RASIC FRATIURES OF PP INTERACTIONS AND RET-BASED QUARK-GLUON STRING MODEL

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UiO: Universitetet i Oslo













FIAS Frankfurt Institute for Advanced Studies

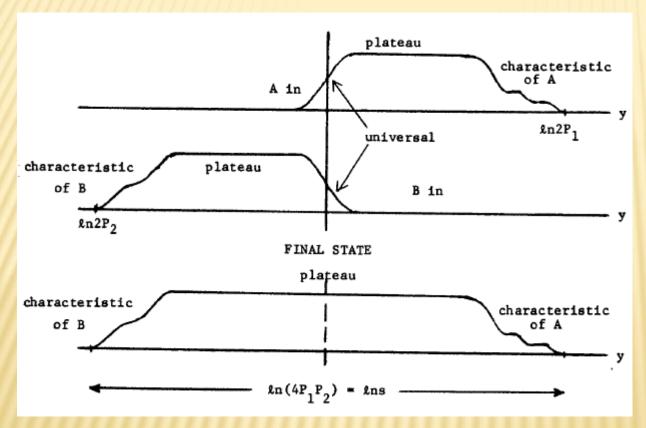


Outline

- I. Motivation. Scaling hypotheses and relations: Feynman scaling, extended longitudinal scaling, Koba-Nielsen-Olesen scaling
- II. Quark-gluon string model
- III. Multiplicity, rapidity and P_T spectra
- IV. Violation of FS and KNO scaling
- V. Particle freeze-out
- VI. Forward-backward multiplicity correlations
- VII. Conclusions

HYPOTHESIS OF FEYNMAN SCALING

R. Feynman, PRL 23 (1969) 1415; also in "Photon-hadron interactions"



In terms of rapidity

$$-\ln[x_0\sqrt{s}/m_T] \le y^* \le \ln[x_0\sqrt{s}/m_T]$$

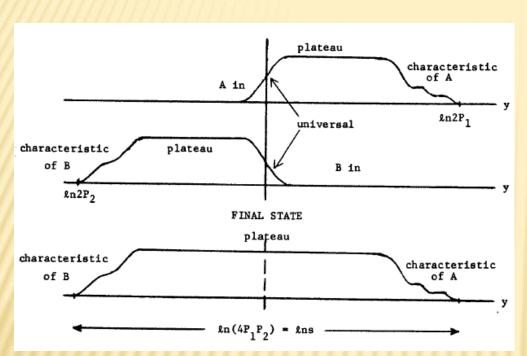
Basic assumption:

scaling of inclusive spectra within the whole kinematically allowed region of x_F (or c.m. y)

In addition:

existence of central area $-x_0 \le x_F \le x_0$, where $x_0 \approx (0.1-0.2)$ is assumed.

CONSEQUENCES OF FEYNMAN SCALING



(4) In the central area particle density does not depend on energy and rapidity

$$\rho(y^*, p_T; \sqrt{s}) = \rho(p_T)$$

(1) Logarithmic rise of the central rapidity region with energy

$$(\Delta y^*) \approx 2 \ln(x_0 \sqrt{s} / m_T)$$

(2) Fragmentation regions are fixed

$$(\Delta y^*) \approx \ln(1/x_0)$$

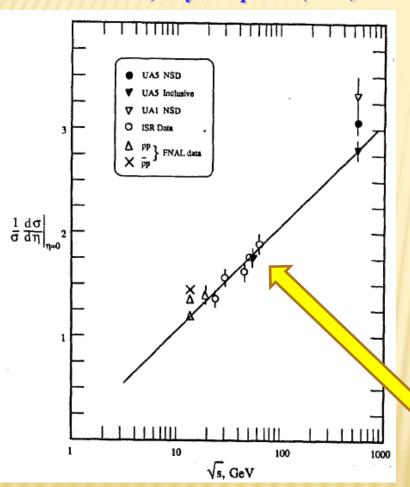
(3) Main contribution to mean multiplicity comes from the central area

$$\langle n \rangle \square \ln(x_0 \sqrt{s} / m_T)$$

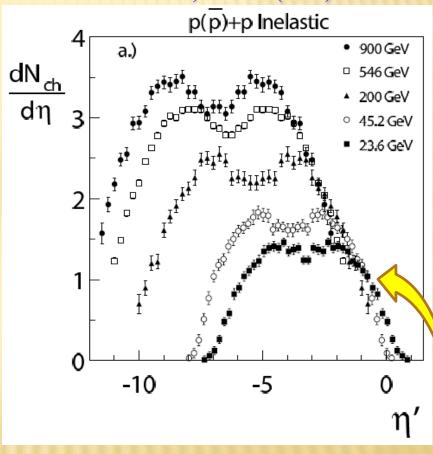
(5) Contribution from the fragmentation regions is energy independent

VIOLATION OF FEYNMAN SCALING

UA5 Collab., Phys. Rep. 154 (1987) 247



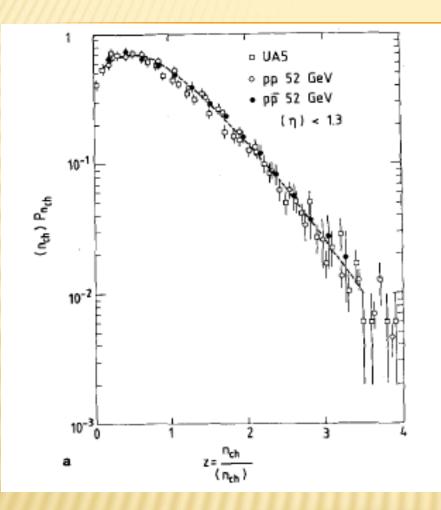
W. Busza, JPG 35 (2008) 044040



Charged particle pseudorapidity density at | = 0 as a function of \sqrt{s}

Violation of Feynman scaling, but ext. long. scaling holds?

KOBA-NIELSEN-OLESEN (KNO) SCALING



Z.Koba, H.B.Nielsen, P.Olesen, NPB 40 (1972) 317

They claim that the multiplicity distributions are independent of energy except through the variable

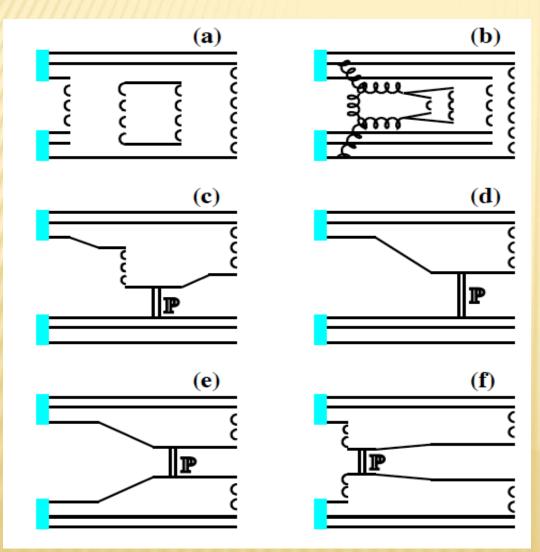
$$z = n / \langle n \rangle$$

$$P_n(s) = \frac{\sigma_n(s)}{\sigma_{tot}(s)} = \frac{1}{\langle n \rangle} \Psi\left(\frac{n}{\langle n \rangle}\right)$$

Experimental data: KNO scaling holds in *hh* collisions up to $\sqrt{s} = 53$ GeV (ISR)

QUARK-GLUON STRING MODEL

A.B. Kaidalov, K.A.Ter-Martirosyan, PLB 117 (1982) N.S.Amelin, L.V.Bravina, Sov.J.Nucl.Phys. 51 (1990) 133 N.S.Amelin, E.F.Staubo, L.P.Csernai, PRD 46 (1992) 4873



