Signals

$$B_s^0 \rightarrow D_s^- l^+ \nu X \quad (D_s^- \rightarrow \phi \pi^-)$$

• Missing P_T \rightarrow No B_s mass peak

• Use D_s mass signals

• Charge correlation between l and D_s

– $l^+ D_s^-$: “Right-sign” = signal

– $l^+ D_s^+$: “Wrong-sign” = background

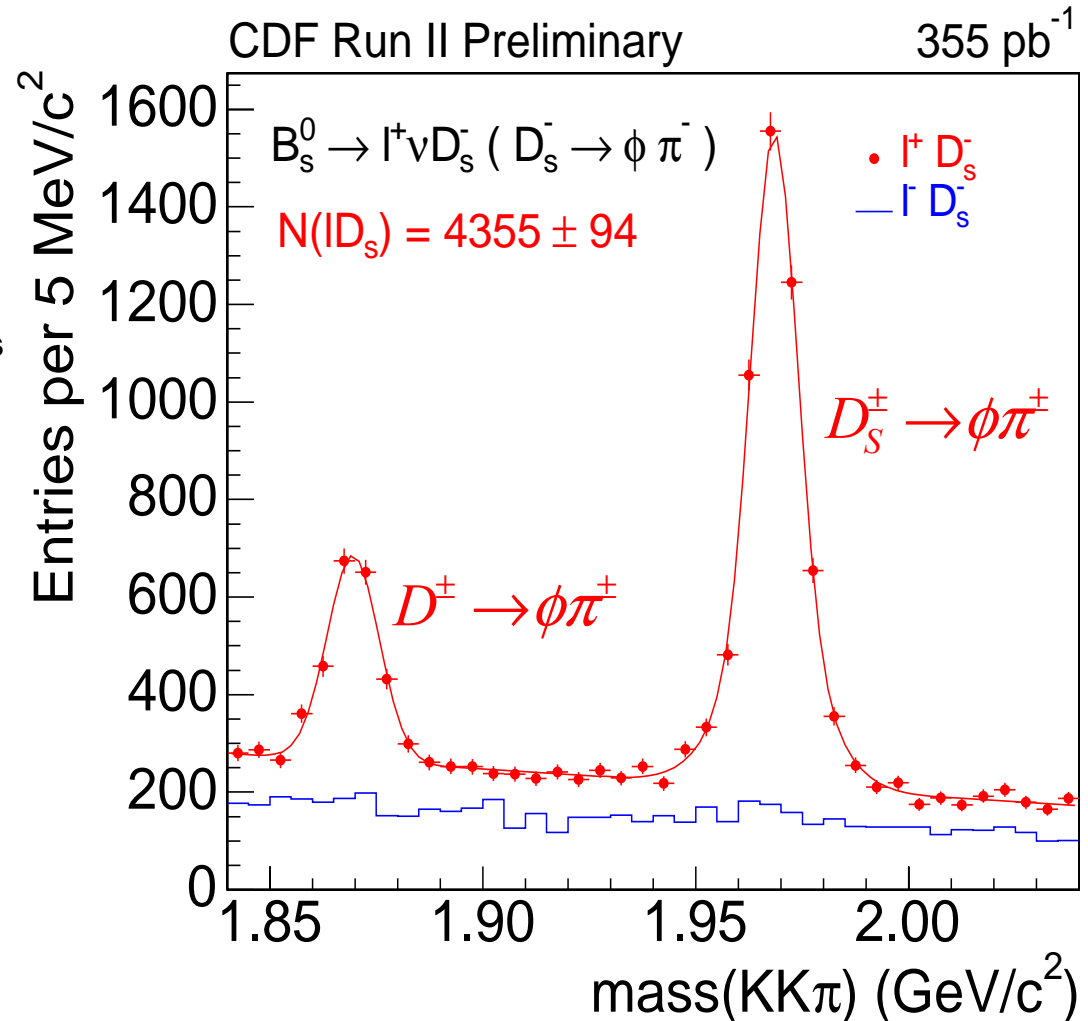
• Right-sign peak is not pure signal

– ~20% background:

» D_s + fake lepton from primary

» $B^0, B^+ \rightarrow D_s D X$ with $D \rightarrow l \nu X$

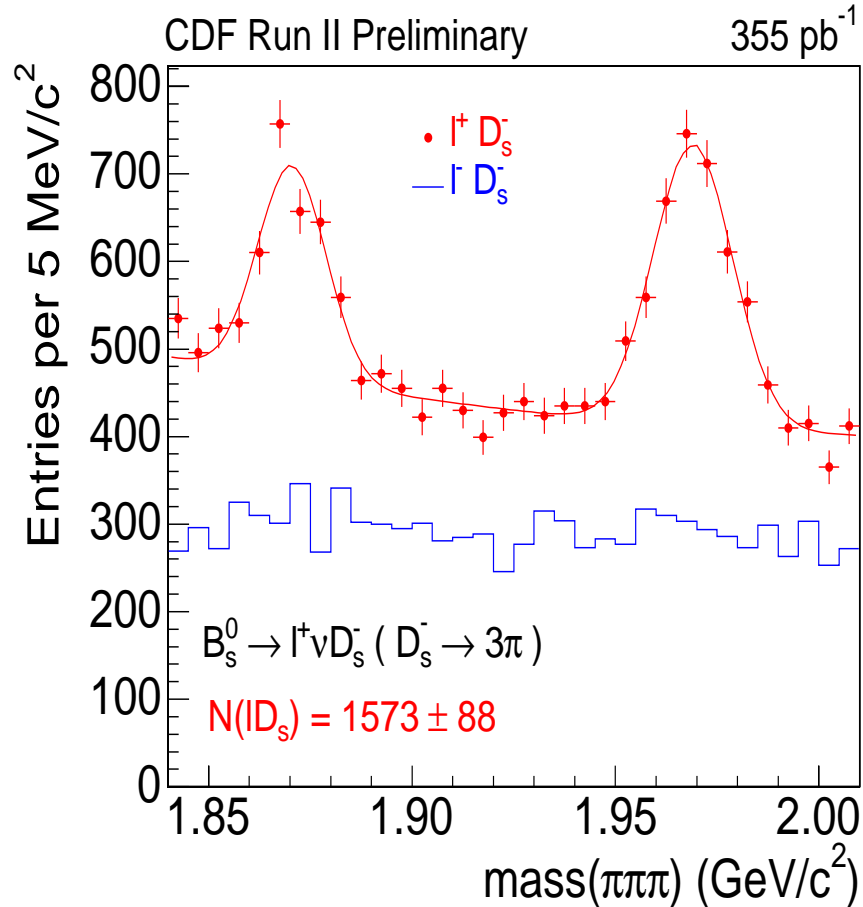
» $c\text{-}\bar{c}$ backgrounds



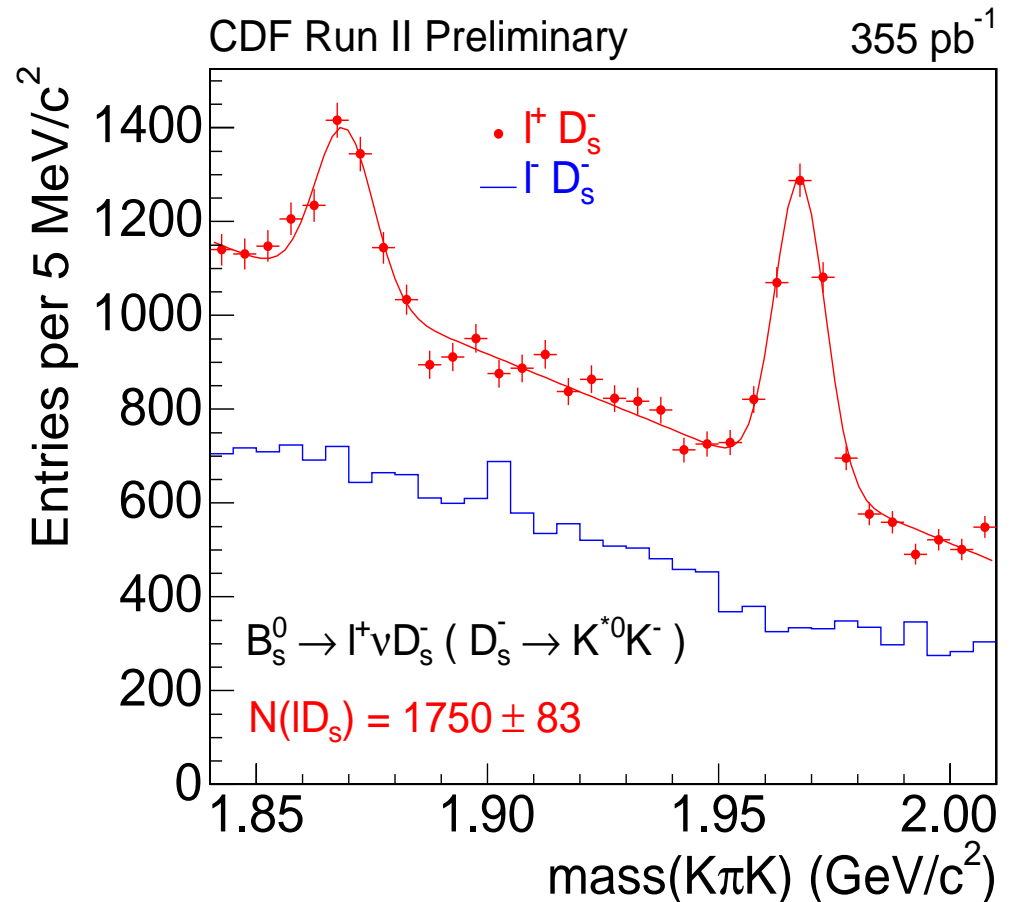
Semileptonic B_s Signals (2)

$$B_s^0 \rightarrow D_s^- l^+ \nu (D_s^- \rightarrow K^{*0} K^-)$$

$$B_s^0 \rightarrow D_s^- l^+ \nu (D_s^- \rightarrow \pi^+ \pi^- \pi^-)$$



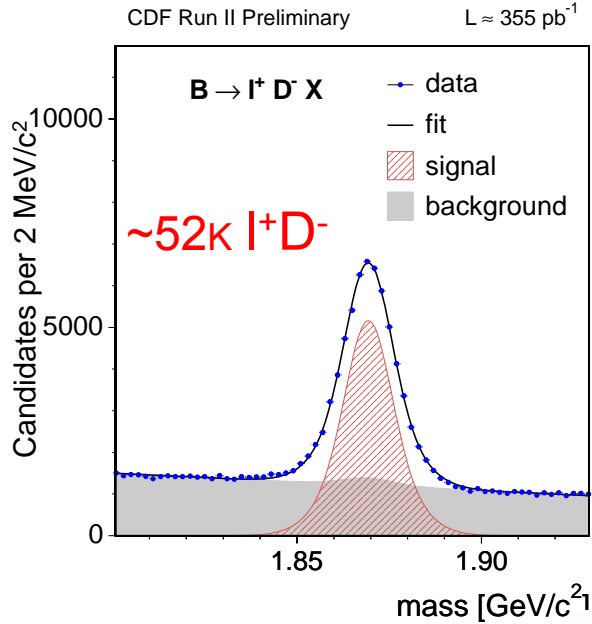
1573±88 events



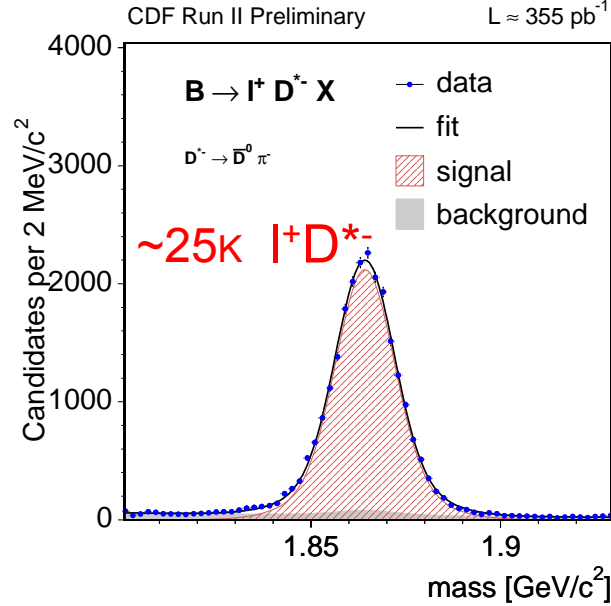
1750±83 events

Semileptonic B^0 and B^+ Signals

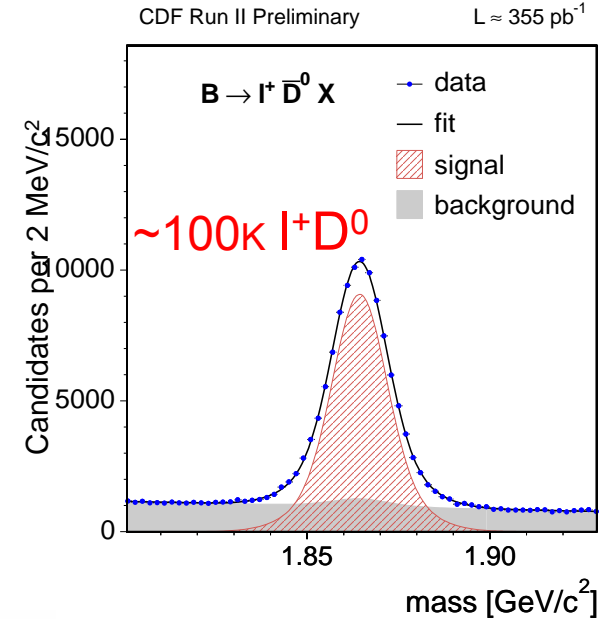
$$B \rightarrow D^- l^+ \nu X (D^- \rightarrow K^+ \pi^- \pi^-)$$



$$B \rightarrow D^{*-} l^+ \nu X (D^{*-} \rightarrow D^0 \pi^-)$$

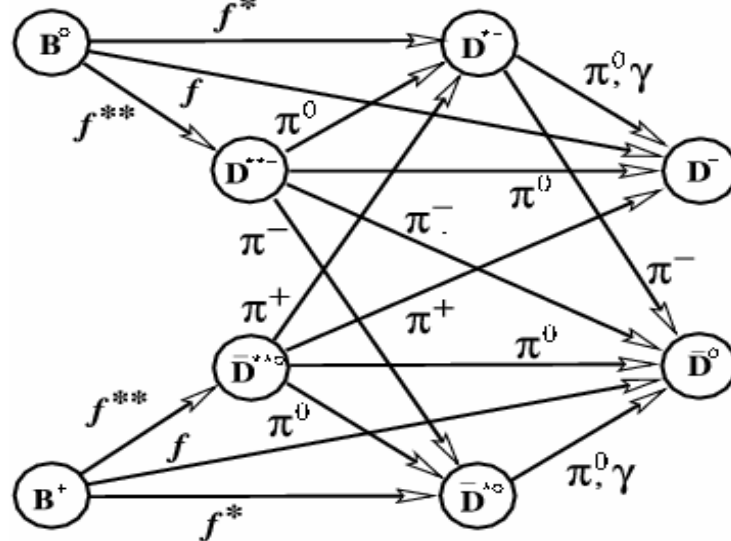


$$B \rightarrow D^0 l^+ \nu X (D^0 \rightarrow K^+ \pi^-)$$



$B^0 \leftrightarrow B^+$ crosstalks:

- $B^0 \rightarrow l^+ \nu D^-$
 - $B^+ \rightarrow l^+ \nu D^{*0}$
- with ($D^{*0} \rightarrow D^- \pi^+$)



Sample composition

- $l^+ D^+$: $B^0/B^+ \sim 85/15$
- $l^+ D^{*+}$: $B^0/B^+ \sim 85/15$
- $l^+ D^0$: $B^0/B^+ \sim 20/80$

Signal yields summary

(S/B)

$B_s \rightarrow D_s \pi ; D_s \rightarrow \phi \pi$	526 ± 33 (1.8)
$B_s \rightarrow D_s \pi ; D_s \rightarrow K^* K$	254 ± 21 (1.7)
$B_s \rightarrow D_s \pi ; D_s \rightarrow \pi \pi \pi$	116 ± 18 (1.0)
$B^+ \rightarrow D^0 \pi^+ ; D^0 \rightarrow K \pi$	~ 6200
$B^0 \rightarrow D^{*+} \pi^- ; D^{*+} \rightarrow D^0 \pi^+$	~ 2800
$B^0 \rightarrow D^+ \pi^- ; D^+ \rightarrow K \pi \pi$	~ 5600

Hadronic B_s modes
~900 events

$O(10^4)$ calibration modes

Semileptonic B_s modes
~7700 events

(S/B)

