

Matching top-bottom processes in charged Higgs production

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JA and J. Rathsman, JHEP12, 050 (2004) (hep-ph/0409094)

<http://www.isv.uu.se/thep/MC/matchig/>

Two Higgs Doublet-Models

- Supersymmetric extensions of Standard Model need (at least) two Higgs doublets

- 8 scalar degrees of freedom $\xrightarrow{\text{Higgs mechanism}}$ 5 Higgs particles

$$h, H^0, H^+, H^-, A \text{ (pseudoscalar)}$$

- Two parameters in MSSM (7 or more in general 2HDMs):

$$\tan(\beta) = \frac{v_1}{v_2} \quad \text{Ratio of vev's for the doublets}$$

$$M_A \quad \text{One of the masses, usually the pseudoscalar}$$

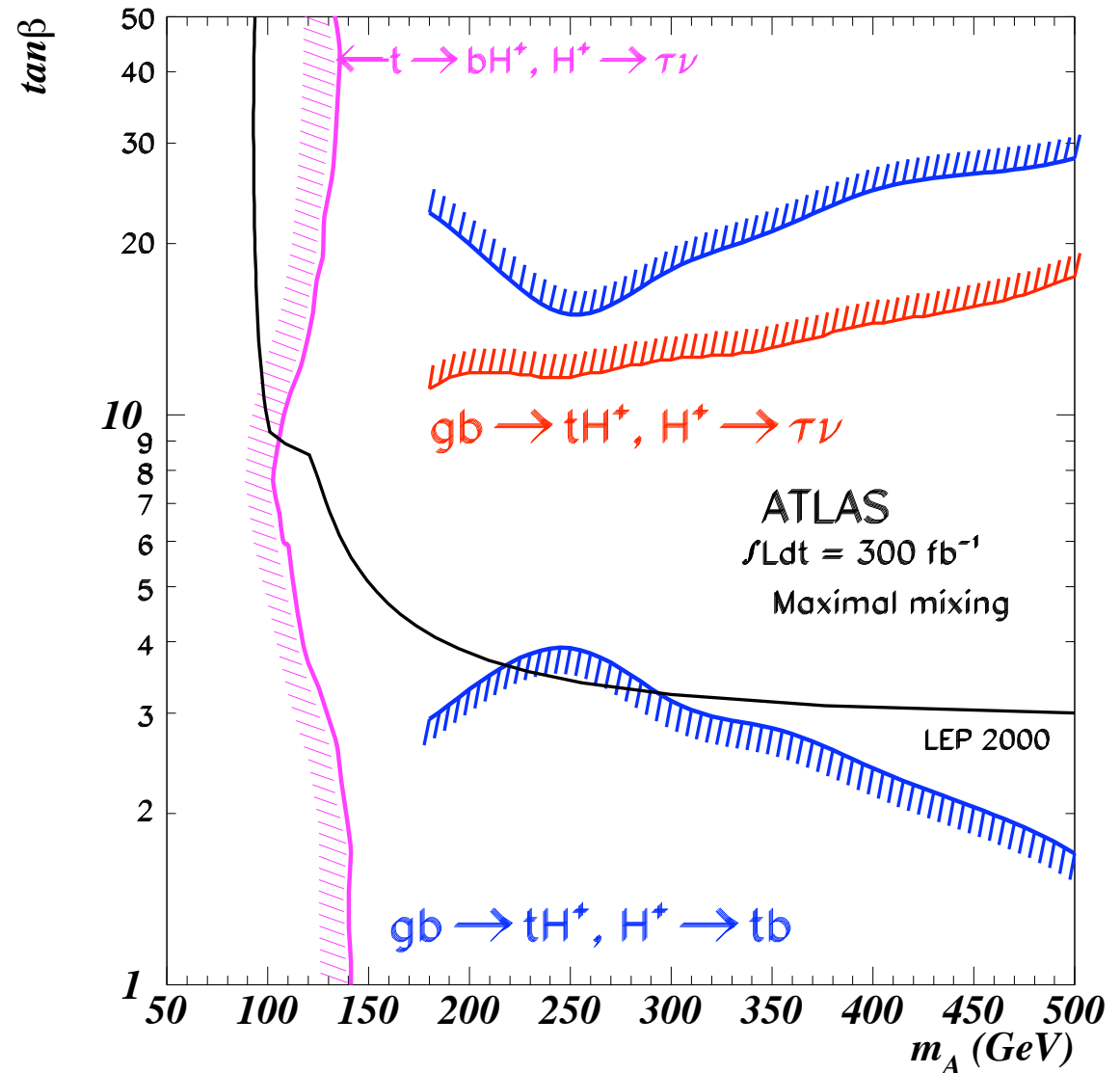
- Strong coupling to top due to Yukawa coupling ~ 1
- A charged Higgs boson would be a clear signal of physics beyond the Standard Model



Our goal

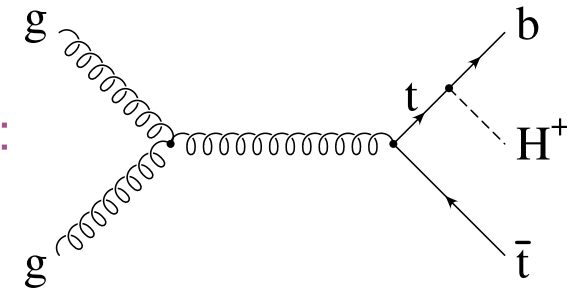
Need accurate description of Higgs production in event generators to devise search strategies/suppress SM background.

Problematic region:
 H^+ mass \sim top mass

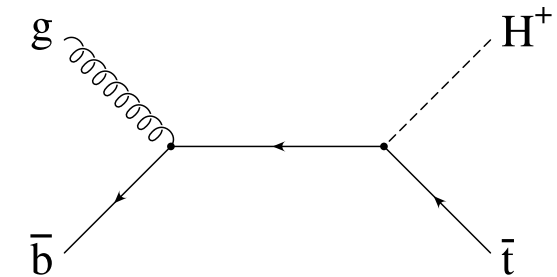


Single charged Higgs accompanied by t and b

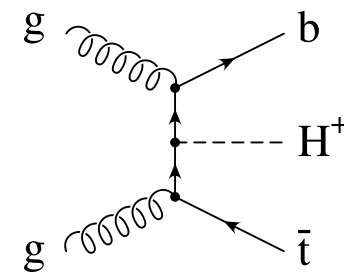
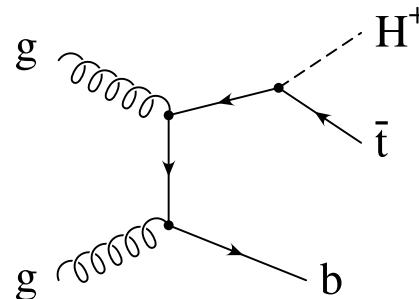
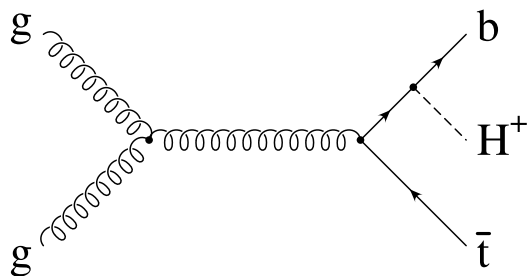
- $gg(q\bar{q}) \rightarrow t\bar{t} \rightarrow bH^+\bar{t}$ ($m_{H^+} \leq m_t - m_b$):