At ultra-relativistic energies: multi-Pomeron scattering, single and double diffraction, and jets (hard Pomeron exchange)

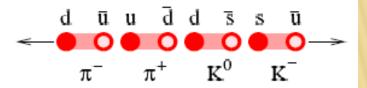
Gribov's Reggeon Calculus + string phenomenology

QGSM is similar to DPM, NEXUS, PHOJET, QGSJET

STRING FRAGMENTATION: FIELD-FEYNMAN MECHANISM

Decay of strings - production of mesons and baryons:

- the colorfield between a quark and a antiquark gets "streched"
- a meson (baryon) with some transverse momentum is formed and gets a fraction z of the primordial momentum of the string
- z is generated from the fragmentation function
- the rest of the string either decays further of forms a cluster



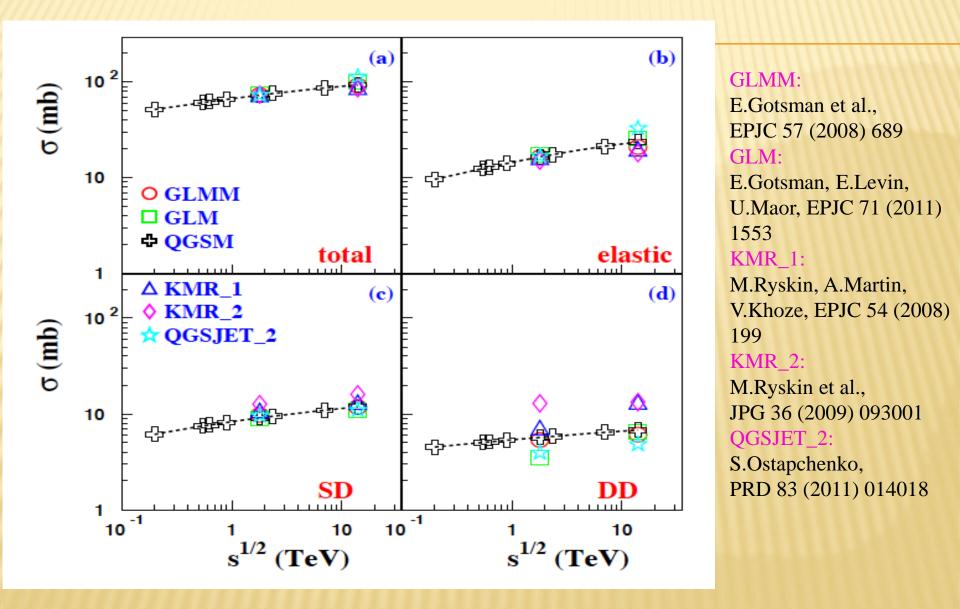
production of mesons



production of baryons

Decay of strings and particle production

COMPARISON WITH OTHER RFT-BASED MODELS



Agreement is good. Some deviations are present for DD cross section

EXPERIMENTAL DATA:

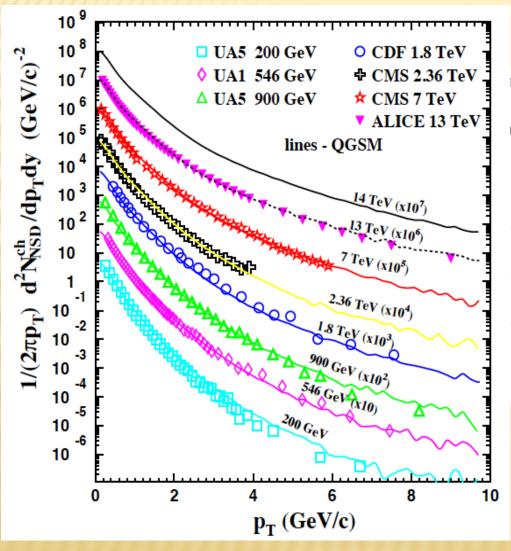
UA5 Collaboration:	G.Alner et al., Phys. Rep. 154 (1987) 247
UA1 Collaboration:	G.Arnison et al., PLB 118 (1982) 167
	C.Albajar et al., NPB 335 (1990) 261
CDF Collaboratio:	F.Abe et al., PRL 61 (1988) 1818; PRD 41 (1990) R2330
E735 Collaboration:	T.Alexopoulos et al., PRD 48 (1983) 984
ALICE Collaboration:	K.Aamodt et al., EPJC 68 (2010) 89; EPJC 68 (2010) 345; PLB 693 (2010) 53
	B.Abelev et al., EPJC 73 (2013) 2456
	J.Adam et al., PLB 753 (2016) 319
CMS Collaboration:	K.Khachatryan et al., JHEP 02 (2010) 041;
	PRL 105 (2010) 022002; PLB 751 (2015) 143
CMS + TOTEM:	K.Khachatryan et al., EPJC 74 (2014) 3053

TOTEM Collaboration: G.Antchev et al., Europhys. Lett. 101 (2013) 21002

LHCb Collaboration: R.Aaij et al., JHEP 02 (2015) 129

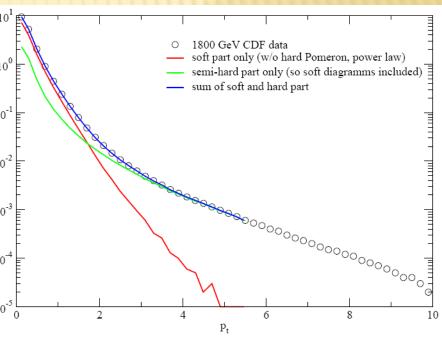
PT SPECTRA: MODEL VS. DATA

Transverse momentum spectra



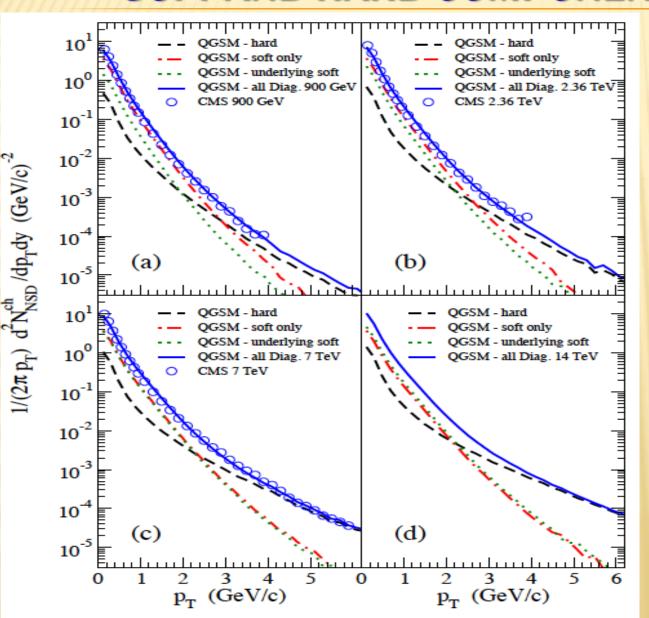
J.Bleibel, L.Bravina, E.Z., PRD 93 (2016) 114012

