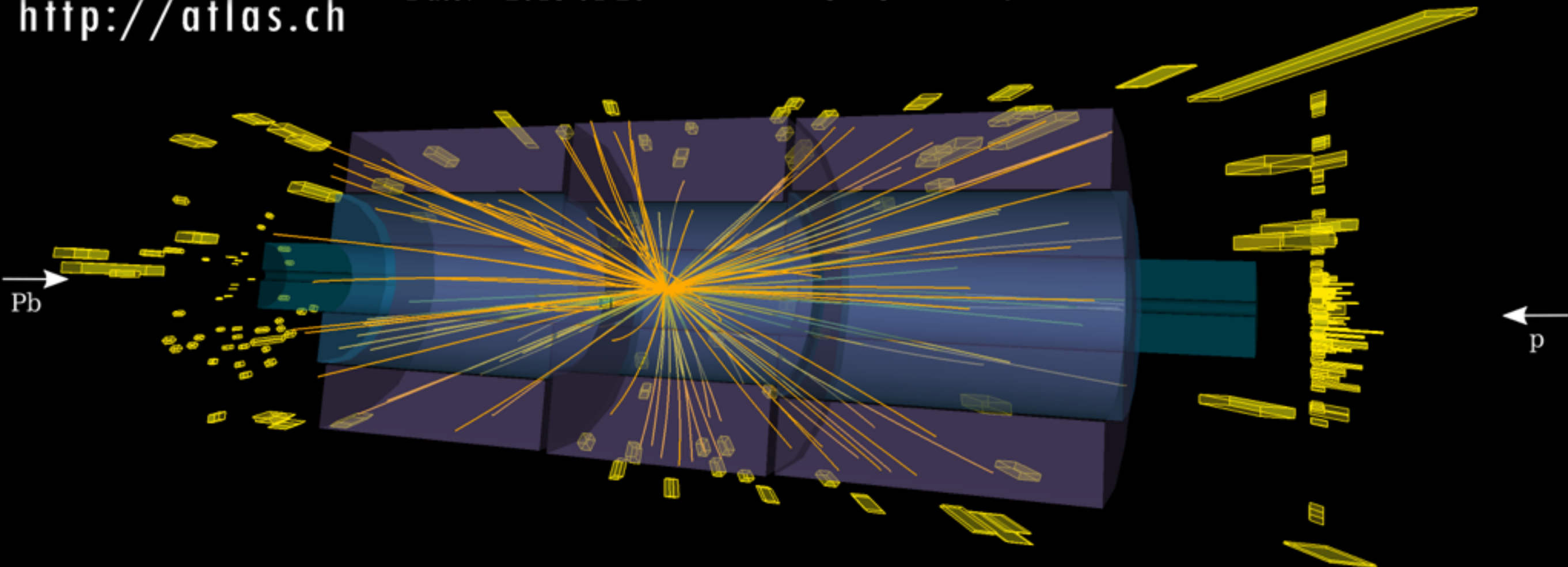


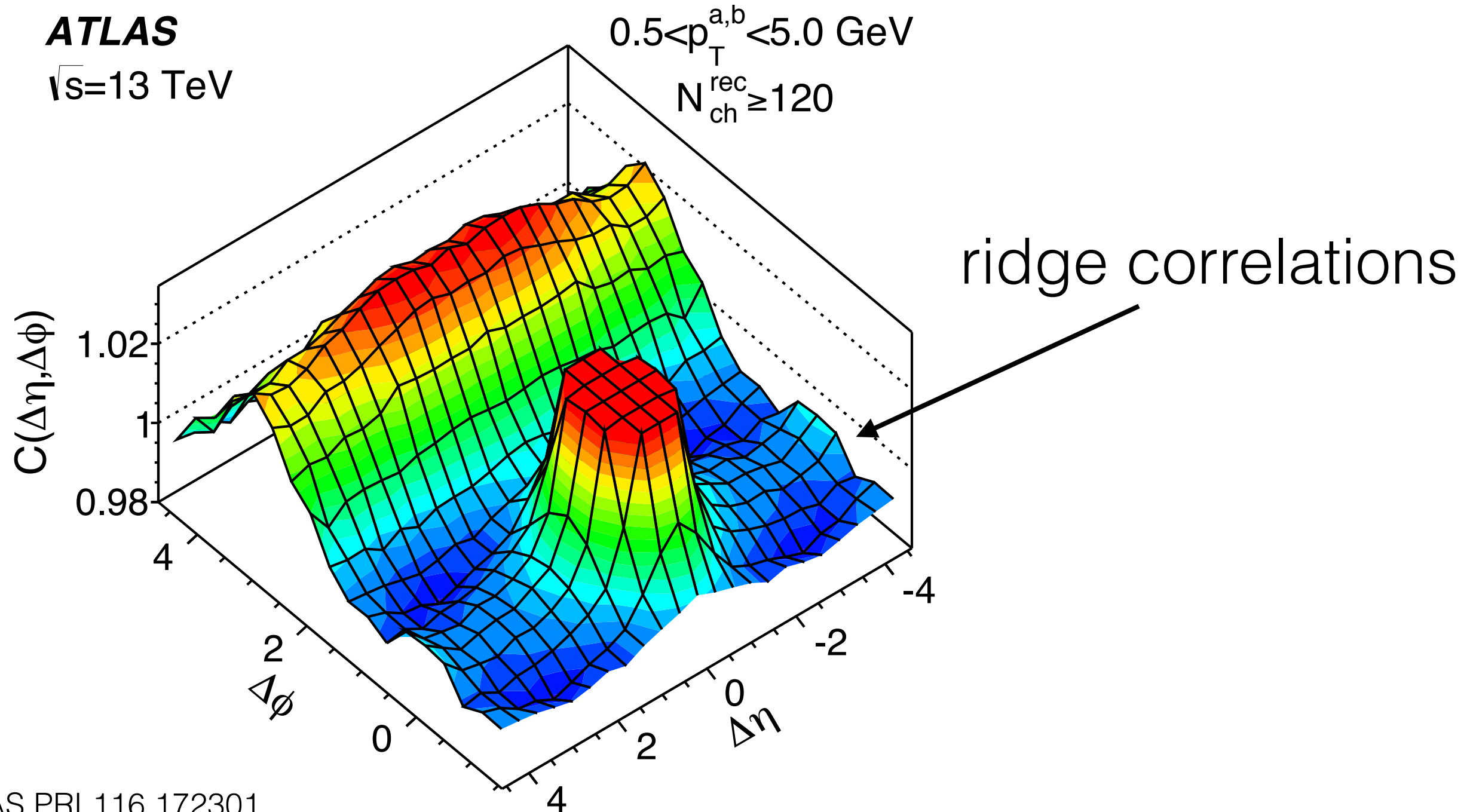
High multiplicity p+Pb event

Run: 217946 $N_{\text{Trk}}(p_T > 0.4 \text{ GeV}) = 273,$
 Event: 32291041 $N_{\text{Trk}}(p_T > 1.0 \text{ GeV}) = 106 \text{ (shown)}$
 Date: 2013-01-20 FCal A (Pb going side) $\Sigma E_T = 139 \text{ GeV}$



Measurement of the ridge correlations in pp
and pPb collisions with the ATLAS detector at
the LHC

ridge correlations in pPb & pp



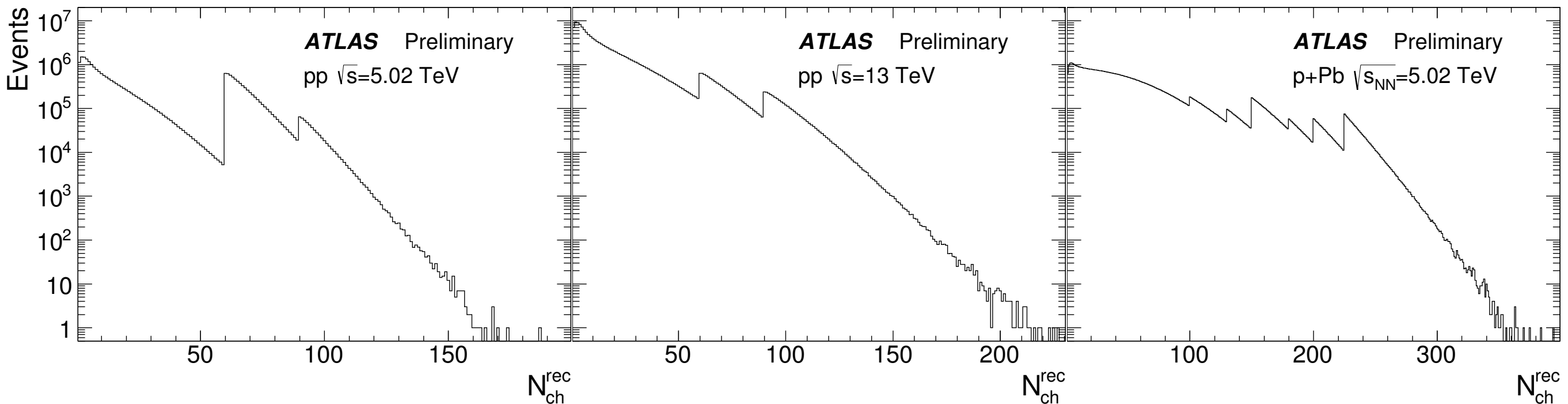
what are the properties of the ridge?

how do those depend on collision energy and system?

what is the multiplicity dependence of the ridge?