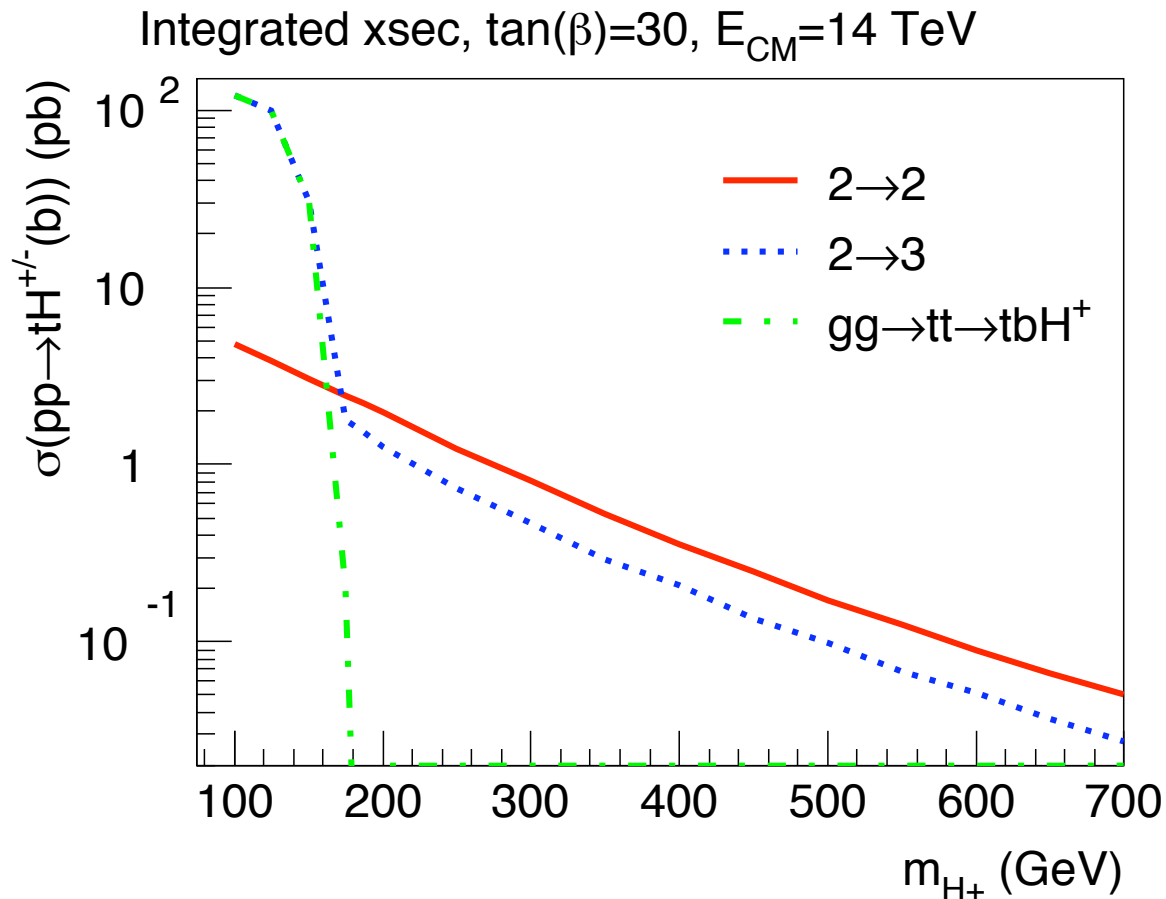
- $g\bar{b} \rightarrow \bar{t}H^+$ ($2 \rightarrow 2$ process):



- $gg(q\bar{q}) \rightarrow \bar{t}bH^+$ ($2 \rightarrow 3$ process):



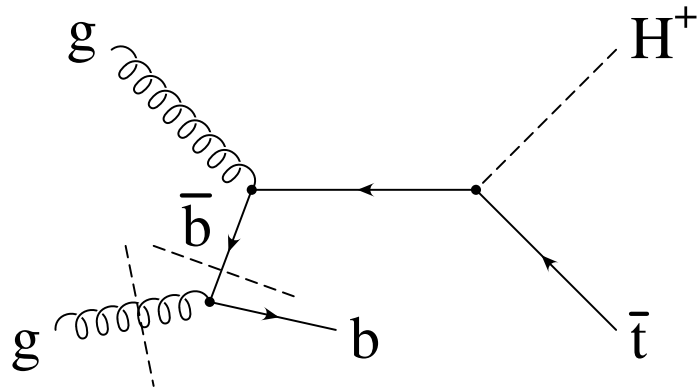
Importance of the H^+ production processes



- For low m_{H^+} ($< m_t - m_b$): Large 2 \rightarrow 3 cross-section ($t \rightarrow bH^+$)
- For large $m_{H^+} > m_t$: $gb \rightarrow H^\pm t$ leading order process
- Intermediate region, $m_{H^+} \sim m_t$: Need to take both $gb \rightarrow H^\pm t$ and $gg \rightarrow H^\pm tb$ into account



Importance of the H^+ production processes (cont.)

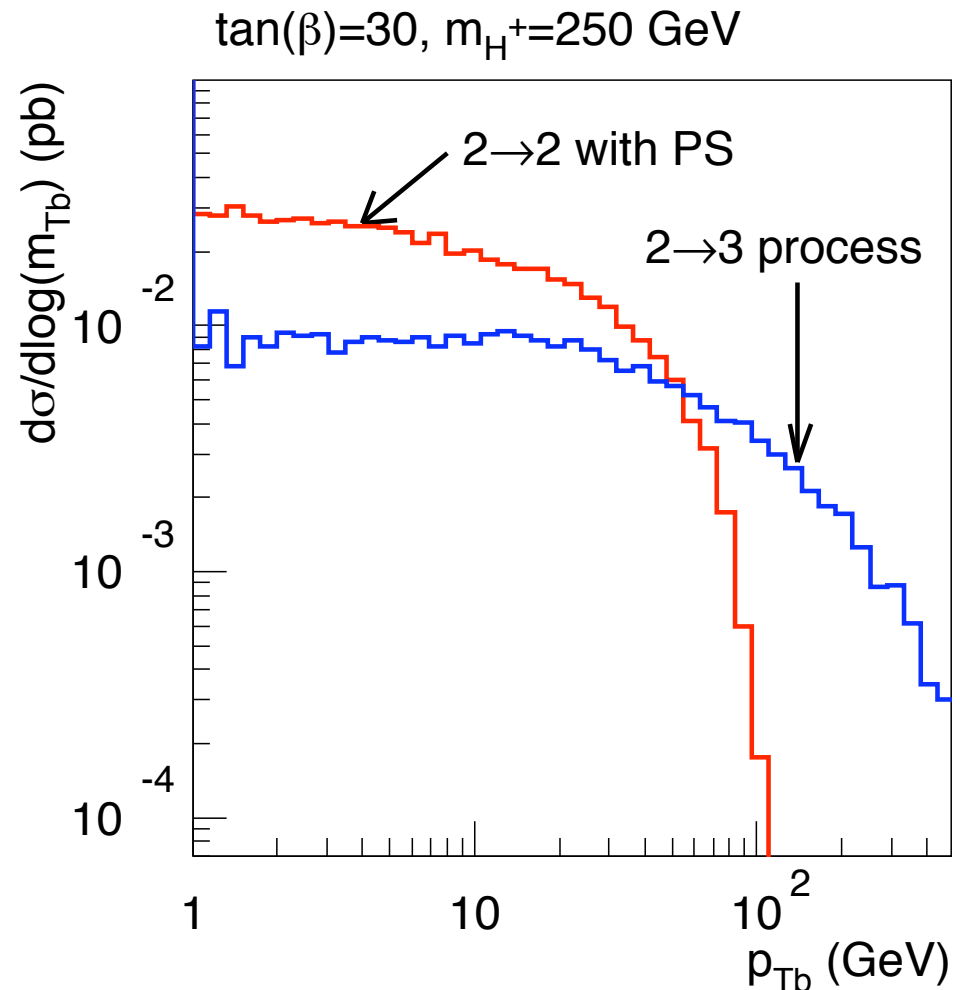


2 → 2:

The b -density resums collinear logs $\left(\alpha_s \ln \frac{\mu_F^2}{m_b^2}\right)^n$
 \implies Better description of total cross-section and small $p_{\perp,b}$

2 → 3:

Gives a better description of large p_{\perp} of b -quark



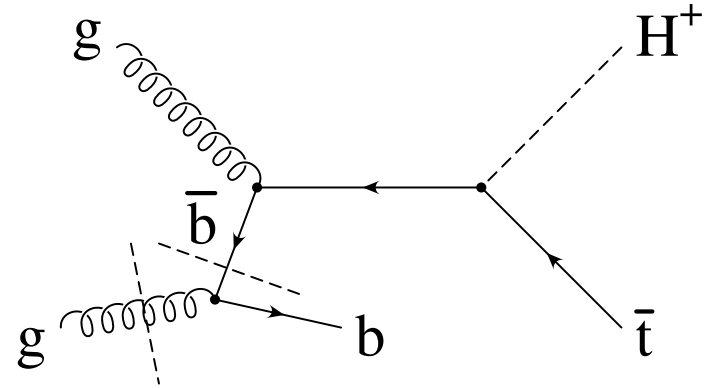
Want to combine these virtues!



Matching the $2 \rightarrow 2$ and $2 \rightarrow 3$ processes

For small $p_{\perp, b}$,

$$\sigma_{2 \rightarrow 3} \propto P_{g \rightarrow b\bar{b}} \otimes \sigma_{2 \rightarrow 2}$$



Double-counting when the b of the $2 \rightarrow 3$ process is collinear with the beam

\implies Must subtract **collinear double counting term**

$$\sigma_{\text{DC}} = \int dx_1 dx_2 \left[g(x_1) b'(x_2) \frac{d\sigma_{2 \rightarrow 2}}{dx_1 dx_2}(x_1, x_2) + x_1 \leftrightarrow x_2 \right]$$

$$b'(x, \mu_F^2) = \frac{\alpha_s}{\pi} \log \frac{\mu_F^2}{m_b^2} \int P_{g \rightarrow q\bar{q}}(z) g(x/z, \mu^2) dz$$

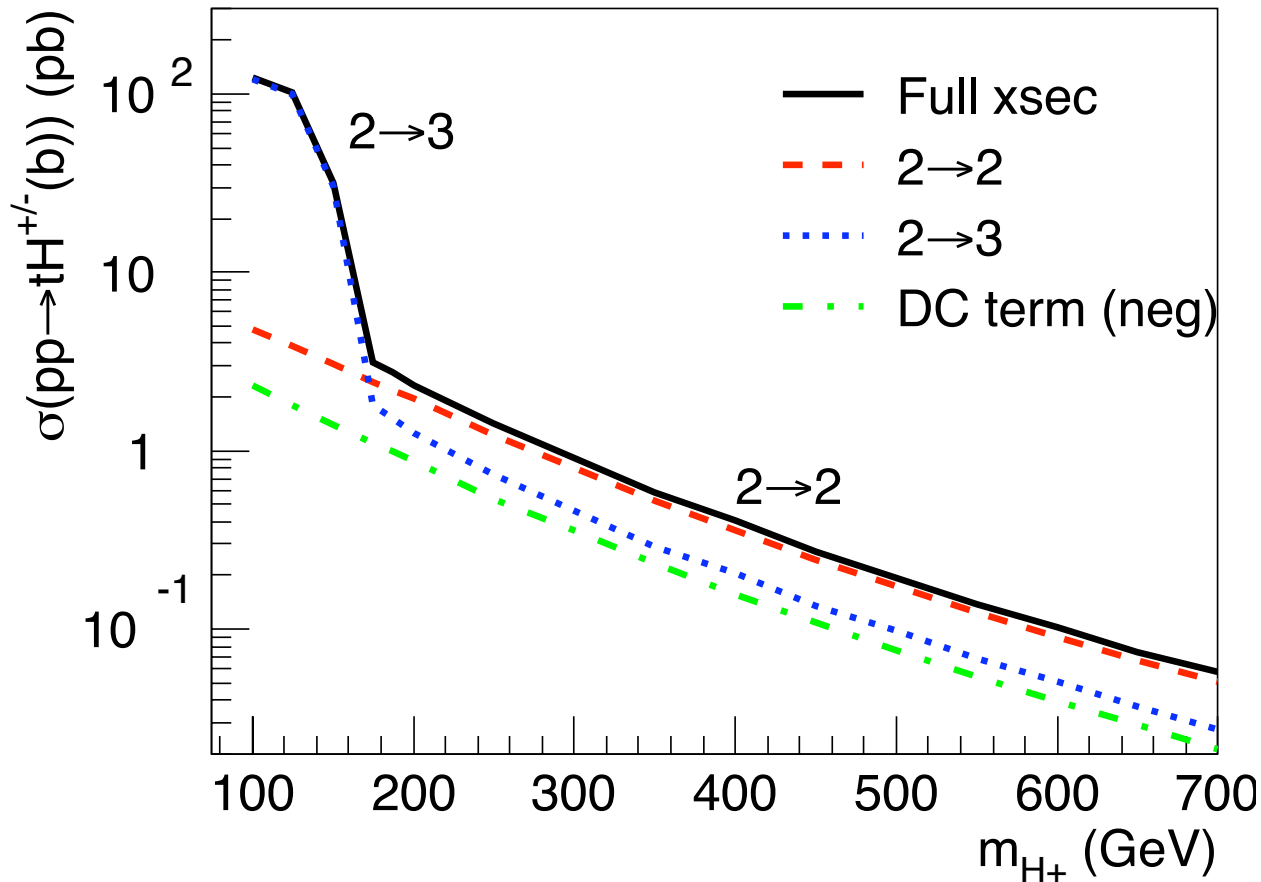
(The first logarithm in the b quark density)



The matched integrated cross-section

For matched cross-section: $\sigma = \sigma_{2\rightarrow 2} + \sigma_{2\rightarrow 3} - \sigma_{\text{DC}}$

Integrated xsec, $\tan(\beta)=30$, $E_{\text{CM}}=14$ TeV



Interpolates between small and large m_{H^+} regions



Matching the differential cross-section

Would like fully differential Monte Carlo to apply cuts and detector simulation.

Solution for the differential cross-section:

View double-counting term as distribution in kinematic variables and pick events...

