Theory overview of Higgs physics

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The Lagrangian of Nature?

 With the discovery of a scalar particle having properties consistent with the SM Higgs boson, the Lagrangian of Nature appears complete.

$$\mathcal{L}_h^{SM} = |D_\mu H|^2 - \left(y_u \bar{Q}_L \tilde{H} u_R + y_d \bar{Q}_L H d_R + y_e \bar{L}_L H e_R + h.c.\right) - \lambda \left(H^\dagger H - \frac{v^2}{2}\right)^2$$

• The SM is *predictive*: given m_H, all couplings of the Higgs are now fixed.

$$m_H = 125.09 \pm 0.21 \text{ (stat.)} \pm 0.11 \text{ (scale)} \pm 0.02 \text{ (other)} \pm 0.01 \text{ (theory)} \text{ GeV,}$$
(ATLAS+CMS, I503.07589, fit to 4I+2 γ)

$$g_{hf^if^j} = -\frac{gm_f}{2m_W} \delta^{ij}$$

Tree-level couplings:

$$g_{hVV} = g_V m_V$$
$$g_{hhh} = -\frac{3m_H^2}{2m_W}$$



Failures of the Standard Model I

 Numerous outstanding problems exist in the SM, both aesthetic and experimental, that demand explanation.

No hierarchy between input, "bare" value and quantum corrections \$\rightarrow\$ Naturalness

- True for the fermions

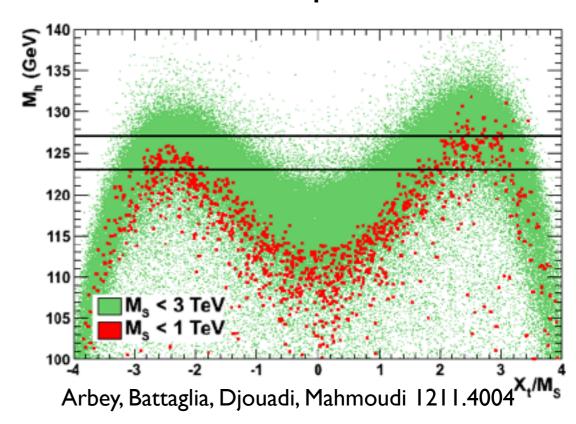
 □ chiral symmetry
- Not true for the Higgs!

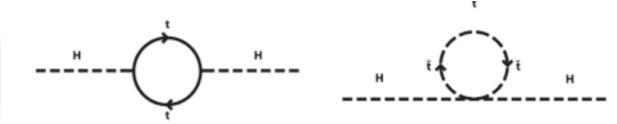
$$M^{gauge,ferm} \sim M^{bare} \{ 1 + a \ln \Lambda/M \}$$

 $(M^{Higgs})^2 \sim (M^{bare})^2 + \Lambda^2$

Precision Higgs mass measurement influencing our search for TeV-scale SUSY

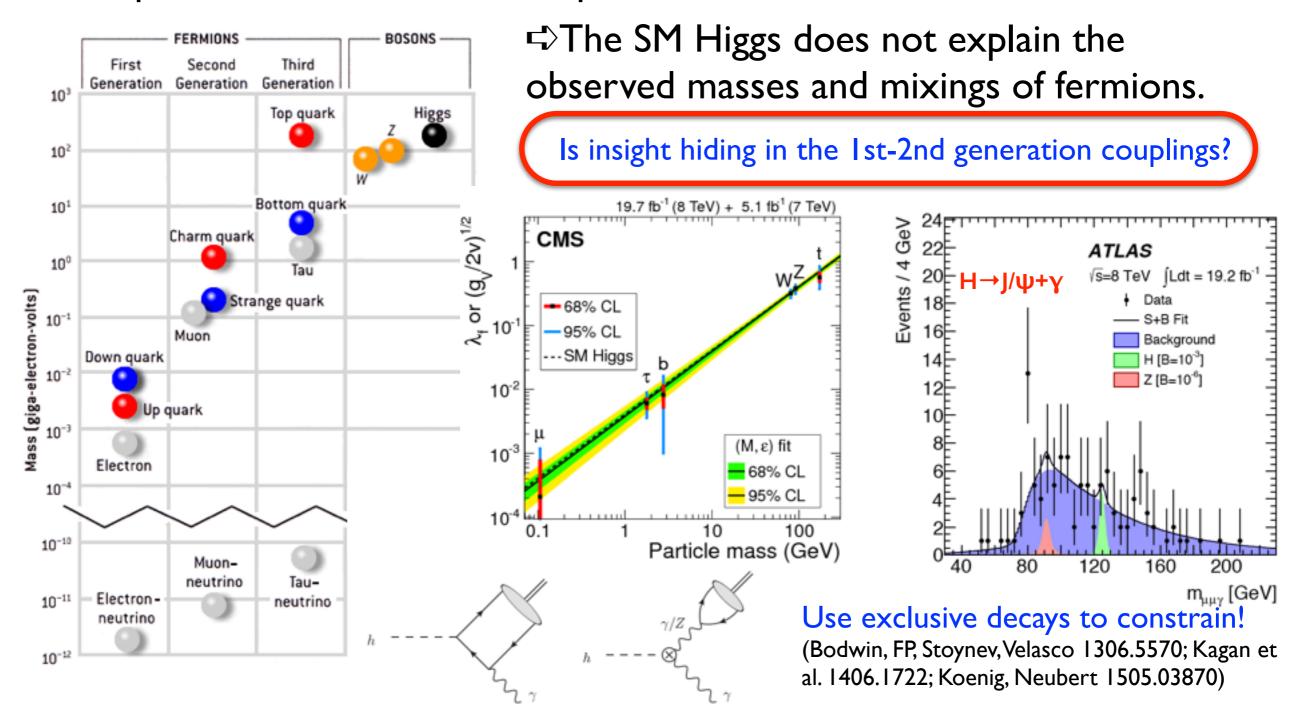
Does TeV-scale SUSY resolve this problem?





