



Higgs physics at the FCC

ICHEP'16

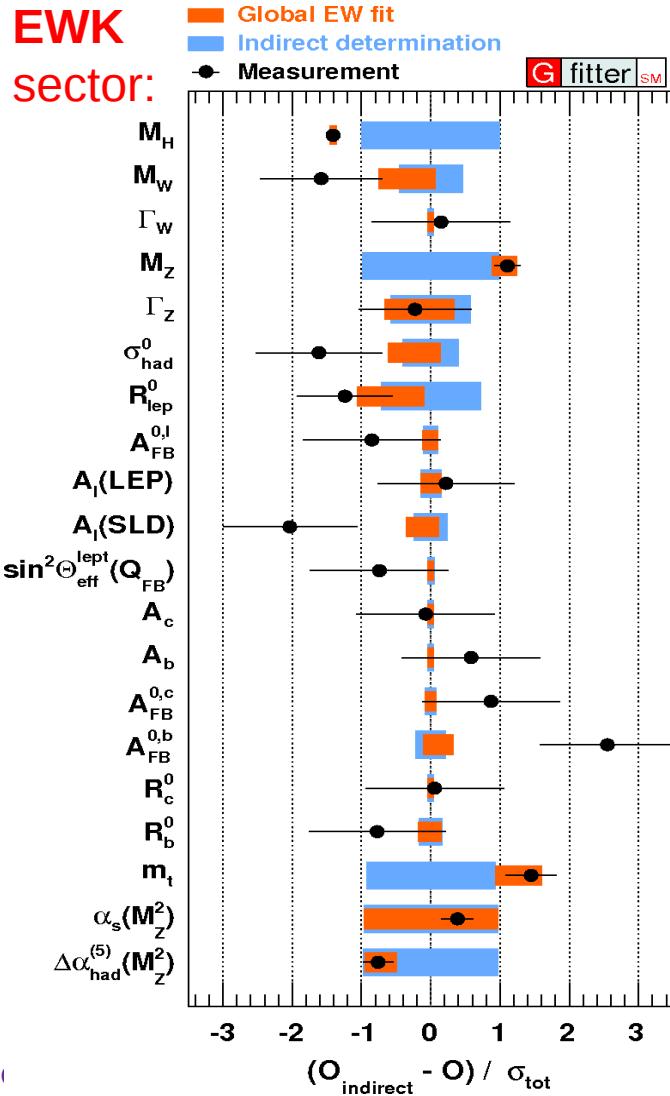
Chicago, 3rd–10th August 2016

David d'Enterria
(on behalf of FCC-ee,hh study group)

CERN

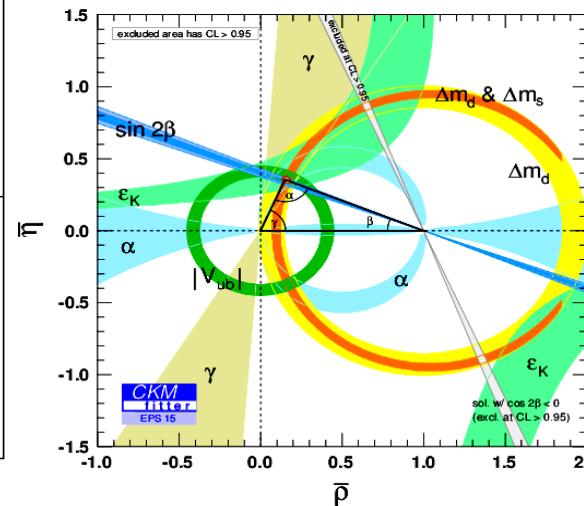
Standard Model of particles & interactions

- Renormalizable QFT of electroweak $SU(2)_L \times U(1)_Y$ & strong $SU(3)_c$ gauge interactions
- O(20) parameters:** Couplings, H mass&vev, H-f Yukawa, CKM mix., CP phases.
- Experimentally confirmed to great precision for over 40(!) years:

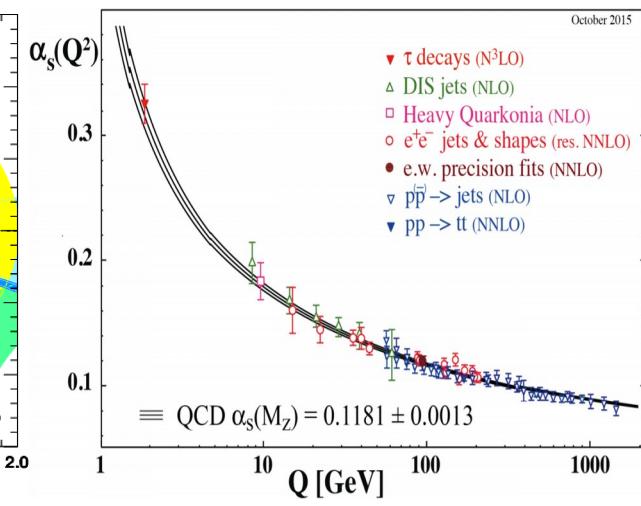


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Flavour sector:

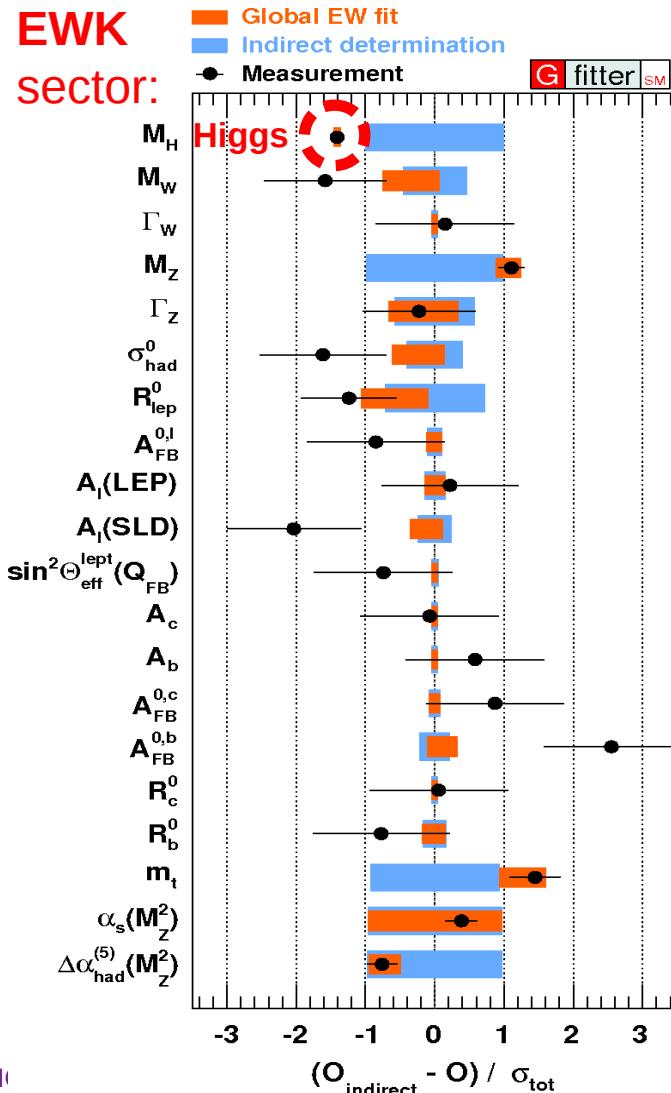


QCD sector:

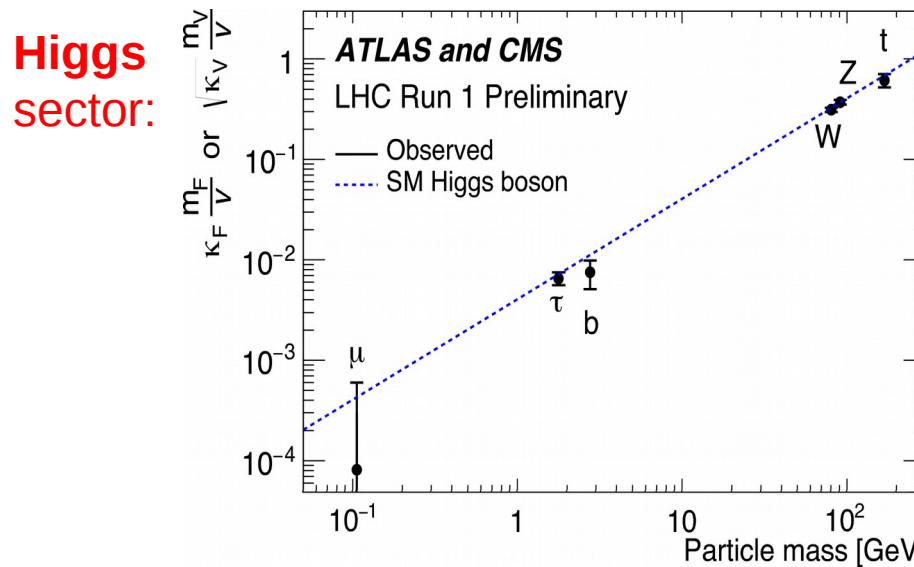


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Open questions in the SM (1)

$$\mathcal{L} = -\frac{1}{4}B_{\mu\nu}B^{\mu\nu} - \frac{1}{8}\text{tr}(\mathbf{W}_{\mu\nu}\mathbf{W}^{\mu\nu}) - \frac{1}{2}\text{tr}(\mathbf{G}_{\mu\nu}\mathbf{G}^{\mu\nu}) \quad [\text{Gauge interactions: U(1}_Y, \text{SU(2}}_L, \text{SU(3}}_C]$$

$$+(\bar{\nu}_L, \bar{e}_L)\tilde{\sigma}^\mu iD_\mu \begin{pmatrix} \nu_L \\ e_L \end{pmatrix} + \bar{e}_R \sigma^\mu iD_\mu e_R + \bar{\nu}_R \sigma^\mu iD_\mu \nu_R + (\text{h.c.}) \quad [\text{Lepton dynamics}]$$

$$-\frac{\sqrt{2}}{v} \left[(\bar{\nu}_L, \bar{e}_L) \phi M^e e_R + \bar{e}_R \bar{M}^e \bar{\phi} \begin{pmatrix} \nu_L \\ e_L \end{pmatrix} \right] - \frac{\sqrt{2}}{v} \left[(-\bar{e}_L, \bar{\nu}_L) \phi^* M^\nu \nu_R + \bar{\nu}_R \bar{M}^\nu \phi^T \begin{pmatrix} -e_L \\ \nu_L \end{pmatrix} \right] \quad [\text{Lepton masses}]$$

$$+(\bar{u}_L, \bar{d}_L)\tilde{\sigma}^\mu iD_\mu \begin{pmatrix} u_L \\ d_L \end{pmatrix} + \bar{u}_R \sigma^\mu iD_\mu u_R + \bar{d}_R \sigma^\mu iD_\mu d_R + (\text{h.c.}) \quad [\text{Quark dynamics}]$$

$$-\frac{\sqrt{2}}{v} \left[(\bar{u}_L, \bar{d}_L) \phi M^d d_R + \bar{d}_R \bar{M}^d \bar{\phi} \begin{pmatrix} u_L \\ d_L \end{pmatrix} \right] - \frac{\sqrt{2}}{v} \left[(-\bar{d}_L, \bar{u}_L) \phi^* M^u u_R + \bar{u}_R \bar{M}^u \phi^T \begin{pmatrix} -d_L \\ u_L \end{pmatrix} \right] \quad [\text{Quark masses}]$$

$$+\overline{(D_\mu \phi)} D^\mu \phi - m_h^2 [\bar{\phi} \phi - v^2/2]^2 / 2v^2. \quad [\text{Higgs dynamics \& mass}]$$

✗ Light masses: Higgs mechanism for lightest fermions (u,d,s,e,v's) to be proven

Open questions in the SM (2)

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[Gauge interactions: U(1)_Y, SU(2)_L, SU(3)_C]

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[Lepton dynamics]

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[Lepton masses]

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[Quark dynamics]

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[Quark masses]

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[Higgs dynamics & mass]

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- ✖ Higgs potential: Higgs triple & quartic self-couplings to be measured

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- ✗ Light masses: Higgs mechanism for lightest fermions (u,d,s,e,v's) to be proven
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Higgs portal to dark world?

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Higgs portal to dark world?