Hard and soft components



Description of P_T spectra seems to be good

Pt SPECTRA: CONTRIBUTIONS OF SOFT AND HARD COMPONENTS



Hard and soft components from

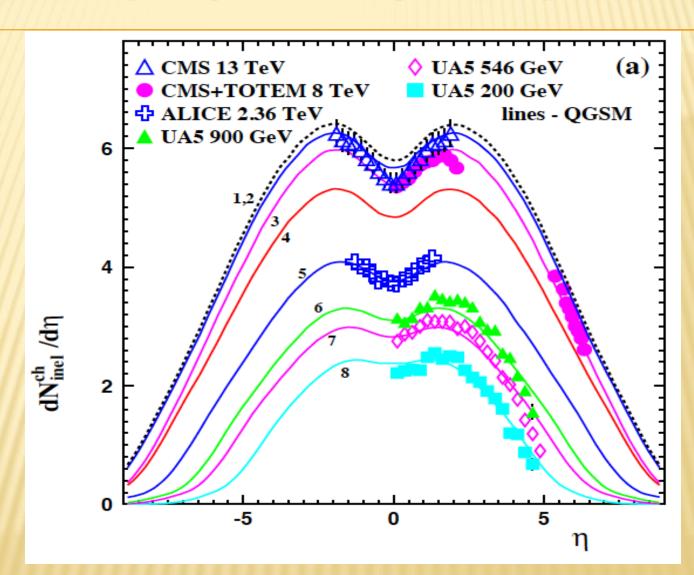
$$\sqrt{s} = 900 \text{ GeV}$$

up to 14 TeV

J.Bleibel, L.Bravina, E.Z., PRD 93 (2016) 114012

RAPIDITY SPECTRA: MODEL VS. DATA

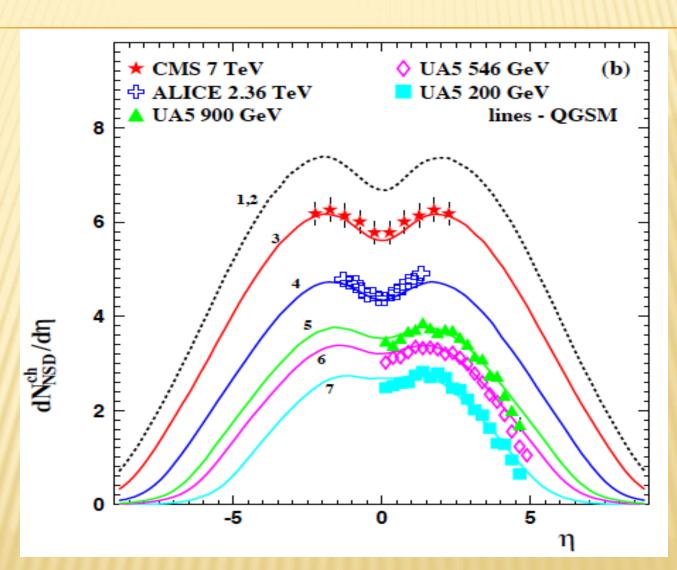
Inelastic collisions



Description of pseudorapidity spectra also seems to be good

RAPIDITY SPECTRA: MODEL VS. DATA

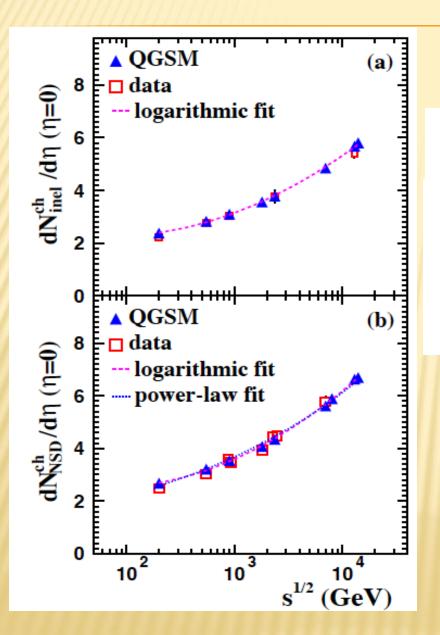
NSD collisions



Z., PRD 93 (2016) 114012 J.Bleibel, L.Bravina

Description of pseudorapidity spectra also seems to be good

FIT TO DATA: LOGARITHMIC OR POWER-LAW?



Data: CMS Collab., K.Khachatryan et al., PRL 105 (2010) 022002

$$\frac{dN_{inel}}{d\eta} \Big|_{\eta=0}(s) = 4.36 - 0.507 \ln s + 0.03 \ln^2 s$$

$$\frac{dN_{NSD}}{d\eta} \Big|_{\eta=0}(s) = 5.015 - 0.60 \ln s + 0.036 \ln^2 s$$

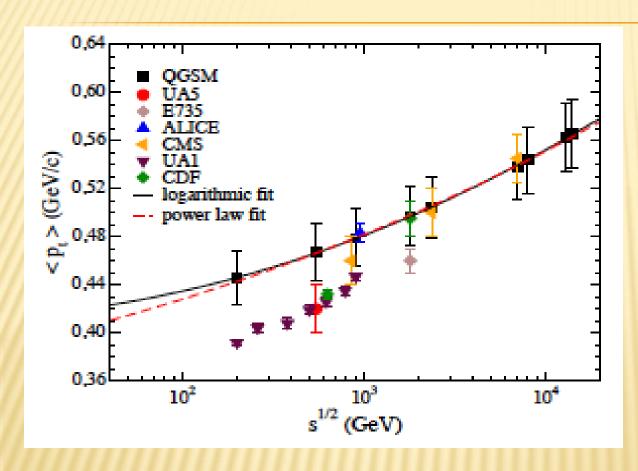
$$\frac{dN_{NSD}}{d\eta} \Big|_{\eta=0}(s) = 0.77 E^{0.22} .$$

Power-law:

E.Levin, A.Rezaeian, PRD 82 (2010) 014022; L.McLerran, M.Praszalowicz, Acta Phys. Polon. B 41 (2010) 1917

No difference between the fits

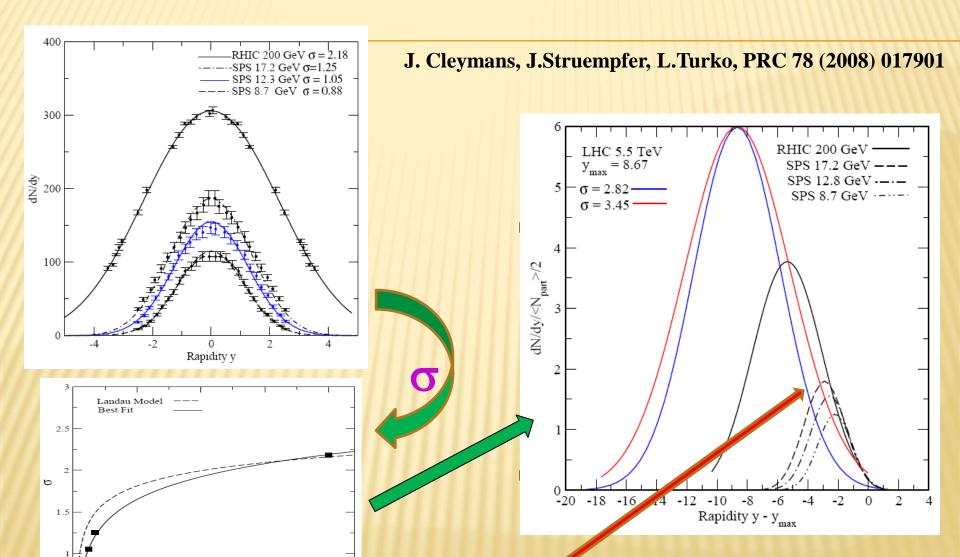
FIT TO DATA: LOGARITHMIC OR POWER-LAW?



It is impossible to distinguish between these two fits even at 14 TeV

$$\langle p_{\rm T} \rangle = 0.417 - 0.0035 \ln s + 0.00059 \ln^2 s$$
,
 $\langle p_{\rm T} \rangle = 0.243 + 0.12 E^{0.1107}$.

VIOLATION OF ELS IN A+A AT LHC?