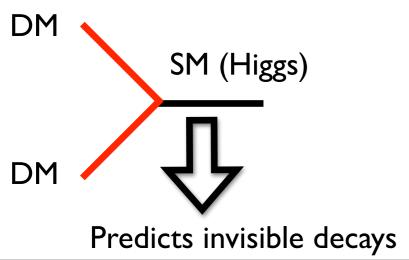
Failures of the Standard Model II

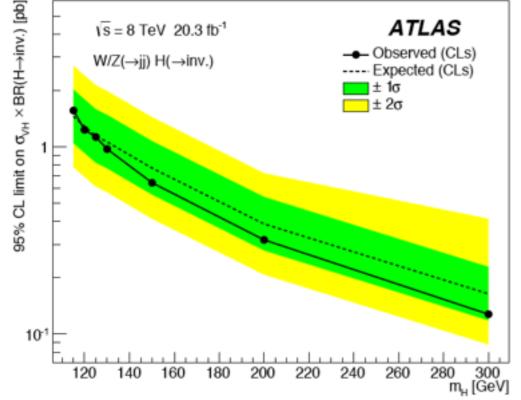
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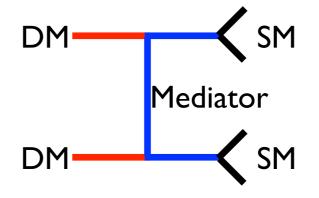


Failures of the Standard Model III

 Doesn't have dark matter! Assuming non-gravitational DM couplings, can imagine two possible scenarios for DM coupling to the SM.







Only three renormalizable possibilities, two involving the Higgs:

Schabinger, Wells hep-ph/0509209; Patt, Wilczek hep-ph/0605188

$$\Delta \mathcal{L}_1 = |H|^2 S^2$$

$$\Delta \mathcal{L}_2 = \frac{H}{L}N + h.c.$$

$$\Delta \mathcal{L}_3 = F'_{\mu\nu} B^{\mu\nu}$$

Hidden-sector dark matter leads to rich Higgs phenomenology (surveyed in Curtin et al, 1312.4992)

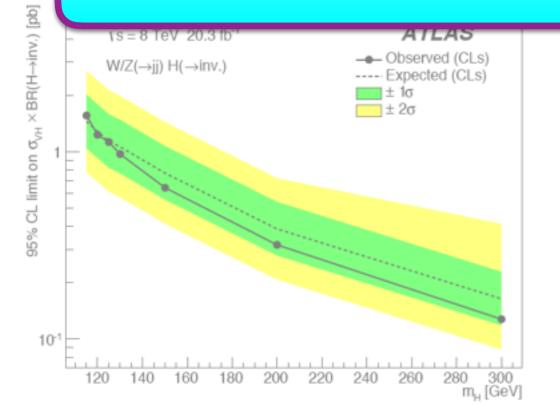
$$- \frac{h}{-} - \frac{1}{|\mathcal{S}|^2} - \frac{h}{-} - \frac{1}{|\mathcal{S}|^2} - \frac{h}{-} - \frac{1}{|\mathcal{S}|^2} - \frac{h}{-} - \frac{1}{|\mathcal{S}|^2} - \frac{h}{|\mathcal{S}|^2} - \frac{h}{-} - \frac{1}{|\mathcal{S}|^2} - \frac{h}{|\mathcal{S}|^2} - \frac{h$$

Failures of the Standard Model III

• Doesn't have dark matter! Assuming non-gravitational DM couplings, can imagine two possible scenarios for DM coupling to the SM.

