

# Hadronic MC generators for colliders and cosmic rays

S. Ostapchenko

*Institut für Kernphysik, Forschungszentrum Karlsruhe*

QCD at Cosmic Energies - II

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- Introduction: models for colliders and models for cosmic rays
- Conventional structure:
  - Gribov's Reggeon approach and multiple scattering
  - QCD and hard processes
  - color connections and hadronization
- "Dense" partonic systems: non-linear effects
- Air shower characteristics and related quantities
- Cosmic ray interactions: remaining puzzles
- Outlook

## Introduction: models for colliders and models for cosmic rays

MC generators at colliders and in CRs:

- planning new experiments
- analysis & interpretation of data
- testing theoretical ideas

Contemporary models:

- similar physics input
- guided by accelerator data

But: models for colliders or models for CRs?

Model  $\equiv$  approximation of the reality; has to mimic its essential features

Essential for colliders:

- detailed simulation of the interaction pattern
- close detailed agreement with experimental data
- high  $p_t$  physics of special importance (pQCD tests, background for new physics)

Possible simplifications:

- models applicable to **particular** (not all) event classes, e.g.,
  - high  $p_t$  jet triggered
  - central heavy ion collisions
- models can be **re-tuned for a particular experiment**

Typical collider models:

- PITHYA (Sjostrand et al.)
- HERWIG (Webber et al.)
- HIJING (Wang & Gyulassy)

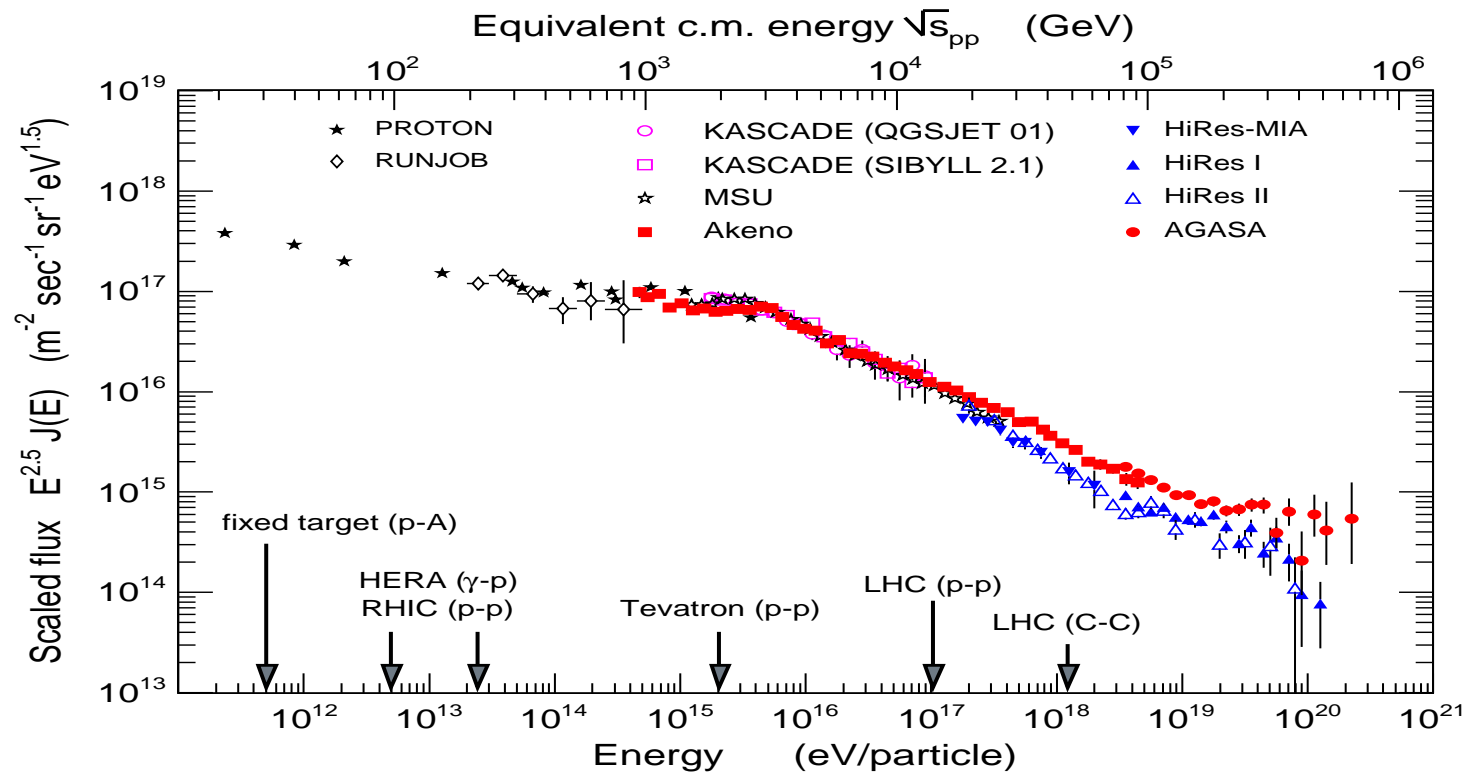
Representative CR models:

- DPMJET (Engel, Ranft & Roesler)
- neXus (Drescher et al.)
- QGSJET (Kalmykov & SO)
- SIBYLL (Engel, Gaisser, Lipari & Stanev)

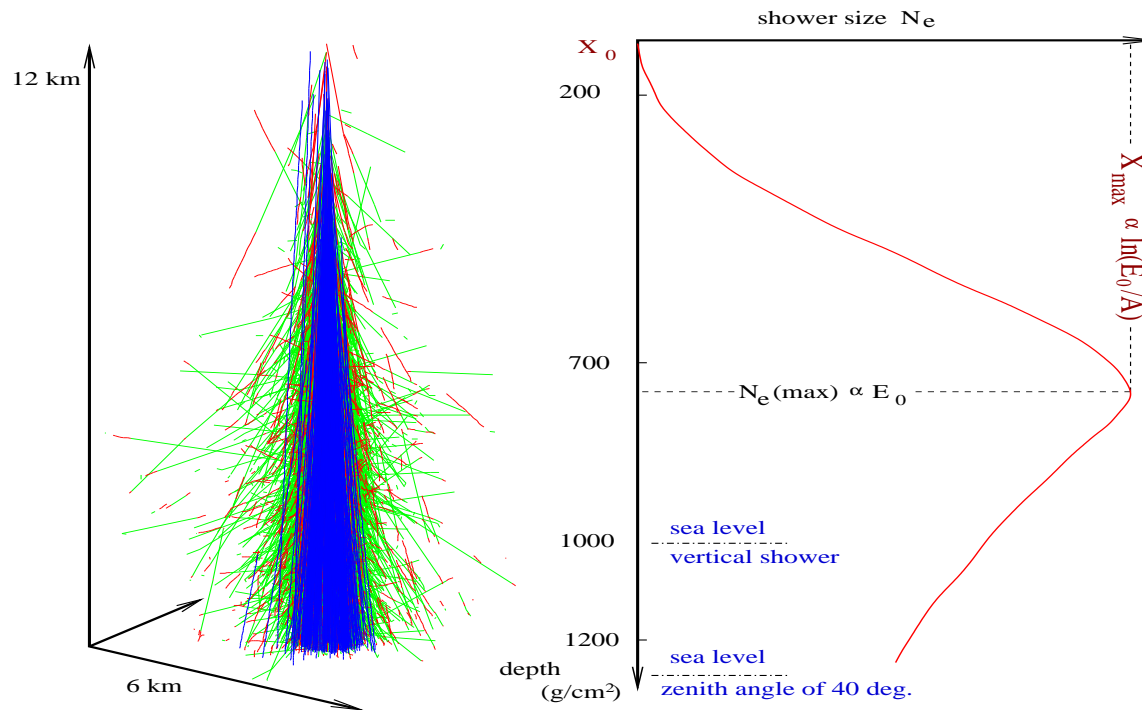
**What is different?**

High energy cosmic ray spectrum:

- extends over 10 energy decades!
- steeply falling down:  $\sim E^{-2.7}$  ( $E^{-3.1}$ ) before (after) the “knee” ( $\sim 4 \cdot 10^{15}$  eV)
- $\Rightarrow$  very few particles at highest energies



## Detection: extensive air showers (EAS)



EAS development:

- guided by few interactions of the initial (fastest secondary) particle  
 $\Rightarrow$  main source of fluctuations (interaction point  $X_0$ , energy loss  $K_{\text{inel}}$ )
- many sub-cascades of secondaries  $\Rightarrow$  well averaged

⇒ requirements to CR interaction models:

- cross section predictions
- description of minimum bias hA- and AA-collisions
- importance of “forward” region
- predictive power (to extrapolate over many energy decades)

But:

- low sensitivity to “fine” details (smoothed by EAS development)
- high  $p_t$ s - irrelevant, e.g.,  $p_t = 10$  GeV,  $E_0 = 10^5$  GeV  $\Rightarrow \Theta \simeq p_t/E_0 = 10^{-4}$
- charm, bottom, ... new rare processes - also irrelevant:
  - much smaller inclusive cross sections
  - produced mainly at central rapidities

