



Measurement of B_s oscillations at CDF

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for the CDF Collaboration



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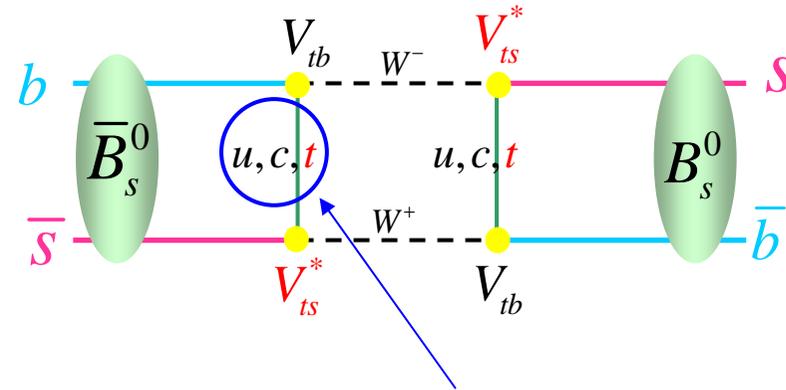
Outline

- ✿ Motivations: ΔM_s and the Unitarity Triangle
- ✿ Analysis details:
 - ✳ Trigger and reconstruction
 - ✳ Lifetime measurements and biases
 - ✳ Flavour tagging
- ✿ (Some) Statistical details and expected significance
- ✿ Results for ΔM_s
- ✿ Interpretation and derived constraints

- ✿ Paper submitted to PRL: [hep-ex/0606027](https://arxiv.org/abs/hep-ex/0606027)

Why ΔM_s

Observation of a quantum phenomenon: flavour oscillations via a $\Delta F = 2$ *Box* diagram



$$\Delta M_q = \frac{G_F^2 m_W^2 \eta S(x_t^2)}{6\pi^2} m_{B_q} f_{B_q}^2 B_{B_q} |V_{tq}^* V_{tb}|^2$$

Form factors and B-parameters from Lattice calculations have high uncertainty $\rightarrow V_{td}$ known *only* at ~15% level

•The only relevant diagram has b coupling with top

•New (s)particles in the loop..?

Mixing involves CKM elements \rightarrow measuring ΔM_q constraints the unitarity triangle

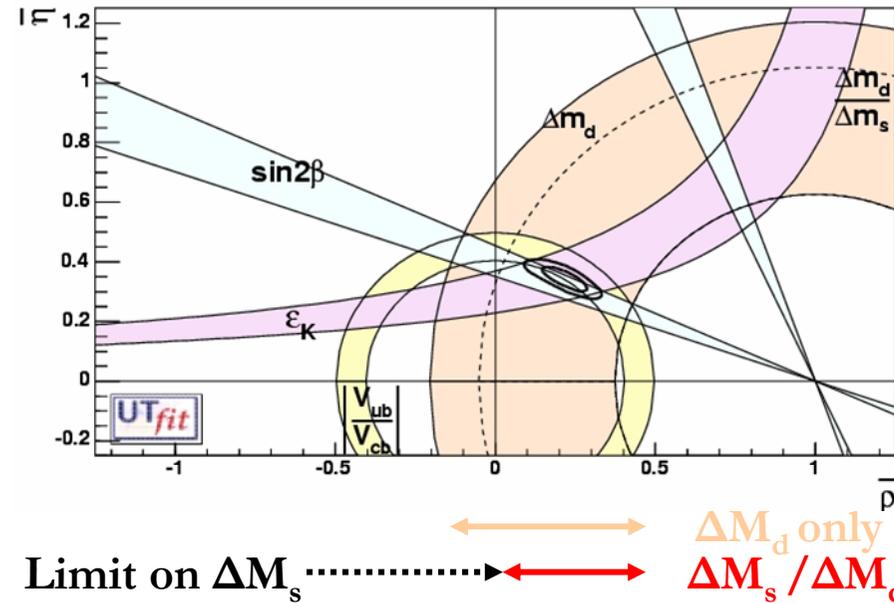
UT and constraint from mixing

From lattice:

- Ratio $\frac{f_d^2 B_d}{f_s^2 B_s} \equiv \xi^2$ is better calculated than single factors

- $\xi = 1.210^{+0.047}_{-0.035}$
(M.Okamoto, hep-lat/0510113)

♣ Measuring $\Delta M_s / \Delta M_d$ returns V_{ts} / V_{td} with $\sim 4\%$ error from theory



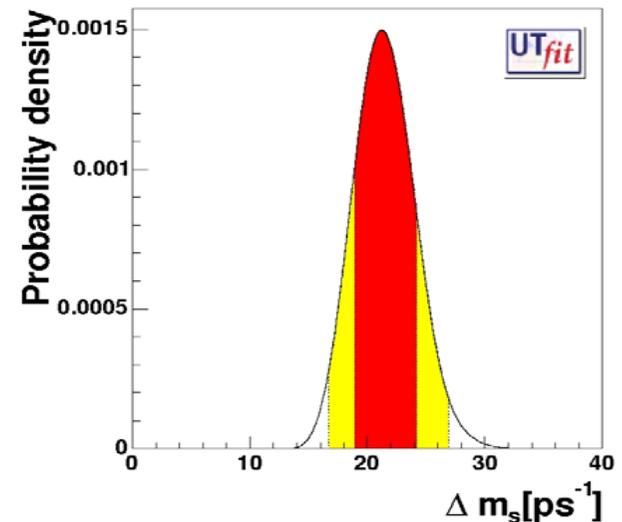
UP TO WINTER '06:

- $\Delta M_s \geq 16.6 \text{ ps}^{-1}$ (LEP+SLD+Tevatron I and II)
- Expected value (UT fit, utfit.roma1.infn.it) :

