

FCC-ee: Detector constrains
on Invisible width of the
Higgs and dark matter in
Higgs portal models

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Outline

- prospects for $H \rightarrow inv$ discovery/constraint at FCC-ee
- repeat first the analysis done for TLEP
- recompute for FCC-ee luminosity proposal
- comparison of two detector Simulations
 - CMS and ILD using Delphes fast-simulation
- interpretation in the Higgs Portal model and compare with HL-LHC and future DM experiment

Motivations

- Constraining $H \rightarrow inv$ down 1% is very important
 - indirect constrains from fitting the others BR
 - Total Higgs width: needed to understand possible BSM decays in a model-independent way.
 - direct constraints
 - if Higgs of shell, limits on light DM ($m_{DM} < m_{h/2}$)
- New Physics (NP) is likely to be near the electroweak scale
 - co-responsible for generating it is a candidate to stabilize it
 - NP is likely to interact with the newly discovered h boson
 - higgs as Dark Matter (DM) Portal , where DM is supposed to carry no charges in the Standard Model gauge interactions

FCC-ee: Higgs factory

- FCC-ee at 240 GeV is very suitable for that!

- FCC-ee 3rd run

- $\sqrt{s} = 240\text{GeV}$

- $L = 3.5\text{ab}^{-1}/\text{yr}$

- $7.0 \cdot 10^5 \text{ZH events/yr}$

- Reconstructed peak at $m_{\text{miss}} = m_H$ independent of H decay mode!

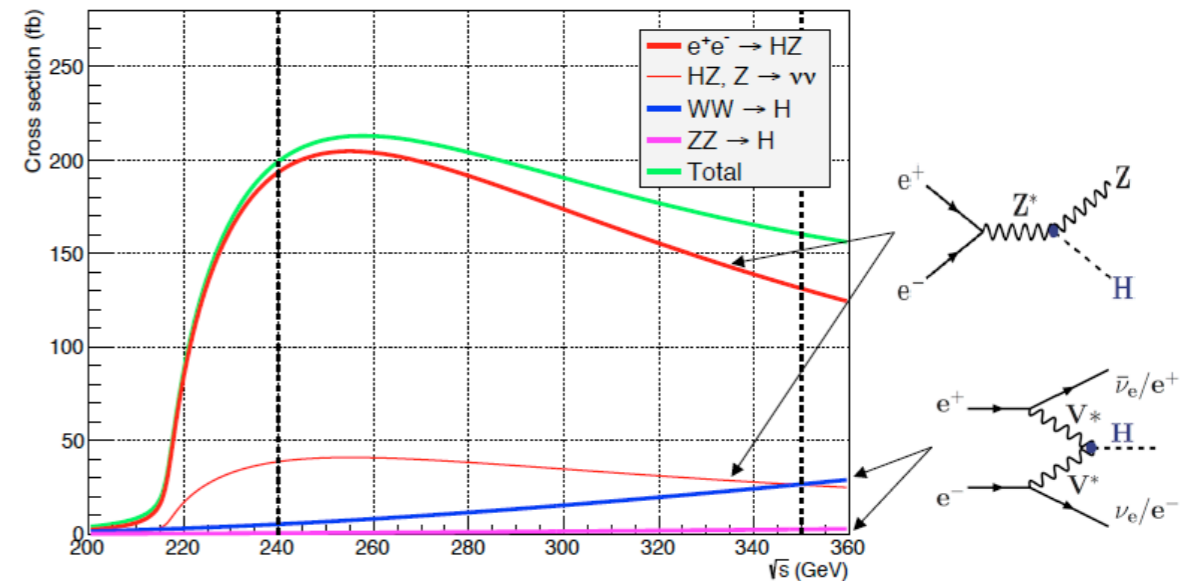
- inclusive measurement of Zh production

- tagging events under the peak allows determination of individual BRs

- Missing mass distribution may also be used to search for invisible decays

- $B(H \rightarrow \text{inv}) = \Gamma_{\text{inv}} / (\Gamma_{\text{SM}} + \Gamma_{\text{inv}})$

Unpolarized cross sections

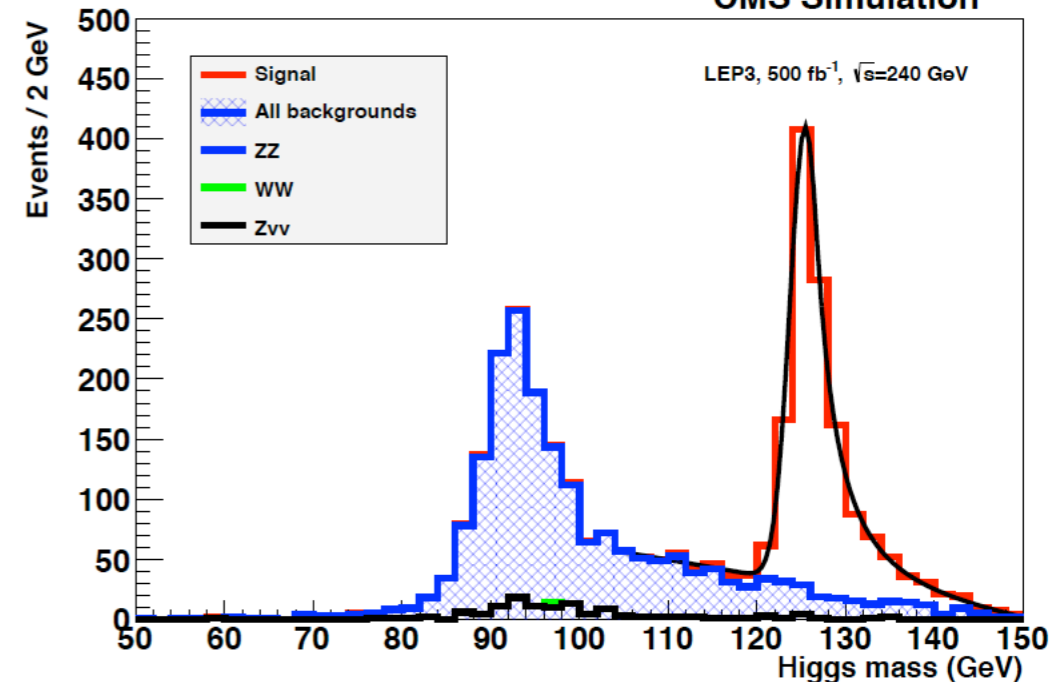


$$M_{\text{miss}} = \sqrt{(\sqrt{s} - E_Z)^2 - |\vec{p}_Z|^2}$$

LEP3 <http://arxiv.org/pdf/1208.1662v2.pdf>

Z -> ll with H -> bb

CMS Simulation



H->inv

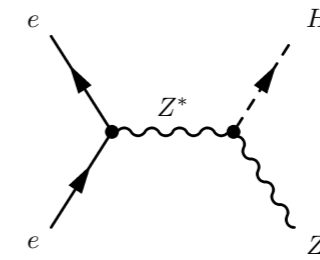
■ H->inv

- generation with Pythia8 of signal and backgrounds (WW, ZZ,)
- CMS-like and ILD-like detectors in Delphes 3.2.0 standalone simulation
- Vetoes and event selection:
 - No jets with $PT > 20\text{GeV}$ detected
 - 2μ OR $2e$ with opposite charge and $PT > 10\text{ GeV}$
 - 1 max reconstructed 2 with $PT > 10\text{ GeV}$. If present, it is assumed to be FSR
 - to reduce ZZ
 - ▶ Angle between leptons in the laboratory frame $\Delta\theta_{ll} > 100\text{ deg}$
 - ▶ Longitudinal momentum of the lepton pair $< 50\text{ GeV}$
 - to avoid Radiative return
 - ▶ angle between the plane containing the lepton momenta and the beam axis $\theta_{aco} > 10\text{ deg}$
 - ▶ Transverse momentum of the lepton pair $P_{llT} > 10\text{ GeV}$
 - to kill WW:
 - ▶ m^{ll} in $M^Z \pm 4\text{ GeV}$