Full double-counting distribution (taking into account finite CoM energy and b mass):

$$\sigma_{\text{DC}} = \int_{\tau_{\min}}^1 \frac{d\tau}{\tau} \int_{\frac{1}{2} \log \tau}^{-\frac{1}{2} \log \tau} dy^* \frac{\pi}{\hat{s}} \int_{-1}^1 \frac{\beta_{34}}{2} d(\cos \hat{\theta}) |\mathcal{M}_{2 \rightarrow 2}|^2 x_1 g(x_1, \mu_F^2) \times$$

$$\frac{\alpha_s(\mu_R^2)}{2\pi} \left[\int_{x_2}^{z_{\max}} dz P_{g \rightarrow q\bar{q}}(z) \frac{x_2}{z} g\left(\frac{x_2}{z}, \mu_F^2\right) \int_{Q_{\min}^2}^{Q_{\max}^2} \frac{d(Q^2)}{Q^2 + m_b^2} + x_1 \leftrightarrow x_2 \right]$$

We identify $z = \hat{s}_{2 \rightarrow 2} / \hat{s}_{2 \rightarrow 3}$. Q^2 limits are given by: $p_{\perp, b}^2 = Q^2 - z \frac{(\hat{s} + Q^2)(m_b^2 + Q^2)}{\hat{s}}$

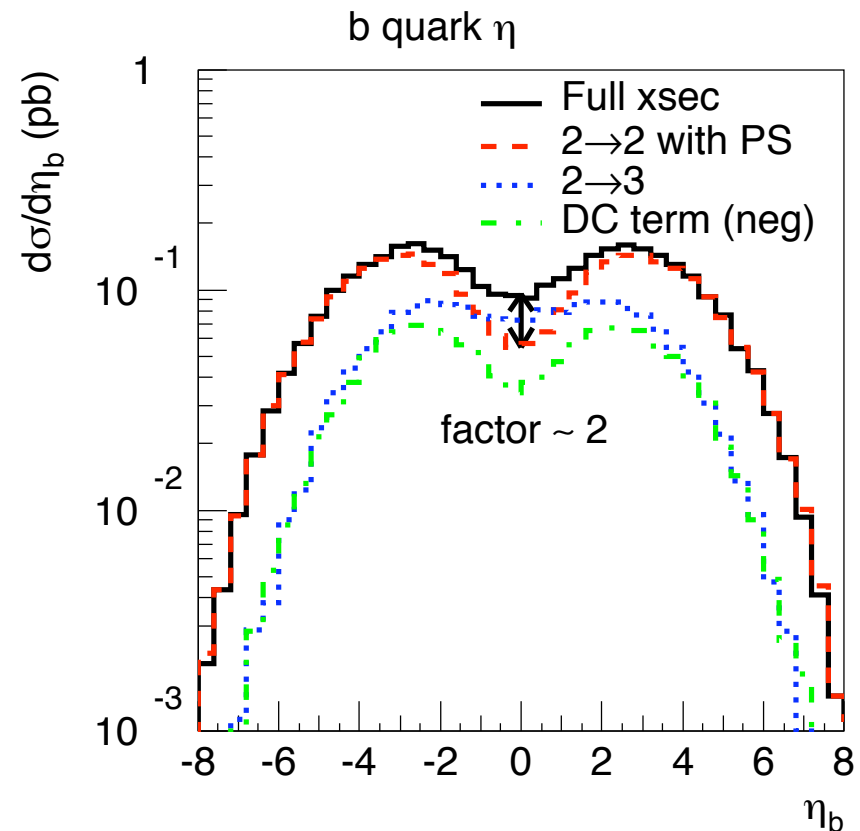
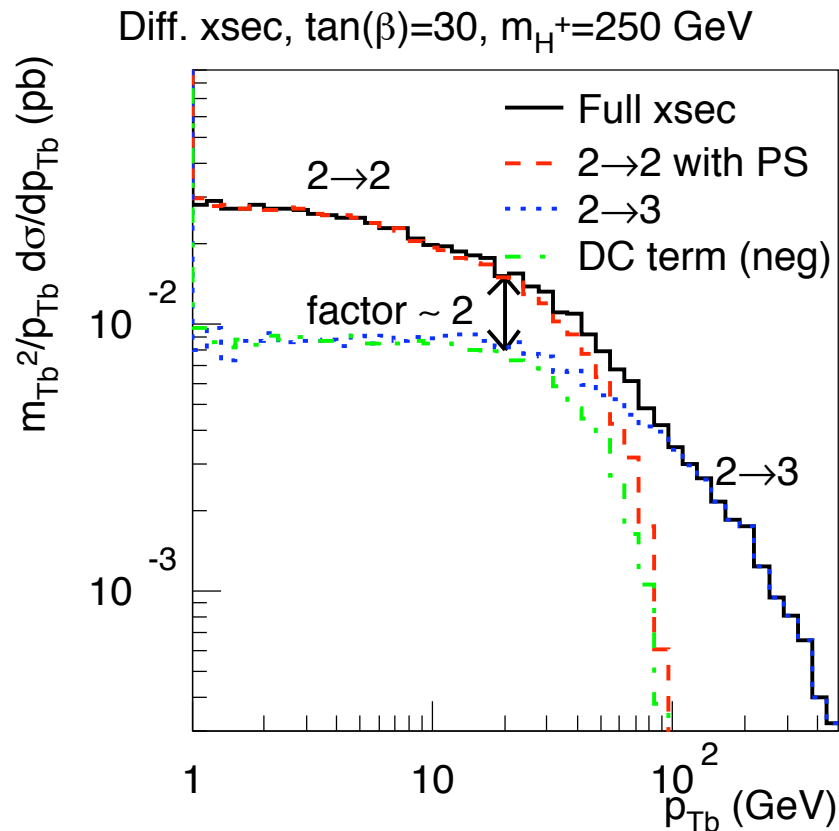
Subtract double-counting events in final analysis!



Matched differential cross-sections

Case study: $m_{H^+} = 250$ GeV, $\tan \beta = 30$

Note: $\sigma \propto m_b^2 \tan^2 \beta + m_t^2 \cot^2 \beta \implies \tan \beta$ only scales cross-section

