



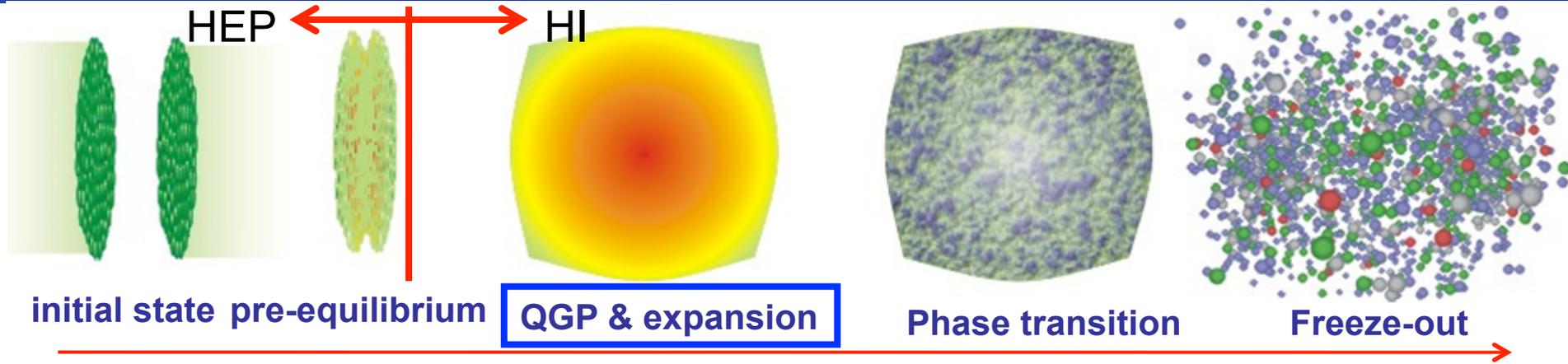
What do recent ATLAS measurements tell us about the dynamics and properties of quark-gluon plasma?

Jiangyong Jia for the ATLAS Collaboration

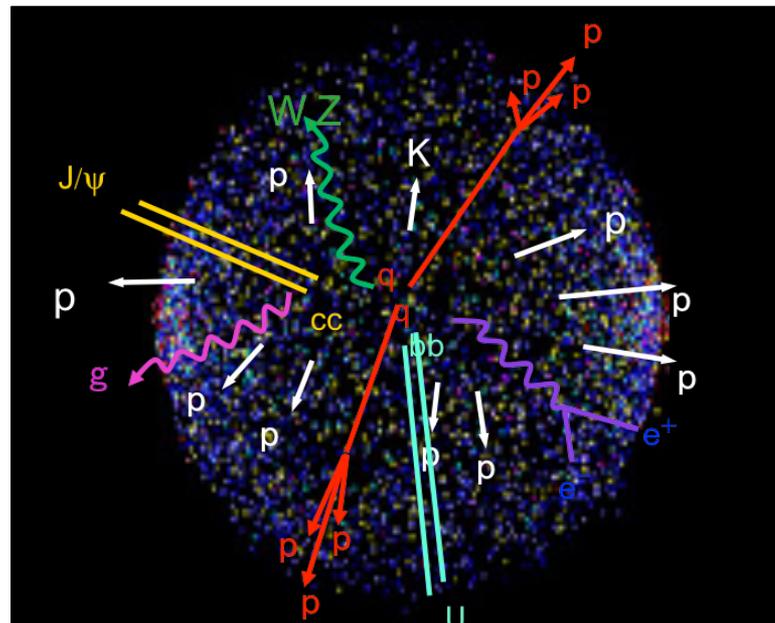
Stony Brook University & Brookhaven National Laboratory

Oct 13, 2015 CERN

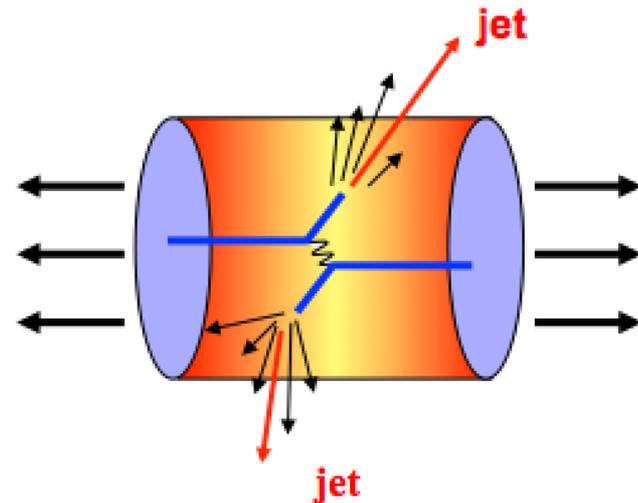
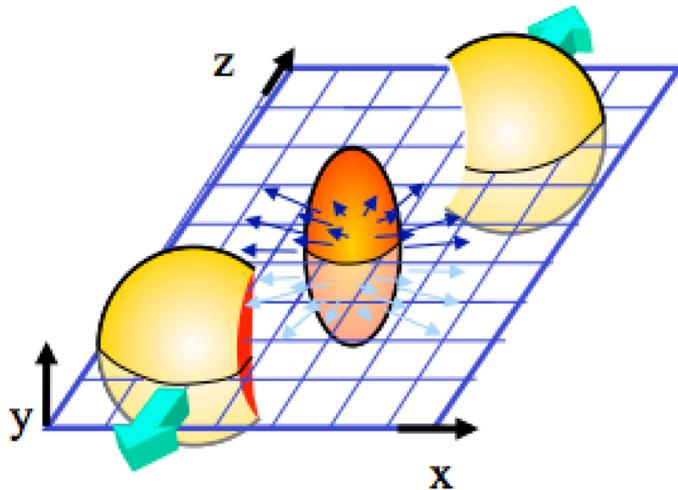
Space-time history of Pb+Pb collisions



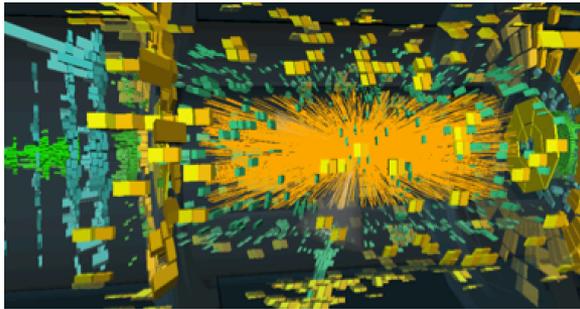
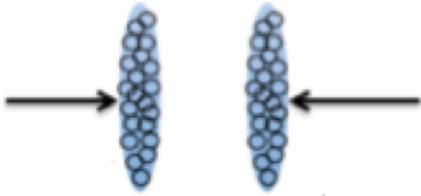
Space-time dynamics \longleftrightarrow QGP properties



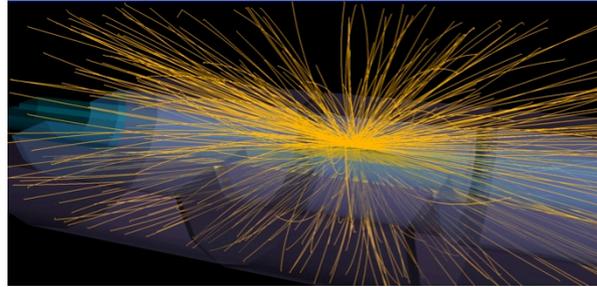
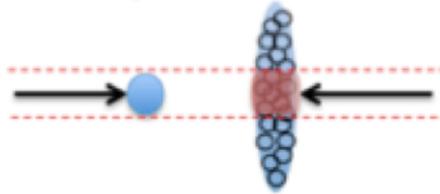
- Long-wavelength properties with bulk, soft particles
 - Space-time picture, thermalization mechanism, collective flow, hadronization
- Short-wavelength properties with hard probes
 - QGP structure and effective degrees-of-freedom at different length-scales



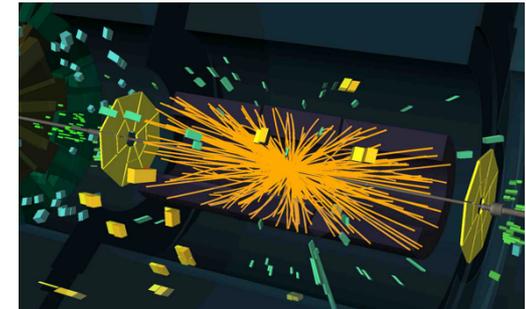
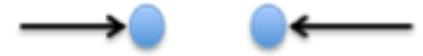
Importance of small collision systems



~30000 particles*



~1000 particles*

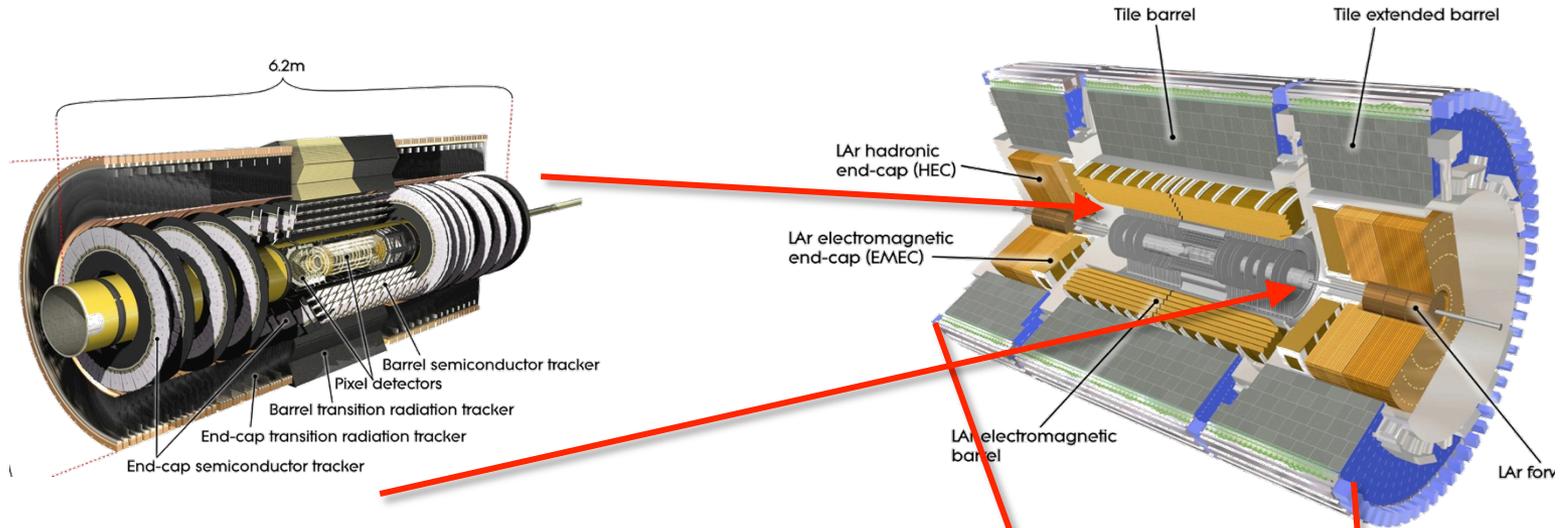


~few 100 particles*

- Switching off the QGP effects.
- Calibrate the initial conditions and rates of hard-probes

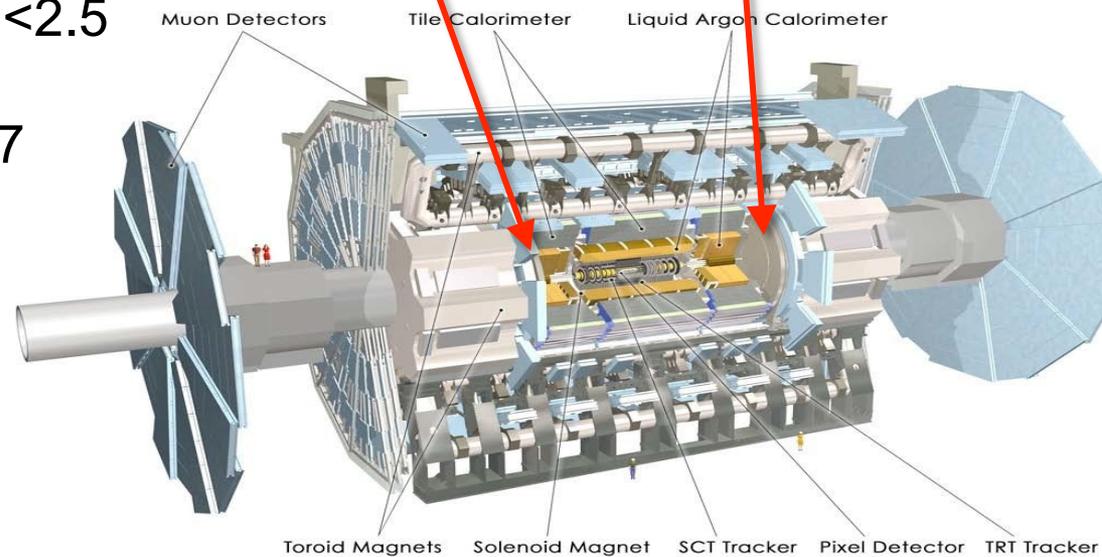
* Rough number in very high-multiplicity events, integrated over full phase space

ATLAS detector

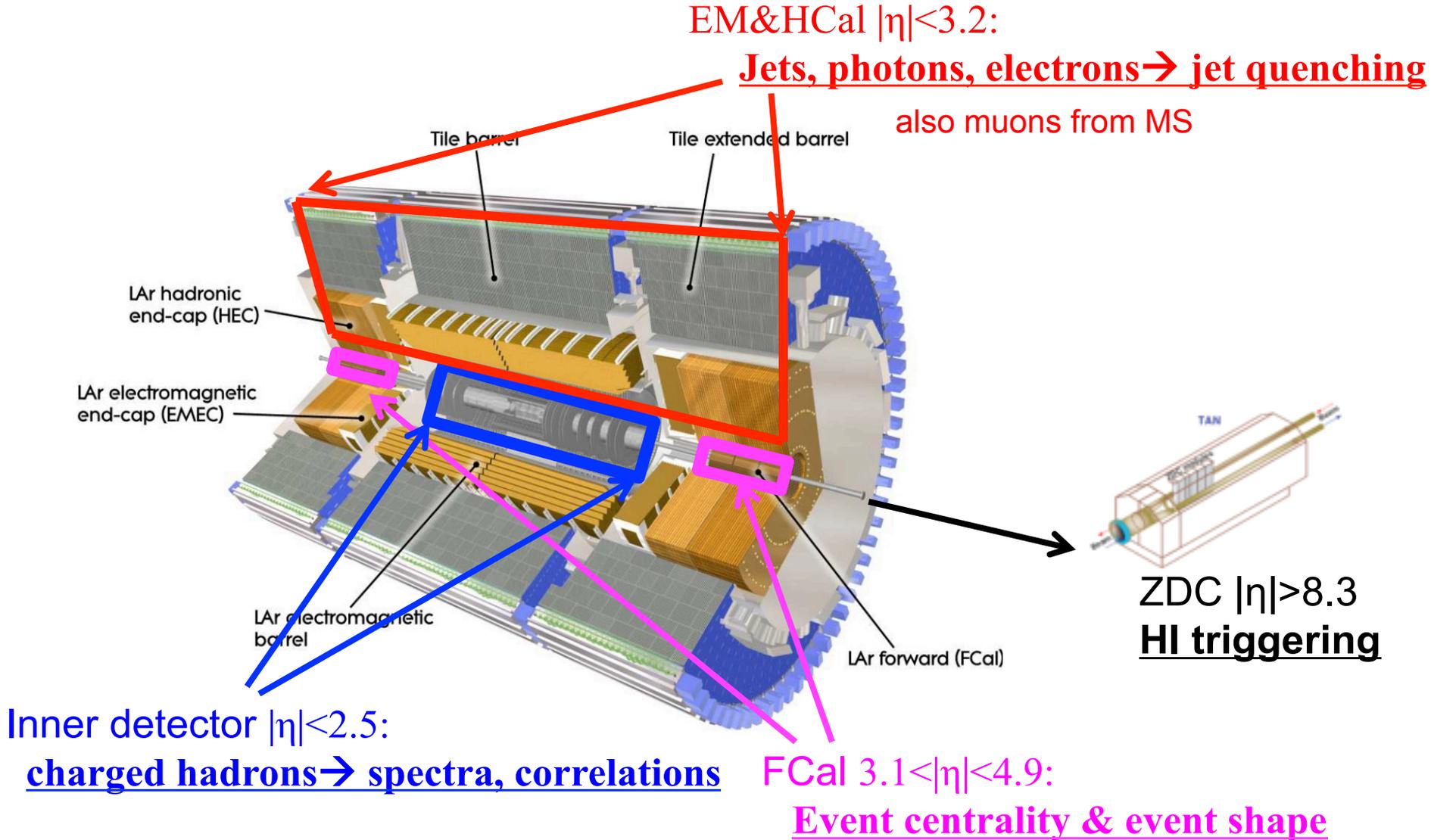


Three main subsystems

- Inner Detector – tracking $|\eta| < 2.5$
- Calorimetry – $|\eta| < 4.9$
- Muon Spectrometer - $|\eta| < 2.7$



ATLAS detector



Datasets collected in 2010-2015

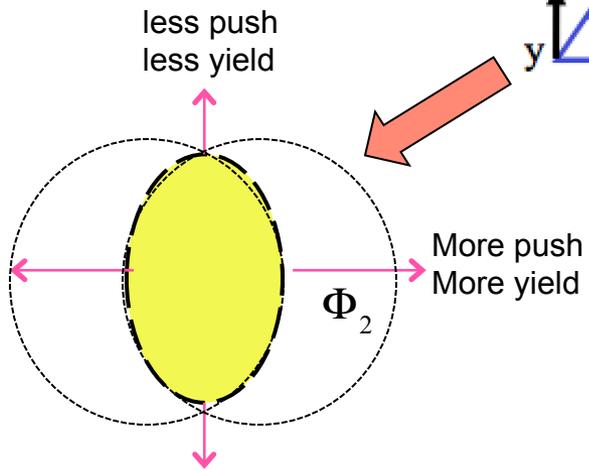
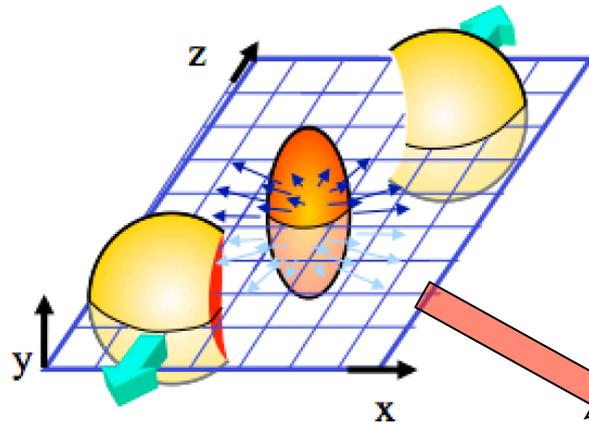
Pb+Pb	@	2.76	TeV, 2010 & 2011	160ub ⁻¹
p+Pb	@	5.02	TeV, 2013	28 nb ⁻¹
p+p	@	2.76,13	TeV, 2011,2013,2015	

Heavy-ion physics productivity: 27 papers & 44 conference notes

<https://twiki.cern.ch/twiki/bin/view/AtlasPublic/HeavyIonsPublicResults>

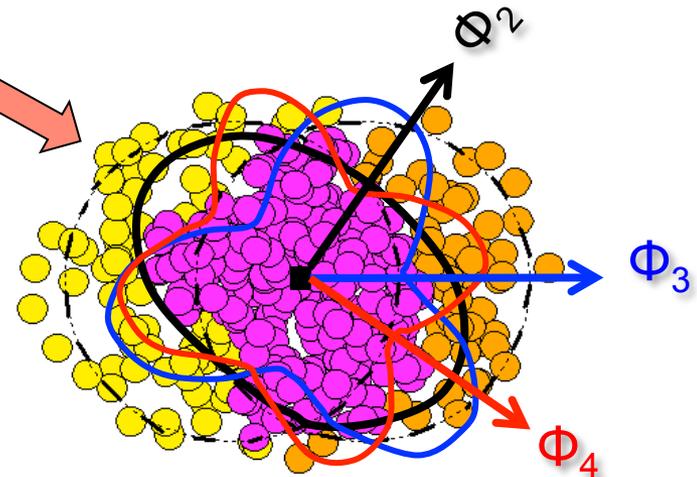
- What are the long-wavelength behaviors/properties of QGP?
- What are the short-wavelength behaviors/properties of QGP?
- Do we understand the initial conditions and rates of hard-probes prior to the formation of QGP?
- What is the smallest droplet of QGP created?

Long wave-length behavior: Collective flow



$$\frac{dN}{d\phi} \propto 1 + 2v_2 \cos 2(\phi - \Phi_2)$$

Elliptic flow



$$\frac{dN}{d\phi} \propto 1 + 2 \sum_n v_n \cos n(\phi - \Phi_n)$$

+directed flow, triangular flow+..

also measure via two-particle correlation.

