

Experimental test of CP symmetry in positronium

Motivation

Previous search

Possibilities for a new experiment

Summary and outlook



Motivation

One of the many questions...

**why are there so many types of quarks and leptons
and what explain their pattern of mixing and
CP violation?**

**Theory does not answer yet
Look for new sources of CP violation,
eg in the leptons,
neutrinos, but also **charged leptons...****

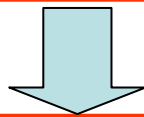
Positronium can be another place where to look...

Experimental considerations

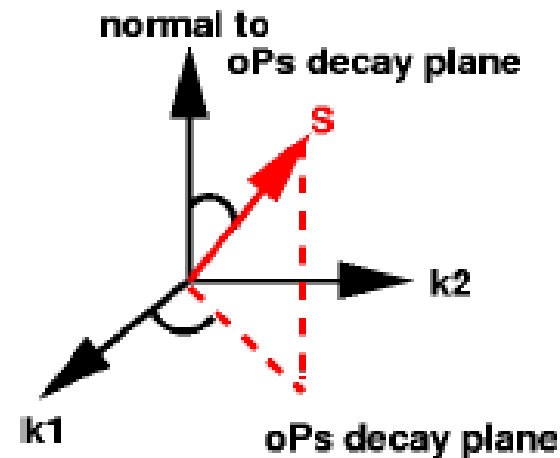
What can we measure?

Angular correlations between the ortho-positronium (oPs) spin (=1) and the momenta of the (3) photons from the oPs decay, proportional to the CP violating term in the Lagrangian

$$(\hat{S} \cdot \hat{k}_1)(\hat{S} \cdot \hat{k}_1 \times \hat{k}_2)$$



$$N(\cos \theta) = N_0(1 + C_{CP} \cos \theta)$$



$$\cos \theta \equiv \cos \theta_1 \cos \theta_2$$

How precisely?

Since the effect we want to detect is probably very small, the precision of the experiment defines our capability to detect C_{cp} ... or not

