## SUSY at LHC connection to flavor physics

for "flavor physics in the era of $\mathrm{LHC}^{\prime \prime}$
Mihoko M. Nojiri
YITP, Kyoto University


Moving to KEK
from Jan, 2006

## Starting from excuses....



Whatever I talk about "flavor physics" can be wrong. (It might be more useful if you ask numbers you want from LHC directly to me )
Also forgive me about improper references.

## Why LHC is related to "flavor physics"

- It sets scale of the new physics
- It measures important parameters. For the case of supersymmetry, it is
- B physics : charged higgs, sbottom and stop at LHC
- LFV: determination and slepton masses, direct searches
- $\mu, \tan \beta$

Note : We know nothing about that now

## What do we want to know for LFV?

- What we need (for SU(5) GUT)
- $\tan \beta$ : Yukawa coupling
- $\mathrm{m}_{\mathrm{R}}(12)$
- $M_{1}, \mu$ : neutralino mass matrix
$M_{2}$ and $m_{L}$ for $S U(5)+V_{R}($ see-saw $)$
Distinguish Left and Right sleptons is important



## what do we want to know

## for B physics

- many competing diagrams
- Cancellations.
- Ex:b $\rightarrow$ s $\gamma$ : What is charged Higgs mass, stop mass and mixing angle?



if chargino diagram does not exist $\mathrm{mH}^{+} \sim 300 \mathrm{GeV}$ is excluded


## How to put LHC constraint in the flavor analysis

- Most Flavor studies is performed in the form of scatter plot to show the deviation from SM.
- LHC will come. You may want to put minimum and model independent constraint to your analysis. What are they?
- Most of LHC analysis have been done in a few points in MSUGRA. How generic are they? You confused..


## Access to the Flavor structure

We have seen in Franks talk that we might have high sensitivity in squark and slepton masses.
( $1 \%$ for squarks, and $\mathrm{O}(1 \mathrm{GeV}$ ) for slepton mass differences)
What does this means?

gaugino mass dominates the squark masses and it is universal. All fancy flavor effects are reduced.

$$
\left[\frac{10 \mathrm{TeV}}{m_{\tilde{q}, \tilde{\theta}}}\right]^{2}\left[\frac{\Delta m_{\tilde{\tilde{q}, 1}}^{2} / m_{\tilde{q}}^{2}}{0.1}\right]^{2} \stackrel{ }{\alpha} . \quad \mathrm{K} \text { bound is not too difficult to satisfy }
$$

## Flavor and LHC

- The effect of non-diagonal scalar mass m(ij) at GUT scale (but of the order of diagonal scalar mass) will be suppressed at lower scale. $\delta \mathrm{m}^{2} / \mathrm{m}^{2}<0.01$ is possible for $\mathrm{m} \ll M$
- LFV is large for $m \sim M$ or $m>M$ regions.
- LHC measurements are good when $\mathrm{m}<\mathrm{M}$. No clean result for the other


Hisano and Tobe(2001)

$$
M_{2}=250 \mathrm{GeV}, \tan \beta=10
$$

SUSY sea-saw model

$$
\mathrm{V}_{13}=0.05, \mathrm{Y}_{\mathrm{t}}=\mathrm{Y}_{\mathrm{VT}}
$$ MSUGRA points.

## SUSY scale determination for $m \gg M$

- Peak position of $M_{\text {eff }}$ reflects $2 \times \mathrm{M}_{\text {susr, }}$, but we have more SM background than originally thought.
- Meff (One lepton), same strategy but model dependent?
- 3 body decay of gluino. less efficient?
- We only measure gluino masses. squark decays immediately to gluino and hard to reconstruct.


## Asai et al




## Slepton masses and $\tilde{\chi}_{2}^{0}$ decay distribution

- m» M: all 2 body decays into slepton is closed
- virtual process $\quad \tilde{\chi}_{2}^{0} \rightarrow l l \tilde{\chi}_{1}^{0}$ ?

The decay distribution depends on left hand slepton masses in MSUGRA

when $\tilde{l}_{R}$ is open, virtual $\tilde{l}_{L}$ contribution appear beyond the two body end points.

$$
\begin{aligned}
& \Gamma\left(\tilde{\chi}_{2}^{0} \rightarrow l l \tilde{\chi}_{1}^{0}\right) / \Gamma\left(\tilde{\chi}_{2}^{0} \rightarrow l \tilde{l}_{R} \rightarrow l l \tilde{\chi}_{1}^{0}\right) \\
& \Gamma(3 \text { body }) / \Gamma(\text { two bodies })=0.05 \\
& \text { for SPS } 1 \text { a. }
\end{aligned}
$$

