

Holographic jet shapes and their evolution in strongly coupled plasma

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In collaboration with

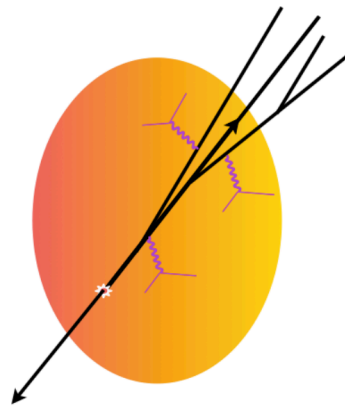
Krishna Rajagopal, Andrey Sadofyev, and Wilke van der Schee

Goal: understand parton energy loss in QGP

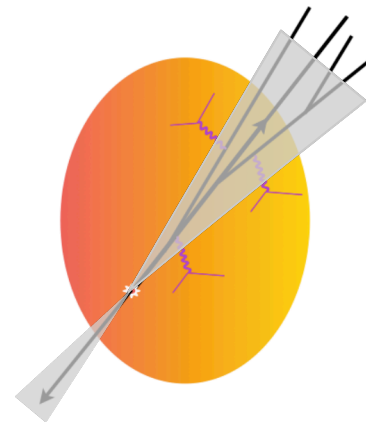
- Jet modification observables

Modeling jets in QGP

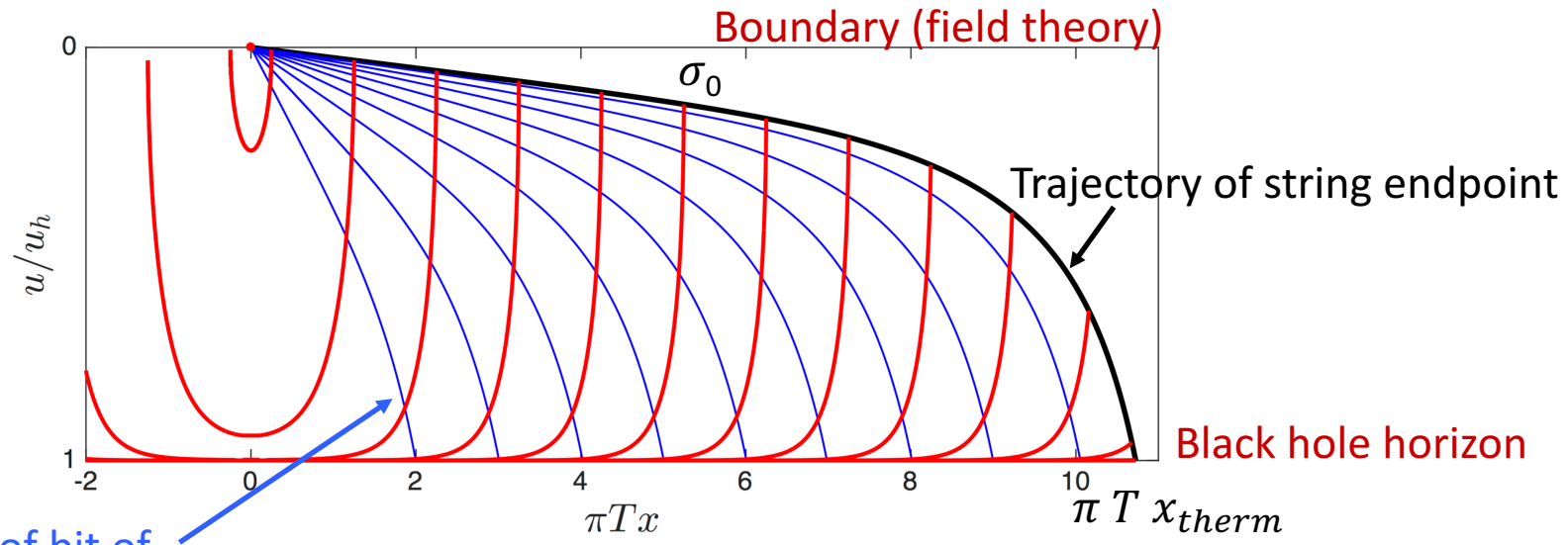
- Use jets in holography to model jets in QCD
- Different from the hybrid model discussed earlier