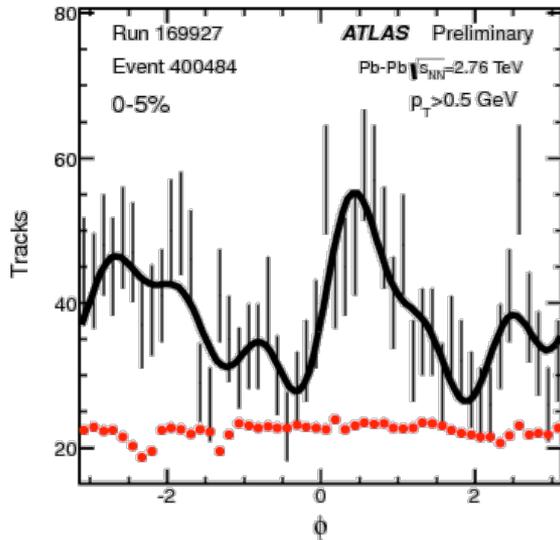
$$\frac{dN}{d\Delta\phi} = \left[\frac{dN}{d\phi_1} * \frac{dN}{d\phi_2} \right] \propto 1 + \sum_n 2v_n^a v_n^b \cos(n\Delta\phi)$$

Hydrodynamic fluid behavior

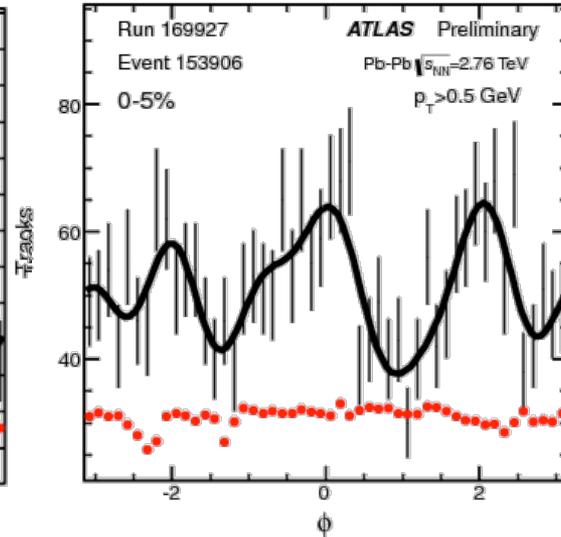
$$\frac{dN}{d\phi} \propto 1 + 2 \sum_n v_n \cos n(\phi - \Phi_n)$$



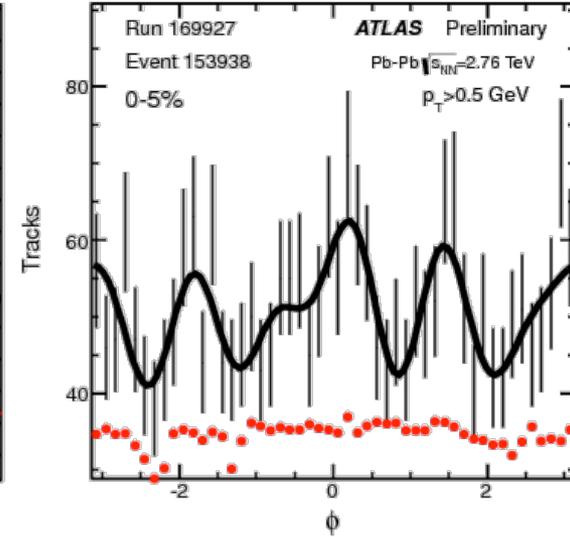
Event 1



Event 2



Event 3

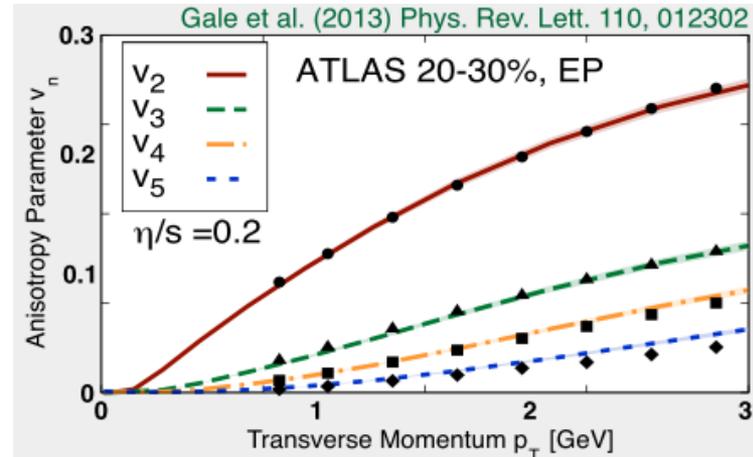
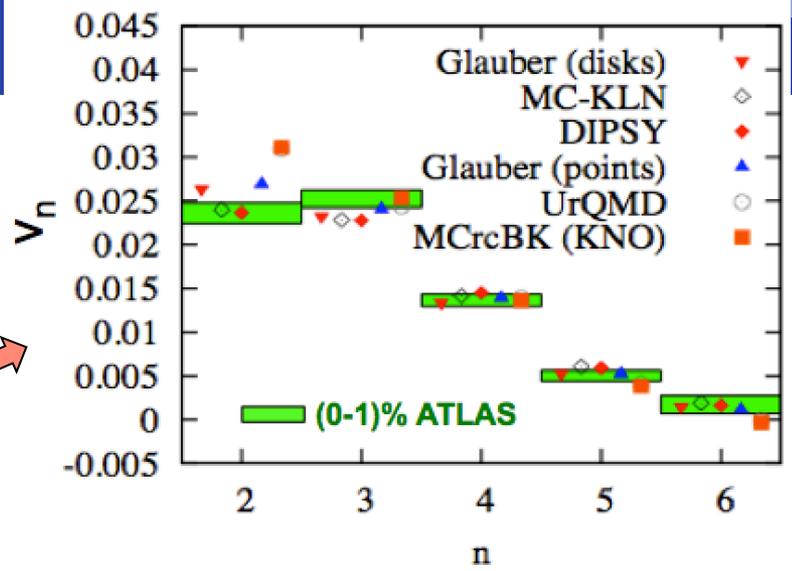
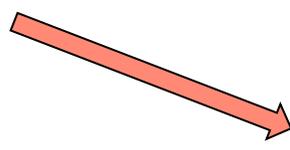
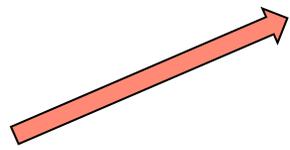
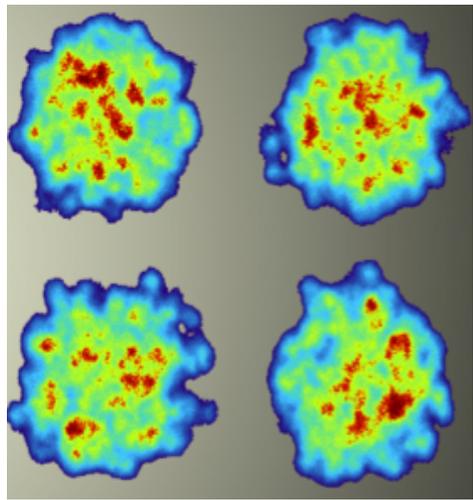


- v_n sensitive to **initial perturbation** and **viscosity**.
 - Bigger initial fluctuation lead to bigger v_n
 - Small viscosity ensure efficient transfer of initial fluctuation to final state flow.

Collective flow fluctuations

Event-averaged quantities (2010-2013)

ATLAS data:
 PRC86,014907(2012), PLB707(2012)330



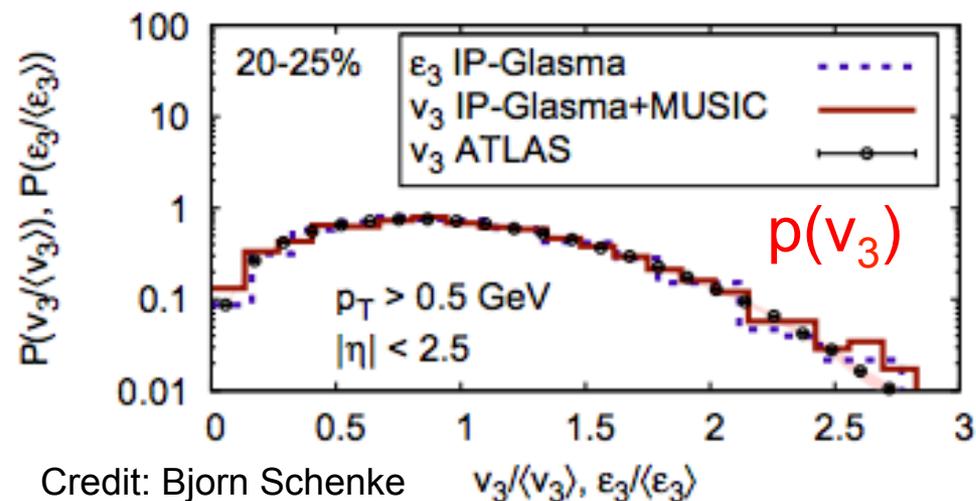
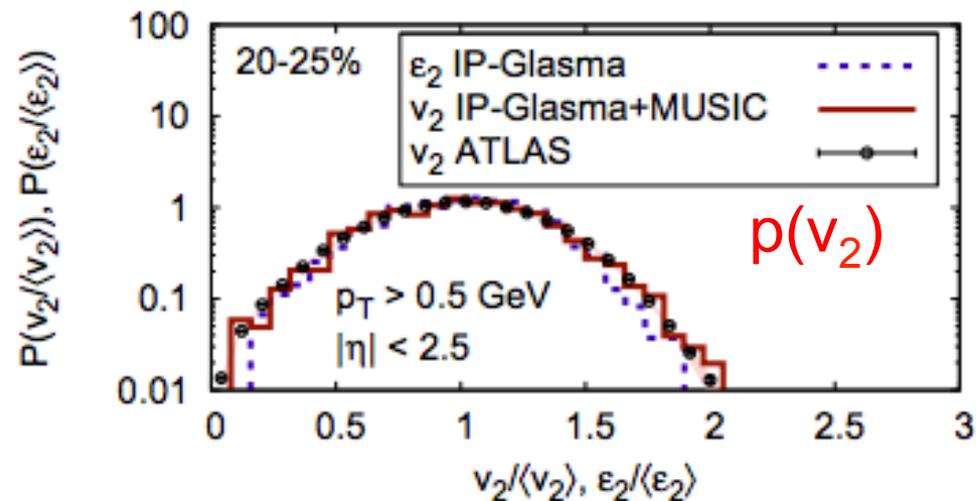
New observables (2013-2015):

Event by event distribution of flow amplitudes, v_n , and phases, Φ_n .

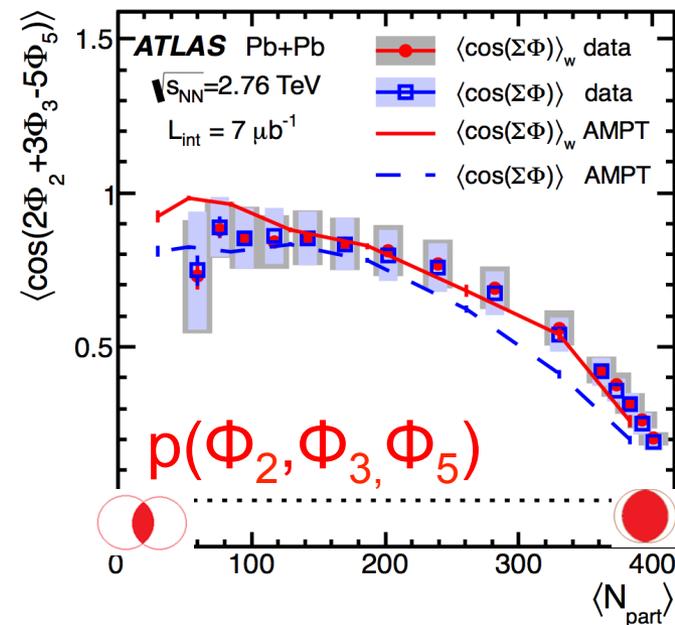
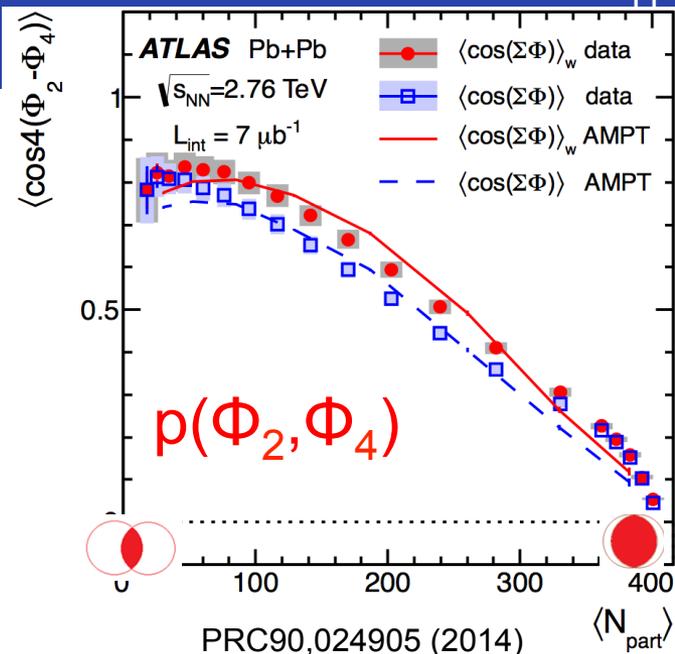
$$p(v_n, v_m, \dots, \Phi_n, \Phi_m, \dots) = \frac{1}{N_{\text{evts}}} \frac{dN_{\text{evts}}}{dv_n dv_m \dots d\Phi_n d\Phi_m \dots}$$

Examples of EbyE distributions

Data: JHEP11(2013)183



Credit: Bjorn Schenke



Measured distributions used to tune hydrodynamic models.

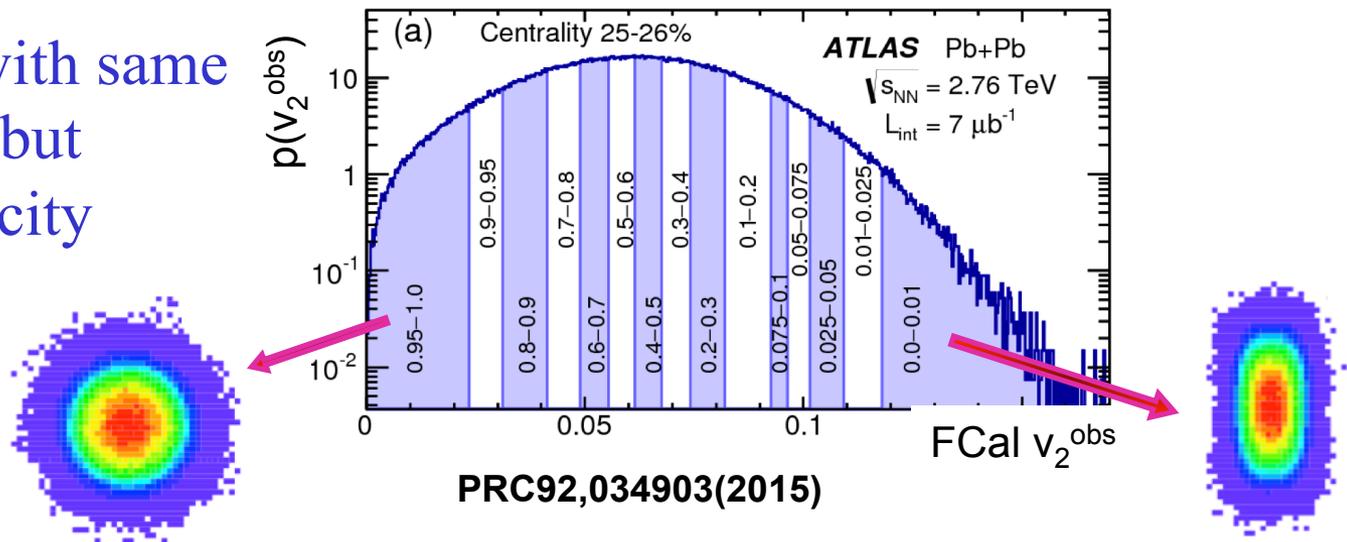
Fourier expansion of FCal E_T distribution in each event

$$\frac{dE_T}{d\phi} = \Sigma E_T \left[1 + 2v_2^{\text{obs}} \cos 2(\phi - \Phi_2^{\text{obs}}) + 2v_3^{\text{obs}} \cos 3(\phi - \Phi_3^{\text{obs}}) + \dots \right]$$

- 1st order event-shape selection: Centrality by ΣE_T (system size)
- 2nd order event-shape selection: ellipticity by v_2^{obs} (system shape)
- 3rd order event-shape selection: triangularity by v_3^{obs} (system shape)

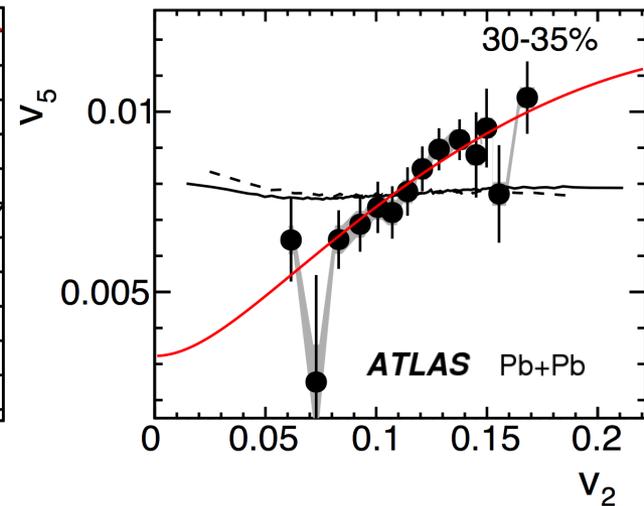
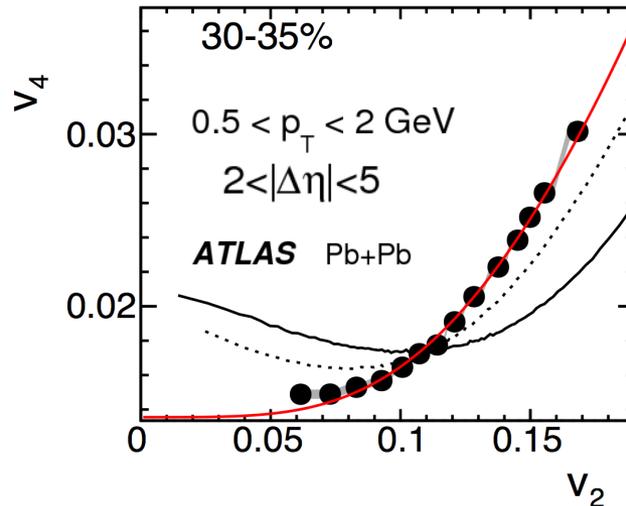
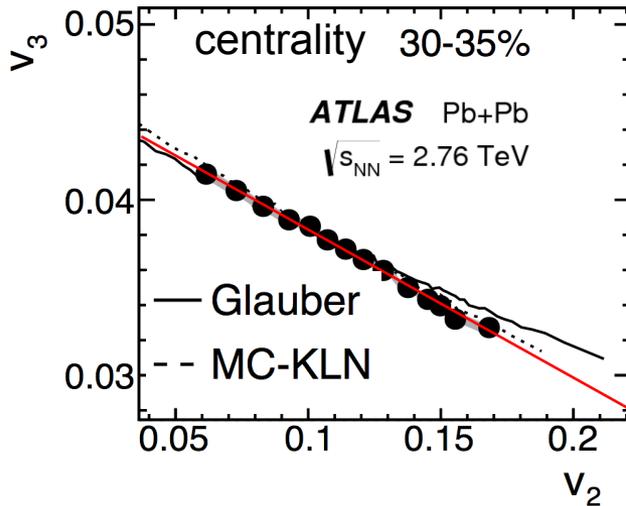
- Select events with same geometric size but different ellipticity

arXiv:1208.4563
arxiv:1311.7091



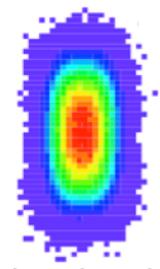
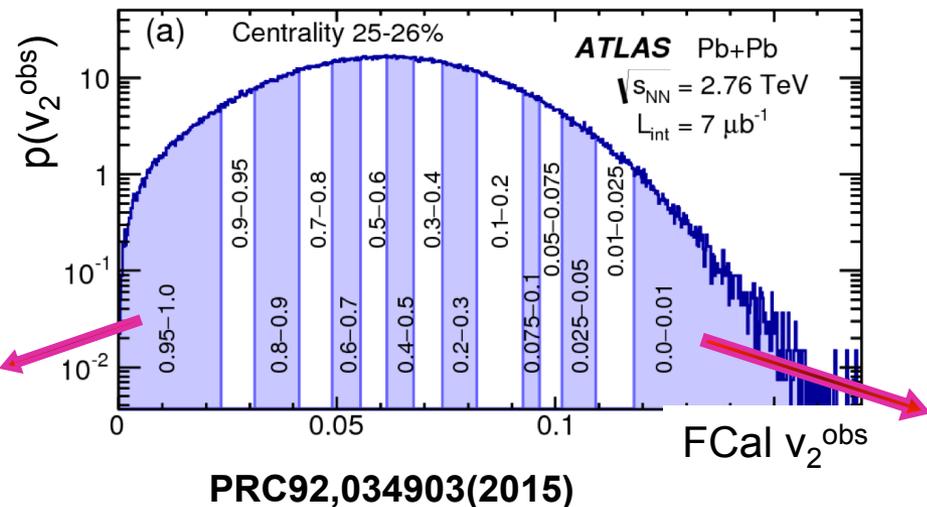
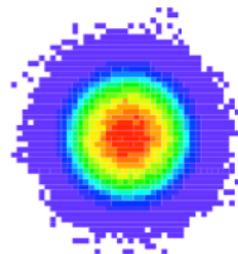
$p(v_n, v_2)$ via event-shape engineering tech.

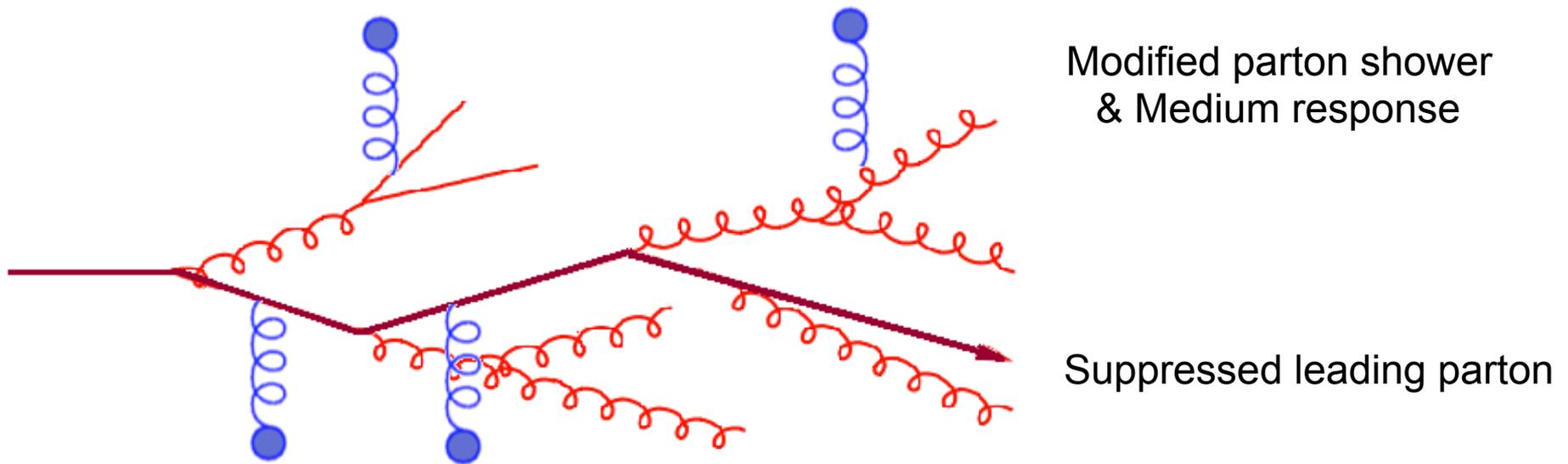
- Study the correlation between v_2 and higher-harmonics.
 - New insights on **initial state fluctuations** and **fluid non-linear dynamics**



- Select events with same geometric size but different ellipticity

arXiv:1208.4563
 arxiv:1311.7091





■ Need to measure

- Leading parton energy loss distributions: $P(\Delta E)$

- + Modified parton shower and medium response: $\frac{dN^g}{d\omega d^2\mathbf{k}_\perp}$

■ Learn about energy loss mechanism

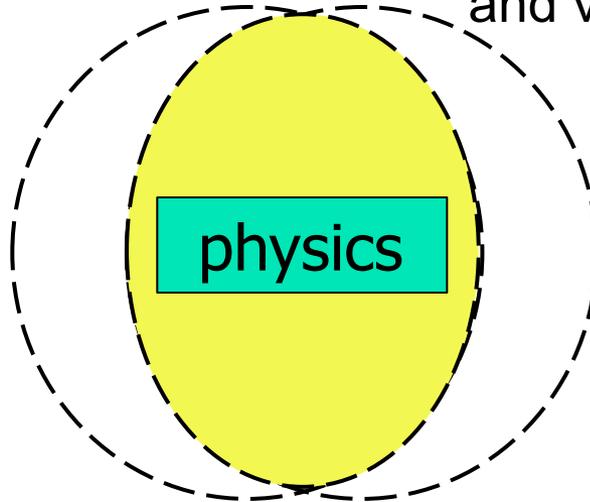
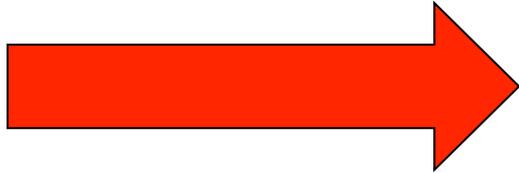
- Probe the effective DOF and transport properties of medium

How to study the QGP with hard probes?

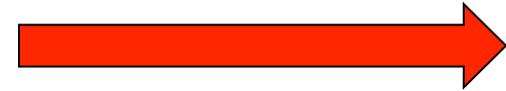
throw everything at it!