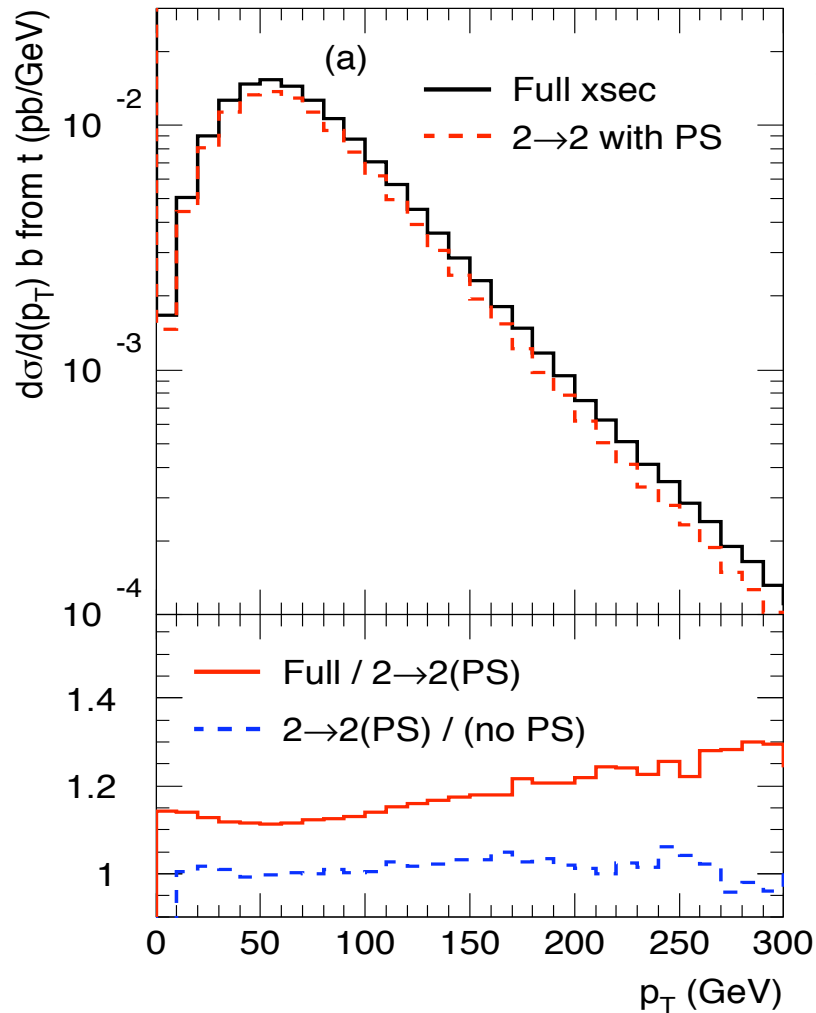


Smooth interpolation between $2 \rightarrow 2$ and $2 \rightarrow 3$ processes

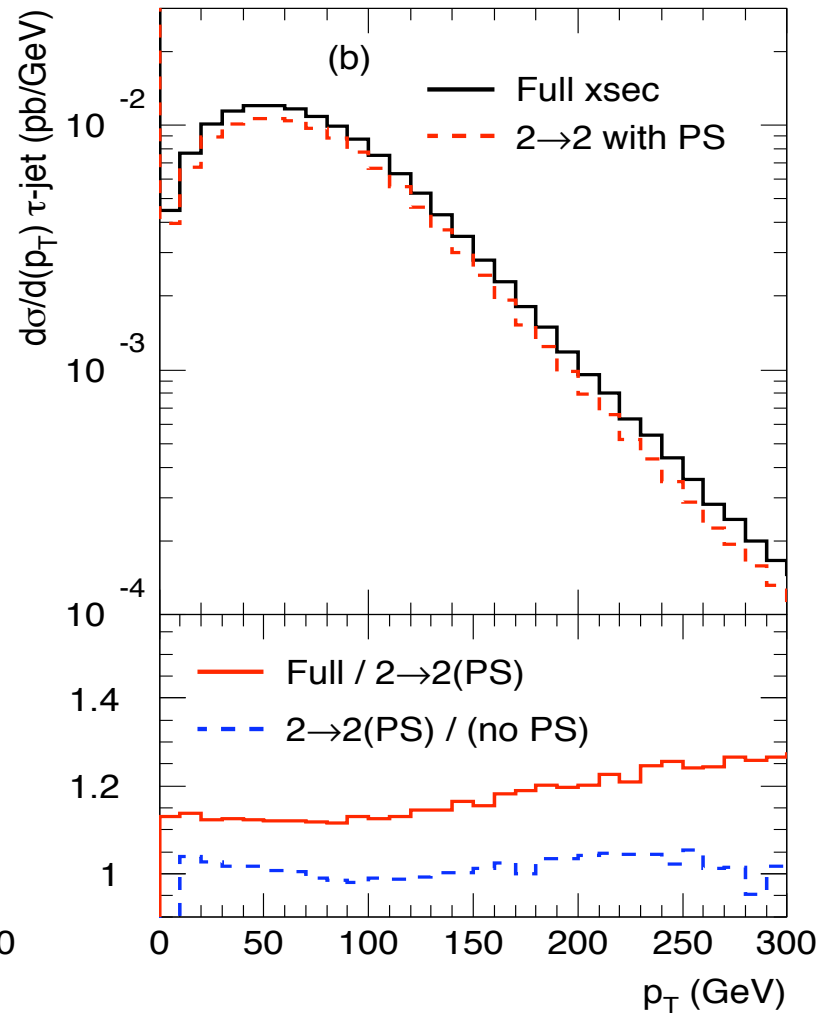


More results of matching

Tagged b from $t \rightarrow W^\pm b$



τ jet from $H^\pm \rightarrow \tau^\pm \nu$

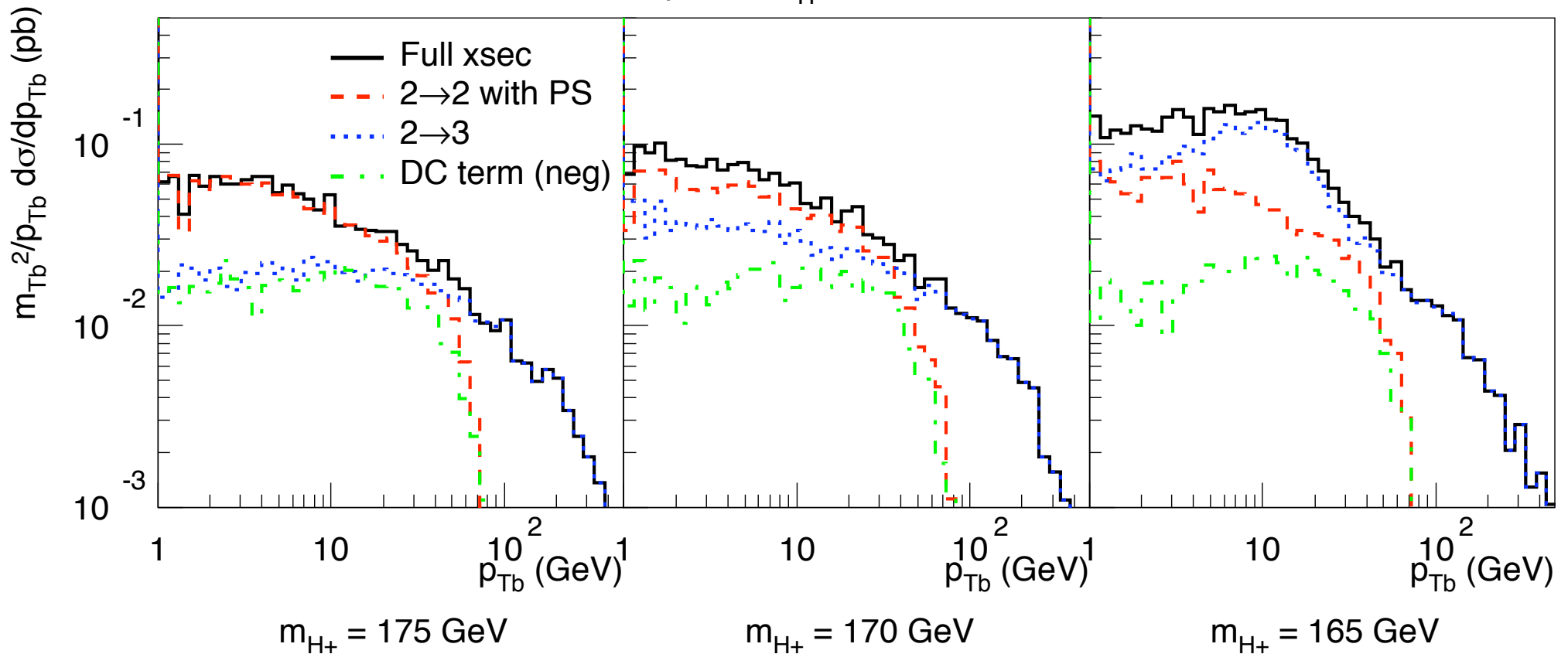


$\sim 10 - 20\%$ effect even if extra b -quark not tagged



$p_{\perp,b}$ -distributions for smaller masses

Diff. xsec, $\tan(\beta)=30$, $m_{H^+}=175, 170, 165$ GeV



For $m_{H^+} < m_t$ the $2 \rightarrow 3$ process increasingly important even for low $p_{\perp,b}$