Hybrid model

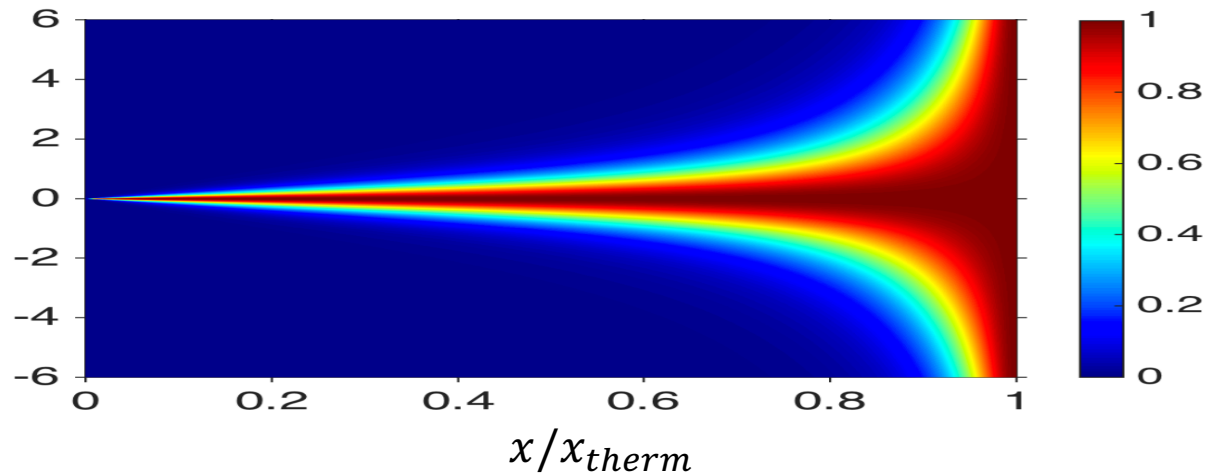


This work



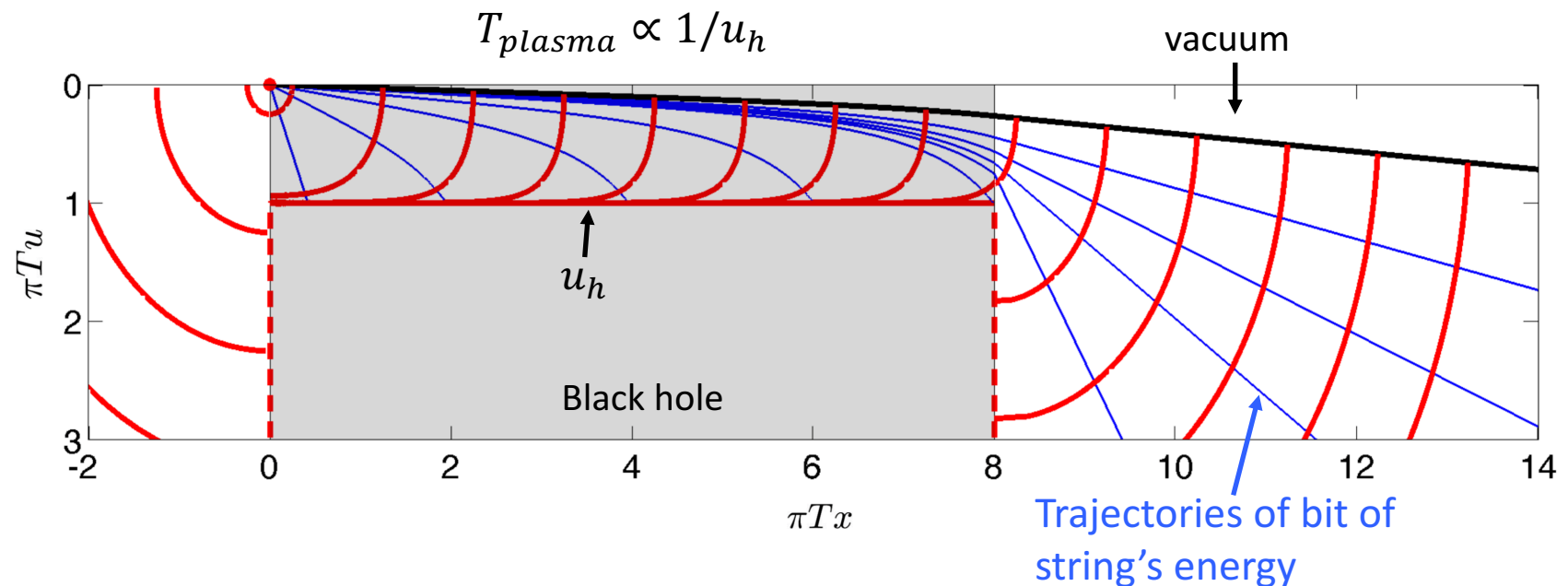
Trajectories of bit of string's energy

Normalized energy flux on boundary

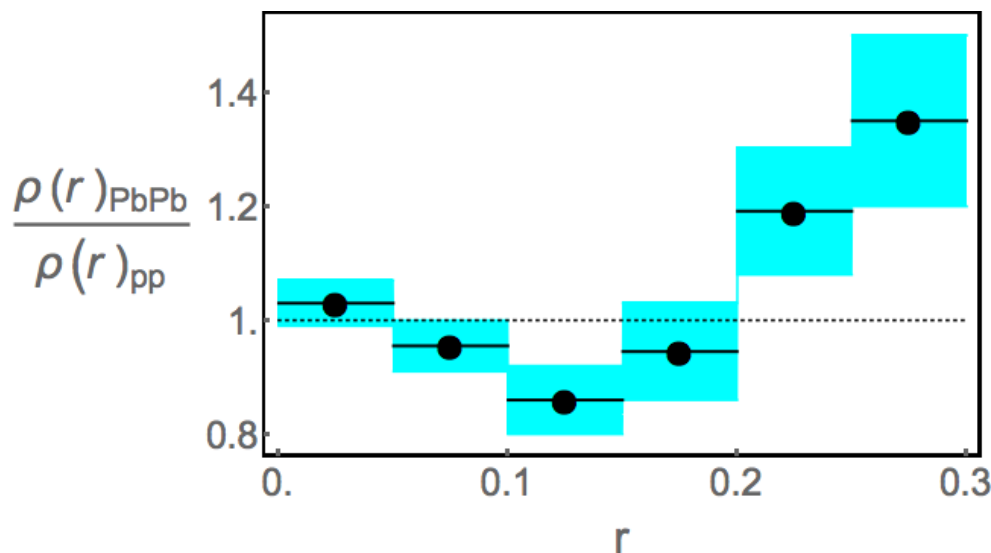


Holographic jets in plasma always get wider

- Some energy lost, some escapes



Near jet axis, jets in plasma actually get narrower!