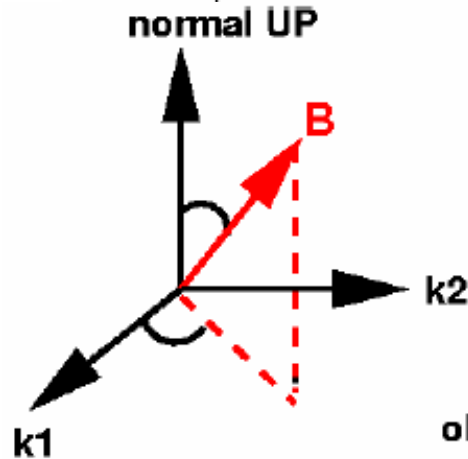
Experimental method

$$N_+ = N(\cos \theta_+)$$

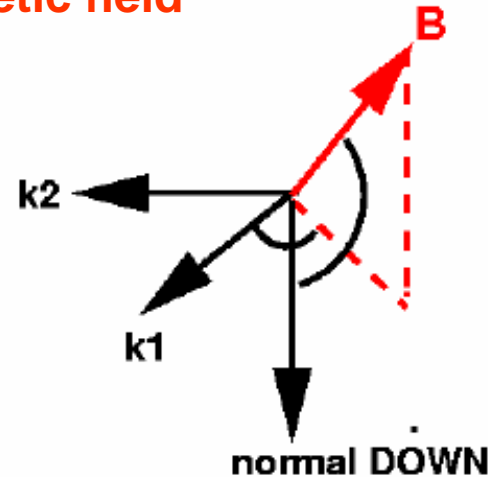
$$N_- = N(\cos \theta_-)$$

$$\cos \theta_+ = \cos \theta$$

$$\cos \theta_- = -\cos \theta$$



B=magnetic field



oPs decay plane

$$N(\cos \theta_+) - N(\cos \theta_-) = 2N_0 C_{CP} \cos \theta = N_+ - N_-$$

Asymmetry

$$A = \frac{(N_+ - N_-)}{(N_+ + N_-)} = C_{CP} \cos \theta$$

Experimental method

Use an external magnetic field B to ALIGN the Ps SPIN

Recall: Ps states: singlet $S=0, m=0$

triplet $S=1, m=1, 0, -1$

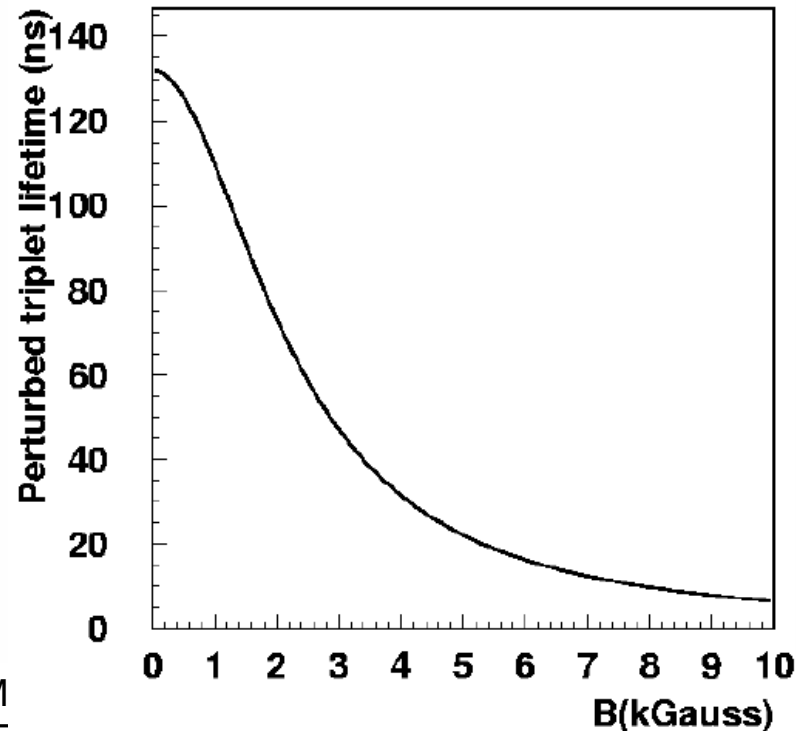
---> spin parallel, perpendicular, antiparallel
to magnetic field vector

But an external magnetic field also perturbs and mix the $m=0$ states.