datasets

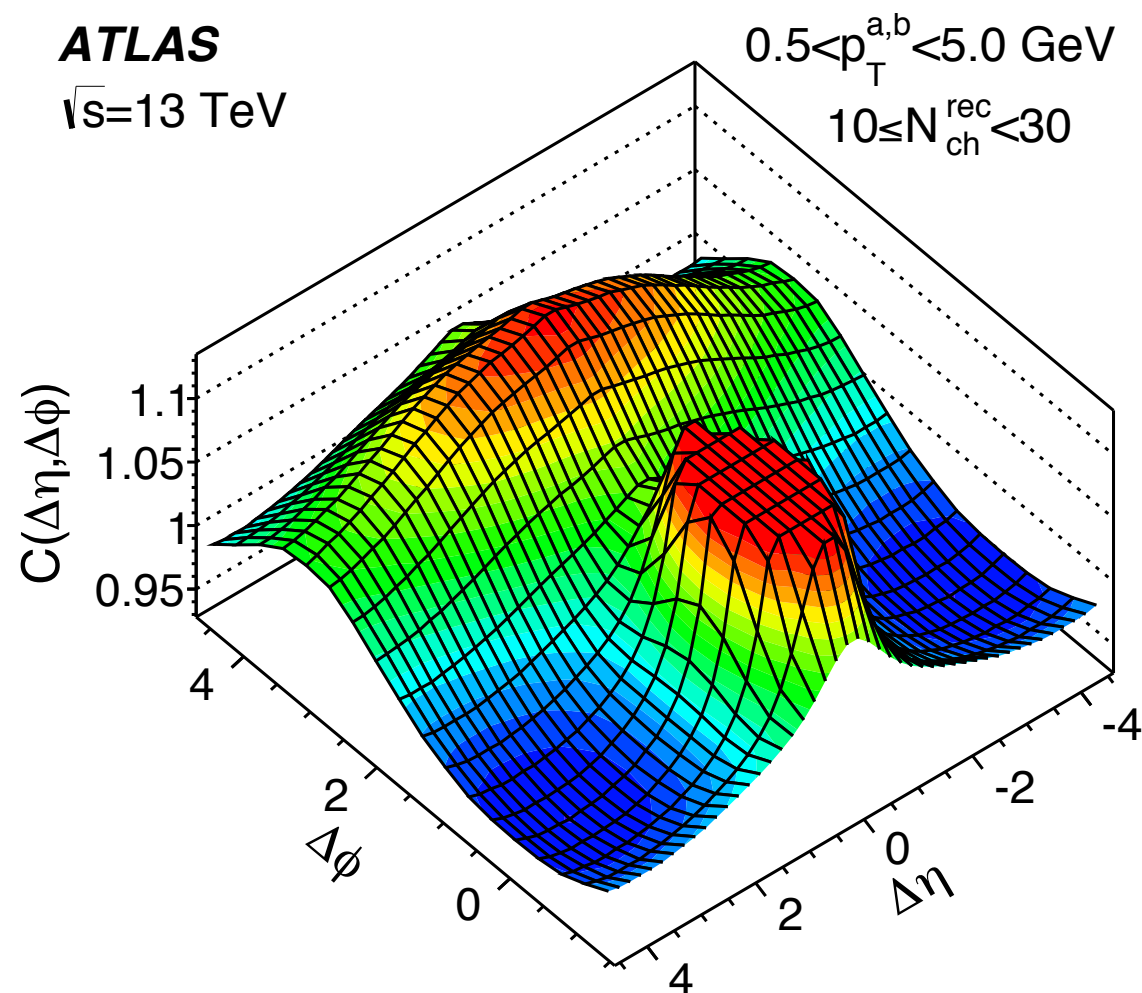
- **pp**: 2.76 TeV, 5.02 TeV, 13 TeV
- **pPb**: 5.02 TeV
- high multiplicity triggers provide large sample of these rare events



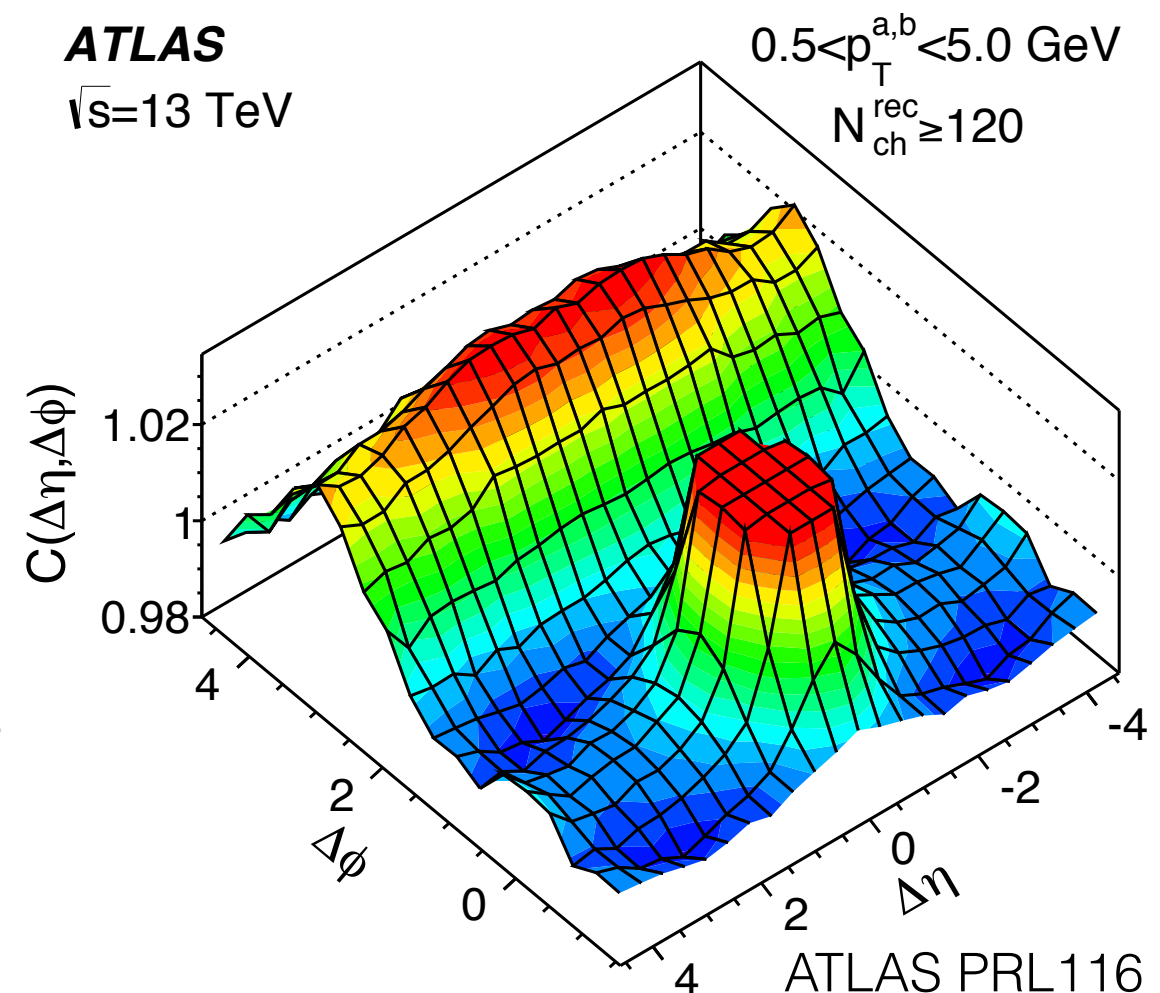
how to extract the ridge signal

- ridge is a small effect compared to other features of the two particle correlations
- observed to grow with track multiplicity
 - → use template fitting to extract the correlated signal