Some/Most(?) of these questions will not be fully answered at the LHC

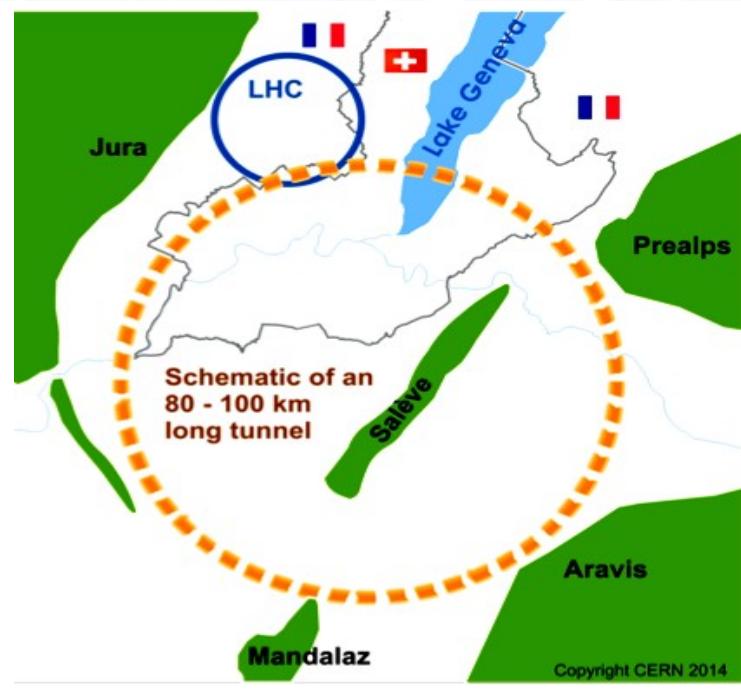
CERN Future Circular Collider (FCC) project

- Solving those & others HEP open problems requires higher-energy collider:



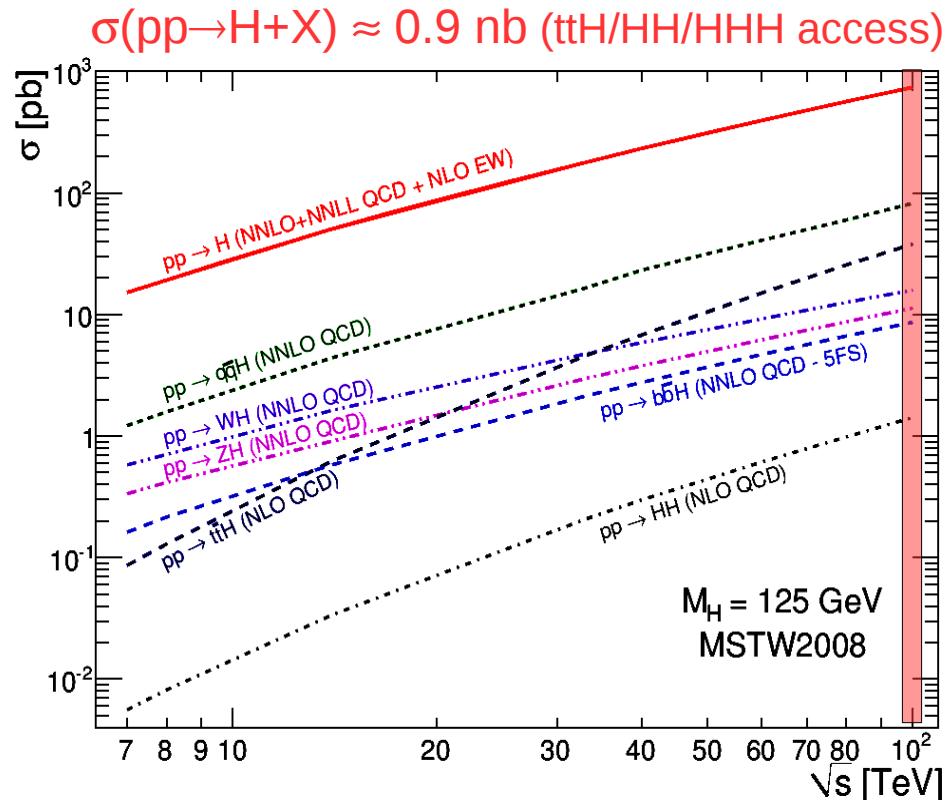
- 100 km ring, Nb₃Sn 16 T magnets, LHC used as injector:
 - pp at $\sqrt{s}=100 \text{ TeV}$, $L \sim 2 \times 10^{35}$, $L_{\text{int}} = 2 \text{ ab}^{-1}/\text{yr}$
 - e^+e^- option (before pp) at $\sqrt{s}=90\text{--}350 \text{ GeV}$ $L \sim 10^{35}\text{--}4 \cdot 10^{36}$, $L_{\text{int}} = 1\text{--}40 \text{ ab}^{-1}/\text{yr}$ for H, Z
 - e-h collider option at $\sqrt{s}=3.5 \text{ TeV}$, $L \sim 10^{34}$

[Talk mostly focused on FCC-ee.
See M.Mangano: FCC-pp, B.Mellado: FCC-eh]



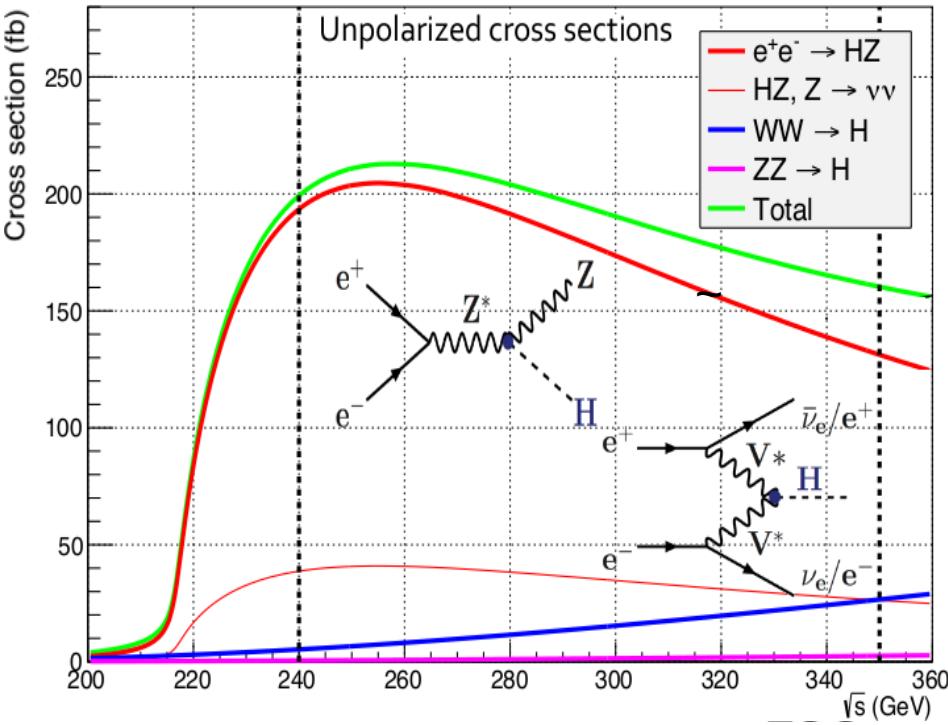
Higgs physics at FCC-pp & FCC-ee

- Huge number of Higgs expected: $2 \cdot 10^{10}$ (FCC-pp), $2 \cdot 10^6$ (FCC-ee)



	gg → H	VBF	WH	ZH	ttH	HH
$\sigma_{100} [\text{pb}]$	802	69	16	11	32	1.9
σ_{100}/σ_{14}	x17	x16	x10	x11	x52	x40

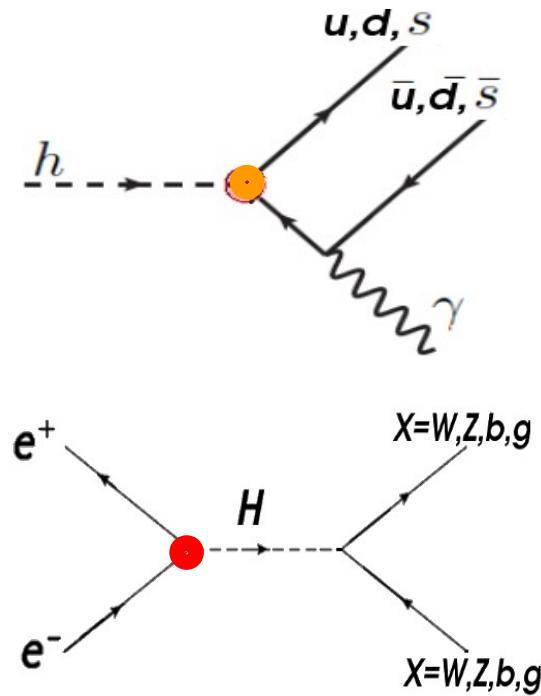
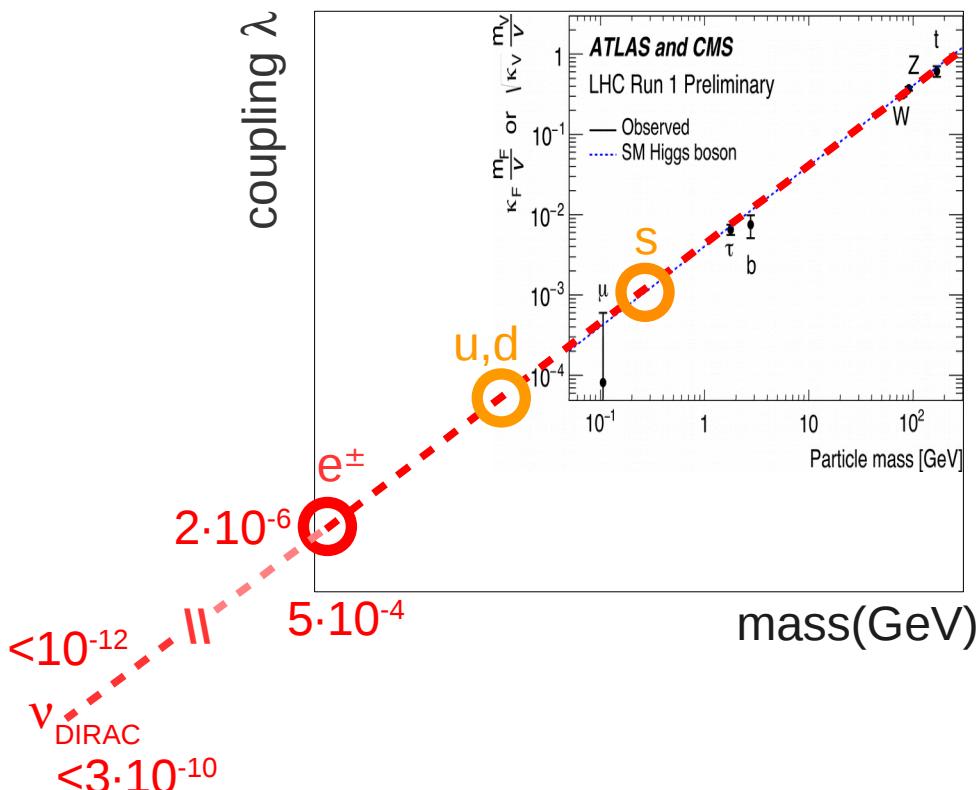
$\sigma(e^+e^- \rightarrow H+X) \approx 200 \text{ fb}$ (low bckgd, no pileup)



Total Integrated Luminosity (ab ⁻¹)	10
Number of Higgs bosons from $e^+e^- \rightarrow HZ$	2,000,000
Number of Higgs bosons from boson fusion	50,000

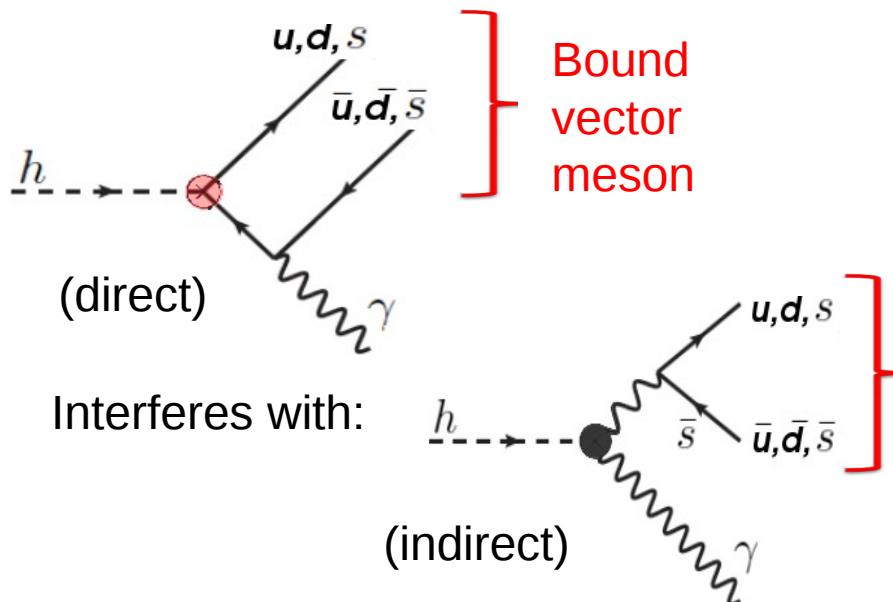
- Access to precision (<1%) Higgs couplings, and rare & BSM decays

Open issue in the SM (1): Generation of lightest fermion masses (u,d, e,v's)



1st-gen. quark Yukawa couplings at FCC-ee

- 1st & 2nd gen. quark Yukawa accessible via **exclusive $H \rightarrow V\gamma$** , $V = \rho, \omega, \phi$



[G. Perez et al, arXiv:1505.06689]

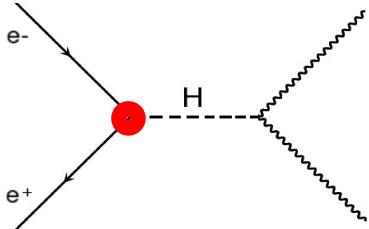
Mode Method	Branching Fraction [10^{-6}]	
	LCDA LO [170]	LCDA NLO [173]
$\text{Br}(H \rightarrow \rho^0 \gamma)$	19.0 ± 1.5	16.8 ± 0.8
$\text{Br}(H \rightarrow \omega \gamma)$	1.60 ± 0.17	1.48 ± 0.08
$\text{Br}(H \rightarrow \phi \gamma)$	3.00 ± 0.13	2.31 ± 0.11

- $H \rightarrow \rho(\pi\pi)\gamma$ channel most promising: $N \sim 40$ counts expected, low backgds
- Sensitivity to **u/d quark Yukawa** couplings:

$$\frac{\text{BR}_{h \rightarrow \rho\gamma}}{\text{BR}_{h \rightarrow b\bar{b}}} = \frac{\kappa_\gamma [(1.9 \pm 0.15) \kappa_\gamma - 0.24 \bar{\kappa}_u - 0.12 \bar{\kappa}_d]}{0.57 \bar{\kappa}_b^2} \times 10^{-5}$$
 $(\kappa_q = y_q/y_b)$
- All channels accessible with **higher stats** at FCC-pp.
 But **much worse backgrounds** (QCD and pileup).

