

EW Penguins and New Physics

Gabriele Simi

University of Maryland

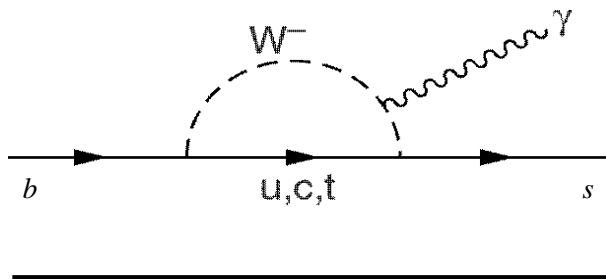
BEACH 2006



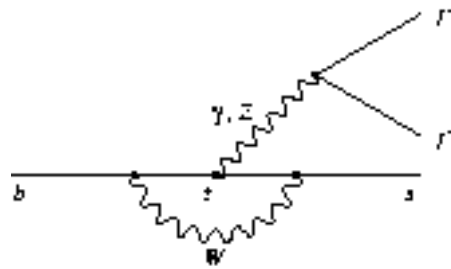
Outline

- Brief Theory introduction
- $B \rightarrow K\ell, K^*\ell$, wilson coefficients c_7, c_9, c_{10}
 - Rate,
 - Forward-backward asymm.,
 - K^* polarization
- Inclusive $b \rightarrow s\gamma$:
 - BF
- Photon polarization measurement
 - $B \rightarrow K^*\gamma$
 - $B \rightarrow K_s \eta/\eta'$ gamma [to do]
 - [$B \rightarrow K_s \Phi \gamma$? Not ready]
- $b \rightarrow d\gamma$ observation by belle
 - [V_{td}/V_{ts}]

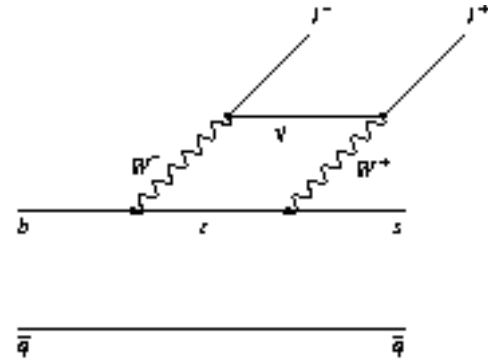
Introduction



Radiative penguin



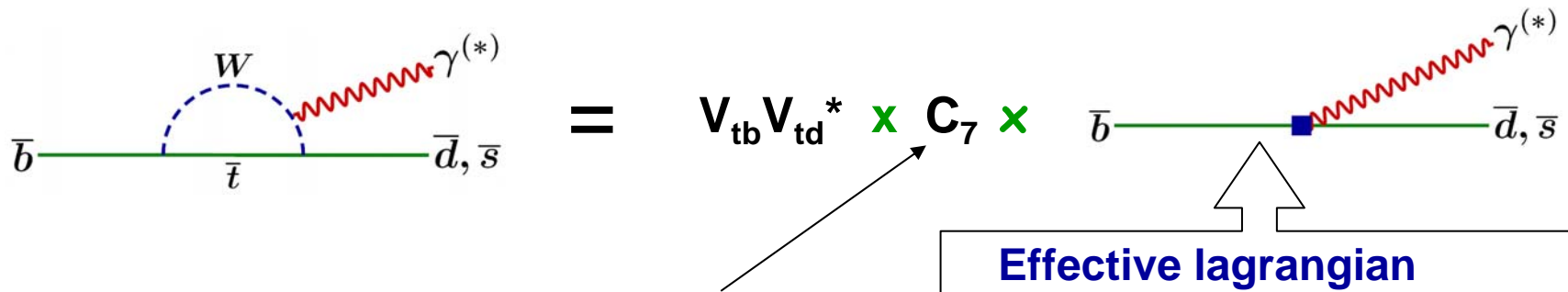
'Z/photon penguin C7/C9'



'W-box' C10

- Why are EW penguins a sensitive probe for new physics?
 - Are FCNC dominated in the SM by top loop diagrams
 - The contribution from new particles that can appear in the loop is not suppressed with respect to SM
 - Can actually calculate several observables in SM:
 - BF , A_{CP} , A_{FB} , polarizations
 - In SM radiative decays the photon is polarized because of the left handed nature of the interaction

Where does new physics appear?



Short distance physics is encoded in wilson coefficients

Calculation using perturbation theory

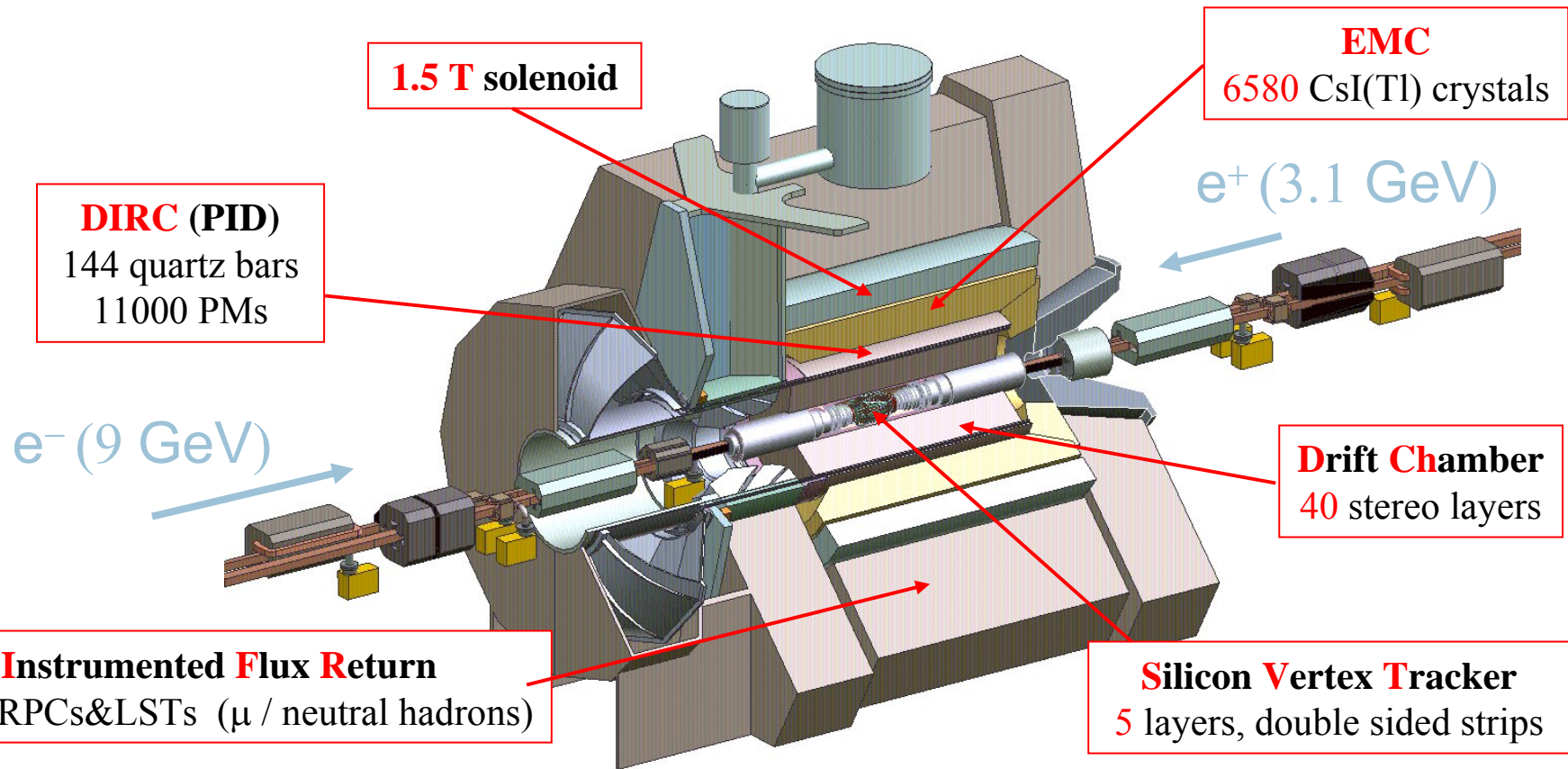
Effective lagrangian written in terms of local operators

