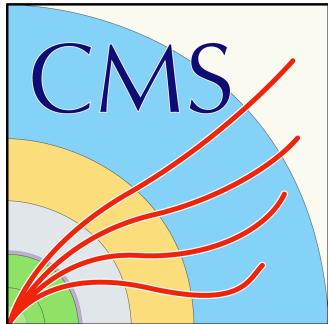


Splitting function in pp and PbPb collisions at 5.02 TeV



Marta Verweij (CERN)
for the CMS collaboration



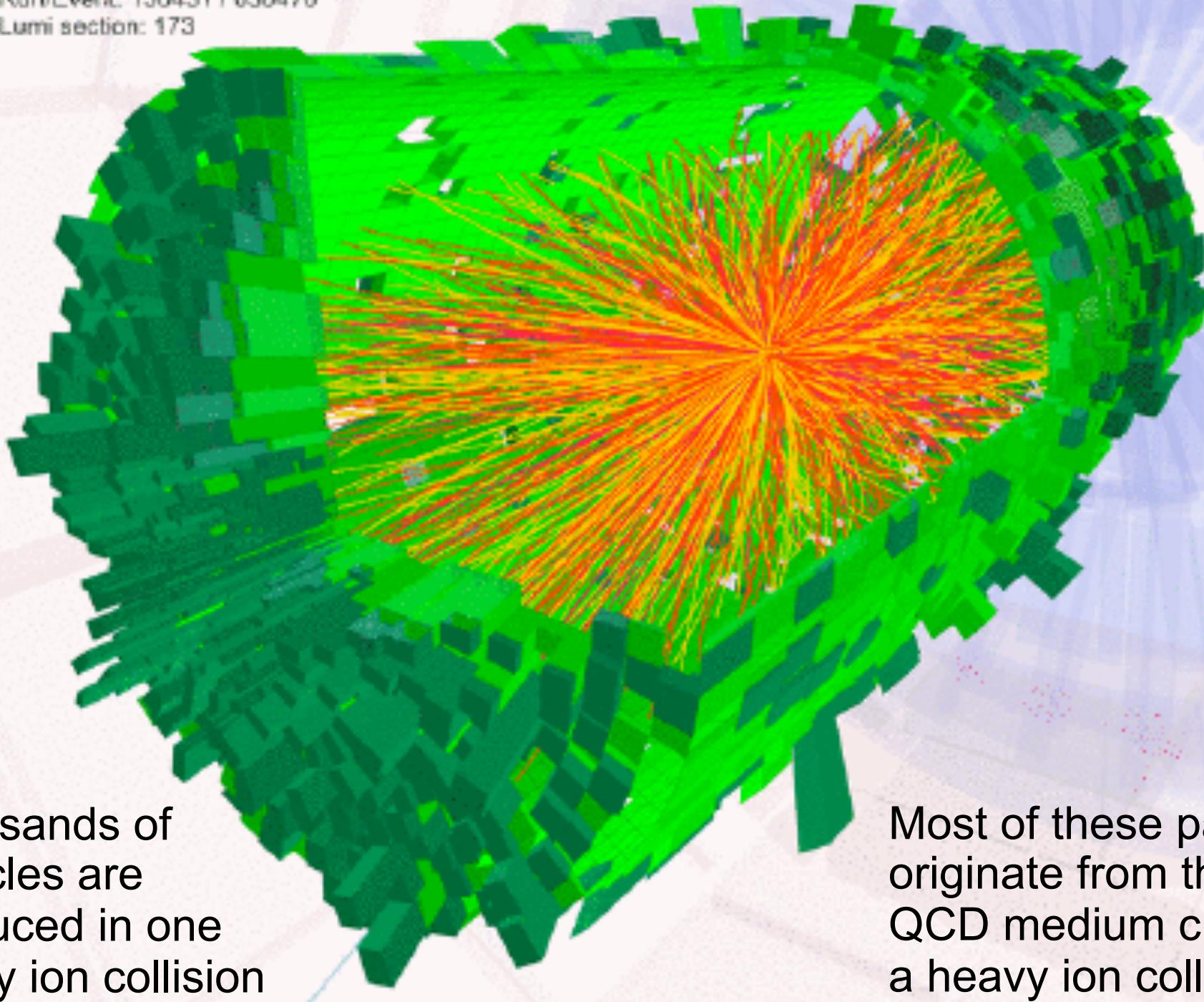
July 22 2016



University of
Zurich

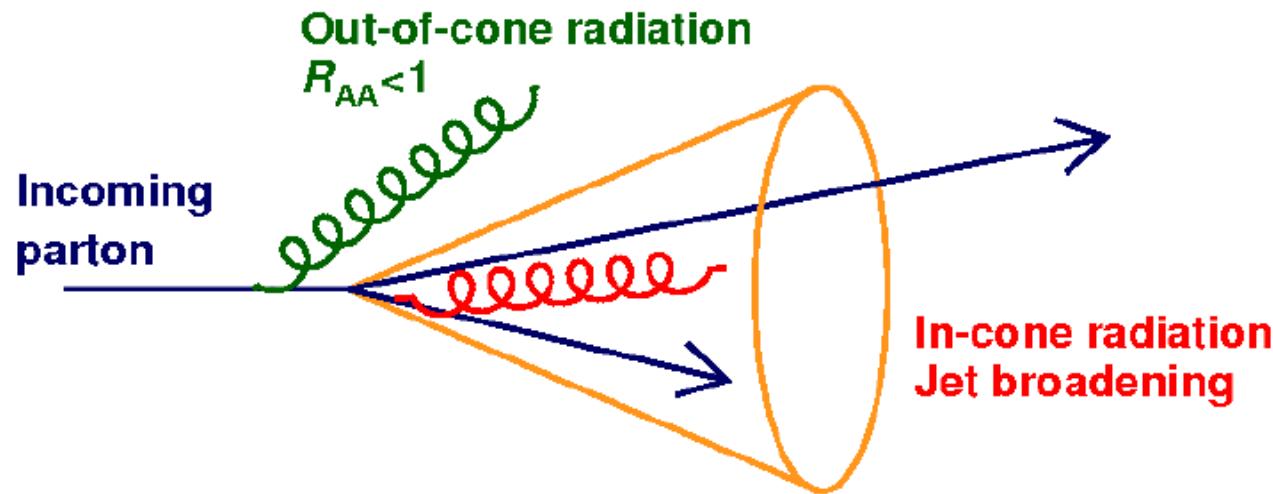
ETH Zurich

ZURICH
WWW.BOOTST2016.CH



Jets in heavy-ion collisions

- Due to interactions of the hard parton with the medium, the jet is modified relative to pp: **Jet Quenching**



At RHIC previously studied using 'high p_T ' particle production
+ first jet measurements

At LHC: larger center-of-mass
→ More hard processes to study the mechanism in detail

Jet shapes and structures Run1

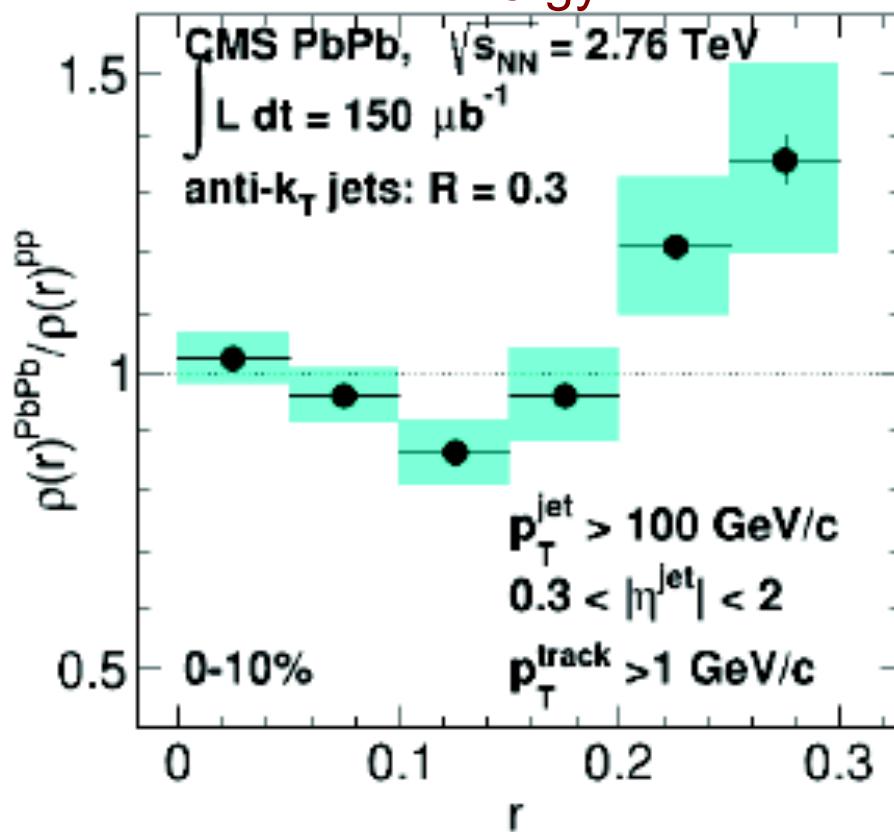
Jet shape observables: energy distribution within a jet
Sensitive to dynamics of parton shower

Radial profile

Transverse fragment distribution

Energy

CMS PLB 730 (2014) 243

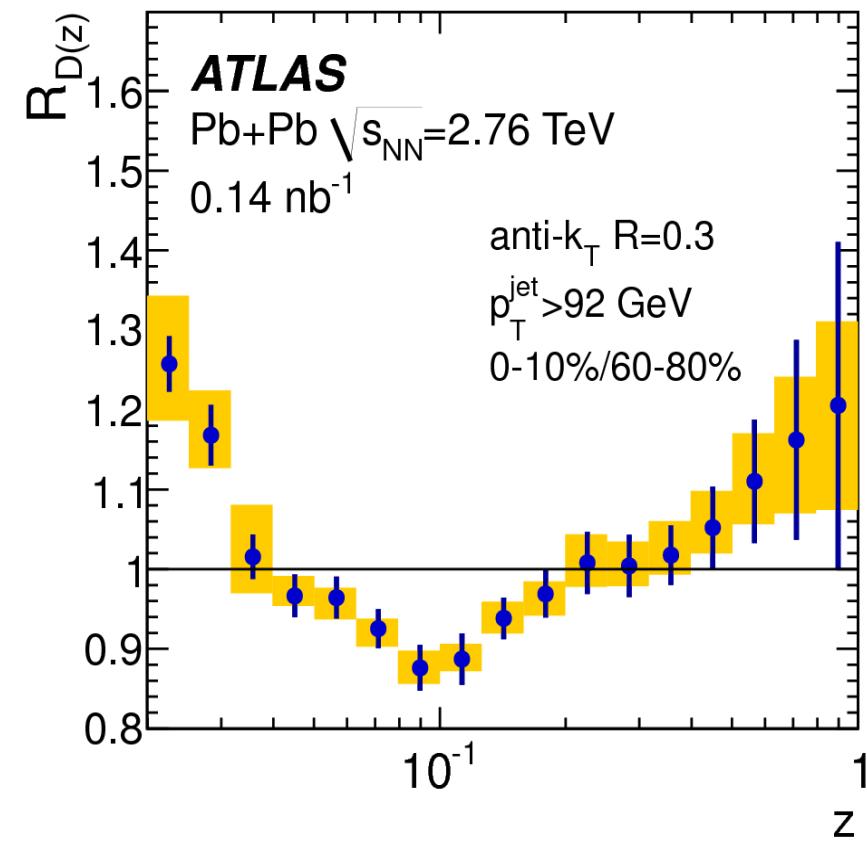


'Fragmentation function'