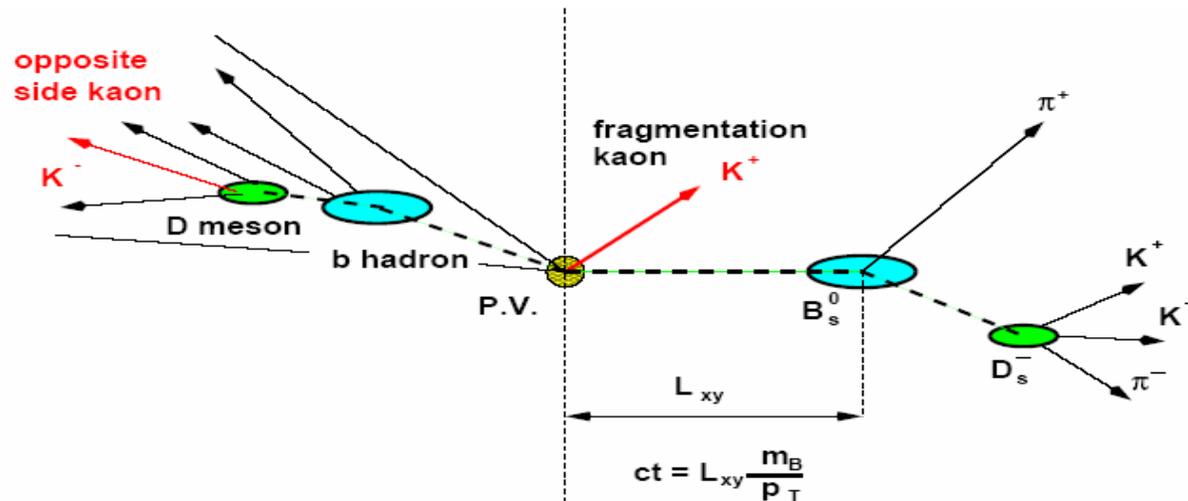
$$\Delta M_s \text{ (SM)} = 21.5 \pm 2.6 \text{ ps}^{-1}$$

ΔM_s in [16.7, 26.9] @ 95% CL

♣ LARGER ΔM_s could indicate NP contrib's



Want to measure...so, how?



Final state:

- * Reconstruct final states from both *Semileptonic* (high statistics, *but* missing kinematics) and *Hadronic* (fully reconstructed, best ct resolution)

Lifetime measurement

- * Hadronic decay length measured with better resolution than Semileptonic

Flavour tagging

- * Tag the flavour of the mixing B candidate using both:
 - * correlation with fragmentation tracks AND
 - * flavour of other b (*incoherent b - \bar{b}* production)

Amplitude Scan

Introduce “Amplitude” in Likelihood

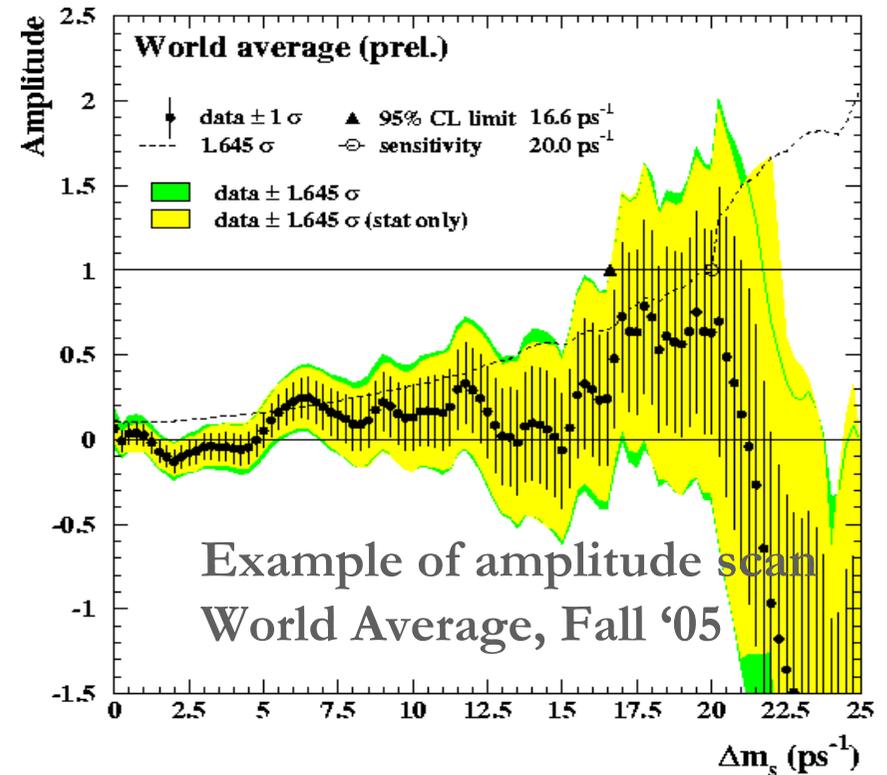
$$L_{sig}^t = \frac{1}{\tau} e^{-t/\tau} (1 \pm A \cdot D \cdot \cos(\Delta M \cdot t))$$

Ⓢ Fit A for fixed ΔM

Ⓢ A consistent with:
1 if mixing detected at a given ΔM
0 if no mixing at a given ΔM

Ⓢ Limit where $A + 1.645\sigma_A = 1$

Ⓢ Sensitivity: $1.645\sigma_A = 1$



Measurement significance

- The expression of the statistical Significance of a mixing measurement is given by:

$$1/\sigma_A = \sqrt{\frac{S \epsilon D^2}{2}} e^{-\frac{(\Delta M_s \cdot \sigma_t)^2}{2}} \sqrt{\frac{S}{S+B}}$$



Signal
(*b*-flavour at decay tagged)

Fraction of S with info *also* on flavour at creation

Experimental time resolution *exponentially* dilutes a measurement

- Significance exponentially reduced at higher $\Delta M_s \dots$



$$\dots |V_{ts}| \gg |V_{td}| \Rightarrow \Delta M_s \sim 40 \cdot \Delta M_d$$

Final states selection and yields

Hadronic signals

$L = 1 \text{ fb}^{-1}$
 $N(B_s) \approx 3600$

- Fully reconstructed decays triggered on at **CDF only**; requiring 2 tracks with
 - $d_0 > 120 \mu\text{m}$ ($\tau(B) \approx 1.5\text{ps}$)
 - $P_t > 5.5 \text{ GeV}/c$