Final efficiency	
HZ events:	74%
WW events:	3.5%
ZZ events:	36%

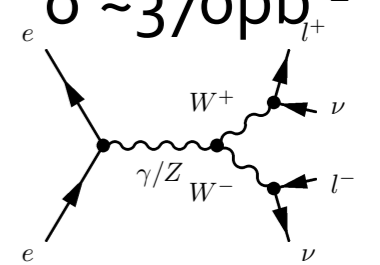
ZH, Z->ll H->inv(100%)

$$\sigma \sim 13\text{pb}^{-1}$$



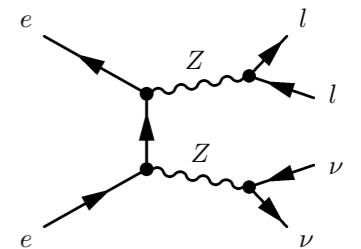
WW->llvv

$$\sigma \sim 370\text{pb}^{-1}$$



ZZ->llvv

$$\sigma \sim 30\text{pb}^{-1}$$



Pythia8

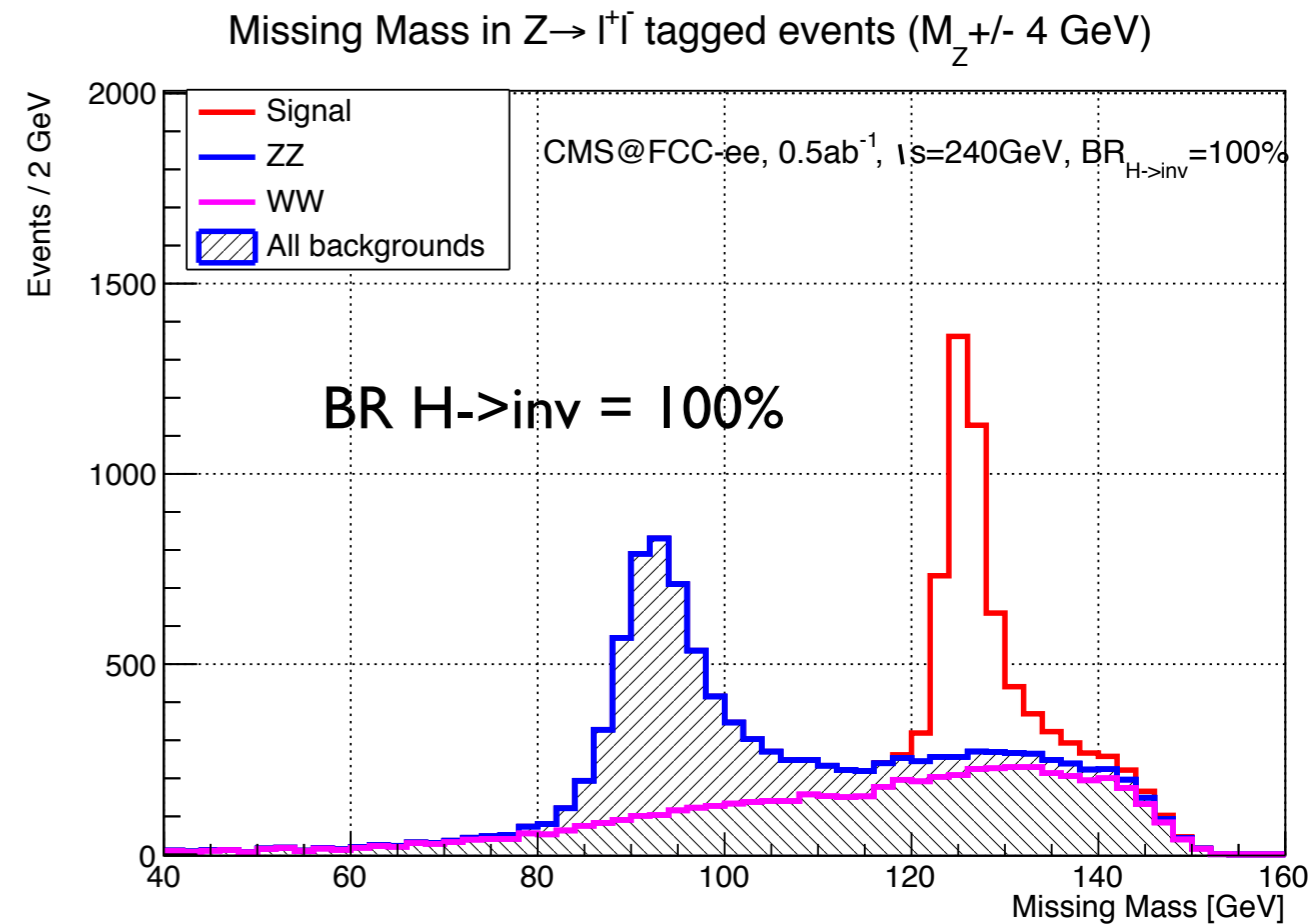
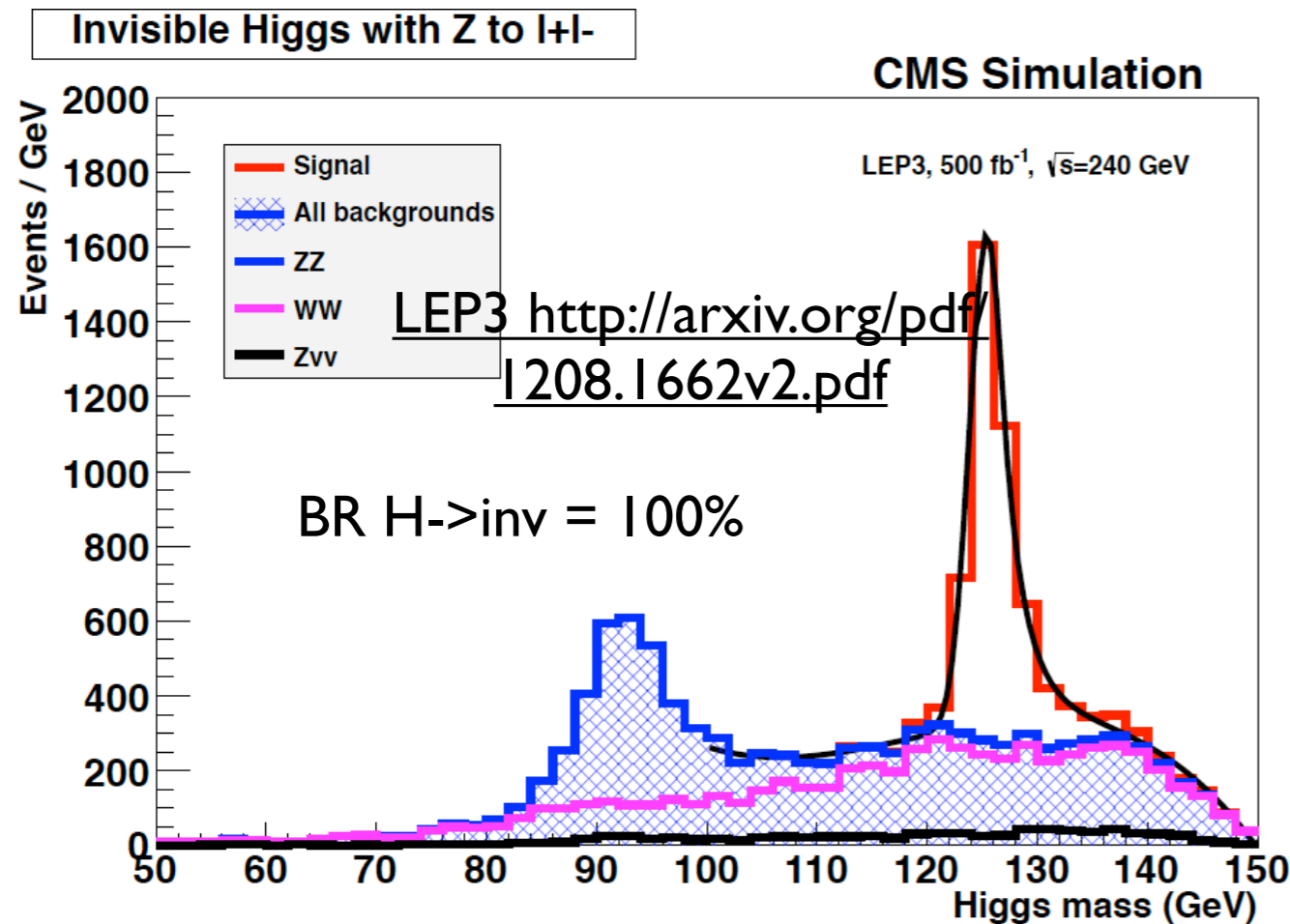
Delphes
CM-like vs ILD-like