$B_s \rightarrow \ell D_s ; D_s \rightarrow \phi \pi$	4355 ± 94 (3.1)
$B_s \rightarrow \ell D_s ; D_s \rightarrow K^* K$	1750 ± 83 (0.4)
$B_s \rightarrow \ell D_s ; D_s \rightarrow \pi \pi \pi$	1573 ± 88 (0.3)
$B^+ \rightarrow \ell D^0 ; D^0 \rightarrow K \pi$	$\sim 100K$
$B^0 \rightarrow \ell D^{*+} ; D^{*+} \rightarrow D^0 \pi^+$	$\sim 25K$
$B^0 \rightarrow \ell D^+ ; D^+ \rightarrow K \pi \pi$	$\sim 52K$

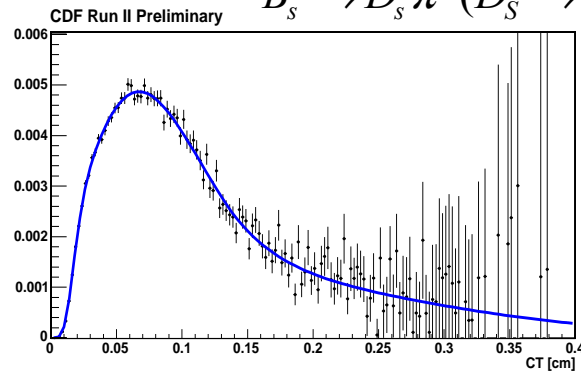
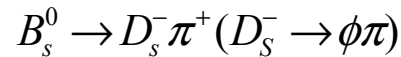
$O(10^5)$ calibration modes

Lifetime bias from SVT trigger

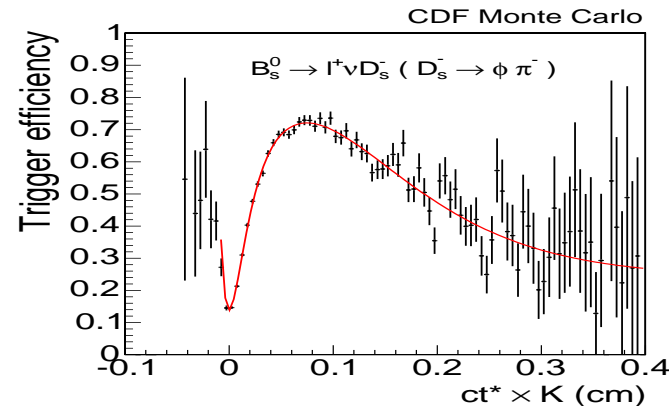
SVT cuts on track Impact Parameter: $120 \mu\text{m} < \text{I.P.}(\text{trk}) < 1\text{mm}$

Proper time distribution is sculpted

Hadronic: 2 SVT tracks



Semileptonic: 1 SVT track

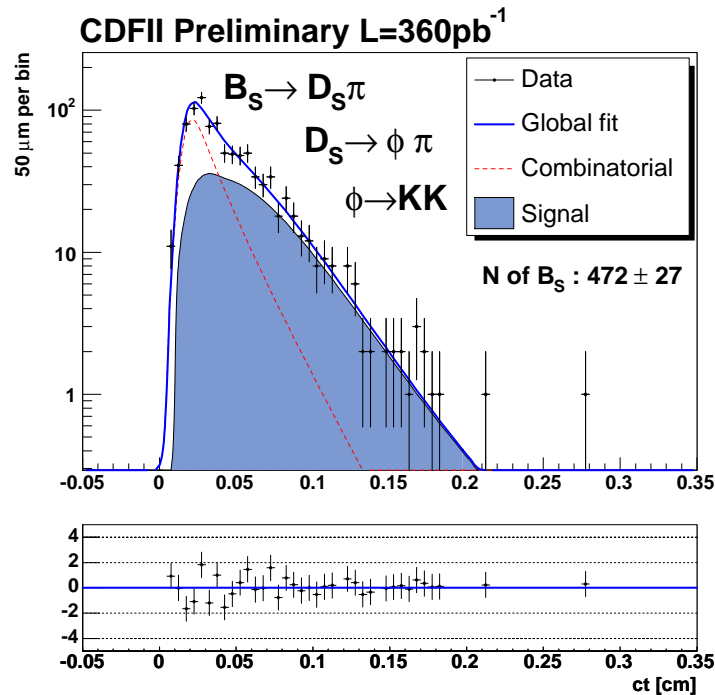
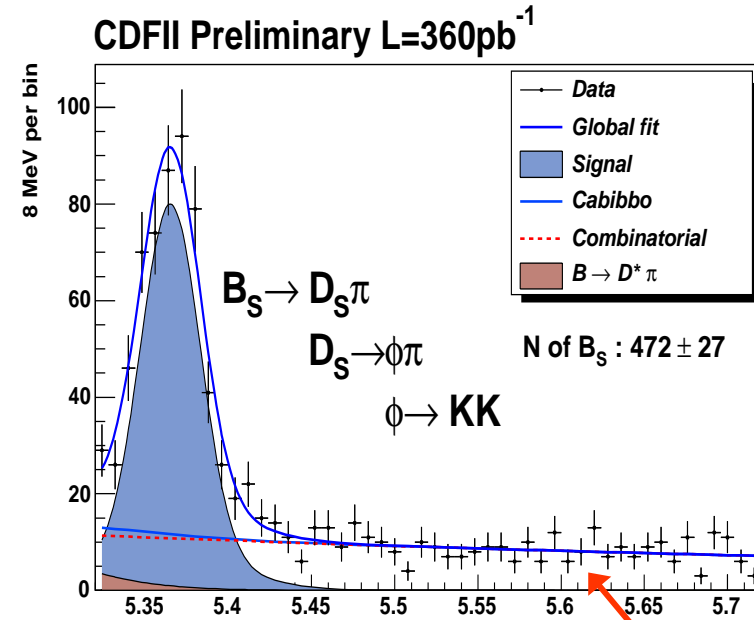


Efficiency as a function of decay time is obtained using MonteCarlo:

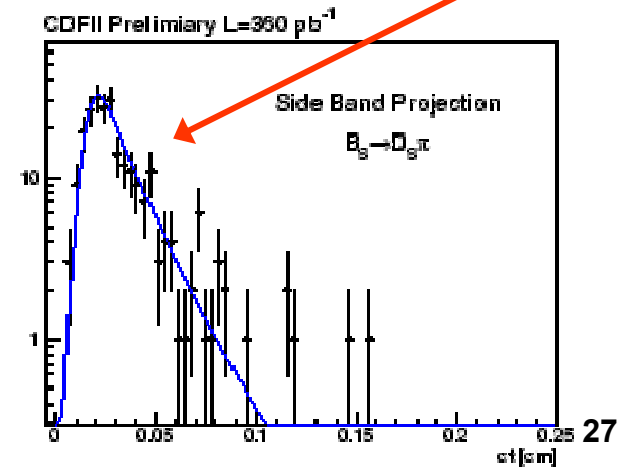
- B production (B p-spectrum from data), decay model (EvtGen)
- full simulation of Detector & Trigger reproducing run-by-run conditions (alignments, beam line, ...)
- Check: emulate SVT sculpting on $B^+ \rightarrow J/\Psi K^+$ unbiased sample

Lifetime in the hadronic B_s modes

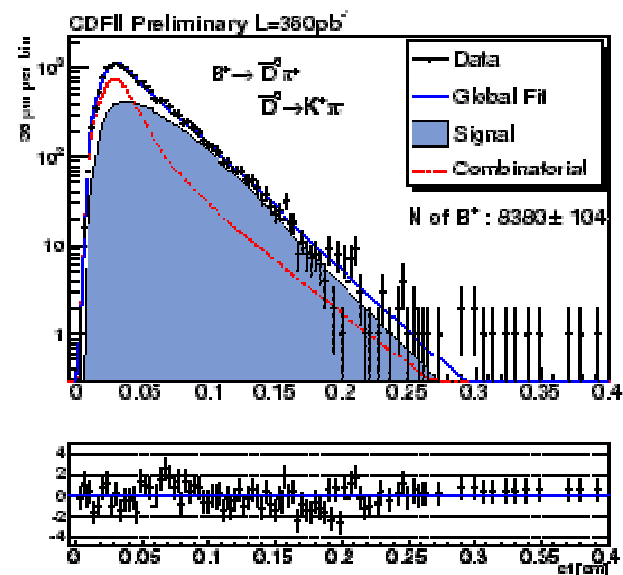
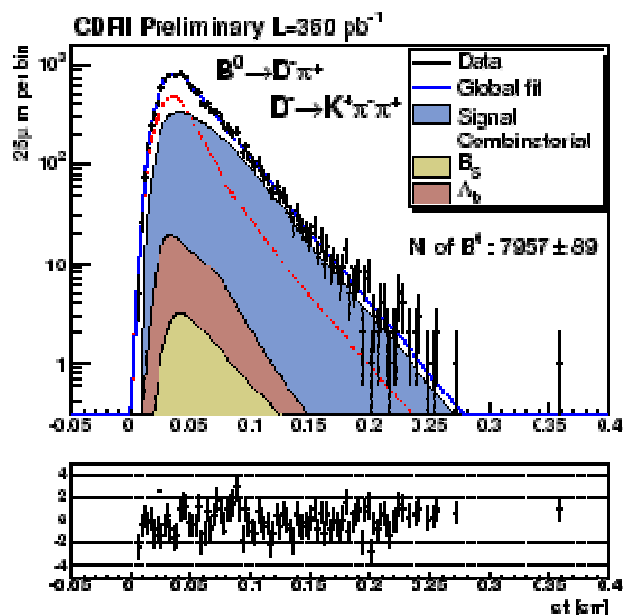
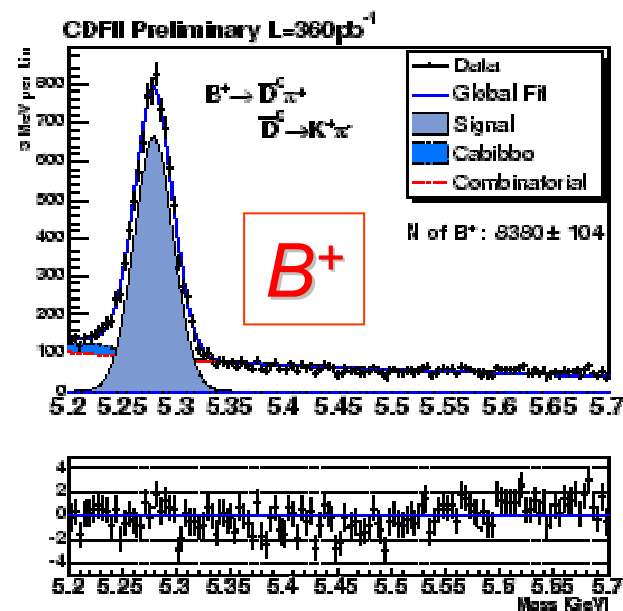
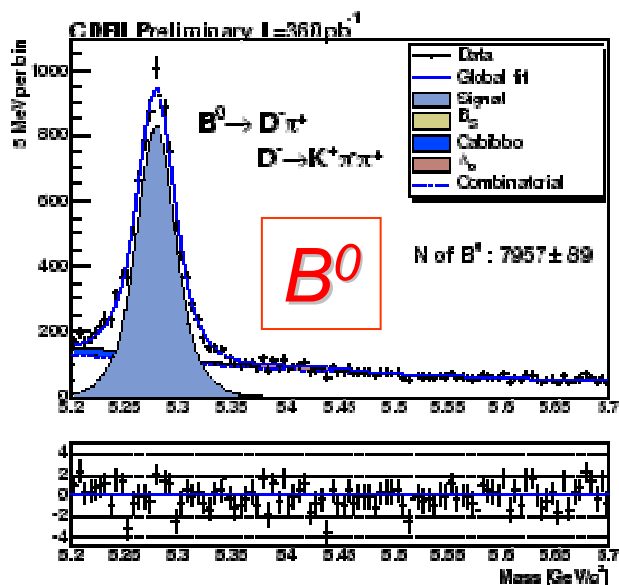
- Decay time $t = L / \beta\gamma c = L \frac{m}{p}$
- actually measure transverse quantities:
 - $-L_{xy}$, $P_T(B)$
- Un-binned likelihood fit
- Used: $B_s^0 \rightarrow D_s^- \pi^+$ and $B_s^0 \rightarrow D_s^- \pi^+ \pi^- \pi^+$



Combinatorial background ct template from high mass sideband



Lifetime in the B^0 and B^+ hadronic modes



Hadronic B-lifetimes results

± (stat) ± (syst)

$$\tau(B^+) = 1.66 \pm 0.03 \pm 0.01 \text{ ps}$$

$$\tau(B^0) = 1.51 \pm 0.02 \pm 0.01 \text{ ps}$$

$$\tau(B_s) = 1.60 \pm 0.10 \pm 0.02 \text{ ps}$$

$$\tau(B^+)/\tau(B^0) = 1.10 \pm 0.02 \pm 0.01$$

$$\tau(B_s)/\tau(B^0) = 1.06 \pm 0.07 \pm 0.01$$

Systematic summary

Effect	Variation(μm)	Variation(μm)
	B^0	B_s
MC input $c\tau$	negligible	negligible
p_T reweight	1.9	1.9
Scale Factor	negligible	negligible
Bkg ct description	1.1	1.1
Bkg fraction	2.0	2.0
I.P. correlation	1.0	1.0
Eff. parameterization	1.5	1.5
L_{xy} significance	negligible	2
$\Delta\Gamma_s$	-	1.0
Alignm. + others	2.4	2.4
Total	4.2	4.7

Average lifetimes (exp.):

$$\tau(B^+) = 1.653 \pm 0.014 \text{ ps}$$

$$\tau(B^0) = 1.534 \pm 0.013 \text{ ps}$$

$$\tau(B_s) = 1.469 \pm 0.059 \text{ ps}$$

Theory prediction:

$$\tau(B^+)/\tau(B^0) = 1.06 \pm 0.02$$

$$\tau(B_s)/\tau(B^0) = 1.00 \pm 0.01$$

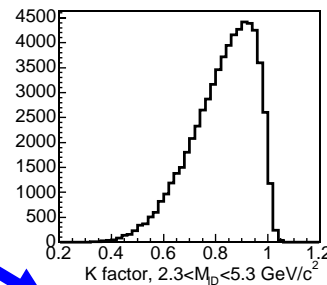
Lifetime in the semileptonic B_s modes

Measure the B decay distance L intersection of ℓ and D_s

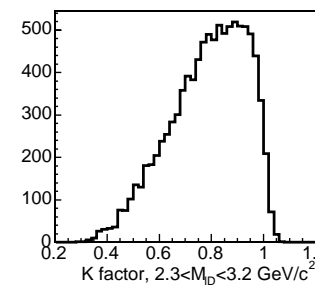
- Observable momentum $p^* = p(\ell D_s)$
- Correct statistically for missing momentum factor (from MC)

$$K = \frac{p(\ell D_s)}{p(B)}$$

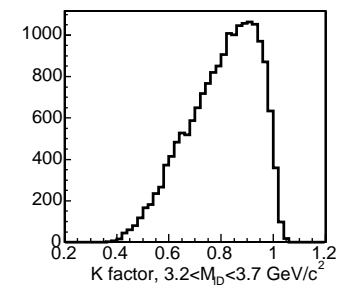
CDF Monte Carlo



$B_s^0 \rightarrow \Gamma^+ \nu D_s^-$ ($D_s^- \rightarrow \phi \pi^-$)



K vs M(D_s)