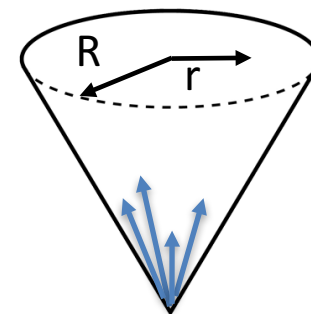
CMS: [1310.0878v2]

$p_{\text{T}}^{\text{jet}} > 100 \text{ GeV}$

$0.3 < |\eta^{\text{jet}}| < 2$

Anti- k_{T} $R=0.3$

0-10% centrality



- Need to consider an ensemble of jets

Constructing an ensemble of jets

- Distribution of initial jet energies $\sim E^{-6}$
- Distribution of jet opening angles calculated in pQCD

[Larkoski, Marzani, Soyez,
Thaler 1402.2657]

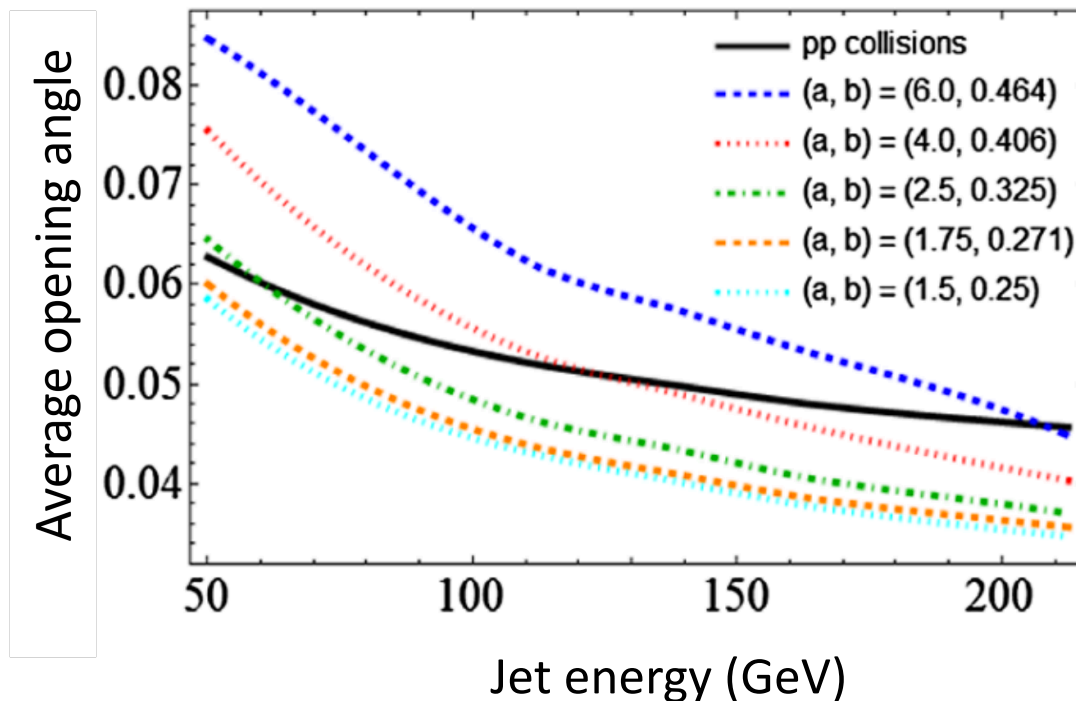
$$C_1^{(1)} = \sum_{\text{hadrons } i,j} z_i z_j \frac{|\theta_{ij}|}{R} \sim \text{jet width}$$

Two free model parameters

- $C_1^{(1)} = a \sigma_0$ jet width \sim holographic opening angle
- $T_{SYM} = b T_{QCD}$

Individual jets widen in holography, but *ensemble* of jets may narrow or widen

Rajagopal, Sadofyev, and
van der Schee
PRL 116, 211603 (2016)



