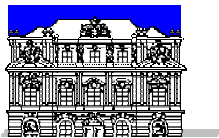


Space Research Institute Graz
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Exploring the Planets and Moons in our Solar System

Helmut O. Rucker

CERN, Geneve, June 2006

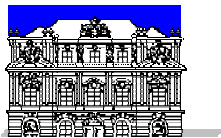


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Exploring the Planets and Moons in our Solar System

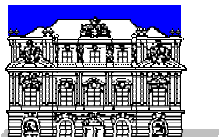
- The interplanetary medium, the solar wind and its interaction with magnetized planets

CERN, Geneve, June 2006



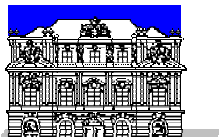
Exploring the Planets and Moons in our Solar System

- The interplanetary medium, the solar wind and its interaction with magnetized planets
- Space missions to the outer planets



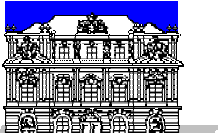
Exploring the Planets and Moons in our Solar System

- The interplanetary medium, the solar wind and its interaction with magnetized planets
- Space missions to the outer planets
- Specific aspects of magnetospheric physics – radio emission



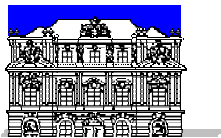
Exploring the Planets and Moons in our Solar System

- The interplanetary medium, the solar wind and its interaction with magnetized planets
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- Specific aspects of magnetospheric physics – radio emission
- Volcanoes and icy worlds



Exploring the Planets and Moons in our Solar System

- The interplanetary medium, the solar wind and its interaction with magnetized planets
- Space missions to the outer planets
- Specific aspects of magnetospheric physics – radio emission
- Volcanoes and icy worlds
- Space Missions to the terrestrial planets



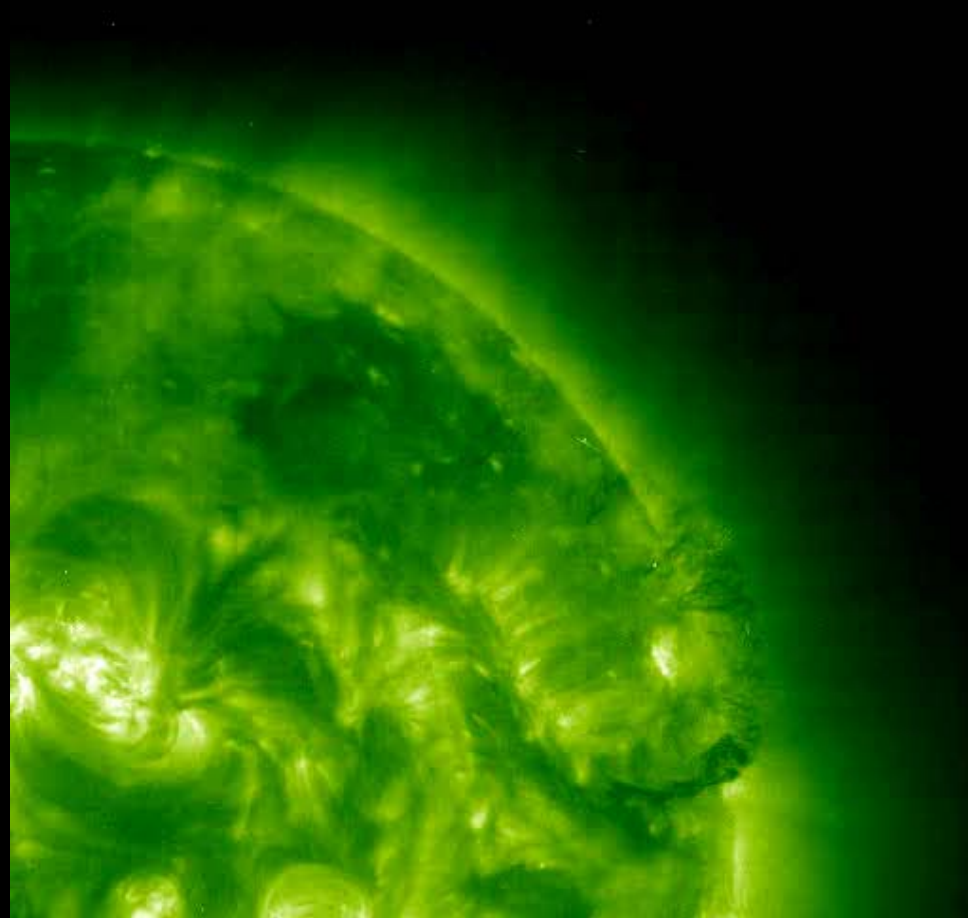
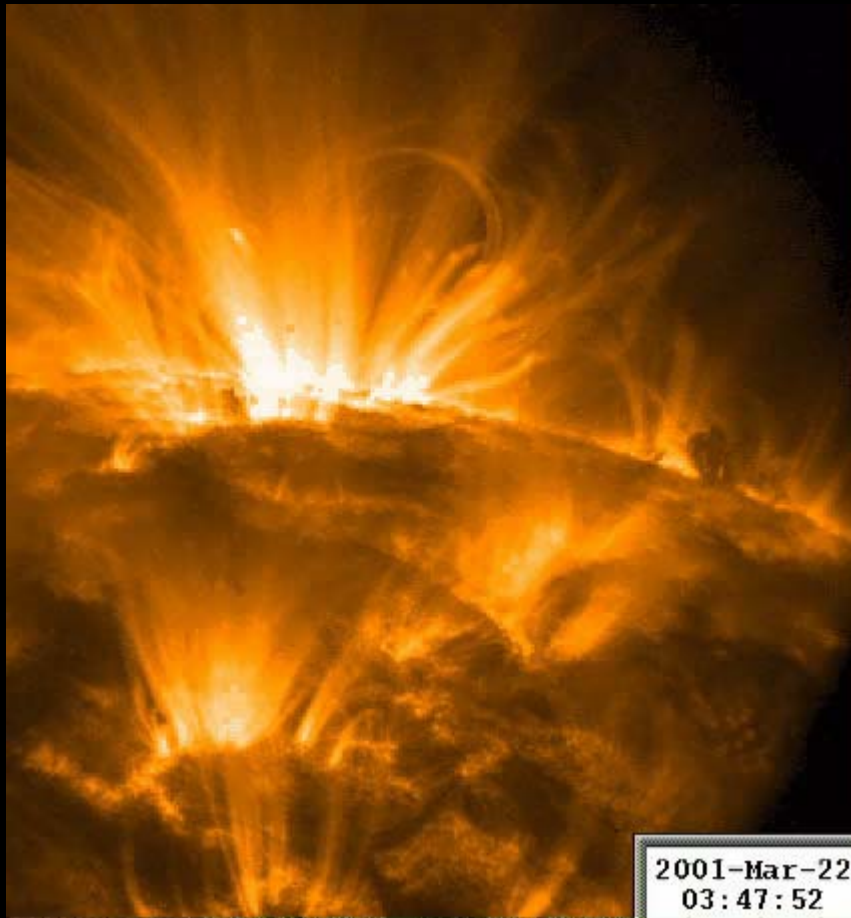
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**The interplanetary medium,
the solar wind and its interaction with
magnetized planets**

Helmut O. Rucker

CERN, Geneve, June 2006

The central star of our solar system – the Sun

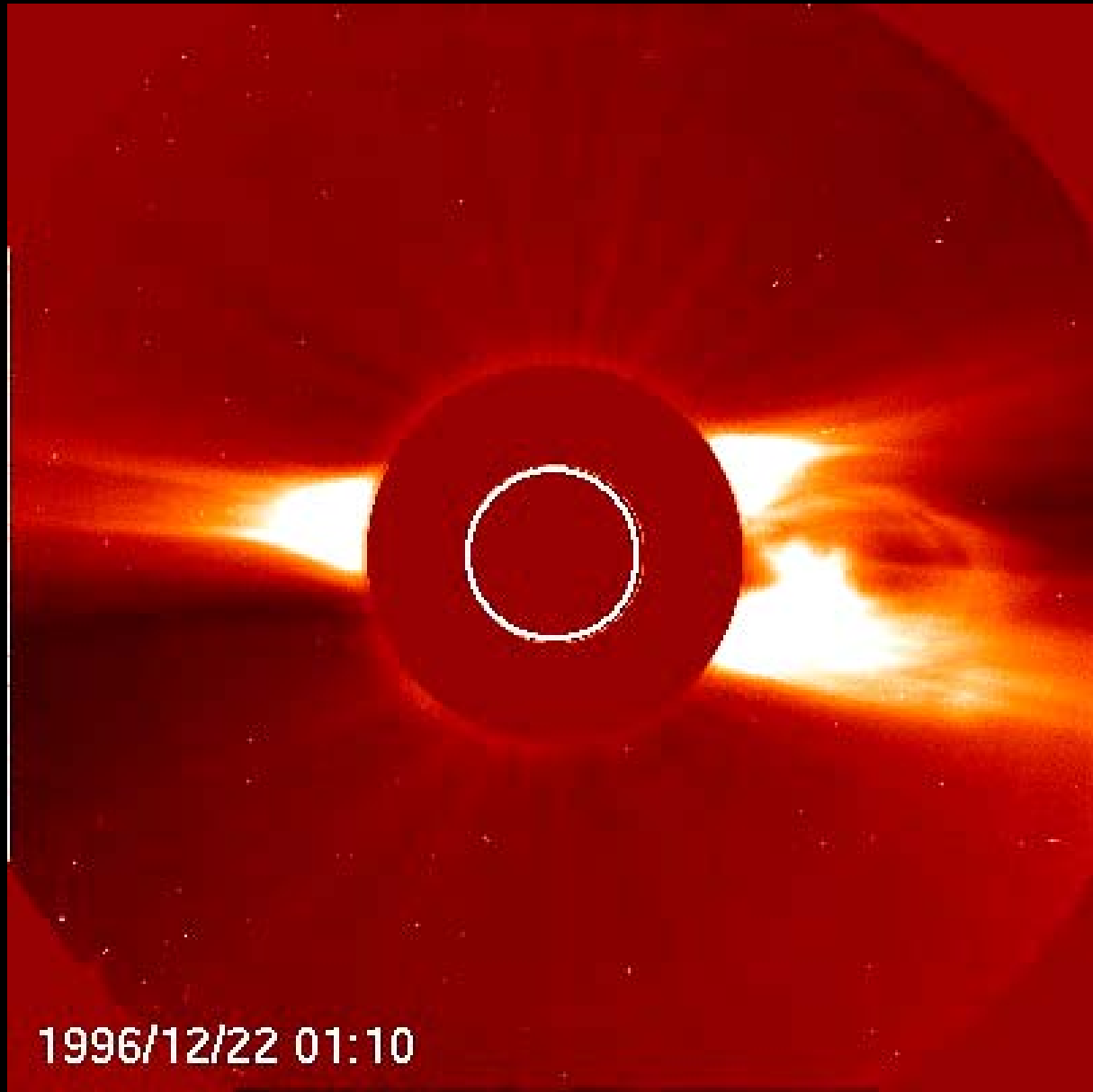


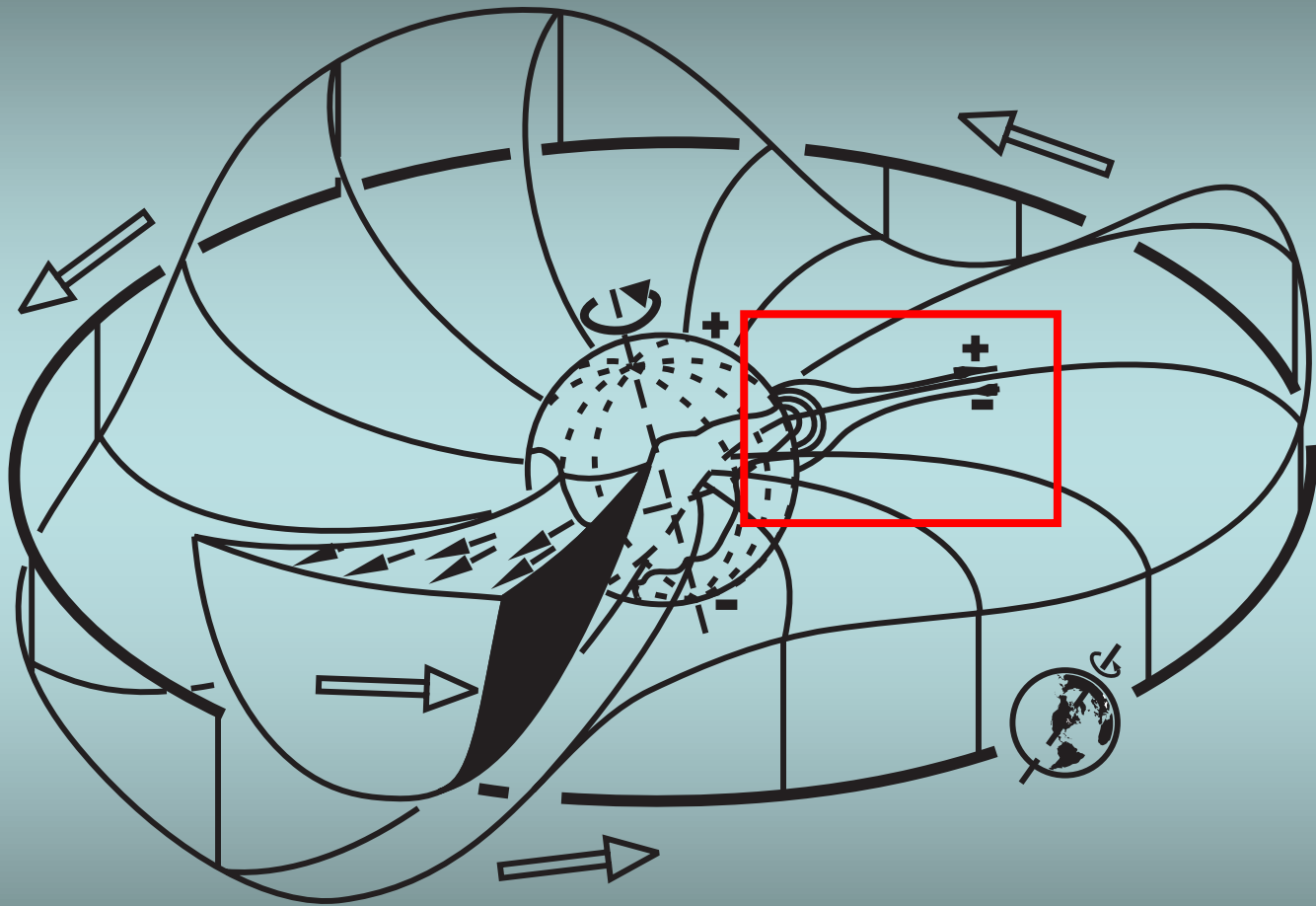
Earth shown
for size comparison



Mass loss by the
expanding solar atmosphere,
i.e. the solar wind:
~ 1 Mill. tons per second