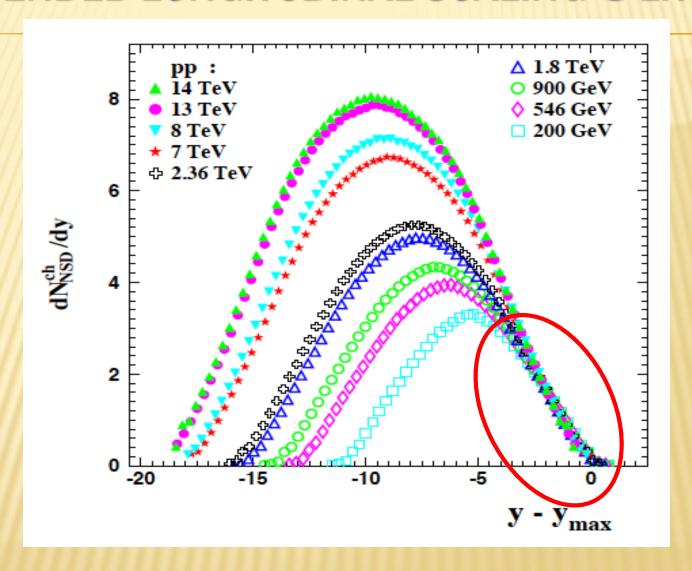
Statistical thermal model: ELS will be violated in A+A @ LHC. What about pp?

50

100 √s_{NN} (GeV) 150

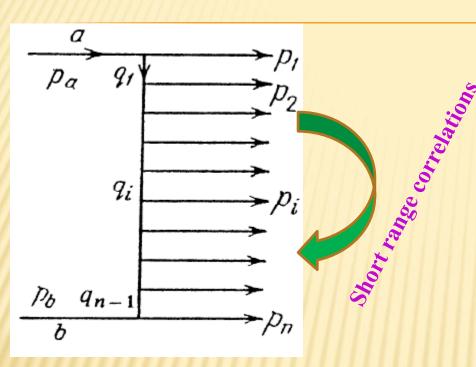
200

EXTENDED LONGITUDINAL SCALING @ LHC



QGSM: extended longitudinal scaling in pp collisions holds

WHY SCALING HOLDS IN THE MODEL



$$x_F^{(i)} \equiv \frac{p_{i\square}}{p_{\square}^{\max}} \approx \exp\{-(y_1 - y_i)\}$$

therefore

$$n_i = \psi(x_F^{(i)}, p_{iT}^2)$$



Correlation function

$$C(y_i, y_j) \propto \exp\{-\lambda(y_i - y_j)\}$$

Particles are uncorrelated if

$$y_i - y_j \equiv \Delta y \gg 1$$

Consider now inclusive process

$$1+2 \rightarrow i+X$$

Particle inclusive cross section

$$f_{i} = \frac{d^{2}\sigma(y_{1} - y_{i}, y_{i} - y_{2}, p_{iT}^{2})}{dy_{i}d^{2}p_{iT}}$$

In the fragmentation region of particle 1

$$y_1 - y_i \approx 1$$
, $y_i - y_2 \approx y_1 - y_2 \gg 1$

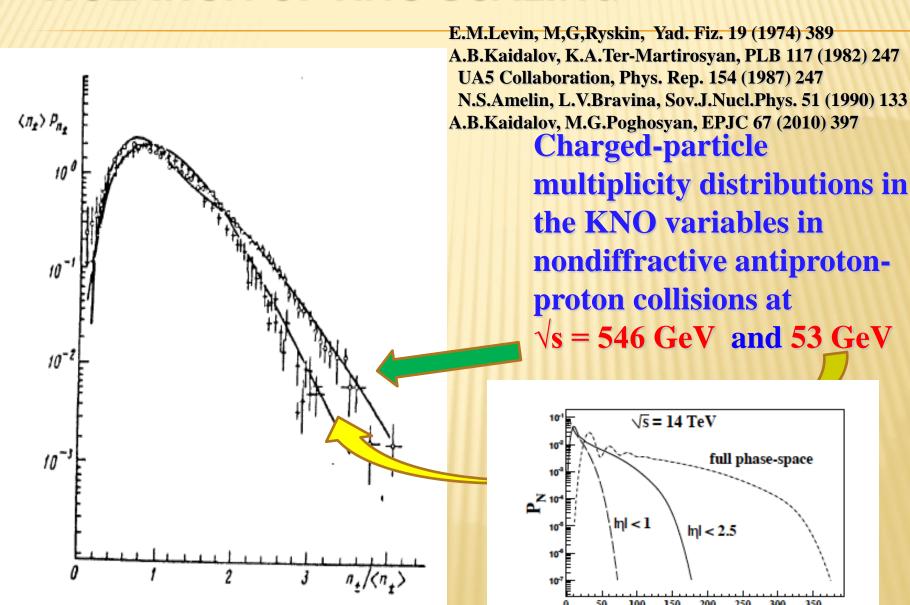
Inclusive density

$$n_i = f_i / \sigma_{inel} = \phi(y_1 - y_i, p_{iT}^2)$$

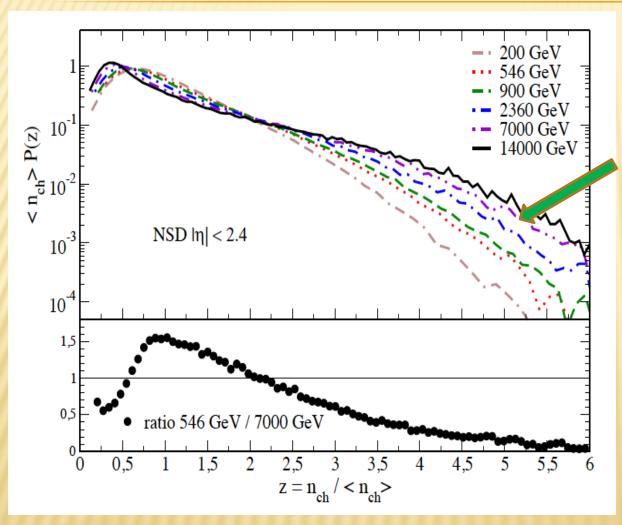


In string models both FS and ELS holds in the fragmentation regions

VIOLATION OF KNO SCALING



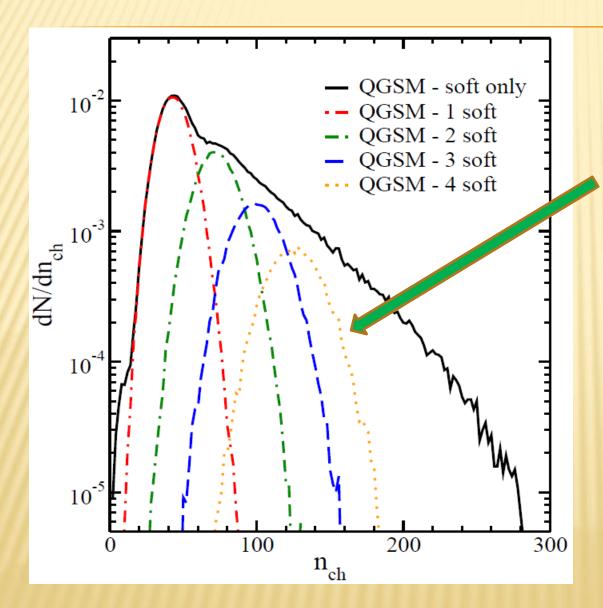
VIOLATION OF KNO SCALING AT LHC



High-multiplicity tail is pushed up, whereas maximum of the distribution is shifted towards small values of z

