

Structure formation in fast transition UDM models

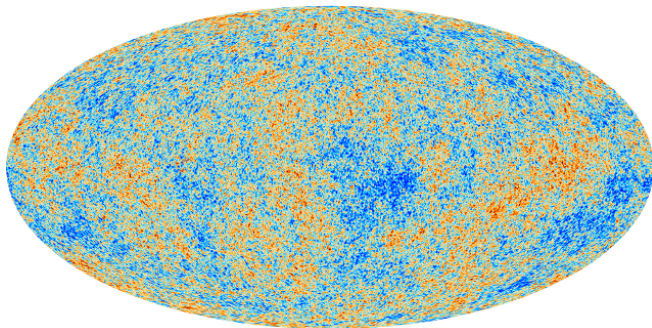
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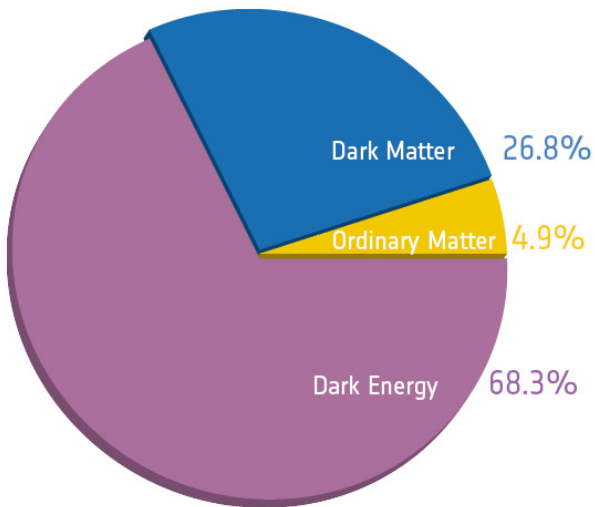
COSMO2015, Warsaw

Outline

- 1 **Observational evidence**
- 2 **Theoretical motivations**
- 3 **UDM models**
- 4 **Structure formation**
- 5 **Conclusions**



Planck Collaboration, 2013



Theoretical motivations

- Two unknown components appear in the Standard Cosmological Model
- Dark Matter and Dark Energy could be two aspects of a single underlying component (Quartessence/ Unified Dark matter (UDM))
- It might explain the "why now?" problem

UDM models

- Fluid triggering the late time accelerated expansion is also the one clustering
- The energy budget of the universe is dominated by a single fluid ✓
- Strong dependence on the effective sound speed c_s^2 ✗
- We need $c_s^2 \ll 1$, but it requires fine tuning
- $\rho = \rho_\Lambda + \rho_m$

Classes of UDM models

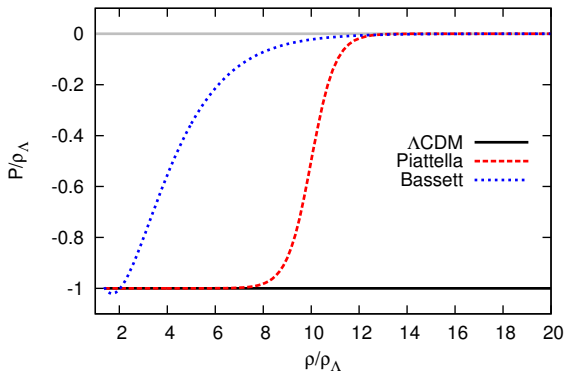
- 1 Adiabatic UDM: $P = f(\rho)$ with $c_s^2 = c_{\text{ad}}^2 = dP/d\rho (= s)$

(Balbi et al. 2007, Quercellini et al. 2007, Piattella et al. 2010)

- 2 Non-adiabatic UDM: $P \neq f(\rho)$, but for example $P = f(\rho, S)$, where S is the entropy

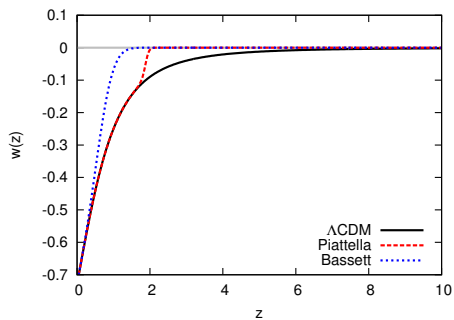
(Bertacca et al. 2008, Bertacca et al. 2011, Bruni et al. 2013)

Background



Pace, Bertacca & Battye, in preparation

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Evolution of perturbations

Continuity equation

$$\delta'_j + \frac{3}{a}(s_j - \bar{w}_j)\delta_j + [1 + \bar{w}_j + (1 + s_j)\delta_j] \frac{\tilde{\theta}_j}{a} = 0$$