Varying the energy, color, mass and virtuality of the probes

“Calibrated” SM probes



Measured modifications



JHEP09 (2015) 050
PRL 114 (2015) 072302
PLB739(2014)320
ATLAS-CONF-2015-055

PRL105(2010) 252303
arxiv:1506.08656
ATLAS-CONF-2015-052

PRL111,152301(2013)
ATLAS-CONF-2015-021

PRL 110, 022301 (2013)
EPJC (2015) 75:23
arXiv:1505.08141
arxiv:1506.08552
arXiv:1507.06232
ATLAS-CONF-2015-053
ATLAS-CONF-2015-056

Jet & jet sub-structure

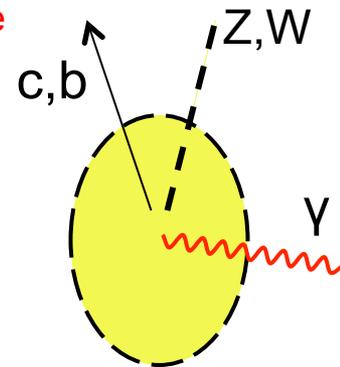
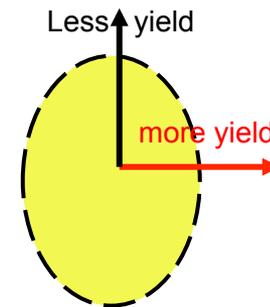
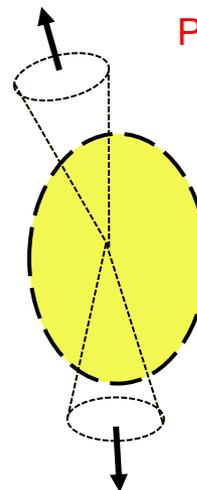
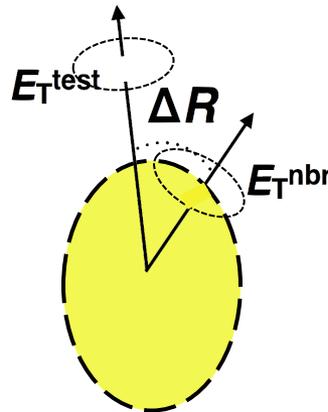
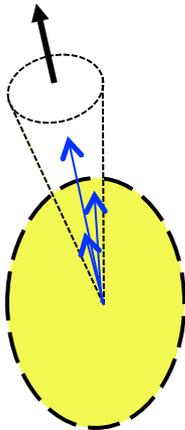
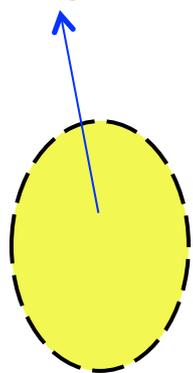
Nearby jet

Away-jet

Path-length dependence

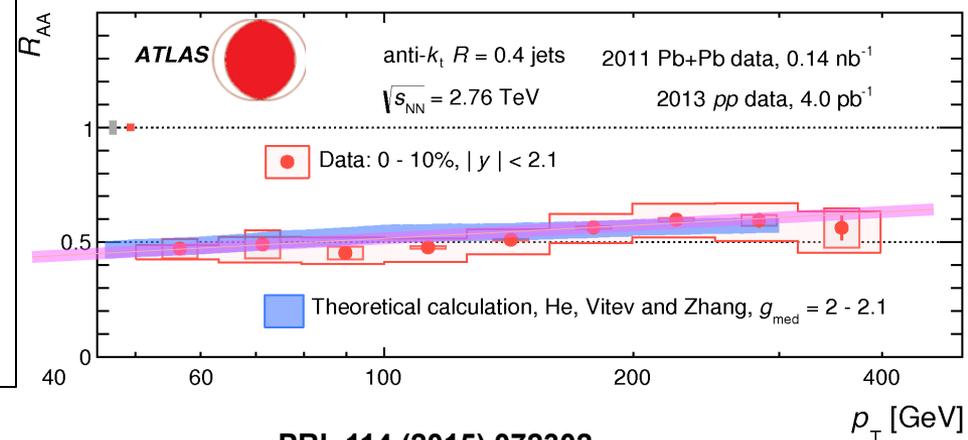
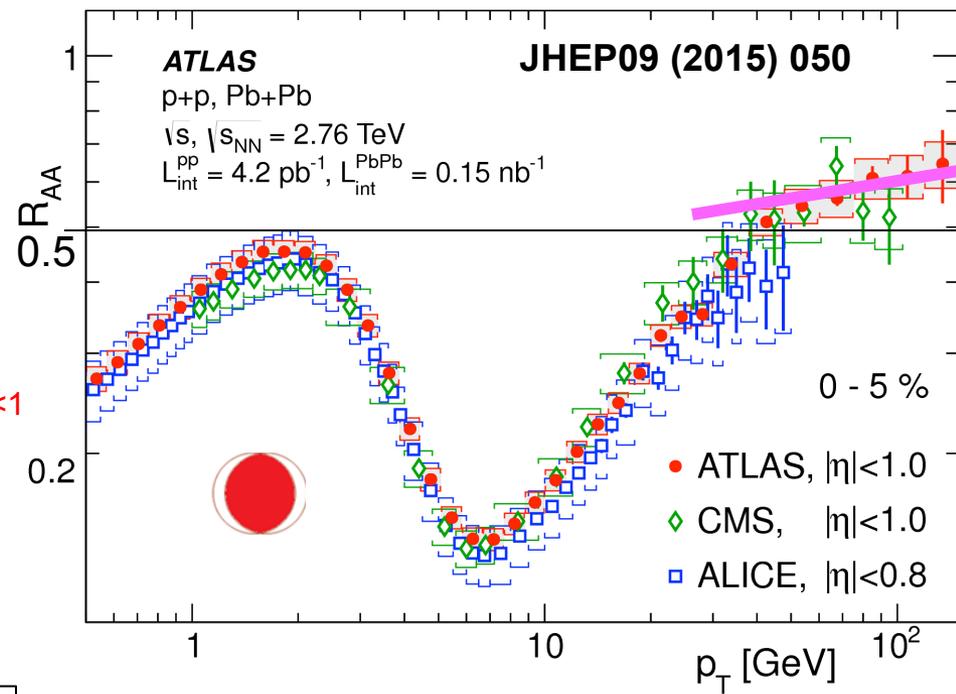
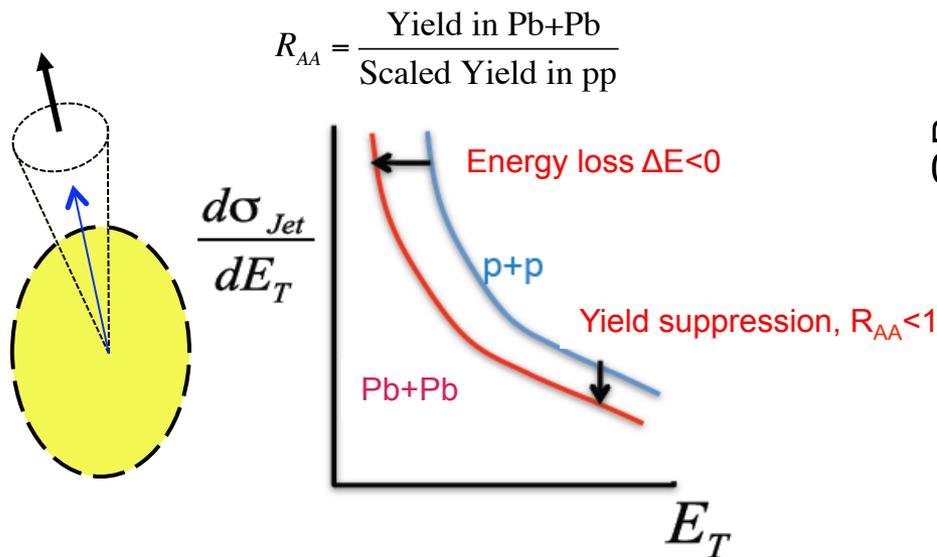
Flavor & color dependence

Leading particle



Jet quenching via high- p_T hadrons & jets

- In-medium energy loss leads to suppression in leading-particle and jet yield

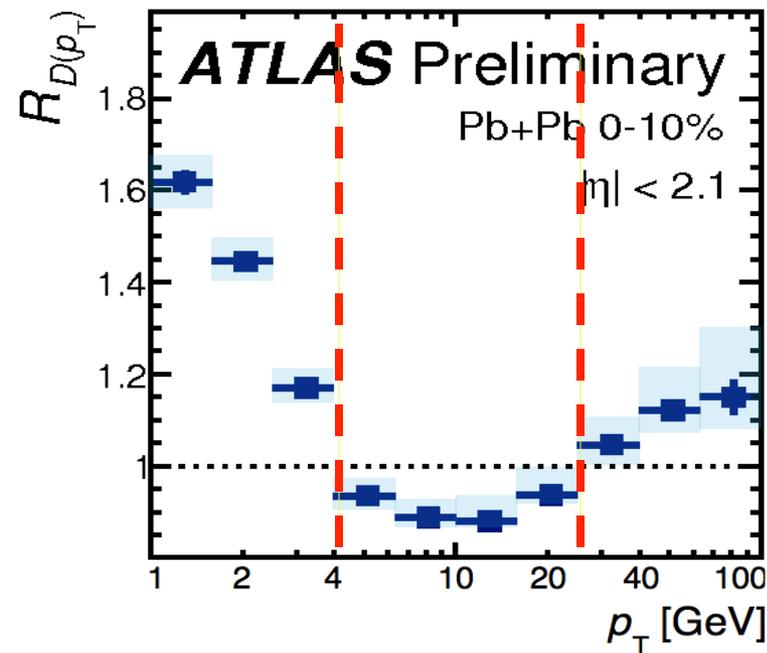
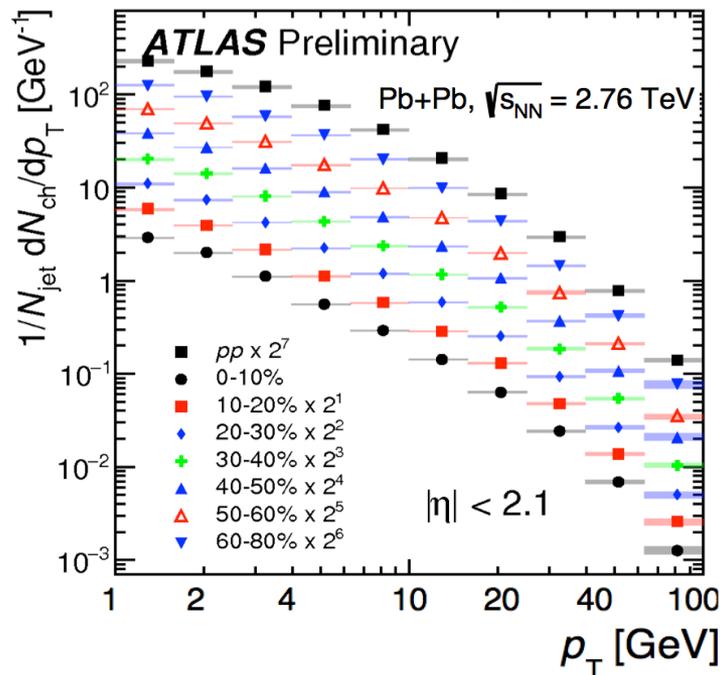
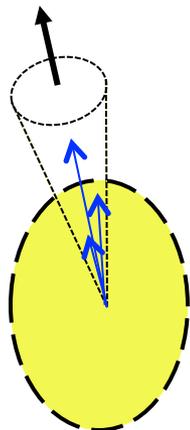


- RUN1 legacy measurements: highest p_T and smallest uncertainty
- $R_{AA}(p_T)$ reflects input-spectra shape & $\Delta E(p_T)$
- Suppression of yield is ~ 2 in central Pb+Pb 40-400 GeV
- For first time see a slight increase of R_{AA} with p_T : 0.4-0.6 (consistent with theory)

PLB739(2014)320

Update: ATLAS-CONF-2015-055

$$D(p_T) = \frac{1}{N_{\text{jet}}} \frac{dN_{\text{ch}}}{dp_T^{\text{ch}}} \quad \text{Jet } p_T > 100 \text{ GeV} \quad R_D = D(\text{cent})/D(\text{peri.})$$



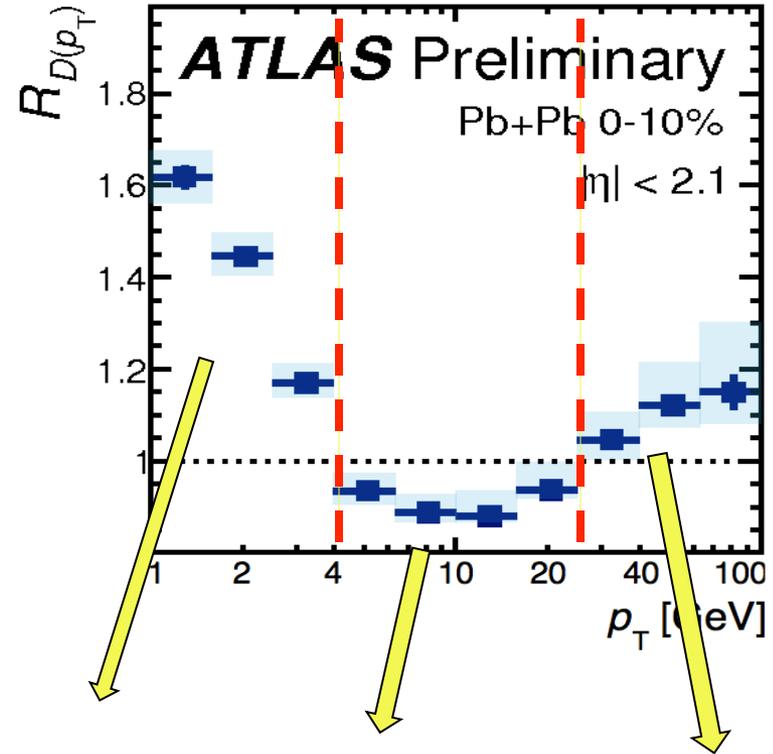
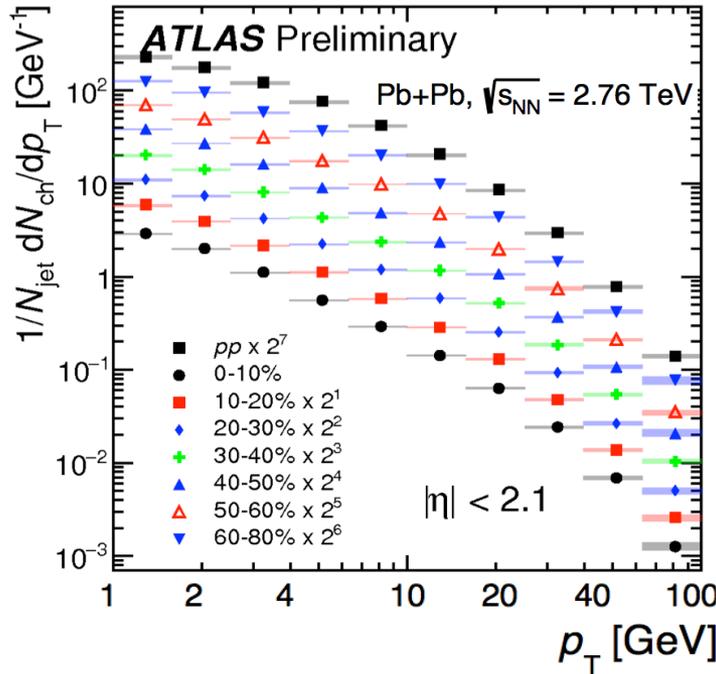
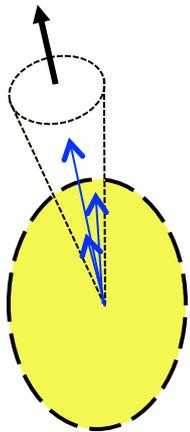
- Results extended to lower p_T frag, new pp ref, and details in jet p_T and η
- Characteristic modification of fragmentation yield:
 - Low p_T enhanced (1-4 GeV)
 - Moderate p_T suppressed (4-25 GeV)
 - High p_T enhanced (>25 GeV)

Modification of jet sub-structure

PLB739(2014)320

Update: ATLAS-CONF-2015-055

$$D(p_T) = \frac{1}{N_{\text{jet}}} \frac{dN_{\text{ch}}}{dp_T^{\text{ch}}} \quad \text{Jet } p_T > 100 \text{ GeV} \quad R_D = D(\text{cent})/D(\text{peri.})$$



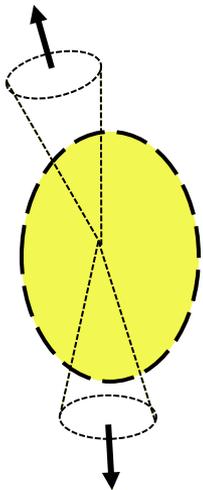
~2.7 GeV ~ -3.9 GeV ~1.8 GeV

sum: 0.8 ± 0.7 GeV, p_T flow is balanced!

Quantify p_T flow via:

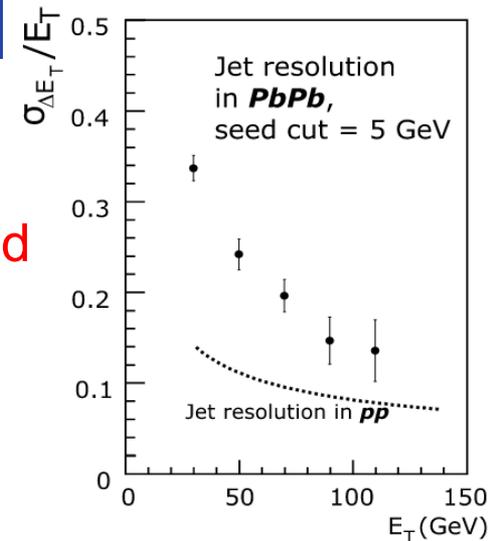
$$P_T^{\text{ch}} \equiv \int_{p_{T,\text{min}}}^{p_{T,\text{max}}} (D(p_T)|_{\text{cent}} - D(p_T)|_{\text{pp}}) p_T dp_T$$

Dijet energy imbalance



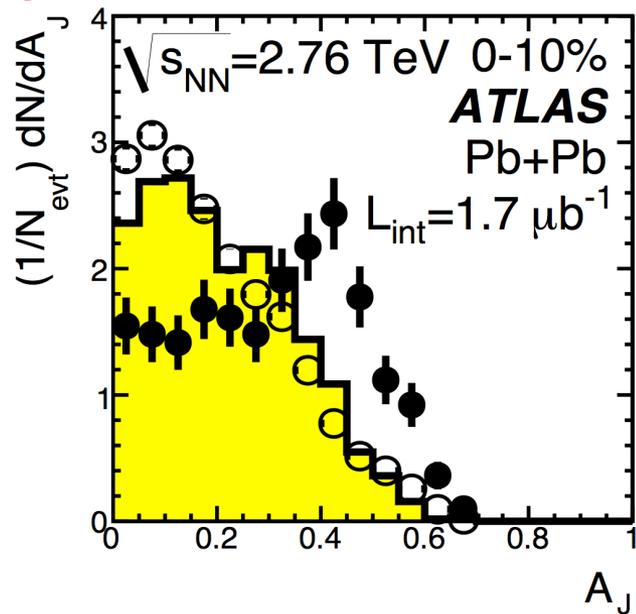
A_J or x_J distributions are smeared by detector and UE fluctuation

$$A_J = \frac{p_{T1} - p_{T2}}{p_{T1} + p_{T2}}$$



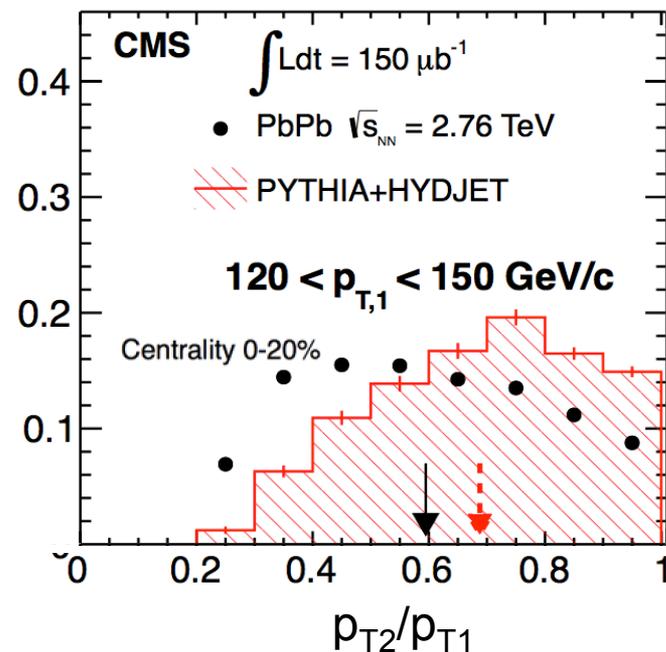
$$x_J = p_{T2} / p_{T1}$$

2010 direct observation of jet quenching



2012

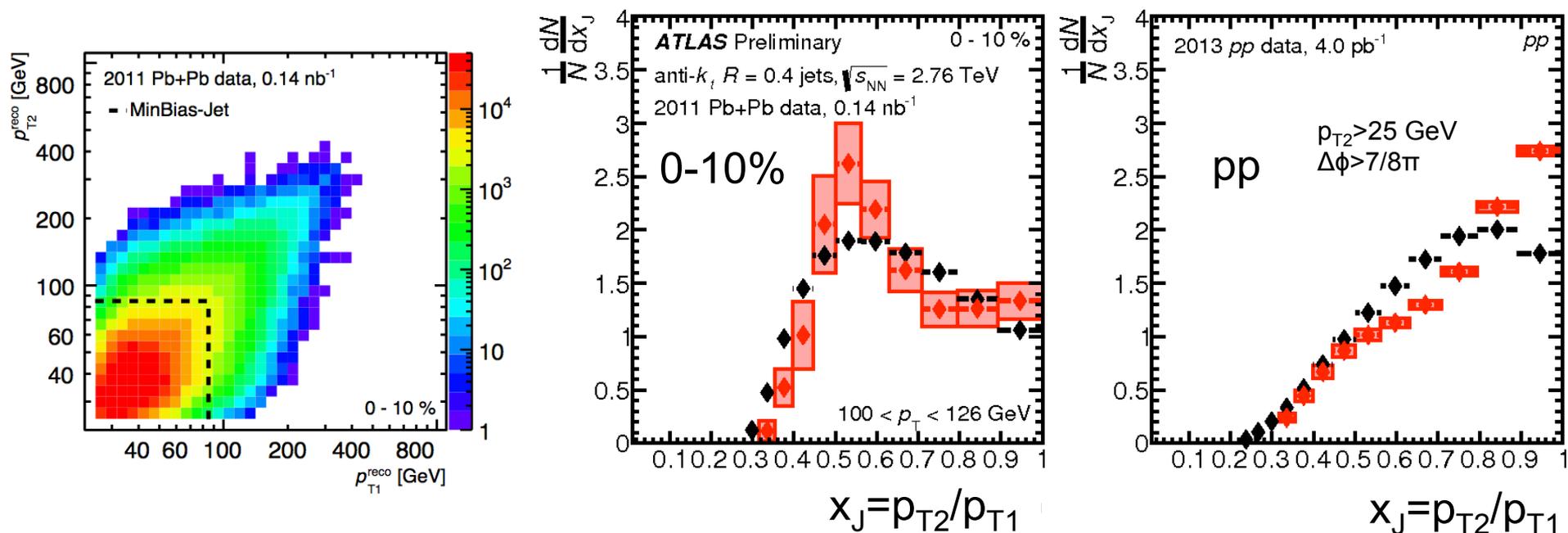
Improved precision



Unfolded dijet imbalance distribution

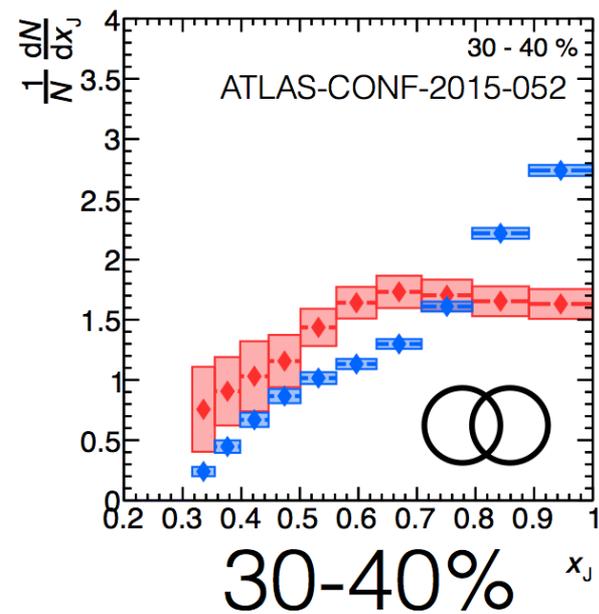
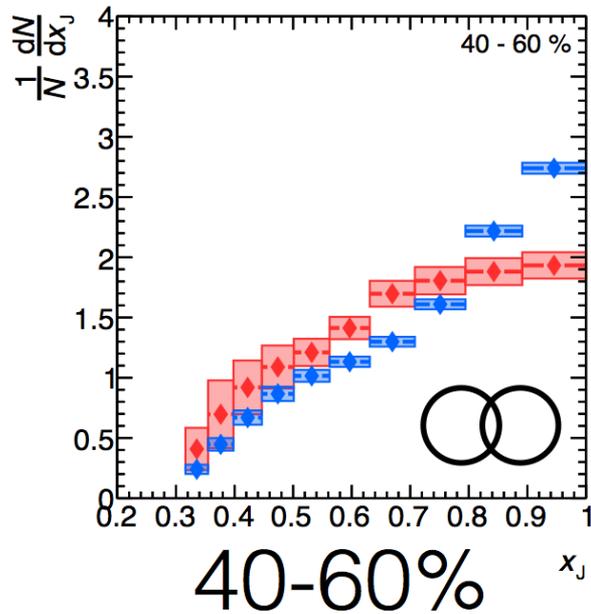
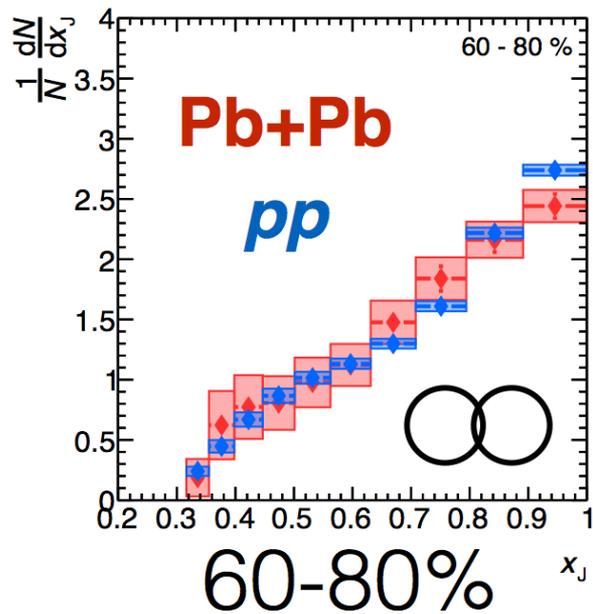
ATLAS-CONF-2015-052

- 2D-Unfolding of di-jet (p_{T1} , p_{T2}) spectra
 - Accounts for p_T migration and switch between p_{T1} & p_{T2}
 - Flow and combinatorial background subtraction
- Unfolded (p_{T1} , p_{T2}) distribution projected to x_J .