Root/RooStat

CLs, p-values

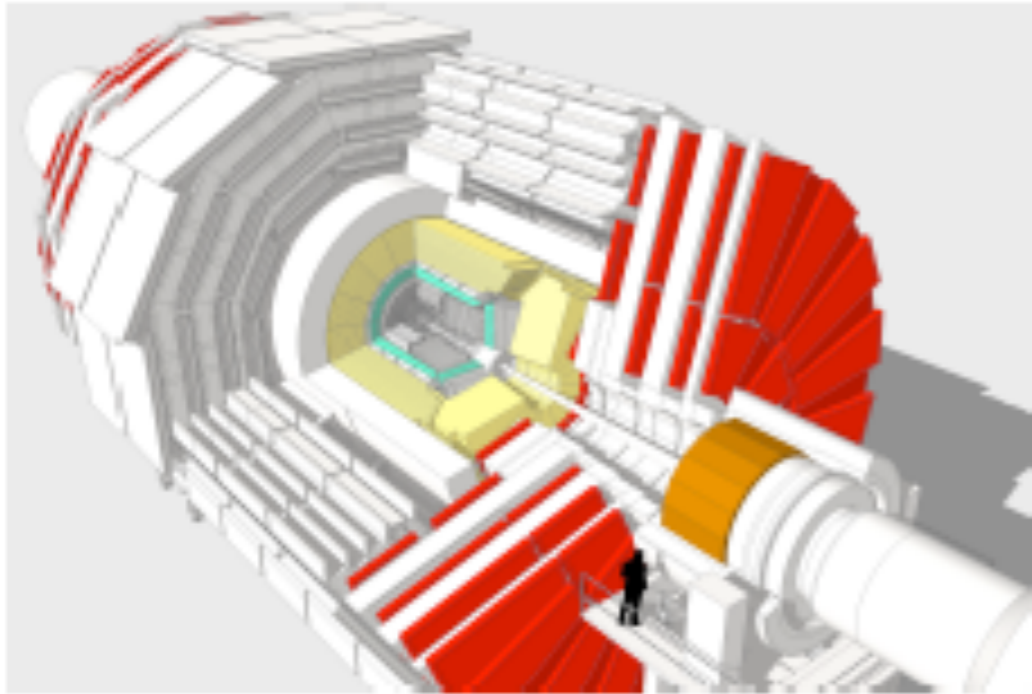
Comparison with LEP₃, CMS

- LEP₃ studies used CMS full simulation for 500 fb⁻¹



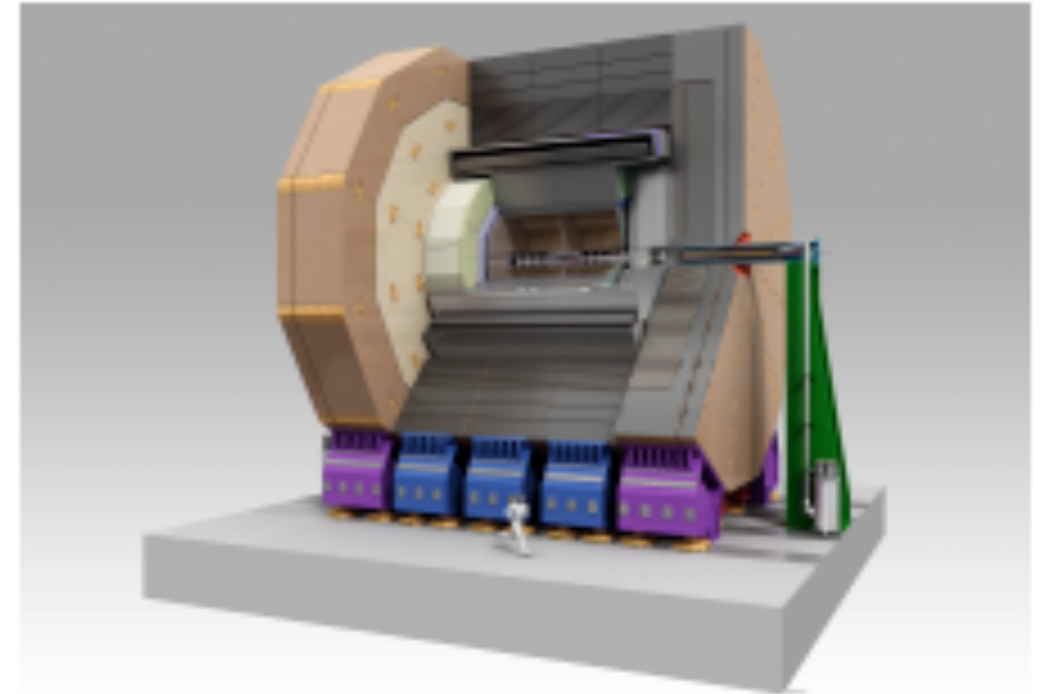
- very similar number of expected events and performance
 - differences attributed to fast vs full simulation

CMS vs ILD



CMS

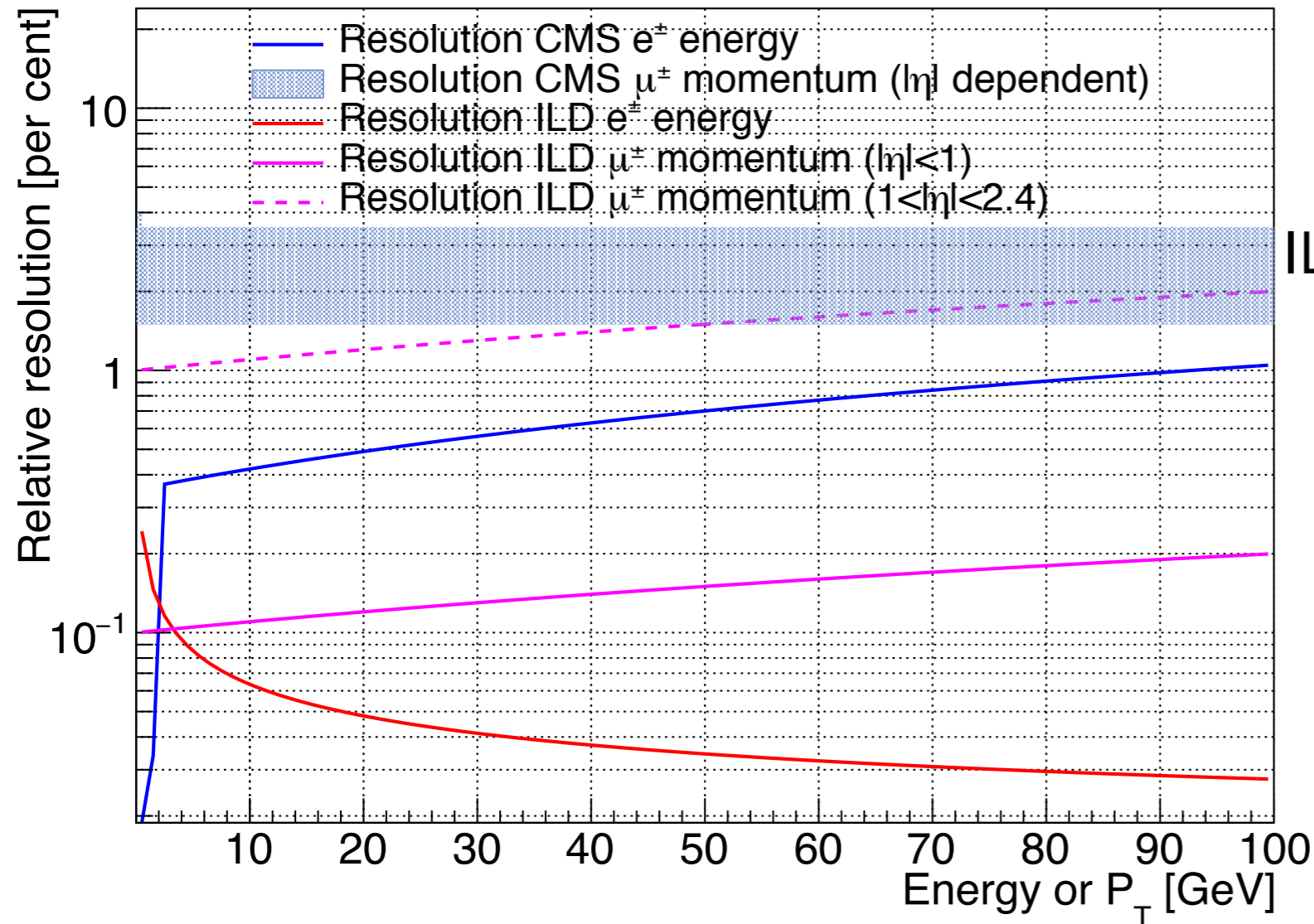
- $B_z=3.8\text{T}$
- $R_B=1.29\text{m}$, $L_B=3.0\text{m}$
- acceptance up to $\theta = 85.3\text{ deg}$
- Tracker: silicon pixels and strips
- calorimetry LHC optimized