## Life with cosmological constraints

A) Bulk region: Bino like. Slepton exchange sets $\Omega$

$$
\Omega h^{2} \propto m_{\tilde{l}}^{4} / m_{\tilde{\chi}}^{2}
$$

too large mass density
B) Higgs pole effect near $\mathrm{m}_{\mathrm{H}}=2 \mathrm{~m}_{\boldsymbol{x}}$
C) $\tilde{\tau} \tilde{\chi}$ co-annihilation
D) focus point region
significant higgsino-gaugino mixing


Gaugino mass

## MSUGRA might be too much


simultaneously affects LFV through

- $\mu$ parameter is determined so that $\mathrm{v}_{\mathrm{H}}$ is correct.
- So if $m_{H}$ at GUT scale is much higher than $\mathrm{m}_{16}$, MSUGRA prediction for $\mu$ can be evaded. More LSP pair annihilation into W, h
- $\mathrm{m}_{\mathrm{H}}(1,2)$ can be tuned independently so that higgs pole effect is enhanced.
1)LR mixing of sfermions

2) Higgsino mass insertions

Some recent benchmarks hep-ph 058198 for CMS (light mH

## life with cosmological constraint

## What happens if $\mu$ is smaller

- More gaugino component in $\tilde{\chi}_{4}^{0}$ if $M_{2} \sim \mu$
- mass difference between 1 st and 2 nd ino smaller
- heavier ino becomes gaugino if $M_{2}\left(M_{1}\right)>\mu$, longer cascade decay as squark dominantly decay into gaugino (heavier ino)
- several ino signature


Drees et al
PRD63,035008(2001)

$$
\mathrm{m}=90 \mathrm{GeV} \mathrm{M}=250 \mathrm{GeV}
$$

$$
\mu=200 \mathrm{GeV} \tan \beta=10
$$

## Example of $\tan \beta$ determination

## scalar-muon LR mixing

if $\quad \tilde{\chi}_{2}^{0} \sim \widetilde{W}$ then decay width $\Gamma\left(\tilde{\chi}_{2}^{0} \rightarrow \tilde{l}_{R} l\right)$ is so
suppressed.

Small left component of scalar muon affects decay branching ratios strongly.

$$
\tilde{\mu}_{1} \sim \tilde{\mu}_{R}+\epsilon_{L} \tilde{\mu}_{L} \quad \epsilon_{L} \sim m_{\mu}\left(\mu \tan \beta+A_{\mu}\right) /\left(m_{L}^{2}-m_{R}^{2}\right)
$$

$$
\begin{aligned}
\Gamma(l) & \propto L^{2}+R^{2} \\
L & =g \cos \theta_{l} N_{\widetilde{W} 2} \\
R & =g_{Y} \sin \theta_{l} N_{\widetilde{B} 2}
\end{aligned}
$$

| $\tan \beta$ | $\operatorname{Br}(\mathrm{e})$ | $\operatorname{Br}(\mathrm{u})$ <br> $\operatorname{Br}(\mathrm{e})$ | S <br> $(300 \mathrm{fb}-1)$ |
| :---: | :---: | :---: | :---: |
| 10 | $6.3 \%$ | 1.04 | 5.6 |
| 20 | $1.2 \%$ | 1.17 | 7.8 |

Goto et al (2004) PRD70:075016

## Importance of relative branching ratio


relative branching ratio is important. Note systematics are very different
$\mu$ : clean, outer muon system
e: inner tracking $+\mathrm{E}_{\text {cal }}$
$\tau$ : decay into hadron, jet isolation , $\mathrm{V}_{\mathrm{T}}$ missing, efficiency~50\%
For 3 body decay and $\mu>M_{2}>M_{1}$, left hand slepton dominates....

## Left or right??

- at LHC( pp collider) $\sigma$ (squark)» $\sigma($ anti-squark)
- MSUGRA case $\tilde{q} \rightarrow \tilde{\chi}_{2}^{0} q \rightarrow \tilde{l} l q \rightarrow \tilde{\chi}_{1}^{0} q l l$
- wino-like ino produced from left-hand squarks
- wino is polarized(in average). it decays into lepton /antilepton equally (Majorana). lepton/anti-lepton correlation to wino(jet) direction is opposite. charge asymmtry.
- NOTE, slepton further decay into lepton. look into the distribution near the jl edge( it may not be end point)


## Left or right, simulations

- m(jl) distribution tell us combination of the chirality of squark and slepton in the cascade decays.