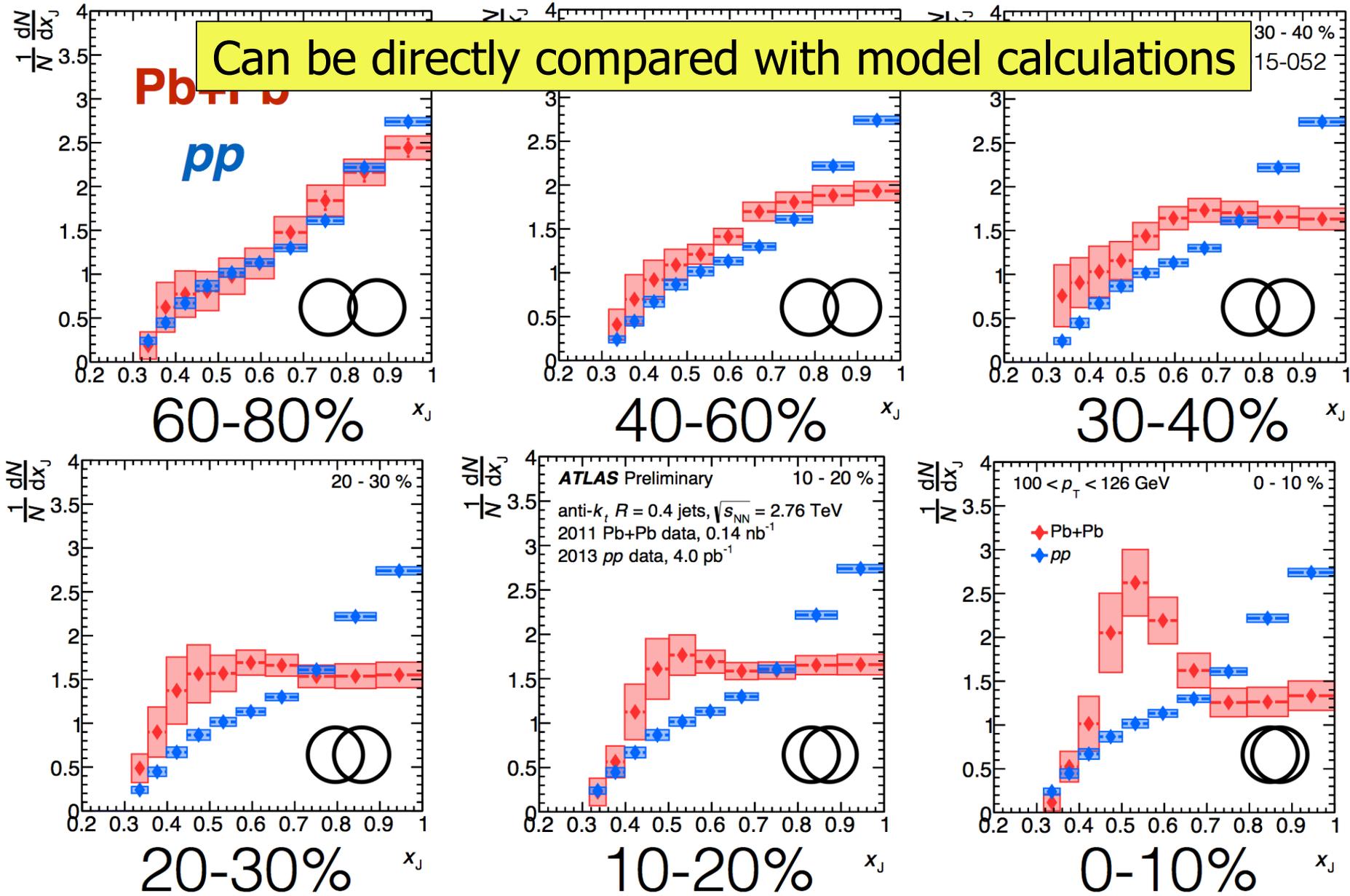
Unfolding changes the shape and mean of x_J distribution

x_J distribution vs centrality



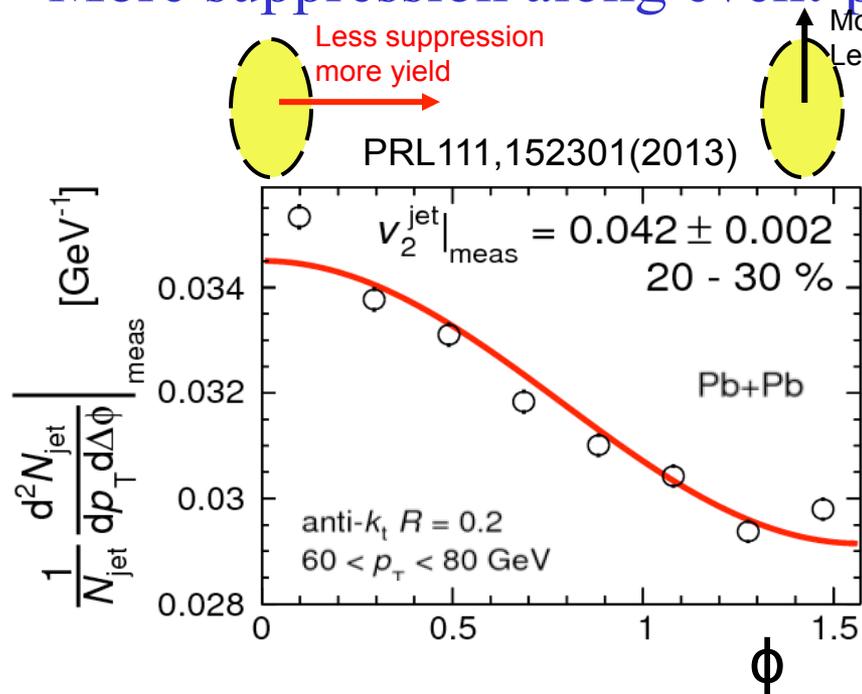
x_J distribution vs centrality

Can be directly compared with model calculations

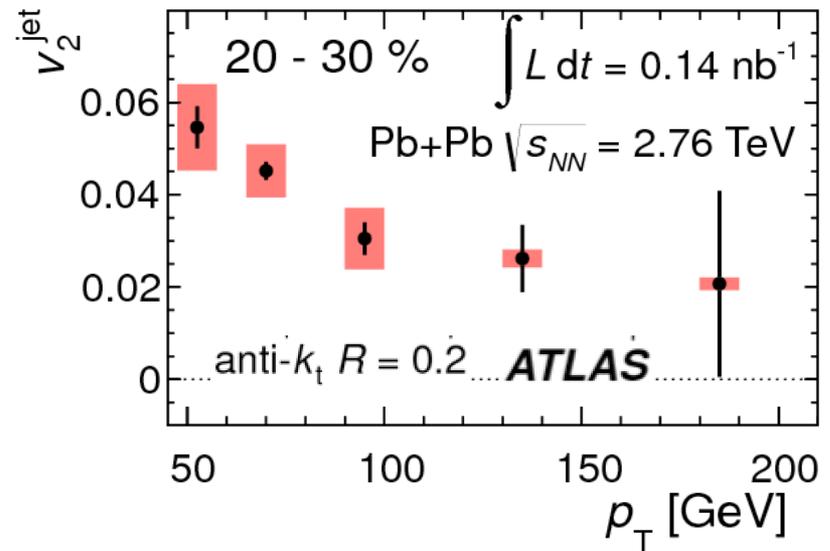


Detailed jet path-length dependence

- More suppression along event-plane direction $R_{AA}(\phi) = R_{AA} [1 + 2 v_2 \cos 2\phi]$

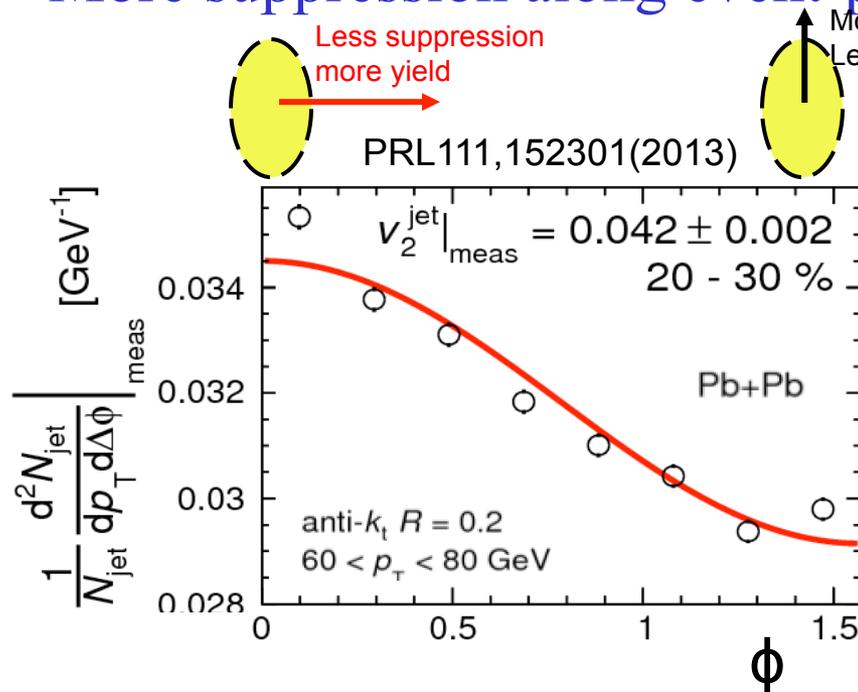


high p_T : decrease of v_2 consistent with smaller quenching (larger R_{AA})

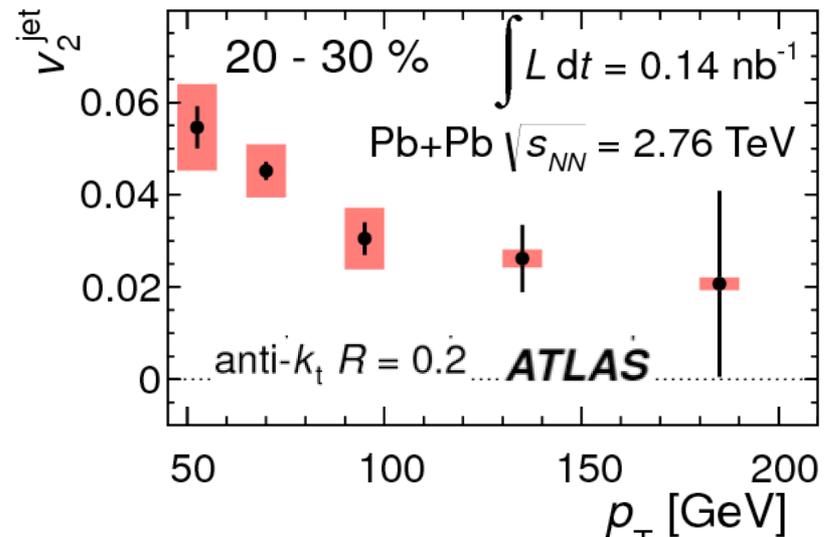


Detailed jet path-length dependence

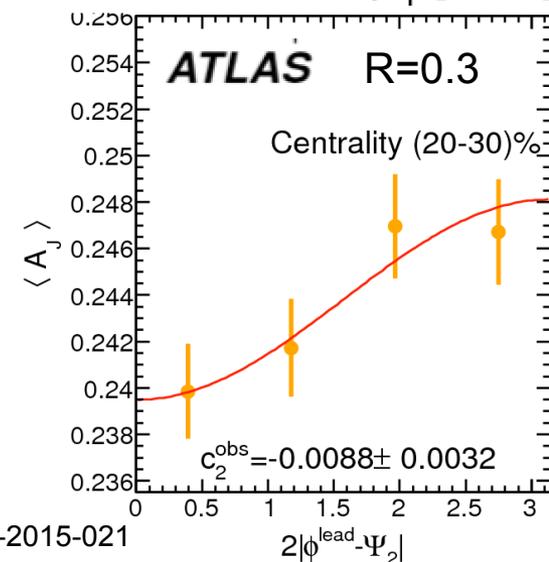
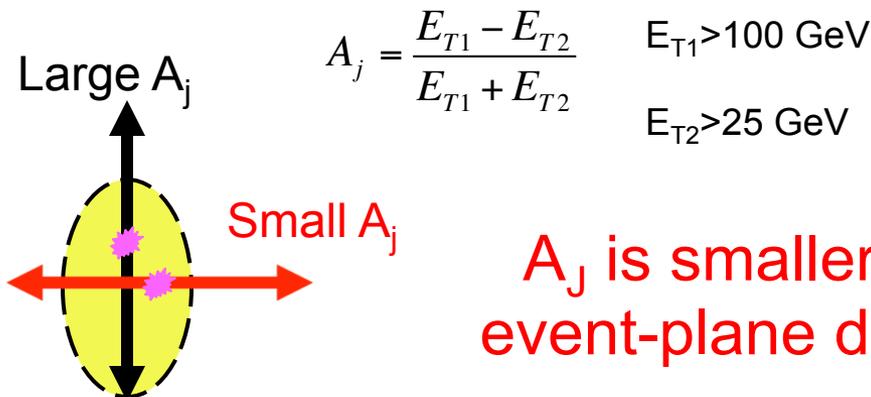
- More suppression along event-plane direction $R_{AA}(\phi) = R_{AA} [1 + 2 v_2 \cos 2\phi]$



high p_T : decrease of v_2 consistent with smaller quenching (larger R_{AA})



- Dijet asymmetry vs angle wrt event-plane:

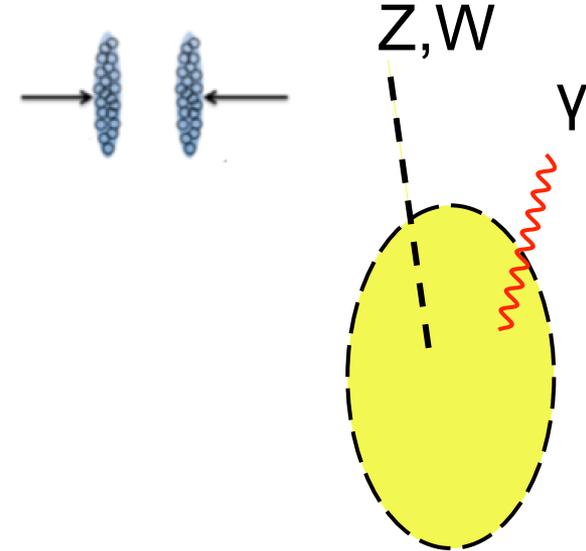


Calibration of initial state: EW probes in Pb+Pb ²⁵

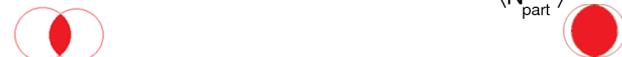
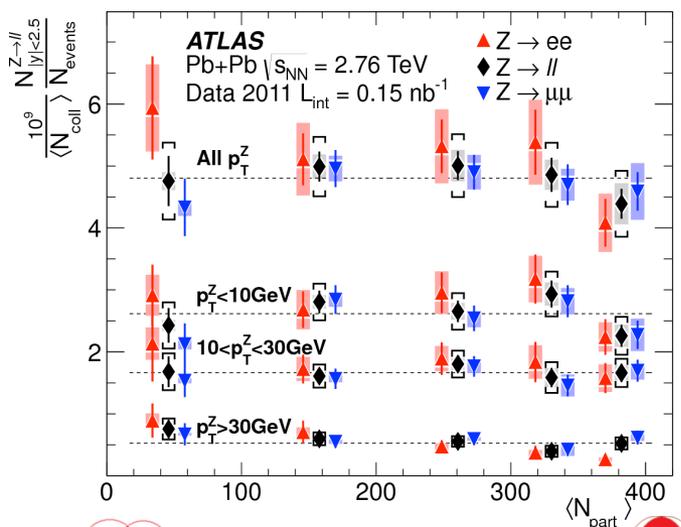
Can we calibrate initial condition & hard-probe rates prior to QGP formation?

- Good calibration of geometry (N_{coll} , N_{part}).

- $AA_{\text{Rate}} \approx N_{\text{coll}} \times pp_{\text{rate}}$.

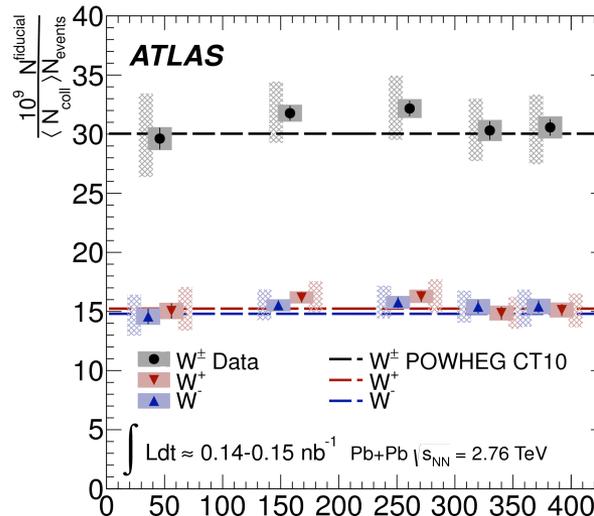


N_{coll} scaling of Z



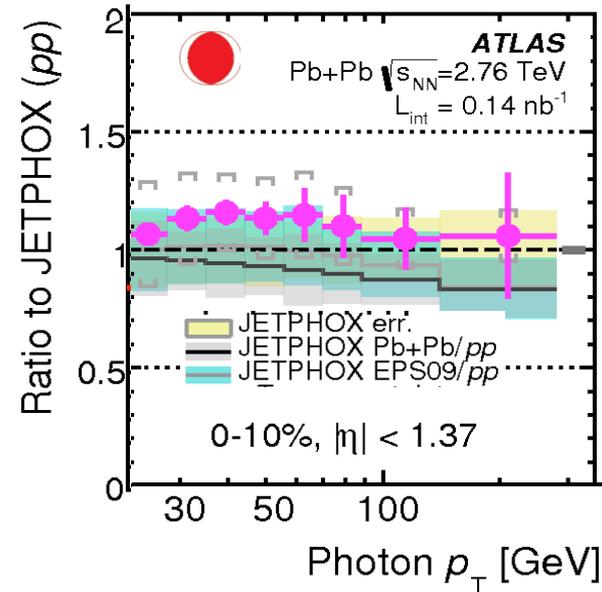
PRL 110, 022301 (2013)

N_{coll} scaling of W

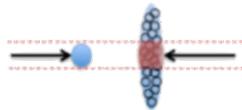


EPJC (2015) 75:23

γ rate agree with pQCD

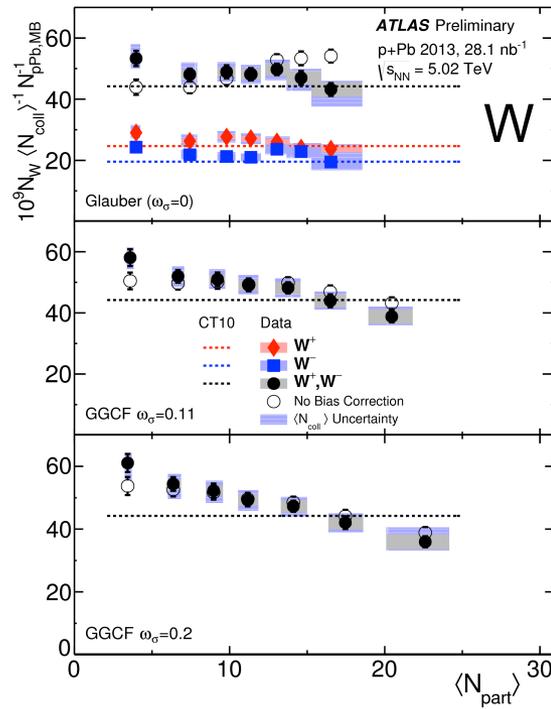
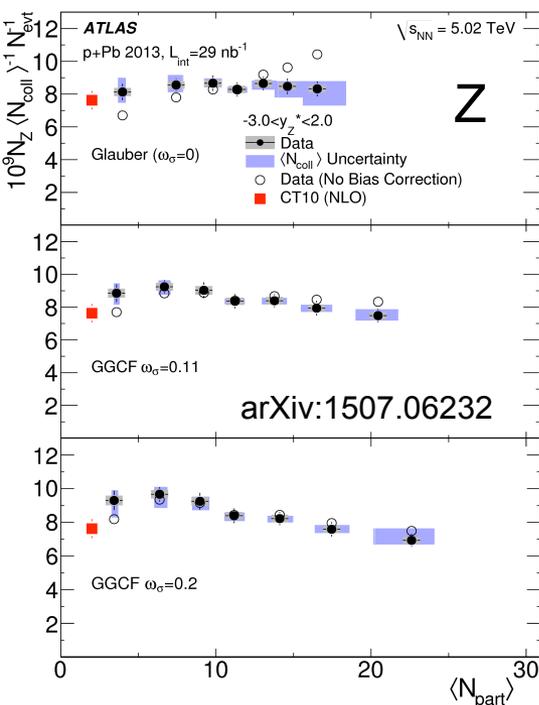


arxiv:1506.08552

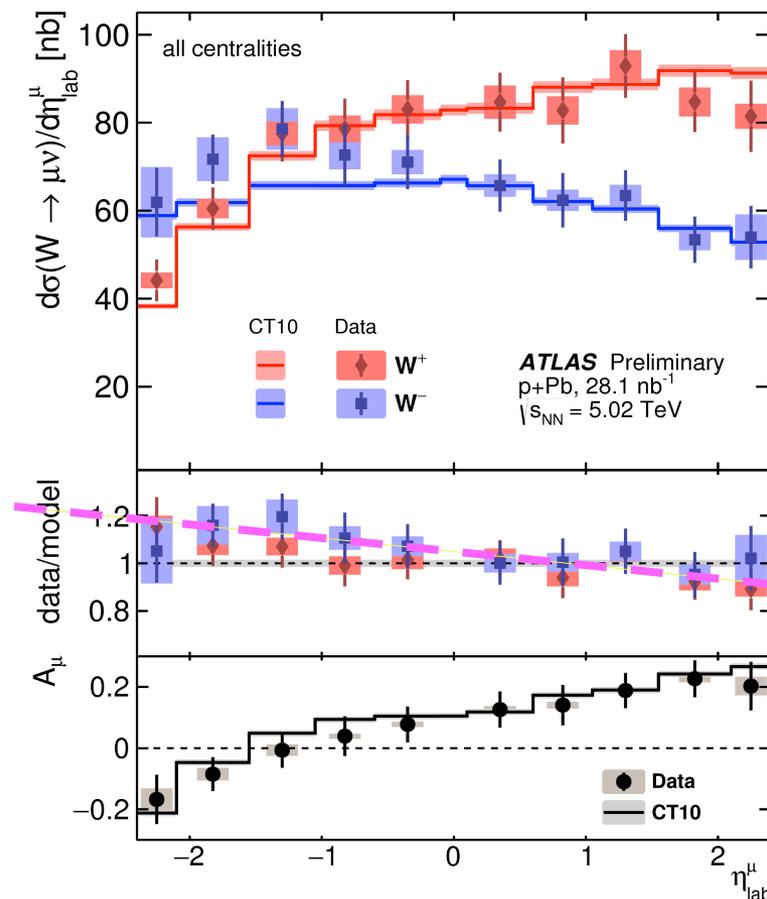


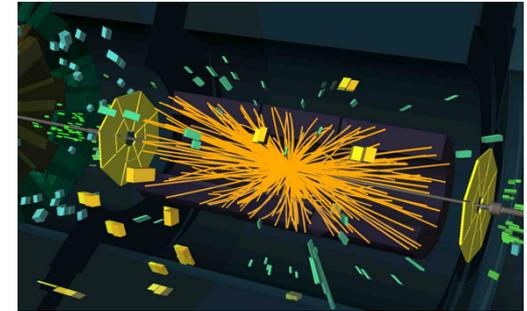
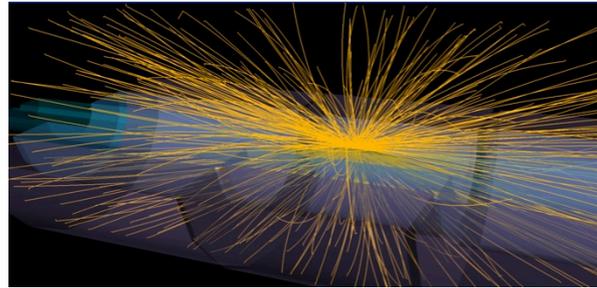
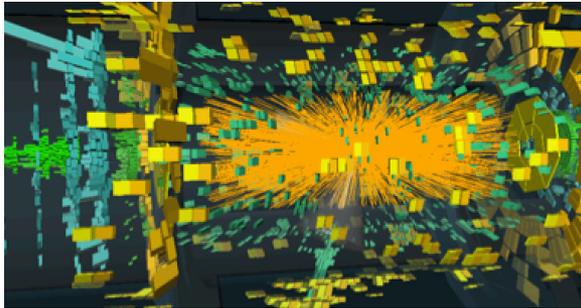
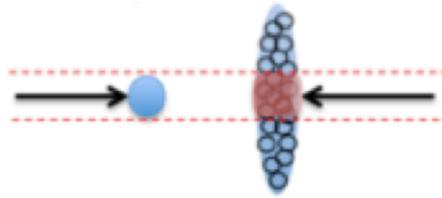
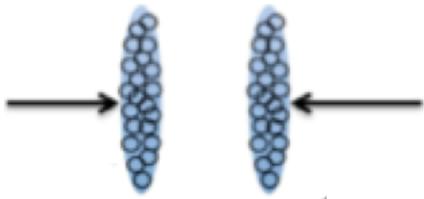
ATLAS-CONF-2015-056