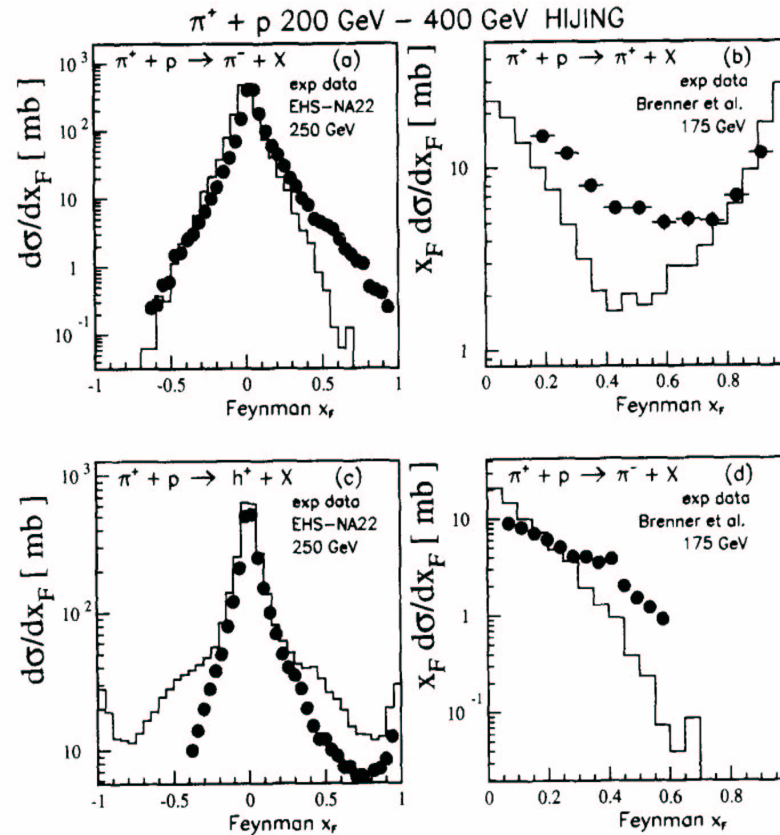
(R. Engel, VIHCOS CORSIKA school 2005)

# Why not PYTHIA, HIJING, ... ?

Most models not designed/tuned for simulating forward particle production

Most models cannot handle different projectiles/targets and energies

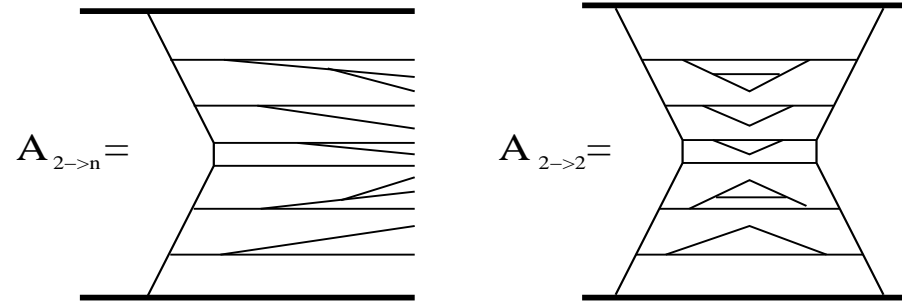
Example: comparison of HIJING to fixed target data



(Pop, Gyulassy & Rebel, *Astropart. Phys.* 10 (1999) 211)

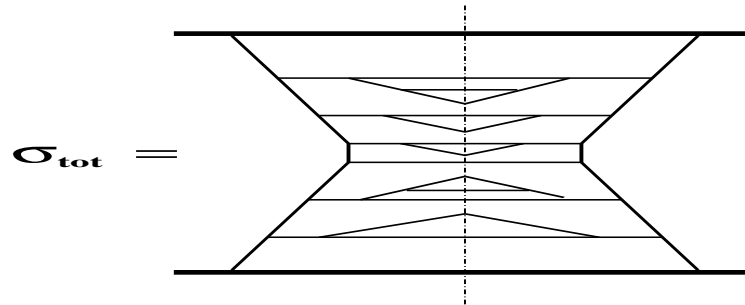
## Gribov's Reggeon approach and multiple scattering

Elementary interaction - inelastic & elastic amplitudes:



Cross section - optical theorem:

$$\sigma_{\text{tot}} = \sum_n \int d\tau_n A_{2 \to n} \cdot A_{2 \to n}^* = \frac{1}{2s} 2\text{Im} A_{2 \to 2} \Big|_{t=0}$$



Pomeranchuk: elementary interaction  $\equiv$  Pomeron exchange



Pomeron amplitude:

$$f_{ad}^{\text{P}}(s, t) = 8\pi i \gamma_a \gamma_d s^{\alpha_{\text{P}}(0)} \exp(-\lambda_{ad}(s)t)$$

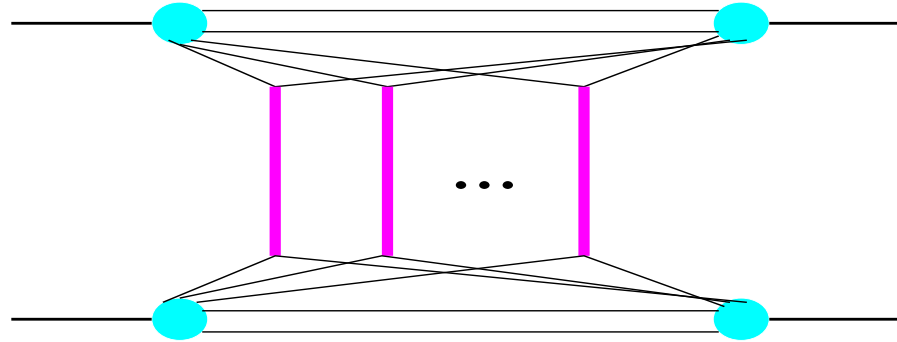
$$\lambda_{ad}(s) = R_a^2 + R_d^2 + \alpha'_{\text{P}}(0) \ln s$$

Pomeron intercept  $\alpha_{\text{P}}(0) > 1$  - energy increase

Pomeron slope  $\alpha'_{\text{P}}(0)$  - increasing spatial size of the interaction

$$\sigma_{ad}^{\text{P}}(s) = \frac{1}{2s} 2\text{Im} f_{ad}^{\text{P}}(s, 0) \sim s^{\alpha_{\text{P}}(0)} - \text{violates unitarity bound?}$$

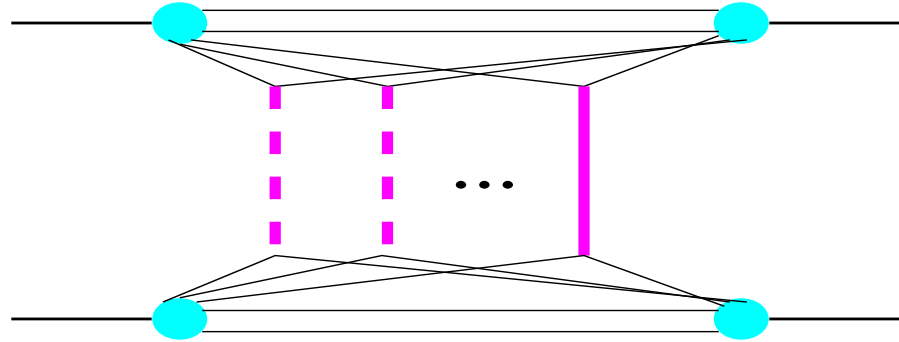
$\Rightarrow$  multiple scattering (multi-Pomeron exchange):



$$\sigma_{ad}^{\text{tot}}(s) = 2 \int d^2 b \left[ 1 - e^{-\chi_{ad}^{\text{P}}(s, b)} \right] \sim \ln^2 s, \quad s \rightarrow \infty$$

$$\chi_{ad}^{\text{P}}(s, b) = \frac{1}{8\pi^2 s} \int d^2 q_{\perp} e^{-i\vec{q}_{\perp} \vec{b}} \text{Im} f_{ad}^{\text{P}}(s, q_{\perp}^2) = \frac{\gamma_a \gamma_d s^{\alpha_{\text{P}}(0)-1}}{\lambda_{ad}(s)} \exp\left(\frac{-b^2}{4\lambda_{ad}(s)}\right)$$

Particle production - **AGK cutting rules** (Abramovskii, Gribov & Kancheli):  
 no interference between different classes of the interaction  $\Rightarrow$  cross sections:



$\Rightarrow$  “topological” cross sections ( $n$  “cut” Pomerons):

$$\sigma_{ab}^{(n)}(s) = \int d^2b \frac{[2\chi_{ab}^P(s, b)]^n}{n!} e^{-2\chi_{ab}^P(s, b)}$$

$$\sigma_{ab}^{\text{inel}}(s) = \sum_{n=1}^{\infty} \sigma_{ab}^{(n)}(s) = \int d^2b \left[ 1 - e^{-2\chi_{ab}^P(s, b)} \right]$$

Particle production (Capella et al.; Kaidalov & Ter-Martyrosyan):  
 “cut” Pomeron  $\Rightarrow$  string formation & break up  $\Rightarrow$  hadronization

## QCD and hard processes

What QCD tells us about high energy interactions?