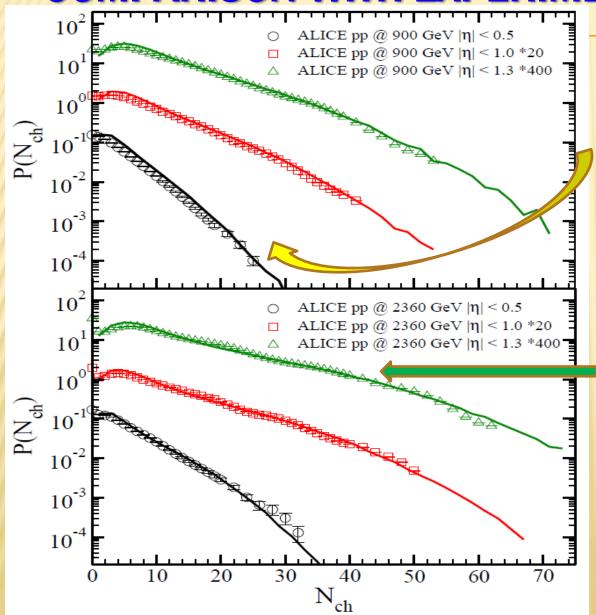
Enhancement of high multiplicities

VIOLATION OF KNO SCALING AT LHC



At energies below 100 GeV different contributions overlap strongly, whereas at higher energies — more multi-string processes

COMPARISON WITH EXPERIMENTAL DATA

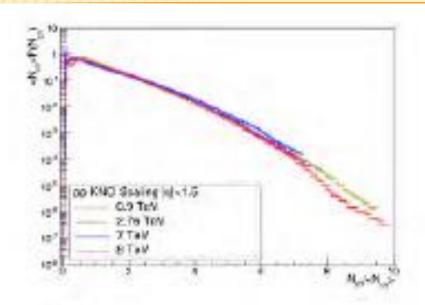


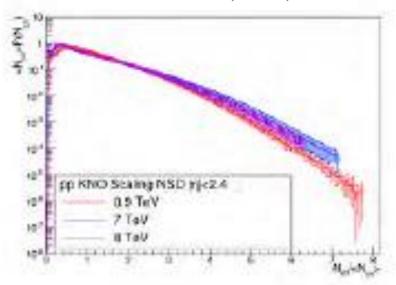
At midrapidity KNO scaling holds.

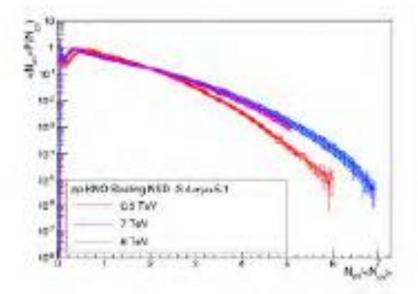
With the rise of the rapidity interval the high P_T tail of the distribution increases

COMPARISON WITH EXPERIMENTAL DATA

V. Zaccolo, NBI, PhD thsis





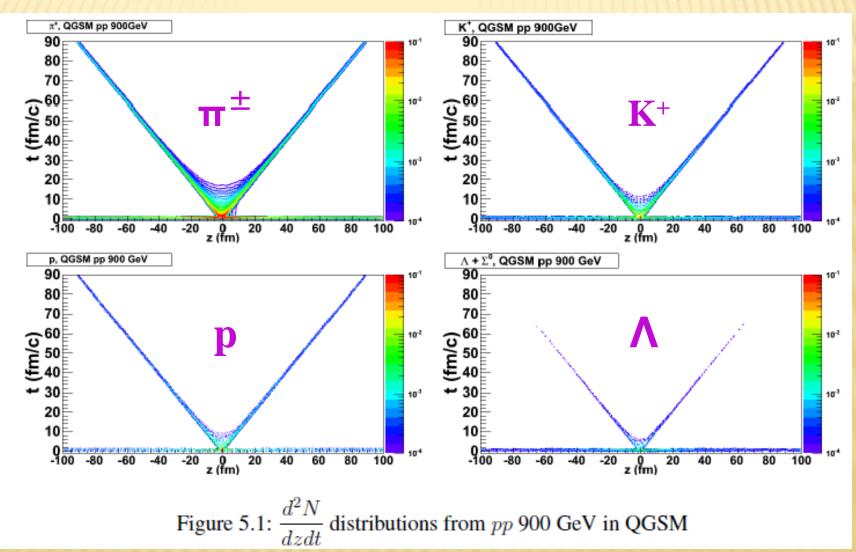


All distributions seem to have a unique crossing point.

No oscillations yet.

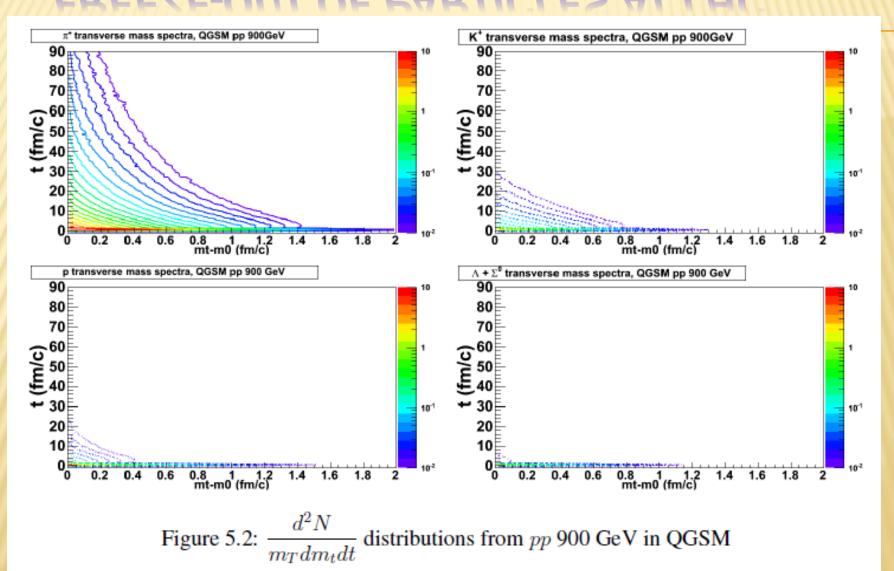
FREEZE-OUT OF PARTICLES AT LHC

M.S. Nilsson, UiO, PhD thesis



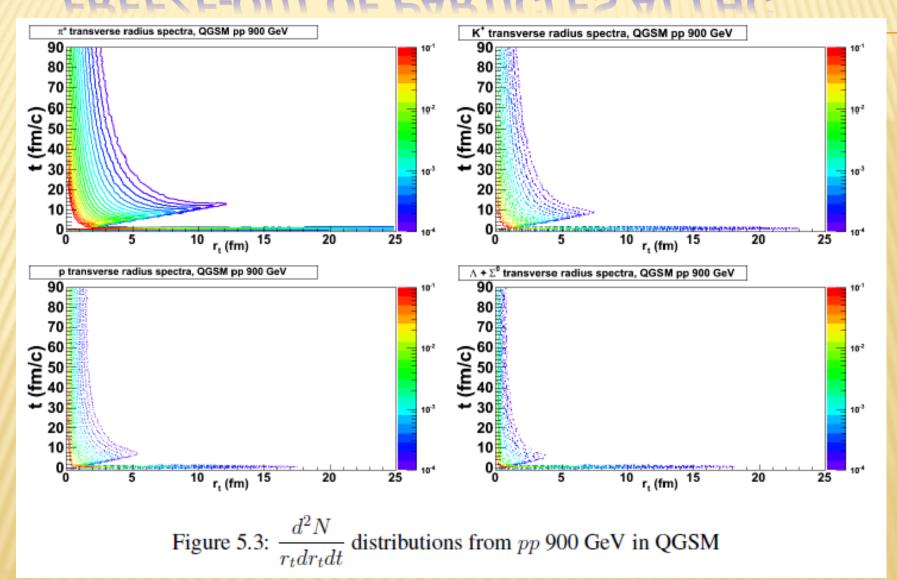
Mass hierarchy: heavier hadrons are frozen earlier