Yield $\approx N_{\text{coll}}$ -scaling



$dN/d\eta$ indicates effects of isospin & nPDF





~30000 particles*

~1000 particles*

~few 100 particles*

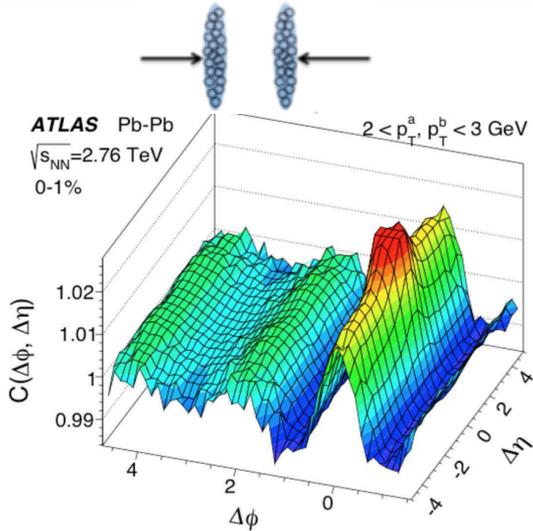
What is the smallest droplet of QGP created in these collisions?

Reveal possible collective/flow like behavior via
the two-particle correlation method

$$\frac{dN}{d\Delta\phi} = \left[\frac{dN}{d\phi_1} * \frac{dN}{d\phi_2} \right] \propto 1 + \sum_n 2v_n^a v_n^b \cos(n\Delta\phi)$$

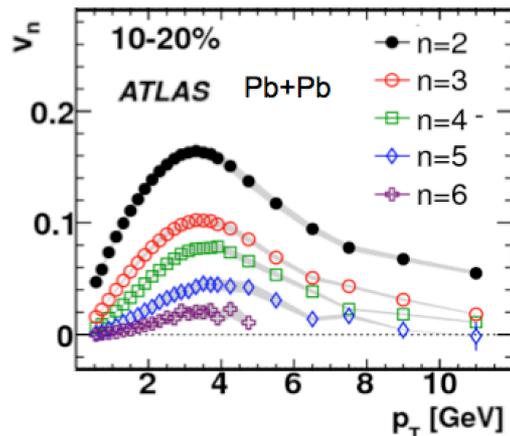
* Rough number in very high-multiplicity events, integrated over full phase space

The tale of the three ridges

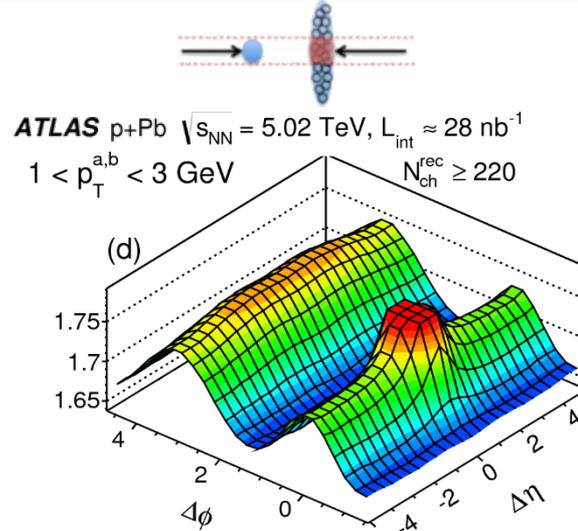


The ridge in A+A attributed to collective flow

$$\frac{dN}{d\Delta\phi} \propto 1 + \sum_n 2v_n^a v_n^b \cos n\Delta\phi$$

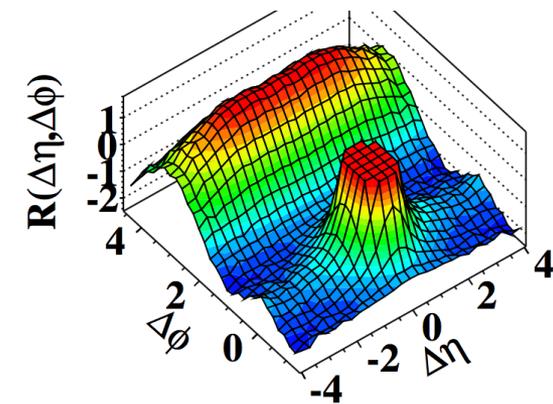


Single-particle v_n was measured

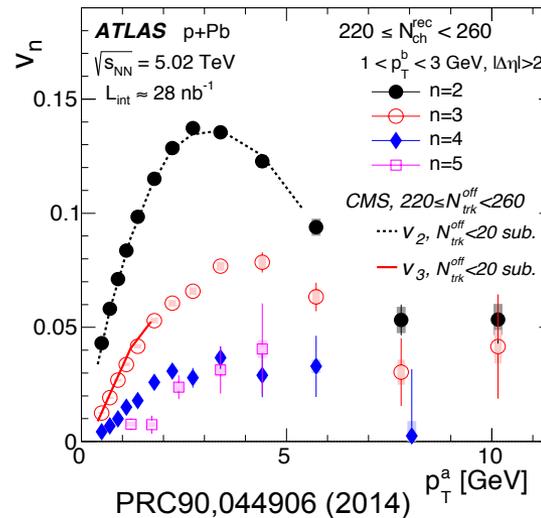


pPb ridge observed in 2012

CMS $N \geq 110$, $1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$



pp ridge observed in 2010



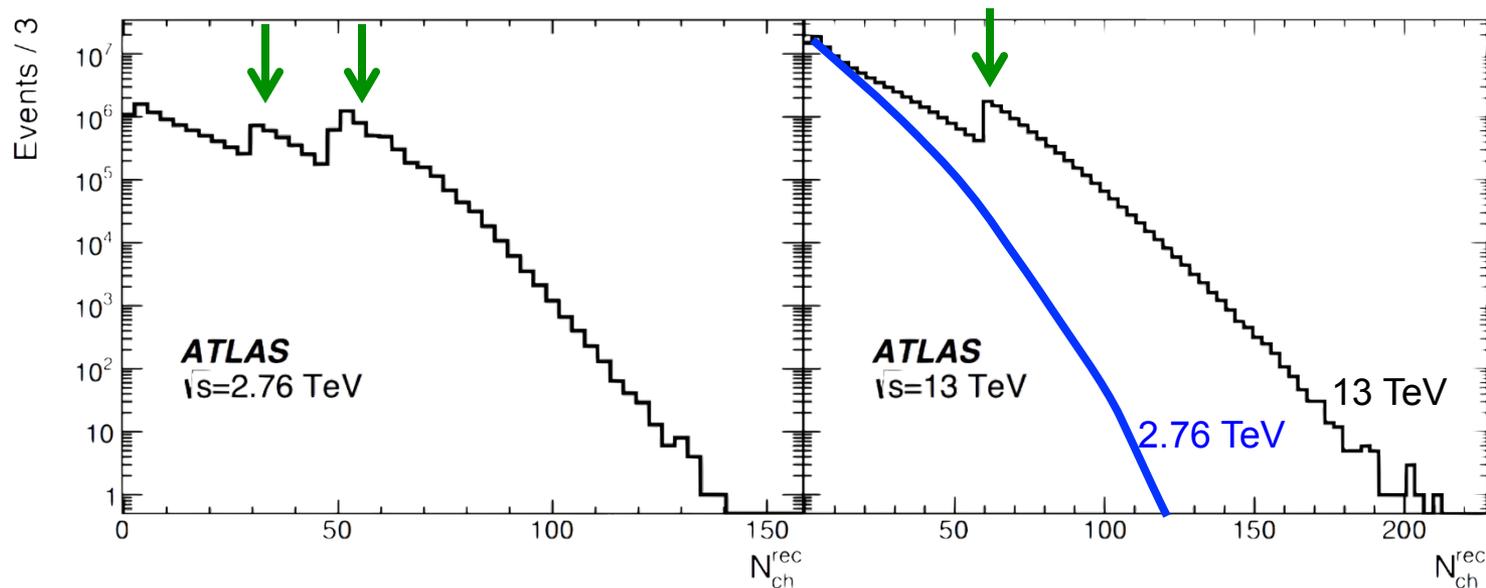
v_n was soon measured

- Single-particle v_n ?
- Energy-dependence?
- Is it collective?
- Initial or final-state effects?

pp datasets for ridge studies

- 2.76 TeV and 13 TeV pp data
- High-Multiplicity Track triggers used to increase statistics.
 - HMT triggers also used in pPb ridge studies

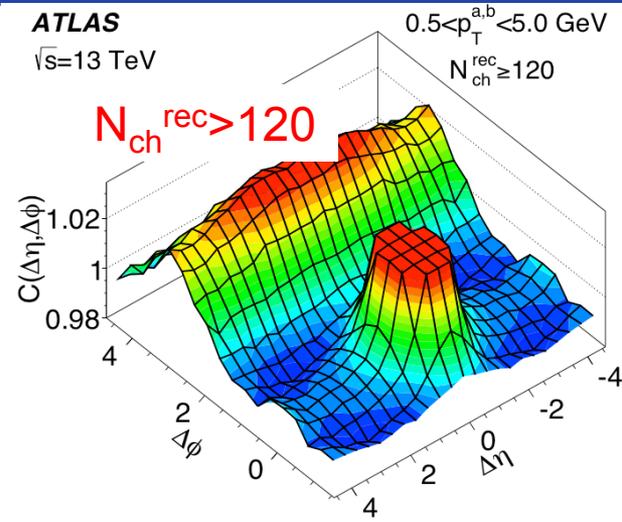
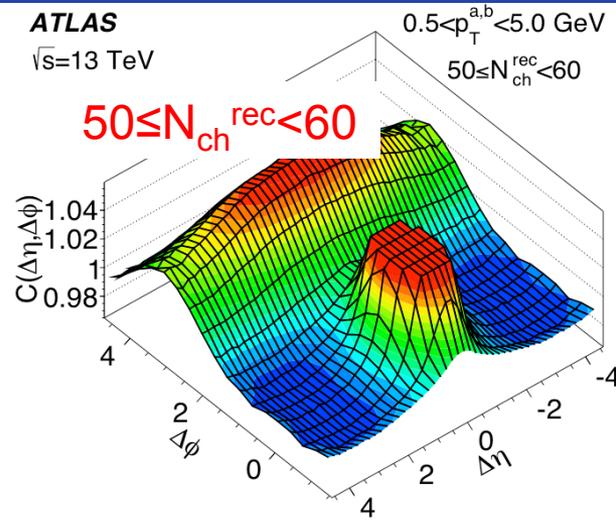
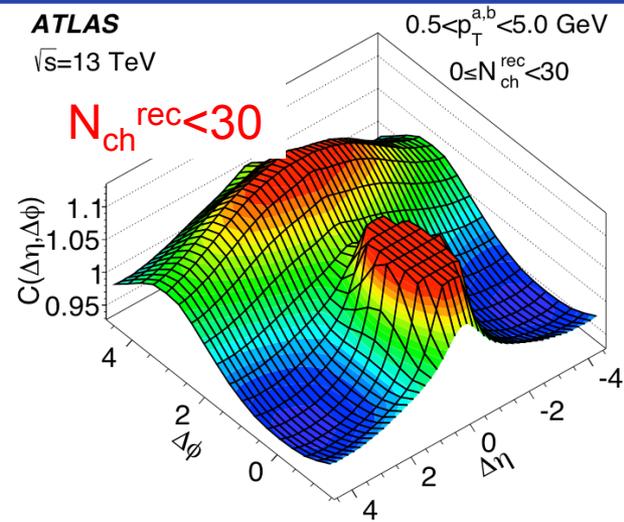
ATLAS-CONF-2013-104



What controls the ridge: N_{ch} or \sqrt{s} or $p(N_{ch})$?

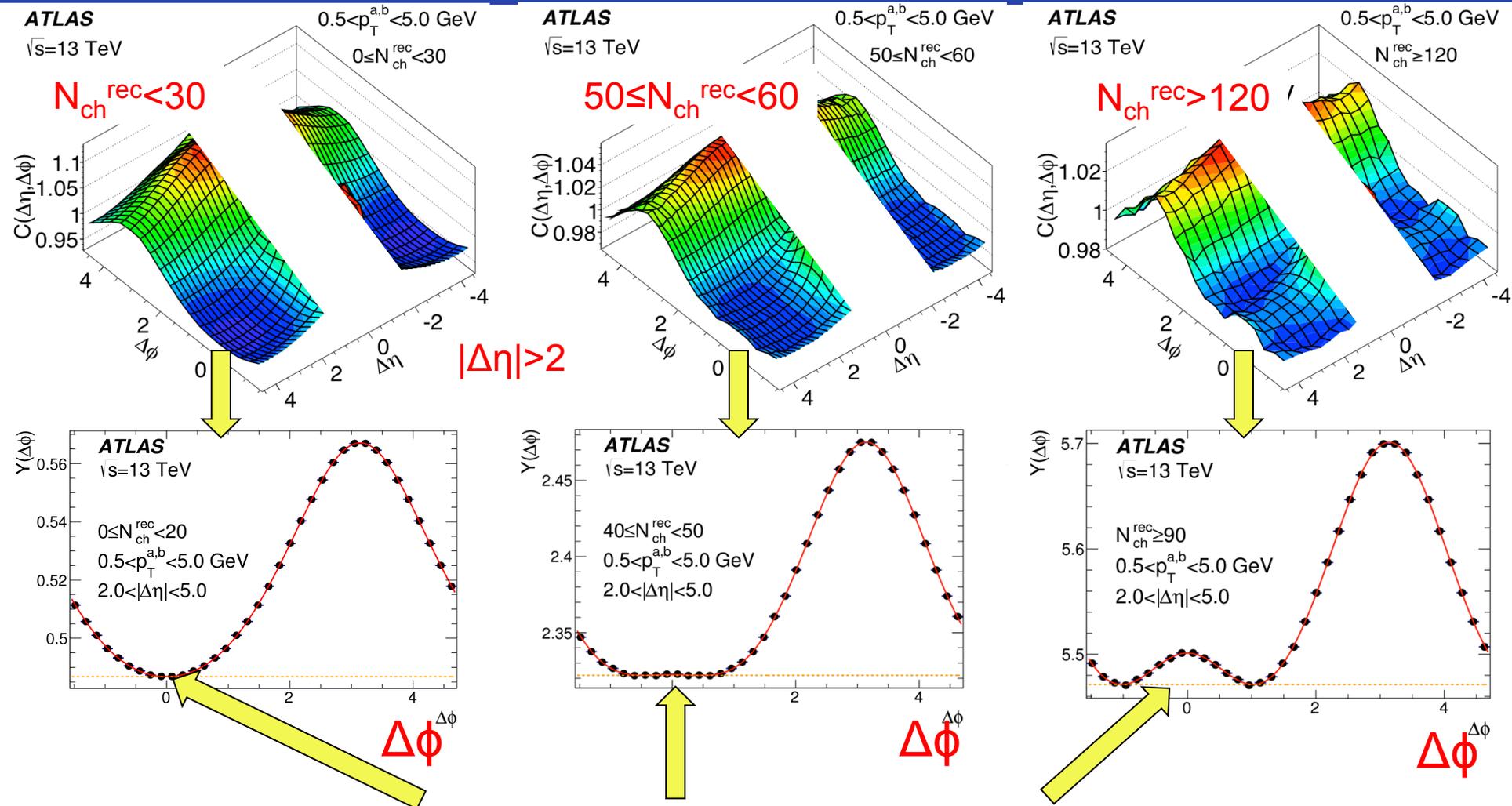
The “hidden” pp ridge

arxiv:1509.04776 30



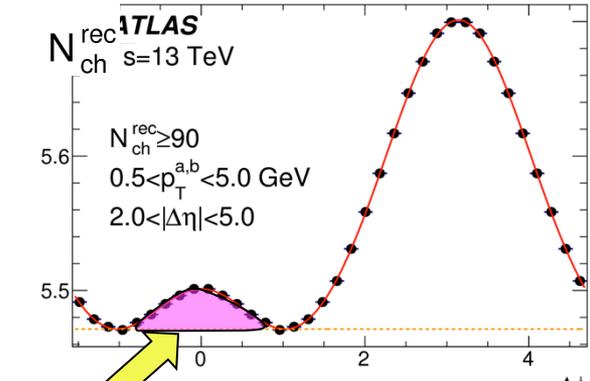
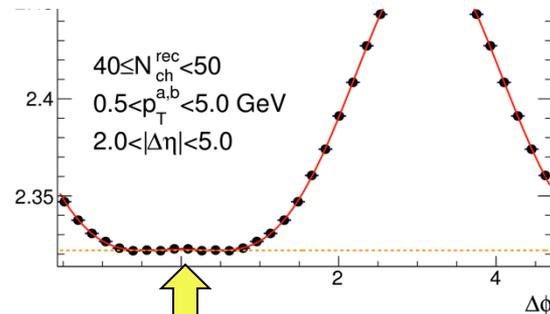
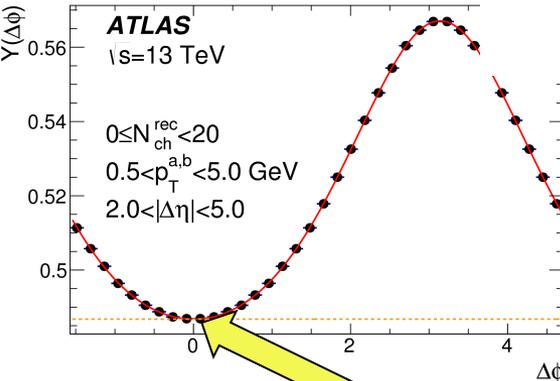
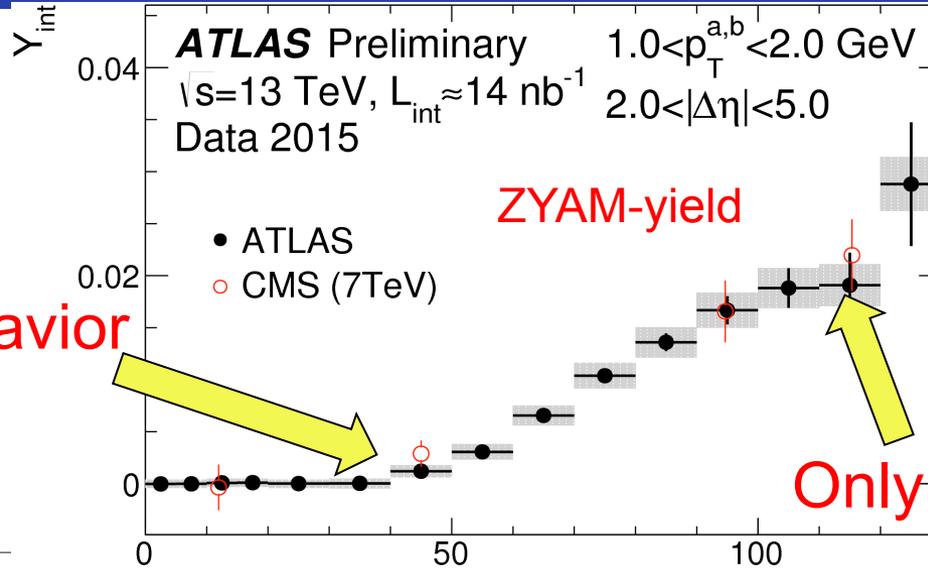
The "hidden" pp ridge

arxiv:1509.04776 31



Ridge could be masked by away-side tails

The “hidden” pp ridge



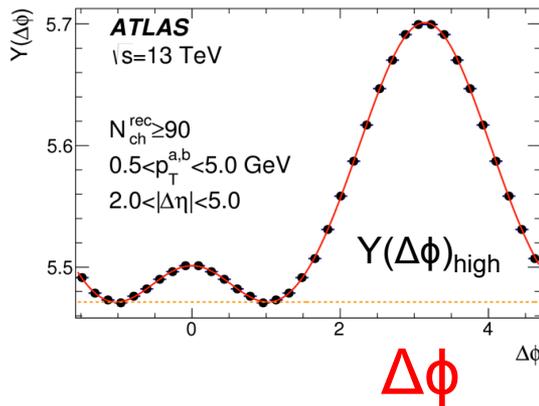
Ridge could be masked by away-side tails

ZYAM (zero-yield-at-minimum) procedure often used

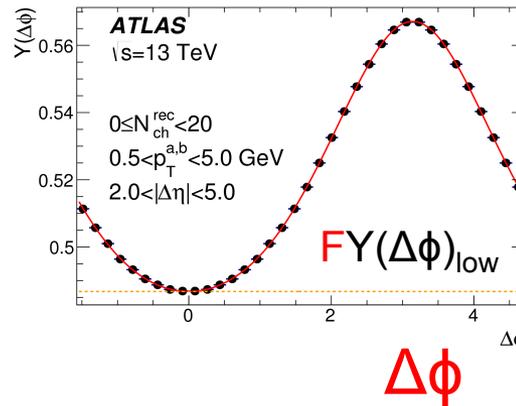
How to expose the “entire” ridge (if we know how to define it)?