low multiplicity

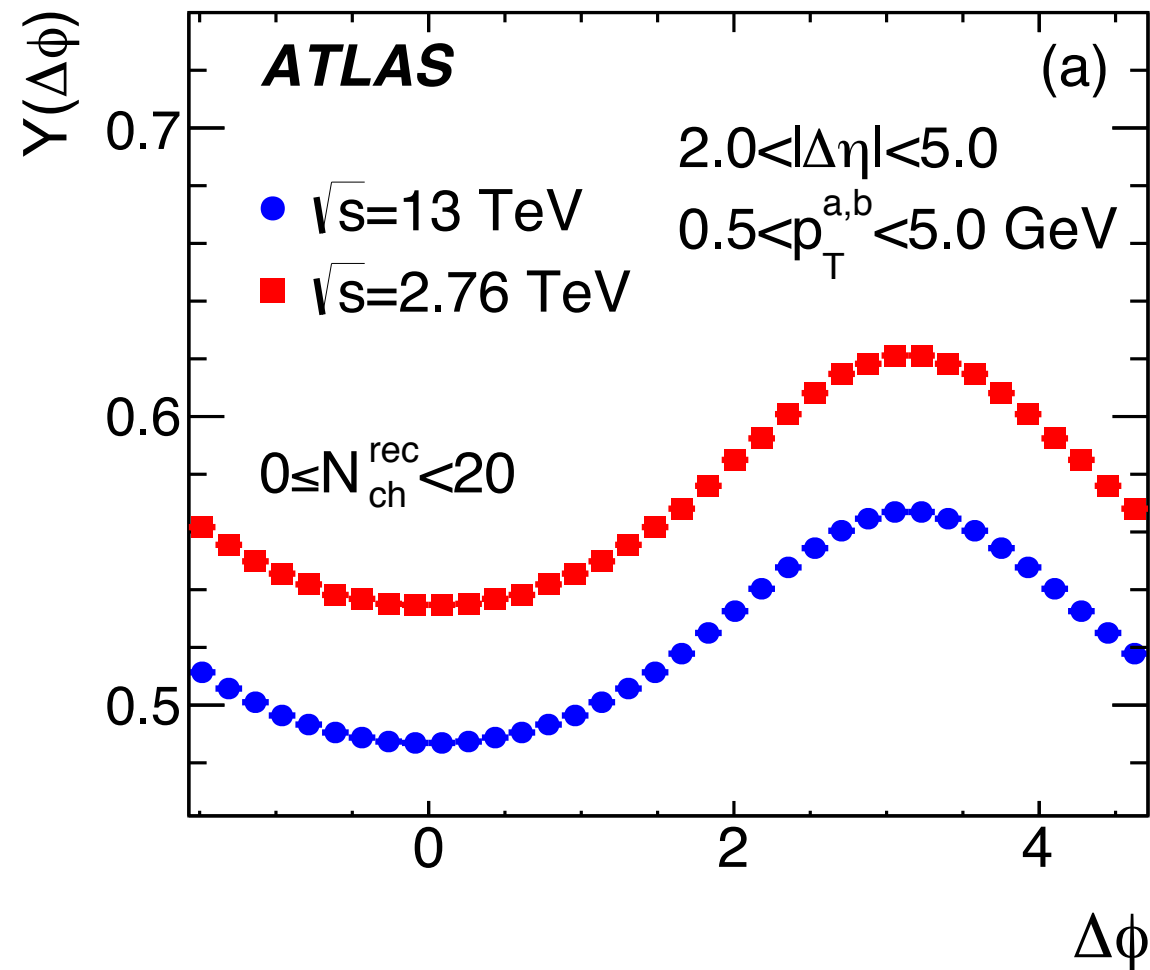


high multiplicity

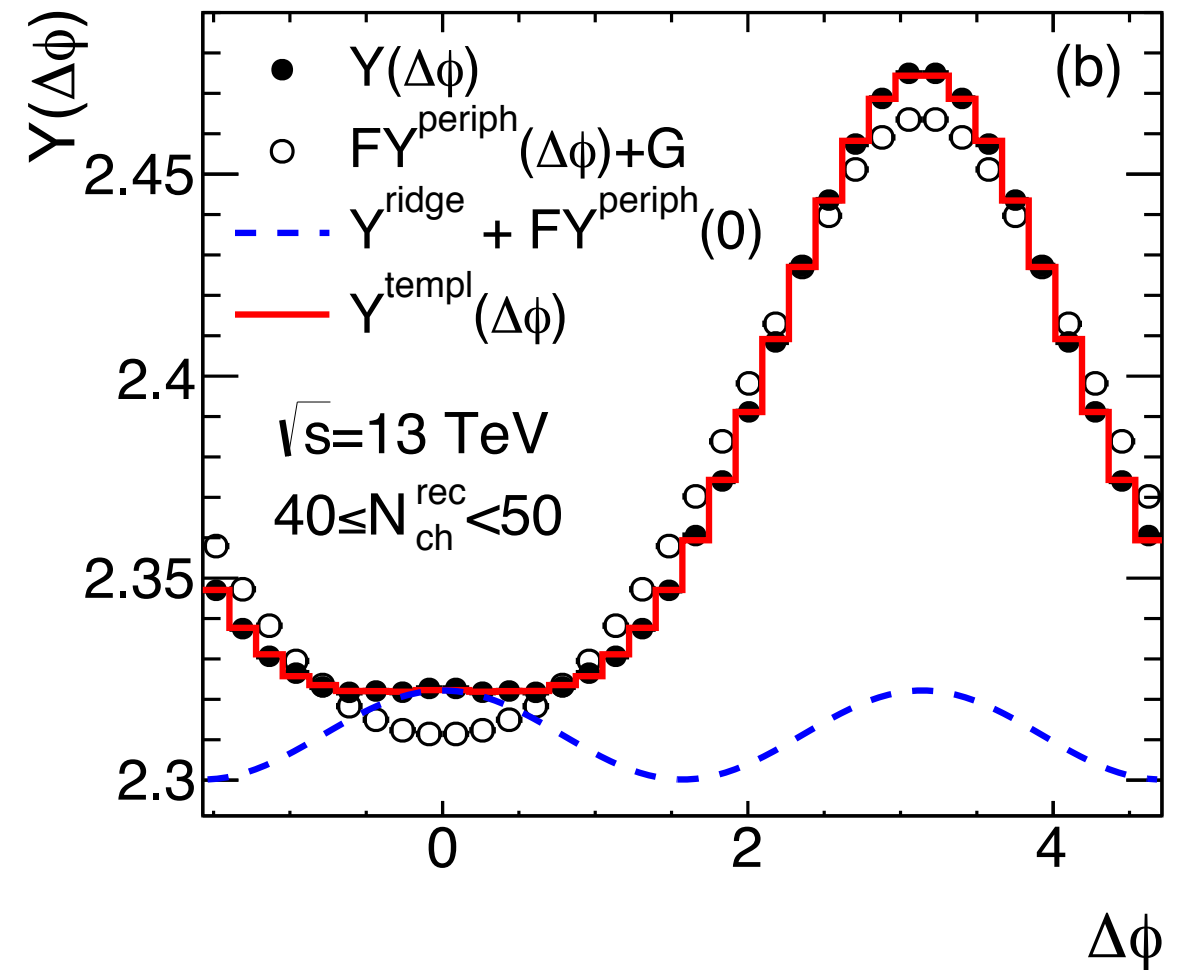


fitting procedure

$Y^{\text{periph}}(\Delta\Phi), N_{\text{ch}}^{\text{rec}} < 20$



$40 < N_{\text{ch}}^{\text{rec}} < 50$



fit free parameters:
 F & $v_{2,2}$

$$Y^{\text{templ}}(\Delta\phi) = F Y^{\text{periph}}(\Delta\phi) + Y^{\text{ridge}}(\Delta\phi),$$

$$Y^{\text{ridge}}(\Delta\phi) = G (1 + 2v_{2,2} \cos(2\Delta\phi)),$$

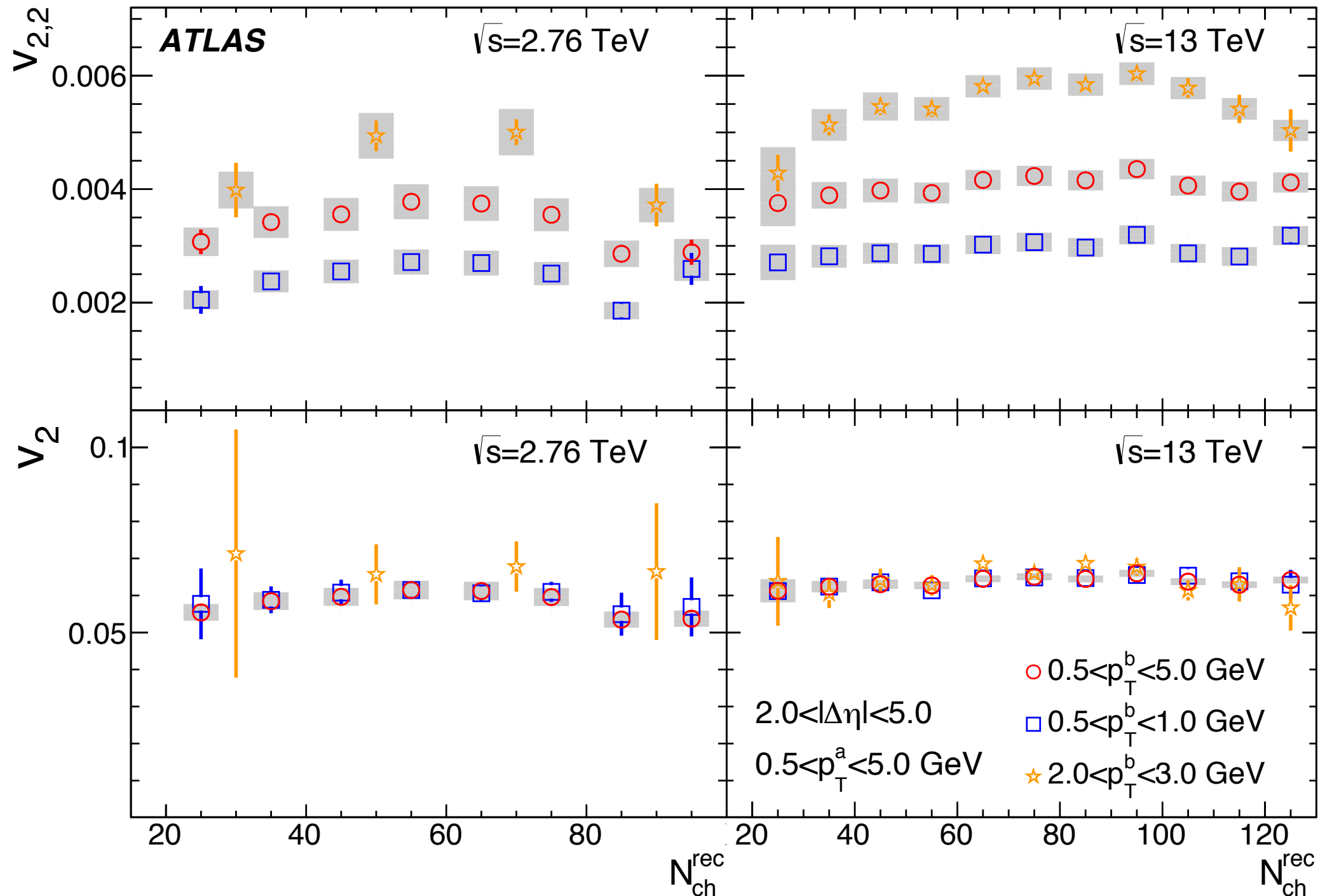
G fixed such that:

$$\int_0^\pi d\Delta\phi Y^{\text{templ}} = \int_0^\pi d\Delta\phi Y.$$

extracted $v_{2,2}$

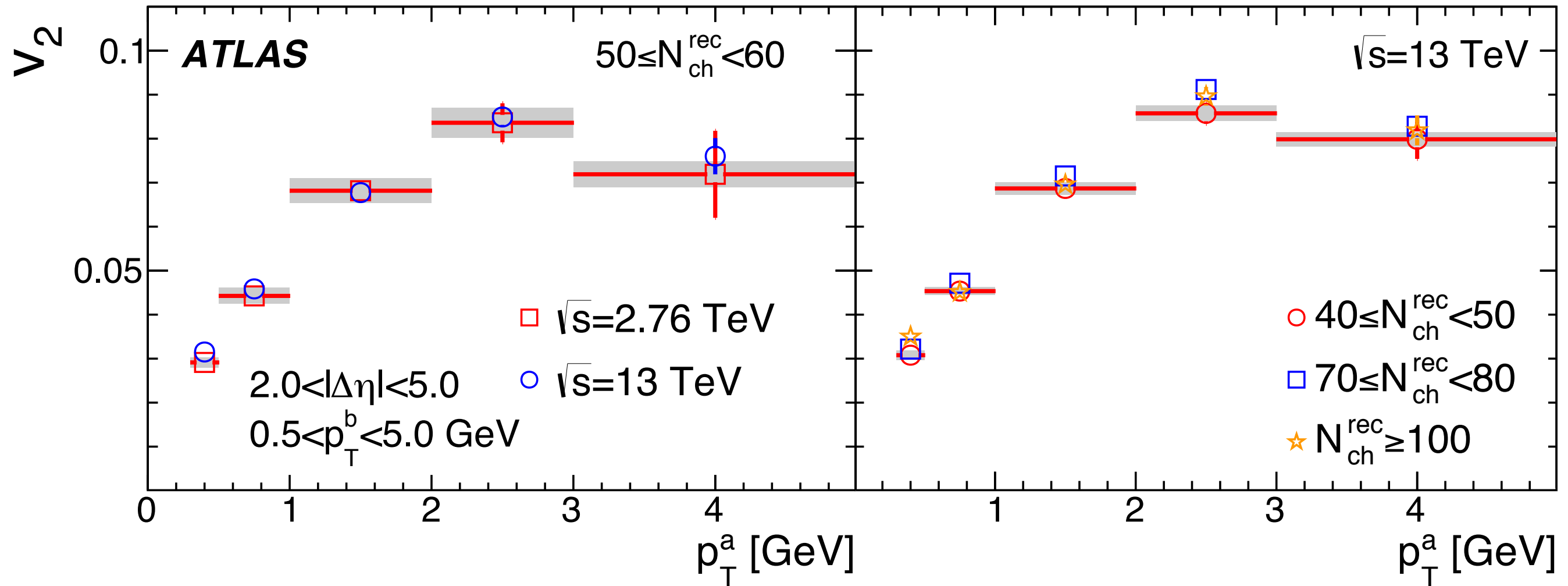
$$v_2(p_{T1}) = v_{2,2}(p_{T1}, p_{T2}) / \sqrt{v_{2,2}(p_{T2}, p_{T2})},$$

$V_{2,2}$



extracted v_2 independent of $p_{T,2}$ range: **factorization**

v_2 in pp at 2.76 & 13 TeV

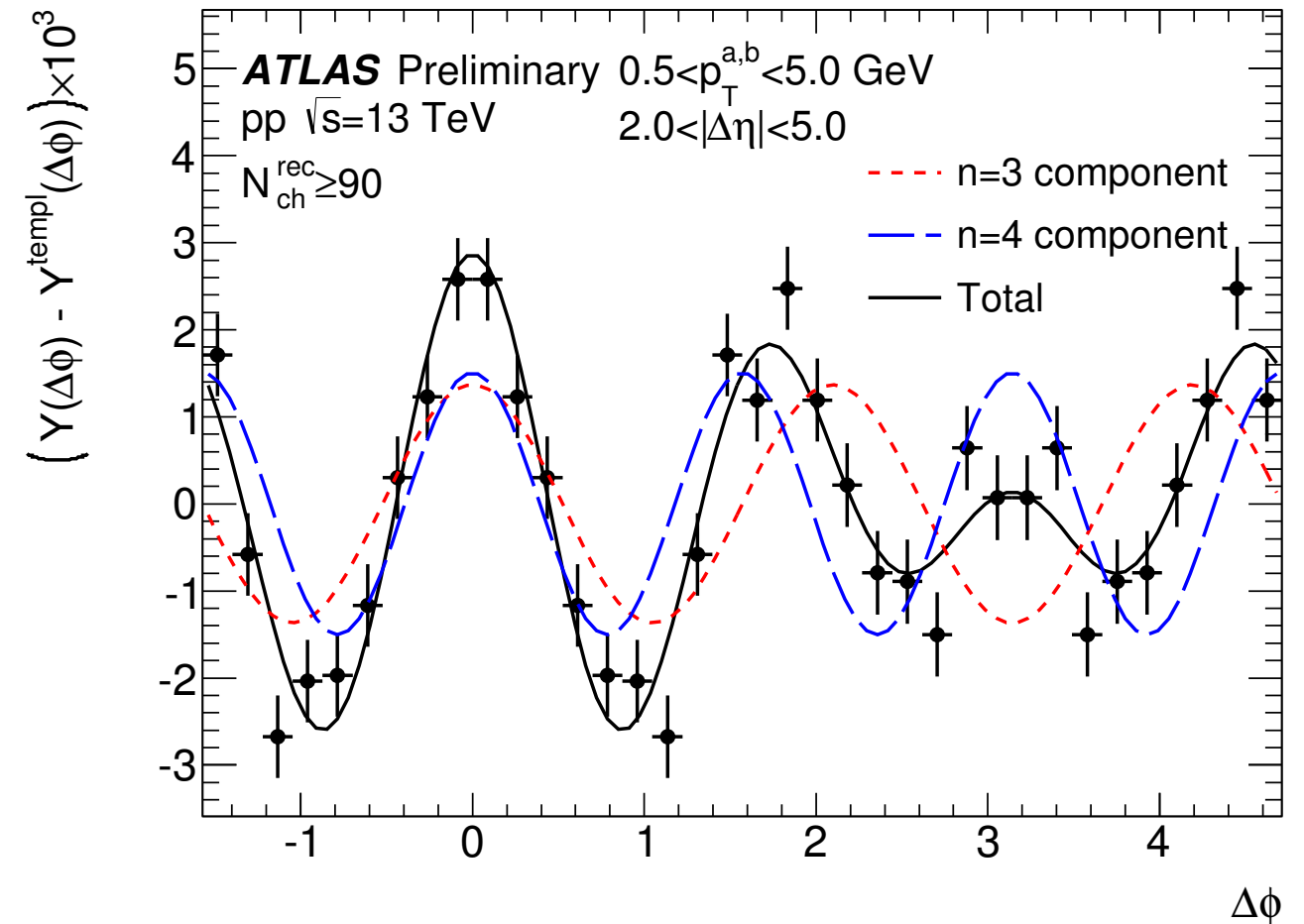
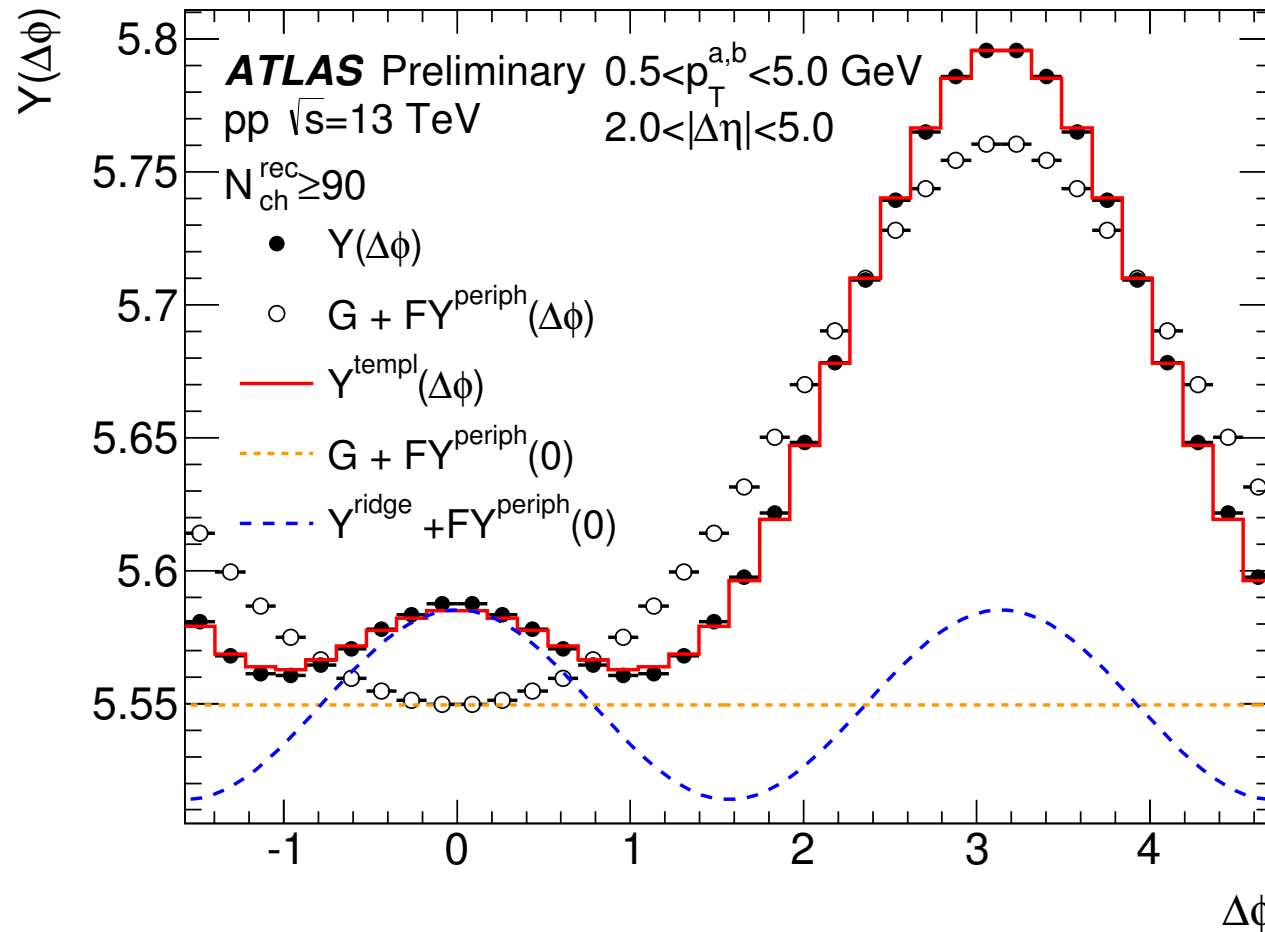