HQE: expansion in powers of Λ/m_B

■ New physics

- Can affect the value of Wilson coefficients
- Can introduce new operators
 - For example can change the polarization of the radiated photon (right handed currents)

The BABAR Detector



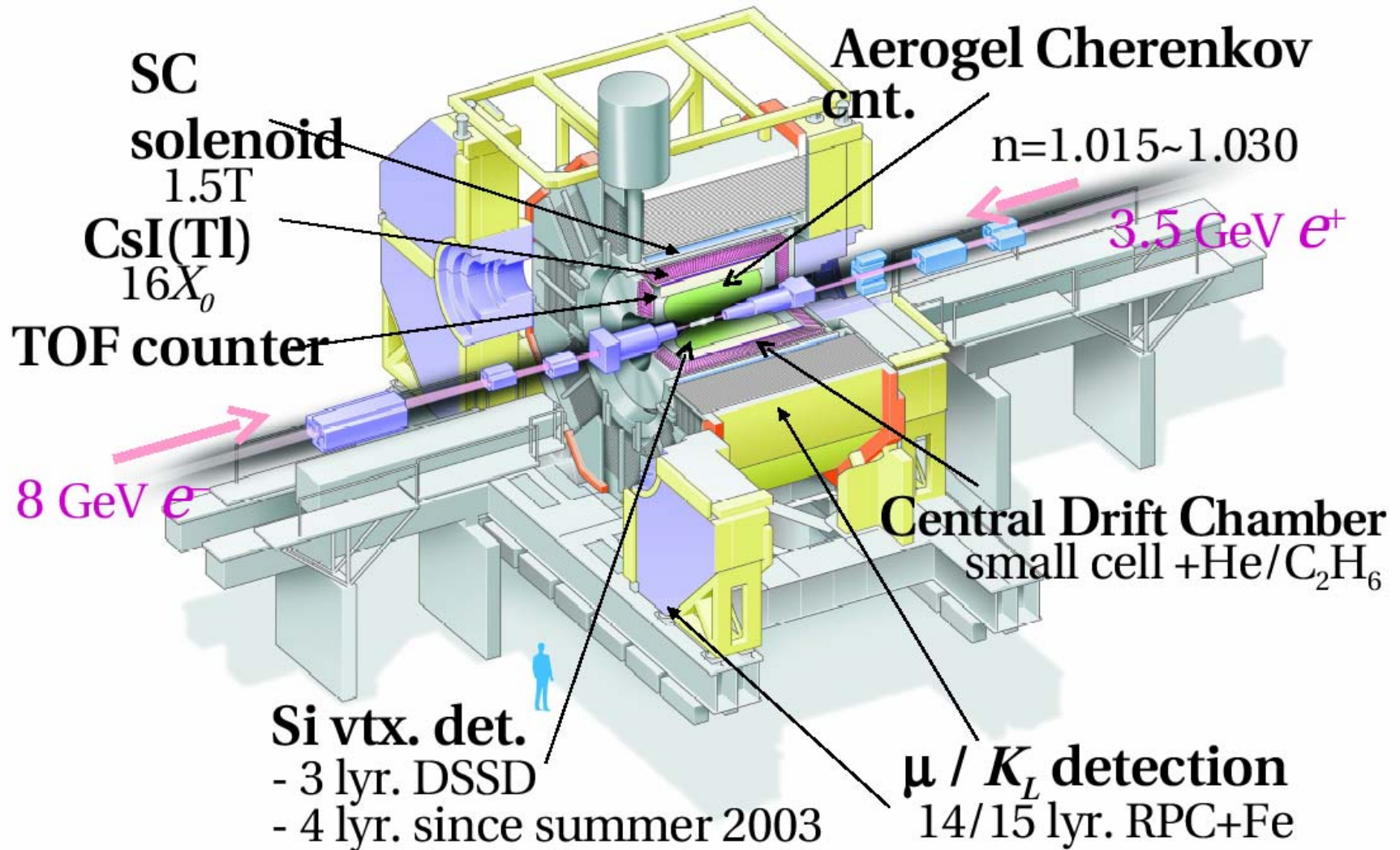
SVT: 97% efficiency, $15 \mu\text{m}$ z hit resolution (inner layers, perp. tracks)

SVT+DCH: $\sigma(p_T)/p_T = 0.13 \% \oplus p_T + 0.45 \%$, $\sigma(z_0) = 65 \mu\text{m} @ 1 \text{ GeV}/c$