ILD

- $B_z=3.5\text{T}$
- $R_B=1.8\text{m}$, $L_B=2.4\text{m}$
- acceptance up to $\theta = 84.8\text{ deg}$
- Tracker: TPC and silicon
- calorimetry optimized for e^+e^- collision

CMS vs ILD (2)



ILD ~ 10 better for both muons and electron resolution

CMS

- Tracking eff. : 95% for $P_T > 100$ MeV and $|\eta| < 2.5$
- Reconstruction eff. : 85 – 95% (e, μ and γ) for $P_T > 10$ GeV

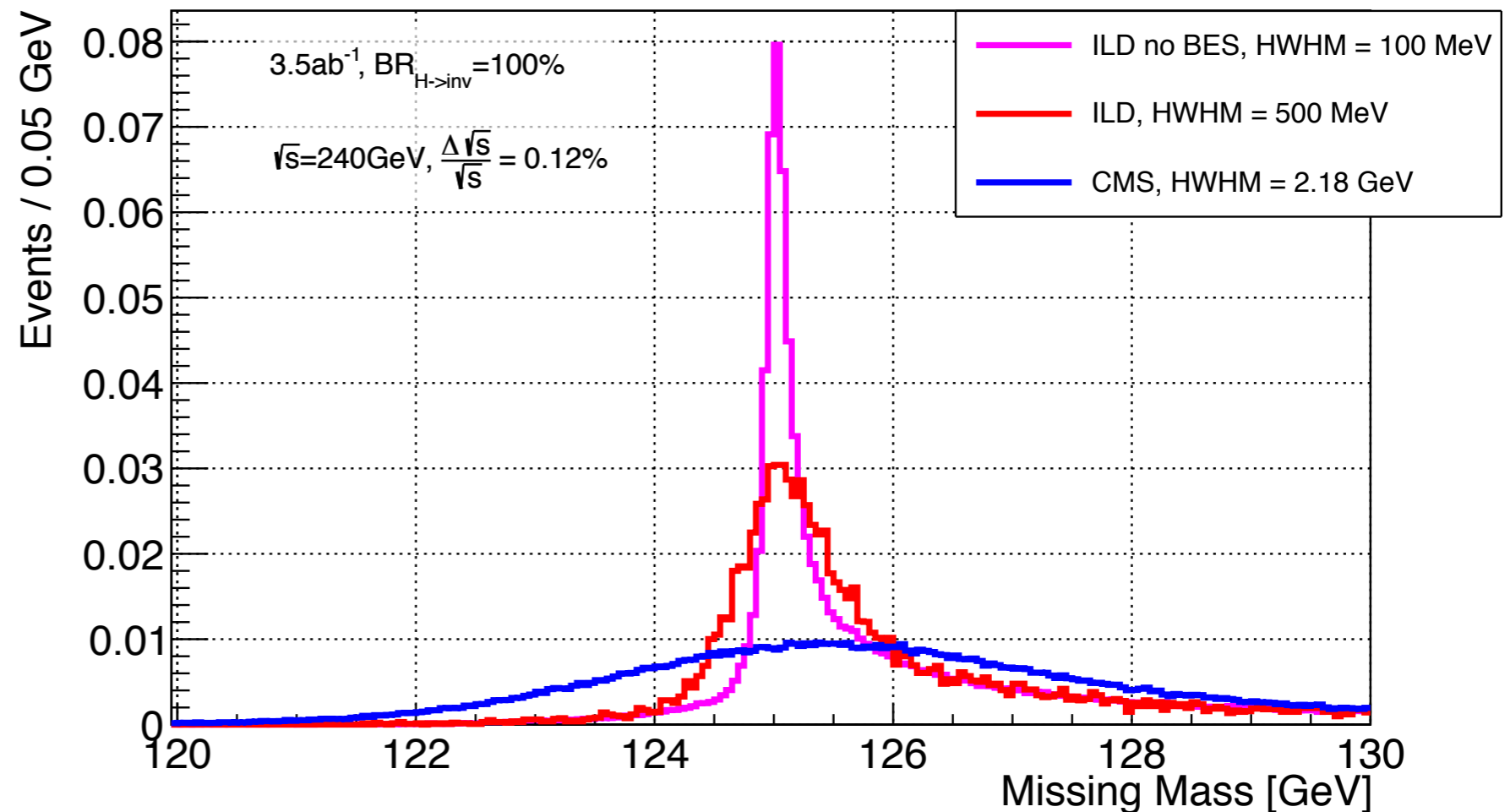
ILD

- Tracking eff. : 99% for $P_T > 100$ MeV and $|\eta| < 2.4$
- Reconstruction eff. : 99% (e, μ and γ) for $P_T > 10$ GeV

CMS vs ILD

- effect on M_{miss} after inclusion of beam energy spread (0.12% on total C.M. Energy)

Simulated missing mass normalized distribution in HZ and $Z \rightarrow \tau^+\tau^-$ tagged events ($M_Z \pm 4$ GeV)