$B_s^0 \rightarrow D_s^- (3)\pi^+ (D_s^- \rightarrow \varphi\pi^-, \varphi \rightarrow K^+ K^-)$

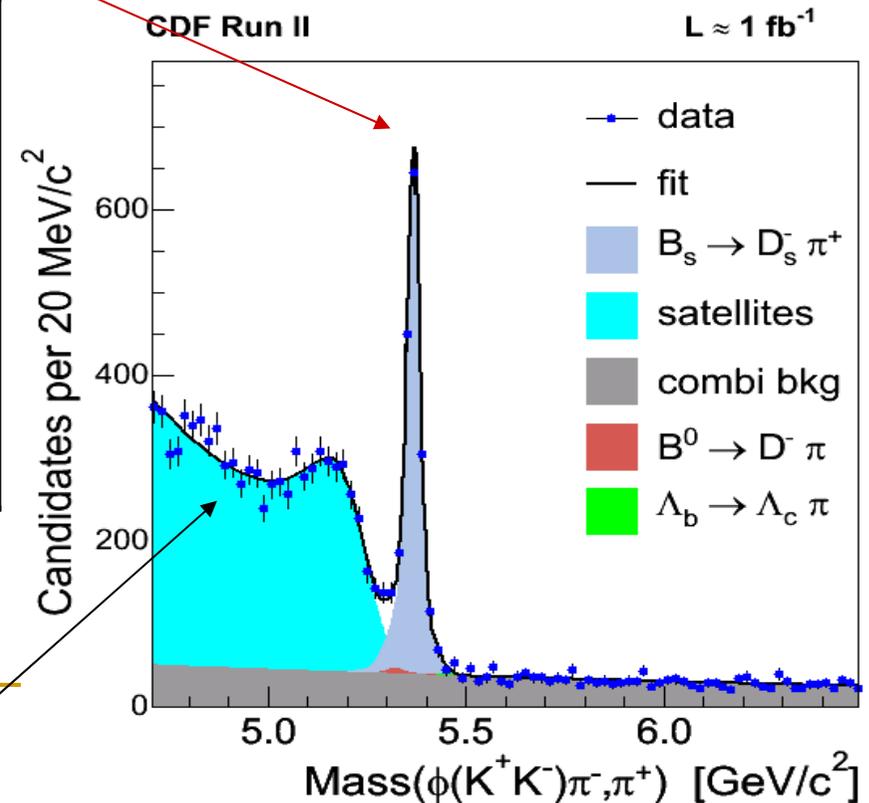
$B_s \rightarrow D_s \pi, D_s \rightarrow \varphi \pi$	1570 ± 43
$B_s \rightarrow D_s \pi, D_s \rightarrow K^{*0} K^-$	857 ± 32
$B_s \rightarrow D_s \pi, D_s \rightarrow 3\pi$	612 ± 37
$B_s \rightarrow D_s 3\pi, D_s \rightarrow \varphi \pi$	493 ± 37
$B_s \rightarrow D_s 3\pi, D_s \rightarrow K^{*0} K^-$	204 ± 26

“Satellites”:

$B_s^0 \rightarrow D_s^{*-} \pi^+ (D_s^{*-} \rightarrow D_s^- \gamma)$

$B_s^0 \rightarrow D_s^- \rho^+ (\rho^+ \rightarrow \pi^+ \pi^0)$

(Not used in this analysis)

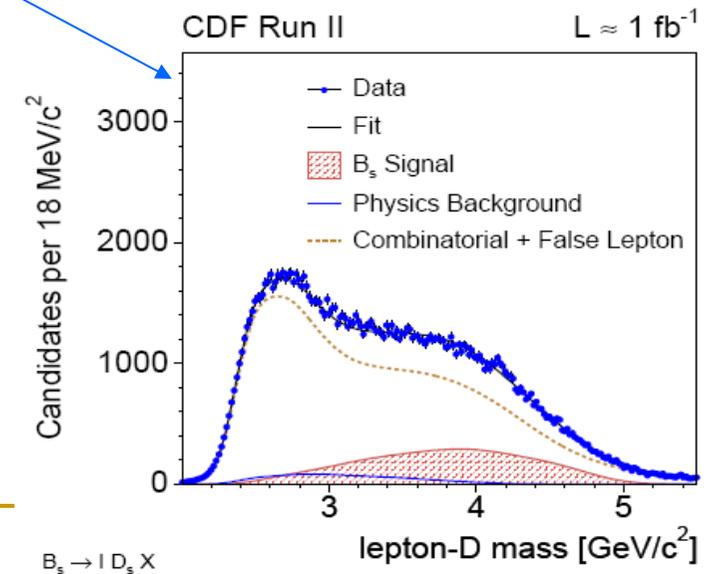
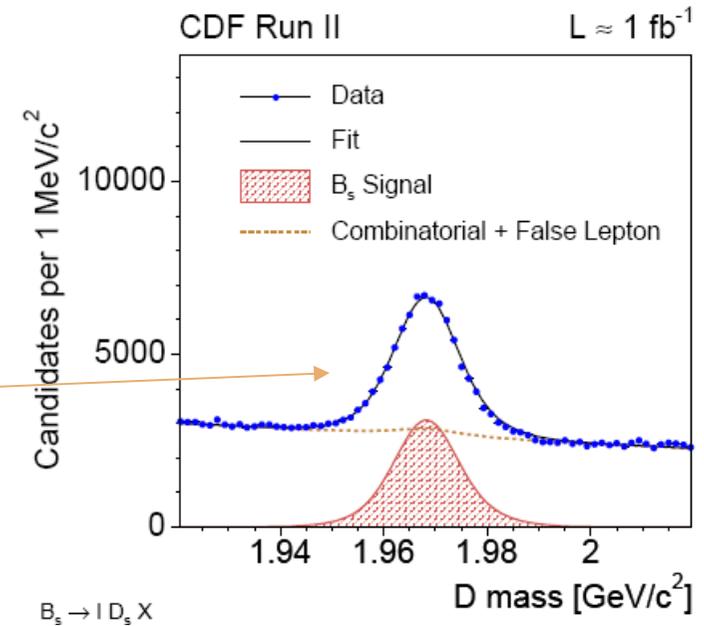