FREEZE-OUT OF PARTICLES AT LHC



Early freeze-out of heavy particles

FREEZE-OUT OF PARTICLES AT LHC



Second peak – because of short-lived resonances

SPACE-MOMENTUM CORRELATIONS

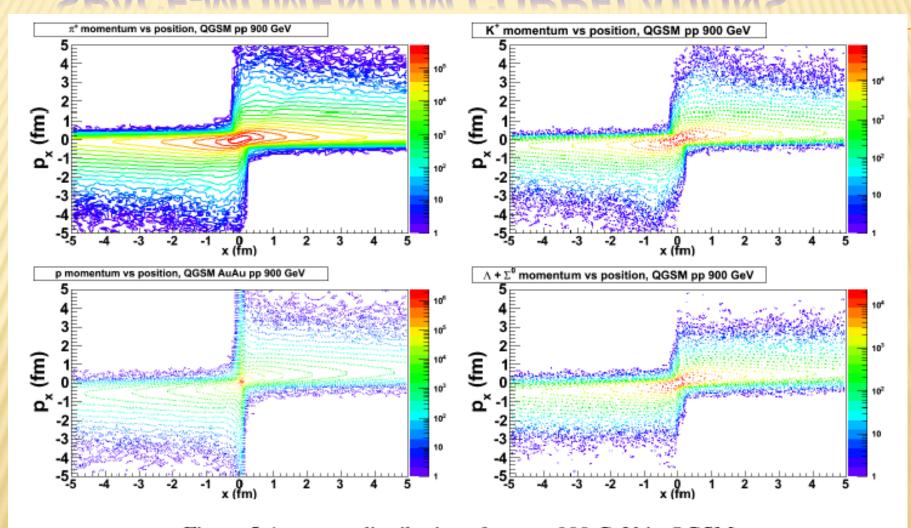
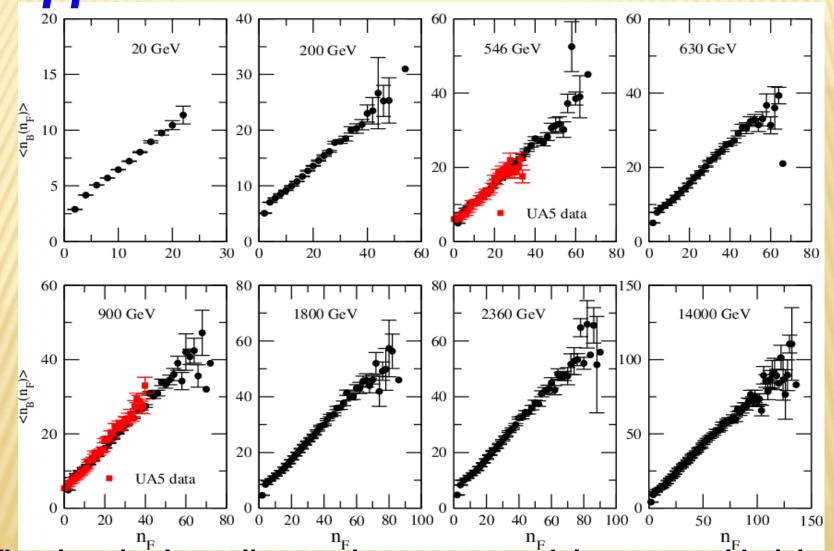


Figure 5.4: $p_x - x$ distributions from pp 900 GeV in QGSM

In hydrodynamics such correlations arise due to collective flow, in string models – due to dynamics of string fragmentation

Forward-backward mult. correlations pp @ 20 GeV to 14 TeV



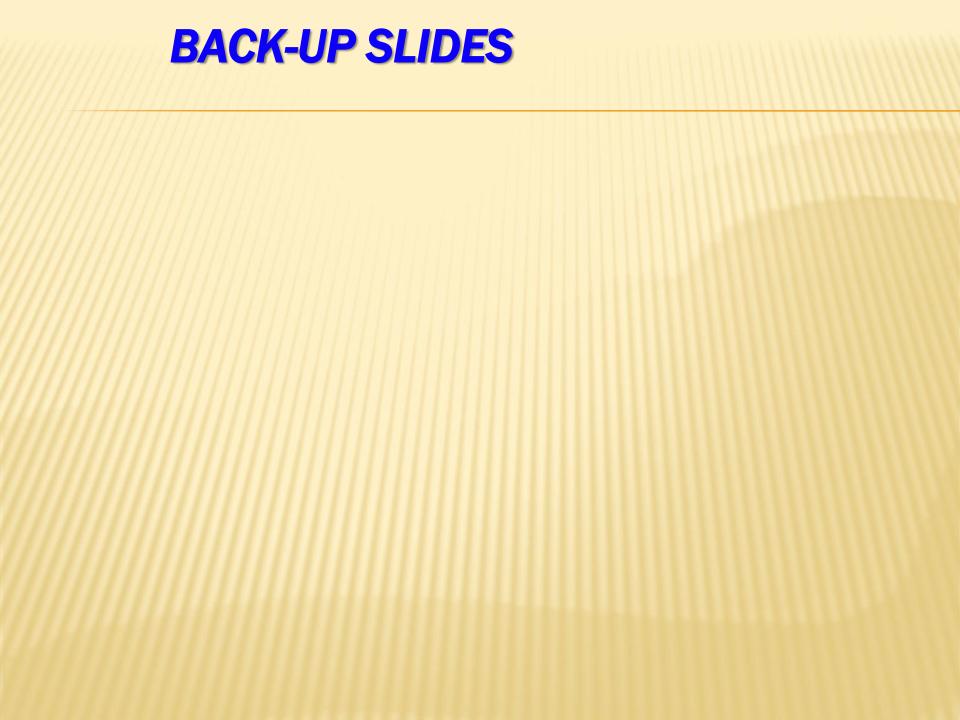
The slope is almost linear; slope parameter b increases with rising energy Why? – see talk by L. Bravina

Summary and perspectives

- Feynman scaling at midrapidity is not observed yet
- Extended longitudinal scaling holds
- It would be interesting to check the ELS for pp collisions within the statistical thermal-model
- KNO scaling is strongly violated at LHC

 The origin of the violation is traced to multi-string

 processes
- Long-range forward-backward correlations arise because of addition of different multi-chain diagrams with different average multiplicities



A.B.Kaidalov Predictions for LHC.

1.
$$G^{\text{(tot)}}$$
 103 mb $(G^{\text{(tot)}} \sim \ln^2 \frac{5}{S_0})$
2. $G^{\text{(el)}}$ 26 mb $(G^{\text{(sl)}} \sim \ln^2 \frac{5}{S_0})$
3. $B^{(0)}$ 21.5 GeV^{-2} $(B^{(0)} \sim \ln^2 \frac{5}{S_0})$
4. $P = \frac{ReT(0)}{JmT(0)}$ 0.11
5. G_{SD} 12÷13 mb $(G_{SD} \sim G_{DD} \sim \ln \frac{5}{S_0})$
6. G_{DD} 11÷13 mb
 $G^{\text{(el)}} + G_{SD} + G_{DD} = 51 \text{ mb} \approx \frac{1}{2} G^{\text{(tot)}}$

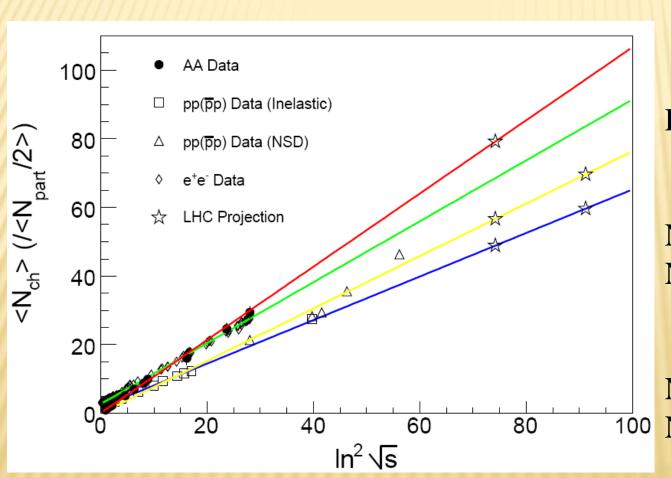
A.B.Kaidalov Predictions for LHC.