- (mini-)jet production ( $p_t > p_t^{\min} = Q_0$ ) - increases with energy
  - small coupling ( $\alpha_s(p_t^2)$ ) - compensated by large logarithms  $\ln \frac{x_i}{x_{i+1}}$ ,  $\ln \frac{p_{t_{i+1}}^2}{p_{t_i}^2}$
- $\Rightarrow$  “leading-log” re-summations ( $n$ -parton “ladders”):  $\sum_n \Pi_{i=1}^n \left( \int \alpha_s \frac{dx_i}{x_i} \right)$ ;  $\sum_n \Pi_{i=1}^n \left( \int \alpha_s \frac{dp_{t_i}^2}{p_{t_i}^2} \right)$

QCD “collinear” factorization  $\Rightarrow$  inclusive (leading-log) jet-pair cross section:

$$\sigma_{ad}^{\text{jet}}(s, Q_0^2) = K \sum_{I,J=q,\bar{q},g} \int_{p_t^2 > Q_0^2} dp_t^2 \int dx^+ dx^- \frac{d\sigma_{IJ}^{2 \rightarrow 2}(x^+ x^- s, p_t^2)}{dp_t^2} f_{I/a}(x^+, M_F^2) f_{J/d}(x^-, M_F^2)$$

$d\sigma_{IJ}^{2 \rightarrow 2}/dp_t^2$  - differential parton-parton cross section;

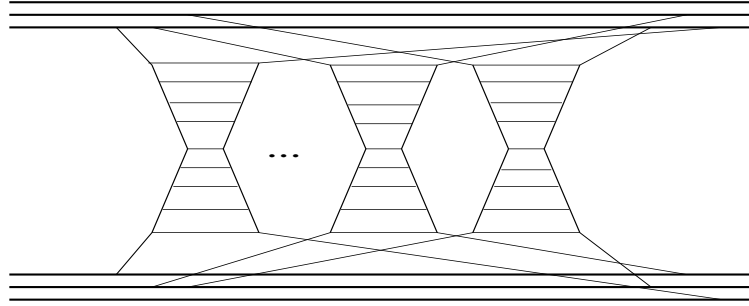
$f_{I/a}(x^+, Q^2)$  - parton  $I$  momentum distribution, “probed” at scale  $Q^2$

Not sufficient to construct a MC model: pQCD tells nothing about

- jet production in an individual event
- interaction cross sections
- “soft” (low  $p_t$ ) particle production, e.g., about leading particles

⇒ **Mini-jet scheme** (Gaißer & Halsen, Pancheri & Srivastava)

- “soft” physics  $\equiv$  scaling
- energy increase of  $\sigma_{ad}^{\text{tot}}(s)$ ,  $N_{ad}^{\text{ch}}(s)$  - due to mini-jet production
- $\sigma_{ad}^{\text{jet}} > \sigma_{ad}^{\text{tot}} \Rightarrow$  multiple scattering - eikonal approach



“**Hard**” eikonal - product of  $\sigma_{ad}^{\text{jet}}(s, Q_0^2)$  and hadronic overlap function  $A_{ad}(b)$ :

$$\chi_{ad}^{\text{hard}}(s, b) = \frac{1}{2} \sigma_{ad}^{\text{jet}}(s, Q_0^2) A_{ad}(b) \equiv \frac{1}{2} \langle n_{ad}^{\text{jet}}(s, b) \rangle$$

$$A_{ad}(b) = \int d^2s T_a^{e/m}(\vec{s}) T_d^{e/m}(|\vec{b} - \vec{s}|)$$

Number of jet pairs per event (for given  $b$ ) - **Poisson**:

$$W(n_{\text{jet}}) = \frac{1}{n_{\text{jet}}!} [2\chi_{ad}^{\text{hard}}(s, b)]^{n_{\text{jet}}} \exp(-2\chi_{ad}^{\text{hard}}(s, b))$$

To get cross sections - also “soft” eikonal:

$$\chi_{ad}^{\text{soft}}(s, b) = \frac{1}{2} \sigma_{ad}^{\text{soft}}(s) A_{ad}(b)$$

⇒ inelastic cross section:

$$\sigma_{ad}^{\text{inel}}(s) = \int d^2b \left[ 1 - e^{-2\chi_{ad}^{\text{soft}}(s,b) - 2\chi_{ad}^{\text{hard}}(s,b)} \right]$$

Conversion of partons into hadrons:

- color field connections between final partons
- hadronization: string or cluster procedures

Employed in PITHYA, HERWIG, HIJING, SIBYLL,...

Main differences to Gribov’s scheme:

- high energy scattering - dominated by “hard” eikonal  
⇒ (believed to be) governed by pQCD
- multiple scattering - only due to “semi-hard” ( $p_t > Q_0$ ) processes
- initial state emission - starts at  $p_t = Q_0$  (or a similar scale)

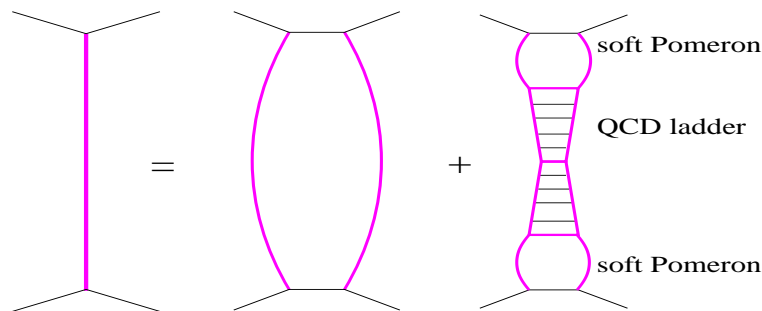
Alternative: matching Gribov's scheme with QCD

⇒ “semi-hard” (“heterotic”) Pomeron scheme (Levin & Tan, Kalmykov & SO):

- introduce a “threshold” scale  $Q_0^2$
- use “soft” Pomeron below  $Q_0^2$
- use DGLAP ladder for  $|p_t^2| > Q_0^2$

⇒ Gribov's scheme based on a “general Pomeron”:

$$\chi_{ab}^P(s, b) = \chi_{ab}^{P_{\text{soft}}}(s, b) + \chi_{ab}^{P_{\text{sh}}}(s, b)$$



⇒ similar to the mini-jet approach

Employed in QGSJET, neXus

Differences from the mini-jet scheme:

- multiple scattering - due to both “soft” and “semi-hard” Pomerons
- parton (particle) production extends to “soft” (low  $p_t$ ) region (“soft pre-evolution”)
- low- $x$  partons - distributed over larger transverse area

Presently: no sharp border between mini-jet / semi-hard Pomeron models:

- SIBYLL 2.1 - multiple “soft” interactions (“soft” Pomerons)
- DPMJET - each mini-jet process accompanied by “soft” Pomeron exchange
- PITHYA - hardest scattering is color connected to valence quarks & diquarks  
⇒ mimics “soft pre-evolution”
- HERWIG - initial state emission may (optionally) continue till  $\Lambda_{\text{QCD}}$  scale

Important: in both schemes elementary processes proceed independently

Rapidly comes to its limits: realistic parton momentum distributions (PDFs)

⇒ too rapid energy increase of cross sections & hadron multiplicities

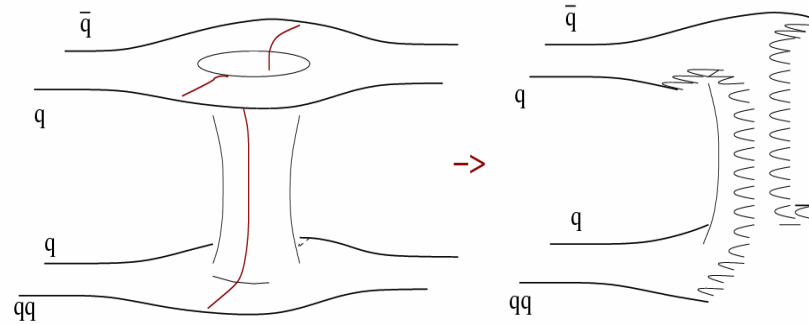
Energy-dependent  $p_t$ -cutoff:  $p_t^{\text{min}} \equiv Q_0 = Q_0(s)$ ? Why?

## Color connections and hadronization

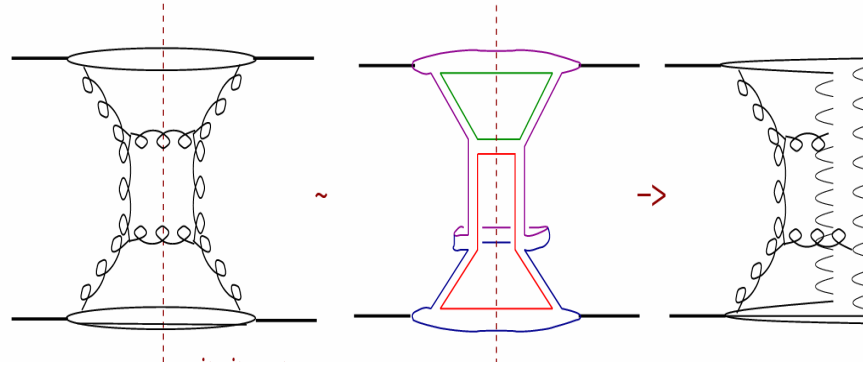
Dual topological unitarization scheme,  $N_c \rightarrow \infty$ ,  $N_f \rightarrow \infty$  (Veneziano):

Pomeron  $\equiv$  cylinder

$\Rightarrow$  "cut" Pomeron  $\equiv$  cut cylinder  $\Rightarrow$  2 chains of secondaries:

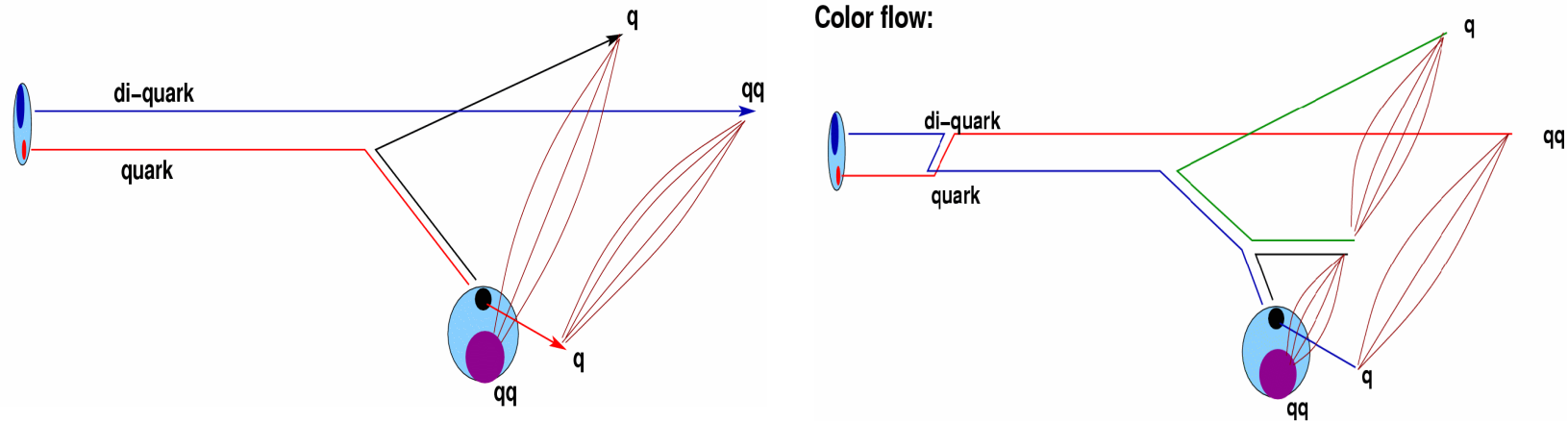


Or via gluon exchange:

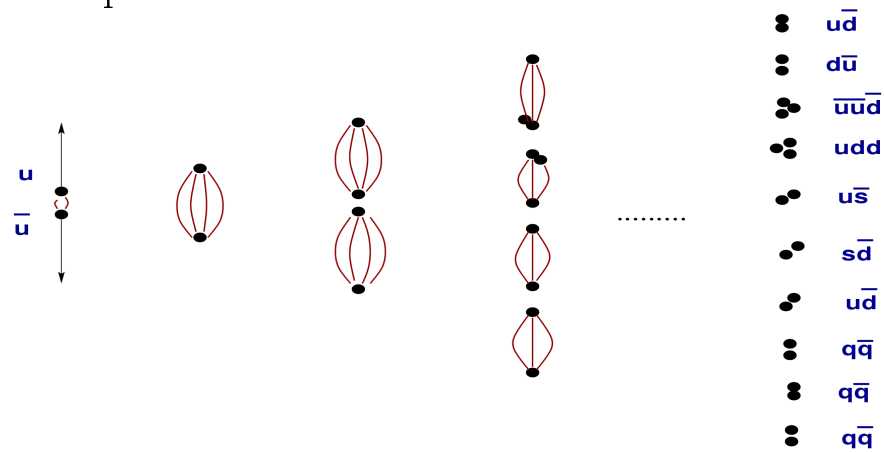




Can be used to establish string picture of hadronization (Capella et al., Kaidalov & Ter-Martyrosyan):



String fragmentation procedure:



Mostly **LUND** fragmentation procedures used - “area law” decay  
(PITHYA, HIJING, DPMJET, SIBYLL,...)

HERWIG:  $g \rightarrow \bar{q}q$  splittings and isotropic **cluster decays**  
recently - fission of long clusters (similar to string procedure)

QGSJET: fragmentation of string-end partons ( $q(\bar{q}), qq, \dots$ );  
parameters - **Regge intercepts** (Kaidalov)

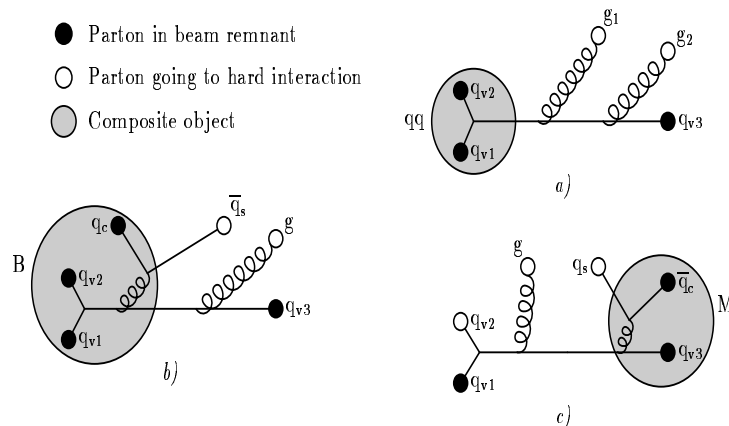
Important aspect - **hadronic “remnants”**:

- PITHYA:
  - 1st (“hardest”) process is color-connected to valence  $q, qq$
  - all other hard processes decoupled
  - composite remnants (new option): may contain many (anti-)quarks
  - if no quarks left  $\Rightarrow$  remnant = gluon
- HERWIG:
  - all hard processes decoupled
  - “soft” processes = “soft” gluon emission (also decoupled)

- HIJING:
  - all hard processes decoupled
  - “soft” processes = (multiple) longitudinal remnant excitation ( $dM^2/M^2$ )
- SIBYLL: similar to PITHYA but with multiple “soft” Pomeron exchanges
- DPMJET: multiple “soft” and “hard” interactions coupled to remnants
- QGSJET: multiple “soft” and “semi-hard” Pomerons coupled to constituent (valence and sea) (anti-)quarks ( $f_{q(\bar{q})}(x) \sim 1/\sqrt{x}$ )

Additional baryon stopping - “diquark splitting” (junction) (PITHYA, HIJING)

Also black disk limit (BDL) stopping mechanism (Drescher, Dimitru & Strikman)



## “Dense” partonic systems: non-linear effects

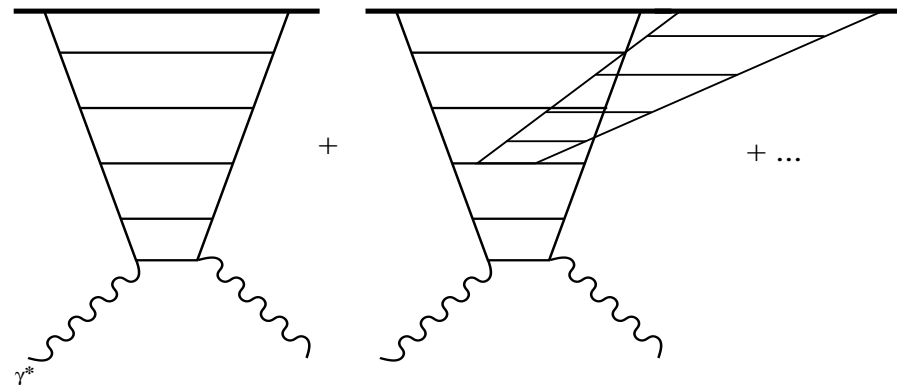
Independent interaction picture is **inadequate** for large  $s$ , small  $b$ , large  $A$ :

- many partons **closely packed**
- $\Rightarrow$  **expected to interact with each other**

QCD approach (Gribov, Levin & Ryskin) - asymptotic picture:

- **parton saturation** at some scale  $Q_{\text{sat}}^2(x) \Rightarrow$  “soft” contribution suppressed
- QCD parton dynamics for  $p_t^2 > Q_{\text{sat}}^2(x)$
- non-linear effects - **interaction between QCD ladders**

Structure function (SF)  $F_2(x)$ ,  $x \rightarrow 0$ :



Provides formal justification for the energy-dependent  $p_t$ -cutoff:

saturation-based picture;  $Q_0^2 = Q_0^2(s)$  - effective saturation scale

However: no explicit connection to GLR (QCD)  $\Rightarrow$  loss of predictive power

ad hoc parameterizations:

- SIBYLL:  $Q_0(s) = p_t^{\min}(s) = 1 + 0.065 \exp[0.9\sqrt{\ln s}]$  (GLR-inspired)
- PITHYA:  $p_t^{\min}(s) \sim \sqrt{s}^{0.25}$  (“like Pomeron intercept”)
- HERWIG:  $p_t^{\min}$  - free parameter
- HIJING:  $p_t^{\min}(s) = 3.91 - 3.34 \ln(\ln \sqrt{s}) + 0.98 \ln^2(\ln \sqrt{s}) + 0.23 \ln^3(\ln \sqrt{s})$

Still no account for:

- no saturation in peripheral interactions
- saturation being different in  $hh-$ ,  $hA-$ ,  $AA-$  collisions
- screening effects in non-saturation regime (shadowing)

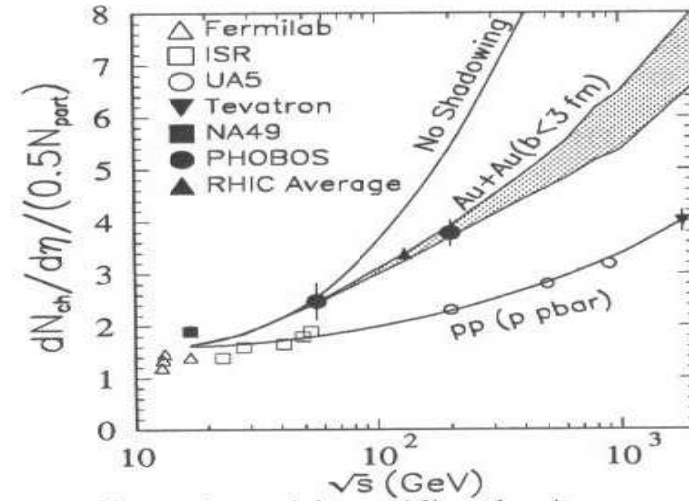
Additional non-linear effects may be introduced at particle production level, e.g., color re-arrangement in PITHYA, HERWIG (optional)