Improving the discovery contour

Work in progress using matched processes:

- Improve discovery region close to $m_{H^+} = m_t$
- Most promising charged Higgs decay: $H^+ \rightarrow \tau^+ \nu$
- Main background:
 $W^+ \rightarrow \tau \nu$ from $t\bar{t}$ and tbW^\pm production
- Take extra b-quark into account in “sliding” way
(b-jet veto increasingly bad for small masses)
- Interesting features: τ polarization, p_T^b/p_T^τ ratio

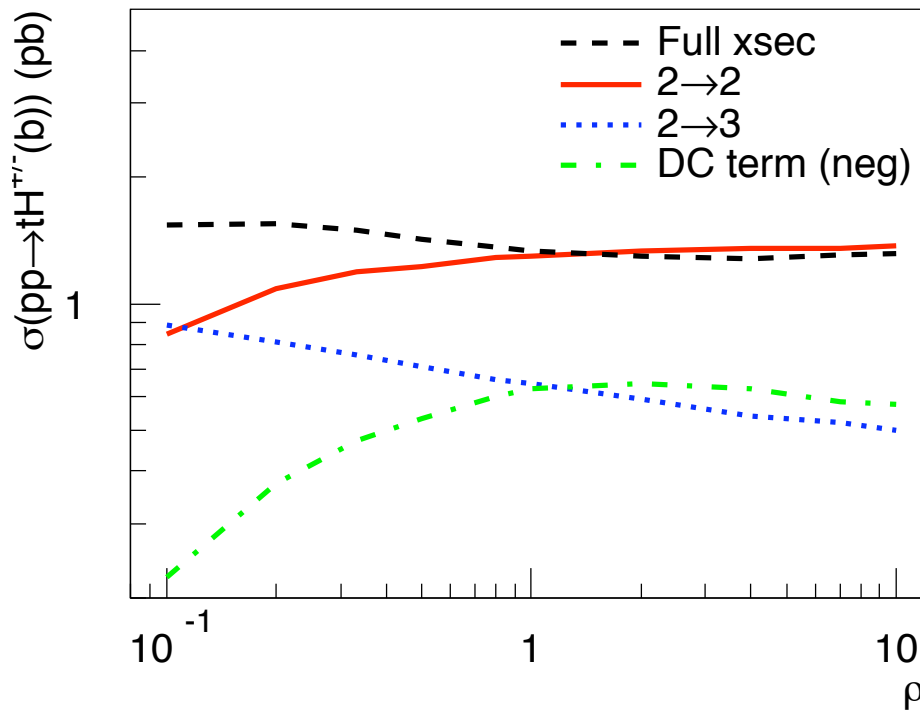
Together with ATLAS PhD student Bjarte Mohn



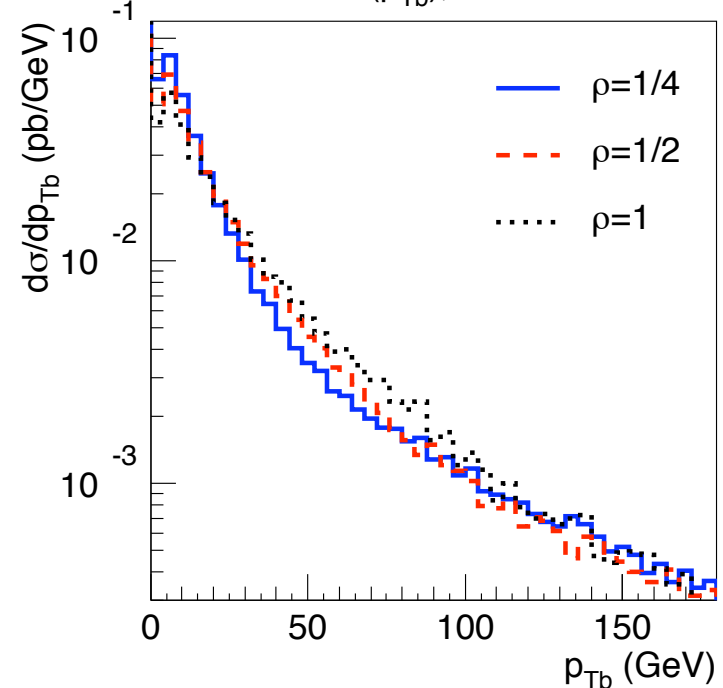
Theoretical improvements

- Reduced factorisation scale dependence

Integrated xsec as function of $\mu_F = \rho m_{av}$



Matched diff. xsec (p_{Tb}), linear scale



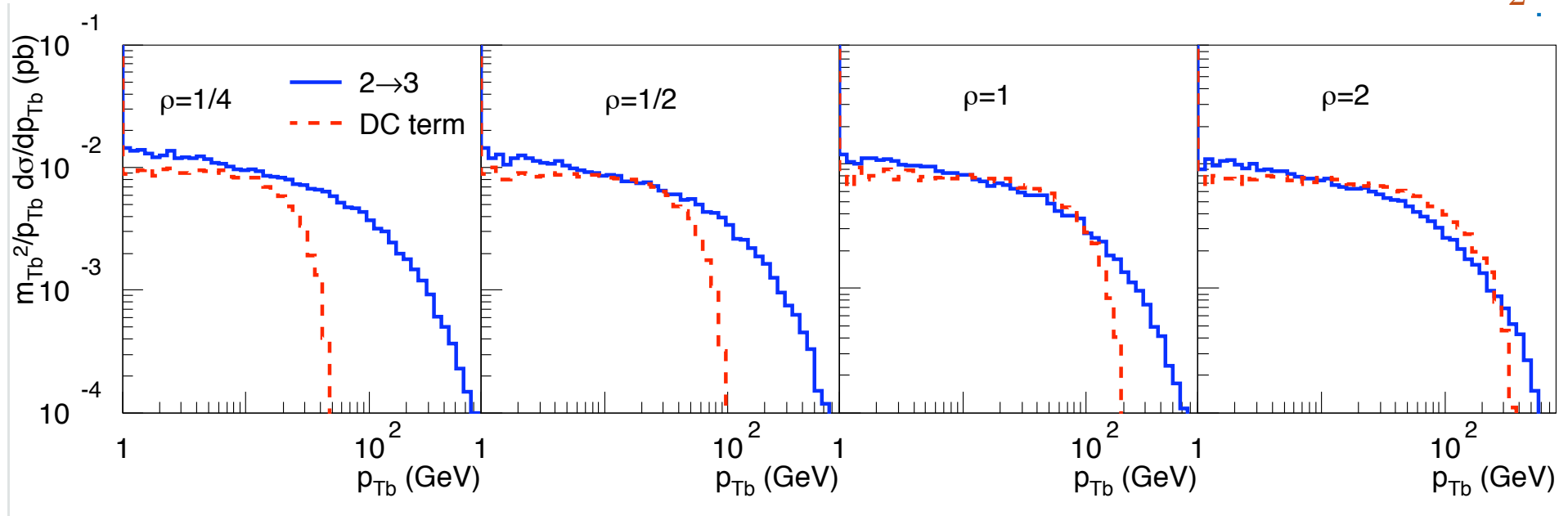
$\mu_F = \rho \frac{m_{H^+} + m_t}{2}$ - scale where the parton densities are evaluated
 = hardest scale of collinear parton radiation