Understanding the properties of the Higgs is central to forming a new, more satisfactory Standard Model. To proceed:

- Measure the expected very precisely (m_H, couplings, CP, distributions,...)
- Leave no stone unturned (exotic decays, 1st+2nd generations,...)

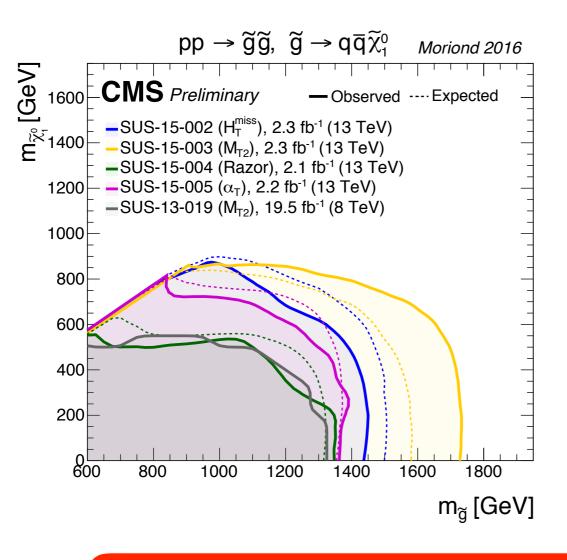


$$\Delta \mathcal{L}_3 = F'_{\mu\nu} B^{\mu\nu}$$

Hidden-sector dark matter leads to rich Higgs phenomenology (surveyed in Curtin et al, 1312.4992)

Framework for Run II Higgs studies

• We haven't yet seen anything beyond the SM, although hints exist. The Higgs appears SM-like. Motivates interpretation of Run II results in EFT framework.

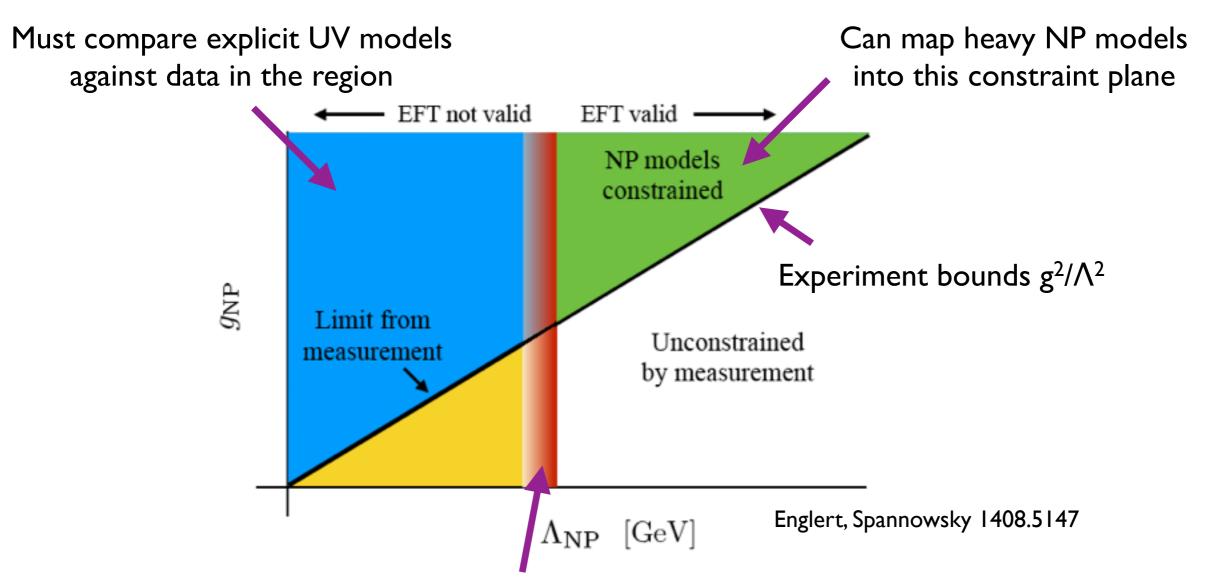


$$\mathcal{L} = \mathcal{L}^{SM} + \mathcal{L}^{UV}$$
 \longrightarrow $\mathcal{L} = \mathcal{L}^{SM} + \sum_i \frac{g_i^2}{\Lambda_{\mathrm{NP}}^2} \mathcal{O}_i$