Two new states: perturbed singlet and perturbed triplet--> perturbed lifetimes

Perturbed singlet lifetime still < 1 ns

Perturbed triplet lifetime varies
as a function of the B field



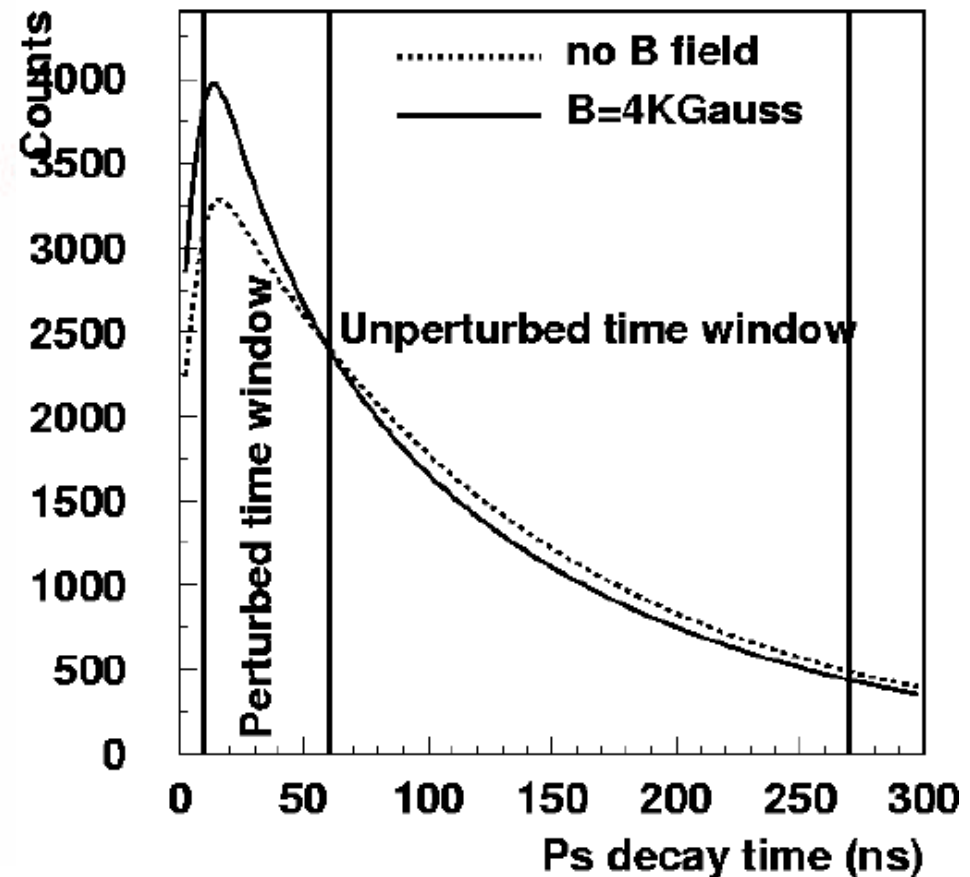
Experimental method

Exploit the perturbed triplet lifetime to possibly measure the CP violating angular correlation

Choose a value of the perturbed triplet lifetime, so to have the best separation between perturbed and unperturbed states:
an optimal separation is obtained for

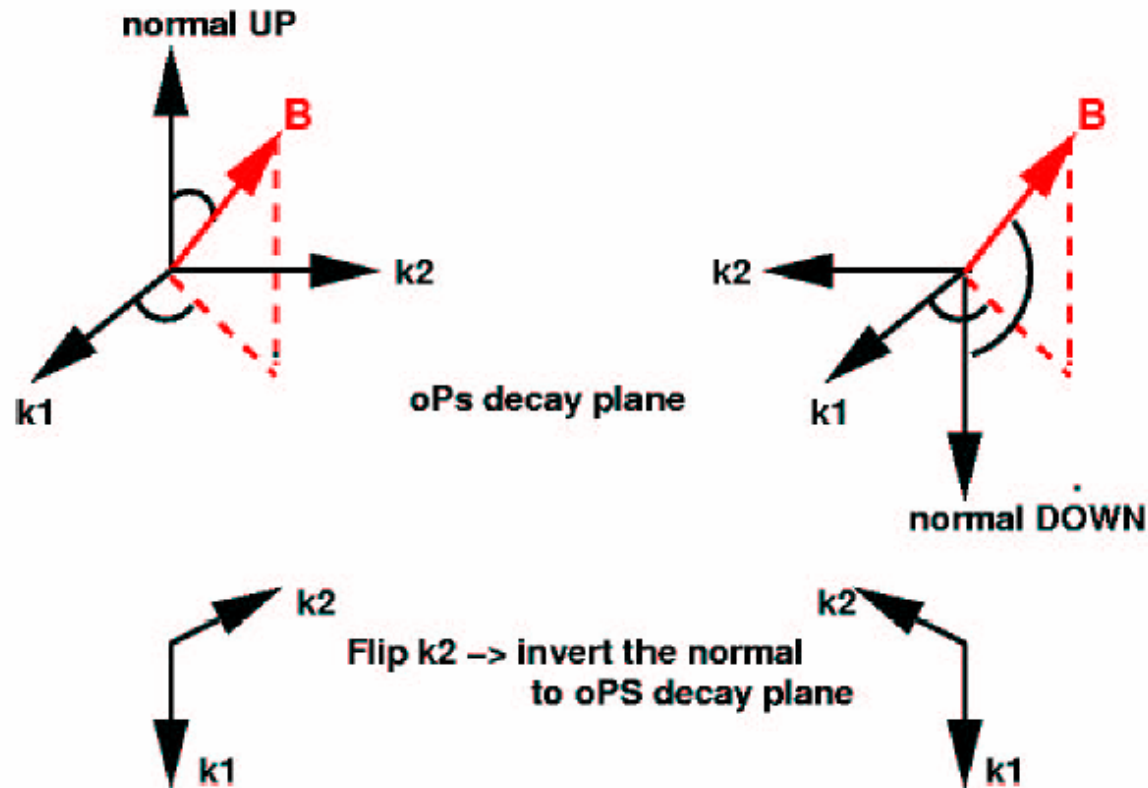
perturbed triplet lifetime ~ 30 ns
choose $B \sim 4$ KGauss

Ps decay time distribution
(no collisional quenching included)



Experimental method

Record P_s decay time distribution in magnetic field
for two event configurations:
for events with normal UP and with normal DOWN
(i.e with k_2 pointing in the two directions symmetric wrt k_1 , see fig.)