Semileptonic signals



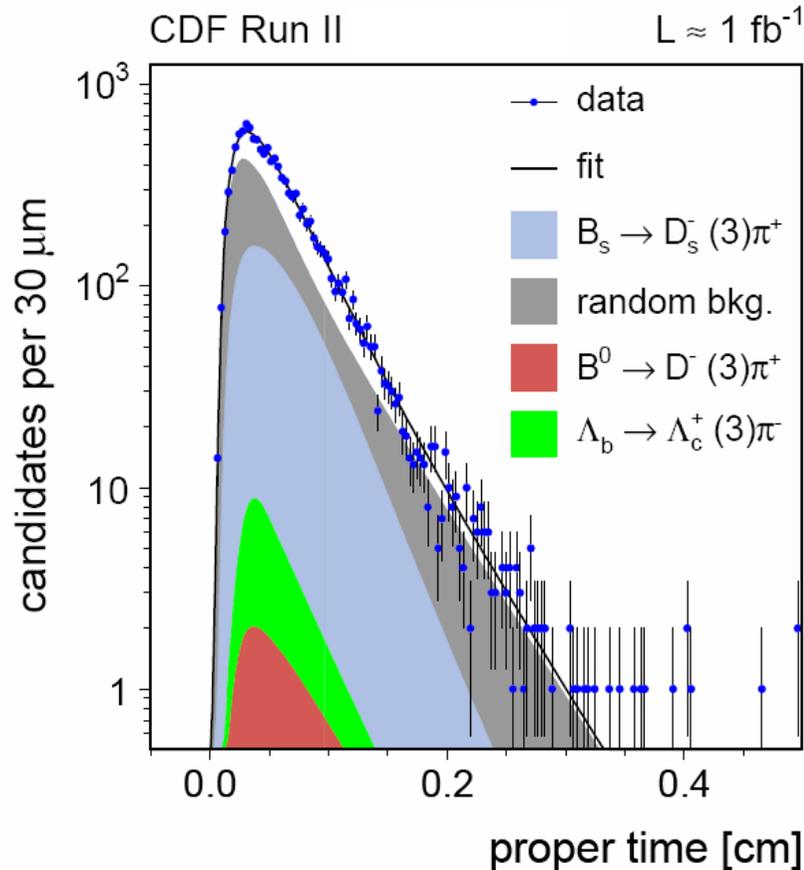
- Missing $P_t \rightarrow$ No B_s mass peak
- Use D_s mass signals
- Using $M(\ell D_s)$ helps bkg rejection
- Charge correlation between ℓ and D_s :
- Bkg also from Right Sign ($\sim 15\%$):
 - D_s + fake lepton from PV
 - $B_{s,d}$ to $D_s D X$, D to $\ell \nu X$
 - $c\bar{c}$ background

~ 37000 semileptonic B_s candidates



Lifetime measurement

Hadronic Lifetime Results



Mode	$c\tau$ [μm] (stat. only)
$B^0 \rightarrow D^- \pi^+$	491.1 ± 5.1
$B^- \rightarrow D^0 \pi^-$	452.1 ± 5.1
$B_s \rightarrow D_s (\phi\pi) \pi$	461 ± 12

- Detailed simulation to correct for trigger bias on the selection of the B decay length
- Syst. on trigger efficiency negligible for mixing measurements

- World Average (HFAG06)
 - $c\tau(B^+) = 491.1 \pm 3.3(\text{stat}) \mu\text{m}$
 - $c\tau(B_d) = 458.7 \pm 2.7 \mu\text{m}$
 - $B_s \rightarrow$ Flavour specific:
 - $c\tau(B_s) = 432 \pm 20 \text{ ps}$

Excellent agreement !

Effect of proper time resolution

Amplitude of mixing asymmetry
diluted by a factor

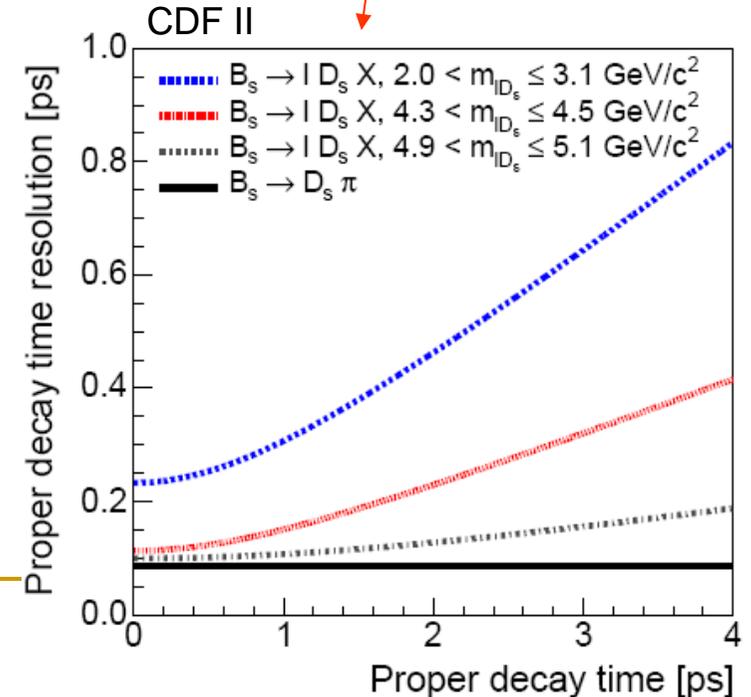
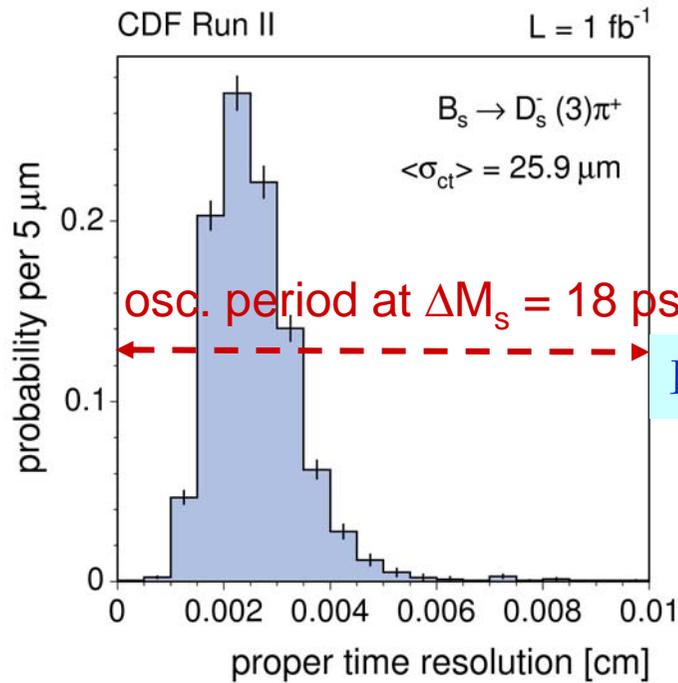
$$D_{\sigma_t} = e^{-\frac{(\Delta M \cdot \sigma_t)^2}{2}}$$

