

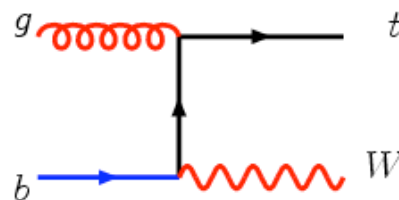


Université catholique
de Louvain
Académie universitaire 'Louvain'

UCL



tW : definition and measurement at the LHC



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Université de Louvain

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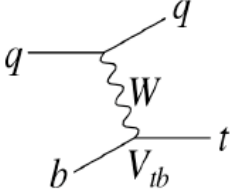
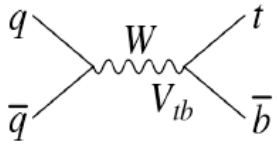
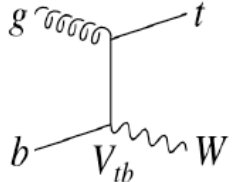
work in progress in collaboration with
J. Alwall, J. Campbell, S. Willenbrock

International Workshop on Top Quark Physics, Jan 12-15, 2006 Coimbra, Portugal

Outline

- W-associated production: the cinderella of the single-top processes
- Towards a consistent and practical definition
- Strategies for measurement of σ and extraction of V_{tb}
- Conclusions and Outlook

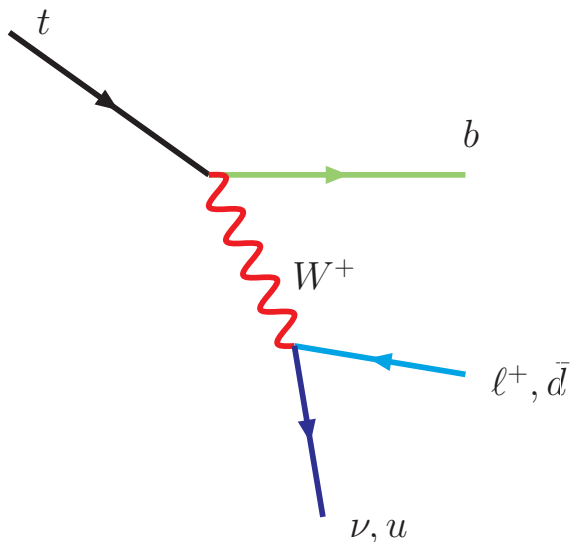
Single top

| Process | Diagram | Accuracy | CTEQ6M, $m_t=178$ GeV, th err < 10% | |
|-----------|---|---|-------------------------------------|-----|
| | | | σ (pb) | |
| | | | TeV II | LHC |
| t-channel |  | NLO [Stelzer, Sullivan, Willenbrock. 1997] | 1.85 | 239 |
| s-channel |  | (N)NLO [Smith, Willenbrock. 1996 Chetyrkin, Steinhauser. 2001] | 0.82 | 9.8 |
| tW |  | NLO [Campbell, Tramontano. 2005] | 0.129 | 64 |

All signals available in MCFM (Campbell, Ellis) and t- and s-channel now in MC@NLO (Frixione, Laenen, P. Motylinsky, Webber). Most of the backgrounds are also known at NLO. However, analysis still rely on LO calculations for the heavy-quark fractions in W+jets events (largest background) \Rightarrow room for improvement.

See A. Giammanco's talk on Saturday

Top decay: sm br's



Top can decay into a real W \Rightarrow

$$\Gamma \approx GF mt^3 |V_{tb}|^2 \gg \Lambda_{\text{QCD}} \Rightarrow$$

Very short life. Top is the only quark that does not feel non perturbative QCD effects!
No top-hadrons, no top-spectroscopy but a "clean" quark.