e^\pm Yukawa coupling at FCC-ee(125)

- Resonant s-channel Higgs production at $\sqrt{s} = 125$ GeV has tiny x-sections:

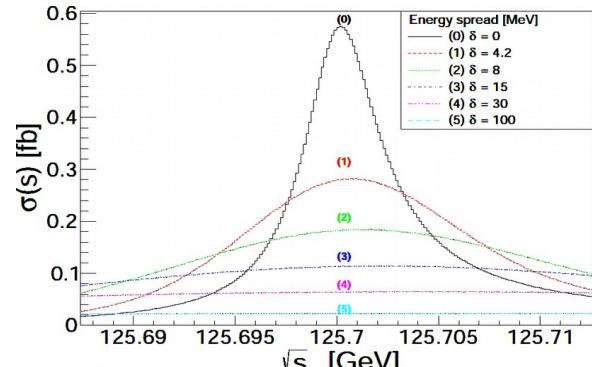


$$\sigma(e^+e^- \rightarrow H)_{\text{Breit-Wigner}} = 1.64 \text{ fb}$$

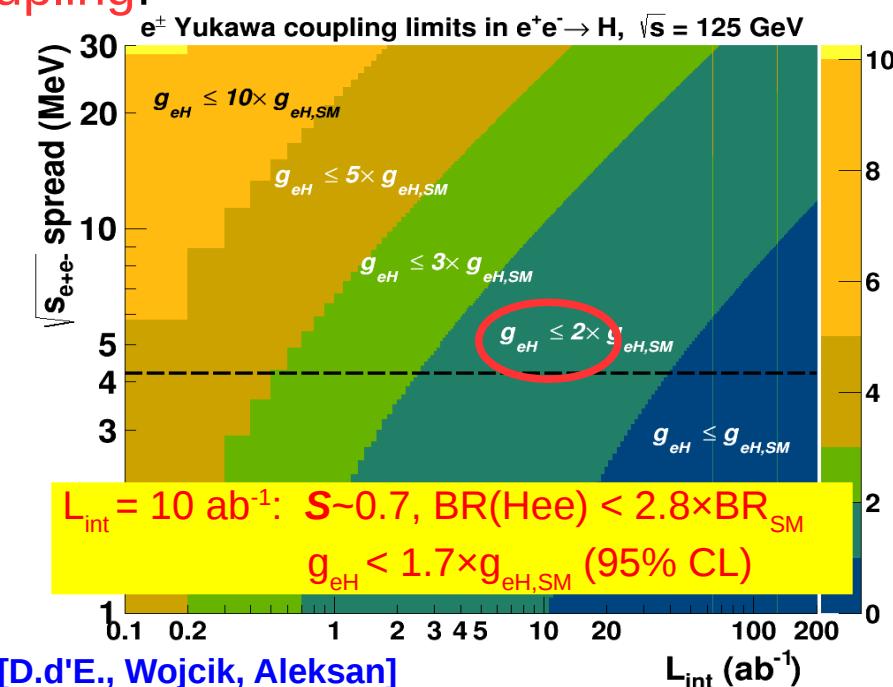
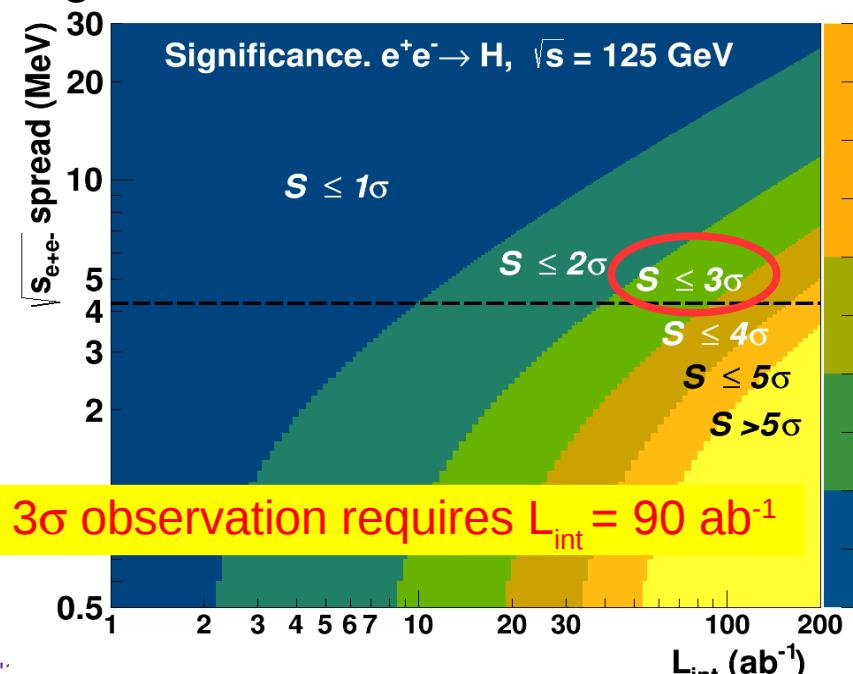
$$\sigma(e^+e^- \rightarrow H)_{\text{visible}} = 290 \text{ ab}$$

$$(\text{incl. ISR} + \sqrt{s}_{\text{spread}} = \Gamma_H = 4.2 \text{ MeV})$$

Mono-chromatization required to achieve $\sqrt{s}_{\text{spread}} \approx \Gamma_H$

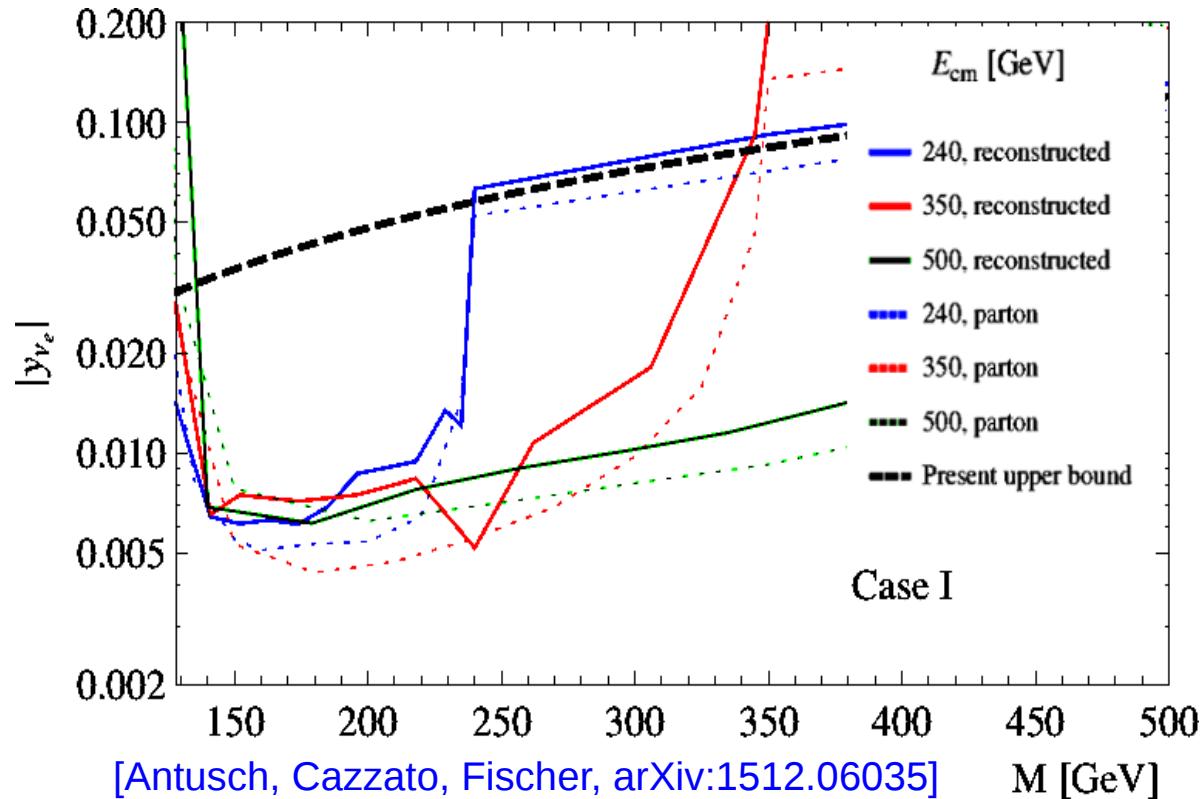
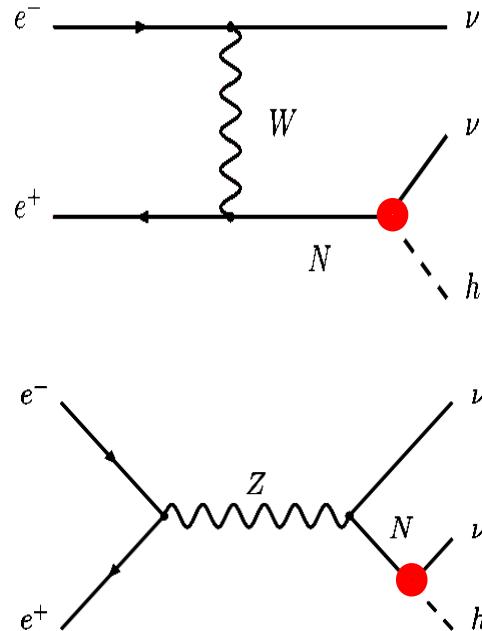


- Preliminary study for signal + backgrounds in 10 Higgs decay channels.
- Significance & limits on e-Yukawa coupling:



Higgs couplings to heavy-neutrinos at FCC-ee

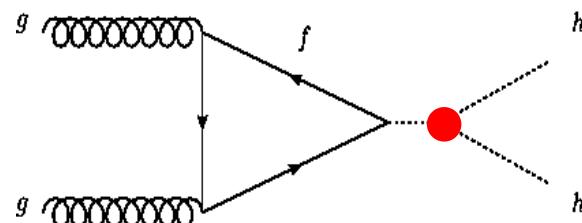
- Consider (symmetry-protected) **seesaw scenario** with 2 sterile ν (N_i): large neutrino Yukawa couplings & masses: $y_\nu \approx 10^{-3}$, $m_N \approx 10^2$ GeV
- N_i decay to Higgs+ ν . Signature: **mono-Higgs(jj)** plus missing energy



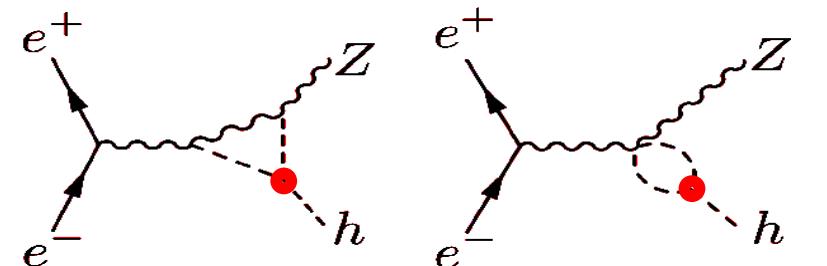
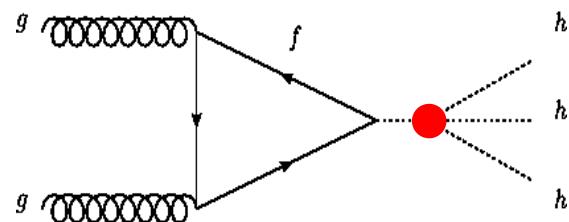
- FCC-ee sensitivity down to $|y_{ve}| \sim 5 \times 10^{-3}$ for unexplored $m_N \sim 100\text{--}300$ GeV

Open issue in the SM (2): Higgs potential (triple & quartic self-couplings)

$$\mathcal{L} = -\frac{1}{2}m_h^2 h^2 - \lambda_3 \frac{m_h^2}{2v} h^3 - \lambda_4 \frac{m_h^2}{8v^2} h^4$$



(direct, pp at $\sqrt{s}=100$ TeV)

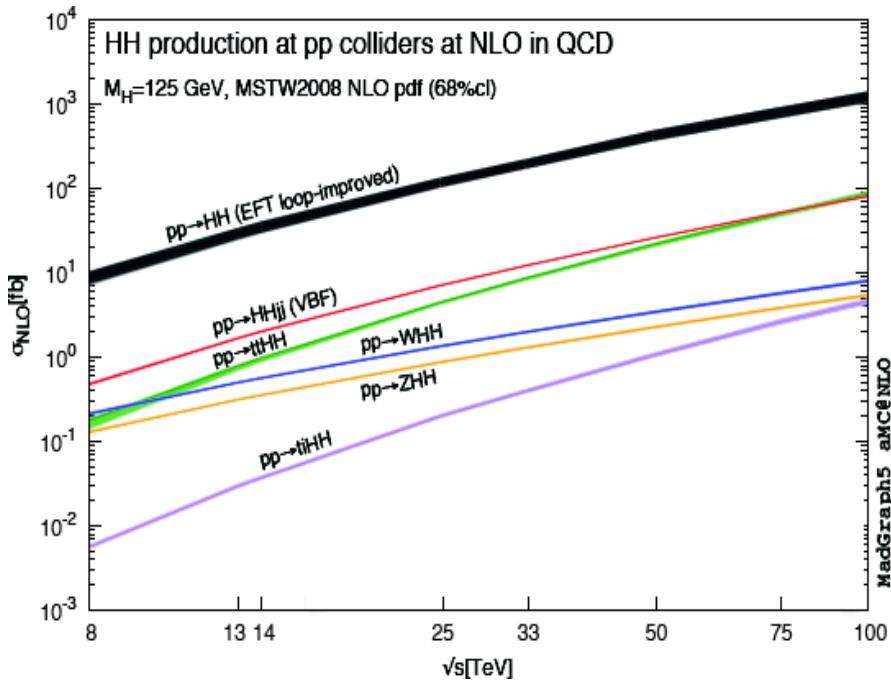


(indirect, e^+e^- at $\sqrt{s}=240-350$ GeV)