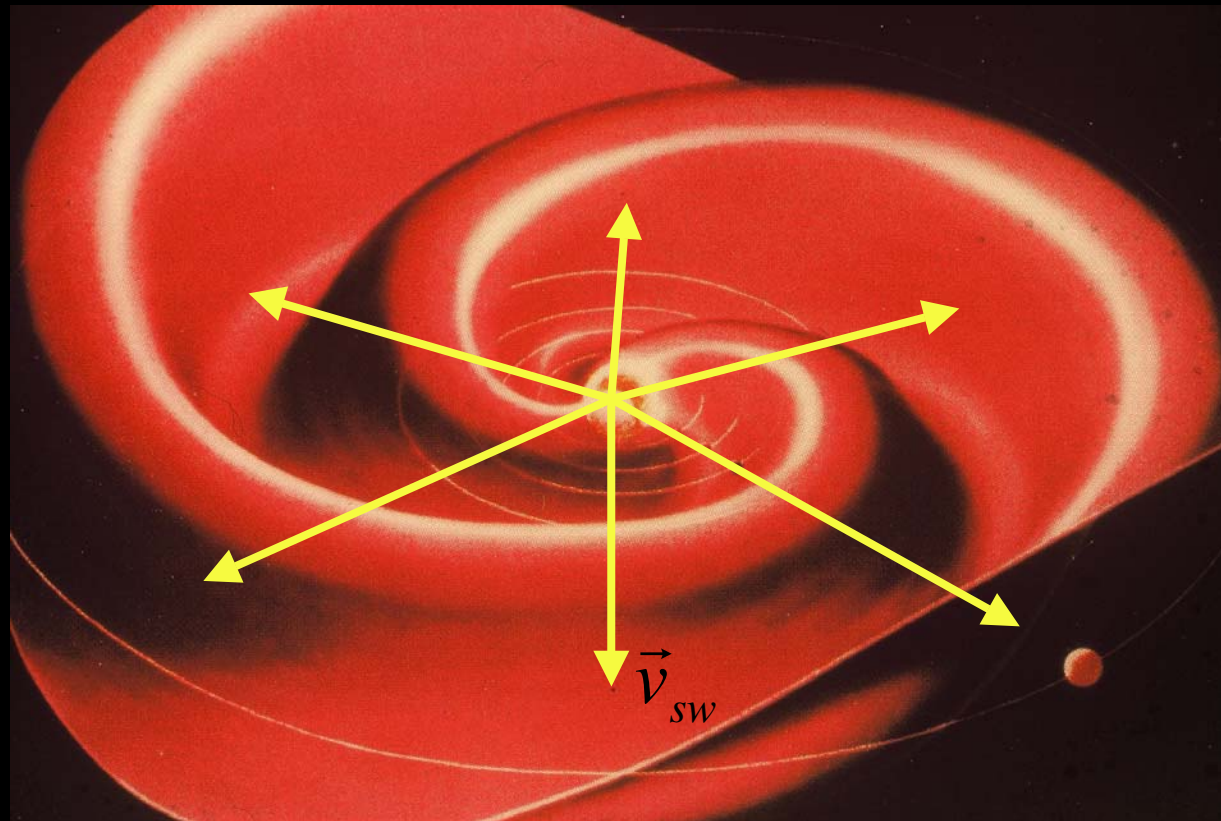
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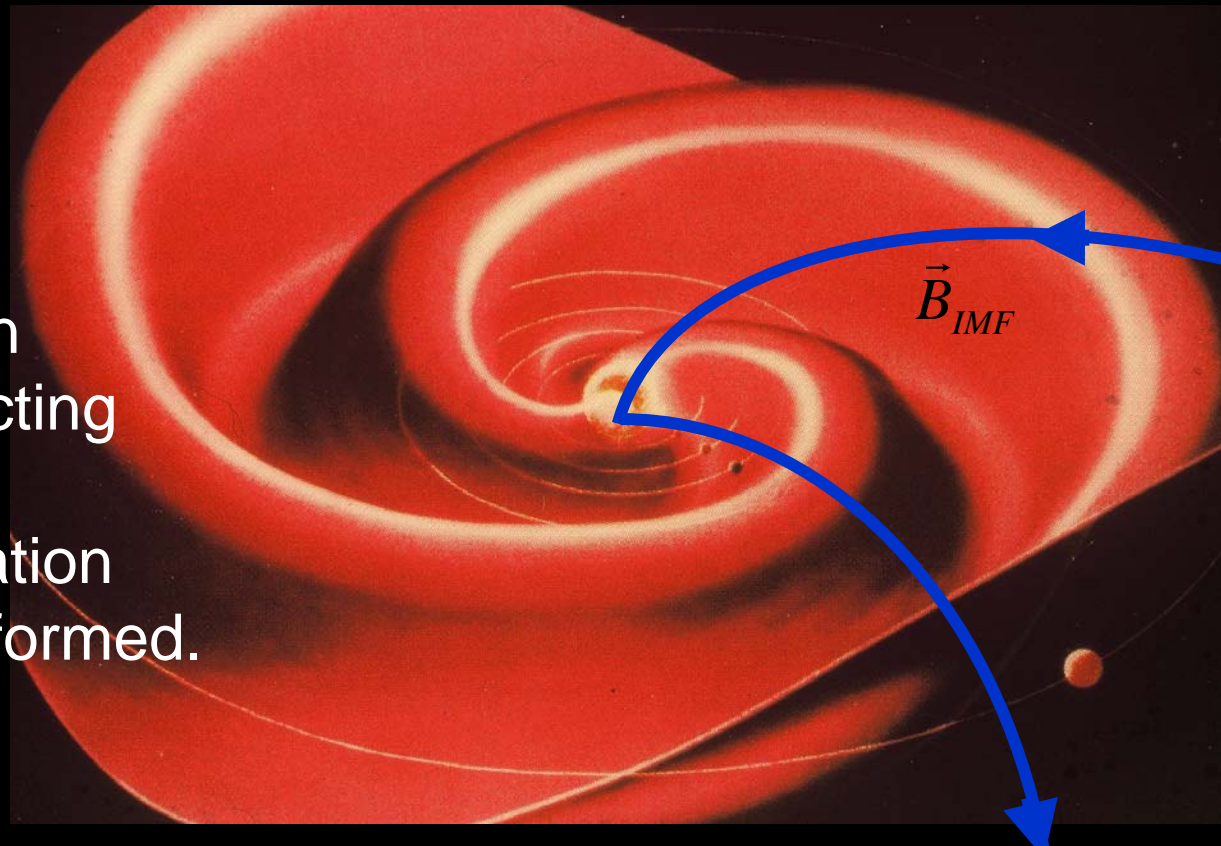
→ Viewgraph: Helmet streamer

The **solar wind** = expanding atmosphere of the Sun
highly conducting plasma,
radially propagating
($300 \text{ km/s} < v < 2000 \text{ km/s}$)



The **solar wind** = expanding atmosphere of the Sun
highly conducting plasma,
radially propagating
(300 km/s < v < 2000 km/s)

The **interplanetary magnetic field** is a solar magnetic field drawn out of the Sun by the highly conducting solar wind plasma. Due to the solar rotation a **spiral structure** is formed.



Parker spiral:

$$\tan \Psi = \frac{\omega_{sun} r}{v_{sw}}$$

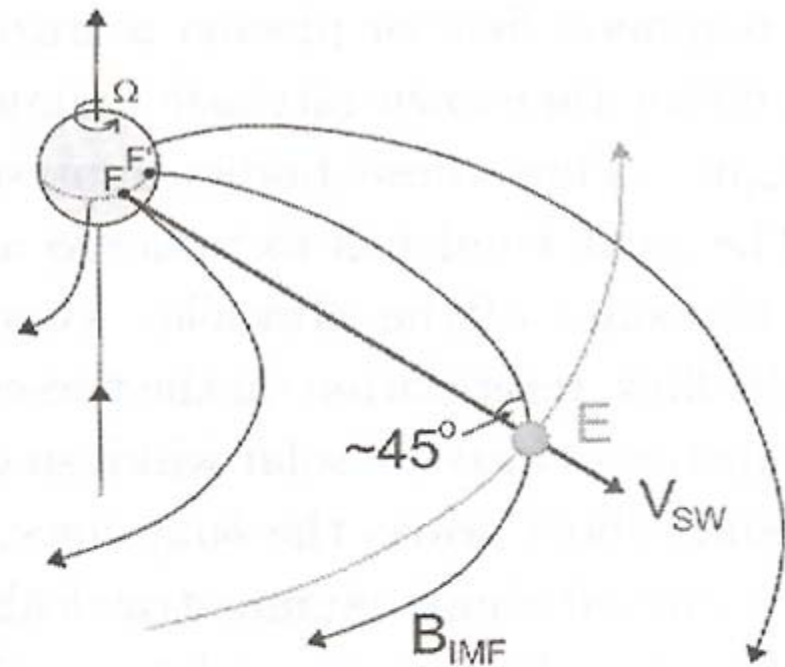
$$\omega_{sun} = 2\pi / (25.38 \times 86,400s)$$

$$\omega_{sun} = 2.86 \times 10^{-6} s^{-1}$$

$$v_{sw} = 450 km s^{-1}$$

$$\psi(r = 1.0 AU) = 43.6^\circ$$

$$\psi(r = 9.5 AU) = 83.7^\circ$$



At:	Angle:	Strength:
Mercury	21°	35 nT
Earth	45°	7 nT
Mars	56°	4 nT
Jupiter	80°	1 nT
Neptune	88°	0.2 nT

Solar wind average properties at $r \sim 1$ AU:

Proton density	6.6 cm^{-3}
Electron density	7.1 cm^{-3}
He^{2+} density	0.25 cm^{-3}

Different types of solar wind (sw):

Fast sw:	$400 < v < 800 \text{ km/s}$,	Helium 3 – 4 %
Slow sw of minimum type:	$250 < v < 400 \text{ km/s}$,	Helium < 2 %
Slow sw of maximum type:	$250 < v < 400 \text{ km/s}$,	Helium ~ 4 %
Coronal mass ejections (CMEs):	$400 < v < 2000 \text{ km/s}$,	Helium(++) ~ 30 %

Solar wind average properties at $r \sim 1$ AU:

Proton density	6.6 cm^{-3}
Electron density	7.1 cm^{-3}
He^{2+} density	0.25 cm^{-3}
Flow speed (\sim radial)	450 km s^{-1}
Proton temperature	$1.2 \times 10^5 \text{ K}$
Electron temperature	$1.4 \times 10^5 \text{ K}$
Magnetic field strength	7 nT
Sonic Mach number	2–10
Alfvén Mach number	2–10
Mean free path	$\sim 1 \text{ AU}$

Dipole structure

$$\mathbf{B}_D = -\mu_0 \nabla \Phi_D = -\nabla \frac{\mu_0 \mathbf{M} \cdot \mathbf{r}}{4\pi r^3}$$

$$(B_D)_r = -\frac{\mu_0 M}{4\pi} \cdot \frac{2\cos\vartheta}{r^3}$$

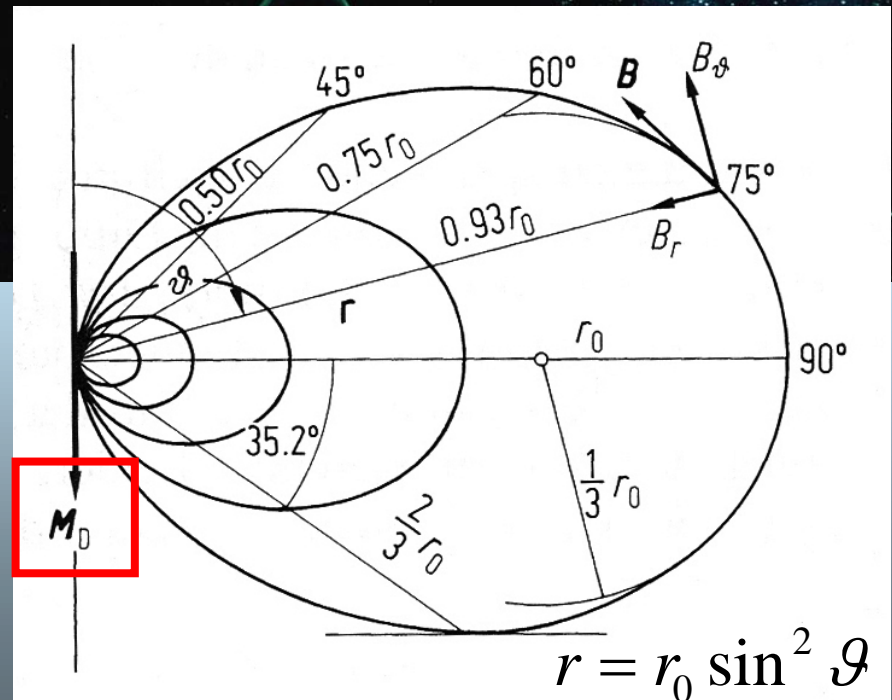
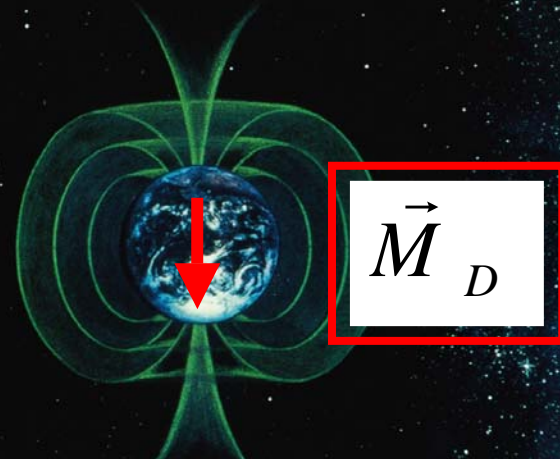
$$(B_D)_\vartheta = -\frac{\mu_0 M}{4\pi} \cdot \frac{\sin\vartheta}{r^3}$$

$$(B_D)_\phi = 0$$

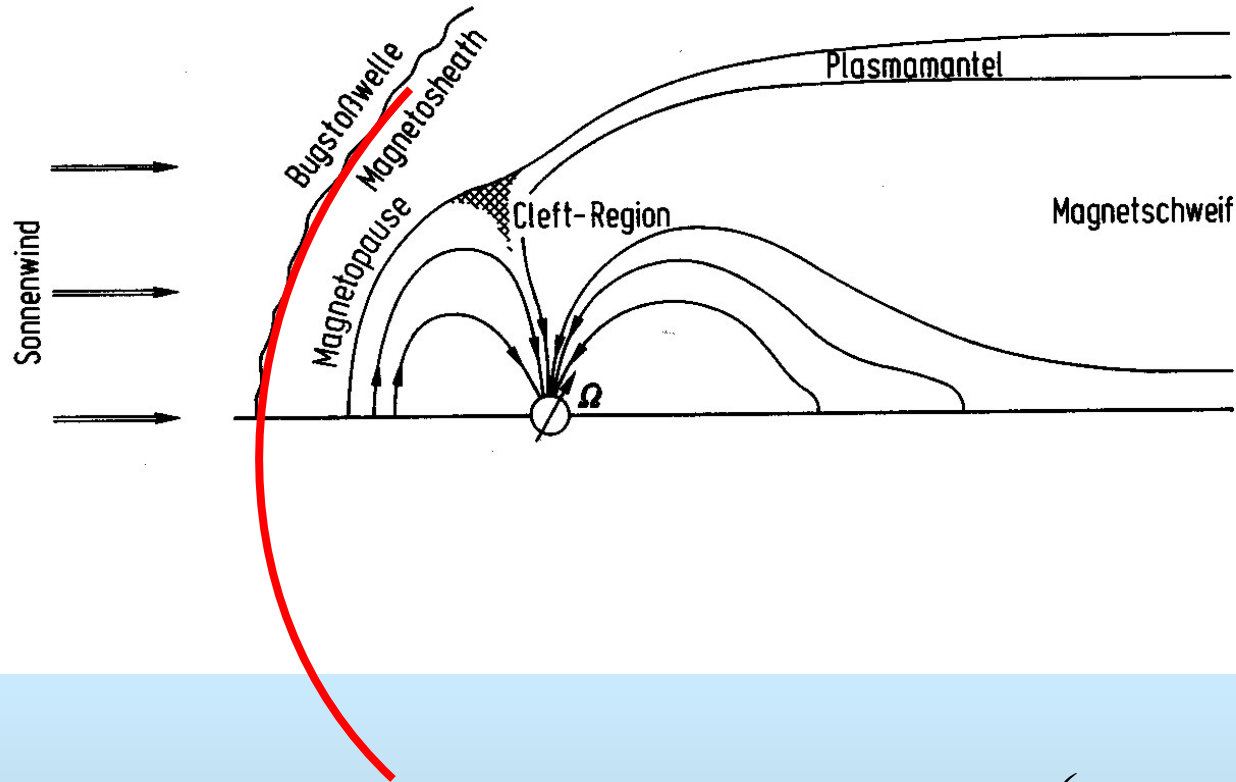
$$B(r, \vartheta) = \sqrt{B_r^2 + B_\vartheta^2}$$

$$B(r, \vartheta) = \frac{\mu_0 M}{4\pi r^3} \sqrt{1 + 3\cos^2\vartheta}$$

$$B_{\text{Äquator}} = \frac{\mu_0 M}{4\pi r^3} = B_0 \left(\frac{r_E}{r}\right)^3$$



Interaction between the solar wind and planetary magnetic field



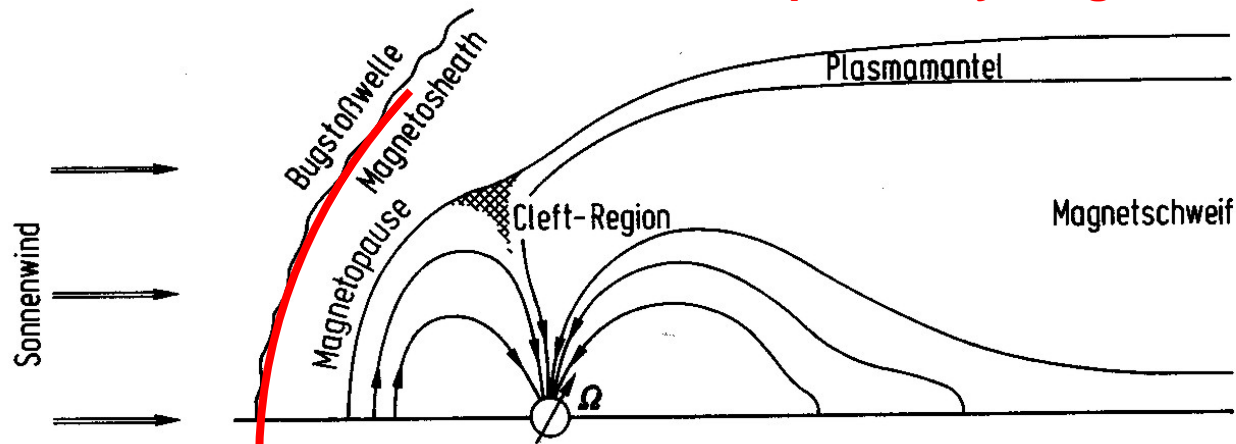
Solar wind bulk flow = super-sonic flow

$$v_{sonic} = \left(\frac{c_p}{c_V} \frac{nk(T_e + T_i)}{nm} \right)^{\frac{1}{2}}$$

= super-Alfvenic flow

$$v_A = \frac{B}{\sqrt{\mu_0 \rho}}$$

Interaction between the solar wind and planetary magnetic field



Bow shock:

Transition of solar wind plasma described by the Rankine Hugoniot equations.

