

How well can the LHC distinguish  
between a light Higgs and the  
Higgsless case using all available  
VV scattering channels?

A bit more catchy than “ A combined analysis .....

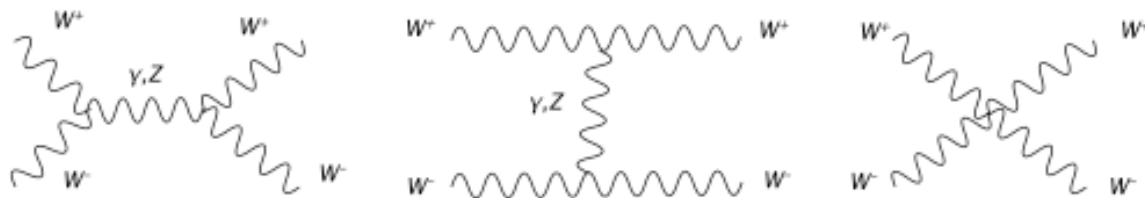
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# VV scattering and Unitarity

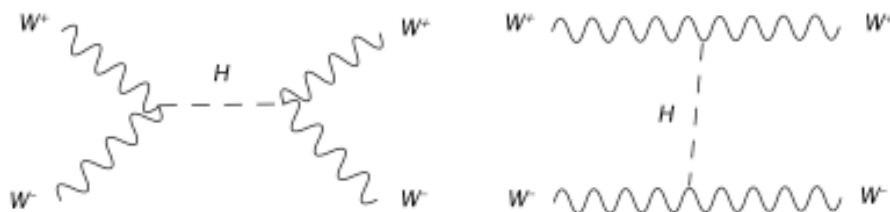
$$\epsilon_T = \left( 0; \pm \frac{1}{\sqrt{2}}, \frac{-i}{\sqrt{2}}, 0 \right) \quad \epsilon_L = \frac{1}{m_W} \left( |\vec{k}|; 0, 0, E_W \right) \quad \vec{k} // \hat{z}$$

FOR  $E_W \gg m_W$      $\epsilon_L^\mu \approx \frac{k^\mu}{m_W}$

$$\epsilon_{W^+}^L \cdot \epsilon_{W^-}^L \approx \frac{k_{W^+} \cdot k_{W^-}}{m_W^2} = \frac{s}{m_W^2} \longrightarrow D_i \propto \frac{k_{W^+} \cdot k_{W^-}}{m_W^2} \frac{k_{W^+} \cdot k_{W^-}}{m_W^2} = \frac{s^2}{m_W^4}$$