Longitudinal fragment distribution

Multiplicity

ATLAS: PLB 739 (2014) 320–342



Small enhancement at large R and small z : 1-2 GeV + 2 particles
+ suppression at intermediate R and z

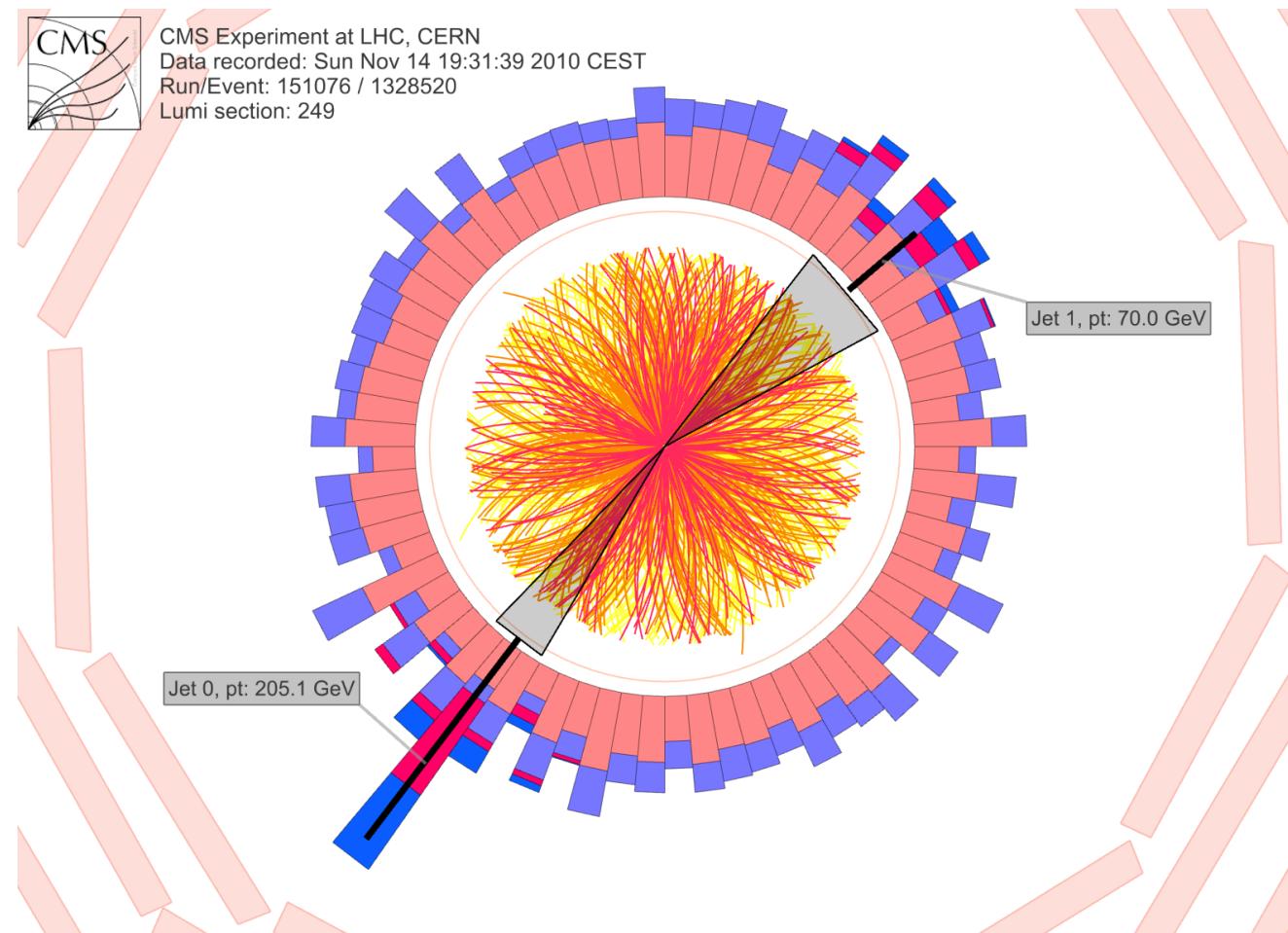
Find the jets

Jets are not so easy to find in a heavy-ion collision

Underlying event needs to be subtracted

→ same as for PU but now everything comes from the same vertex

Particle-by-particle approach: Constituent Subtraction [1]



[1] Berta et al.
arXiv:1403.3108

Why measure splitting function?

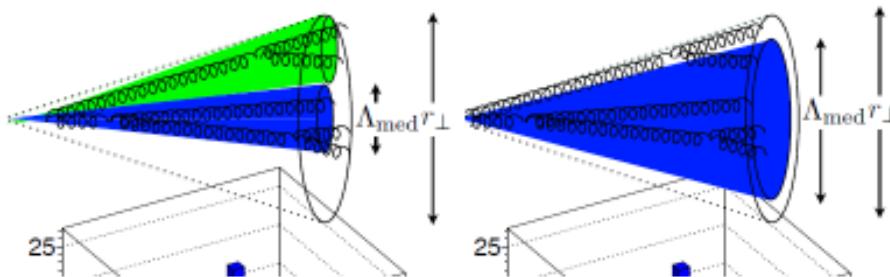
Goal: understand the evolution of the parton shower in medium

Effect of parton-medium interaction on parton branchings unknown

Several scenarios proposed by theorist.

Here a selection of those that are probed by this measurement:

- Parton gains virtuality due to interaction with medium
 - increases the gluon radiation probability
 - modified jet structure
- Antenna picture: role of (de)coherent emitters. Depends on critical angle and therefore temperature of medium

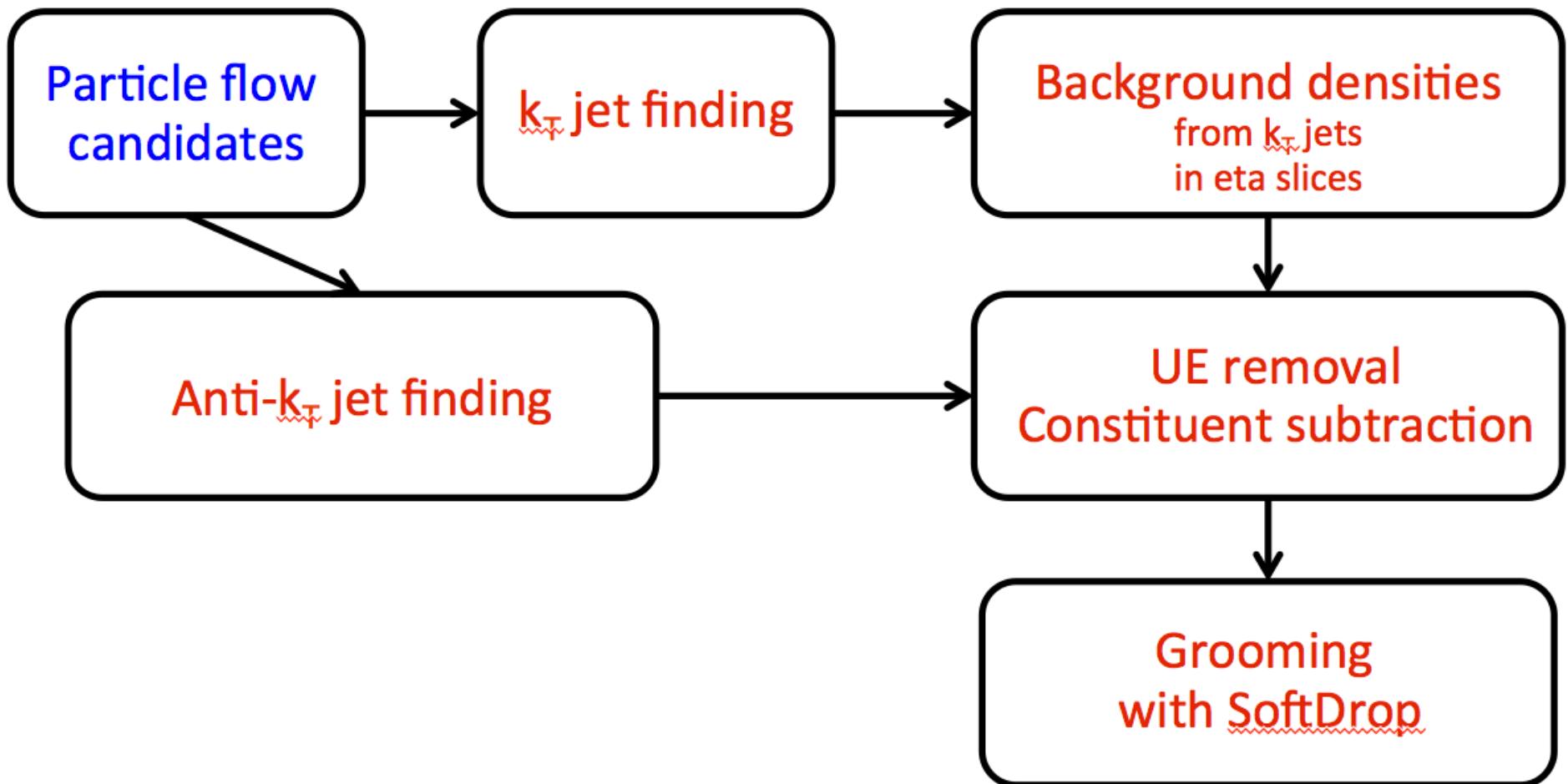


2 coherent emitters:
color disconnected
subjets

1 coherent emitter:
color connected
subjets

Fig. taken from *Phys.Lett.B 725*
(2013) 357–360

Analysis techniques

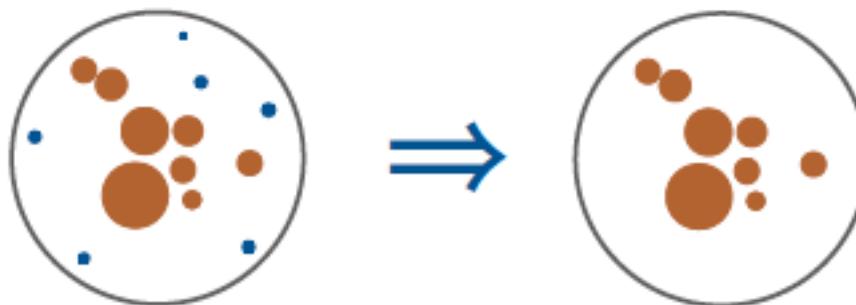


UE removal only for PbPb since pp data set has low pileup (1.4)