$$\sigma_{ct} = \sqrt{\left(\sigma_{ct}^0\right)^2 + \left(ct \times \frac{\sigma_p}{p}\right)^2}$$

Vertex
resolution
(constant)

Momentum
resolution
($\sim ct$)

Semileptonic-like
 $\langle \sigma_p/p \rangle \approx 15\%$



- Calibrated on large D^+ data samples combined with prompt tracks to mimic B^0 -like topologies
- Calibrate by fitting for lifetime of B^0 -like decays

Flavour tagging

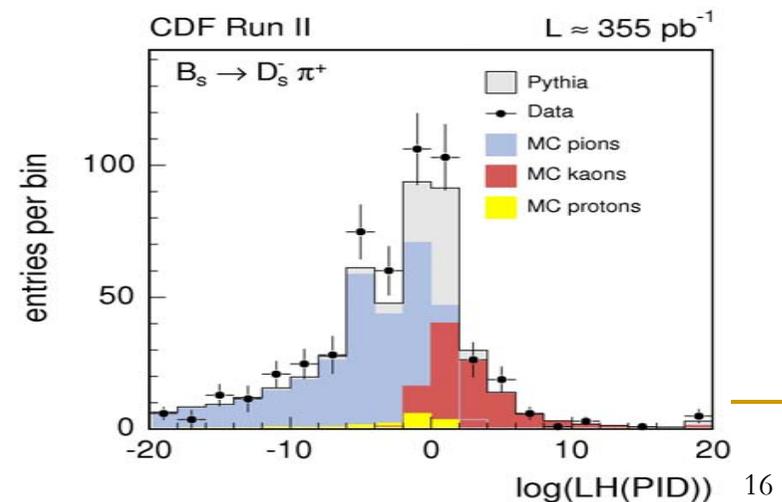
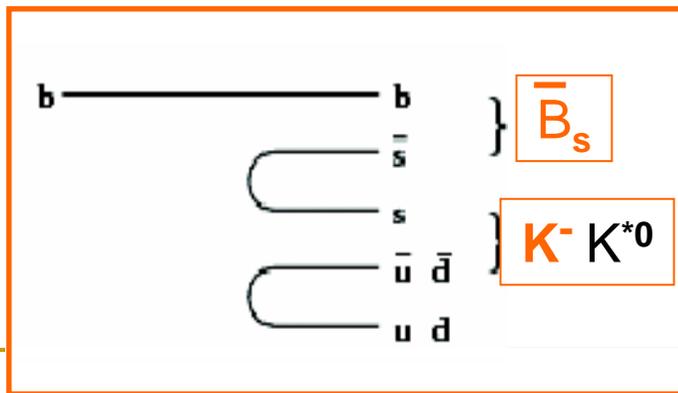
Combined tagging power

- ⊗ Opposite Side Taggers (OST) tag the other b-hadron in the event using e and μ from decay and jet charge
- ⊗ Combine OST exclusively
- ⊗ Calibrate Combined OST on samples of B^+ and B_d (by measuring ΔM_d)
- ⊗ **Add Same Side Kaon Tagger independently** Dilution = 1-2•mistag rate

	ϵD^2 Hadronic (%)	ϵD^2 Semileptonic (%)
Muon	0.48 ± 0.06 (stat)	0.62 ± 0.03 (stat)
Electron	0.09 ± 0.03 (stat)	0.10 ± 0.01 (stat)
JQ/SecVtx	0.30 ± 0.04 (stat)	0.27 ± 0.02 (stat)
JQ/Displ'd trk	0.46 ± 0.05 (stat)	0.34 ± 0.02 (stat)
JQ/High p_T	0.14 ± 0.03 (stat)	0.11 ± 0.01 (stat)
Total OST	1.47 ± 0.10 (stat)	1.44 ± 0.04 (stat)
SSKT	3.5 ± 0.5 (syst)	4.0 ± 0.6 (syst)

Main “boost” is from SSKT

- ⊗ Exploits the charge correlation between the ***b* flavour** and the leading product of ***b* hadronization**
- ⊗ Close to trigger B: large **acceptance!**
- ⊗ **SS Kaon Tagging** *exploits PID over wide momentum range* → use a combined TOF+dE/dx **likelihood ratio**
- ⊗ Dilution depends on the fragmentation process → cannot calibrate using B_d and B^+ → Need to estimate **D from MC**
- ⊗ Extended MC-data comparison on quantities related to fragmentation
- ⊗ Then test predictions on data for other species (B^+ and B_d) and add systematics on agreement accordingly for usage with B_s