Change after transition:

- bulk speed ↓
- particle density ↑
- plasma pressure ↑
- plasma temperature ↑

$$[\rho u_n] = 0,$$

$$\left[\rho u_n^2 + P + \frac{B^2}{2\mu_0} \right] = 0,$$

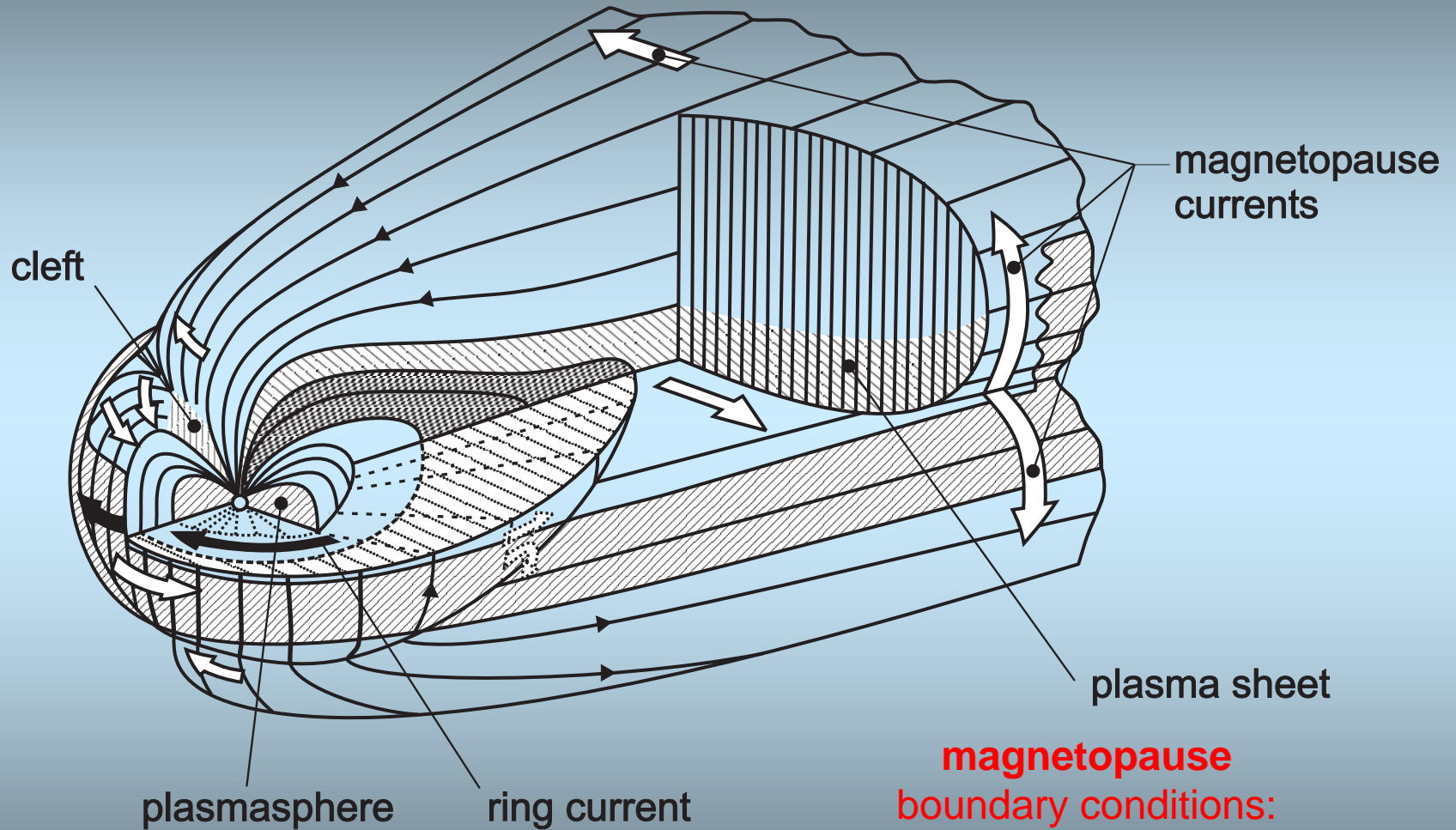
$$\left[\rho u_n^2 \mathbf{u}_t - \frac{B_n}{\mu_0} \mathbf{B}_t \right] = 0,$$

$$\left[\rho u_n^2 \left(\frac{1}{2} u^2 + \frac{\gamma}{\gamma-1} \frac{P}{\rho} \right) + \mu_n \frac{B^2}{\mu_0} - \mathbf{u} \cdot \mathbf{B} \frac{B_n}{\mu_0} \right] = 0,$$

$$[B_n] = 0,$$

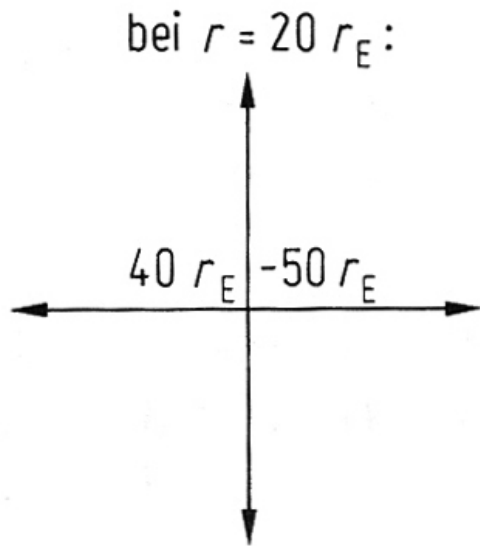
$$[u_n \mathbf{B}_t - B_n \mathbf{u}_t] = 0,$$

3D schematics of the terrestrial magnetosphere

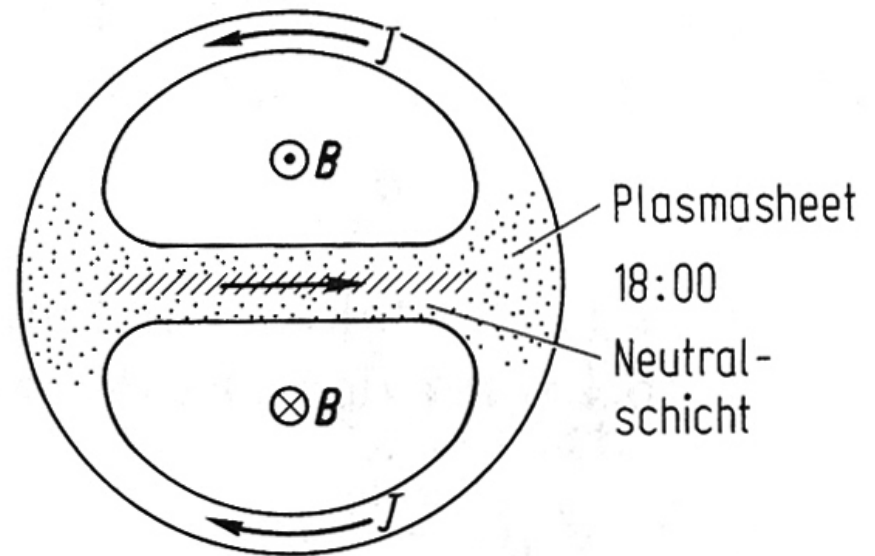


$$nmv^2 \cos^2 \alpha = B^2 / 2\mu_0$$
$$B_n = 0$$

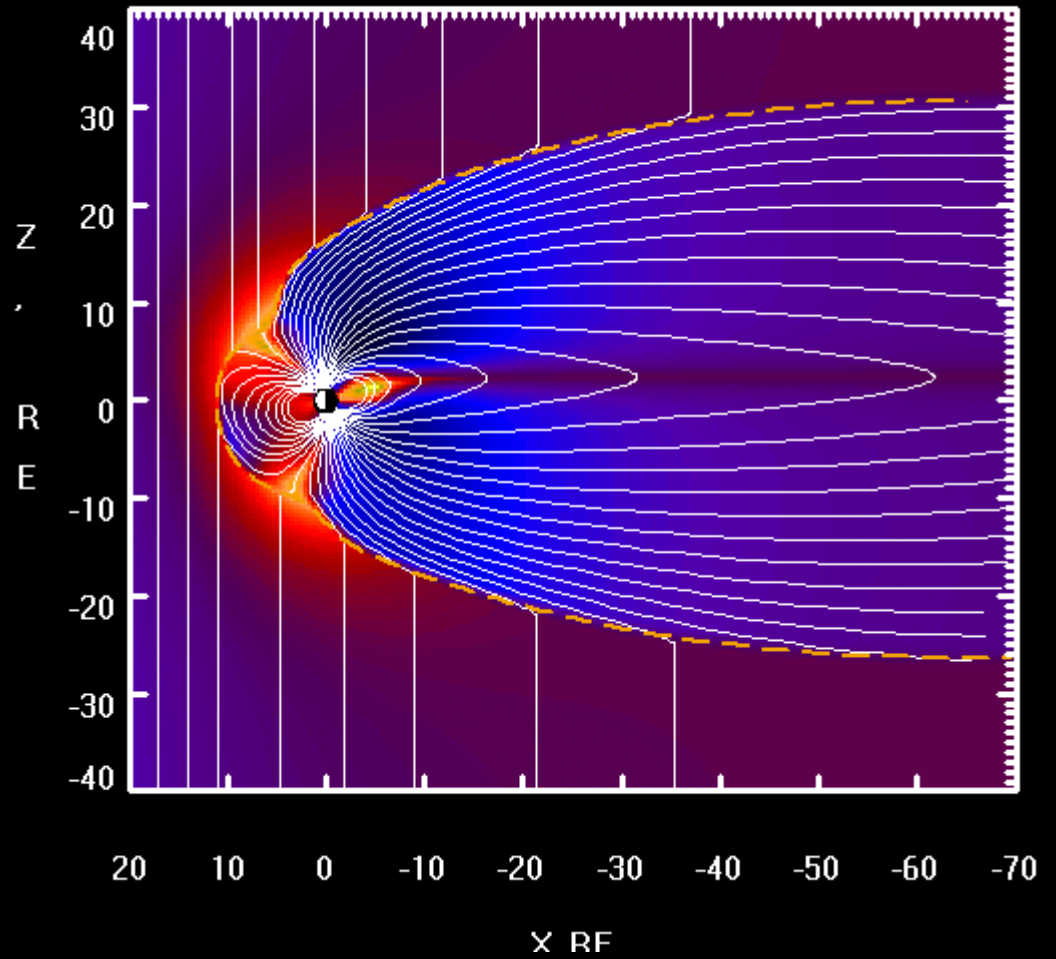
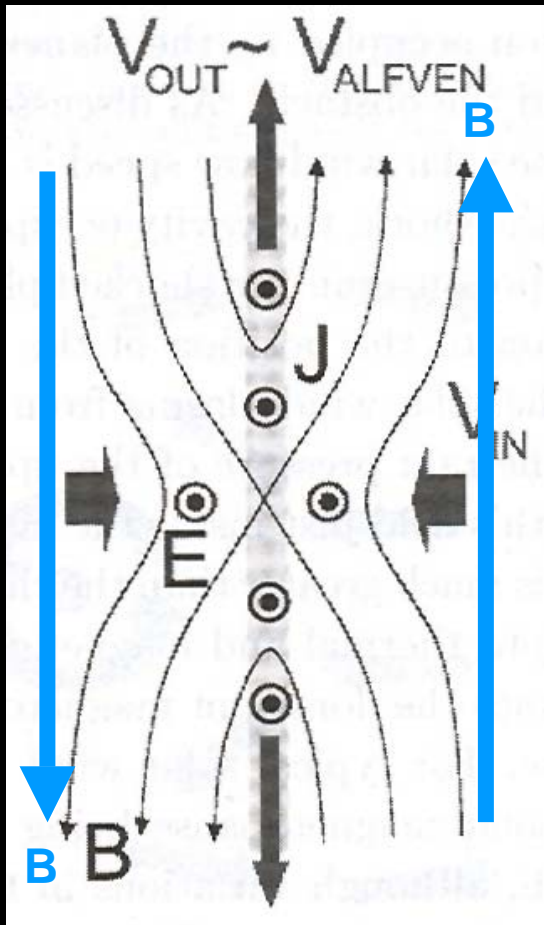
Magnetotail cross section at $r = 20 r_E$



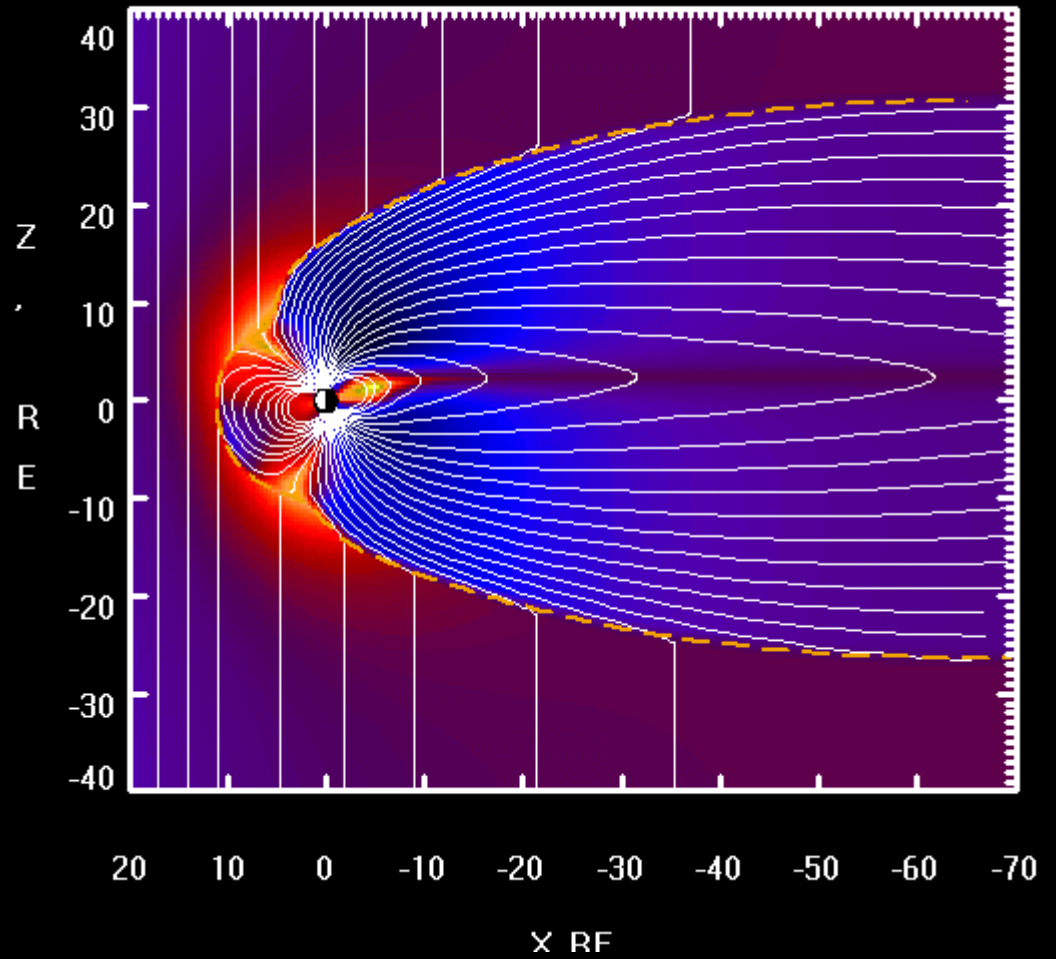
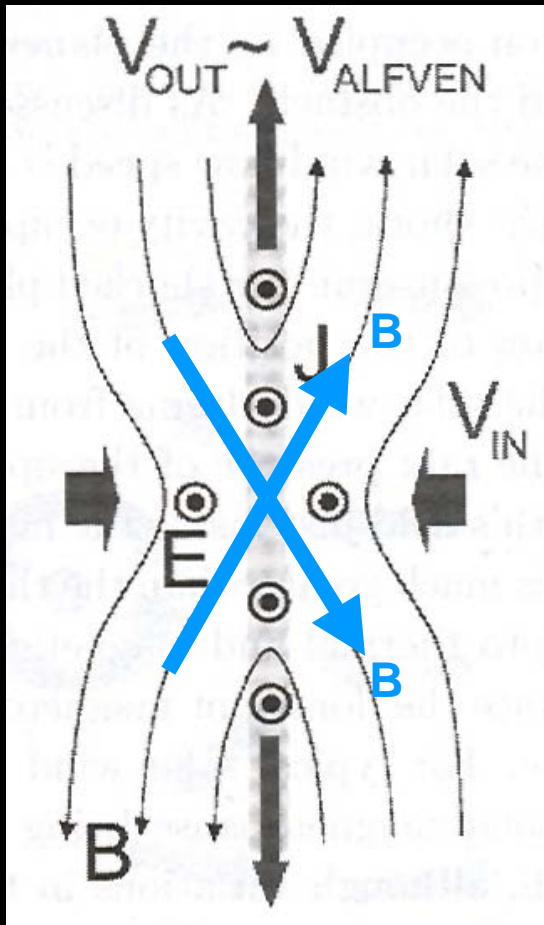
LT 06:00