HIJING (Li & Wang, 2001): [parameterized nuclear shadowing](#) of PDFs, e.g.

$$f_{g/A}(x, Q^2, b, A) = A f_{g/p}(x, Q^2) \left[ 1 + 1.19 \ln^{1/6} A (x^3 - 1.2 x^2 + 0.21 x) - s_g(b) (A^{1/3} - 1)^{0.6} (1 - 1.5 x^{0.35}) \exp(-x^2/0.004) \right]$$

$$s_g(b) = (0.24 \div 0.28) \frac{5}{3} (1 - b^2/R_A^2)$$

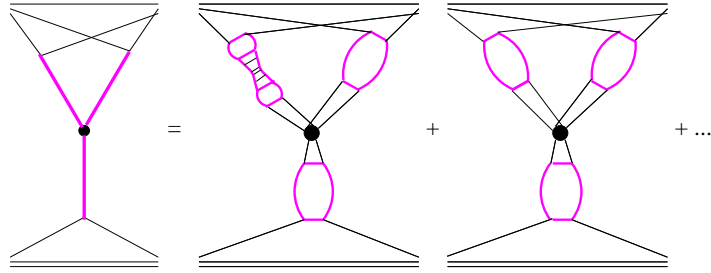
appears to be decisive to get agreement with RHIC:



In general: treatment of **realistic** (not asymptotic) conditions needed!

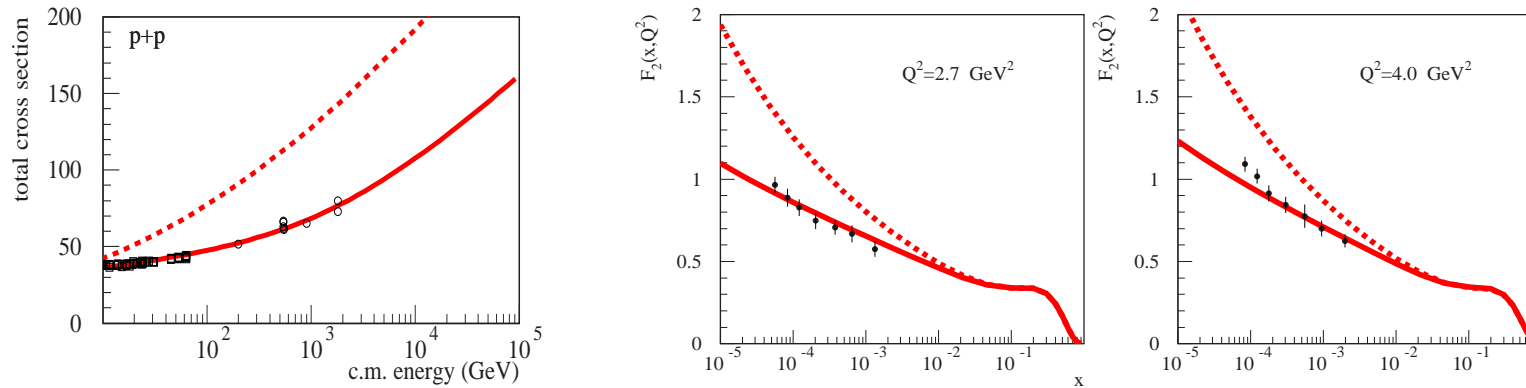
Alternative approach - QGSJET-II model (SO, 2004) :

- assumes **no saturation** at a **fixed**  $Q_0^2$  scale
- $\Rightarrow$  non-linear effects = **interactions between “soft” Pomerons**



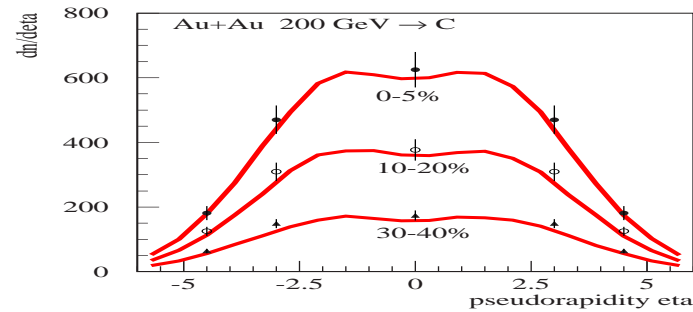
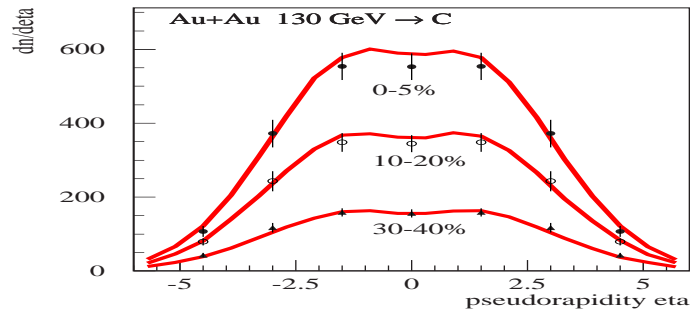
- $\Rightarrow$  Gribov's Reggeon scheme (all order re-summation of “enhanced” graphs)

Total cross section and SF  $F_2(x, Q^2)$  with (without) enhanced graphs:



$hA$ ,  $AA$ : “enhanced” (multi-Pomeron) graphs connected to different nucleons  
 $\Rightarrow$   $A$ -enhancement of screening effects

Charged multiplicity for different centralities at RHIC:



Main differences to the linear scheme:

- screening of the “soft” particle production
- in the “dense” limit (large  $s$ , small  $b$ , large  $A$ ) -  
 re-normalization of the “soft” Pomeron intercept:  $\alpha_P(0) \rightarrow \tilde{\alpha}_P(0) < 1$   
 $\Rightarrow \chi_{ab}^{P_{\text{soft}}}(s, b)$  - decreasing with  $s$  - saturation at the  $Q_0^2$  scale!
- $\Rightarrow$  approaches “mini-jet” picture in the “dense” limit

Drawback: does not treat screening & saturation effects at  $p_t^2 > Q_0^2$ !



## Air Shower Predictions

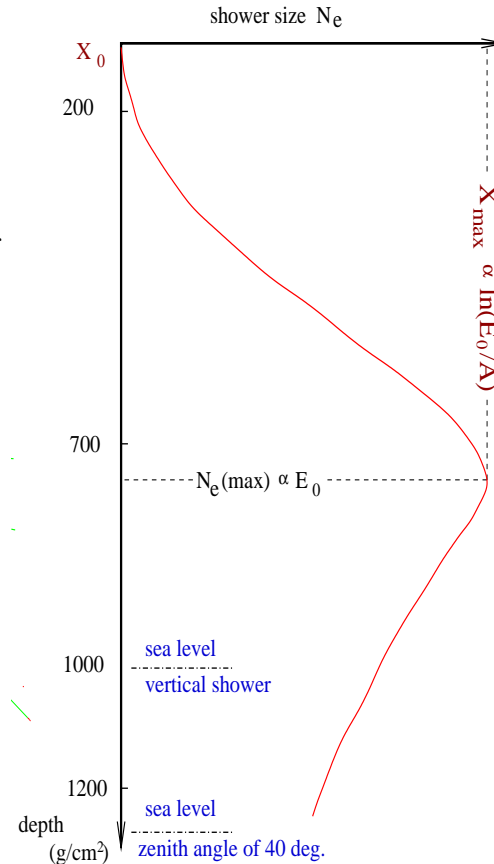
Basic EAS characteristics - sensitivity to hadronic interactions:

- $X_{\max}$  - mainly defined by  $\sigma_{h\text{-air}}^{\text{inel}}$ ,  $K_{h\text{-air}}^{\text{inel}}$ 
  - position of the first interaction  $X_0$ :  $\sigma_{p\text{-air}}^{\text{inel}}$
  - profile shape:  $K_{p\text{-air}}^{\text{inel}}$ ,  $\sigma_{\pi\text{-air}}^{\text{inel}}$ ,  $K_{\pi\text{-air}}^{\text{inel}}$
  - $X_{\max}$  fluctuations: mainly from  $X_0$ ,  $K_{p\text{-air}}^{\text{inel}}$
- $N_e$  - correlated with  $X_{\max}$
- $N_\mu$  - depends on  $N_{h\text{-air}}^{\text{ch}}$  (especially,  $N_{\pi\text{-air}}^{\text{ch}}$ )

Energy (mass) dependence:

- $X_{\max} \sim \ln(E_0/A)$
- $N_e \sim A (E_0/A)^{\alpha_e}$ ,  $\alpha_e > 1$
- $N_\mu \sim A (E_0/A)^{\alpha_\mu}$ ,  $\alpha_\mu < 1$