- 9. Structures in on
- 10. Strong long-range (iny) correlations
- 11. Large amount of minijets.

MOTIVATION:

SCALING BEHAVIOR

W. Busza, JPG 35 (2008) 044040





Predictions for LHC

inelastic pp:

$$N_{ch}=60 \pm 10 (14 \text{TeV})$$

$$N_{ch}=49 \pm 8 (5.5 \text{TeV})$$

NSD pp:

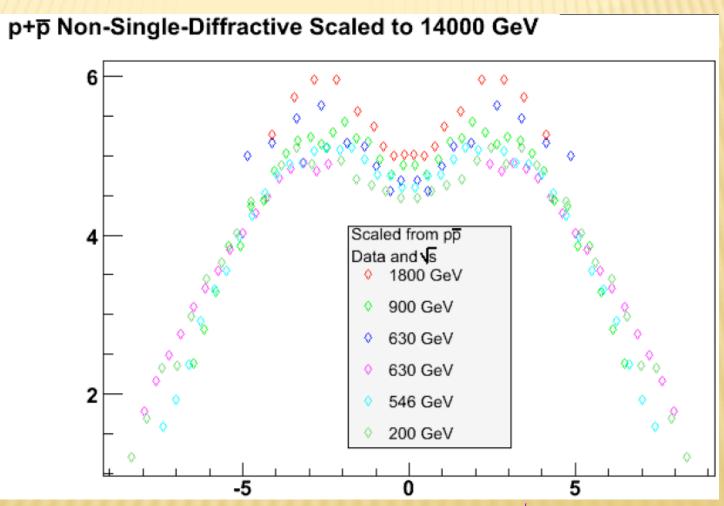
$$N_{ch}=70 \pm 8 (14 \text{ TeV})$$

100
$$N_{ch}=57 \pm 7 (5.5 \text{TeV})$$

Energy dependence of particle multiplicities

MOTIVATION: EXPERIMENTAL RESULTS

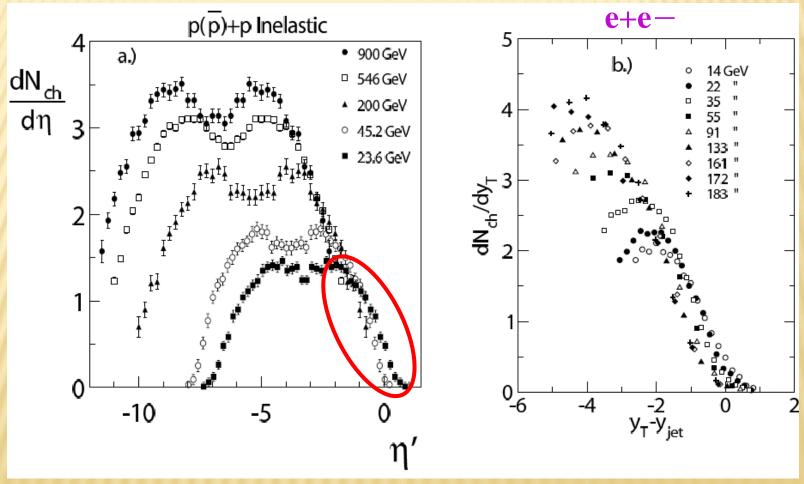
W. Busza, JPG 35 (2008) 044040



Extrapolation of NSD pp data to LHC using $\ln \sqrt{s}$ scaling of the width and height of the distribution

MOTIVATION: EXPERIMENTAL RESULTS

Extended longitudinal scaling W. Busza, JPG 35 (2008) 044040



Example of extended longitudinal scaling in different reactions

QUARK-GLUON STRING MODEL

Soft and hard eikonals

$$u(s,b) = u_{soft}(s,b) + u_{hard}(s,b)$$

$$\sigma_{inel}(s) = 2\pi \int_{0}^{\infty} \left\{ 1 - \exp\left[-2u^{R}(s, b)\right] \right\} bdb.$$

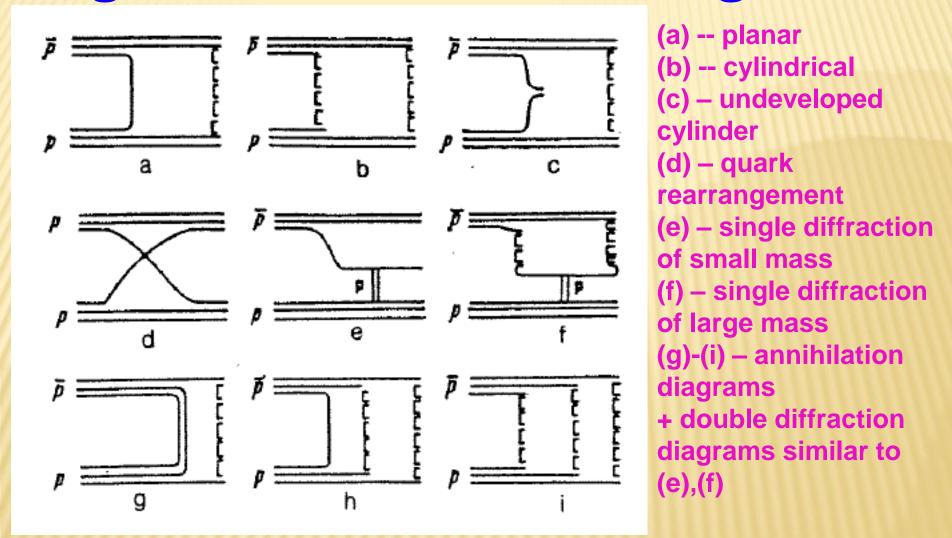
$$\sigma_{\text{inel}}(s) = \sum_{i,j=0; i+j\geq 1} \sigma_{ij}(s),$$

AGK cutting rules

$$\sigma_{ij}(s) = 2\pi \int_0^\infty bdb \exp\left[-2u^R(s,b)\right] \times \frac{\left[2u_{\text{soft}}^R(s,b)\right]^i}{i!} \frac{\left[2u_{\text{hard}}^R(s,b)\right]^j}{j!}.$$

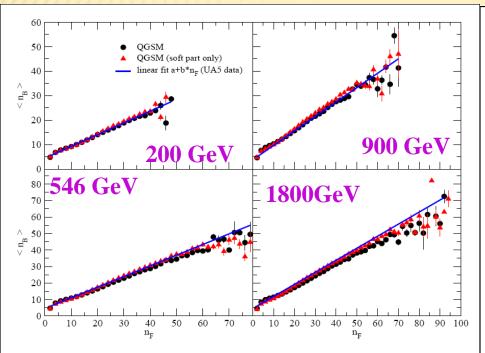
number of cut soft and hard
Pomerons => number of
quark-gluon strings

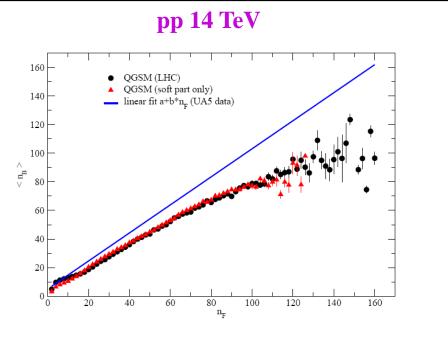
Diagrams at intermediate energies



Because of the different sets of diagrams for pp and anti-pp collisions (particularly, annihilation) there should be a difference in FB multiplicity correlations for these two reactions.