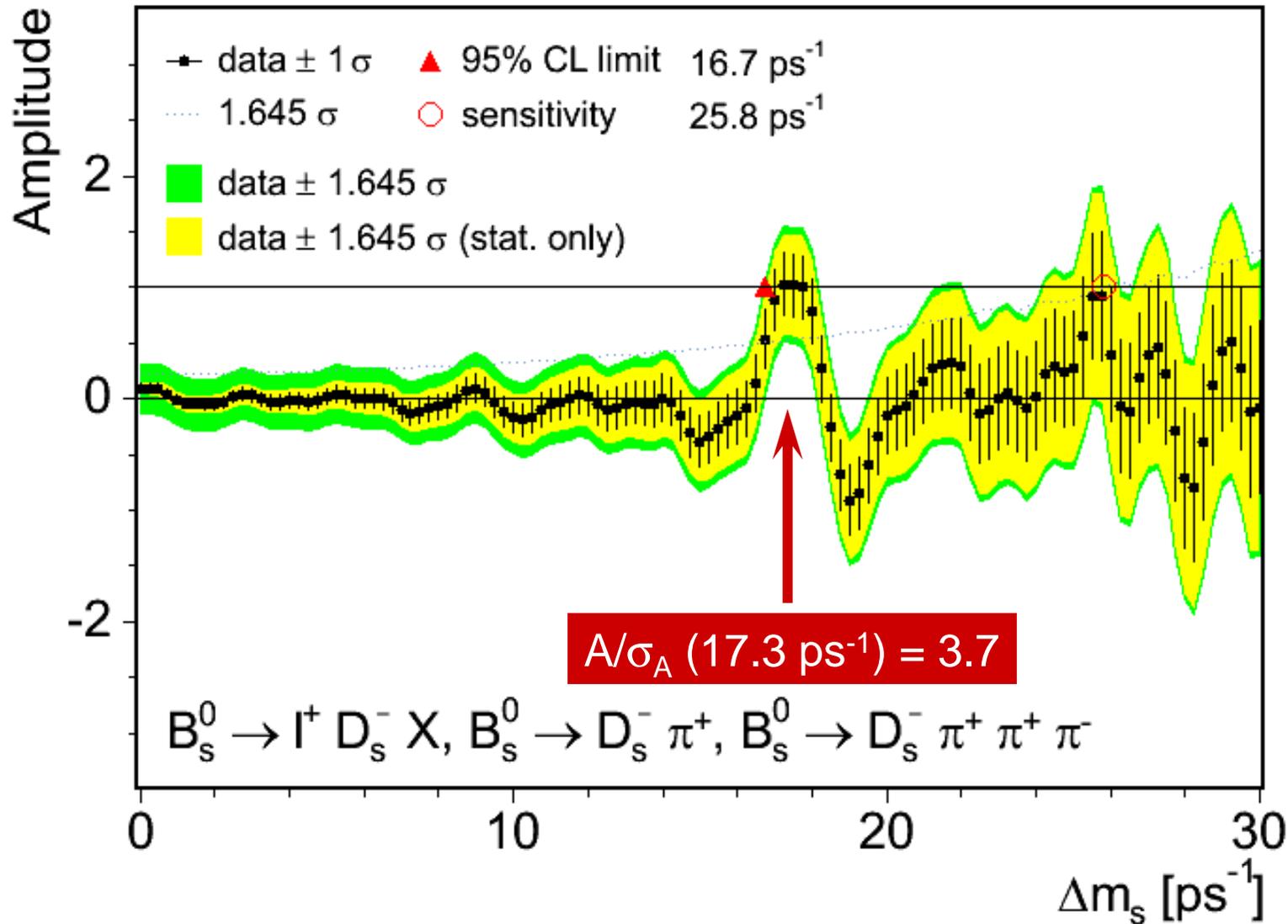


RESULTS

Amplitude Scan (hadronic+semileptonic)

CDF Run II

$L = 1.0 \text{ fb}^{-1}$



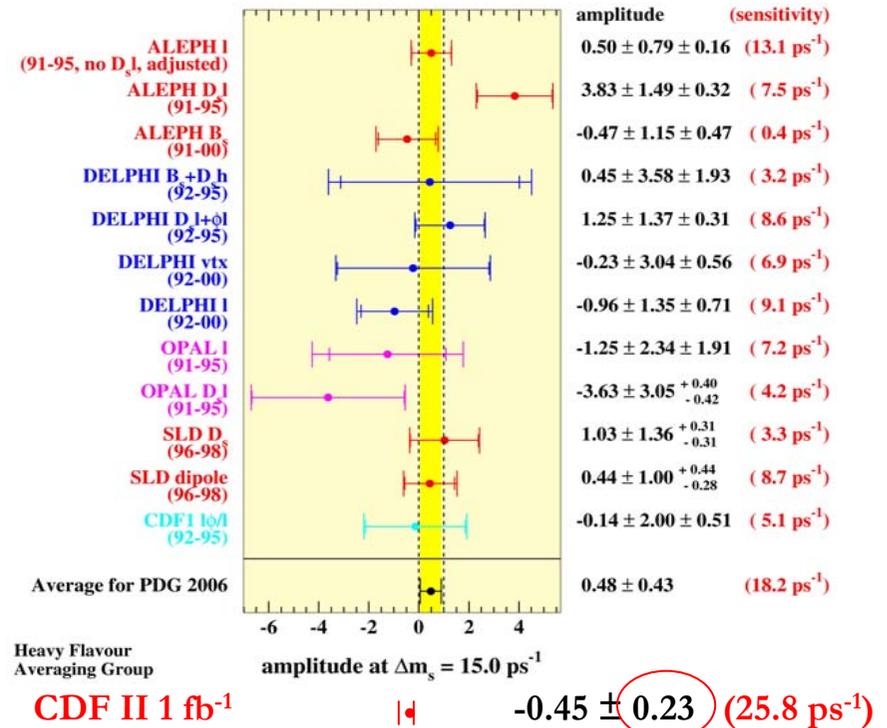
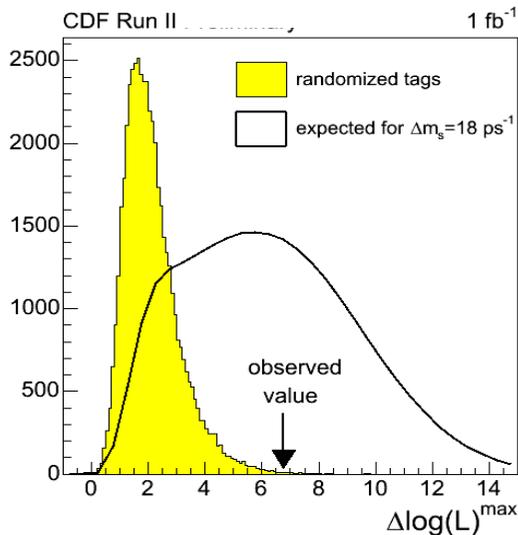
Sensitivity