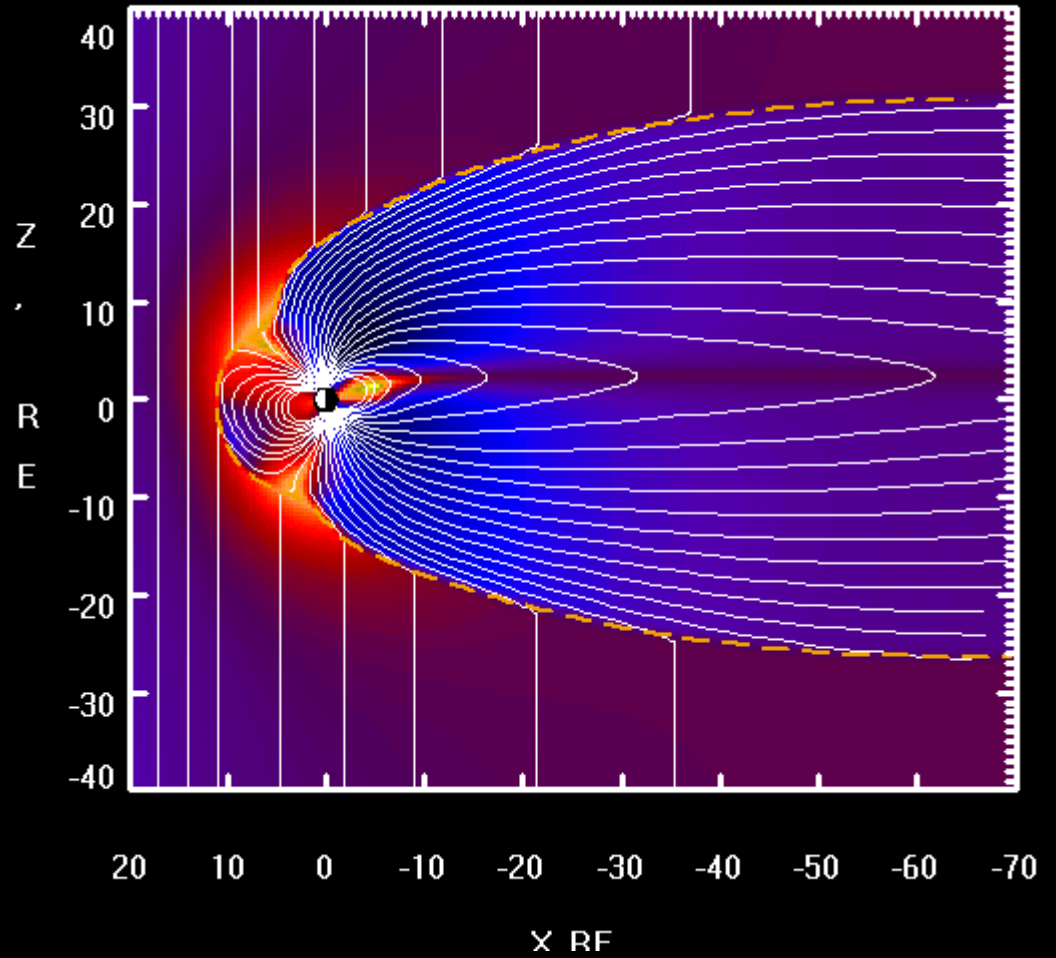
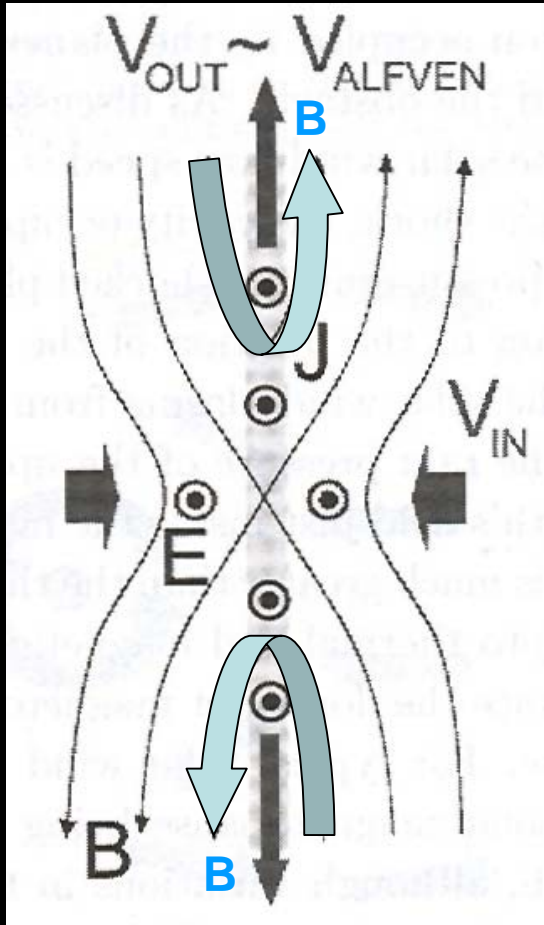
Magnetic reconnection