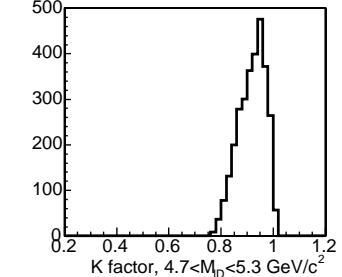
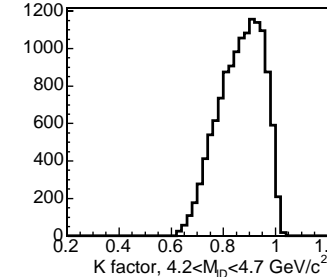
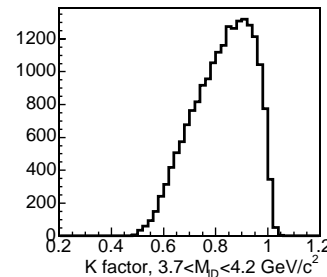
decay time

$$t = L \times \frac{m(B)}{p(B)}$$



pseudo decay time

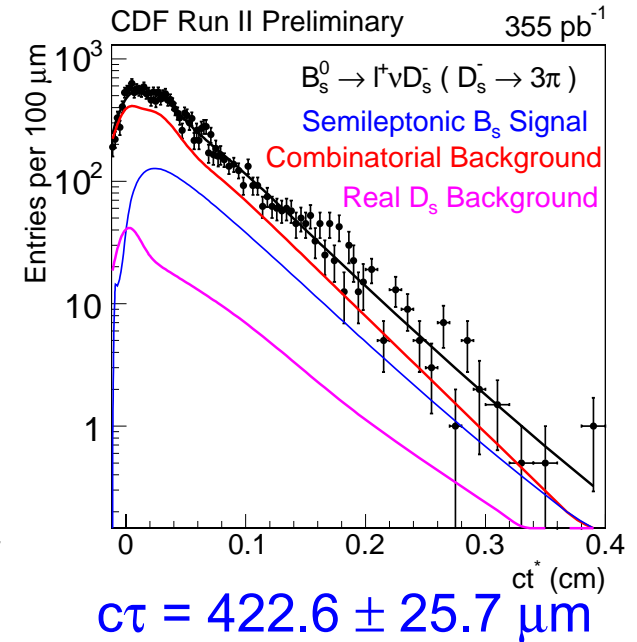
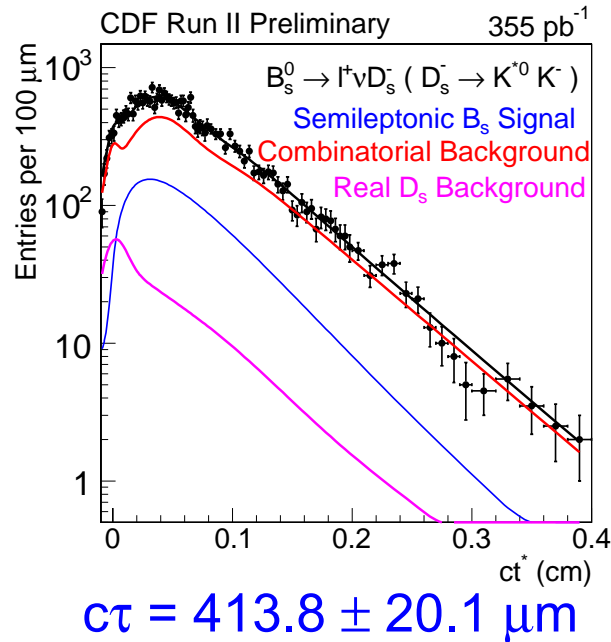
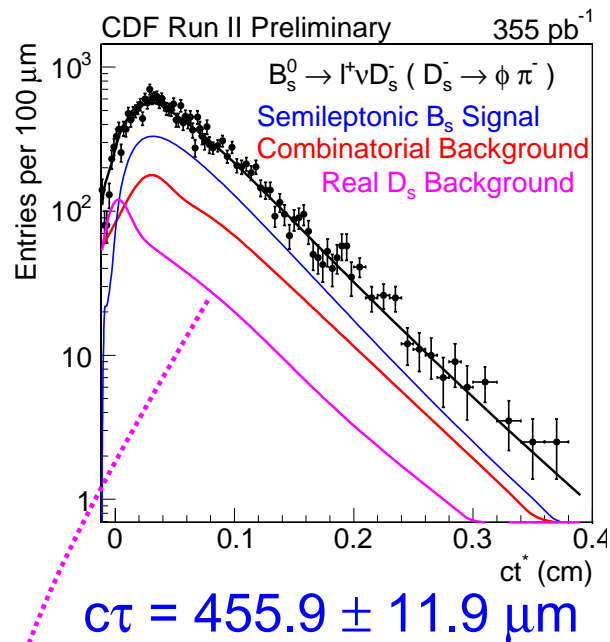
$$t^* = L \times \frac{m(B)}{p(\ell D_s)} \otimes K$$



Perform an unbinned Likelihood fit:

- D_s meson mass, pseudo decay time, pseudo-decay time resolution
- Integration over K-factor p.d.f.
- Combinatorial background from D_s sidebands

Lifetime in the semileptonic B_s modes



Combined ℓ - D_s lifetime result: $445.0 \pm 9.5 \mu\text{m}$

statistical err. only,

\rightarrow NOT for Averages \leftarrow

(W.A.: $438 \pm 17 \mu\text{m}$)

($D\emptyset$ '05: $426 \pm 13 \pm 17 \mu\text{m}$)

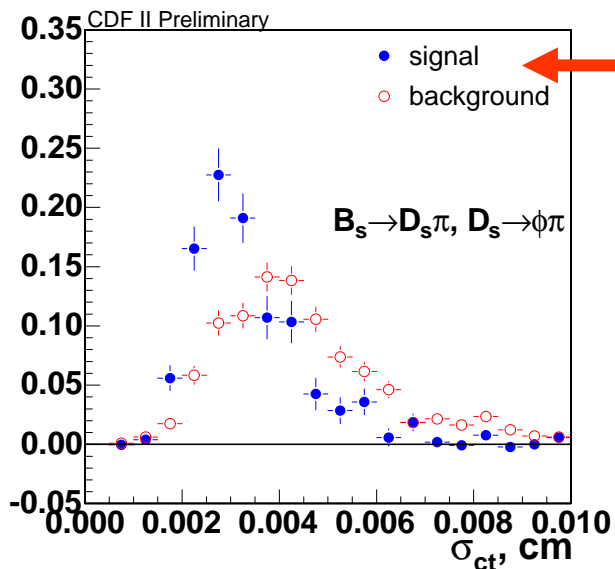
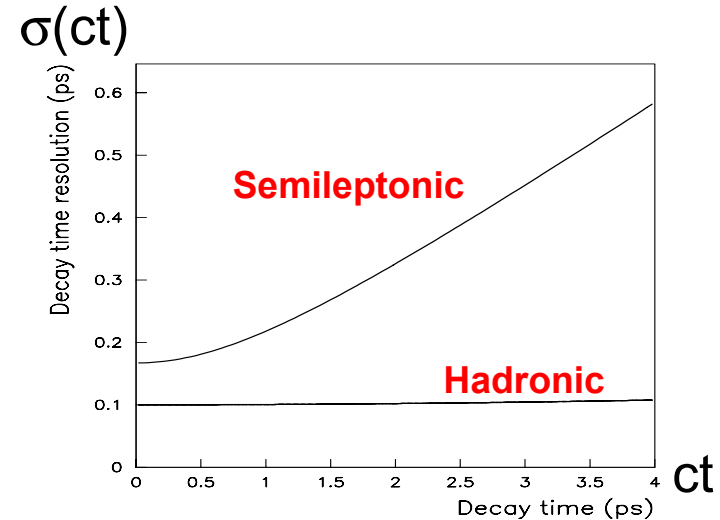
Real D_s backgrounds: prompt and physics

B_s decay time Resolution

$$\sigma_{ct} = \sqrt{(\sigma_{ct}^0)^2 + \left(ct \times \frac{\sigma_p}{p}\right)^2}$$

Vertex
resolution
(constant)

Momentum
resolution
(proportional to ct)

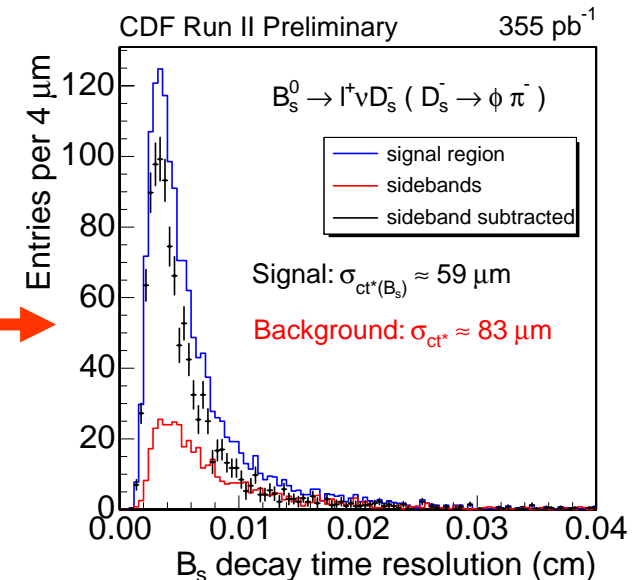


Hadronic:

- $\langle \sigma_{ct}^0 \rangle$: $\sim 30 \mu\text{m}$ (100 fs)
- $\sigma p/p < 1\%$

Semileptonic

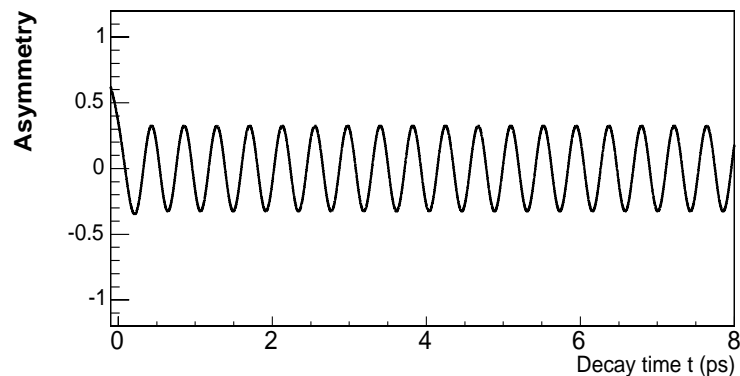
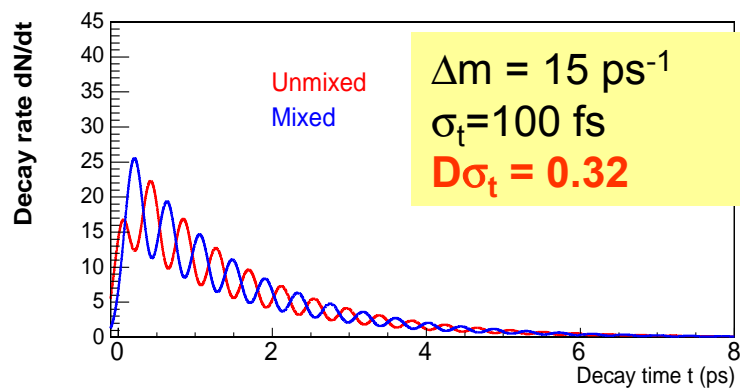
- $\langle \sigma_{ct}^0 \rangle$: $\sim 50 \mu\text{m}$ (167 fs)
- $\sigma p/p \sim 15\%$ (K factor)



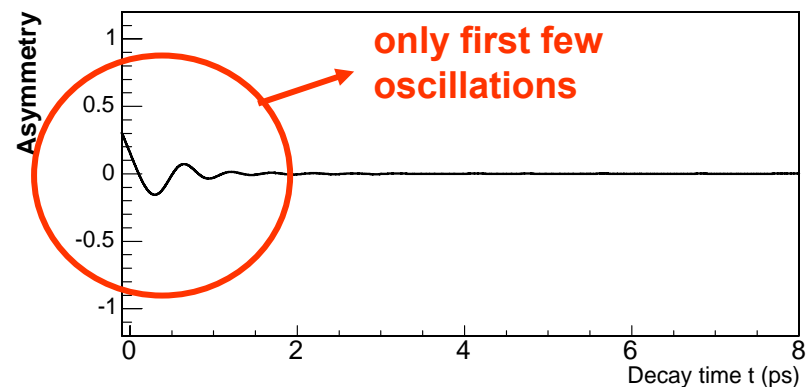
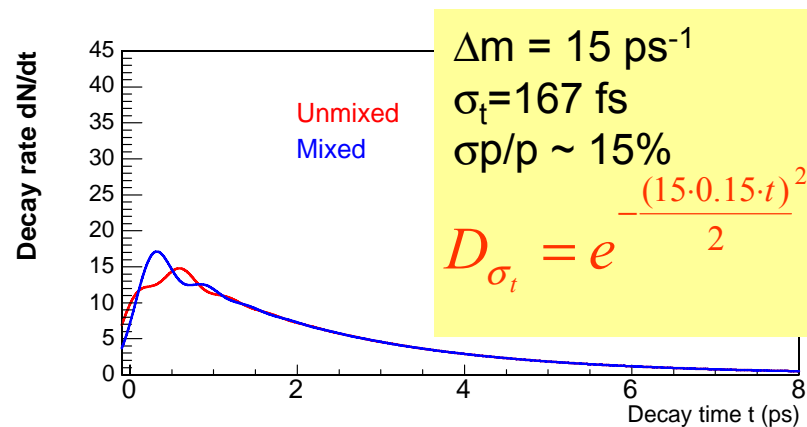
Time resolution effect on mixing

The amplitude of mixing asymmetry is diluted by a factor: $D_{\sigma_t} = e^{-\frac{(\Delta m \cdot \sigma_t)^2}{2}}$

Hadronic $D_{\sigma_t} = \text{const.}$



Semileptonic $D_{\sigma_t} = f(t)$



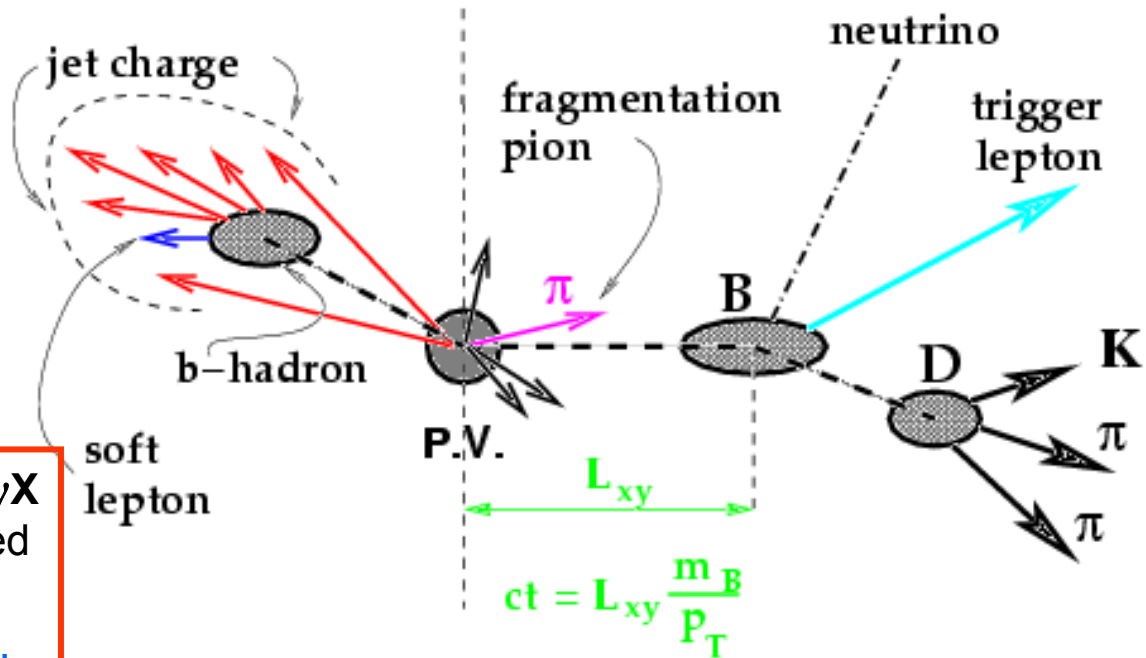
Flavour tagging

Opposite Side

Jet Charge: the sum of charges of the **b-Jet** tracks is correlated to the b-flavour
 → Away Jet reconstruction

Used for today results

Soft Lepton (e,μ) due to $b \rightarrow l\nu X$
 The charge of the **l** is correlated to b-flavour
 → Search lepton from sec. vtx.