- We can go further and compute the full jet shape

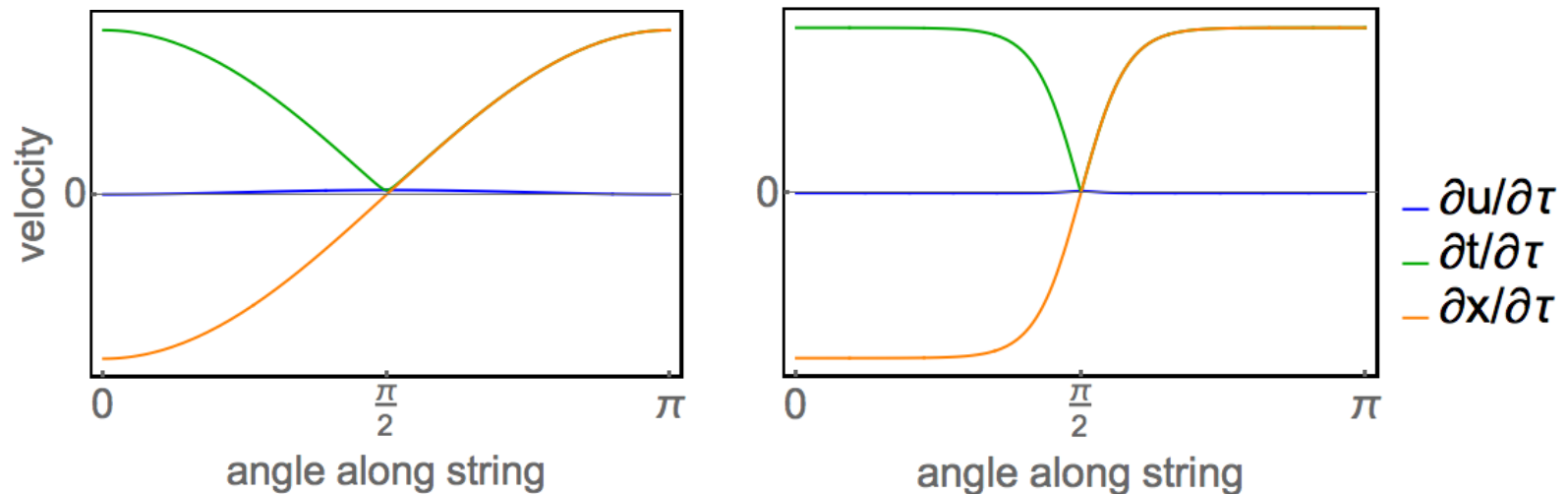
Outline of Key Results

- Predict the jet shape from real string dynamics in holography
- We predict modification to pp observables by expanding, cooling droplet of plasma
 - Presented here: jet shape modification, dijet asymmetry
- Advertisement: What can we get by including 3-jet events in holography?