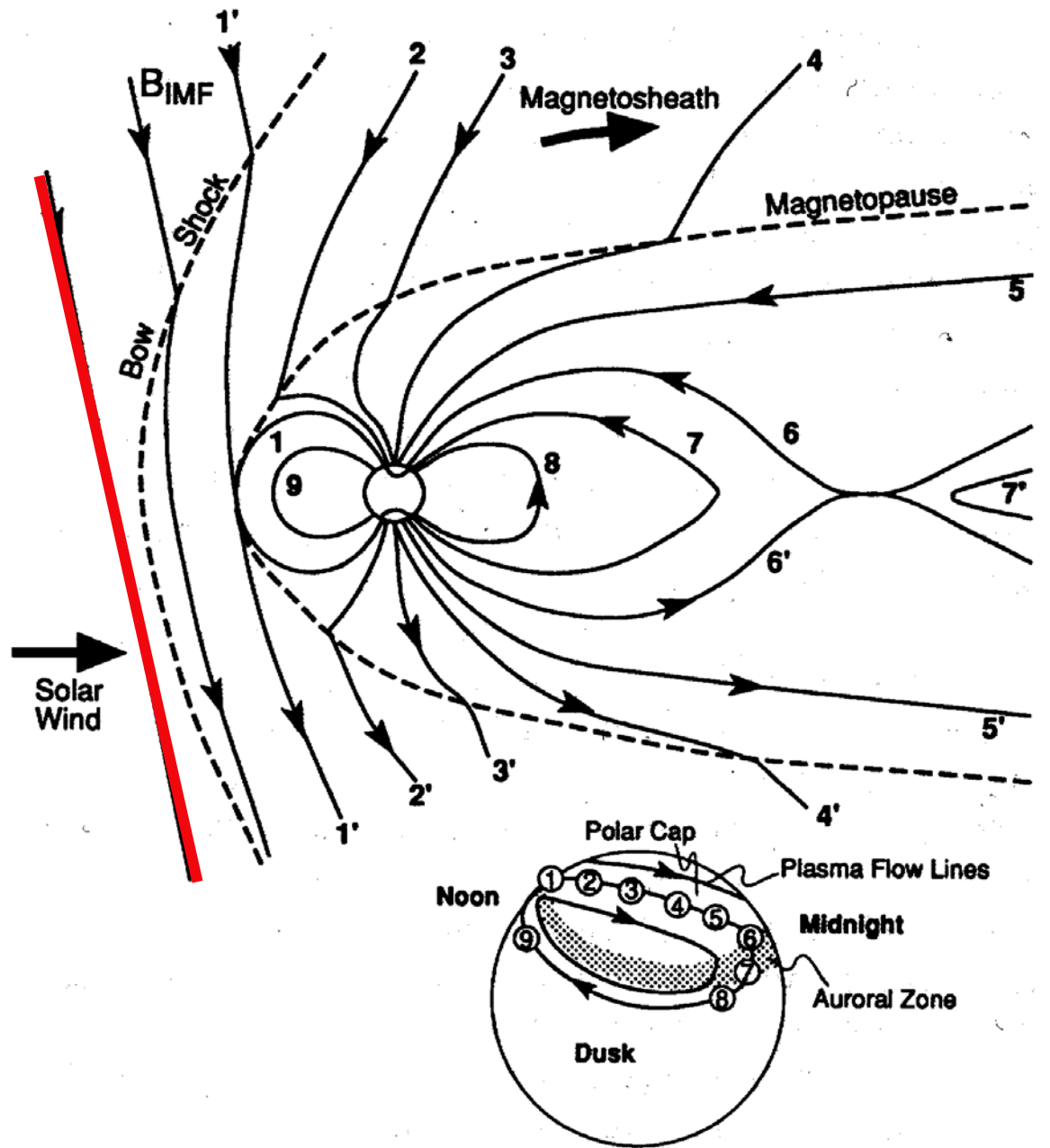


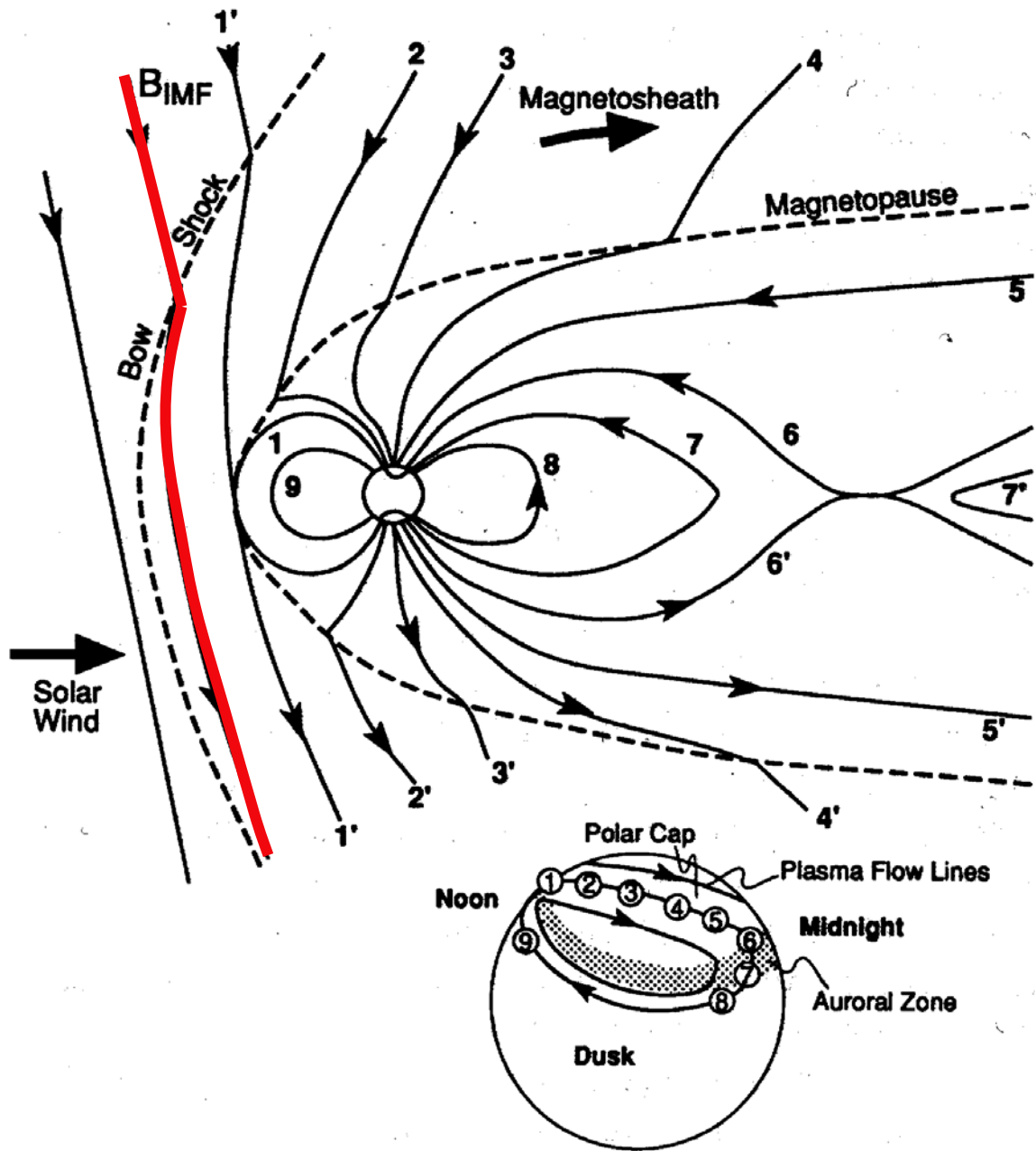
Magnetic reconnection



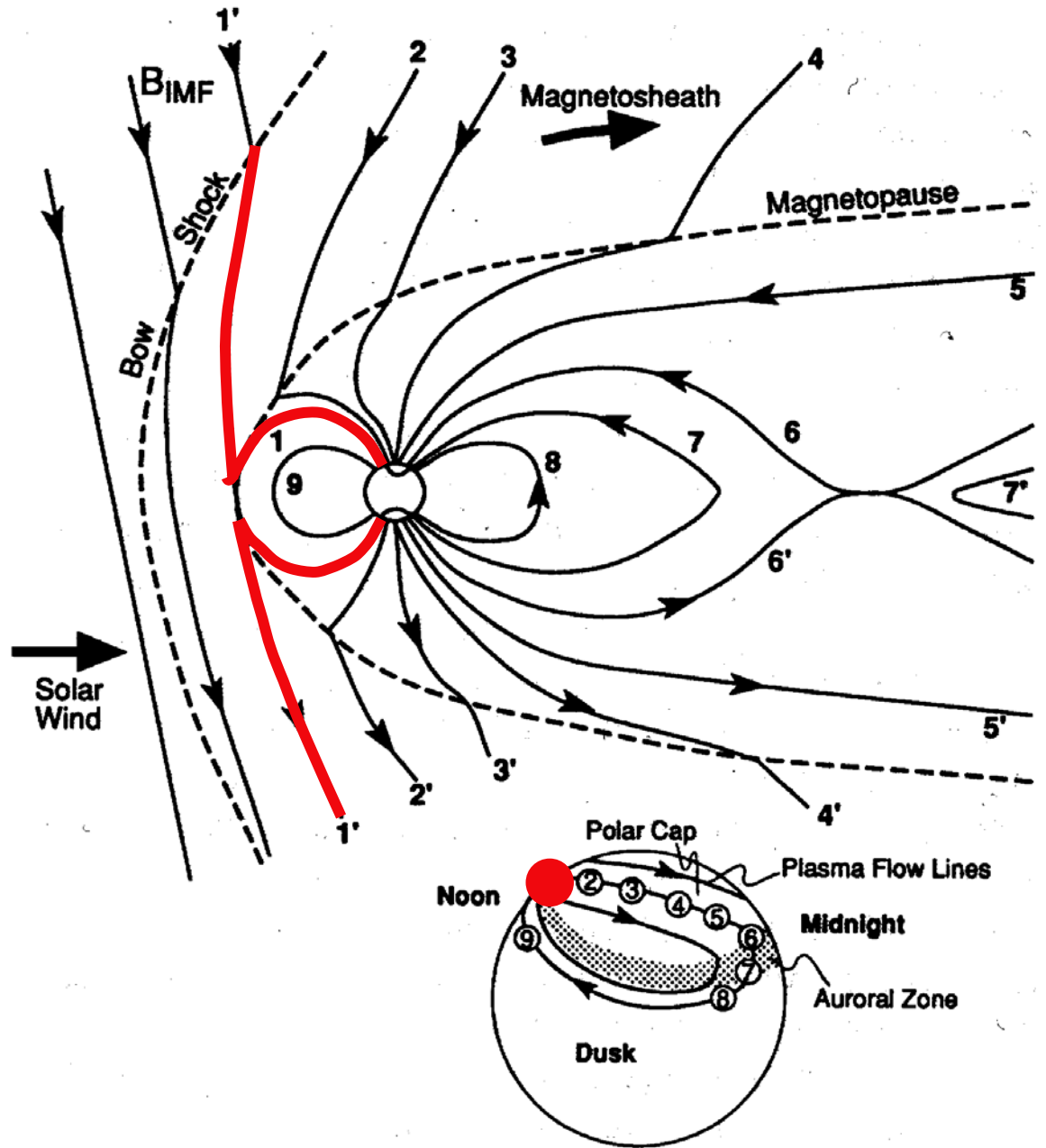
Magnetic reconnection

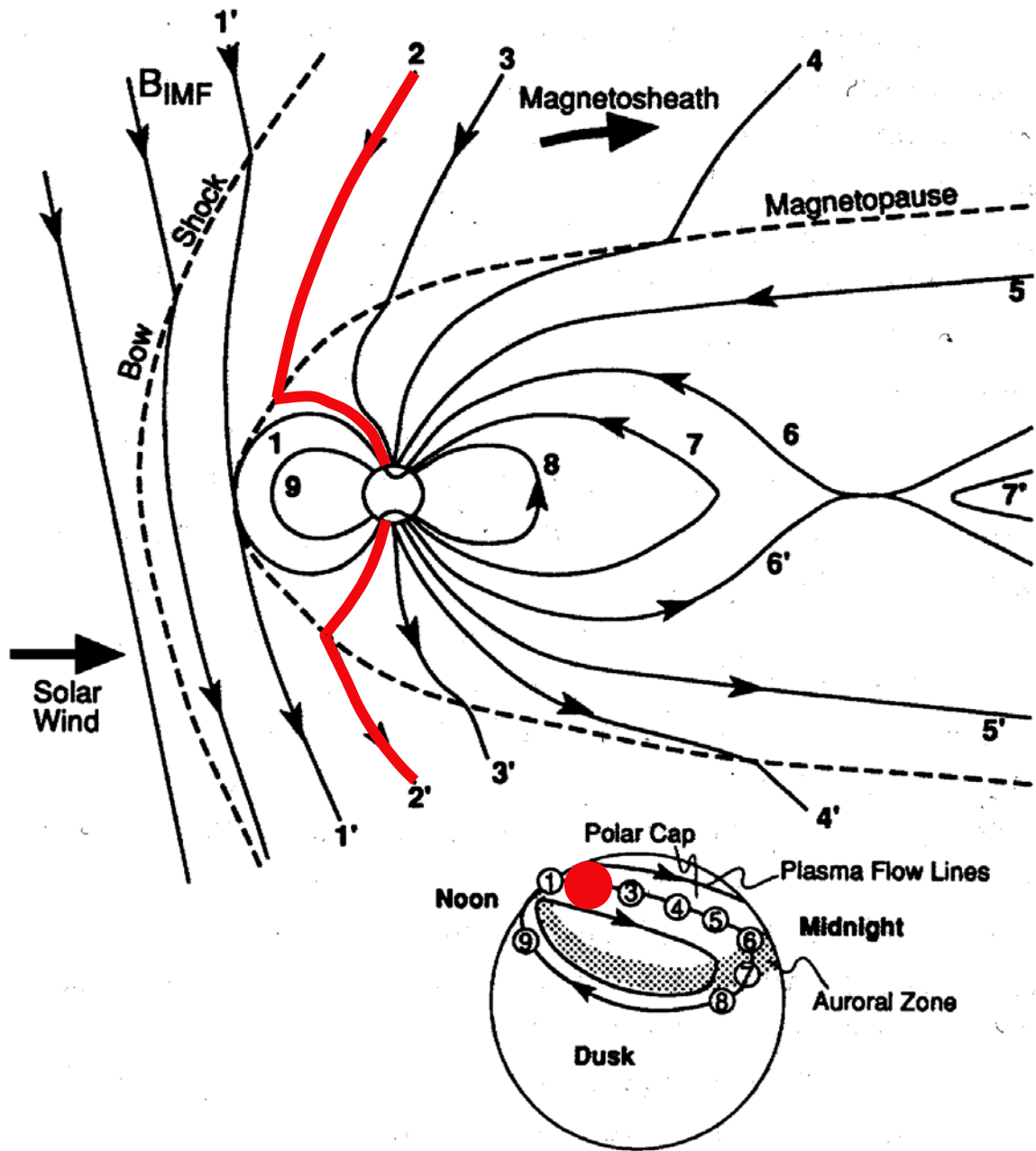


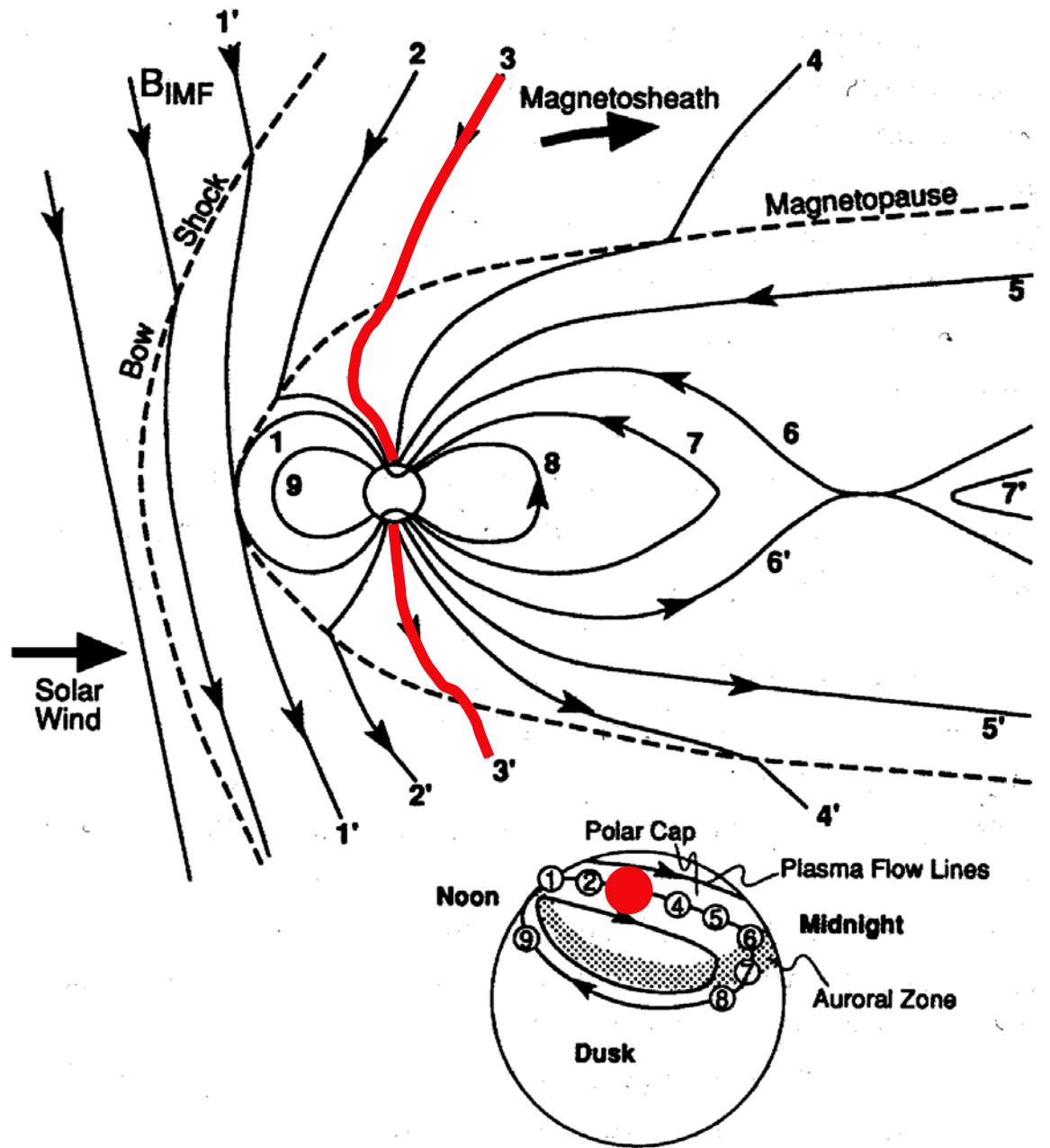




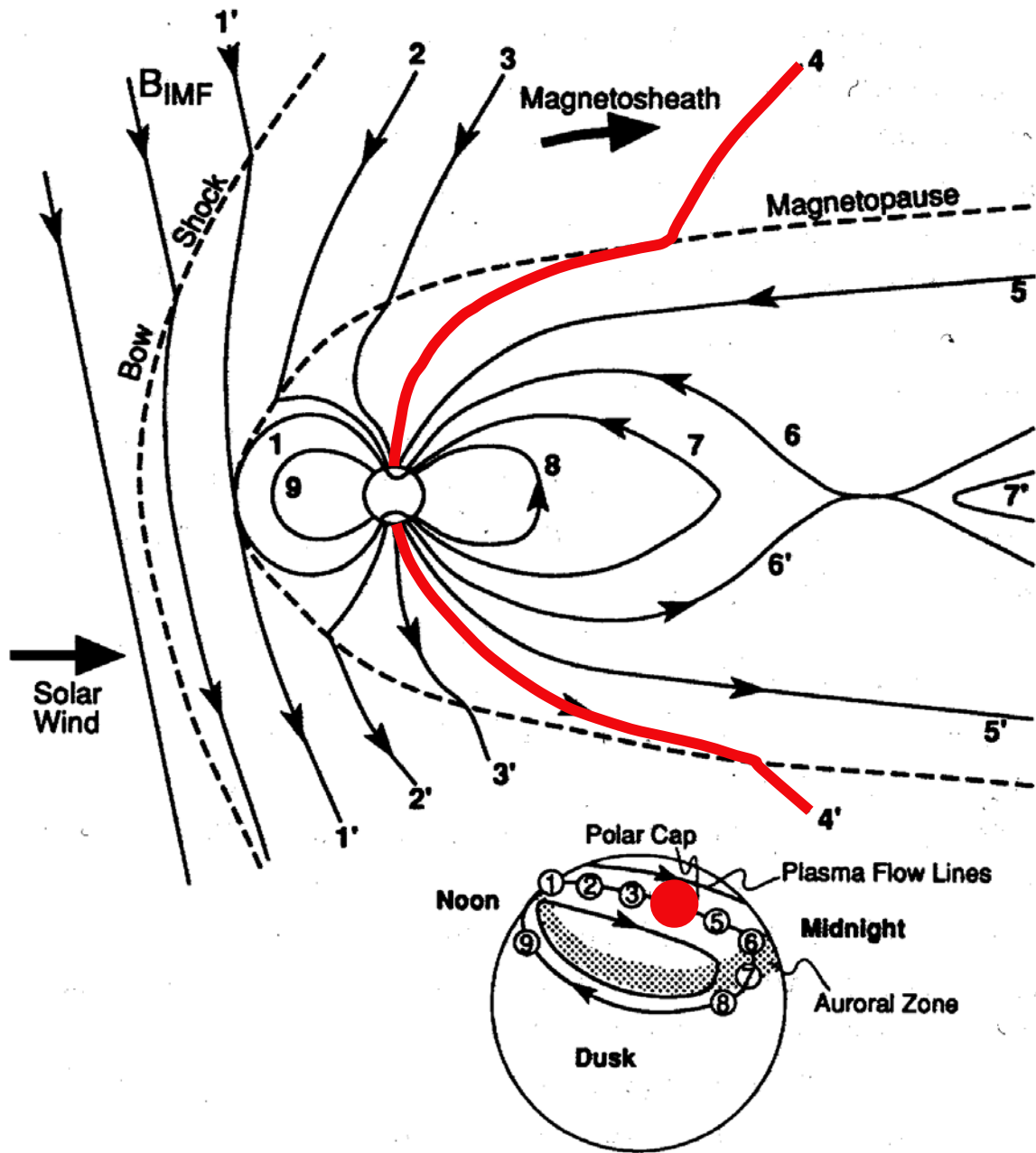
**1st reconnection =
start of the cycle**