Bonus - choice of factorisation scale

- Hint to correct factorisation scale:

$$\mu_F = \rho \frac{m_{H^+} + m_t}{2}$$



Double-counting term should account for log-enhanced (collinear) part of $2 \rightarrow 2$ term *already included* in $2 \rightarrow 3$ term

For $\rho \gtrsim 1$ double counting term overshoots $2 \rightarrow 3$ term
 \Rightarrow Too large factorisation scale



Application to other processes

- Same approach easily extended to other similar processes:
 - ➔ Standard model single top production
 - ➔ Single heavy right-handed W_R^+ production
- Also b -induced neutral resonance processes
 - ➔ 2HDM Neutral Higgs – matching of $b\bar{b} \rightarrow H$,
 $bg \rightarrow Hb$ and $gg \rightarrow Hb\bar{b}$
- Works (in principle) for any resonances strongly coupled to b quarks



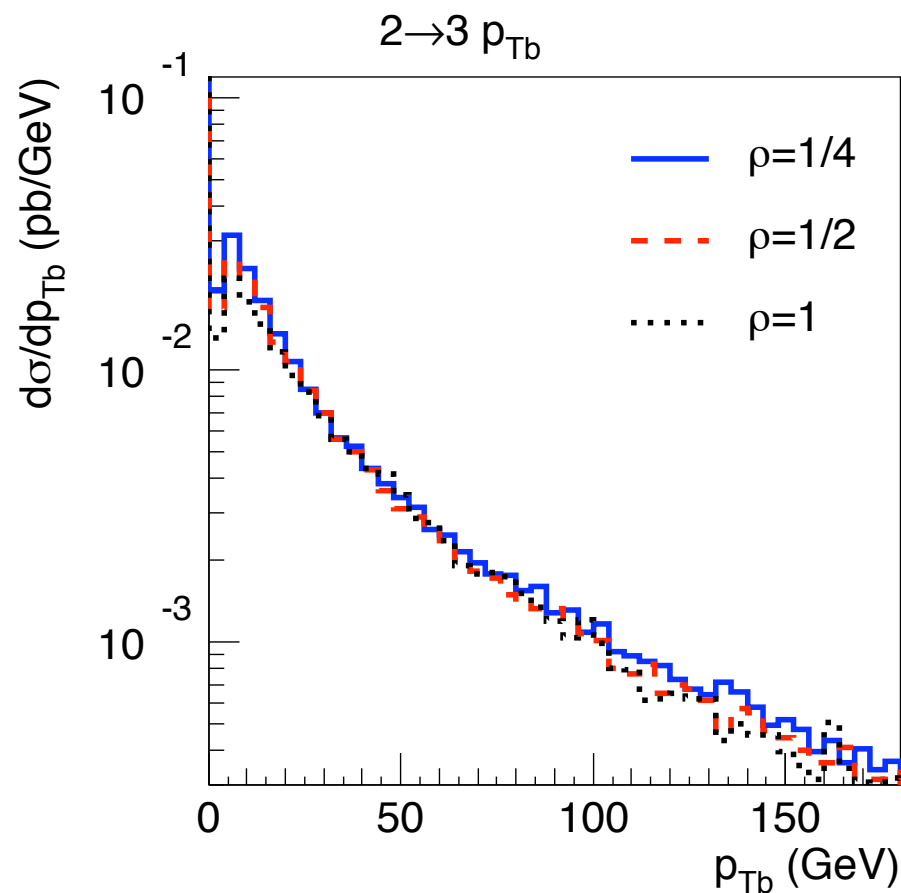
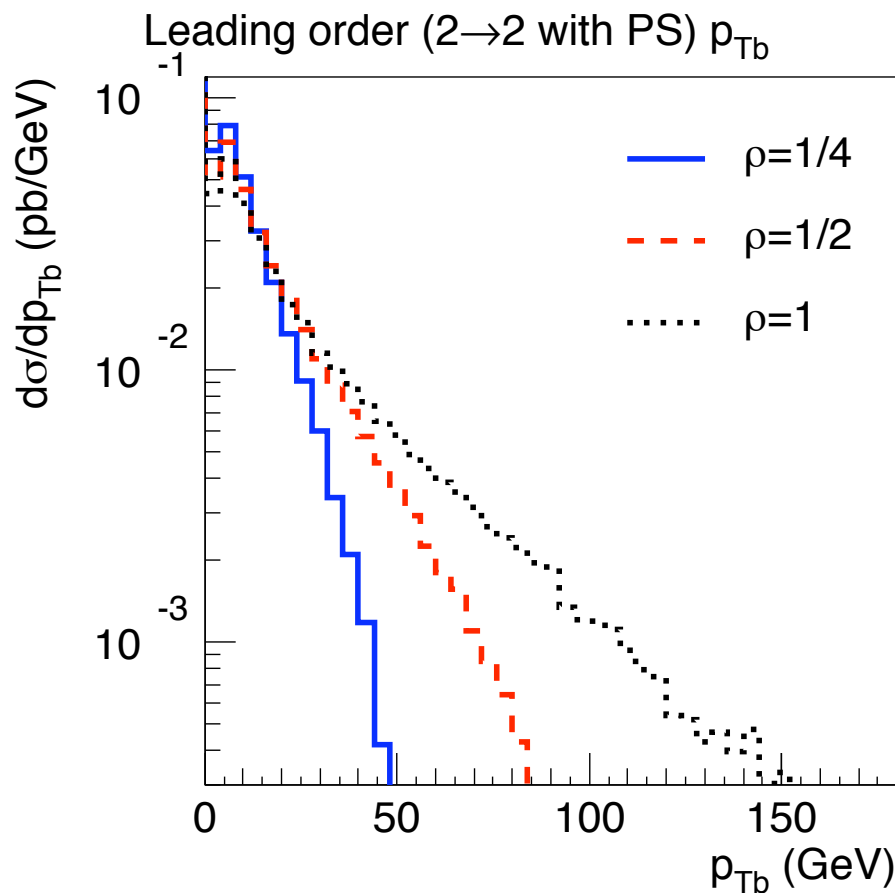
Conclusions



- Discovery of charged Higgs bosons – clear signal for new physics
- Mainly produced in association with top quarks
- Problematic region for H^+ mass close to top mass
 - ◆ Need matching of $gb \rightarrow tH^+$ and $gg \rightarrow tbH^+$
- Work in progress on improving discovery contour of ATLAS
- Matching procedure can be adopted to other b-quark-induced processes
- Double-counting term available as add-on to Pythia from:
<http://www.isv.uu.se/theP/MC/matchig/>