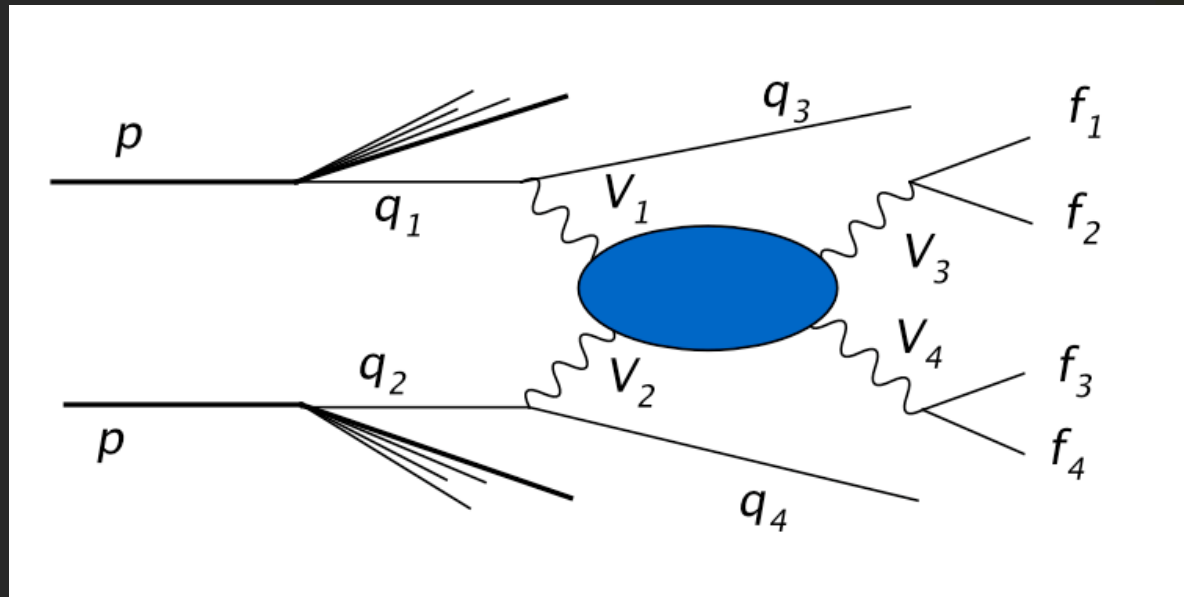
$\Sigma \propto s$   
**GAUGE!**



$\Sigma \propto s$

$$\Sigma_{all} \approx s^0$$

# LHC: $2j+VV$



PDF  $\rightarrow d\sigma/dM_{VV}$  decreases at large  $M_{VV}$

Look for possible increases in  $VV+2j$  production wrt SM

$VV \rightarrow 2j+2l$  semileptonic channels

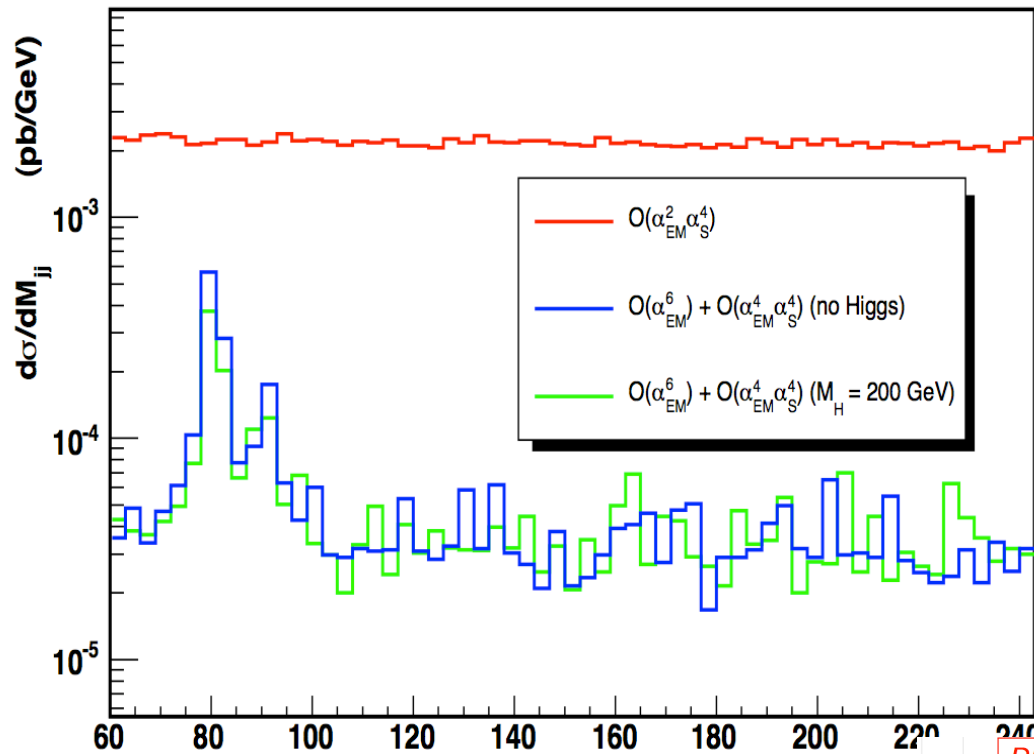
“Large” rate, Large bkg: QCD  $V+4j$ ,  $t\bar{t}$

$VV \rightarrow 4l$  leptonic channels

“Small” rate, Small bkg  $O(\alpha_s^2)$ , mimicks signal

## Models

- Large number of BSM models for VV scattering
- New states? KK, unitarization, Goldstone boson?  
What mass, spin?
- Effective Lagrangian language: model independent framework
- Higgs as pseudo-Goldstone from strong interaction breaking: Strongly Interacting Light Higgs: Higgs in the Low Energy spectrum with modified couplings  
→ modified VV scattering
- No Higgs benchmark for heavy, broad resonances, upper limit for SILH



$W4j$  QCD bkg large (now at NLO)

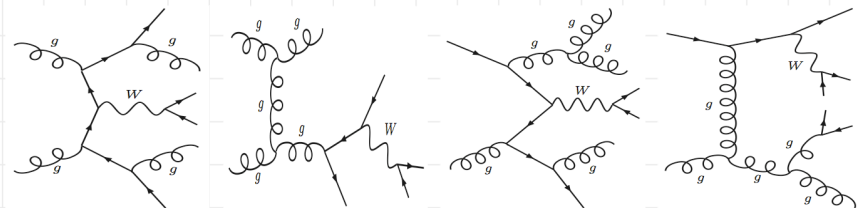
Large uncertainties in  $d\sigma/dM_{VV}$   
Spread over large range