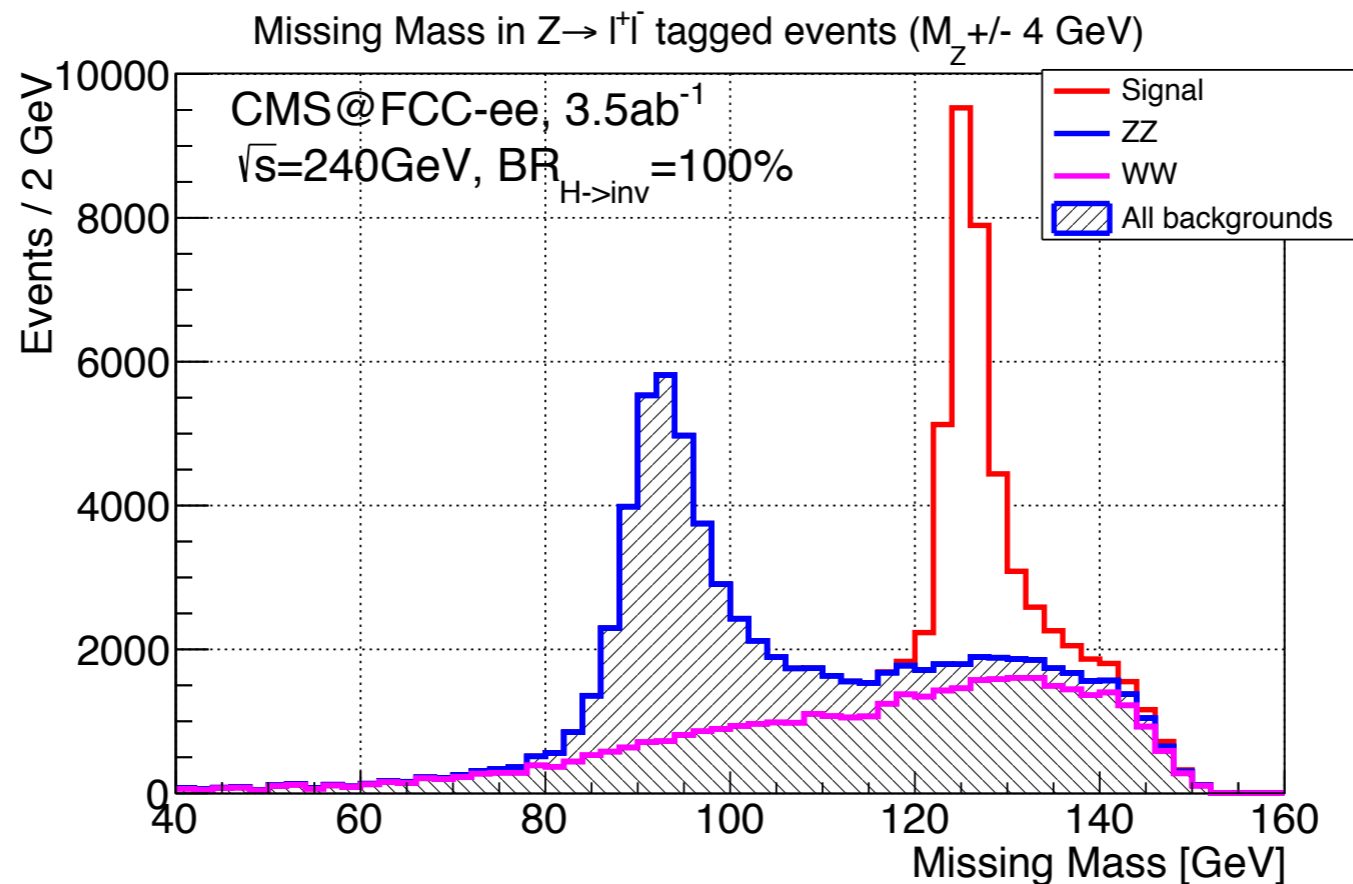


$$\frac{\Delta M}{M} \sim \frac{\Delta \sqrt{s}}{\sqrt{s}} \oplus \frac{\Delta P}{P}$$

- ILD better tracking allows to have smaller width
 - ▶ but despite 10 better p^T resolution for ILD like detector we have ~4 better resolution in M_{miss}
 - ▶ beam energy precision is a limiting factor for ILC, at least for better Higgs physics

Constraint $H \rightarrow \text{inv}$, CMS-like detector

- analytical fit with background templates
 - in “reality” we will use data for $ZZ(ZZ \rightarrow 4l)$ and $WW (\rightarrow e\mu\nu\nu)$
- Using s+b dataset and b only dataset, details in backup
- Tagging $Z \rightarrow ll$, from the missing mass we get for 1 y of FCC



$$\underline{BR_{lim95\%}} = 0.92 \pm (0.30)_{stat} \pm (0.02)_{sys} \% ,$$

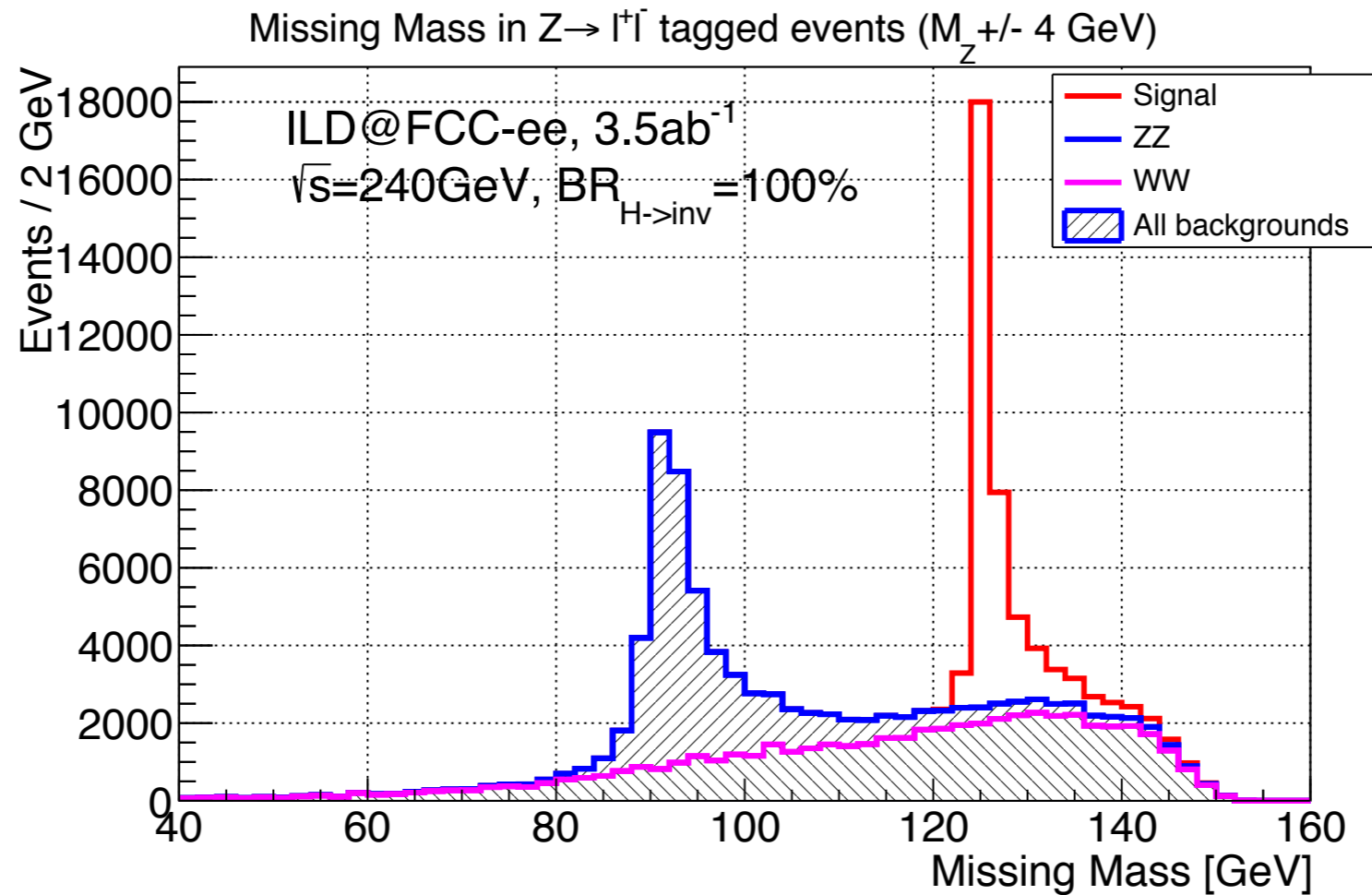
68% CL

$$BR_{5\sigma} = 2.5 \pm (0.2)_{stat} \pm (0.1)_{sys} \% ,$$

68% CL

Constraint $H \rightarrow \text{inv}$, ILD-like detector

- Repeating the same for ILD detector
- Tagging $Z \rightarrow l\bar{l}$, from the missing mass we get for 1 y of FCC



$$\underline{BR_{\text{lim}95\%}} = 0.63 \pm (0.20)_{\text{stat}} \pm (0.02)_{\text{sys}} \%,$$