Same Side

NOT yet used

Opposite Side K: due to $b \rightarrow c \rightarrow s$ it is more likely that a B^0 meson will contain in final state a K^+ than a K^- .
 (→PID)
 →search for **K** from secondary opposite vtx

SS Pion: B^0_d is likely to be accompanied close in DR by a π^+ from fragmentation
SS Kaon: for B^0_s is likely to be accompanied close in DR by a K^+
 (→PID)
 →search for π/K from Primary vertex

Calibrating the taggers

•Statistical uncertainty for tagging efficiency:

- A typical tagging: $\epsilon=0.1, D=0.4, \epsilon D^2=1.6\%$
- 1000** events: $\epsilon D^2 = 1.6 \pm 0.7\%$ (**44%**)
- 100K** events: $\epsilon D^2 = 1.60 \pm 0.07\%$ (**4.4%**)

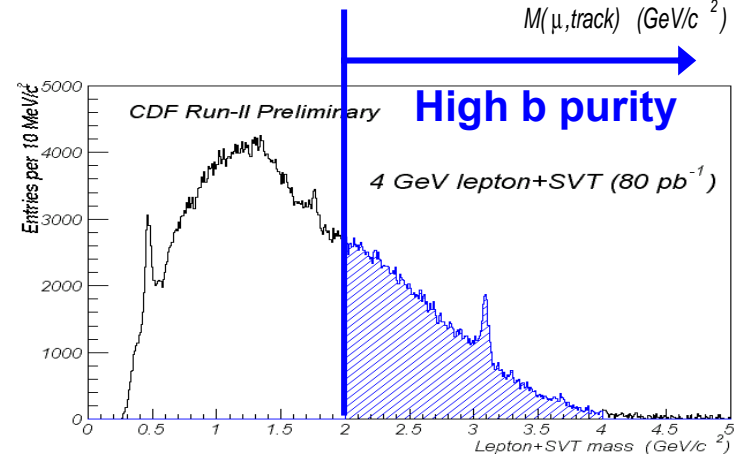
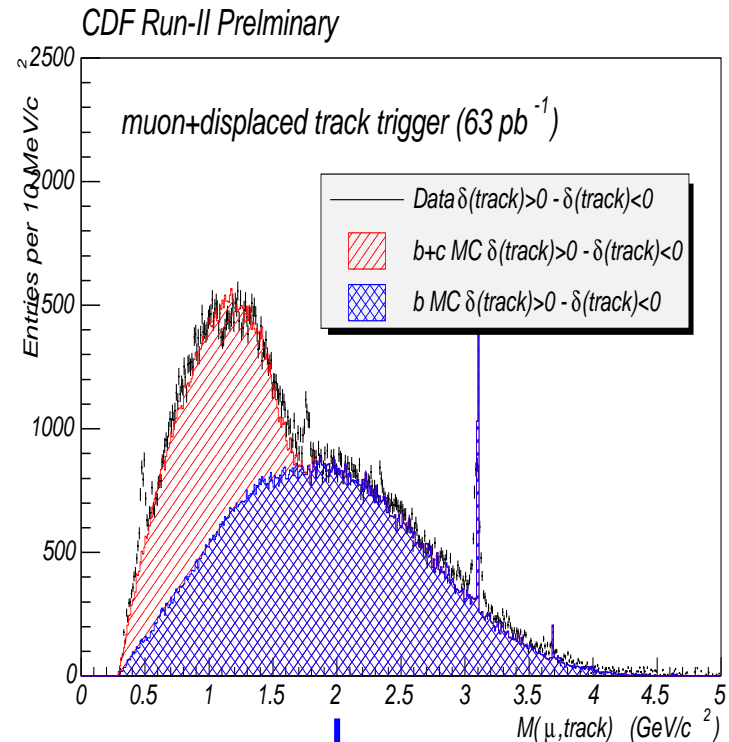
•Dividing events into classes based on tagging power improves ϵD^2

$$\langle D^2(x) \rangle > \langle D(x) \rangle^2$$

→ **Binned Dilution**: needs statistics

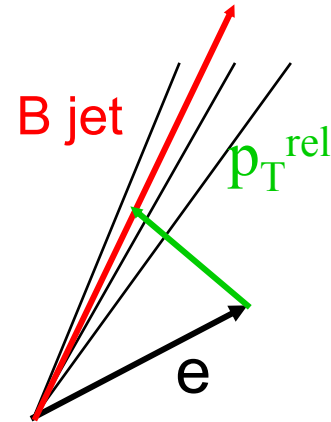
•Solution: Lepton + Displaced track trigger

- ~1.4 M sample rich in semileptonic **B**
- High **B** purity
- Lepton Charge = Decay flavor of **B**



Soft lepton tagging

- The soft electron and muon tagger are built in a Likelihood based approach
- **Dilution** is binned as a function of the lepton transverse momentum wrt the B jet direction in the opposite hemisphere

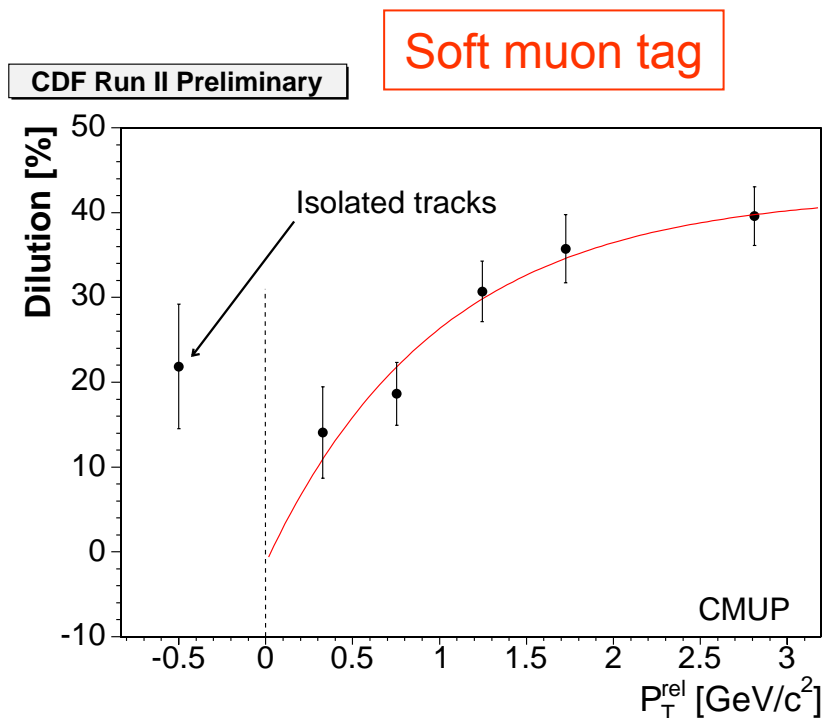
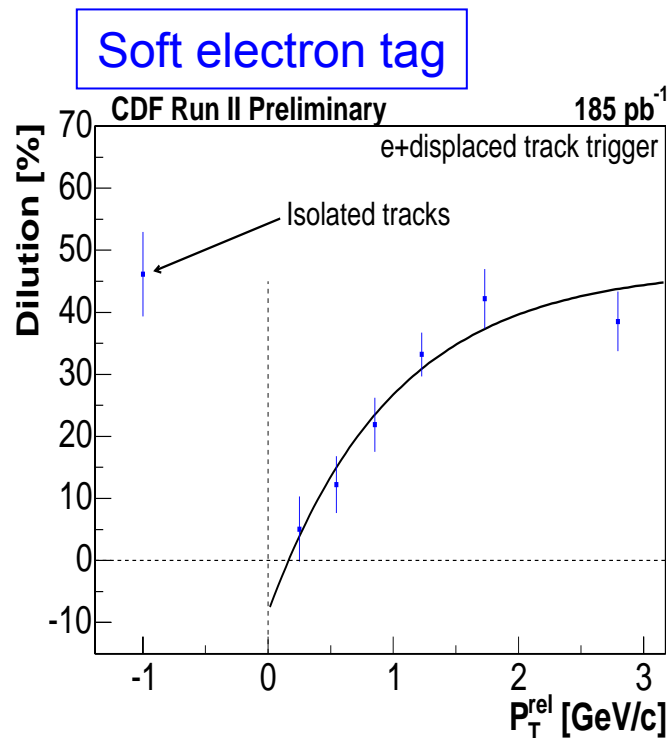


$b \rightarrow c+l^-$:

- High p_T^{rel}

$b \rightarrow c \rightarrow s+l^+$:

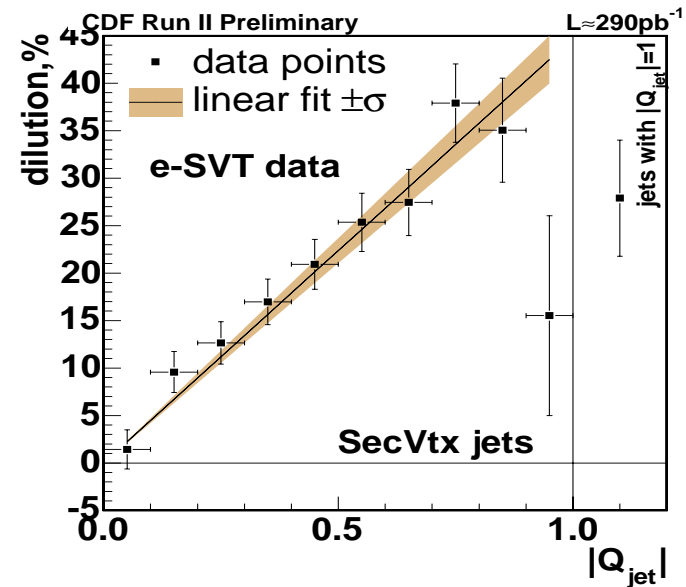
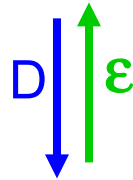
- Low p_T^{rel}
(sequentials)



Flavor Tagging Summary

Jet charge Q algorithms:

- Jet with 2ndary vertex found
- Jet containing displaced track
- Highest momentum Jet



- Measure the 5 taggers effective Dilutions in the $\ell +$ track calibration sample:

→ Predict ϵD^2 event by event

→ Test in Δm_d measurement →

Tag type	ϵD^2 (%)
Muon	$(0.70 \pm 0.04)\%$
Electron	$(0.37 \pm 0.03)\%$
2ndary vtx	$(0.36 \pm 0.02)\%$
Displaced track	$(0.36 \pm 0.03)\%$
Highest p jet	$(0.15 \pm 0.01)\%$
Total (exclusive)	$\sim 1.6\%$

B^0 mixing in the hadronic channels

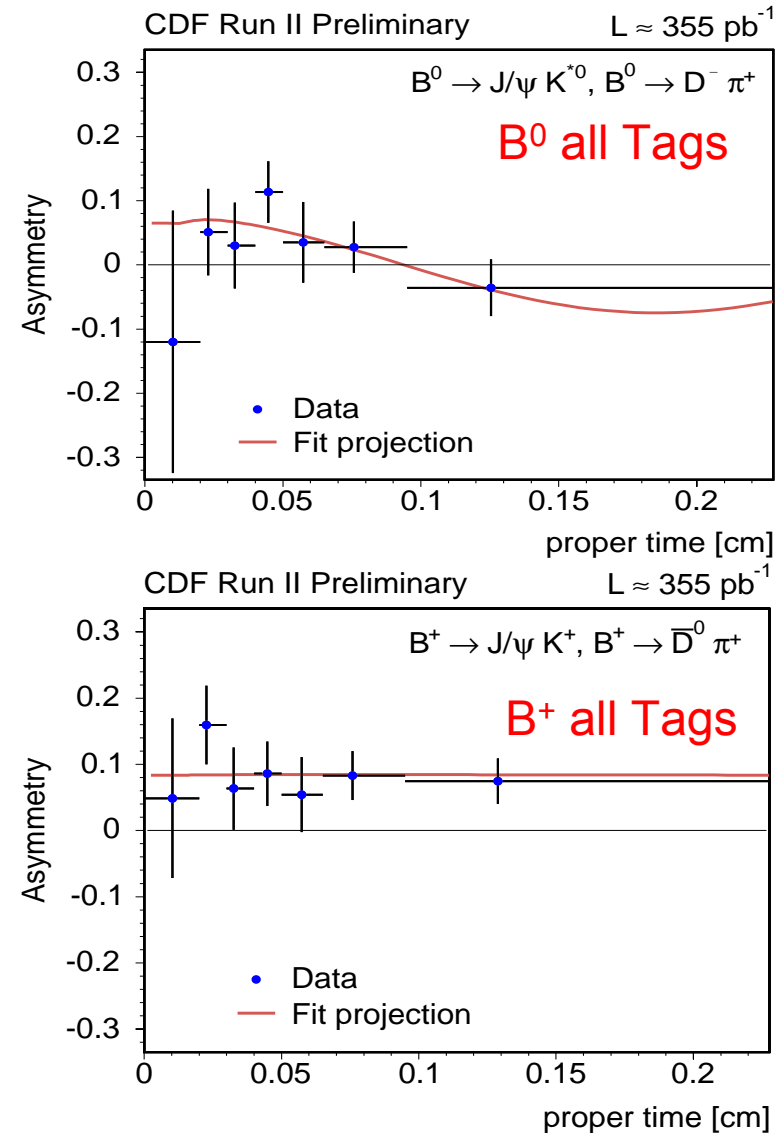
- Validation of the flavor tag calibration using B^0 and B^+ sample
 - $B^0 \rightarrow D\pi$, $B^+ \rightarrow D^0\pi$
 - $B^0 \rightarrow J/\psi K^{*0}$, $B^+ \rightarrow J/\psi K$
- Event by event predicted dilution **D** from the flavor tag calibration

$$B^0 : e^{-t/\tau} (1 \pm S \cdot D \cdot \cos(\Delta m_d t))$$

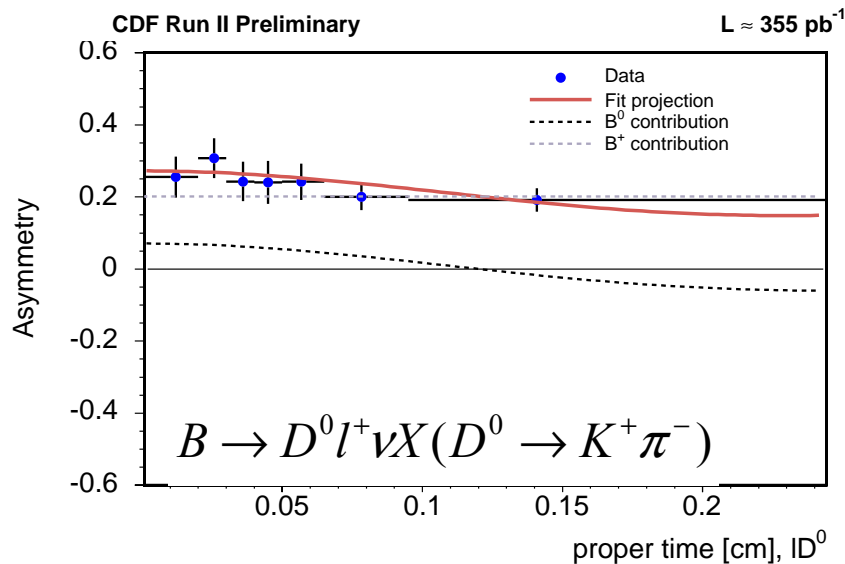
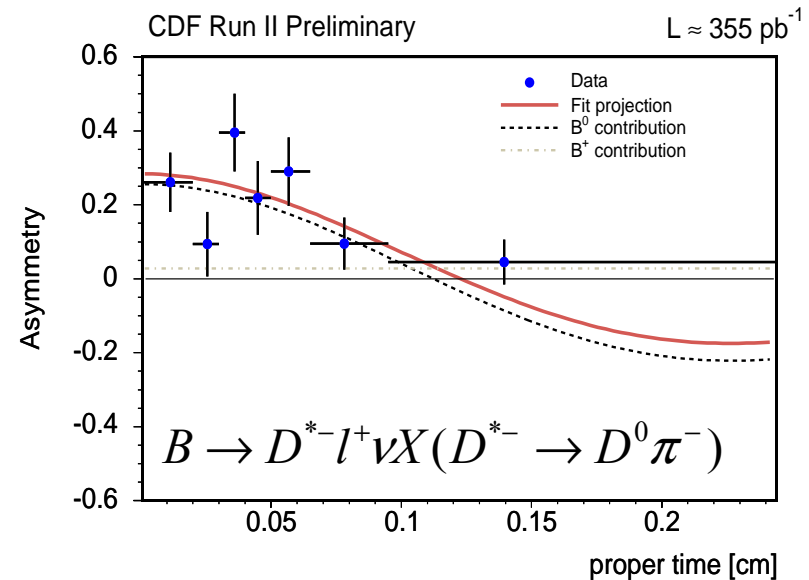
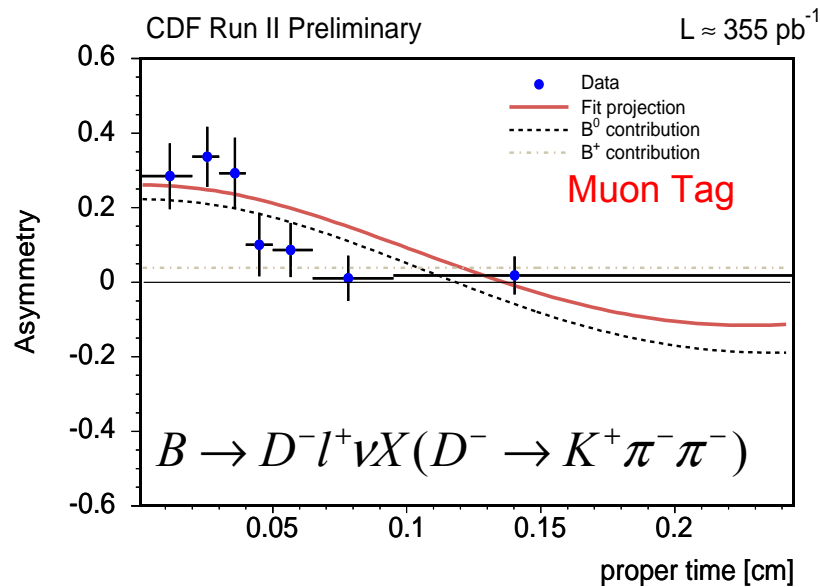
$$B^+ : e^{-t/\tau} (1 \pm S \cdot D)$$