v_2 independent of \sqrt{s} & track multiplicity

$n > 2$ Fourier coefficients

$$Y(\Delta\phi)$$

$$\{Y(\Delta\phi) - Y^{\text{templ}}(\Delta\phi)\} \times 10^3$$



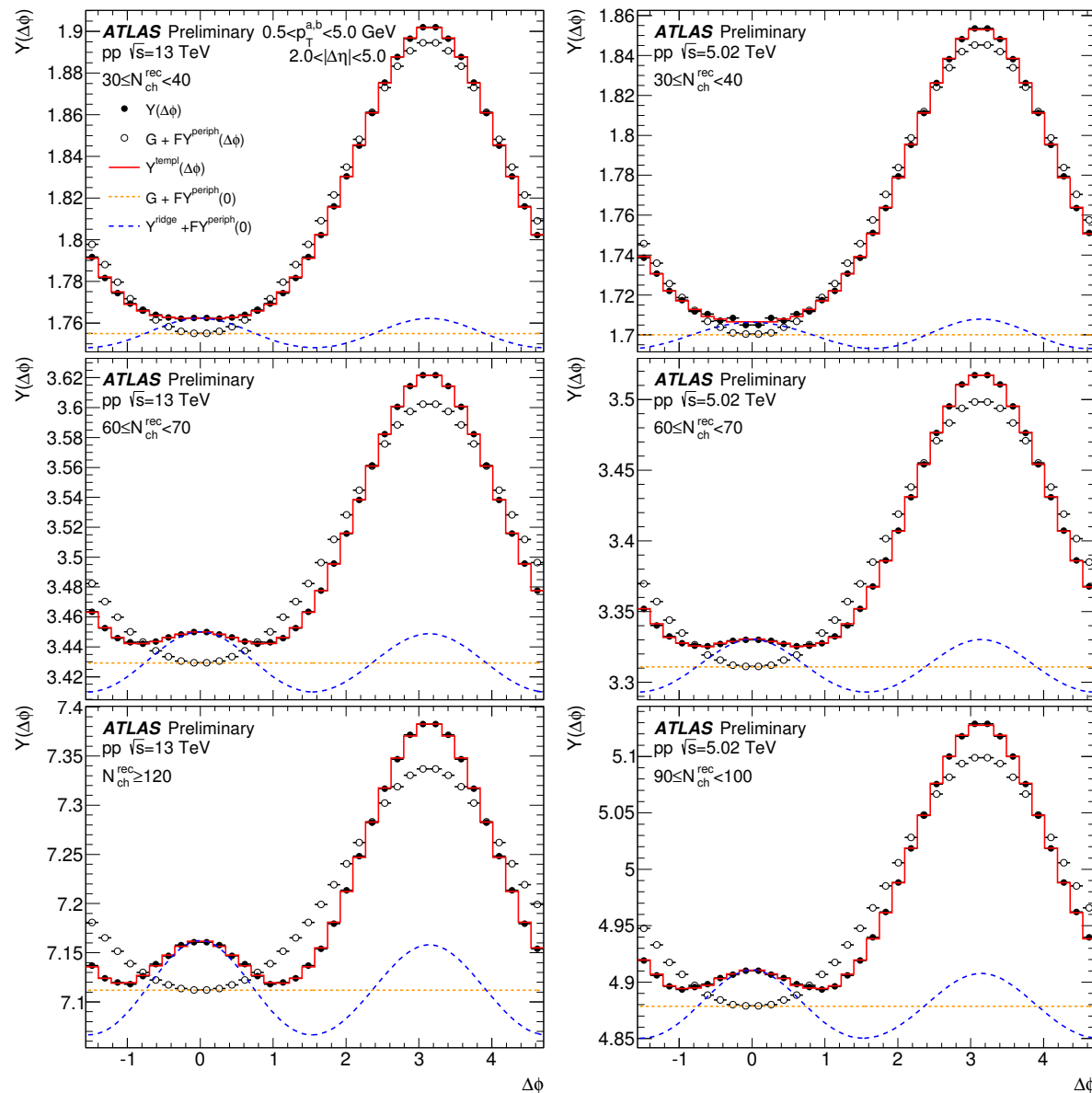
residual deviations from template consistent with
 $\cos(3\Delta\phi)$ & $\cos(4\Delta\phi)$ components

