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4-jet production: DPS and SPS contributions

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Based on: K. Kutak, R. Maciuła, M. Serino, A.Szczurek, A. van Hameren JHEP 1604 (2016) 175

K. Kutak, R. Maciuła, M. Serino, A.Szczurek, A. van Hameren Phys. Rev. D 94, 014019 (2016)

Motivation

Double parton scattering is a dominant mechanism of production of charm quarks and antiquarks

Cross section as a function of energy





Maciula, Luszczak, Szczurek '11

http://phys.org/news/2016-06-lhccharmed-twins-common-singles.html

How universal is this mechanism? What about 4 jets?

Motivation

Double parton scattering is a dominant mechanism of production of charm quarks and antiquarks

Cross section as a function of rapidity distance between D0s



http://phys.org/news/2016-06-lhccharmed-twins-common-singles.html Maciula, van Hameren, Szczurek '14

How universal is this mechanism? What about 4 jets?

4 jets production: production mechanisms



Single-parton scattering (SPS $2 \rightarrow 4$)

Kutak, Maciuła, Serino, Szczurek, Hameren, '16 High-Energy-Fact. (HEF) or k au -factorization first time: high multiplicity of final states with offshell initial state partons

Double-parton scattering

^{l_1} So called factorized ansatz $_{k_2} k \tau$ -factorization approach (2 \rightarrow 2 \otimes 2 \rightarrow 2) offers more precise studies of kinematical $_{l_2} characteristics and correlation observables$

Single-parton scattering production of four jets

The collinear factorization approach



Collinear pdfs of parton of i-th parton carrying $x_{1,X_{2}}$ momentum fraction probed at scale u_{F}

$$\sigma_{4-jets}^{B} = \sum_{i,i} \int \frac{dx_{1}}{x_{1}} \frac{dx_{2}}{x_{2}} x_{1} f_{i}(x_{1},\mu_{F}) x_{2} f_{j}(x_{2},\mu_{F})$$

$$\times \frac{1}{2\hat{s}} \prod_{l=i}^{4} \frac{d^{3}k_{l}}{(2\pi)^{3} 2E_{l}} \Theta_{4-jet} (2\pi)^{4} \delta \left(x_{1}P_{1} + x_{2}P_{2} - \sum_{l=1}^{4} k_{i} \right) \left| \mathcal{M}(i,j \to 4 \text{ part.}) \right|^{2}$$

Partonic center of mass energy squared

Hard matrix element characterizing parton-parton collision with production of 4 partons

Takes into account kinematical cuts applied

Single-parton scattering production of four jets

The High Energy Factorization factorization approach

Formally emissions well separated from hard ME in rapidity TMD pdf of parton of i-th parton carrying x1,x2 momentum fraction and transversal momentum kT1, kT2 probed at scale uF $\sigma_{4-jets} = \sum_{i} \int \frac{dx_1}{x_1} \frac{dx_2}{x_2} d^2 k_{T1} d^2 k_{T2} \mathcal{F}_i(x_1, k_{T1}, \mu_F) \mathcal{F}_j(x_2, k_{T2}, \mu_F)$ $\times \frac{1}{2\hat{s}} \prod_{l=i}^{4} \frac{d^{3}k_{l}}{(2\pi)^{3} 2E_{l}} \Theta_{4-jet} (2\pi)^{4} \delta \left(P - \sum_{l=1}^{4} k_{l} \right) \frac{\left| \mathcal{M}(i^{*}, j^{*} \to 4 \text{ part.}) \right|^{2}}{\left| \mathcal{M}(i^{*}, j^{*} \to 4 \text{ part.}) \right|^{2}}$

offshell initial state partons

Off-shell matrix elements

One considers embedding off-shell amplitude in onshell and introduces eikonal lines or Wilson lines Kotko, Kutak, van Hameren 2013, Kutak, Salwa, van Hameren 2013



Off-shell matrix elements

Kotko, Kutak, van Hameren 2013, Kutak, Salwa, van Hameren 2013



Numerical tool for HEF

AVHLIB (A. van Hameren)