DIRC: K- π separation $4.2 \sigma @ 3.0 \text{ GeV}/c \rightarrow 3.0 \sigma @ 4.0 \text{ GeV}/c$

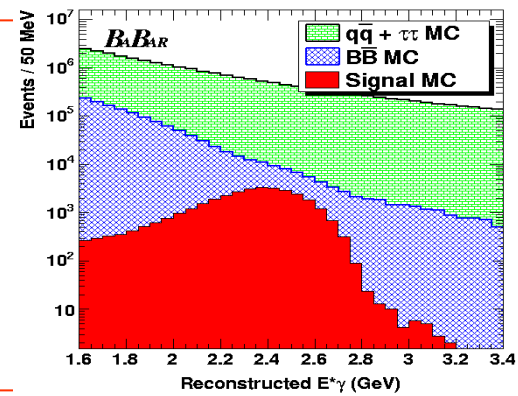
EMC: $\sigma_E/E = 2.3 \% \sqrt{E^{-1/4}} \oplus 1.9 \%$

Current Belle Detector



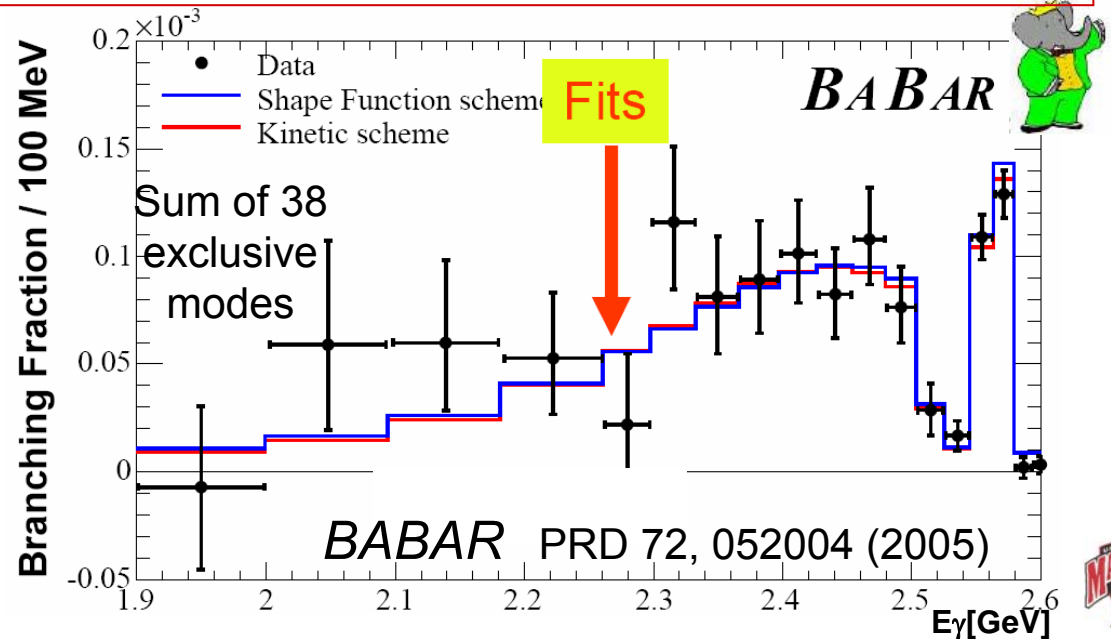
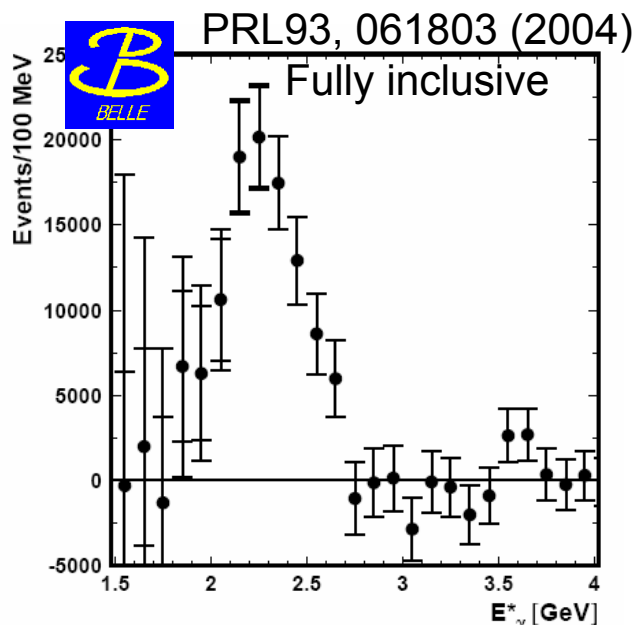
Inclusive $B \rightarrow X_s \gamma$

- Dominant contribution from radiative photon penguin
- Teoretically clean: inclusive BF computed in SM up to NLL
 - ->powerful constraint on the magnitude of C_7
- A lot of background: Experimentally challenging
- Two techniques: sum of exclusive modes ($K_n \pi \gamma$), fully inclusive



$B[B^- \rightarrow X_s \gamma] = (3.61 + 0.37 - 0.49) \times 10^{-4}$ (Hurth et. al., Nucl. Phys. B, 704, 56 (2005) (see also Neubert, Eur.Phys. J C40, 165 (2005); Buras et al., Nucl.Phys. B631, 219 (2002))

Exp Average = $(3.55 \pm 0.26) \cdot 10^{-3}$



Inclusive $B \rightarrow X_s \gamma$: constraints on NP

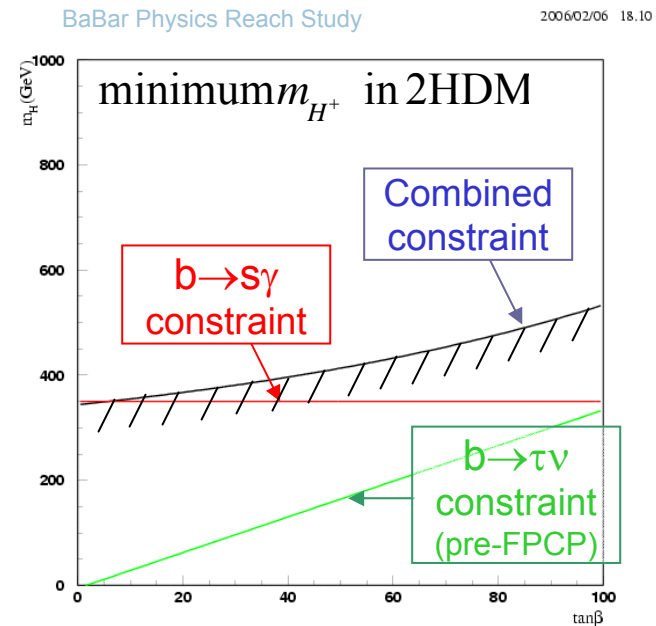
- Measured $\text{BF}[B \rightarrow X_s \gamma]$ agrees well with SM

$$\Gamma(b \rightarrow s \gamma) = \frac{G_F^2 \alpha_{em} m_b^5}{32 \pi^4} |V_{ts}^* V_{tb}|^2 (|C_7|^2 + \text{corrections})$$