5.02 TeV: pp & pPb collisions

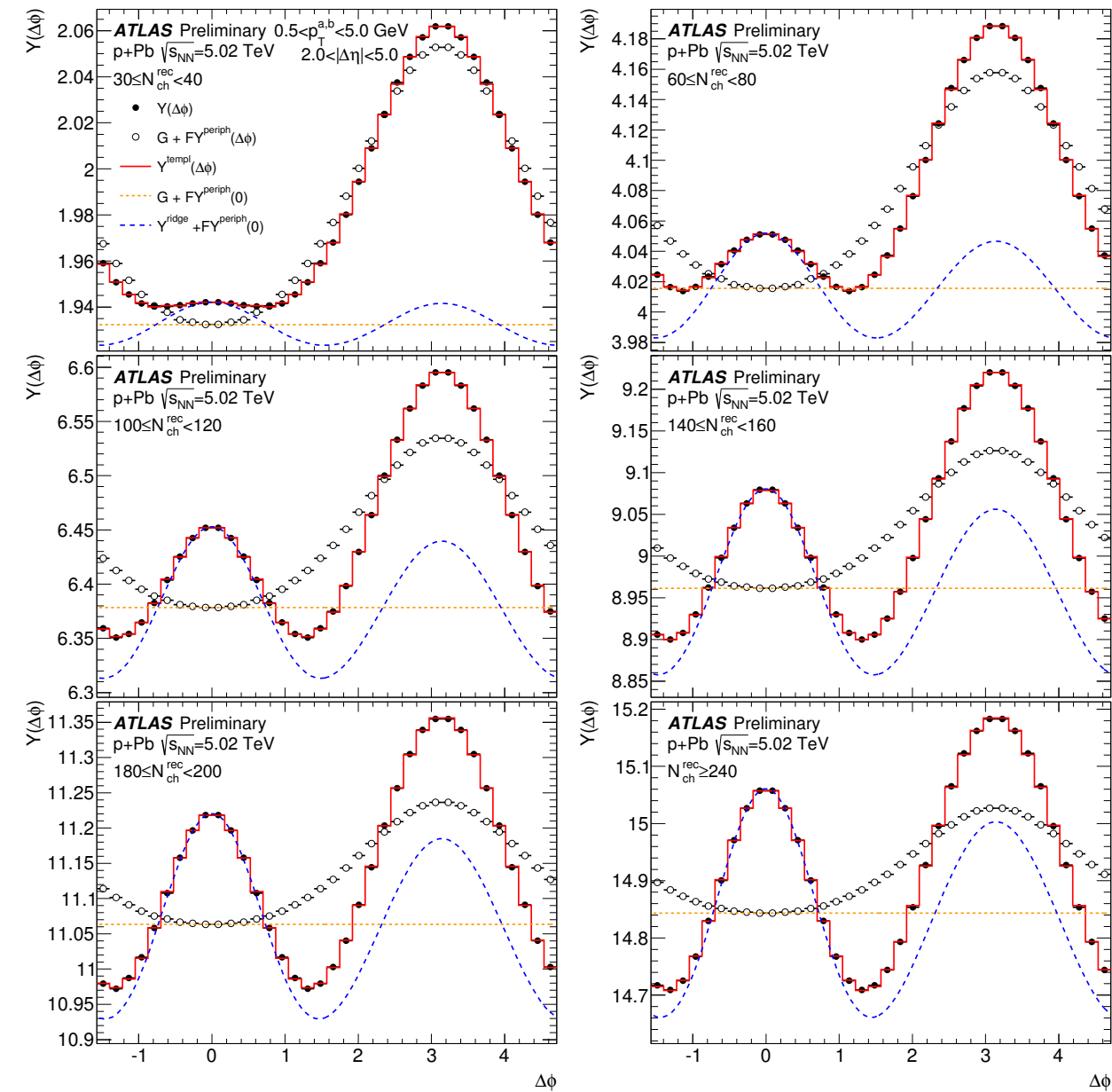
pp 13 TeV

pp 5.02 TeV

pPb 5.02 TeV



increasing multiplicity



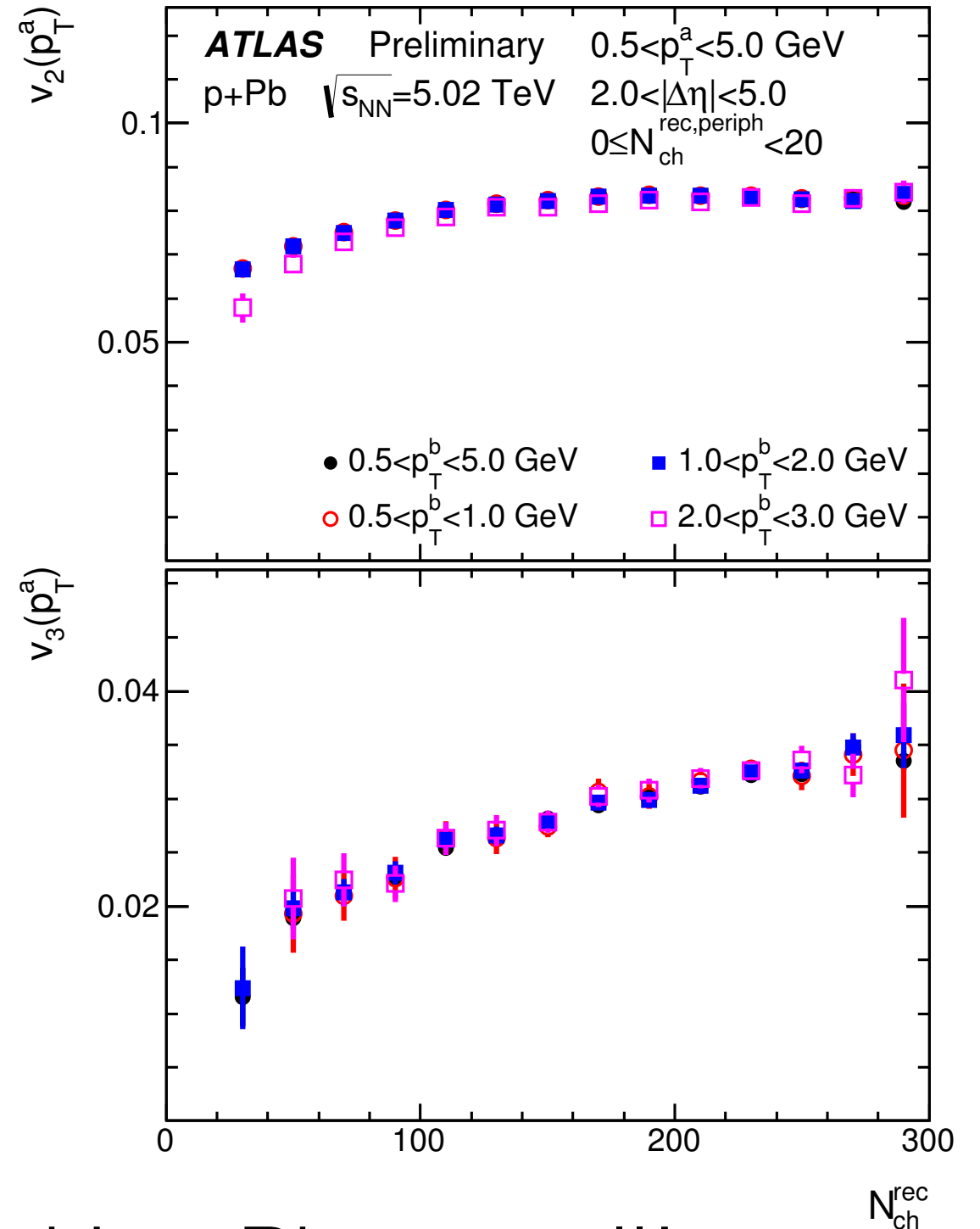
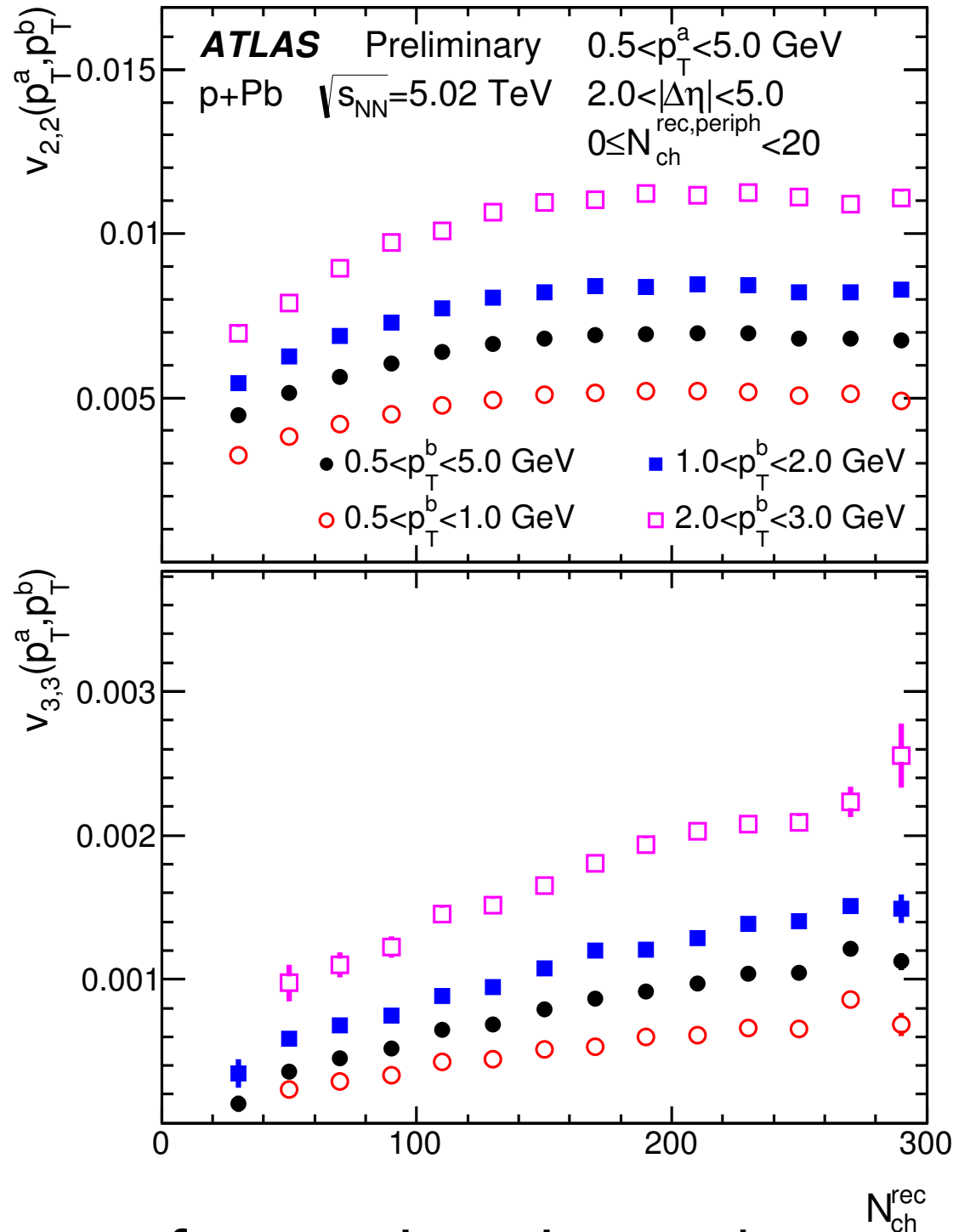
similar features in all collision systems
template fits enable v_2 extraction