Solving full string equations of motion

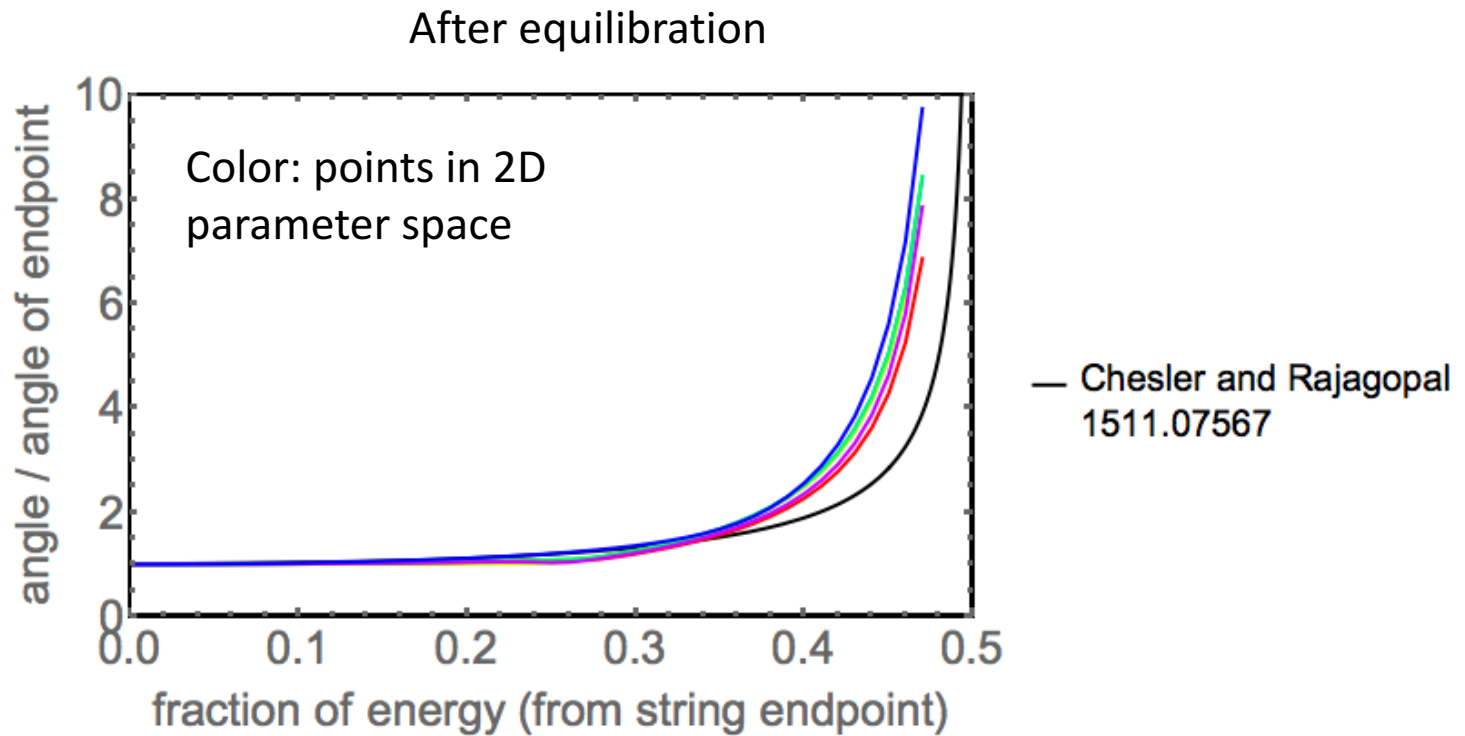
- Freedom to specify initial conditions

Example velocity initial conditions



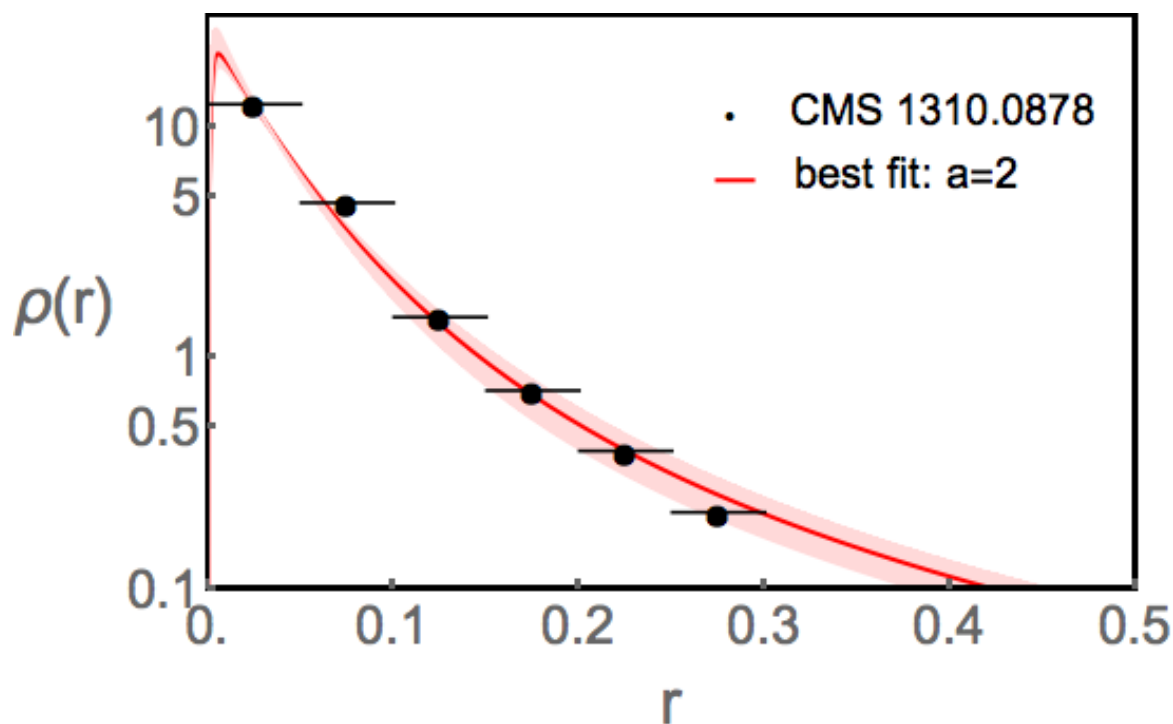
See e.g. [0810.1985]

Jet shape determined by distribution of energy along string after equilibration



Single-parameter fit to jet shape in proton-proton

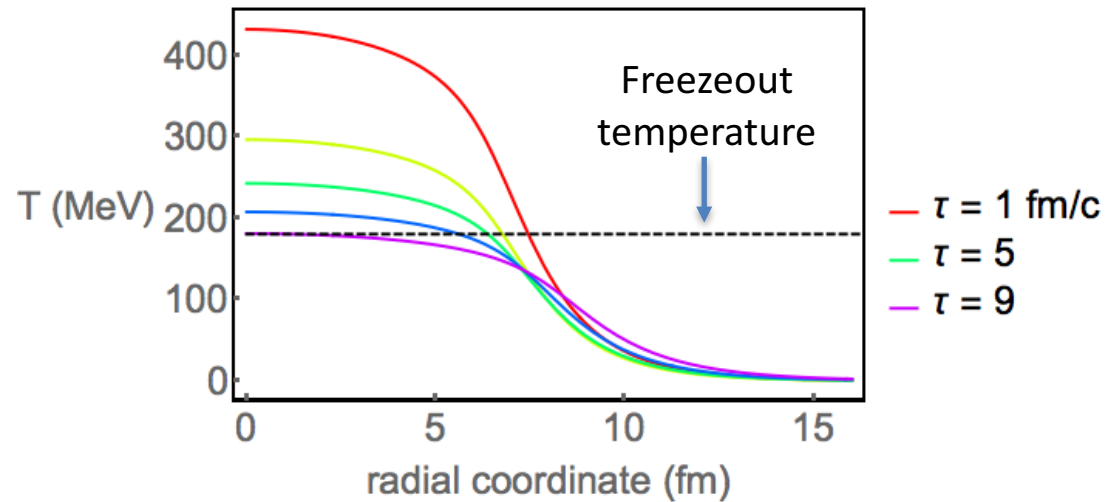
- constrains free parameter a



$p_{\perp}^{\text{jet}} > 100 \text{ GeV}$
 $0.3 < |\eta^{\text{jet}}| < 2$
Anti- k_{\perp} $R=0.3$