- $\rightarrow |C_7|$ has no deviations from SM

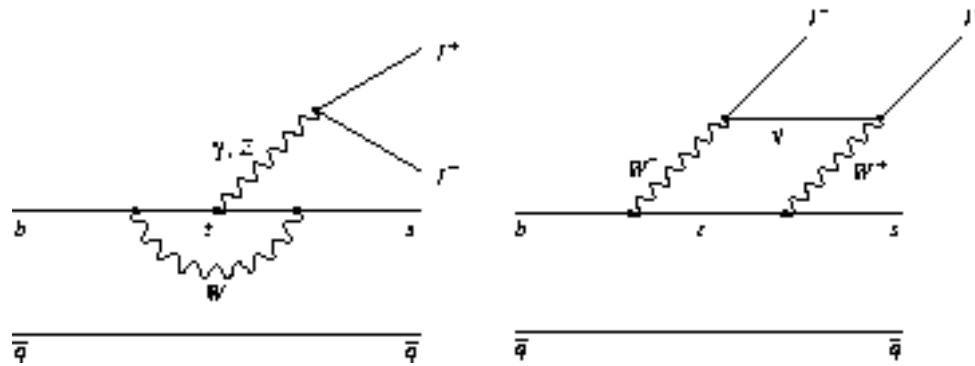
- As an example take the 2 Doublet Higgs Model

- \rightarrow Set a limit on the m_H - $\tan\beta$ plane



Constraints to H^+ mass in 2hdm.
 (following Hou, PRD 48 2342, 1993; and
 Gambino-Misiak hep-ph/0104034)

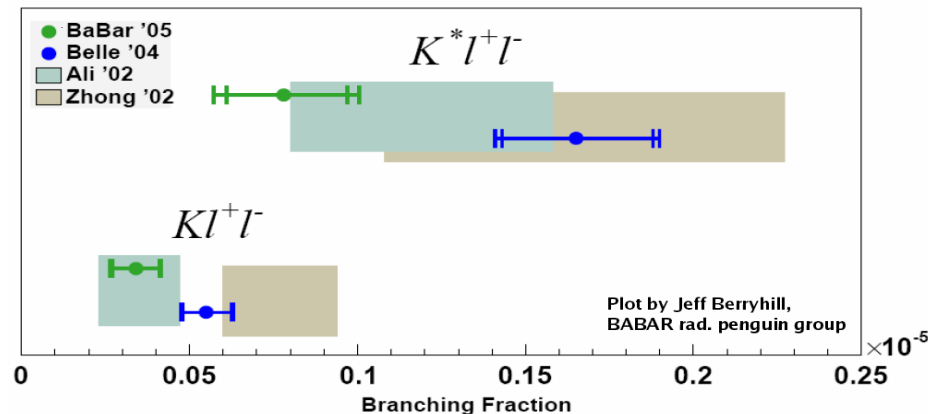
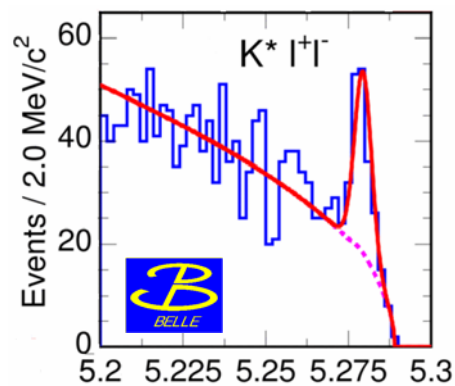
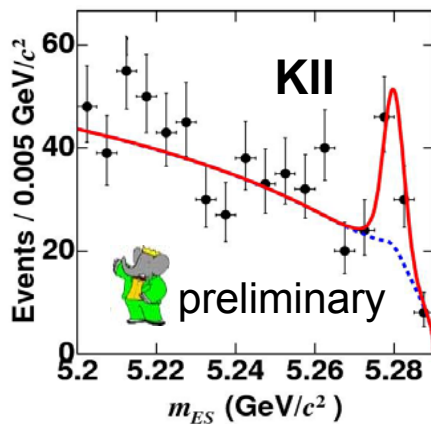
b->sl transitions



- Amplitude has contributions from all three penguin diagrams: C7(photon), C9(vector), C10(axial-vector)
- Exclusive decays are rare: $BF \sim 10^{-6}$
- Decay rates and three body kinematic distributions are the tool to measure all three complex penguin amplitudes

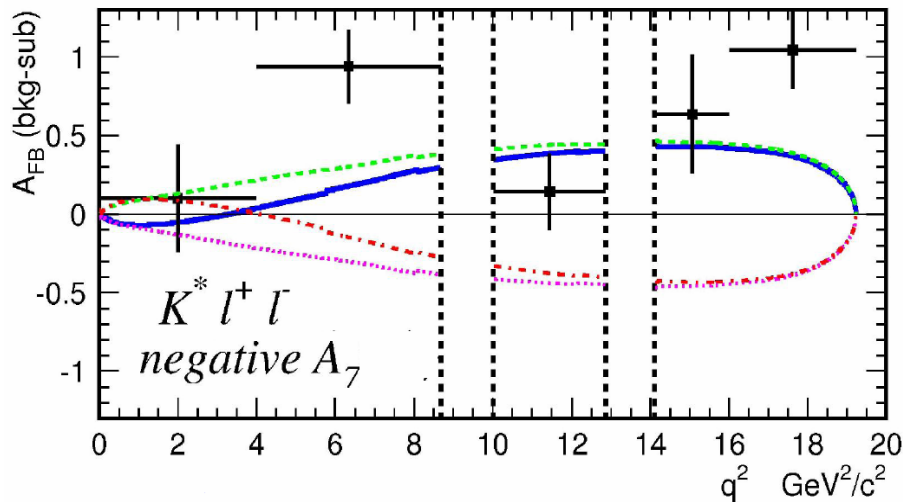
B- \rightarrow Kll and B- \rightarrow K*ll