- Fit the “Dilution scale factor” **S**
 - =1 if the tag calibration is correct.
 - 5 scale factors for 5 tag types

→ Scale factors are then used for B_s mixing analysis in the hadronic



B^0 mixing in the semileptonic channels



- Measure Δm_d
- Extract 5 dilution scale factors

→ The dilution scale factors are used for semileptonic B_s mixing analysis

B^0 mixing results

	HADRONIC	SEMILEPTONIC
Δm_d	$(0.503 \pm 0.063 \pm 0.015) \text{ ps}^{-1}$	$(0.498 \pm 0.028 \pm 0.015) \text{ ps}^{-1}$
Total ϵD^2	$(1.12 \pm 0.23)\%$	$(1.43 \pm 0.09)\%$
Dilution scale S		
Muon	$0.83 \pm 0.10 \pm 0.03$	$0.93 \pm 0.04 \pm 0.03$
Electron	$0.79 \pm 0.14 \pm 0.04$	$0.98 \pm 0.06 \pm 0.03$
Vertex	$0.78 \pm 0.19 \pm 0.05$	$0.97 \pm 0.06 \pm 0.04$
Track	$0.76 \pm 0.21 \pm 0.03$	$0.90 \pm 0.08 \pm 0.05$
Jets	$1.35 \pm 0.26 \pm 0.02$	$1.08 \pm 0.09 \pm 0.09$

- Δm_d consistent with WA: $0.510 \pm 0.005 \text{ ps}^{-1}$
- **Total ϵD^2** : 1.1—1.4%
- All dilution scale factors consistent with 1
 - Hadronic: 15~25% uncertainty
 - Semileptonic: 5~15% uncertainty

Amplitude scan method, ex.: the B^0 case

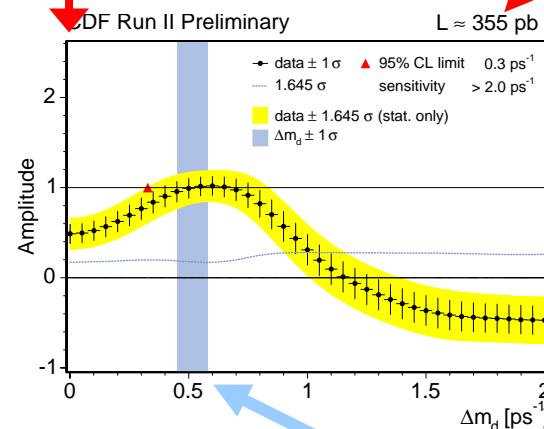
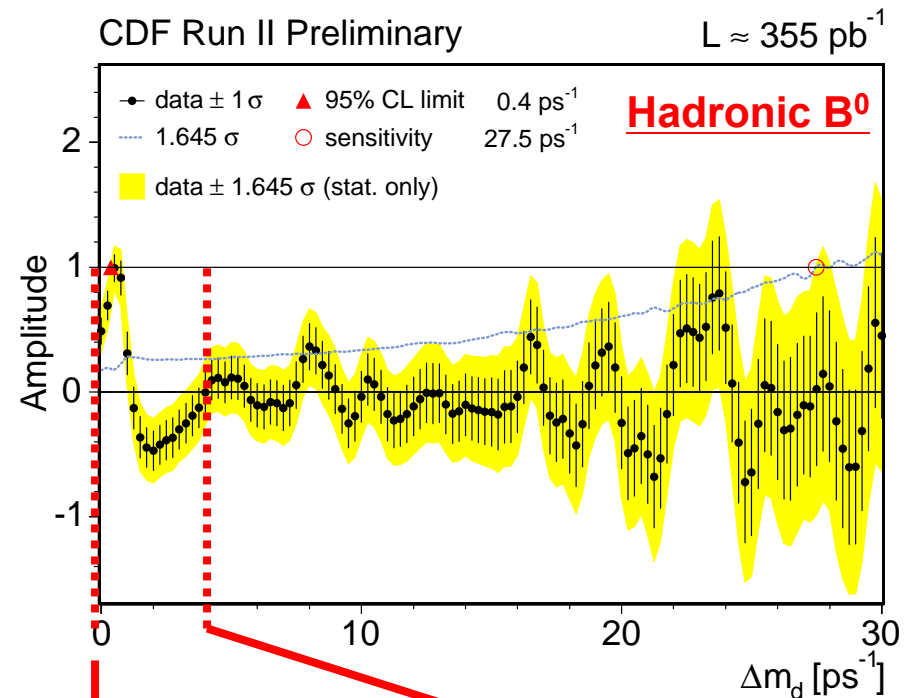
- Standard cosine fit not very sensitive for high Δm (i.e. the B_s case)
- Method: Introduce “Amplitude” A in Likelihood:

$$L_{sig}^t = \frac{1}{\tau} e^{-t/\tau} (1 \pm A D \cdot S \cdot \cos(\Delta m t))$$

- perform “Amplitude Scan” (~AM band radio)
 - Fit the amplitude A fixing Δm
 - Amplitude: A , uncertainty: σ_A
 - Repeat the fit with a set of Δm values

→ Amplitude A is consistent with:

- **1** if there is mixing
- **0** if there is no mixing



Ex.: hadronic B^0

$A = 1$ at $\Delta m = 0.5$
 $A = 0$ at $\Delta m \gg 0.!$

Δm_d meas. $\pm 1\sigma$

Δm_s amplitude scan road map

- **“Blind Analysis”:**

- Scrambling flavor tag decision \leftrightarrow multiply the tag decision $\times (-1)^{\text{Run Number}}$
- Perform the blind amplitude scan to the Bs candidates:
- Amplitude **A** is **randomized** in the blind scan but: **σ_A is not biased**
- **Evaluate sensitivity** \rightarrow exclude Δm_s range where **$(1-A) > 1.645 \cdot \sigma_A$ (95% C.L.)**
- **Systematic uncertainty**
 - Following the prescription by **Moser, et.al. (NIM A 384 491)**
- We use **toy Monte-Carlo** sample generated at each value of Δm_s in the amplitude scan
 - Toy MC includes all variables and distributions used in Likelihood
 - Take shifts in amplitude (ΔA) and statistical uncertainty ($\Delta \sigma_A$).
- Derive systematic using formula

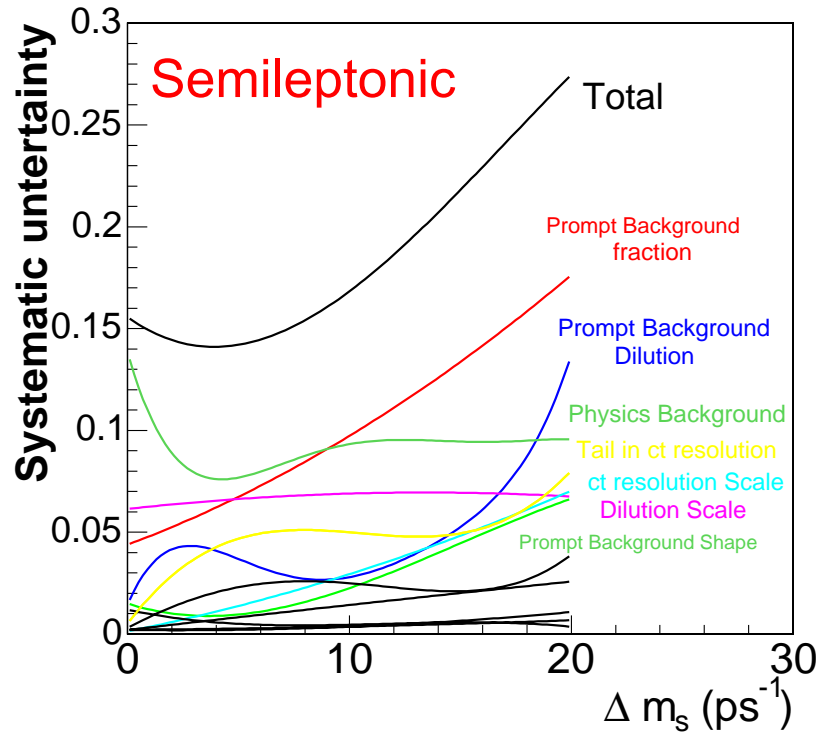
$$\sigma_A^{syst} = \Delta A + (1 - A) \frac{\Delta \sigma_A}{\sigma_A}$$

- **Open the box after:**

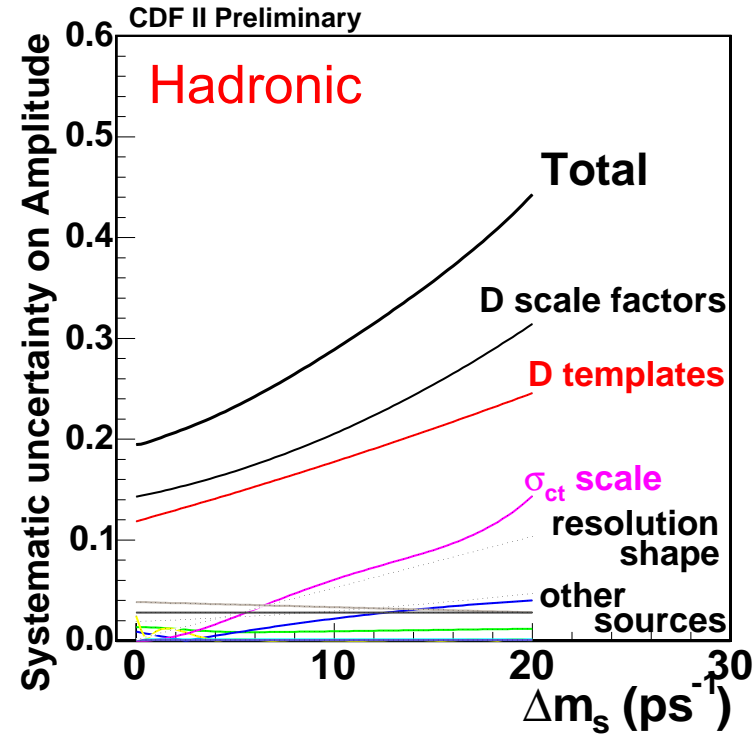
- Sensitivity estimation
- Systematic evaluation



Systematic Uncertainties



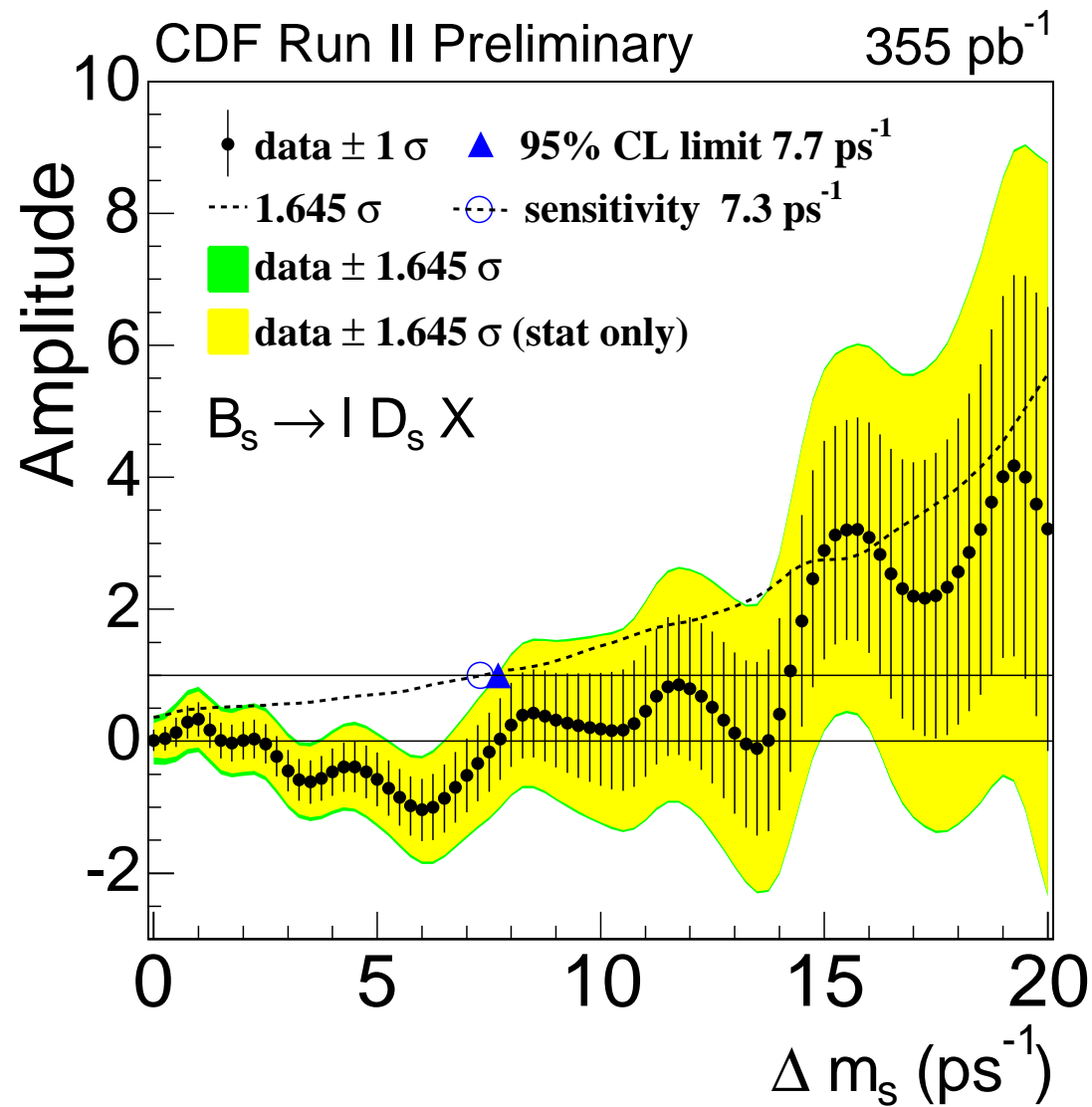
- **Physics** background at low Δm_s
- **Prompt** background at high Δm_s