⊙ CDF sensitivity compared to WA

⊙ Use the Likelihood Ratio:

$$-\Delta\log(L) = -\log[L(A=1) / L(A=0)]$$

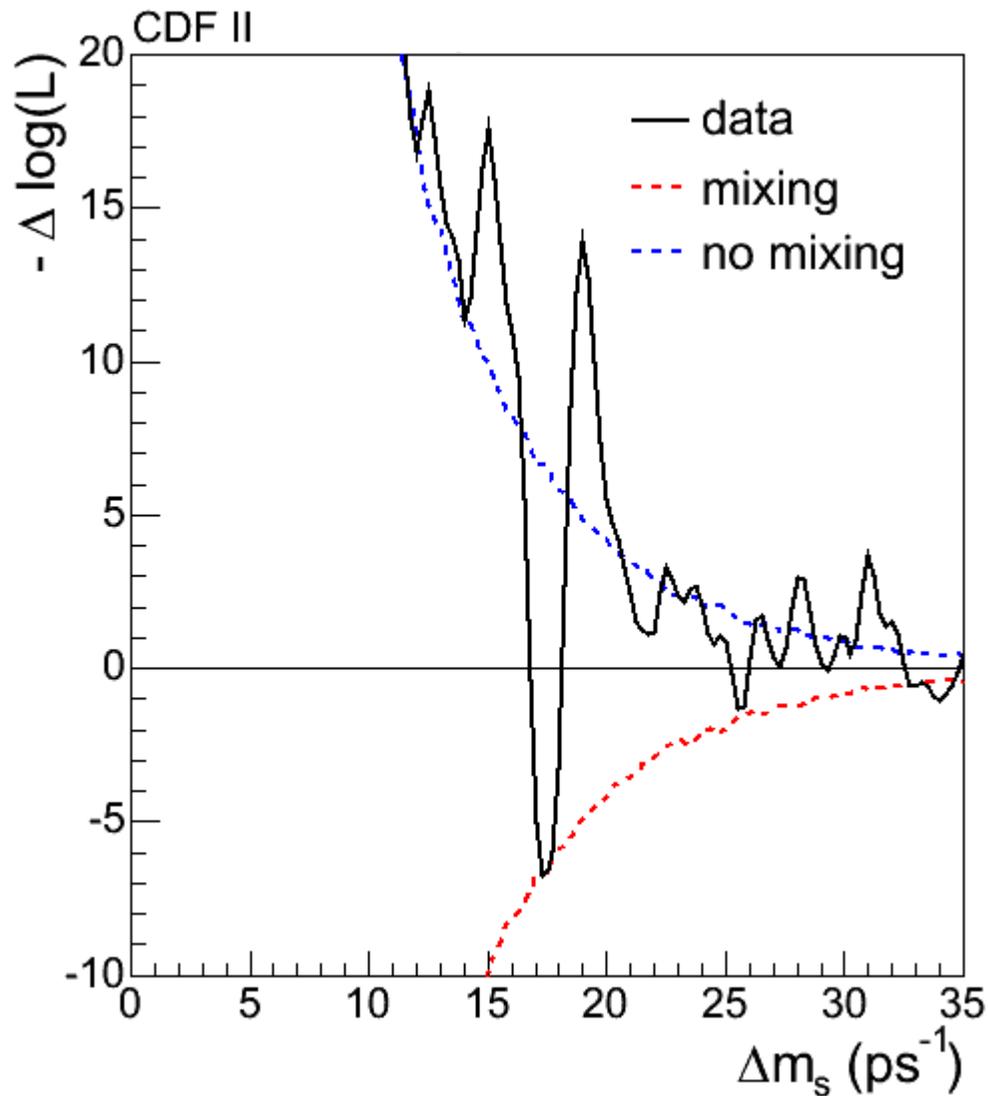
to evaluate the probability \mathbf{p} of null experiment (bkg fluctuations)



This sensitivity reached with:

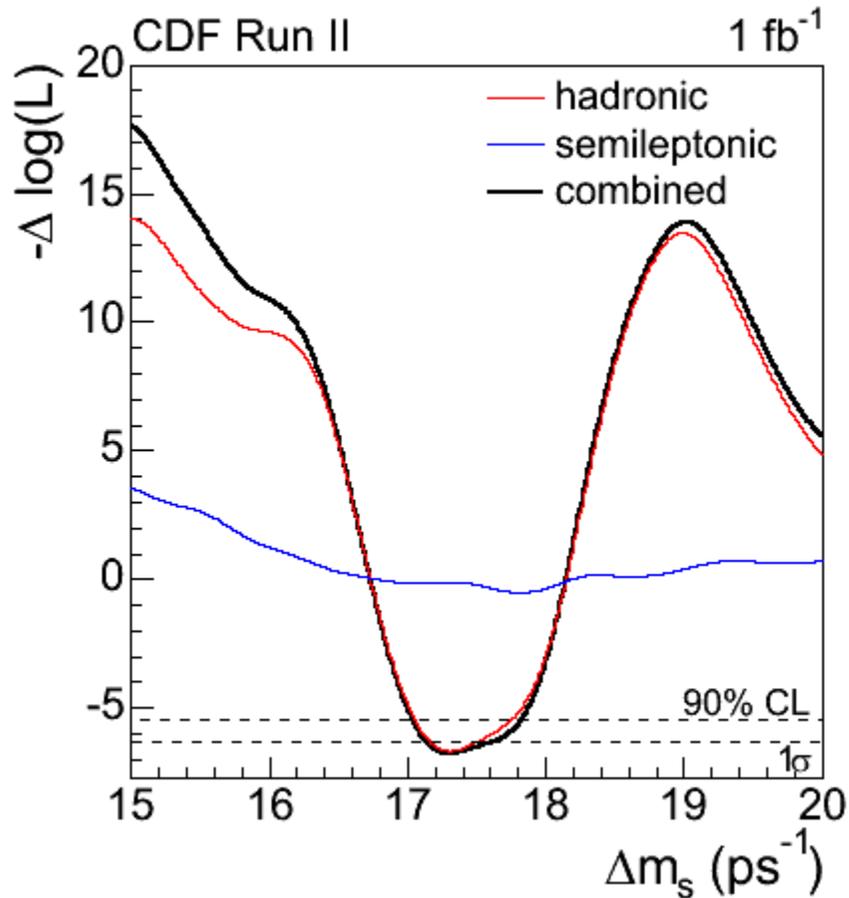
- 1 fb⁻¹
- Addition of SSKT
- Improved σ_{ct} fitting model