Constituent subtraction
Berta et al. arXiv:1403.3108

Soft Drop

Soft Drop = Jet grooming technique
removes large-angle soft radiation + remaining background



Soft Drop condition

$$z > z_{\text{cut}} \theta^{\beta}$$

↑ ↑
energy threshold angular exponent

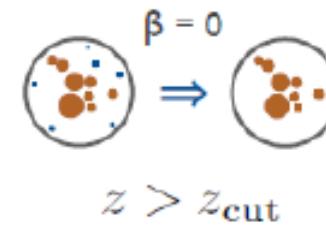
We use $\beta = 0$ and $z_{\text{cut}} = 0.1$
All soft emissions are removed
Equivalent to modified Mass Drop

$$z_g = \frac{\min(p_{T,1}, p_{T,2})}{p_{T,1} + p_{T,2}},$$

Momentum fraction
carried by the
subleading branch

Generalized fragmentation function

Measurement of QCD splitting function



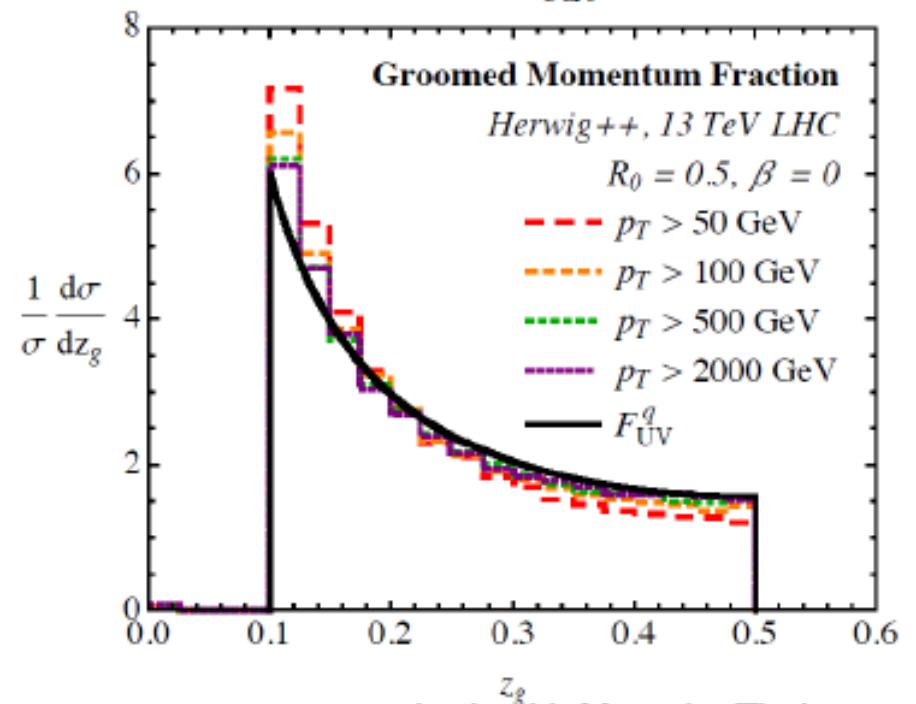
Momentum sharing between two leading subjets:

$$z_g = \frac{\min(p_{T1}, p_{T2})}{p_{T1} + p_{T2}};$$

Independent of α_s

Moderate dependence on jet p_T

~ same for quarks and gluons



Larkoski, Marzain, Thaler
Phys. Rev. D91:111501 (2015)
Soft Drop: JHEP 1405 (2014) 146

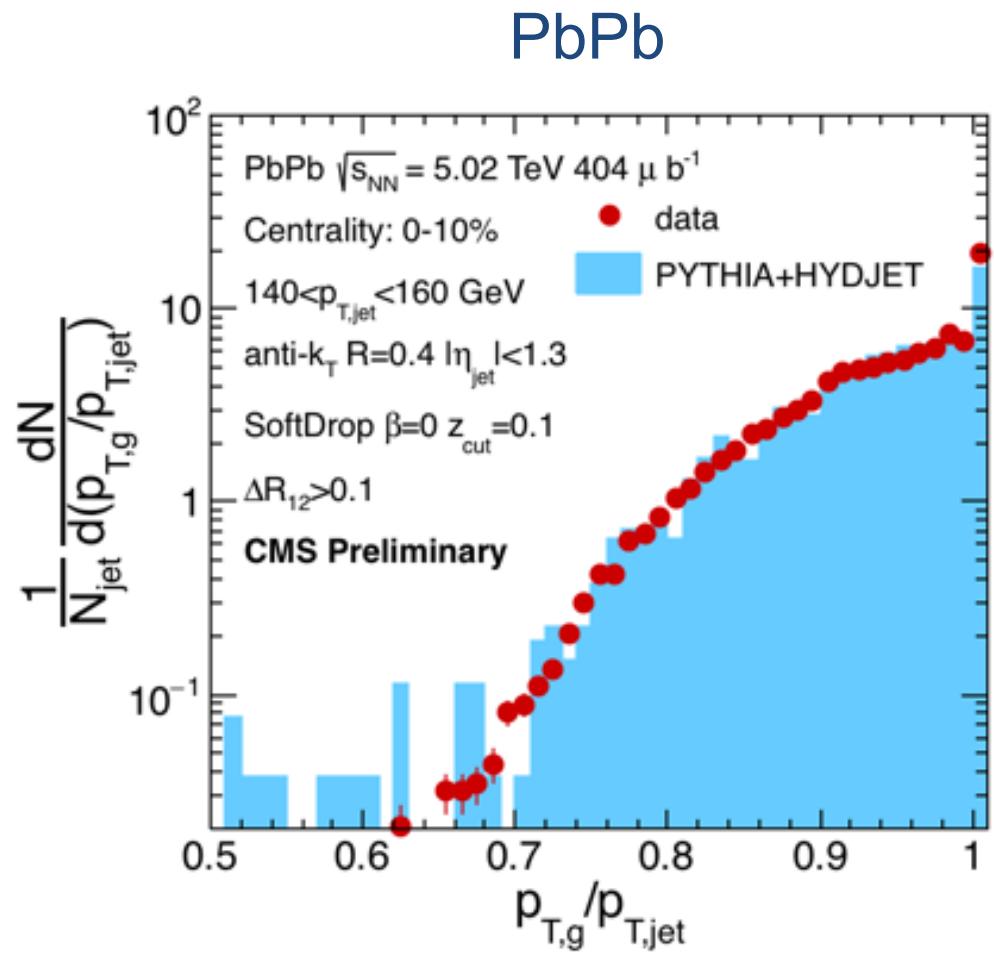
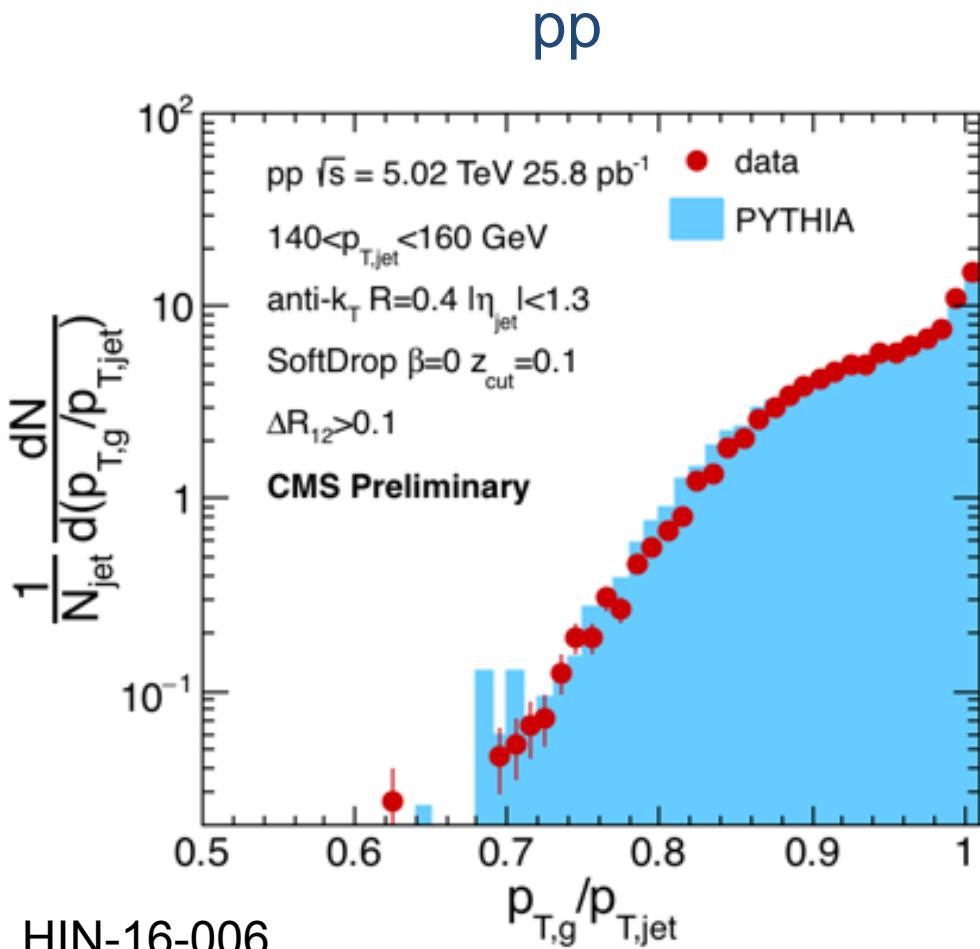
Sensitive to modification of splitting function

Effect of parton-medium interaction?