68% CL

$$BR_{5\sigma} = 1.7 \pm (0.1)_{\text{stat}} \pm (0.01)_{\text{sys}} \%,$$

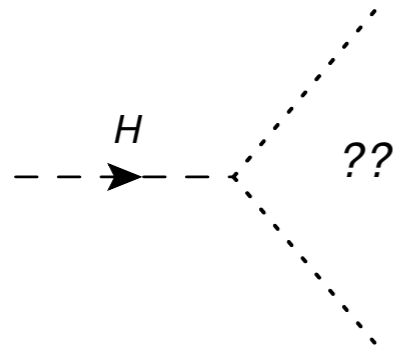
, 68% CL

Comparison with LHC/HL-LHC

- CMS now and future

CMS-PAS-HIG-15-012

SNOWMASS <http://arxiv.org/pdf/1307.7135.pdf>
HL-LHC



L (fb ⁻¹)	$\gamma\gamma$	WW	ZZ	bb	$\tau\tau$	$Z\gamma$	$\mu\mu$	inv.
300	[6, 12]	[6, 11]	[7, 11]	[11, 14]	[8, 14]	[62, 62]	[40, 42]	[17, 28]
3000	[4, 8]	[4, 7]	[4, 7]	[5, 7]	[5, 8]	[20, 24]	[20, 24]	[6, 17]

$BR_{H \rightarrow invisible} < 34\%$ (LHC)

- ATLAS has (of course!) comparable performance, so HL-LHC would give $H \rightarrow inv$ $BR_{limit95\%} \sim 5\%$

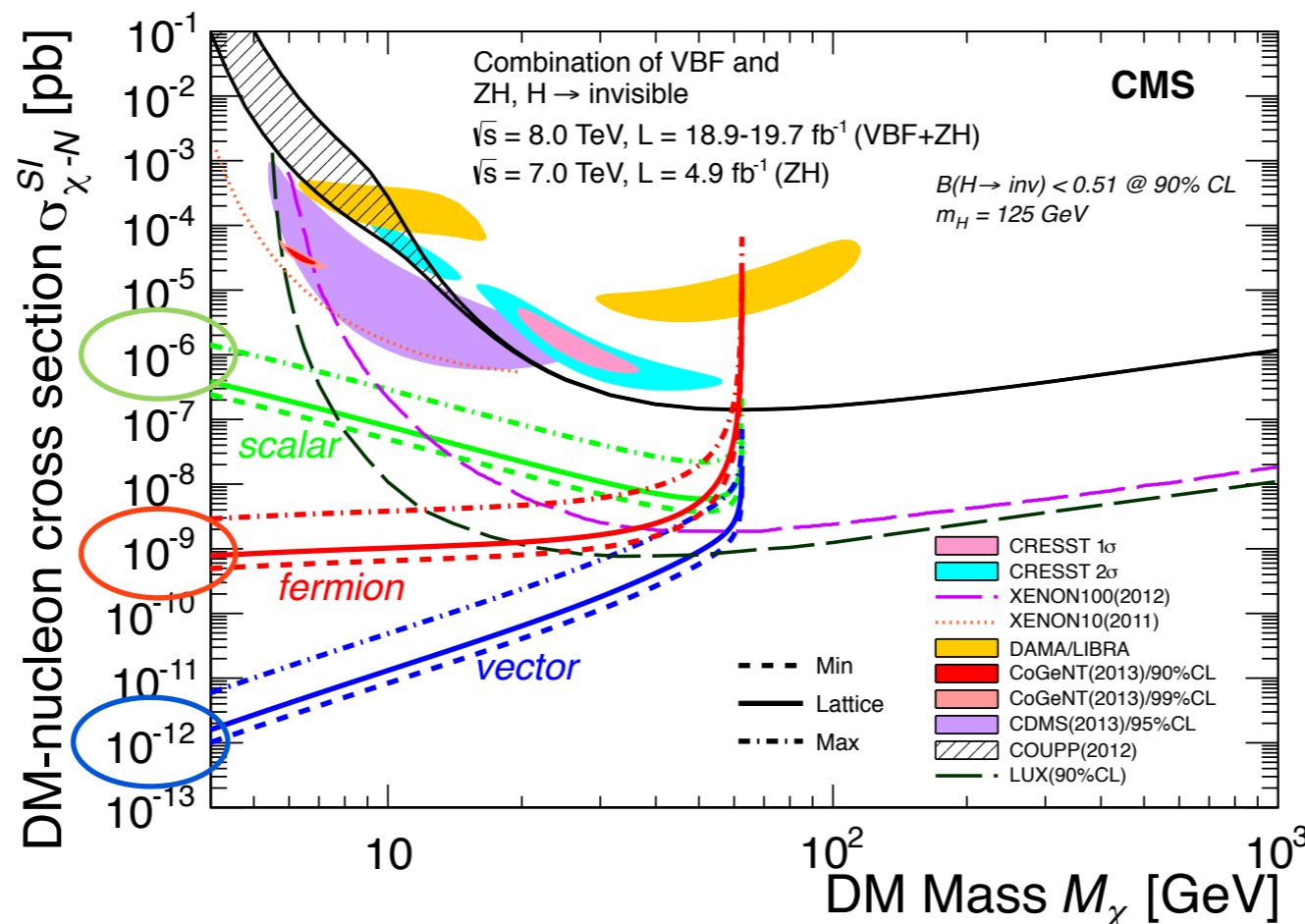
Interpretation in Hidden Sector

- at colliders:

- If the DM candidate has a mass below $m_{H/2}$, the invisible Higgs boson decay width, Γ_{inv} , can be directly translated to the spin-independent DM-nucleon elastic cross section
 - for **scalar (S)**, vector (V), and fermionic (f) DM
 - scalar interpretation is the only one does not assume other mechanisms at higher mass
 - equivalent to say $m_{med} = 125$ GeV in DM searches

- In direct detection experiments:

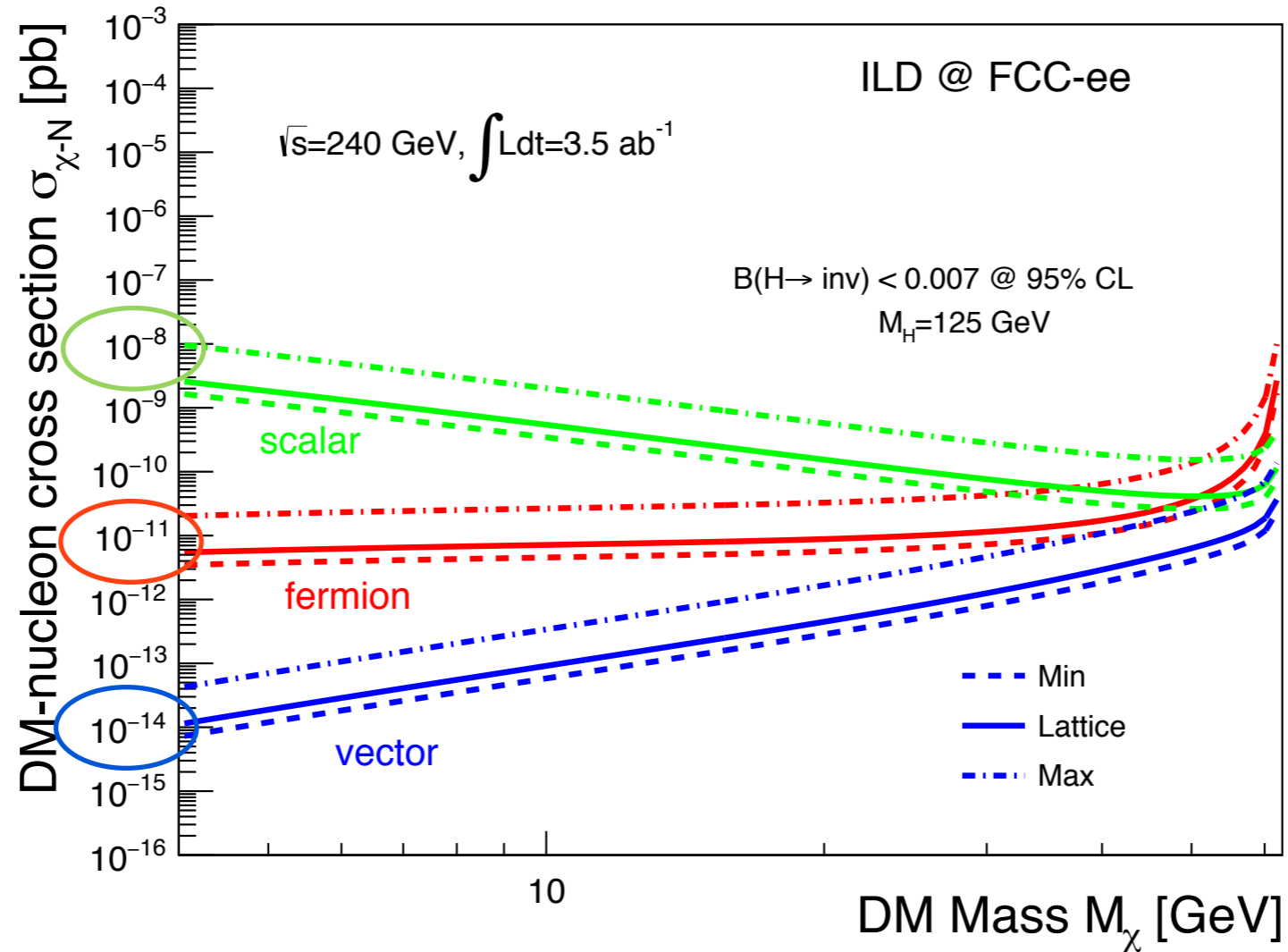
- the elastic interaction between DM and nuclei exchanged through the Higgs boson results in nuclear recoil which can be reinterpreted in terms of DM mass, M_χ , and DM-nucleon cross section.