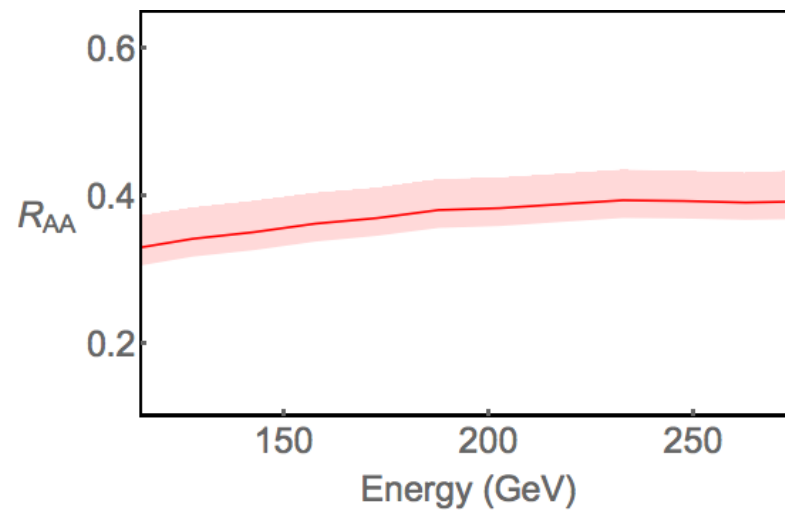
Simplified Model of Plasma Evolution

(See PRL 116, 211603 for details)