Groomed energy fraction

Larger amount of energy gets groomed away in PbPb collisions

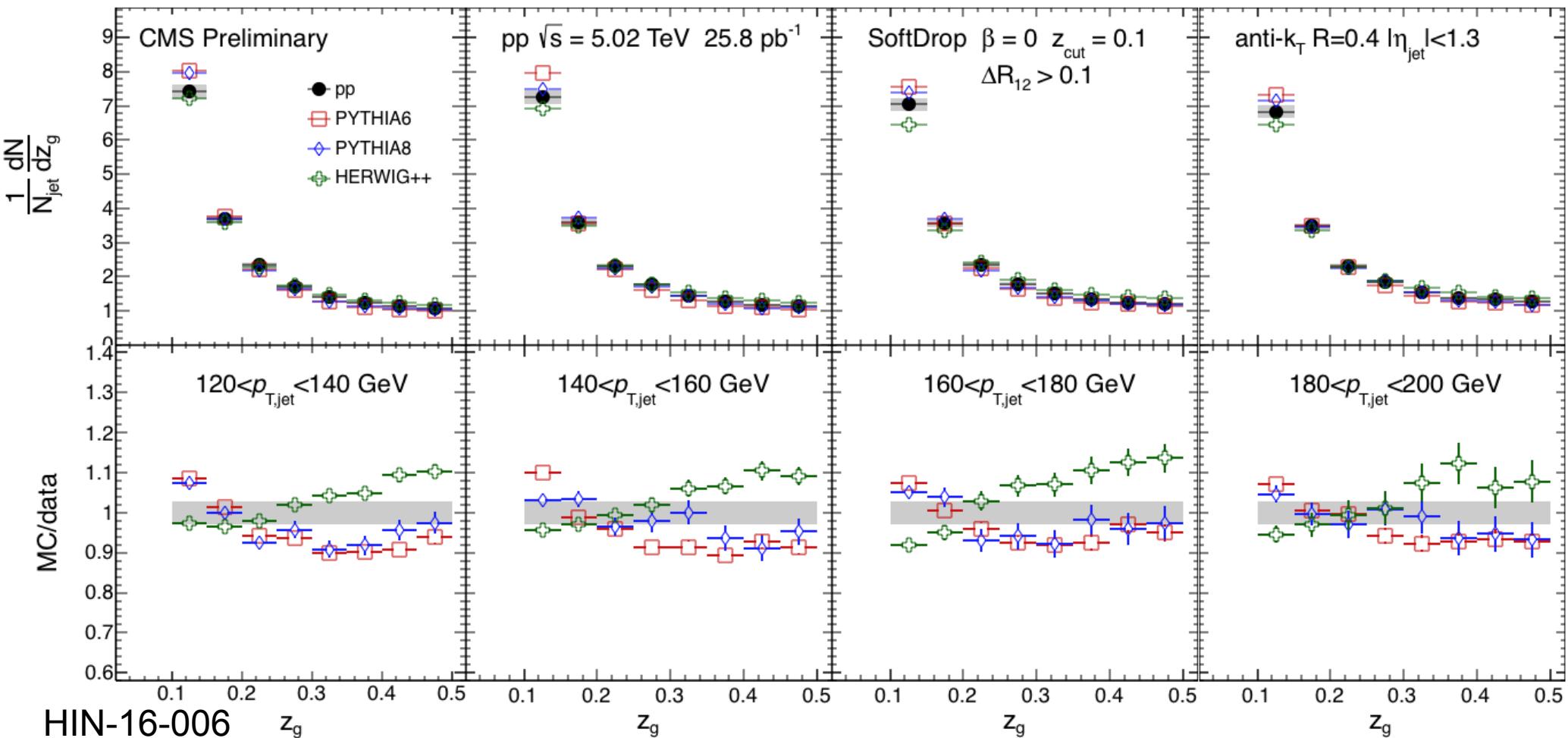
Groomed energy fractions well described by MC



Splitting function in pp

$$z_g = \frac{\min(p_{T,1}, p_{T,2})}{p_{T,1} + p_{T,2}},$$

PYTHIA8 and HERWIG reproduce the pp data within 5-10%
 Opposite trend for PYTHIA and HERWIG

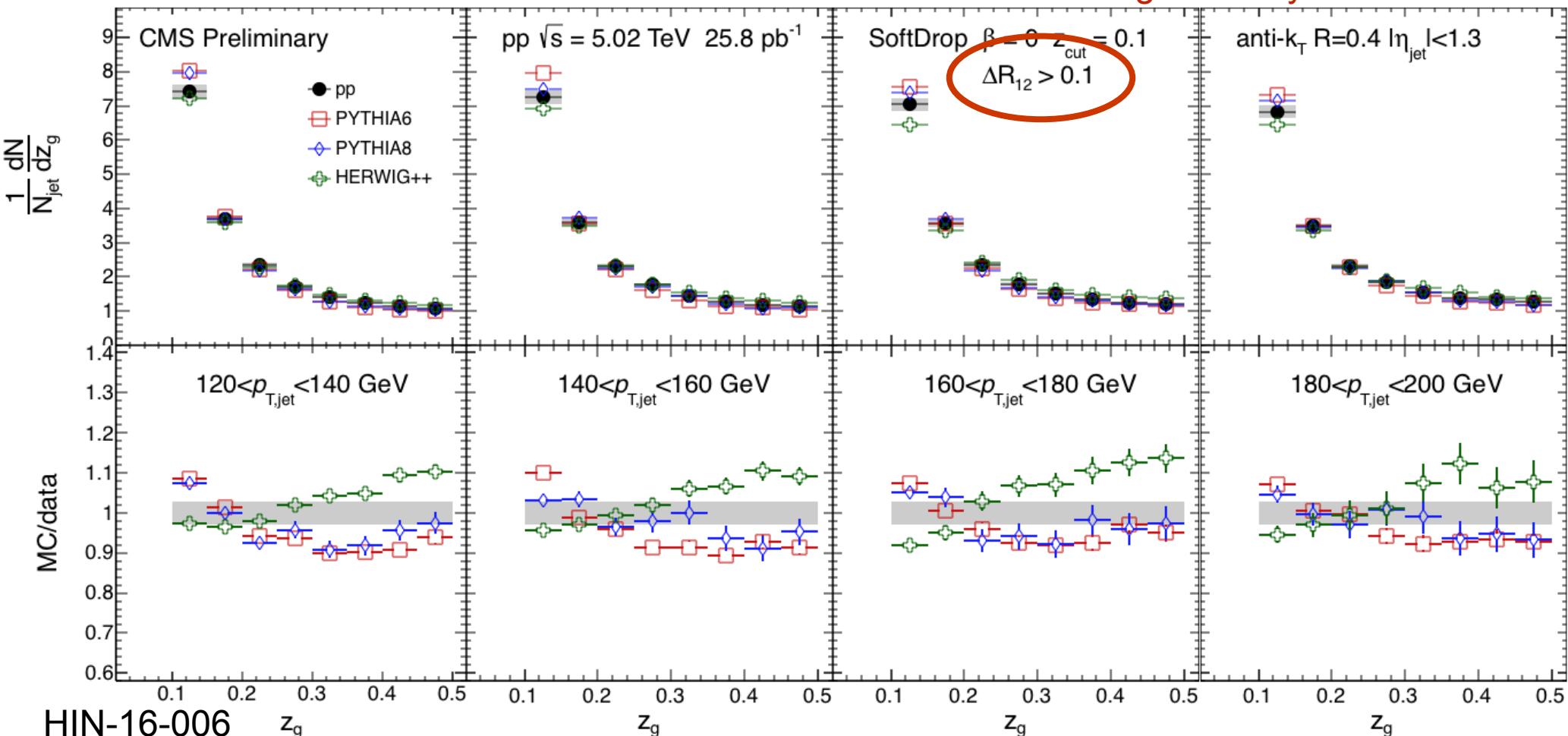


Splitting function in pp

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PYTHIA8 and HERWIG reproduce the pp data within 5-10%
 Opposite trend for PYTHIA and HERWIG