- Reconstruct exclusive modes K+ll, Ksll, K*0ll, K*+ll, l=e or μ
- Require strict PID
- Veto peaking background
- Suppress combinatorial using multivariate discriminants
- Extract signal yield using ML fit to M_{ES} , ΔE , M_{K^*}



Also Acp consistent with zero at 25% level, e/ μ ratio consistent with unity

B->K*ll: Angular distribution (Belle)



Fix $A_7 = -0.330$

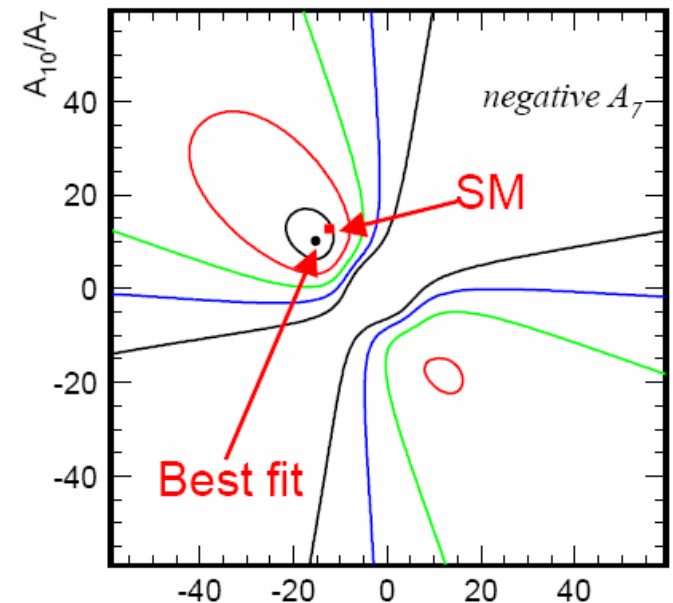
$A_7 A_{10}$ sign flipped

Both $A_7 A_{10}$ and $A_9 A_{10}$ sign flipped

$A_9 A_{10}$ sign flipped

Kll used for null test

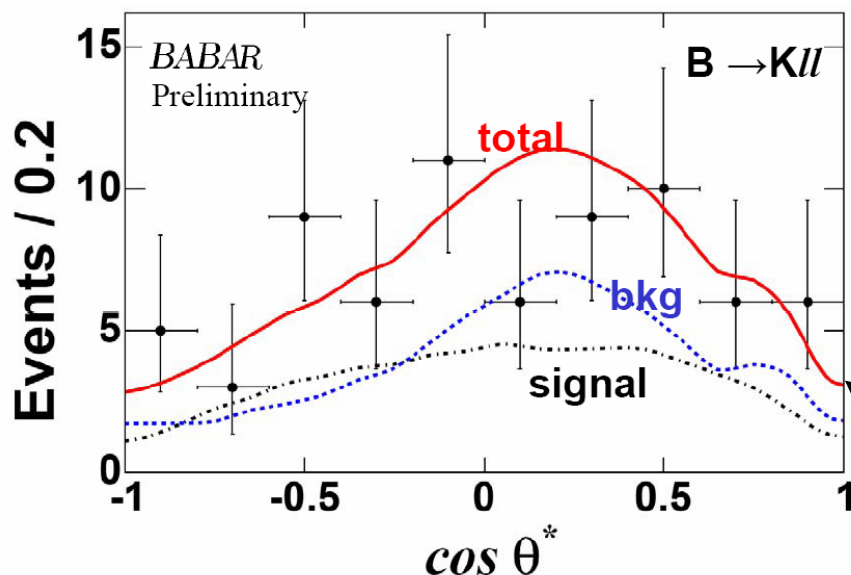
- $A_{FB}^{(B \rightarrow K^* ll)} = 0.50 \pm 0.15$ (> 0 3.4σ)
- $A_9/A_7 = -15.3^{+3.4}_{-3.8} \pm 1.1$
- $A_{10}/A_7 = 10.3^{+5.2}_{-3.5} \pm 1.8$
- $-1400 < A_9 A_{10}/A_7^2 < -26.4$
- Positive $A_9 A_{10}$ excluded @98% CL



B → Kll: Angular distribution (Babar)

$$\frac{1}{\Gamma} \frac{d\Gamma}{d \cos \theta^*} = \frac{3}{4} (1 - F_S) (1 - \cos^2 \theta^*) + \frac{1}{2} F_S + A_{FB} \cos \theta^*$$

- F_S, A_{FB} are allowed to be non zero even for Kll
- Scalar contribution from particles that replace γ/Z | the penguin can contribute to F_S, A_{FB}



$$F_S = 0.81^{+0.58}_{-0.61} \pm 0.56$$

$$A_{FB} = 0.15^{+0.21}_{-0.23} \pm 0.08$$

Consistent with SM (zero)