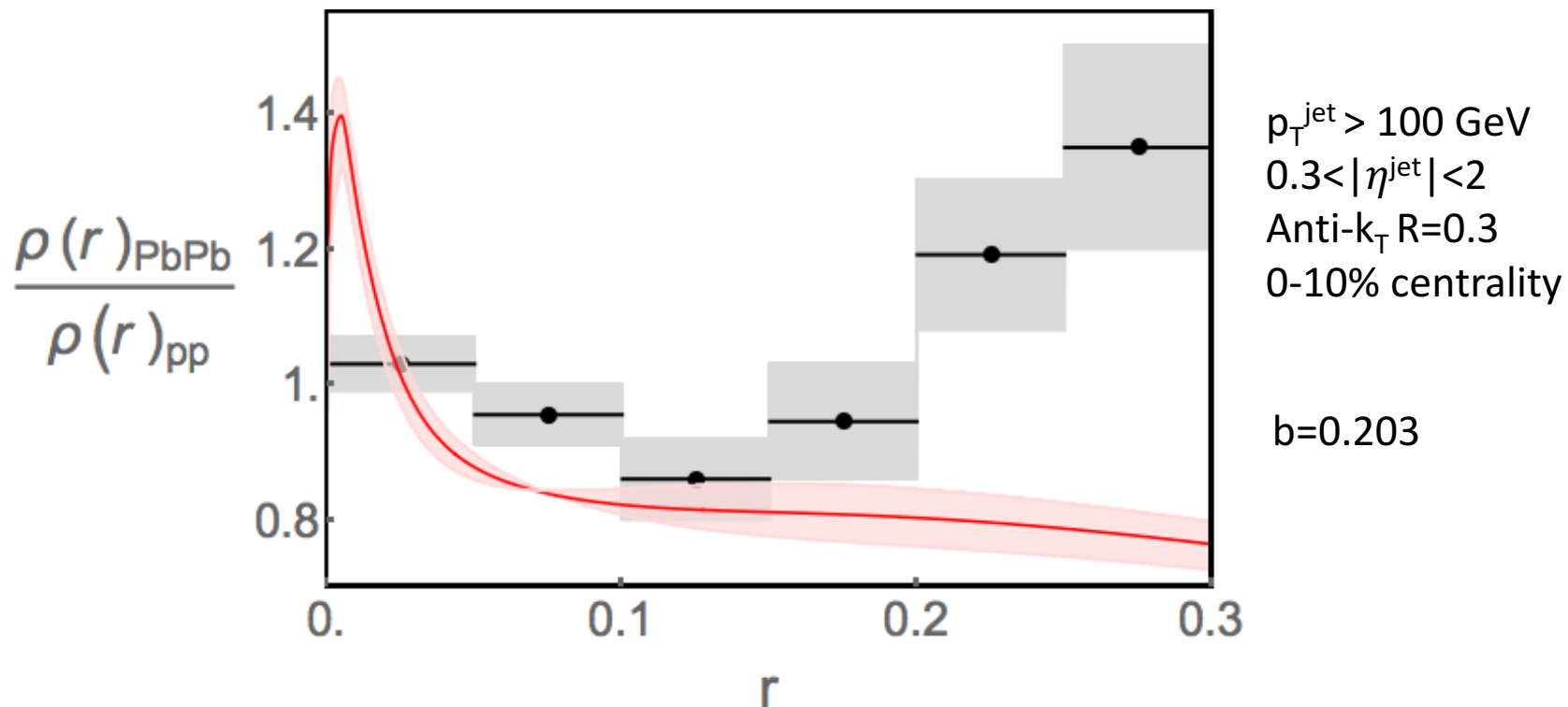


Fit free parameter
 b from R_{AA}

Shown: $b=0.203$

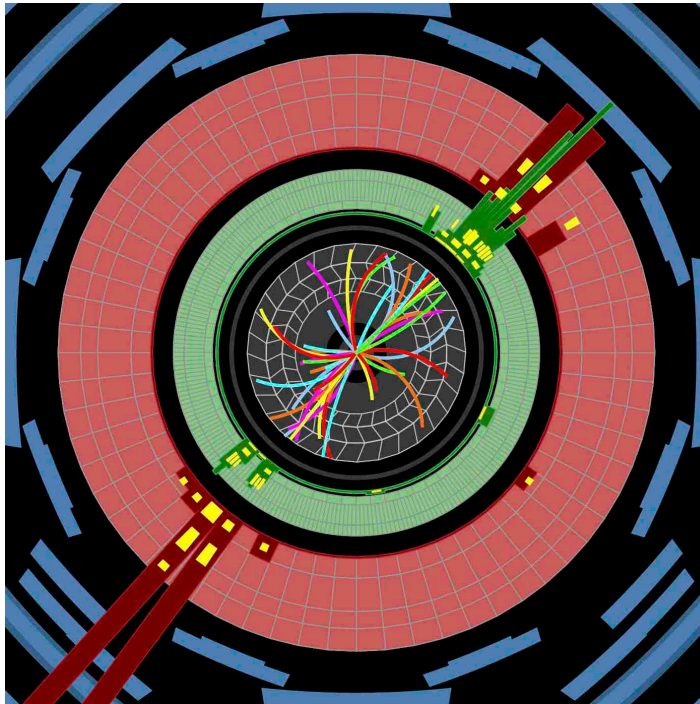


Jet shape modification



- Agrees qualitatively with data at small r
- Large r behavior – need wake

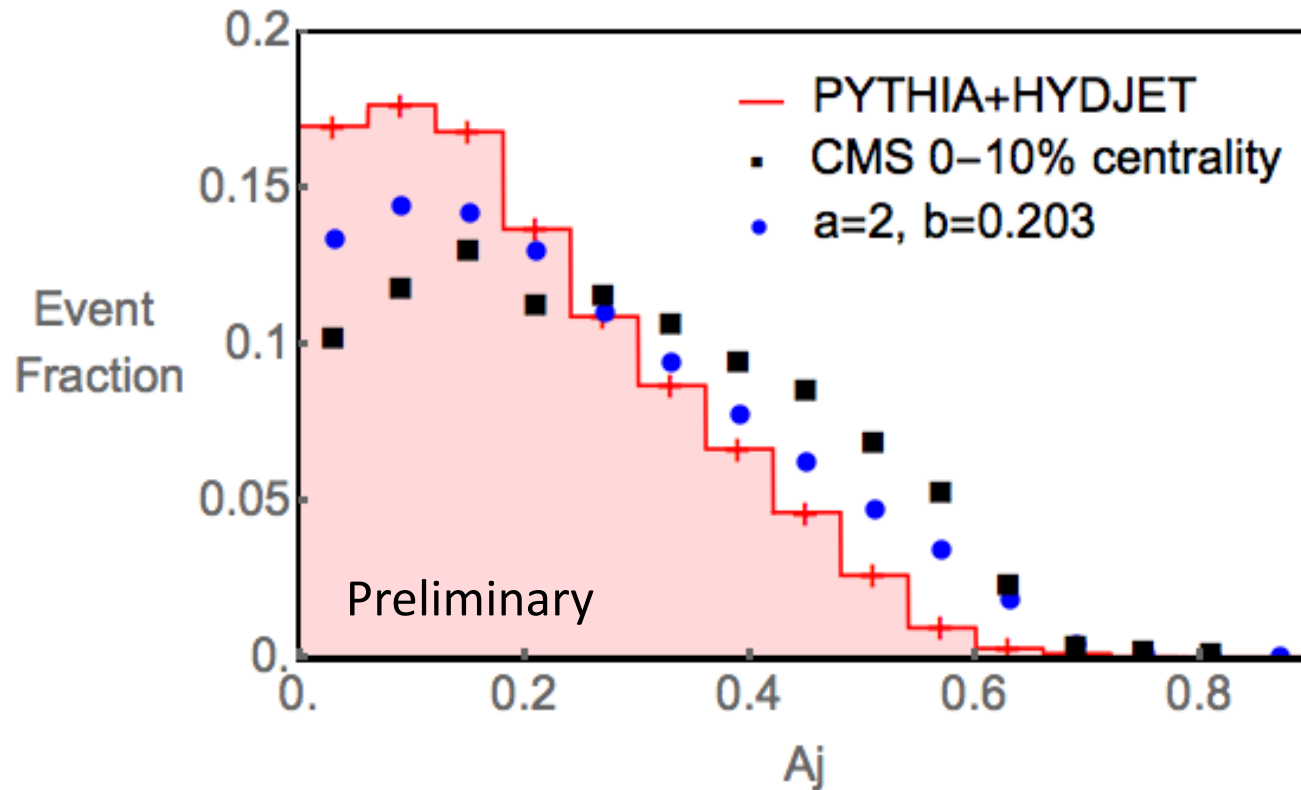
Dijet asymmetry in proton-proton



$$A_J = \frac{p_{T1} - p_{T2}}{p_{T1} + p_{T2}}$$

- Initial distributions of dijet asymmetry, angle between leading and subleading jets from PYTHIA+HYDJET [CMS 1202.5022]

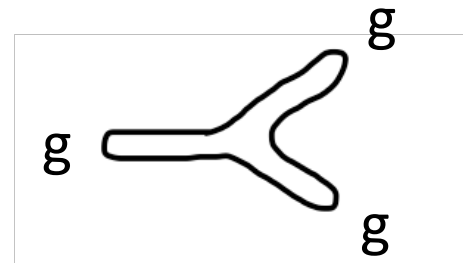
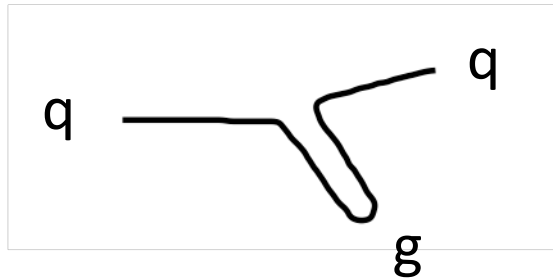
Dijet asymmetry modification