Cannot resolve subjets which are very close
 due to detector granularity

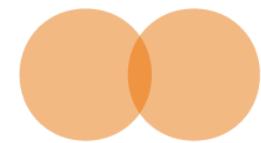


PbPb vs pp

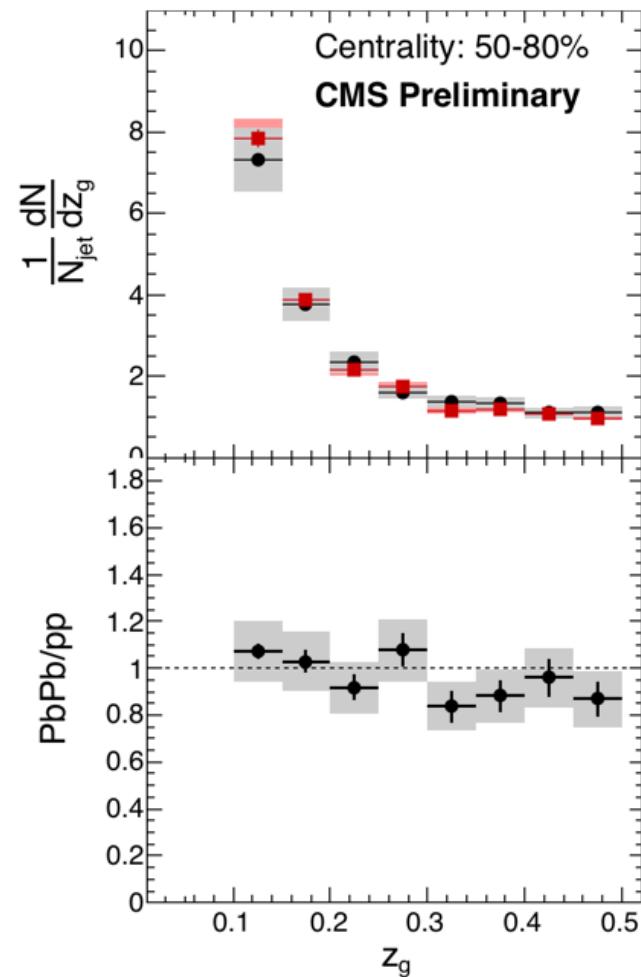
$p_{T,\text{jet}}$: 140-160 GeV



Central
collisions



Peripheral
collisions



Peripheral PbPb and pp very similar

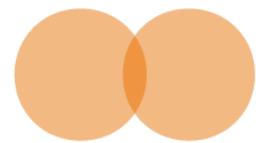
HIN-16-006

PbPb vs pp

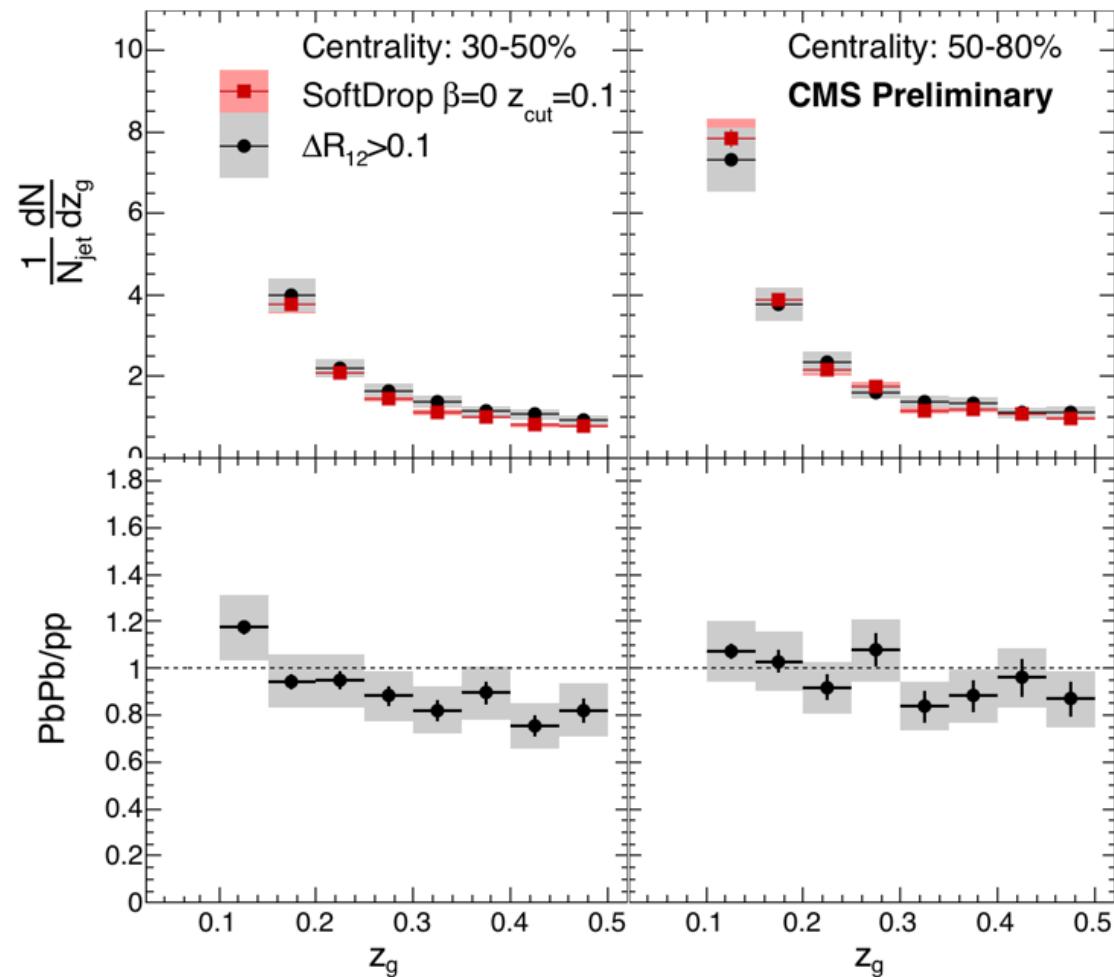
$p_{T,\text{jet}}$: 140-160 GeV



Central
collisions



Peripheral
collisions



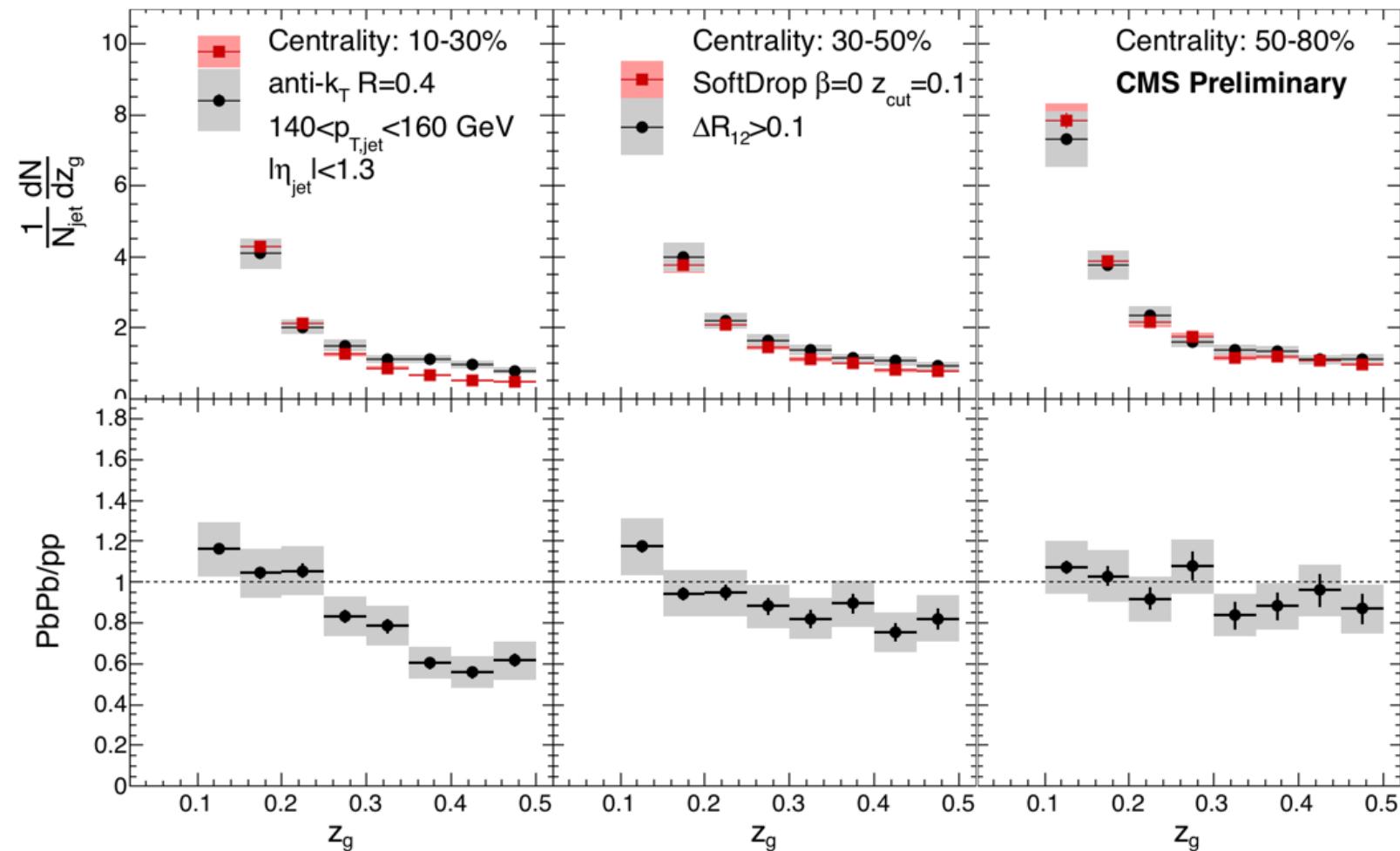
Less peripheral PbPb and pp also quite similar

PbPb vs pp

$p_{T,jet}$: 140-160 GeV

Central
collisions

Peripheral
collisions



Modification of splitting function observed in central PbPb collisions
Branching more imbalanced in central PbPb