pPb: $n = 2, 3$ modulations

$V_{n,n}$

V_n

$n = 2$
 $n = 3$

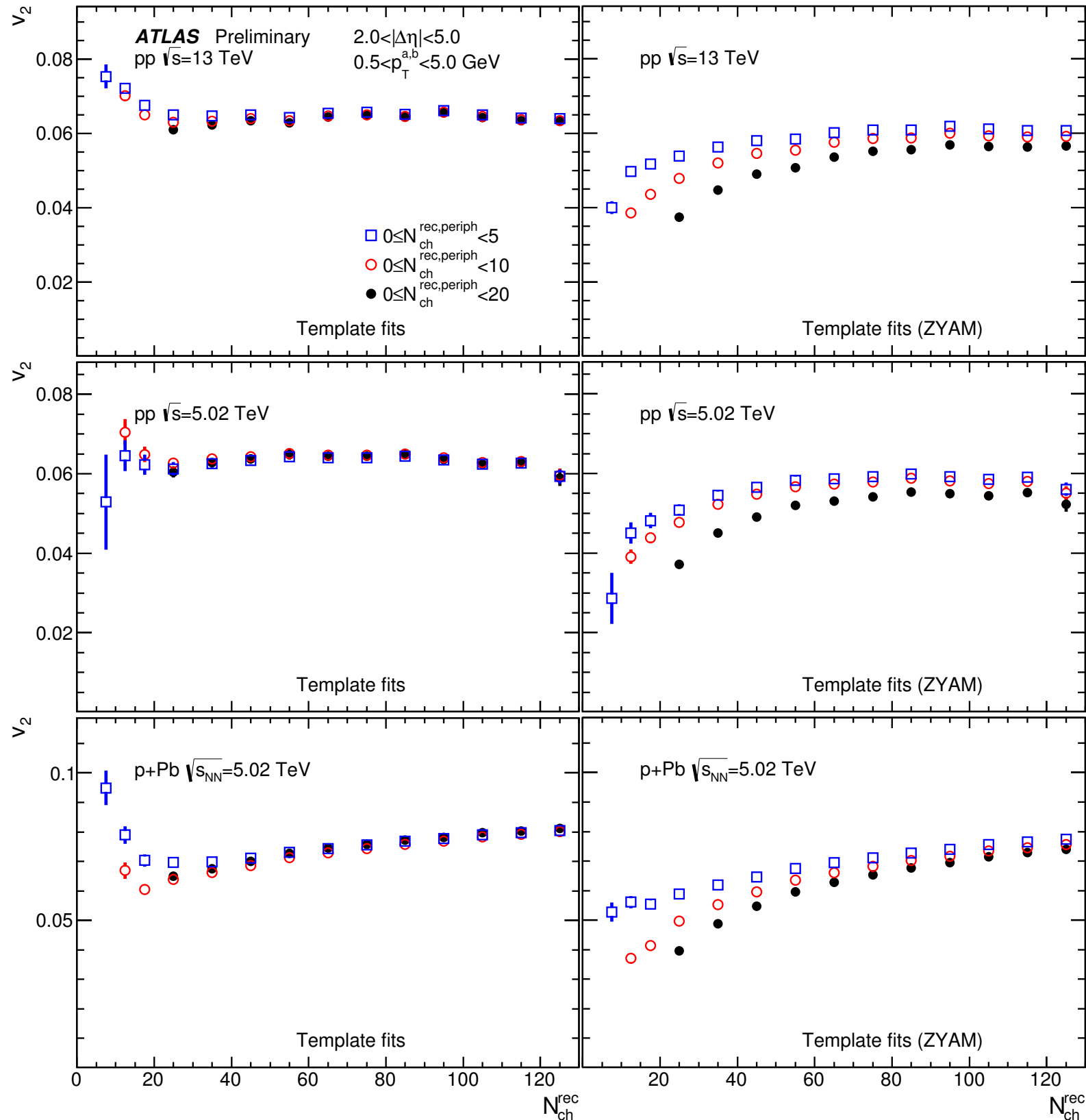


factorization observed in pPb as well!

template fits with and without ZYAM

no ZYAM

ZYAM



pp, 13 TeV
pp, 5.02 TeV
pPb, 5.02 TeV

modified template
fitting method
reduces low N_{ch}
dependence of v_2
on choice of
peripheral bin

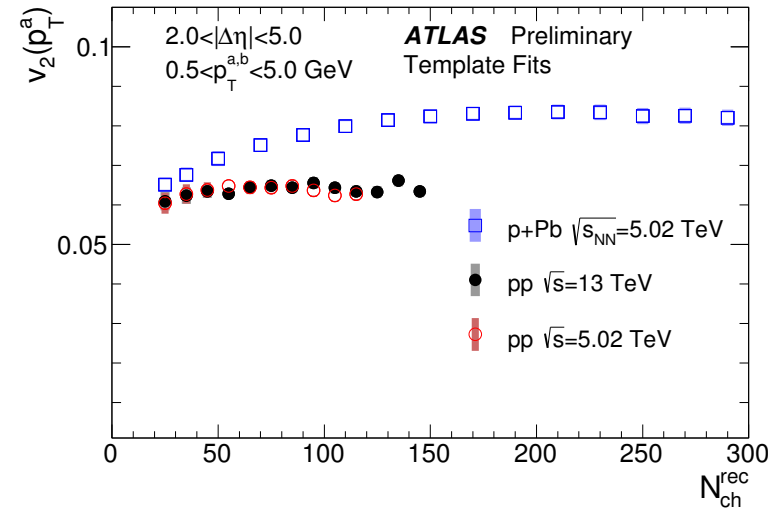
pPb & pp comparison

pPb: larger v_2 & v_3 than pp

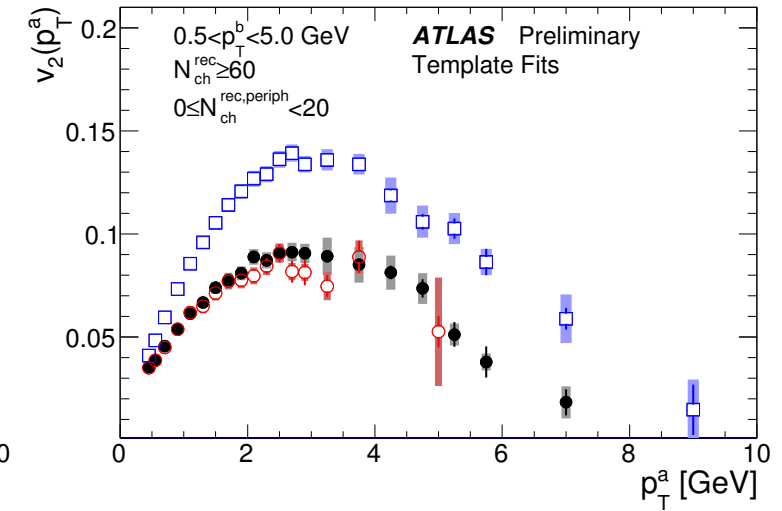
pp: consistent v_2 between **5.02** & **13** TeV

$n=2$

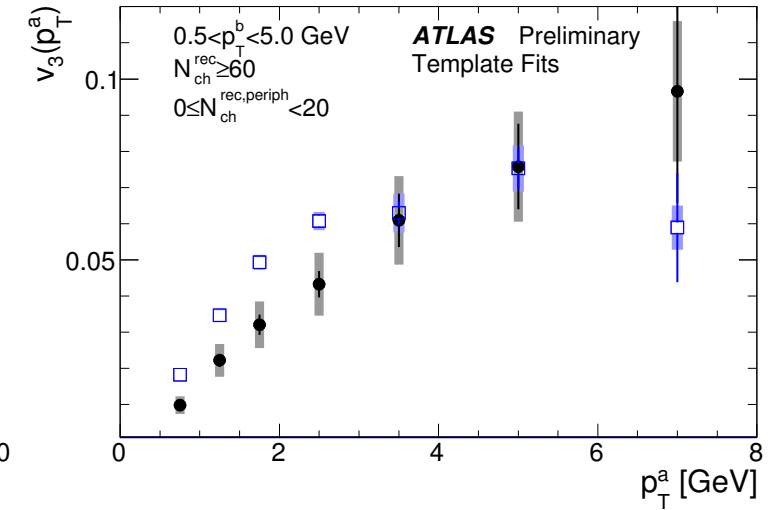
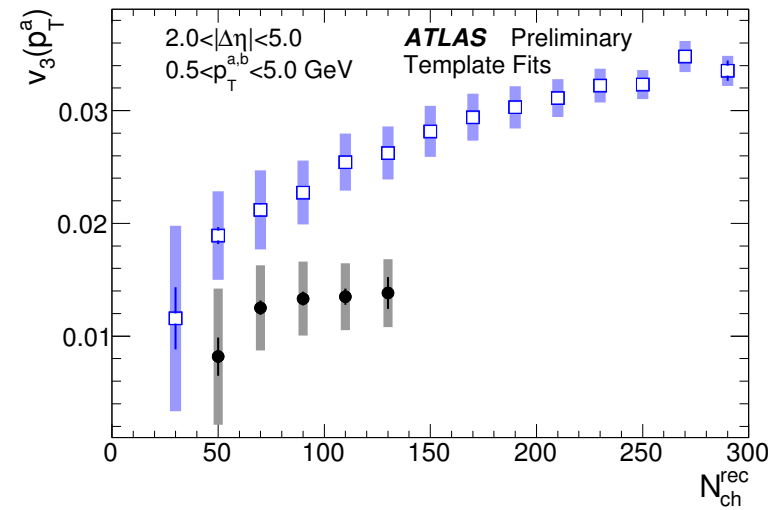
V_n VS N_{ch}