In an experiment one is sensitive not to the total width but to the branching ratio:

$$R = \frac{\Gamma(t \rightarrow Wb)}{\Gamma(t \rightarrow Wq)} = \frac{|V_{tb}|^2}{|V_{td}|^2 + |V_{ts}|^2 + |V_{tb}|^2}$$

CDF has performed such a measurement:
R=0.94 does only tell us that $V_{tb} \gg V_{td}, V_{ts}$

A closer look to tW

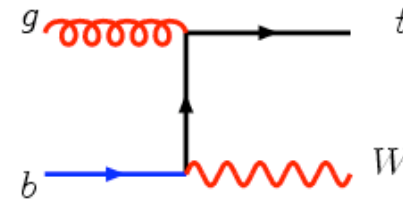
The Cinderella of the three channels. Not studied as much as s- and t-channel.

It's the only single top process where we directly see the W.

Tiny at the Tevatron, sizeable at the LHC.

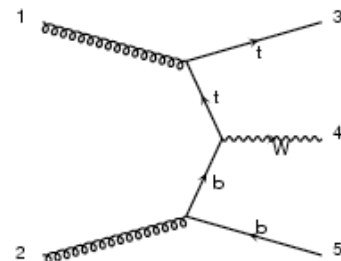
With $t\bar{t}$, it is an important background for $gg \rightarrow H \rightarrow WW$
(See talk by M. Zanetti on Saturday)

Background to $gb \rightarrow tH^+$
(See talk by J. Alwall later)



Problem:

Two ways of thinking about it: 4f scheme ($gg \rightarrow tWb$) or the 5f scheme ($gb \rightarrow tW$). In this second case large logs are resummed into the PDF. Both schemes have to deal with the problem that tW mixes with $t\bar{t}$. A consistent and MC friendly solution necessary to avoid double counting and define tW .