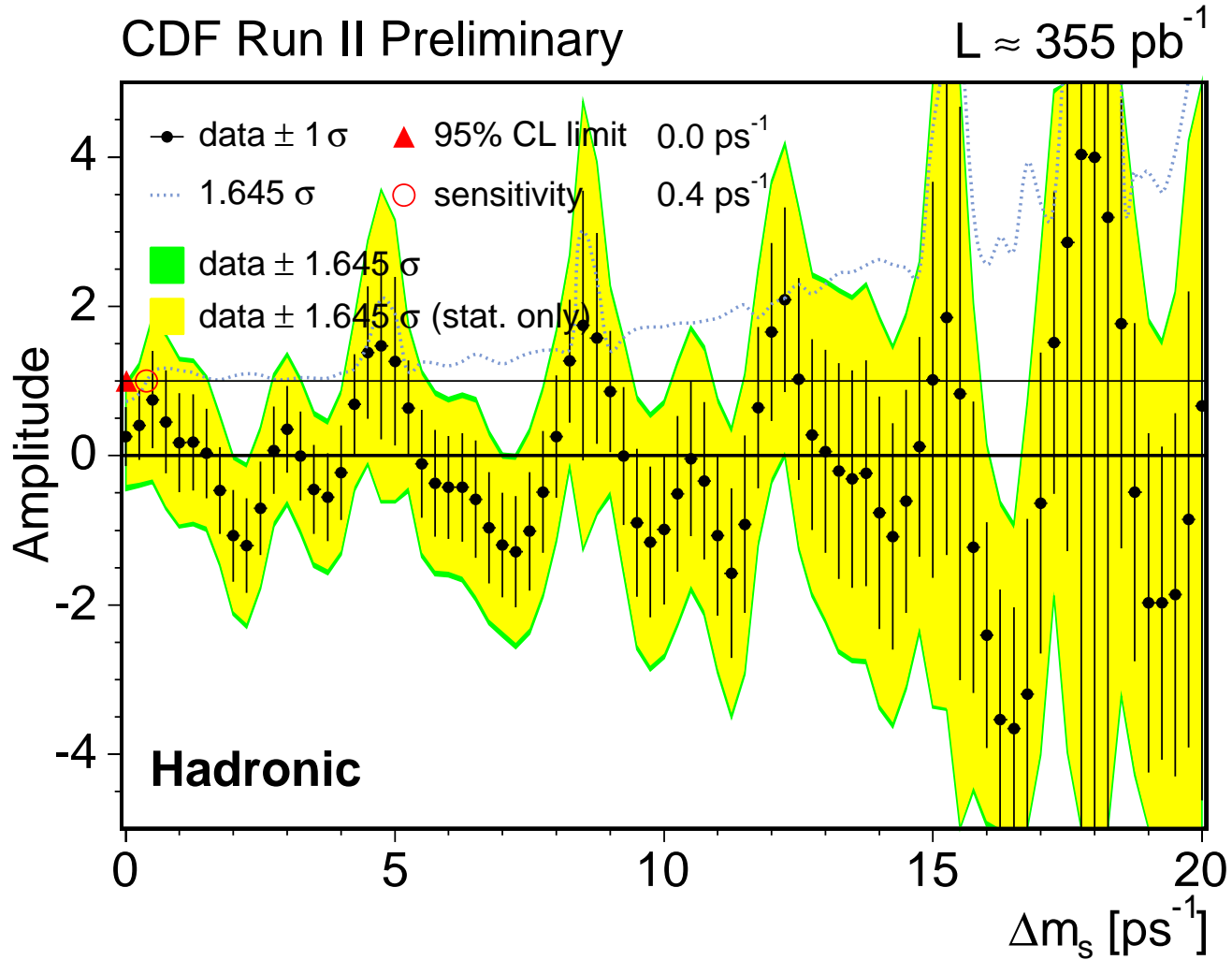
- **Dilution scale factors** and templates systematic limited from control sample statistics

****Systematic errors are negligible with respect to statistical in both cases****

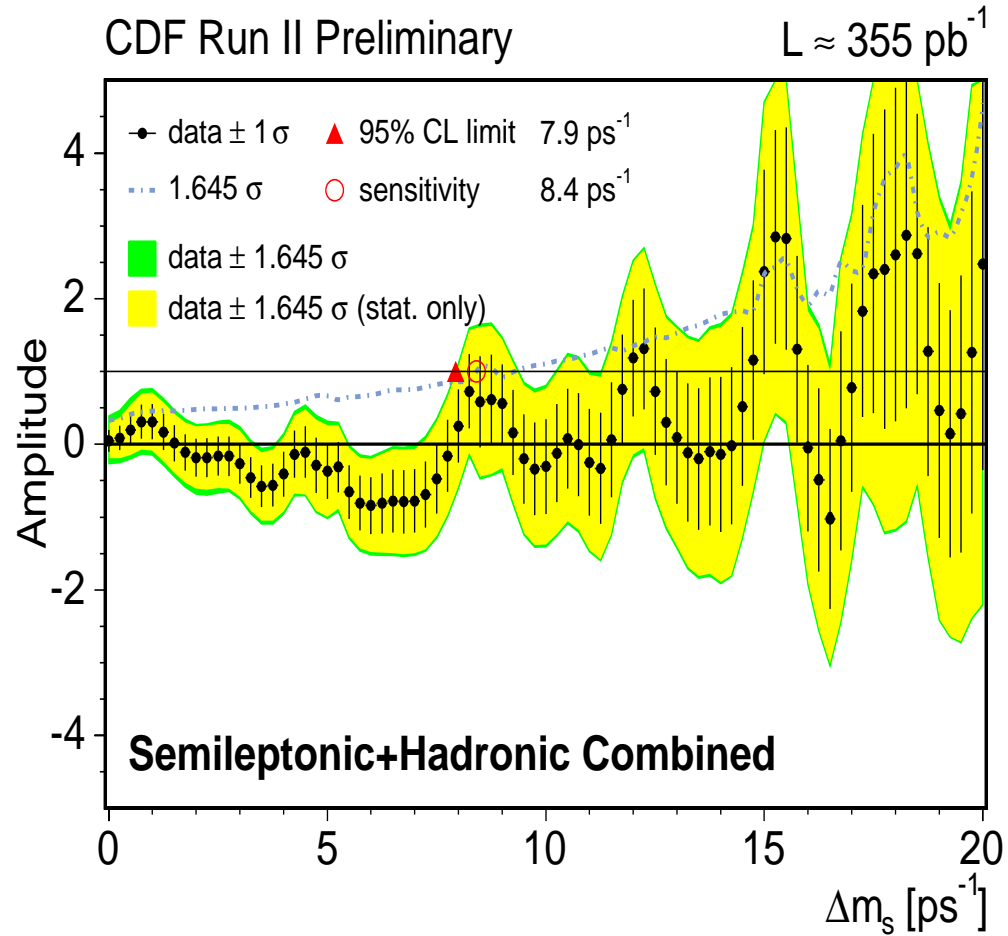
Amplitude Scan result (semileptonic)



Amplitude Scan result (hadronic)



CDF Combined Result

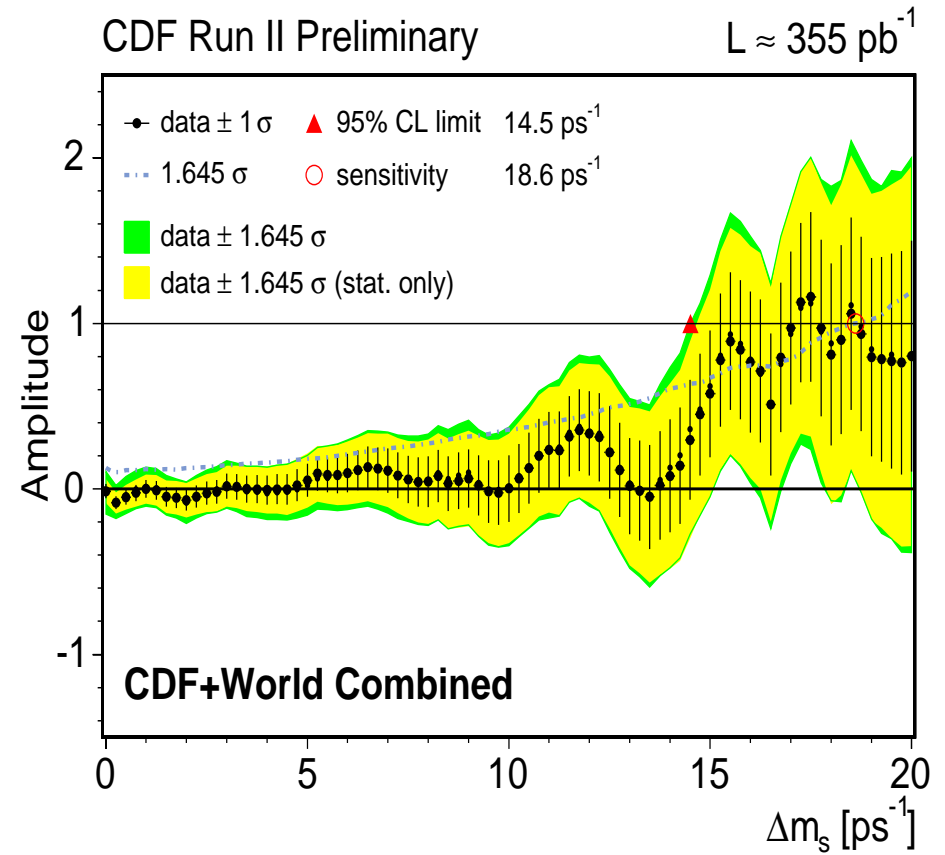
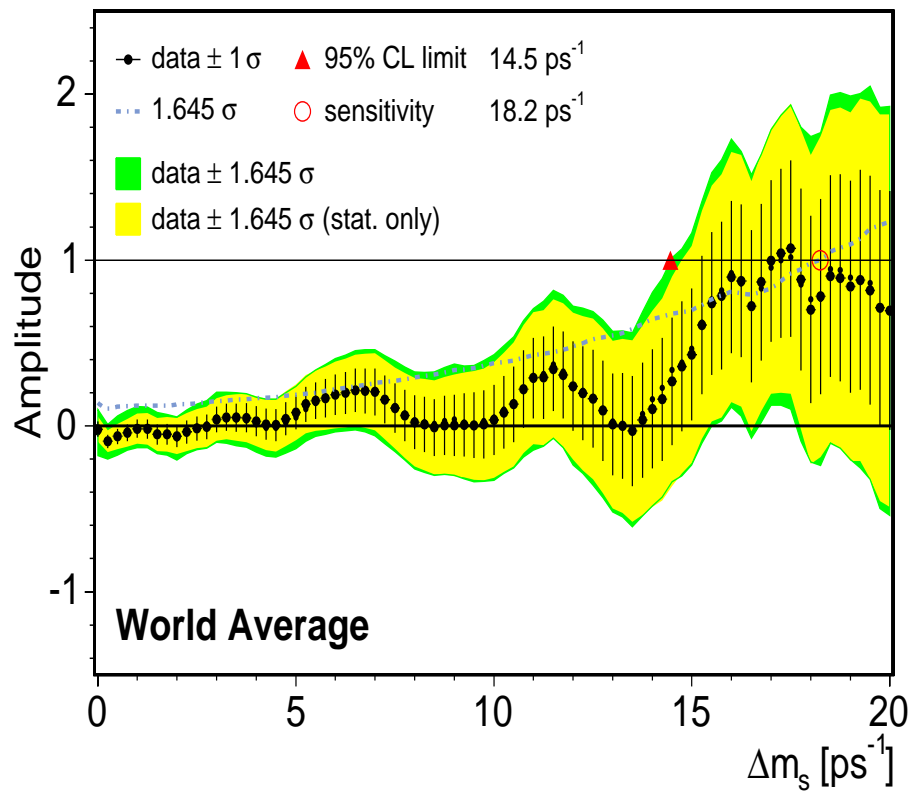


- **Sensitivity:** 8.4 ps^{-1}
- **Limit:** $\Delta m_s > 7.9 \text{ ps}^{-1}$ @ 95% CL

CDF+World Combined Result

- World Average (LEP, SLD, CDF run I)
 - Sensitivity: **18.2 ps⁻¹**
 - Limit: **14.5 ps⁻¹**

- World Average + CDF Run II
 - Sensitivity: **18.6 ps⁻¹**
 - Limit **14.5 ps⁻¹**



Future perspectives

With the same data:

- Add **new tagging algorithm** Same Side Kaon Tag
- Add **more channels**
- Add signals from other triggers
- Improve decay time resolution with PV event by event

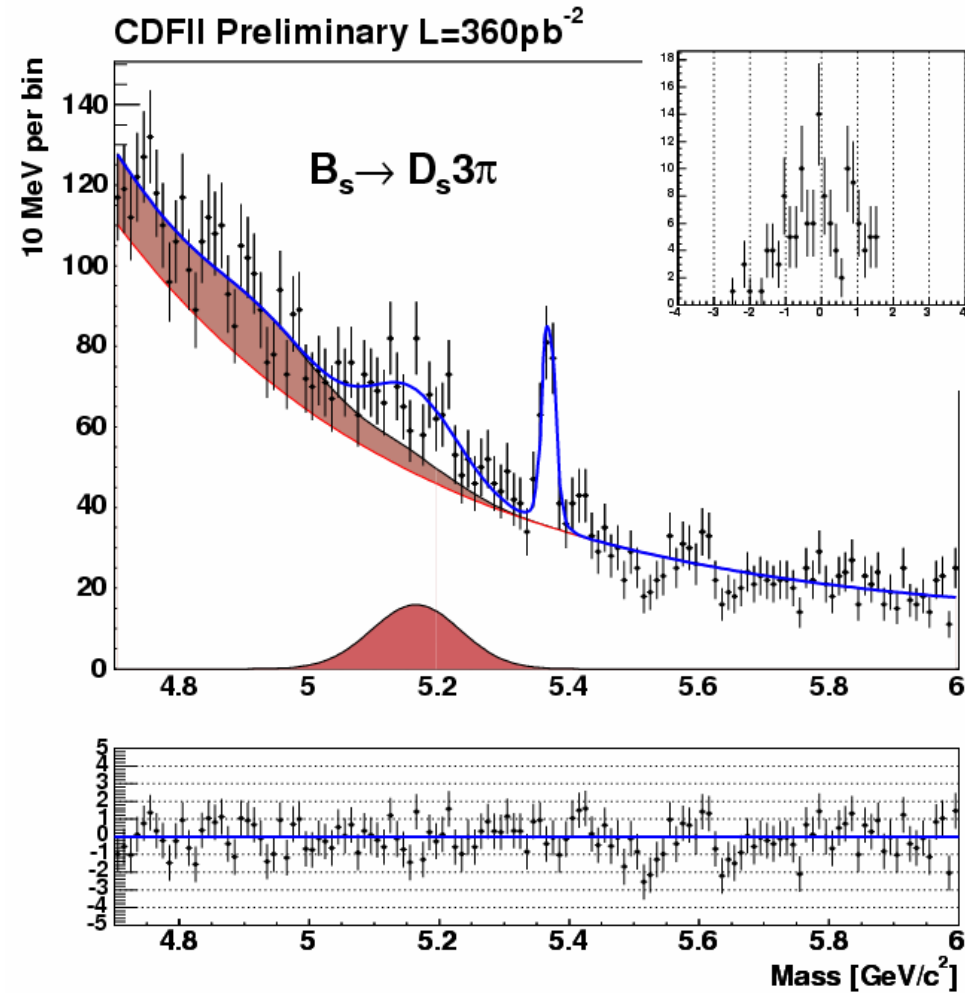
With new data:

- Increased Luminosity
- Use **new trigger** strategies
 - 2 SVT Tracks + tagging muon at trigger level
(already in place since summer 2004)

Other channels, example

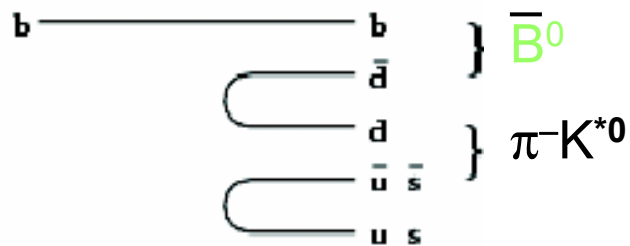


- 133 ± 23 B_s candidates
- Already used for lifetime
- But not for mixing

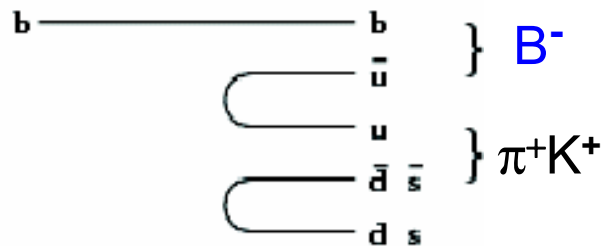


Same side Kaon tagging

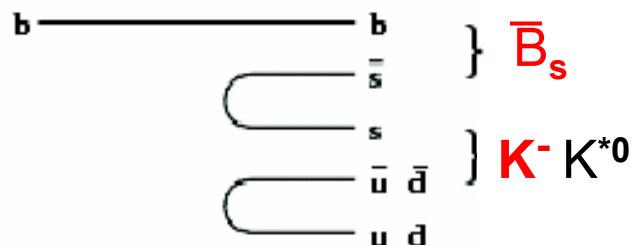
Exploits the charge correlation between the b quark and the leading product of b hadronization.