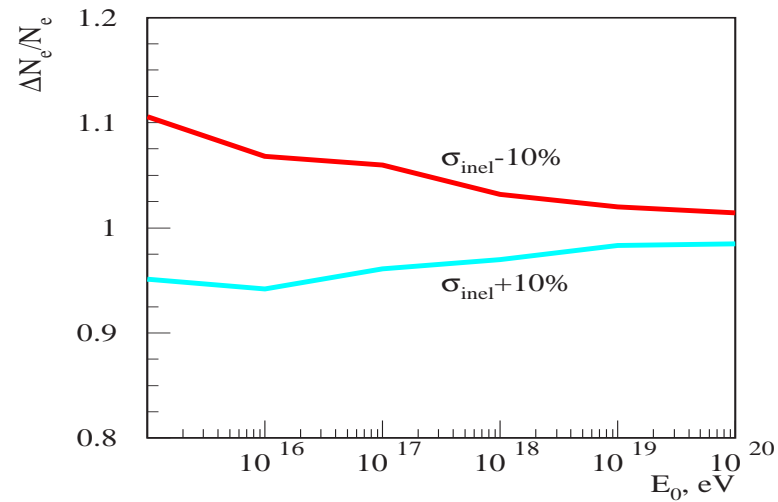
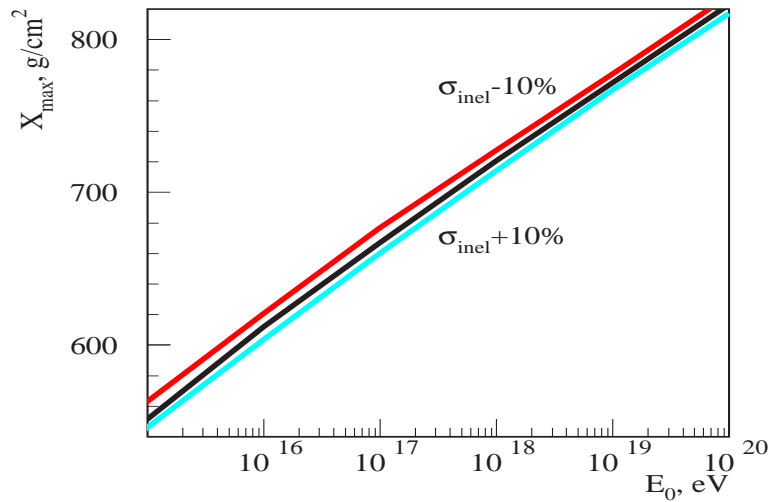
**Münchhausen's problem:** disentangle energy, mass, and hadronic models



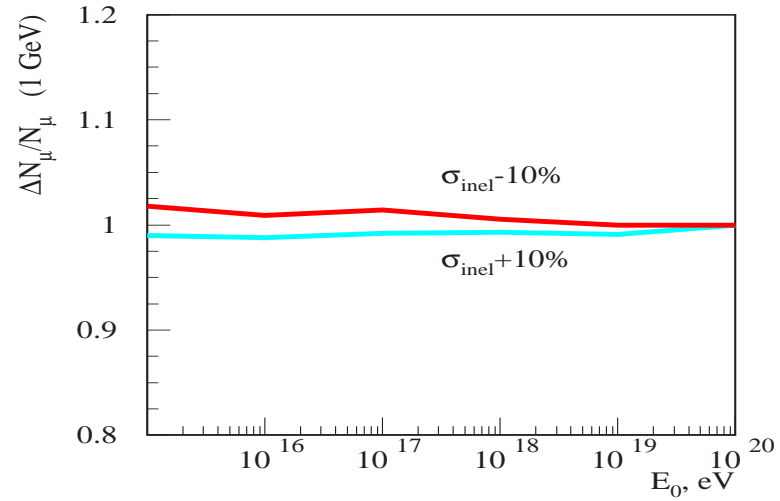
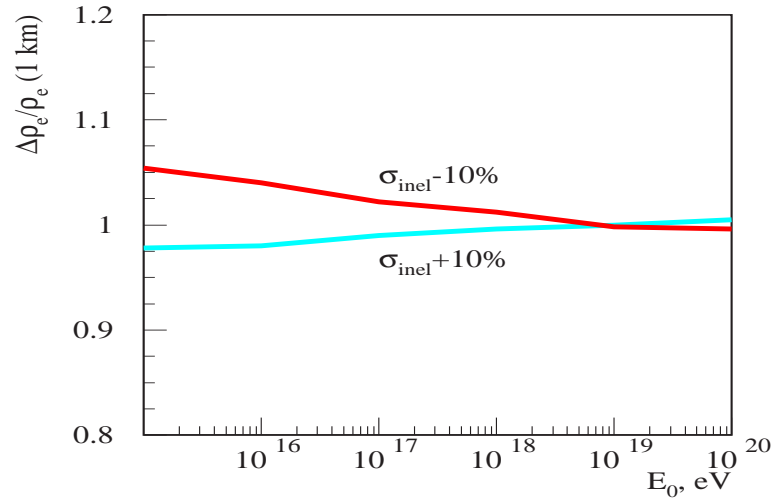
Let us make simple tests...

Change  $\sigma_{p\text{-air}}^{\text{inel}}$  by  $\pm 10\%$ :

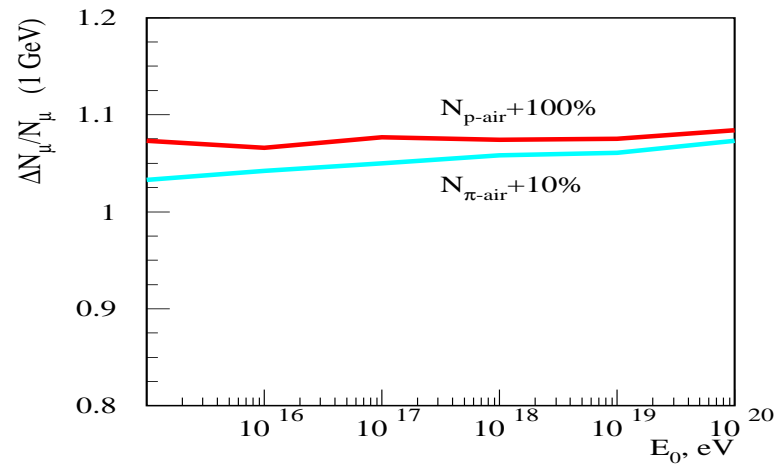
- $X_{\text{max}}$  changes by  $\pm 5 \div 10 \text{ g/cm}^2$
- electron number at ground - by  $\pm 5 \div 10\%$



But electron density at large distance (1 km) and muon number - more stable



Now we increase  $p$  – air multiplicity by 100% or  $\pi$  – air multiplicity by 10%  
 - nearly same effect at highest energies



Let us compare models...

### SIBYLL 2.1:

- mini-jet approach + multiple “soft” Pomerons
- GRV PDFs + floating  $p_t$ -cutoff ( $Q_0(s)$ )

### QGSJET:

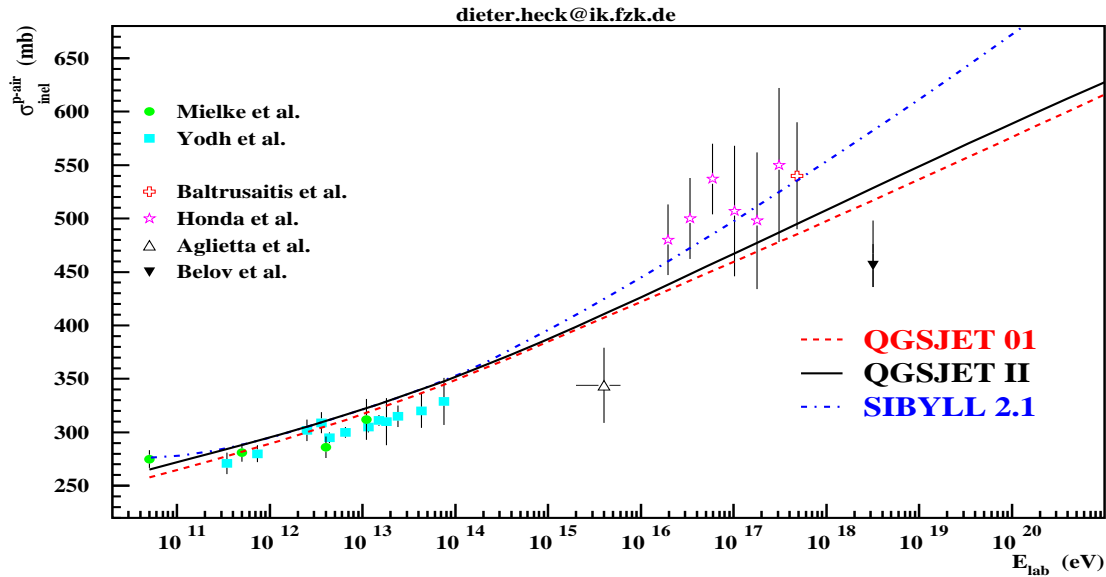
- multiple “soft” and “semi-hard” Pomerons
- “flat” (pre-HERA) PDFs & fixed  $p_t$ -cutoff (2 GeV)

### QGSJET-II / QGSJET:

- bigger Pomeron intercept (1.18 instead of 1.07)
- steeper PDFs (now in agreement with HERA)
- non-linear screening effects (multi-Pomeron vertices)

Impact on  $\sigma_{h\text{-air}}^{\text{inel}}$ ,  $K_{h\text{-air}}^{\text{inel}}$ ,  $N_{h\text{-air}}^{\text{ch}}$ ?