EFTs for Higgs physics

- Complete N_F=1, baryon-number conserving D=6 EFT contains 59 operators; N_F=3 contains 2499 operators (Grzadkowski, Iskrzynski, Misiak, Rosiek 1008.4884); Alonso, Jenkins, Manohar, Trott 1312.2014). Various basis choices and simplifications have been discussed.
 - Warsaw basis (Grzadkowski, Iskrzynski, Misiak, Rosiek 1008.4884)
 - SILH basis (Giudice, Grojean, Pomarol, Rattazzi hep-ph/0703164; Contino, Ghezzi, Grojean, Muhlleitner, Spira 1303.3876)
 - Higgs basis (Gupta, Pomarol, Riva 1405.0181)
 - Chiral EW Lagrangian (Buchalla, Cata, Krause 1307.5017)
- Higher-order corrections in EFT important to disentangle new physics effects from RG-running (Englert, Spannowsky 1408.5147). Full NLO EFT calculations appearing (Hartmann, Trott 1507.03568)
- Can investigate EFT validity in toy models (Contino, Falkowski, Goertz, Grojean, Riva 1604.06444)

Sketch of an EFT analysis



Measure maximum energy scale that goes into measurement to set lower limit on EFT region of validity

Sketch of an EFT analysis

Must compare explicit UV models

against data in the region

into this constraint plane

Measurement



EFT

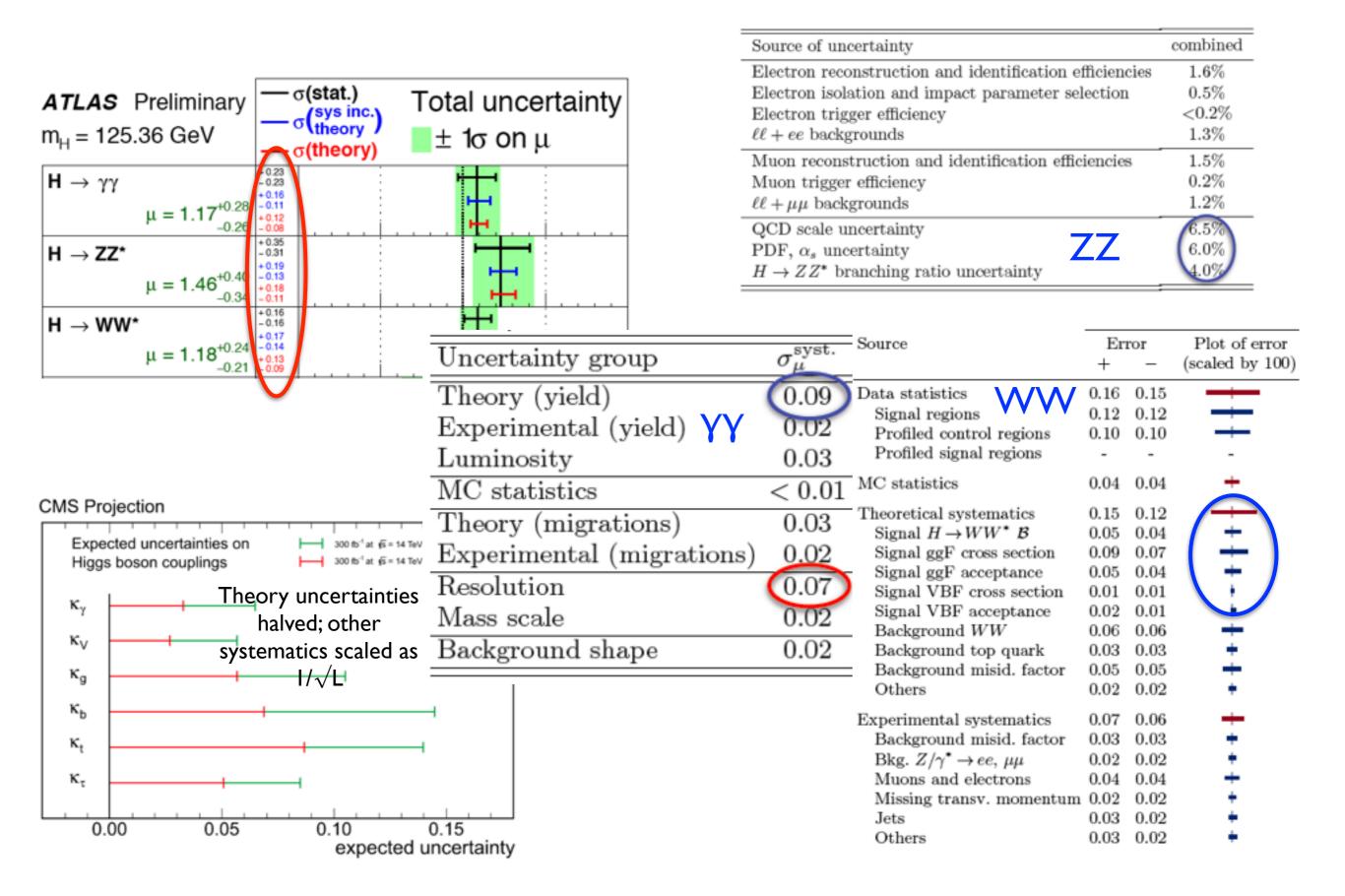
Several bridges between experiment and EFT interpretation have been proposed to simplify analyses:

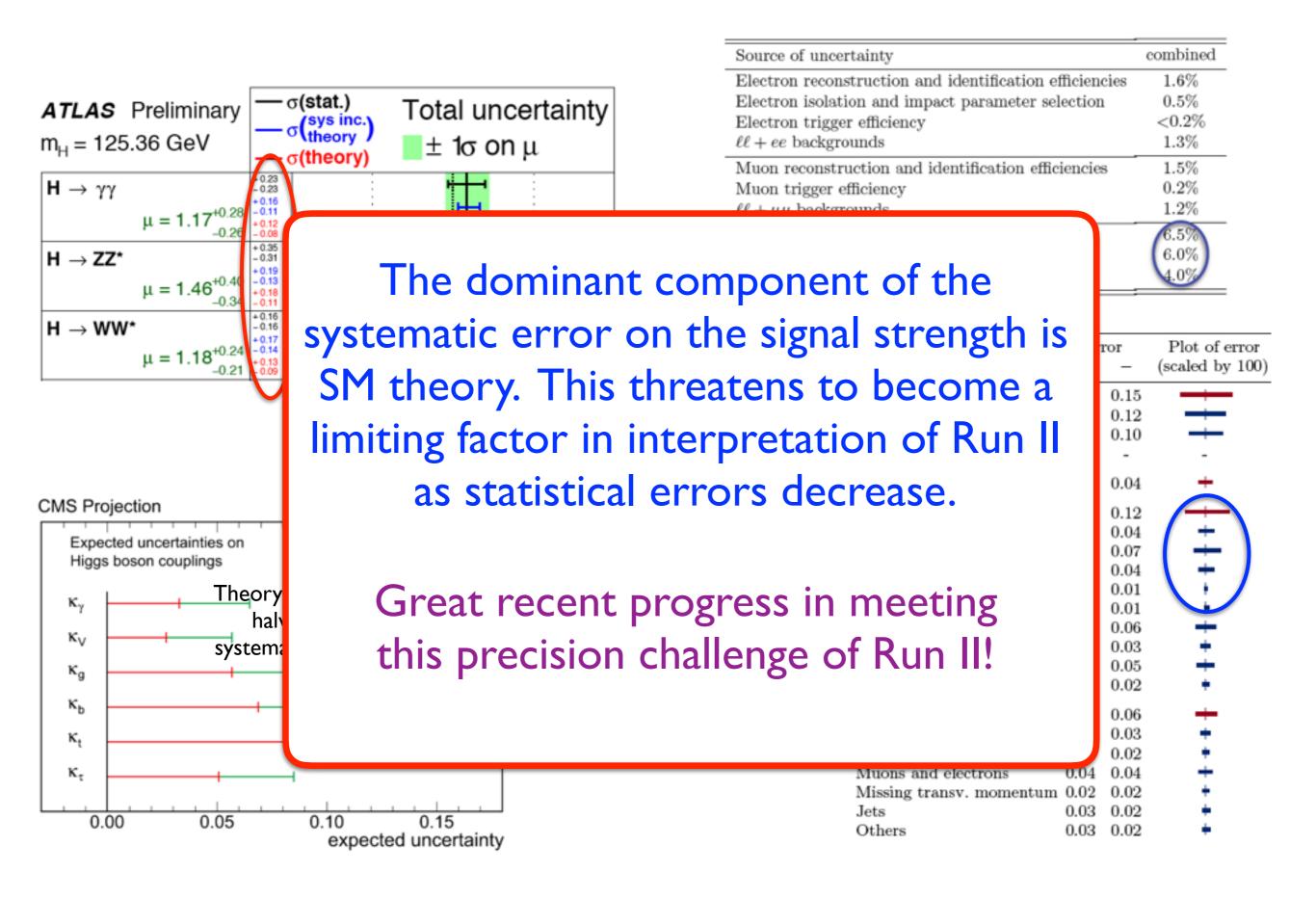
• Pseudo-observables (Gonzalez-Alonso, Greljo, Isidori, Marzocca 1412.6038; Ghezzi, Gomez-Ambrosio, Passarino, Uccirati 1505.03706)

ANP GeV

 Template cross sections (Duehrssen-Debling, Francavilla, Tackmann, Tackmann LHCHXSWG-2016-006)