Already used in Δm_d measurement, gives an $\epsilon_{D^2} = 1.1 \pm 0.4 \%$



B^+ case is complicated by the contribution of excited B_d and B_s states



SS Kaon tag possible with PID

“Simple case”: so excited states expected

Issues:

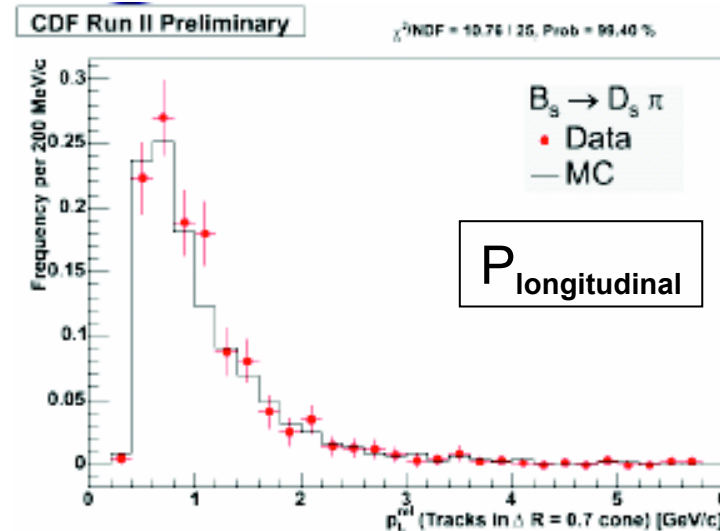
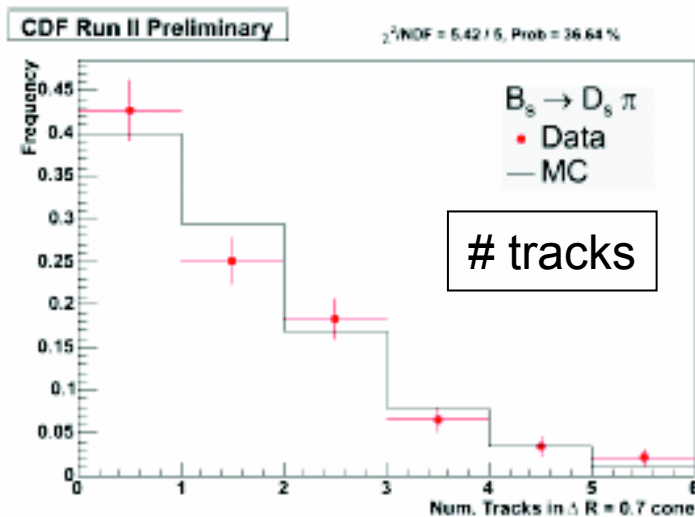
- Need to know ϵ_{D^2} to set a limit on Δm_d
- Underlying event background

Is MC describing the data?

One possible way to solve the issue of having a prediction for the SSKT dilution is to extract it from MC.

→ Compare DATA with Pythia b-antib production and hadronization with all the processes on, underlying event “tune A” from HF x-sec. CDF data.

Look at the charged tracks in a cone of $\Delta R=0.7$ around the B_s (no PID)

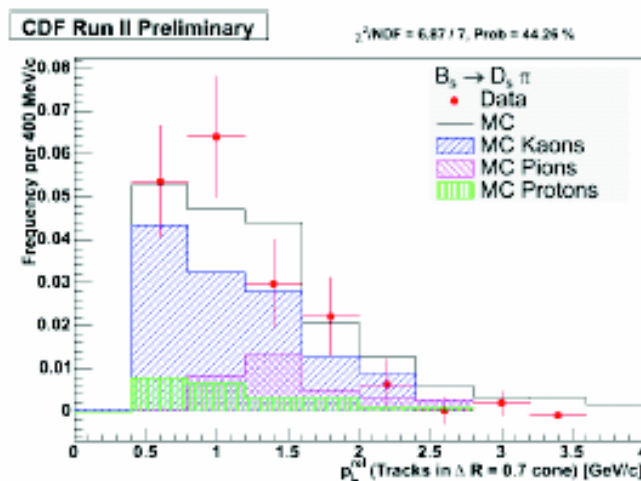
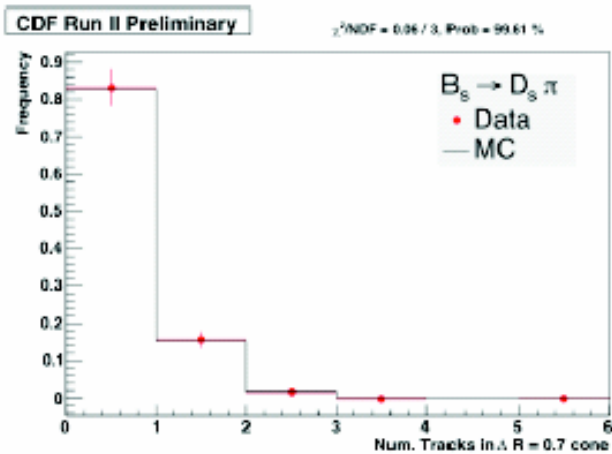
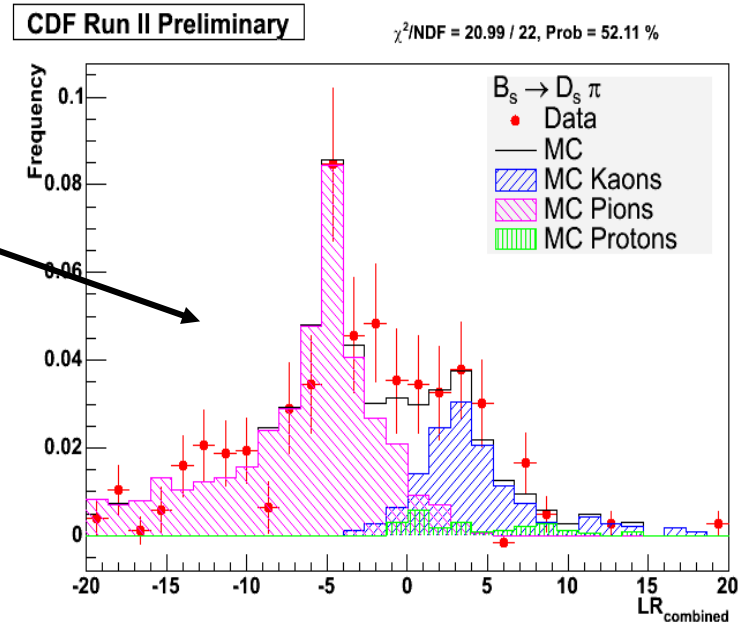


First order good agreement

MC-data comparison with PID

Apply PID, T.O.F. and dE/dx combined
 In a Likelihood approach $L(K)/L(\pi)$

- LR cut \rightarrow candidate **tag Kaon**



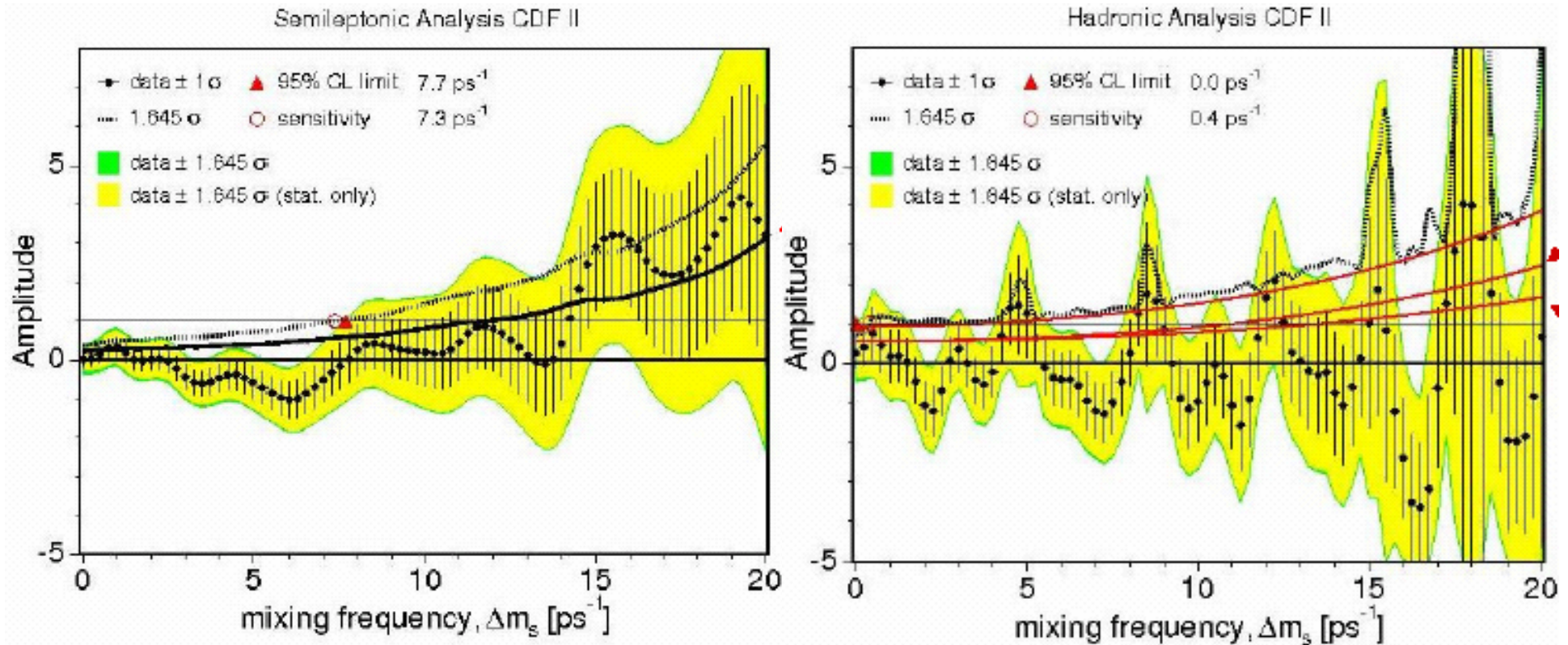
Still good agreement

Issues:

- Particle fractions in MC
- PID resolution tuning
- backgrounds

Short term realistic scenario

Increase the actual effective statistics **x4** (i.e. increase $N\epsilon D^2$ x4)



- Hadronic analysis will begin to lead the sensitivity
- Start to “eat” interesting Δm_s range combining the 2 analysis

BACKUP slides

Systematics Summary Table (Hadronic)

source	selected Δm_s scan points				
	0.0	5.0	10.0	15.0	20.0
$B_s \rightarrow D_s K$ level	0.019	0.024	0.030	0.037	0.047
dilution scale factors	0.143	0.168	0.205	0.254	0.314
dilution templates	0.119	0.147	0.178	0.211	0.246
fraction of Λ_b	0.014	0.009	0.009	0.011	0.012
Punzi term for σ_{ct}	0.009	0.008	0.022	0.033	0.030
dilution of $B \rightarrow DX$	0.025	0.001	0.000	0.000	0.001
σ_{ct} scale factor	0.000	0.024	0.061	0.090	0.144
usage of L00 in bias curve	0.001	0.001	0.001	0.001	0.001
Bs lifetime uncertainty	0.001	0.001	0.001	0.001	0.001
reweighted p_t spectrum	0.001	0.001	0.001	0.001	0.001
non-Gaussian tails in ct resol.	0.001	0.027	0.052	0.078	0.104
neglect B^0 in fit	0.039	0.036	0.033	0.031	0.028
effect of $\Delta\Gamma/\Gamma = 0.2$	0.028	0.028	0.028	0.028	0.028
Total systematic	0.195	0.232	0.289	0.357	0.443
Statistical	0.393	1.129	1.010	2.652	5.281

Systematics Summary Table (Semileptonic)

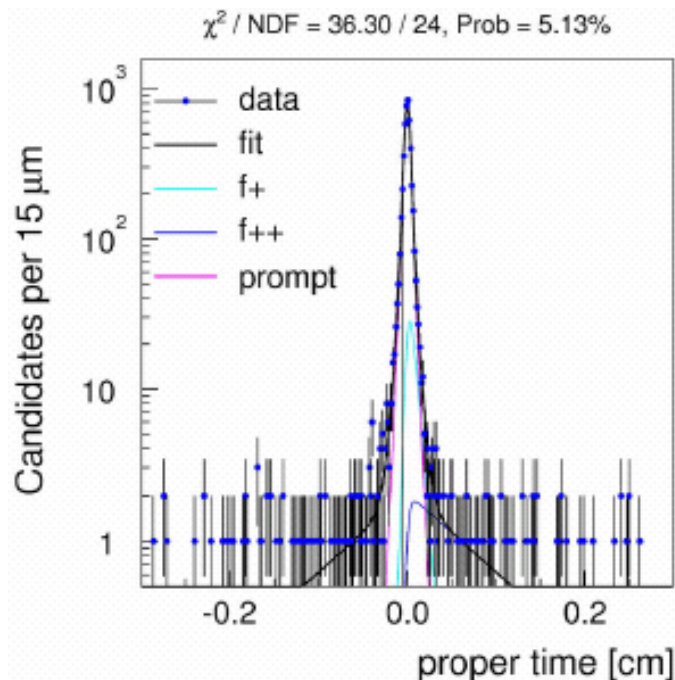
Source	selectex Δm_s scan points				
	0.0	5.0	10.0	5.0	20.0
Prompt background fraction	0.044	0.065	0.102	0.145	0.143
Prompt background dilution	0.014	0.040	0.027	0.062	0.157
Prompt background shape	0.015	0.010	0.019	0.054	0.057
Physics background fraction	0.134	0.078	0.093	0.096	0.103
Sample composition	0.002	0.015	0.022	0.021	0.039
Dilution scale factors	0.061	0.071	0.068	0.070	0.069
σ_{ct^*} scale factor	0.002	0.012	0.033	0.047	0.065
SVT bias curve	0.002	0.001	0.005	0.005	0.012
Primary vertex	0.007	0.003	0.003	0.005	0.007
B_s lifetime	0.001	0.011	0.014	0.020	0.026
non-Gaussian tails in ct resol.	0.005	0.047	0.049	0.052	0.078
effect of $\Delta\Gamma/\Gamma=0.2$	0.012	0.005	0.005	0.005	0.009
Total Systematics	0.156	0.142	0.167	0.220	0.273
Statistical	0.159	0.406	0.856	1.654	3.364

Decay Time Resolution

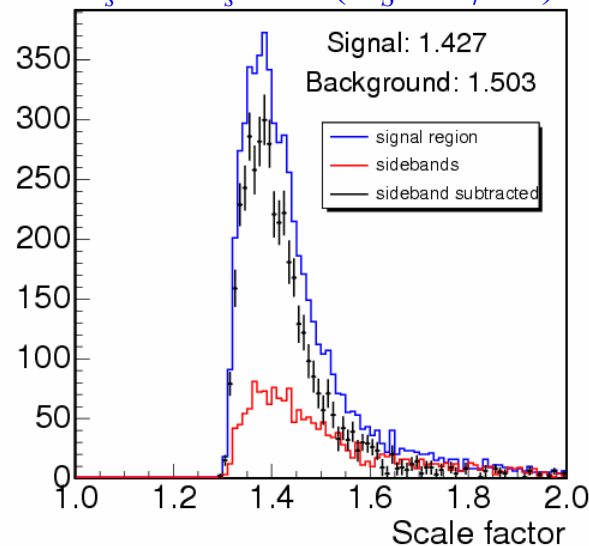
Decay vertex error matrix overall correction for mis-knowledge of hit resolution

- Apply a scale factor \mathbf{S} to $\sigma(\mathbf{ct})$ from vertex fit:
 - Use large data control sample, **real Ds + track from Primary Vertex**
 - Parameterize \mathbf{S} in terms of several variables (P_T , Isolation,...)
 - Correct $\sigma(\mathbf{ct})' = \mathbf{S} \cdot \sigma(\mathbf{ct})$ event by event.