## Proton-air cross section

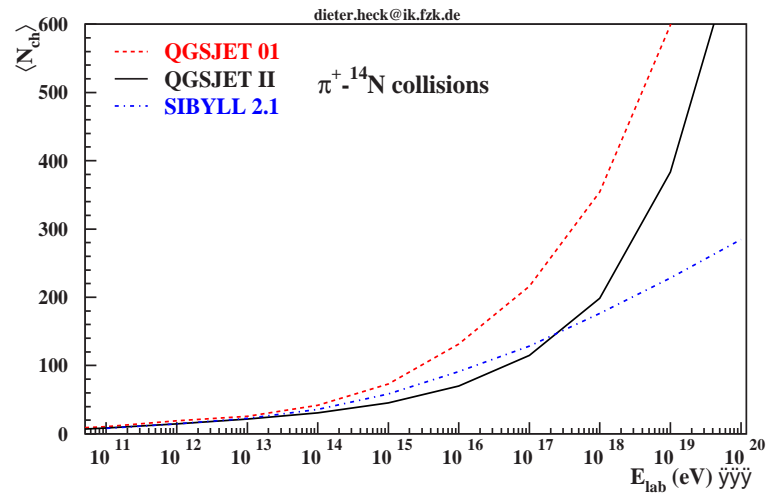
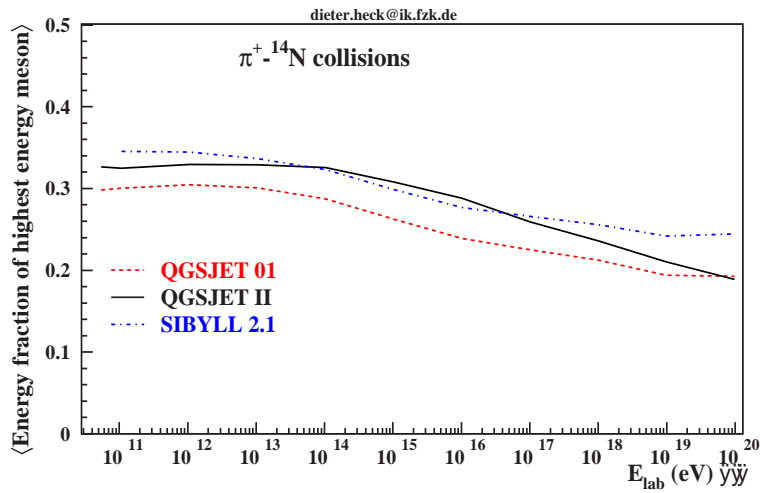
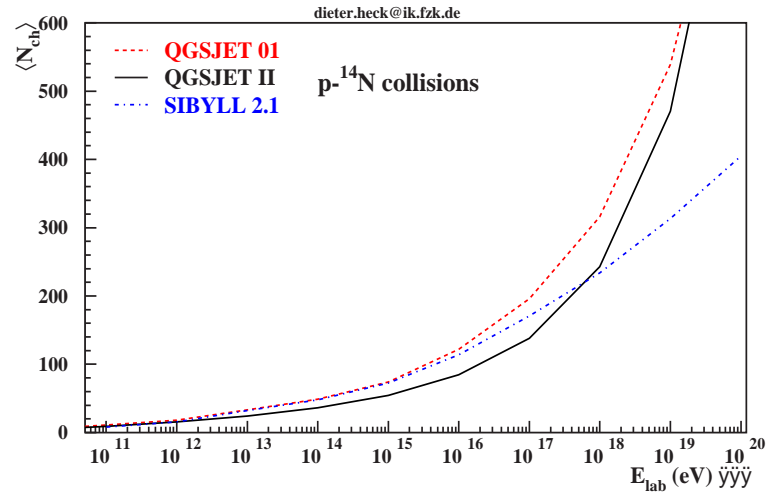
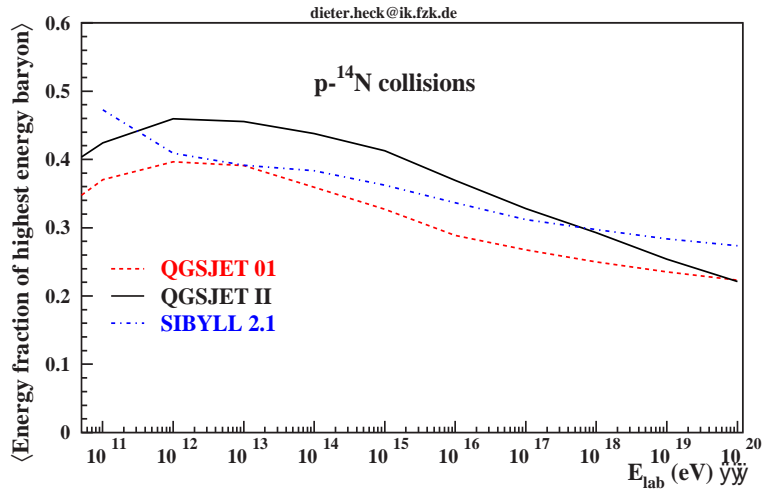


SIBYLL / QGSJET - faster energy increase:

- steeper PDFs in SIBYLL
- inelastic screening in QGSJET
- beware: also depends on the  $Q_0(s)$ -parameterization & overlap function

QGSJET-II / QGSJET: steeper PDFs compensated by screening effects

Leading baryon (meson) energy share ( $1 - K_{h-air}^{inel}$ ) and charged multiplicity



QGSJET / SIBYLL: “soft” parton production in addition to mini-jets

⇒ faster energy increase of  $K_{h\text{-air}}^{\text{inel}}$ ,  $N_{h\text{-air}}^{\text{ch}}$

QGSJET-II / QGSJET: suppression of “soft” production in the “dense” limit

⇒ much smaller  $K_{h\text{-air}}^{\text{inel}}$ ,  $N_{h\text{-air}}^{\text{ch}}$

QGSJET-II / SIBYLL: same effect

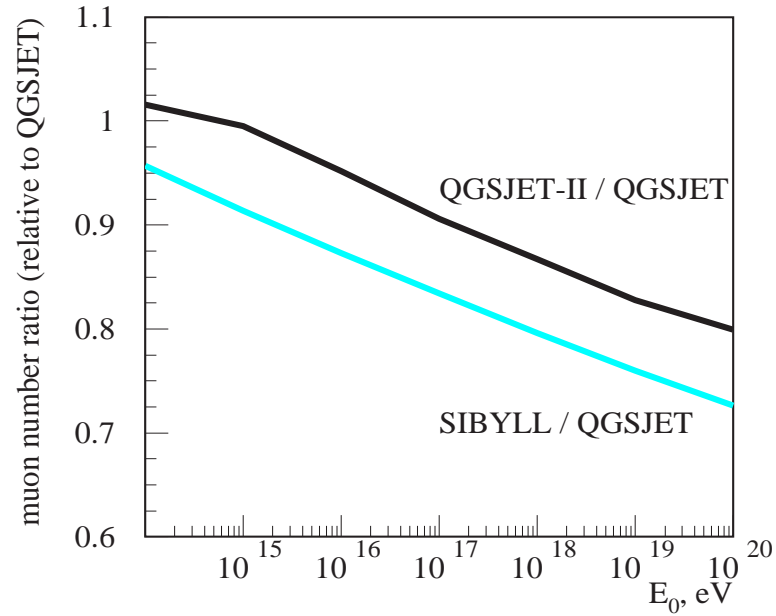
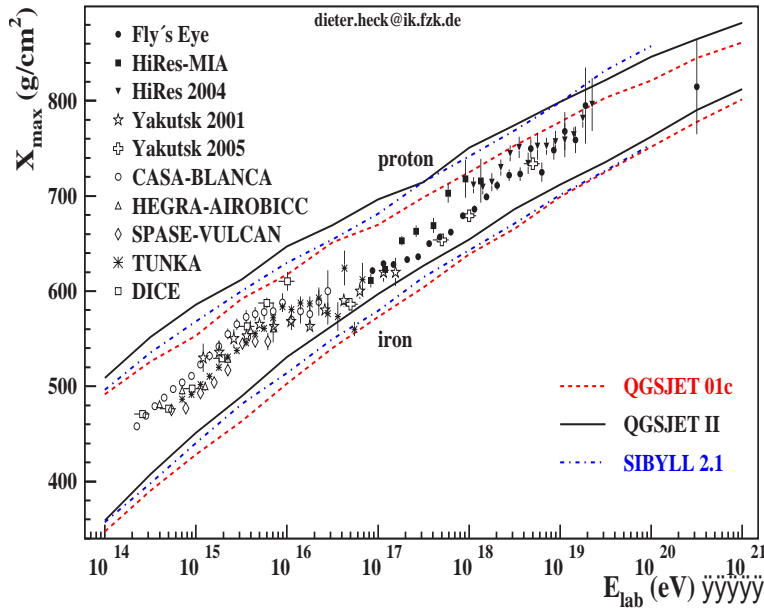
At highest energies - faster increase of  $K_{h\text{-air}}^{\text{inel}}$ ,  $N_{h\text{-air}}^{\text{ch}}$  in QGSJET-II:

too strong  $Q_0(s)$  increase in SIBYLL or absence of GLR-effects in QGSJET-II?