Peak in  $M_{jjc}$  due to  $V \rightarrow jj$   
QCD  $W4j$  flat in region: measure from sidebands, get rid of theory uncertainties

Basic cuts only

$PP \rightarrow 4j\mu\mu$     $PP \rightarrow 4j\mu\nu$     $PP \rightarrow 2jl^+l^-\mu\nu$

$\mathcal{O}(\alpha_{EM}^6) + \mathcal{O}(\alpha_{EM}^4 \alpha_S^2) + \mathcal{O}(\alpha_{EM}^2 \alpha_S^4)$



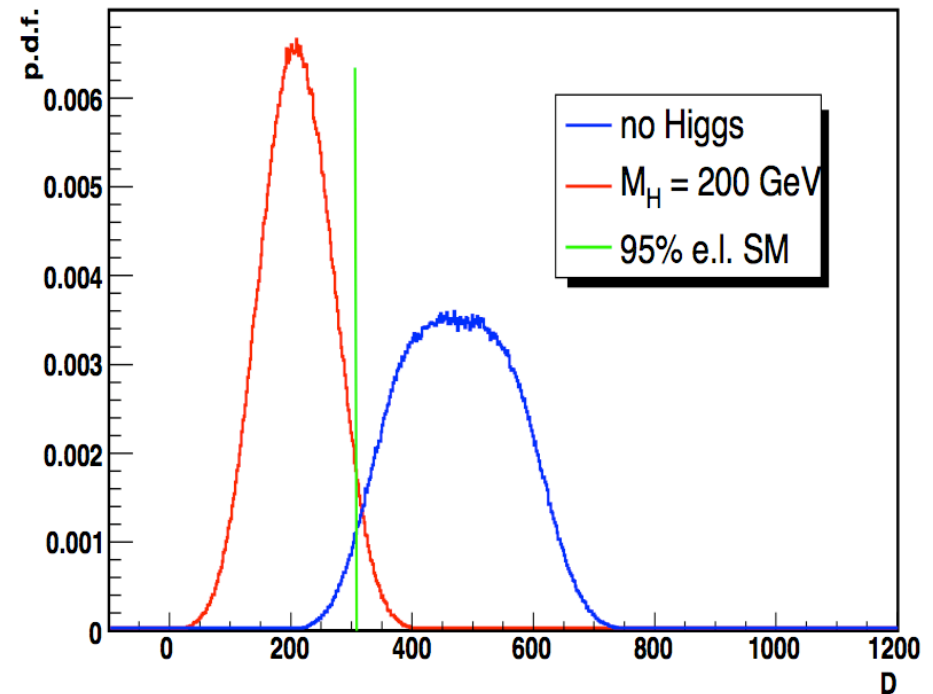
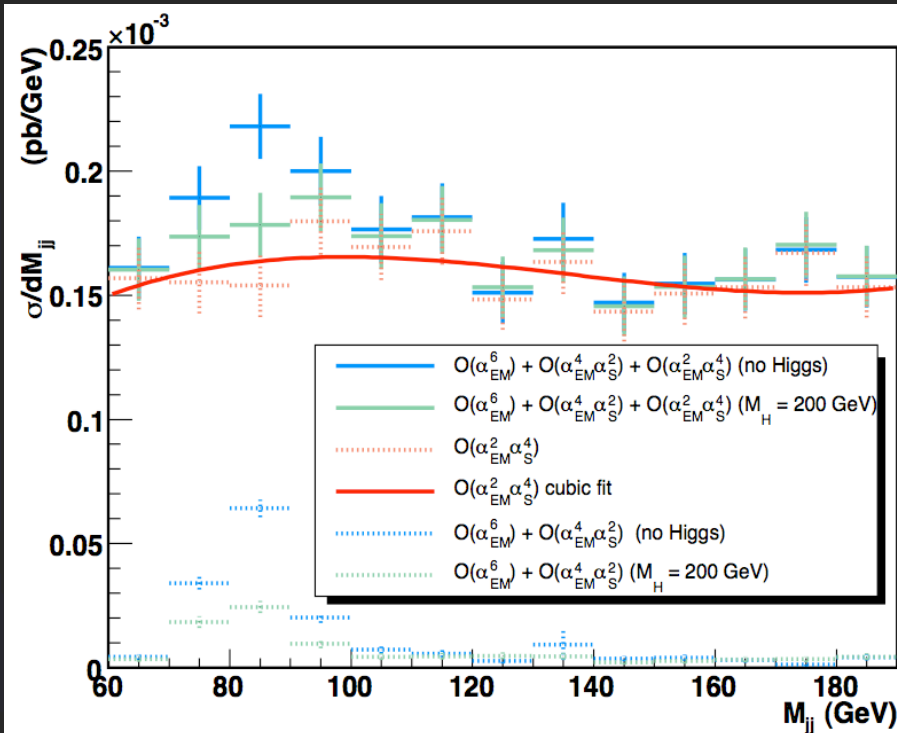
QCD Singly-Resonant Background  $V + 4$  jets  
Generated with MADEVENT