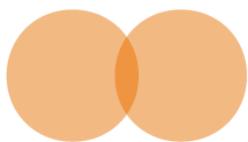
HIN-16-006

PbPb vs pp

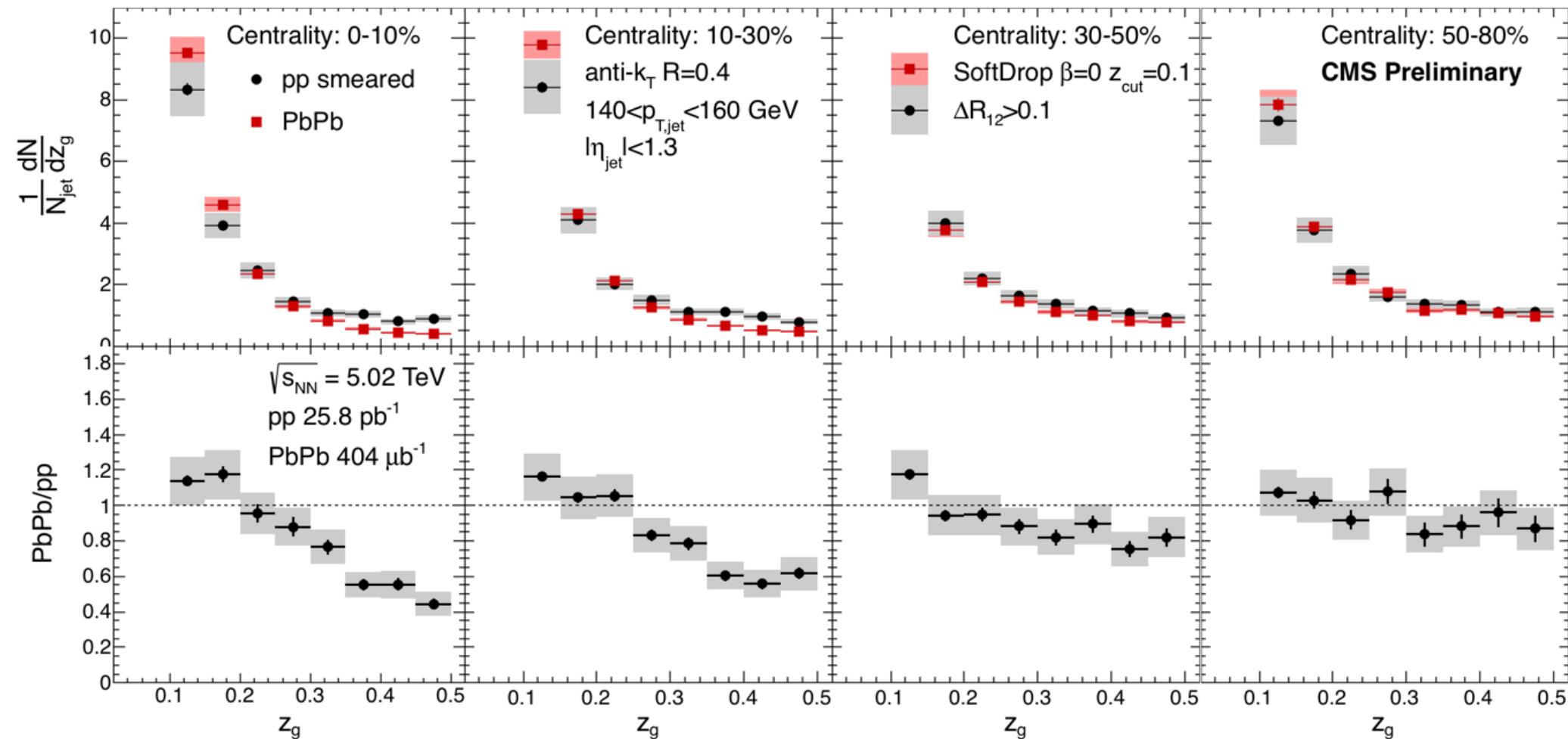
$p_{T,jet} \cdot 140-160 \text{ GeV}$



Central
collisions

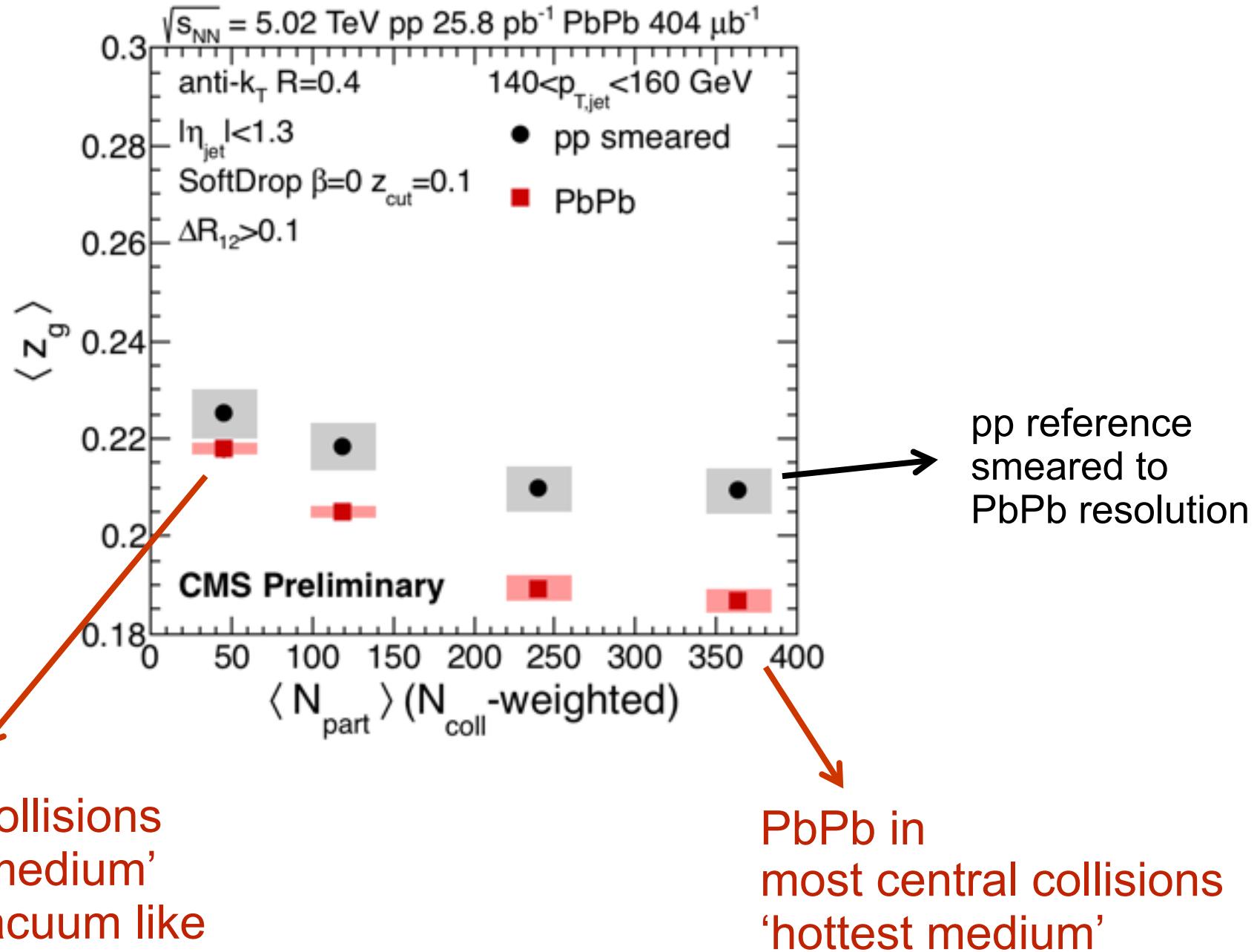


Peripheral
collisions



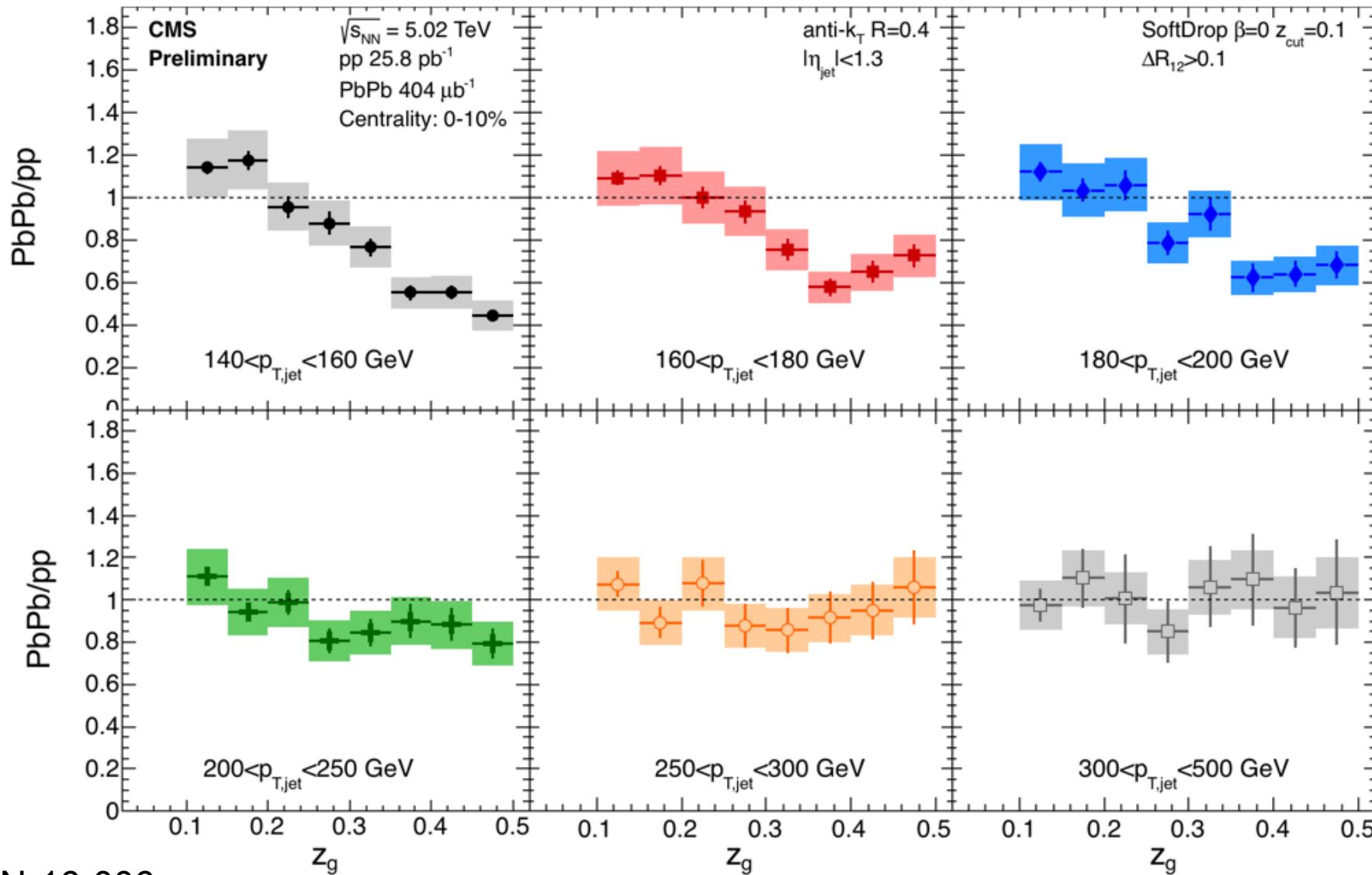
Strong modification of branch splitting observed in central PbPb collisions
 HIN-16-006 Branching more imbalanced in central PbPb

Evolution with medium density



Jet p_T dependence

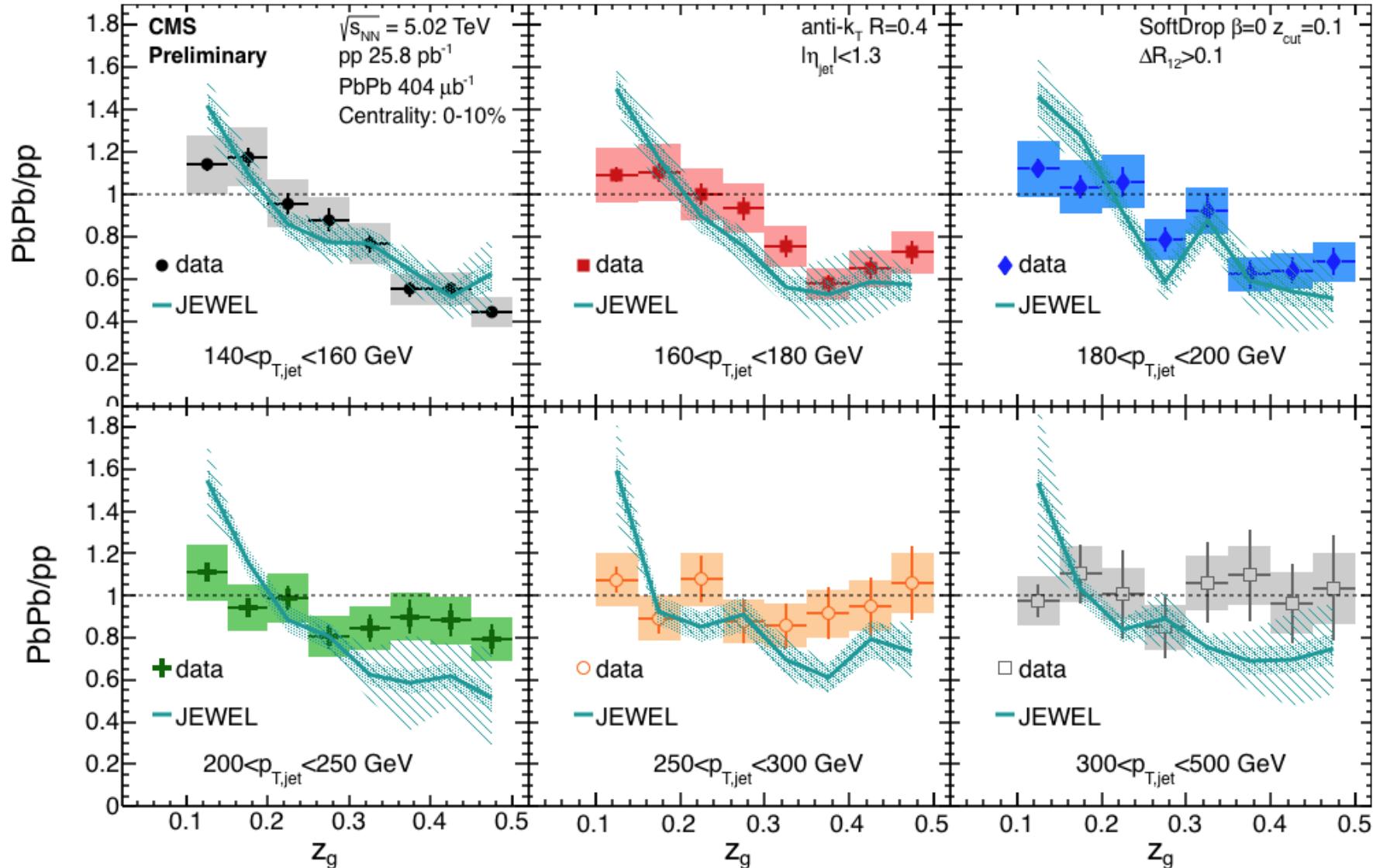
Modification gets weaker when increasing jet p_T