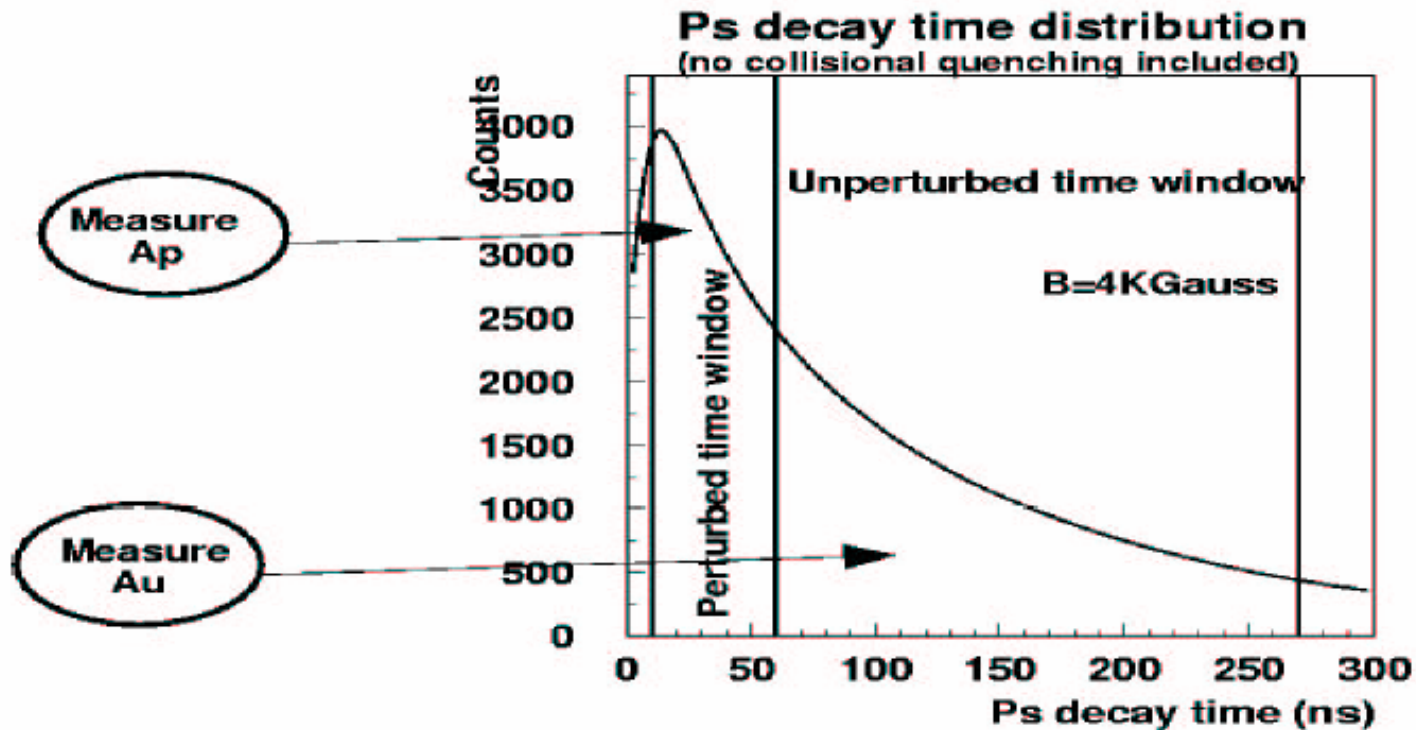
Experimental method

Measure the asymmetries
 A_p and A_u for the
perturbed and unperturbed
time windows

$$A = \frac{N^+ - N^-}{N^+ + N^-}$$

N_+ = number of events normal UP

N_- = number of events normal DOWN



Experimental method

The difference: $\bar{A} = (A_u - A_p)/2$

gives a ~ systematic free measurement of the asymmetry A

dominant error on A is statistical

A is related to Ccp, the CP violation amplitude parameter, by:

$$A = C_{cp} Q$$

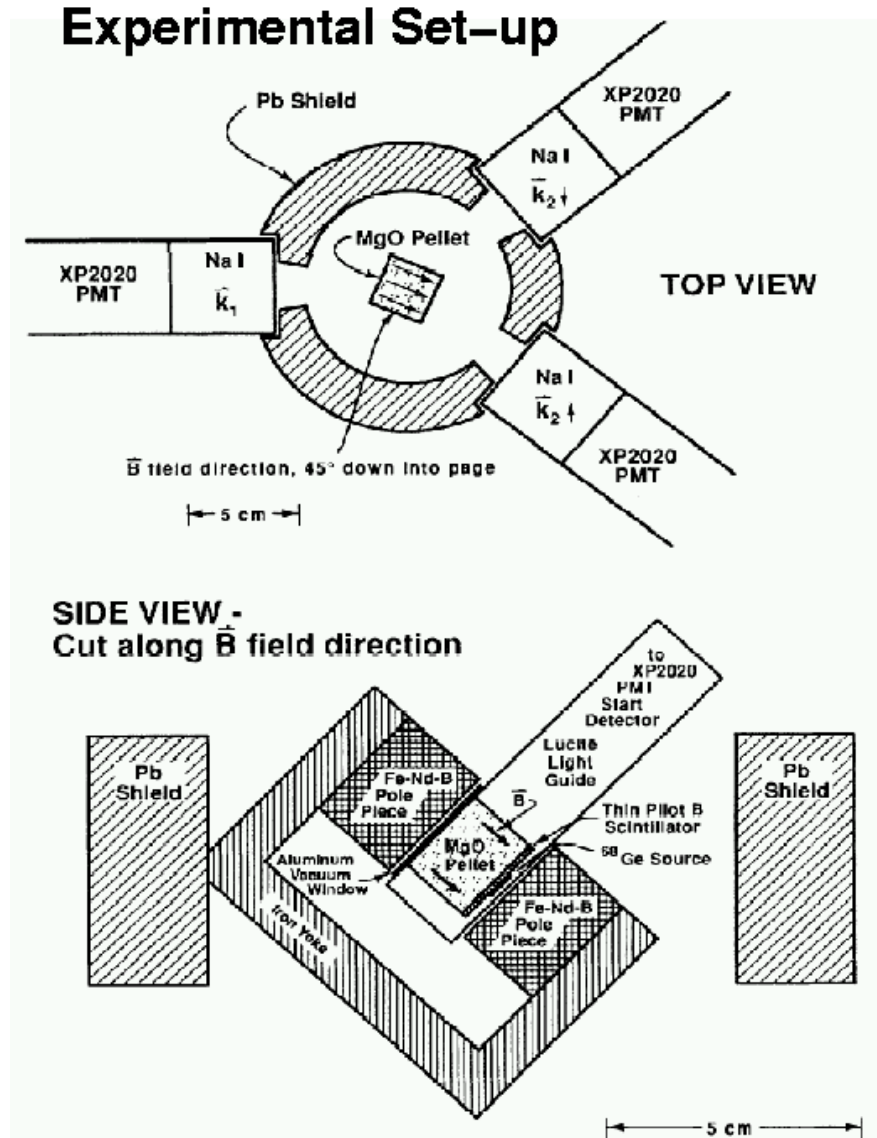
Ccp = CP violation amplitude parameter
Q = analysing power to be determined
by simulation/tests **Q < 1 for a real expt**