Backup slides

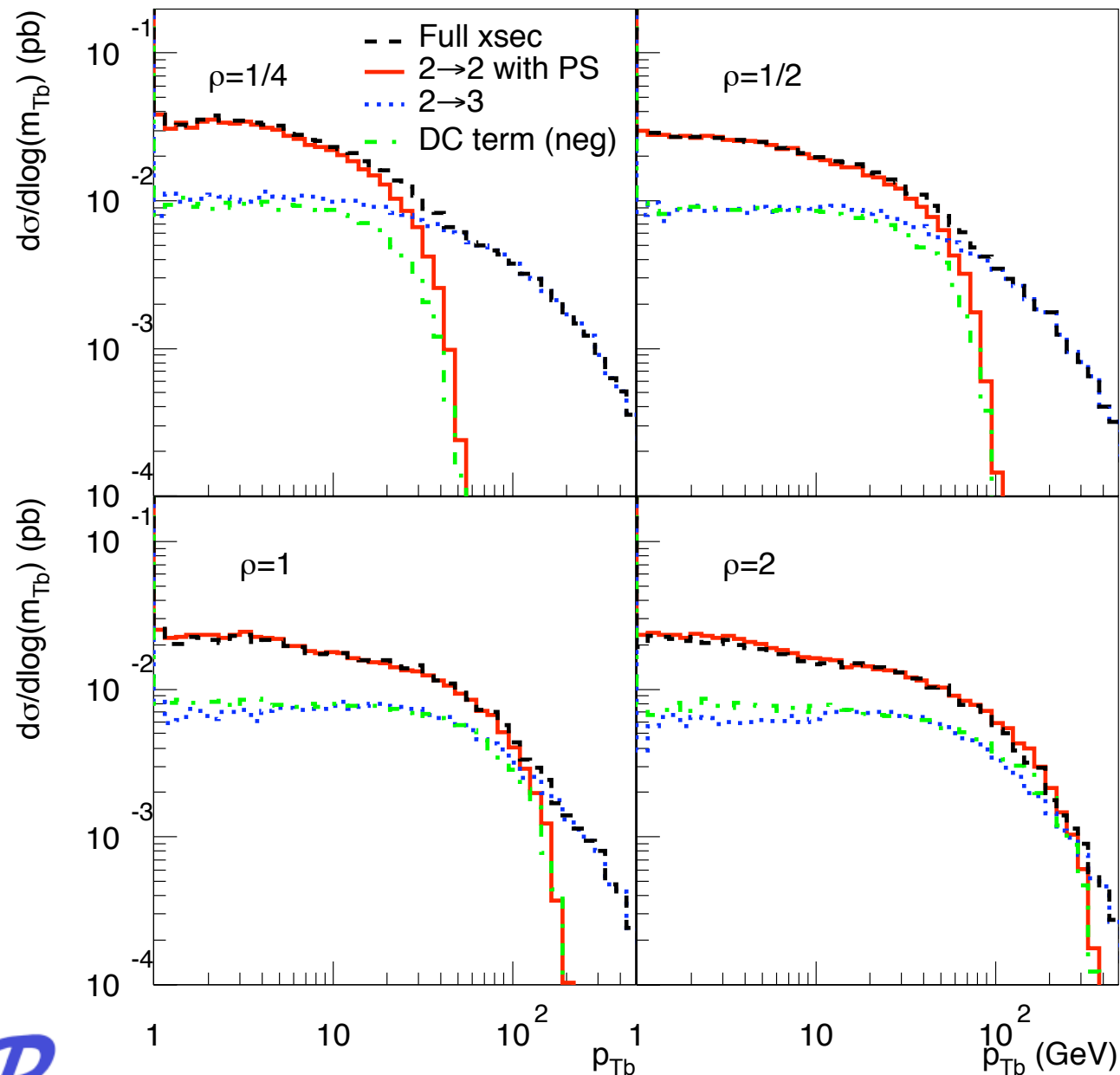
Factorisation scale effects on the $2 \rightarrow 2$ and $2 \rightarrow 3$ processes



$$\mu_F = \rho \frac{m_{H^+} + m_t}{2}$$



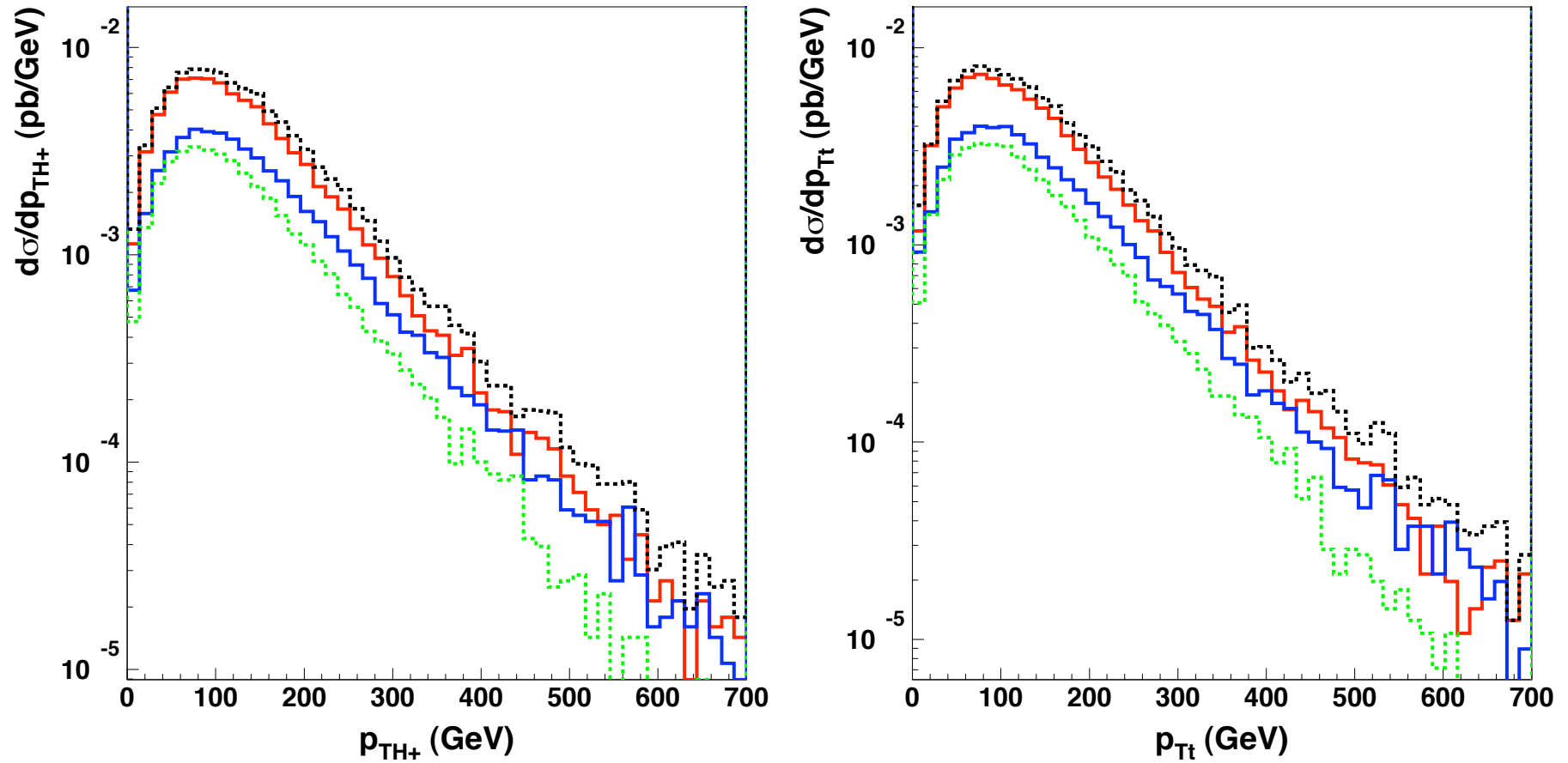
Comparison of factorisation scales



$$\mu_F = \rho \frac{m_{H^+} + m_t}{2}$$



Differential distributions for H^+ and t



More differential distributions for H^+ and t