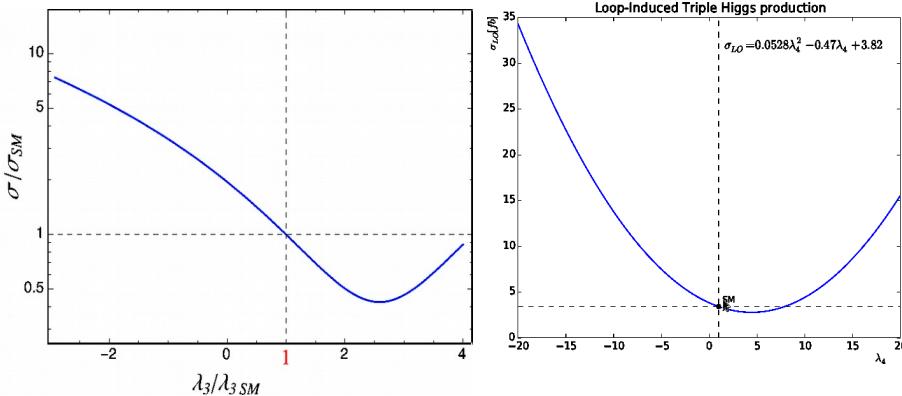
Higgs self-couplings (λ_3, λ_4) at FCC-pp

- Double (triple) Higgs cross section $\approx 1.9 \text{ pb}$ (5 fb)

[R. Contino et al.,
arXiv:1606.09408]



But various diagrams contribute to
 $\sigma_{\text{HH}}, \sigma_{\text{HHH}}$: ~diluted sensitivity to λ_3, λ_4



- $b\bar{b}(b\bar{b})\gamma\gamma$ most sensitive channel:
Critical flavor-tagging performances.

- Precisions on coupling:
Trilinear (g_{HH})~3–4%
Quartic (g_{HHH}) mildly constrained

process	precision on σ_{SM}	68% CL interval on Higgs self-couplings
$HH \rightarrow b\bar{b}\gamma\gamma$	3%	$\lambda_3 \in [0.97, 1.03]$
$HH \rightarrow b\bar{b}b\bar{b}$	5%	$\lambda_3 \in [0.9, 1.5]$
$HH \rightarrow b\bar{b}4\ell$	$O(25\%)$	$\lambda_3 \in [0.6, 1.4]$
$HH \rightarrow b\bar{b}\ell^+\ell^-$	$O(15\%)$	$\lambda_3 \in [0.8, 1.2]$
$HH \rightarrow b\bar{b}\ell^+\ell^-\gamma$	—	—
$HHH \rightarrow b\bar{b}b\bar{b}\gamma\gamma$	$O(100\%)$	$\lambda_4 \in [-4, +16]$

Higgs self-coupling at FCC-ee

- Higgs self-coupling indirectly through loop corrections to $\sigma(H+Z)$:

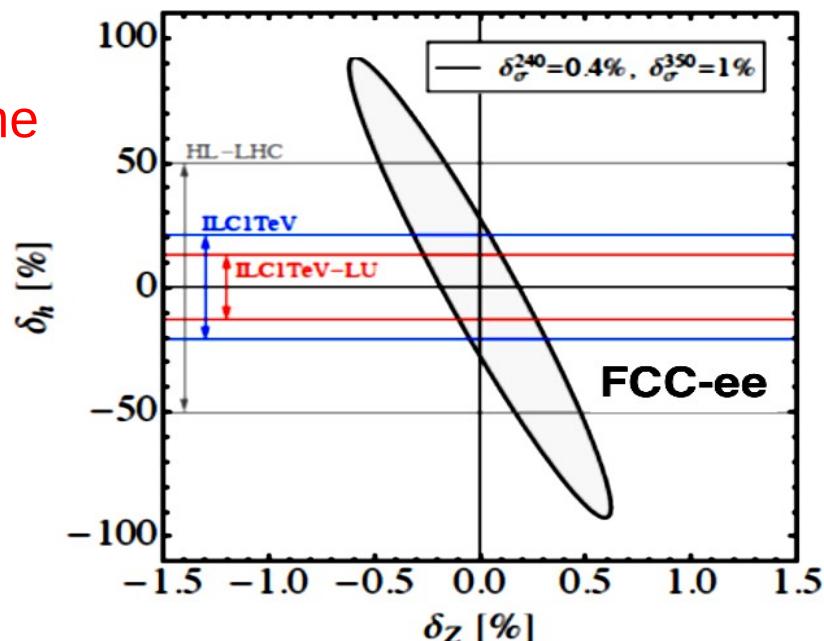
$$\sigma_{Zh} = \left| e \bar{e} \rightarrow Z \right|^2 + 2 \operatorname{Re} \left[e \bar{e} \rightarrow Z \cdot \left(e^+ e^- \rightarrow h \right) + e^+ e^- \rightarrow h \right]$$

$$\delta_{\sigma}^{240} = 100 (2\delta_Z + 0.014\delta_h) \%$$

Self-coupling correction δ_h : energy-dependent
 δ_z : energy-independent (distinguishable).

- Tiny effect, but visible thanks to **extreme precision** on σ_{Zh} (0.4%) coupling reachable at FCC-ee.
- Indirect and model-dependent **limits** on trilinear Higgs coupling can be set (~70% level) comparable to HL-LHC

[M. McCullough, 2014]



Open issue in the SM (3): Hierarchy/Naturalness (BSM scalar-coupled physics)

- Solved via many BSM realizations: SUSY, little-H, hidden sectors,...
- Parametrize (B)SM as an Effective Theory:

$$\mathcal{L}_{\text{Eff}} = \sum_{d=4}^{\infty} \frac{1}{\Lambda^{d-4}} \mathcal{L}_d = \mathcal{L}_{\text{SM}} + \frac{1}{\Lambda} \mathcal{L}_5 + \frac{1}{\Lambda^2} \mathcal{L}_6 + \dots$$

$$\mathcal{L}_d = \sum_i C_i^d \mathcal{O}_i \quad [\mathcal{O}_i] = d$$

- Indirect (loop) constraints on new physics coupled to Higgs:

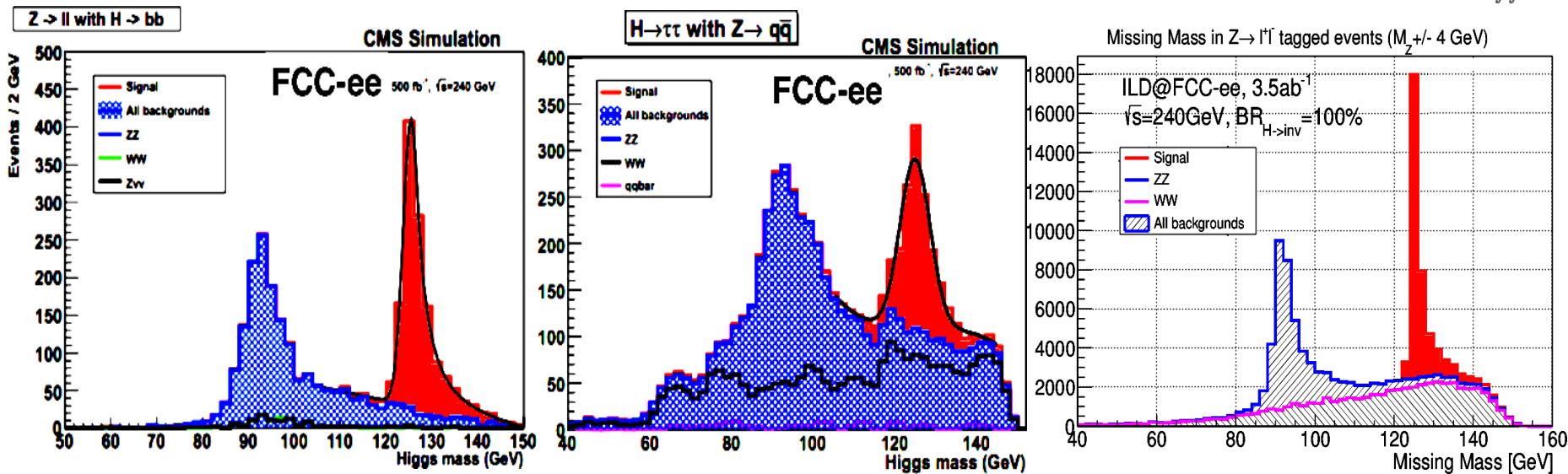
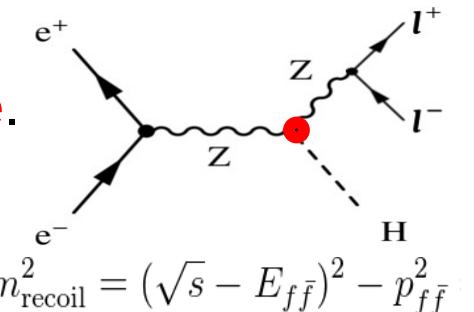
$$\Lambda \gtrsim (1 \text{ TeV}) / \sqrt{(\delta g_{\text{HXX}} / g_{\text{HXX}}^{\text{SM}}) / 5\%}$$

~5% deviations of Higgs couplings wrt. SM: $\Lambda > 1 \text{ TeV}$

~0.1% Higgs couplings precision ($\sim 10^6$ Higgs) $\Rightarrow \Lambda > 7 \text{ TeV}$

Precision H couplings, width, mass at FCC-ee

- Recoil method in H-Z unique to lepton collider:
reconstruct H 4-mom. independent of H decay mode.
- High-precision (0.4%) σ_{ZH} provides model-indep.
value of g_z coupling: $\sigma(ee \rightarrow ZH) \propto g_z^2$



- Total width (Γ_H) with $\sim 1\%$ precision from combination of measurements:
 $\sigma(ee \rightarrow ZH(\rightarrow X)) \propto \Gamma_{H \rightarrow X}$, plus known BR ($H \rightarrow X$): Obtain Γ_H
- Branching fraction to invisible can be tested directly to 0.2% @ 95% CL
- Higgs mass (m_H) from recoil mass in $Z \rightarrow \mu\mu, ee$.

Precision H couplings, width, mass at FCC-ee

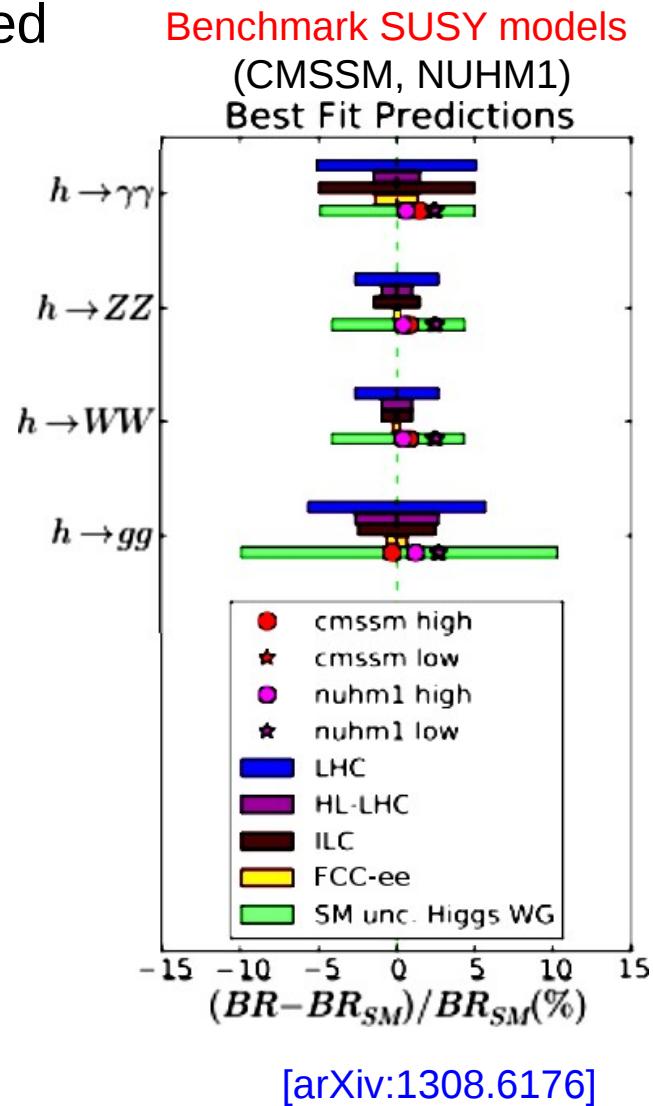
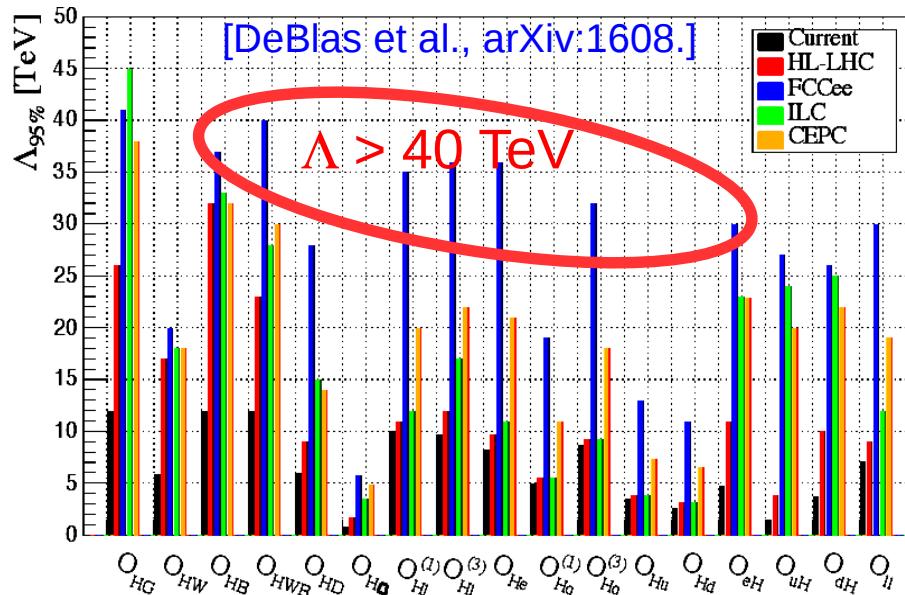
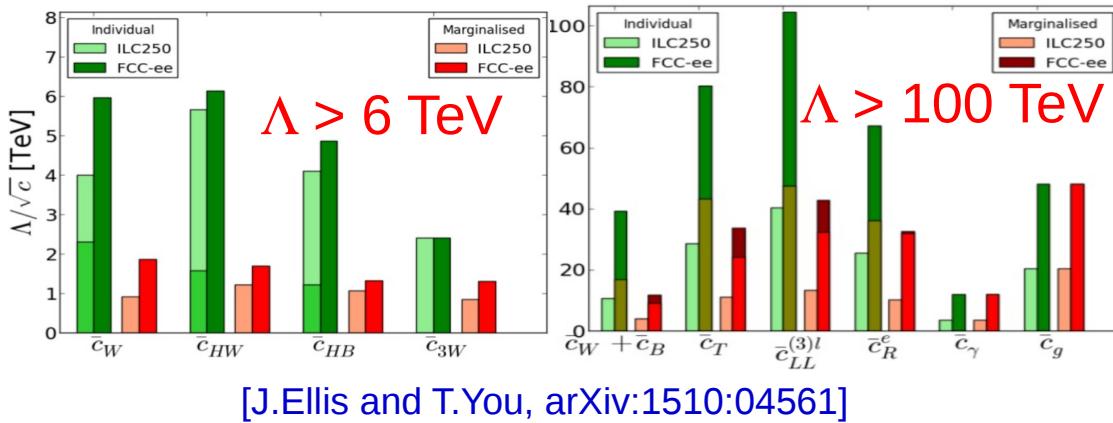
- e^+e^- colliders provide factor >10 improvement in precision w.r.t. HL-LHC.
- FCC-ee has typically highest precision:

	ILC	FCC-ee	CEPC	CLIC
$\sigma(ZH)$	0.7%	0.4%	0.51%	1.65%
g_{bb}	0.7%	0.42%	0.57%	0.9%
g_{cc}	1.2%	0.71%	2.3%	1.9%
g_{gg}	1.0%	0.80%	1.7%	1.4%
g_{ww}	0.42%	0.19%	1.6%	0.9%
$g_{\tau\tau}$	0.9%	0.54%	1.3%	1.4%
$g_{\mu\mu}$	9.2%	6.2%	17%	7.8%
g_{inv}	<0.29%	<0.45%	<0.28%	<0.97%
Δm_H (MeV)	15	11	5.9	44
Γ_H	1.8%	1%	2.8%	3.6%

- Most precise (g_z) ~0.1% coupling sets limit on new scalar-coupled physics at: $\Lambda \gtrsim (1 \text{ TeV}) / \sqrt{(\delta g_{HXX} / g_{HXX}^{\text{SM}}) / 5\%} > 7 \text{ TeV}$

Precision H properties: BSM bounds

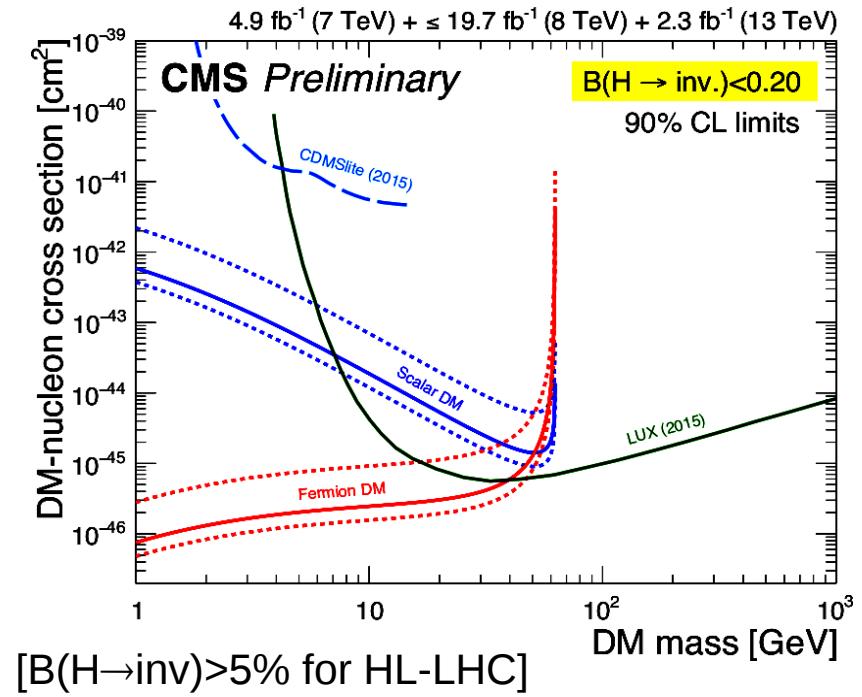
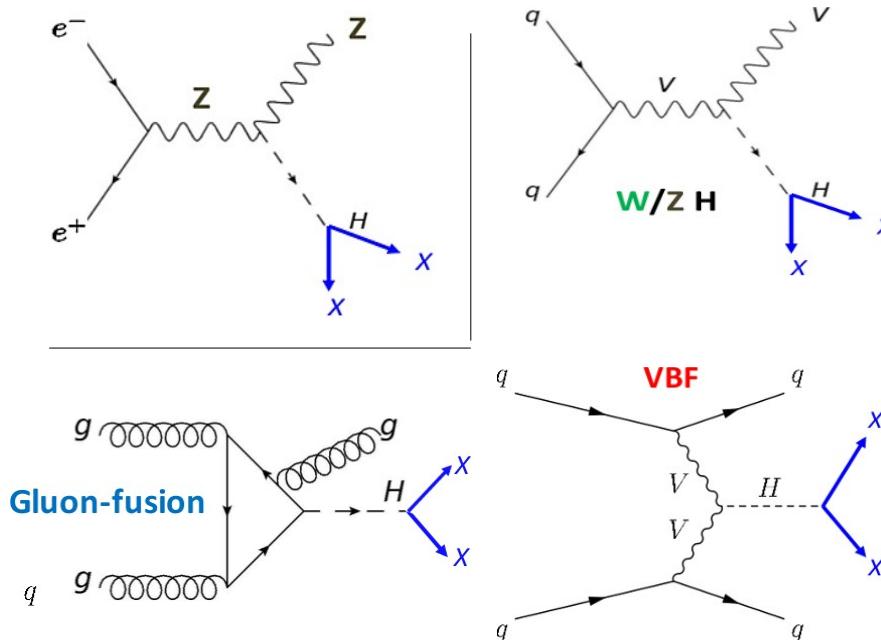
- FCC-ee precision measurem. **improve** greatly scalar-coupled BSM limits.
- NP bounds: Higgs & Higgs+EWPO combined



Open issue in the SM (4):

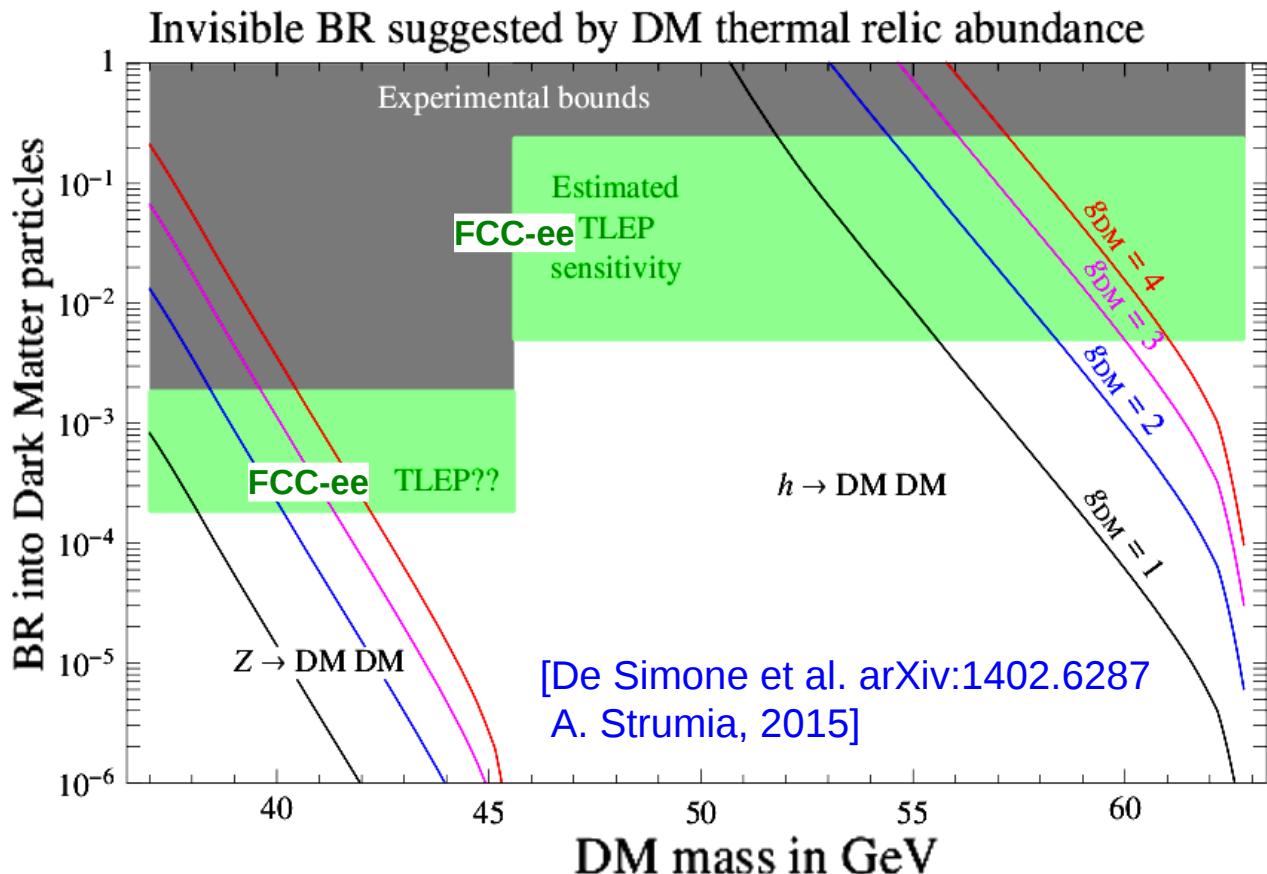
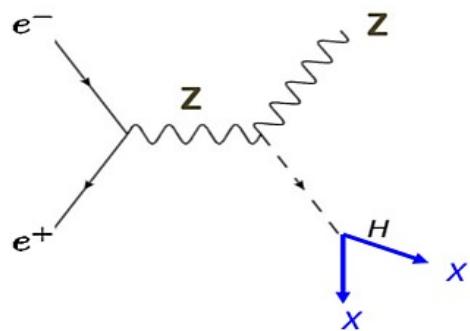
Dark matter

(Higgs-portal)



Dark Matter ($m_{\text{DM}} < m_h/2$) via H decays at FCC-ee

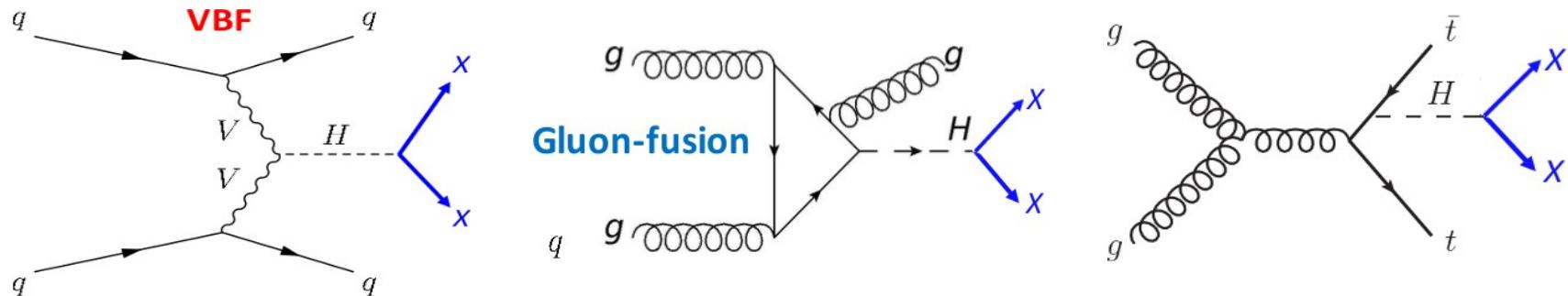
- DM freeze-out fixes $\sigma v \approx 3 \cdot 10^{-26} \text{ cm}^3/\text{s}$. If m_{DM} is just below $m_{Z,H}/2$, DM freeze-out dominated by resonant Z, H exchange, fixing $\Gamma_{Z,H}$.