Observation: $Y(\Delta\phi)_{\text{high-mult}} \cong F Y(\Delta\phi)_{\text{low-mult}} + A \cos 2\Delta\phi + C$

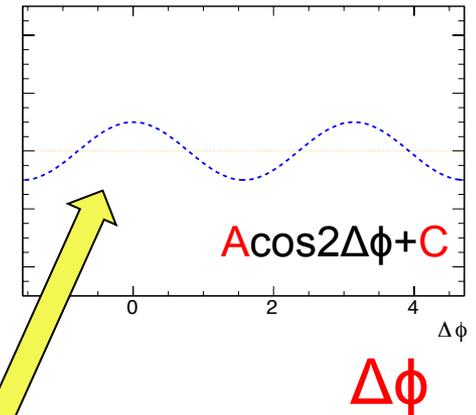
Other harmonics much smaller



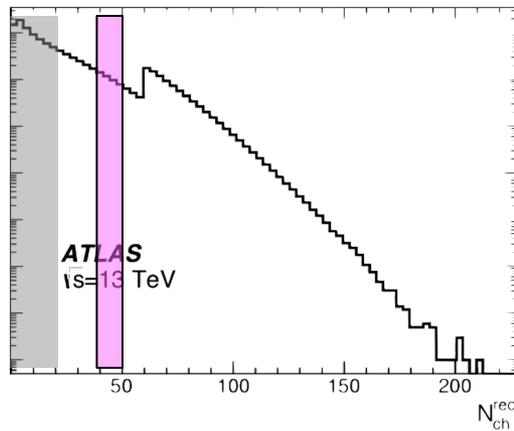
=



+



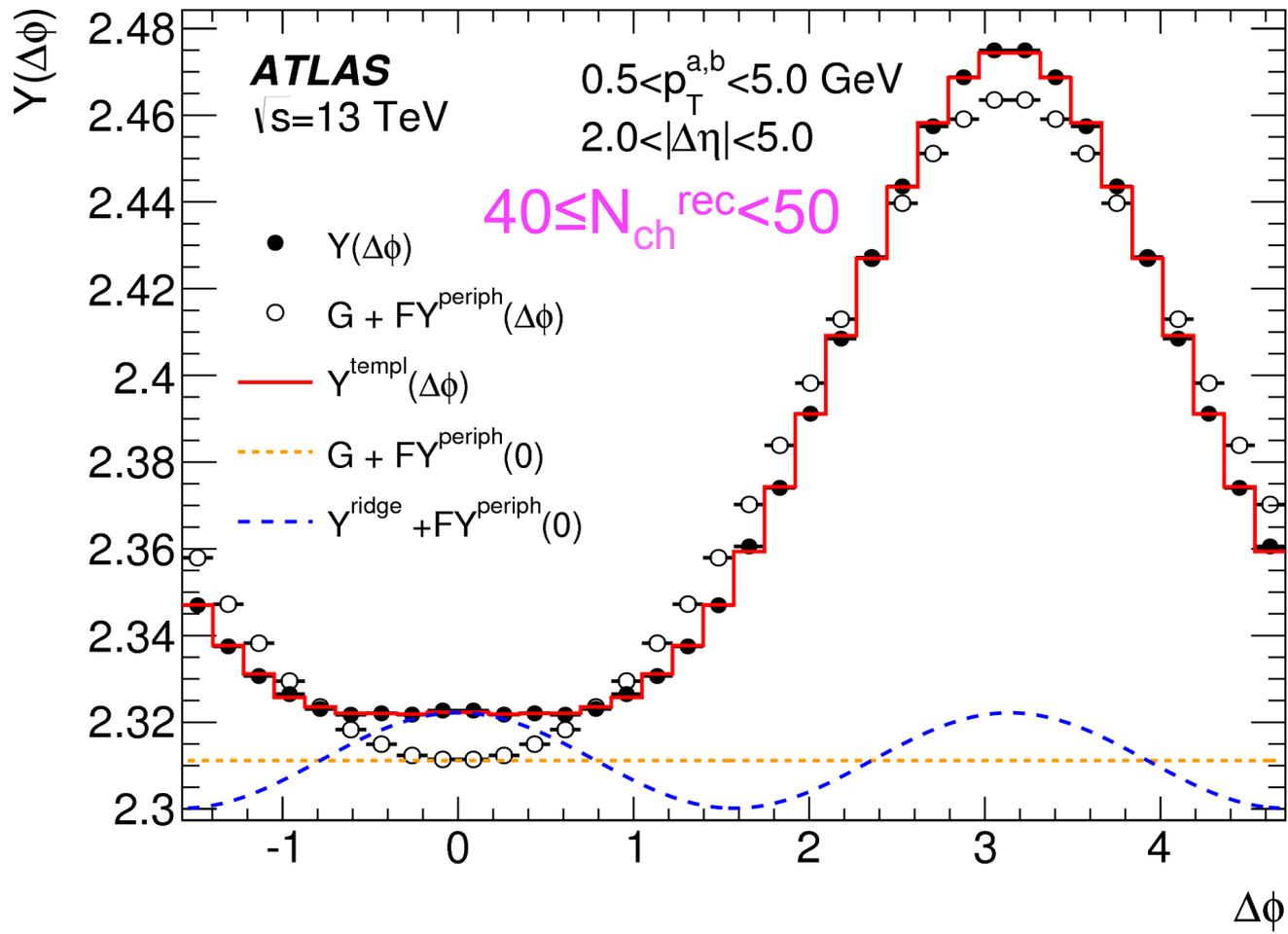
Operational definition of ridge

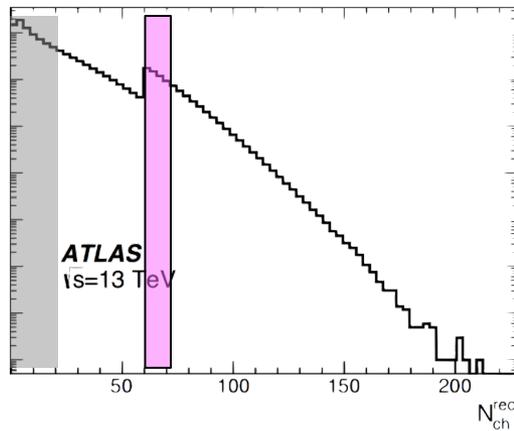


Low multiplicity bin: $N_{ch}^{rec} < 20$

arxiv:1509.04776

$$Y(\Delta\phi)_{Fit} \cong FY(\Delta\phi)_{low-mult} + A\cos 2\Delta\phi + C$$

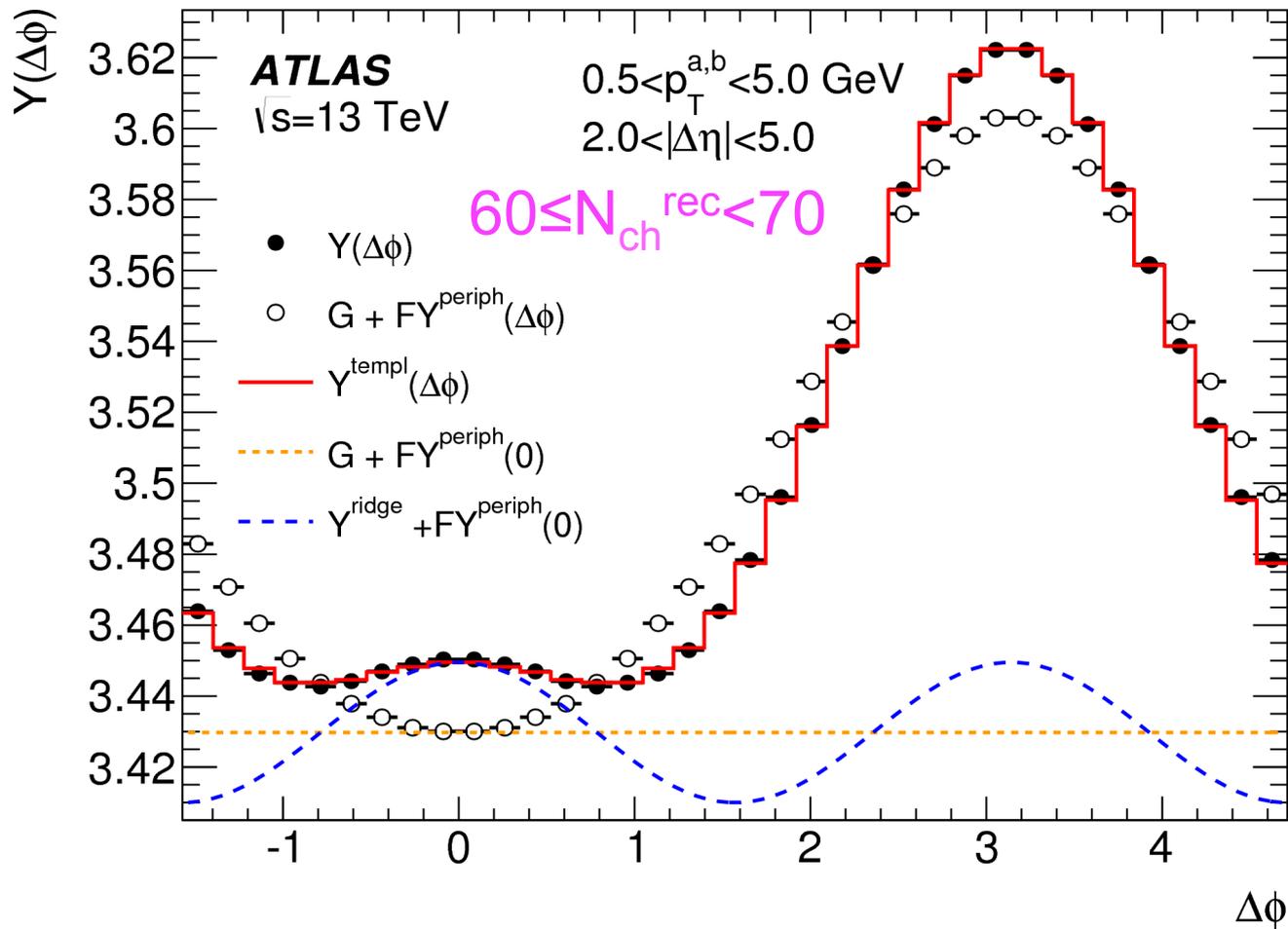


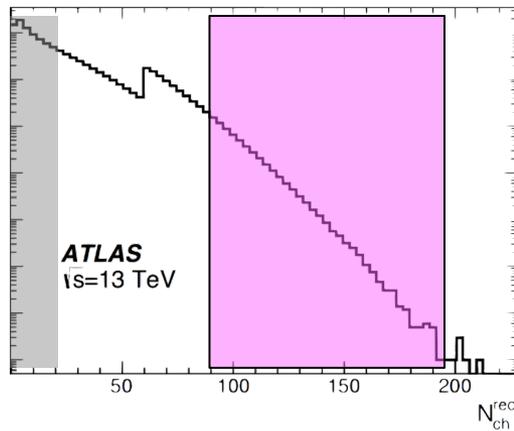


Low multiplicity bin: $N_{ch}^{rec} < 20$

arxiv:1509.04776

$$Y(\Delta\phi)_{Fit} \cong FY(\Delta\phi)_{low-mult} + A\cos 2\Delta\phi + C$$

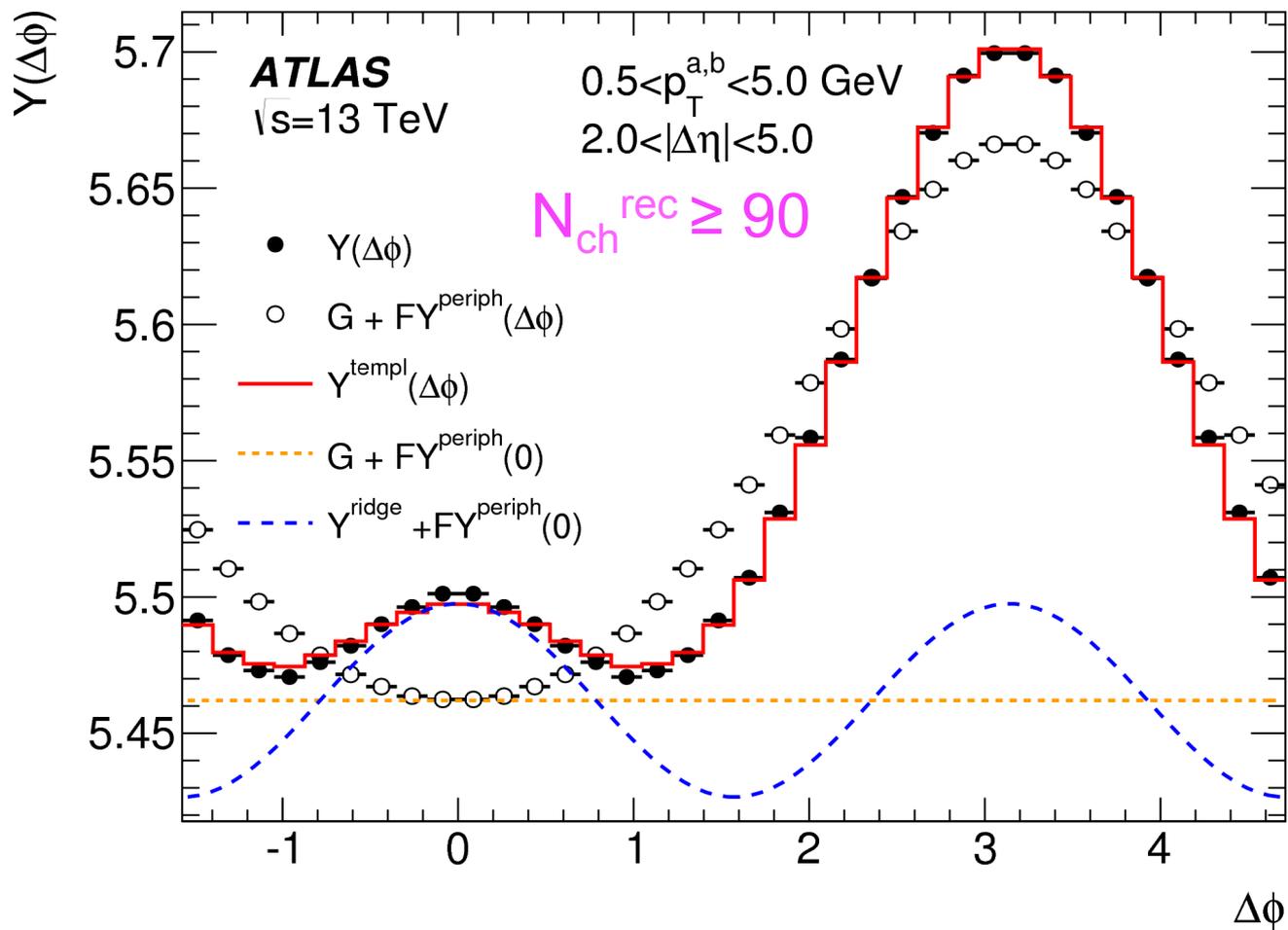


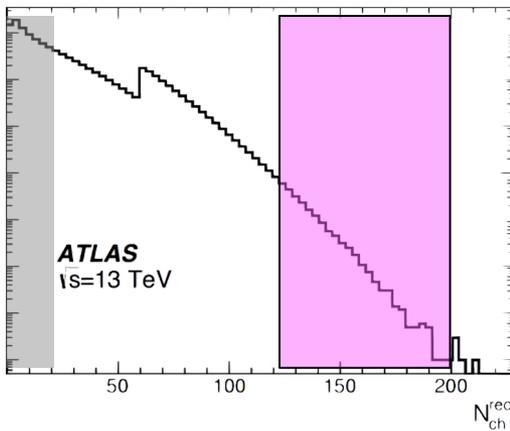


Low multiplicity bin: $N_{ch}^{rec} < 20$

arxiv:1509.04776

$$Y(\Delta\phi)_{Fit} \cong FY(\Delta\phi)_{low-mult} + A\cos 2\Delta\phi + C$$





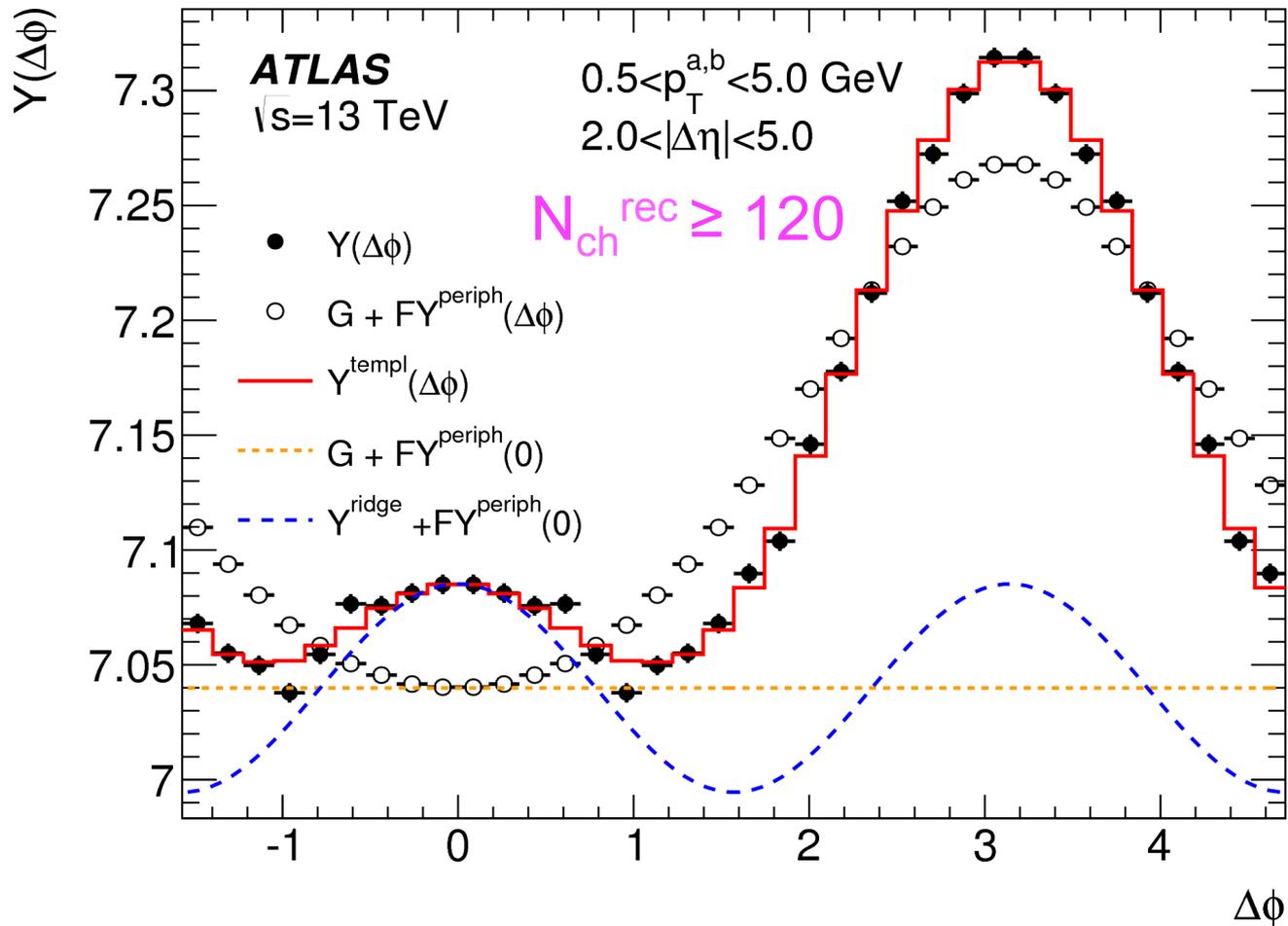
Low multiplicity bin: $N_{ch}^{rec} < 20$

arxiv:1509.04776

Narrowing of $Y(\Delta\phi)$ distribution \rightarrow

- \rightarrow presence of a $\cos 2\Delta\phi$ component
- \rightarrow other harmonics much smaller.

$$Y(\Delta\phi)_{Fit} \cong FY(\Delta\phi)_{low-mult} + A\cos 2\Delta\phi + C$$



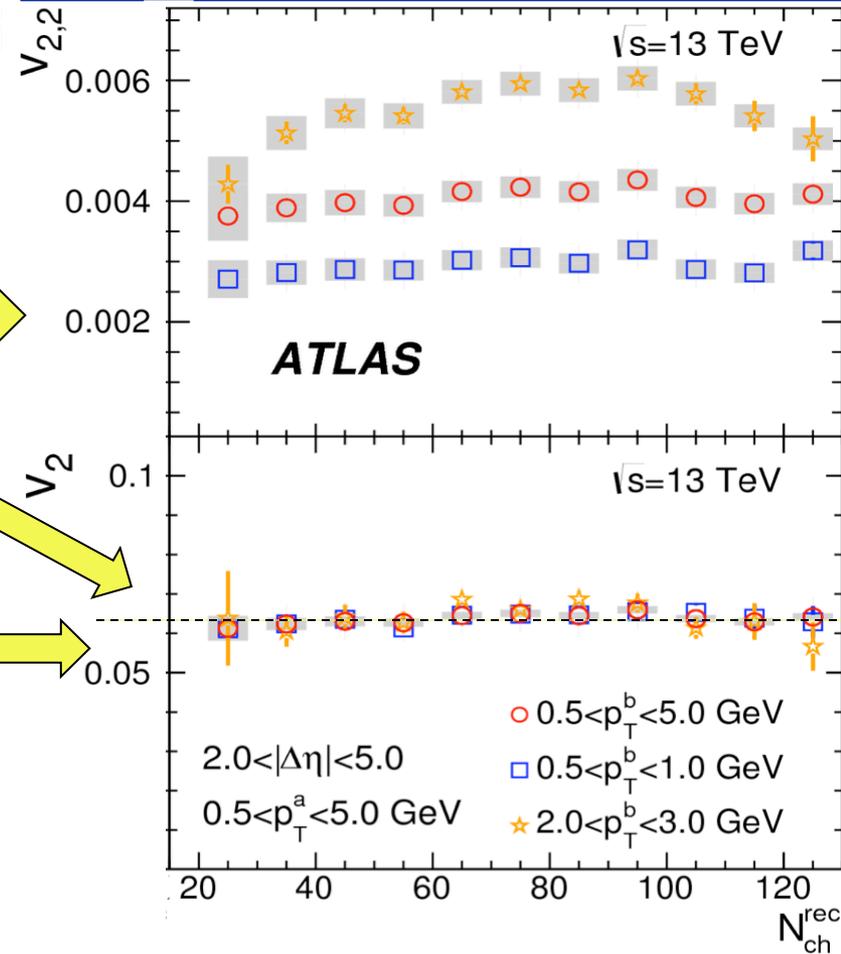
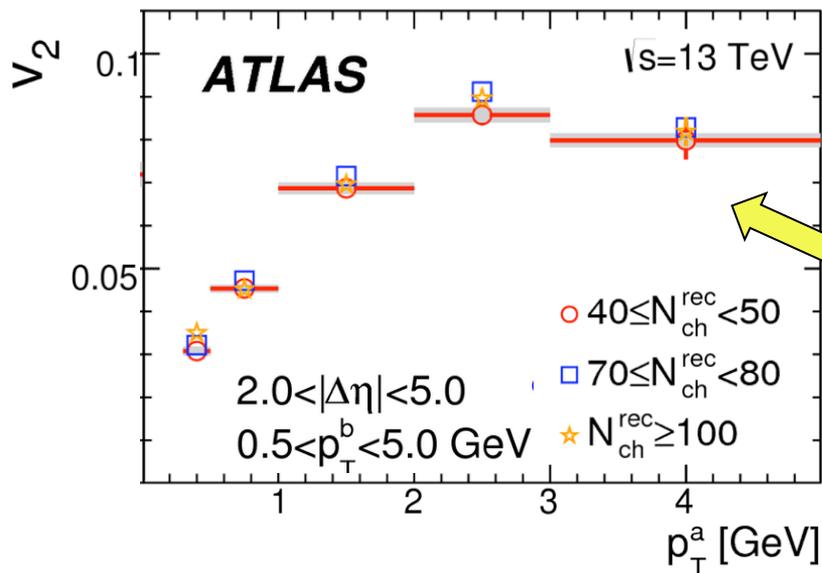
Properties of the quadrupole