The sensitivity of the experiment to Ccp is determined by the error on Ccp

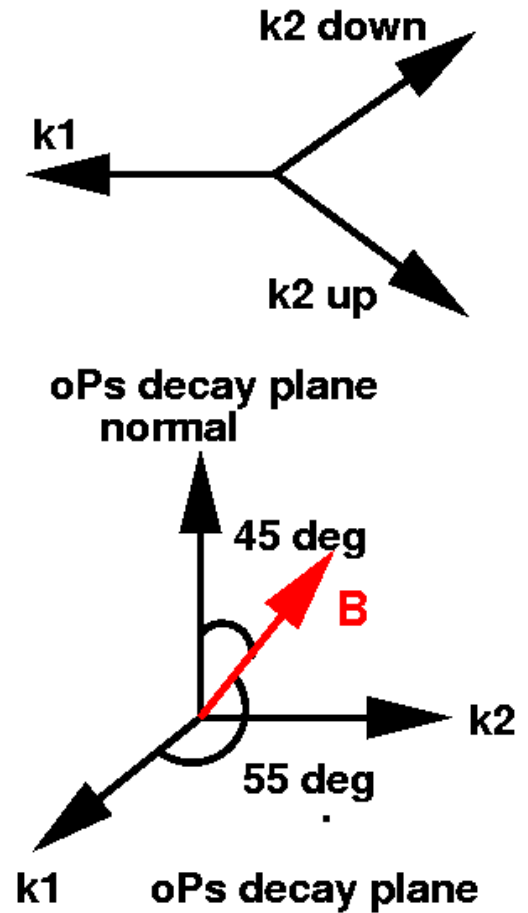
How do the errors on A and Q affect the error on Ccp?

Previous CP search with oPs

Skalsey,
Van House 91



For this experiment:



Previous CP search: results

$$A_{\text{stat}} = -0.0004 \pm 0.0010 \quad A_{\text{final}} = -0.0004 \pm 0.0011$$

TABLE I. Measured asymmetries under differing conditions.

Test Conditions	Asymmetry A
Initial configuration	-0.0040 ± 0.0020
Interchanged $\hat{\mathbf{k}}_2$ detectors	-0.0002 ± 0.0019
Reversed \mathbf{B}	$+0.0011 \pm 0.0020$
Inverted Pb shield	$+0.0022 \pm 0.0024$
Wt. average	-0.0004 ± 0.0011

Relation between measured A and C_{cp} $A = C_{cp} Q$

$$Q = 0.072 \pm 0.0154$$

$$C_{CP} = -0.0056 \pm 0.0154$$

Previous CP search: systematics

Main systematics from

1. Shadowing of the crystals by the magnet coils
2. Identification of B direction
3. Identification of the π^0 's decay plane
4. Identification of backgrounds

1 and 2 can be improved by INCREASED B FIELD VOLUME

3 and 4 can be improved **BETTER DETECTOR SPATIAL (ANGULAR) RESOLUTION and IMPROVED BKGD REJECTION (SPATIAL AND ENERGY RESOL.)**

How to improve on this measurement?

$C_{cp} = A/Q$ \rightarrow How does the error on C_{cp} depends on the errors on the measured asymmetry A and on the analysing power Q ?

Define: ΔC_{cp} = error on C_{cp}

ΔA = error on the asymmetry

ΔQ = error on the analysing power

$$\left| \frac{\Delta C_{cp}}{C_{cp}} \right|^2 = \left| \frac{\Delta A}{A} \right|^2 + \left| \frac{\Delta Q}{Q} \right|^2$$

$$\left| \frac{\Delta C_{cp}}{C_{cp}} \right|^2 \approx \frac{1}{C_{cp}^2} \left| \frac{\Delta A}{Q} \right|^2 + \left| \frac{\Delta Q}{Q} \right|^2 = \frac{1}{Q^2} \left[\left| \frac{\Delta A}{C_{cp}} \right|^2 + \Delta Q^2 \right]$$

$$\Delta C_{cp} = \frac{1}{Q} \left[\Delta A^2 + C_{cp}^2 \Delta Q^2 \right]^{1/2} \approx \frac{\Delta A}{Q}$$

for $C_{cp} \ll 1$

An improved experiment

$$\Delta C_{cp} = \frac{1}{Q} \left[\Delta A^2 + C_{cp}^2 \Delta Q^2 \right]^{1/2} \approx \frac{\Delta A}{Q}$$

for $C_{cp} \ll 1$

ΔA

decreases with increased event statistics,
decreased background rate
improved angular resolution