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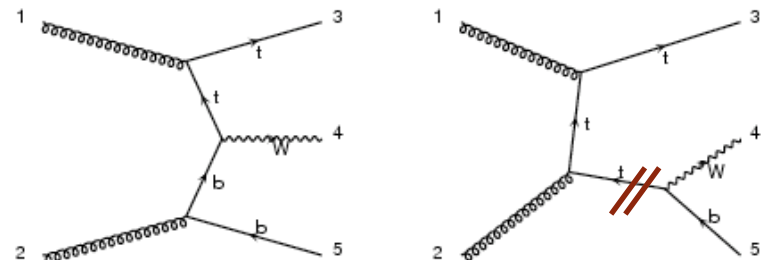
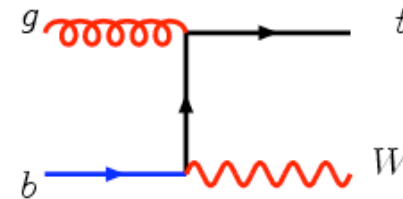
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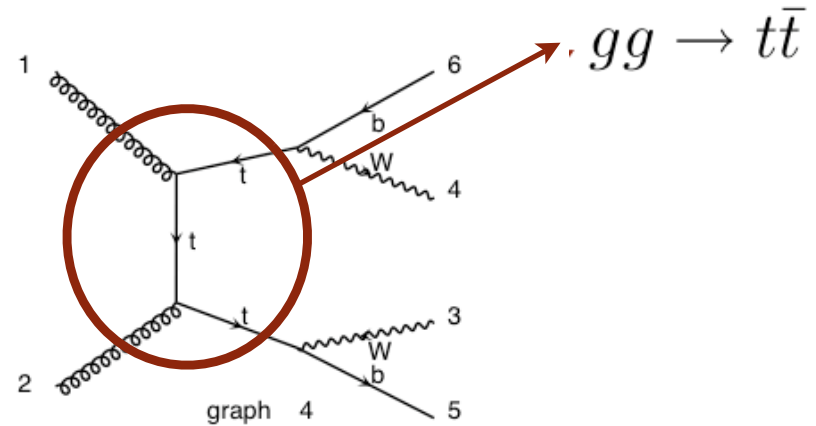
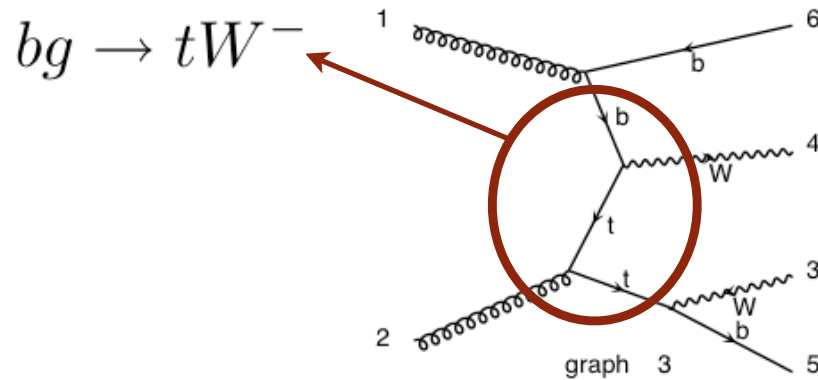
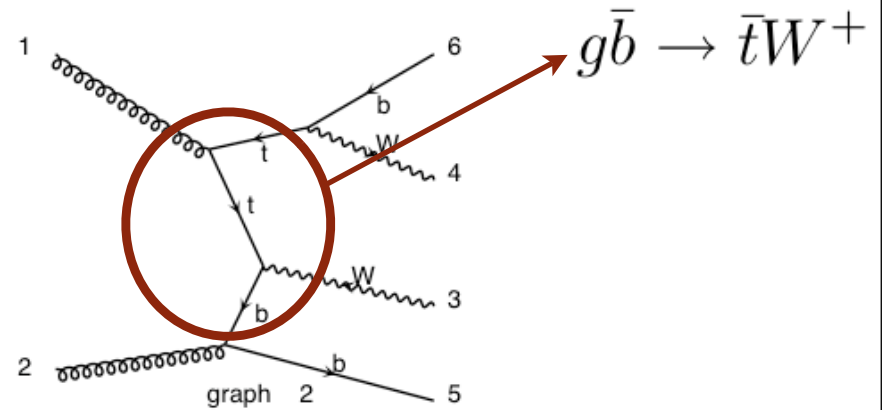
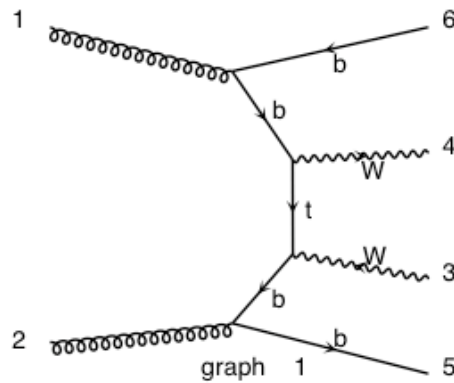
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tW and tt as backgrounds

$$pp \rightarrow W^+W^-b\bar{b}$$



tW and tt as backgrounds

[Kauer and Zeppenfeld, 2002]

USE: $pp \rightarrow W^+ W^- b\bar{b}$

- The complete set is gauge invariant (e.g. overall width scheme)
- Double-resonant, single-resonant, non-resonant diagrams are present.
- Interference is correctly included
- tW and tt are “not physical” but just QM amplitudes that interfere (ok only for bkg definition but not for tW as a process on its own).

BUT

- ☹ Intrinsic LO. Difficult to improve. NLO corrections are not known.
- ☹ Large logs of M/mb develop when b's are not required at high pt, which spoil the perturbative picture.

tW signal: available approaches

Aim:

Avoid double counting

1. in a gauge invariant way

2. in a event generator friendly way

Available proposals are not completely satisfactory:

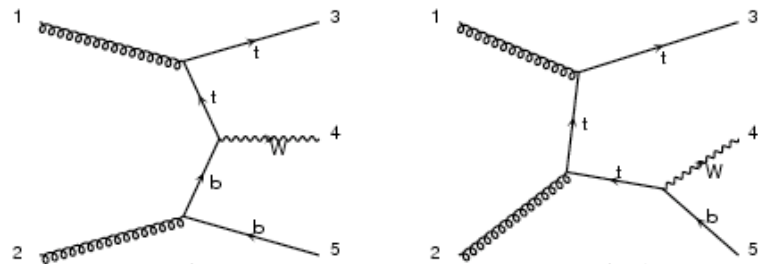
Tait (2000) : zero width limit, analytic approach, gauge invariant:

$$\sigma(gg \rightarrow tWb)_{\text{single top}} = \sigma(gg \rightarrow tWb)_{\text{total}} - \sigma(gg \rightarrow t\bar{t}) * Br(t \rightarrow Wb) - \text{interf}[t\bar{t} \otimes tWb],$$

Consistent approach but not useful for event generators (cross section is not positive definite).

Interference term does not allow a clear separation between tt and tW, unless can be shown to be negligible

tW signal: available approaches



Belyaev and Boos (2001)

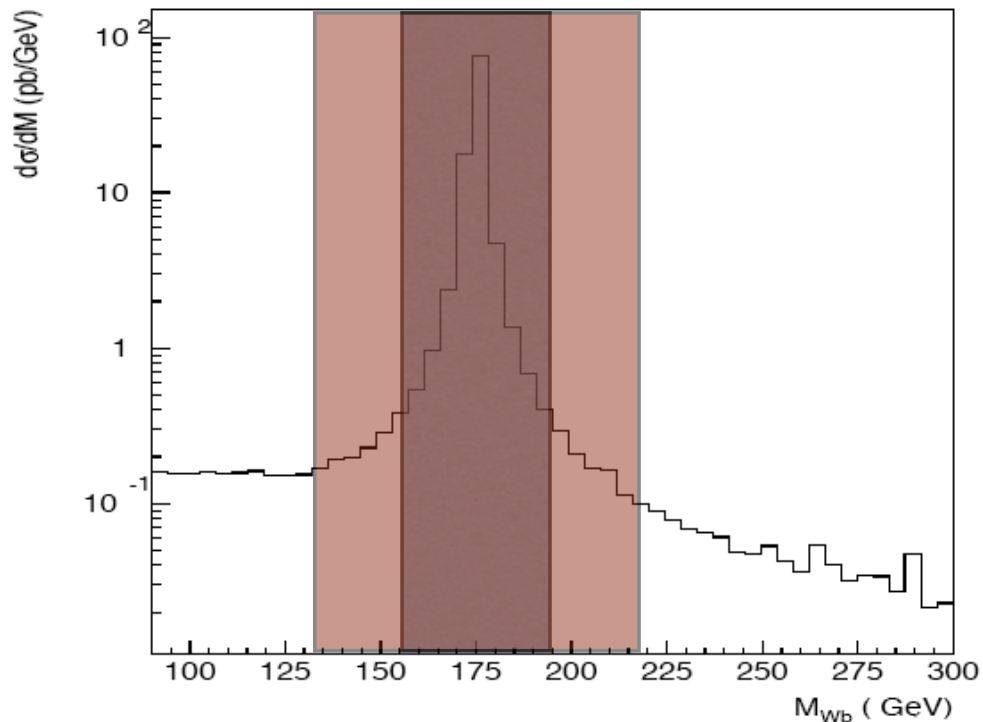
suggested to use a mass window of about $12 \Gamma_{\text{top}}$ so to reproduce the Tait's zero-width result and have a generator friendly definition.

The problem is that the size of the window, at fixed width, depends on the interference term leading to a gauge dependence.

The interference term is roughly -50% of the tW cross section, even though it is a Γ_t/m_t effect.

Invariant mass is not a good discriminating variable!

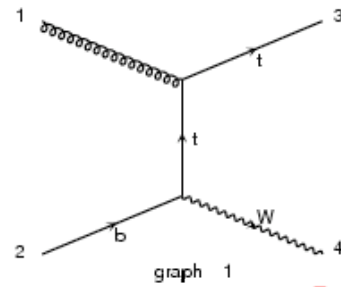
Solution: use the pt of the b's!