# Probability of finding a result outside the SM 95%CL region assuming NoHiggs is realized

$$D = S+B-\langle B \rangle$$

S: statistical uncertainty + theory  $\pm 30\%$  on  $\langle S \rangle$  flat

B: stat only, extrapolated from sidebands



PBSM96%CL 96.8%  $L=200 \text{ fb}^{-1}$   $e+\mu$   $M_{VV} > 600 \text{ GeV}$   $\Delta R=0.3$



# New results: $Z(\mu\mu)+4j$ , $Z(\ell\ell)W(\mu\nu)+2j$ SM, NoHiggs, SILH

W+4j

$M_{cut}$ (GeV)	no Higgs		SILH		$M_H = 200$ GeV
	$\sigma$ (fb)	PBSM	$\sigma$ (fb)	PBSM	$\sigma$ (fb)
600	6.07(1.18)	96.5%	5.59(0.704)	35.9%	5.41(0.524)
800	3.76(0.779)	96.8%	3.40(0.418)	29.2%	3.29(0.309)
1000	2.26(0.483)	95.4%	2.01(0.227)	19.8%	1.94(0.169)
1200	1.32(0.263)	83.9%	1.19(0.132)	16.9%	1.15(0.094)

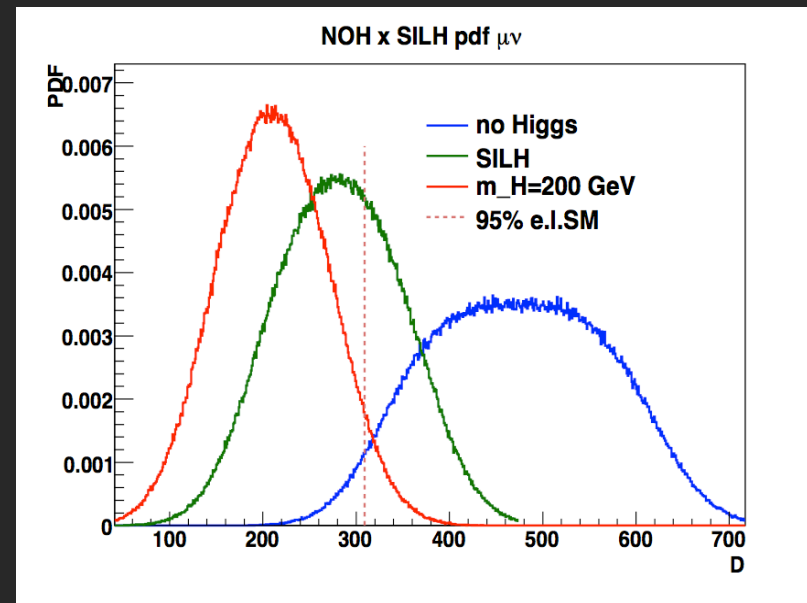
Main effect of SILH: modified VVH couplings

$$\xi = v^2/f^2 \quad g_{m_V} \rightarrow g_{m_V} (1 - c_H \xi/2)$$

Use  $(1 - c_H \xi/2) = 1/\sqrt{2}$

$$A(VV \rightarrow VV) \approx \frac{1}{2} s/v^2$$

Z+4j 10 times smaller,  
ZW+2j handful of events



Can signature of SILH be detected?

# Conclusions(?)

Results for  $W=4j$ ,  $Z+4j$ ,  $ZW+2j$  for SM, NoH, one SILH case  
More details if desired

- What can be really extracted from VV scattering?
- Can we agree on benchmark models?
- Which channels do we need?
- Does all this survive in the harsh experimental environment?