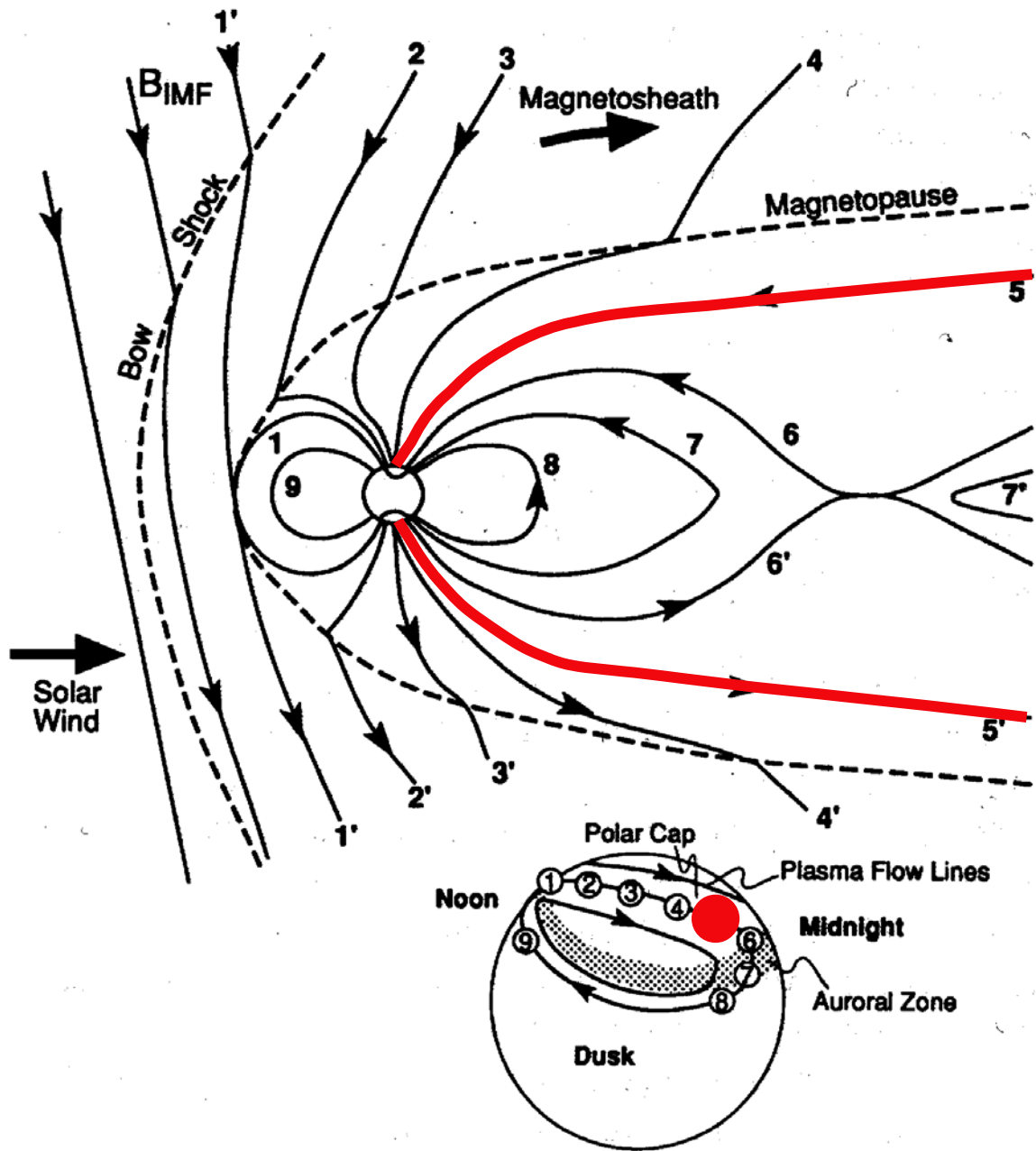




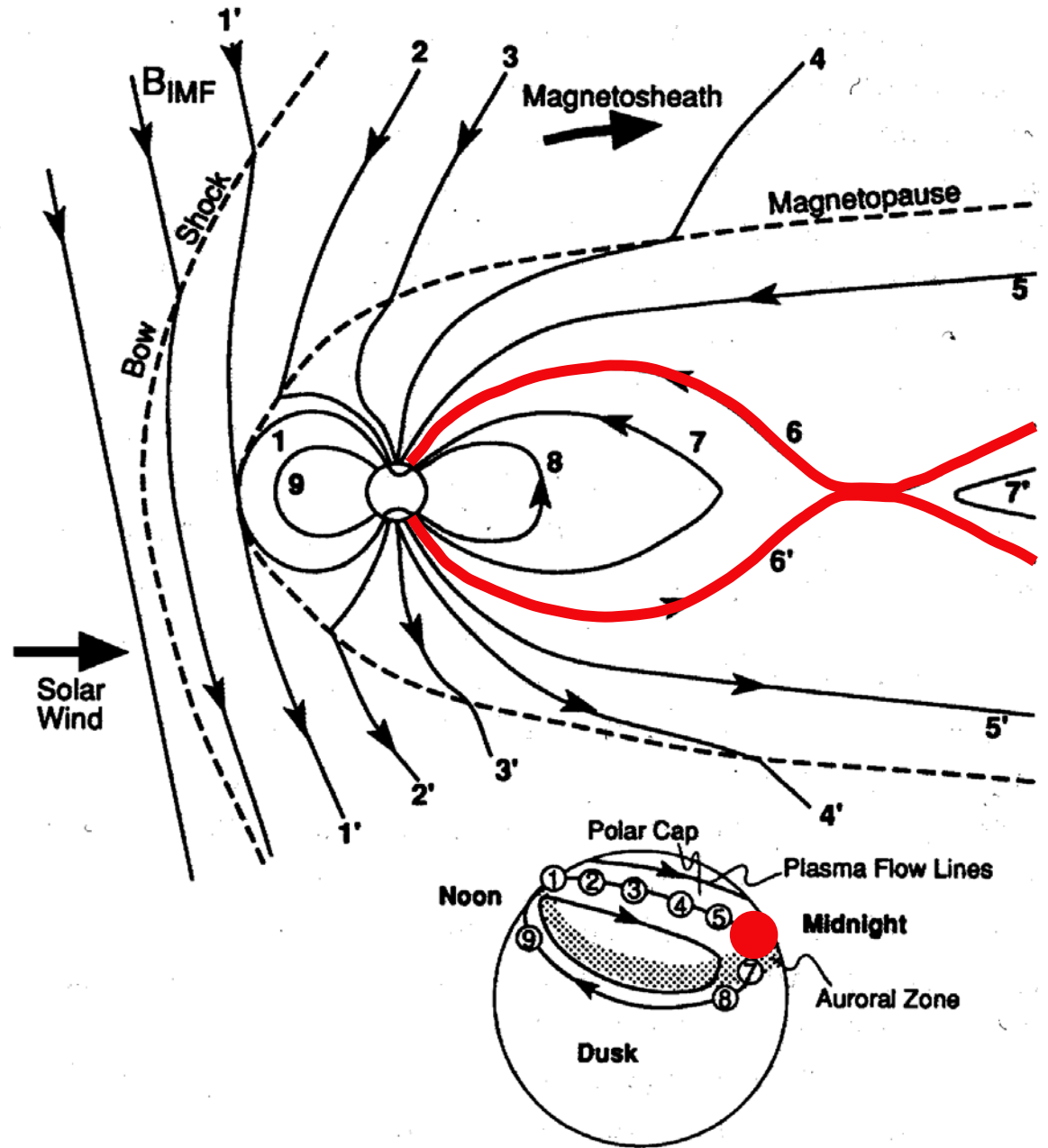


transport
over the poles

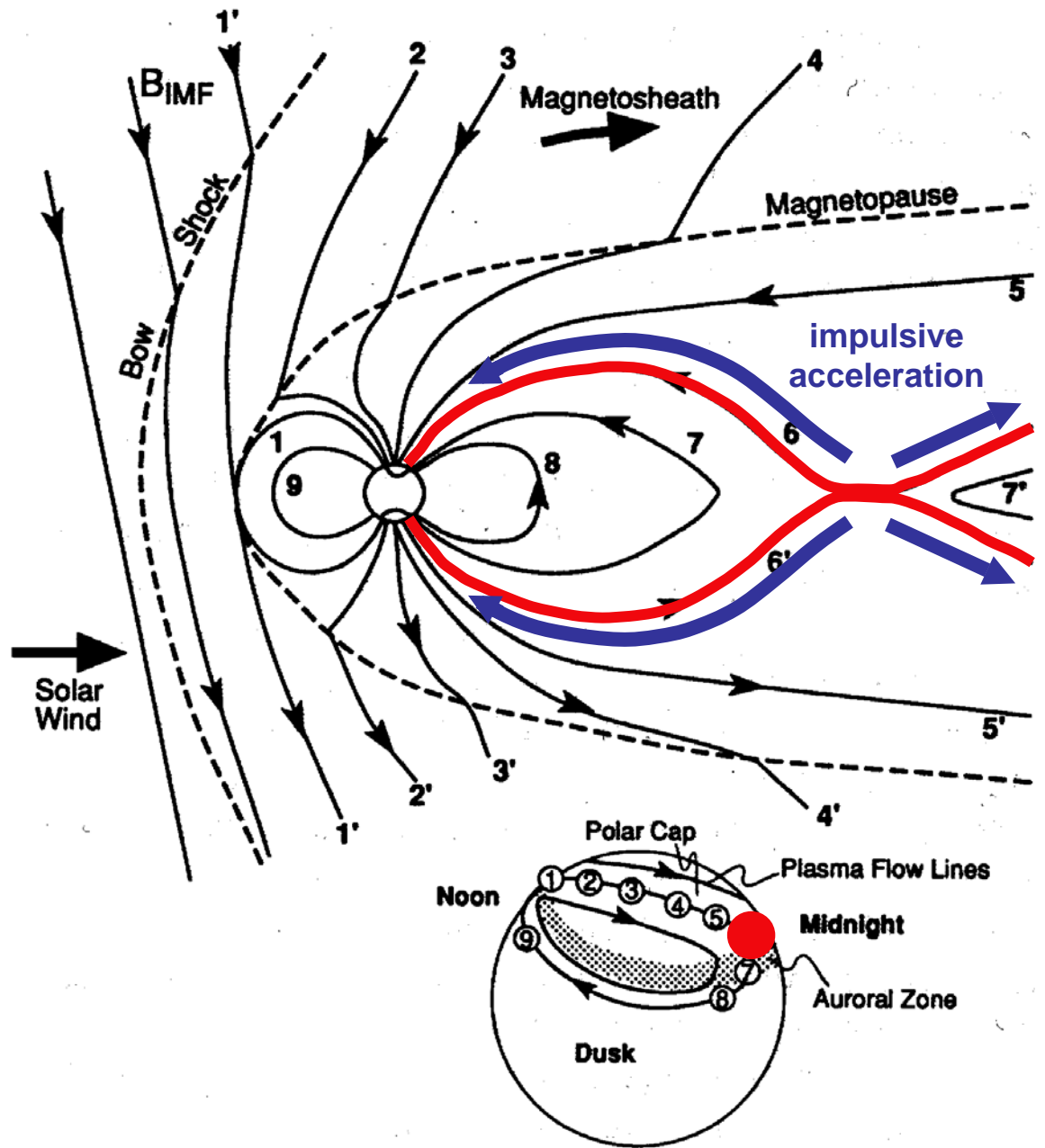




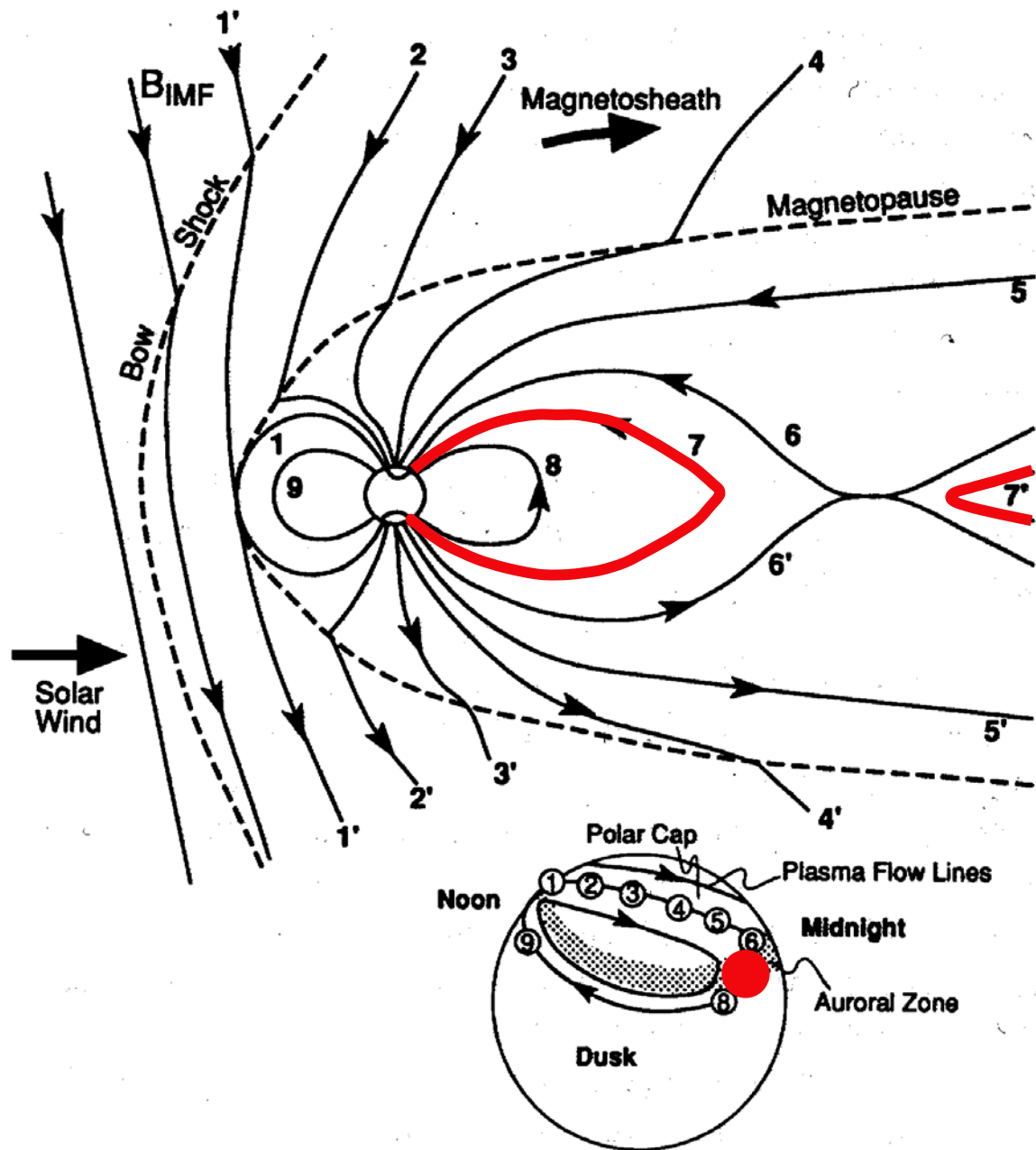
2nd reconnection



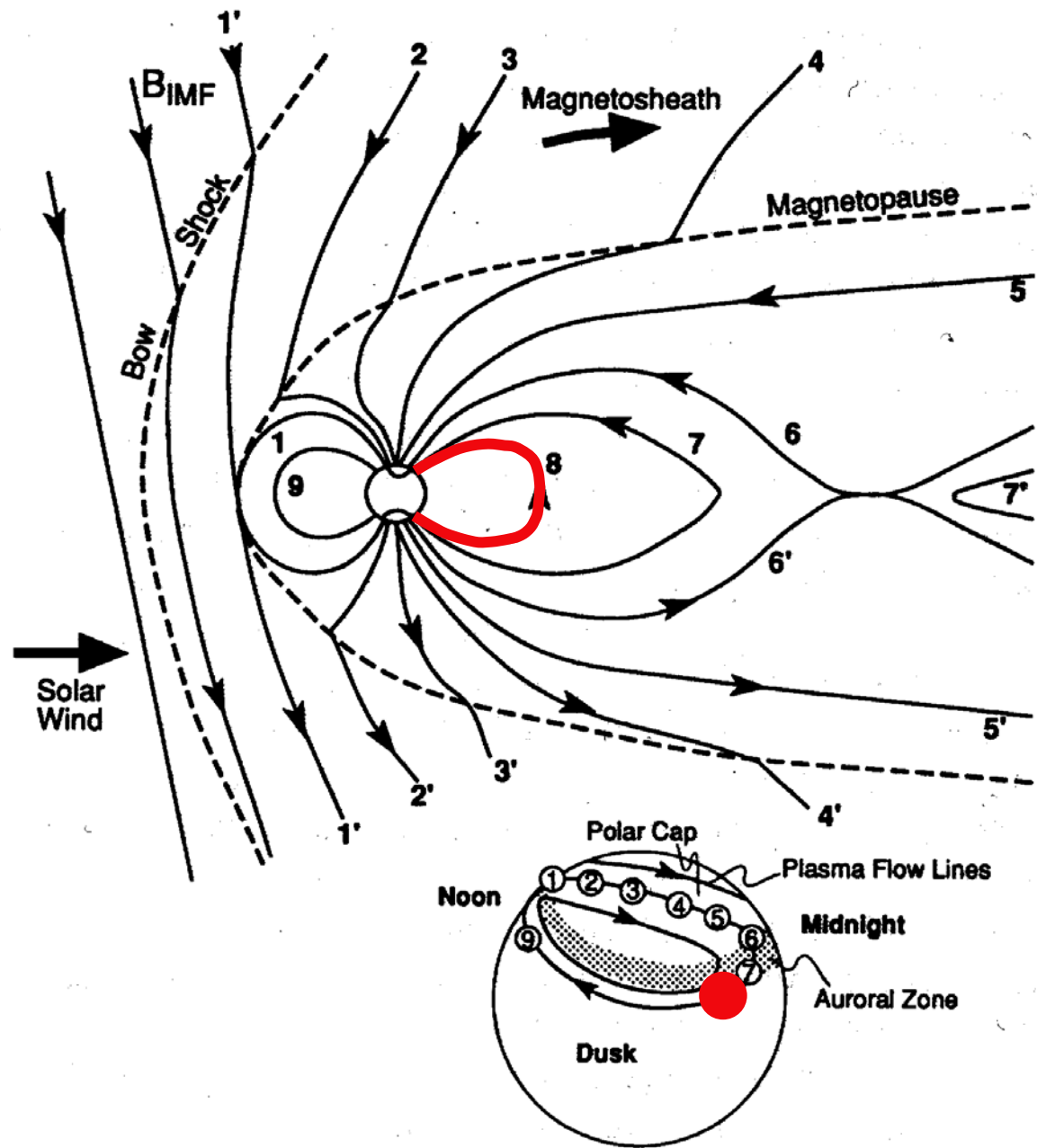
Release of energy (the stretched configuration contains additional energy to accelerate plasma)