- $<10^{-3}$ and $<10^{-1}$ precision measurements of invisible Z & H widths are best collider option to test any $m_{\text{DM}} < m_{Z,H}/2$ that couples via SM mediators.

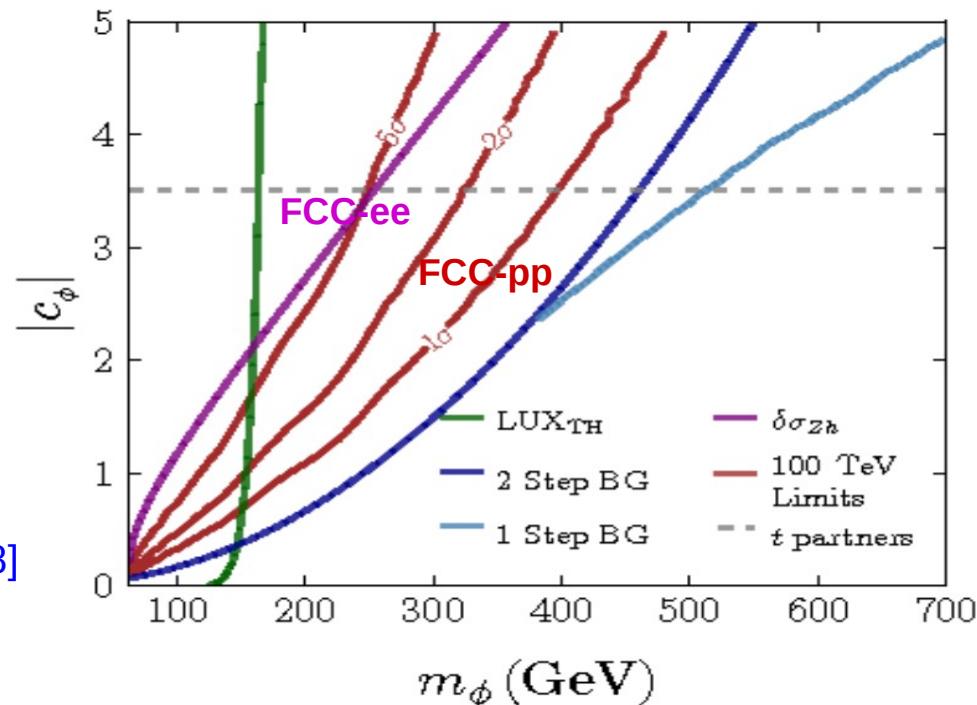
Dark Matter ($m_{\text{DM}} > m_H$) via offshell H at FCC-pp

- If DM heavier than Higgs, offshell H decays into DM, can be tagged with extra associated production: jet, VBF-jets, ttbar,... like at LHC:



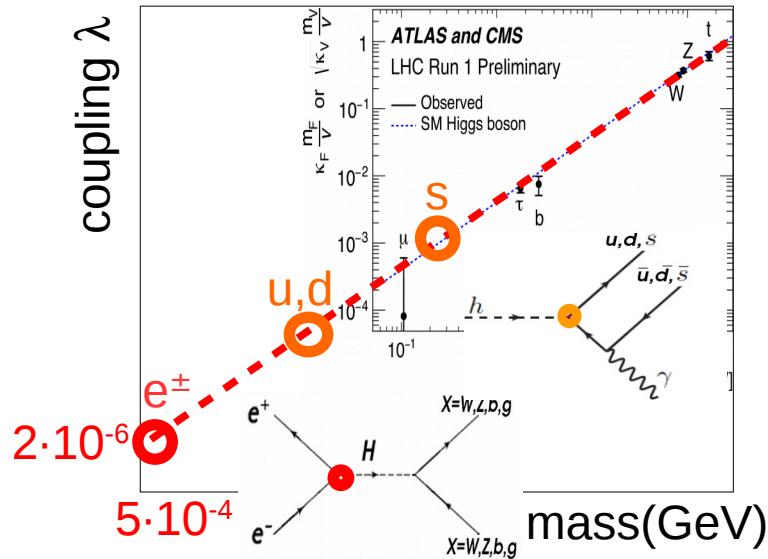
- Strong constraints on the Higgs portal coupling $|c_\phi|$ for unexplored DM masses $M_{\text{DM}} \sim 150\text{--}500 \text{ GeV}$:

[N. Craig et al.
arXiv:1412.0258]

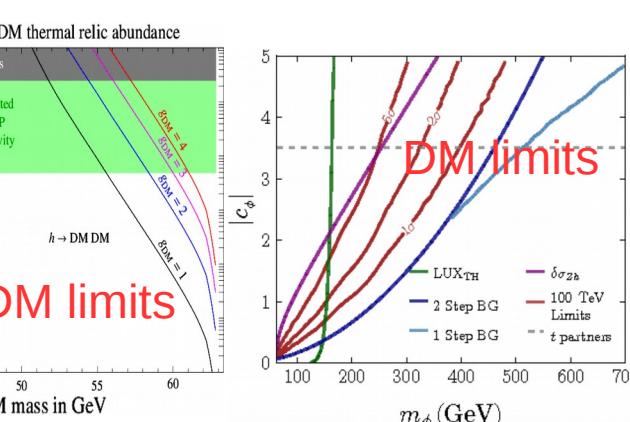
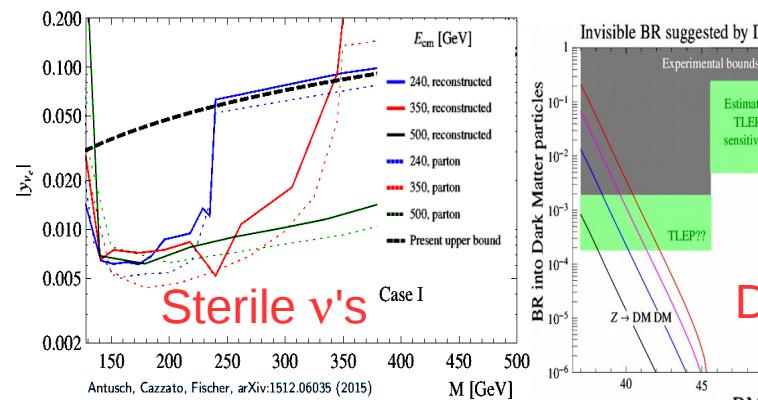
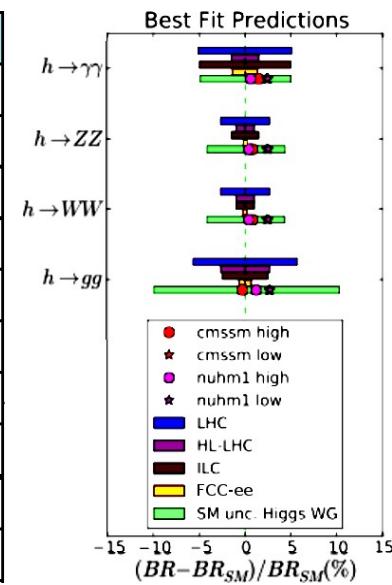


Summary

- FCC provides unparalleled luminosities $O(1\text{--}20 \text{ ab}^{-1})$ in pp at $\sqrt{s}=100 \text{ TeV}$ & e+e- at $\sqrt{s}=125\text{--}350 \text{ GeV}$ for high-precision Higgs studies ($<1\%$ uncert.) fully closing SM ($g_{1\text{st}\text{-gen}}, \lambda_{3,4}$) & constraining scalar-coupled BSM to multi-TeV



	ILC	FCC-ee	CEPC	CLIC
$\sigma(ZH)$	0.7%	0.4%	0.51%	1.65%
g_{bb}	0.7%	0.42%	0.57%	0.9%
g_{cc}	1.2%	0.71%	2.3%	1.9%
g_{gg}	1.0%	0.80%	1.7%	1.4%
g_{WW}	0.42%	0.19%	1.6%	0.9%
$g_{\pi\pi}$	0.9%	0.54%	1.3%	1.4%
$g_{\mu\mu}$	9.2%	6.2%	17%	7.8%
g_{inv}	<0.29%	<0.45%	<0.28%	<0.97%
$\Delta m_H \text{ (MeV)}$	15	11	5.9	44
Γ_H	1.8%	1%	2.8%	3.6%



Backup slides

$ee \rightarrow H$ significance: Multi-Channel Combination

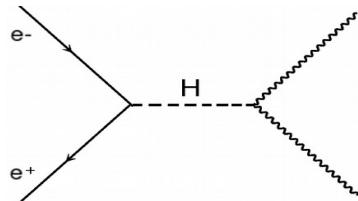
- Channels combination using Roostats-based tool for LHC Higgs analyses: Profile likelihood & hybrid significances all give ~identical results, which are also very close to naive S/ \sqrt{B} expectation (no background uncertainty).

Channel	Significance (1 ab ⁻¹)	Significance (10 ab ⁻¹)
$WW \rightarrow l\nu 2j, 2l 2\nu, 4j$	0.15$\oplus 0.09 \oplus 0.03$	0.50$\oplus 0.30 \oplus 0.08$
$ZZ \rightarrow 2j 2\nu, 2l 2j, 2l 2\nu$	0.07$\oplus 0.05 \oplus 0.01$	0.21$\oplus 0.16 \oplus 0.03$
bb	0.03	0.10
gg	0.03	0.09
$\tau\tau$	–	0.02
$\gamma\gamma$	–	0.01
Combined	0.2	0.7

- For 10 ab⁻¹: Significance ≈ 0.7 (preliminary, optimizations under study)
Limit (95% CL) for branching ratio: $BR(H \rightarrow ee) < 2.8 \times BR_{SM}(H \rightarrow ee)$
Limit (95% CL) for SM Yukawa: $g_{eH} < 1.7 \times g_{eH,SM}$

Higgs physics at FCC-ee(125): H-e Yukawa

- Resonant s-channel Higgs production at FCC-ee ($\sqrt{s} = 125$ GeV):



$$\sigma(e^+e^- \rightarrow H)_{\text{B-W}} \sim 1.64 \text{ fb}$$

$$\sigma(e^+e^- \rightarrow H)_{\text{visible}} \sim 280 \text{ ab} \quad (\text{ISR} + E_{\text{beam-spread}} \sim \Gamma_H = 4.2 \text{ MeV})$$

- Signal + backgrounds study for 7 decay channels:

$WW^*(2j,1\nu)$ ($\sigma = 28$ ab), $WW^*(2l2\nu)$ ($\sigma = 6.7$ ab),

$WW^*(4j)$ ($\sigma = 29.5$ ab), $ZZ^*(2j2\nu)$ ($\sigma = 2.3$ ab), $ZZ^*(2l2j)$ ($\sigma = 1.14$ ab),

bb (2j) ($\sigma = 156$ ab), gg (2j) ($\sigma = 24$ ab)

- Preliminary analysis:

$L_{\text{int}} = 10 \text{ ab}^{-1}$, $S=0.65$: $\text{BR}(Hee) < 4.63 \times \text{BR}_{\text{SM}}$ (3σ), $g_{hee} < 2.15 \times g_{Hee,\text{SM}}$ (3σ)

Evidence (observation?) will require further improvements in large-BR (huge background) jet channels: $H \rightarrow bb$, $H \rightarrow WW \rightarrow 4j$

- Challenging accelerator conditions: mono-chromatization, huge lumi

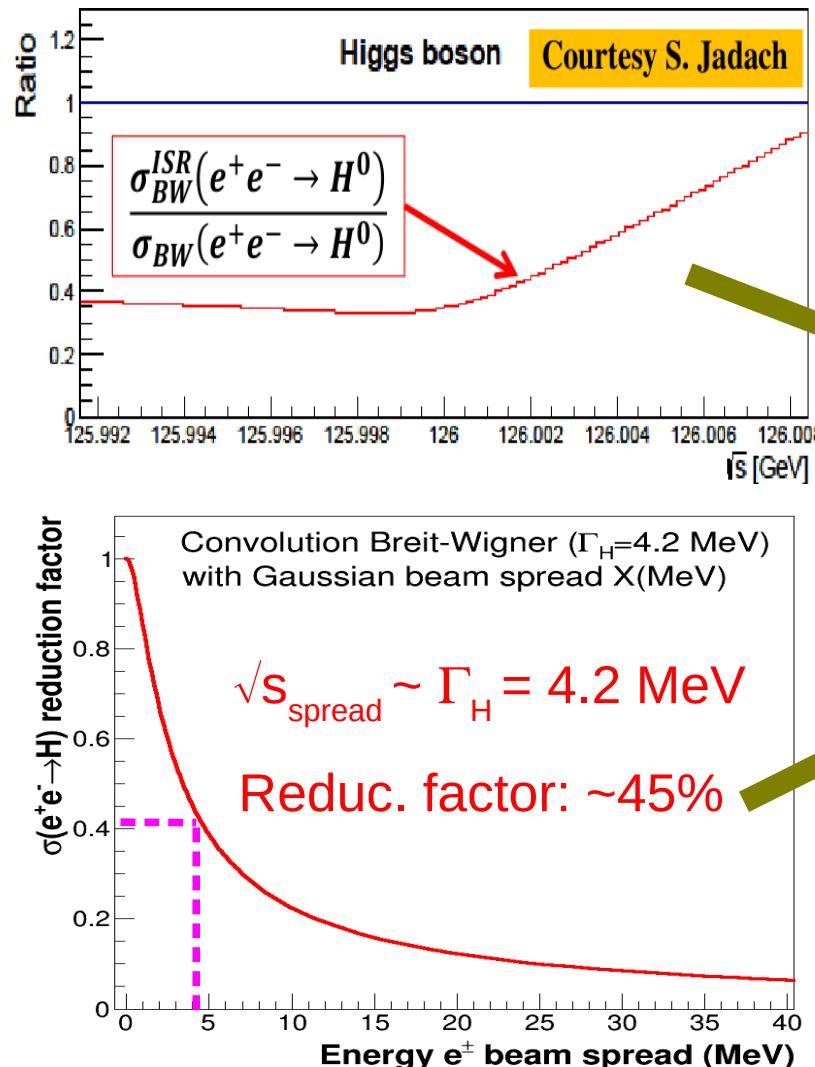
- Fundamental & unique physics accessible if measurement feasible:

→ Electron Yukawa coupling

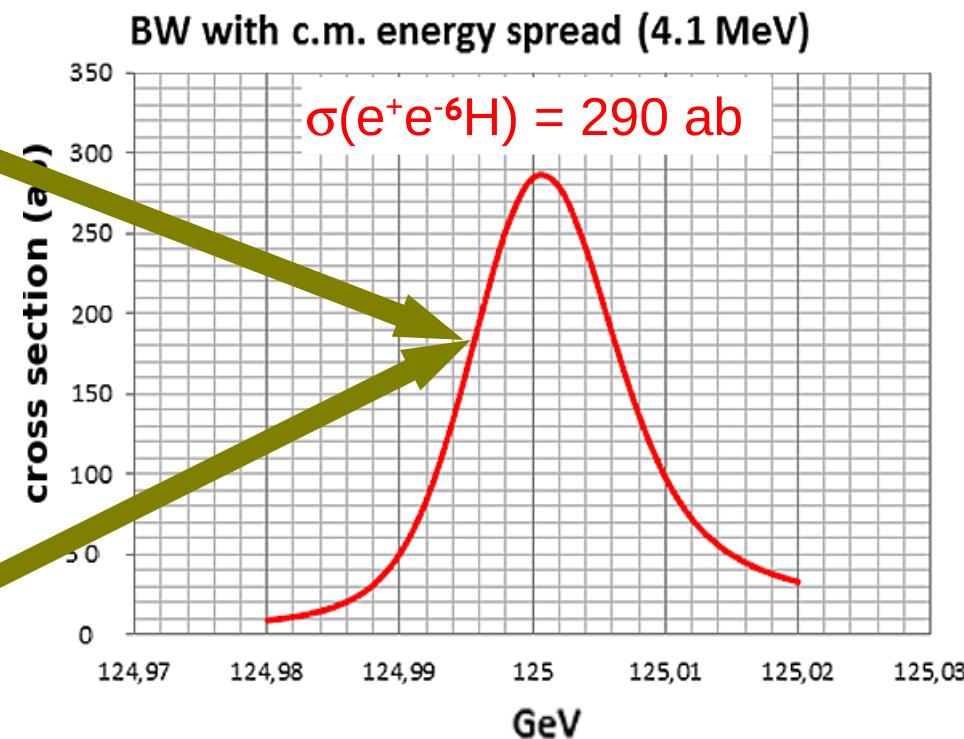
→ Higgs width measurable (“natural” threshold scan)

$\sigma(e^+e^- \rightarrow H)$ reduction: Beam energy spread + ISR

- Extra ~40% reduction also due to initial state radiation:



- Combined reduction factors:



$$\sigma_{\text{beam-spread+ISR}}(e^+e^- \rightarrow H) = 0.17 \times \sigma(e^+e^- \rightarrow H)$$

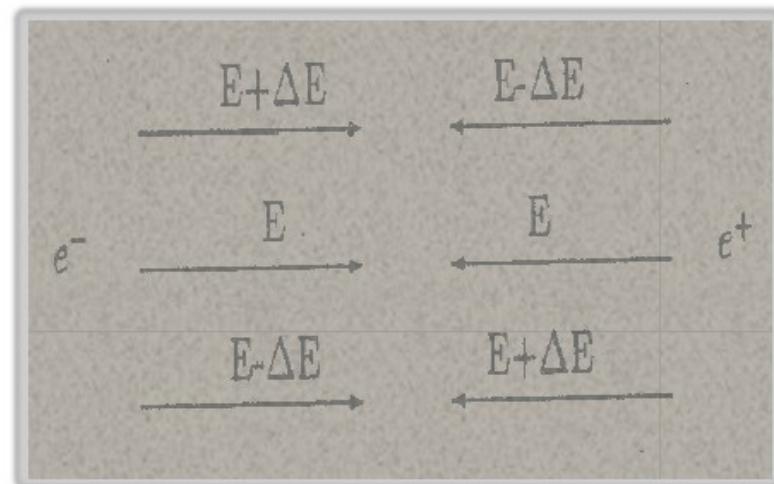
mono-chromatization at 2x63 GeV?

direct s channel Higgs production $e^+e^- \rightarrow H$

rms beam energy spread at 63 GeV ~30 MeV
total width of SM Higgs $\Gamma \sim 4$ MeV

effective collision energy spread is decreased
by introducing opposite-sign IP dispersion

$$\frac{\sigma_W}{W} = \sqrt{\left(\frac{2\varepsilon_x}{\beta_x^*} + \frac{\varepsilon_x}{\sigma_\epsilon^2} \right)}$$



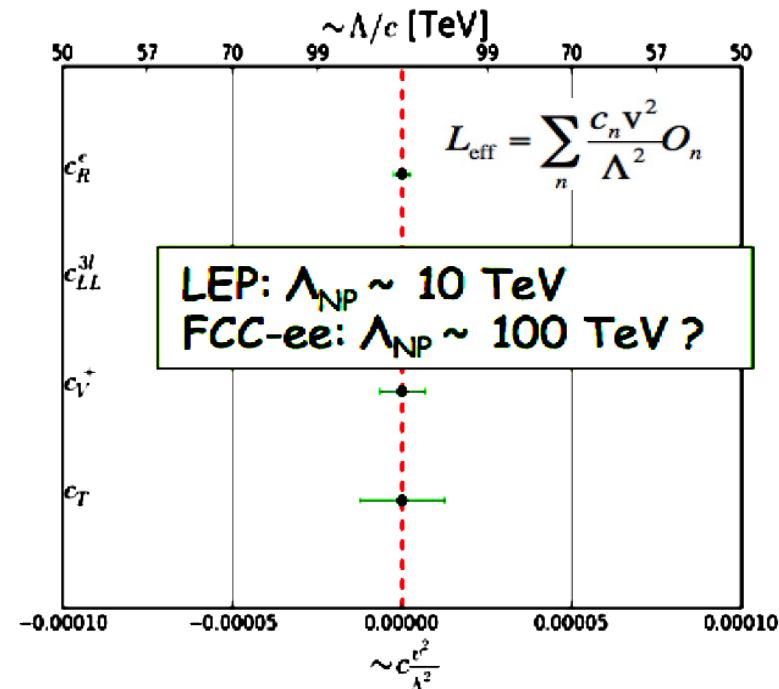
first proposed by A. Renieri (1975); historical studies for VEPP4, SPEAR, LEP, τ -c factory; never tested experimentally

reducing cm energy spread x1/10 w/o loss of luminosity?
implementation for crab-waist scheme?

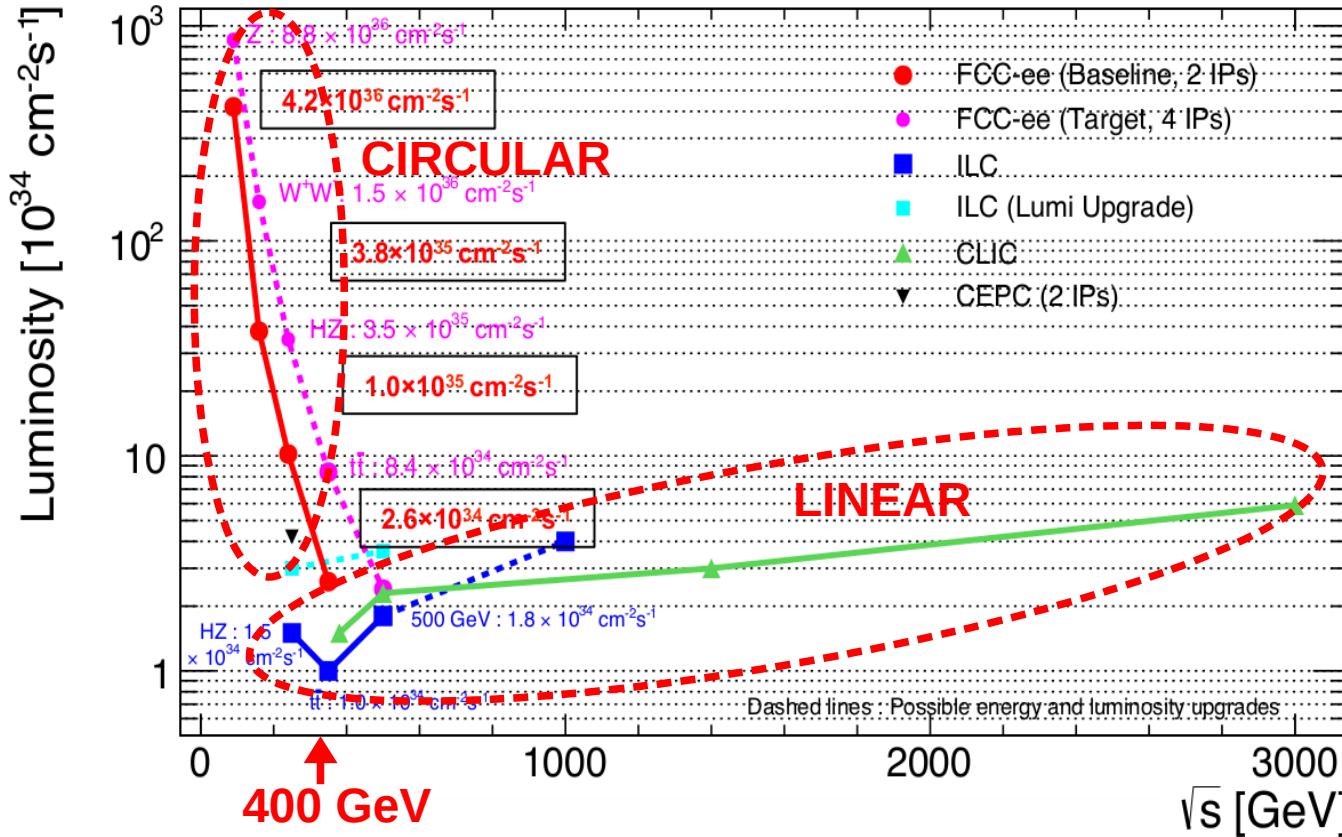


Why new e⁺e⁻ colliders ?

- New physics (NP): Hiding well ? Or beyond present reach ?
At larger masses? Or at smaller couplings? Or both?
- Electron-positron colliders:
 - Direct model-indep. discovery of new particles coupling to Z*/γ* up to $m \sim \sqrt{s}/2$
 - Low, very-well understood backgrounds: Fill “blind spots” in p-p searches
 - Polarised beams: Extra handle to constrain theory underlying any NP
 - Indirect constraints on new physics via virtual corrections: $\Lambda_{\text{NP}} \sim 1 \text{ TeV} / \sqrt{\delta X}$

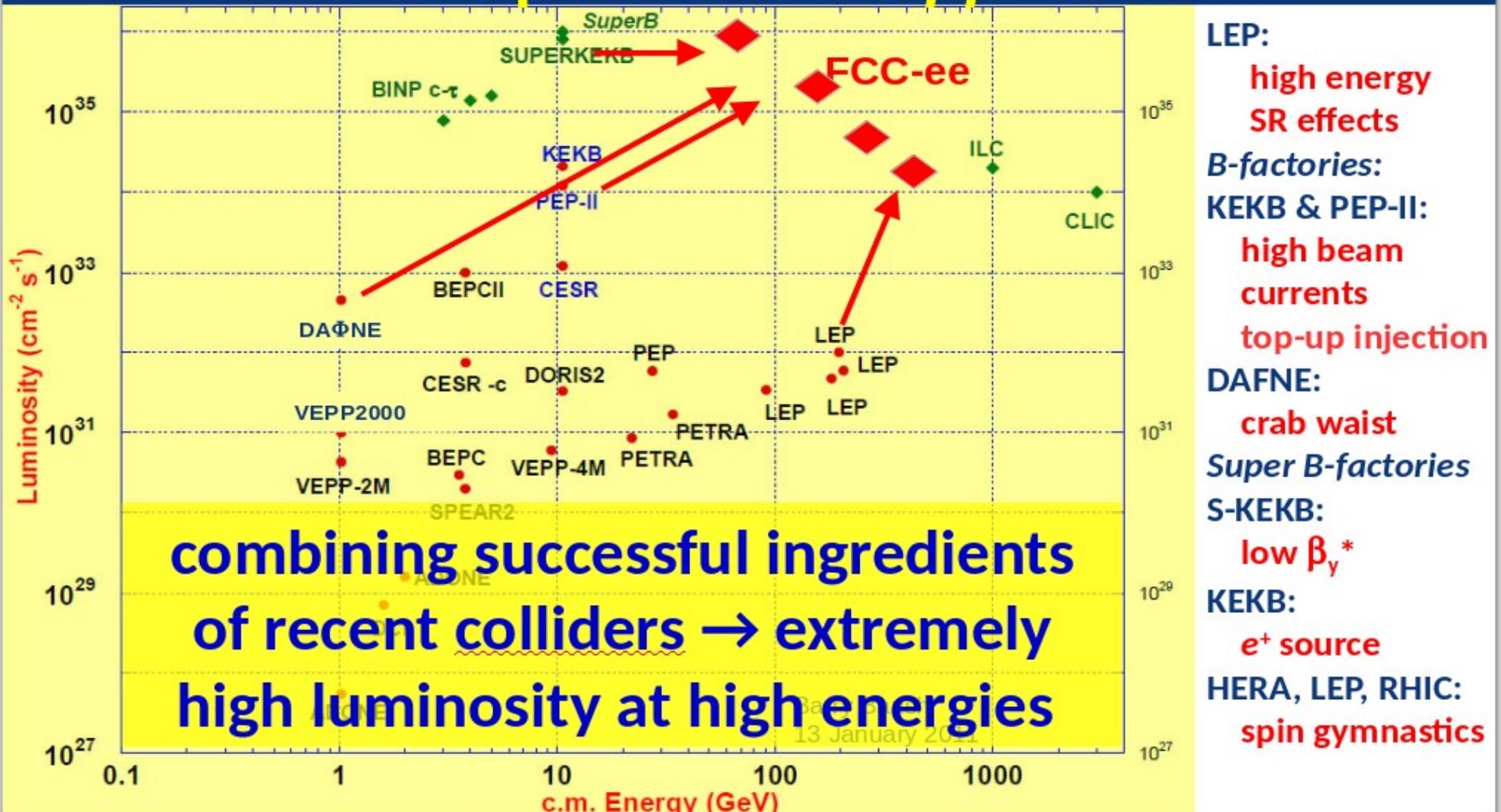


Circular or linear e^+e^- colliders ?