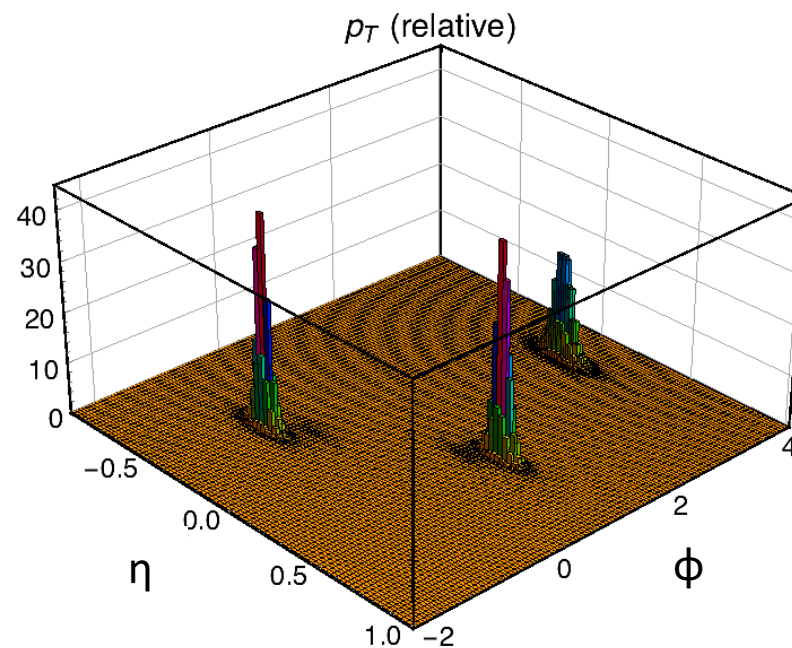
data points and PYTHIA+HYDJET: CMS 1202.5022

3-jet events in holography

(Work in progress)

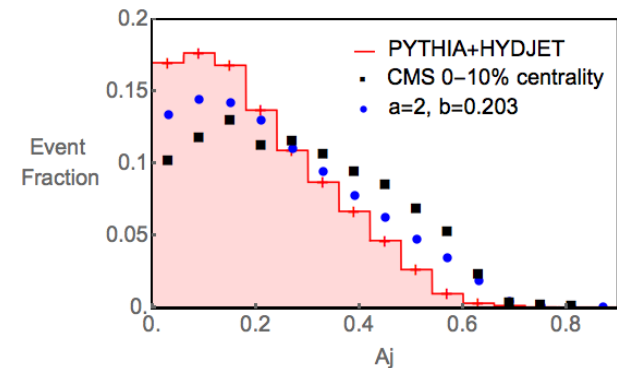
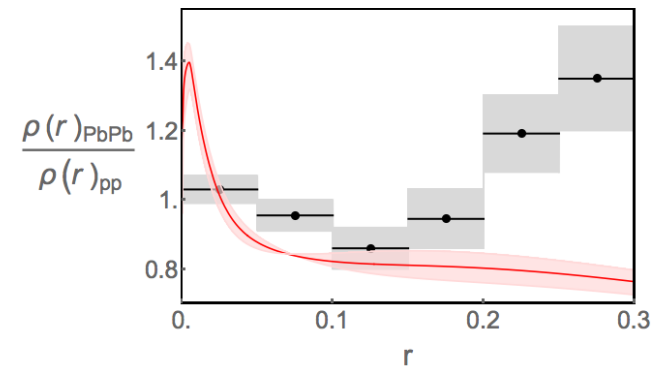
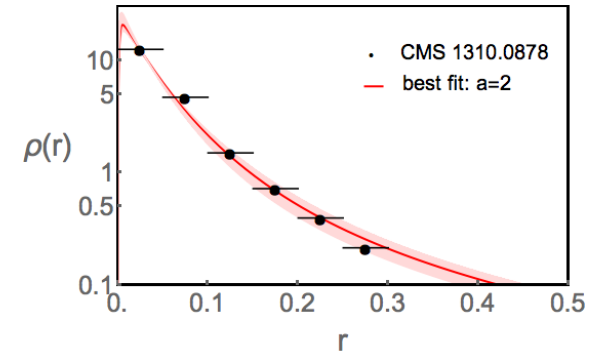


etc.



Main messages

- Jet shape from full string dynamics
- Jet shape modification
- Dijet asymmetry modification



Back up Slides

$\mathcal{N}=4$ SYM and QCD

Why study $\mathcal{N}=4$ SYM?

- Quark gluon plasma is strongly coupled
- QCD is very hard at strong coupling
- QCD has no known gravity dual; $\mathcal{N}=4$ SYM does

$\mathcal{N}=4$ SYM from classical gravity	QCD
$1/N_c^2 = 0$	$1/N_c^2 = 1/9$
Infinite coupling	Running coupling
Conformal	Approximately conformal for $T \gtrsim 2 T_c$
$\eta/s = 1/4\pi \approx 0.08$	$\eta/s \approx 0.1$
No hadronization	Hadronization

lattice results suggest
 $1/N_c^2 = 1/9 \sim 1/N_c^2 = 0$

$\mathcal{N}=4$ SYM not asymptotically free

Similar hydrodynamics of plasma phases

No clear analog of jet reconstruction, jet substructure

Hope: Qualitative lessons about QCD plasma from $\mathcal{N}=4$ SYM

Modeling “Jets” in N=4 SYM