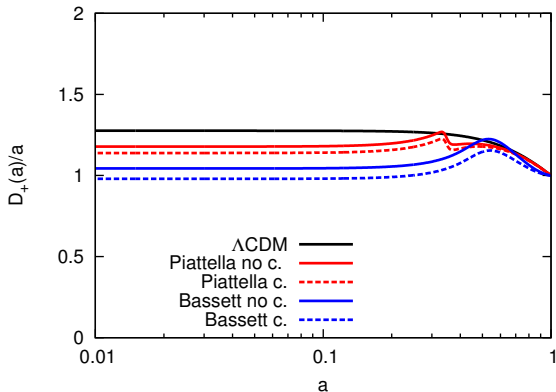
Euler equation

$$\tilde{\theta}'_j + \left(\frac{2}{a} + \frac{H'}{H}\right)\tilde{\theta}_j + \frac{\tilde{\theta}_j^2}{3a} + \frac{\tilde{\sigma}_j^2 - \tilde{\omega}_j^2}{a} + \frac{1}{a^3 H^2} \nabla^2 \Phi + \frac{\tilde{\theta}_j P'_j}{\rho_j c^2 + P_j} = 0$$

Poisson equation

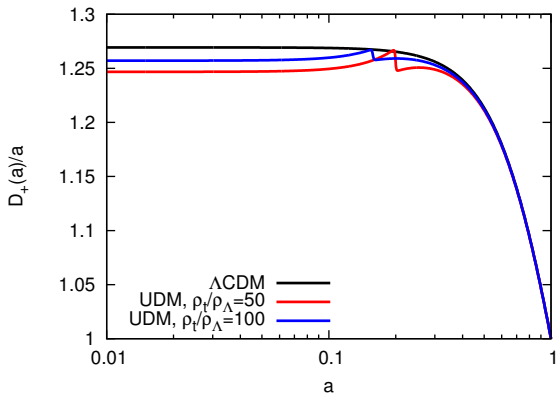
$$\frac{\nabla^2 \Phi}{a^3 H^2} - \frac{3}{2a} \sum_k \Omega_k (1 + 3s_k) \delta_k = 0$$

Growth factor (adiabatic models)



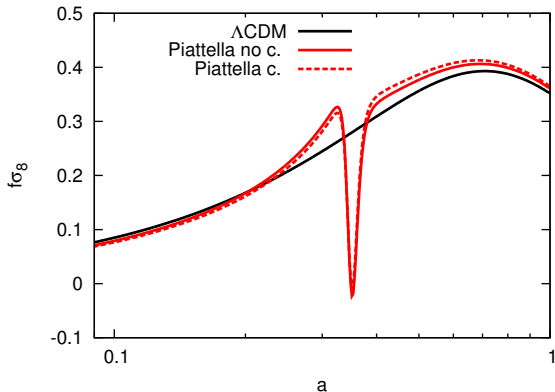
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Growth factor (non-adiabatic models)



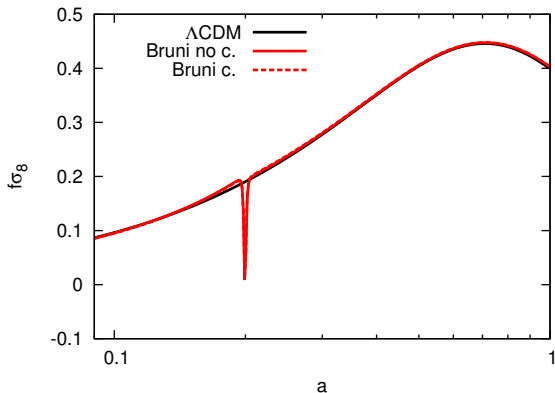
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A more observational quantity: $f\sigma_8$



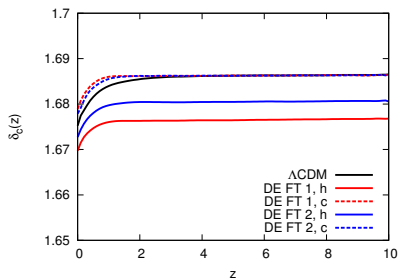
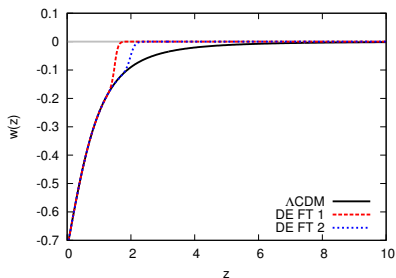
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A more observational quantity: $f\sigma_8$



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Fast transition DE models



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Conclusions

- UDM models are an alternative to understand the nature of DM and DE
- Fast transition avoids the fine tuning for $c_s^2 \ll 1$
- Features in the growth factor where the fast transition takes place
- What happens at the non-linear level (see DE fast transition models)?
- Study limited to barotropic fluids, but it can be extended to non-adiabatic models: how to treat $\delta P / \delta \rho$?