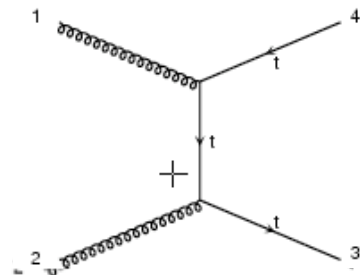
A simple solution

- Use $t\bar{t}$ at NLO and $g b \rightarrow t W$ at NLO, but consistently leave out the $\alpha_S^2 \alpha_W$ terms

IN



$$\alpha_S^2 \alpha_W \log \frac{M}{m_b}$$

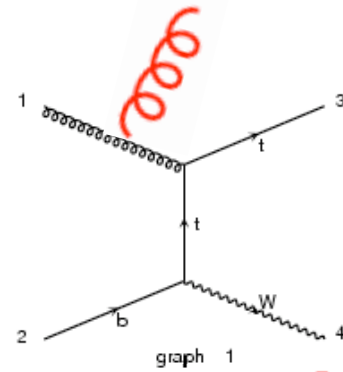


$$\alpha_S^2$$

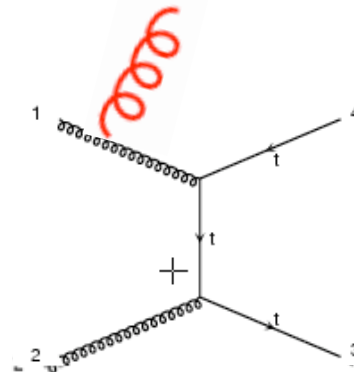
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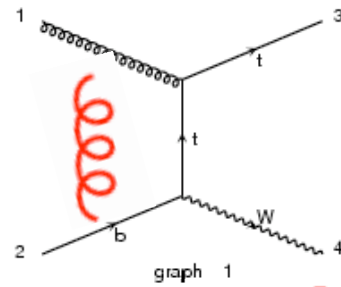
$$\alpha_S^2$$

$+\alpha_S$ corrections

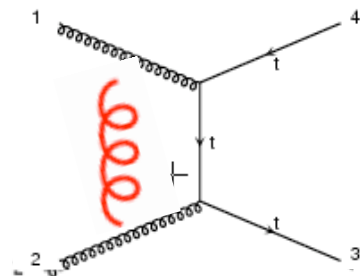
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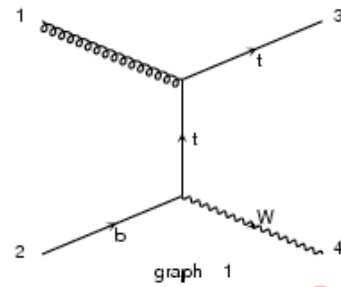
$$\alpha_S^2$$

+ α_S corrections

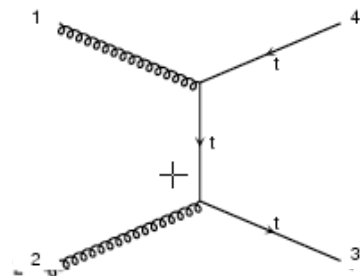
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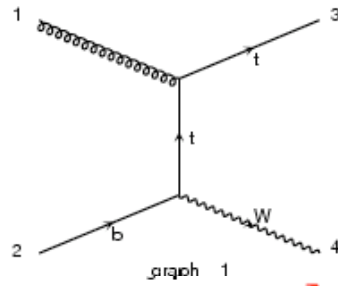
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$+\alpha_S$ corrections