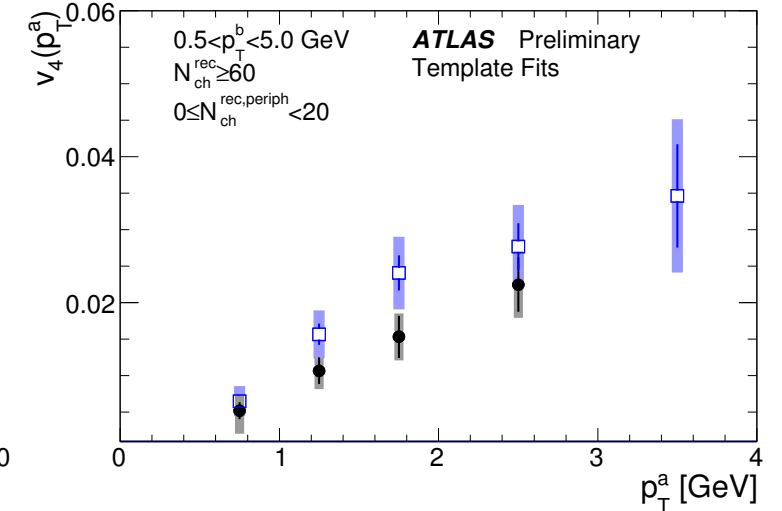
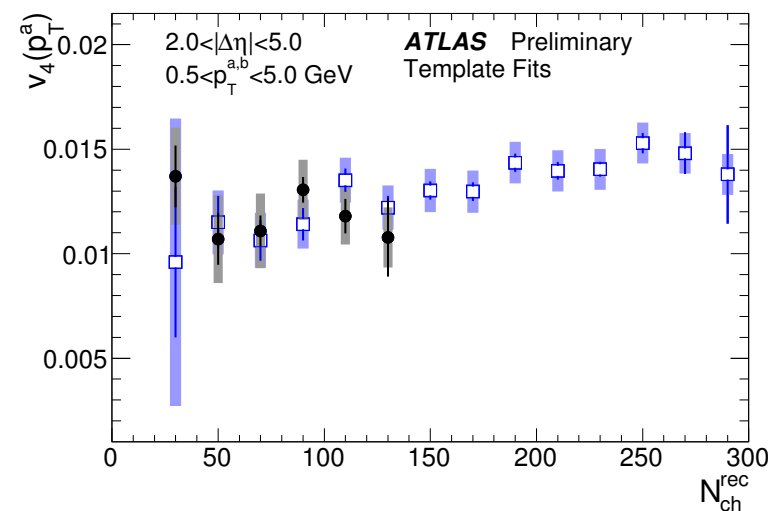
V_n VS p_T



$n=3$

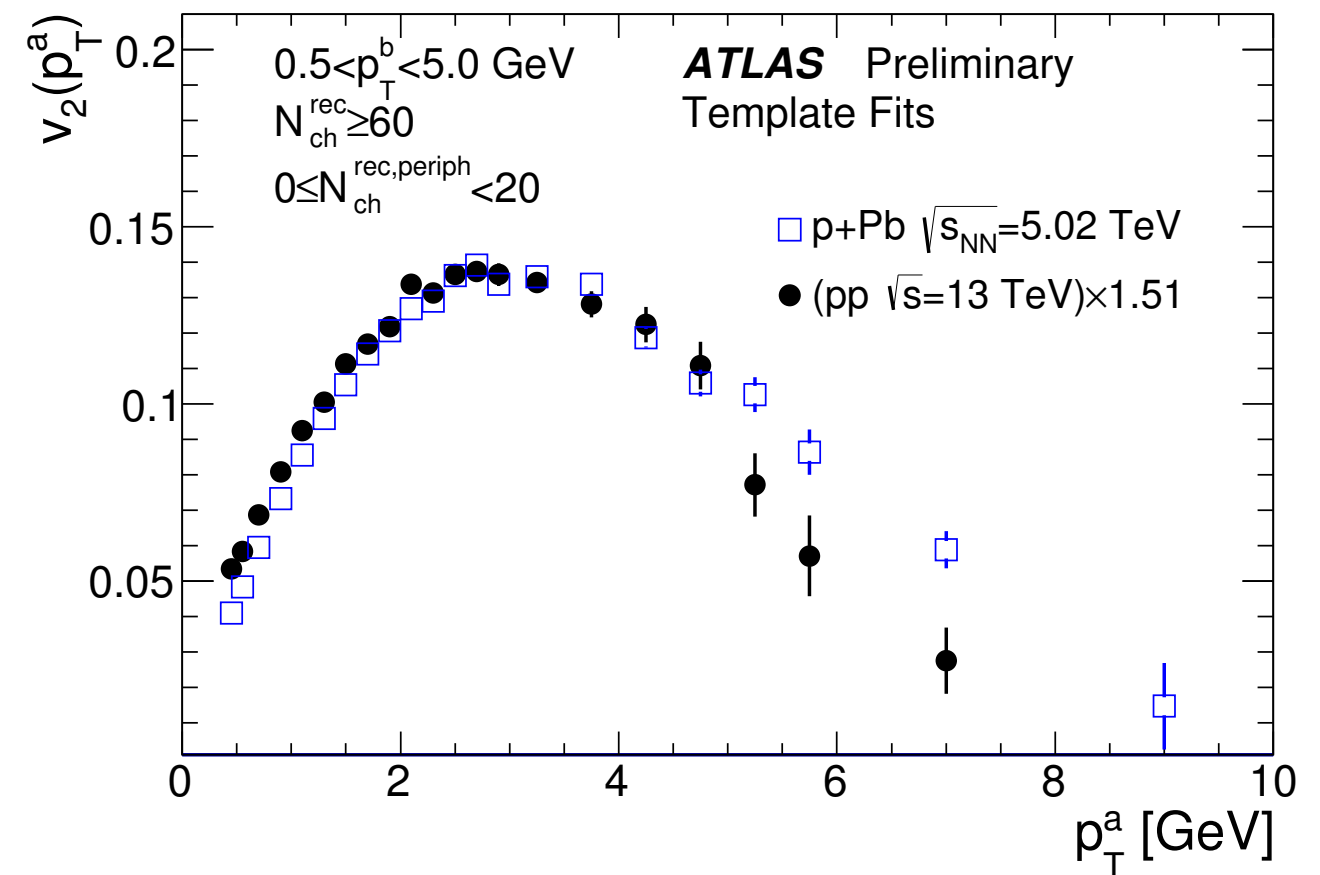
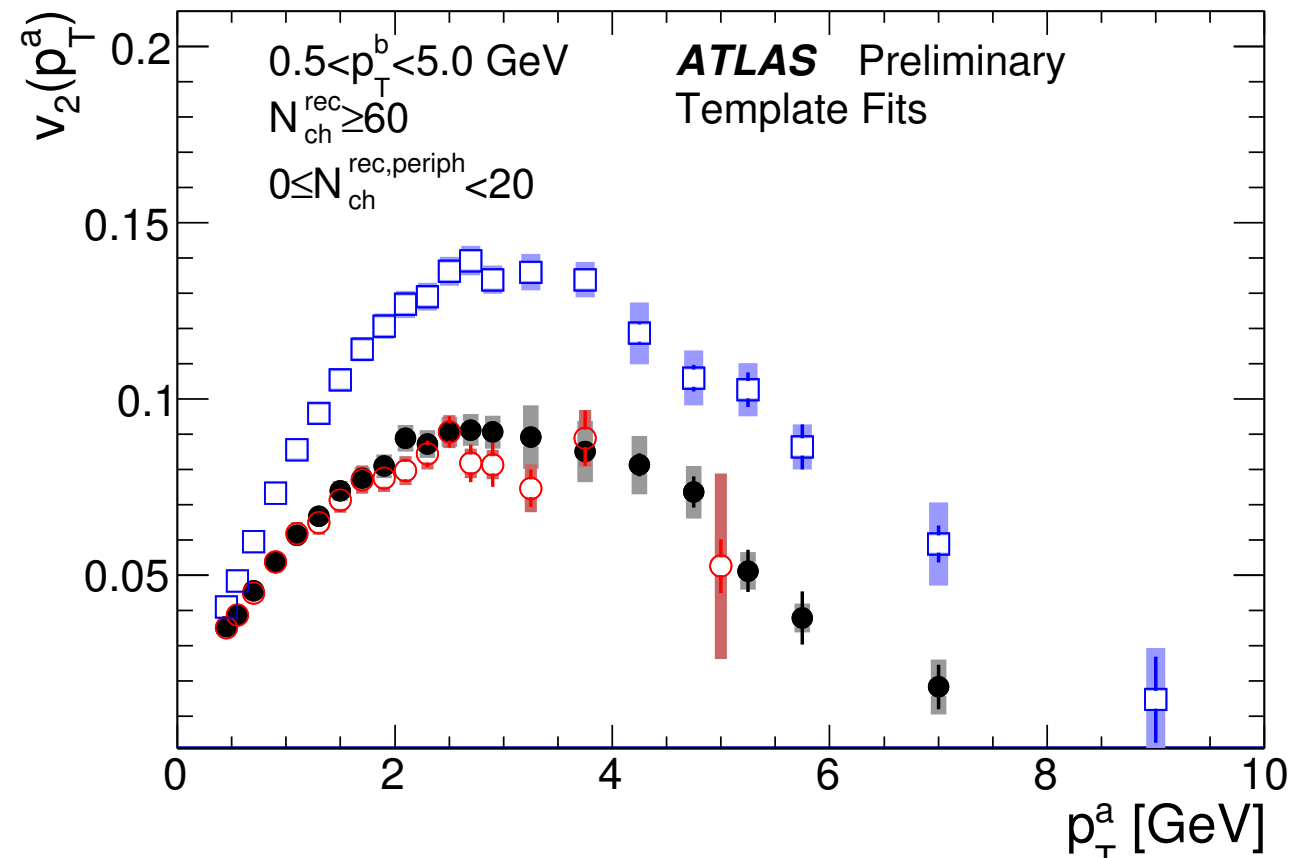


$n=4$



p_T dependence of v_2 in pp & pPb

pp scaled by 1.51



similar (but not identical) shapes between pp & pPb

summary

- template fitting method provides a robust method to extract v_N in very small systems
- independent of identifying a signal free peripheral sample
- pp collisions: no collision energy dependence observed in 2.76, 5.02 & 13 TeV
- pp v_N independent of multiplicity
- pPb: increase in v_2 , v_3 & v_4 with multiplicity
- similar shapes, but not magnitudes of $v_2(p_T)$ in pp & pPb collisions
- these measurements provide a wealth of data to understand anisotropies in small systems
- **looking forward to 8 TeV pPb data this year!**