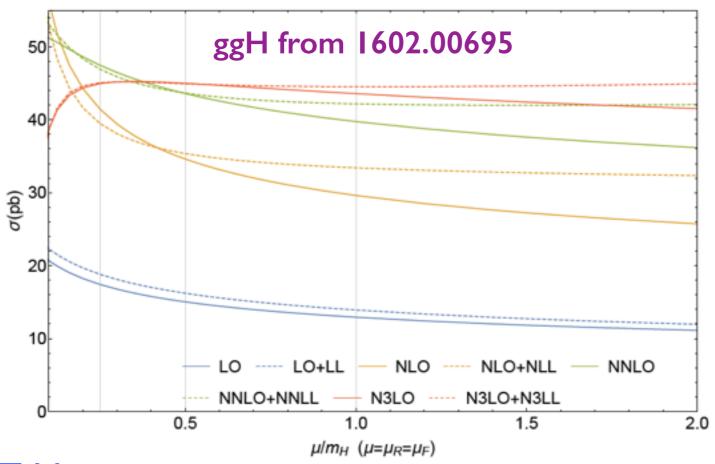
Measure maximum energy scale that goes into measurement to set lower limit on EFT region of validity





Higgs production in gluon-fusion and VBF

- Inclusive gluon-fusion Higgs production known at N³LO! Important part of all coupling analyses (Anastasiou, Duhr, Dulat, Furlan, Gehrmann, Herzog, Lazopoulos, Mistlberger 1602.00695)
- VBF production known at N²LO differentially, and N³LO inclusively (Cacciari, Dreyer, Karlberg, Salam, Zanderighi 1506.02660; Dreyer, Karlberg 1606.00840)



Approximate error budget (percentage of total error):

EW 3.7 αs 25.7 II.5

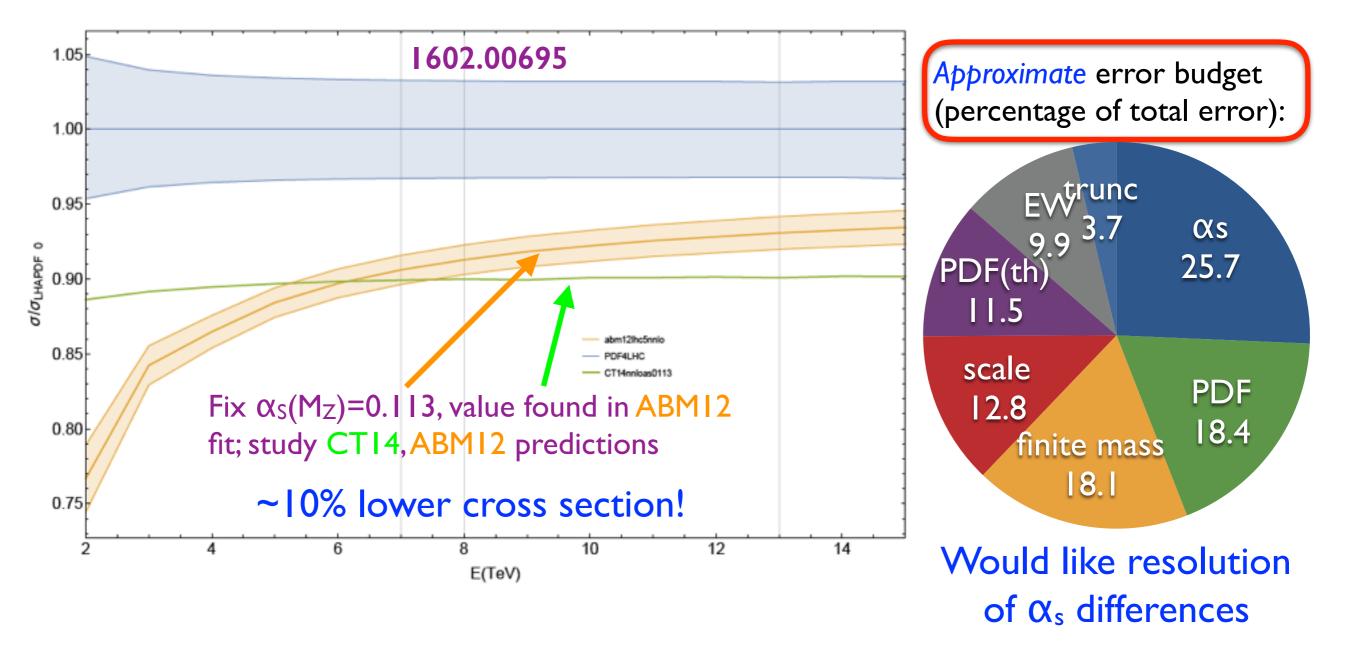
Scale 12.8 Finite mass 18.1

13 TeV:

$$\sigma = 48.58 \,\mathrm{pb}_{-3.27 \,\mathrm{pb} \,(-6.72\%)}^{+2.22 \,\mathrm{pb} \,(+4.56\%)} \,\,(\mathrm{theory}) \pm 1.56 \,\mathrm{pb} \,(3.20\%) \,\,(\mathrm{PDF} + \alpha_s) \,.$$