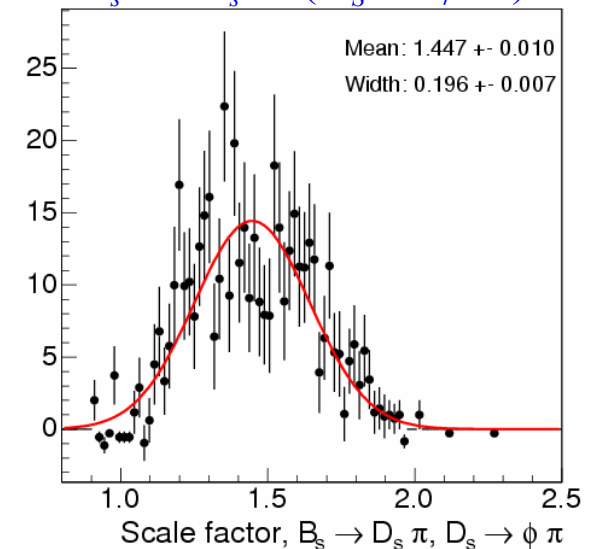
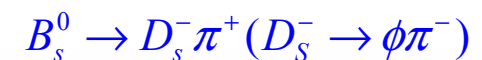
Prompt track + D_s vertex



“Semileptonic” B_s signal

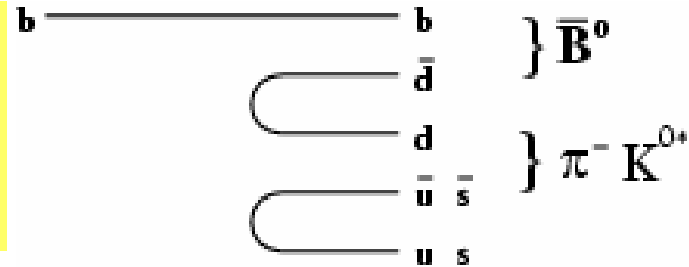


“Hadronic” B_s signal



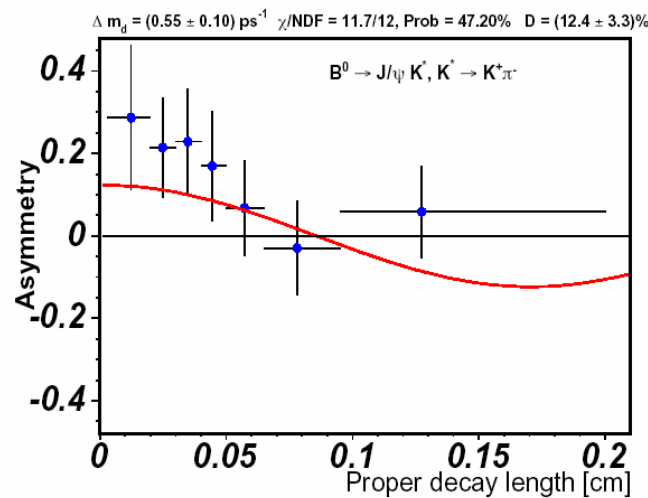
B_d mixing with Same Side π tagging

Based on correlation between charge of fragmentation π and flavor of b in B meson

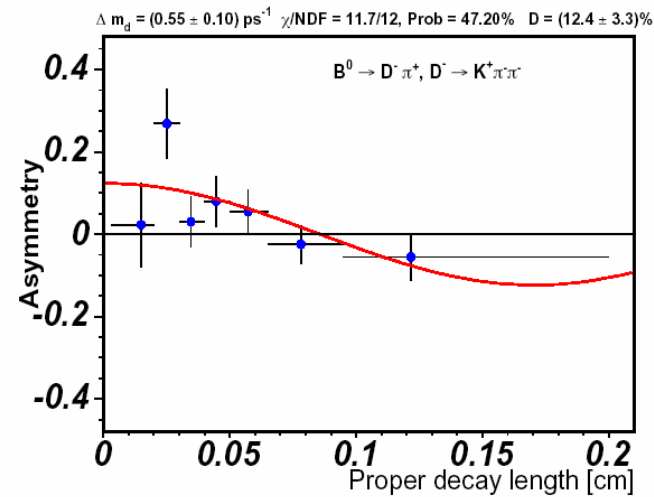


Run II PRELIMINARY 2004

$B^0 \rightarrow J/\psi K^{*0}$



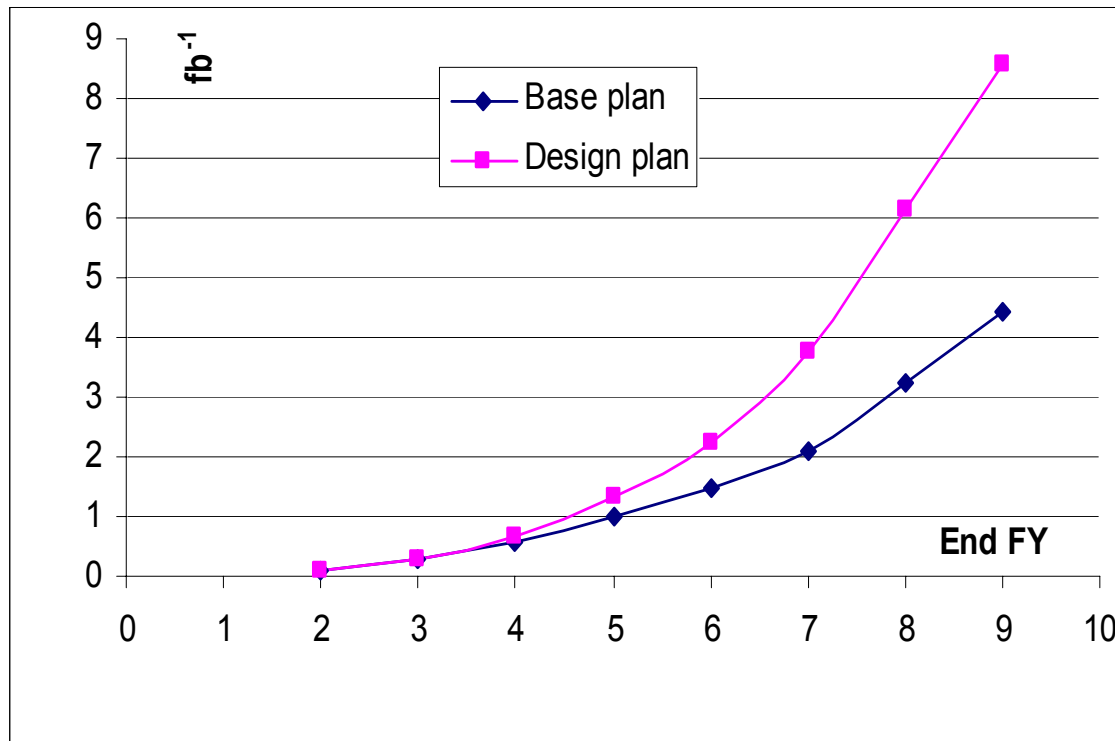
$B^0 \rightarrow D^- \pi^+$



$\Delta m_d (\text{ps}^{-1})$	$D_0 (\%)$	$\epsilon D_0^2 (\%)$
0.55 ± 0.10	12.4 ± 3.3	1.0 ± 0.5

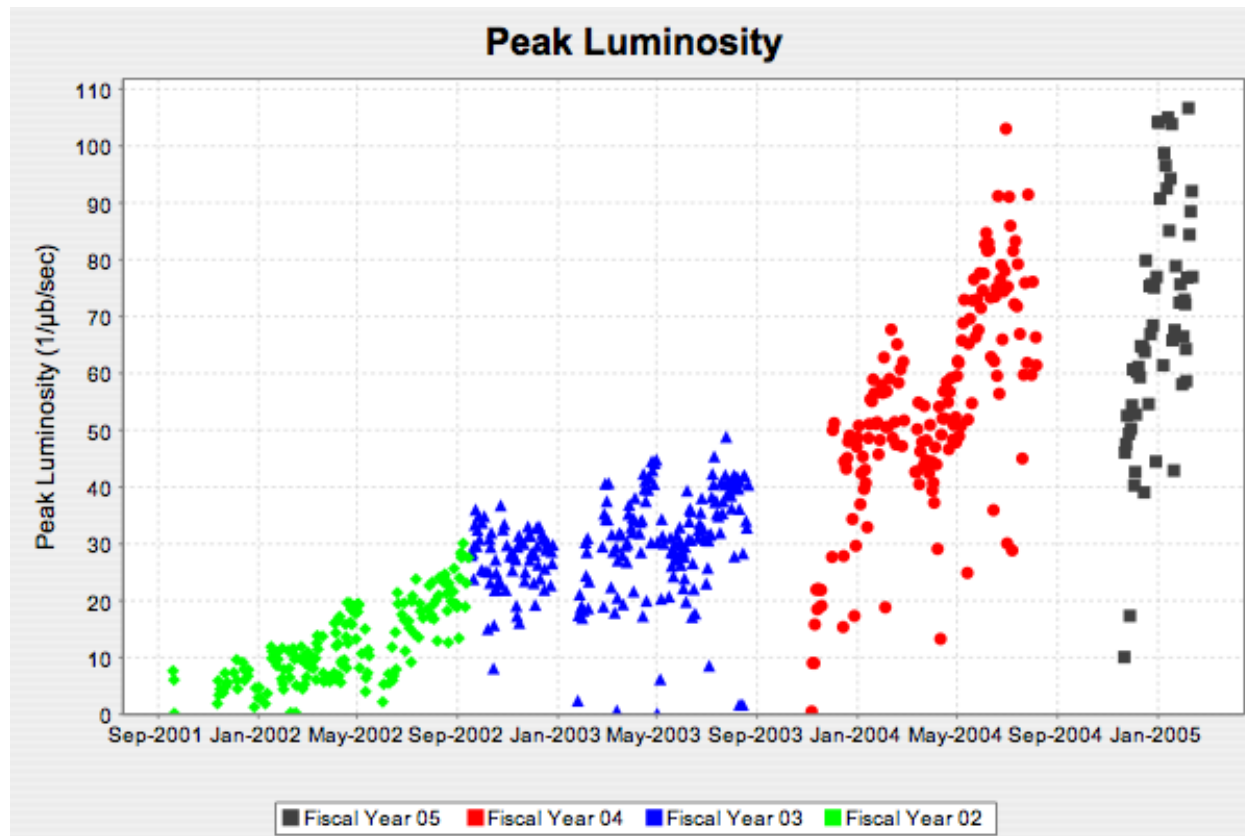
Tevatron plans

- RECYCLER had a first successful test
- Plans beyond FY 05 depends on Recycler ring and electron cooling performances

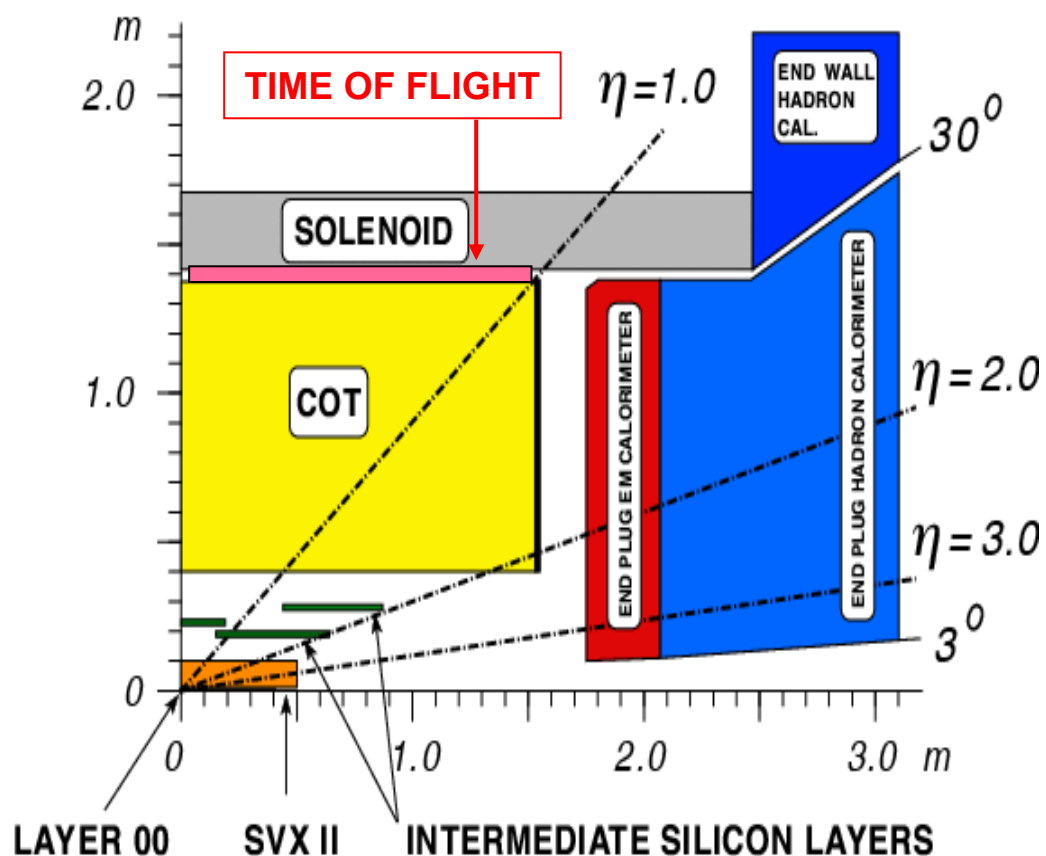


Year	Base plan luminosity/yr (fb ⁻¹)	Design plan Luminosity/yr (fb ⁻¹)
FY02	0.08	0.08
FY03	0.20	0.22
FY04	0.31	0.38
FY05	0.39	0.67
FY06	0.50	0.89
FY07	0.63	1.53
FY08	1.14	2.37
FY09	1.16	2.42
Total	4.41	8.56

Tevatron performances



CDF II tracking system



TOF: 100ps resolution, 2 sigma K/π separation for tracks below 1.6 GeV/c

COT: large radius (1.4 m) Drift chamber

- 96 layers, ~100ns drift time
- Precise P_T above 400 MeV/c
- Precise 3D tracking in $|\eta| < 1$
- $\sigma(1/P_T) \sim 0.1\% \text{GeV}^{-1}$; $\sigma(\text{hit}) \sim 150 \mu\text{m}$
- dE/dx info provides $\sim 1.4\sigma$ K/π separation above 2 GeV

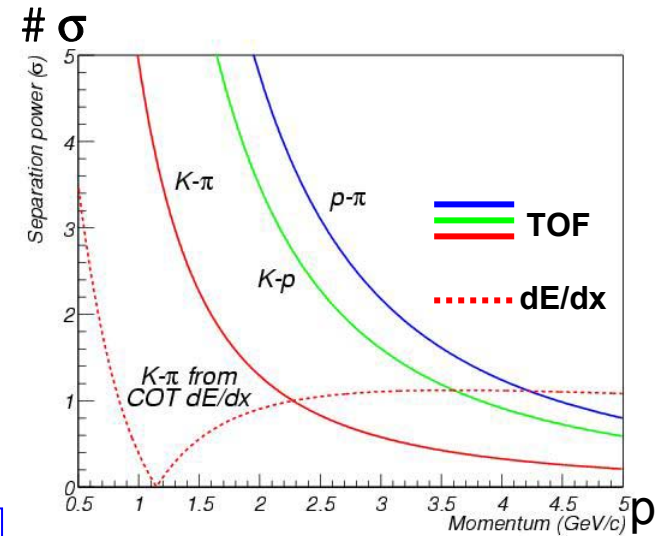
SVX-II + ISL: 6 (7) layers of double-side silicon ($3\text{cm} < R < 30\text{cm}$)

- Standalone 3D tracking up to $|\eta| = 2$
- Very good I.P. resolution: $\sim 30 \mu\text{m}$

LAYER 00: 1 layer of radiation-hard silicon at very small radius (1.5 cm)

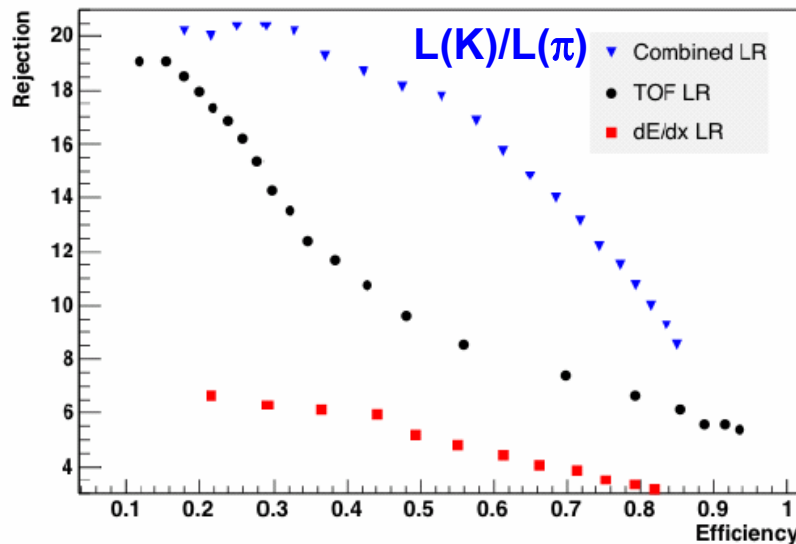
CDF Particle Identification

- Specific Ionization of charged particles (dE/dx) measurement in the COT gas chamber.
- Time of flight measurement with the new scintillator bars detector (**TOF**) at $R=1.4m$ with a $\sigma_{TOF} = 100$ ps

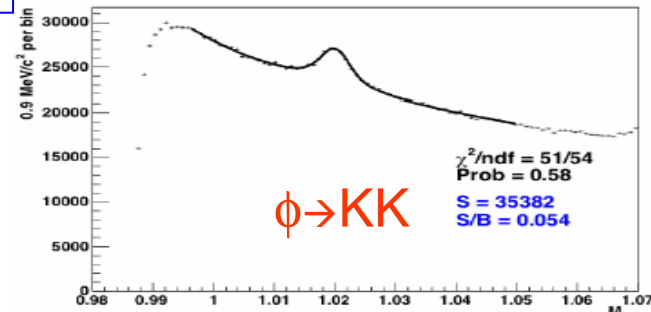


dE/dx & T.O.F. combined performances

CDF Run II Preliminary



CDF Run II Preliminary



CDF Run II Preliminary