https://bitbucket.org/hameren/avhlib

·complete Monte Carlo program for k_{T} factorized calculations

·any process within the Standard Model

·any initial-state partons on-shell or off-shell

·employs numerical Dyson-Schwinger recursion to calculate helicity amplitudes

•automatic phase space optimization

Contributing partons in single parton scattering process

There are 19 channels contributing to the cross section at the parton level



Combinations of partons in single parton scattering process

There are 19 channels contributing to the cross section at the parton level

$$\begin{array}{l} gg \rightarrow 4g \,, gg \rightarrow q\bar{q} \, 2g \,, qg \rightarrow q \, 3g \,, q\bar{q} \rightarrow q\bar{q} \, 2g \,, qq \rightarrow qq \, 2g \,, qq' \rightarrow qq' \, 2g \,, \\ gg \rightarrow q\bar{q}q\bar{q} \,, gg \rightarrow q\bar{q}q'\bar{q}' \,, qg \rightarrow qgq\bar{q} \,, qg \rightarrow qgq'\bar{q}' \,, \\ q\bar{q} \rightarrow 4g \,, q\bar{q} \rightarrow q'\bar{q}' \, 2g \,, q\bar{q} \rightarrow q\bar{q}q\bar{q} \,, q\bar{q} \rightarrow q\bar{q}q'\bar{q}' \,, q\bar{q} \rightarrow q'\bar{q}'q'\bar{q}' \,, q\bar{q} \rightarrow q'\bar{q}'q'\bar{q}' \,, q\bar{q} \rightarrow q'\bar{q}'q'\bar{q}' \,, q\bar{q} \rightarrow q'\bar{q}'q'\bar{q}' \,, q\bar{q} \rightarrow q\bar{q}q\bar{q} \,, qq \rightarrow qqq\bar{q} \,, qq \rightarrow qqq'\bar{q}' \,, qq' \rightarrow qq'q\bar{q} \,, \end{array}$$

The processes in the first line are the dominant channels, contributing together to ~ 93 % of the total cross section. This stays true in the $k\tau$ framework as well.

Factorized ansatz and Double Parton Distributions



Flensburg, Gustafson Lonnblad' 11 $\Gamma_{ij}(b, x_1, x_2; \mu_1^2, \mu_2^2) = f_i(x_1, \mu_1^2) f_j(x_2, \mu_2^2) F(b; x_1, x_2, \mu_1^2, \mu_2^2)$ assumption: no x and scale dependence in F

$$F_{ij}(b; x_1, x_2, \mu_1^2, \mu_2^2) = f_i(x_1, \mu_1^2) f_j(x_2, \mu_2^2) F(b)$$

Used also in PYTHIA

$$\sigma_{(A,B)}^{D} = \frac{1}{(1+\delta_{AB})} \frac{\sigma_{A}^{S} \sigma_{B}^{S}}{\sigma_{\text{eff}}} \quad \text{Factorization also} \\ \text{supported by:} \\ \text{Golec-Biernat, Lewandowska} \\ \text{Serino, Stasto, Snyder' 15} \\ \sigma_{eff} = 15mb \end{cases}$$

nonperturbative quantity measure of correlation

Factorized ansatz and Double Parton Distributions



Double-parton scattering production of four jets



So finally we have:

$$\sigma^{DPS}(pp \rightarrow 4jets X) = \frac{C}{\sigma_{eff}} \cdot \sigma^{SPS}(pp \rightarrow dijet X_1) \cdot \sigma^{SPS}(pp \rightarrow dijet X_2)$$

two subprocesses are not correlated and do not interfere

 $i, j, k, l = g, u, d, s, c, \overline{u}, \overline{d}, \overline{s}, \overline{c}$

C combinatorial factor

Combinations of partons in DPS scattering process

We have to include all the possible 45 channels which can be obtained by coupling in all possible distinct ways the 8 channels for the $2 \rightarrow 2$ SPS process, i.e.



Combinations of partons in DPS scattering process

We have to include all the possible 45 channels which can be obtained by coupling in all possible distinct ways the 8 channels for the $2 \rightarrow 2$ SPS process, i.e.

$$\begin{array}{rcl} \#1 &=& gg \rightarrow gg \,, & \#5 = q\bar{q} \rightarrow q'\bar{q}' \,, \\ \#2 &=& gg \rightarrow q\bar{q} \,, & \#6 = q\bar{q} \rightarrow gg \,, \\ \#3 &=& qg \rightarrow qg \,, & \#7 = qq \rightarrow qq \,, \\ \#4 &=& q\bar{q} \rightarrow q\bar{q} \,, & \#8 = qq' \rightarrow qq' \,. \end{array}$$

We find that the pairs (1, 1), (1, 2), (1, 3), (1, 7), (1, 8), (3, 3), (3, 7), (3, 8) account for more than 95 % of the total cross section for all the sets of cuts considered in this paper.

p^t spectra of jets



HEF prediction of the differential cross sections for the transverse momenta of the first two leading jets compared to the ATLAS data. In addition we show the ratio of the SPS HEF result to the ATLAS data.

pt spectra of jets



HEF prediction of the differential cross sections for the transverse momenta of the first two leading jets compared to the ATLAS data. In addition we show the ratio of the SPS HEF result to the ATLAS data.

CMS four-jets: SPS + DPS in the k T -factorization



At 13 TeV and $\Delta Y > 6$ four-jet sample dominated by DPS

DPS effects in four-jet sample: special angular correlation



Three out of four azimuthal angles enter. Configurations with one jet recoiling against the other three are characterized by lower values of the variable with respect to the two-against-two configurations.

A minimum, is obtained in the first case for the three i, j, k jets in the same half hemisphere, whereas it is not possible for the second configuration. The first one is allowed only by SPS in a collinear framework, whereas the second is enhanced by DPS. In k t -factorization approach this situation is smeared out by the presence of transverse momenta of the initial state partons.

DPS effects in four-jet sample: special angular correlation



Conclusions and outlook

Smaller DPS effects than in D0 production

It is possible to enhance DPS e.g. larger energy larger rapidity separation or study of suitable defined variables

4 jets in $p + A \rightarrow$ probably more room for DPS

Try $A+A \rightarrow$ one needs to combine HEF with some framework for modeling medium

NLO, FSR

Update the pdfs