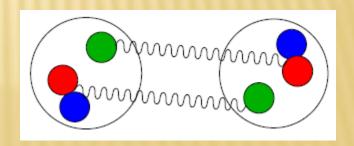
FORWARD-BACKWARD MULTIPLICITY CORRELATIONS



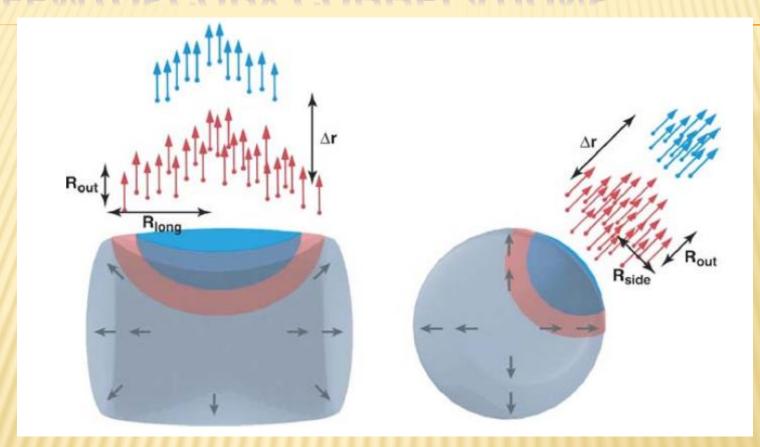


<n_B(n_F)> = a+bn_F is linear with increase of the slope b with energy due to

- 1) Multi-chain diagrams
- 2) Color exchange type of string excitation



FEMTOSCOPY CORRELATIONS



$$CF(q) = 1 + \lambda \exp(-R_{out}^2 q_{out}^2 - R_{side}^2 q_{side}^2 - R_{long}^2 q_{long}^2)$$

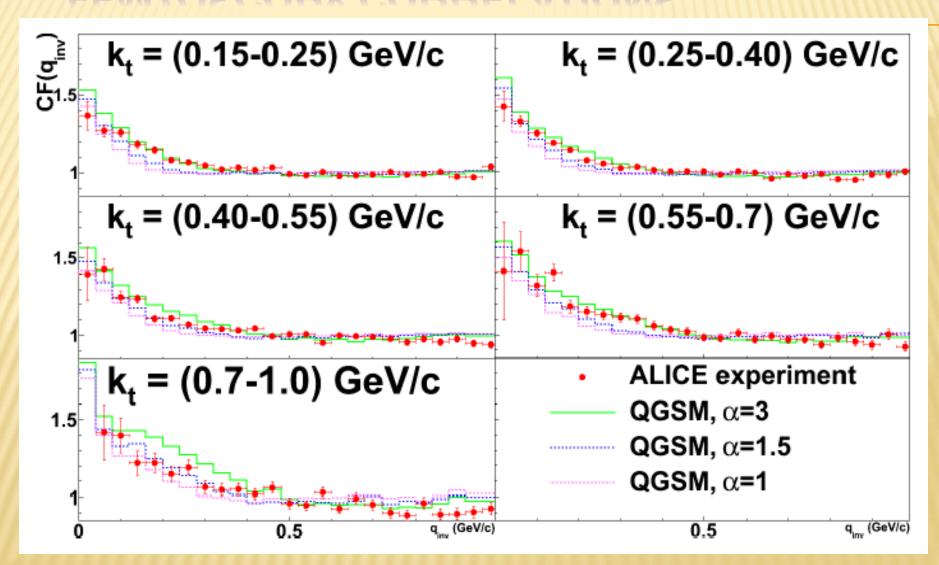
$$CF(q_{inv}) = 1 + \lambda \exp(-R_{inv}^2 q_{inv}^2)$$

$$P_1(p_i) = E_i \frac{dN_i}{d^3 p_i}$$

$$P_2(p_1, p_2) = E_1 E_2 \frac{dN_{12}}{d^3 p_1 d^3 p_2}$$

$$CF(p_1, p_2) = \frac{dN_{12}/(d^3p_1d^3p_2)}{(dN_1/d^3p_1)(dN_2/d^3p_2)}$$

FEMTOSCOPY CORRELATIONS



FEMTOSCOPY CORRELATIONS

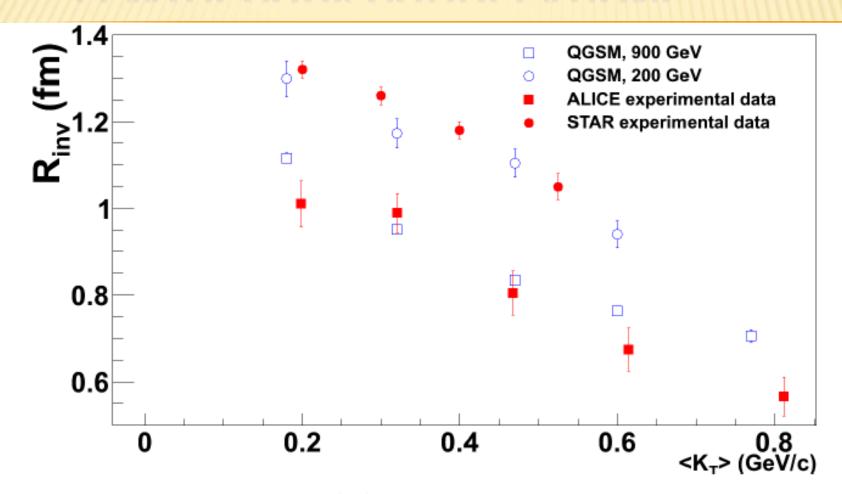


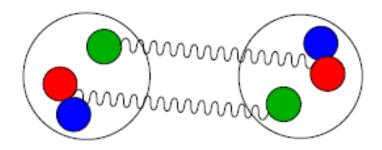
Figure 5.10: One-dimensional $\pi^+\pi^+$ correlation radii as functions of K_T in pp-collisions at $\sqrt{s} = 200~GeV$ and $\sqrt{s} = 900~GeV$, compared with STAR [67] and ALICE [71] experimental data. Both model results and experimental data are obtained from a fit using a flat baseline.

QUARK-GLUON STRING MODEL

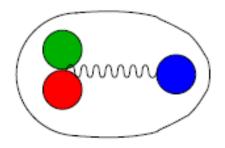
two different mechanisms:

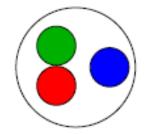
- excitation due to exchange of pomerons (color exchange)
- transverse strings

- excitation due to tranfer of momentum to a single parton
- longitudinal string



n cut pomerons give 2n strings

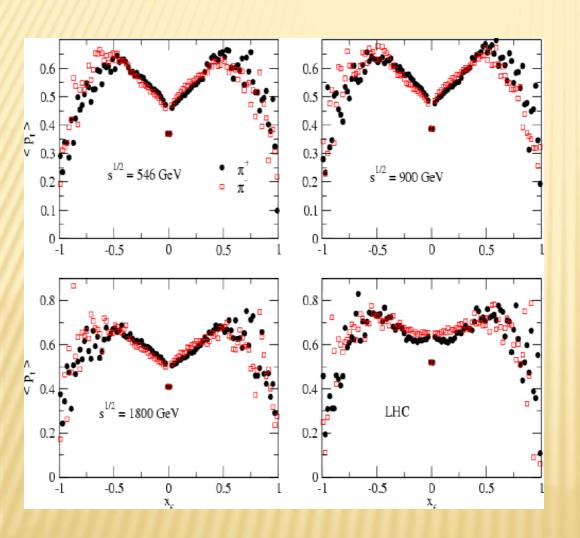


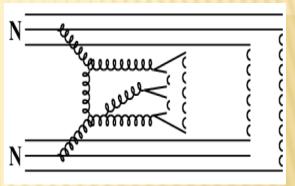


 purely phenomenological process

Excitation of color neutral strings

STRONG SEA-GULL EFFECT <PT(XF)>





Sea-gull effect becomes more pronounced with energy