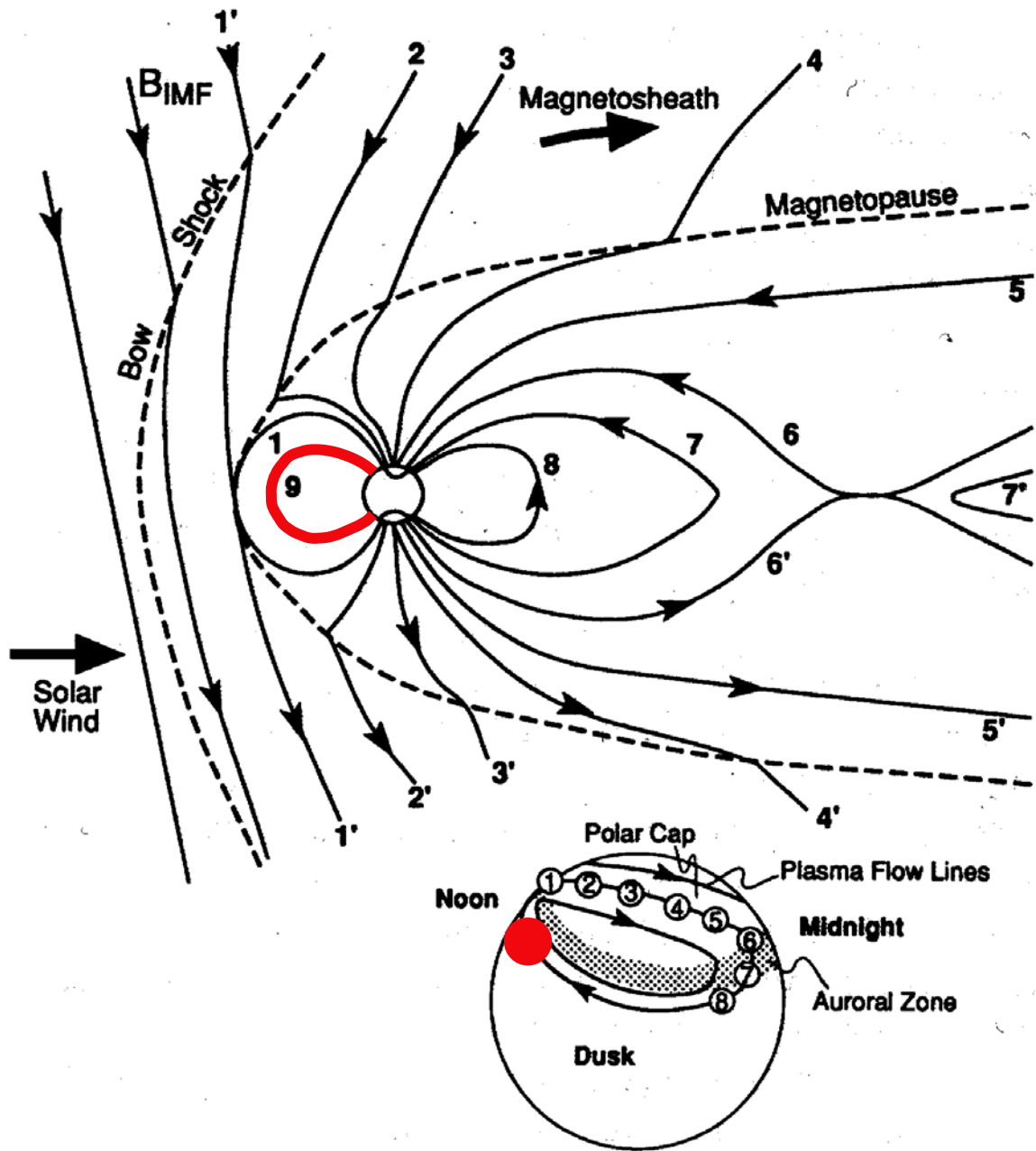


ejection of plasma into the magnetotail

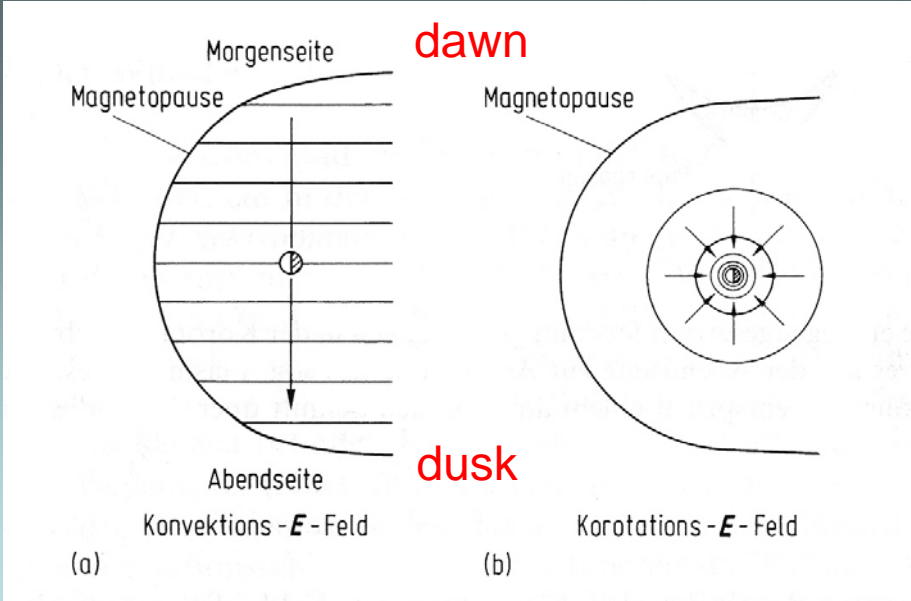


returning of a
« magnetic loop »
back to the dayside

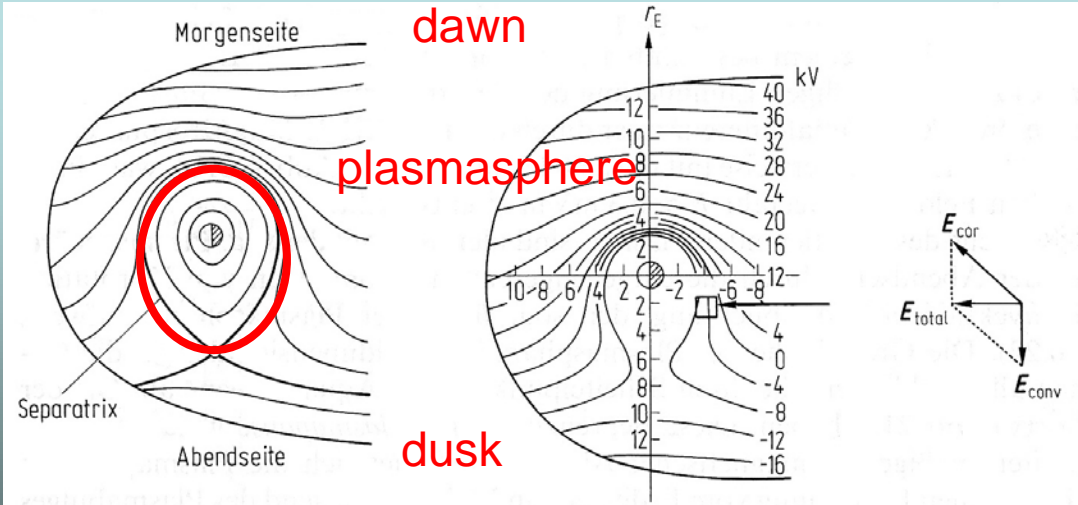


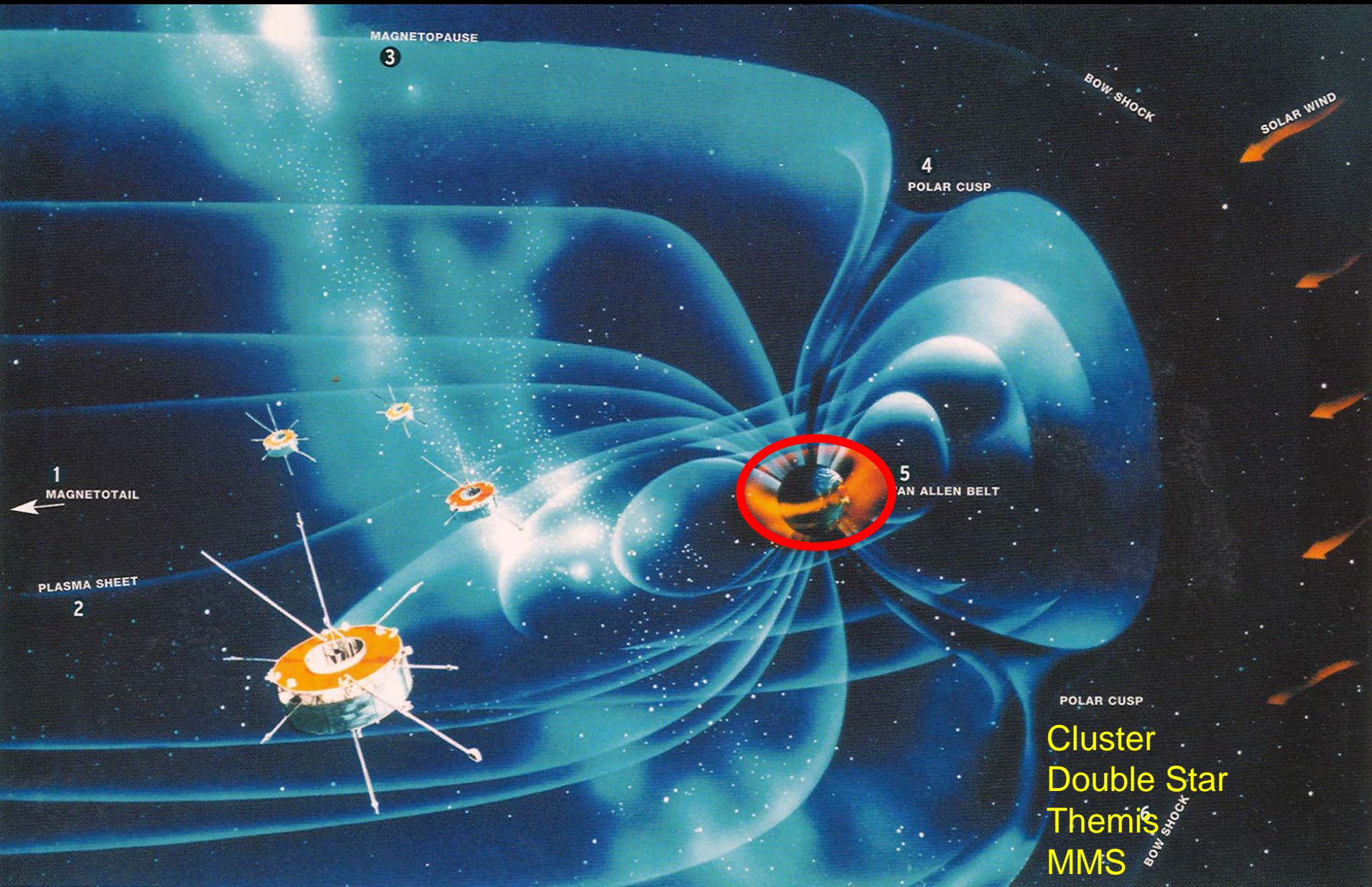


Inner-magnetospheric electric fields



Inner-magnetospheric particle drift paths and iso-potential lines, resp.





MAGNETOPAUSE

3

BOW SHOCK

SOLAR WIND

4
POLAR CUSP

1
MAGNETOTAIL

5
VAN ALLEN BELT

2
PLASMA SHEET

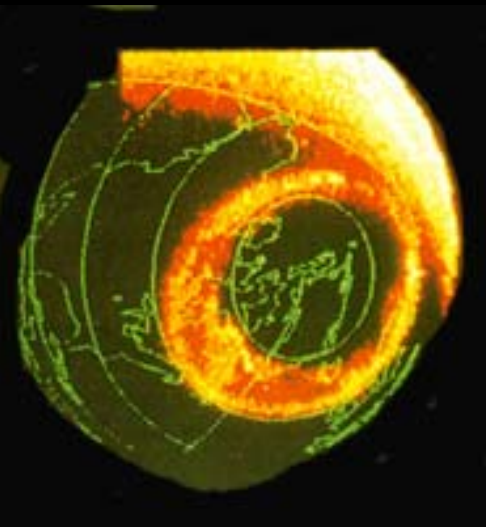
POLAR CUSP

Cluster
Double Star
Themis
MMS

BOW SHOCK

PLANETARY AURORAE

a fascinating phenomenon at and around the magnetic poles of magnetized planets



Earth

Dynamic Explorer)

UV - 130 nm

(Courtesy . L. Frank)

Jupiter

HST-STIS

UV - 150 nm

(R. Prangé & L Pallier)

Saturn

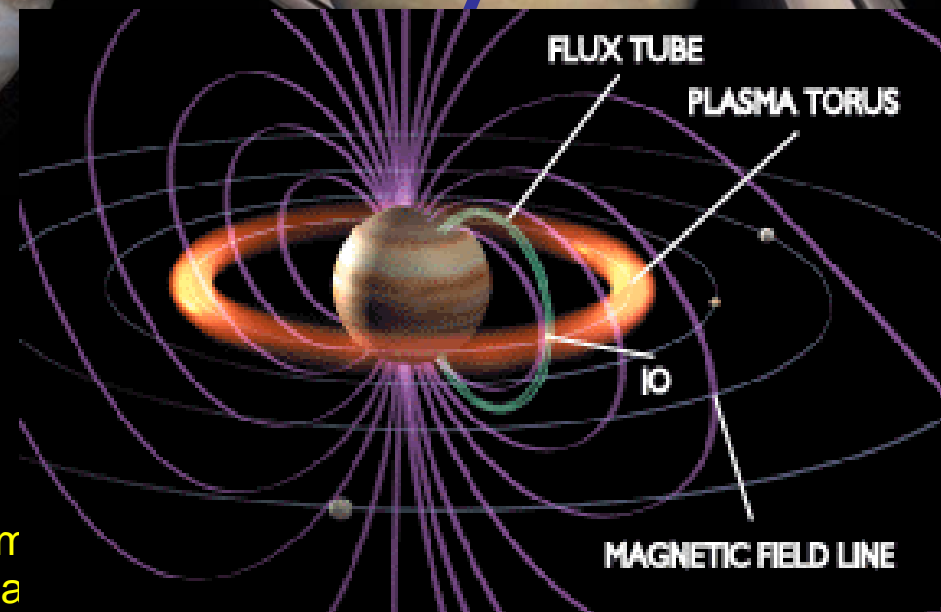
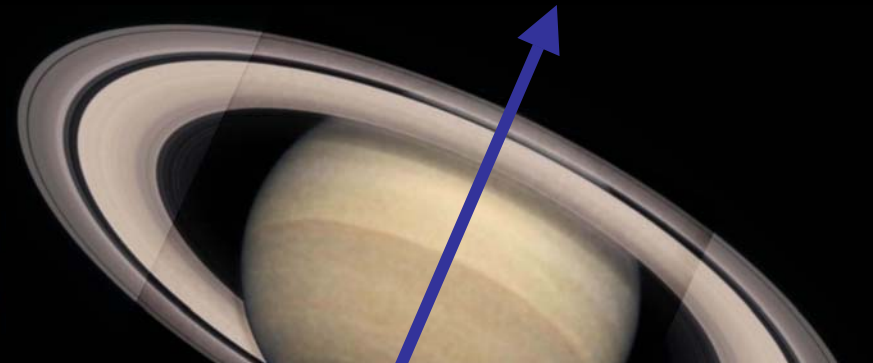
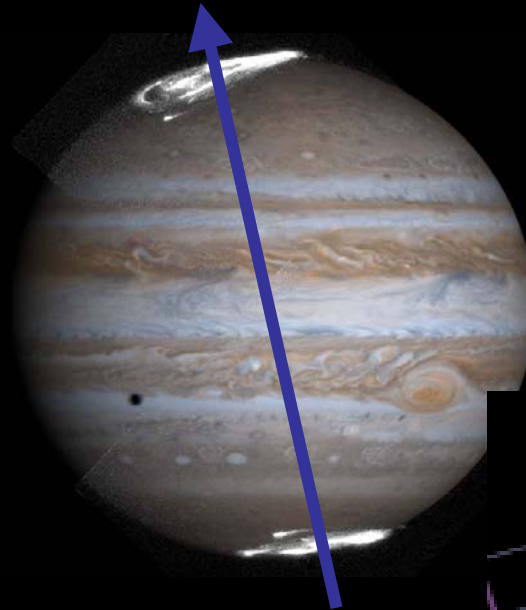
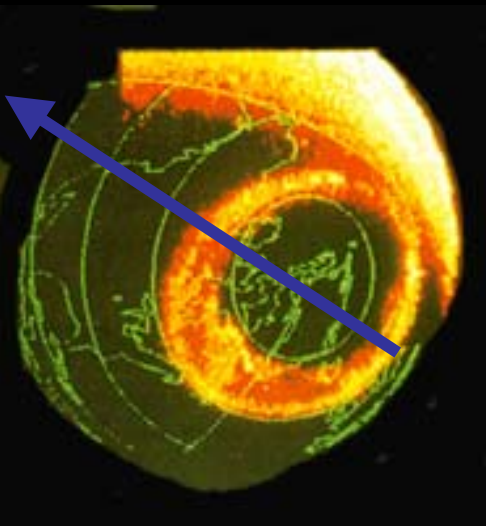
HST-STIS

UV - 130 nm

(R. Prangé & L Pallier)