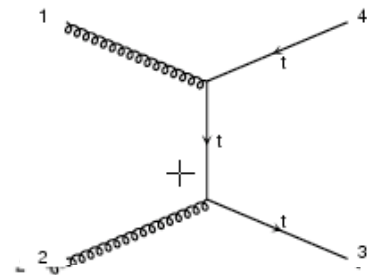
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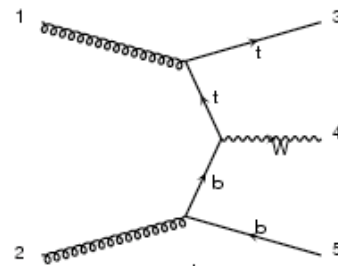
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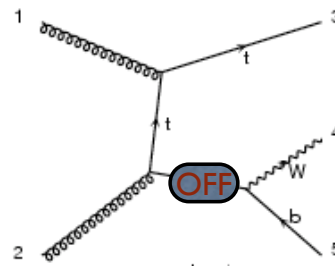
$$\alpha_S^2$$

$+\alpha_S$ corrections

OUT



$$\alpha_S^2 \alpha_W$$



A simple solution

- Use $t\bar{t}$ at NLO and $gb \rightarrow tW$ at NLO, but consistently leave out the $\alpha_s^2 \alpha_W$ terms.
- This calculation with $\mu_F \cong p_T$ veto is the NLO prediction for the experimental signature of tW where **one and only one** b-jet is allowed.

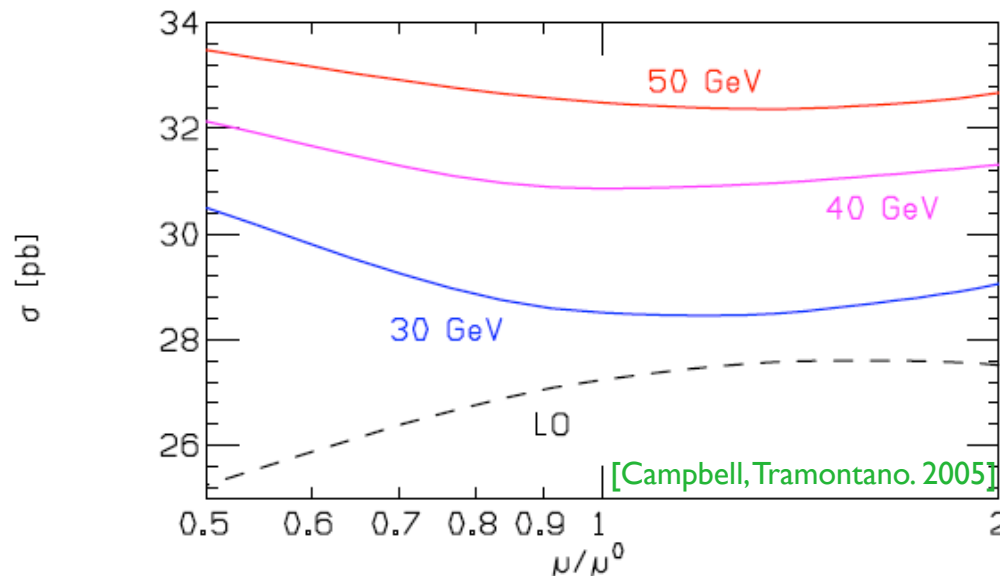
Advantages

1. Trivial implementation in the NLO calculation
2. Direct physical interpretation (the same as the jet veto)
3. No interference problem
4. No gauge-invariance problem
5. Available

Works equally well for tW as a signal or as a background!

NLO Results

- With a b-jet veto and the right scale choice what is left out is a very small correction
- Check: tW-tt interference is negligible when a b-jet veto is included.
- NLO calculation is stable and predictive



$$p_T(b) < p_{T\text{veto}}$$

The strategy in a nutshell

Signal definition:

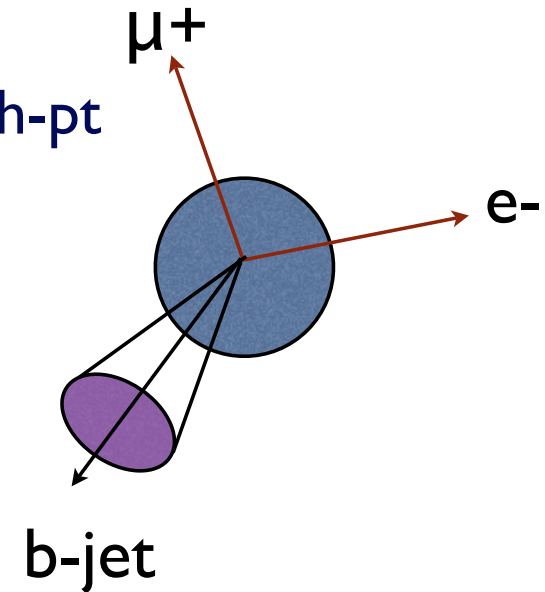
2 different-flavor opposite-sign leptons at high-pt
+1 and only one b-jet. Inclusive or not (?).

Backgrounds:

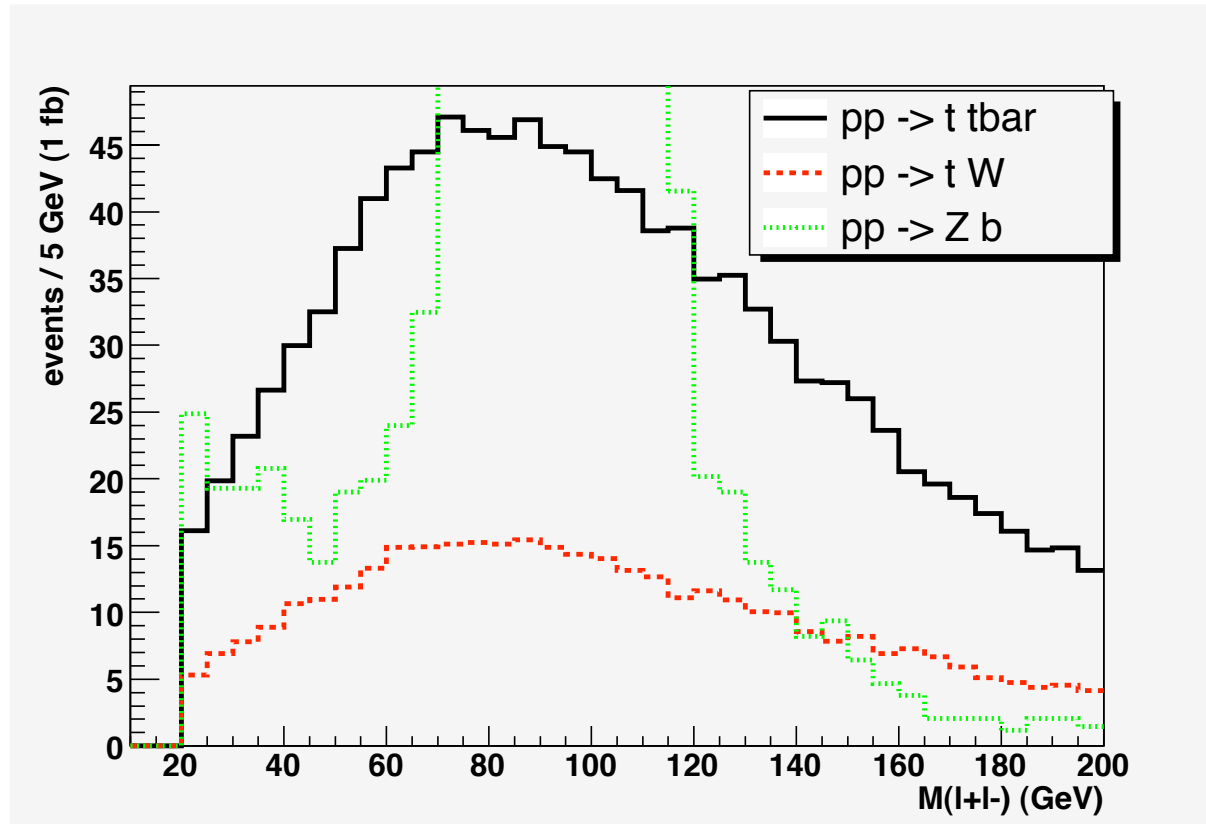
$t\bar{t}$: dominant

$W\bar{W}b, W\bar{W}j$: negligible

Wbb : reducible when $b \rightarrow e$ or $\mu + X$



$m(l^+l^-)$ distribution



MadGraph+Pythia w/ NLO normalization.