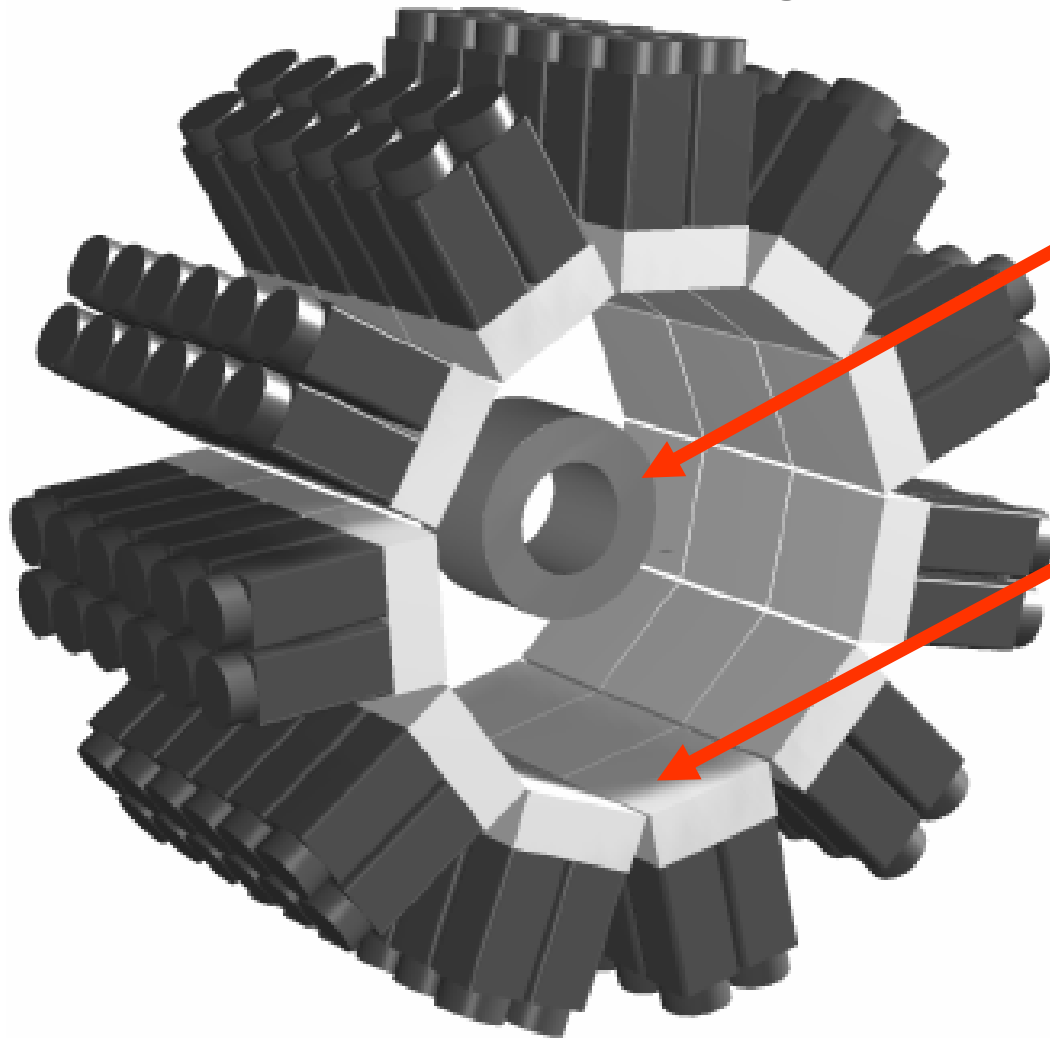
Q

increases with improved angular and
energy resolution

Use high spatial and energy resolution detector, for precise angular measurements and improved background rejection