Summary of model differences

- $\sigma_{h\text{-air}}^{\text{inel}}$ : increasing with energy, reaching 10-15% at  $10^{19} - 10^{20}$  eV
- $K_{h\text{-air}}^{\text{inel}}$ : 10-20% between QGSJET / SIBYLL over the whole energy range
- $N_{h\text{-air}}^{\text{ch}}$  - increasing with energy, up to a factor of 2 at  $10^{19} - 10^{20}$  eV

Shower maximum position ( $X_{\max}$ ) and muon number  $N_\mu$  ( $E_\mu > 1$  GeV)



QGSJET:

- largest  $K_{h\text{-air}}^{\text{inel}} \Rightarrow$  highest shower maximum
- much bigger  $N_{h\text{-air}}^{\text{ch}}$  compared to SIBYLL  $\Rightarrow$  higher  $N_\mu$  (up to 30% at  $10^{20}$ )

QGSJET-II / QGSJET - strong reduction of  $K_{h\text{-air}}^{\text{inel}}$ ,  $N_{h\text{-air}}^{\text{ch}}$

$\Rightarrow$  deeper  $X_{\max}$ , smaller  $N_\mu$  (only 10% difference with SIBYLL)

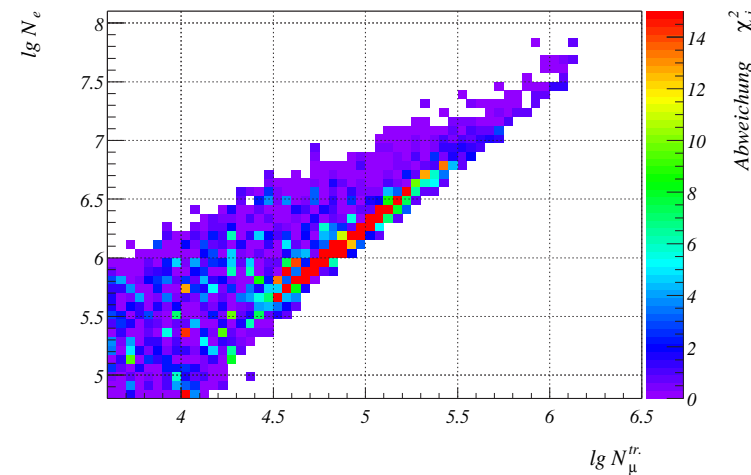
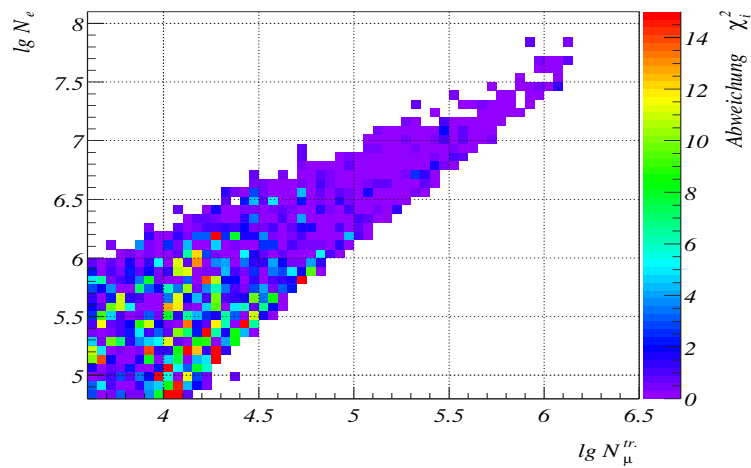


## Remaining puzzles

Solving Münchhausen's problem - KASCADE studies of  $N_e$ - $N_\mu$  correlations:

- reconstruction of CR spectra and composition using a hadronic MC model
- testing model consistency with the obtained spectra

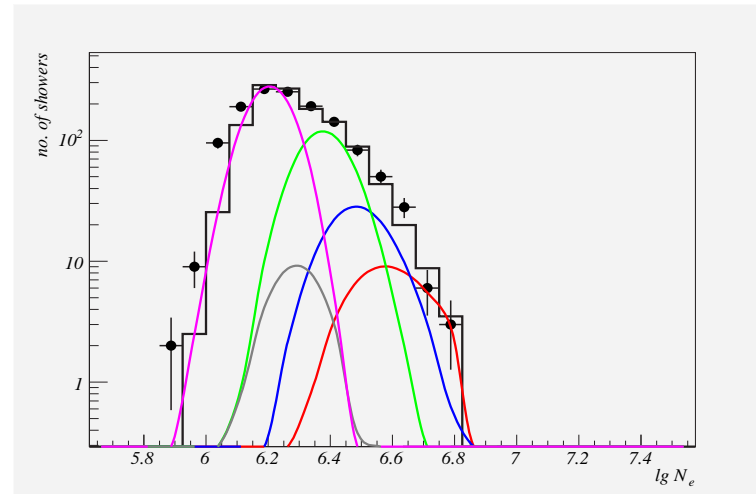
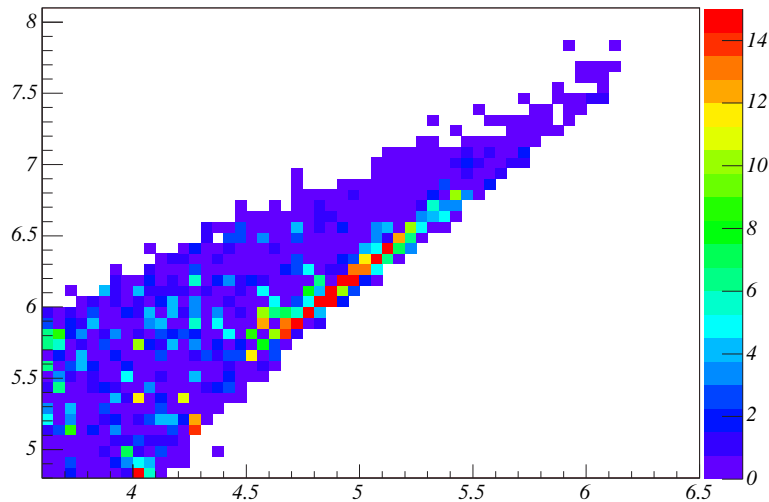
(H. Ulrich et al., 2005)



Result: “true” model is between QGSJET and SIBYLL:

- either smaller  $N_\mu$  than in QGSJET
- or (more probable) bigger  $N_e \Rightarrow$  deeper  $X_{\max}$ ?

QGSJET-II goes in the right direction... but too far:

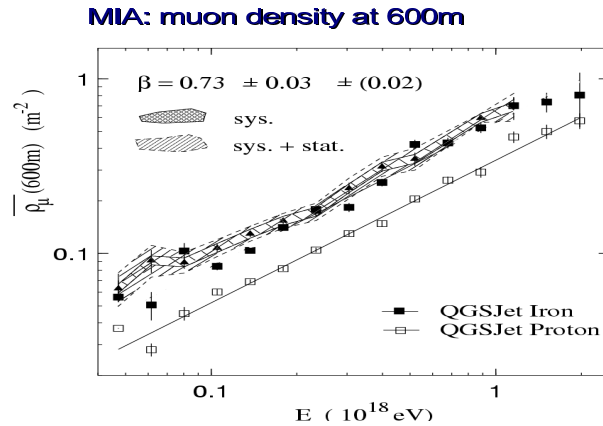


Now few possibilities:

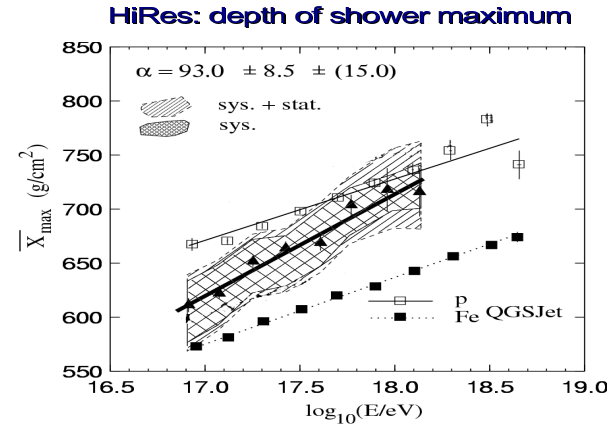
- larger  $K_{h-air}^{inel}$ , increasing with energy - supported by RHIC (baryon stopping) & theoretical ideas (diquark breaking (baryon junction), BDL-scenario,...)
- larger cross section
- “exotic” option: significantly bigger multiplicity (how to accommodate with RHIC data?)

The last option could help solving composition puzzles at higher energies

## Example: HiRes-MIA measurement



**Composition iron dominated,  
no significant change with energy**



**Composition changes to proton  
dominated one**

Seems to be a general problem:

- ground arrays favor iron-dominated composition
- fluorescence arrays: light (proton-dominated) composition

Way to solve: deeper  $X_{\text{max}}$  and large  $N_\mu$  ( $\Rightarrow$  huge multiplicity)

May be we don't understand  $\pi A$ -interaction?

## Outlook

Contemporary models - “conventional” structure well established

Still significant technical differences

Theoretical challenge:

combined description of “hard” and “soft” screening (saturation) effects

Hadronic leading states - phenomenological approaches  $\Rightarrow$  data should decide

CR experiments can test general model consistency

Accelerator data are of great help to solve Munchhausen’s problem:

- LHC measurements of  $\sigma_{pp}^{\text{tot}}$ ,  $B_{pp}^{\text{el}}$  could resolve cross section uncertainty  $\Rightarrow X_{\text{max}}$
- LHC measurements of  $N_{pp}^{\text{ch}}$ ,  $N_{pA}^{\text{ch}}$   $\Rightarrow$  key to the multiplicity problem  $\Rightarrow N_{\text{mu}}$
- RHIC studies of baryon “stopping” for different “centralities”  
 $\Rightarrow$  insight into hadronic leading state behavior

Can  $\pi A$ -interaction be very different from  $pA$ ? Any ideas?