HIN-16-006

Model comparison

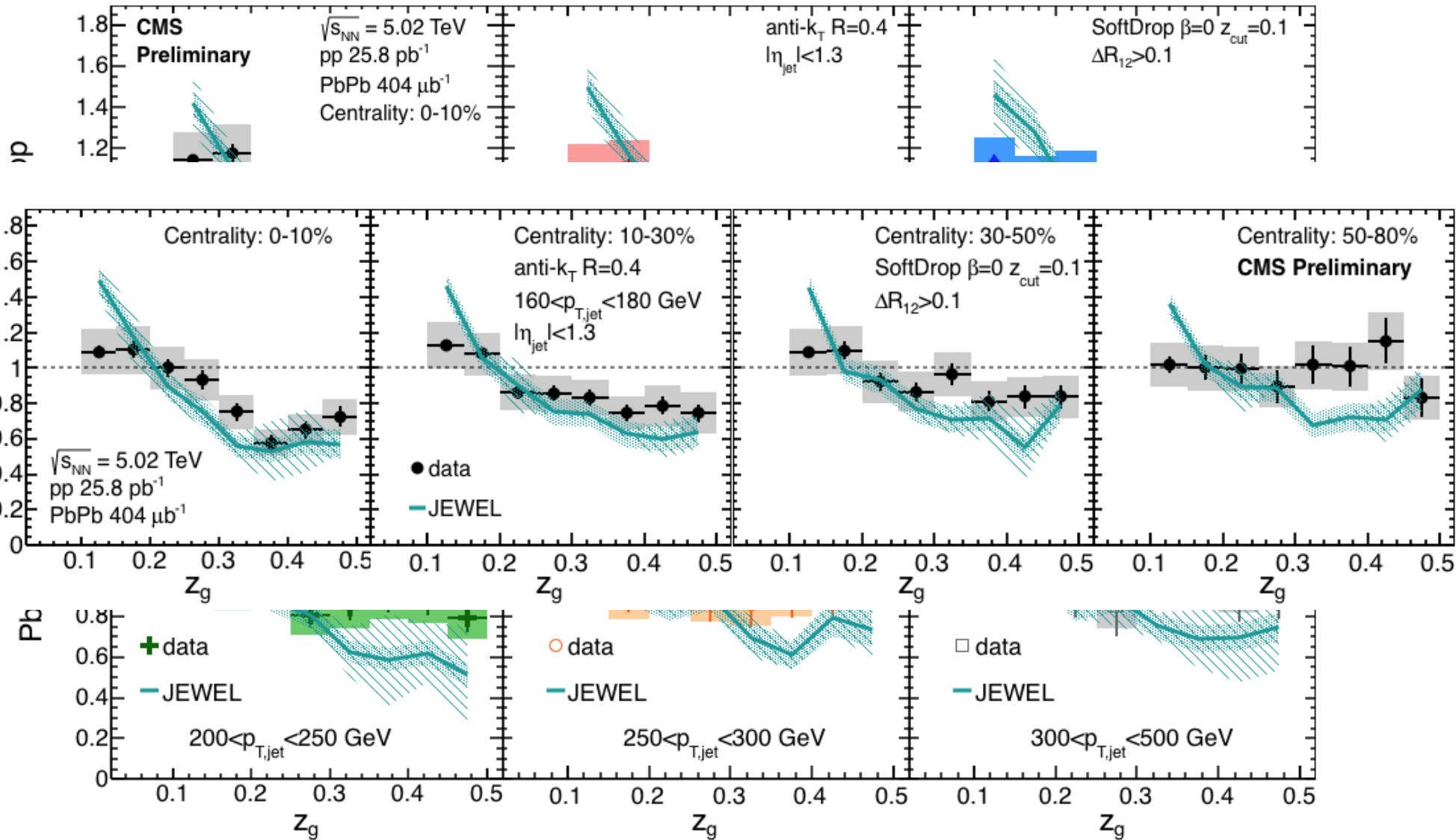
Comparison to jet quenching JEWEL MC event generator
General trend of data is described by JEWEL



Model comparison

Comparison to jet quenching JEWEL MC event generator

General trend of data is described by JEWEL



Conclusions

Measurement of splitting function in pp and PbPb collisions at 5.02 TeV presented

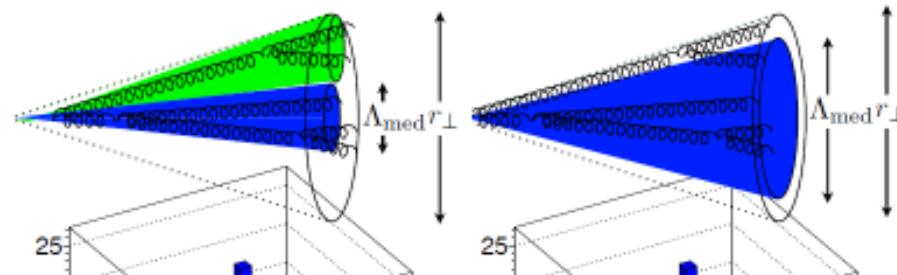
A significant modification of the splitting function is observed in central PbPb collisions.

Physics interpretation:

- Parton picks up (temporarily) virtuality from medium modifying Sudakov evolution
- A jet cannot be **one** coherent emitter

Extensions of measurement to probe the critical opening angle possible

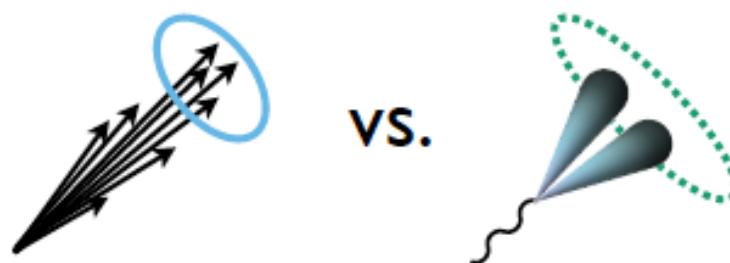
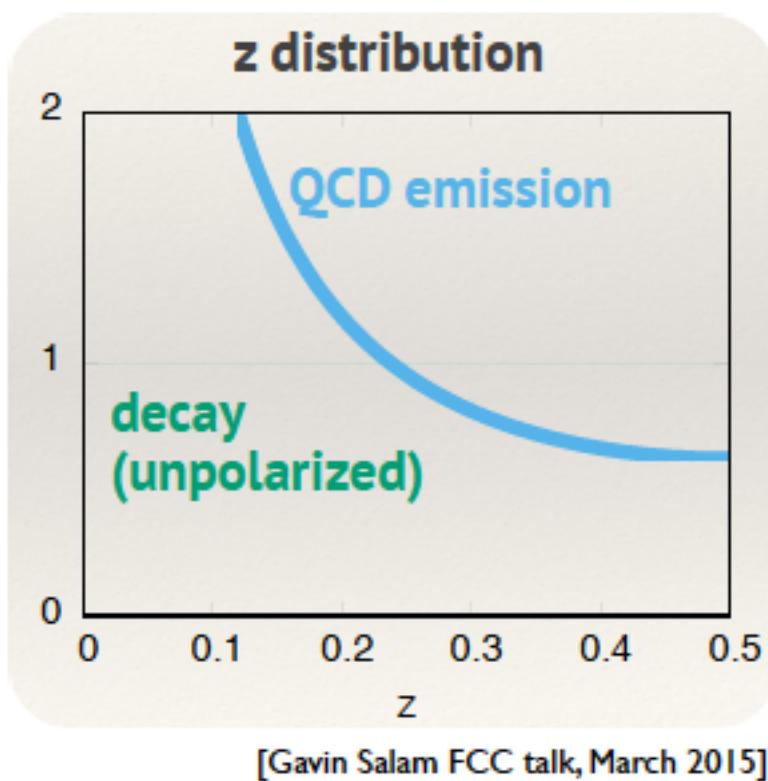
2 coherent emitters:
color disconnected
subjets