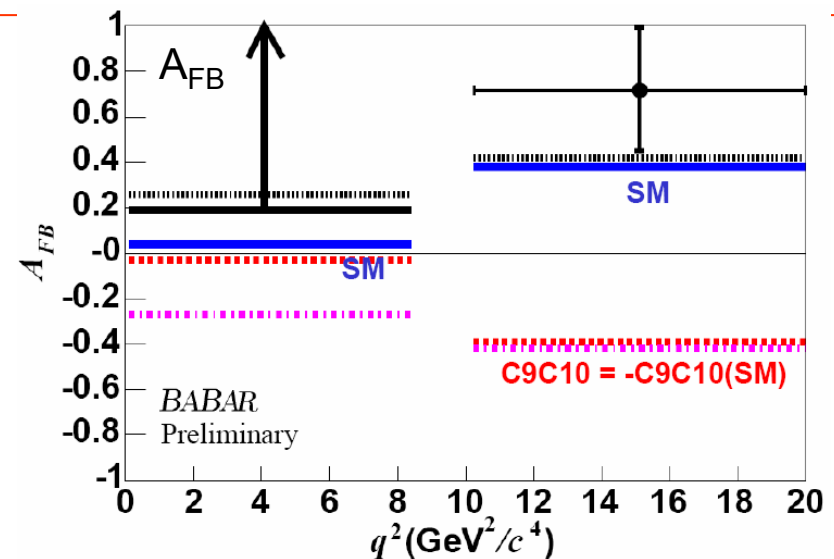
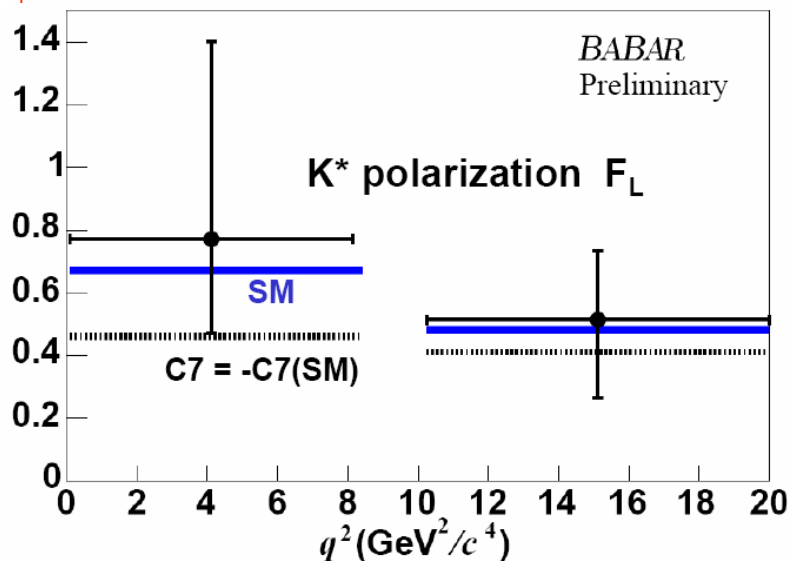
Efficiency corrected pdf projections obtained from signal simulations



B->K*II: Angular distribution (Babar)

$$\frac{1}{\Gamma} \frac{d\Gamma}{d \cos \theta_K} = \frac{3}{2} F_L \cos^2 \theta_K + \frac{3}{4} (1 - F_L) (1 - \cos^2 \theta_K)$$

- Measure also F_L , the longitudinal polarization of the K^*
- $F_L = 0.63^{+0.18}_{-0.19} \pm 0.05$ consistent with SM prediction
- Low q^2 lower limit excludes SM at 98% CL
- At high q^2 wrong sign $C_9 C_{10}$ is excluded $>3\sigma$



Inclusive $b \rightarrow sll$: BF

- [to be completed]
- One way to allow large NP contributions still consistent with the current constraints is to reverse the sign of C_7
- $BF(C_7 = -C_{7,SM}) = 3.3 \pm 0.3$ is excluded at 3σ

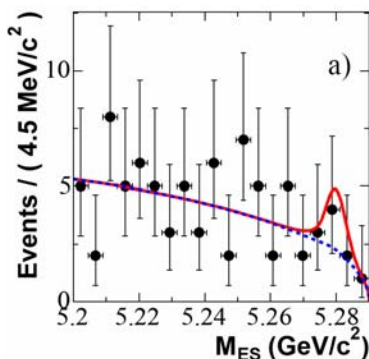
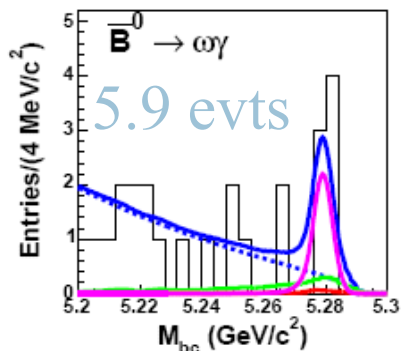
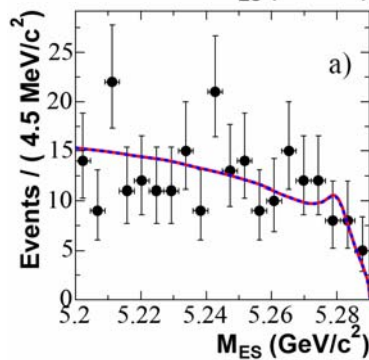
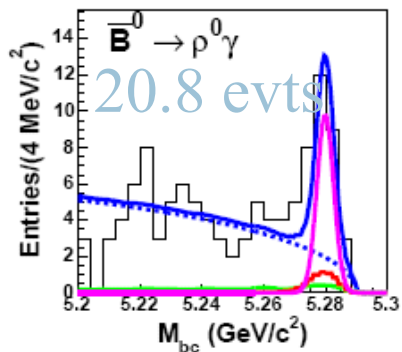
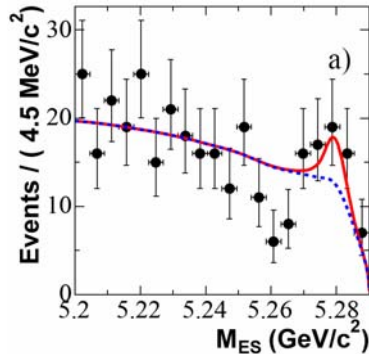
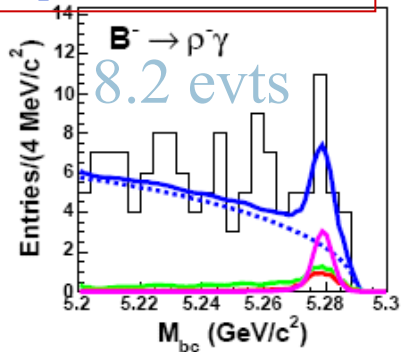
	BF $q^2 \in [1:6] \text{ GeV}^2$
BaBar 2004	1.8 ± 0.9
Belle 2005	1.5 ± 0.6
exp. avg	<u>1.6 ± 0.5</u>
SM	<u>1.6 ± 0.2</u>



b->dγ

Belle, 386 M BB
hep-ex/0506079

BABAR, 211M BB
PRL 94, 011801 (2005)



Mode	BABAR (10 ⁻⁶) (2.1σ signif.)	Belle (10 ⁻⁶) (5.5σ signif.)
$B^+ \rightarrow \rho^+ \gamma$	< 1.8	$0.55^{+0.43+0.12}_{-0.37-0.11}$
$B^0 \rightarrow \rho^0 \gamma$	< 0.4	$1.17^{+0.35+0.09}_{-0.31-0.08}$
$B^0 \rightarrow \omega \gamma$	< 1.0	$0.58^{+0.34+0.14}_{-0.31-0.10}$