Significance of the peak



- Ⓢ From data
 $-\Delta \log(L)_{\text{MIN}} = -6.75$
- Ⓢ Randomize tags $\sim 50\text{k}$ times on data and calculate....
- Ⓢ **P-value = 0.2%**
- Ⓢ **Significance $> 3\sigma$**
→ assume that peak IS real mixing signal

Finally.... ΔM_s



- Contribution of hadronic modes essential due to better ct resolution at high ΔM_s

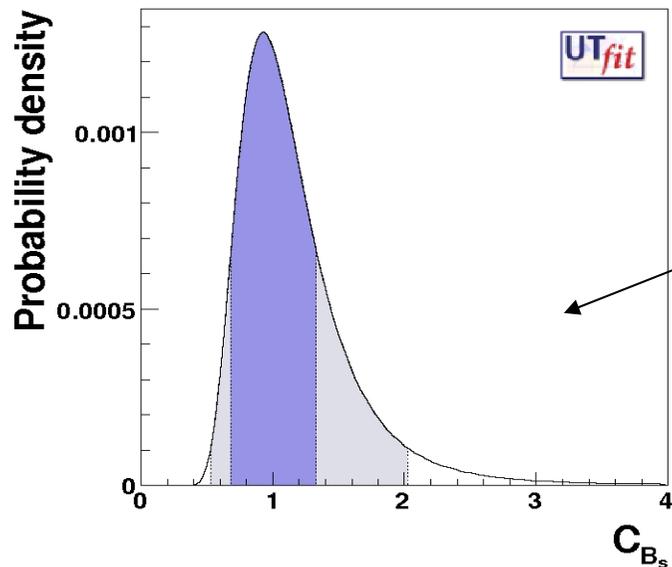
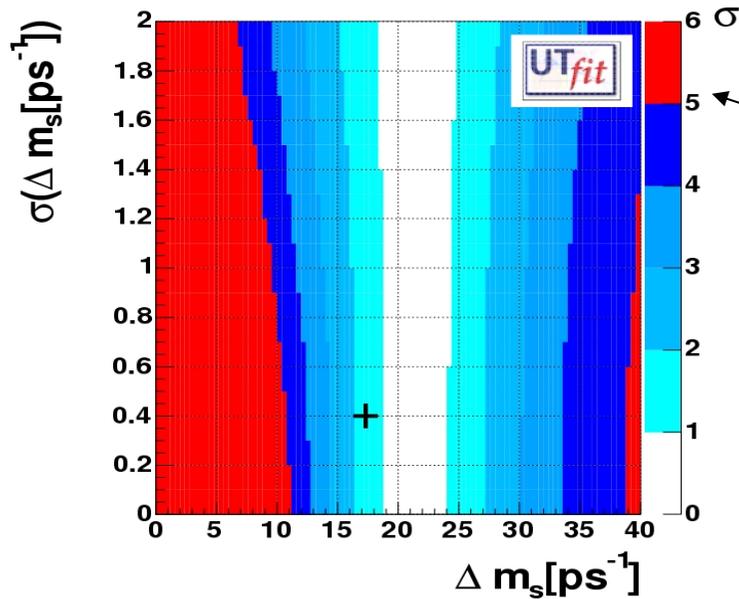
$$\sigma(\Delta M_s) / \Delta M_s \sim 0.02$$

Δm_s in $[17.01, 17.84] \text{ ps}^{-1}$ at 90% CL
 Δm_s in $[16.96, 17.91] \text{ ps}^{-1}$ at 95% CL

- Systematics low and under control: dominated by uncertainty on the absolute scale of the decay-time measurement

$$\Delta M_s = 17.31^{+0.33}_{-0.18}(\text{stat}) \pm 0.07(\text{syst}) \text{ ps}^{-1}$$

From ΔM_s : information on UT



- Compatible with SM within 1σ

- From measurement and chosen inputs

$$(m(B_0)/m(B_s) = 0.9830, \Delta M_d = 0.505 \pm 0.005 \text{ ps}^{-1}$$

from PDG06 and

$$\xi = 1.210^{+0.047}_{-0.035}, \text{ hep-lat 0510113})$$

we infer the value:

$$|V_{td}|/|V_{ts}| = 0.208^{+0.001}_{-0.002} \text{ (exp)} \quad ^{+0.008}_{-0.006} \text{ (th)}$$

- Constraint on C_{B_s} :

$$C_{B_s} = \Delta M_s^{\text{SM+NP}} / \Delta M_s^{\text{SM}} = 1.01 \pm 0.33$$

$[0.33, 2.04]$ @ 95% CL (UTFit, utfit.roma1.infn.it)

Conclusions...

- CDF finds signature consistent with B_s oscillations
- Probability of fluctuation from random tags is 0.2%
- Constraints to UT:

$$\bar{\varrho} = 0.193 \pm 0.029 \text{ (was } 0.240 \pm 0.037 \text{)}$$

$$\bar{\eta} = 0.355 \pm 0.019 \text{ (was } 0.333 \pm 0.022 \text{) (UTFit)}$$

...and perspectives

- Inclusion of partially reconstructed decays
- Refinement of fully reconstructed mode selections to gain events
- New OS Kaon Tagger in place: $\epsilon D^2 = 0.23 \pm 0.02 \%$

$$\Delta M_s = 17.31^{+0.33}_{-0.18}(\textit{stat}) \pm 0.07(\textit{syst}) \text{ ps}^{-1}$$