1 coherent emitter:
color connected
subjets

Bonus slides

QCD Splitting function



Feature of QCD: $1/z_g$

$$| - \text{---} \circ \text{---} |^2$$

$\frac{z}{\theta}$

Splitting Function

$1 \rightarrow 2$

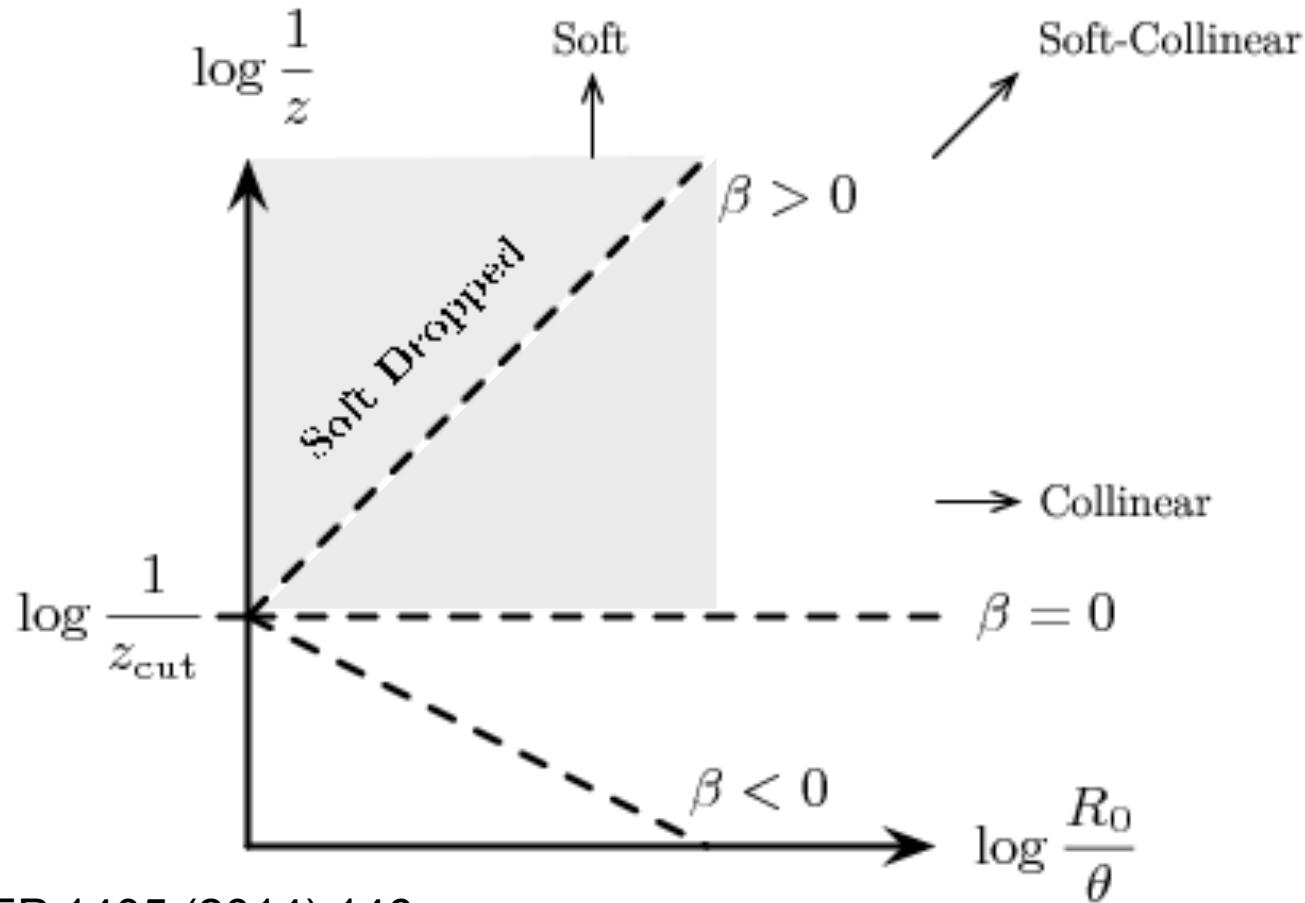
$$dP_{i \rightarrow jk} = \frac{d\theta}{\theta} dz P_{i \rightarrow jk}(z)$$

Collinear singularity

Altarelli-Parisi splitting function

$$\frac{2\alpha_s C_i}{\pi} \frac{d\theta}{\theta} \frac{dz}{z}$$

Emission phase space



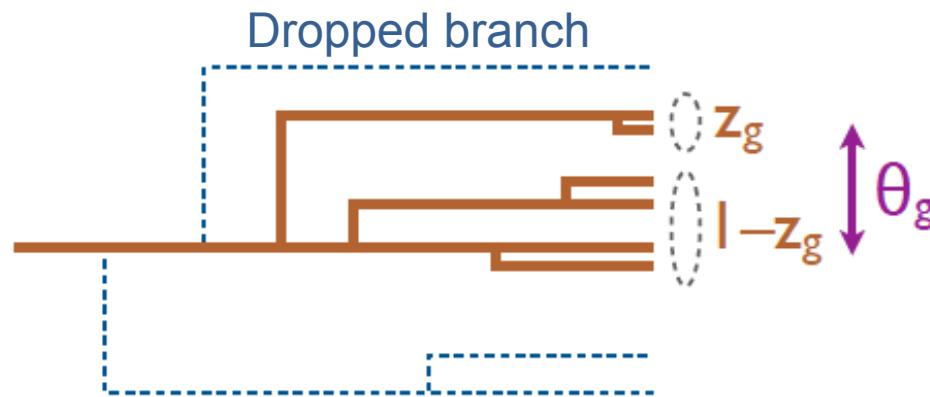
Soft Drop: JHEP 1405 (2014) 146

For beta=0: both soft and soft-collinear emissions are vetoed

Soft Drop

Anti- k_T jet is re-clustered with Cambridge/Aachen (CA)
Then decluster the angular-ordered CA tree
Drop branches until Soft Drop condition is satisfied

Extract the 2 branches after grooming for physics → subjets



Observable is well understood analytically
since all soft divergences are removed

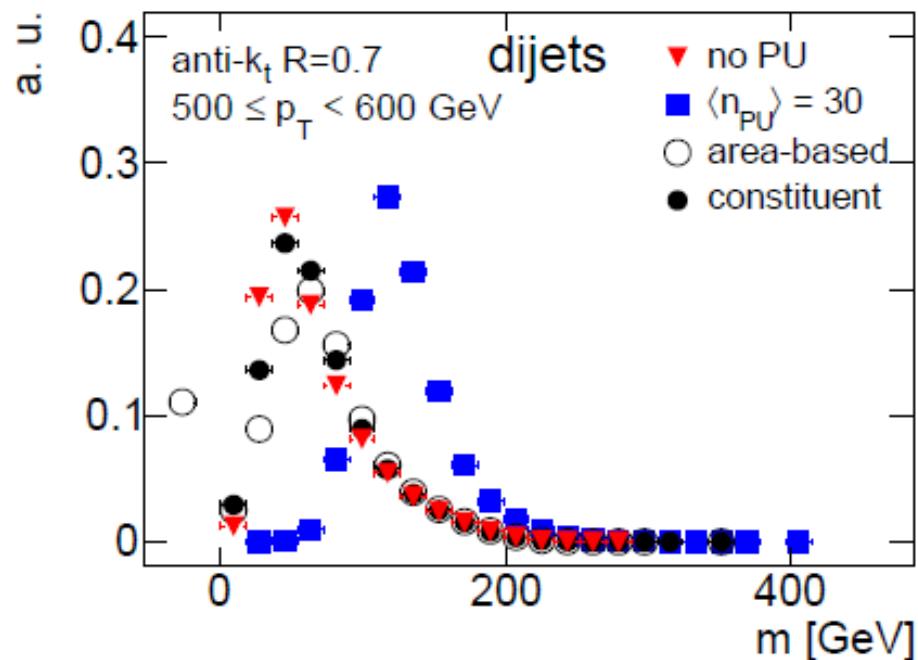
Groomed jet radius
determined by dynamics
of jet, not from outside

Jets + background subtraction

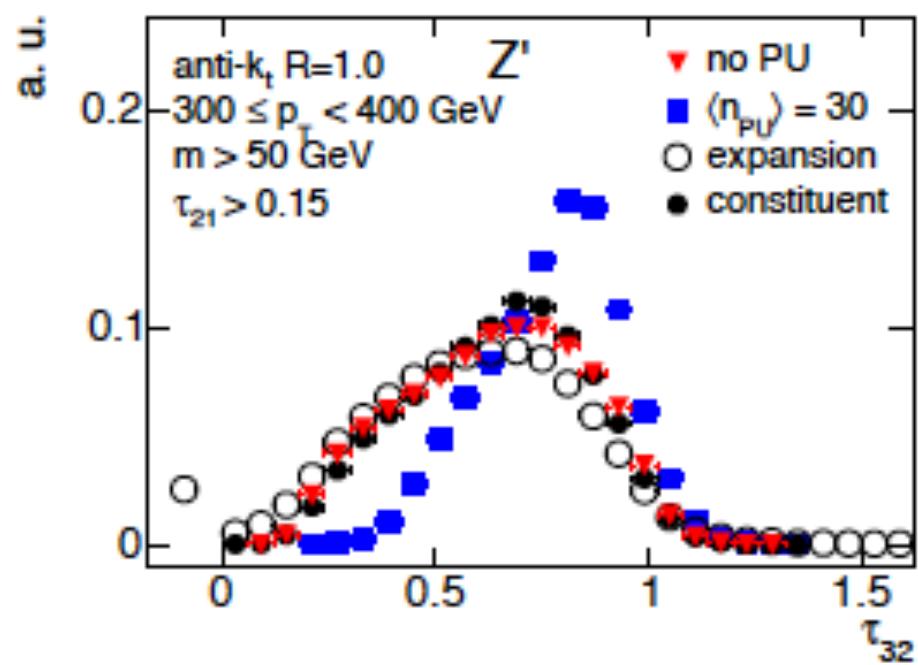
Jets in heavy-ion collisions are contaminated by huge background

Need algorithm which removes background while keeping the true jet constituents → Constituent subtraction method

Jet mass



N-subjettiness (τ_{32})



Constituent subtraction

Berta et al. arXiv:1403.3108

Marta Verweij

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Constituent subtraction

Method was developed to subtract pileup from jets

- Also successfully used in heavy-ions (jet shapes ALICE)

Particle-level approach which removes or corrects jet constituents

Corrects both the 4-momentum of the jet and the substructure

- Ghosts are added to the jet uniformly
 - Ghosts have $p_T = \rho \cdot A_g$ and $m_\delta = \rho_m \cdot A_g$ (A_g = ghost area)
- All jet constituents are correlated with the ghosts: iterative process
- Metric $\Delta R_{i,k}$ (i =particle, k =ghost) determines if order of iterations

$$\Delta R_{i,k} = p_{Ti}^\alpha \cdot \sqrt{(y_i - y_k^g)^2 + (\phi_i - \phi_k^g)^2}.$$

- p_T and m_δ of particle and ghost are compared: if smaller for ghost, ghost p_T and/or m_δ is subtracted from particle

Advantage of the method:

- corrects some of the local fluctuations;
- doesn't require training;
- one parameter can be tuned (α);

Constituent subtraction for jets:
Berta et al. arXiv:1403.3108

Background densities

- ρ and ρ_m are estimated from k_T -clusters
 - k_T -clusters: reconstructed jets with k_T jet algorithm
 - 2 leading k_T clusters are excluded to avoid bias from true jets
 - For ρ p_T and area of the accepted k_T -clusters are used:

$$\rho = \text{median} \left\{ \frac{p_{T,i}}{A_i} \right\}$$

- For ρ_m m_δ and area of the accepted k_T -clusters are used:

$$m_{\delta, k_T^{\text{cluster}}} = \sum_j (\sqrt{m_j^2 + p_{T,j}^2} - p_{T,j}) \quad \rho_m = \text{median} \left\{ \frac{m_{\delta,i}}{A_i} \right\}$$

- Both densities are estimated in different eta regions:
[-5,-3,-2.1,-1.3,1.3,2.1,3,5]