## Flavor violation in slepton decays

- LFV in 2 body decay
- signal: edge in $\mathrm{e} \mu$ distribution shoulder in $\mathrm{e} \tau, \tau \mu$ distribution

- Loop process:

GIM like suppression and cancellation among diagrams.

$$
\begin{array}{r}
B R(\tau \rightarrow \mu \gamma) \approx 1.1 \times 10^{-6}\left(\frac{\delta}{1.4}\right)^{2}\left(\frac{100 \mathrm{GeV}}{M_{\tilde{\ell}}}\right)^{4} \\
\delta \equiv M_{\mu \tau}^{2} / M_{L}^{2}
\end{array}
$$

Hinchiliffe (2000)


## $\mathrm{L}=100 \mathrm{fb}^{-1}, \Delta \mathrm{~m}=1.2 \mathrm{GeV}, \sin 2 \theta=0.5$



$5 \sigma$ (LHC)
$\operatorname{Br}(\mu \rightarrow e \gamma)=1.2 \times 10^{-1}$ $\operatorname{Br}(\mu \rightarrow e \gamma)=1.0 \times 10^{-}$ $\operatorname{Br}(\mu \rightarrow e \gamma)=1.0 \times 10^{-1}$

Figure 7: $\sqrt{\Delta \chi^{2}}=5$ contours for the LFV discovery. The thick solid line is for $\mu=1.5 M_{2}$ and $\tan \beta=10$ in the cMSSM, the thick dashed line for $\mu=M_{2}$ and $\tan \beta=20$, and the solid line for $\mu=M_{2}$ and $\tan \beta=10$. We fix the $\tilde{e}_{R}-\tilde{\mu}_{R}$ mixing angle $\theta$ as
$\mu=M_{2}$ $\sin 2 \theta=0.5$ and the slepton mass difference $\Delta m=1.2 \mathrm{GeV}$ at the GUT scale.

## LHC and MSSM Higgs

## in connection with B physics



Only one higgs doublet

## H/A production



decay into $\mu \mu$ may
$\leftarrow$ be seen as well

$$
\mathrm{m}_{\mathrm{A}} \sim \mathrm{~m}_{\mathrm{H}} \sim \mathrm{~m}_{\mathrm{H}+}
$$

Here we are assuming all SUSY particles are heavy.
Any loopholes or more information?

## charged higgs searches at LHC


mass can be reconstructed
(with transverse missing momentum)

## connection to B physics

- Example $b \rightarrow s \gamma$, large cancellation among diagrams
- You will have an access of the charged higgs mass, branching ratio.
- What can you say about chargino loop contribution? Stop mass and mixings (2-3)
$\checkmark$ What is the info on stop from LHC??


## 3rd generation squark

## mass matrix

- MSSM parameters $m_{L_{3}}, m_{\tilde{t}_{R}}, m_{\tilde{b}_{R}}, A_{b}, A_{t}$

$$
\begin{aligned}
& \left(\begin{array}{cc}
m_{\tilde{b}_{L}}^{2} & -m_{b}\left(A_{b}+\mu \tan \beta\right) \\
-m_{b}\left(A_{b}+\mu \tan \beta\right) & m_{\tilde{b}_{R}}^{2}
\end{array}\right) \\
& \left(\begin{array}{cc}
m_{\tilde{t}_{L}}^{2} & -m_{t}\left(A_{t}+\mu \cot \beta\right) \\
-m_{t}\left(A_{t}+\mu \tan \beta\right) & m_{\tilde{t}_{R}}^{2}
\end{array}\right)
\end{aligned}
$$

$$
m_{\tilde{t}_{1}}, m_{\tilde{t}_{2}}, \theta_{t}, m_{\tilde{b}_{1}}, m_{\tilde{b}_{2}}, \theta_{b}
$$

In MSUGRA: The 1st and 2 nd squark mass are heavier than 3rd due to RGE running and mixings. SUSY events contain many b jets. b tagging efficiency is 60\%

Production : direct production from gluon(small) decay from gluino (dominant if open)

## non-MSUGRA boundary condition in 3rd

## generation in B physics

- You may find surprise in B flavor violation processthis may comes from....
- GUT scale neutrino mass assuming $\mathrm{Y}_{\mathrm{t}}-\mathrm{Y}_{\mathrm{VT}_{T}}$
- Non universal boundary condition
- stop and sbottom mass may also depends on such thing


Goto et al PRD70:035012(2004)