[Eur. Phys. J. C 74 \(2014\) 2980](https://arxiv.org/abs/1308.4074)

FCC-ee ILD@3.5ab⁻¹

Limits on Dark Matter models

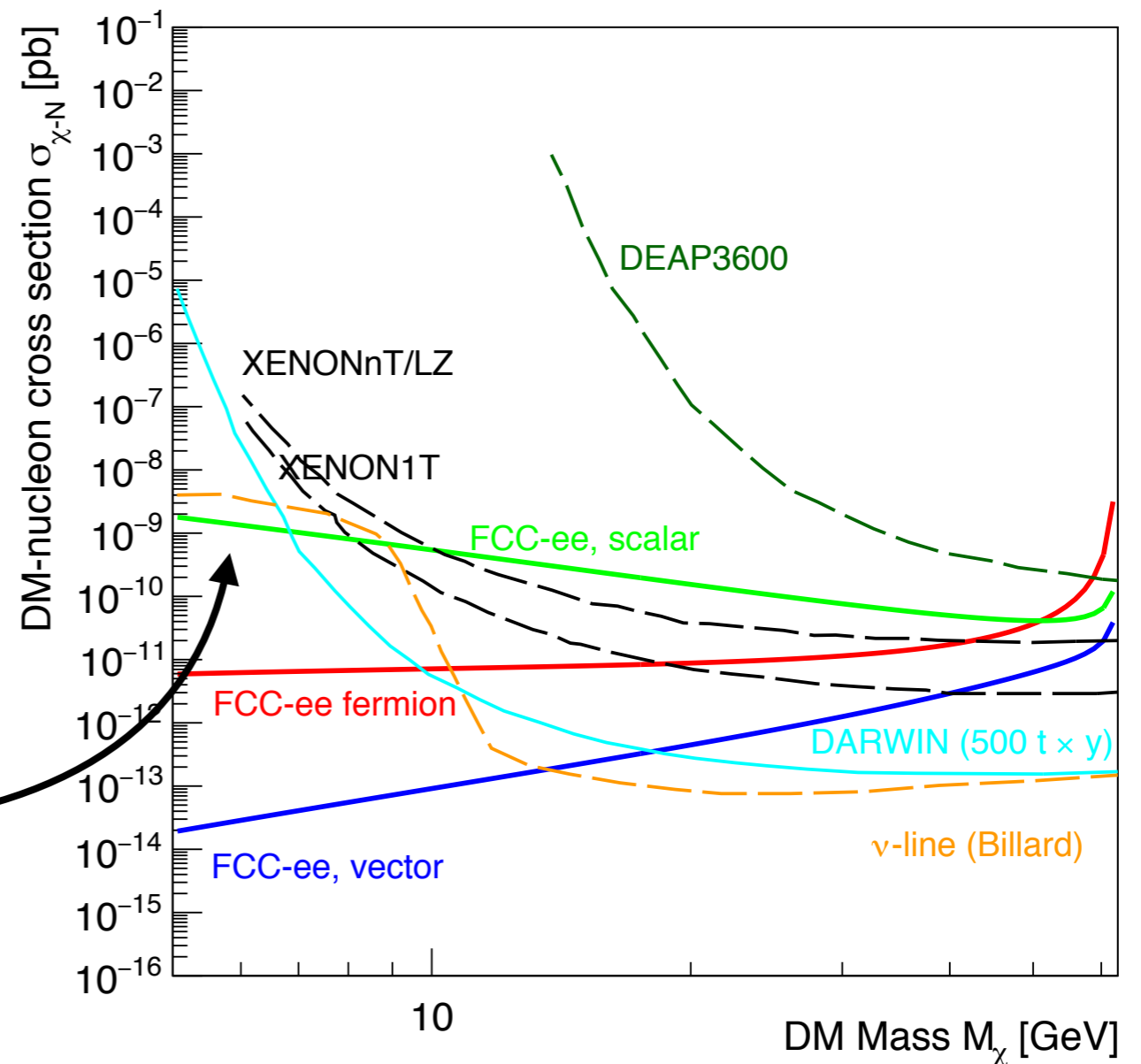


- with 1y of FCC-ee we get an improvement of 2 order of magnitude wrt current LHC

FCC-ee vs future direct DM detector experiments

- Comparing FCC-ee (1y) with projections on underground direct DM detection experiment