Higgs production in gluon-fusion and VBF

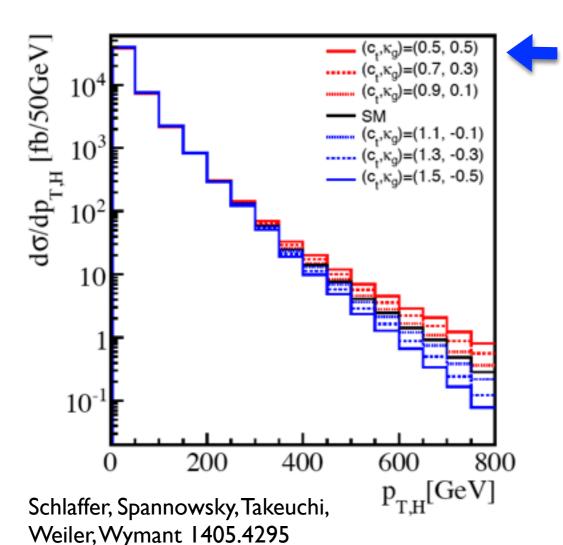
- This assumes PDF4LHC $\alpha_s(M_Z)$ recommendation: 0.1180±0.0015
- DIS fits prefer lower $\alpha_S(M_Z)$; LO ggH $\sim \alpha_S^2 \Rightarrow$ strong parametric dependence!



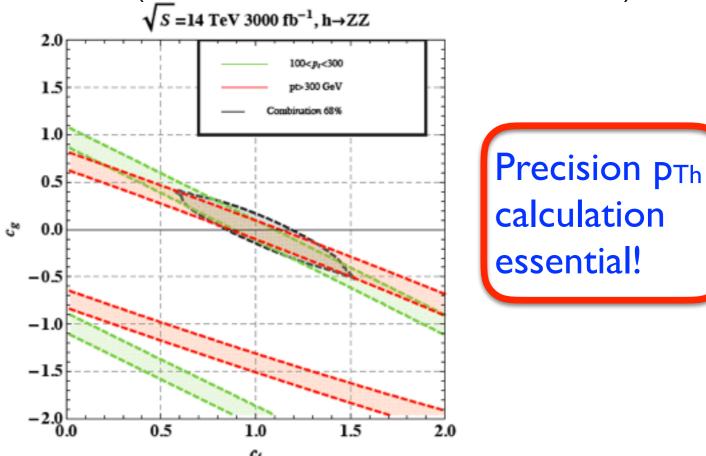
Higgs+jet production

• Question: how can we disentangle the ggh and tth couplings? Direct tth production, but also through Higgs p_T spectrum.

$$\Delta \mathcal{L} = -c_t \frac{m_t}{v} + \kappa_g \frac{\alpha_s}{12\pi} \frac{h}{v} G^a_{\mu\nu} G^{a,\mu\nu} \qquad \qquad \qquad \frac{\sigma(c_t, \kappa_g)}{\sigma_{\rm SM}} = (c_t + \kappa_g)^2$$



Inclusive production cannot distinguish these scenarios (must extend K framework for Run II!)