- \sqrt{s} limited to ~ 400 GeV by SR~ E^4/R
- Large # of circulating bunches:
 - Much higher Lumi (better at low \sqrt{s} , lower SR)
 - Top-up injection ring to compensate L burnoff
- Various Interaction Points possible
- Precise E_{beam} from resonant depolarization
- Larger \sqrt{s} reach (TeV's)
- Low repetition rate
 - Lumi from nm-size beams
 - Large bremsstrahlung
 - Large energy spread
- Longitudinal polarization easier

FCC-ee exploits lessons & recipes from past e^+e^- and pp colliders



- LEP:**
high energy
SR effects
- B-factories:**
KEKB & PEP-II:
high beam
currents
top-up injection
- DAΦNE:**
crab waist
- Super B-factories**
- S-KEKB:**
 $\text{low } \beta_y^*$
- KEKB:**
 e^+ source
- HERA, LEP, RHIC:**
spin gymnastics



e+e- colliders: FCC-ee vs. LEP, CepC



2016 baseline parameters

parameter	FCC-ee			CEPC	LEP2
energy/beam [GeV]	45	120	175	120	105
bunches/beam	90000	770	78	50	4
beam current [mA]	1450	30	6.6	16.6	3
luminosity/IP x 10³⁴ cm⁻²s⁻¹	70	5	1.3	2.0	0.0012
energy loss/turn [GeV]	0.03	1.67	7.55	3.1	3.34
synchrotron power [MW]	100			103	22
RF voltage [GV]	0.08	3.0	10	6.9	3.5
rms bunch length (SR,+BS) [mm]	1.6, 3.8	2.0, 2.4	2.1, 2.5	2.1, 2.6	12, 12
rms emittance $\varepsilon_{x,y}$ [nm, pm]	0.09, 1	0.61, 1	1.3, 2.5	6, 18	22, 250
longit. damping time [turns]	1320	72	23	39	31
crossing angle [mrad]	30	30	30	0	0
beam lifetime [min]	251	75	62	61	434

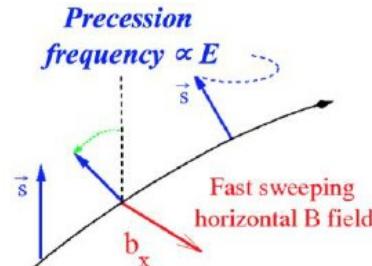
FCC-ee: 2 separate rings

CEPC: single beam pipe like LEP

Beam energy spread via resonant depolarization

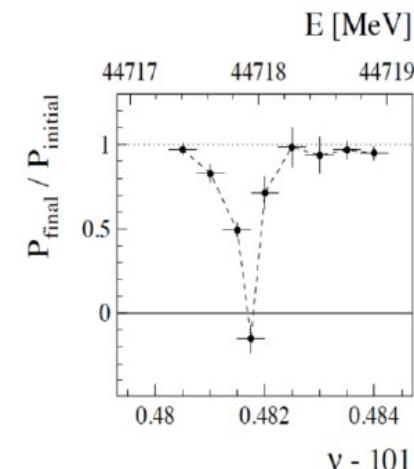
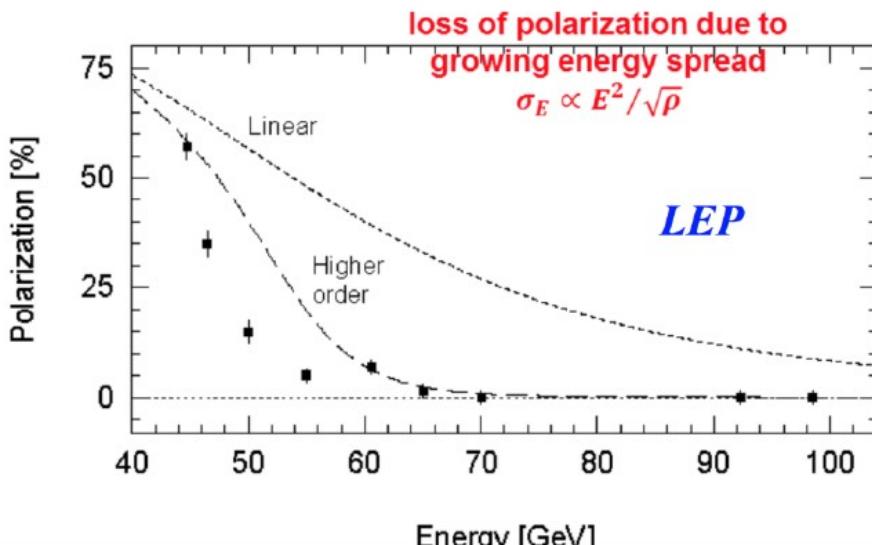
Resonant depolarization

- use naturally occurring transverse beam polarization
- add fast oscillating horizontal B field to depolarize at Thomas precession frequency



Experience from LEP: Depolarization resonance very narrow: ~ 100 keV precision for each measurement

- However, final systematic uncertainty was 1.5 MeV due to transport from dedicated polarization runs
- At FCC-ee, continuous calibration with dedicated bunches: no transport uncertainty

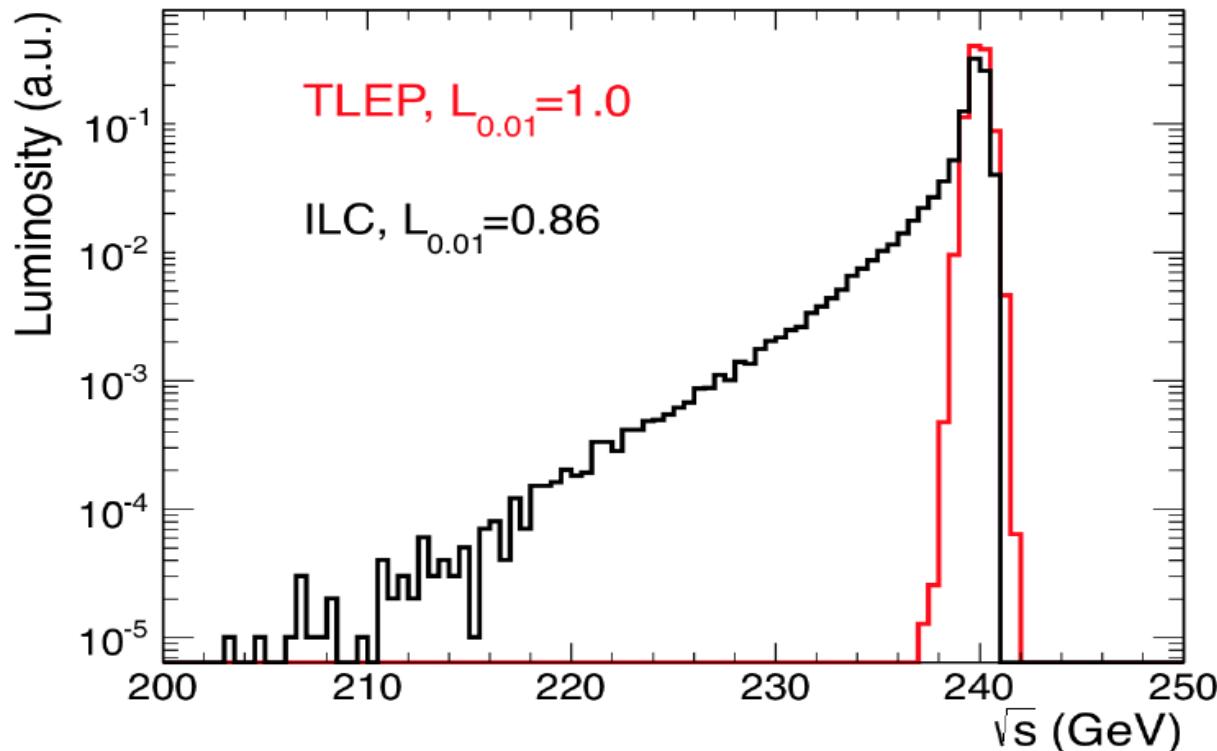


Scaling from LEP experience:

- Polarization expected up to the WW threshold

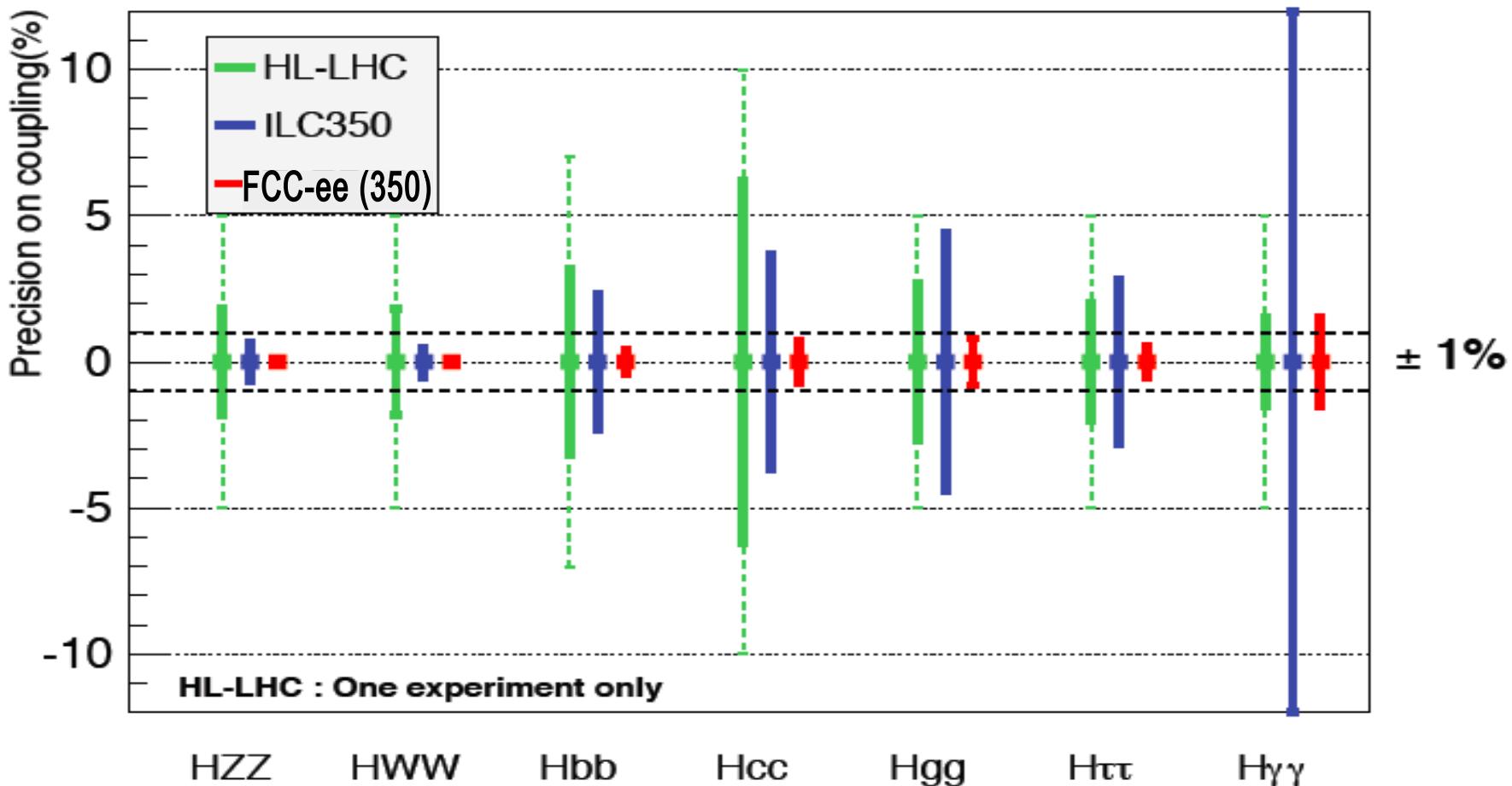
< 100 keV beam energy calibration
at Z peak and at WW threshold

FCC-ee beam energy spread



Non-destructive focusing and collision of beams:
- Center-of-mass energy spread by construction modest

Precision Higgs couplings: FCC-ee vs. ILC



- Most precise (g_{HZZ}) $\sim 0.1\%$ coupling sets limit on new scalar-coupled physics at: $\Lambda \gtrsim (1 \text{ TeV}) / \sqrt{(\delta g_{HXX}/g_{HXX}^{\text{SM}})/5\%} > 7 \text{ TeV}$