Two-particle quadrupole factorize
into single particle quadrupole:

$$\frac{dN}{d\Delta\phi} \propto 1 + 2v_{2,2}(p_T^a, p_T^b) \cos 2\Delta\phi$$

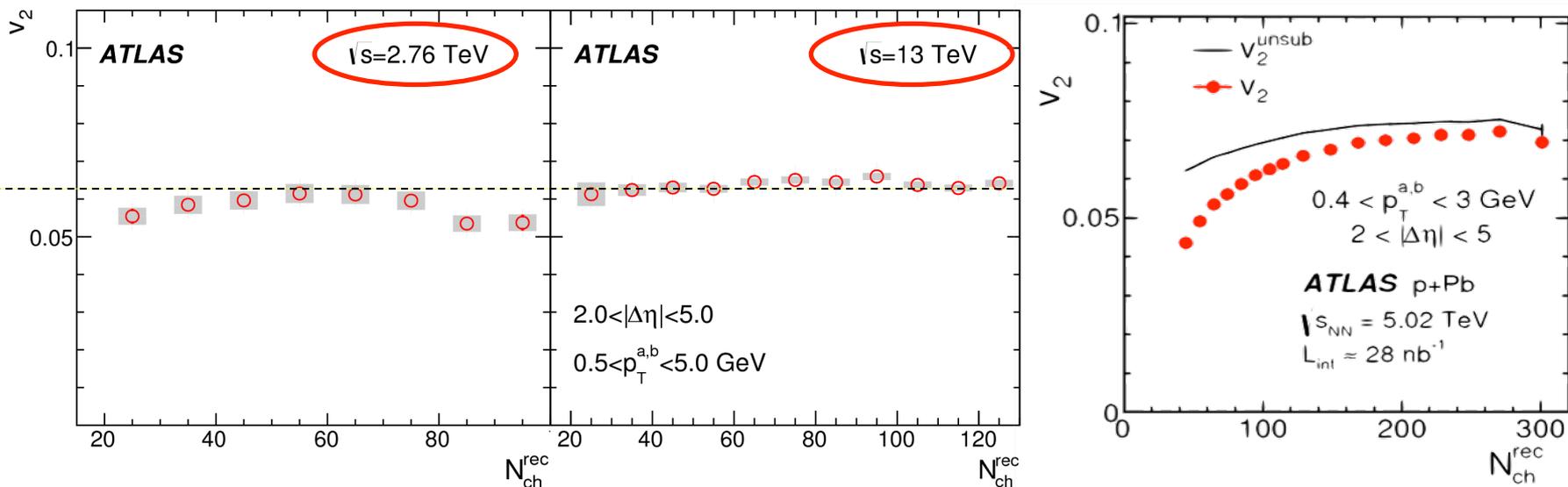
$$v_{2,2}(p_T^a, p_T^b) = v_2(p_T^a) v_2(p_T^b)$$

Very weak multiplicity dependence



$v_2(p_T)$ shows a rise & fall shape
characteristic of behavior seen
in pPb and PbPb

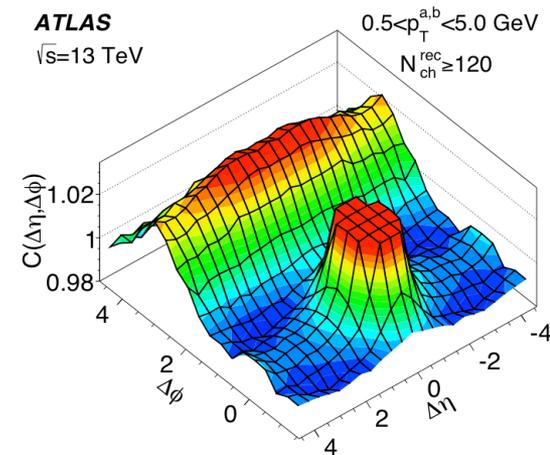
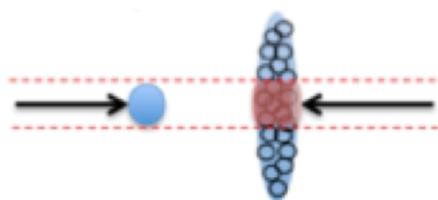
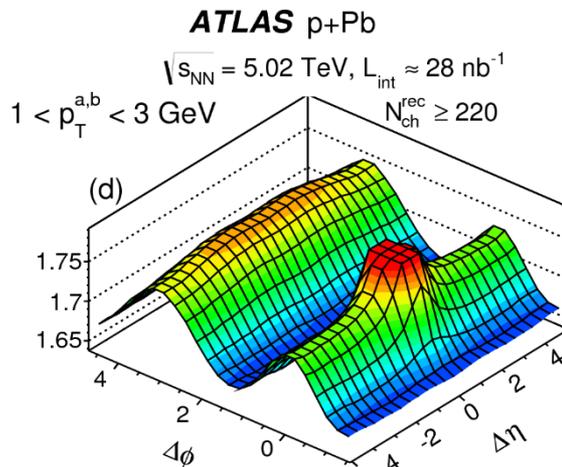
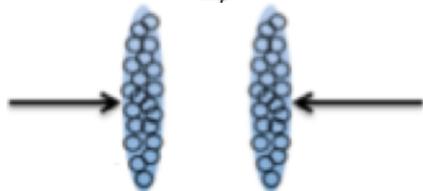
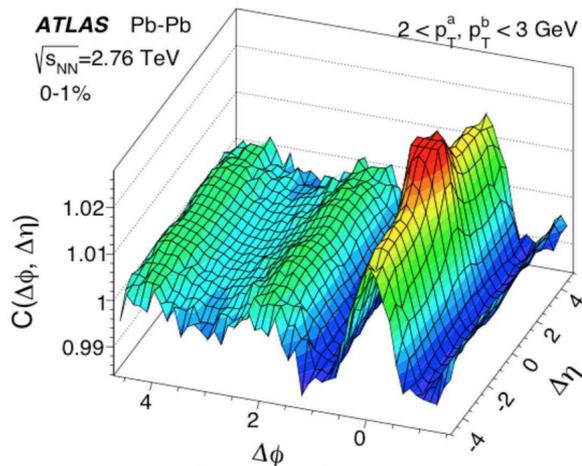
Energy and system size dependence



- Very weak energy dependence
- Somewhat different trend from pPb
 - In pPb, v_2 drops with N_{ch} even w/o subtraction.
- v_2 (pp) < v_2 (pPb) < v_2 (Pb+Pb)

What do these results mean?

- Initial or final-state effect? does this distinction even make sense in pp system?
- Why significant $\cos 2\Delta\phi$ down to $N_{ch} \approx 20$ (close to multi. for minbias pp events)?
- How much v_2 in pA, AA collisions is non-hydrodynamic origin?

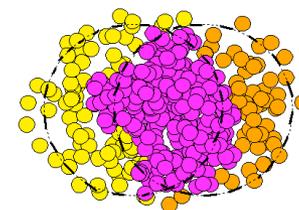
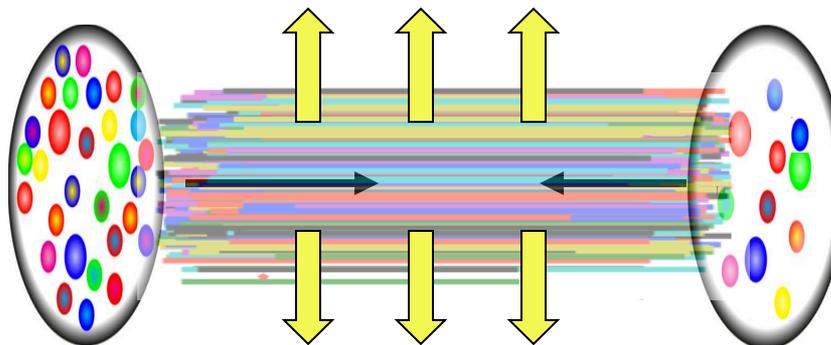


What sources seed these long-range ridges?

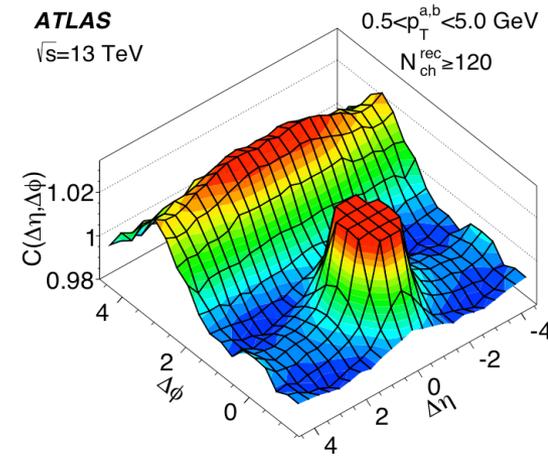
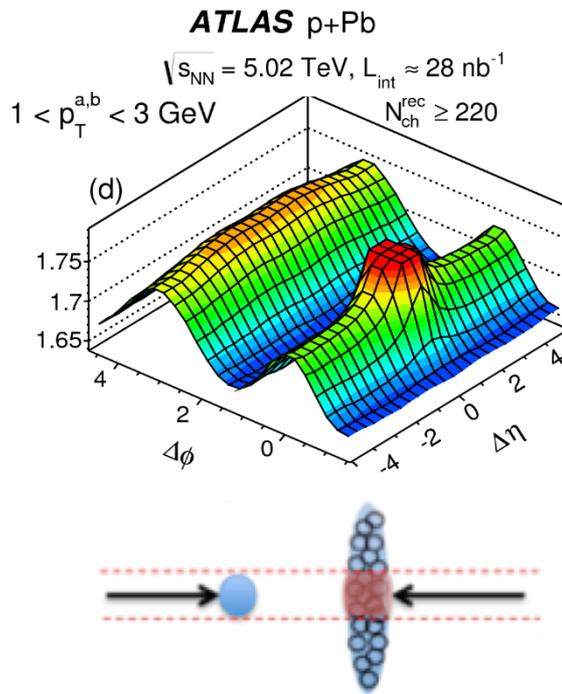
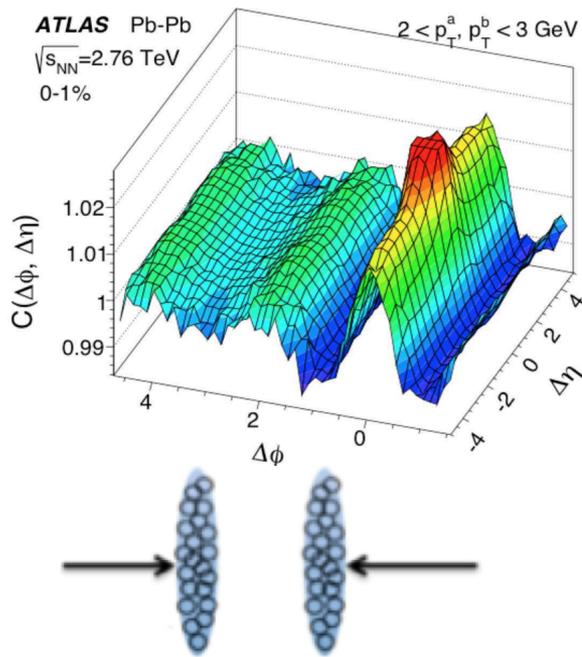
Particles (entropy) are produced very early in collision

Frozen PDF fluctuation

Frozen PDF fluctuation



How many such sources and what are their sizes?

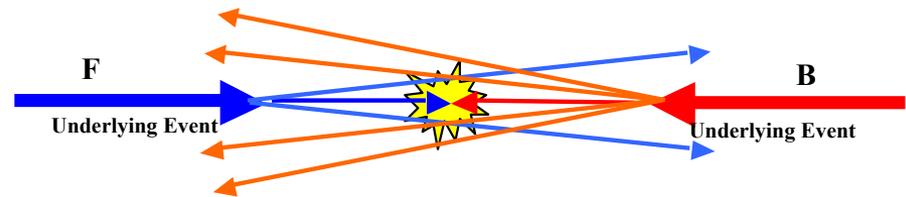
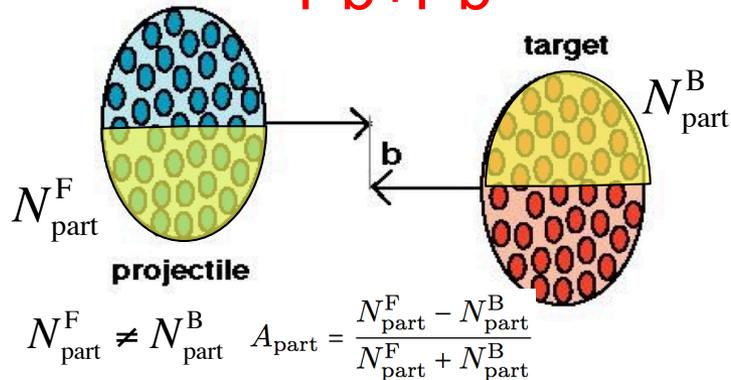


What sources seed these long-range ridges?

Particles (entropy) are produced very early in collision

Pb+Pb

p+p



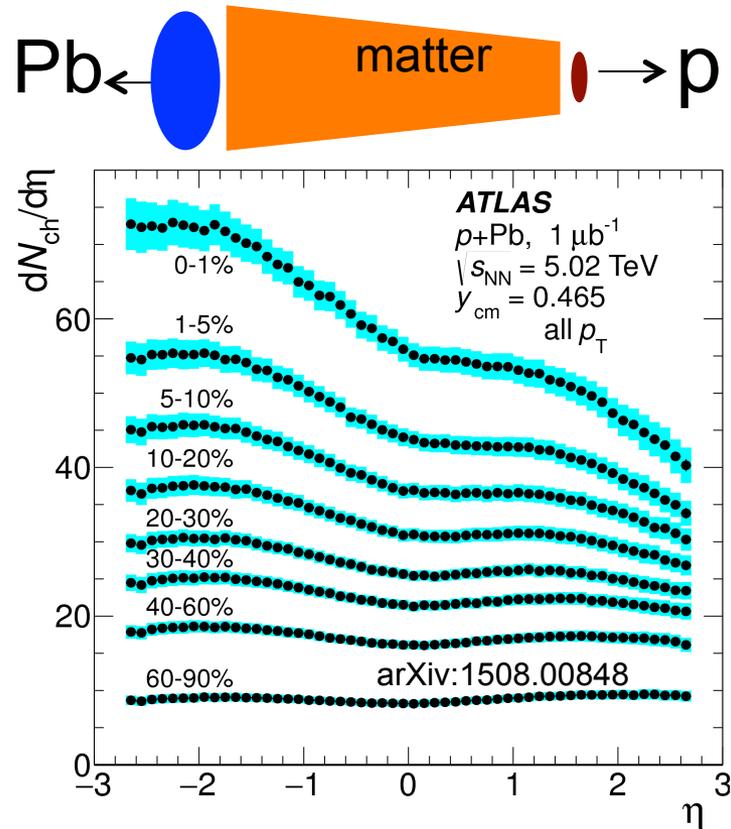
MPI: $n_f \neq n_b$

$$A_n = \frac{n_f - n_b}{n_f + n_b}$$

forward/backward multiplicity correlations provide a handle

Forward/backward multiplicity correlation

- $dN/d\eta$ shape reflects asymmetry in num. of forward/backward sources
 - Seen directly in p+Pb collisions.



FB asymmetry is expected in Pb+Pb or pp collisions on event-by-event bases!

Observable

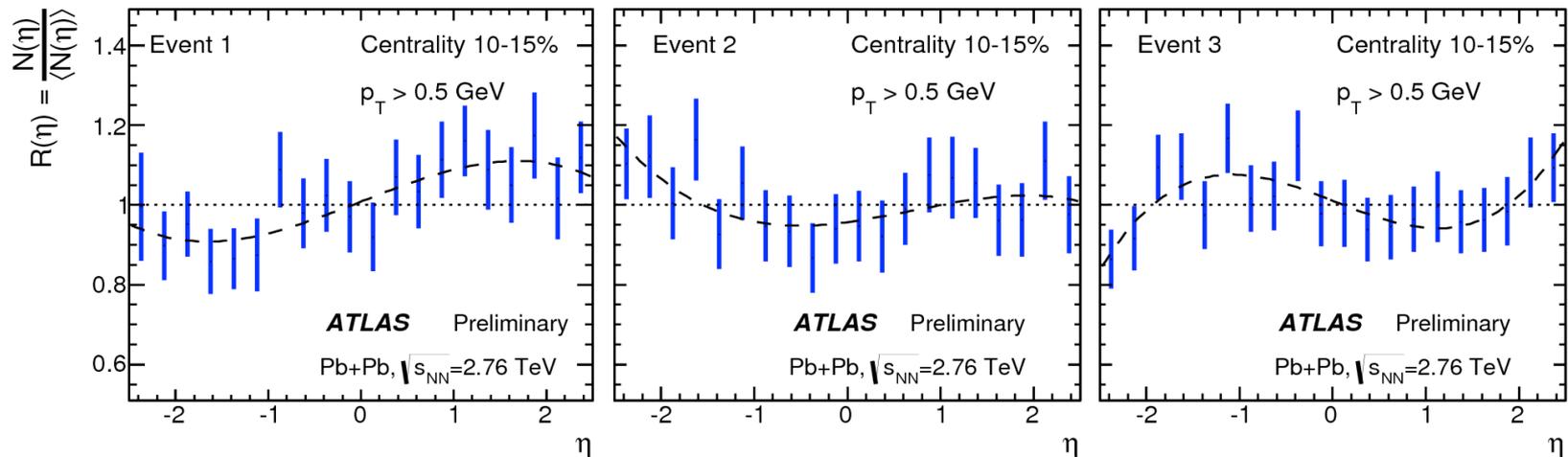
■ 2-D pseudorapidity correlation function

$$C = \frac{\langle N(\eta_1)N(\eta_2) \rangle}{\langle N(\eta_1) \rangle \langle N(\eta_2) \rangle} = \langle R_S(\eta_1)R_S(\eta_2) \rangle_{events} \quad |\eta| < Y=2.4$$

Mixed events

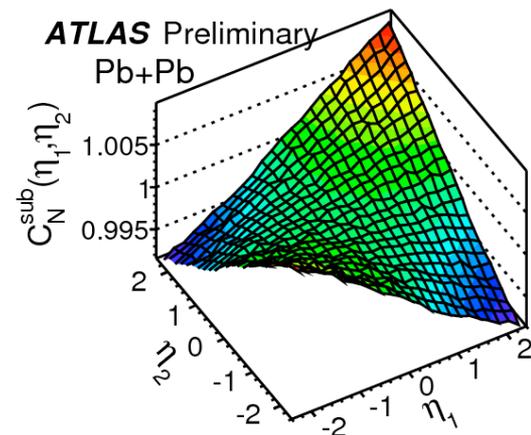
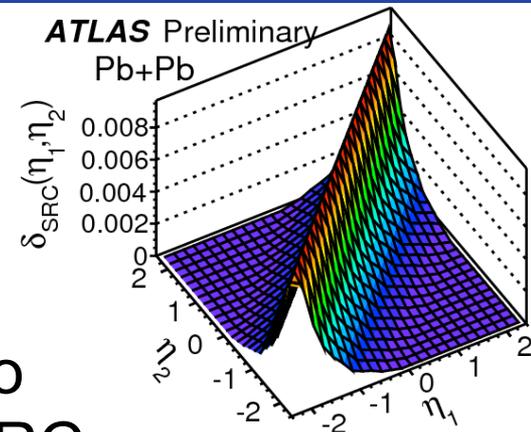
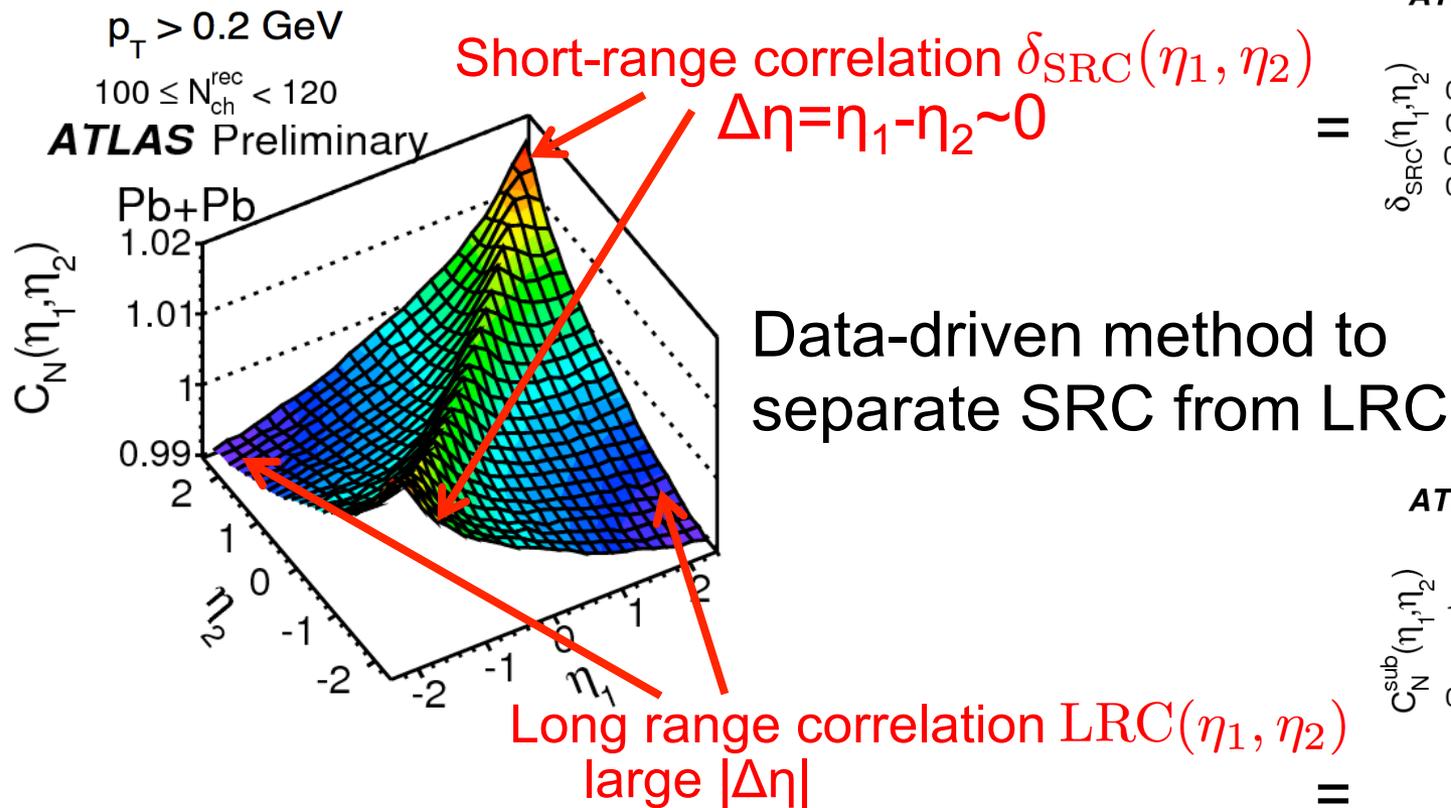
$$R_S(\eta) \equiv \frac{N(\eta)}{\langle N(\eta) \rangle}$$

Single particle distribution



CF disentangles **statistical** fluctuation from **dynamical** fluctuation

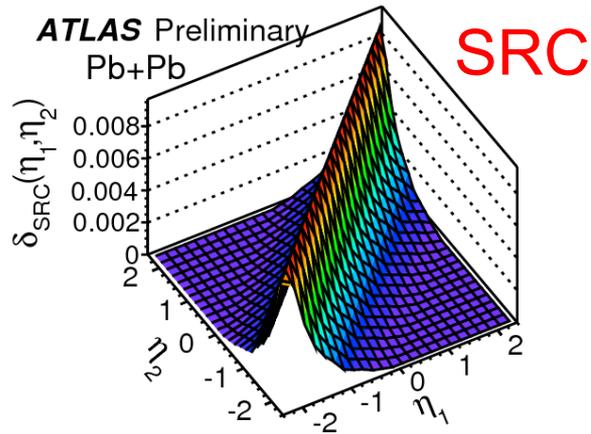
Property of the correlation function



ATLAS-CONF-2015-051

- SRC reflects correlations within the same source
- LRC reflects FB-asymmetry of number of sources, e.g. $A_{part} = \frac{N_{part}^F - N_{part}^B}{N_{part}^F + N_{part}^B}$