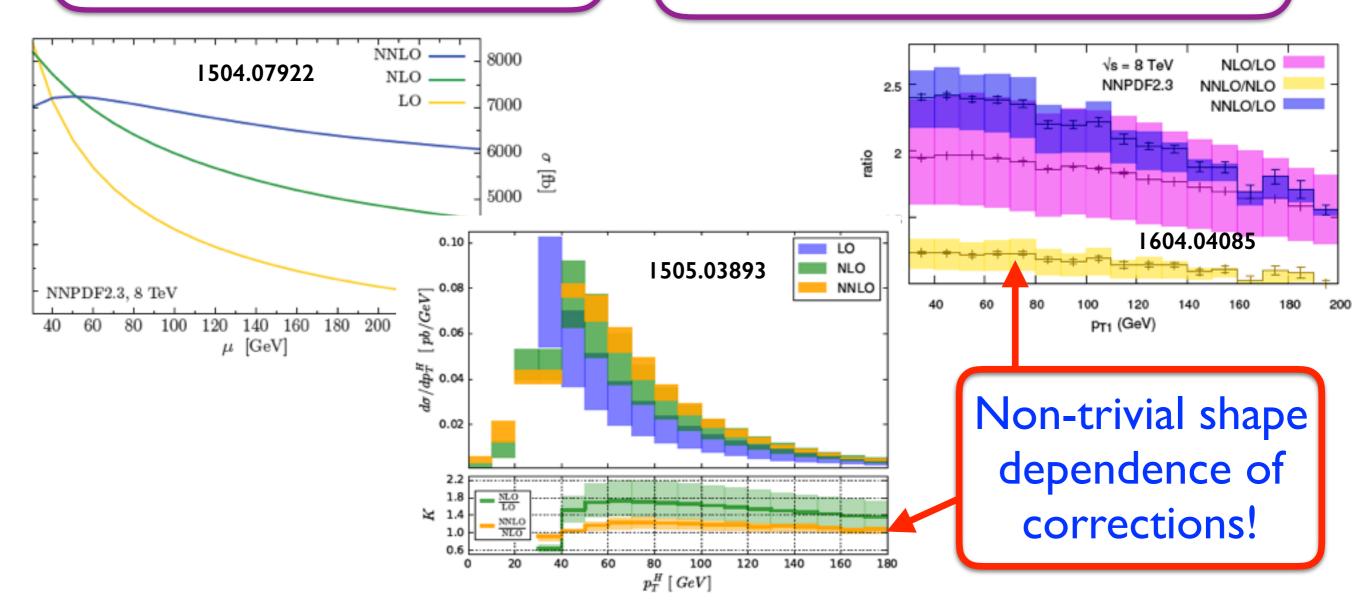
Azatov, Paul 1309.5273 (see also Grojean et al. 1312.3317)

Higgs+jet production

• Need precision theory improvements on two fronts:

Exact NLO m_t dependence for high p_{Th} (corrections to I/m_t suppressed operators known Harlander, Neumann, Ozeren 1206.0157; Dawson, Lewis, Zeng 1409.6299)

NNLO QCD corrections in heavy-m_t limit for low p_{Th}. Now known from three independent calculations! (Boughezal, Caola, Melnikov, FP, Schulze 1504.07922; Boughezal, Focke, Giele, Liu, FP 1505.03893; Chen, Gehrmann, Glover, Jaquier 1604.04085)

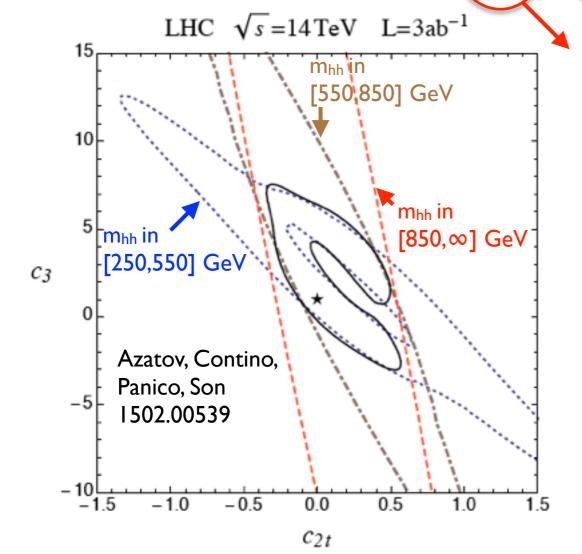


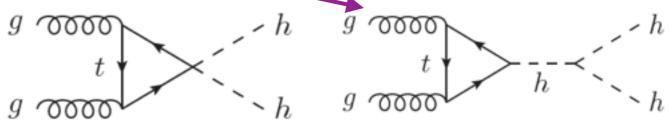
Di-Higgs production

• Question: Is the Higgs potential the one predicted in the SM,

which depends only on m_h?

$$\mathcal{L}_{non-lin} \supset -m_t \, \overline{t}t \left(c_t \frac{h}{v} + c_{2t} \frac{h^2}{v^2} \right) - c_3 \frac{m_h^2}{2v} \, h^3 + \frac{g_s^2}{4\pi^2} \left(c_g \frac{h}{v} + c_{2g} \frac{h^2}{2v^2} \right) G_{\mu\nu}^a G^{a\,\mu\nu}$$
 (These two c_i chosen for illustration)





 Critical to use m_{hh} to break degeneracies between couplings. First higher-order QCD corrections were in heavy-m_t approximation

Plehn, Spira, Zerwas (1996); Dawson, Dittmaier, Spira (1998); Grigo, Hoff, Melnikov, Steinhauser (2013); Maltoni, Vryonidou, Zaro (2014); Degrassi, Giardino, Groeber (2016)

Di-Higgs production

• Large corrections not captured by heavy-m_t approximation! In particular, a strong dependence of the NLO corrections on m_{hh} is missed in the approximation approach