In B0->ργ big isospin violation [update from BaBar is coming soon]

$$\frac{B(B \rightarrow (\rho, \omega)\gamma)}{B(B \rightarrow K^* \gamma)} = \left| \frac{V_{td}}{V_{ts}} \right|^2 \frac{(1 - m_{(\rho, \omega)}^2 / m_B^2)^3}{(1 - m_{K^*}^2 / m_B^2)^3} \zeta^2 (1 + \Delta R)$$

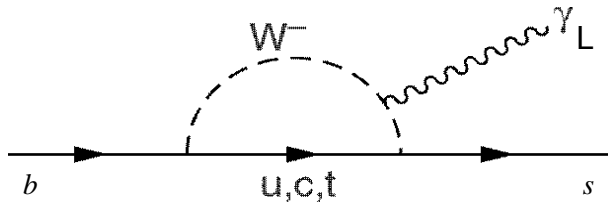
$$\left| \frac{V_{td}}{V_{ts}} \right| = 0.200^{+0.026+0.038}_{-0.025-0.029}$$

good agreement
w/CMS Δm_s



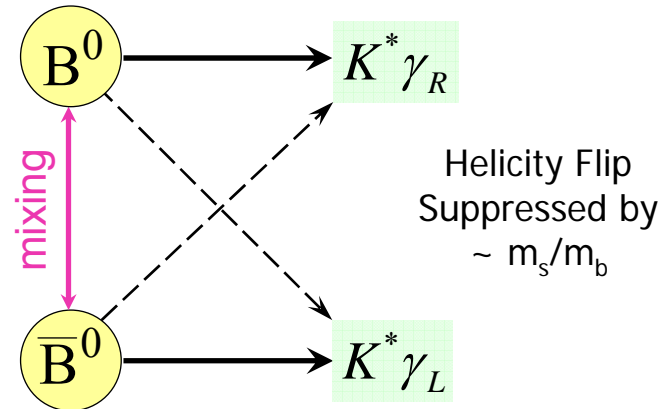
Photon polarization

(A. Atwood, M. Gronau & A. Soni (1997))



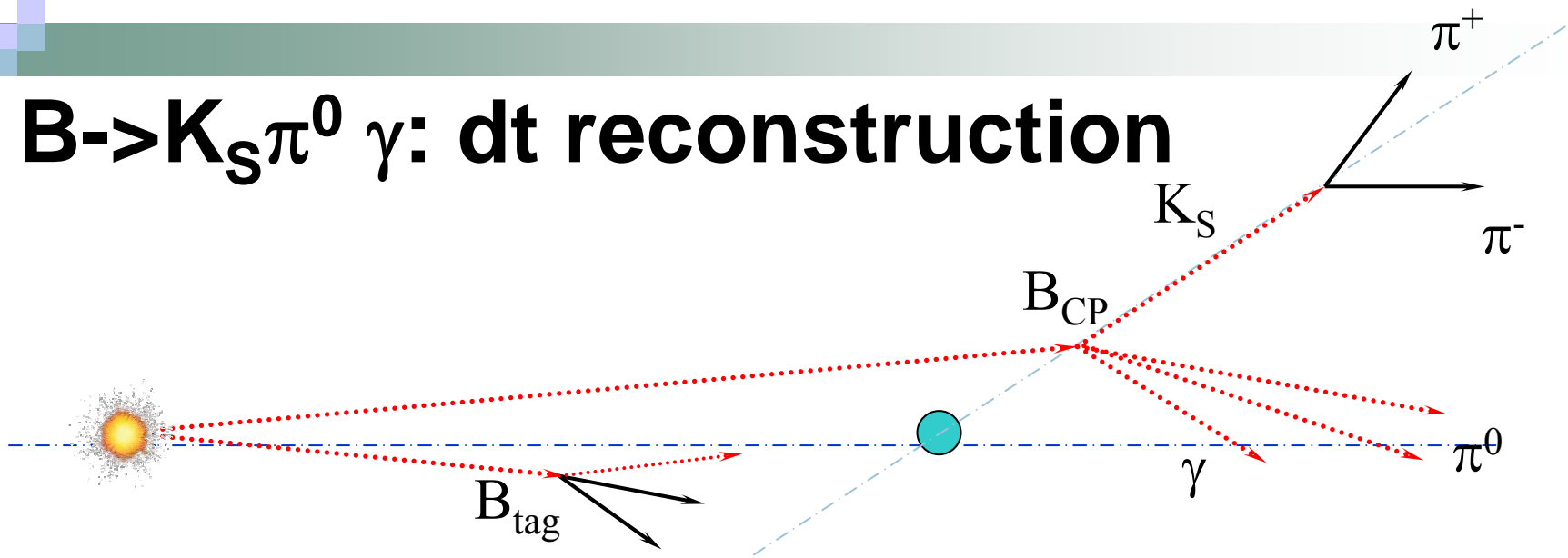
$\bar{b} \rightarrow \bar{s} \gamma_R$

$b \rightarrow s \gamma_L$

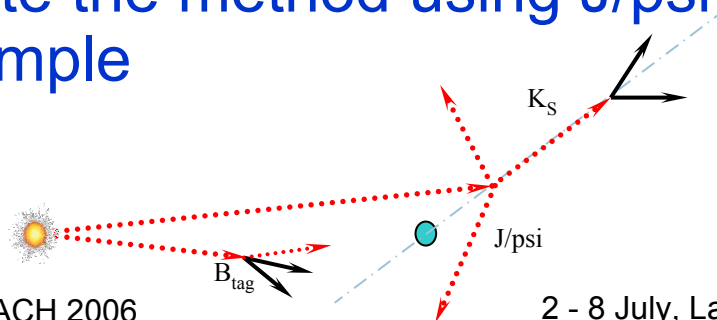
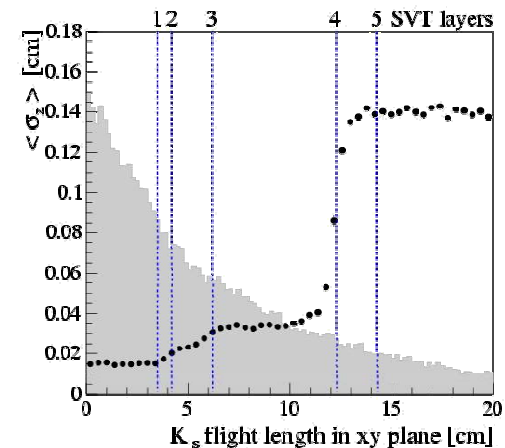


