Higgs Pseudo-Observables

&

Second Riemann Sheet

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SM and BSM physics at the LHC



Based on work done in collaboration with Christian Sturm and Sandro Uccirati







(1, 2,

From the analytical structure of NLO - NNLO

what else, but the inevitable!







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(1, <mark>2</mark>,)

From the analytical structure of NLO - NNLO

2 to Higgs pseudo - observables,

what else, but the inevitable!





Motivations

experiments

extract so-called **realistic observables** from raw data, e.g. $\sigma(pp \to \gamma\gamma + X)$ and need to present results in a form that can be useful for comparing with theoretical predictions, i.e. the results should be transformed into **pseudo-observables**;

theorists

compute pseudo-observables using the best available technology and satisfying a list of demands from the **self-consistency** of the underlying theory.





Setup

The Higgs boson

as well as the W or Z bosons, are unstable particles; as such they should be removed from in/out bases in the Hilbert space

$$S_{fi} = V_i(s) \Delta_H(s) V_f(s) + B_{if}(s),$$

where V_i is the **production vertex** $i \to H$ (e.g. $gg \to H$), V_f is the **decay vertex** $H \to f$ (e.g. $H \to \gamma \gamma$), Δ_H is the **Dyson re-summed Higgs propagator** and B_{if} is the **non - resonant background** (e.g. $gg \to \gamma \gamma$ boxes).





Complex pole

Example

$$S_{fi} = \left[Z_H^{-1/2}(s) \ V_i(s)\right] \frac{1}{s-s_{\mu}} \left[Z_H^{-1/2}(s) \ V_f(s)\right] + B_{if}(s).$$

$S \rightarrow PO$

From the *S*-matrix element for a physical process $i \rightarrow f$ we extract the relevant pseudo - observable,

$$S(H_C \to f) = Z_H^{-1/2}(s_H) V_f(s_H),$$





PO

which is gauge parameter independent – by construction – and satisfies the relation

$$S_{fi} = \frac{S(i \rightarrow H_c) S(H_c \rightarrow f)}{S - S_H} + \text{non resonant terms.}$$

The partial decay width is further defined as

$$\Gamma(H_c \to f) = \int d\Phi_f \sum_{\text{spins}} |S(H_c \to f)|^2,$$

where the integration is over the phase space spanned by |f>, with the constraint $P_H = \sum p_f$.



Schemes

Schemes

- RMRP scheme, the usual on-shell scheme; all masses and all Mandelstam invariants are real;
- CMRP scheme, the complex mass scheme with complex internal W and Z poles but with a real, external, on-shell Higgs with standard LSZ wave-function renormalization;
- CMCP scheme, the (complete) complex mass scheme with complex, external, Higgs where the LSZ procedure is carried out at the Higgs complex pole (on the second Riemann sheet).