FCC-ee (1y) will be very competitive at lower DM masses



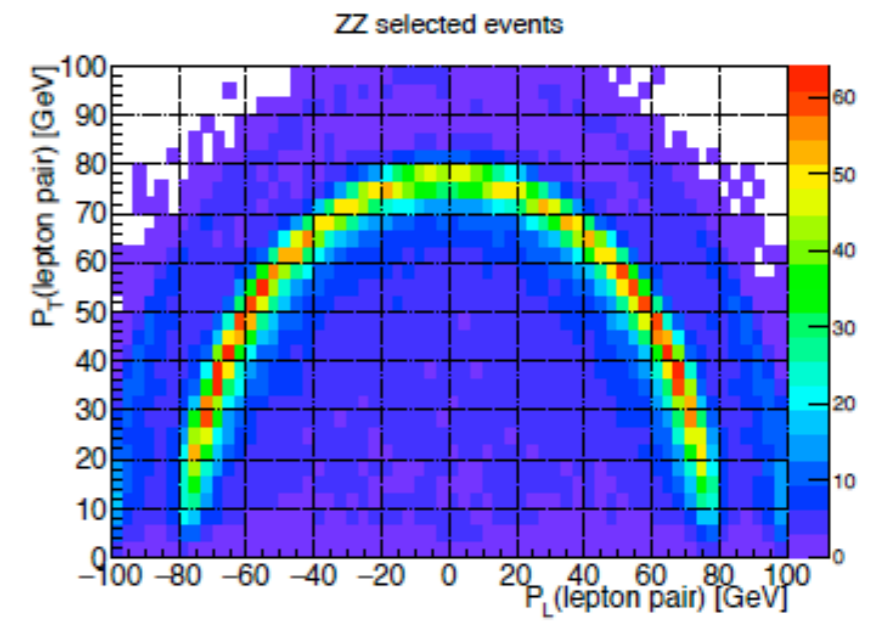
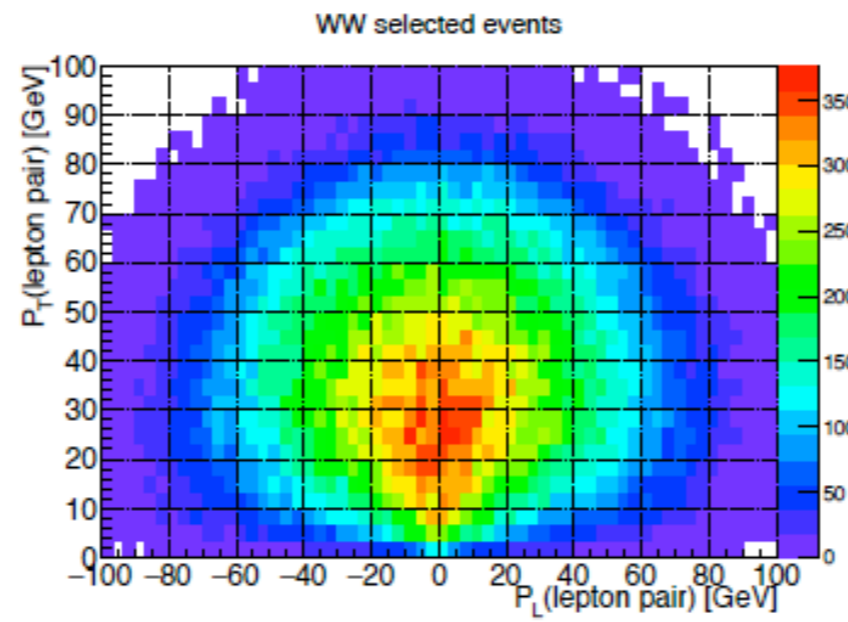
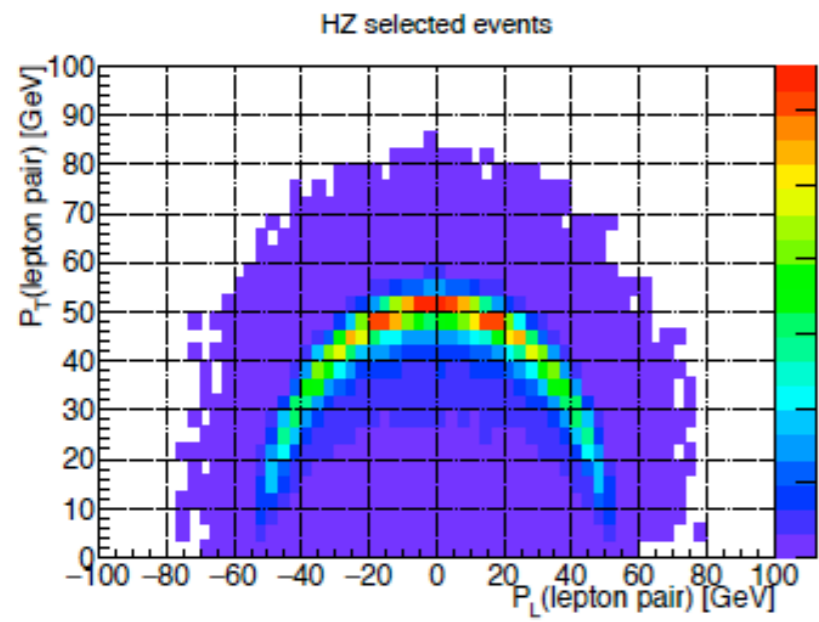
- projections for direct experiment adapted from <http://arxiv.org/abs/1509.00869>

Conclusions

- FCC-ee very well suited for constraining the $H \rightarrow \text{inv}$ width
- With FCC-ee, 1 y of data taking we can easily reach precision around .6%
 - BR limit 95% CL of 0.6% with ILD-like detector!
 - This would improve 2! order of magnitude current constraint on the DM--nucleon cross section in the Higgs portal model and allow FCC-ee to remain competitive with projections of future direct detectors
- We compared CMS and ILD-like performances
 - **ILD-like detector allow to achieve better resolution**
 - but beam energy resolution starts to be a limiting factor, at least for this measurement

■ BACKUP

Angular/kinematical cuts

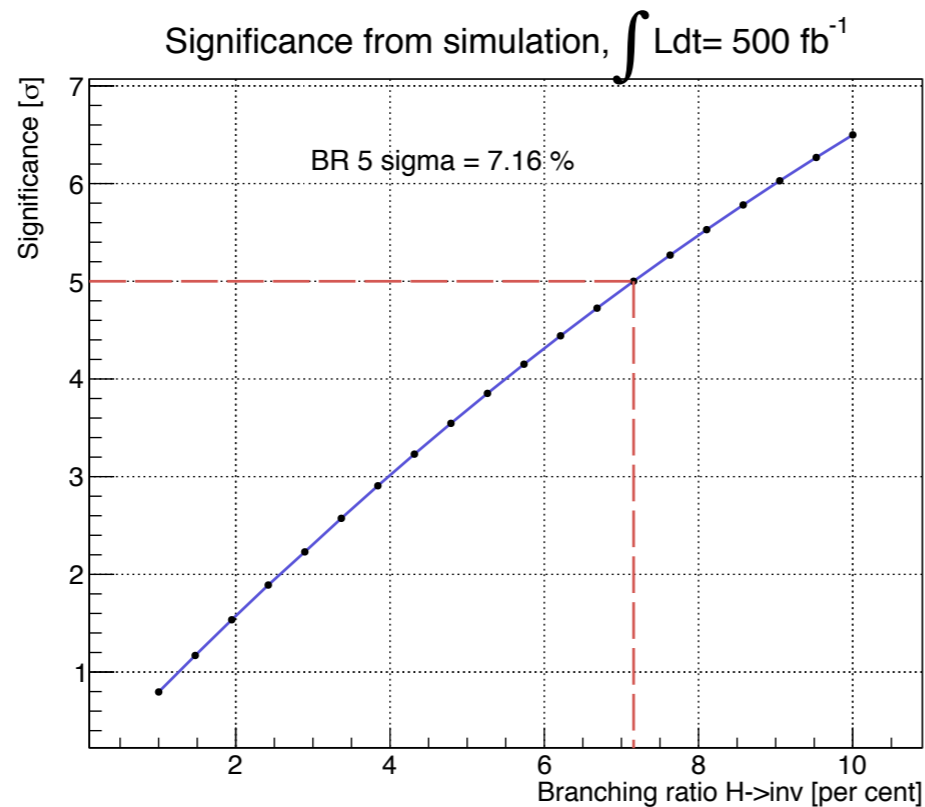
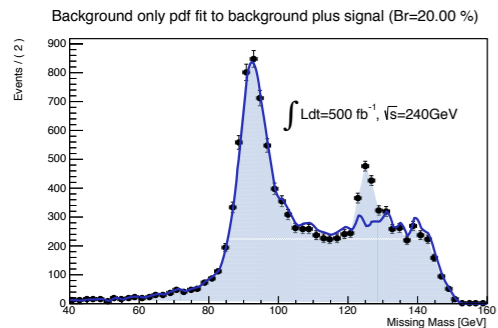
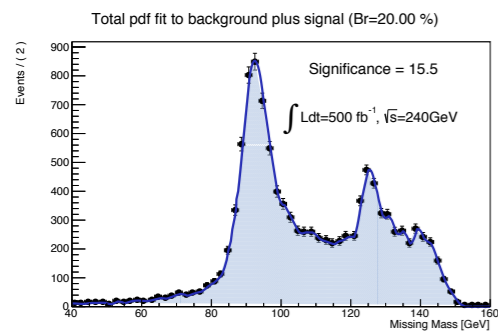


Statistical analysis

Discovery significance:

- s+b dataset, s from fixed BR

- $$\sigma = \sqrt{-2 \log \frac{\mathcal{L}_b}{\mathcal{L}_{s+b}}}$$



Limit on BR(95% cl):

- b only dataset

- $$0.95 \equiv \int_0^{N_S^*} \mathcal{L}(s + b | N_S) dN_S$$