Basic cuts (inclusive: only extra-b's vetoed, see table).

LO and NLO shapes are quite similar (more complete study is on-going).

tW and tt shapes are close: it's a counting experiment!

The strategy in a nutshell

Signal definition:

2 different-flavor opposite-sign leptons at high-pt
+ 1 and only one b-jet. Inclusive or not (?).

Backgrounds:

$t\bar{t}$: dominant

WWb, WWj : negligible

Wbb : reducible when $b \rightarrow e$ or $\mu + X$

Normalization and control samples:

$t\bar{t}$: normalized to the 2b-jet sample

Zb : can be used to reduce the PDF uncertainties, by calculating $\sigma(gb \rightarrow tW) / \sigma(gb \rightarrow bZ)$. Also study the contamination from

$b \rightarrow e$ or $\mu + X$. This is known at NLO [Campbell, Ellis, FM, Willenbrock, 2004]

tW : same flavor sample can be included in the analysis by adding an $m(\ell\ell)$ cut and/or a missing E_t cut.

Reference numbers

| Process <small>cross sections in fb</small> | LO | NLO <small>exclusive*</small> | NLO <small>inclusive*</small> |
|--|------|----------------------------------|----------------------------------|
| tW | 428 | 184 | 420 |
| tt | 1120 | 338 | 1314 |
| Zb | 9440 | 8660 | 12200 |

Both tW^- and $\bar{t}W^+$ included.

Branching ratios to one lepton flavor included.

leptons: $p_T > 20$ GeV, $|\eta| < 2.5$

b-jet: $p_T > 30$ GeV, $|\eta| < 2.5$ (one b-jet required)

veto: $p_T > 30$ GeV, $|\eta| < 4.5$

$$S/B \cong 1/3$$

$$\sqrt{S+B}/S \cong 2\% \text{ with } 10 \text{ fb}^{-1}$$

“theoretical” limit

*one b-jet is always required. In the exclusive case all other jets are vetoed,
in the inclusive case only extra b-jets are vetoed.

≧

Work in progress

- Compare the inclusive and exclusive approaches in detail: theoretical errors assessed.
- In the exclusive case one has to rely on a PS approach to describe soft radiation, leading to normalization and shape dependencies (A MC@NLO approach would be auspicious).
- Systematic comparison of NLO and MadGraph+PS distributions.
- Evaluation and reduction of systematic theoretical errors, such as scales and PDF, by using NLO calculations and reference samples (i.e., $t\bar{t}$, with 2 high-pt b's).
- For experimentalists: estimation of the irreducible backgrounds.

Conclusions & Outlook

- Single top processes are among the most attractive SM studies at TeV and LHC.
- The only direct access we have to V_{tb} .
- W associated production deserves special attention:
 - It is the only single-top process where will we actually “see” the W .
 - Its theoretical definition is delicate: need to be sure that it is **consistent and experimentally viable (=physical)**.
- A new approach has been presented, where NLO corrections can be computed consistently and compared with data.
- Preliminary “theoretical” analysis is in progress and seems very promising.
- More experimental work on tW is certainly welcome...

Refs and thanks

Tim Tait:

“The T W- Mode Of Single Top Production”,

[Phys.Rev. D61 \(2000\) 034001](#)

A. Belyaev & E. Boos:

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J. Campbell & F. Tramontano:

“Next-To-Leading Order Corrections To Wt Production And Decay”,

[Nucl.Phys. B726 \(2005\) 109](#)

Thanks to the CP3 gang!