- γ is polarized in the SM \rightarrow final state is almost flavor specific
- The interference can happen only with helicity flip
- \Rightarrow Tool to probe polarization: time dependent CP measurement
- SM 'naive' prediction $S \sim -2M_s/M_b \sin(2\beta) \sim -0.04$
 - Can be up to ~ 0.1 (Grinstein, Grossman, Ligeti, Pirjol PRD 71, 011504(2005), Grinstein, Pirjol, hep-ph/0510104)
- Right handed current with $m = m_{\text{heavy}} \rightarrow m_{\text{heavy}}/m_b$ enhancement [find reference]
- LRSM: $SU_2_L \times SU_2_R \times U_1$
 - $S(K_S \pi^0 \gamma) \sim 0.5$
- Doesn't need additional CPV phases

B- \rightarrow K_S π^0 γ : dt reconstruction



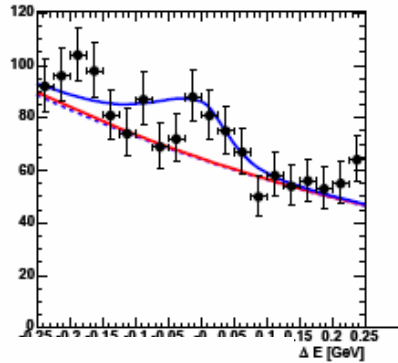
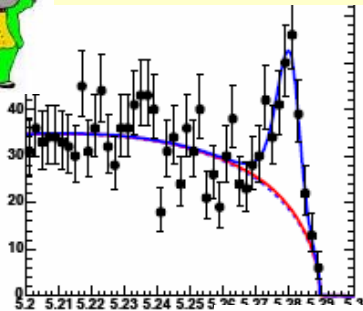
- Need to reconstruct decay vtx of the B but no tracks coming from the B decay point
- Exploit precise vertex detector and fit K_S track to the IP profile
- Validate the method using J/psi KS sample



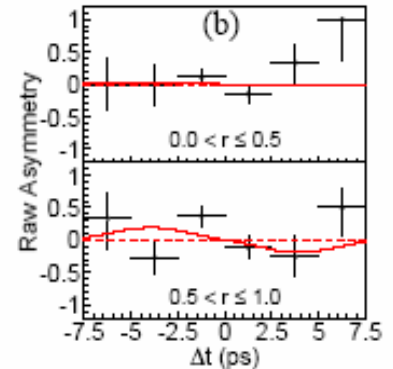
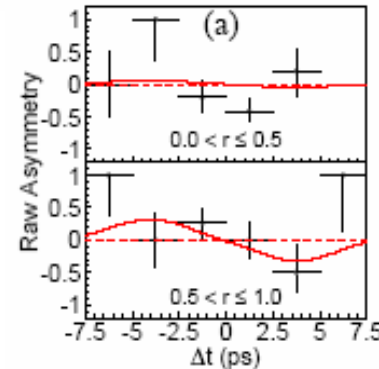
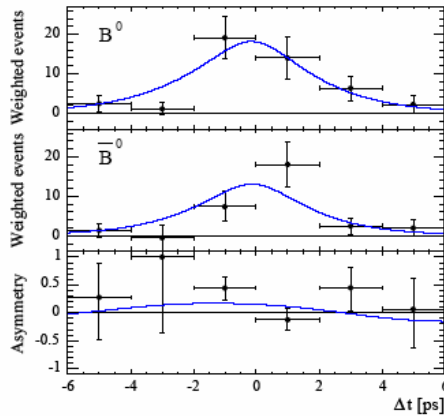
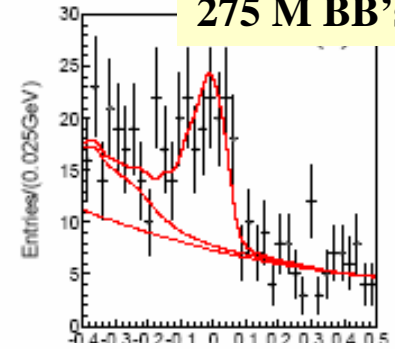
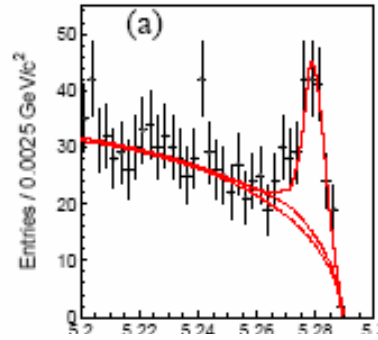
B → K_Sπ⁰γ: Belle and BaBar



232x10⁶ BB's



275 M BB's



$$S_{K^*\gamma} = -0.21 \pm 0.40 \pm 0.05$$

$$C_{K^*\gamma} = -0.40 \pm 0.23 \pm 0.04$$

$$S_{K_S\pi^0\gamma} = -0.21 \pm 0.40 \pm 0.05$$

$$C_{K\pi^0\gamma} = -0.40 \pm 0.23 \pm 0.03$$

HFAG Average:

$$S_{K^*\gamma} = -0.13 \pm 0.32$$

$$C_{K^*\gamma} = -0.31 \pm 0.19$$

$$S_{K^*\gamma} = 0.01 \pm 0.51 \pm 0.11$$

$$C_{K^*\gamma} = -0.11 \pm 0.33 \pm 0.09$$

$$\text{SM: } S_{K^*\gamma} \sim 0.1$$





Backup

Inclusive $B \rightarrow X_s \gamma$: A_{CP}

- In SM $A_{CP}(B \rightarrow X_s \gamma) \sim < 1\%$
 - Single phase dominant
 - GIM suppression
- BaBar: $A_{CP}^{BaBar}(b \rightarrow s \gamma) \sim (25 \pm 50 \pm 15) \times 10^{-3}$ (sum of excl. modes)
- Belle: $A_{CP}^{Belle}(b \rightarrow s \gamma) \sim (2 \pm 50 \pm 30) \times 10^{-3}$ (pseudo reconstruction)
- In SM $A_{CP}(B \rightarrow X_{s+d} \gamma) \sim 10^{-9}$
 - Unitarity of CKM matrix
- BaBar: $A_{CP}^{BaBar}(b \rightarrow (s + d) \gamma) = -0.110 \pm 0.115 \pm 0.017$
 - [? I need find a reference for this ?]



Rate measurements