An improved experiment

<http://www.cima-collaboration.org/>



High spatial and energy resolution detector including

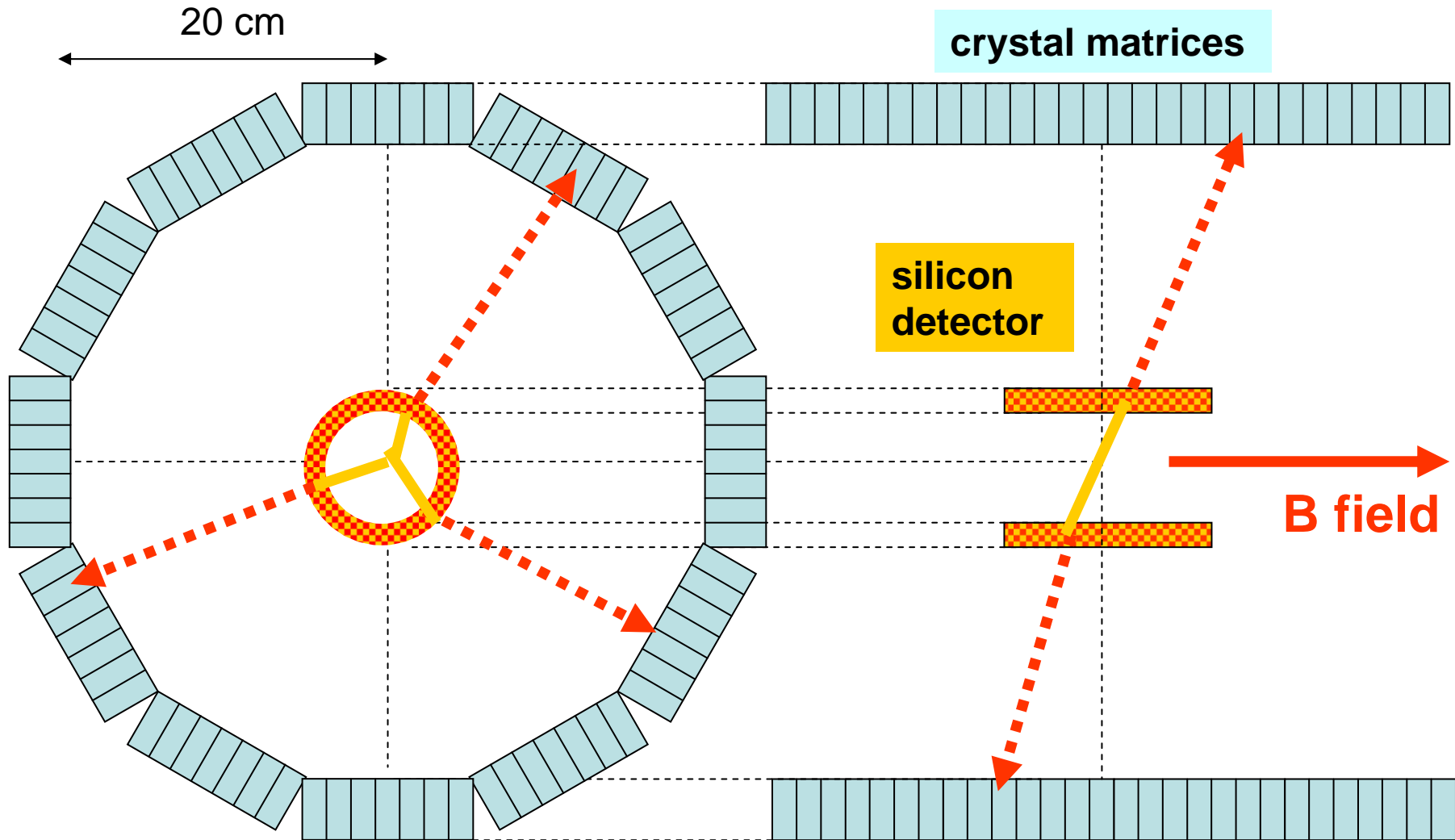
an inner ring of 3-D position-sensitive solid-state detectors

surrounded by

a ring of scintillation detectors.

Concept being developed for high-resolution Positron Emission Tomography detector

An improved experiment



Expected improved results

Using silicon pixel lateral size of 200 μm , BGO crystal energy resolution function, and high event statistics (10^{12} events) (similar analysis as in M.F., Int.J.Mod.Phys.A19:3853,2004) preliminary simulation studies give

$$\Delta A \text{ (stat. + syst.)} \sim 2 \times 10^{-6} \quad Q \sim 0.4$$

$$\Delta C_{cp} \approx 5 \times 10^{-6}$$

Summary and outlook

**Experimental observation of CP violation in positronium would be sign of physics beyond the Standard Model
Present precision on C_{cp} at 1% level**

An experimental set-up has been proposed with the potential of reaching a precision

$$\Delta C_{cp} \approx 5 \times 10^{-6}$$

Is this experiment interesting?

**we do not have a theory who can answer but
major discoveries have been made even if the theory did
not predict them...**