PLANETARY AURORAE

a fascinating phenomenon at and around the magnetic poles of magnetized planets

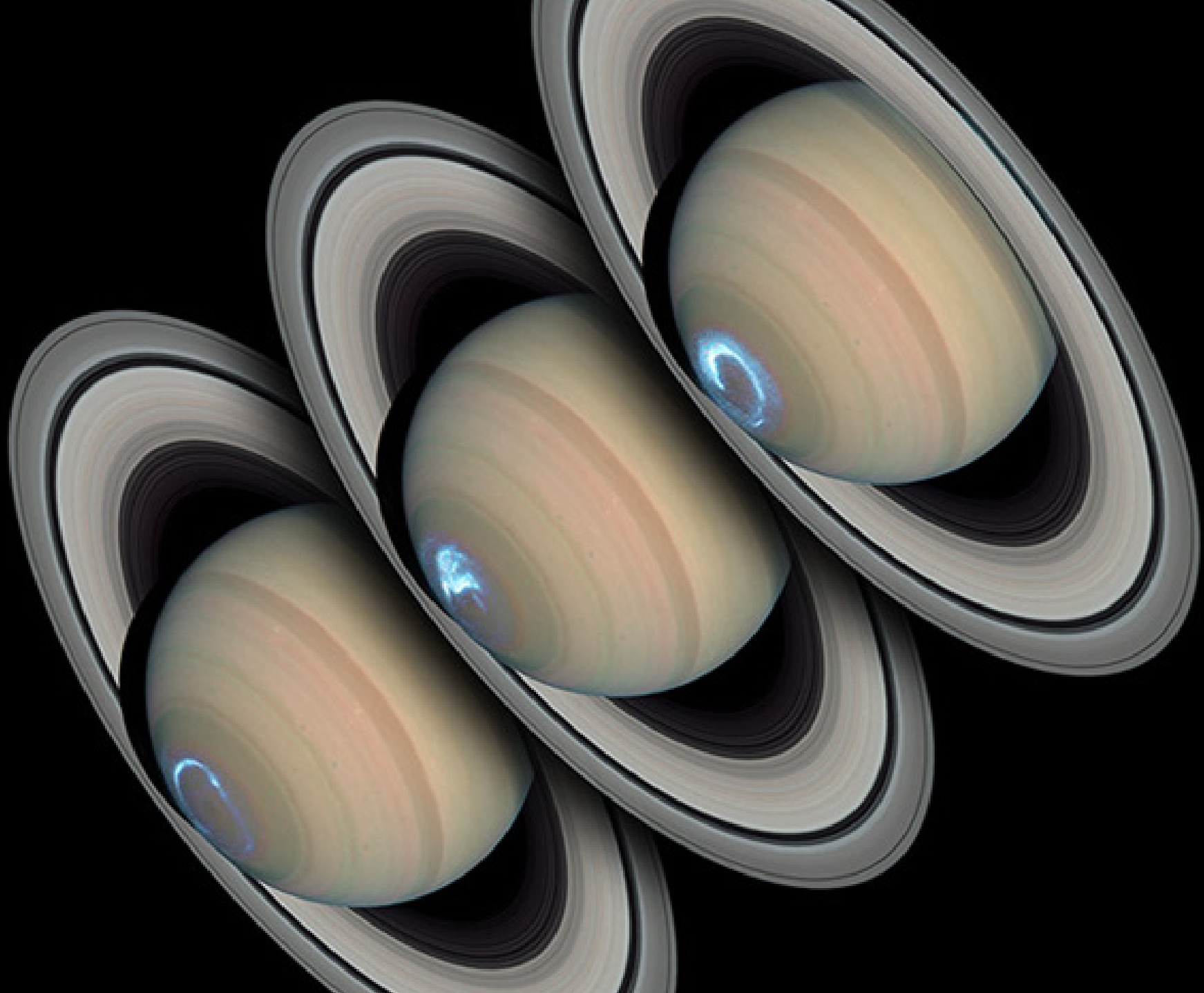


Earth

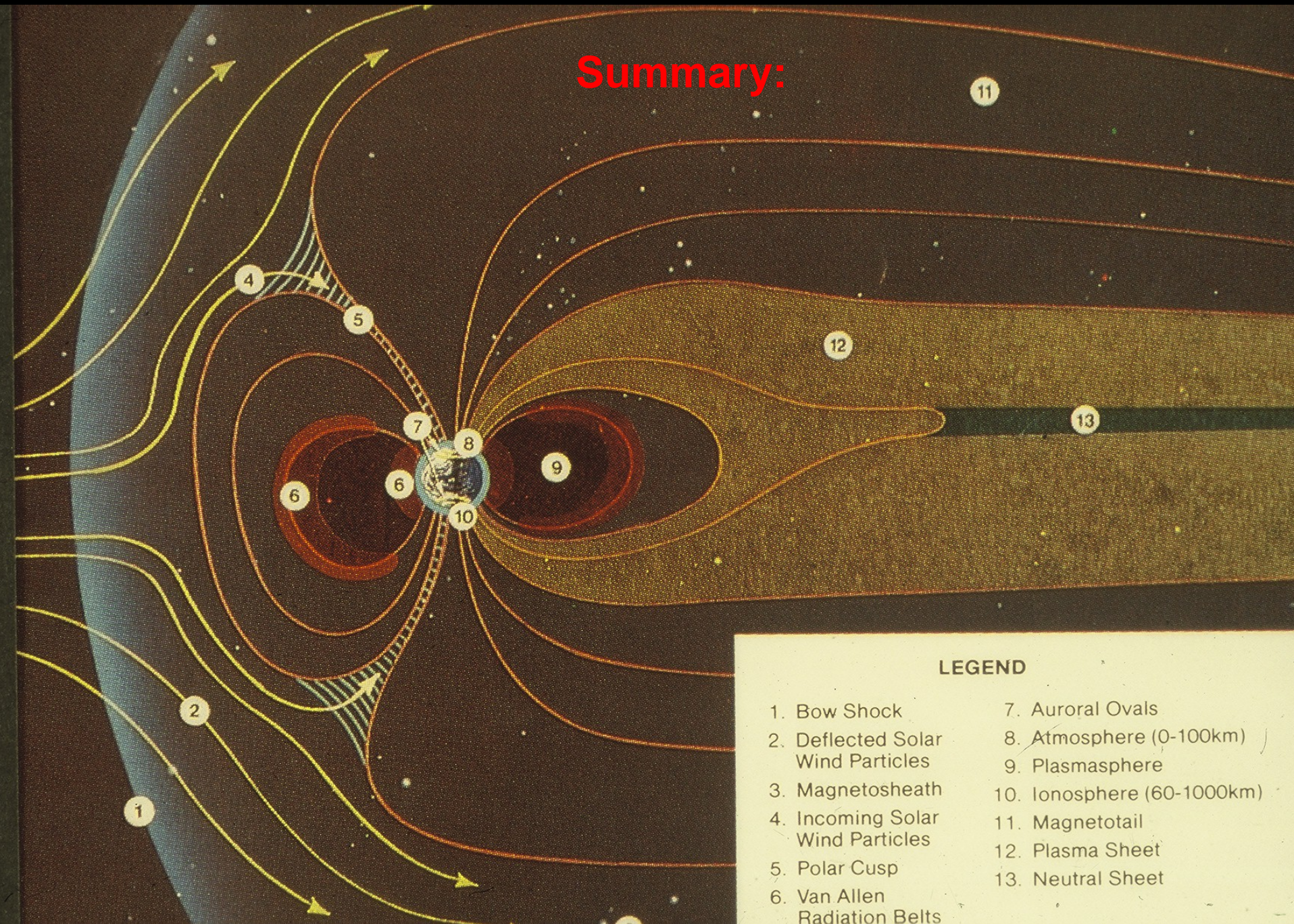
Dynamic Explorer)
UV - 130 nm
(Courtesy . L. Frank)

Jupiter

HST-STIS
UV - 150 nm
(R. Prangé & L Pa)



Summary:



LEGEND

- | | |
|-----------------------------------|----------------------------|
| 1. Bow Shock | 7. Auroral Ovals |
| 2. Deflected Solar Wind Particles | 8. Atmosphere (0-100km) |
| 3. Magnetosheath | 9. Plasmasphere |
| 4. Incoming Solar Wind Particles | 10. Ionosphere (60-1000km) |
| 5. Polar Cusp | 11. Magnetotail |
| 6. Van Allen Radiation Belts | 12. Plasma Sheet |
| | 13. Neutral Sheet |

Magnetic field representation

$$B = -grad\Phi$$

$$\Phi = r_p \sum_{n=1}^{\infty} (r_p / r)^{n+1} \left\{ \sum_{m=0}^n P_n^m(\cos \mathcal{G}) \left[g_n^m \cos m\varphi + h_n^m \sin m\varphi \right] \right\}$$

Φ magnetic potential

r_p planetary radius

P_n^m Legendre polynom

\mathcal{G} polar distance angle

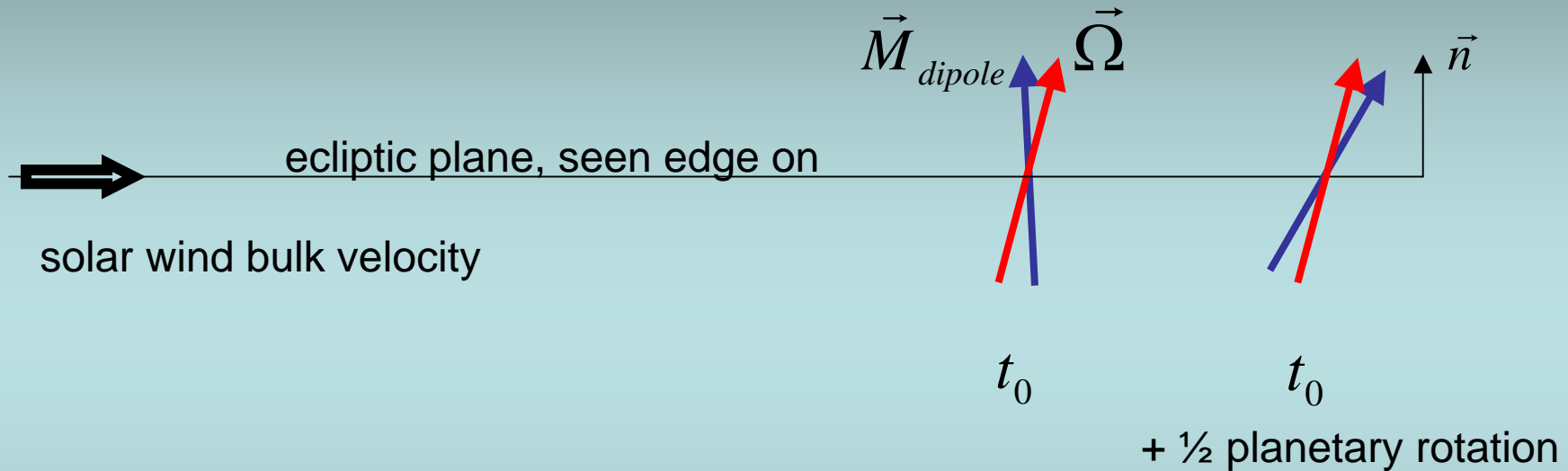
g_n^m, h_n^m spherical harmonic coefficients

φ planetocentric longitude

Magnetic properties of the magnetized planets

Planet (Radius in km)	Erde (6378)	Jupiter (71372)	Saturn (60330)	Uranus (25600)	Neptun (24765)
Modell	IGRF 85 ^a	O4	Z3	Q3	O8
g(1,0)	-0.29877	+4.2180	+0.21535	+0.11893	+0.09732
g(1,1)	-0.01903	-0.6640	0	+0.11579	+0.03220
h(1,1)	+0.05497	+0.264	0	-0.15685	-0.09889
g(2,0)	-0.02073	-0.203	+0.01642	-0.06030	+0.07448
g(2,1)	+0.03045	-0.735	0	-0.12587	+0.00664
h(2,1)	-0.02191	-0.469	0	+0.06116	+0.11230
g(2,2)	+0.01691	+0.513	0	+0.00196	+0.04499
h(2,2)	-0.00309	+0.088	0	+0.04759	-0.00070
g(3,0)	+0.01300	-0.233	+0.02743	0	-0.06592
g(3,1)	-0.02208	-0.076	0	0	+0.04098
h(3,1)	-0.00312	-0.580	0	0	-0.03669
g(3,2)	+0.01244	+0.168	0	0	-0.03581
h(3,2)	+0.00284	+0.487	0	0	+0.01791
g(3,3)	+0.00835	-0.231	0	0	+0.00484
h(3,3)	-0.00296	-0.294	0	0	-0.00770
Dipolmoment	$0.304 \cdot 10^{-4} TR_E^3$	$4.28 \cdot 10^{-4} TR_J^3$	$0.215 \cdot 10^{-4} TR_S^3$	$0.228 \cdot 10^{-4} TR_U^3$	$0.142 \cdot 10^{-4} TR_N^3$
Dipolneigung	+11.4°	-9.6°	-0.0°	-58.6°	-46.9°
OTD ^b	$0.08 R_E$	$0.07 R_J$	$0.04 R_S$	$0.31 R_U$	$0.55 R_N$
Äquatorneigung	23.45°	3.1°	26.7°	97.8°	28.8°

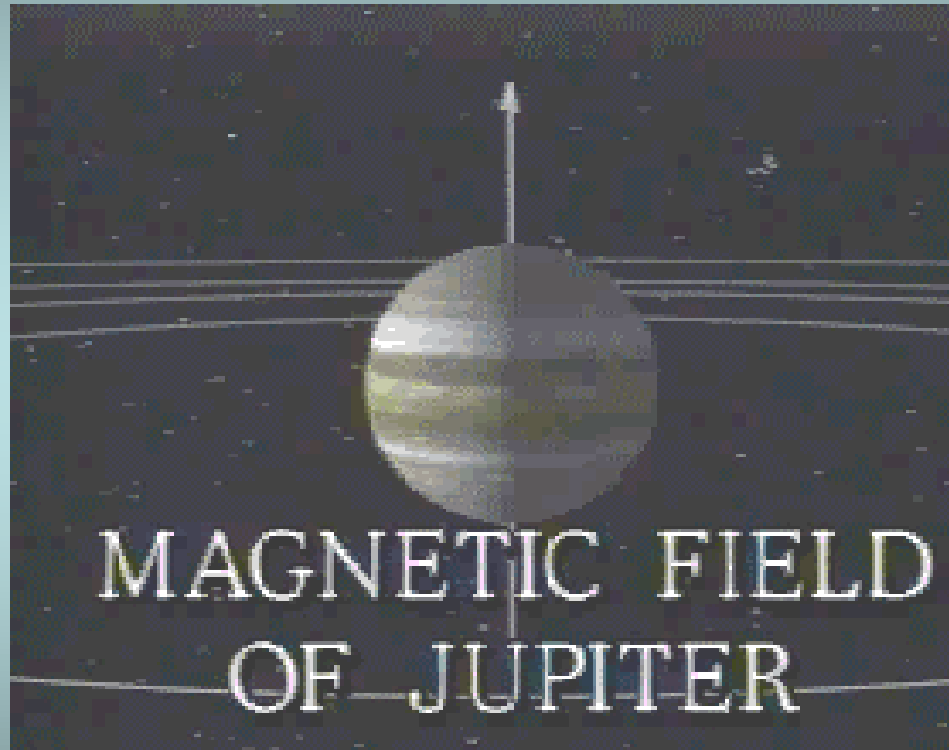
Classification of magnetospheric structures



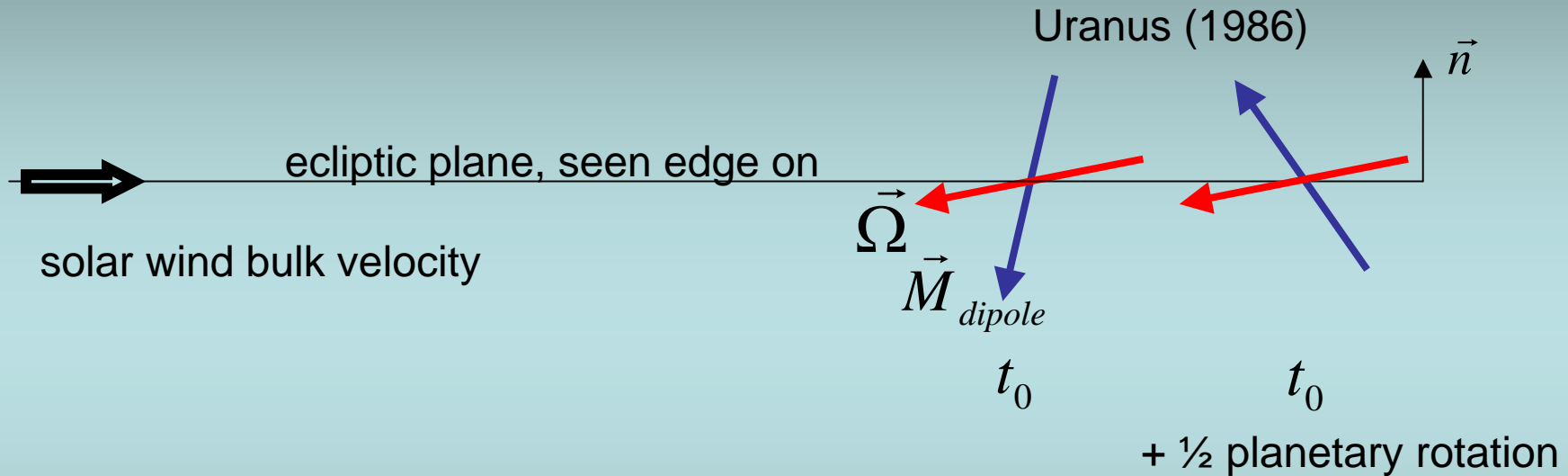
	$\vec{\Omega}, \vec{n}$	$\vec{\Omega}, \vec{M}$
Earth	23.45°	11.4°
Jupiter	3.1°	9.6°
Saturn	26.7°	+/- 0°

„symmetrical“
magnetospheres

Magnetic field of Jupiter



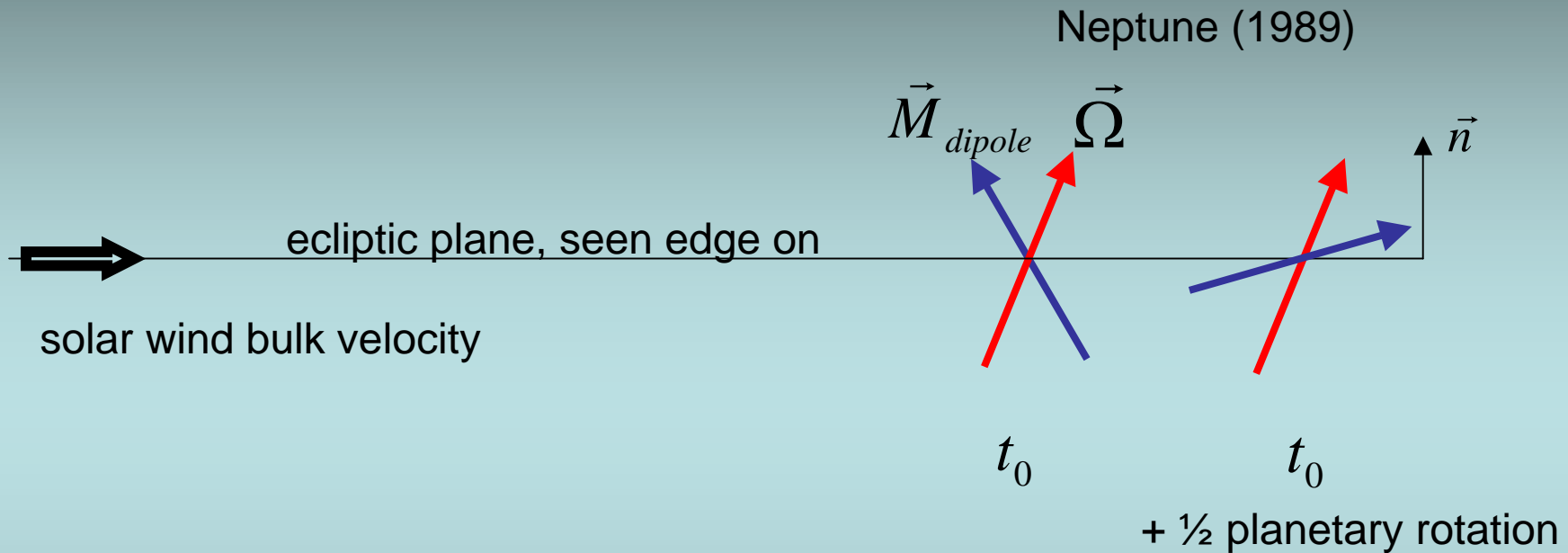
Classification of magnetospheric structures



	$\vec{\Omega}, \vec{n}$	$\vec{\Omega}, \vec{M}$
Uranus	97.8°	58.6°
Neptune	28.3°	46.9°

„oblique rotators“

Classification of magnetospheric structures



	$\vec{\Omega}, \vec{n}$	$\vec{\Omega}, \vec{M}$
Uranus	97.8°	58.6°
Neptune	28.3°	46.9°

„oblique rotators“

„Advertisement“ for tomorrow:
Space missions to the outer planets

Saturn, as seen by Cassini