Quantifying the SRC and LRC

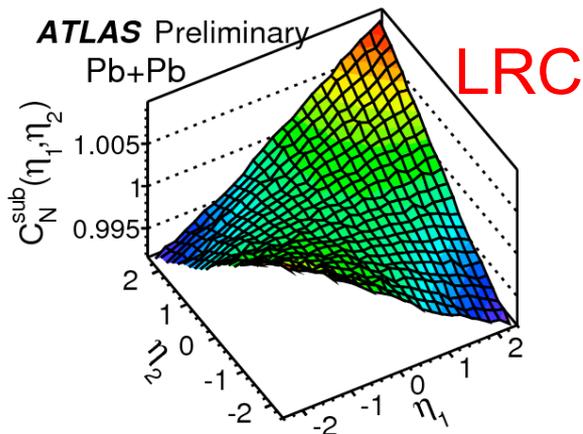


Quantify by average amplitude:

$$\Delta_{\text{SRC}} = \frac{\int \delta_{\text{SRC}}(\eta_1, \eta_2) d\eta_1 d\eta_2}{4Y^2} \quad |\eta| < Y=2.4$$

$p_T > 0.2 \text{ GeV}$

$100 \leq N_{\text{ch}}^{\text{rec}} < 120$



Shape approximate by:

$$C_N^{\text{sub}}(\eta_1, \eta_2) \approx 1 + \langle a_1^2 \rangle \eta_1 \eta_2 = 1 + \frac{\langle a_1^2 \rangle}{4} (\eta_+^2 - \eta_-^2)$$

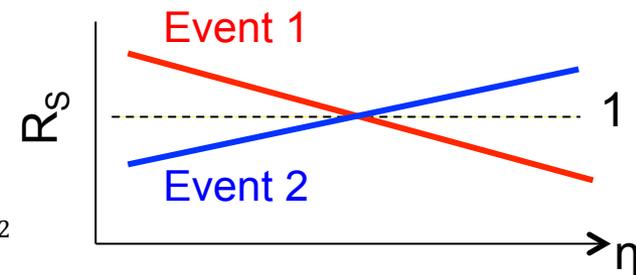
$$\eta_+ = \eta_1 + \eta_2$$

$$\eta_- = \eta_1 - \eta_2$$

Implication: deviation from average is linear in η

$$R_s(\eta) \equiv \frac{N(\eta)}{\langle N(\eta) \rangle} \approx 1 + a_1 \eta$$

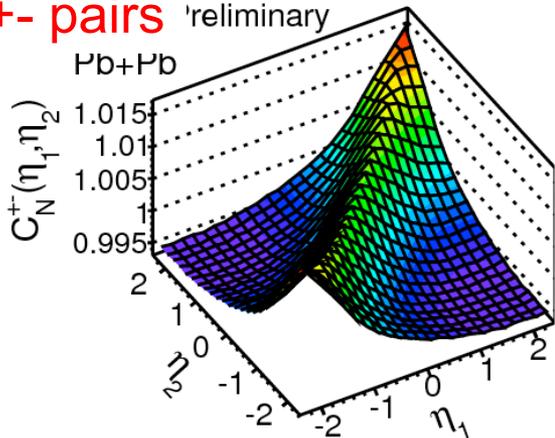
$$C = \langle R_s(\eta_1) R_s(\eta_2) \rangle \approx 1 + \langle a_1^2 \rangle \eta_1 \eta_2$$



Dependence on charge combination

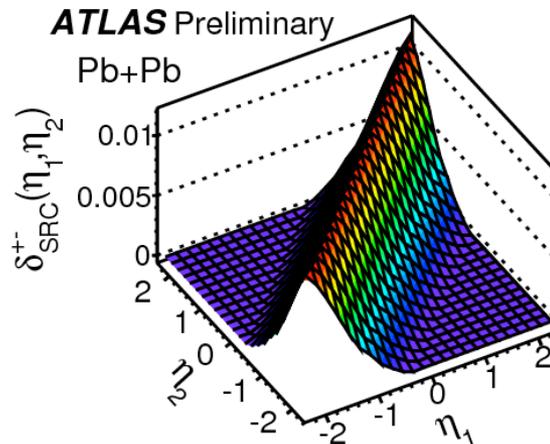
Correlation function

+ - pairs Preliminary

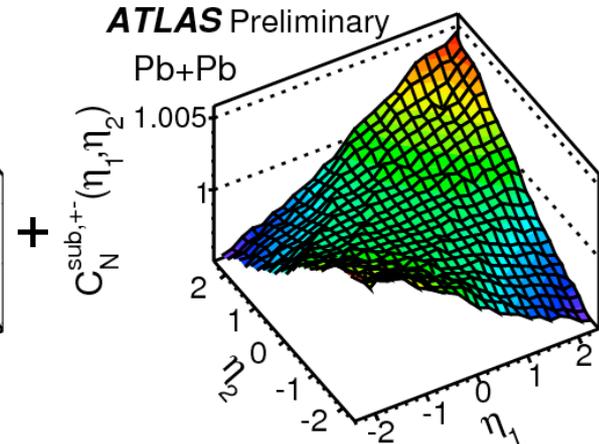


$200 \leq N_{ch}^{rec} < 220$ $p_T > 0.2$ GeV

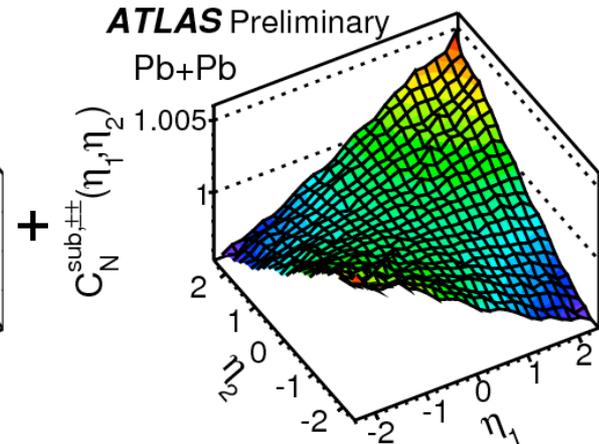
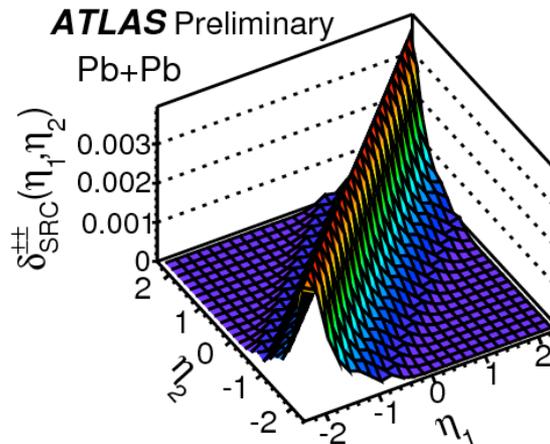
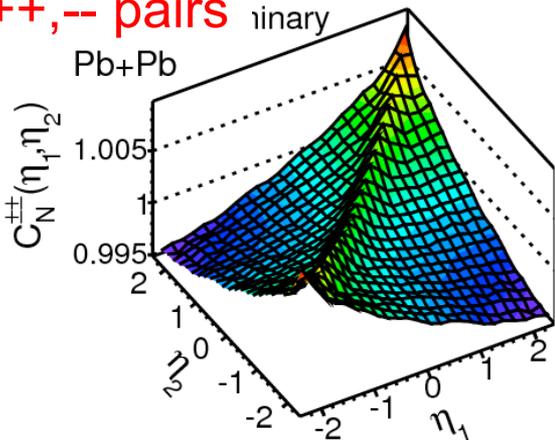
SRC



LRC



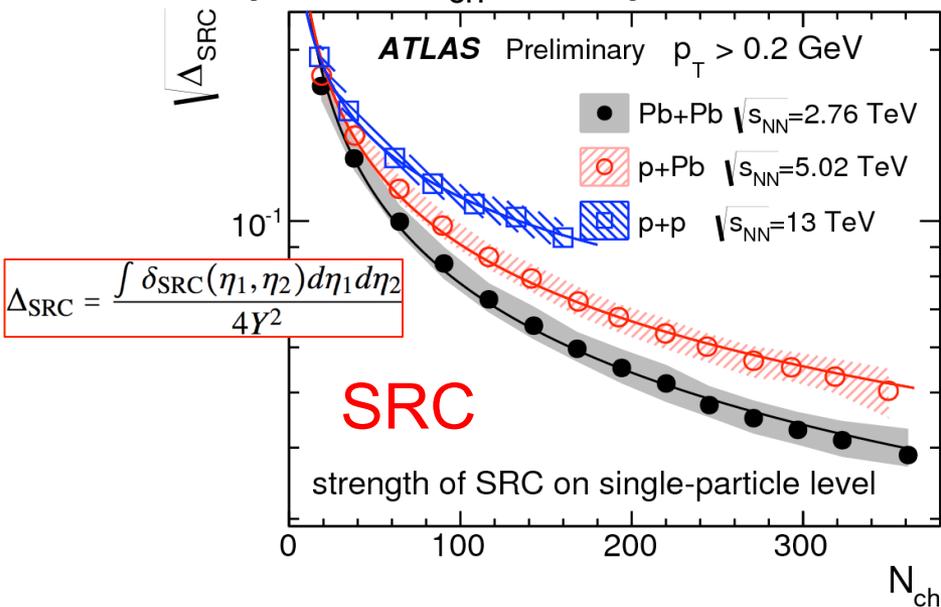
++ , -- pairs Preliminary



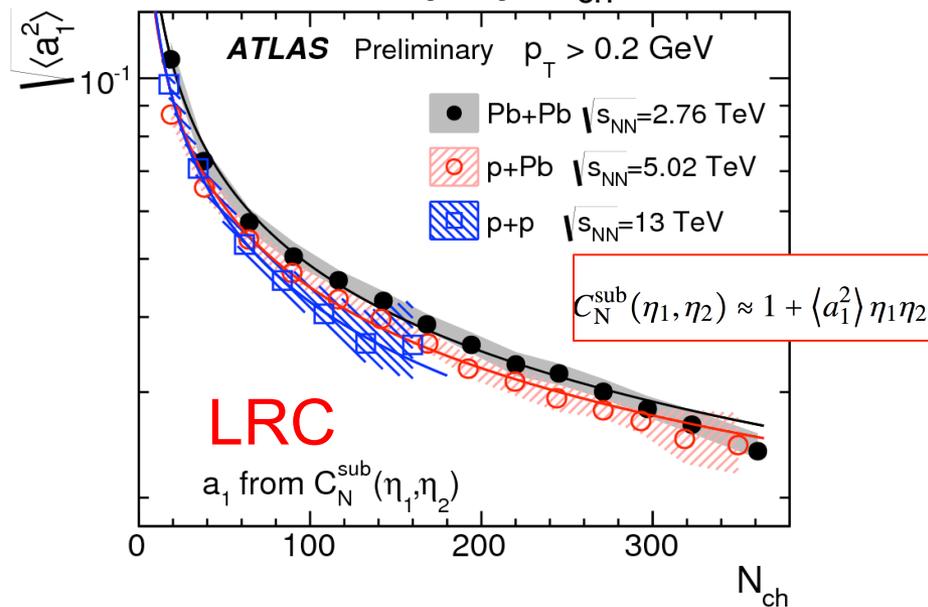
- SRC: more +- pairs than $\pm\pm$ pairs in each source
- LRC: no charge dependence \rightarrow reflect global event property

Dependence on N_{ch} and collision systems

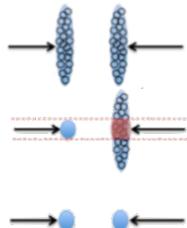
By both N_{ch} and system size



only by N_{ch}

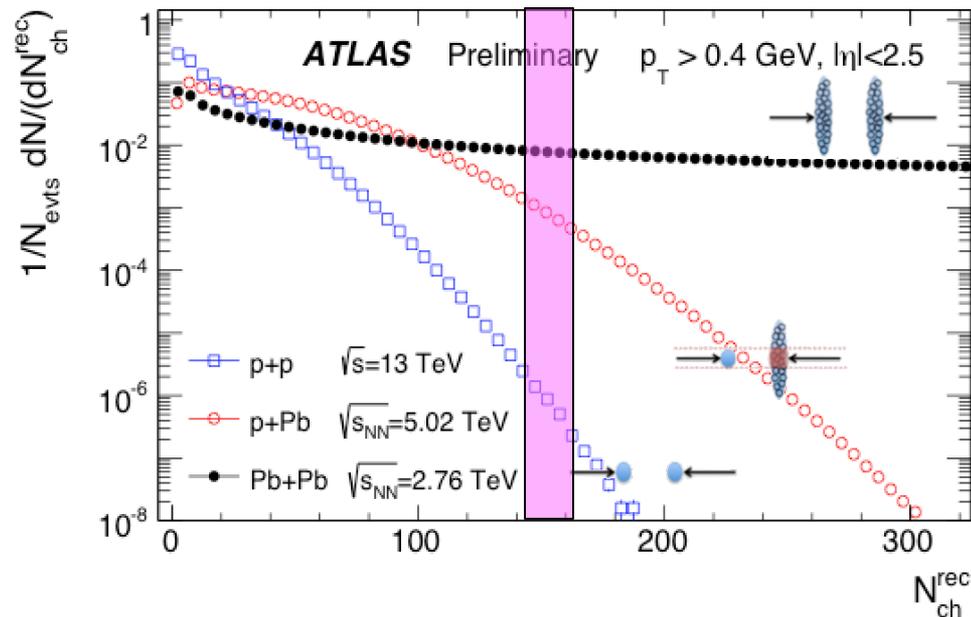


Compare between



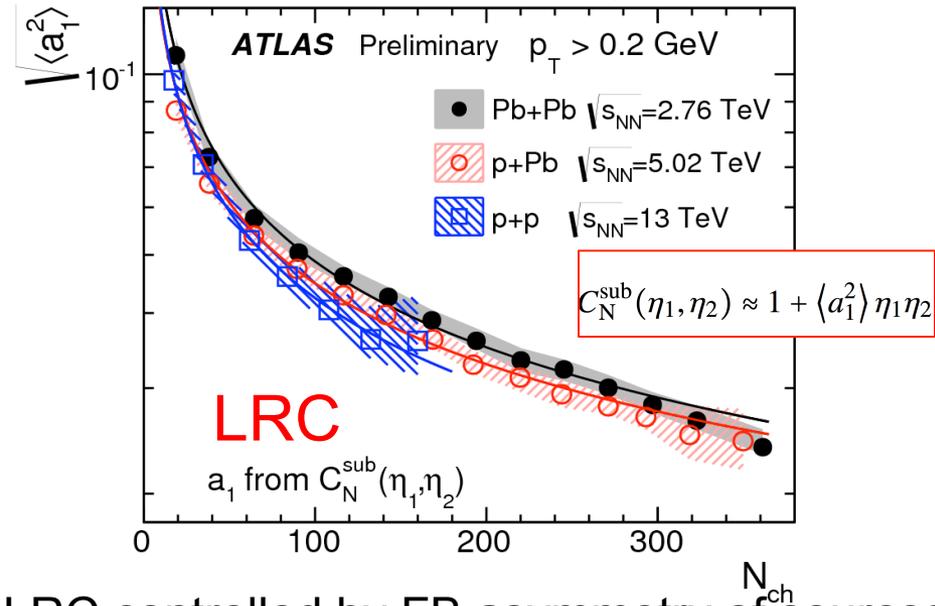
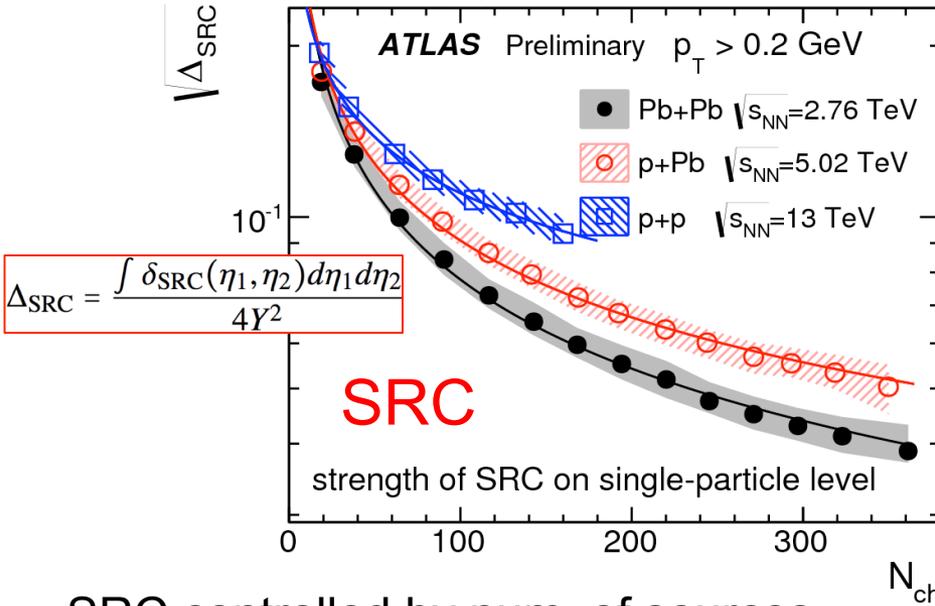
SRC/LRC control by

N_{ch} or **transverse geom. size?**



By both N_{ch} and system size

only by N_{ch}



SRC controlled by num. of sources

$$n = n_f + n_b \propto N_{ch}$$

LRC controlled by FB asymmetry of sources

$$\langle a_1^2 \rangle \propto \langle A_n^2 \rangle \quad A_n = \frac{n_f - n_b}{n_f + n_b}$$

Assume “independent source picture”: $\sqrt{\Delta_{SRC}} \sim \sqrt{\langle a_1^2 \rangle} \sim \frac{1}{n^\alpha} \sim \frac{1}{N_{ch}^\alpha}$, $\alpha \sim 0.5$

■ Fit with c/N_{ch}^α

	Pb+Pb	p+Pb	pp
α for $\sqrt{\Delta_{SRC}}$	0.502 ± 0.022	0.451 ± 0.020	0.342 ± 0.030
α for $\sqrt{\langle a_1^2 \rangle}$	0.467 ± 0.011	0.448 ± 0.019	0.489 ± 0.032

- LRC: num. of sources, n , controlled by N_{ch} , think in terms of partons !
- SRC: pp vs PbPb at same N_{ch} → n is similar but pairs/source is larger?

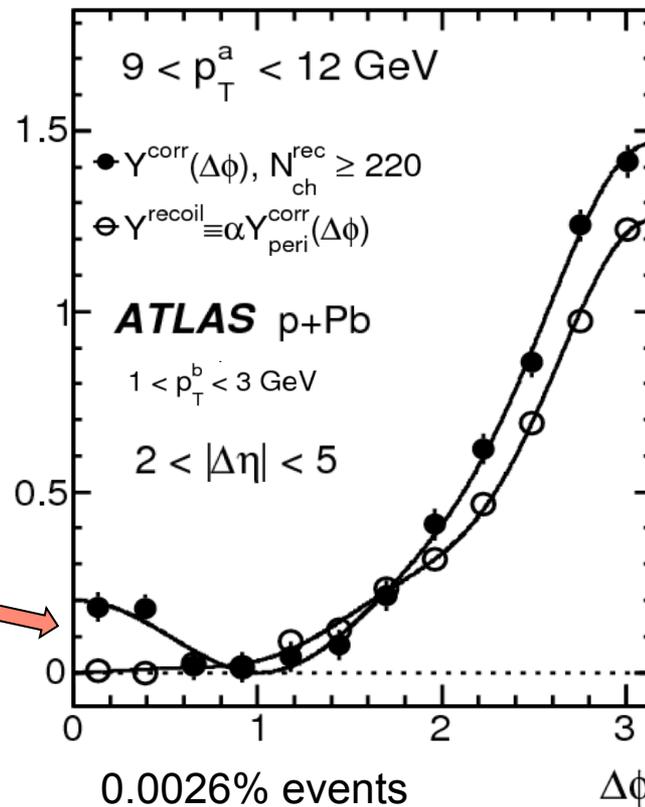
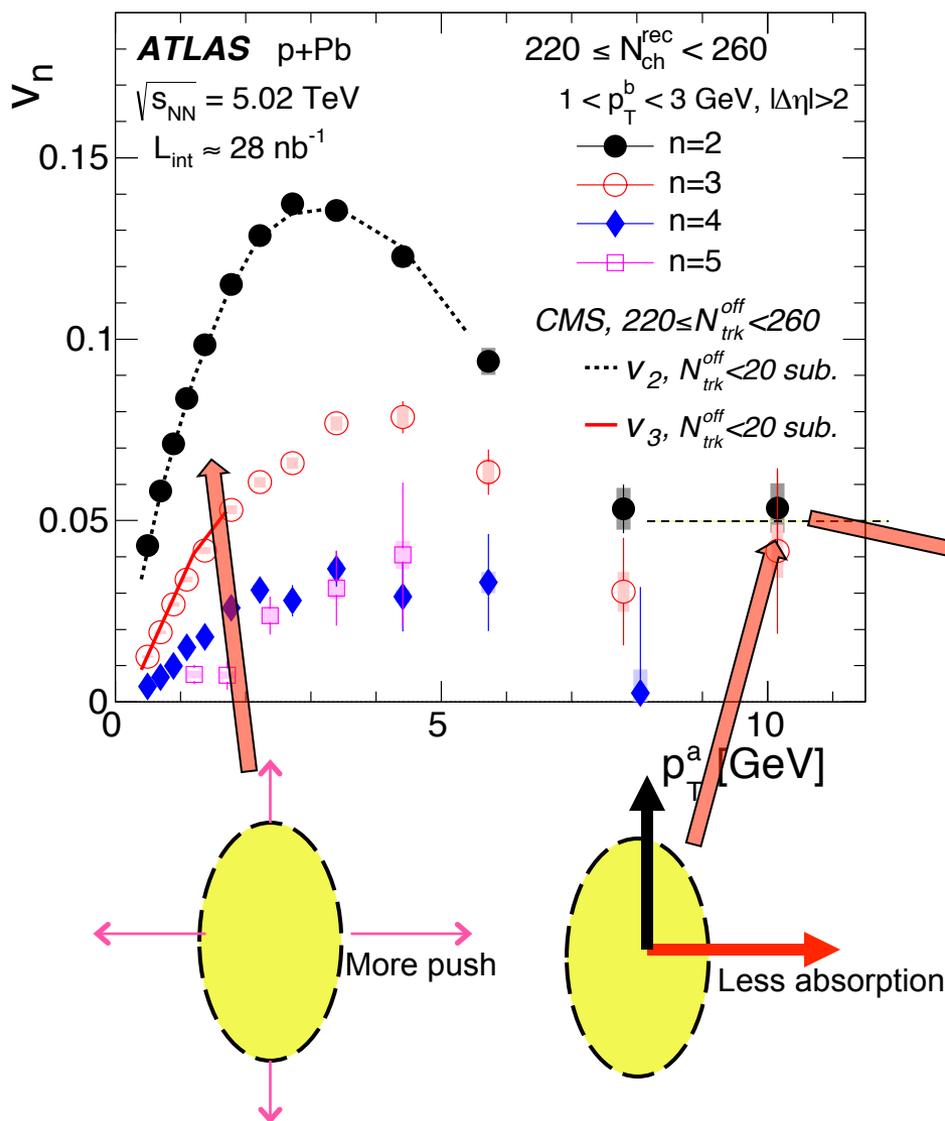
- What are the long-wavelength behaviors/properties of QGP?
 - Many observables to study hydrodynamic response to EbyE fluctuating initial conditions
 - Improved understanding of space-time dynamics & QGP properties via model comparison.
- What are the short-wavelength behaviors/properties of QGP?
 - Study by varying the energy, color, mass of hard-probes and their in-medium path-length.
 - Detailed control of energy loss and its fluctuations for fine-tuning quenching models
- Can we calibrate initial condition & hard-probe rates prior to QGP formation?
 - Hard-probe rates follow N_{coll} scaling, hints of nPDF effects observed for W/Z.
- Have we created a small droplet of QGP in pp, pPb collisions?
 - Strong collectivity observed in high-multiplicity pPb maybe even HM pp collisions
 - pp ridge described by $\cos 2\Delta\phi$, has (surprisingly) weak dependence on event activity and \sqrt{s} .
 - Is the $\cos 2\Delta\phi$ component in low-multiplicity pp due to collectivity?
- Studied the nature of the sources that seed the long-range correlations via forward/backward multiplicity correlation.
 - Number-of-sources scales with event activity (N_{ch}) independent of the collision systems and hence the transverse geometry?

Back up

Evidence of final-state effects in p+Pb?

- If soft particle v_2 arises from final-state, do we expect energy loss?

PRC90,044906 (2014)



Near-side ridge seen directly at 10GeV
 Corresponds to 5% v_2

Evidence of jet quenching in HM pPb?