## Exact treatment for gluino and sbottom reconstruction

Longest cascade decays that can be＂solved＂event by event even though LSP is missing

$$
\begin{aligned}
m_{\tilde{\chi}}^{2} & =p_{\chi}^{2} \\
m_{\tilde{l}}^{2} & =\left(p_{\chi}+p_{l_{1}}\right)^{2} \\
m_{\tilde{\chi}_{2}}^{2} & =\left(p_{\chi}+p_{l_{1}}+p_{l_{2}}\right)^{2} \\
m_{\tilde{b}_{1}}^{2} & =\left(p_{\chi}+p_{l_{1}}+p_{l_{2}}+p_{j_{1}}\right)^{2} \\
m_{\tilde{g}}^{2} & =\left(p_{\chi}+p_{l_{1}}+p_{l_{2}}+p_{j_{1}}+p_{j_{2}}\right)^{2}
\end{aligned}
$$


sbottom の質量
－Assume we know lighter masses
－ 3 mass constraints for $p($ LSP $)$－＞one degree of freedom in 2 dim gluino and squark mass space
－ 2 events－＞mass fixed
－After mass fix，the missing momentum is solved


## sbottom mass reconstruction (two b jets and two lepton channel )

LHC may address
a) $\tan \beta$ dependence of sbottom mass
b) size of the LR mixing from

Br into $\tilde{\chi}_{2}^{0}$ (need to wait LC?)
c) existence of $\tilde{b}_{2}$ ?
Background level $\tan \beta=10$



$479 \pm 2.4 \mathrm{GeV}$

## Flavor violation in sbottom decays

## at LHC ?

- $\epsilon_{b}=60 \%$, not impressive
- take high pт jet which comes from LFV sbottom decay+ b jet from gluino $\rightarrow$ b sb1 might work(using "mass relation" as cut).
- for $\mathrm{O}(1000)$ bbll decay, 360 must be tagged. for full flavor violation it is only 90 events.

|  | No flavor violation <br> $\epsilon_{b}=0.6$ | full violation <br> $\epsilon_{b}=1$ | full violation $\epsilon_{b}=0.6$ |
| :---: | :---: | :---: | :---: |
| bbll | $0.6 \times 0.6=0.36$ | 0.25 | 0.09 |
| jbll | $0.6 \times 0.4=0.24$ | 0.25 | 0.21 |
| bjll | $0.6 \times 0.4=0.24$ | 0.25 | 0.21 |
| jjll | $0.4 \times 0.4=0.16$ | 0.25 | 0.49 |

## scalar top at LHC

$$
\begin{array}{lll}
\tilde{g} \rightarrow \tilde{t} t \rightarrow b t \tilde{\chi}^{ \pm} \Rightarrow & \operatorname{Br}(\tilde{t}) & M_{t b}(\tilde{t}) \\
\tilde{g} \rightarrow \tilde{b} b \rightarrow b t \tilde{\chi}^{ \pm} \Rightarrow \operatorname{Br}(\tilde{b}) & M_{t b}(\tilde{b})
\end{array}
$$

- two subsequent cascade decays give tb end point. It is not dominated by single process.
- hadronic top decay can be reconstructed.
- The tb end point give you information of stop mass.

$$
M_{t b}^{w}=\frac{\operatorname{Br}(\tilde{t}) M_{t b}(\tilde{t})+\operatorname{Br}(\tilde{b}) M_{t b}(\tilde{b})}{\operatorname{Br}(\tilde{t})+\operatorname{Br}(\tilde{b})}
$$

Hisano et al PRD68 035007, 2003


## Difference between two body and three body

Biggest branching ratio

$$
\tilde{g} \rightarrow(t \tilde{t} \text { or } b \widetilde{b}) \rightarrow t b \tilde{\chi}_{1}^{ \pm}
$$

SPS1a: edge with $\Delta M_{t b} \sim 4 \mathrm{GeV}$ for $100 \mathrm{fb}^{-1}$ height $h$ and edge $M_{\mathrm{tb}}$ may be used to understand stop sector
SPS2 :(focus points $M=300 \mathrm{GeV}$ )
No edge as expected
Lower bound of stop and sbottom mass?
Limited statistics but distribution may reflect

$$
\begin{aligned}
& m_{\widetilde{g}}-m_{\tilde{\chi}_{2}^{ \pm}} \sim 480 \mathrm{GeV} \\
& m_{\widetilde{g}}-m_{\tilde{\chi}_{1}^{+}} \sim 560 \mathrm{GeV}
\end{aligned}
$$


 $1000 \mathrm{fb}^{-1}$ but cut must be optimized

## Endpoint reconstruction

What will we see if we put this constrain to B rare decays?

- weighted end point is reconstructed correctly by the fit over wide region of parameter space.
- A1 A2: a msugra point but A changed maximally $(m=100 \mathrm{GeV}, \mathrm{M}=300 \mathrm{GeV}$ $\tan \beta=10$
- T1 T2 stop mass moved by changed stop_R mass
- B, C, I, G from paper hep-ph/0106203

- E1 E2, gluino decays only to stop and top.


## From Planck scale to weak scale

Planck scale soft mass Light at source Interactions from GUT scale to weak scale

Soft term at weak scale knows everything between GUT to weak Try together!


